

# Searches for new particles decaying into jet pairs in 2011 ATLAS data

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on behalf of the  
**ATLAS Collaboration**



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- 2010 saw **huge** strides being taken in searches for **physics beyond the Standard Model (BSM)**
- Dijet final states **already** allow us to probe many BSM effects
  - How do we tease out potential signals from this final state?
  - What have we be able to learn so far?
- What does the future hold? Results so far from 2011...

## Why dijets?

- scattering processes **well described within Standard Model (SM) by perturbative Quantum Chromodynamics (pQCD)**
- However, it is possible for there to be additional contributions from:
  - **new massive particles** or
  - **new forces**, manifesting themselves at large CM energies

*As examples of new physics models, we consider:*

- **Compositeness**
  - Are quarks made from more fundamental particles: “preons”?
- **Excited quarks**
  - $qg \rightarrow q^* \rightarrow qg$
- TeV-scale gravity and **Quantum Black Holes**
  - generated using BlackMax
- **Axigluon model** - predicted by Chiral colour model
- and many more... [see New J. Phys. 13 (2011) 053044]

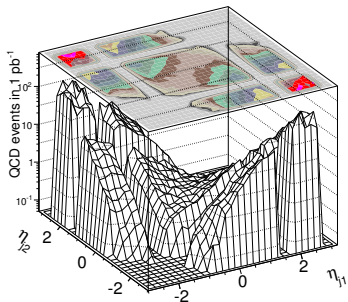
# How do we look for these signals?

Dijet invariant mass:  $m_{jj} = \sqrt{(E^{j_1} + E^{j_2})^2 - (\vec{p}^{j_1} + \vec{p}^{j_2})^2}$

- Are there deviations from SM in  $m_{jj}$  spectrum?

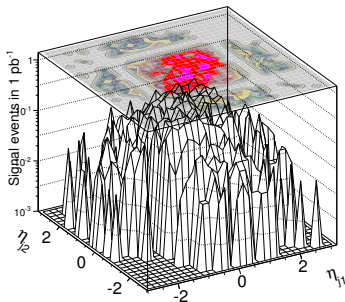
**But** there is also *angular information* to consider...

QCD background:



ATLAS Preliminary

Excited Quark Signal:



ATLAS Preliminary

Both **Resonance** and dedicated **Angular Search** aim to take advantage of all of this information...

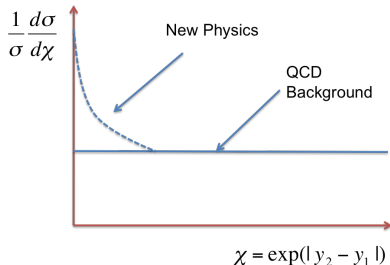
# Dijet Angular Search: The $\chi$ Variable

$$\chi = \exp |y_1 - y_2| \quad \text{where Rapidity : } y = \frac{1}{2} \ln \left( \frac{E+p_z}{E-p_z} \right)$$

- Related to the Centre of Mass (CM) scattering angle:

$$\cos \hat{\theta} = \tanh |y^*| \quad \text{where } y^* = (y_1 - y_2)/2$$

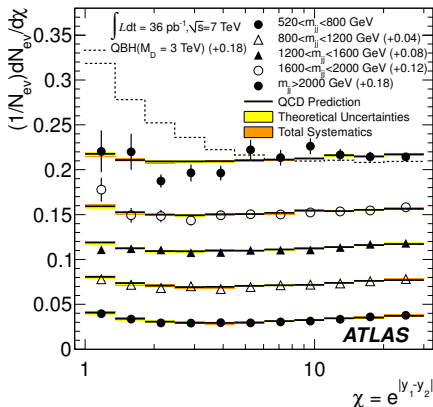
- Consider normalised  $dN/d\chi$  distributions in bins of  $m_{jj}$
- QCD  $\rightarrow$  dominated by Rutherford-like scattering  $\rightarrow$  flat  $\chi$
- New physics  $\rightarrow$  isotropic scattering  $\rightarrow$  excess at low  $\chi$



**AIM:** Find evidence of BSM physics resulting in excess of isotropic processes above certain mass threshold → **most sensitive to threshold effects**

- Data is compared to QCD MC  
- Pythia \* bin-wise NLO k-factors
- Anti- $k_t$  jet algo with  $R = 0.6$
- $|y_{j1} - y_{j2}| < 3.4$  &  $|y_{j1} + y_{j2}| < 2.2$
- $p$ -value for each mass bin

mass range (GeV)	$p$ -value
$520 < m_{jj} < 800$	0.44
$800 < m_{jj} < 1200$	0.33
$1200 < m_{jj} < 1600$	0.64
$1600 < m_{jj} < 2000$	0.89
$2000 < m_{jj}$	0.44



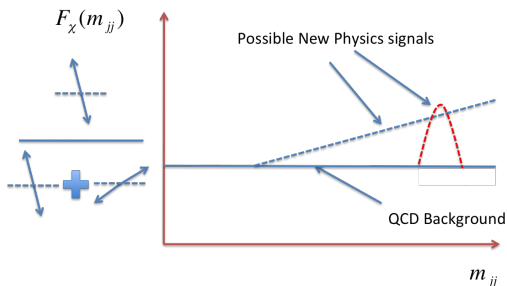
Indicates good agreement → **Set limits!**

# Dijet Angular Search: Introducing $F_\chi(m_{jj})$

**Motivation:** Fine binning in dijet mass **maximises sensitivity** to search of **both resonant and non-resonant phenomena**

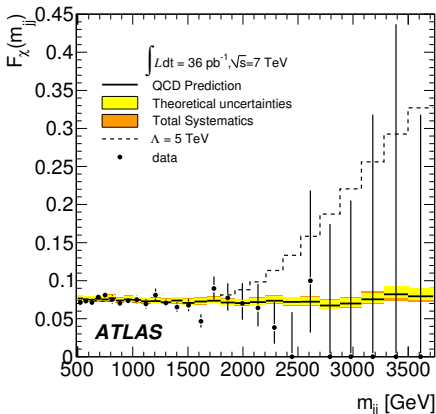
$$F_\chi(m_{jj}) = \frac{N_{events}(|y^*| < 0.6)}{N_{events}(|y^*| < 1.7)} \text{ where } y^* = (y_1 - y_2)/2$$

**Sensitive to mass-dependent change in centrally produced dijets**  
→ combines strengths of resonance analysis and  $\chi$  analysis



- Data is compared to QCD MC (Pythia \* bin-wise NLO k-factors)
- Using previous  $\chi$  event selection with  $m_{jj} > 500$  GeV

- Mass bins above 1253 GeV used for searches
- $p$ -value = 0.28
  - from binned likelihood
  - systematics convolved with PE
- Indicates good agreement  
→ **Set limits!**



\*  $\Lambda$  is parameter for Quark Contact Interactions



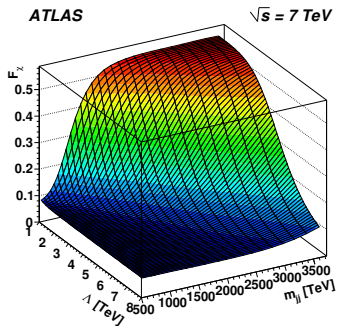
# Dijet Angular Search: Limit setting with $F_\chi(m_{jj})$

Limits set using frequentist  $CL_{s+b}$  approach with statistic:

$$\text{Likelihood ratio } Q = -2(\ln L(F_\chi(m_{jj})|H_0) - \ln L(F_\chi(m_{jj})|H_1))$$

where  $H_0$  is null hypothesis of QCD,  $H_1$  is a specific signal hypothesis  
-  $L(F_\chi(m_{jj})|H)$  is binned likelihood for  $F_\chi(m_{jj})$  assuming  $H$

- 'data' for given  $H$  is taken from fits to fully simulated signal samples (see right)
- For each  $H$  throw PE to find expected distribution of  $Q$  - inc. variations of all systematic uncert.
- "signal-like" PE (or data)  $\rightarrow$  high  $Q$
- "QCD-like" PE (or data)  $\rightarrow$  low  $Q$
- construct Neyman Confidence Level



# Dijet Angular Search: Limits on Contact Interactions ( $\Lambda$ )

Set limit by comparing measured  $Q$  with expected for given  $\Lambda$

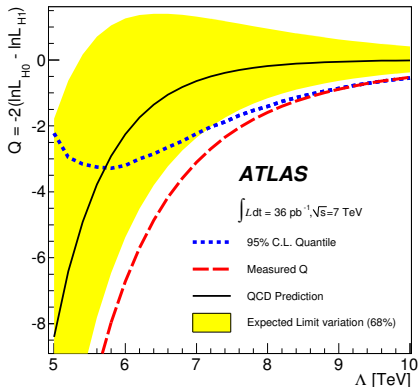
Expected limit: 5.7 TeV

Observed limit: 9.5 TeV

Observed result significantly above expected

- due to *downward fluctuation in  $F_\chi(m_{jj})$*

- Known feature of  $CL_{s+b}$  method
- Cross-checks performed with other methods - similar expected limits
- (Bayesian: Expected 5.7 TeV, Observed 6.7 TeV)
- *We chose not to exclude  $CL_{s+b}$  result a posteriori*



# Dijet Angular Search: Limits on Quantum Black Holes

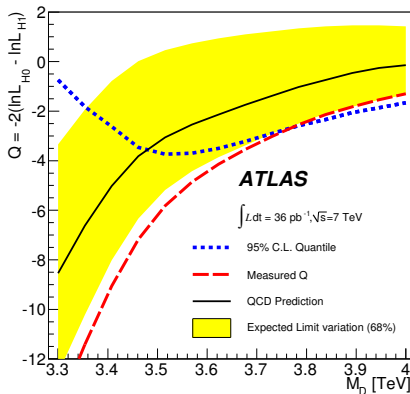
## The QBH model

- Low-entropy limit to the popular semi-classical BH models
- Produced at threshold once  $\sqrt{s} \geq M_D$  (Planck mass)
- Decay isotropically into 2-body final states (mostly jets)

- Signal generated with BlackMax MC generator
- using most basic QBH scenario
- Limit set for  $n = 6$  extra dimensions
- For limits on  $n = 2 - 7$  see  
New J. Phys. 13 (2011) 053044

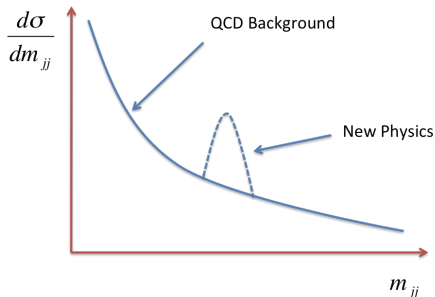
Limits set on the Planck mass,  $M_D$ :

- **Expected limit: 3.49 TeV**
- **Observed limit: 3.78 TeV**



# Dijet Resonances: Introduction

**AIM:** Find evidence of new resonances in dijet mass spectrum with emphasis on identifying excess of isotropic processes



Chose leading two jets with:

- Anti- $k_t$  jets with  $R = 0.6$
- $|\eta_1 - \eta_2| < 1.3$   
- boost isotropic component
- $|\eta_{1,2}| < 2.5$
- $m_{jj} > 700$  GeV

$$m_{jj} = \sqrt{(E^{j1} + E^{j2})^2 - (\vec{p}^{j1} + \vec{p}^{j2})^2}$$

If no resonance found... set limits on specific models *and* generic limits which apply to many models.

# Dijet Resonance: Data-driven background determination

**NEW** results for  $163 \text{ pb}^{-1}$ !

## Background fit

Use smooth function:

$$f(x) = p_1(1-x)^{p_2} x^{p_3+p_4 \ln x}$$

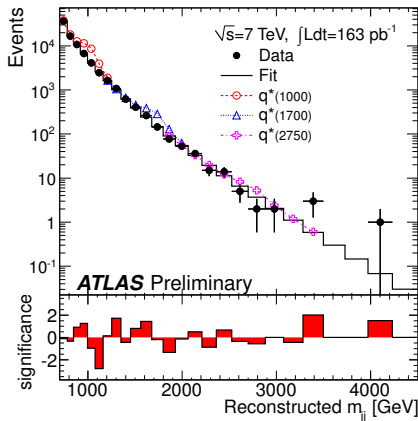
where  $x = \frac{m_{jj}}{\sqrt{s}}$

Is there a signal?

$p$ -value of the fit to the data = 0.016

$p$ -value of the fit without highest  $m_{jj}$  events = 0.26

- using  $\chi^2$  from PE with Poisson fluctuations around background fit

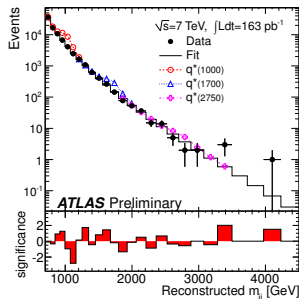


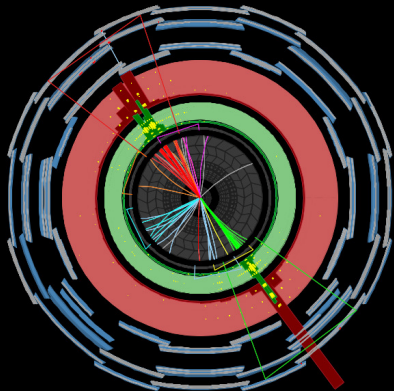
**Can we do better?**

# Dijet Resonance: Is there any bump? ask BumpHunter

- BumpHunter systematically looks for “bumps”
  - signal window increased and shifted to include *all* bin intervals (up to half  $m_{jj}$  range)
  - **Identify most significant discrepancy**
    - Find set of bins with smallest prob. of arising from background fluctuation (assuming Poisson stats)
  - include “trials factor” for significance of finding
    - Use PE to find prob. of excess due to background fluctuations
- **Most discrepant region:**  
due to last 4 events (4 bins) with  $p$ -value = 0.26
- *No evidence for a resonance signal...*

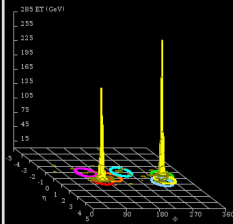
*Set limits!*





Run Number: 179938, Event Number: 12054480

Date: 2011-04-18 17:57:29 EDT

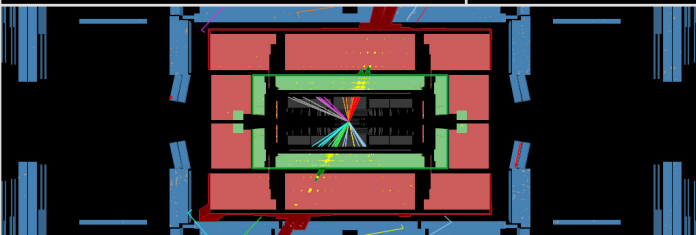


High energy  
candidate

$$m_{jj} = 4.04 \text{ TeV}$$

$$p_T^{j1} = 1.85 \text{ TeV}$$

$$p_T^{j2} = 1.84 \text{ TeV}$$



- Bayesian method used to set Credibility Levels (CL):

$$P(s|d) = \prod_i \text{Poisson}(d_i; s_i + b_i) \times \frac{\pi(s)}{\mathcal{N}}$$

- $\prod_i \text{Poisson}(d_i; s_i + b_i)$ : likelihood function for observed mass spectrum
  - - obtained from fit to BG and a signal shape from MC
- Use a flat prior,  $\pi(s)$ , in  $s$  (signal events)
- Integrate to find upper limit at the 95% CL
- Systematics:
  - **JES** (2 - 4%), **lumi** (4.5%) and **Background fit** (3% at 600 GeV - 40% at 3500 GeV)
  - Each varied as Gaussian and convolved with Bayesian posterior
  - Halving and doubling of  $\mu_R$  and  $\mu_F$  varies limit by  $\sim 0.1$  TeV

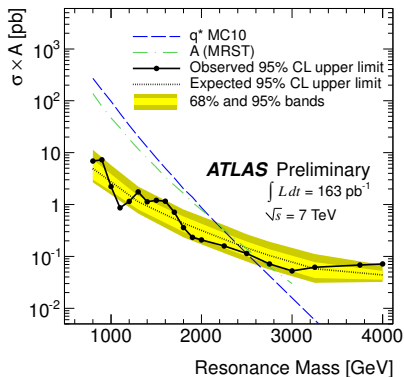


## NEW limits on $m_{q^*}$ :

	Stat. $\oplus$ Syst.	Stat. only
Exp. [TeV]	<b>2.40</b>	2.46
Obs. [TeV]	<b>2.49</b>	2.51

## NEW limits on Axigluon mass:

	Stat. $\oplus$ Syst.	Stat. only
Exp. [TeV]	<b>2.48</b>	2.56
Obs. [TeV]	<b>2.67</b>	2.76



# Dijet Resonance: Limits to Gaussian pseudo-signals

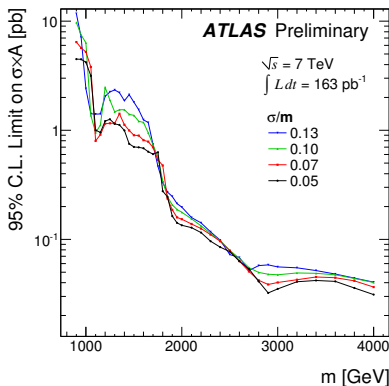
*Added extra:* we also set **limits on simplified Gaussian models...**

- Use Gaussian profile with
  - $\mu = 800 - 4000$  GeV
  - $\sigma = (5 - 13\%) \times \mu$
- Syst. uncert. convolved through PE

In order to find limit for a model:

- Calculate  $\mathcal{A}$  (based on MC)
- ensure Gaussian profile after  $p_T$  and  $\eta$  requirements
- Remove long tails to ensure Gaussian shape
- Calculate exp.  $N_{events}$  for  $163 \text{ pb}^{-1}$

For full table of  $\sigma/m$  for various  $m$  see ATLAS-CONF-2011-081



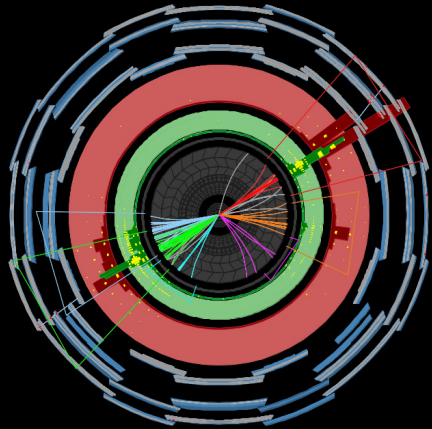
- Presented results from ATLAS searches for New Physics in the inclusive dijet channel - *No evidence found!*

Results with  $36 \text{ pb}^{-1}$  - updated with new results at  $163 \text{ pb}^{-1}$

Model and Analysis Strategy	95% C.L. Limits (TeV)	
	Expected	Observed
Excited Quark $q^*$		
Resonance in $m_{jj}$	<b>2.40</b>	<b>2.49</b>
$F_\chi(m_{jj})$	<b>2.12</b>	<b>2.64</b>
Randall-Meade Quantum Black Hole for $n = 6$		
Resonance in $m_{jj}$	<b>3.64</b>	<b>3.67</b>
$F_\chi(m_{jj})$	3.49	3.78
$\theta_{np}$ Parameter for $m_{jj} > 2 \text{ TeV}$	3.37	3.69
11-bin $\chi$ Distribution for $m_{jj} > 2 \text{ TeV}$	3.36	3.49
Axigluon		
Resonance in $m_{jj}$	<b>2.48</b>	<b>2.67</b>
Contact Interaction $\Lambda$		
$F_\chi(m_{jj})$	<b>5.7</b>	<b>9.5</b>
$F_\chi$ for $m_{jj} > 2 \text{ TeV}$	5.2	6.8
11-bin $\chi$ Distribution for $m_{jj} > 2 \text{ TeV}$	5.4	6.6

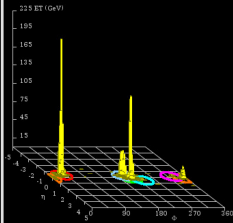
All plots from New J. Phys. 13 (2011) 053044 and ATLAS-CONF-2011-081

# BACK-UP SLIDES



Run Number: 180225, Event Number: 147726723

Date: 2011-04-25 06:23:44 EDT

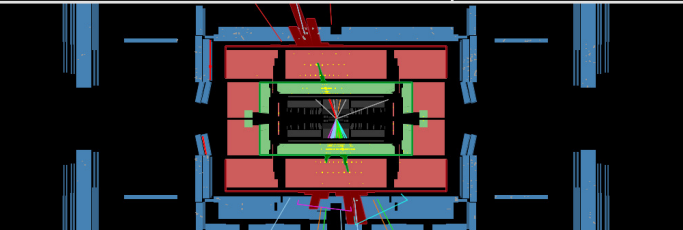


High energy  
candidate

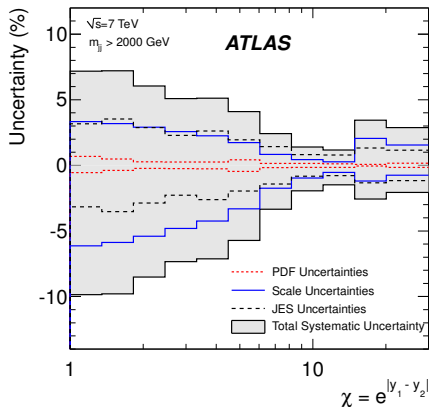
$$m_{jj} = 3.36 \text{ TeV}$$

$$p_T^{j1} = 1.64 \text{ TeV}$$

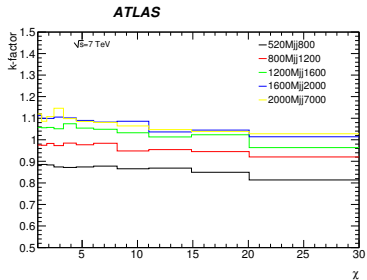
$$p_T^{j2} = 1.60 \text{ TeV}$$



# Dijet Angular Search: Systematic Uncertainties

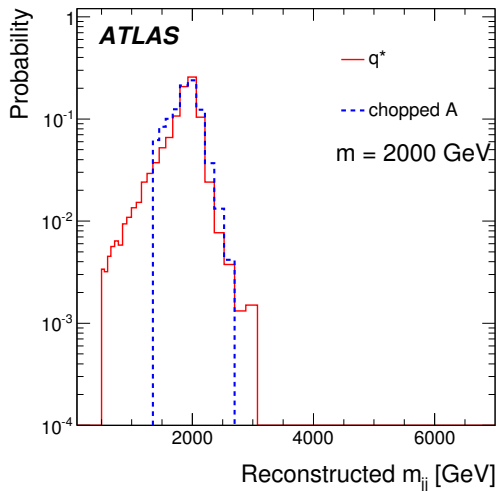


- QCD MC: Pythia 6.4.21 with MC09 tune
- PDF: MRST2007LO\*



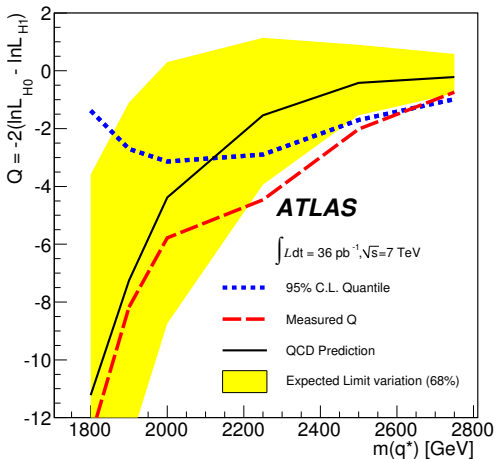
- $k$ -factors:
  - $\text{NLO}_{\text{ME}}/\text{PYT}_{\text{SHOW}}$
  - $\text{NLO}_{\text{ME}}$  produced with NLOJET++ with NLO PDF CTEQ6.6
  - $\text{PYT}_{\text{SHOW}}$  produced as above.
  - max effect 6% on norm spectra.
  - negligible mass bin migrations

# Signal shapes for $q^*$ and axigluon





# Limits on $m_{q^*}$ using $F_\chi(m_{jj})$



## Explanation behind new plotting convention for significance

- Previous convention  $((D - B)/\sqrt{B})$  has little meaning for low statistics
- Consider  $z$ -value where [See PDG, Statistics Review, Eq33.33]

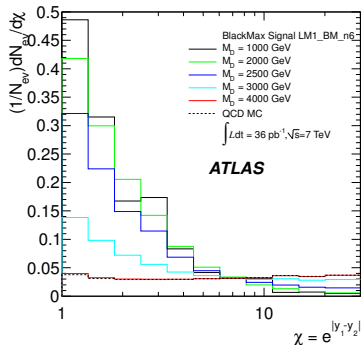
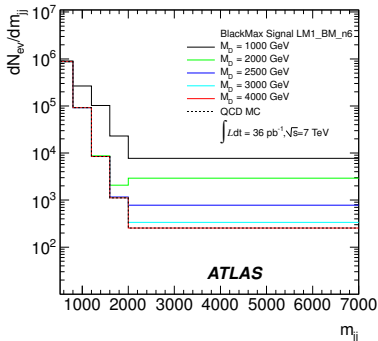
$$p\text{-value} = \int_{z\text{-value}}^{\text{inf}} \frac{1}{\sqrt{2\pi}} \exp\left(-\frac{x^2}{2}\right) dx$$

- For  $p\text{-value} < 0.5 \rightarrow z\text{-value} > 0$  - interesting cases
- We remove all bins with  $p\text{-value} < 0.5$  *by hand*
- We reverse signs of  $z$ -values for deficits
- Therefore,
  - Significance +2 means  $2\sigma$  excess
  - Significance -2 means  $2\sigma$  deficit

- Produced via  $qg \rightarrow q^*$
- spin 1/2 with quark-like couplings relative to SM  $SU(2)$ ,  $U(1)$  and  $SU(3)$  gauge groups
  - ( $f = f' = f_s = 1$ ) respectively
- Compositeness scale set to  $\Lambda = 1$
- Generated using Pythia with MRST2007LO\* PDF
- $\mu_R = \mu_F = p_T$  of two leading jets
- Decays to all SM particles (predominantly  $qg$ ) inc.  $qW$ ,  $qZ$  and  $q\gamma$

## The QBH model

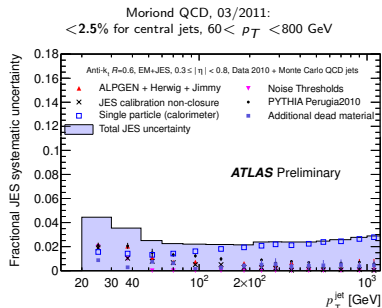
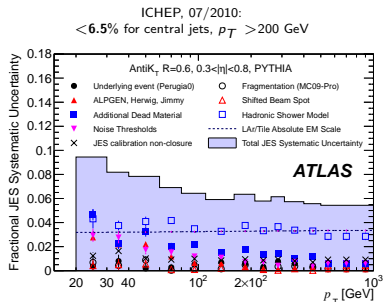
- Low-entropy limit to the popular semi-classical BH models
- Produced at threshold once  $\sqrt{s} \geq M_D$  (Planck mass)
- Decay isotropically into 2-body final states (mostly jets)
- Generated using the BlackMax MC Generator



# Estimate of the jet energy scale uncertainty

## Estimate JES uncertainty using:

- single particle uncertainties (in-situ/test beam)
- Monte Carlo samples with systematic variations
- $p_T$  balance in dijet events
- in-situ measurements in case of pile-up (added separately)



**Endcap region** ( $0.8 < |\eta| < 3.6$ ):  $< 9\%$  for whole  $p_T$  range

**Forward region** ( $3.6 < |\eta| < 4.5$ ):  $< 14\%$  for whole  $p_T$  range