

Analisi generalizzata e scale di Nuova Fisica da transizioni |∆F|=2

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Outline



- Standard Model fit (very briefly)
- Un sassolino nella scarpa: α da B $\rightarrow \pi\pi$
- ♦ NP generalized fit allowing for △F=2 NP transitions
- Effective Hamiltonian for ∆F=2 transitions beyond the SM
- Bounds on Wilson coefficients and NP scales in different NP scenarios
- Comment on perspectives for direct detection of NP at the LHC



Apart from a slight tension due to V_{ub} inclusive with respect to the rest of the fit (very unlikely to be due to New Physics...) the consistency of the SM fit is just spectacular



A debated question: α from $B \rightarrow \pi\pi$





Annoso problema: perché la collaborazione CKMfitter trova una soluzione compatibile con α =0 anche se la violazione di CP in B $\rightarrow \pi^+\pi^-$ è appurata a più di 5 σ , mentre per UTfit la soluzione α =0 è soppressa come atteso dal buon senso e dalla fisica?

Risposta CKMfitter: l'analisi UTfit è fortemente influenzata dai prior, il metodo statistico è inattendibile.

Risposta UTfit: l'analisi CKMfitter non tiene conto di importanti informazioni di fisica nella soluzione del problema, il metodo statistico non è rilevante. Bayes può dormire sonni tranquilli (semmai si fosse turbato...)

α < 2 implicherebbe P > 30, mentre SU(3) dal BR(B_s→K⁺K⁻) implica P ~ 1.
 Una rottura di SU(3) del 3000% è fuori questione. Peraltro, che ne sarebbe di SU(2) in tal caso? La soluzione del problema viene dalla fisica, e non dalla statistica!
 Lavoro a stampa in arrivo...



New Physics generalized fit



The mixing processes being characterized by a single amplitude, they can be parametrized in a general way by means of two parameters

$$C_{B_{q}}e^{2i\phi_{B_{q}}} = \frac{\left\langle B_{q}^{0} \left| H_{eff}^{full} \right| \overline{B}_{q}^{0} \right\rangle}{\left\langle B_{q}^{0} \left| H_{eff}^{SM} \right| \overline{B}_{q}^{0} \right\rangle} \qquad q = d, s$$

 HSM_{eff} includes only SM box diagrams while H^{full}_{eff} includes New Physics contributions as well

Four "independent" observables

- C_{Bd} , ϕ_{Bd} , C_{Bs} , ϕ_{Bs}
- $C_{Bq}=1$, $\phi_{Bq}=0$ in SM

For the neutral kaon mixing case, it is convenient to use the following two parameters

$$C_{\varepsilon_{K}} = \frac{\operatorname{Im}\left\langle K^{0} \left| H_{eff}^{full} \right| \overline{K}^{0} \right\rangle}{\operatorname{Im}\left\langle K^{0} \left| H_{eff}^{SM} \right| \overline{K}^{0} \right\rangle} \qquad C_{\Delta m_{K}} = \frac{\operatorname{Re}\left\langle K^{0} \left| H_{eff}^{full} \right| \overline{K}^{0} \right\rangle}{\operatorname{Re}\left\langle K^{0} \left| H_{eff}^{SM} \right| \overline{K}^{0} \right\rangle}$$

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The CKM fit determines $\rho,\eta,$ C_Bq, $\phi_{\text{Bq}},$ C_ $\epsilon\text{K}} and C_{\Delta\text{mK}}$ simultaneously

*to be conservative a long-distance contribution between zero and the experimental Δm_K is added to $C_{\Delta mK}$



Information on the moduli

0.001

B_d sector $\Delta m_d = (0.507 \pm 0.005) \text{ ps}^{-1}$

Probability density UTfit C_{Bd}=1.24±0.43 $\Delta m_s = (17.77 \pm 0.10 \pm 0.07) \text{ ps}^{-1}$ 0 0 2

K⁰ sector

B_s sector













Information on the B_s mixing phase



Recent measurements from the Tevatron opened the box of the ${\rm B}_{\rm s}$ mixing phase

 $a_{CH}^{dimuon} = (-9.2 \pm 4.4 \pm 3.2) \times 10^{-3}$ measured by D0 $\Delta \Gamma_s = (0.47^{+0.19}_{-0.24} \pm 0.01)$ ps⁻¹ measured by CDF $A_{SL}^s = (24.5 \pm 19.3 \pm 3.5) \times 10^{-3}$ measured by D0

and in addition the time-dependent (untagged) angular analysis of the $B_s \rightarrow J/\psi \phi$ decay by D0, yielding a 3-dimensional measurement of $\Delta \Gamma_s$, Γ_s and ϕ_{Bs}

4-fold ambiguity $(\phi_{Bs}, \cos \delta_{1,2}) \leftrightarrow (-\phi_{Bs}, -\cos \delta_{1,2}), (\phi_{Bs}, \Delta \Gamma_s) \leftrightarrow (\pi + \phi_{Bs}, -\Delta \Gamma_s)$

For extreme precision measurements of ϕ_{s} we have to wait LHCb in a couple of years





B_d mixing: φ_{Bd}= (-4±2)°

B_d mixing phase very well contrained but still ample room for a large B_s phase

B_s mixing: φ_{Bs}=(-75±14)° U (-19±11)° U (9±10)° U (102±16)°







Effective Hamiltonian for ∆F=2 transitions beyond the SM



Most general form of the effective Hamiltonian for Δ F=2 processes

$$\mathcal{H}_{\text{eff}}^{K-\bar{K}} = \sum_{i=1}^{5} C_i Q_i^{sd} + \sum_{i=1}^{3} \tilde{C}_i \tilde{Q}_i^{sd}$$
$$\mathcal{H}_{\text{eff}}^{B_q - \bar{B}_q} = \sum_{i=1}^{5} C_i Q_i^{bq} + \sum_{i=1}^{3} \tilde{C}_i \tilde{Q}_i^{bq}$$

The Wilson coefficients C_i have in general the form

$$C_i(\Lambda) = F_i rac{L_i}{\Lambda^2}$$

- F_i: function of the NP flavour couplings
- L_i: loop factor (in NP models with no tree-level FCNC)
- A: NP scale (typical mass of new particles mediating Δ F=2 transitions)

Putting bounds on the Wilson coefficients give insights into the NP scale, in different NP scenarios which enter through F_i and L_i



Different NP scenarios



The connection between Ci(Λ) and the NP scale Λ depends on the specific NP model under consideration

Assuming that new particles interact strongly and/or enter at tree-level we can set L_i~1, thus $\Lambda = \sqrt{F_i / C_i}$

Let's make four relevant cases:

- Minimal Flavour Violation with one Higgs or two Higgs doublets with small or moderate tanβ
 - $F_1 = F_{SM}$, $F_{i\neq 1} = 0$, where F_{SM} are CKM matrix elements in the top-quark mediated SM mixing amplitudes
- Minimal Flavour Violation at large tanβ
 - Additional contribution in B_q mixing by C₄ which differentiates B-meson mixing from Kaon mixing
- Next-to-Minimal Flavour Violation
 - |Fi| = F_{SM} with arbitrary phases
- Arbitrary flavour structure, i.e. no CKM suppression in NP transitions
 - |Fi| ~ 1

Other interesting cases are from loop-mediated NP processes, and L_i would be proportional to α_s^2 and α_w^2

 Λ is reduced by a factor ~0.1 and ~0.03 respectively



Allowed ranges for Wilson coefficients: an example



Upper and lower bounds on $|C_i(\Lambda)|$ and Λ for NMFV models

Leave the (complex) C_i coefficients as free parameters to be determined by the fit





New Physics scales (lower bounds) Perspectives for detection at LHC



| | strong/tree | α_s loop α_W loop |
|---------------------------|------------------|---------------------------------|
| MFV (small $\tan \beta$) | $5.5 { m TeV}$ | $0.5~{\rm TeV}~0.2~{\rm TeV}$ |
| MFV (large $\tan \beta$) | $5.1 { m ~TeV}$ | $0.5~{\rm TeV}~0.2~{\rm TeV}$ |
| NMFV | $12 { m TeV}$ | $1.2 { m TeV} 0.4 { m TeV}$ |
| General | $2600~{\rm TeV}$ | $260~{\rm TeV}~90~{\rm TeV}$ |

The direct detection of NP in case of an arbitrary flavour structure is clearly far beyond the reach of LHC, even in case of loop suppression

For MFV models, $\alpha_{\rm s}$ (or $\alpha_{\rm W}$) loop-suppression is needed for a detection at LHC

In case of NMFV, $\alpha_{\!s}$ loop-suppression might not be sufficient, $\alpha_{\!W}$ would be needed







Any model with strongly interacting NP and/or treelevel contributions is beyond the reach of the LHC, while weakly-interacting NP models can be accessible at the LHC provided that they enjoy at least a NMFV-like suppression of $\Delta F = 2$ processes

In the worst scenario, direct detection of NP at LHC might not happen

Low energy measurements could remain the only way to probe the frontiers of HEP for a while

Actually a strong physics case for the forthcoming LHCb and for the (hopefully not so far) SBF





The End