



Misura di Δm_s , $\Delta \Gamma_s$ e ϕ_s a Tevatron

Simone Pagan Griso
University of Padova

IFAE 2007

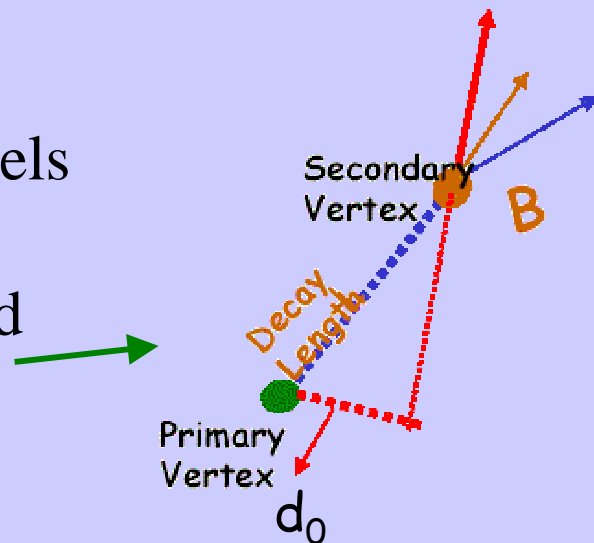
Napoli, 11 Aprile 2007



B-physics @ Tevatron

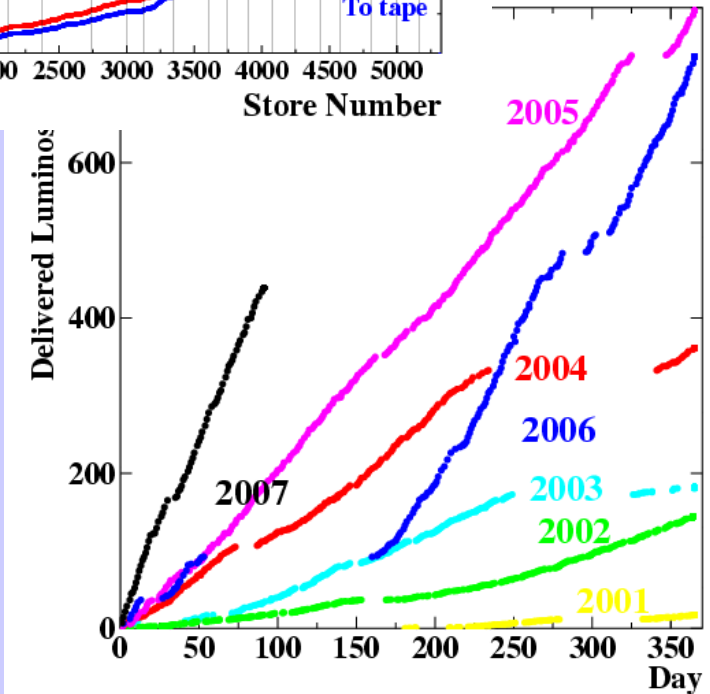
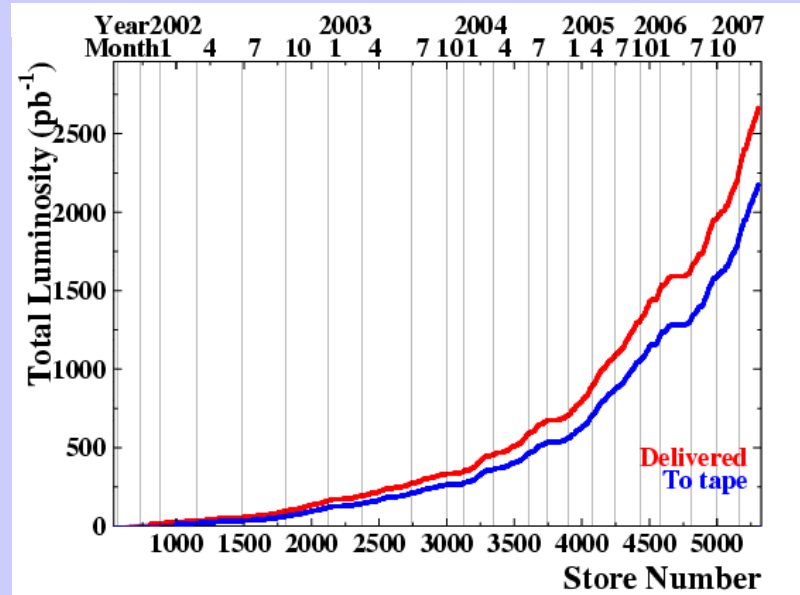
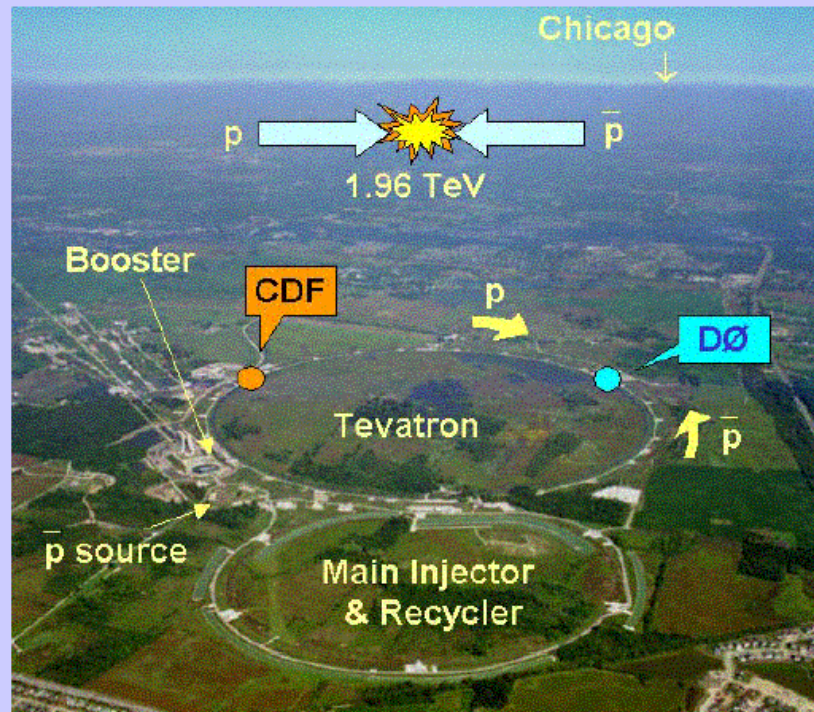


- Hadron colliders are a difficult environment...
 - lots of inelastic background ($S/N \approx 1/1000$)
- ... but have many advantages:
 - large x-section for b production ($\sigma \approx 150 \mu\text{b} @ 2\text{TeV}$)
 - all B hadron species are accessible ($B^{0,+}, B_s, \Lambda_b, \Sigma_b, \dots$)
- Key ingredient: High purity triggers!
 - D0: Trigger on single and di-muon channels (semileptonic B decays + di-lepton final states)
 - CDF: Silicon tracking to trigger displaced vertices ($\sigma_{d_0} \approx 48 \mu\text{m}$) (all hadronic final states)





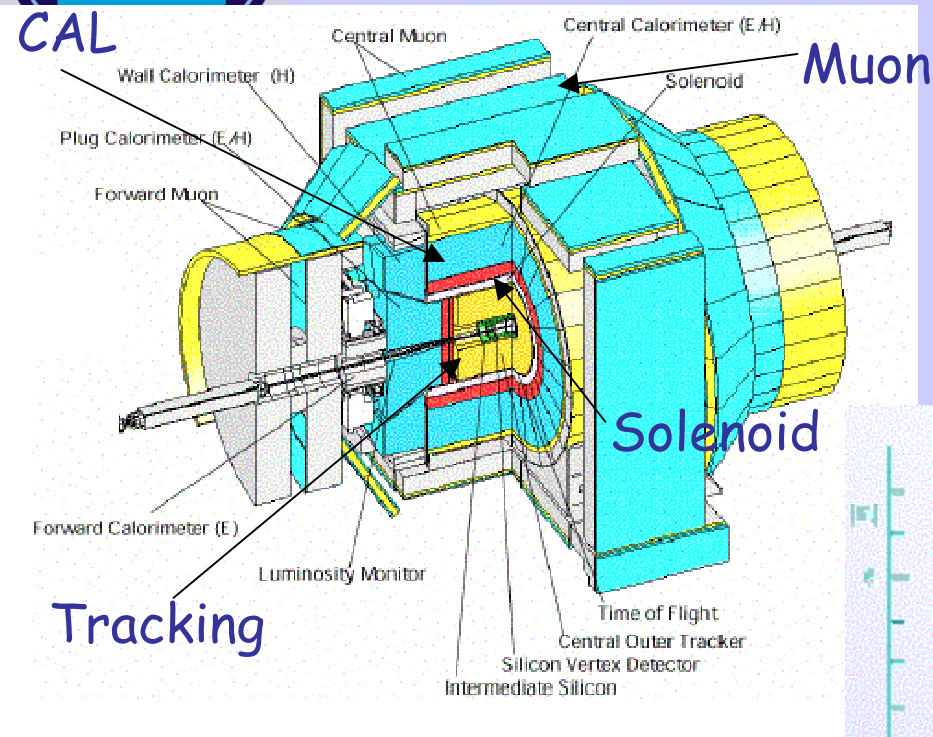
Tevatron @ FNAL



- $> 2 \text{ fb}^{-1}$ to tape! (current analysis $\approx 1 \text{ fb}^{-1}$)
- Luminosity still increasing!
(Record inst. lum. $2.9 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$)



CDFII and D0

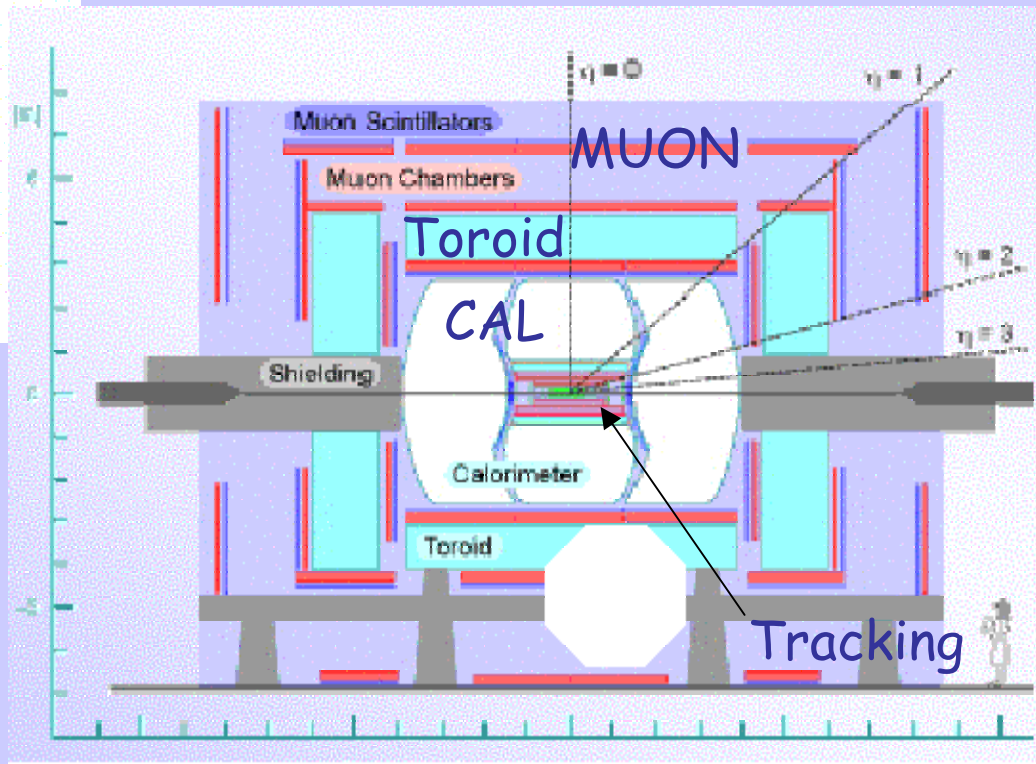


D0

- Muon coverage up to $|\eta| < 2$
- Forward tracking:
 Silicon Microstrip Tracker up to $|\eta| < 3$
 Central Fiber Tracker up to $|\eta| < 2.5$

CDFII

- Proper time resolution: $\sigma_{ct} \approx 26 \mu\text{m}$
 (fully reconstructed B_s decays)
- P_t res. $\sigma_{P_t}/P_t \approx 0.07\% P_t [\text{GeV}/c]^{-1}$
 using Silicon + Drift chamber
 ($\Rightarrow \sigma_{\text{mass}} \approx 15 \text{MeV}$ for $J/\Psi \rightarrow \mu\mu$)





Outline



- Δm_s → oscillation frequency of B_s - \bar{B}_s system
 - CDFII measures dominates
- $\Delta \Gamma_s$ → lifetime difference on B_s - \bar{B}_s mass eigenstates
 - D0: 3 untagged measures approach
- ϕ_s → SM CP violating phase $\equiv \arg\left(\frac{V_{ts}V_{tb}^*}{V_{ts}^*V_{tb}} \frac{V_{cs}^*V_{cb}}{V_{cs}V_{cb}^*}\right)$
 - only D0 measure up to now

⇒ Observables really sensible to New Physics contributions

Δm_s measurement

$B_{s,L}, B_{s,H}$ mass eigenstates of $B_s - \bar{B}_s$ system

$$\Delta m_s = m(B_{s,H}) - m(B_{s,L}) \propto |V_{ts}|^2$$

$$\frac{\Delta m_s}{\Delta m_d} = \frac{m_{Bs}}{m_{Bd}} \frac{|V_{ts}|^2}{|V_{td}|^2} \xi^2$$

From lattice QCD $\rightarrow \approx 4\%$ error on $|V_{ts}|/|V_{td}|$

Strong check for SM, but also for new physics:

New Physics [Lenz, Nierste; hep-ph/0612167]
(model indep.)

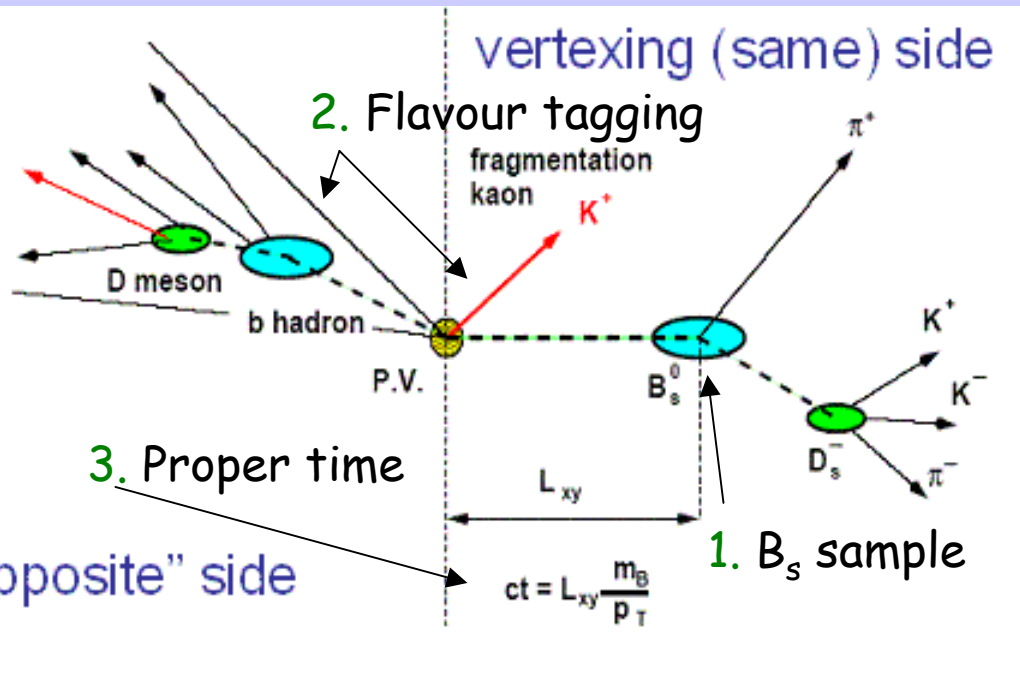
$$M_{12} = M_{12}^{SM} \cdot |\Delta_s| e^{i\phi_s^\Delta}$$

$$M_{12}^{SM} \approx \text{Re} \left(\begin{array}{c} q \leftarrow \xrightarrow{u, c, t} b \\ \leftarrow \quad \rightarrow \\ W \quad \quad W \\ \rightarrow \quad \leftarrow \\ b \rightarrow \xrightarrow{u, c, t} q \end{array} \right)$$

$$\Delta m_s = m_H - m_L = \Delta m_s^{SM} \cdot |\Delta_s|$$



Δm_s measurement



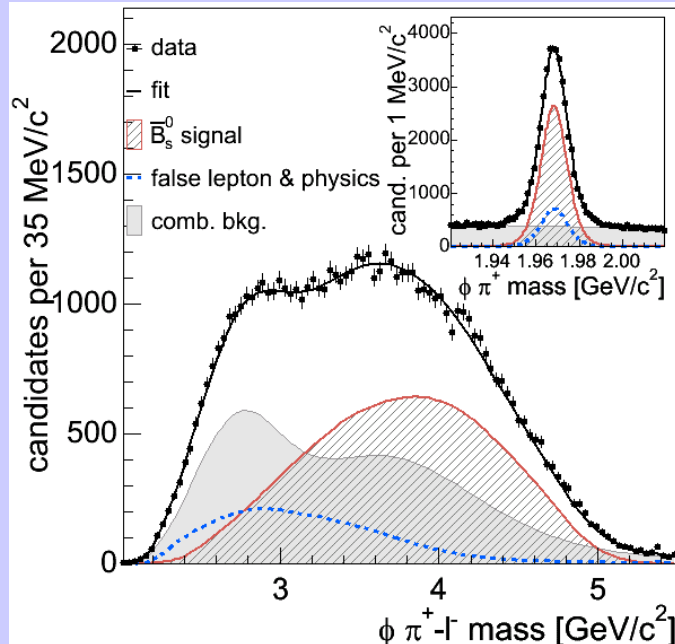
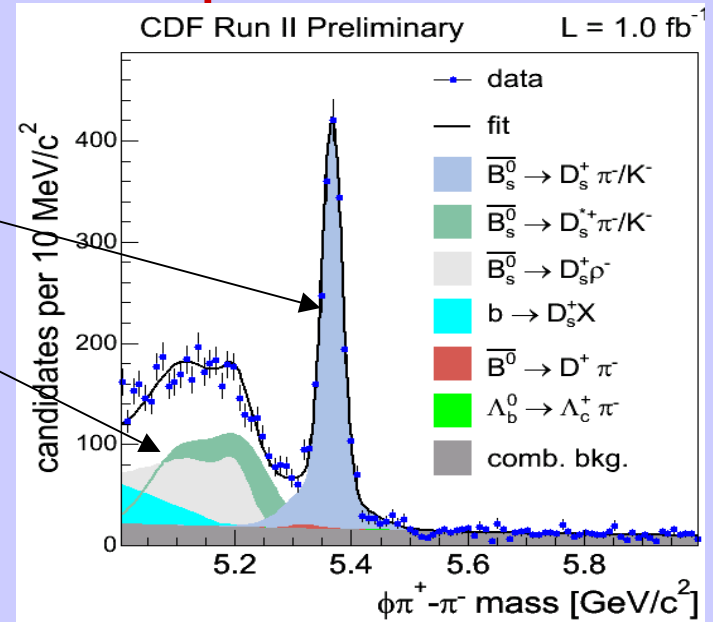
$$A(t) = \frac{P^{nomix} - P^{mix}}{P^{nomix} + P^{mix}} = D \cos(\Delta m_s t)$$

$$\frac{1}{\sigma_A} = \sqrt{\frac{\epsilon D^2 S}{2}} e^{-\frac{(\Delta m_s \sigma_t)^2}{2}} \sqrt{\frac{S}{S+B}}$$

1. B_s signal (gives flavour at decay)
2. Flavour at production
3. Proper time
4. Fit for mixed and unmixed distribution

Δm_s @ CDFII - Samples

Sample ($L \approx 1\text{fb}^{-1}$)	Yield
Fully reconstructed ($B_s \rightarrow D_s (3)\pi, D_s \rightarrow \phi\pi, K^*K, 3\pi$)	5600
Partially reconstructed ($B_s \rightarrow D_s^* \pi, B_s \rightarrow D_s \rho$ missing π^0, γ)	3100
Semileptonic ($B_s \rightarrow D_s^{(*)} l \nu_l, l=e,\mu$)	61500



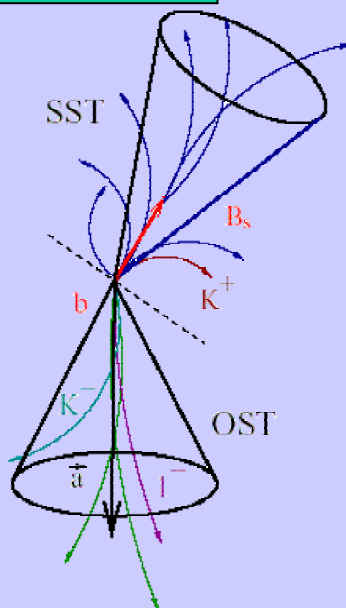
Some highlights:

- NN kinematical selections
- PID ($dE/dx + \text{TOF}$) for K/π separation (reject bg)

Δm_s @ CDFII - Flavour Tagging

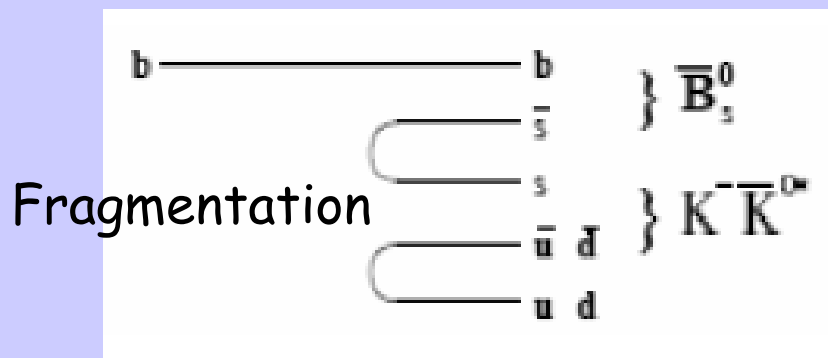
Opposite Side Tagger

- e, μ charge → NN
- Jet charge → NN
- K charge → NN



Same Side Tagger

- B_s will often be produced with a K



- Combine PID & kinematics

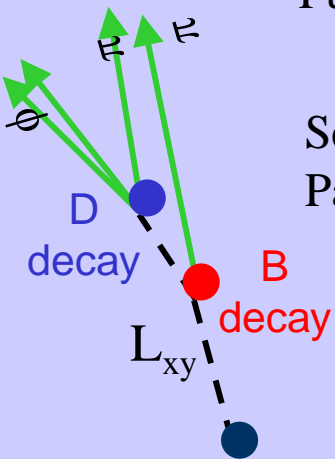
Tagger	ϵD^2 (%)
OST NN	1.8 ± 0.1
SST	
hadronic	3.7 ± 0.9
semileptonic	4.8 ± 1.2

ϵ = tagging efficiency

$$D = \frac{N^{right} - N^{wrong}}{N^{right} + N^{wrong}}$$

Combined in the final likelihood

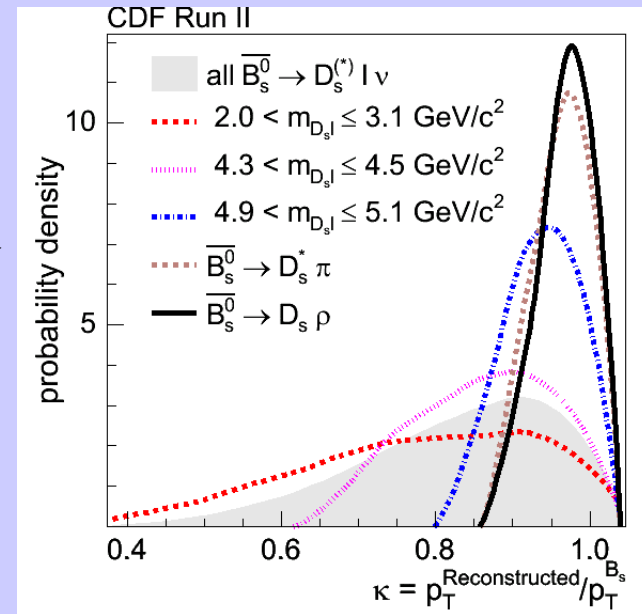
Δm_s @ CDF II - Proper time



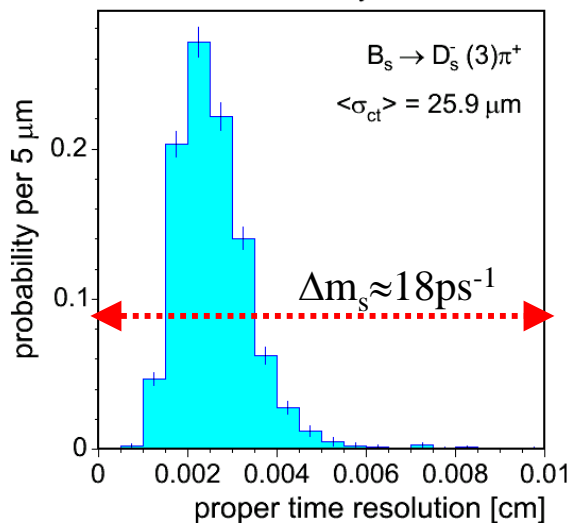
Fully reconstructed $c\tau = m(B_s) \frac{L_{xy}(B_s)}{p_T(B_s)}$

Semileptonic
Part. reco'ed $c\tau = m(B_s) \frac{L_{xy}(B_s / D_s l)}{p_T(B_s / D_s l)} \boxed{K}$

$$\frac{\sigma(c\tau)}{c\tau} = \frac{\sigma_{p_T}}{p_T} \oplus \left(\frac{\sigma_{L_{xy}}}{L_{xy}} \right) \left[\oplus \frac{\sigma_K}{K} \right]$$



CDF Run II Preliminary L = 1.0 fb⁻¹

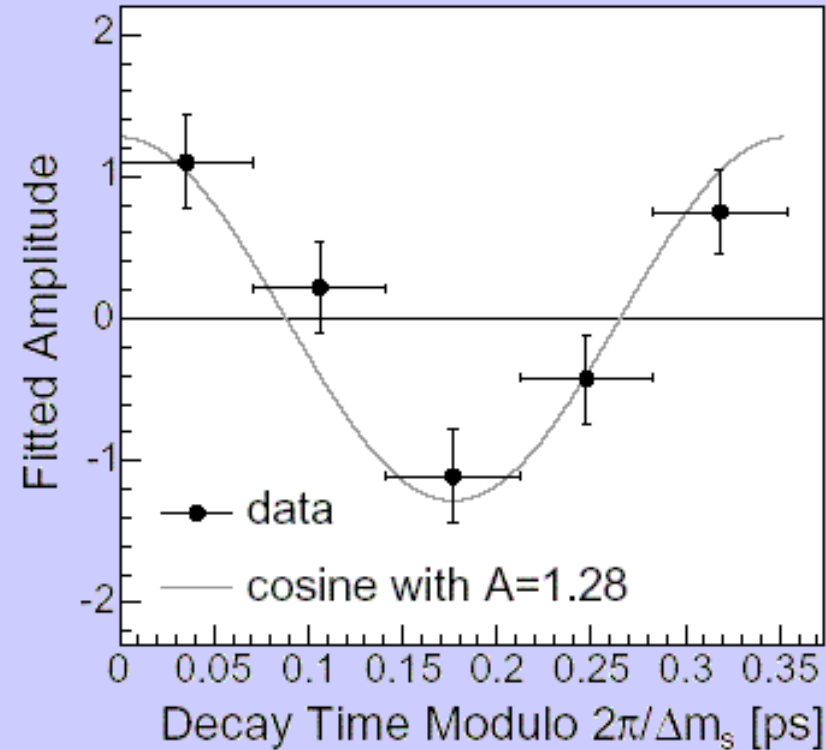
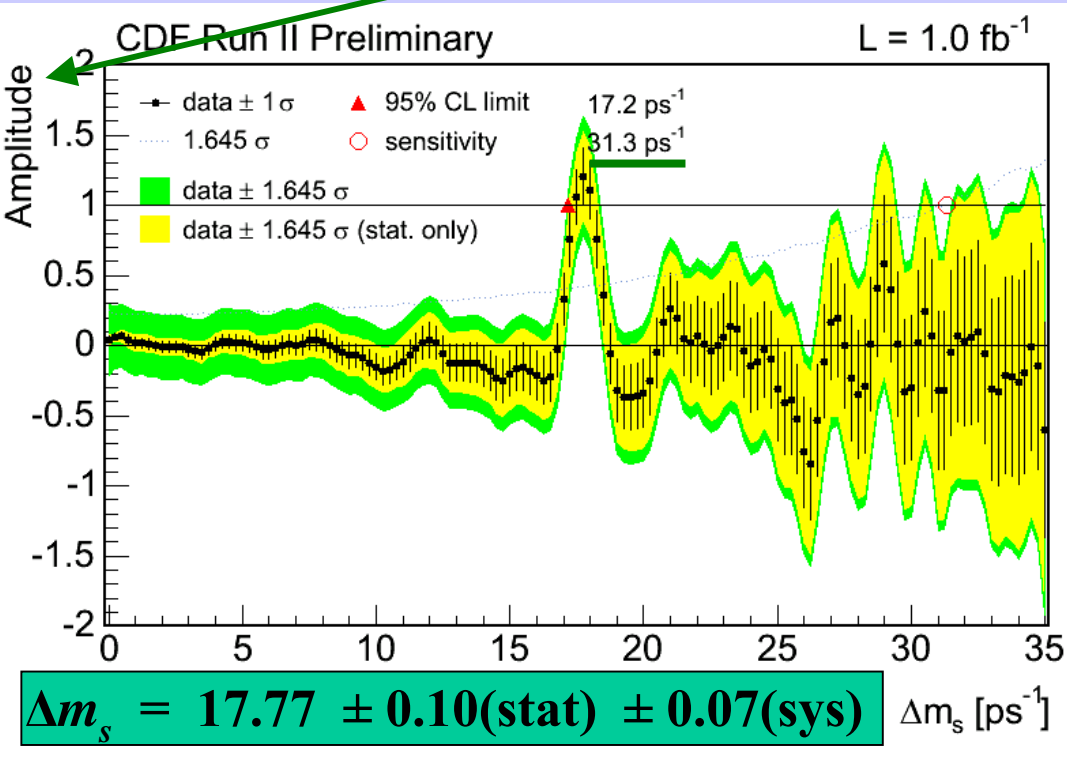


Sample	$\langle \sigma(c\tau) \rangle$
Fully reconstructed	26 μm
Partially reconstructed	29 μm
Semileptonic	45 μm

Δm_s @ CDFII - Result

[CDF Collaboration; PRL 97, 242003 2006]

$$P(t; A)_{B_s \rightarrow \bar{B}_s} = \frac{1}{2\tau} e^{-\frac{t}{\tau}} (1 \pm A \cos(\Delta m_s t))$$



Compatible with SM prediction:

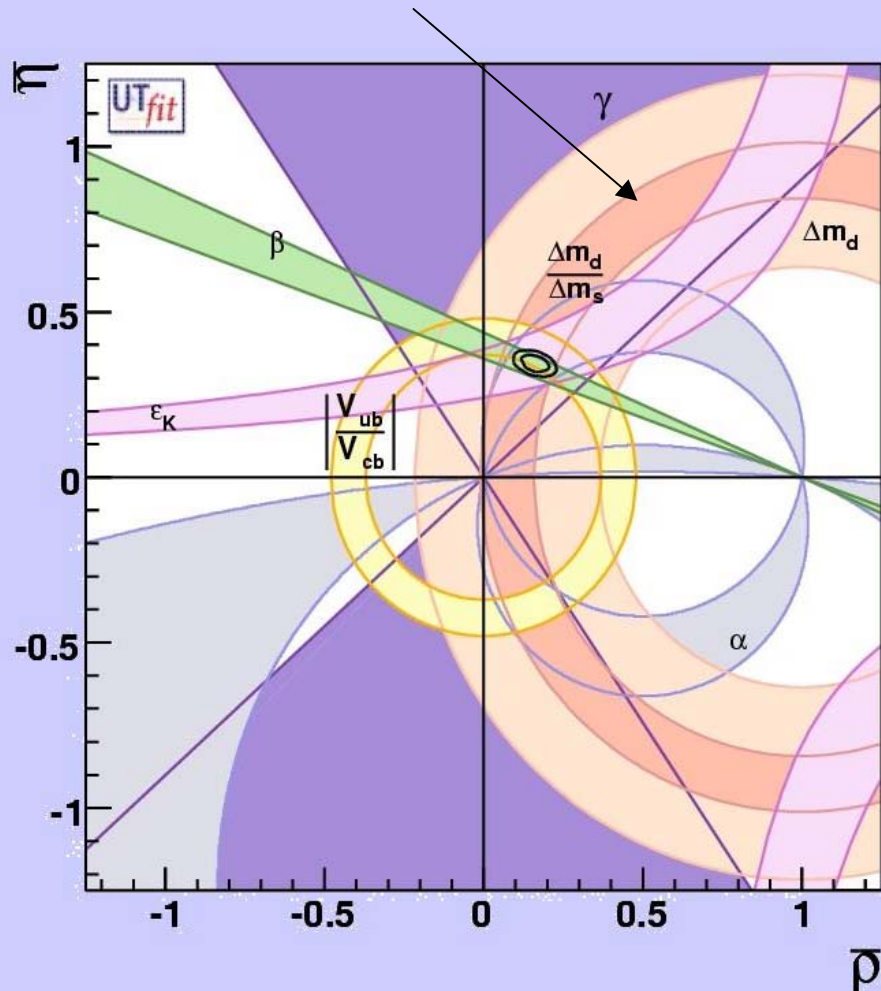
$$\Delta m_s^{\text{SM}} = 19.30 \pm 6.68 \text{ ps}^{-1}$$

[Lenz, Nierste; hep-ph/0612167]

p-value = $8 \cdot 10^{-8} > 5 \sigma$

Δm_s @ CDFII - Unitarity triangle

$$\frac{|V_{td}|}{|V_{ts}|} = 0.2060 \pm 0.0007(\text{exp}) \begin{matrix} +0.0081 \\ -0.0060 \end{matrix} (\text{theor})$$



→ UTFit

[<http://utfit.roma1.infn.it/ckm-results/ckm-results.html>]

CKMFitter has similar results

[<http://www.slac.stanford.edu/xorg/ckmfitter/>]

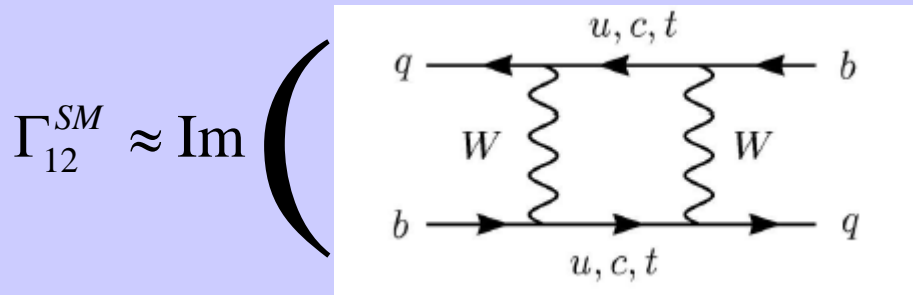
- Most precise measure of $|V_{td}|/|V_{ts}|$
- Bigger uncertainty is theoretical
- SM still compatible with exp.

Angular analysis of $B_s \rightarrow J/\psi \phi$

[D0 Collaboration, hep-ex/0701012]



- $B_{s,L/H}$ have different lifetimes: $\Delta\Gamma_s = \Gamma_L - \Gamma_H = 2|\Gamma_{12}^s| \cdot \cos(\phi_s + \phi_s^\Delta)$

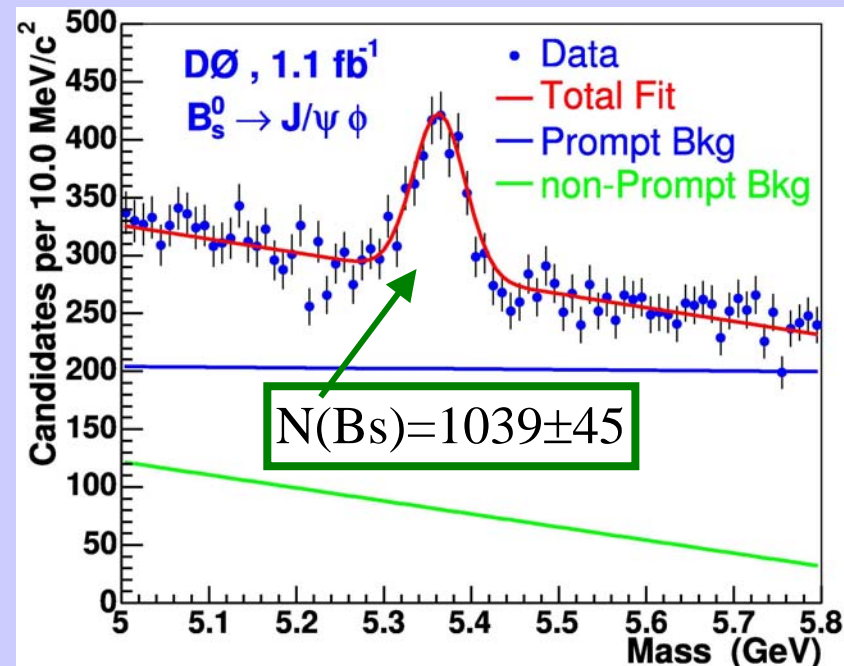


SM CPV phase

NP CPV phase

- Pseudo-Scalar \rightarrow Vector-Vector decay:

- \triangleright CP-even and CP-odd final states
- \triangleright Angular distribution of $B_{s,L/H}$ decay products can disentangle them
- \triangleright $J/\psi \rightarrow \mu\mu$, $\phi \rightarrow KK$
- \triangleright CP even/odd interference term $\propto \sin \phi_s$

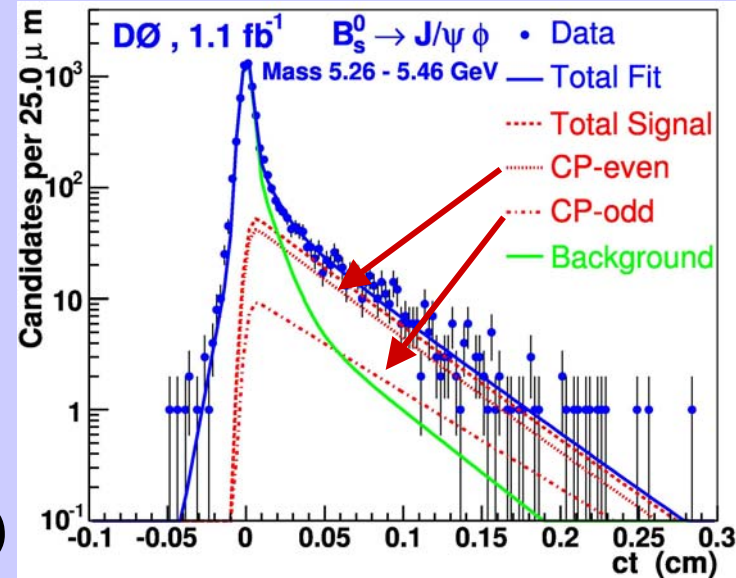


$B_s \rightarrow J/\psi \Phi$ – Results

Simultaneous fit to mass, decay length and 3 angles with an unbinned maximum likelihood fit

Assuming no CPV in B_s mixing

Allowing for CP violation (ϕ_s free)



	$\Delta\Gamma_s$ [ps^{-1}]	ϕ_s [rad]	$\langle\tau\rangle$ [ps]
CDF (260pb^{-1})	$0.47^{+0.19}_{-0.24} \pm 0.01$	---	$1.40^{+0.15}_{-0.13} \pm 0.02$
D0 (CP)	$0.12^{+0.08}_{-0.10} \pm 0.02$	---	$1.52 \pm 0.08^{+0.01}_{-0.04}$
D0 (CPV)	$0.17 \pm 0.08 \pm 0.02$	$-0.79 \pm 0.56^{+0.01}_{-0.14}$	$1.49 \pm 0.08^{+0.01}_{-0.04}$

SM predictions:

[Lenz, Nierste; hep-ph/0612167]

$$\Delta\Gamma_s^{SM} = 0.096 \pm 0.039 \text{ ps}^{-1}$$

$$\phi_s^{SM} = (4.2 \pm 1.4) \cdot 10^{-3}$$

Flavour charge asymmetries

[Phys. Rev. D 74, 092001 (2006)] [hep-ex/0701007 (2007)]



$$A_{SL}^{s,SM} = \frac{\Delta\Gamma_s}{\Delta m_s} \tan \phi_s = (2.06 \pm 0.57) \cdot 10^{-5} \quad \text{Very sensible to CVP from new physics}$$

[Lenz, Nierste; hep-ph/0612167]

Two D0 measures on untagged B_s samples

D0: $B_s \rightarrow D_s \mu^\pm X$ ($\mathcal{L} \approx 1.3 \text{fb}^{-1}$)

$$A_{SL}^{s,unt} = \frac{N(D_s^- \mu^+) - N(D_s^+ \mu^-)}{N(D_s^- \mu^+) + N(D_s^+ \mu^-)}$$

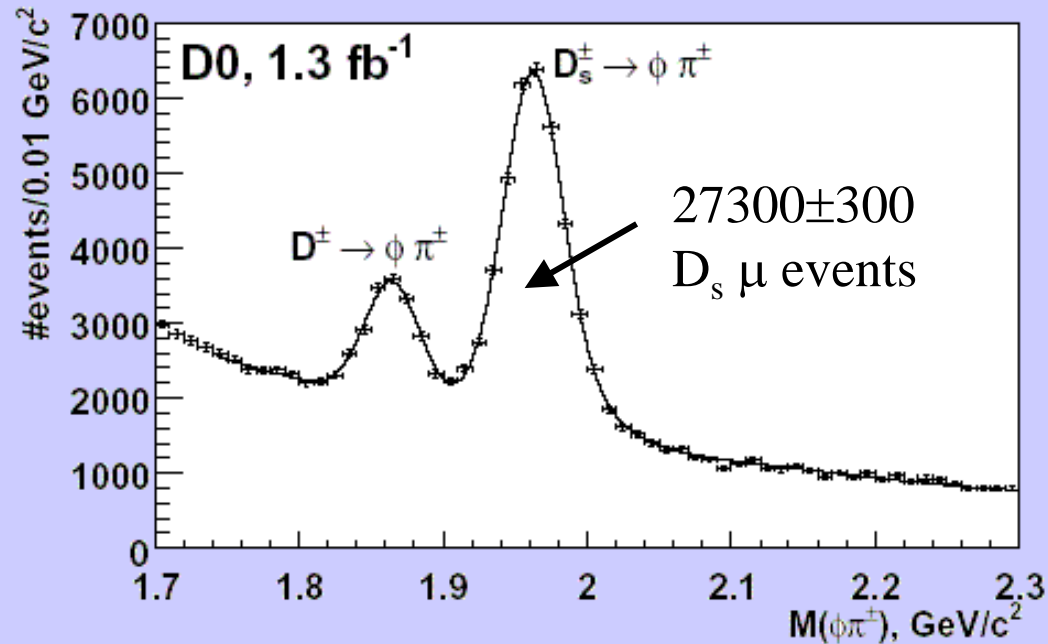
$$A_{SL}^s = 0.0245 \pm 0.0193 \pm 0.0035$$

D0: $p\bar{p} \rightarrow b\bar{b} \rightarrow \mu^\pm \mu^\pm$ ($\mathcal{L} \approx 1.0 \text{fb}^{-1}$)

$$A_{SL}^{\mu\mu} = \frac{N(b\bar{b} \rightarrow \mu^+ \mu^+ X) - N(b\bar{b} \rightarrow \mu^- \mu^- X)}{N(b\bar{b} \rightarrow \mu^+ \mu^+ X) + N(b\bar{b} \rightarrow \mu^- \mu^- X)}$$

About 580K di-muon events

$$A_{SL}^s = -0.0064 \pm 0.0101$$



- Both detector and physics contribute to charge asymmetry
- Flip B-field @ 0.1% regularly reduce detector systematics

$\Delta\Gamma_s$, ϕ_s and the SM



Redo $B_s \rightarrow J/\Psi\phi$ fit with the constraint

$$\Delta\Gamma_s \cdot \tan\phi_s = A_{SL}^s \cdot \Delta m_s$$

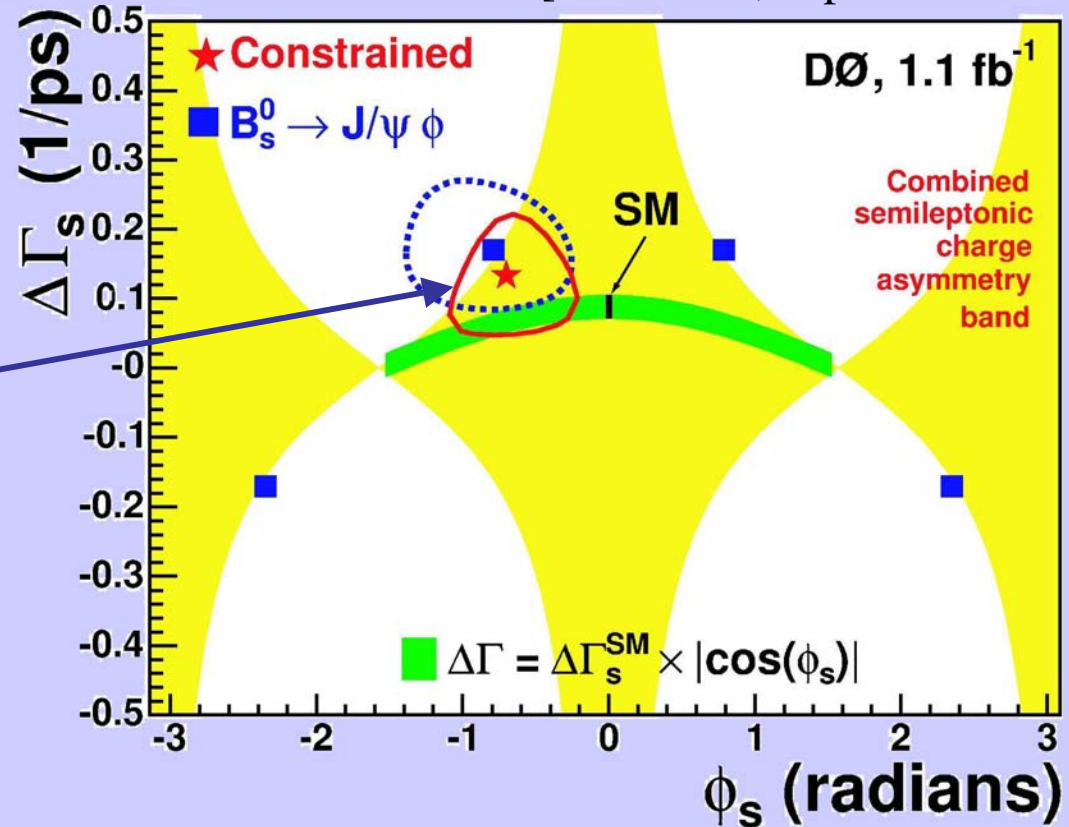
$$A_{SL}^{s,combined} = 0.0001 \pm 0.0090$$

[DØ Collab, hep-ex/0702030]

Fit results:

$$\Delta\Gamma_s = 0.13 \pm 0.09 \text{ ps}^{-1}$$

$$\phi_s = -0.70^{+0.47}_{-0.39}$$



SM still compatible, but room for new physics!

Conclusions

- Described more significant measures for Δm_s , $\Delta \Gamma_s$ and ϕ_s at Tevatron
- SM still compatible with experimental results but...
 - Upcoming new CDF results (1fb^{-1})
 - Both CDF and D0 already have 2fb^{-1} to analyze, more to come
 - Preparing for tagged $B_s \rightarrow J/\Psi \Phi$ analysis
(both CDF and D0, roughly ≈ 0.3 sensitivity on ϕ_s)
 - Future LHCb measures
(sensitivity of 0.02 on ϕ_s with 2fb^{-1})

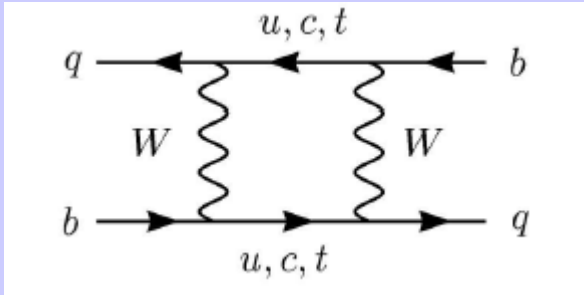
[Peter Vankov, Lake Louise Winter Institute 2007]

will be able to further check the SM prediction.

STAY TUNED!

BACKUP

The B_s - \bar{B}_s system



Assuming CPT invariance

$$-i \frac{d}{dt} \begin{pmatrix} |B_s\rangle \\ |\bar{B}_s\rangle \end{pmatrix} = \left[\begin{pmatrix} M_{11} & M_{12} \\ M_{12}^* & M_{22} \end{pmatrix} - \frac{i}{2} \begin{pmatrix} \Gamma_{11} & \Gamma_{12} \\ \Gamma_{12}^* & \Gamma_{22} \end{pmatrix} \right] \begin{pmatrix} |B_s\rangle \\ |\bar{B}_s\rangle \end{pmatrix}$$

Mass eigenstates:

$$B_{S,L} = p |B_s\rangle \pm q |\bar{B}_s\rangle$$

Also CP eigenstates if $|p| / |q| = 1$

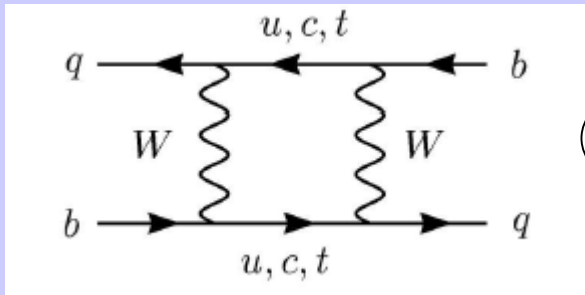
Many interesting observables in order to explore B_s system properties:

$$\Delta m_s = M_H - M_L \cong 2|M_{12}| \quad \Delta\Gamma_s = \Gamma_L - \Gamma_H \cong 2|\Gamma_{12}|\cos\phi_s \quad \phi_s = \arg\left(-\frac{M_{12}}{\Gamma_{12}}\right)$$

$$A_{fs}^s = \text{Im} \frac{\Gamma_{12}}{M_{12}} = \frac{|\Gamma_{12}|}{|M_{12}|} \sin\phi_s = \frac{\Delta\Gamma_s}{\Delta m_s} \tan\phi_s = \frac{\exp N(B_s \rightarrow f) - N(\bar{B}_s \rightarrow \bar{f})}{N(B_s \rightarrow f) + N(\bar{B}_s \rightarrow \bar{f})}$$

(with $\bar{B}_s \rightarrow f$ and $B_s \rightarrow \bar{f}$ forbidden; \bar{f} is the CP conjugate)

NP in B_s - B_s system



Lowest Order

Dispersive part $\rightarrow M_{12}$

Absorptive part $\rightarrow \Gamma_{12}$

Γ_{12} dominated by tree-level $b \rightarrow \bar{c}cs$

M_{12} sensible to new physics; model independent approach:

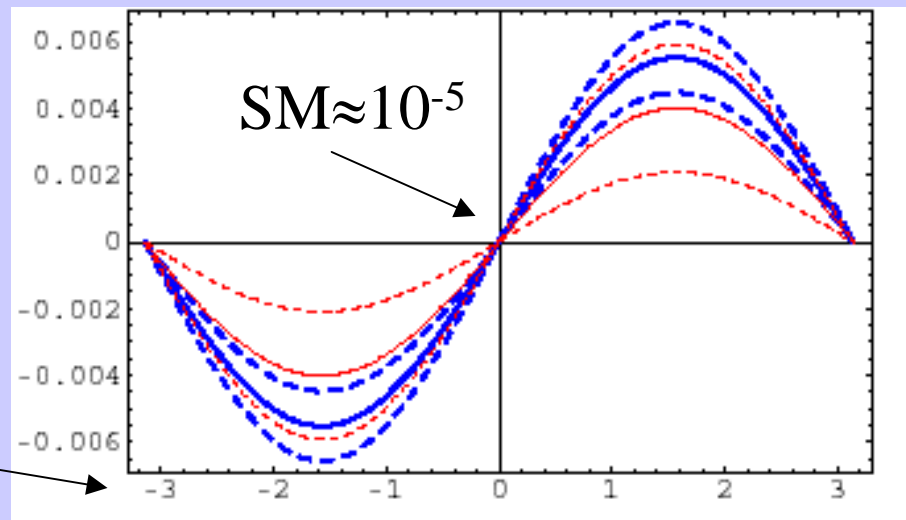
$$M_{12} = M_{12}^{SM} \Delta_s = M_{12}^{SM} |\Delta_s| e^{i\phi_s^\Delta}$$

[Lenz, Nierste; hep-ph/0612167]

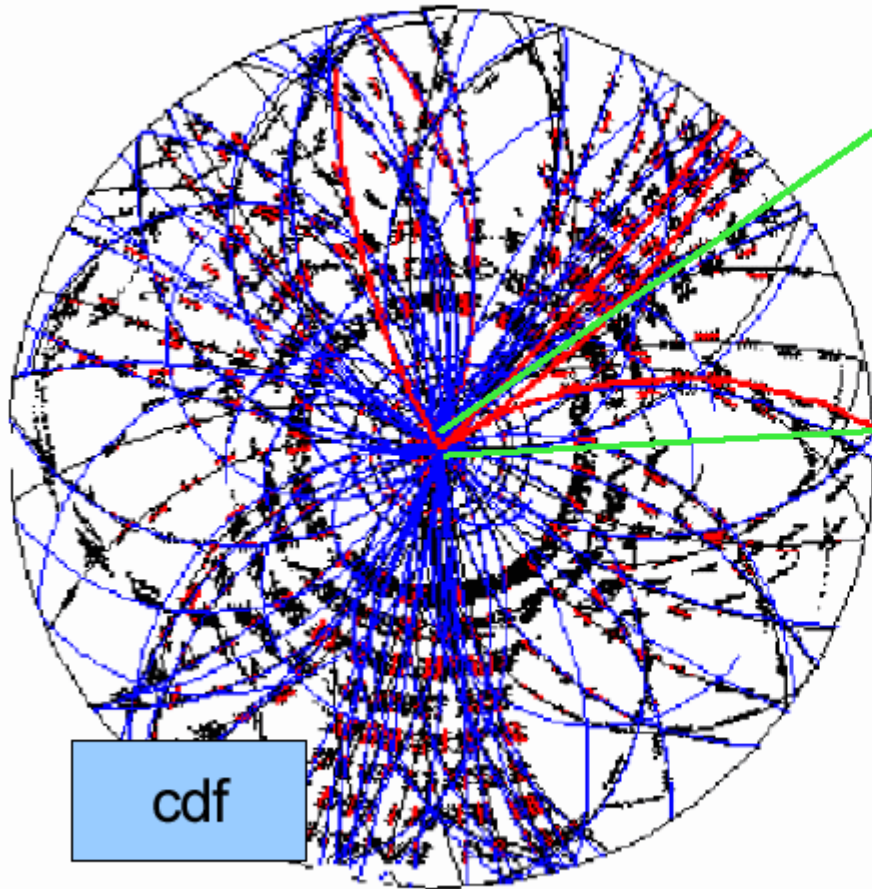
$\Rightarrow \Delta m_s$ sensible to $|\Delta_s|$

$\Rightarrow \Delta \Gamma_s$ and a_{fs}^s also to ϕ_s^Δ

e.g. sensibility of a_{fs}^s to ϕ_s^Δ

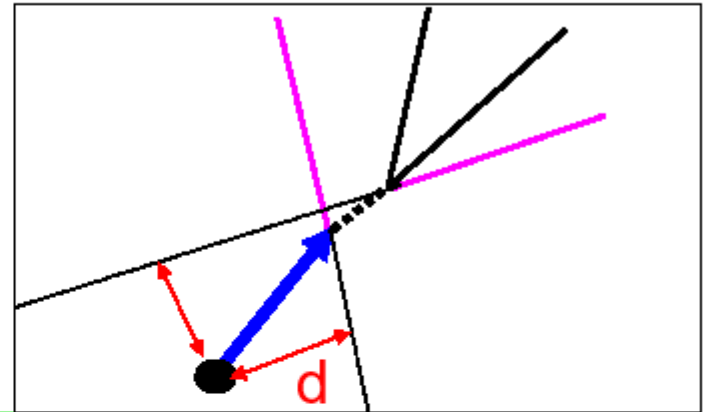


A typical B event at a hadron collider

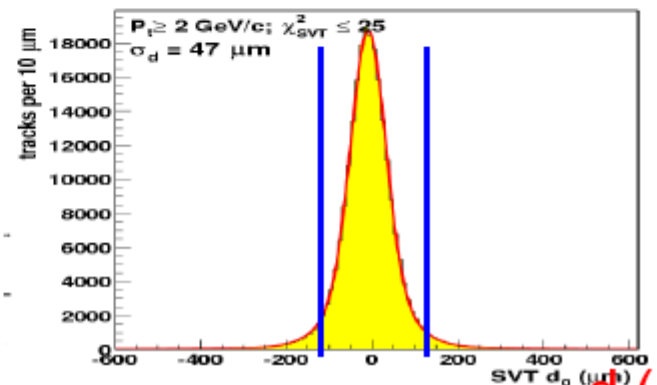


=> look for displaced tracks

Trigger on events with two displaced ($d > 120 \mu\text{m}$) tracks



very fast reconstruction of silicon data at L2 (20 μs latency) by dedicated hardware: SVT



$d(\mu)$

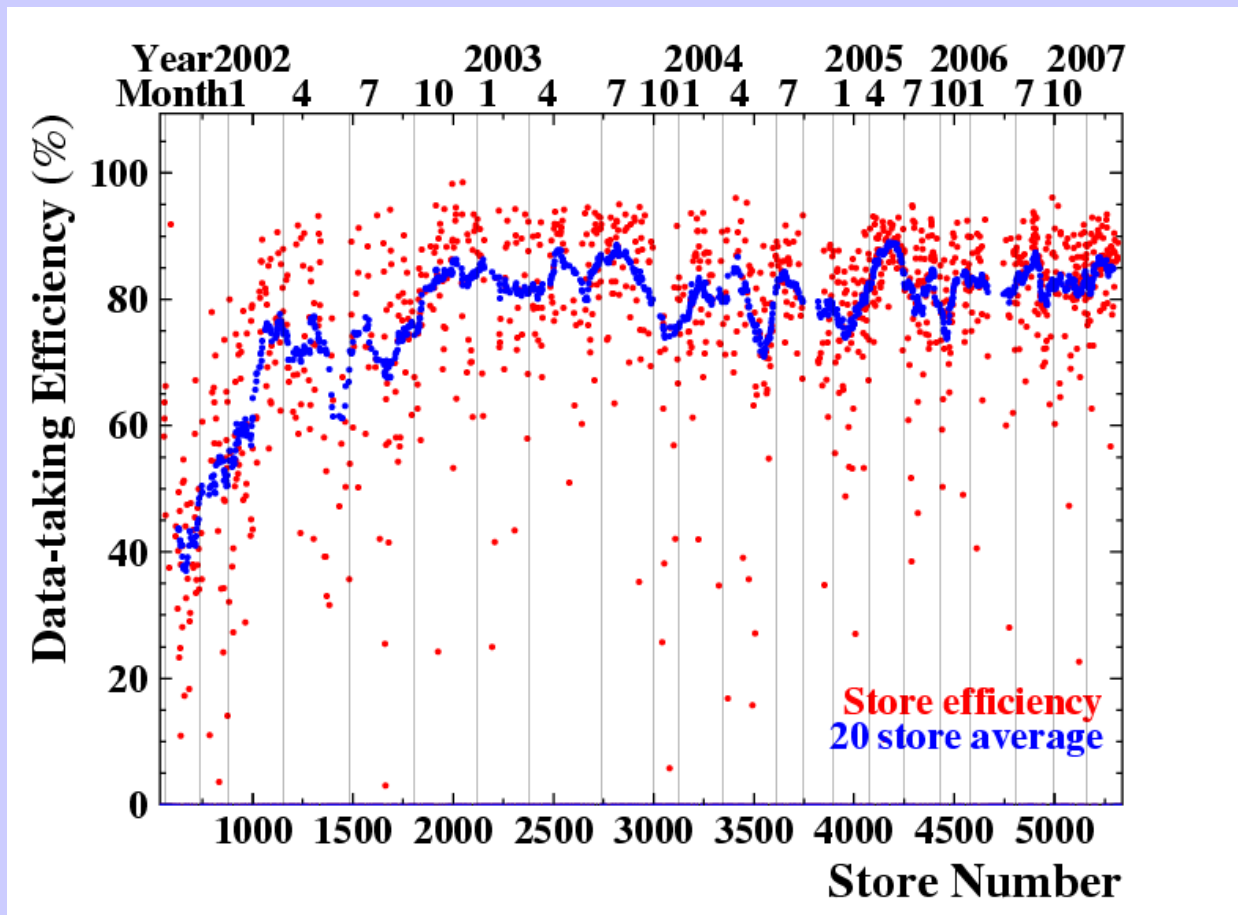
Tevatron

CDF Expect an integrated luminosity delivered:

3-4 fb^{-1} for end 2007

4-6 fb^{-1} for end 2008

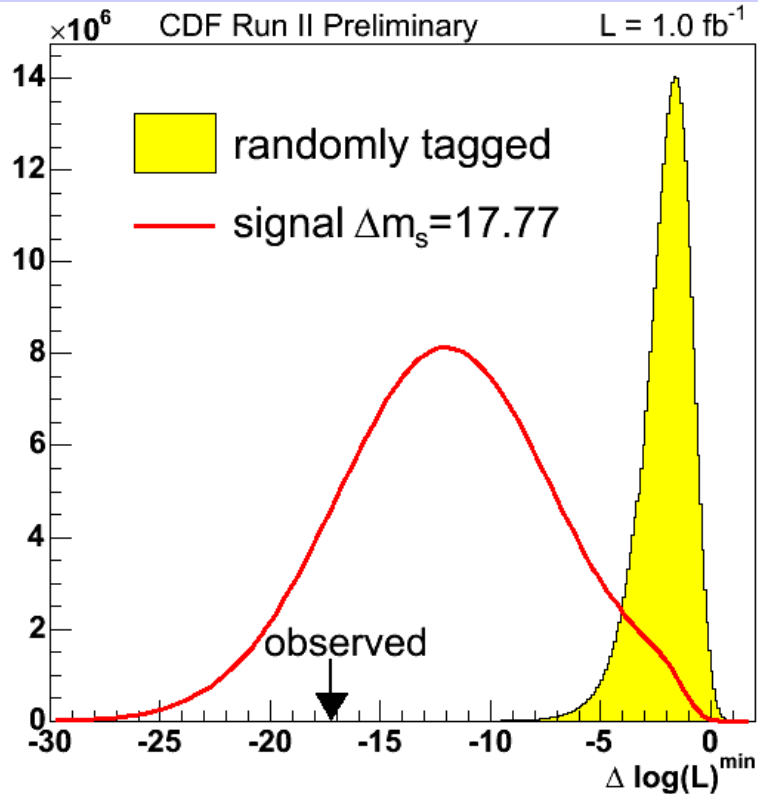
6-8 fb^{-1} for end 2009



Bs mixing - CDF

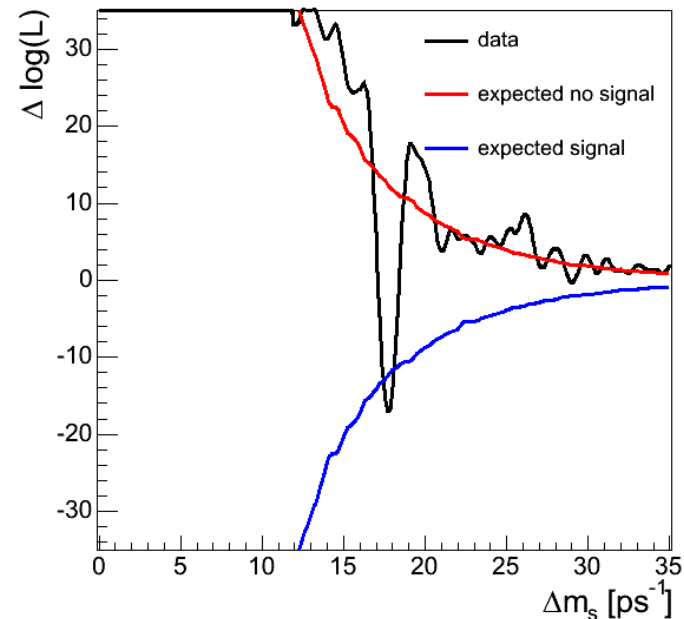
Systematics

P-value distribution



p-value = $8 \cdot 10^{-8} > 5 \sigma$

Systematics	Syst. [ps ⁻¹]
SVX Alignment	0.04
Track Fit Bias	0.05
PV bias from tagging	0.02
All other syst.	<0.01
TOTAL	0.07



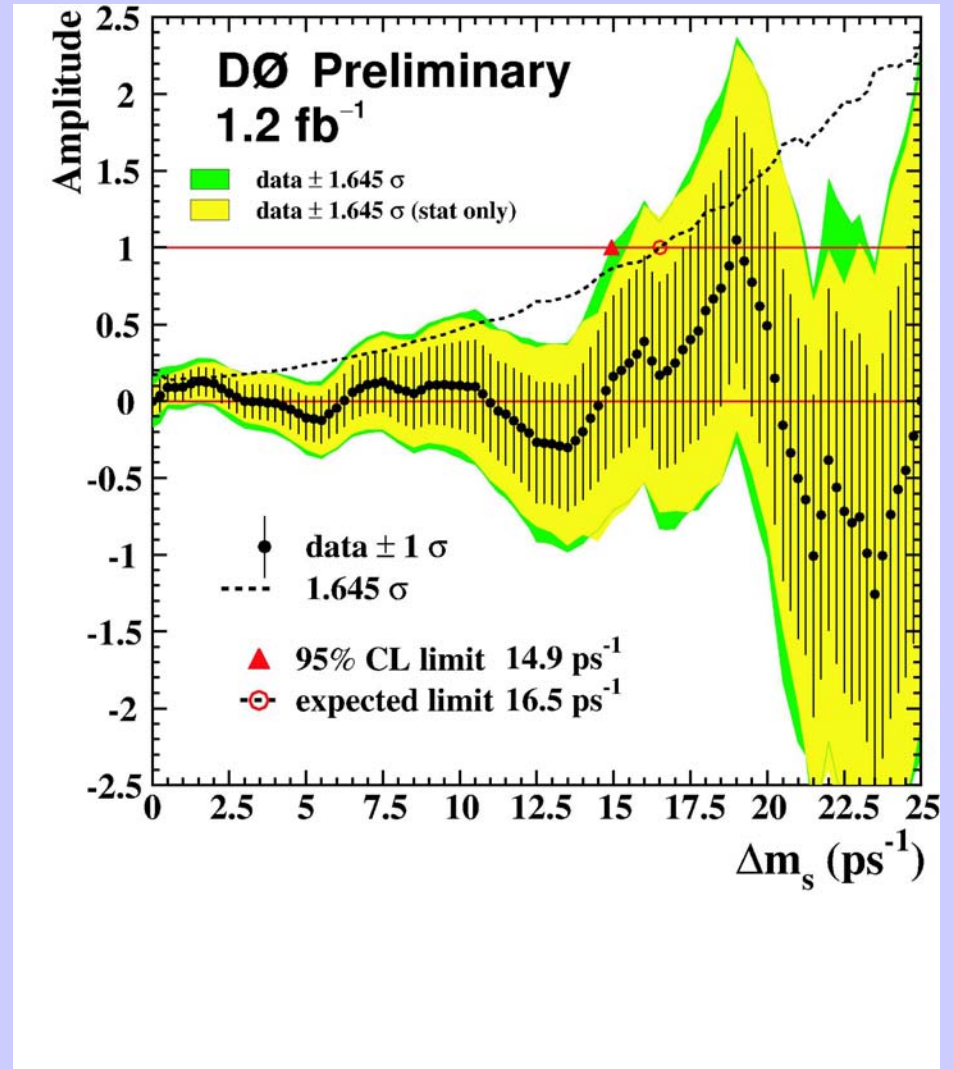
Bs mixing – D0

D0 results:
(1.2 fb⁻¹)

B_s → D_s e X
(D_s → φπ)

B_s → D_s μ X
(D_s → φπ, K* K, K_s K)

$\Delta m_s > 14.9 \text{ ps}^{-1}$ @ 95% CL
(expected: 16.5 ps^{-1})



Flavour charge asymmetries - I

Very sensible to new physics. In the B_s system we have two measures:

$$D0: p\bar{p} \rightarrow b\bar{b} \rightarrow \mu^{\pm}\mu^{\pm} \quad (\mathcal{L} \approx 1.0\text{fb}^{-1})$$

[Phys. Rev. D 74, 092001 (2006)]

$$A_{SL}^{\mu\mu} = \frac{N(b\bar{b} \rightarrow \mu^{\pm}\mu^{\pm} X) - N(b\bar{b} \rightarrow \mu^{\mp}\mu^{\mp} X)}{N(b\bar{b} \rightarrow \mu^{\pm}\mu^{\pm} X) + N(b\bar{b} \rightarrow \mu^{\mp}\mu^{\mp} X)}$$

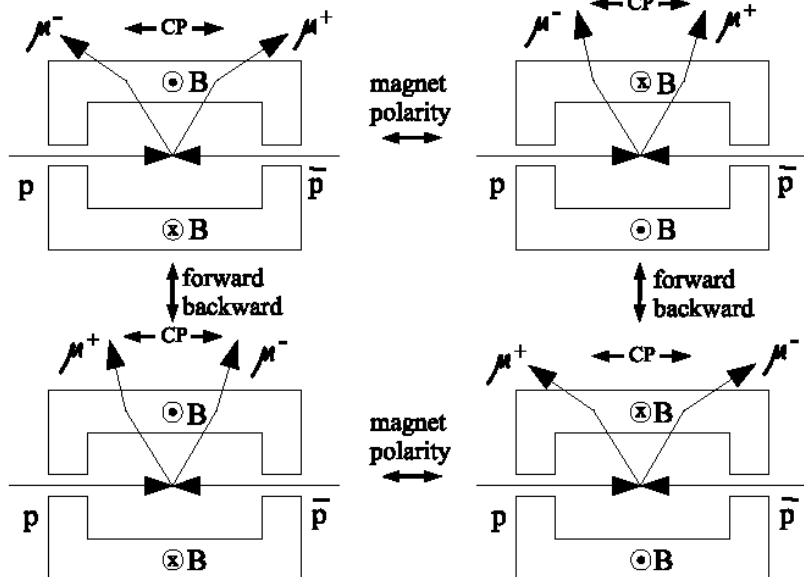
$$= \frac{1}{4} \left(A_{SL}^d + \frac{f_s}{f_d} \frac{Z_s(\Gamma_s, \Delta\Gamma_s, \Delta m_s)}{Z_d(\Gamma_d, \Delta\Gamma_d, \Delta m_d)} A_{SL}^s \right)$$

$$D0: B_s \rightarrow D_s \mu^{\pm} X \quad (\mathcal{L} \approx 1.3\text{fb}^{-1})$$

[hep-ex/0701007 (2007)]

$$A_{SL}^{s,unt} = \frac{N(D_s^- \mu^+) - N(D_s^+ \mu^-)}{N(D_s^- \mu^+) + N(D_s^+ \mu^-)}$$

$$= \frac{1}{2} A_{SL}^s = \frac{1}{2} \frac{\Delta\Gamma_s}{\Delta m_s} \tan \phi_s$$



Similar methods

Some highlights:

- Both detector and physics contribute to charge asymmetry.
- Flip B-field @ 0.1%: reduce det. syst.
- Divide sample in 8 sub-samples (B polarity, μ charge, η sign)
- Extract all asymmetries (6) from data

Flavour charge asymmetries - II

$$n_q^{\alpha\beta} = \frac{1}{4} N \varepsilon^\beta (1 + qA)(1 + q\gamma A_{fb})(1 + \gamma A_{\text{det}}) \cdot (1 + q\beta\gamma A_{ro})(1 + q\beta A_{q\beta})(1 + \beta\gamma A_{\beta\gamma})$$

$q =$ charge of μ
 $\beta =$ polarity of B
 $\gamma =$ sign of η

	$D_s \mu$	$\mu\mu$
A	0.0102 ± 0.0081	-0.0005 ± 0.0013
A_{fb}	-0.0046 ± 0.0081	0.0004 ± 0.0005
A_{det}	-0.0051 ± 0.0081	-0.0176 ± 0.0005
A_{ro}	-0.0352 ± 0.0081	-0.0275 ± 0.0005
$A_{\beta\gamma}$	-0.0097 ± 0.0081	-0.0008 ± 0.0005
$A_{q\beta}$	0.0030 ± 0.0081	0.0064 ± 0.0005

From the raw A asymmetry
correct for bg contamination

$$A_{SL}^{\mu\mu} = -0.0092 \pm 0.0044(\text{stat.}) \pm 0.0032(\text{syst.}) \longrightarrow \text{inclusive } \mu\mu \text{ measure}$$

$$A_{SL}^s = 0.0245 \pm 0.0193(\text{stat.}) \pm 0.0035(\text{syst.}) \longrightarrow D_s \mu \text{ measure}$$

Flavour charge asymmetries - III



$A_{SL}^{\mu\mu}$ contains effects from both B_s and B_d :

$$A_{SL}^{\mu\mu} = \frac{1}{4} \left(A_{SL}^d + \frac{f_s}{f_d} \frac{Z_s(\Gamma_s, \Delta\Gamma_s, \Delta m_s)}{Z_d(\Gamma_d, \Delta\Gamma_d, \Delta m_d)} A_{SL}^s \right)$$

using measured values of $\Gamma_{s,d}$, $\Delta\Gamma_{s,d}$, $\Delta m_{s,d}$, we have for A_{SL}^s

[DØ Collab., hep-ex/0702030]

$$A_{SL}^s = -0.0064 \pm 0.0101$$

While the B_s -semileptonic measure gives:

$$A_{SL}^s = 0.0245 \pm 0.0193(stat.) \pm 0.0035(syst.)$$

The two measures are nearly independent $\left\{ \begin{array}{l} (<1\% \text{ of } B_s \text{ in } \mu\mu \text{ sample}) \\ (\approx 10\% \text{ of } \mu\mu \text{ in } B_s \text{ sample}) \end{array} \right.$

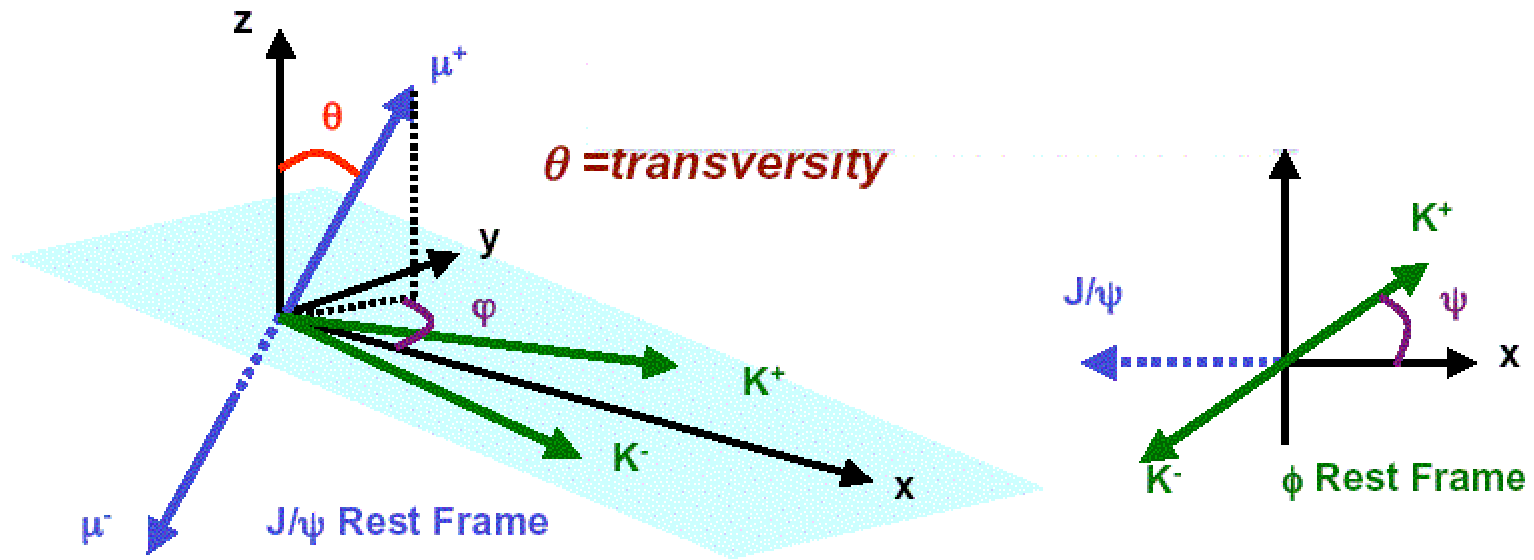
$$\Rightarrow A_{SL}^s = 0.0001 \pm 0.0090$$

To be compared to the SM prediction:

$$A_{SL}^{s,SM} = (2.06 \pm 0.57) \cdot 10^{-5}$$

[Lenz, Nierste; hep-ph/0612167]

Transversity



$$\begin{aligned}
 \frac{d^3\Gamma \rightarrow J/\psi (\rightarrow \mu^+ \mu^-) \phi (\rightarrow K^+ K^-)}{d\cos\theta d\phi d\cos\psi dt} &\propto \frac{9}{16\pi} \left[2|A_0(0)|^2 e^{-\Gamma_\phi t} \cos^2\psi (1 - \sin^2\theta \cos^2\phi) \right. \\
 &+ \sin^2\psi \left\{ |A_{||}(0)|^2 e^{-\Gamma_\psi t} (1 - \sin^2\theta \sin^2\phi) + |A_{\perp}(0)|^2 e^{-\Gamma_\psi t} \sin^2\theta \right\} \\
 &+ \frac{1}{\sqrt{2}} \sin 2\psi \left\{ |A_0(0)||A_{\perp}(0)| \cos(\delta_2 - \delta_1) e^{-\Gamma_\psi t} \sin^2\theta \sin^2\phi \right\} \\
 &+ \left\{ \frac{1}{\sqrt{2}} |A_0(0)||A_{\perp}(0)| \cos\delta_2 \sin 2\psi \sin 2\theta \cos\phi \right\} \frac{1}{2} (e^{-\Gamma_\psi t} - e^{-\Gamma_\phi t}) \delta\phi \\
 &- \left. \left\{ \frac{1}{\sqrt{2}} |A_{||}(0)||A_{\perp}(0)| \cos\delta_1 \sin^2\psi \sin 2\theta \sin\phi \right\} \frac{1}{2} (e^{-\Gamma_\psi t} - e^{-\Gamma_\phi t}) \delta\phi \right] H(\cos\psi) F(\phi) G(\cos\theta)
 \end{aligned}$$