

Fragmentation at CLEO

- Data taken over 3 GeV \rightarrow 11 GeV ECM offers opportunity to compare fragmentation effects over range of energies.
- Many results. Will herein focus on:
 - Charm production @ ECM \sim 10 GeV
 - From Upsilon resonances
 - From χ_J resonances (P-states)
 - Correlated charm continuum prod.
 - Baryon production (and dibaryons)
 - Photons from cont, J/ψ , $U(1S)$
 - Compare gg and qq recoil systems.

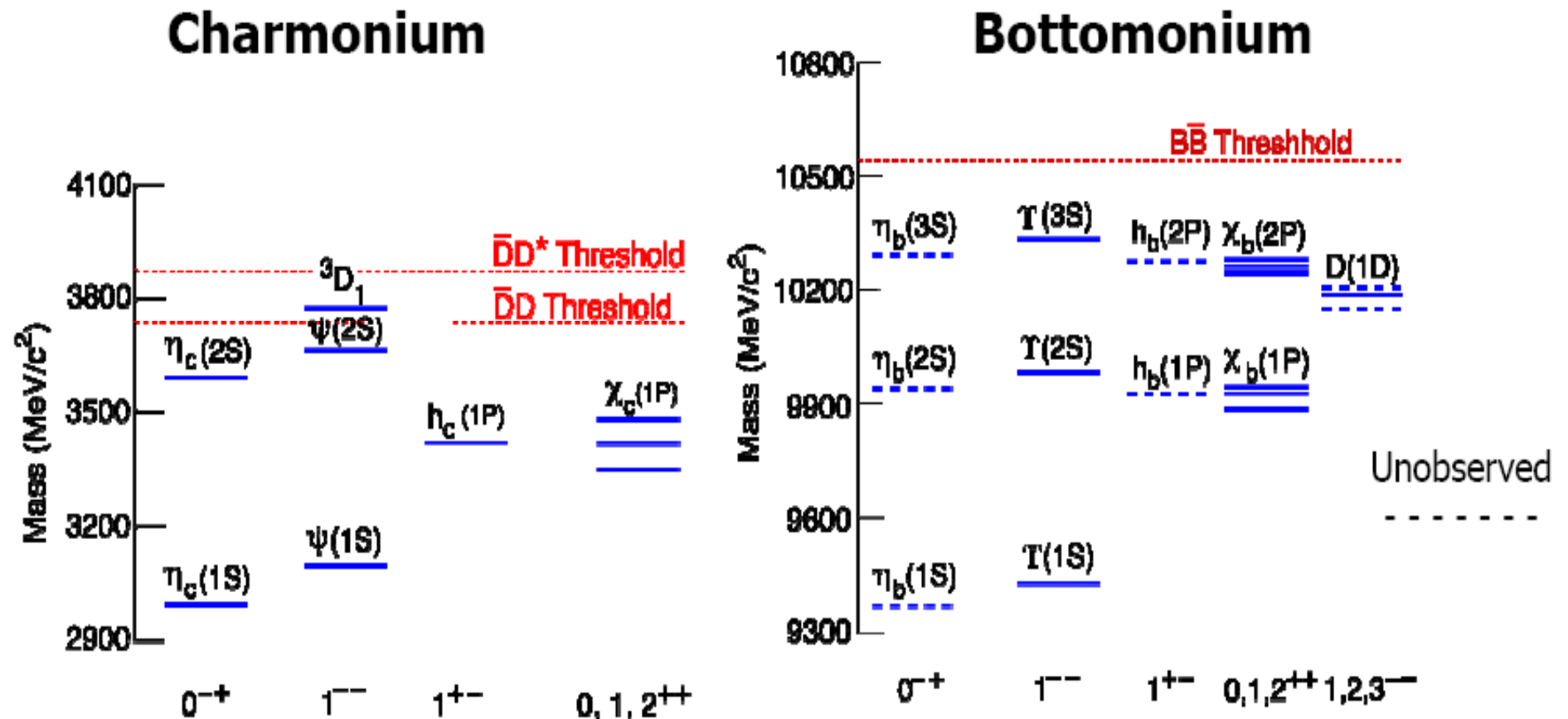


ECM=10 GeV Historical Themes

- Baryon production enhancement in ggg decays of narrow resonances vs. qq fragmentation
- Fragmentation of gg~ggg
- $U(1S) \rightarrow ggg \rightarrow$ hidden charm (ψ), but not D's
- Direct photon dN/dp in quarkonium $\rightarrow gg\gamma$ softer than orthopositronium $\rightarrow \gamma\gamma\gamma$
 - Recoil fragmenting gg system must be included in full calculation of photon momentum spectrum
- From the 80's: "Decuplet" suppression in continuum fragmentation ($\Delta:p$, e.g.).
 - spin $(3/2) \sim 0.1(1/2)$
- Much recent work on the role of color octet/color singlet gluon contributions in particle-specific fragmentation (Braaten, ψ production @CDF)

Mass Levels, Schematically:

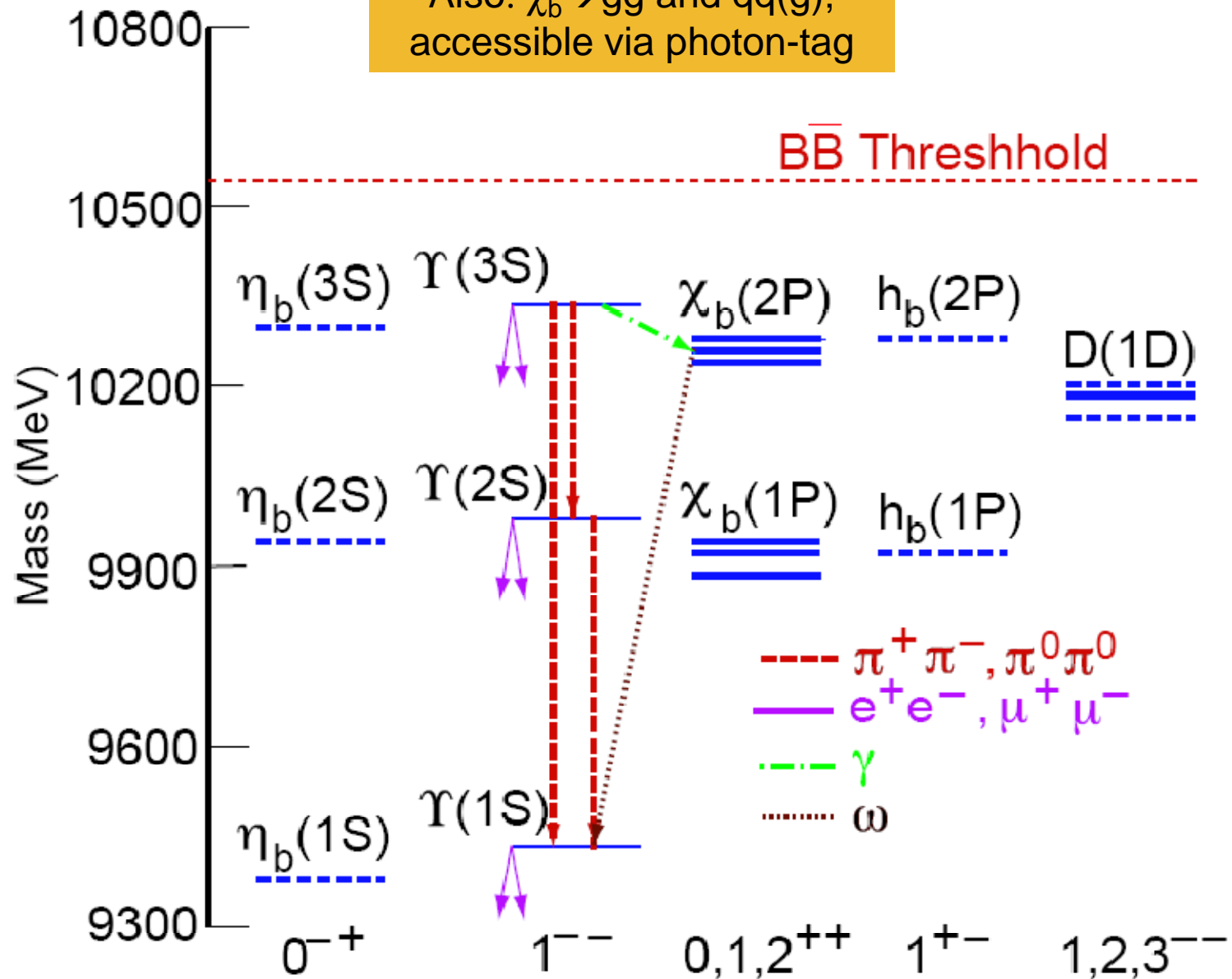
Upsilon and ψ provide sources of ggg and $gg\gamma$ decays!



And transitions (Upsilon, e.g.)

1160903-007

Also: $\chi_b \rightarrow gg$ and $qq(g)$;
accessible via photon-tag



QUARKS

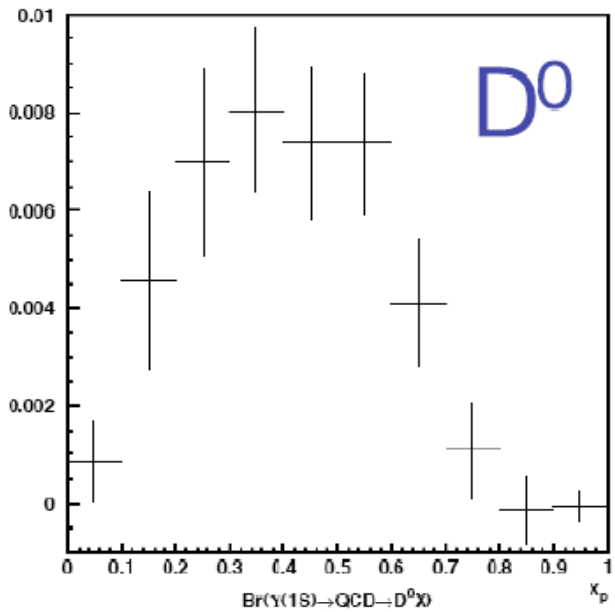
VS

GLUONS

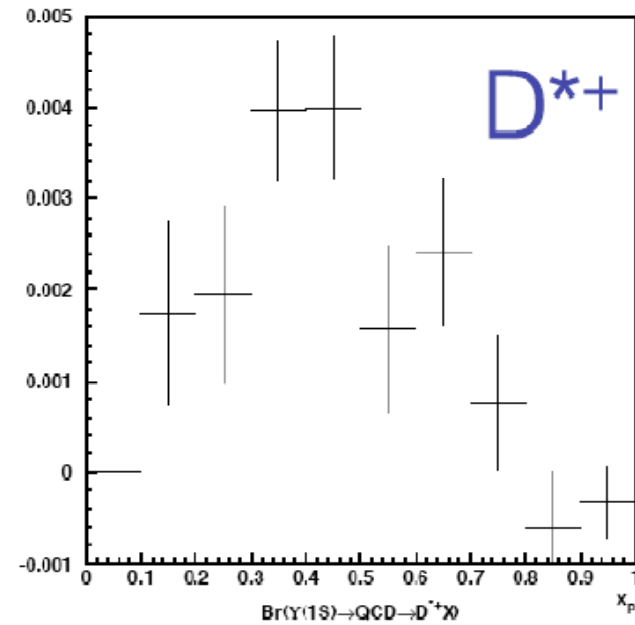


THUMBNAIL of recent results

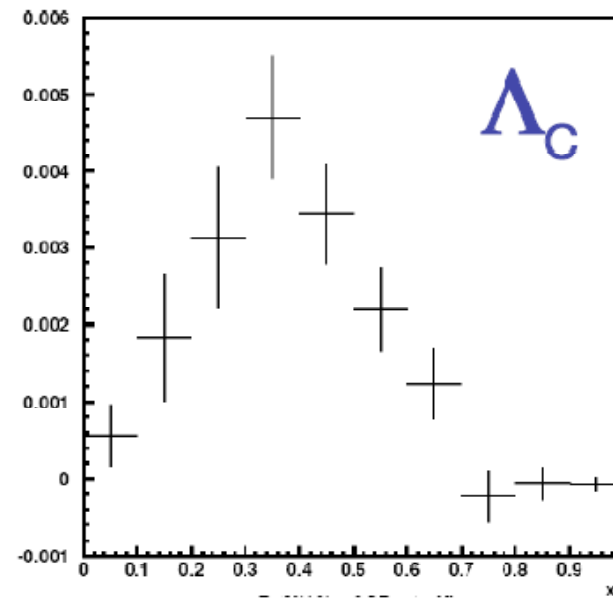
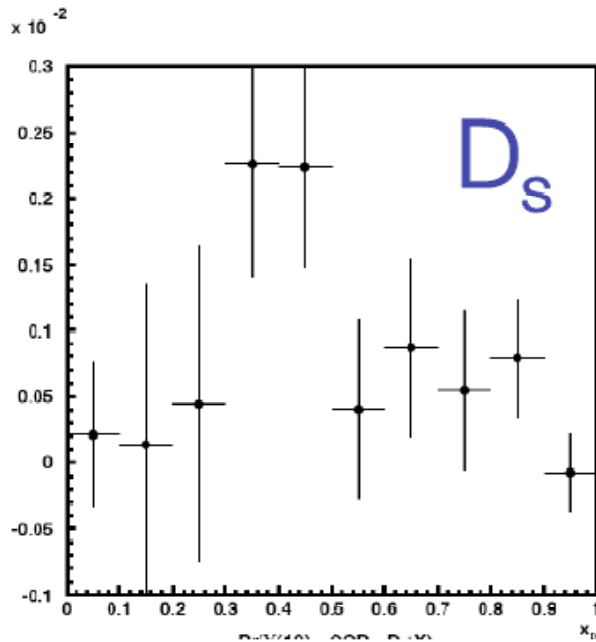
1) Open Charm from $U(1S) \rightarrow \text{gluons}$ (Mike Watkins thesis, pre-preliminary)



Per-event yields shown



Softer by ~ 0.2 units in x_p vs. contin



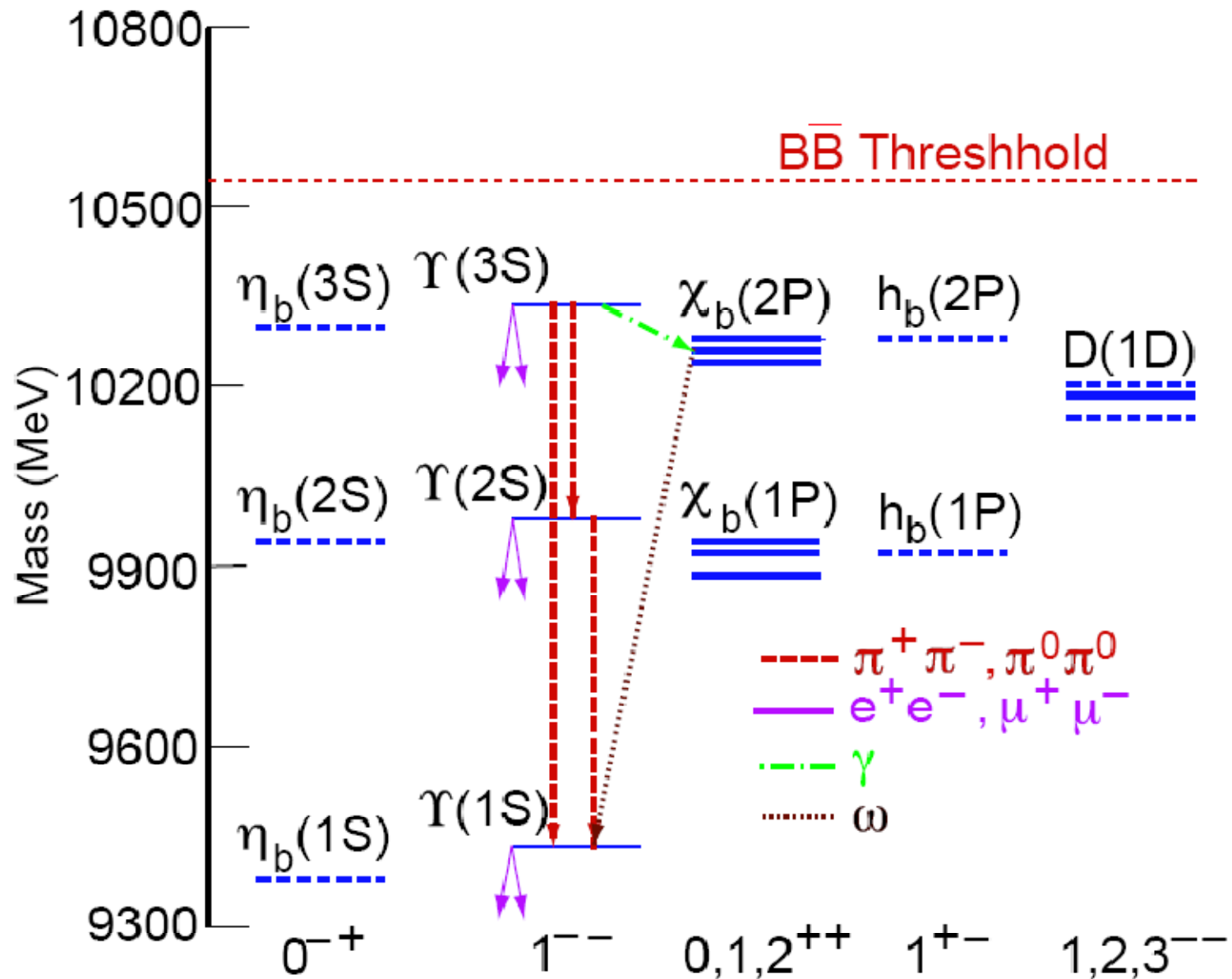
$Y(1S) \rightarrow$ QCD \rightarrow	$Br \%$	$\pm \delta_{stat} \%$	$\pm \delta_{sys} \%$	$\pm \delta_{Yc} \%$
$D^0 X$	4.03	0.42	0.48	0.0741
$D^{*+} X$	1.55	0.24	0.15	0.0308
$D_s^+ X$	0.78	0.25	0.12	0.1356
$\Lambda_c^+ X$	1.67	0.19	0.22	0.4353

$Br(Y(1S) \rightarrow$	$Br \%$	$Stat \%$	$Sys \%$	$Br \%$
Open c + cbar	8.6604	1.0095	1.5018	0.5410
Hidden c cbar	0.1714			0.0571
Total c cbar	4.5016	0.5048	0.7509	0.2765

Old theory ('79): $\sim 2\%$

Photon-tagging to access χ_b states

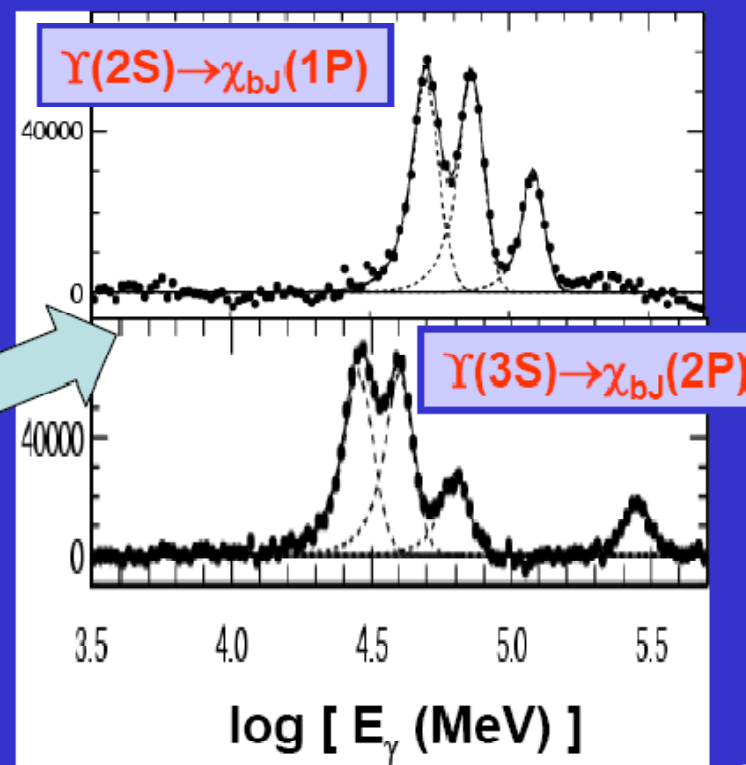
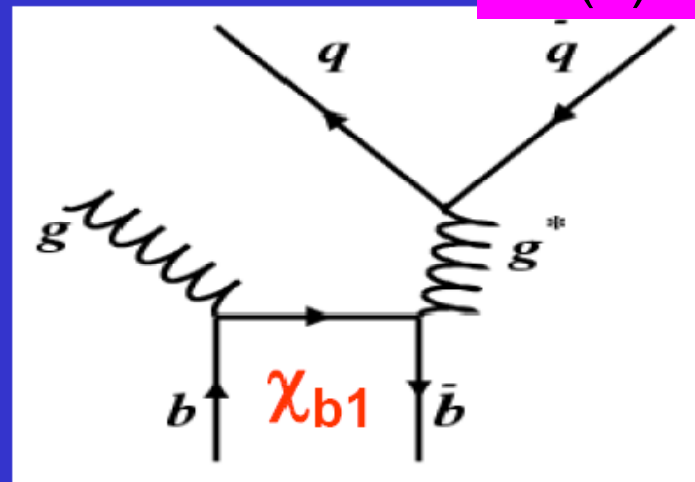
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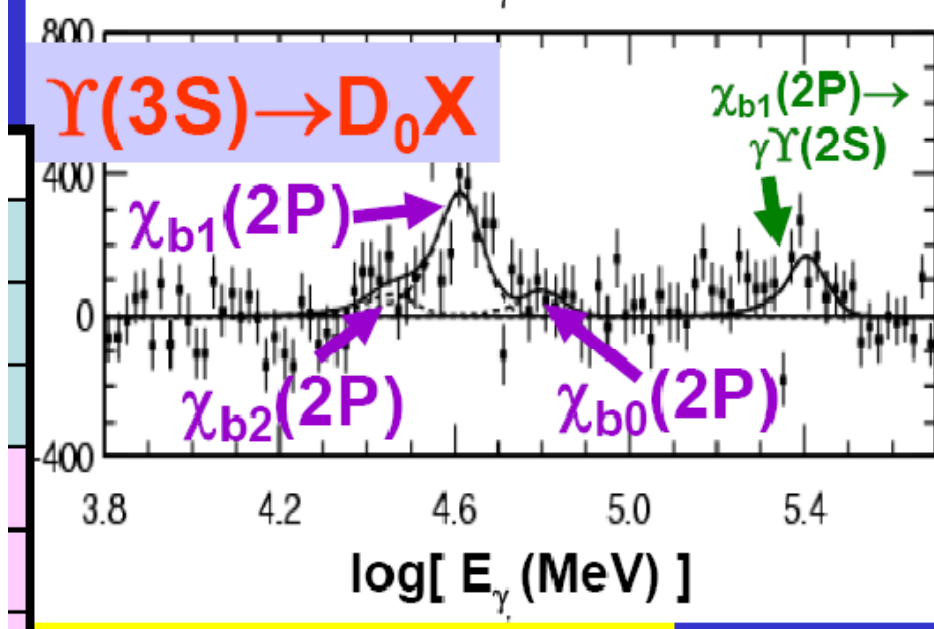
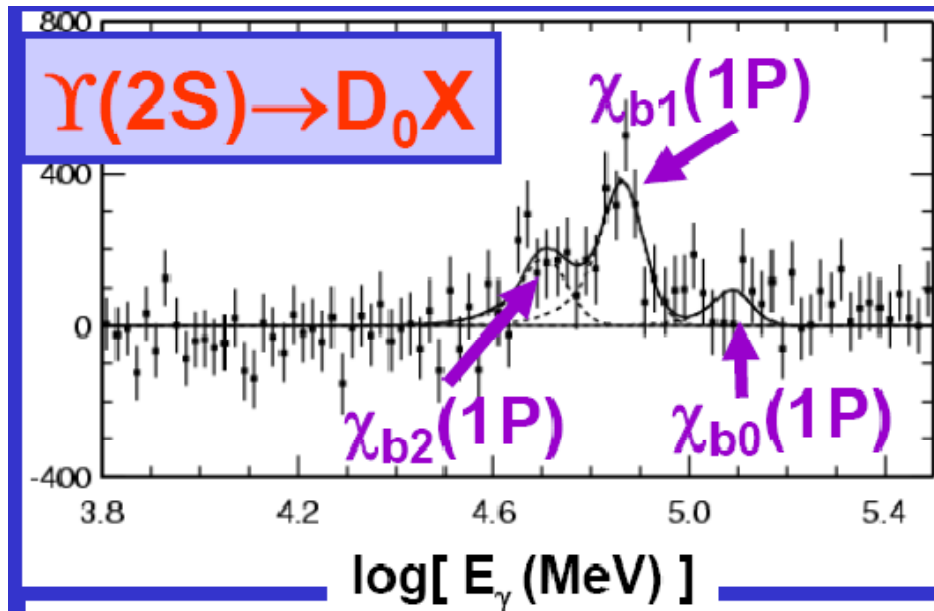


$\chi_{bJ} \rightarrow \text{Open Charm}$

(2)

- Unlike χ_{b0} & χ_{b2} , χ_{b1} cannot decay to 2-gluons on-shell
 - $\chi_{b1} \rightarrow g^* g \rightarrow q\bar{q} g$
- χ_{b1} expected to yield more open charm than χ_{b0} , χ_{b2}
- Investigate w/CLEO III
 - Select inclusive γ , find # χ_{bJ}
 - Select inclusive $D^0 \rightarrow K\pi, K\pi\pi, K\pi\pi\pi$
 - Require $p(D^0) > 2.5 \text{ GeV}/c$
 - Find # χ_{bJ} in such events
- First step is reproducing previous CLEO III results on $B[\Upsilon(nS) \rightarrow \gamma \chi_{bJ}]$
 - Suppress fake photons w/shower shape
 - Suppress π^0 decays by pairing with other γ 's
 - Fit background, subtract, fit signal
 - Obtained same result: we have denominator for branching fraction
- Exploit RICH & dE/dx for K & π identification





- Plot E_γ for tagged D_0 near M_D
 - D-sideband subtraction
 - Smooth bkg subtraction
 - Fit using lineshapes from inclusive γ 's
- $>7\sigma$ signals for $\chi_{b1}(1P)$, $\chi_{b1}(2P)$
- Correct for efficiency
 - Assume $\rho_8 = 0.1$ (non-perturbative model parameter) for $p > 2.5 \text{ GeV}/c$ cut
- Subtract secondary sources of χ_{bJ}
- Correct for $\chi_{bJ} \rightarrow \Upsilon X$: quote B^*

Bodwin, Braaten et al (NRQCD)

Update model used to explain ψ production at
Tevatron: One non-perturbative parameter ρ_8

$$=m_b^2 \langle \text{Octet 4-quark operator} \rangle / \langle \text{Singlet 4-quark op.} \rangle \\ \sim 0.10$$

Original model from 1995 recently updated \rightarrow 2007

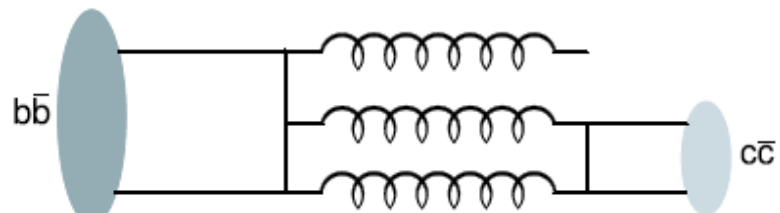
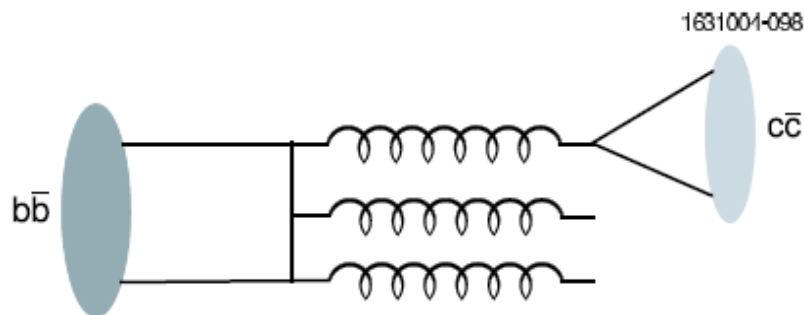
2) Charm production from $\bar{q}q(g)$ decays

“NEW”=new CLEO result / “TEST”=consistency check with varied bkgnd parameters

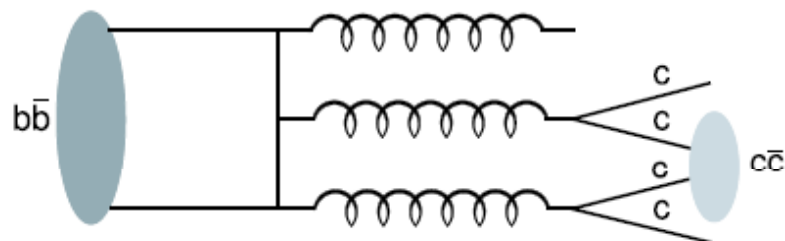
Numbers in excellent agreement with NRQCD prediction with one free parameter (ρ_8)=0.086+/-0.011 (from fit)

Final state	$\chi_{b0}(1P)$	$\chi_{b1}(1P)$	$\chi_{b2}(1P)$
Significant signal for J=1 state (decays to $q\bar{q}$ +gluon) for both states			
$\text{Br}(\chi_{bJ}(1P) \rightarrow D^0 X)$ /NEW γ -background	$5.63 \pm 3.61 \%$	$12.58 \pm 1.94 \%$	$5.35 \pm 1.89 \%$
$\text{Br}(\chi_{bJ}(1P) \rightarrow D^0 X)$ /TEST for γ -background	$6.42 \pm 3.60 \%$	$12.93 \pm 1.92 \%$	$5.73 \pm 1.88 \%$
Final state	$\chi_{b0}(2P)$	$\chi_{b1}(2P)$	$\chi_{b2}(2P)$
Slightly weaker for n=2 state (more decay width for other transitions)			
$\text{Br}(\chi_{bJ}(2P) \rightarrow D^0 X)$ /NEW γ -background	$4.12 \pm 3.00 \%$	$8.74 \pm 1.47 \%$	$0.16 \pm 1.36 \%$
$\text{Br}(\chi_{bJ}(2P) \rightarrow D^0 X)$ /TEST for γ -background	$4.40 \pm 3.00 \%$	$8.80 \pm 1.46 \%$	$0.29 \pm 1.35 \%$

Hidden charm(onium) production in $\Upsilon(1S)$

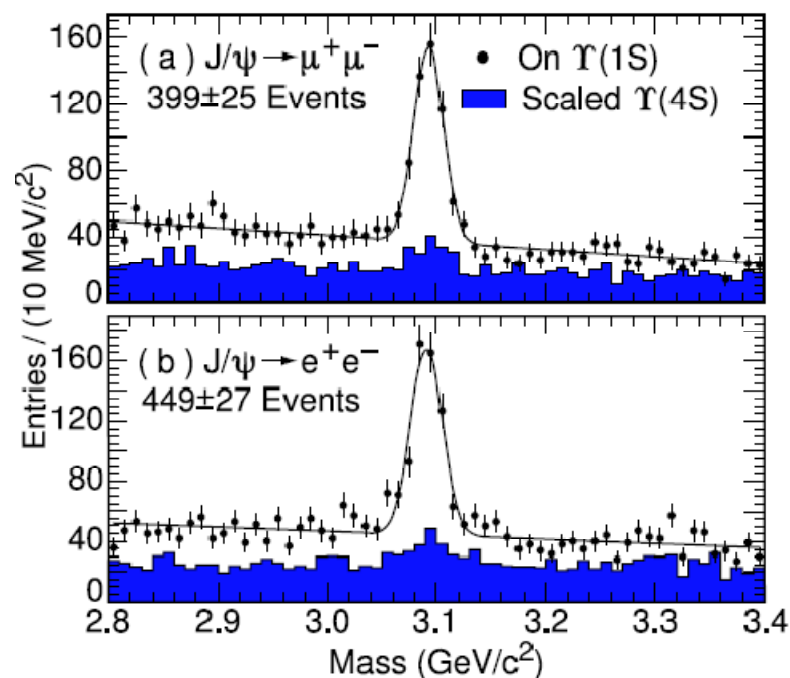


(a) Color - Octet Diagrams



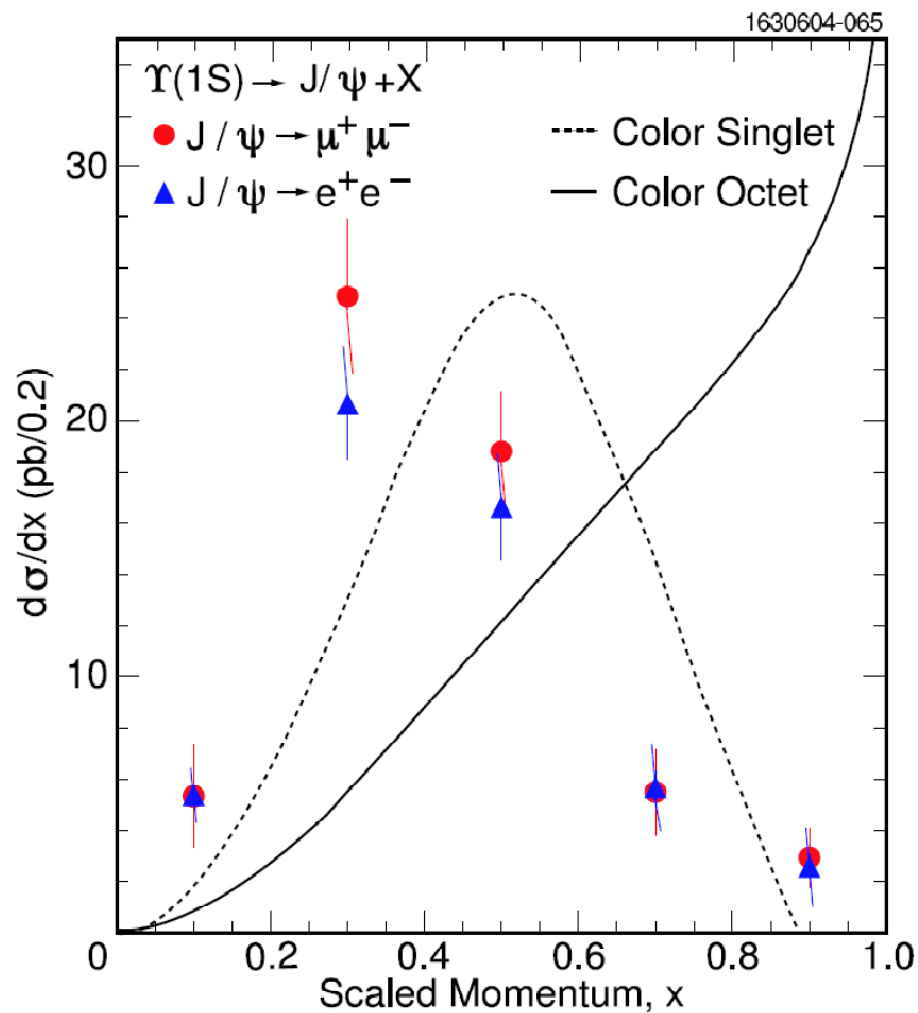
(b) Color - Singlet Diagram

- Phys.Rev. D70 (2004) 072001
- Also probes color-octet vs. color-singlet contributions



Comparison vs. model

Final state, f	$\mathcal{B}(\Upsilon(1S) \rightarrow f + X)$	Feed-down to J/ψ
J/ψ	$(6.4 \pm 0.4 \pm 0.6) \times 10^{-4}$	-
	$\mathcal{B}(\Upsilon(1S) \rightarrow f + X)/\mathcal{B}(\Upsilon(1S) \rightarrow J/\psi + X)$	
$\psi(2S)$	$0.41 \pm 0.11 \pm 0.08$	$0.24 \pm 0.06 \pm 0.05$
χ_{c0}	< 7.4	< 0.082
χ_{c1}	$0.35 \pm 0.08 \pm 0.06$	$0.11 \pm 0.03 \pm 0.02$
χ_{c2}	$0.52 \pm 0.12 \pm 0.09$	$0.10 \pm 0.02 \pm 0.02$



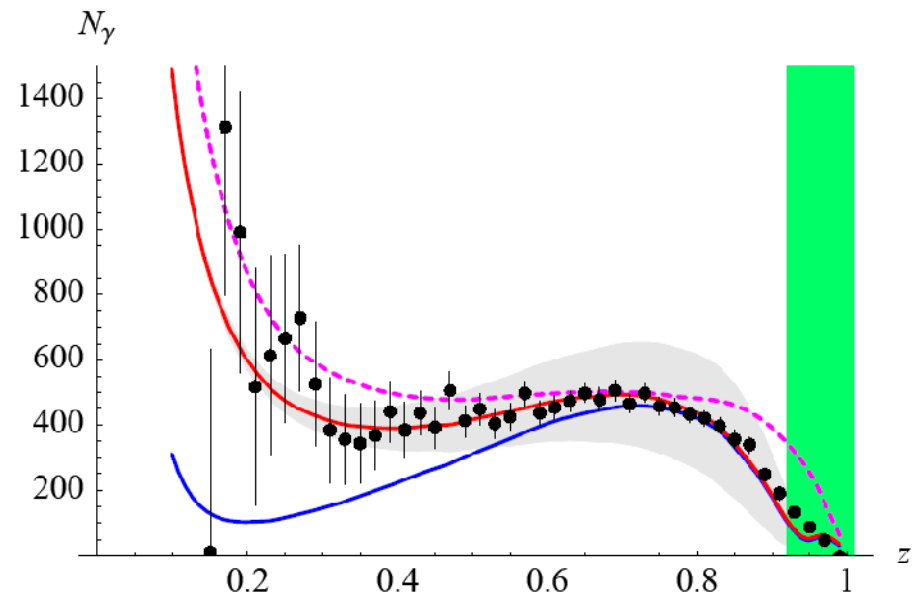
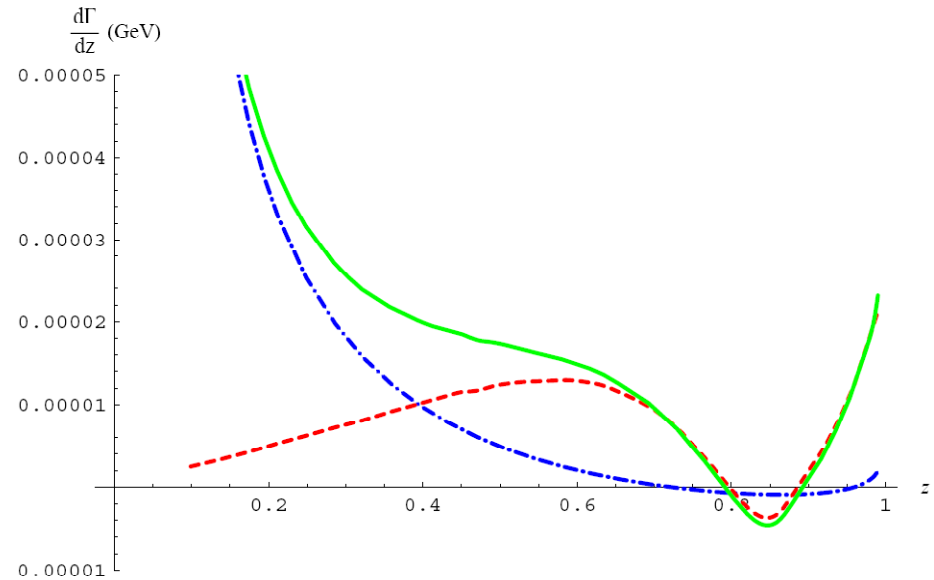
Although shape not quite right,
Color octet prediction: 6.2×10^{-4}

3) Continuum/quarkonium direct photons

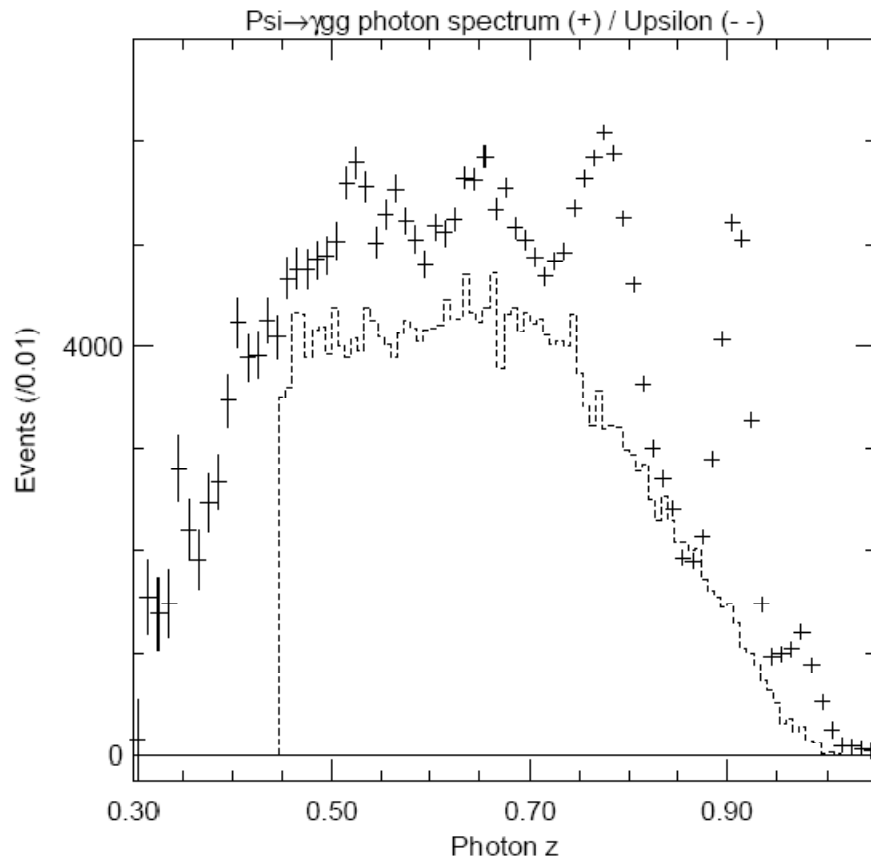
- Quarkonium production of direct photons:
 - Via $gg\gamma$; photon spectrum calculable via SCET
 - Requires some model of recoil system
 - Sum color octet and color singlet contributions of recoil state.
 - Also include ‘fragmentation’ photons off final-state quark lines (Catani&Hautmann)

Models

- Fleming & Liebovich (SCET, 2003), Garcia-Soto (2005,2007)
 ψ prediction on top,
Upsilon bottom
(pink=color singlet contributions only) with
data overlaid



Direct photon production in quarkonia



U(1S): Measure ratio of $gg\gamma:ggg$ rates

Experiment	$R_\gamma(\%)$
CLEO 1.5 ($\Upsilon(1S)$)[7]	$2.54 \pm 0.18 \pm 0.14$
ARGUS ($\Upsilon(1S)$)[10]	$3.00 \pm 0.13 \pm 0.18$
Crystal Ball ($\Upsilon(1S)$)[9]	$2.7 \pm 0.2 \pm 0.4$
CLEO II ($\Upsilon(1S)$)[11]	$2.77 \pm 0.04 \pm 0.15$
CLEO III ($\Upsilon(1S)$)	$2.70 \pm 0.01 \pm 0.13 \pm 0.24$
CLEO III ($\Upsilon(2S)$)	$3.18 \pm 0.04 \pm 0.22 \pm 0.41$
CLEO III ($\Upsilon(3S)$)	$2.72 \pm 0.06 \pm 0.32 \pm 0.37$

Taglines: a) psi 'continuum'
spectra very similar to Upsilon
spectra b) rate for psi

BUT: one calculation at U(1S)
unphysical for $z > 0.7$

For psi: $R = 0.134 \pm 0.001$ (stat) ± 0.015 (sys) ± 0.004 (extrapolation $\rightarrow 0$)

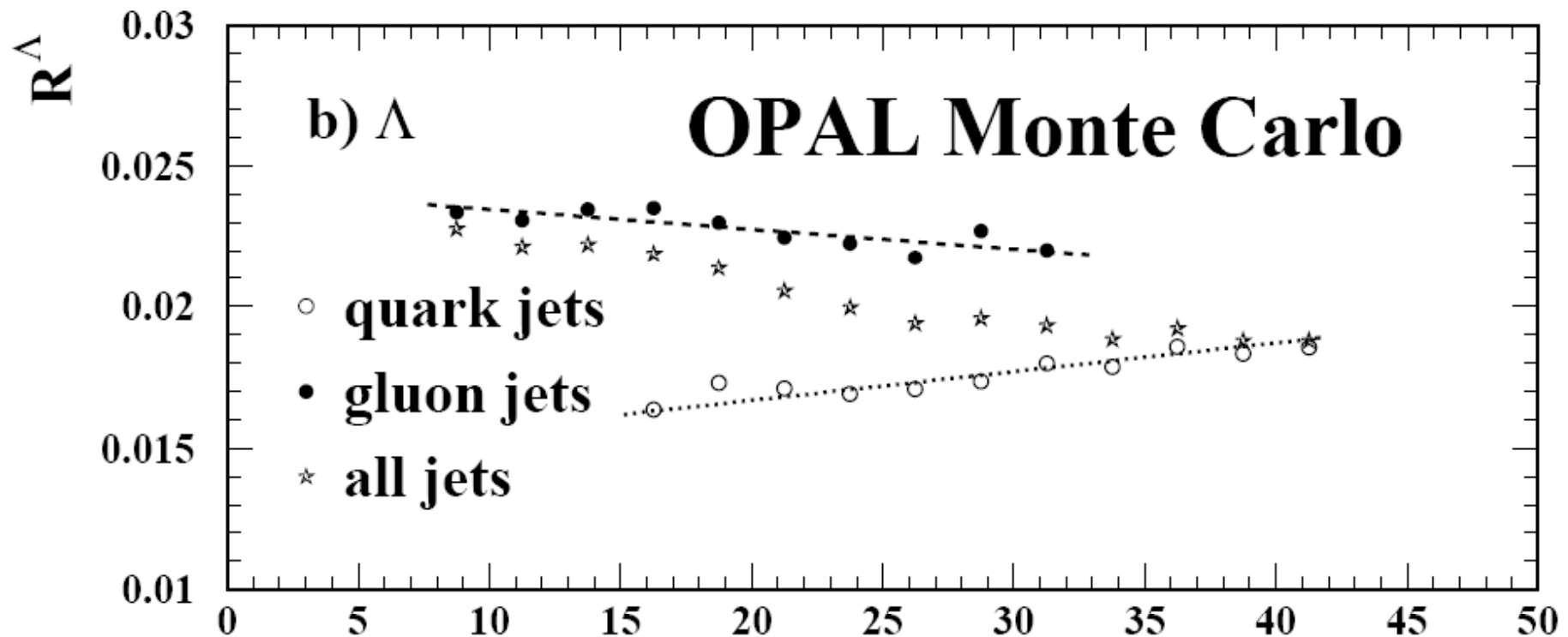
Scaling Upsilon msrmnt, accounting for running of $\alpha_s \rightarrow$ expect ~ 0.095 (Voloshin)

Aside: Lowest-order QCD: $dN/dz \sim z$

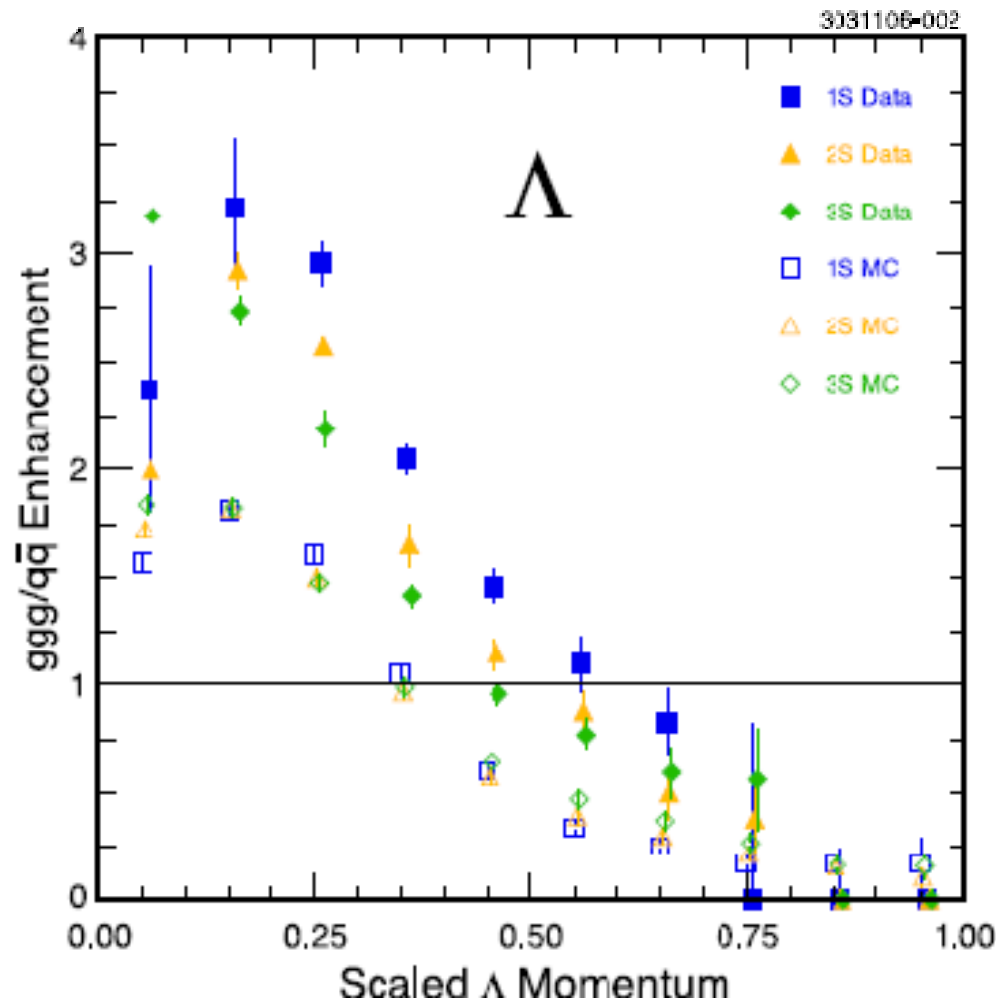
4) Direct Photon-tagged events to probe $gg\gamma$ vs. $q\bar{q}\gamma$

- I.e. compare inclusive particle production in recoil two-gluon system with qq fragmentation via ISR: $e^+e^- \rightarrow q\bar{q} + \text{photon}$ on continuum
 - Direct quark vs. gluon probe – no jet-identification needed
 - Statistically unfold continuum contamination to resonance ($\sim 20\%$ effect)
- Start by repeating previous studies (CLEO, ARGUS) of baryon production from quarkonium $\rightarrow ggg$ vs. nearby continuum ($q\bar{q}$)

OPAL result (shown yesterday) – Lambda enhancement 1-1.5 for all jet- finders



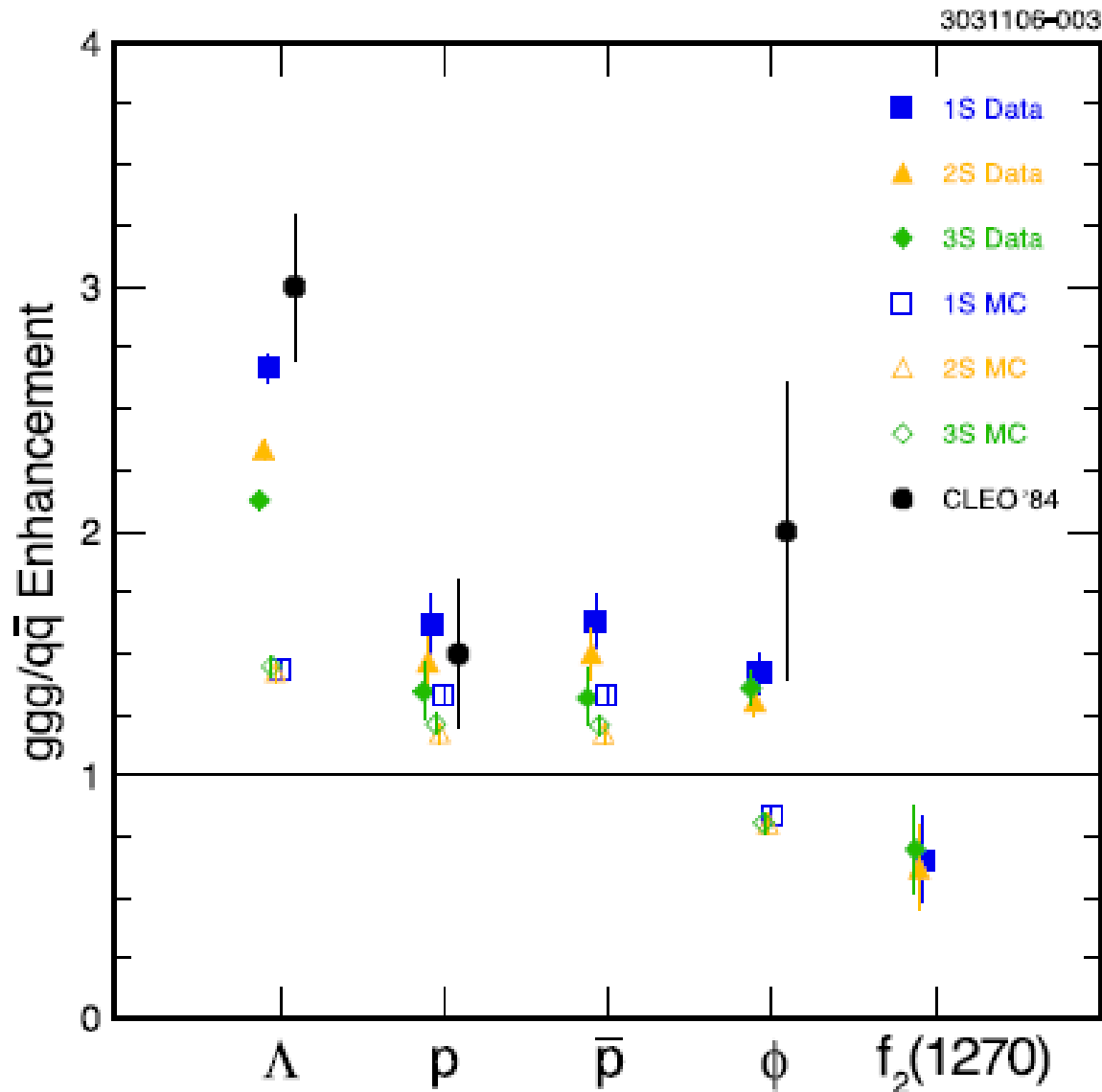
CLEO: Momentum-dependent ggg/qq enhancements ($n\bar{o}$ photon tagging)



Enhancement dominant at Low momenta (cf. DELPHI)

Note: avg. multiplicity in gg decays
Same as qqbar to within 5%

Several particles ggg vs. qqbar (10 GeV)



Enhanced
proton/antiproton
rate~1.5

Enhanced lambda
rate~2.7

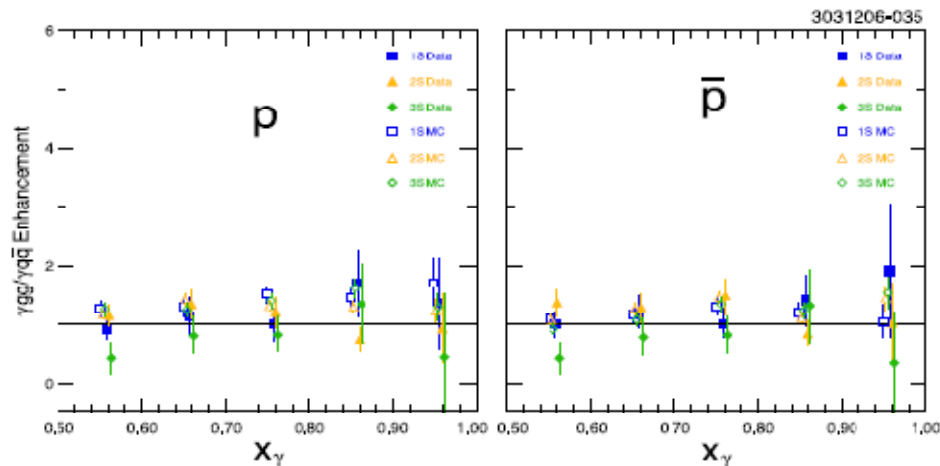
(not in JETSET)

Proton rate in $\chi_b \rightarrow gg/qq(g)$ decays

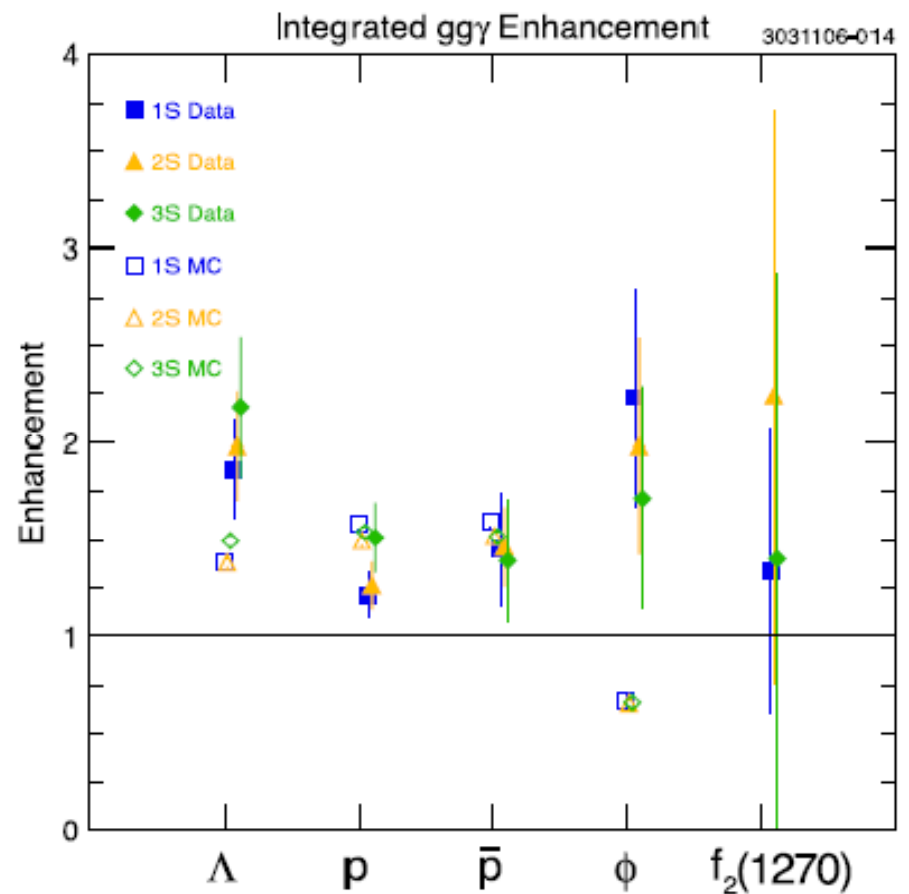
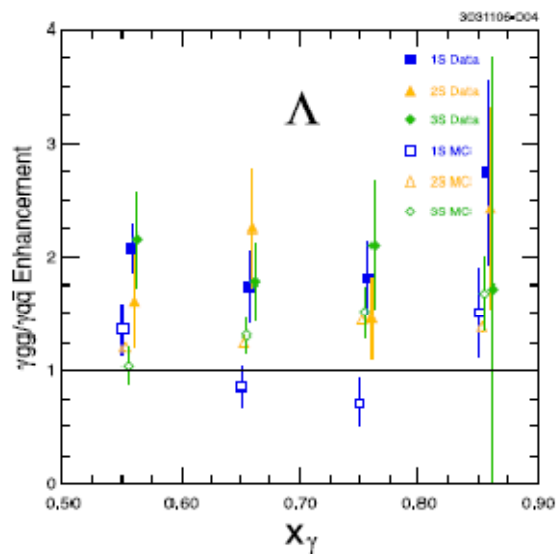
Dataset	particle identification	$(\chi_{b2} \rightarrow p + X)/$ $(\chi_{b1} \rightarrow p + X)/$	$(\chi_{b2} \rightarrow p + X)$ $(\chi_{b1} \rightarrow p + X)$
(3S A)	loose	1.116 ± 0.017	1.19 ± 0.046
(3S B)	loose	1.080 ± 0.016	1.00 ± 0.034
(3S C)	loose	1.086 ± 0.011	1.054 ± 0.047
(3S D)	tight	1.103 ± 0.027	1.091 ± 0.097
3S, all		$1.109 \pm 0.007 \pm 0.040$	$1.082 \pm 0.025 \pm 0.060$
(2S A)	tight	1.066 ± 0.028	1.03 ± 0.13
(2S B)	loose	1.075 ± 0.018	1.36 ± 0.15
(2S C)	loose	1.076 ± 0.017	0.99 ± 0.11
(2S D)	loose	1.065 ± 0.015	1.06 ± 0.11
(2S B)	tight	1.076 ± 0.047	1.39 ± 0.28
(2S C)	tight	1.039 ± 0.040	1.17 ± 0.22
(2S D)	tight	1.024 ± 0.035	0.88 ± 0.20
2S, all		$1.068 \pm 0.010 \pm 0.040$	$1.11 \pm 0.15 \pm 0.20$
Monte Carlo (3S A)	loose	1.057 ± 0.016	1.030 ± 0.072
Monte Carlo (3S A)	tight	1.034 ± 0.015	1.042 ± 0.066
Monte Carlo (3S B)	tight	1.041 ± 0.013	1.051 ± 0.049
MC, 3S all sets		1.043 ± 0.008	1.043 ± 0.036
Monte Carlo (2S A)	tight	1.052 ± 0.014	1.121 ± 0.058
Monte Carlo (2S A)	loose	1.043 ± 0.015	1.076 ± 0.061
MC, 2S all sets		1.046 ± 0.010	1.061 ± 0.025

JETSET gets
this ratio right.

Momentum-integrated $gg\gamma$ vs. $qq\gamma$



Enhancements approximately 3/4 of ggg enhancements ($\sim N_{\text{parton}}$)



Summary of results on previous slides data vs. JETSET

Particle	$gg\gamma/q\bar{q}\gamma$ data	$gg\gamma/q\bar{q}\gamma$ MC	$ggg/q\bar{q}$ data	$ggg/q\bar{q}$ MC
Λ (1S)	$1.86 \pm 0.25 \pm 0.03$	1.38 ± 0.039	$2.668 \pm 0.027 \pm 0.051$	1.440 ± 0.003
Λ (2S)	$1.98 \pm 0.27 \pm 0.08$	1.38 ± 0.018	$2.333 \pm 0.019 \pm 0.021$	1.428 ± 0.002
Λ (3S)	$2.18 \pm 0.36 \pm 0.02$	1.49 ± 0.023	$2.128 \pm 0.021 \pm 0.010$	1.450 ± 0.002
p (1S)	$1.21 \pm 0.11 \pm 0.03$	1.582 ± 0.034	$1.623 \pm 0.014 \pm 0.116$	1.331 ± 0.005
p (2S)	$1.26 \pm 0.11 \pm 0.06$	1.495 ± 0.018	$1.469 \pm 0.011 \pm 0.103$	1.177 ± 0.003
p (3S)	$1.51 \pm 0.17 \pm 0.06$	1.53 ± 0.021	$1.348 \pm 0.013 \pm 0.116$	1.214 ± 0.003
\bar{p} (1S)	$1.45 \pm 0.14 \pm 0.26$	1.589 ± 0.034	$1.634 \pm 0.014 \pm 0.111$	1.333 ± 0.005
\bar{p} (2S)	$1.46 \pm 0.12 \pm 0.17$	1.513 ± 0.018	$1.500 \pm 0.011 \pm 0.102$	1.175 ± 0.003
\bar{p} (3S)	$1.39 \pm 0.17 \pm 0.27$	1.51 ± 0.020	$1.323 \pm 0.013 \pm 0.115$	1.210 ± 0.003
ϕ (1S)	$1.78 \pm 0.49 \pm 0.08$	0.673 ± 0.013	$1.423 \pm 0.051 \pm 0.065$	0.836 ± 0.003
ϕ (2S)	$1.73 \pm 0.52 \pm 0.06$	0.658 ± 0.012	$1.308 \pm 0.041 \pm 0.041$	0.805 ± 0.001
ϕ (3S)	$1.87 \pm 0.81 \pm 0.06$	0.662 ± 0.015	$1.355 \pm 0.054 \pm 0.047$	0.808 ± 0.002
$f_2(1270)$ (1S)	$1.34 \pm 0.84 \pm 0.15$ (< 2.74)	—	$0.658 \pm 0.058 \pm 0.175$	—
$f_2(1270)$ (2S)	$2.22 \pm 1.53 \pm 0.20$ (< 4.68)	—	$0.621 \pm 0.094 \pm 0.171$	—
$f_2(1270)$ (3S)	$1.41 \pm 1.48 \pm 0.10$ (< 3.87)	—	$0.702 \pm 0.104 \pm 0.175$	—

5) Correlated baryon-antibaryon production (BaBar re-analysis)

Charmed baryons 3x more likely to appear opposite an anti-charmed baryon than an anti-charmed meson (per tag)

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TABLE III. Production rates; statistical errors only.

$\frac{\text{Double tags}}{\text{Single tags}}$	Data fraction	Monte Carlo fraction
$2 \times \frac{\Lambda_c^+ \bar{\Lambda}_c^-}{\bar{\Lambda}_c^-}$	$(7.19 \pm 1.08) \times 10^{-3}$	$(1.49 \pm 0.62) \times 10^{-3}$
$\frac{\Lambda_c^+ D^0}{D^0}$	$(2.05 \pm 0.16) \times 10^{-3}$	$(1.82 \pm 0.08) \times 10^{-3}$
$\frac{\Lambda_c^+ D^-}{D^-}$	$(2.03 \pm 0.26) \times 10^{-3}$	$(1.82 \pm 0.14) \times 10^{-3}$
$\frac{\Lambda \bar{\Lambda}_c^-}{\bar{\Lambda}_c^-}$	$(19.3 \pm 1.1) \times 10^{-3}$	$(8.28 \pm 0.66) \times 10^{-3}$

Also, Λ - $\bar{\Lambda}$ correlations

	DATA	MC	DATA-MC
$(\Lambda_c \bar{\Lambda}_c)/(\Lambda_c + \bar{\Lambda}_c) (\times 10^{-3})$	3.91 ± 0.47	1.05 ± 0.44	2.86 ± 0.64
$(\bar{\Lambda}_c\Lambda + \Lambda_c\bar{\Lambda})/(\Lambda + \bar{\Lambda}) (\times 10^{-4})$	3.43 ± 0.36	2.16 ± 0.30	1.27 ± 0.46
$(\bar{\Lambda}_c \Lambda + \Lambda_c \bar{\Lambda})/(\Lambda + \bar{\Lambda}) (\times 10^{-4})$	20.2 ± 1.0	7.1 ± 0.7	13.1 ± 1.2
$(\Lambda\bar{\Lambda})/(\Lambda + \bar{\Lambda}) (\times 10^{-2})$	1.01 ± 0.01	0.67 ± 0.01	0.34 ± 0.02
$(\Lambda\bar{\Lambda})/(\Lambda + \bar{\Lambda}) (\times 10^{-2})$	1.16 ± 0.01	1.17 ± 0.01	-0.01 ± 0.01
$(\Lambda\Lambda)/(\Lambda + \bar{\Lambda}) (\times 10^{-5})$	3.93 ± 2.10	3.73 ± 1.27	0.20 ± 2.45
$(\Lambda\Lambda)/(\Lambda + \bar{\Lambda}) (\times 10^{-5})$	33.0 ± 5.1	41.2 ± 4.1	-8.2 ± 6.6

JETSET 7.4 reproduces same hemisphere $\Lambda\Lambda(c)$ correlations, but deficit of opposite hemisphere correlations

http://xxx.lanl.gov/PS_cache/hep-ex/pdf/0205/0205085v1.pdf

Recent CLEO results: η' production

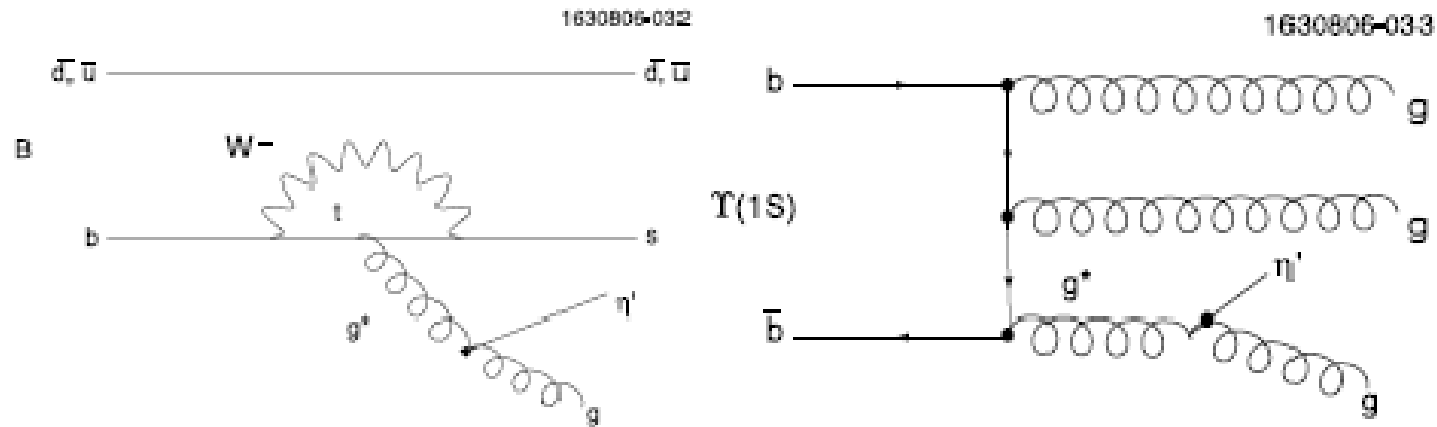


FIG. 1: Feynman Diagram for $b \rightarrow s(g^* \rightarrow g\eta')$ (left) and $Y(1S) \rightarrow ggg^* \rightarrow \eta'X$ (right).

Expect:
enhanced
coupling of eta' in
gluon-rich
environment?

Find: Total η' rate
in ggg events
comparable to
qqbar

Thus we obtain

$$\begin{aligned}
 n(Y(1S) \rightarrow (ggg^*) \rightarrow \eta'X) &\equiv \frac{N(Y(1S) \rightarrow ggg^* \rightarrow \eta'X)}{N(Y(1S) \rightarrow ggg^*)} = (3.2 \pm 0.2 \pm 0.2)\%, \\
 n(Y(1S) \rightarrow (q\bar{q}) \rightarrow \eta'X) &\equiv \frac{N(Y(1S) \rightarrow q\bar{q} \rightarrow \eta'X)}{N(Y(1S) \rightarrow q\bar{q})} = (3.8 \pm 0.2 \pm 0.3)\%, \\
 n(Y(1S) \rightarrow \eta'X) &\equiv \frac{N(Y(1S) \rightarrow \eta'X)}{N(Y(1S))} = (3.0 \pm 0.2 \pm 0.2)\%. \quad (6)
 \end{aligned}$$

The $Y(1S) \rightarrow \eta'X$ branching fractions at high momentum ($Z > 0.7$) are measured to be

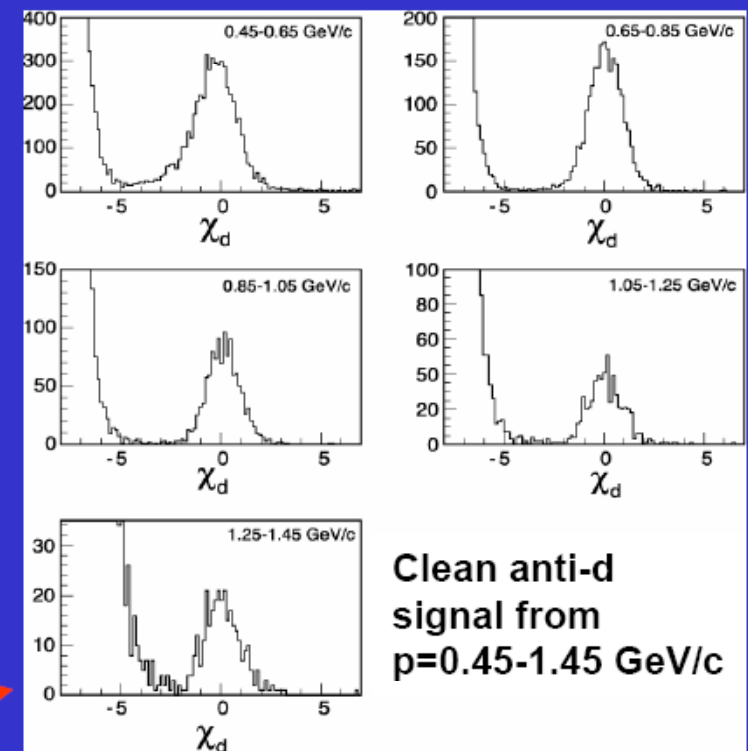
$$\begin{aligned}
 n(Y(1S) \rightarrow (ggg^*) \rightarrow \eta'X)_{Z>0.7} &= (3.7 \pm 0.5 \pm 0.3) \times 10^{-4}, \\
 n(Y(1S) \rightarrow (q\bar{q}) \rightarrow \eta'X)_{Z>0.7} &= (22.5 \pm 1.2 \pm 1.8) \times 10^{-4}, \\
 n(Y(1S) \rightarrow \eta'X)_{Z>0.7} &= (5.1 \pm 0.4 \pm 0.4) \times 10^{-4}. \quad (7)
 \end{aligned}$$



Deuteron production in $ggg+\gamma gg$ vs $\gamma^* \rightarrow qq$

Phys.Rev.
D75
(2007)
012009

- d =bound (pn)
- “Coalescence models” attempt to describe appearance in fragmentation
 - How often do p & n appear “close enough” in phase space to combine into d?
- Studies from ARGUS [PLB 236, 102 (1990)] in $\Upsilon \rightarrow d+X$ & ALEPH [PLB 639, 192 (2006)] in $Z \rightarrow d+X$
 - Accommodated by string model of Gustafson & Hakkinen [Zeit. Phys. C61, 683 (1994)]
 - Appearance in Υ ($ggg+\gamma gg$) vs γ^* or $Z \rightarrow qq$
 - Statistics-limited
- Experimental challenge is that d’s can easily be produced in beam-gas and beam-material collisions
 - Look only for anti-d’s
 - dE/dx in drift chamber
- Will present CLEO III data for inclusive anti-d’s
 - Separate results for Υ vs continuum
 - For $\Upsilon(1S)$, rescale branching fraction to reflect DIRECT production from $ggg+\gamma gg$: B^*



Normalized dE/dx for **anti-d**

N.B. Raw deuteron:antideuteron rate ~ 10 (beam-gas/beam-wall interactions)



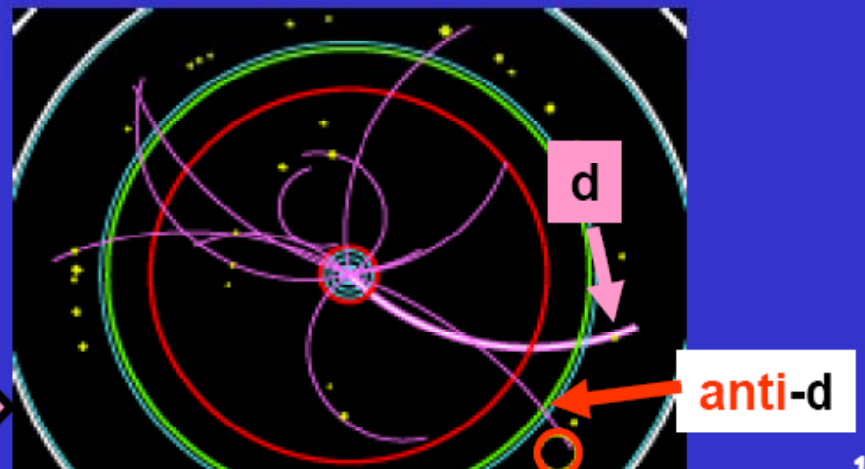
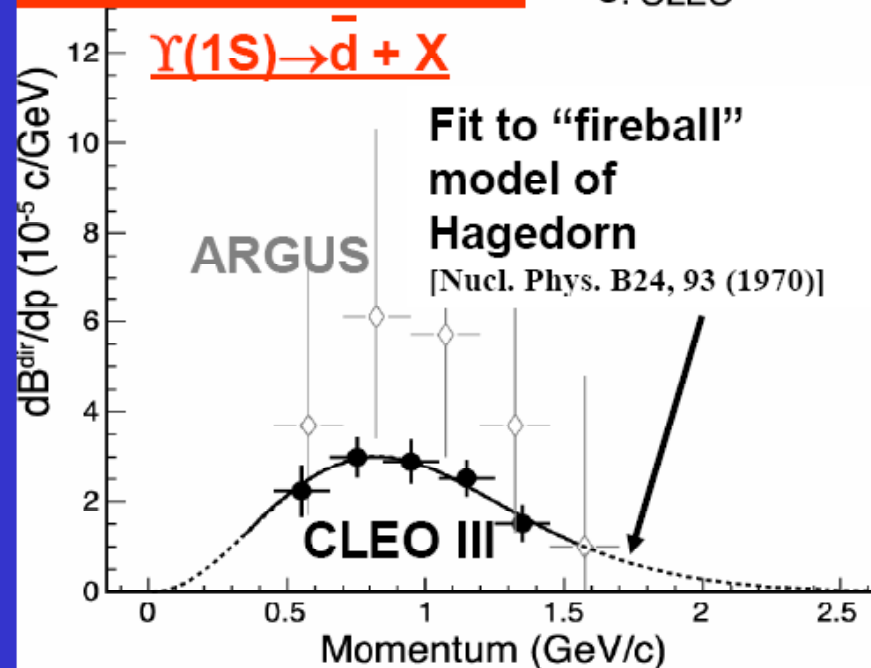
Anti-d Production Result

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- $B^*(\Upsilon(1S) \rightarrow \bar{d}X) = (3.36 \pm 0.23 \pm 0.25) \times 10^{-5}$
☐ based on 338 events
- $B(\Upsilon(2S) \rightarrow \bar{d}X) = (3.37 \pm 0.50 \pm 0.25) \times 10^{-5}$
☐ based on 58 events
- $B(\Upsilon(4S) \rightarrow \bar{d}X) < 1.3 \times 10^{-5}$
☐ based on 3 events
- $B(\gamma^* \rightarrow q\bar{q} \rightarrow \bar{d}X) < 1 \times 10^{-5}$
☐ based on 4.5 events
- Hence $(ggg + \gamma gg)$ is **about 3 times more likely** than $\gamma^* \rightarrow q\bar{q}$ to produce deuterons
- How often is an **anti-d** compensated by a d as compared to (n, p) combinations?
 - We see roughly equal compensation by nn, np, pp relative to each other
 - ~1% of the time a d compensates
 - 3 d anti-d events observed

PRD 75, 012009 (2007)

◇: ARGUS
●: CLEO



Implications for coalescence model

- Unclear.
- If anti-deuterons always compensated by deuterons, coalescence disfavored.
 - This result not inconsistent with coalescence...

Conclusions (part 1)

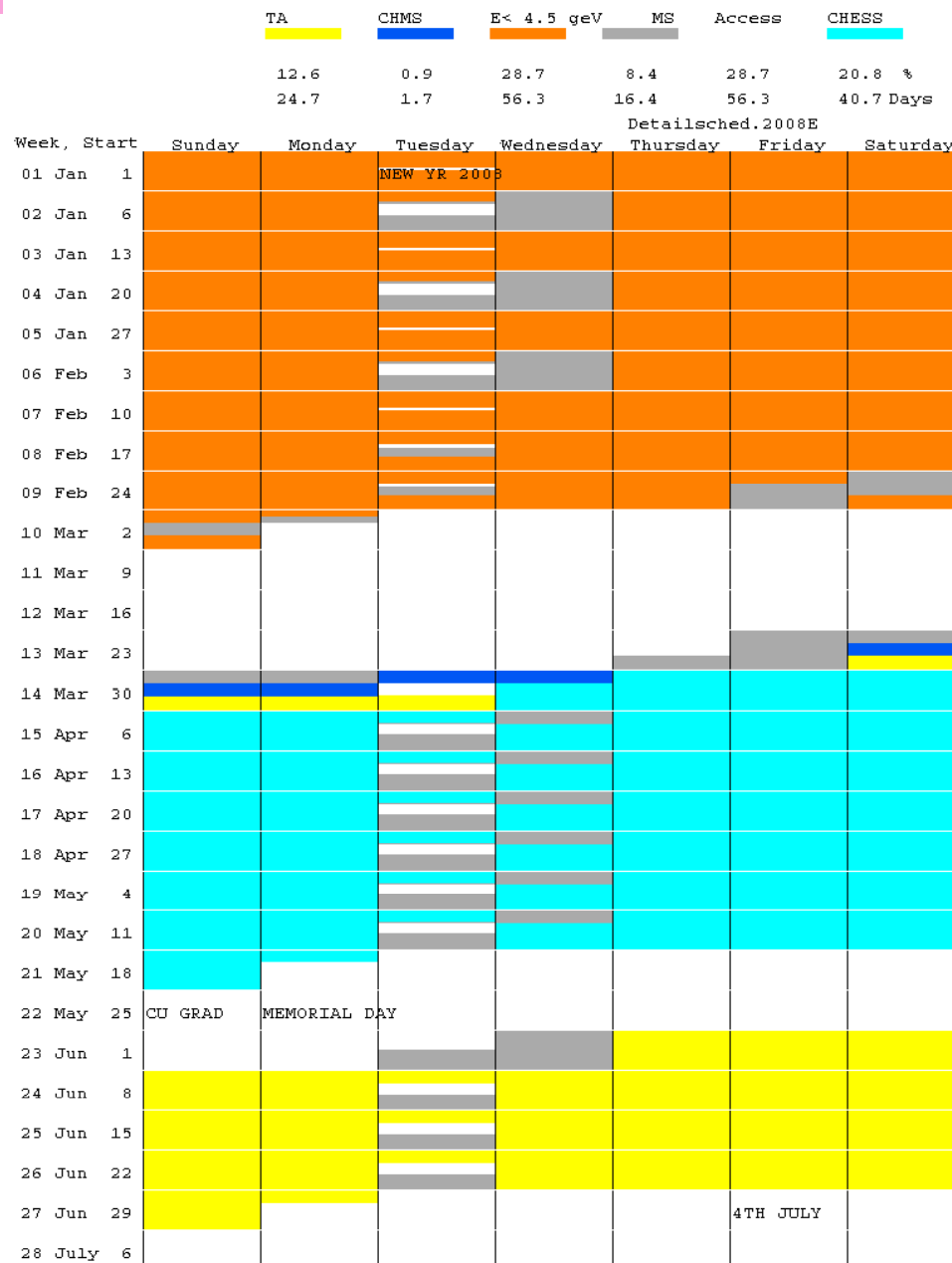
- Open charm produced in gluon hadronization @ 10 GeV, but at rate $\sim 15\%$ wrt $q\bar{q}$
- Hidden charm enhanced
- Dibaryon production (anti-deuterons) enhanced by factor \sim square of single baryon enhancement from gluons
- Two gluons \rightarrow baryons $\sim 2/3$ - $3/4$ 3gluons-baryons, based on $g g \gamma$ decays
 - Although shape of photon spectrum doesn't match with theory (yet)
- Color octet+singlet models still need some tuning (but an improvement over old school)

Intermezzo (sans music)

CLEO run plan for next few months.

Orange=good.

Everything else=bad.



Conclusions (2)

- “Rumors of my death are exaggerated” (M. Twain)
 - Unfortunately, not in this case: After 30-year physics program, CLEO data-taking ending in 97 hours.
- Still some fragmentation physics to be done:
 - More detailed studies of gg vs. ggg fragmentation
 - BE correlations at $ECM=10$ GeV vs. $ECM=3$ GeV
 - $\Lambda\Lambda$ correlations again at 10 GeV and also at 3 GeV, with polarization correlations.
- Systematics-limited analyses (e.g., $D/D^*/D_s/\Lambda_c$ fractions on continuum) likely competitive for awhile
- and nice spectroscopy at threshold (e.g., first observation of $D_s \rightarrow p + \text{antineutron}$)
- Expect active physics for another 12-18 mos., then the deluge...