

Next-to-leading order **QCD**
corrections in Higgs boson production
in association of a photon via VBF

TERRANCE FIGY
CERN

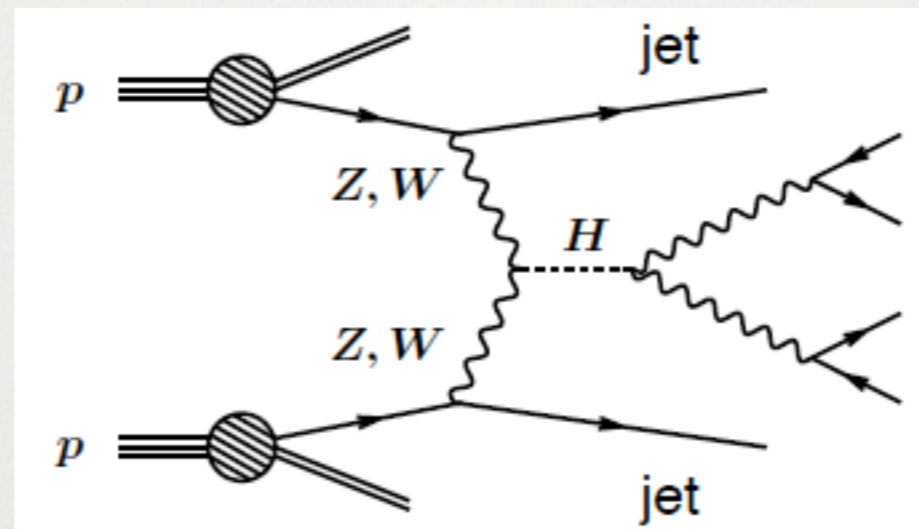


HEAVY PARTICLES AT THE LHC
5 JANUARY 2011 ETH ZÜRICH

REFERENCES

- ★ detailed signal-background analysis: Gabrielli, Maltoni, Mele, Moretti, Piccinini, Pittau (2007) [[SpireS](#)]
- ★ NLO-QCD calculation of signal process: Arnold, TF, Jager, Zeppenfeld (2010) [[SpireS](#)]
- ★ See Barbara Jager's [slides](#)

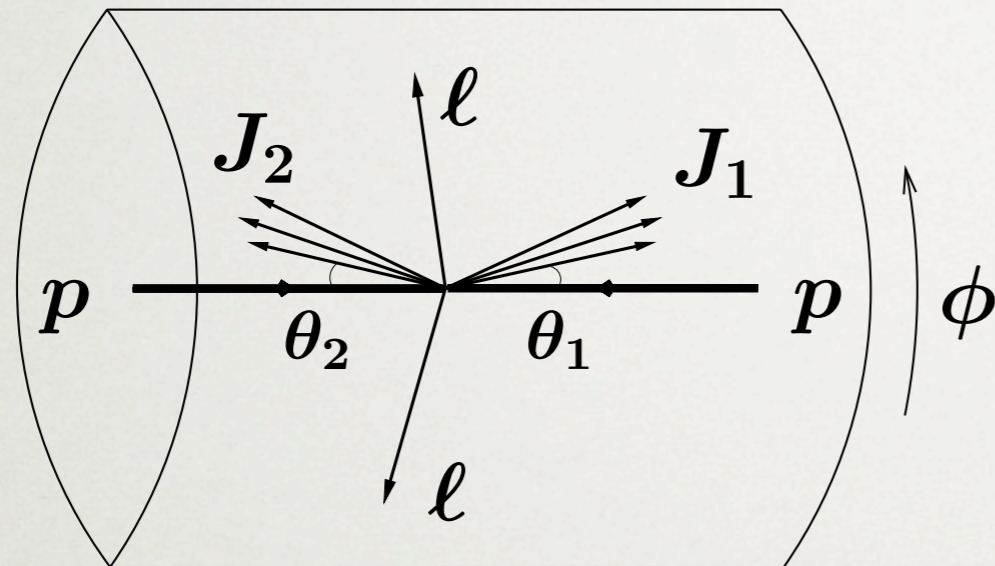
VBF EVENT TOPOLOGY



Suppressed color exchange between quark lines gives rise to

- ★ Little jet activity in central rapidity region
- ★ Scattered quarks: **two forward tagging jets** (energetic; large rapidity)
- ★ Higgs decay products typically **between** tagging jets

VBF EVENT TOPOLOGY



distinct event topology
of the Higgs signal in VBF
extremely important for
suppression of backgrounds

example: backgrounds to $pp \rightarrow Hjj$ via VBF in the

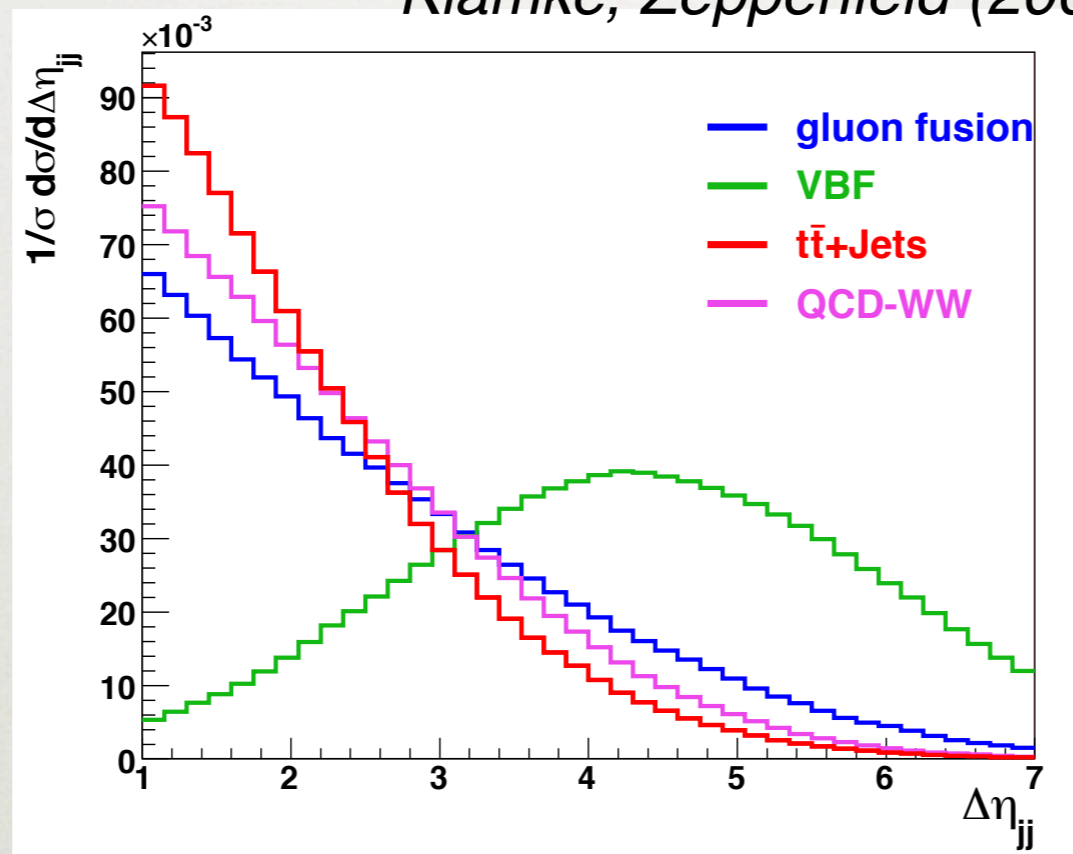
$H \rightarrow W^+W^- \rightarrow e^\pm \mu^\mp p_T$ decay mode include

- ◆ $t\bar{t} + \text{jets} \rightarrow b\bar{b}W^+W^- + \text{jets}$
- ◆ Hjj production via gluon fusion
- ◆ QCD W^+W^-jj production
- ◆ EW W^+W^-jj production

TAGGING JETS: PROPERTIES

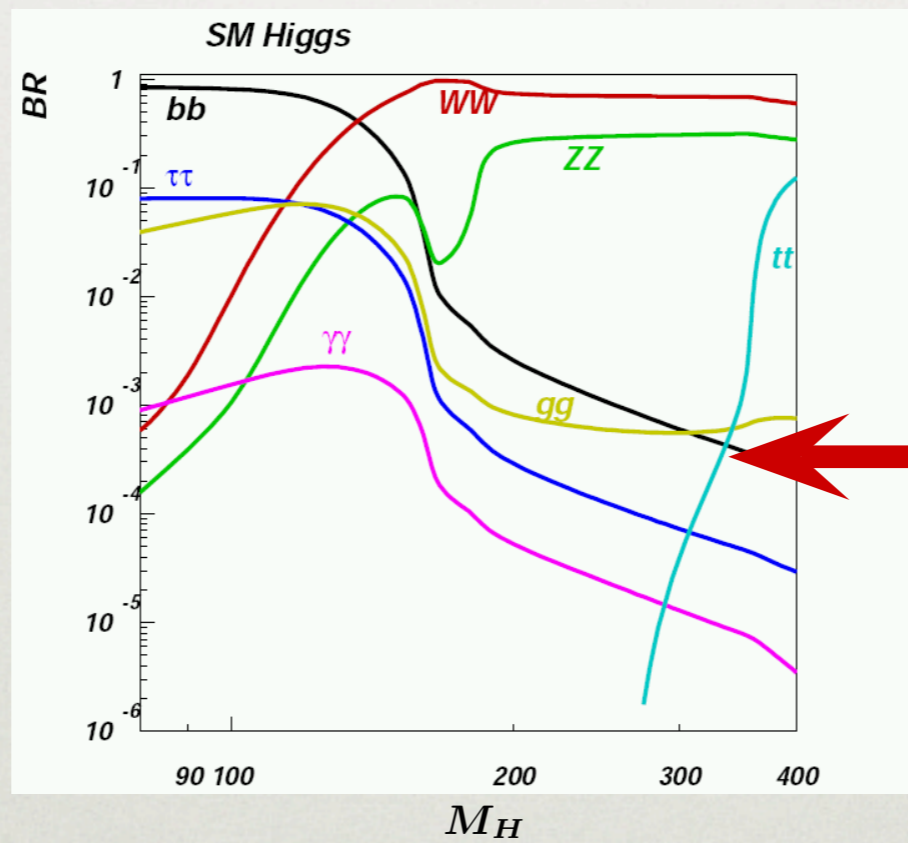
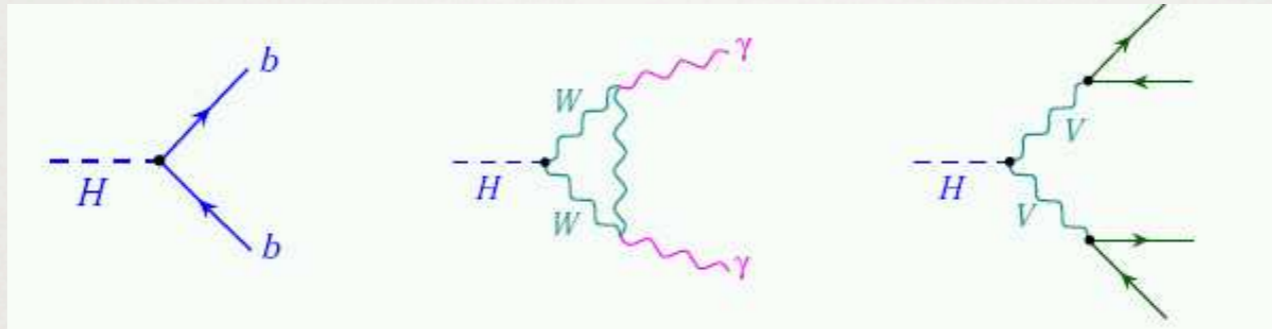
rapidity separation of the tagging jets

Klämke, Zeppenfeld (2007)



jets more central in QCD- than in EW-induced production processes

HIGGS DECAY



branching fractions

DETERMINATION OF THE $Hb\bar{b}$ COUPLING

$H \rightarrow b\bar{b}$ is dominant decay mode for $m_H \lesssim 140$ GeV,
but accessing the bottom-quark Yukawa coupling
remains difficult:

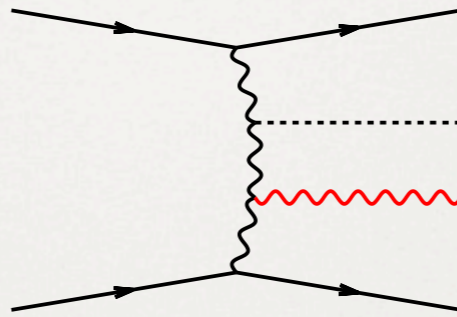
- ◆ $Ht\bar{t}$ production with $H \rightarrow b\bar{b}$ decay: large backgrounds;
new approach: accessible by jet-deconstruction techniques?
[Plehn, Salam, Spannowsky (2009)]
- ◆ $WBF Hjj$ production with $H \rightarrow b\bar{b}$ decay: large backgrounds:
QCD production of $b\bar{b}jj$, $jjjj$, $t\bar{t}$, $t\bar{t}j$; $(Z^*/\gamma^* \rightarrow b\bar{b})jj$;
 $b\bar{b}jj$ and $jjjj$ production via overlapping events
[Mangano et al. (2002)]

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EXTRA PHOTON RADIATION IN VBF: $pp \rightarrow H\gamma jj$



Gabrielli et al. (2007):

extra hard, central photon in $pp \rightarrow Hjj$

powerful tool for suppression of
(gluon-dominated) QCD backgrounds

☞ can the **WBF $H \rightarrow b\bar{b}$ mode** be tackled that way?

EXTRA PHOTON RADIATION IN VBF: $pp \rightarrow H\gamma jj$

effects of hard central photon requirement:

✗ “naive expectation”: signal S and background B
suppressed by same factor $\sim \mathcal{O}(\alpha)$

- S/B not much affected:

$$\left(\frac{S}{B}\right)_{Hjj} \sim \left(\frac{S}{B}\right)_{H\gamma jj}$$

- signal significance decreases:

$$\left(\frac{S}{\sqrt{B}}\right)_{H\gamma jj} \sim \sqrt{\alpha} \left(\frac{S}{\sqrt{B}}\right)_{Hjj} \lesssim 1/10 \left(\frac{S}{\sqrt{B}}\right)_{Hjj}$$

☞ no advantage?

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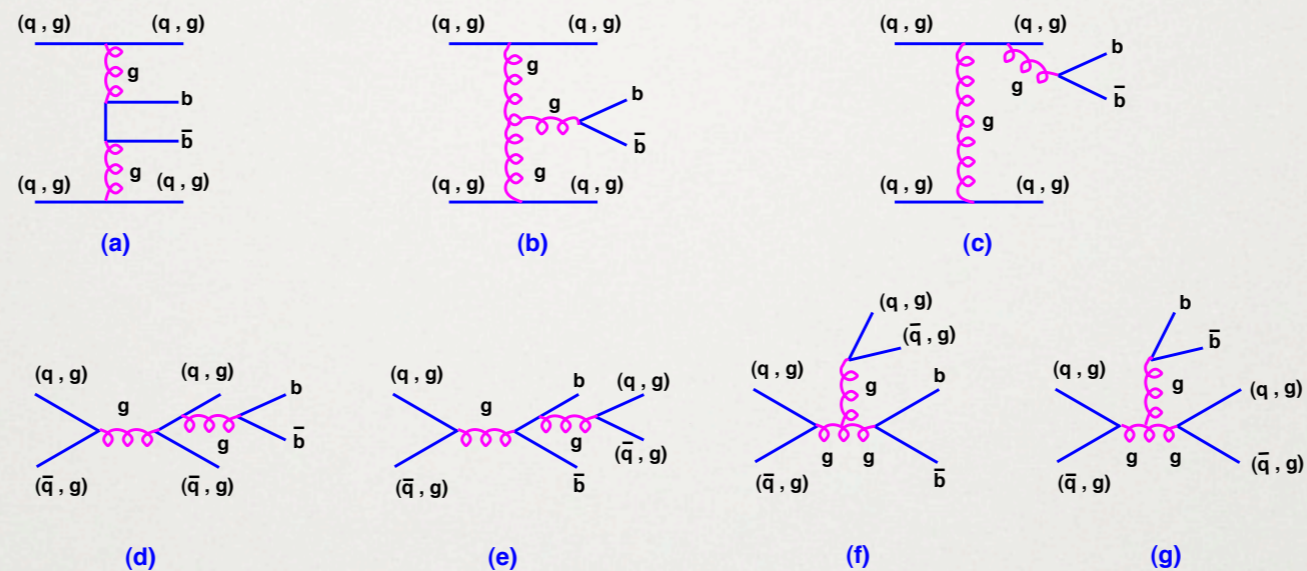
- S/B not much affected
- signal significance decreases

☞ no advantage?

✓ decrease in rate for QCD multi-jet final states

☞ improvement on trigger efficiencies for $b\bar{b}jj$ events

EXTRA PHOTON RADIATION IN VBF: $pp \rightarrow H\gamma jj$



- ✓ large gluonic component in $b\bar{b}jj$ background ($\sim 80\%$ of $\sigma_{b\bar{b}jj}$)
 - QCD backgrounds less active in radiating photon than quark-dominated WBF signal
- ✓ WBF-specific selection cuts favor large values of x
 - valence-quarks more relevant than gluons in initial state

EXTRA PHOTON RADIATION IN VBF: $pp \rightarrow H\gamma jj$

effects of hard central photon requirement:

- ✓ **destructive interference** between photon emission off initial-state and off final-state quarks that are linked by neutral t -channel-exchange boson
 - ☞ central photon emission in backgrounds further suppressed
- ✓ similar interference effects in WBF signal
 - suppress ZZ fusion, but **enhance WW fusion** contributions
 - ☞ relative contribution of ZZ fusion depleted w.r.t. WW fusion

EXTRA PHOTON RADIATION IN VBF: $pp \rightarrow H\gamma jj$

effects of hard central photon requirement:

✗ “naive expectation”: signal and background
suppressed by same factor $\sim \mathcal{O}(\alpha)$

✓ de facto: reduction factors different for S and B

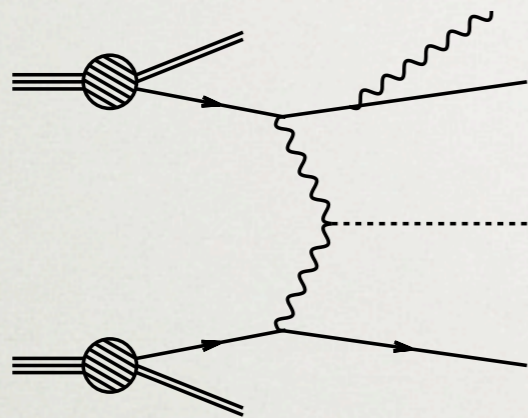
backgrounds: $\sigma_\gamma/\sigma \sim 1/3000$

signal: $\sigma_\gamma/\sigma \sim 1/100$

✓ $\left(S/\sqrt{B}\right)_{H\gamma jj} \lesssim 3$ for $m_H = 120$ GeV, $\mathcal{L} = 100$ fb $^{-1}$
and optimized selection cuts

[Gabrielli et al. (2007)]

THE NLO-QCD CALCULATION



need flexible Monte Carlo program
which allows for

- computation of various jet observables at NLO-QCD accuracy
- straightforward implementation of cuts

note: QCD structure of the process

identical to γjj production via WBF

→ recycle elements of previous NLO-QCD calculation [BJ (2010)]

ELEMENTS OF THE CALCULATION: LO

need to compute numerical value for

$$|\mathcal{M}_B|^2 = \left[\begin{array}{ccc} \begin{array}{c} \text{q} \text{---} \text{q}' \\ \text{W,Z} \\ \text{---} \text{H} \\ \text{W,Z} \\ \text{q} \text{---} \text{q}' \end{array} & \begin{array}{c} \text{q} \text{---} \text{q}' \\ \text{W} \\ \text{---} \text{H} \\ \text{W} \\ \text{q} \text{---} \text{q}' \end{array} & \begin{array}{c} \text{q} \text{---} \text{q}' \\ \text{W,Z} \\ \text{---} \text{H} \\ \text{W,Z} \\ \text{q} \text{---} \text{q}' \end{array} \\ \begin{array}{c} \text{q} \text{---} \text{q}' \\ \text{W,Z} \\ \text{---} \text{H} \\ \text{W,Z} \\ \text{q} \text{---} \text{q}' \end{array} & \begin{array}{c} \text{q} \text{---} \text{q}' \\ \text{W} \\ \text{---} \text{H} \\ \text{W} \\ \text{q} \text{---} \text{q}' \end{array} & \begin{array}{c} \text{q} \text{---} \text{q}' \\ \text{W,Z} \\ \text{---} \text{H} \\ \text{W,Z} \\ \text{q} \text{---} \text{q}' \end{array} \end{array} \right]^2$$

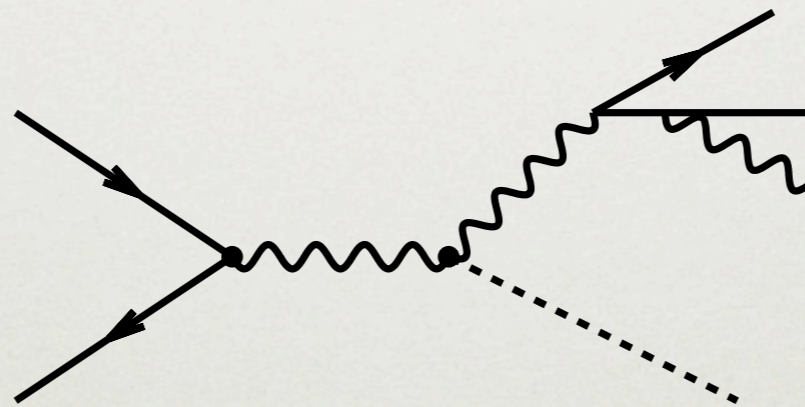
at each generated phase space point in 4 dim (finite)

strategy: develop modular structure with fermionic currents
and bosonic tensors (to be recycled at NLO)

ELEMENTS OF THE CALCULATION: APPROXIMATIONS

neglected:

- **interference contributions** of t- and u-channel diagrams in processes with identical quarks
- **annihilation processes** with subsequent decay into quarks and similar contributions like



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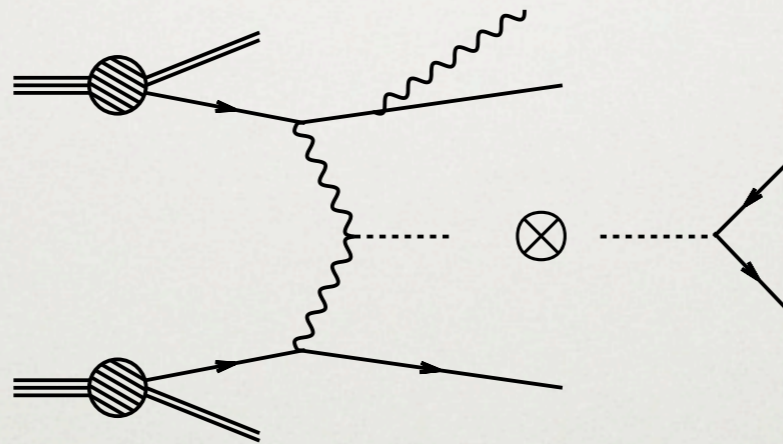
neglected terms strongly suppressed in PS region where VBF can be observed experimentally

(require two widely separated quark jets of large invariant mass)

ELEMENTS OF THE CALCULATION: HIGGS DECAY

simulate $H\gamma jj$ production, combined with
isotropic Higgs decay into two massless particles d :

$$pp \rightarrow H\gamma jj \otimes H \rightarrow dd$$



- ◆ branching ratio $\text{BR}(H \rightarrow dd)$ not included
[note: $\text{BR}(H \rightarrow b\bar{b}) \sim 73\%$ for $m_H = 120 \text{ GeV}$]
- ◆ QCD corrections calculated for production part only

ELEMENTS OF THE CALCULATION: VIRTUAL CORRECTIONS

... interference of LO diagrams with

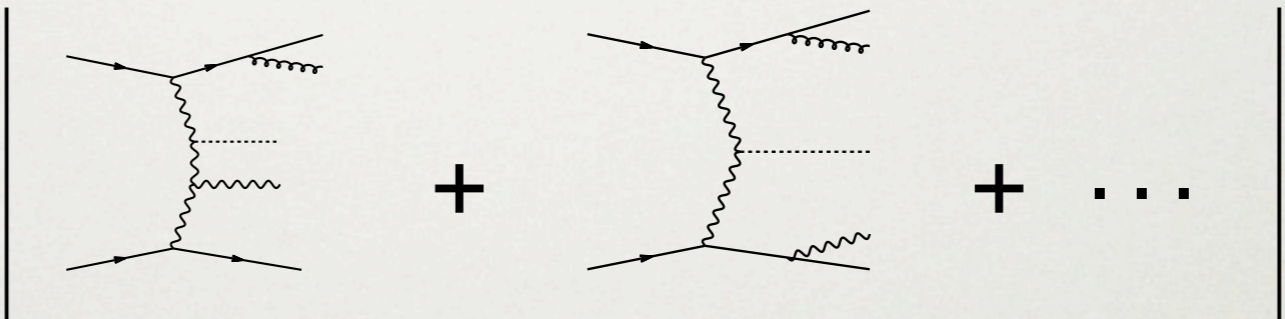
$$\mathcal{M}_V = \text{[Diagram 1]} + \text{[Diagram 2]} + \dots$$

$$= \mathcal{M}_B F(Q) \left[-\frac{2}{\epsilon^2} - \frac{3}{\epsilon} \right] + \tilde{\mathcal{M}}_V^{finite}$$

$\tilde{\mathcal{M}}_V^{finite}$... computed via Passarino-Veltman tensor reduction;
need bubbles, triangles, and box-integrals up to rank 3

ELEMENTS OF THE CALCULATION: REAL EMISSION CONTRIBUTIONS

attach gluon in all possible ways to tree-level graphs
and compute numerical value for

$$|\mathcal{M}_R|^2 = \left| \begin{array}{c} \text{diagram 1} \\ + \\ \text{diagram 2} \\ + \dots \end{array} \right|^2$$


at each generated phase space point in 4 dimensions

infrared-divergent configurations are
handled by dipole subtraction formalism

[Catani, Seymour (1996)]

PHOTON ISOLATION

problem: **collinear photon-fermion configurations** are singular

cure:

a) compute **parton-to-photon fragmentation** contributions;
absorb singularities in non-perturbative functions

✓ theoretically well-defined

✗ introduces poorly known photon fragmentation functions

b) **naive photon-jet separation** criterion $R_{j\gamma} \geq R_{min}$

✓ easy to implement

✗ theoretically **ill-defined**:

soft-gluon contributions in cone are also removed and
can't fully cancel IR singularities of virtual contributions

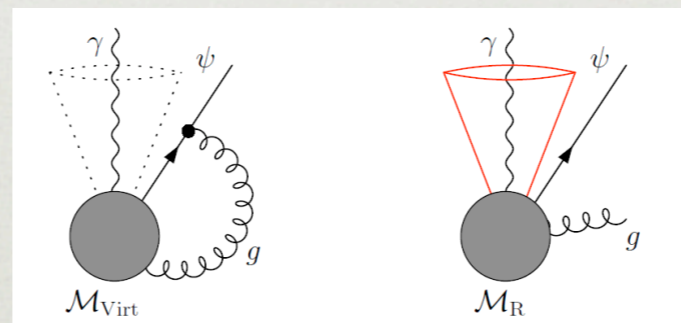
PHOTON ISOLATION

our implementation: cone-isolation criterion of *Frixione (1998)*

idea: veto collinear photon-jet configurations, but
allow soft QCD emission

in practice: limit hadronic energy deposited in a cone
around the direction of the photon by

$$\sum_{i: R_{i\gamma} < R} p_{Ti} \leq \frac{1 - \cos R}{1 - \cos \delta_0} p_{T\gamma} \quad (\forall R \leq \delta_0 = 0.7)$$



CHECKS

- ✓ comparison of LO and real emission amplitudes with MadGraph

- ✓ soft / collinear limits: $d\sigma^R \rightarrow d\sigma^A$

- ✓ QCD gauge invariance of real emission contributions:

$$\mathcal{M} = \varepsilon_{\mu}^*(p_g) \mathcal{M}^{\mu} = \left[\varepsilon_{\mu}^*(p_g) + C p_{g\mu} \right] \mathcal{M}^{\mu}$$

- ✓ QED gauge invariance of all contributions
- ✓ comparison of LO cross section to MadEvent (generic cuts)
- ✓ produce three independent implementations of tree-level, real-emission, and virtual contributions

SELECTION CUTS

apply k_T jet algorithm and use CTEQ6 parton distributions

inclusive cuts

$$p_{Ti} \geq 20 \text{ GeV},$$

$$|y_j| \leq 5, \quad |y_{\gamma,b}| \leq 2.5,$$

$$\Delta R_{ik} \geq 0.4,$$

$$M_{jj}^{\text{tag}} > 100 \text{ GeV}$$

$$y_j^{\min} < y_{\gamma}, y_b < y_j^{\max}$$

$$\Delta y_{jj} = |y_{j_1} - y_{j_2}| > 4,$$

$$\Delta R_{ik} \geq 0.7,$$

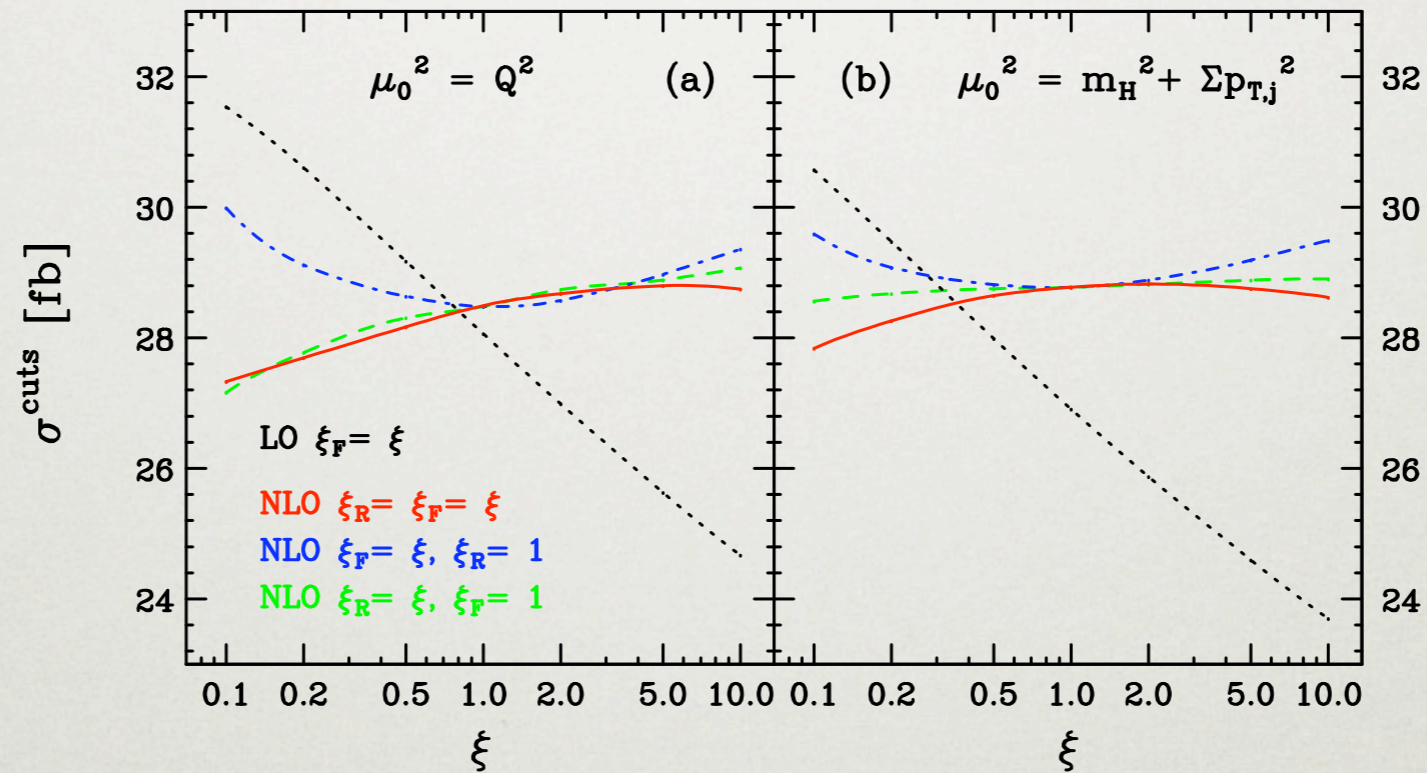
$$M_{jj}^{\text{tag}} > 600 \text{ GeV}$$

jets located in opposite hemispheres

WBF cuts

SCALE UNCERTAINTY

choose default scale $\mu_0^2 = Q_i^2$ or $\mu_0^2 = m_H^2 + \sum p_{Tj}^2$
 set $\mu_R = \xi_R \mu_0$ and $\mu_F = \xi_F \mu_0$, with variable ξ



LO: no control on scale

NLO QCD: scale dependence strongly reduced

IMPACT OF PDFs AND SCALES

variation of cross section σ^{WBF} for $Q^2/2 \leq \mu^2 \leq 2Q^2$:

CTEQ6

$$\text{LO: } 14.65^{+1.07}_{-0.95} \text{ fb}$$

$$\text{NLO: } 14.79^{+0.14}_{-0.19} \text{ fb}$$

MSTW

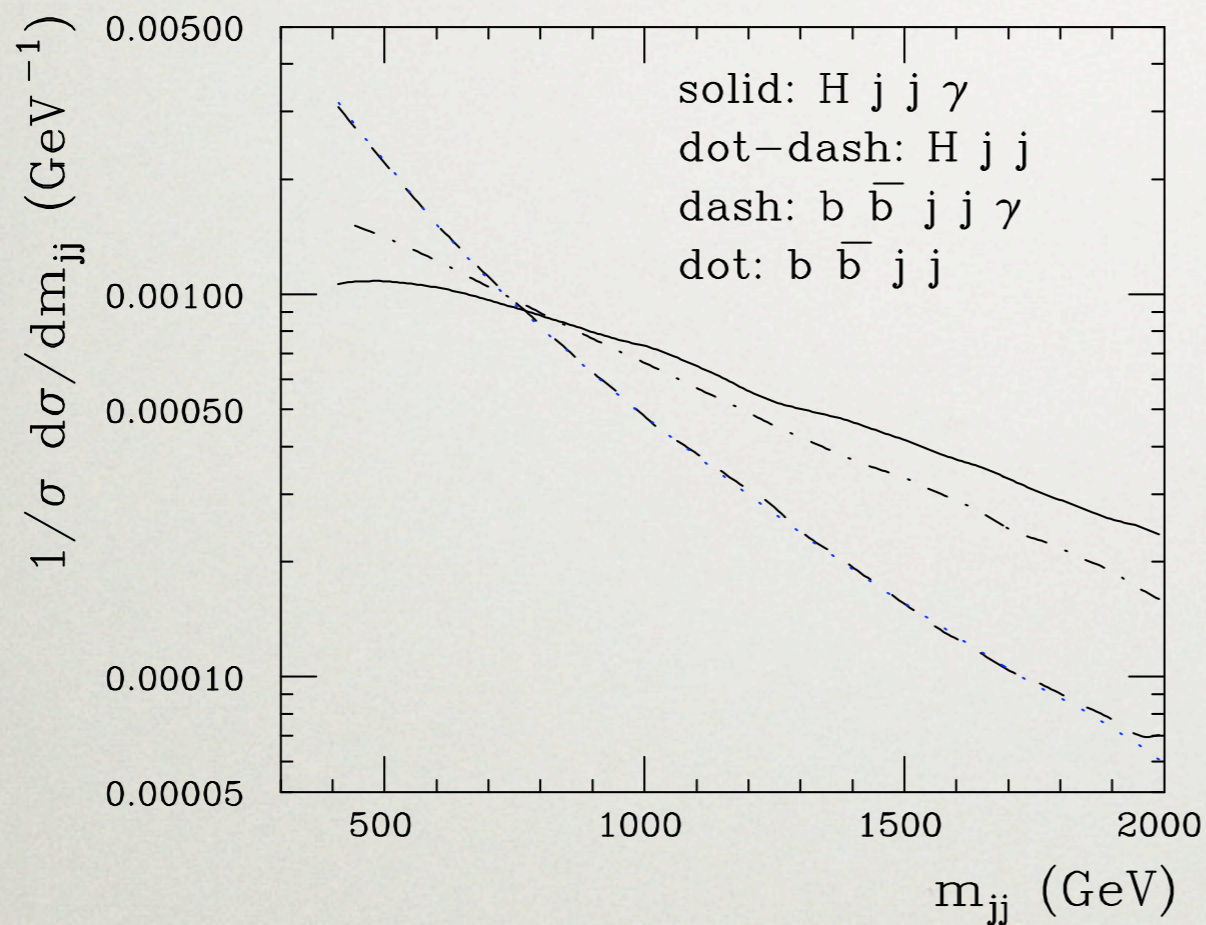
$$\text{LO: } 14.40^{+1.13}_{-1.0} \text{ fb}$$

$$\text{NLO: } 14.91^{+0.03}_{-0.21} \text{ fb}$$

$$\Rightarrow \Delta\sigma_{\text{LO}}^{\text{WBF}} \sim 14\% \quad \text{and} \quad \Delta\sigma_{\text{NLO}}^{\text{WBF}} \sim 2\%$$

INVARIANT MASS OF THE TAGGING JETS

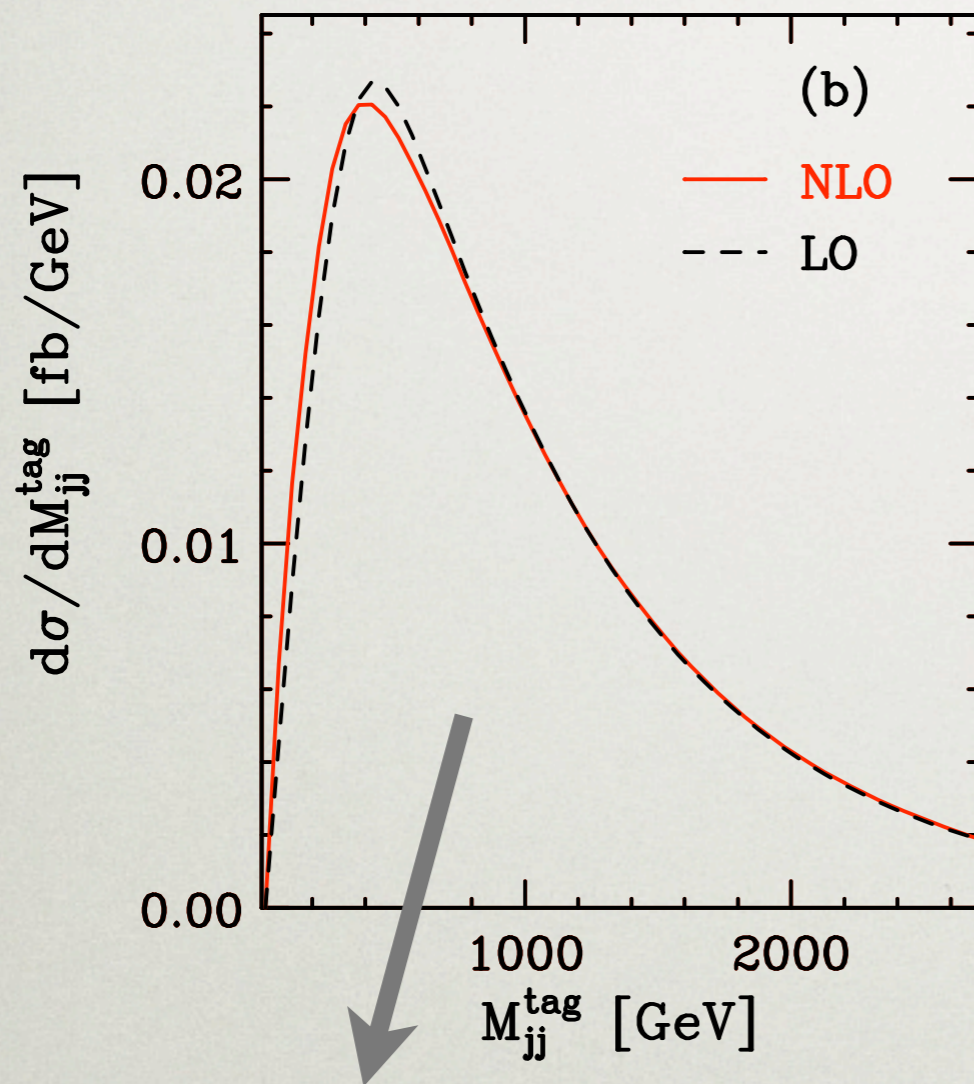
Gabrielli et al. (2007)



- ◆ $d\sigma/dm_{jj}$ slightly flatter for $H\gamma jj$ signal than for Hjj
- ◆ $b\bar{b}jj$ and $b\bar{b}\gamma jj$ backgrounds have very similar shapes
- ◆ background distributions exhibit much steeper slope than signal
- ☞ stringent cut on m_{jj} is powerful tool for background suppression

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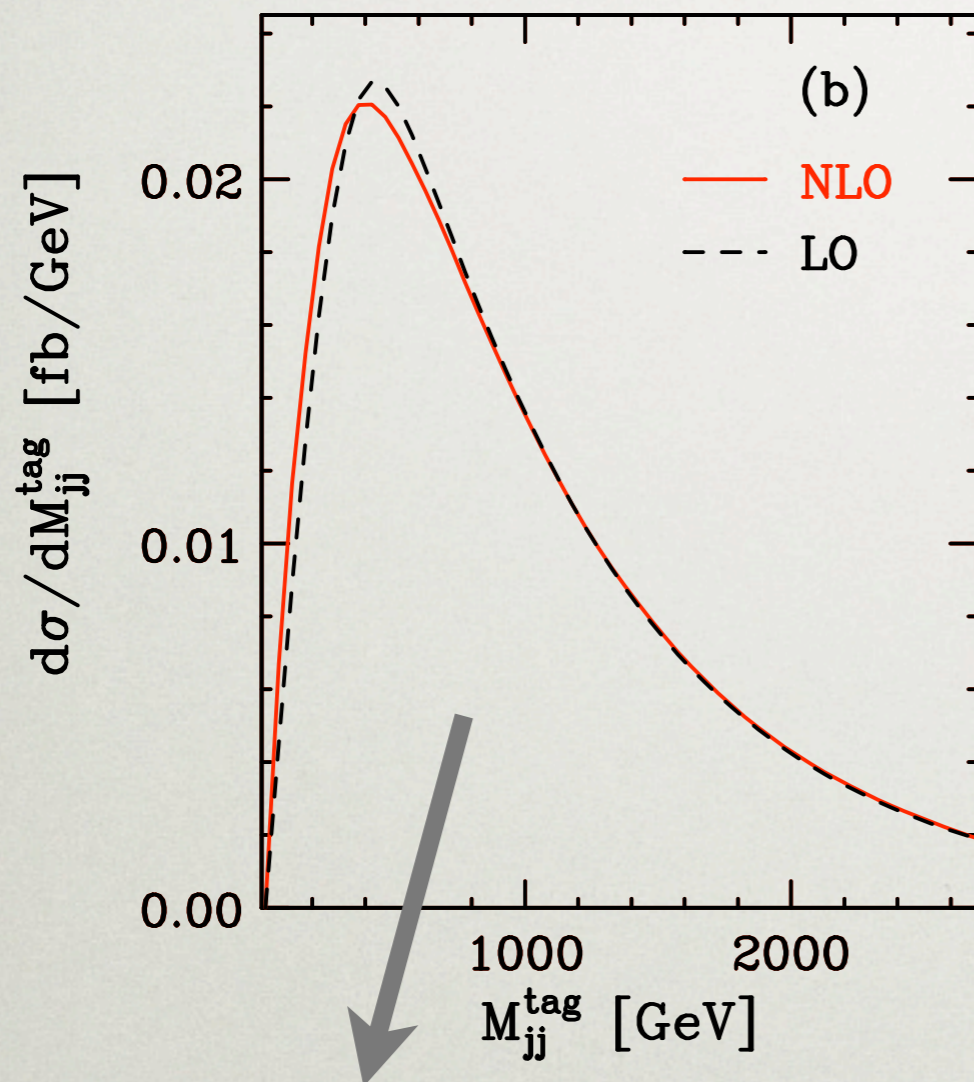
Arnold, TF, Jagar, Zeppenfeld (2010)



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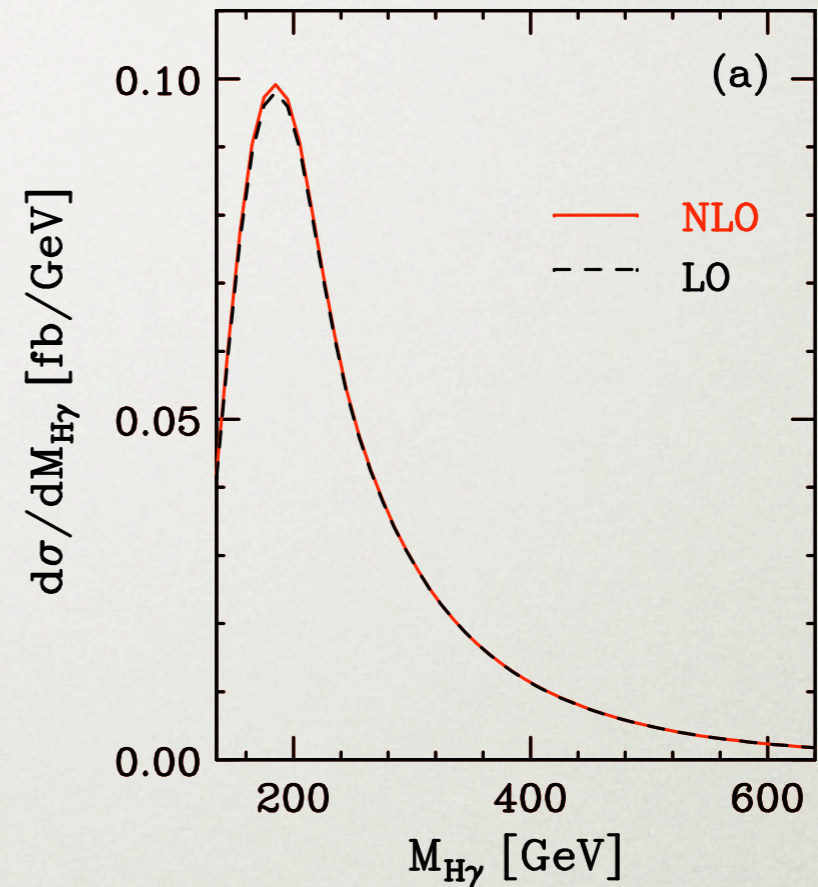
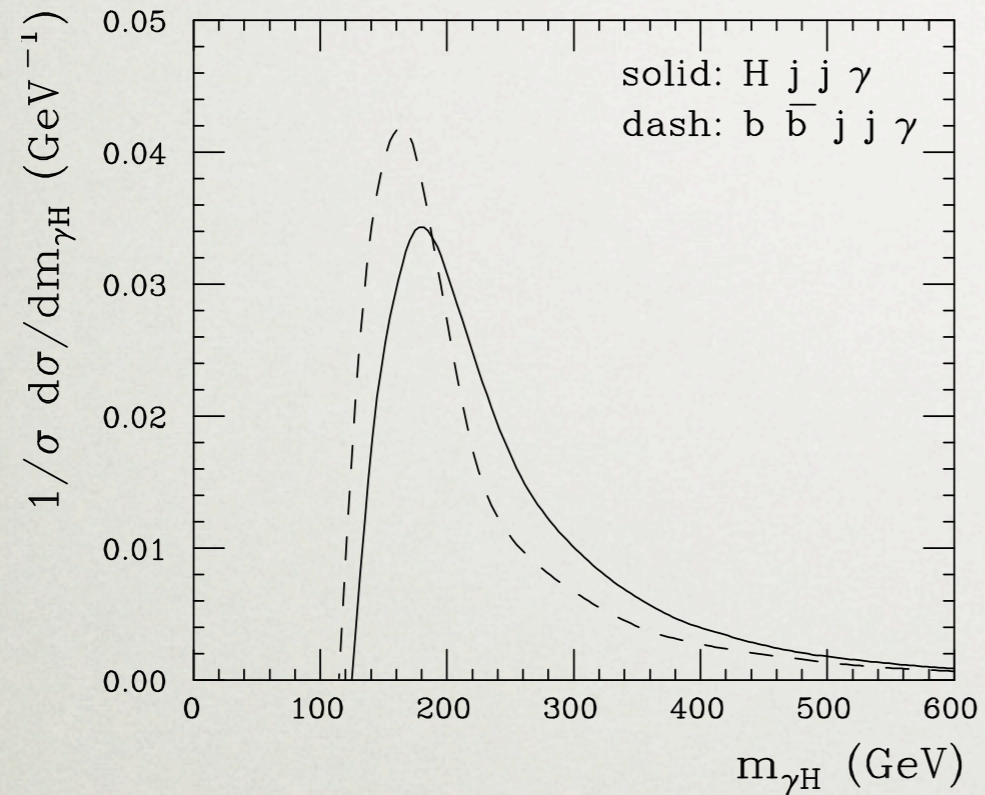
effect of NLO-QCD
corrections small

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INVARIANT MASS OF THE PHOTON-HIGGS SYSTEM

Arnold, TF, Jager, Zeppenfeld

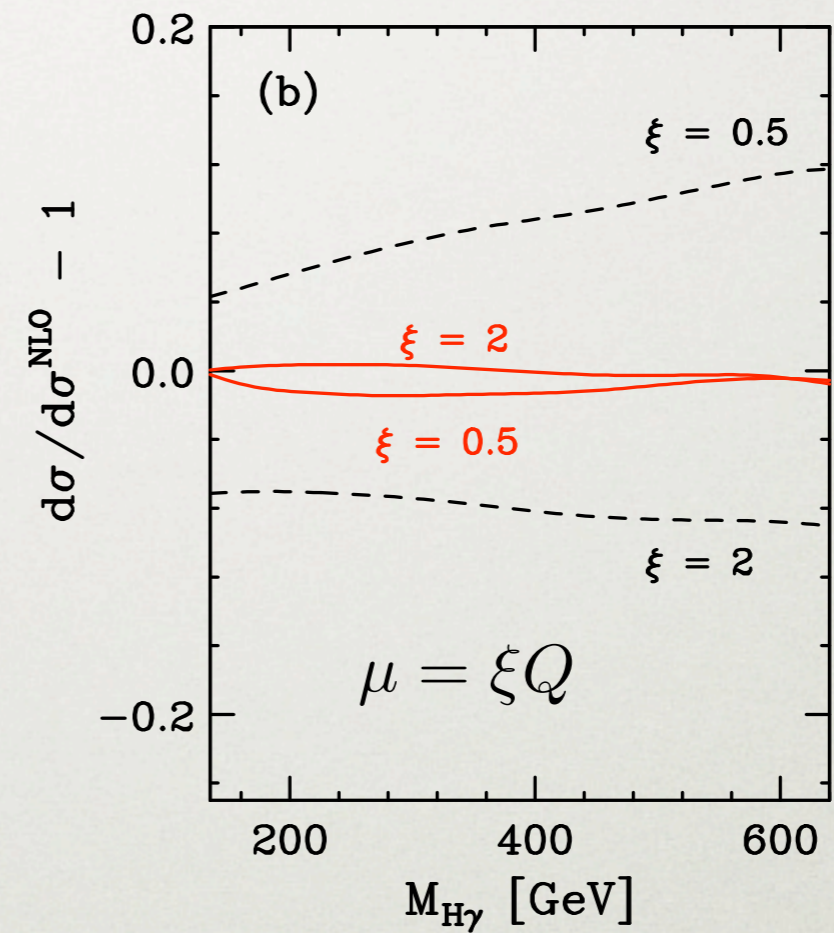
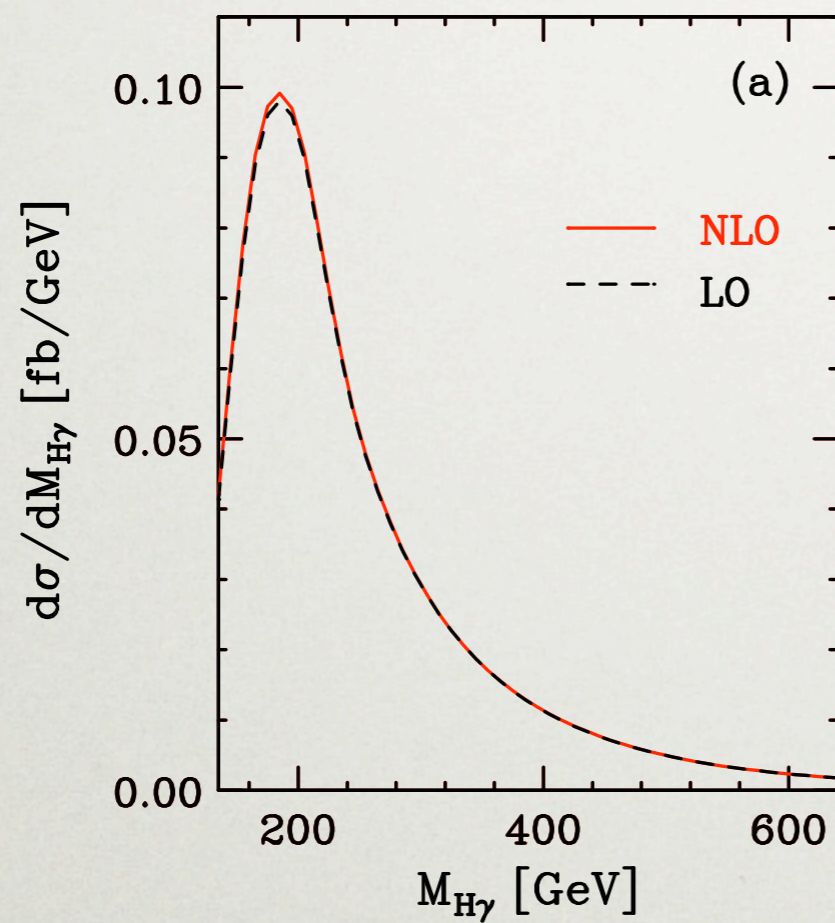
Gabrielli et al. (2007)



$$m_H = 120 \text{ GeV}$$

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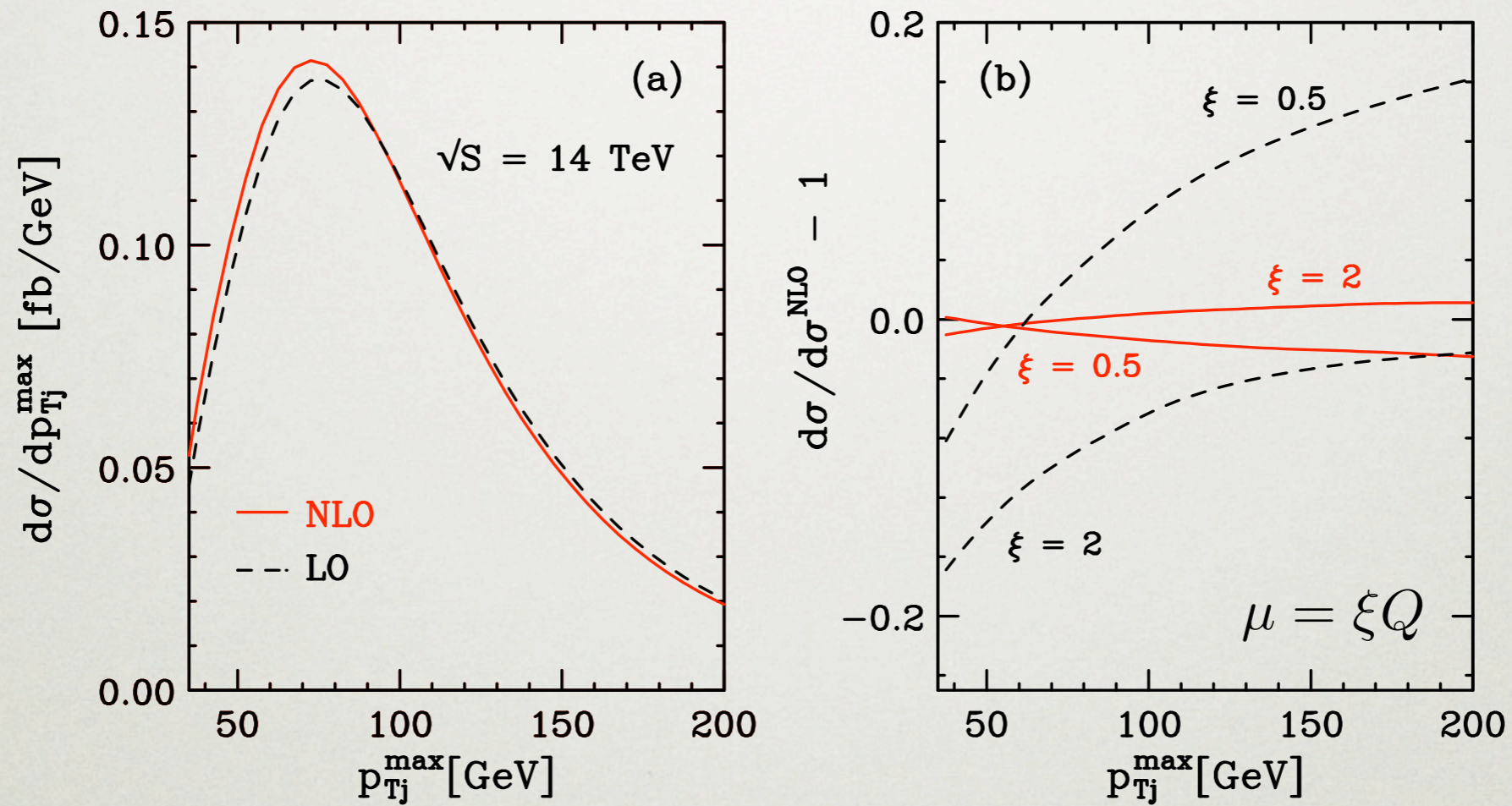
Arnold, TF, Jager, Zeppenfeld



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TRANSVERSE MOMENTUM OF THE HARDEST JET

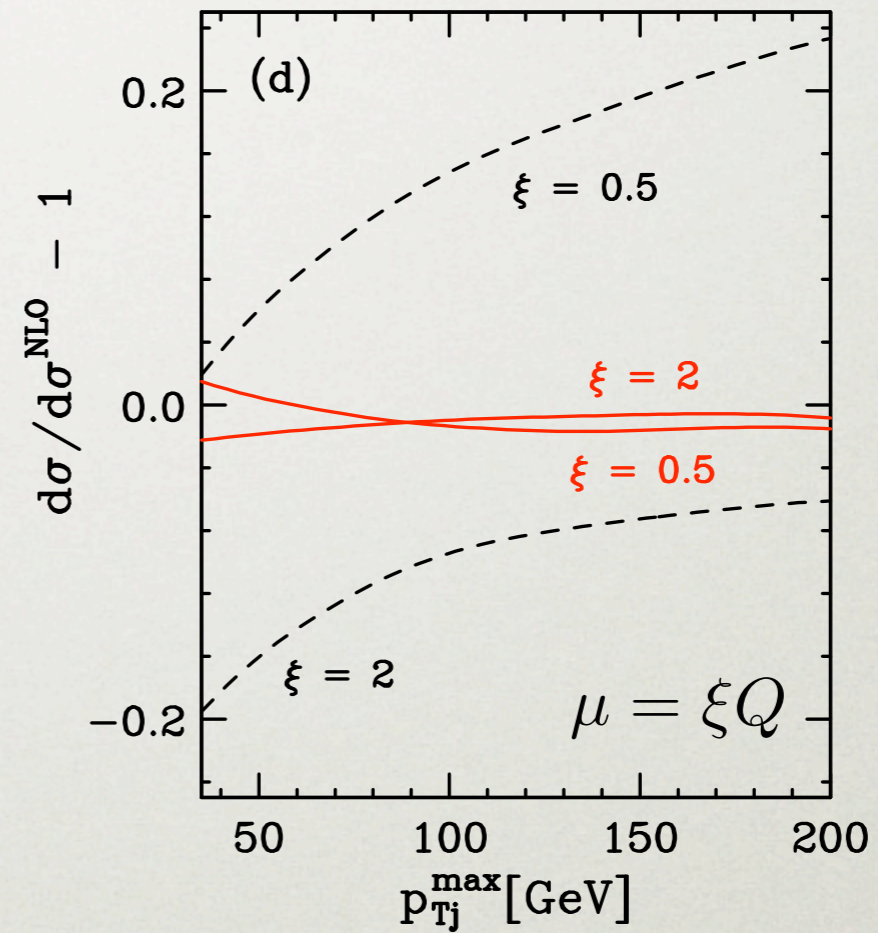
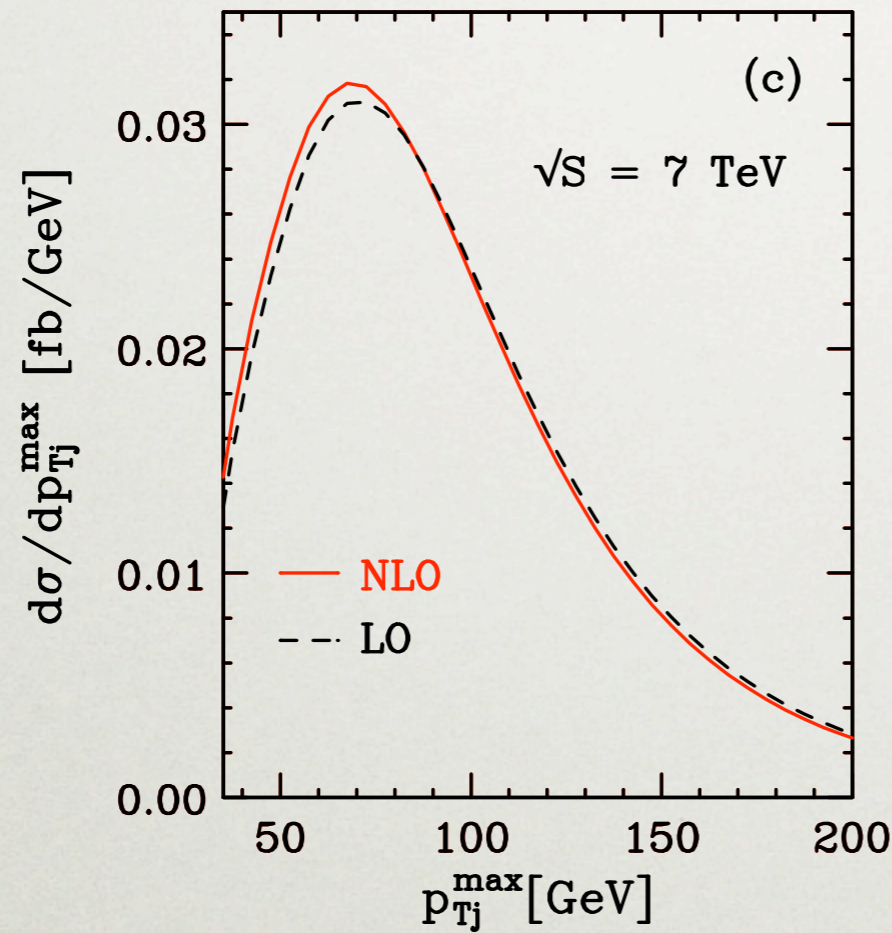
Arnold, TF, Jager, Zeppenfeld



$$\sqrt{S} = 14 \text{ TeV}$$

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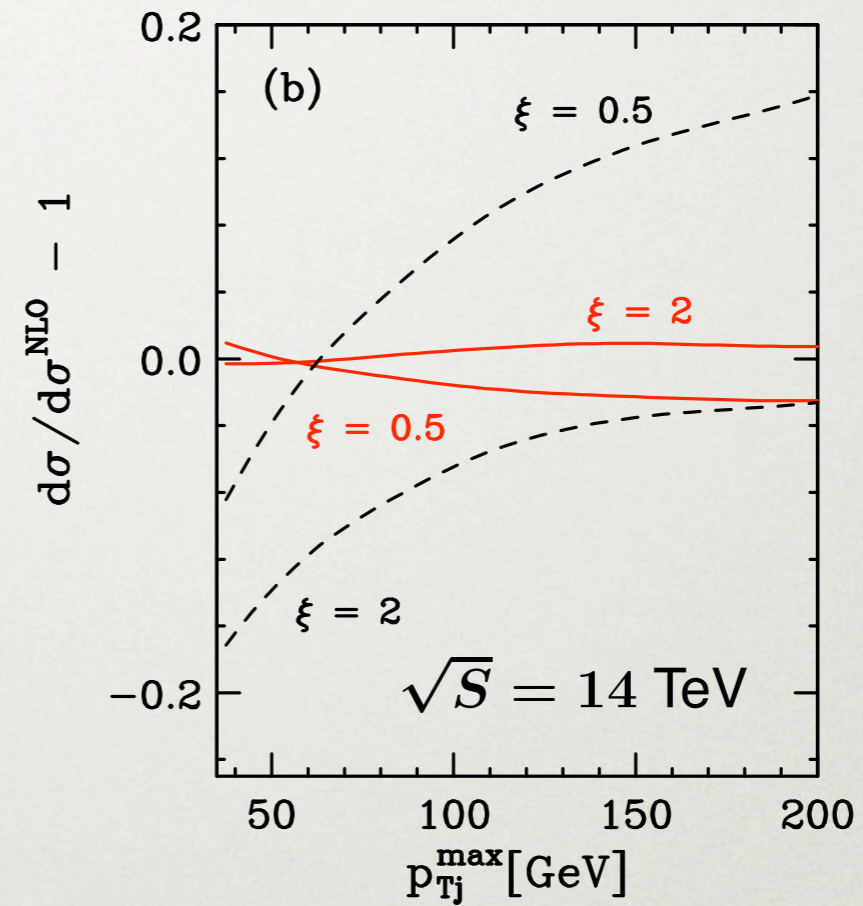
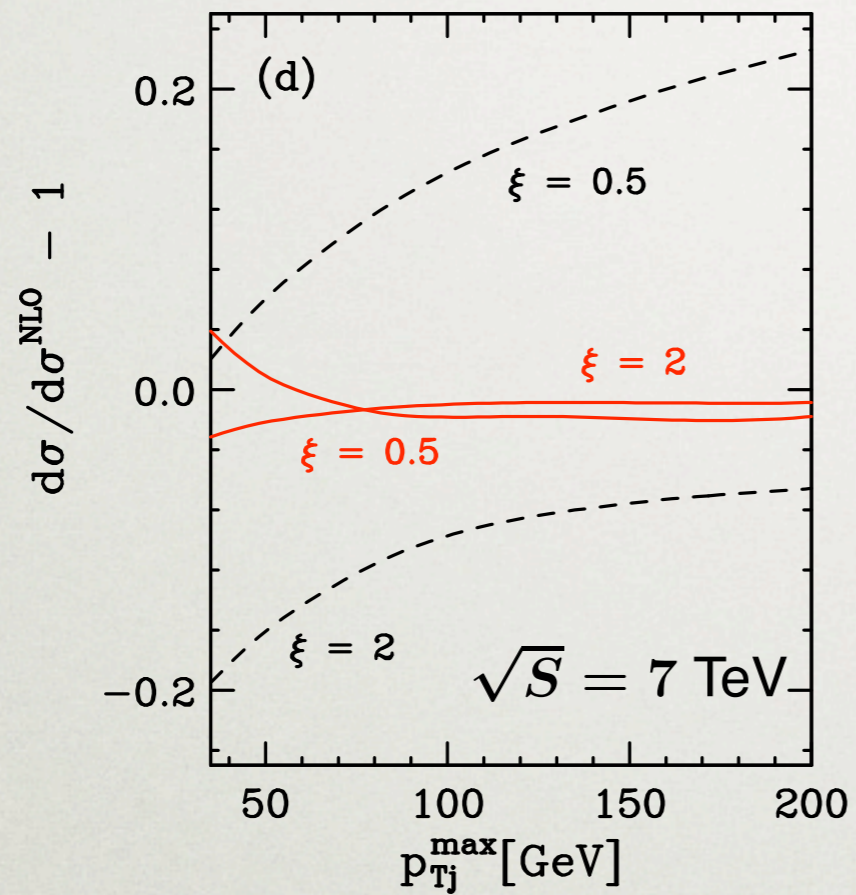
Arnold, TF, Jager, Zeppenfeld



$$\sqrt{S} = 7 \text{ TeV}$$

TRANSVERSE MOMENTUM OF THE HARDEST JET

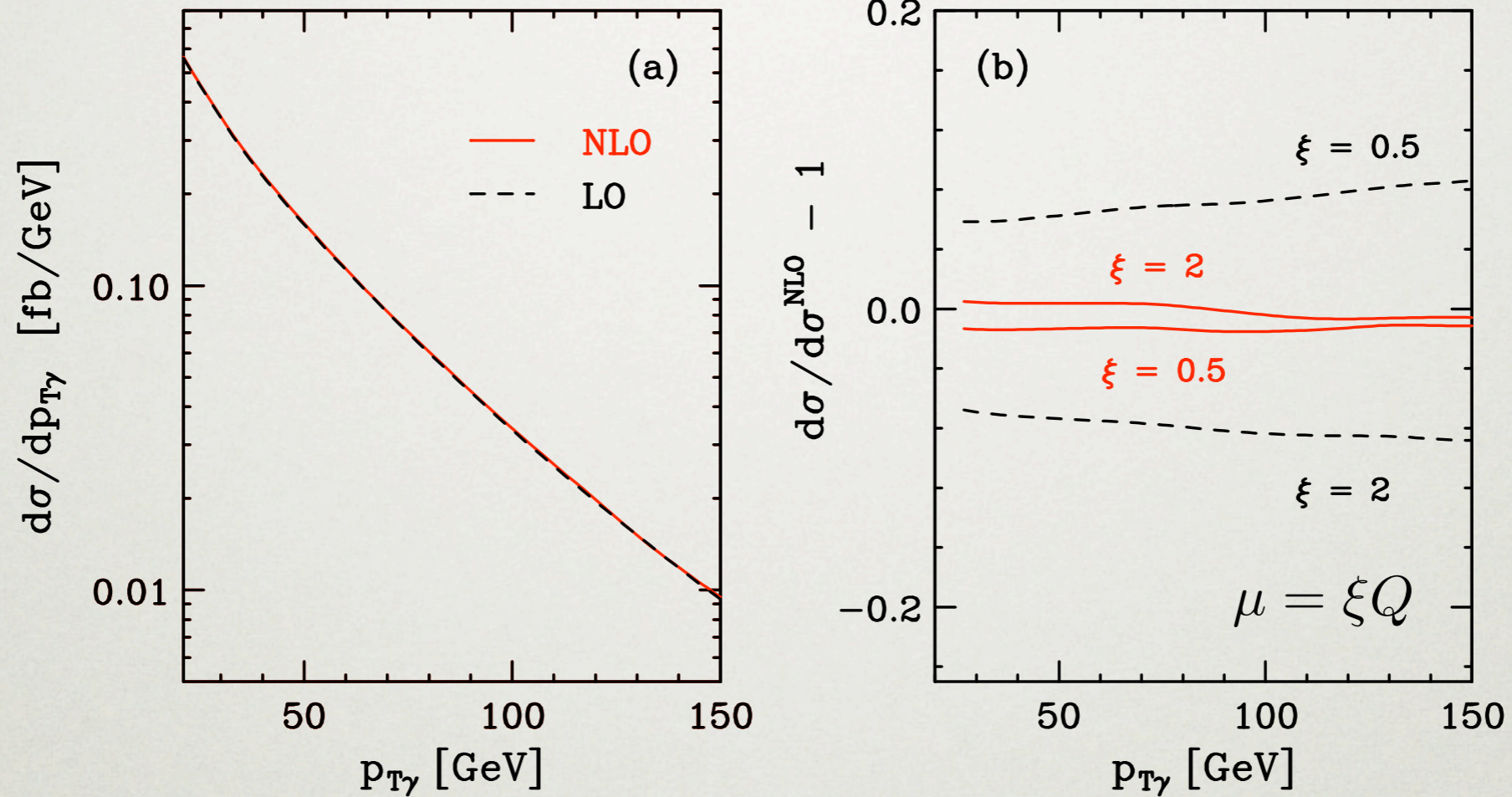
Arnold, TF, Jager, Zeppenfeld



$$\mu = \xi Q$$

TRANSVERSE MOMENTUM OF THE PHOTON

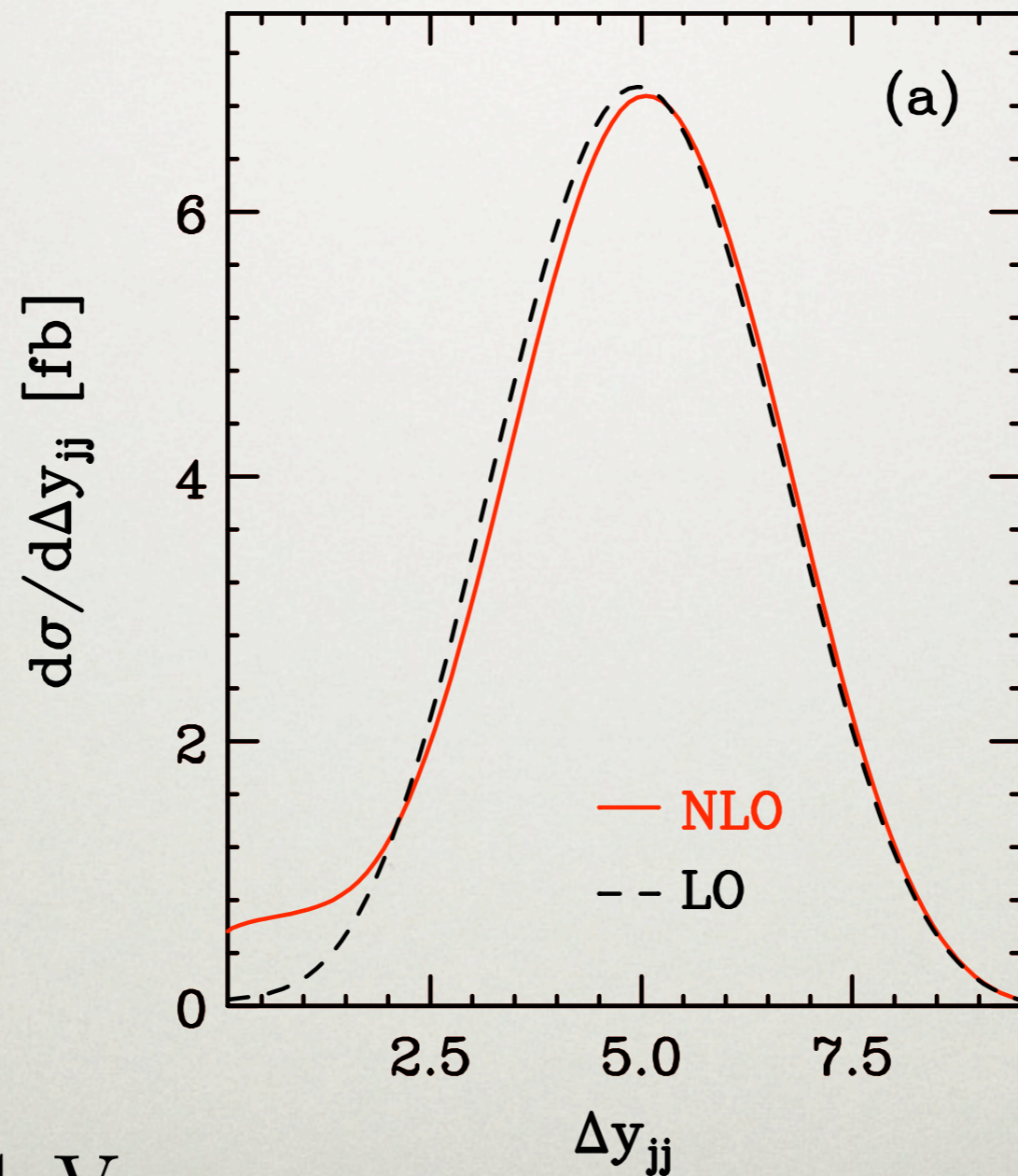
Arnold, TF, Jager, Zeppenfeld



$$\sqrt{S} = 14 \text{ TeV}$$

RAPIDITY SEPARATION OF TAGGING JETS

Arnold, TF, Jager, Zeppenfeld



$$m_H = 120 \text{ GeV}$$

$$\sqrt{S} = 14 \text{ TeV}$$

SUMMARY & CONCLUSIONS

- ★ WBF offers prospects for Higgs boson search
- ★ $H \rightarrow b\bar{b}$ mode profits from the requirement of hard, central photon:
 - ★ trigger efficiencies improved
 - ★ QCD backgrounds suppressed significantly
 - ★ signal significance: $S/\sqrt{B} \sim 3$ for 100 fb^{-1}
- ★ perturbative QCD corrections well under control (modest scale uncertainties & K-factors)
- ★ some kinematic distributions are sensitive to radiative corrections