

Squark Mass Measurement from Dijet

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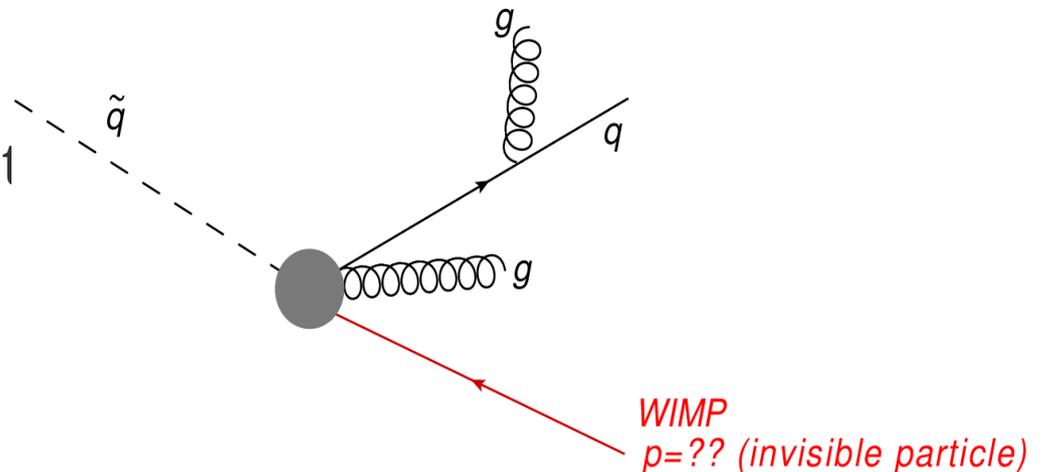
Determining the squark mass at the LHC,
V.Barger, Y. Gao, A. Lessa, X. Tata (arXiv:1103.0018, excepted by PRD)

How DM affects measuring new particle mass

- Without DM:
Momenta of decay products sum up to parent momentum
→ invariant mass peaks at parent particle mass

With DM:

Insufficient information to reconstruct parent momentum
mass of visible jets does
no peak at parent mass



- **Arsenal to deal with invisible particles**

m_{T2} & derivatives; matrix element method; cusps in angular distributions; multi-lepton channels; etc...

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Dijet mass + angular cuts

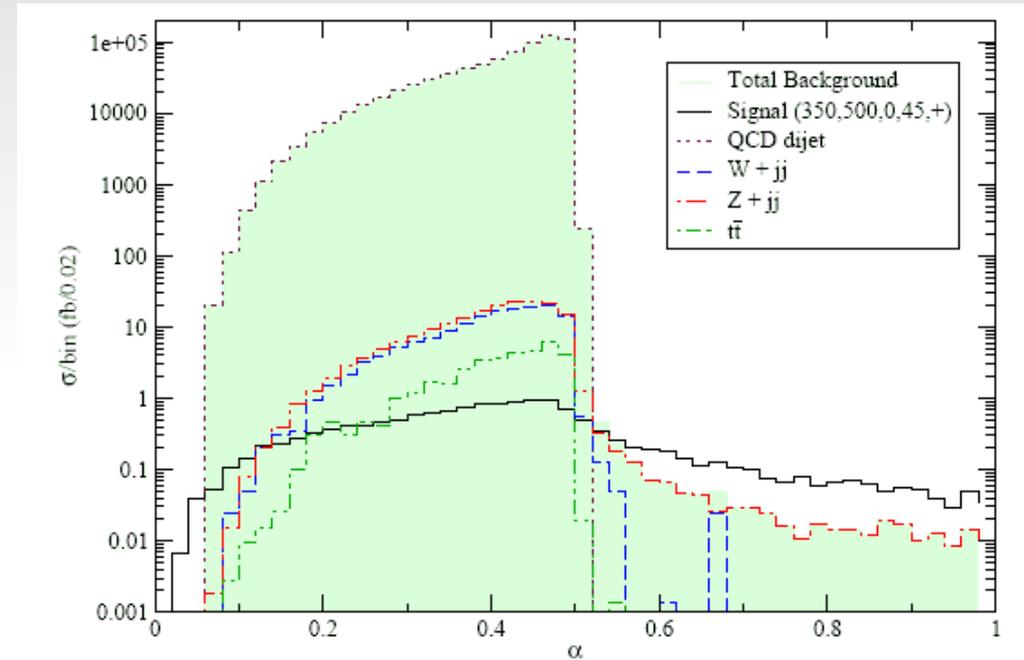
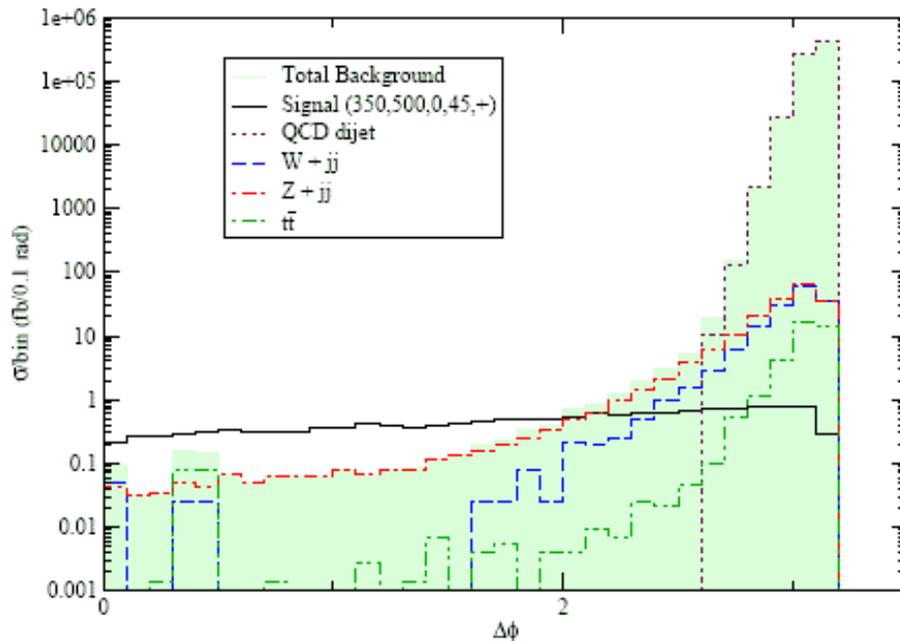
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Powerful angular cuts

Theory: mSUGRA
 DM: neutralino as the LSP
 signal channel: squark/gluino pair production

Cuts: 2-jet (jet $E_T > 50$ GeV)
 $\Sigma E_T > 700$ GeV
 isolated leptons veto
 $\Delta\Phi < 1.5$, $\alpha > 0.5$

$\Delta\Phi$: suppresses W/Z+jets bkg
 [$\Delta\Phi$ = dijet azimuthal separation]

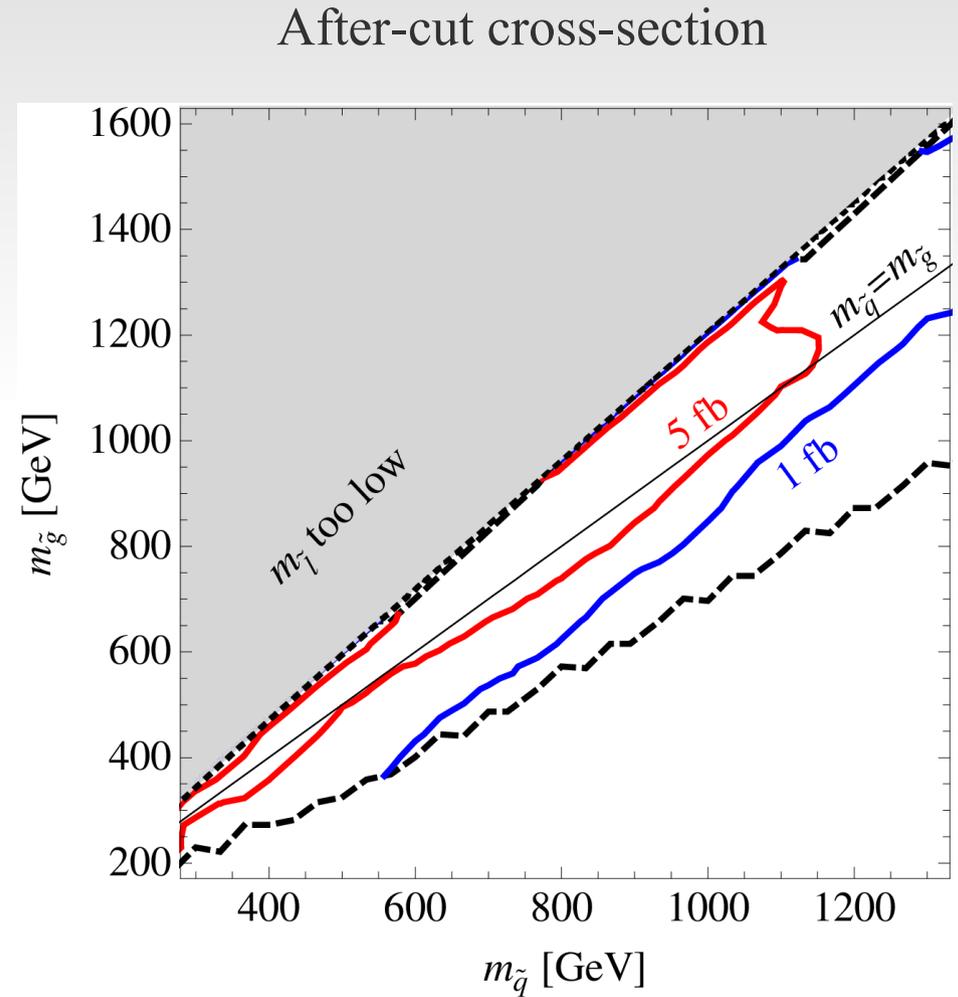


α : complete SM QCD dijet removal
 [$\alpha = E_{T2} / m_{jj}$]

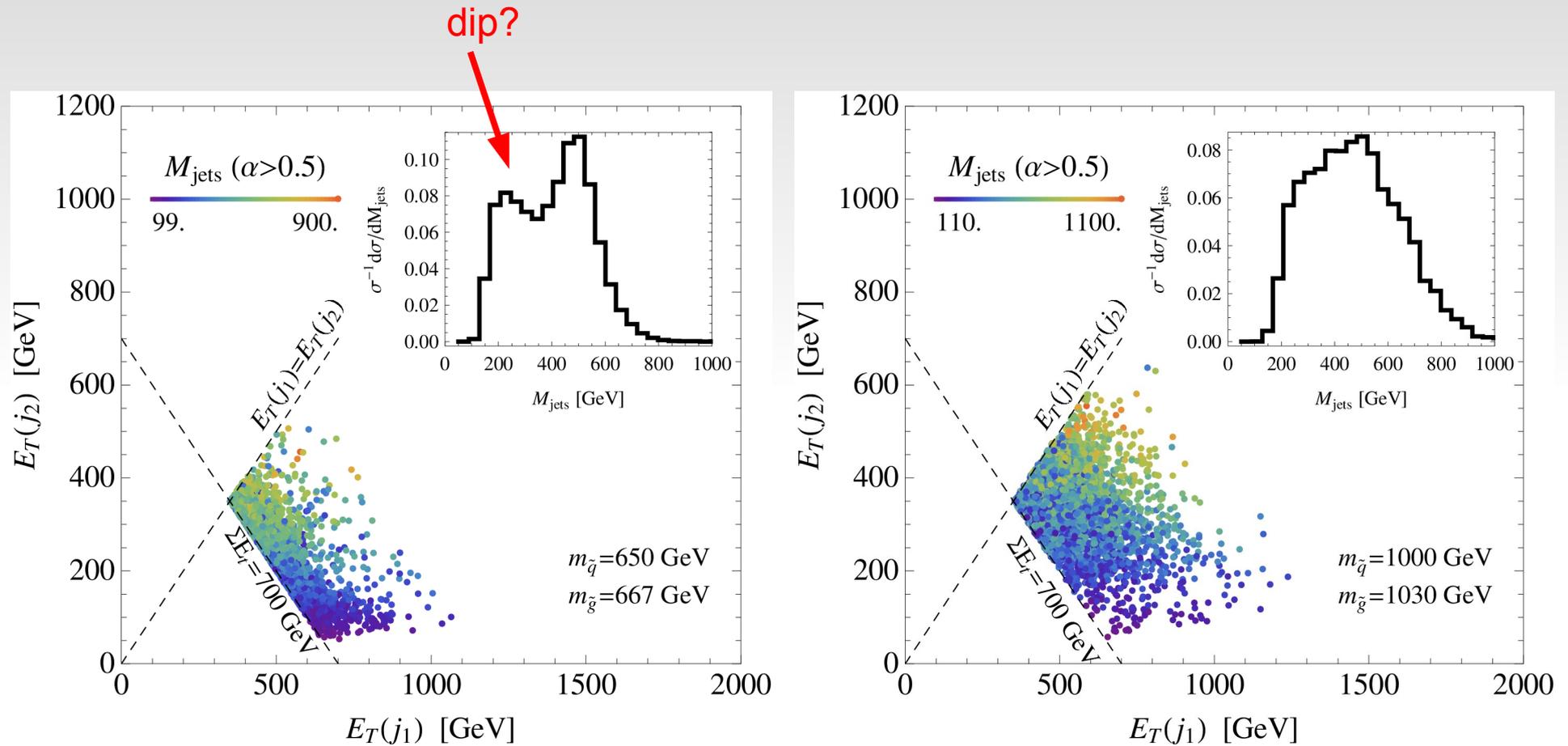
H. Baer, V. Barger, A. Lessa, X. Tata
 JHEP 0909:063,2009.

SUSY scenario

- A bino-like neutralino LSP, leading to a dominant quark-LSP decay mode of the right-handed squarks (our signal)
- Assumes mSUGRA and degenerate squark mass in this analysis
- Signal mostly from gluino/squark production
- Low LSP mass compared to squark/gluino



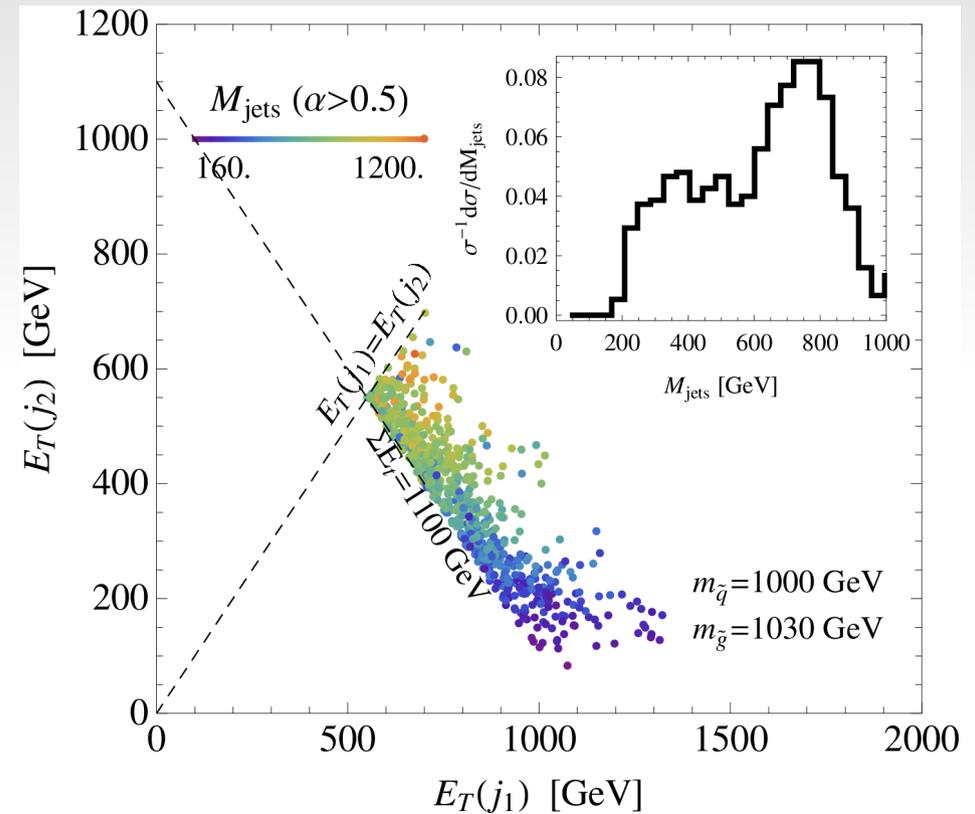
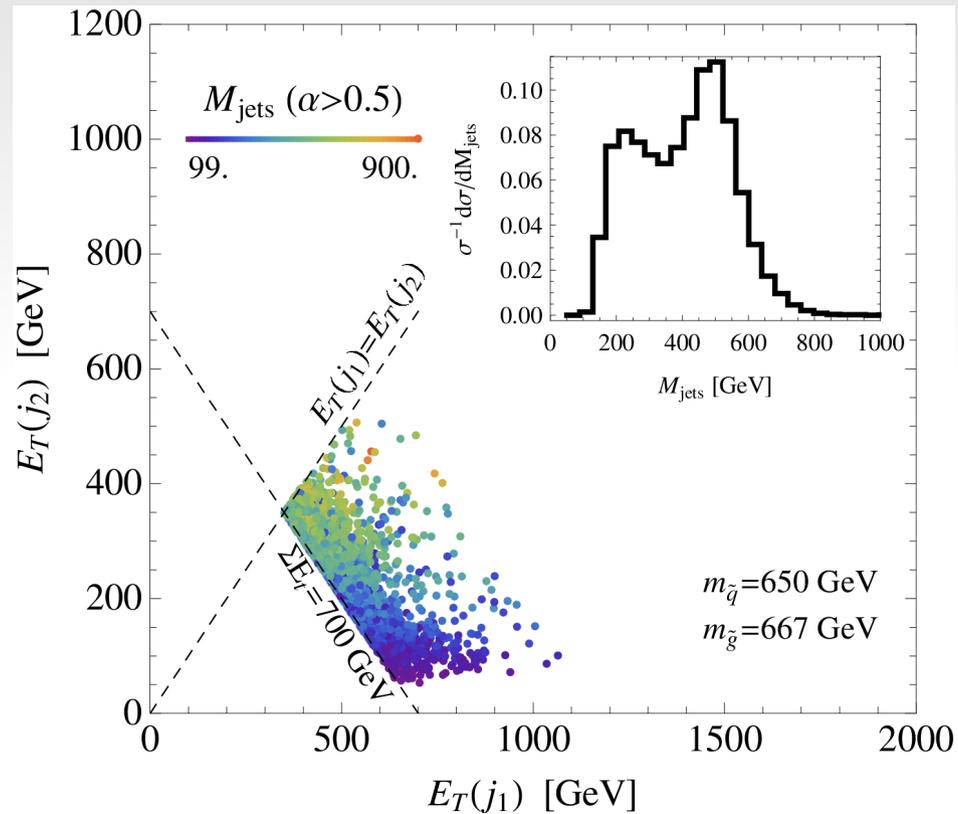
m_{ij} spectrum shape can be sensitive



SUSY signal only

m_{ij} spectrum shape can be sensitive

ΣE_T raised from 700 GeV to 1.1 TeV

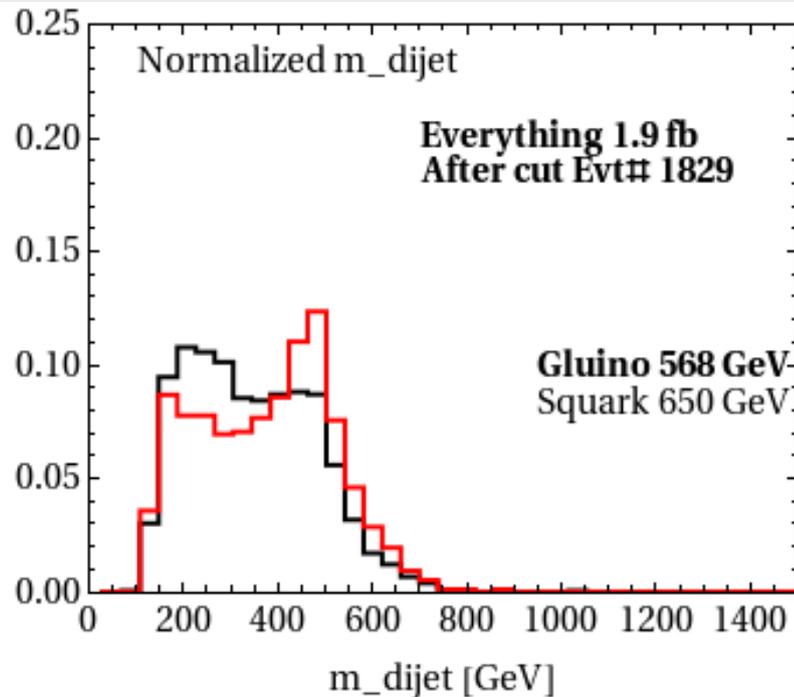


SUSY signal only

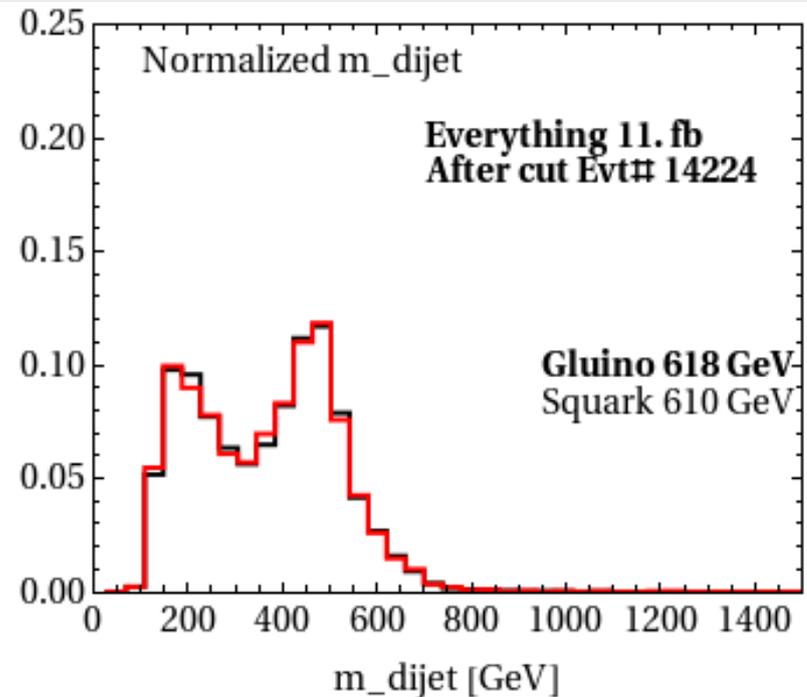
Dependence on squark & gluino mass

Black: Susy inclusive

Red: squark pair production only



m_{squark} fixed at 650 GeV



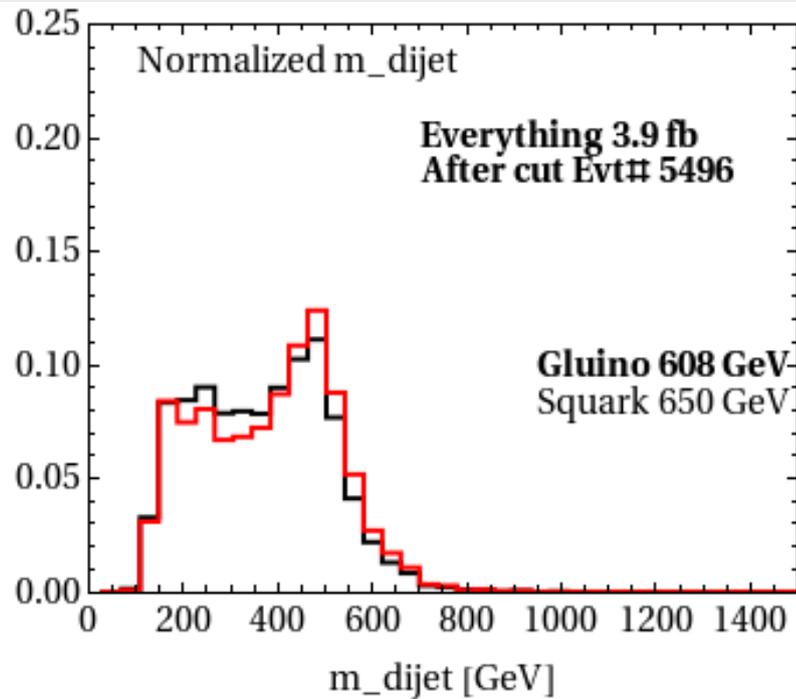
$m_{\text{squark}} \approx m_{\text{gluino}}$

Dijet mass spectrum develops a 'dip' structure under E_T and angular cuts. The shape is sensitive to E_T and squark mass.

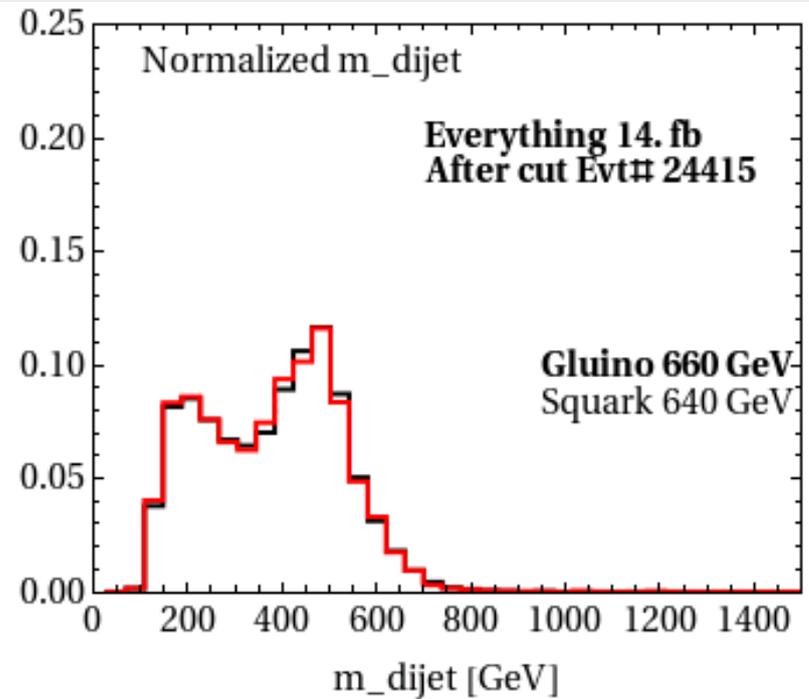
Continued...

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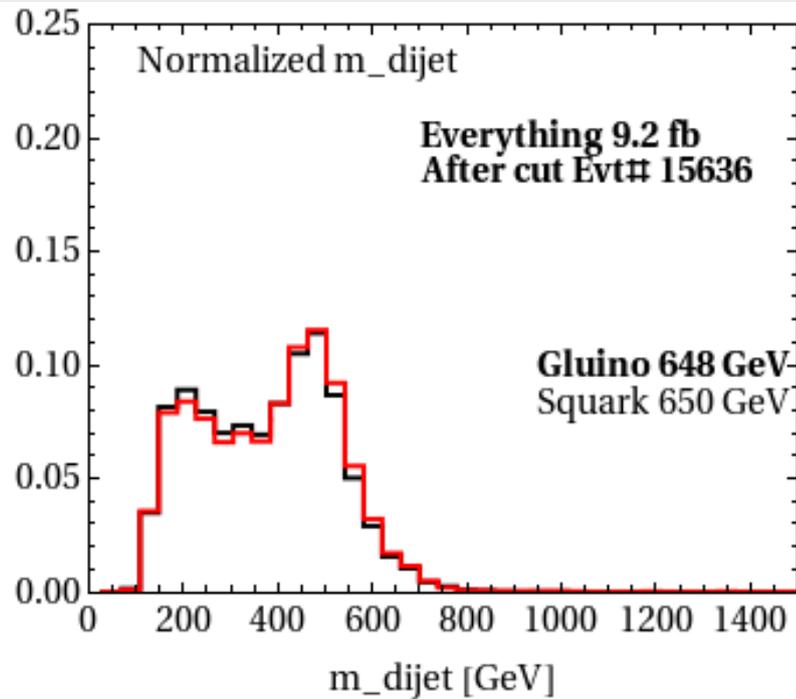


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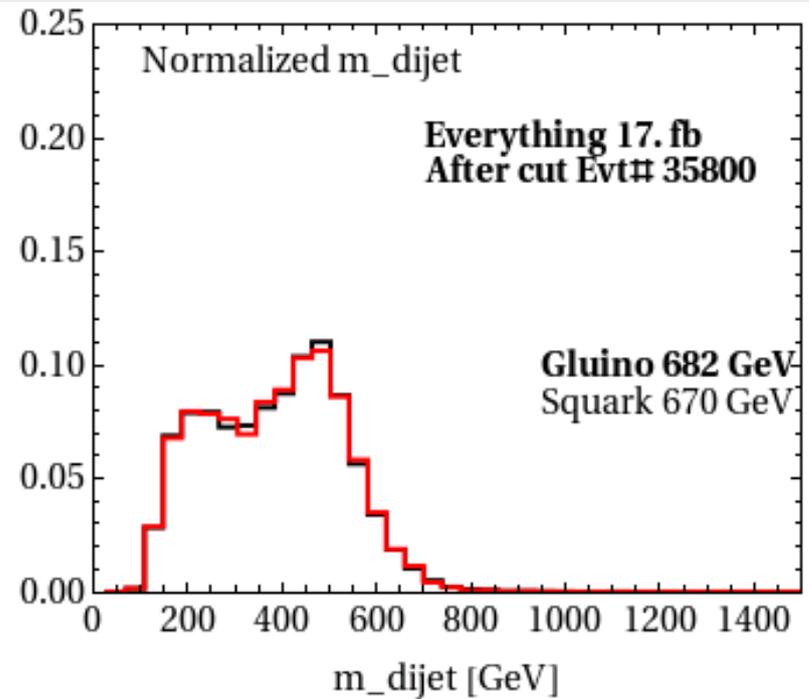
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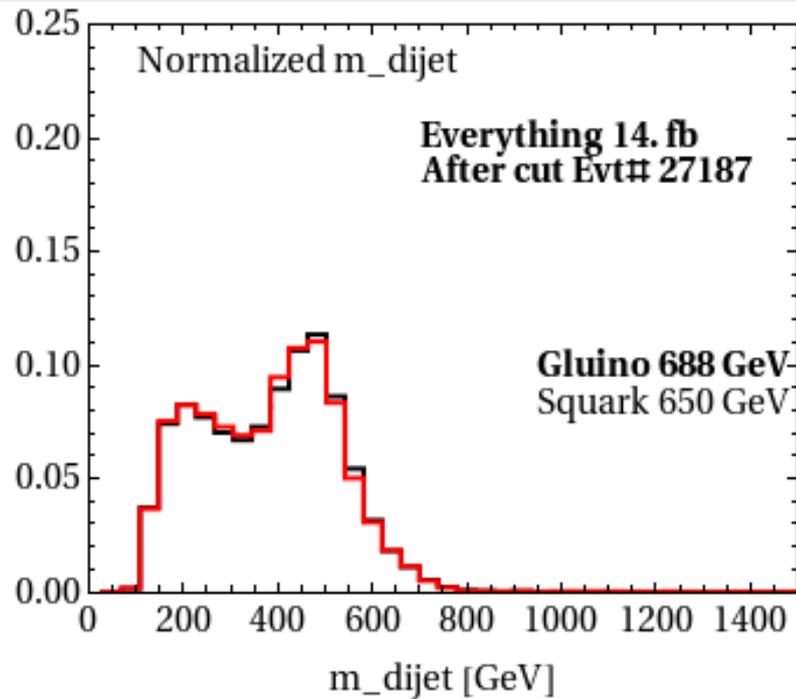


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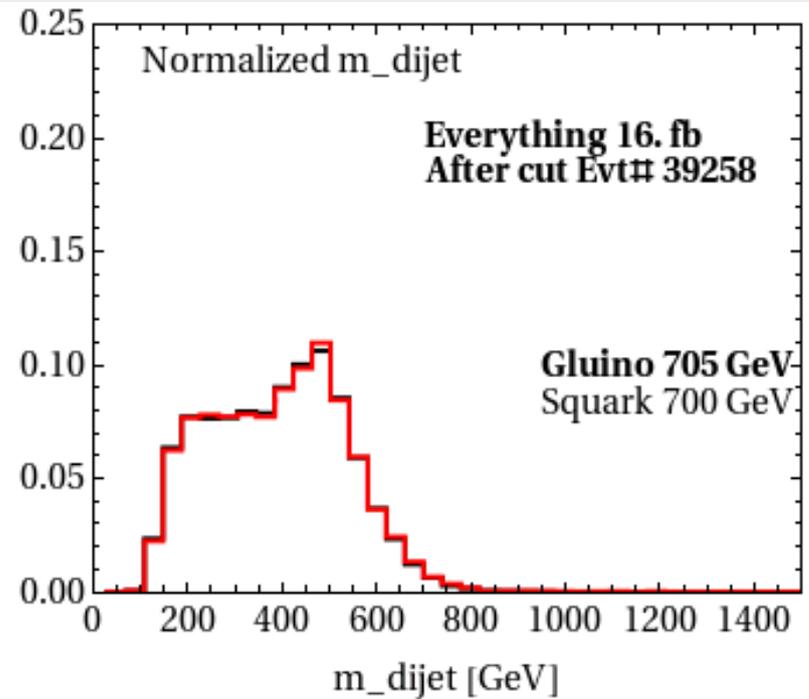
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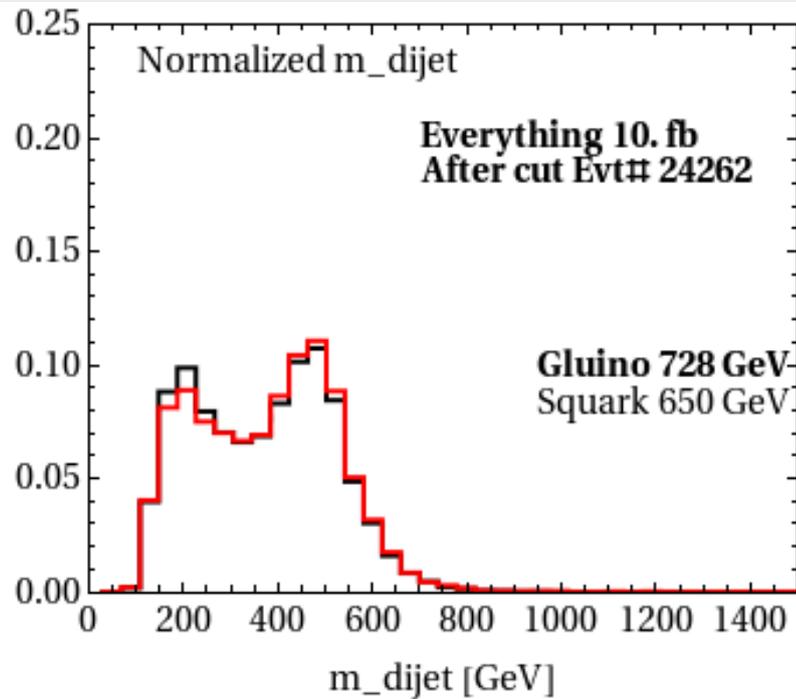


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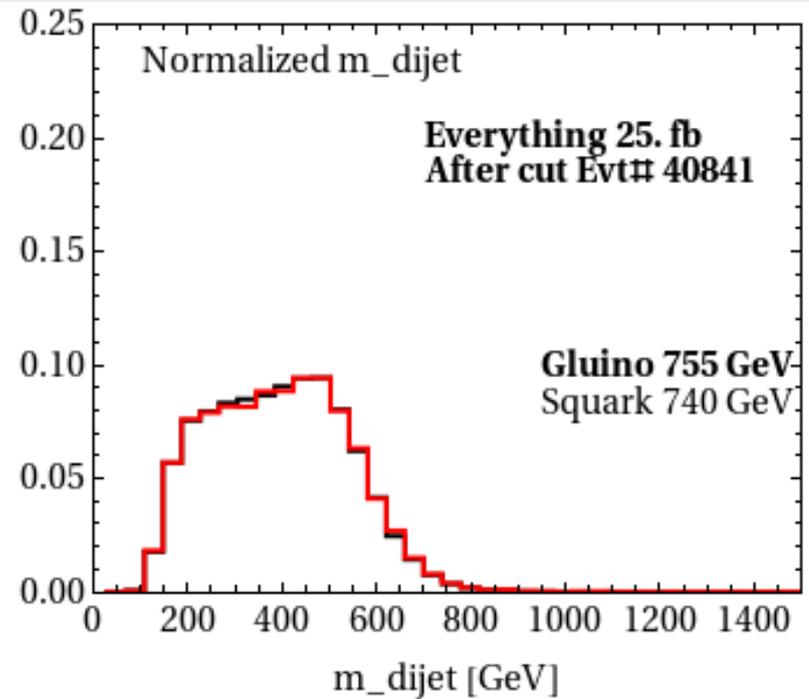
Continued...

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Kinematics on the m_{jj} 'dip'

- m_{jj} and α are correlated

(with collinear approx. between j_1 and sq_1)

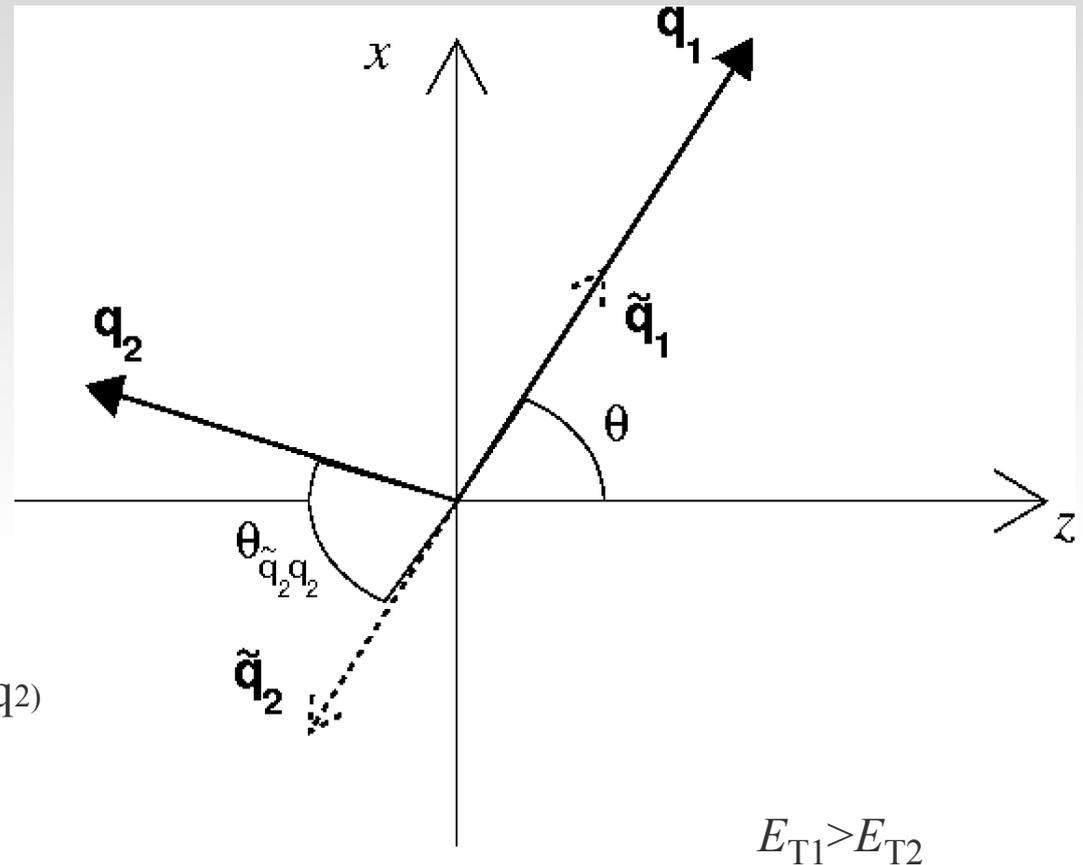
m_{jj} depends on the opening angle between j_2 and sq_2

$$\cos \theta_{\tilde{q}_2 q_2} = \frac{\beta + \cos \theta_0}{1 + \beta \cos \theta_0}$$

(θ_0 is the jet polar angle in the rest frame of sq_2)

$$m_{jj} = \sqrt{2}\gamma E_0(1 + \beta)\sqrt{1 + \cos \theta_0}$$

- A) $\cos \theta_{\tilde{q}_2 q_2} \approx 1 \Leftrightarrow \cos \theta_0 \approx 1$, corresponding to high m_{jj} values,
- B) $\cos \theta_{\tilde{q}_2 q_2} = 0 \Leftrightarrow \cos \theta_0 = -\beta$, corresponding to intermediate m_{jj} values, and
- C) $\cos \theta_{\tilde{q}_2 q_2} \approx -1 \Leftrightarrow \cos \theta_0 \approx -1$, corresponding to low m_{jj} values.



Categories of the (j_2, sq_2) angle

- Case A: j_2 (almost) parallel to sq_2
Large m_{jj} & low α :
(strictly back-to-back events will be removed by cuts)

- Case B: j_2 perpendicular to sq_2

$$E_T^{tot} = \sqrt{\frac{1+\beta}{1-\beta}} E_0 [\sin \theta + (1-\beta)] \leq \sqrt{\frac{27}{4}} E_0 \approx 2.6 E_0$$

Intermediate m_{jj} values, phase space is controlled by total E_T

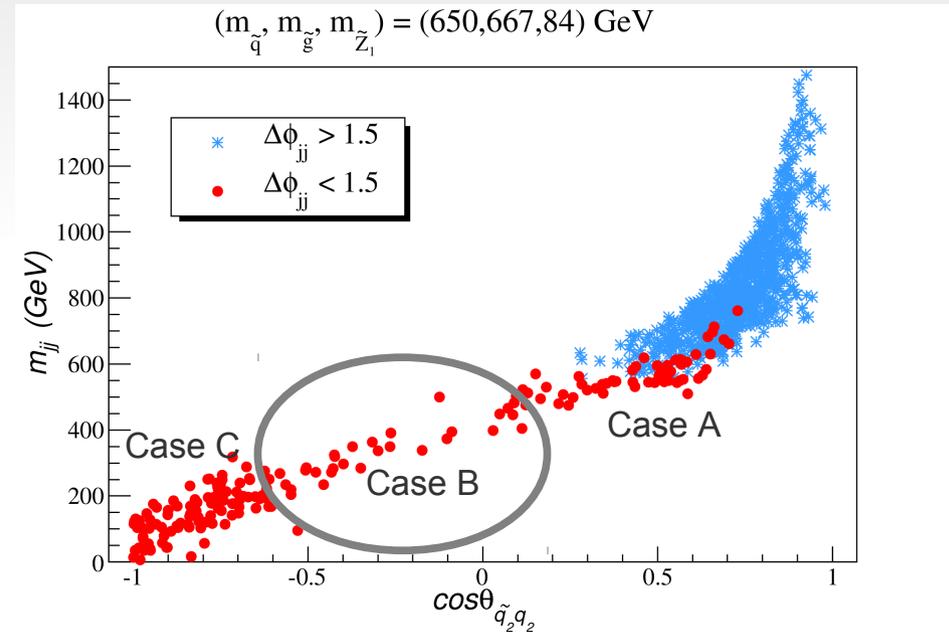
For $m_{sq} = 650$ GeV, max total $E_T = 830$ GeV

- Case C: j_2 antiparallel to sq_2
Low m_{jj} , requires a low boost β on the squark to pass the α cut

$$\alpha \approx \frac{\sin \theta (1-\beta)}{(1+\beta)\epsilon} \quad \text{and} \quad E_T^{tot} \approx 2E_0 \gamma \sin \theta$$

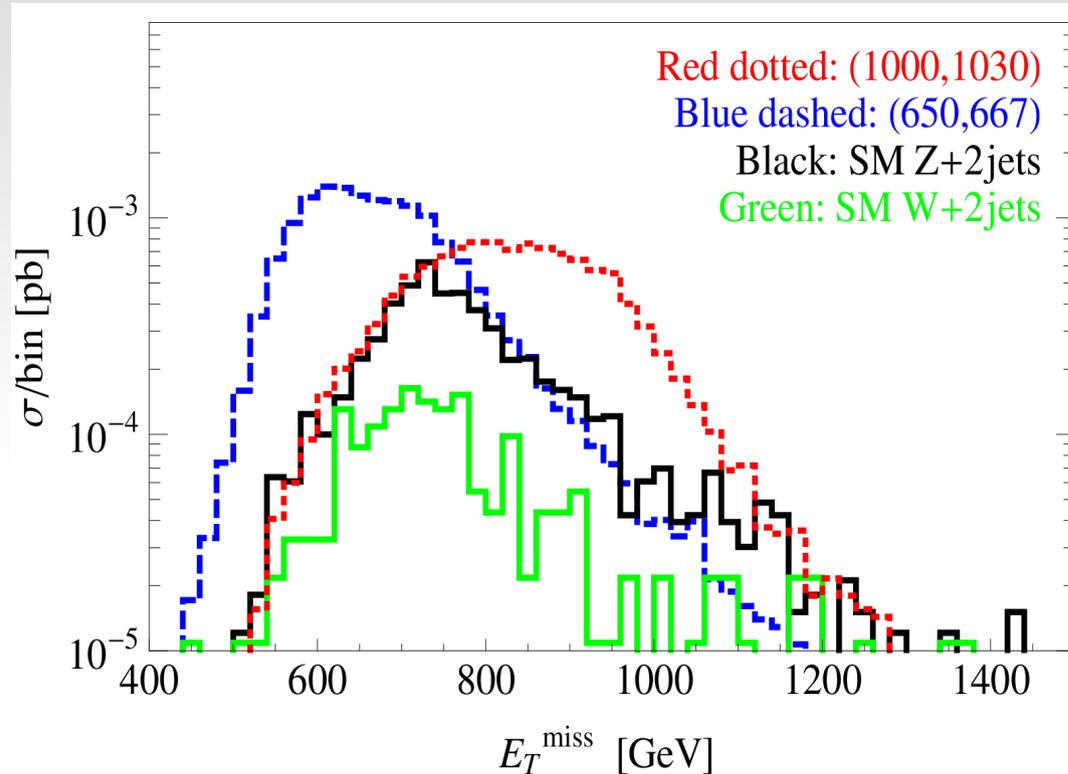
$$\theta_0 = \pi - \epsilon$$

(a very hard E_T cut can also remove Case C, causing the low m_{jj} shoulder to disappear).



Intermediate m_{jj} range is less populated with high ΣE_T cut

SM backgrounds



- DM leads to large missing energy
- Cuts on missing energy increases s/b but lowers statistics
- No significant improvement from missing energy cuts

SM bkg generated by Alpgen & Pythia

After cut: zjj : 6.0 fb (LHC measurable as the $z l^- l^+$ channel)

wjj : 1.5 fb

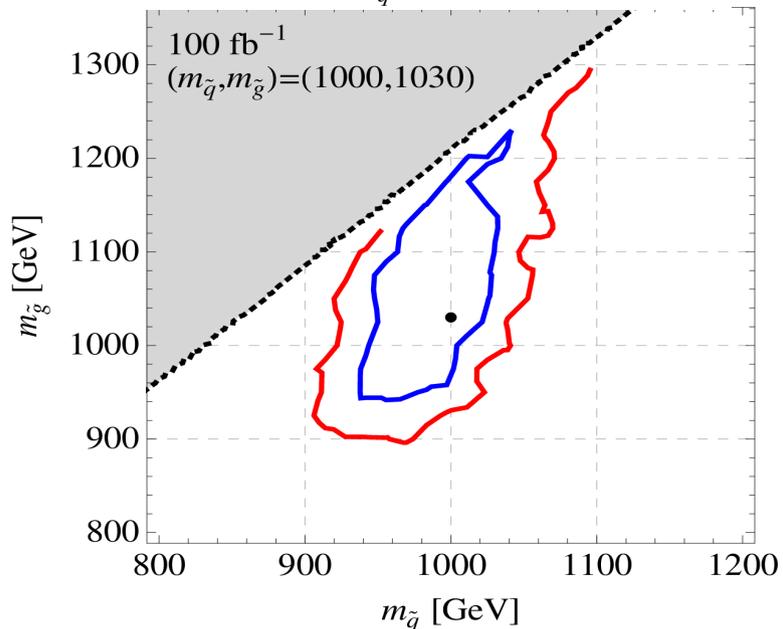
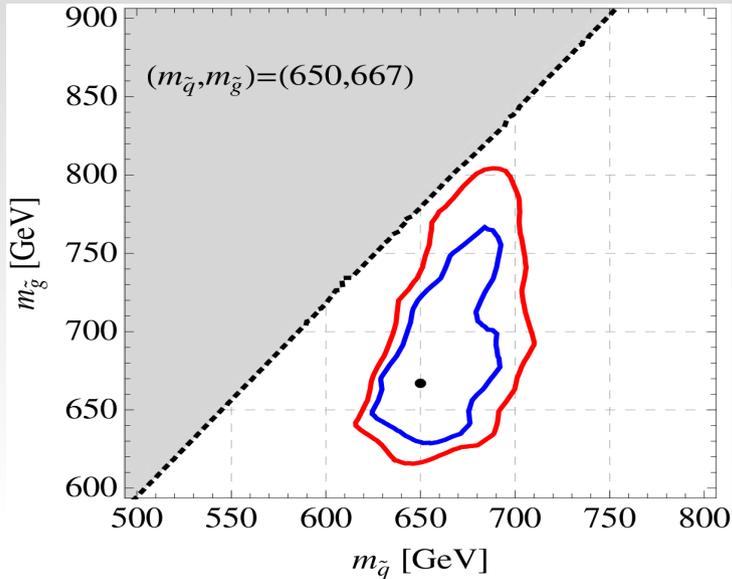
Jet cone size $\Delta R=0.4$, $|\eta|<4$

E_T smearing: HCAL $100\% + \sqrt{E} \cdot 5\%$ ECAL: $5\% + \sqrt{E} \cdot 0.55\%$

Isolated lepton def. : $p_T > 5$ GeV & HCAL < 5 GeV within $\Delta R=0.2$

Good mass measurement for a good theory...

2, 3 σ contours @ LHC 14 TeV, 100 fb⁻¹



2 σ squark mass constraints (95% C.L.)

m_{squark}	m_{gluino}	σ_{signal}	$\Delta m_{\text{sq}} 2\sigma$
650 GeV	667 GeV	16 fb	33 GeV
1 TeV	1.03 TeV	11 fb	53 GeV

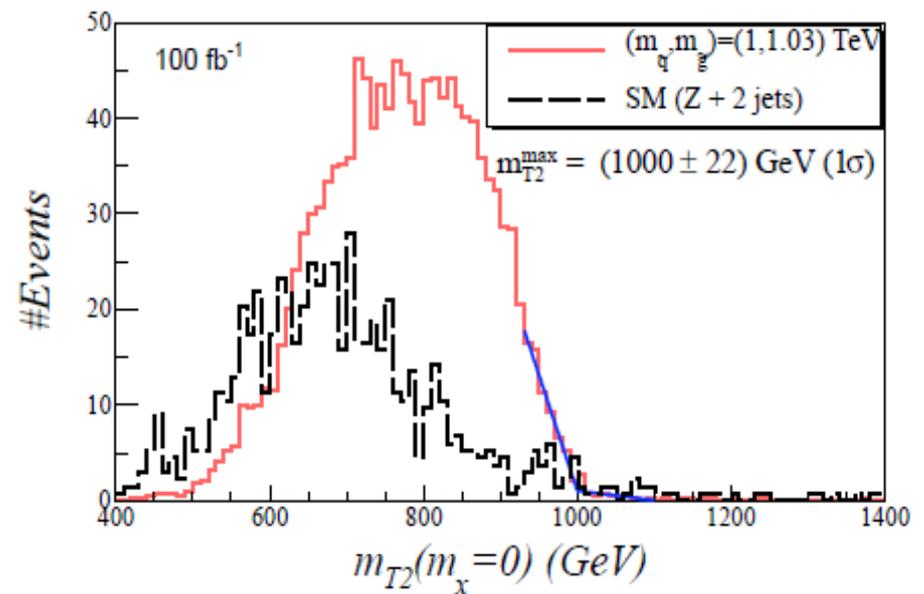
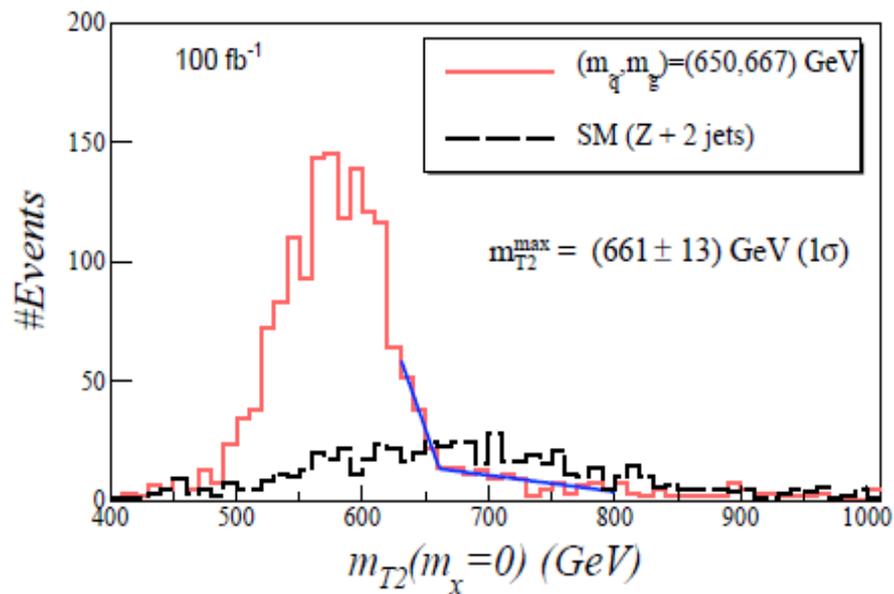
- (Isajet) Monte Carlo for 1000 fb⁻¹ data
- Assume complete bkg subtraction
- Bkg statistical error from zjj assumes SM $zl + l^-$ event rate to mimic a 'realistic' bkg.
- χ^2 fit to the shape of normalized signal dijet mass distribution, with bin size $\Delta m_{jj} = 30$ GeV, excluding bins with less than 5 events

Comparison to m_{T2}

- linear kink fit (straight line)
- Same angular and E_T cuts
- Assume zero LSP mass correction $\sim (m_{\text{LSP}}/m_{\text{sq}})^2$

2σ constraints from m_{T2}

m_{squark}	m_{gluino}	$\Delta m_{\text{sq}} 2\sigma$
650 GeV	667 GeV	21 GeV
1 TeV	1.03 TeV	30 GeV



Glauino contamination tends to increase constructed m_{sq}

Pros & Caveats

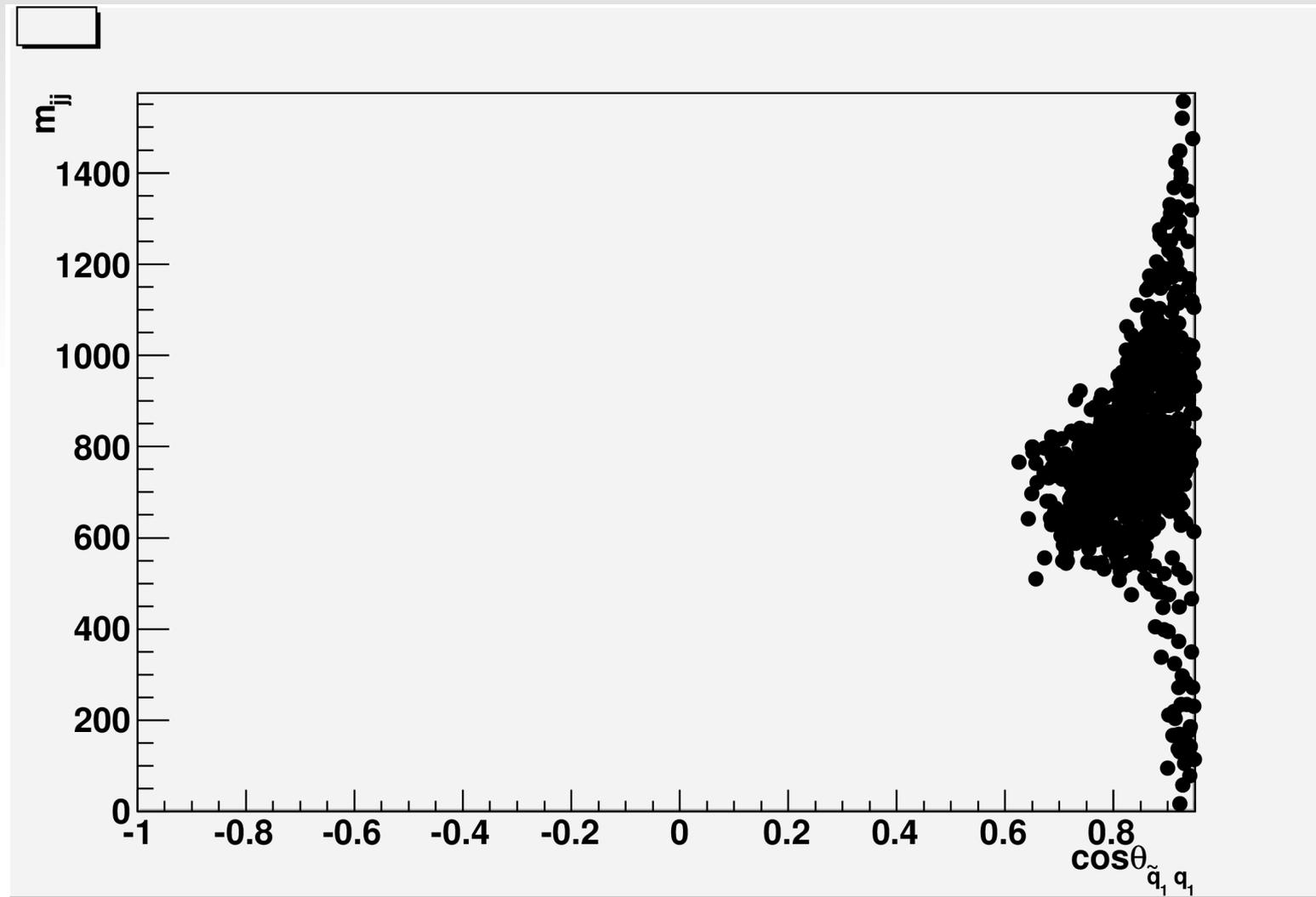
- m_{jj} analysis gives average squark mass if mass splitting exists among squarks; m_{T2} gives the larger of the squark masses.
- m_{sq} constraint is comparable to m_{T2} if the dip in m_{jj} can be used with good event rate
- Possible gluon-partner mass determination to compare with independent (multi-jets, etc) measurements
- Mass constraint is independent of missing E_T (and its uncertainties)
- Inapplicable if the squark is much heavier than the gluino
- Raising E_T cut too high (in order to develop m_{jj} dip for large squark masses) may cause significant loss in statistics

Summary

- Kinematics-only approach (dijet mass + angular cuts)
- Requires low DM mass
- No dependence on missing E_T .
- Experimentally measurable bkg
- Competitive $\sim 6\%$ squark mass constraint (95% C.L. One year LHC running at 14 TeV)

Thanks !

How good is the colinear approximation?



(unavailable as pdf) m_{jj} gif animation

