

HL-LHC: parameter space, constraints & possible options

Many thanks to
R. Assmann, C. Bhat, O. Brüning,
R. Calaga, R. De Maria,
S. Fartoukh, J.-P. Koutchouk,
S. Myers, L. Rossi, W. Scandale,
E. Shaposhnikova, R. Tomas,
J. Tuckmantel, ...

Chamonix 2011

LHC Performance Workshop

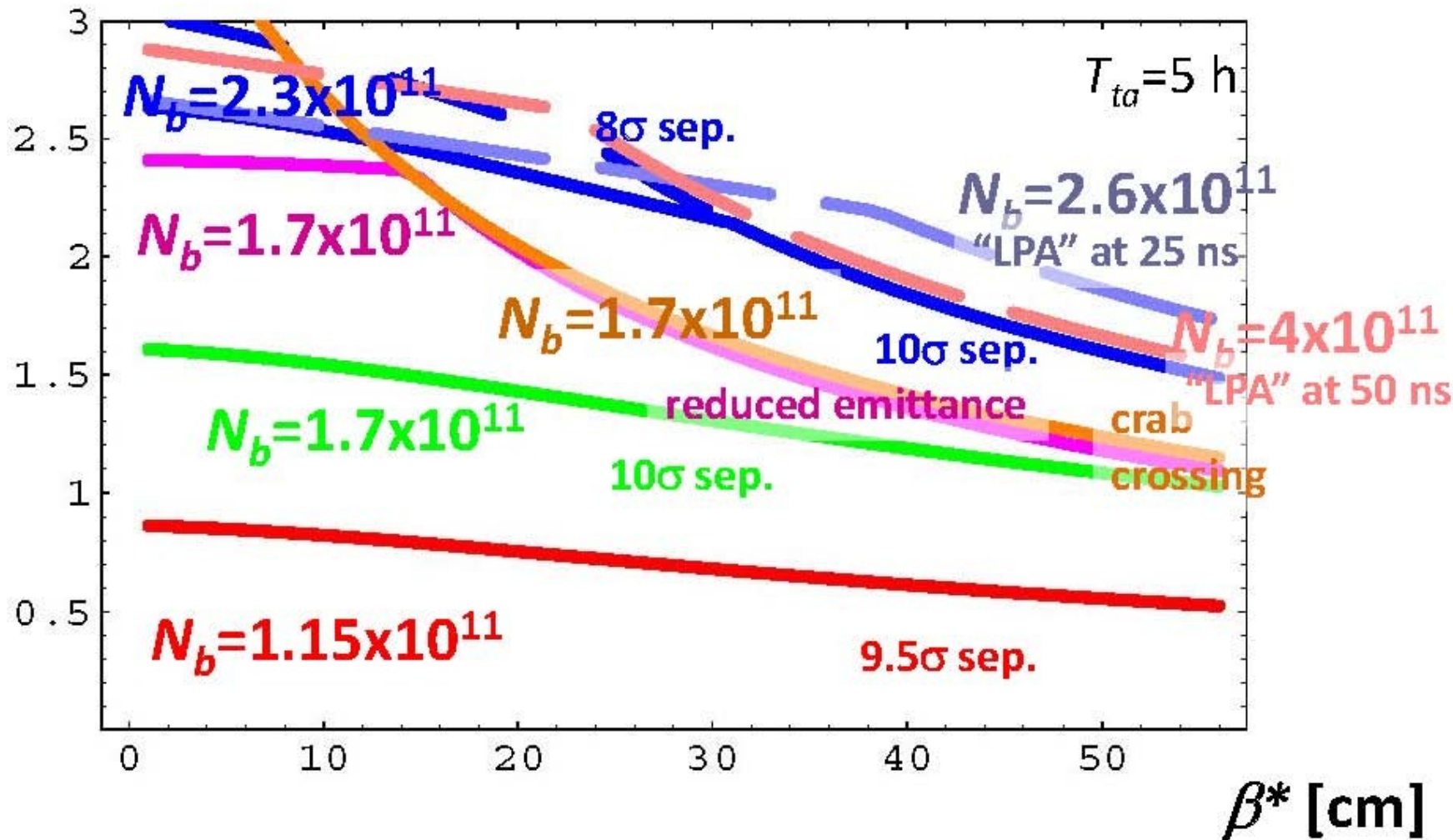


Frank Zimmermann

Photo: courtesy R. Assmann

reminder - "key plot" from Chamonix '10

$\langle L \rangle [10^{34} \text{ cm}^{-2} \text{ s}^{-1}]$



changes since Chamonix 2010

- (head-on) beam-beam limit at least 2x higher
- possibility to operate with lower emittance & higher brightness
- we know HL-LHC will use leveling
- leveled luminosity is defined: $5 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
- “ATS optics” solution for $\beta^* < 30 \text{ cm}$

luminosity leveling

run at constant luminosity during the store

motivations

→ reduced peak event pile up

→ reduced peak IR power deposition

→ maximized integrated luminosity

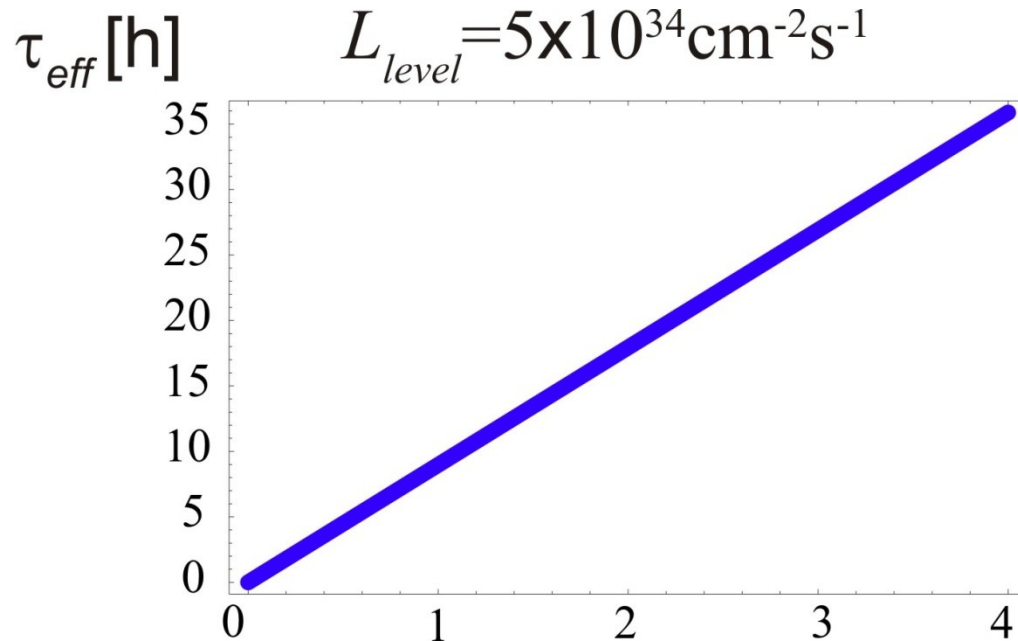
effective beam lifetime

for given luminosity

τ_{eff} scales with total beam current

$$\frac{dN_{\text{tot}}}{dt} = -\frac{N_{\text{tot}}}{\tau_{\text{eff}}} = -n_{IP}\sigma L_{\text{lev}} \quad (\sigma=100 \text{ mbarn})$$

$$\tau_{\text{eff}} = \frac{N_{\text{tot}}}{n_{IP}\sigma L_{\text{lev}}}$$



N/N_{nominal}

luminosity formulae with leveling

$$L = \frac{f_{rev} n_b N_b^2}{4\pi\beta^* \varepsilon} F(\phi_{piw}, \Delta x, \dots)$$

F : geometric reduction from crossing angle and/or offset

$$L_{lev} = f_{lev}(t) L_{\max}(t)$$

f_{lev} : time-dependent leveling factor, $f_{lev} \leq 1$

define virtual “potential peak luminosity”

$$\hat{L} \equiv L_{\max}(0) = \frac{f_{rev} n_b N_b^2(0)}{4\pi\beta^*(0)\varepsilon} F(\phi_{piw,\min}(0)) = \frac{L_{lev}}{f_{lev}(0)}$$

leveling schemes

- vary **beam offset Δx** (successful in 2010)

$$L_{lev} = \hat{L} \exp\left(-\left(\frac{\Delta x}{2\sigma^*}\right)^2\right); \quad \Delta Q_{lev} = \Delta \hat{Q} 2 \left(\left[\exp\left(-\frac{(\Delta x)^2}{2\sigma^{*2}}\right) - 1 \right] \frac{\sigma^{*2}}{(\Delta x)^2} + \exp\left(-\frac{(\Delta x)^2}{2\sigma^{*2}}\right) \right)$$

- vary **Piwinski angle ϕ_{piw}** , that is **σ_z , θ_c , or V_{crab}**

$$L_{lev} \approx \hat{L} \frac{1}{\sqrt{1 + \phi_{piw}^2}}; \quad \Delta Q_{lev} \approx \Delta \hat{Q} \frac{1}{\sqrt{1 + \phi_{piw}^2}}$$

for two IPs with alternating crossing

- vary **IP beta function β^*** e.g. at constant ϕ_{piw}

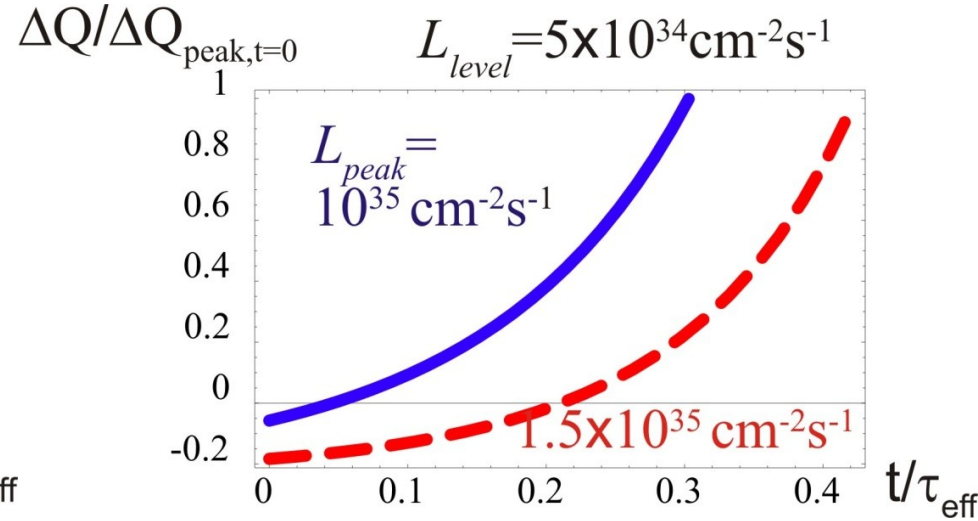
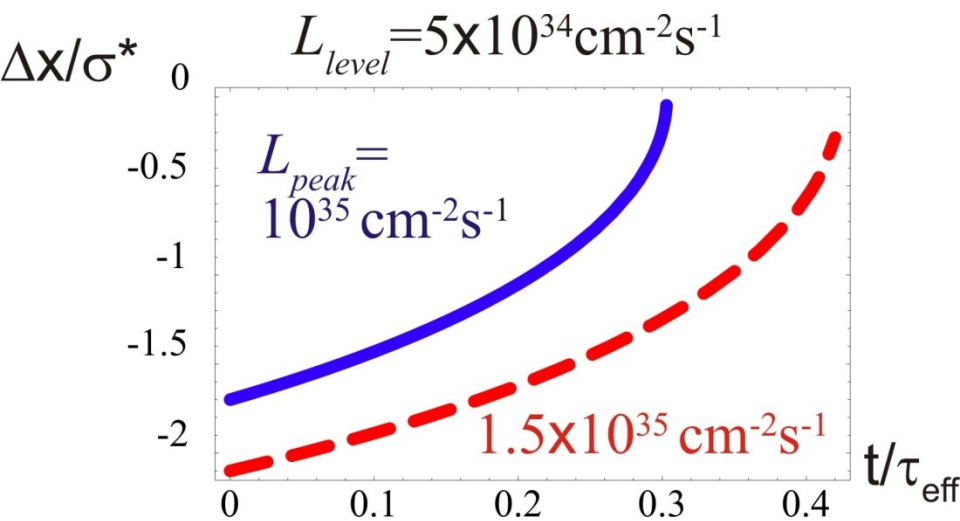
$$L_{lev} \approx \hat{L} \frac{\hat{\beta}^*}{\beta_{lev}^*}; \quad \Delta Q_{lev} \approx \Delta \hat{Q}$$

formulae above assume round beams

leveling with Δx

example: $L_{peak} = 1.0$ (1.5) $\times 10^{35} \text{ cm}^{-2}\text{s}^{-1}$

initially $\phi_{piw} = 1.7$ (2.1) mrad to get $L_{lev} = 5 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$



alternating offset Δx , Δy

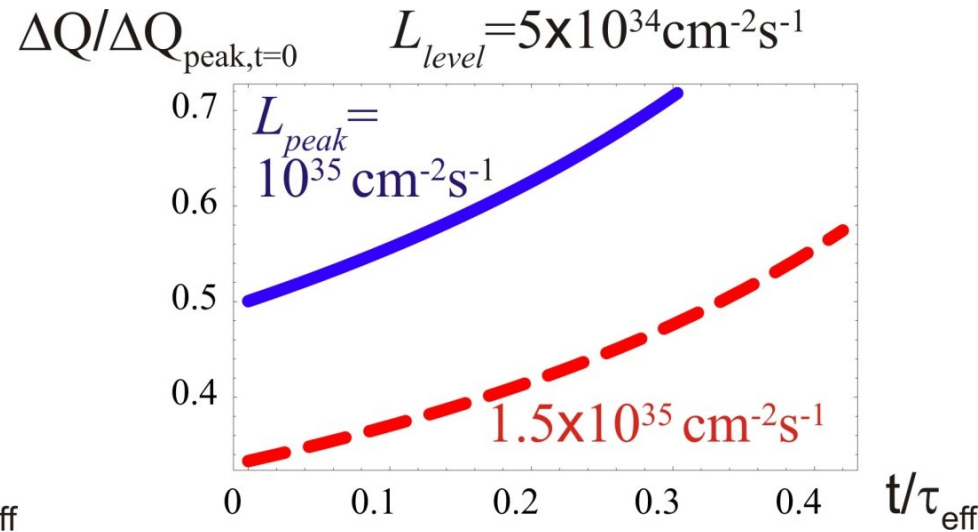
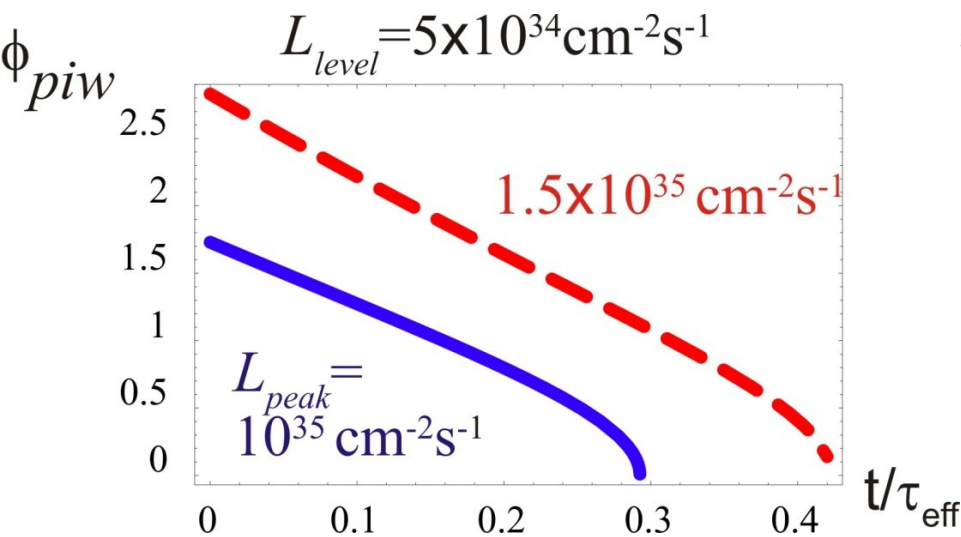
maximum leveling time = 0.3 (0.42) τ_{eff}

tune shift changes sign during the store

leveling with θ_c or V_{crab}

example: $L_{peak} = 1.0$ (1.5) $\times 10^{35} \text{ cm}^{-2}\text{s}^{-1}$

initially $\phi_{piw} = 1.7$ (2.8) σ to get $L_{lev} = 5 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$

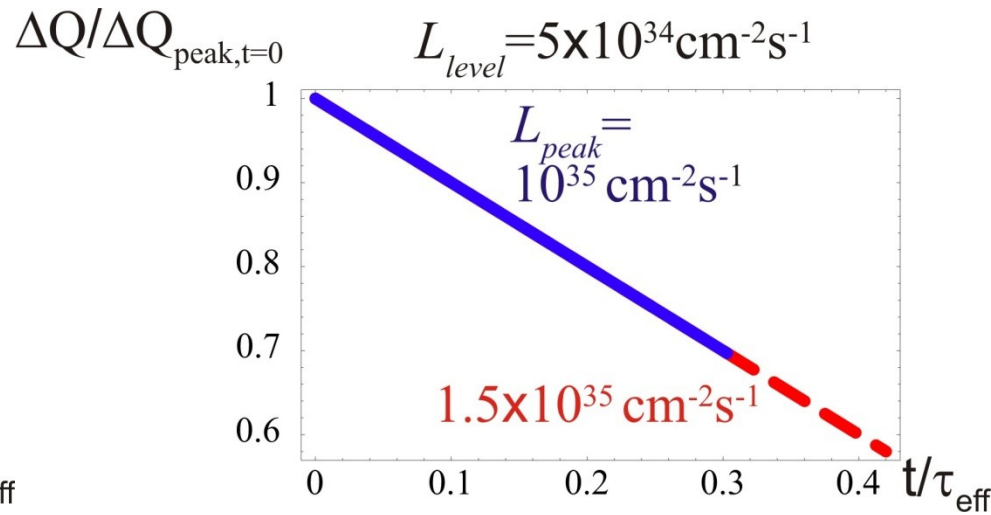
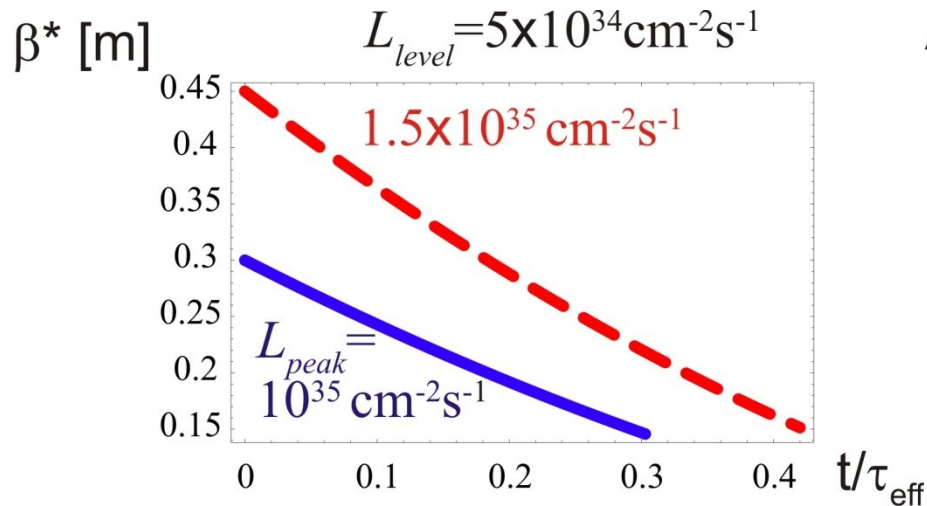


maximum leveling time = 0.3 (0.42) τ_{eff}

tune shift increases during the store

leveling with β^*

example: $L_{peak} = 1.0$ (1.5) $\times 10^{35} \text{ cm}^{-2}\text{s}^{-1}$ at $\beta^* = 0.15$ m
 initially $\beta^* = 0.3$ (0.45) m to get $L_{lev} = 5 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$

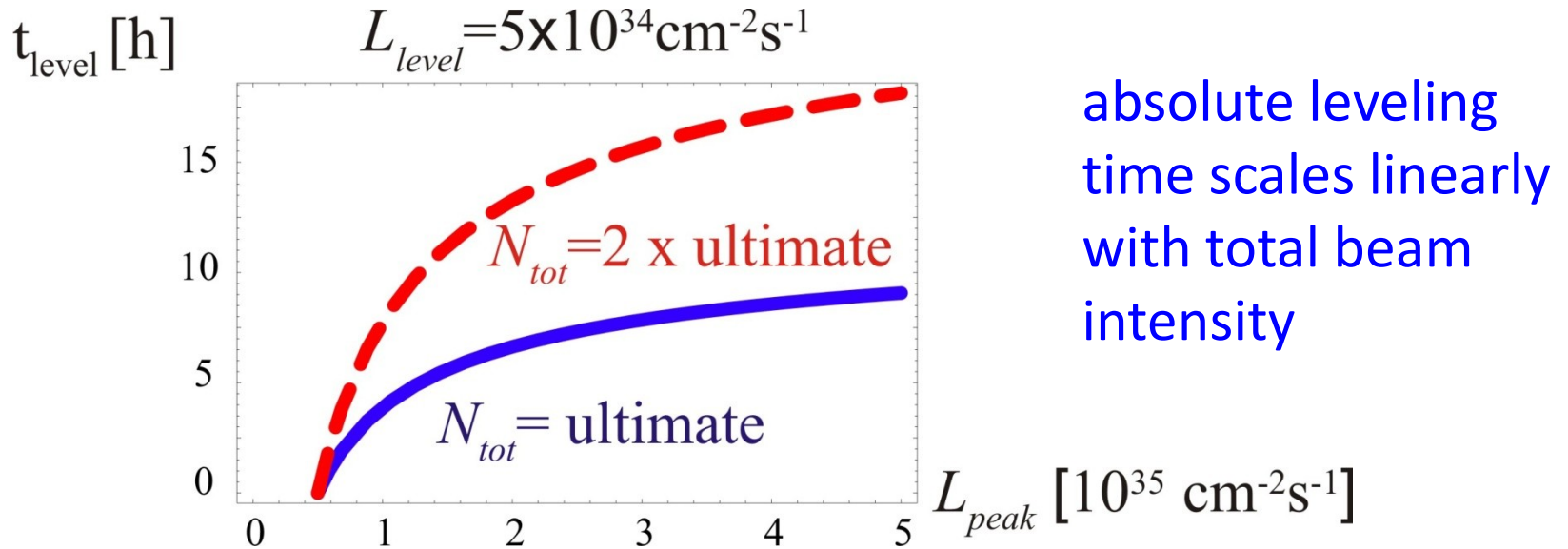
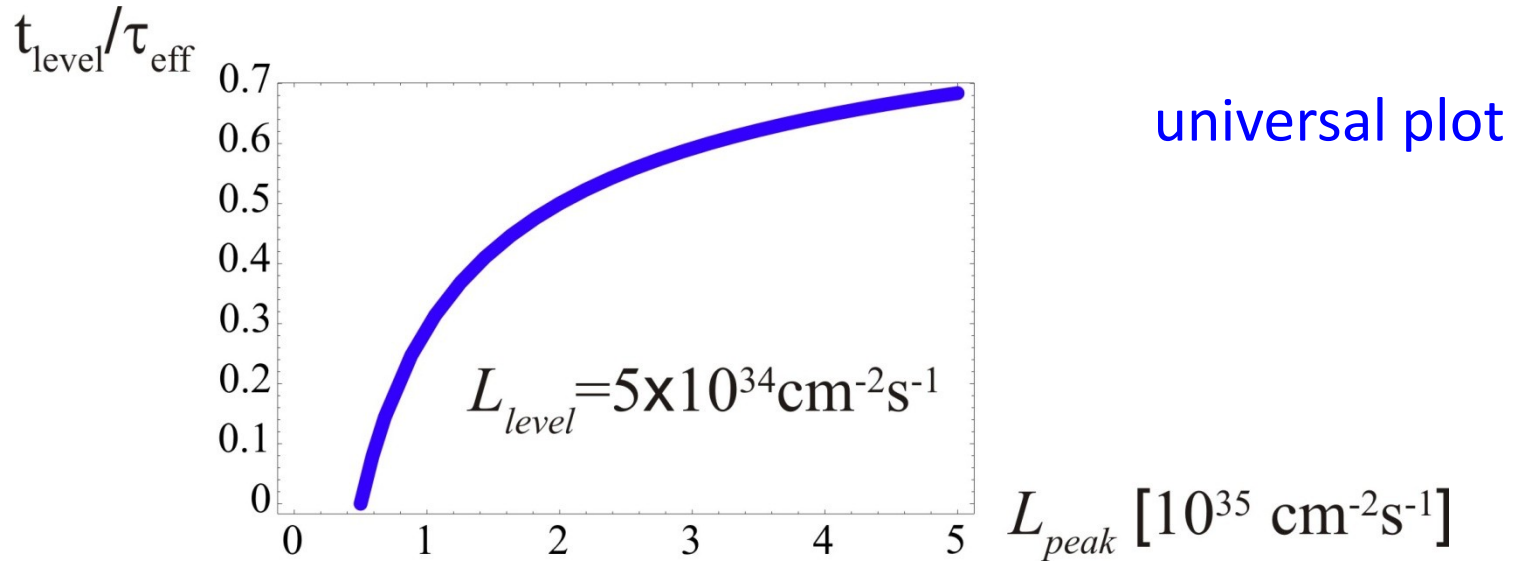


maximum leveling time = 0.3 (0.42) τ_{eff}

tune shift decreases during store

independent of leveling scheme

maximum leveling time



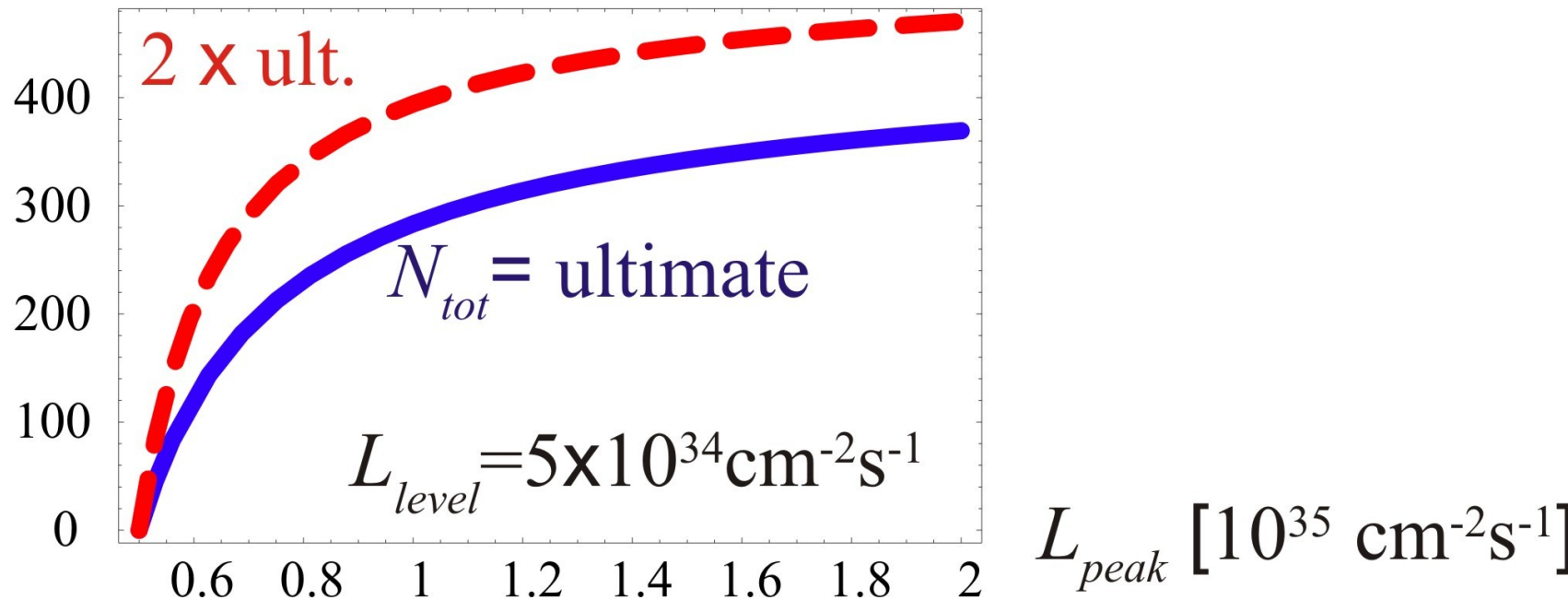
estimating integrated luminosity

assumptions

- two high-luminosity collision points
- beam & L lifetime from p consumption
- 200 physics days of proton run per year
(w/o restart, w/o TS's, w/o MD periods)
- 5 h turnaround time
- 75% machine availability
[Nov. 2010: 80%, W. Venturini, Evian]

integrated luminosity w leveling

int. L/year [fb^{-1}]

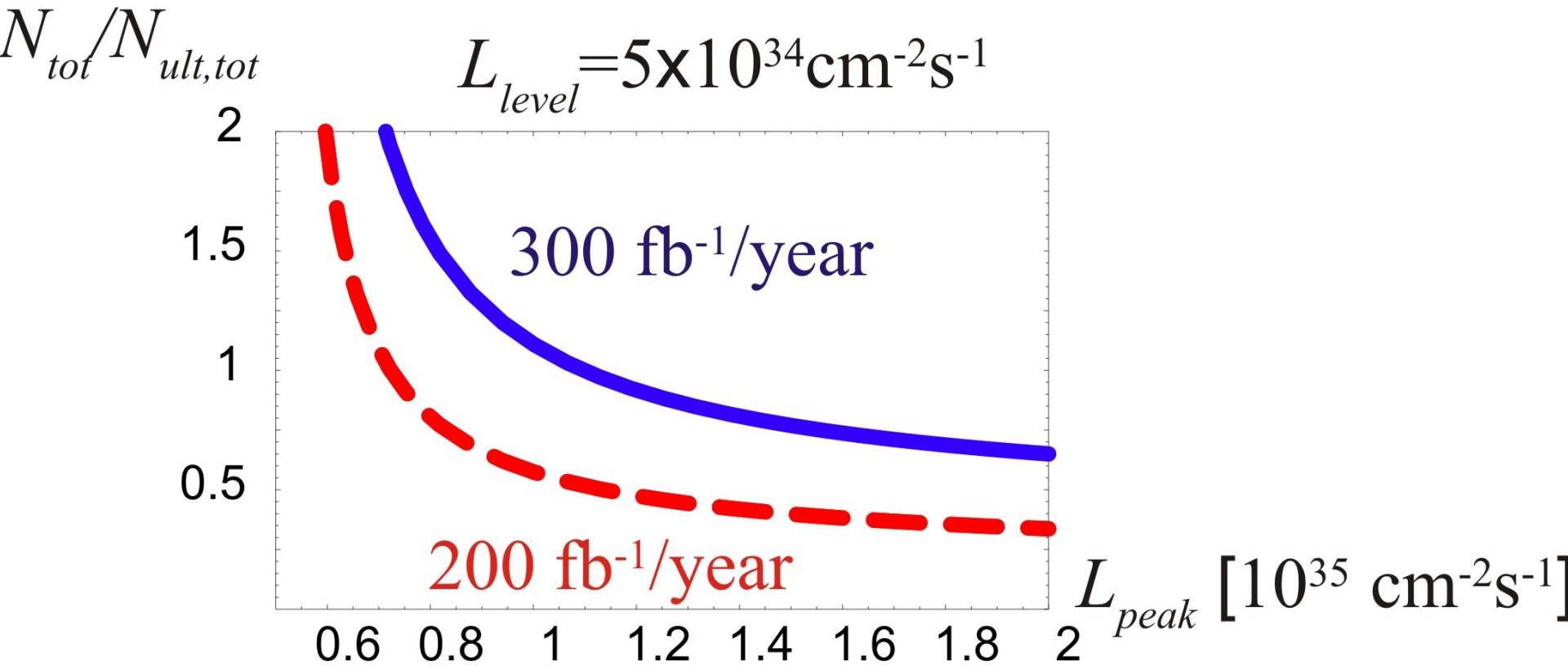


e.g. to get 300 fb^{-1} per year:

at ultimate intensity we need $L_{peak} = 1.10 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$

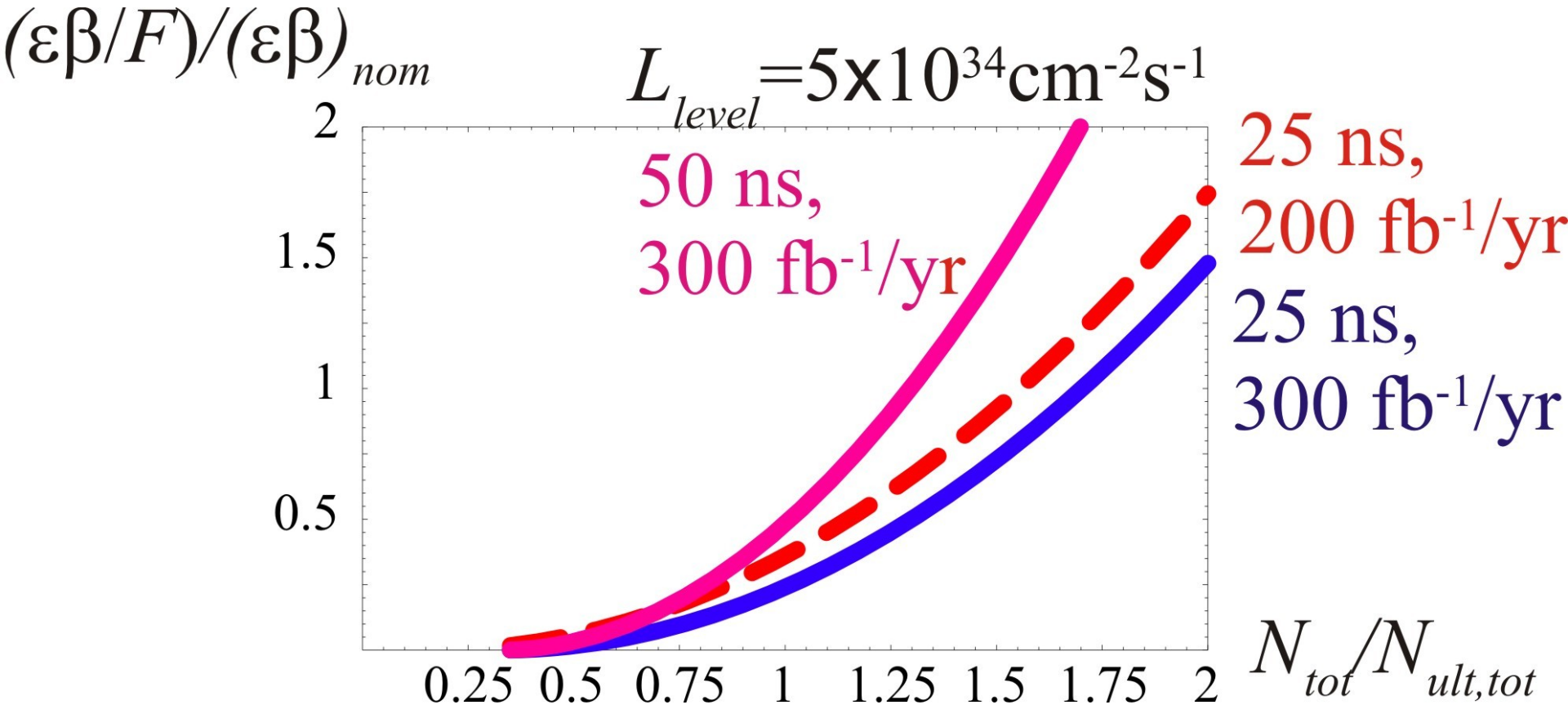
At 2x ultimate intensity $L_{peak} = 0.71 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$

intensity vs “peak” luminosity



peak luminosity
scales with
(intensity)²

how much do we need to squeeze?



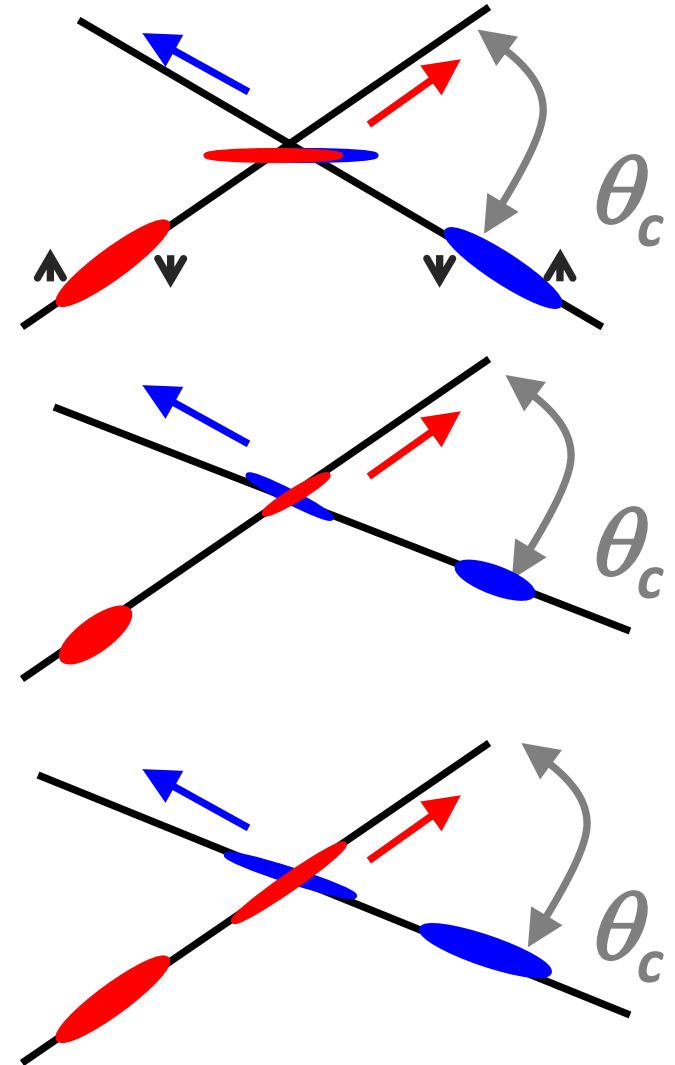
e.g. to get 300 fb⁻¹ per year:

at $N_b = 2 \times 10^{11}$ & 25 ns we need to reduce $(\beta\epsilon)/F$ by x0.38

at $N_b = 3.4 \times 10^{11}$ & 50 ns we need to reduce $(\beta\epsilon)/F$ by x0.48

approaches to boost LHC luminosity

- low β^* & crab cavities (80 MV)
- low β^* & higher harmonic RF (7.5 MV @800 MHz) + LR compensation
- large Piwinski angle (& “flat” bunch shape) + LR-BB compensation



always pushing intensity to “limit”

Crab Cavities

benefits

- **improving geometric overlap** (main motivation)
- **boosting beam-beam limit** (potential additional benefit) [next slides]
- **luminosity leveling** (main motivation)
- **avoiding off-center collisions from beam loading** (additional benefit)

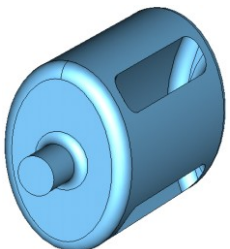
concerns:

- **emittance growth from RF noise, impedance, field nonlinearity**
- **machine protection, trip rate, technical challenges, time line**

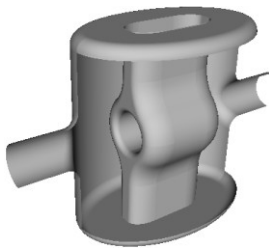
status & plan:

- **SPS/LHC prototype beam tests from ~2015, before final decision**
- **4-5 promising compact cavity designs**

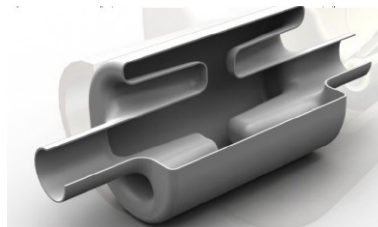
Parallel bar
elliptical TEM
cavity (JLAB)



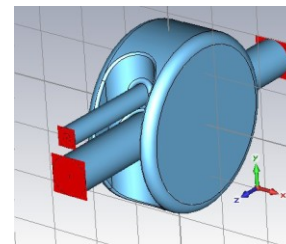
Half wave
spoke
resonator
(SLAC)



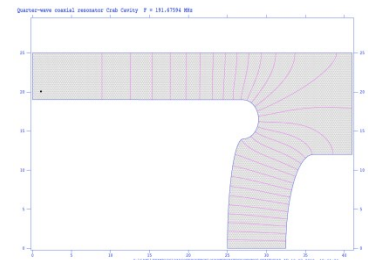
Four rod
compact crab
cavity
(Cockcroft)



Rotated pill-
box cavity
(KEK)



Quarter-wave
resonator
(BNL)



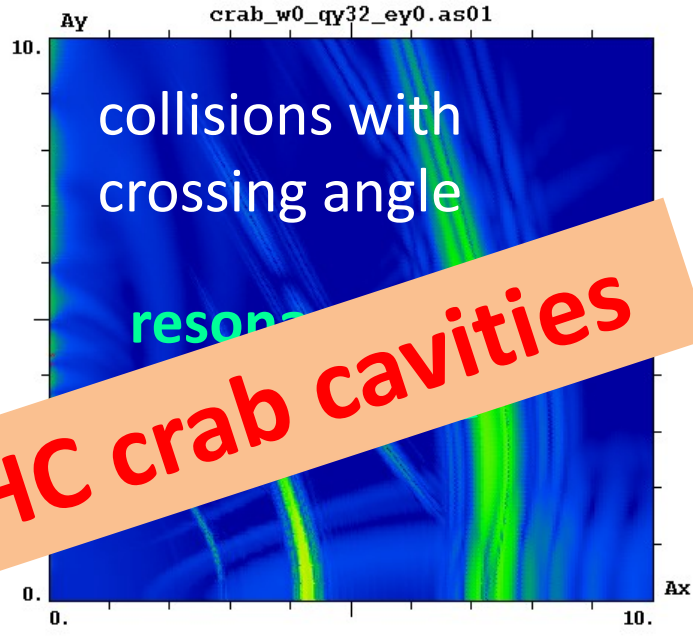
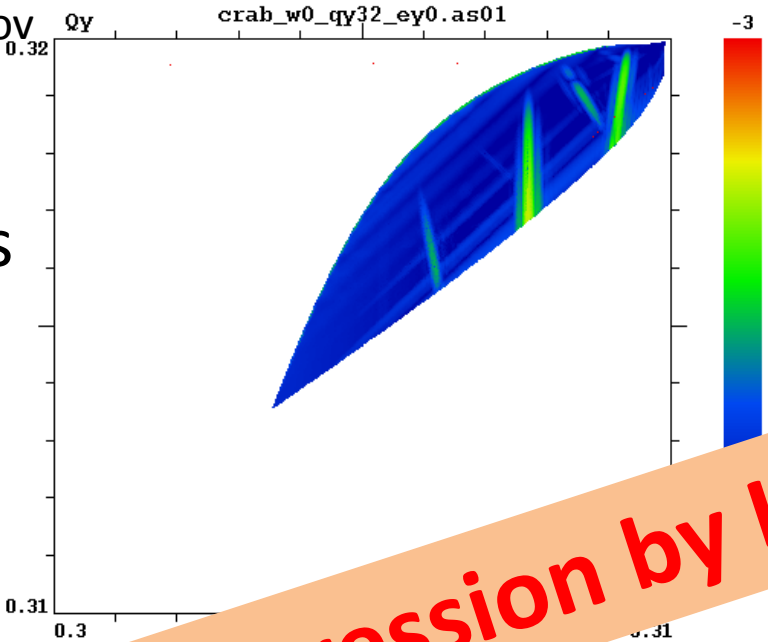
beam-beam simulation w crab cavities

M. Zobov, D. Shatilov

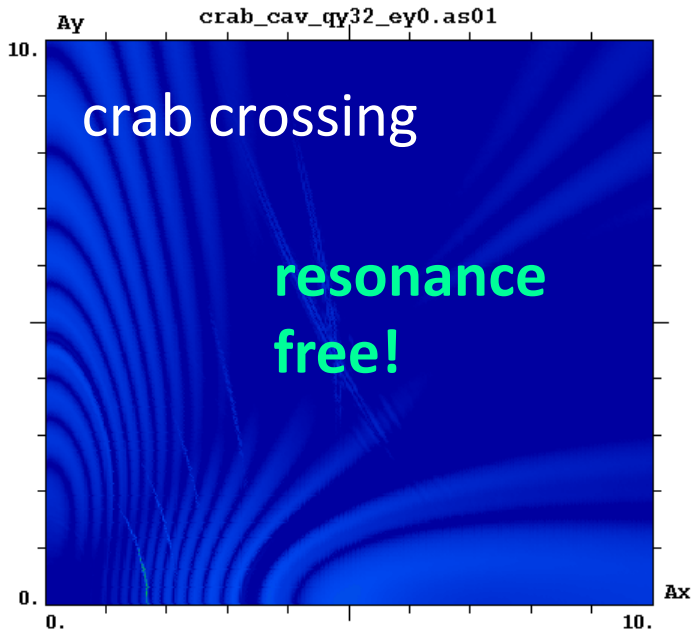
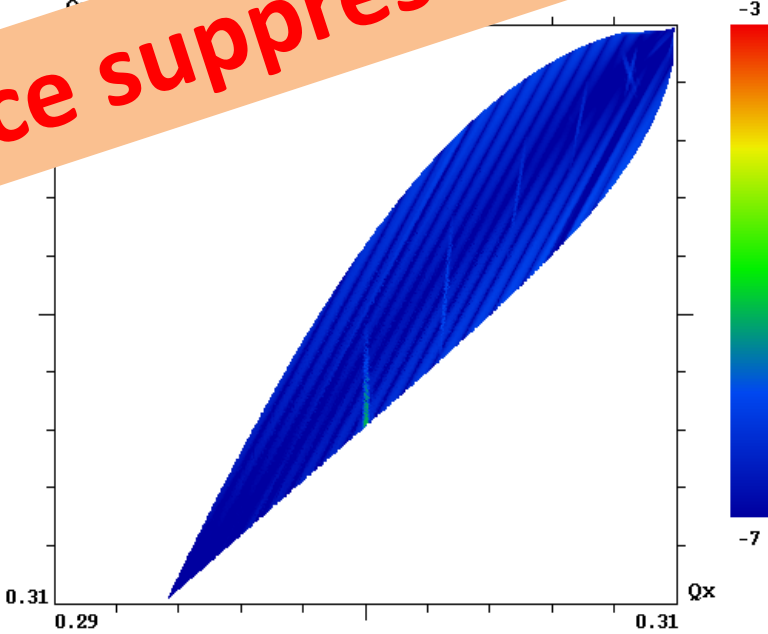
frequency
map analysis
of Lifetrac
simulation

parameters:

- $\epsilon_{x,y} = 0.5$ nm
- $E = 7$ TeV
- β
- $\sigma_{x,y} = 0.5$ cm,
- $\theta_c = 315$ μ rad
($\phi = 1.5$),
- $N_b = 4.0 \times 10^{11}$,
- $Q_s = 0.002$,
- $\Delta Q_{x,y} \sim -0.0065$,
- single IP

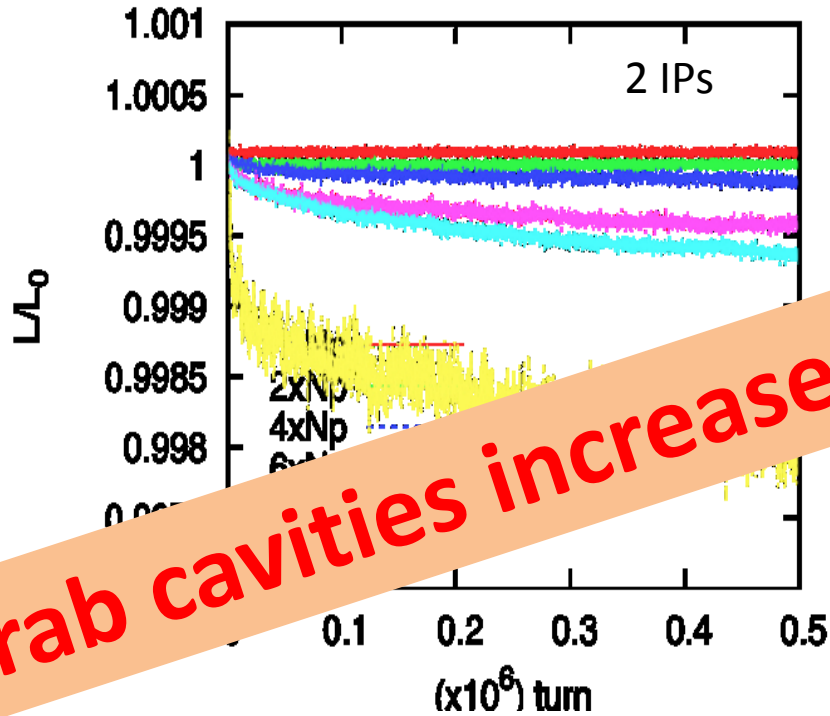


resonance suppression by LHC crab cavities

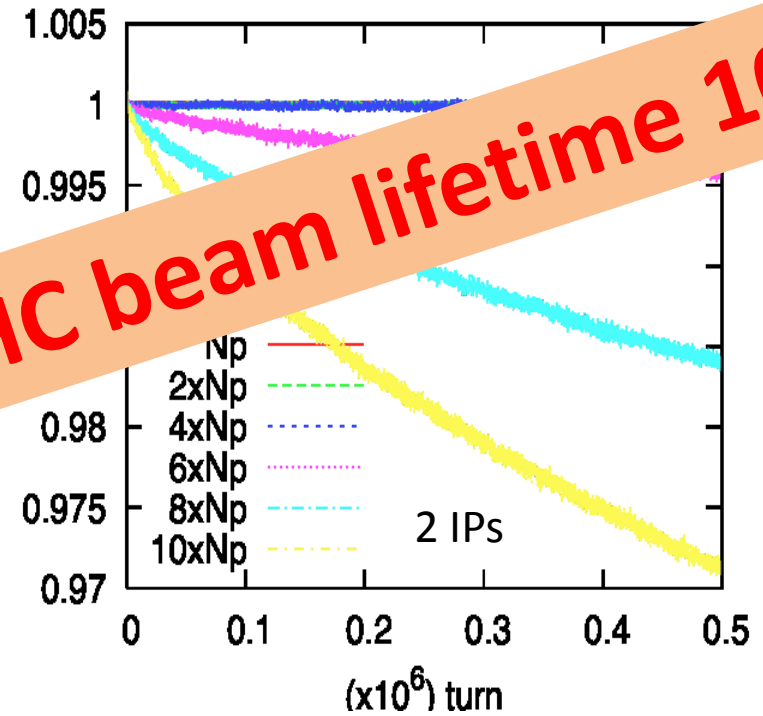


another beam-beam simulation w CC's

crab crossing



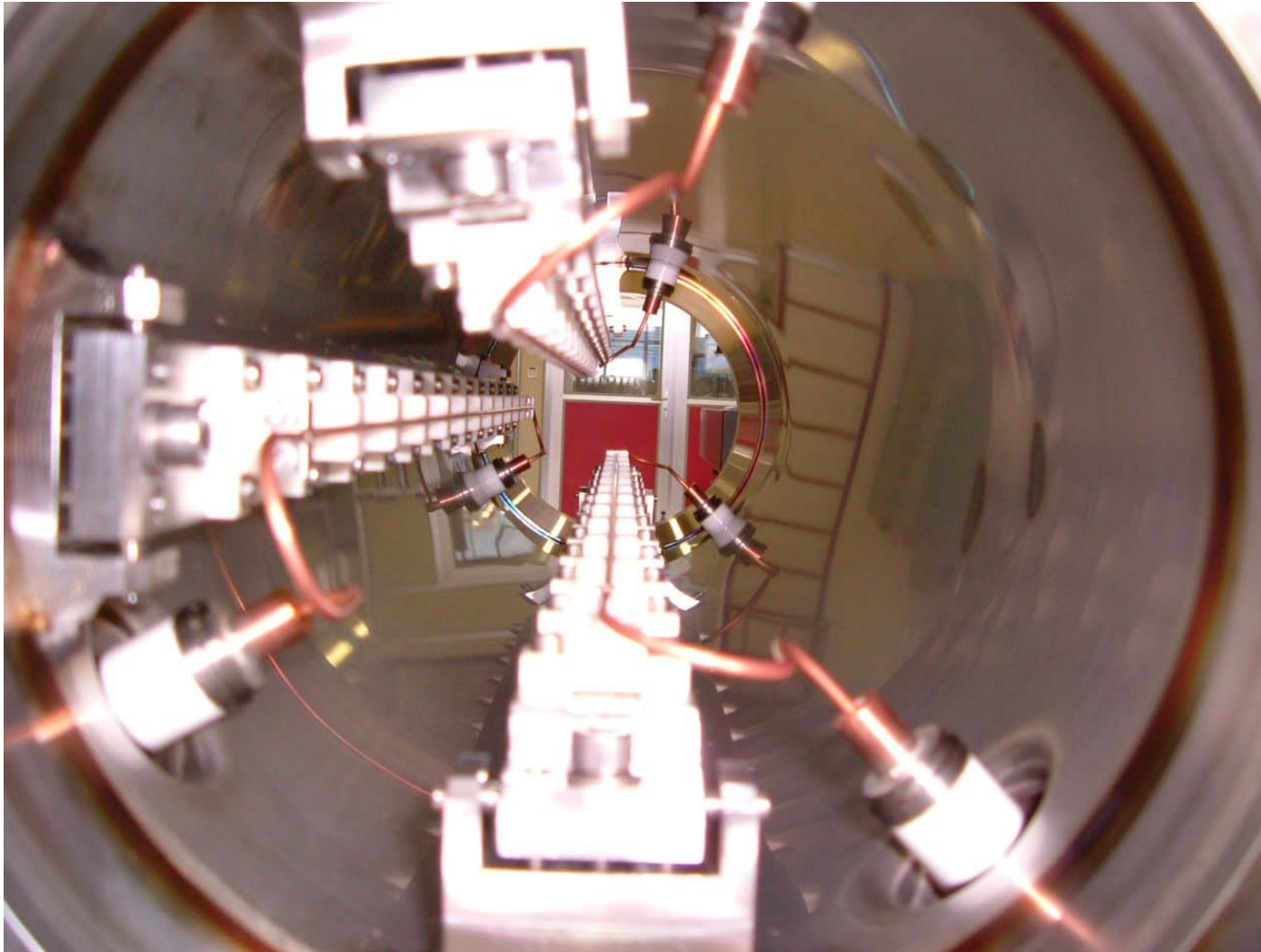
collisions with 280 μ rad crossing angle



crab cavities increase LHC beam lifetime 10x !

simulated luminosity lifetime with crab crossing is 10 times better than without crab crossing

Long-Range Compensation



2x2 water-cooled
units
presently
installed
in the SPS
(two with remote
control)

1x2 spare units
ready

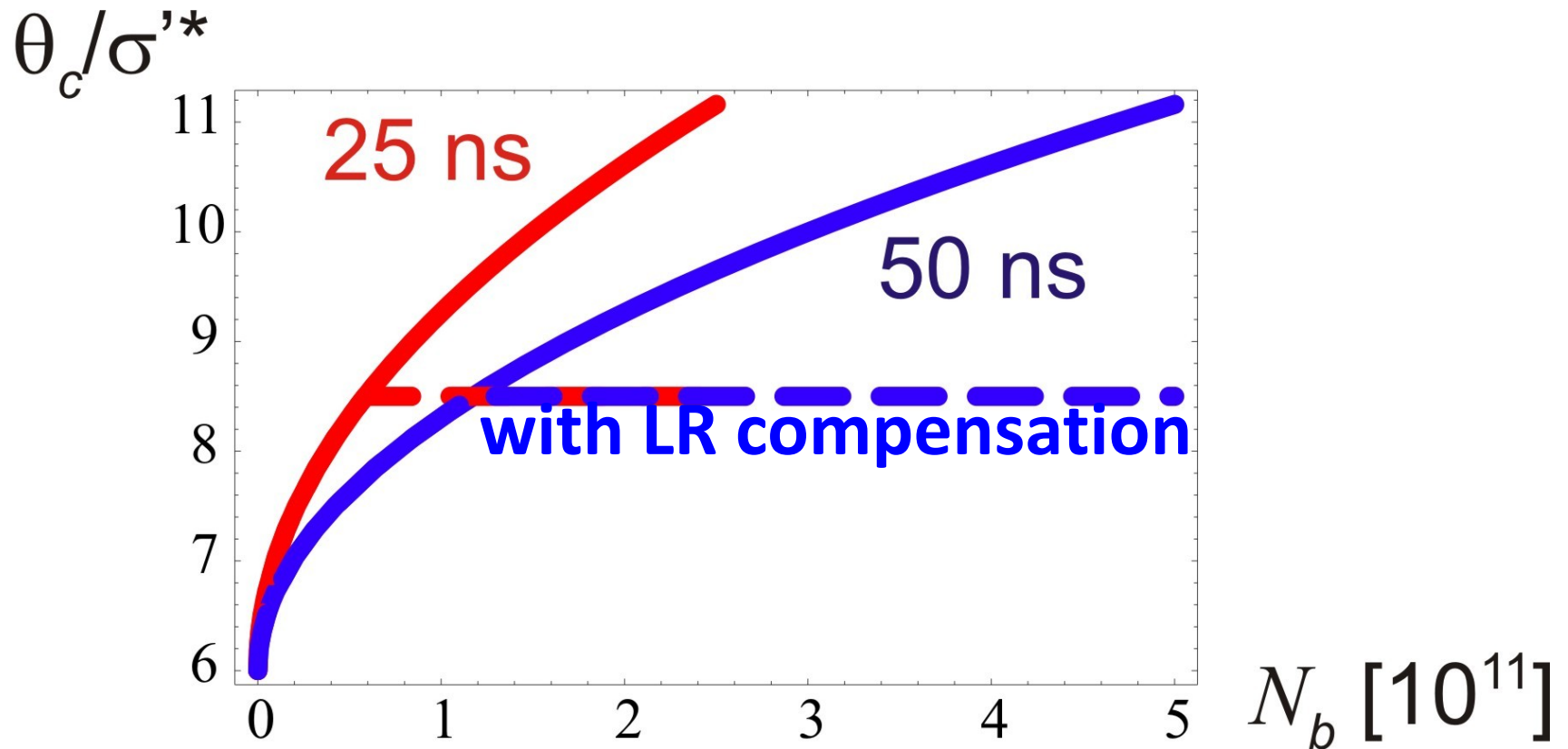
1st RHIC
BBLR stored
at CERN

2nd RHIC
BBLR
being shipped

in total 5
sets available

J.-P. Koutchouk, G. Burtin, et al

normalized crossing angle versus bunch intensity



long range compensation will reduce the crossing angle



Date: 2004-10-27

Engineering Change Order – Class I

**RESERVATIONS FOR BEAM-BEAM
COMPENSATORS IN IR1 AND IR5**

Brief description of the proposed change(s) :

Reservations on the vacuum chamber in IR1 and IR5 for beam-beam compensator monitors.
We propose to include these modifications in the next v.6.5 machine layout version.

Equipment concerned :
BBC

Drawings concerned :
LHCLSX—0001
LHCLSX—0002
LHCLSX—0009
LHCLSX—0010

Documents concerned :

PE in charge of the item :
J.P. Koutchouk AT/MAS

PE in charge of parent item in PBS :
C. Rathjen AT/VAC

Decision of the Project Engineer :

- Rejected.
- Accepted by Project Engineer, no impact on other items.
Actions identified by Project Engineer
- Accepted by Project Engineer, but impact on other items.
Comments from other Project Engineers required
Final decision & actions by Project Management

Decision of the PLO for Class I changes :

- Not requested.
- Rejected.
- Accepted by the Project Leader Office.
Actions identified by Project Leader Office

Date of Approval : 2004-10-27

Date of Approval : 2004-10-27

Actions to be undertaken :

Modify the drawings and Equipment codes concerned to reflect the changes described in this ECO.

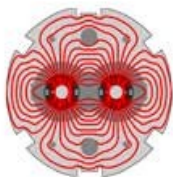
Date of Completion : 2004-10-27

Visa of QA Officer :

Note : when approved, an Engineering Change Request becomes an Engineering Change Order/Notification.

for future wire
LR beam-beam
compensators,
3-m long sections
have been reserved
in LHC at 104.93 m
(center position)
on either side of
IP1 & IP5

Higher-Harmonic RF Cavity



LHC P...

07-02-16

linnecar@cern.ch

An RF System for Landau Damping in the LHC

T. Linnecar and E. Shaposhnikova / AP

Keywords: RF Systems, Landau Damping, Beam Stability

800-MHz system;
stability gain > factor 3
e.g. lower longitudinal
emittance (no blow up
in LHC), short bunches,
higher intensity

Summary

A Landau damping system for the LHC could significantly increase the longitudinal stability of the beams in the absence of wide-band longitudinal feedback and provide more control over the bunch parameters even during the initial stages of LHC operation. The technique for stabilizing beams, used already in many accelerators, has proven to be very useful in the SPS, raising the instability thresholds by a factor five. One of the luminosity upgrade paths for LHC requires an RF system at 1.2 GHz with ~ 60 MV per beam for bunch shortening. A much smaller RF system at this frequency with ~ 3 MV per beam would be sufficient to provide Landau damping. This Note analyses the possible benefits and recommends that an R & D programme, leading to one prototype cryostat per ring to be installed in the LHC machine, be launched as soon as possible.

“Octupoles for the longitudinal plane”

intensity & emittance from injectors

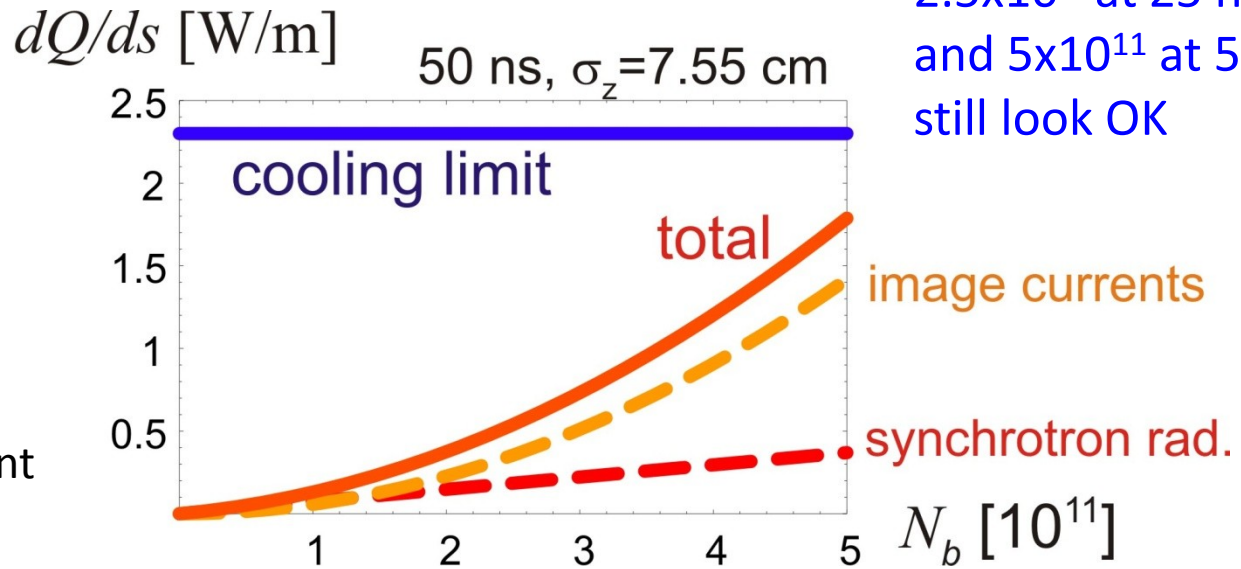
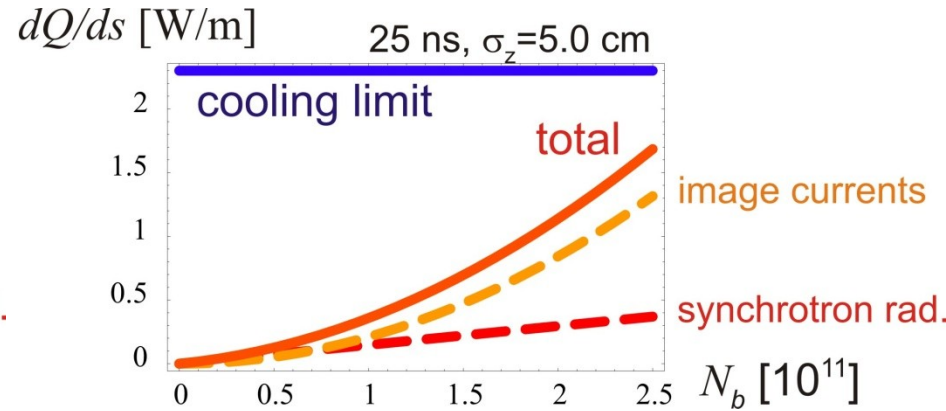
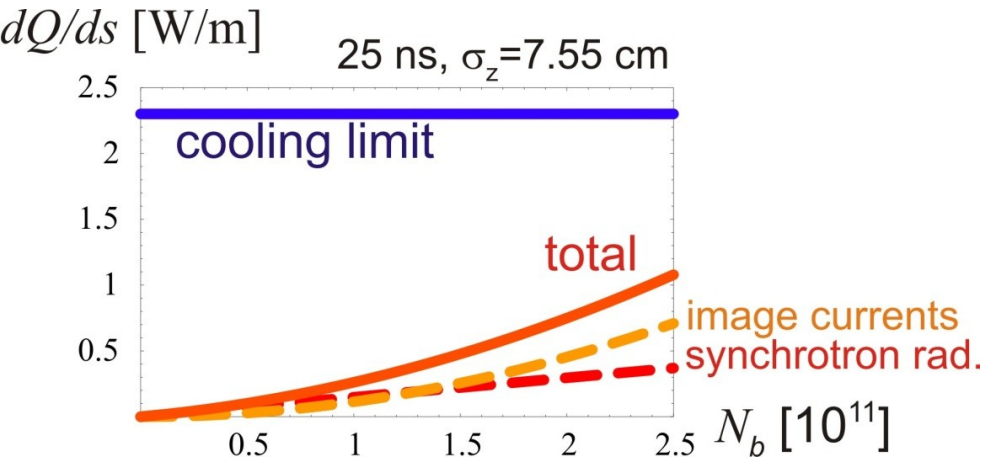
talk by O. Bruning

	spacing [ns]	bunch intensity [10^{11}]	transv. rms norm. emittance [μm]
nominal	25	1.15	3.75
available “now”	25	1.20	3.75
available “now”	50	1.70	3.75
available “now”	50	1.70	2.50
w LINAC4	25	1.40	3.75
w LINAC4	50	2.50	3.75
w LINAC4+LIU	25	2.00	2.50
w LINAC4+LIU	50	3.30	3.75

HL-LHC class

could we get 20% more?

intensity limit: heat load due to image currents & synchrotron radiation

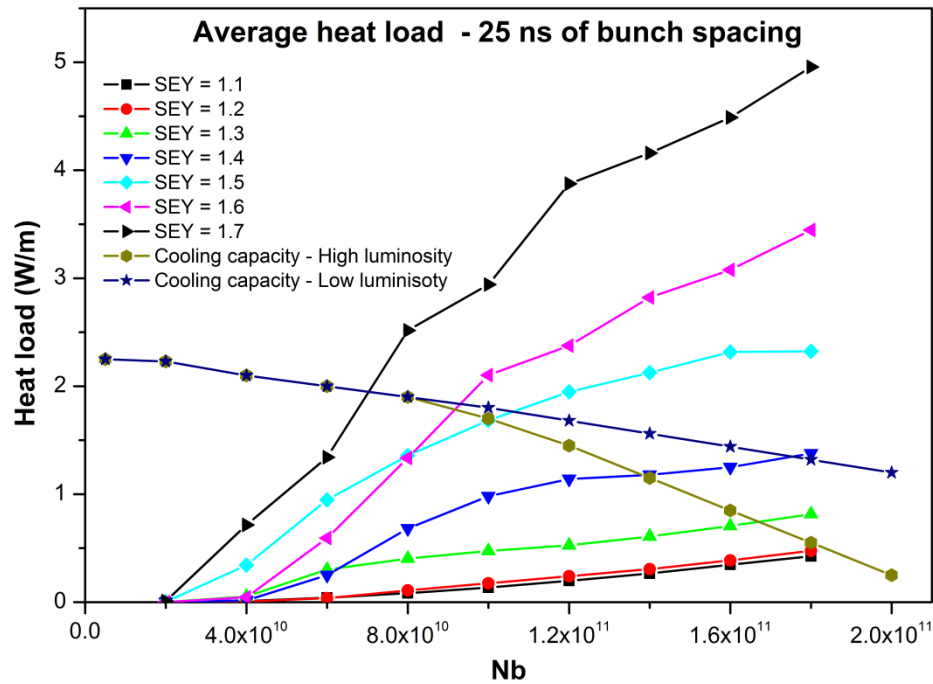


2.5x10¹¹ at 25 ns
and 5x10¹¹ at 50 ns
still look OK

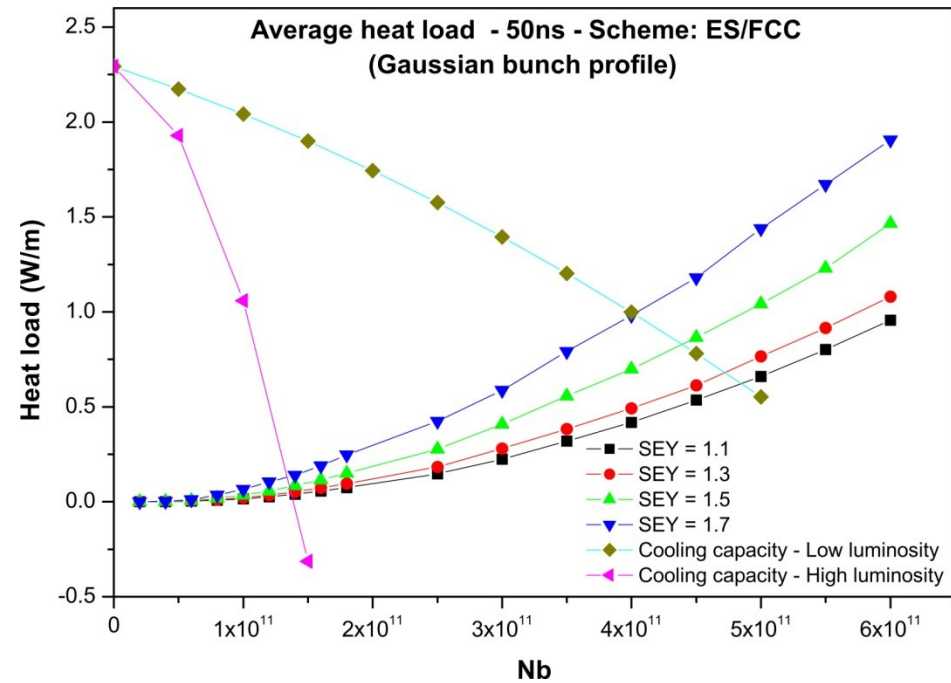
also note:
nuclear beam-gas scattering with $\tau \sim 100$ h
(32 ntorr RT hydrogen)
contributes an equivalent
0.15 W/m at nominal
current [e.g. HHH-2004]

electron-cloud heat load

25-ns bunch spacing



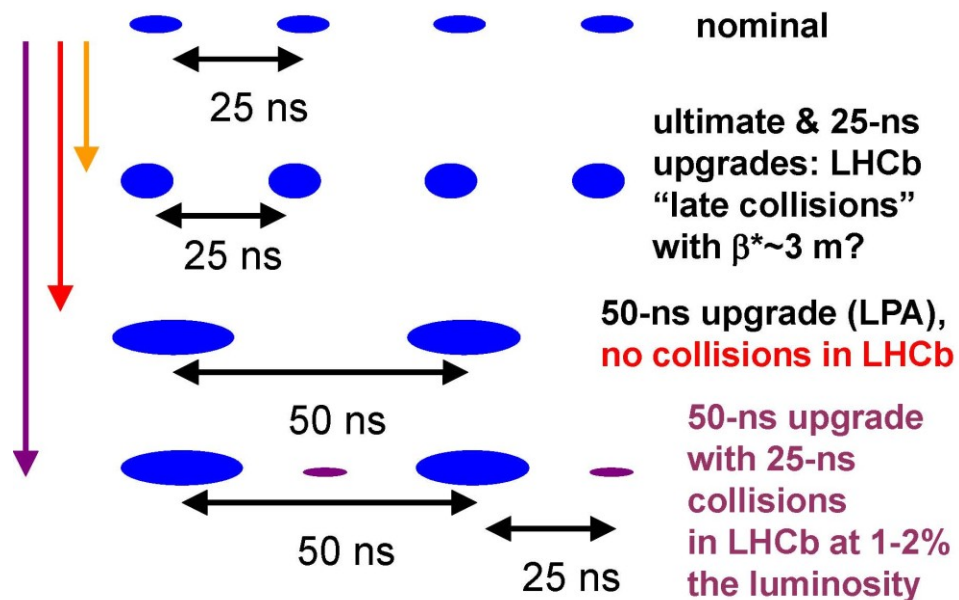
50-ns bunch spacing



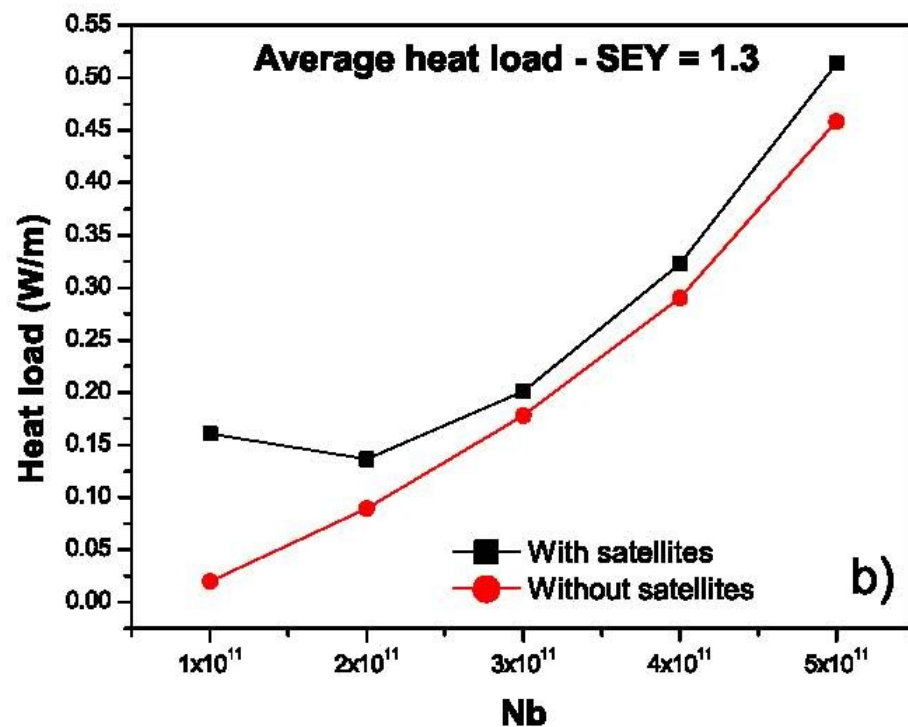
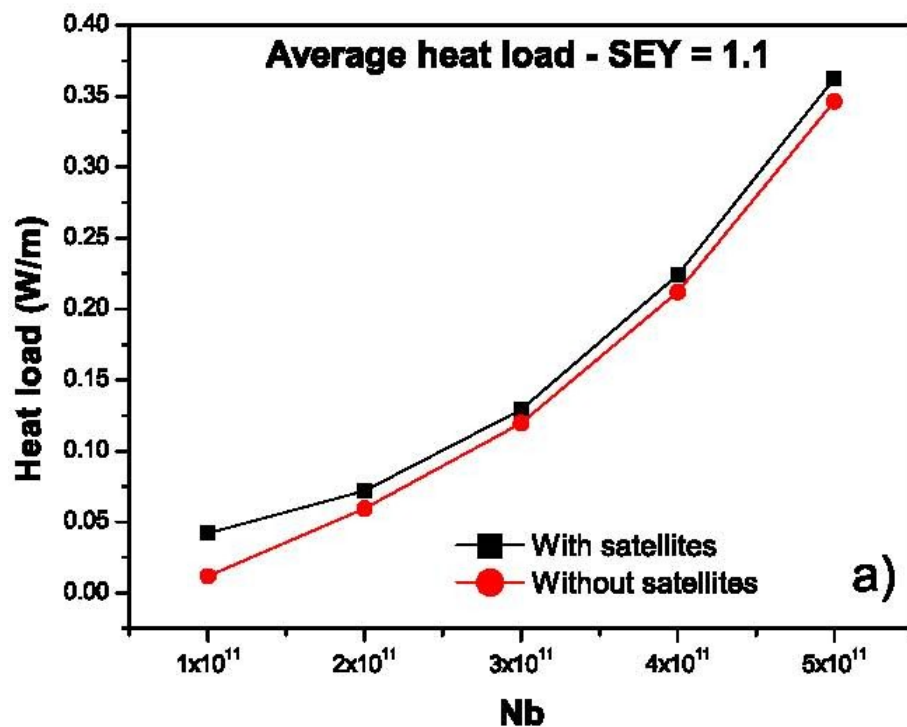
H. Maury

electron cloud contribution acceptable if $\delta_{\max} \leq 1.2$

e-cloud heat load
also OK for 50 ns
spacing plus
“LHCb satellites”



H. Maury



example HL-LHC parameters, $\beta^*=15$ cm

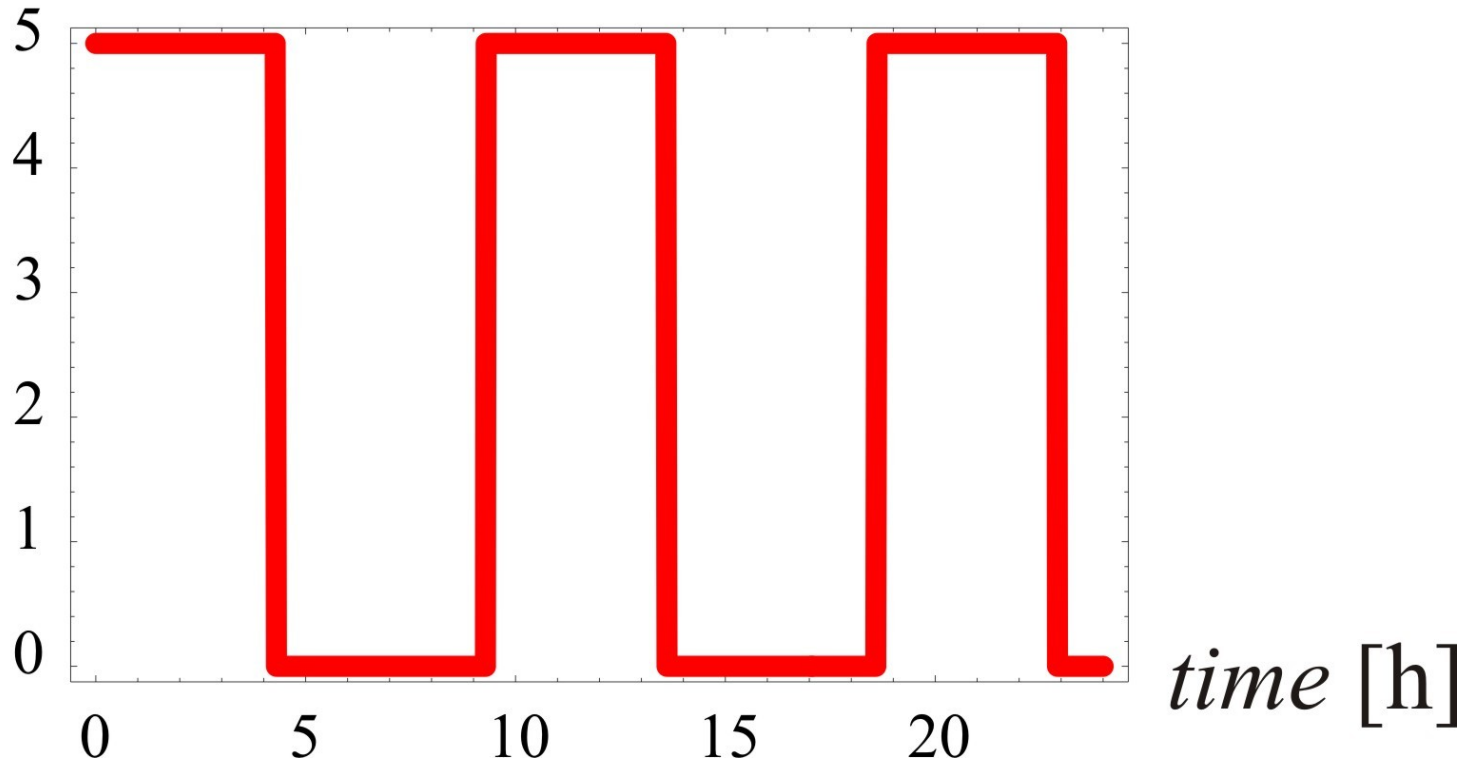
parameter	symbol	nom.	nom.*	HL crab	HL sb + lrc	HL 50+lrc
protons per bunch	N_b [10^{11}]	1.15	1.7	1.78	2.16	3.77
bunch spacing	Δt [ns]	25	50	25	25	50
beam current	I [A]	0.58	0.43	0.91	1.09	0.95
longitudinal profile		Gauss	Gauss	Gauss	Gauss	Gauss
rms bunch length	σ_z [cm]	7.55	7.55	7.55	5.0	7.55
beta* at IP1&5	β^* [m]	0.55	0.55	0.15	0.15	0.15
full crossing angle	θ_c [μ rad]	285	285	(508-622)	508	508
Piwinski parameter	$\phi=\theta_c\sigma_z/(2*\sigma_x^*)$	0.65	0.65	0.0	1.42	2.14
tune shift	ΔQ_{tot}	0.009	0.0136	0.011	0.008	0.010
potential pk luminosity	L [10^{34} cm $^{-2}$ s $^{-1}$]	1	1.1	10.6	9.0	10.1
events per #ing		19	40	95	95	189
effective lifetime	τ_{eff} [h]	44.9	30	13.9	16.8	14.7
run or level time	$t_{run,level}$ [h]	15.2	12.2	4.35	4.29	4.34
e-c heat SEY=1.2	P [W/m]	0.2	0.1	0.4	0.6	0.3
SR+IC heat 4.6-20 K	P_{SR+IC} [W/m]	0.32	0.30	0.62	1.30	1.08
IBS ϵ rise time (z, x)	$\tau_{IBS,z/x}$ [h]	59, 102	40, 69	38, 66	8, 33	18, 31
annual luminosity	L_{int} [fb $^{-1}$]	57	58	300	300	300

example HL-LHC parameters, $\beta^*=30$ cm

parameter	symbol	nom.	nom.*	HL crab	HL sb + lrc	HL 50+lrc
protons per bunch	N_b [10^{11}]	1.15	1.7	2.28	2.47	4.06
bunch spacing	Δt [ns]	25	50	25	25	50
beam current	I [A]	0.58	0.43	1.15	1.25	1.03
longitudinal profile		Gauss	Gauss	Gauss	Gauss	Gauss
rms bunch length	σ_z [cm]	7.55	7.55	7.55	5.0	7.55
beta* at IP1&5	β^* [m]	0.55	0.55	0.30	0.30	0.30
full crossing angle	θ_c [μ rad]	285	285	(359-462)	359	359
Piwinski parameter	$\phi=\theta_c\sigma_z/(2*\sigma_x^*)$	0.65	0.65	0.0	0.71	1.07
tune shift	ΔQ_{tot}	0.009	0.0136	0.0145	0.0128	0.0176
potential pk luminosity	L [10^{34} cm $^{-2}$ s $^{-1}$]	1	1.1	8.69	8.32	9.41
events per #ing		19	40	95	95	189
effective lifetime	τ_{eff} [h]	44.9	30	17.8	19.3	15.8
run or level time	$t_{run,level}$ [h]	15.2	12.2	4.29	4.33	4.29
e-c heat SEY=1.2	P [W/m]	0.2	0.1	0.6	0.7	0.3
SR+IC heat 4.6-20 K	P_{SR+IC} [W/m]	0.32	0.30	0.93	1.65	1.23
IBS ϵ rise time (z, x)	$\tau_{IBS,z/x}$ [h]	59, 102	40, 69	30, 52	7, 29	17, 29
annual luminosity	L_{int} [fb $^{-1}$]	57	58	300	300	300

typical day at the HL-LHC...

$L [10^{34} \text{cm}^{-2} \text{s}^{-1}]$



similar for all scenarios

preliminary conclusions - 1

HL-LHC parameter space well defined

to achieve 300 fb^{-1} per year:

- about 1 A beam current (+/- 10%)
- potential peak luminosity $10^{35} \text{ cm}^{-2}\text{s}^{-1}$
- run time 4.3 h ~ assumed turnaround time of 5 h
- β^* between 15 and ~30 cm

high(er) beam intensity helps in every regard

both 50-ns and 25-ns scenarios

200 fb^{-1} per year would relax intensity demand

preliminary conclusions - 2

beam-beam limit (at 0.02) no longer a constraint

three alternative scenarios for $300 \text{ fb}^{-1} / \text{year}$:

- crab cavities
- higher harmonic RF (shorter bunches) + LR compensation
- 50 ns bunch spacing, large Piwinski angle, + LR compensation

decreasing β^* from 30 to 15 cm is equivalent to 10-20% beam current increase (scenario -dependent)

effect of smaller ε similar to (better) than smaller β^*

proposed roadmap & branching points

- ***LHC MDs*** for HL-LHC – starting in **2011**
 - ATS optics ingredients
(beta wave, phase changes)
 - LR beam-beam limits
 - effect of crossing angle on HO b-b limit
 - electron cloud limits
 - “flat beam” optics [S. Fartoukh, LHCMAC19, e.g. $r \sim 2$, $\Delta n_1 \sim 1$]
 - effect of crossing plane (H-V, V-V, H-H)
- ***install LR-BB compensators in LHC*** (**2013**)
- develop & prototype ***compact crab cavity***
(2011-16) for beam test in (SPS+) LHC (2017)
- develop&install ***LHC 800-MHz system*** (**2016?**)

several MDs may be done
regardless of HL-LHC and
also benefit nominal
LHC performance

thank you for your attention!

useful leveling formulae

	w/o leveling	$L=\text{const}$	$\Delta Q_{\text{bb}}=\text{const}$
luminosity evolution	$L(t) = \frac{\hat{L}}{(1+t/\tau_{\text{eff}})^2}$	$L = L_0 \approx \text{const}$	$L(t) = \hat{L} \exp(-t/\tau_{\text{eff}})$
beam current evolution	$N(t) = \frac{N_0}{(1+t/\tau_{\text{eff}})}$	$N = N_0 - \frac{N_0}{\tau_{\text{eff}}} t$	$N(t) = N(0) \exp(-t/\tau_{\text{eff}})$
optimum run time	$T_{\text{run}} = \sqrt{\tau_{\text{eff}} T_{\text{ta}}}$	$T_{\text{run}} = \frac{\Delta N_{\text{max}} \tau_{\text{eff}}}{N_0}$	$T_{\text{run}} = \tau_{\text{eff}}$ $\min \left[\ln \left(\sqrt{1 + \phi_{\text{piw}}(0)^2} \right), \ln \left((T_{\text{ta}} + T_{\text{run}} + \tau_{\text{eff}}) / \tau_{\text{eff}} \right) \right]$
average luminosity	$L_{\text{ave}} = \hat{L} \frac{\tau_{\text{eff}}}{(\tau_{\text{eff}}^{1/2} + T_{\text{ta}}^{1/2})^2}$	$L_{\text{ave}} = \frac{L_0}{1 + \frac{L_0 \sigma_{\text{tot}} n_{\text{IP}} T_{\text{ta}}}{\Delta N_{\text{max}} n_b}}$	$L_{\text{ave}} = \frac{\tau_{\text{eff}}}{T_{\text{ta}} + T_{\text{run}}} \left(1 - e^{-T_{\text{run}}/\tau_{\text{eff}}} \right)$

$\Delta Q_{\text{bb}}=\text{const} \rightarrow$ exponential L decay, w decay time τ_{eff} ($\neq \tau_{\text{eff}}/2$)