



# Study of the magnets used in a mobile isocenter gantry

**ESR** 

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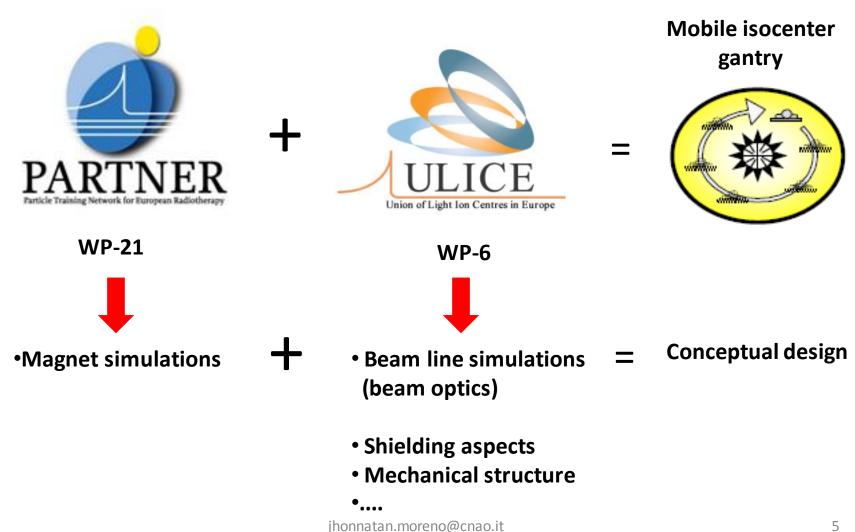
#### **General overview**

- 1. Introduction
- 2. Why a mobile isocenter gantry
- 3. Magnetic line for a mobile isocenter gantry
- 4. Conclusions



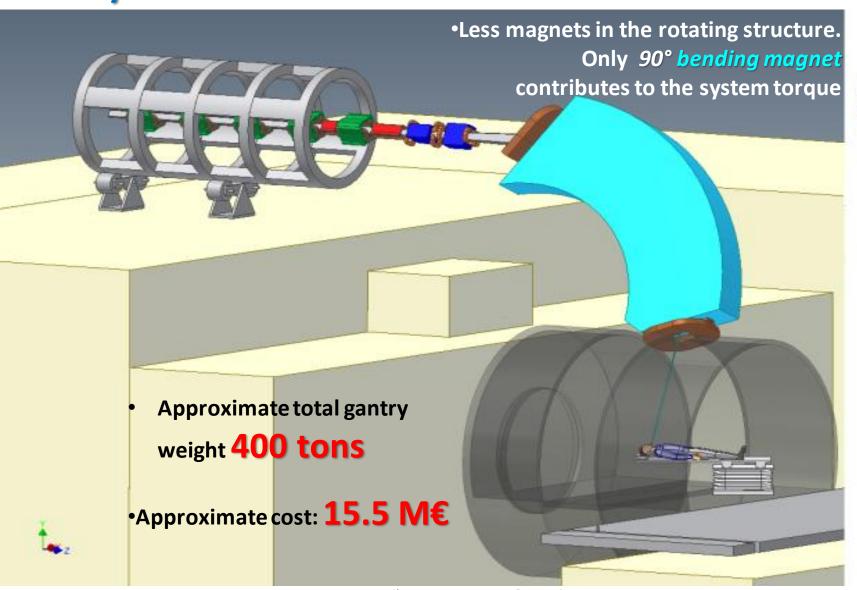


#### The job was distributed in:



# Why a mobile isocenter gantry

### The layout shows:



90° bending magnet



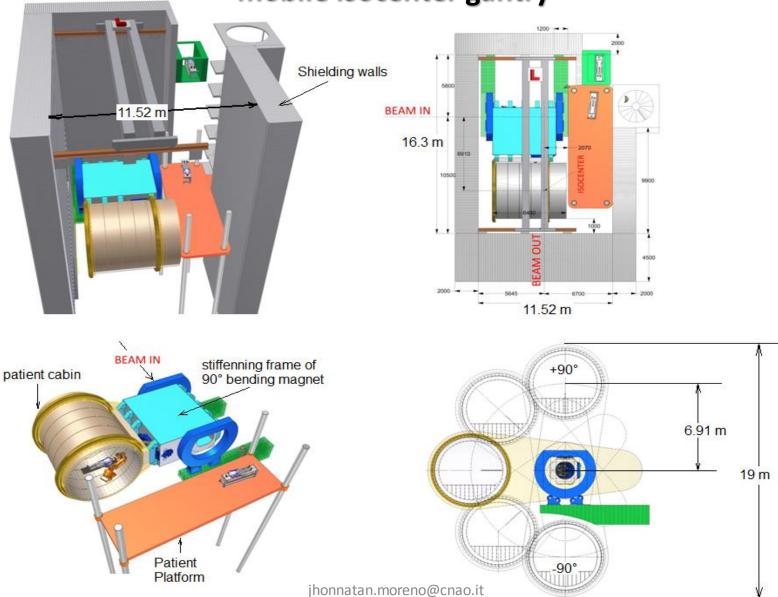
Quadrupoles

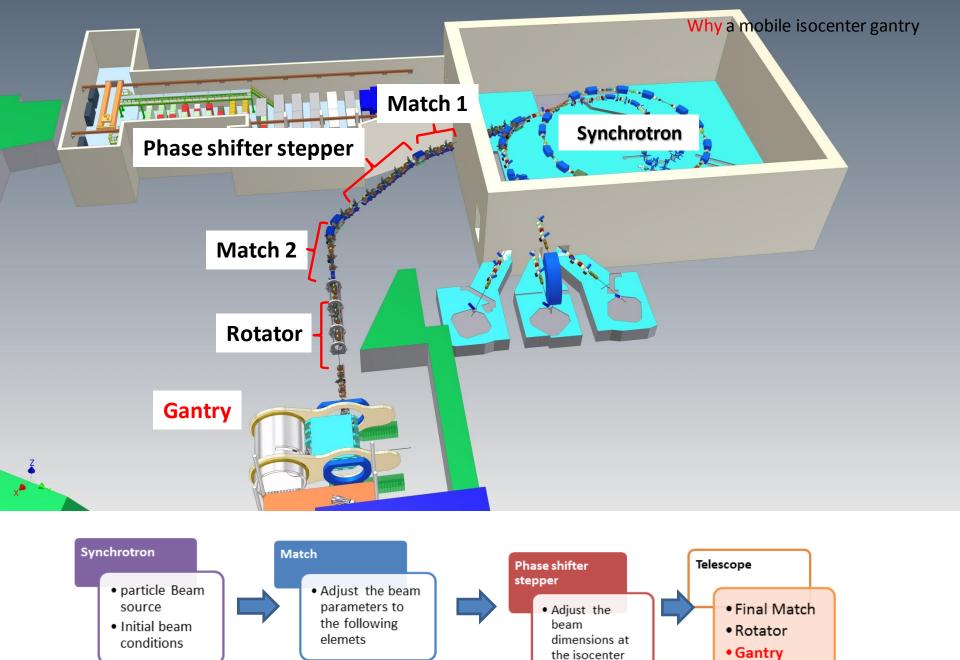


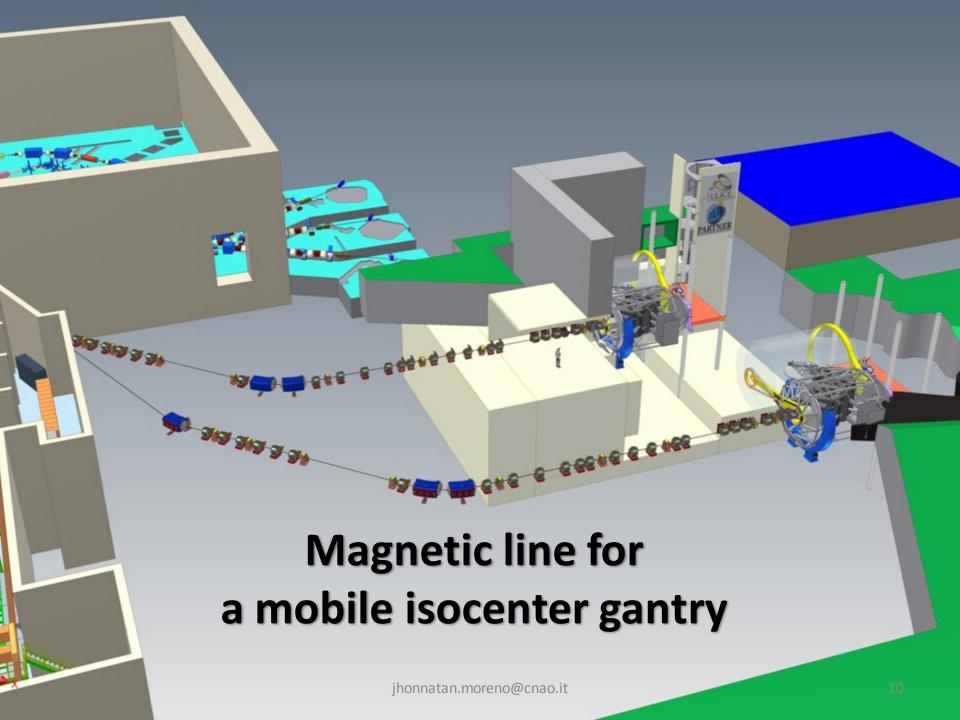
Corrector magnets



# Preliminary conceptual layout for a mobile isocenter gantry

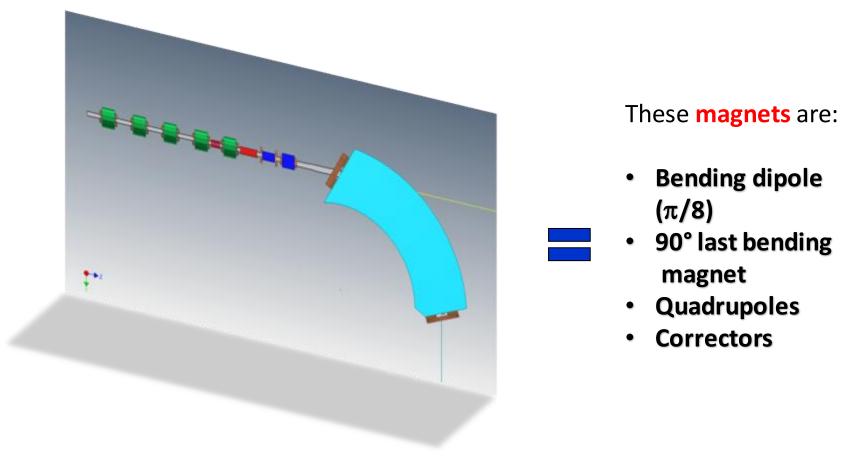




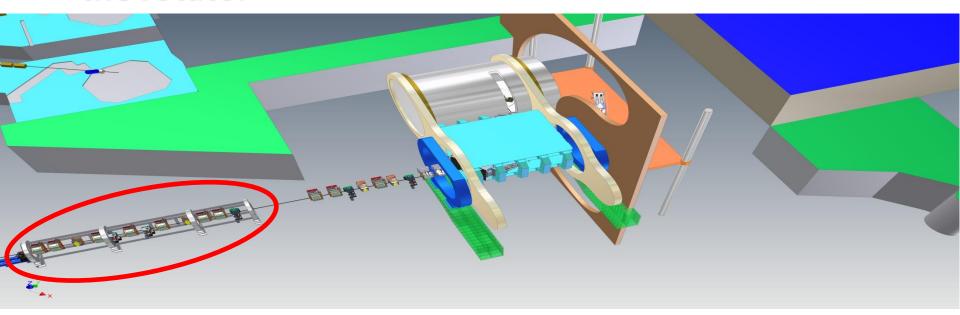


# Development of technical aspects of magnets

to be used in the conceptual gantry design

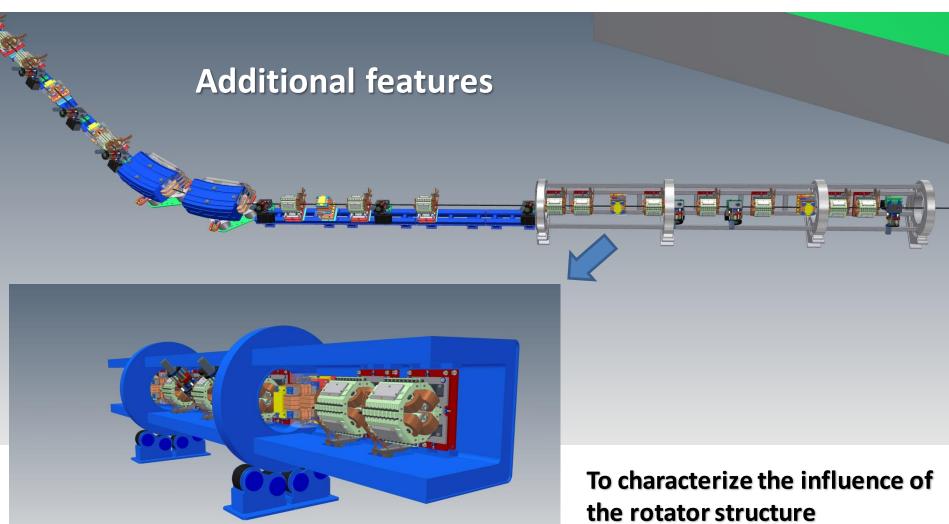


# Additional features: the rotator



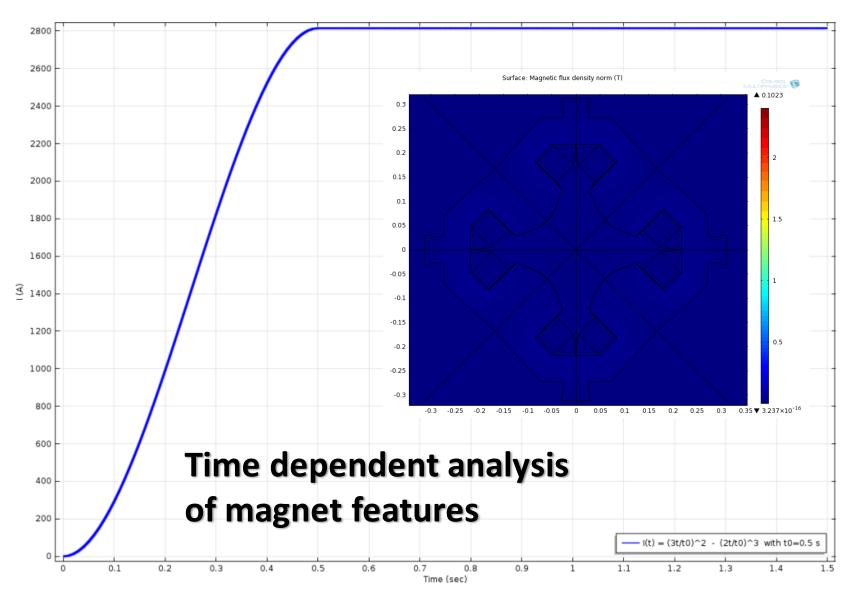
What is the rotator?

It is a set of quadrupoles placed in a rotating structure which allows to match the fix part of the line with the rotating part (gantry)

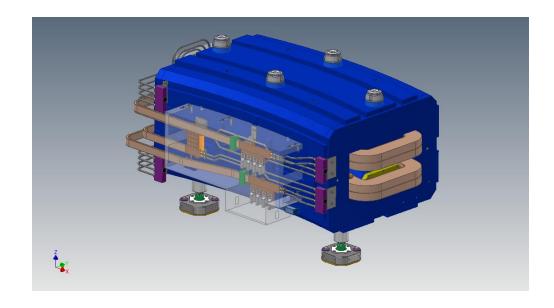


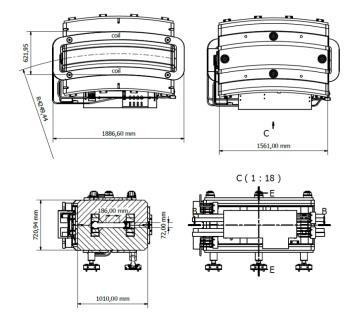
To characterize the influence of the rotator structure on the magnetic field of quadrupoles and correctors

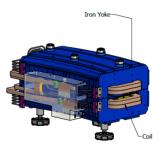
#### **Additional studies**



# Bending dipole $(\pi/8)$



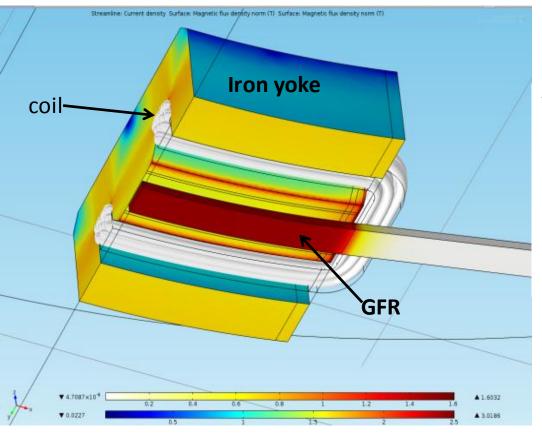




In the gantry line there are three bending dipoles  $(\pi/8)$ 

They are used to control and match the beam dispersion along the line.

#### Bending dipole $(\pi/8)$



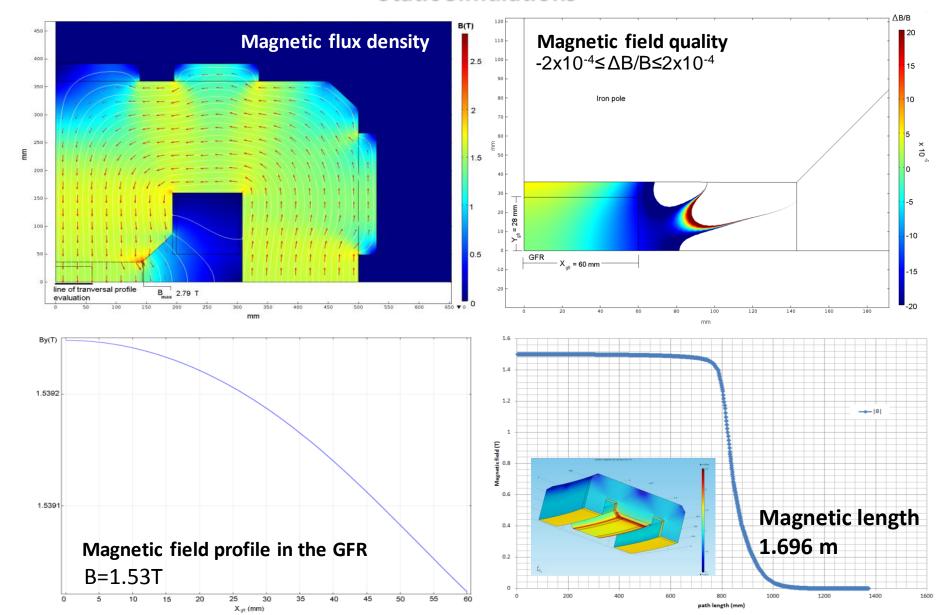
The static simulations are useful to verify:

- 1. The iron field saturation level
- The magnetic field intensity in the Good Field Region (GFR)
- 3. The magnetic field homogeneity

#### **Static Simulations**

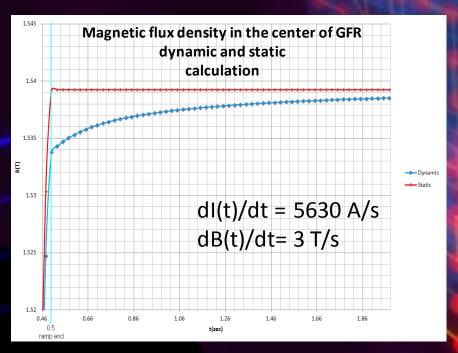
#### Bending dipole $(\pi/8)$

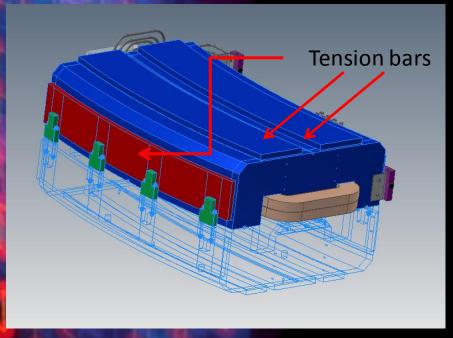
#### **Static Simulations**



## Time dependent calculations

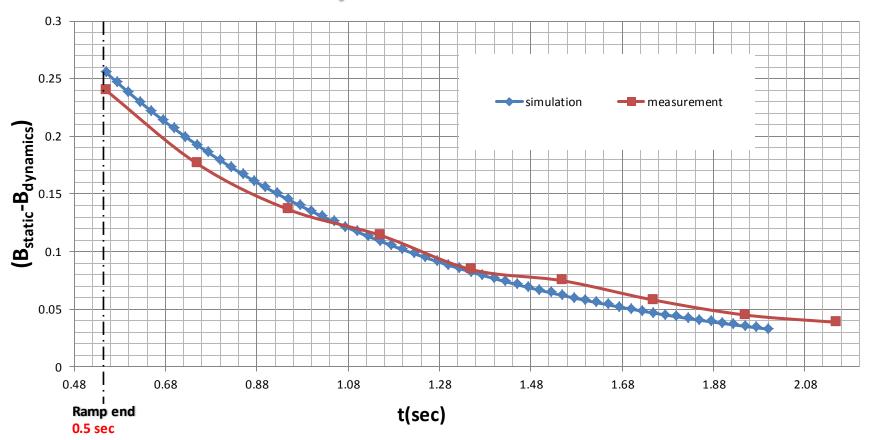
The energy beam variations during the treatment requires variations in the magnetic field strength of every magnetic element in the gantry line.





To validate the Finite Element Method calculations, a comparison between dynamic measurements and simulations has been done

### Time dependent calculations



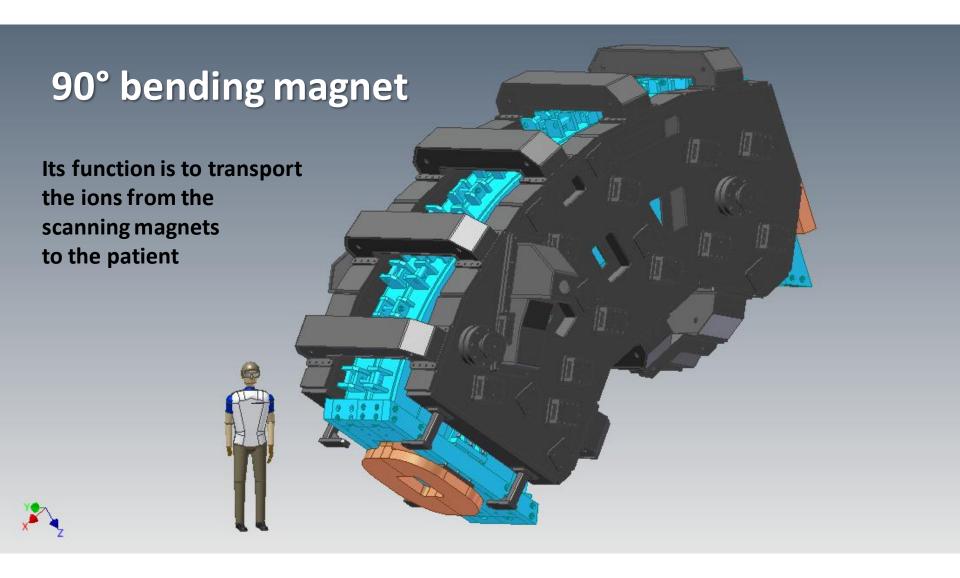
The results show a good agreement between the calculated and the measured data

# Remarks about bending dipole $(\pi/8)$

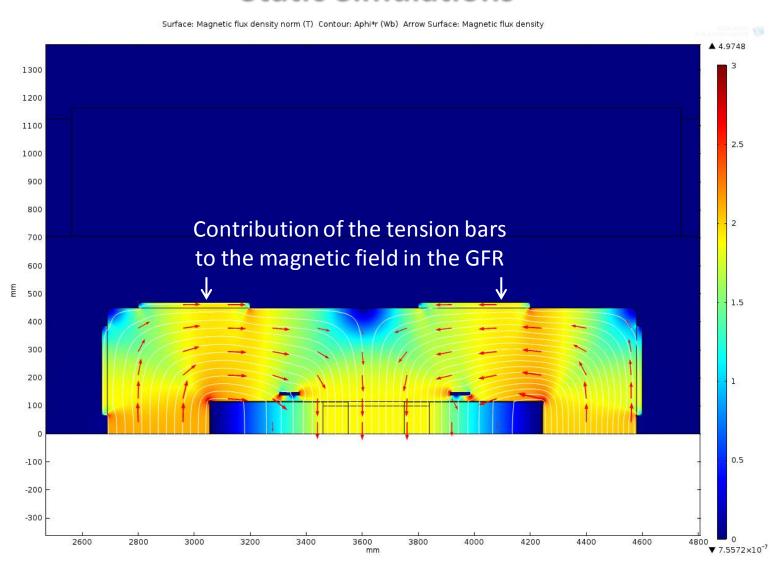
 This magnet model has been used as validation model in the dynamic regime

Magnetic field[T]	1.539	
(Bx-B <sub>0</sub> )/B <sub>0</sub> at GFR	[-0.03x10 <sup>-4</sup> ,1.67 x10 <sup>-4</sup> ]	
Stored Energy[J]	48418.4	
Inductance[mH]	12.22	
Dissipated DC power[kW]	36.88	
DC voltage in the coil[V]	13.10	
Total dipole resistance[mΩ]	4.65	
Integrated Magnetic field[T*m]	2.5461	
Magnetic length[m]	1.696	

Main features calculated for  $\pi/8$  bending dipole

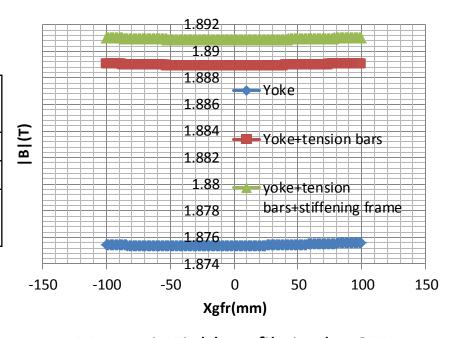


This magnet have particular features: **Tension bars** Ferromagnetic stiffening frame Magnet weight: 82 tons GFR: 20 x 20 cm<sup>2</sup>

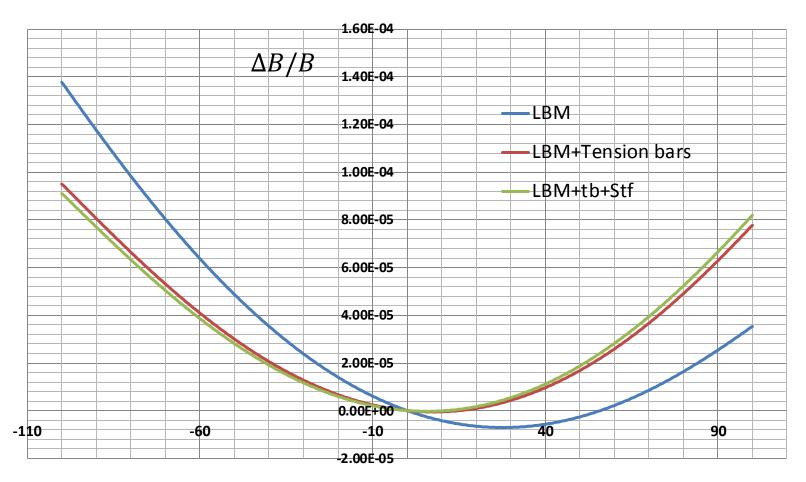


	B in the center of the magnet [T]	Delta (%)
Only iron yoke	1.8753	0
Yoke+tension bars	1.888	0.67
Yoke+ tension bars + stiffening frame	1.890	0.78

Values of the magnetic field strength in the middle of the GFR



Magnetic Field profile in the GFR



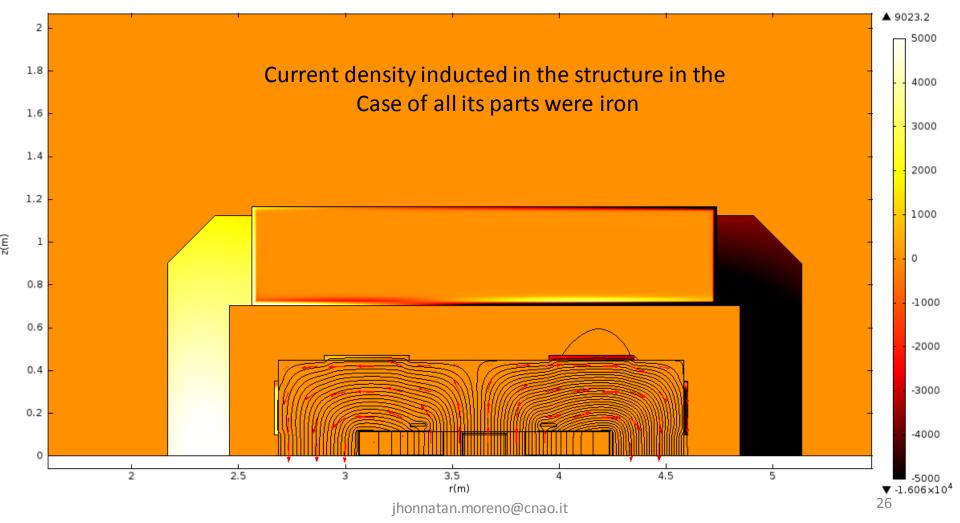
Xgfr(mm)

Magnetic field homogeneity contribution of the tension bars and of the tension bars + the stiffening frame, respectively

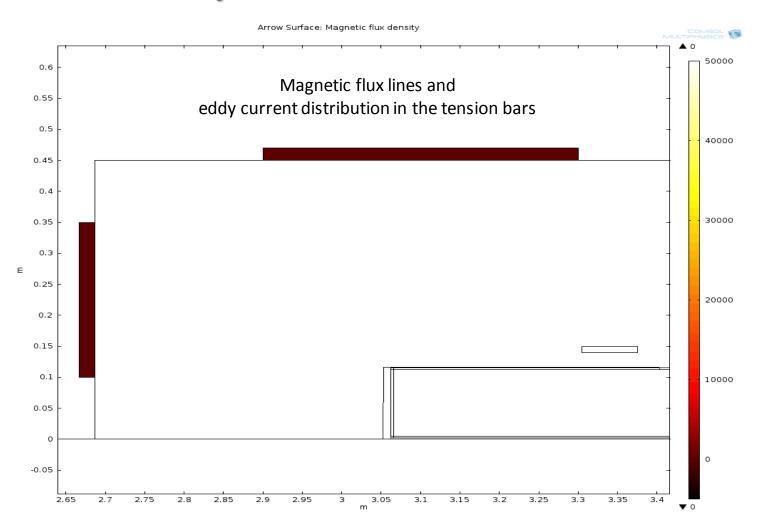
# **Dynamic simulations**

Global: (A)

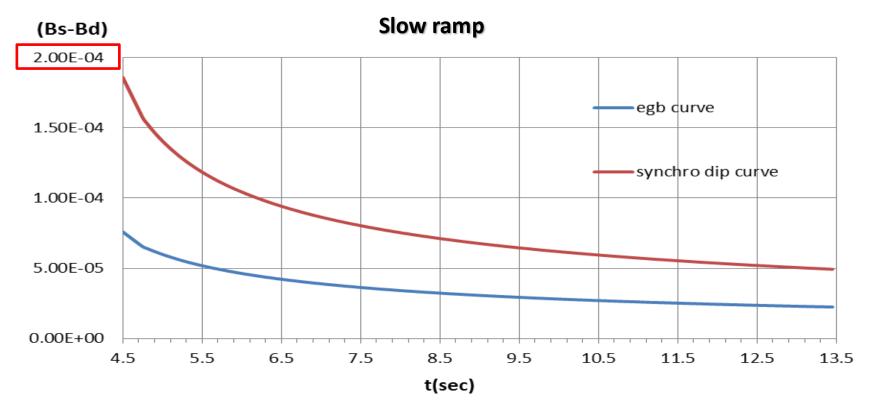
Time=4.5 Surface: Induced current density, phi component (A/m²) Contour: Aphi\*r (Wb) Arrow Surface: Magnetic flux density



# **Dynamic simulations**



# **Dynamic simulations**



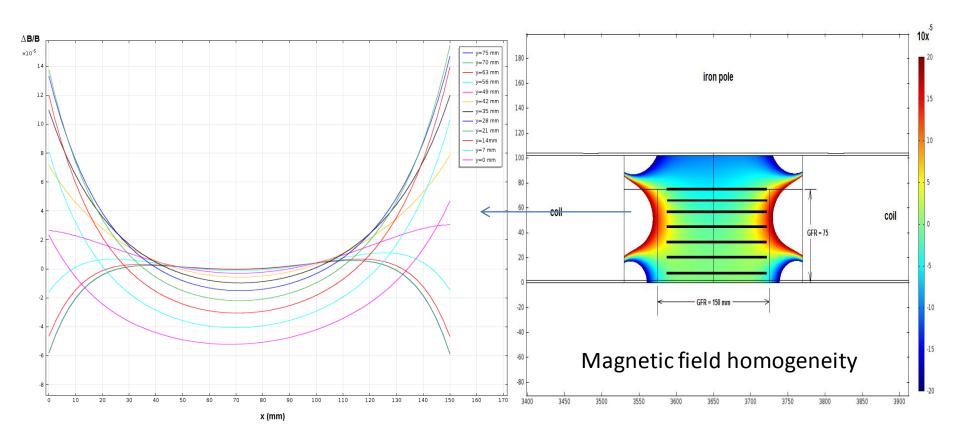
Difference between static field (Bs) and dynamic field (Bd) at the end of the feeding current ramp t = 4.5 s

$$(B_s - B_d) \sim e^{-(t/\tau)}$$

The eddy currents generated in the tension bars give a time constat ( $\tau$ ) of 1.13 s

#### An alternative: reducing the GFR

A similar magnet with a reduced GFR  $(15 \times 15 \text{ cm}^2)$  was also studied in order to evaluate the possibility to minimize weight and/or power consumption



#### An alternative: reducing the GFR

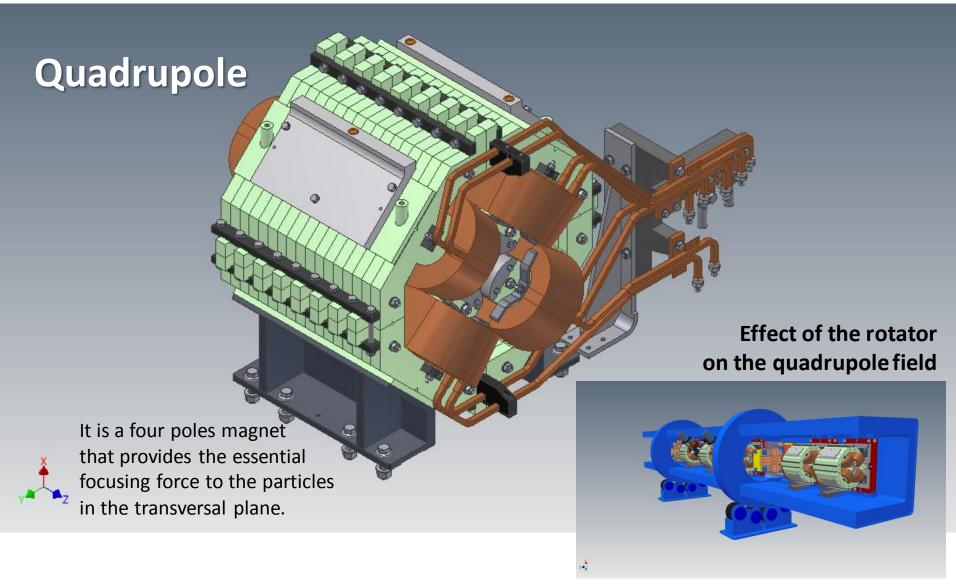
The magnet with 15 x 15 cm<sup>2</sup> reduced GFR gap allows to save approximately **10 tons** in weight and to save **30%** of power consumption

	GFR ( 15 x 15 cm <sup>2</sup> )	GFR ( 20 x 20 cm <sup>2</sup> )
Magnetic field [T]	1.814	1.87
$\Delta B/B_0$ at GFR	[-0.58x10 <sup>-4</sup> , 1.375x10 <sup>-4</sup> ]	[-0.8x10 <sup>-4</sup> , 1.03x10 <sup>-4</sup> ]
Stored Energy [J]	882227.24	1213924.48
Inductance [H]	0.26	0.47
Dissipated DC power [kW]	426.64	613.65
DC voltage [V]	164.1	269.16
Inducted Voltage [V]	150.6	236.8
Excitation current[A]	2600	2800
Ampere-turns	156000	182400
Magnet Weight [tons]	70	82

Comparison table between the reduced 90° bending magnet (GRF 15 x 15 cm<sup>2</sup>) and the reference 90° CNAO bending magnet (GFR 20 x 20 cm<sup>2</sup>)

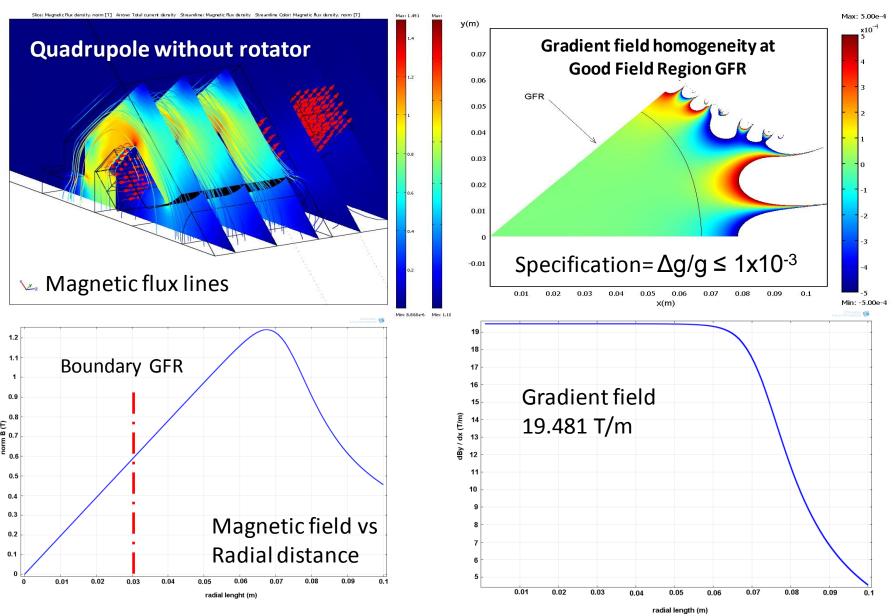
### Remarks about 90° bending magnet

- Static simulations of the CNAO 90° large gap dipole have shown that the 2D field homogeneity is acceptable and that the influence of the stiffening frame structure and of the tension bars cannot be neglected
- The variation in the absolute value of the field in the gap is not significant for the requirement on the excitation current and the effect on the field homogeneity is unimportant
- A reduced GFR 90° bending magnet has been evaluated. The corresponding layout allows saving about the **30%** of power consumption and **10 tons** on the overall weight

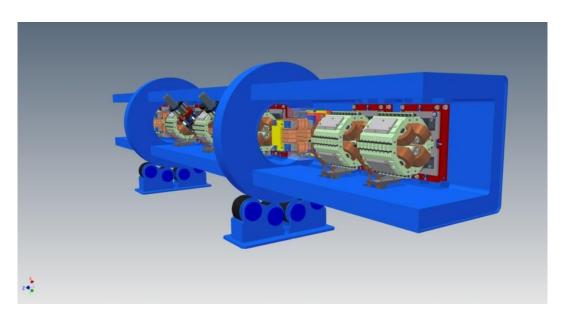


# Magnetic line for a mobile isocenter gantry

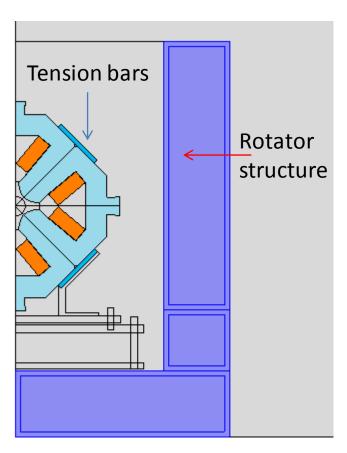
#### **Static Simulations**



# **Rotator**



CAD design of the rotator structure

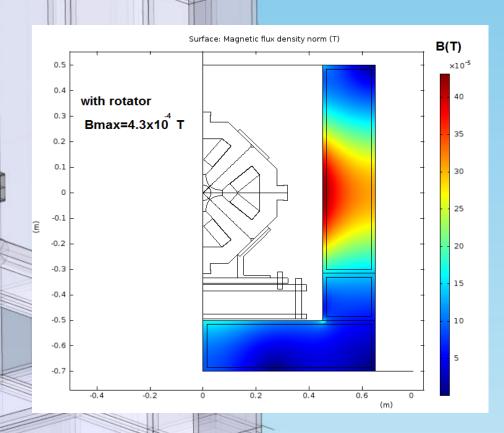


2D geometry implemented in the FEM code

# Rotator

0.5

2D	Gradient in the center of the magnet [T/m]	Delta (%)
Only iron yoke	19.481	0
Yoke + tension bars	19.503	0.11
Yoke + tension bars + rotator structure	19.505	0.12

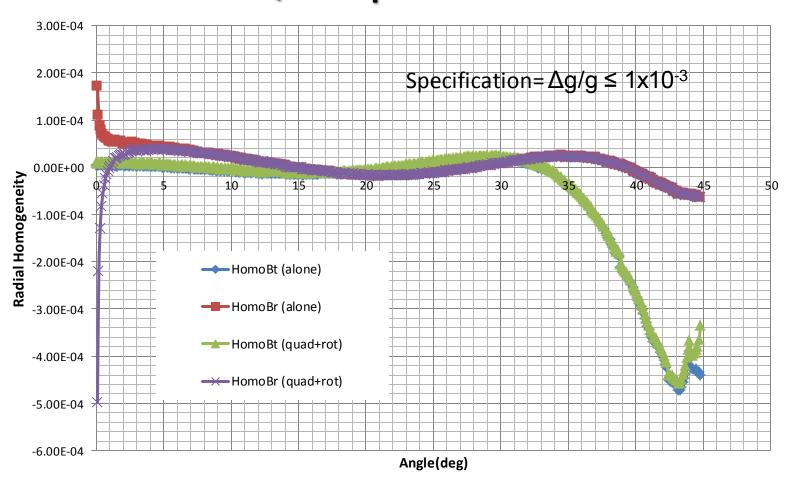


Values of the magnetic field gradient in the GFR boundary

(r = 30 mm)

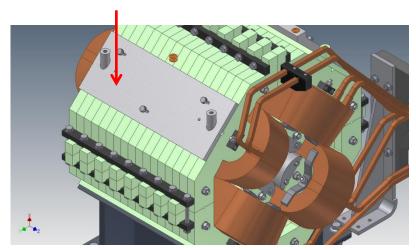
#### Quadrupole

# Static Simulations Quadrupole+Rotator

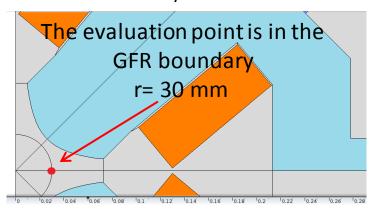


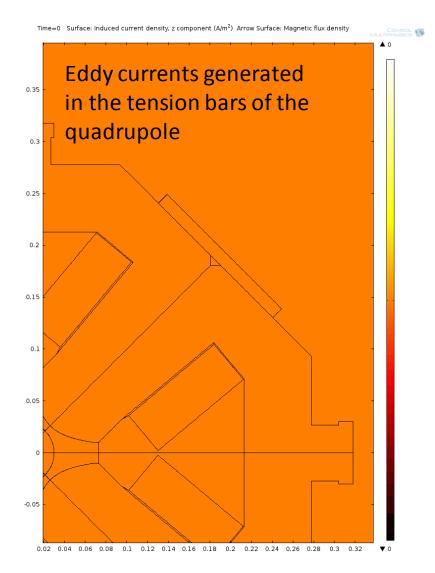
Values of the magnetic field gradient homogeneity in the GFR boundary (r = 30 mm)

#### Tension bar



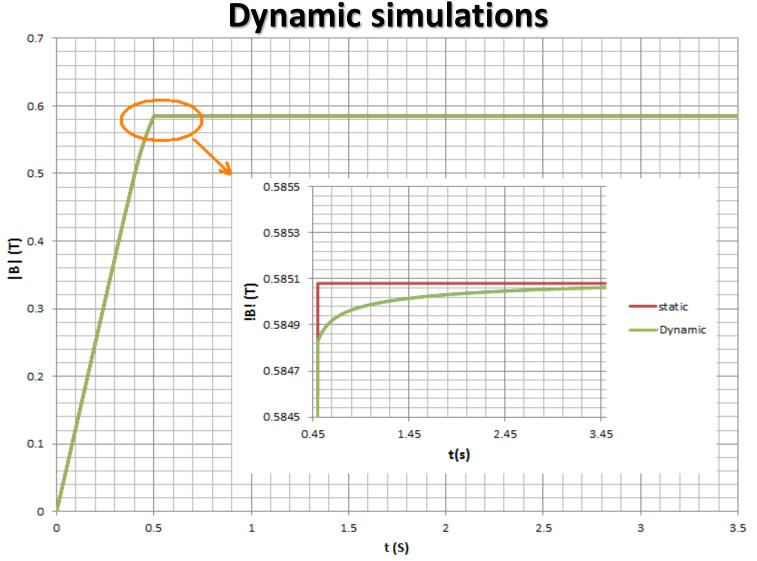
Sketch of quadrupoles lamination with the tension bars welded in the external part of the yoke



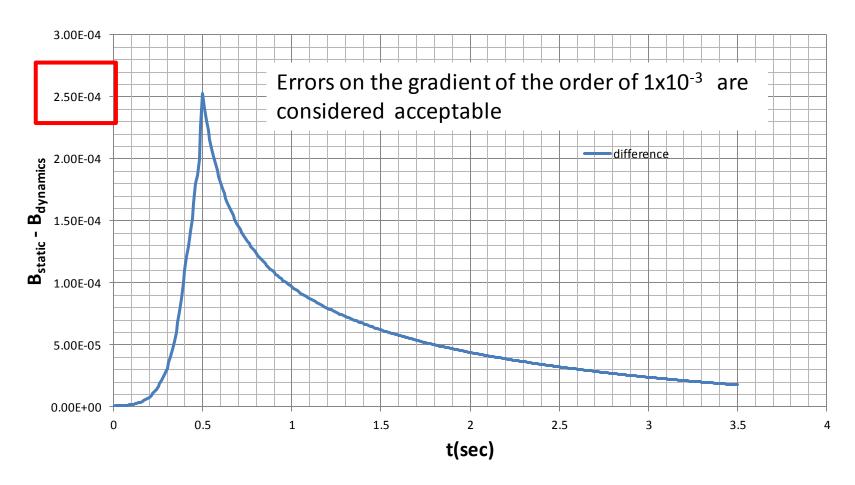


NO

rotator

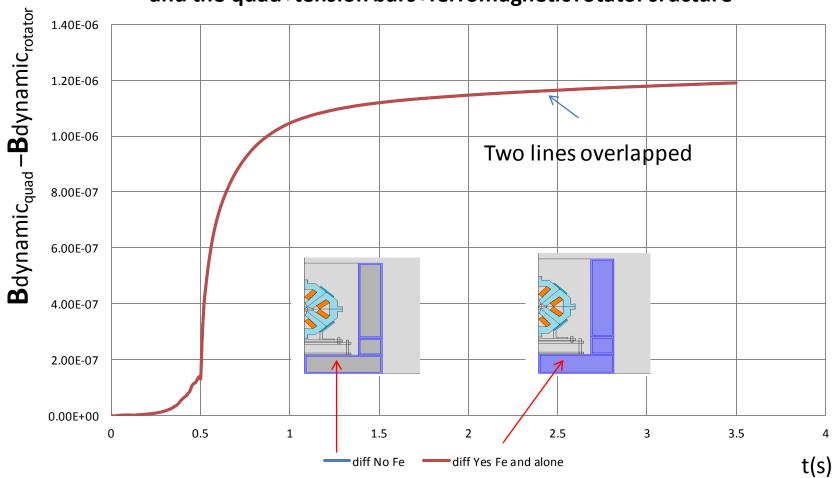


B(t) using a linear current ramp of dI/dt =  $(2xI_{max})/t = 572.5$  A/s



The eddy currents generated in the tension bars give a time ( $\tau$ ) of 0.48 s

Difference between quadrupole+ tension bars and the quad+tension bars+ferromagnetic rotator sructure

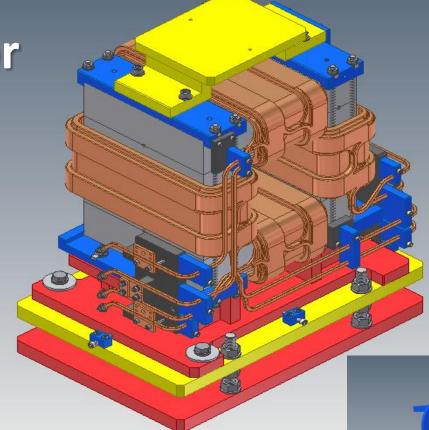


## Remarks about the quadrupole magnet

- Differently from the 90° bending magnet, the dynamic effects introduced by additional elements, like the tension bars and rotator structure, can be neglected
- The static field contribution of the previously mentioned structures is almost negligible; it amounts to approximately 0.1% and it is mainly due to the ferromagnetic tension bars welded to the iron

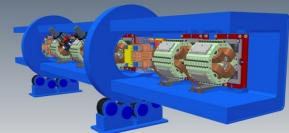
Corrector

Its main function is to correct the orbit distortions.



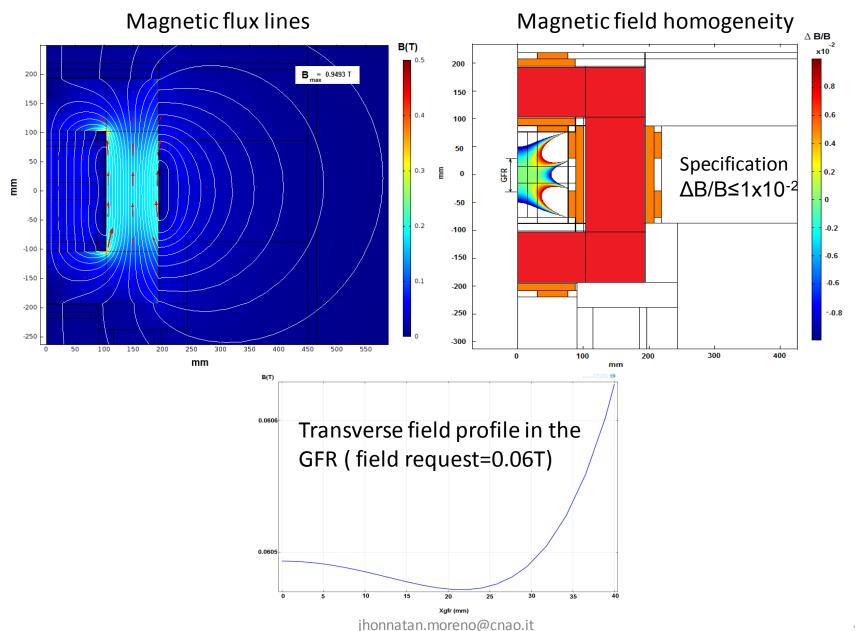
Effect of the rotator on the corrector B field



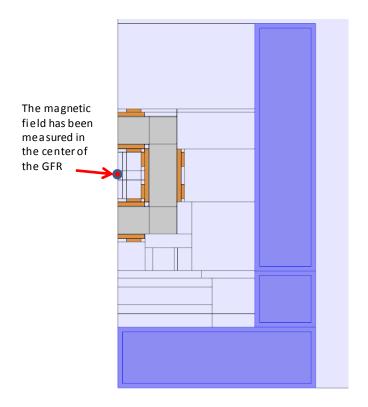


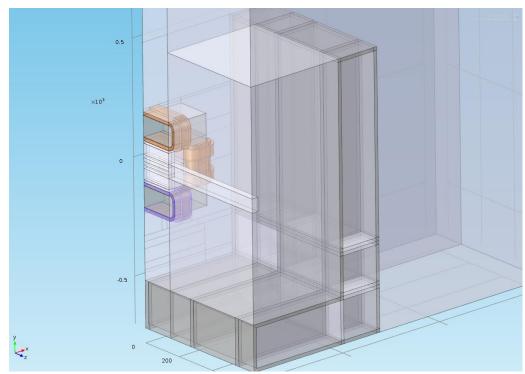
## Magnetic line for a mobile isocenter gantry

#### **Static Simulations**



#### rotator

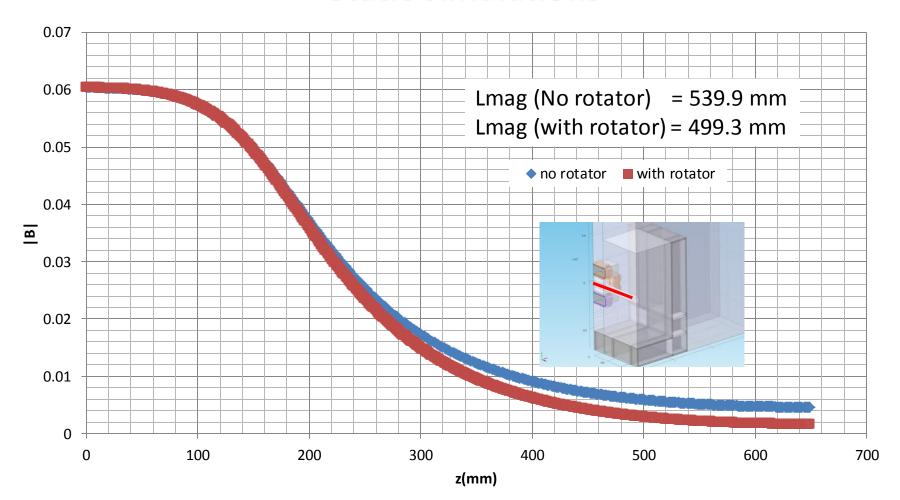




2D geometry implementation In the FEM code

3D geometry implementation in the FEM Code

#### **Static simulations**

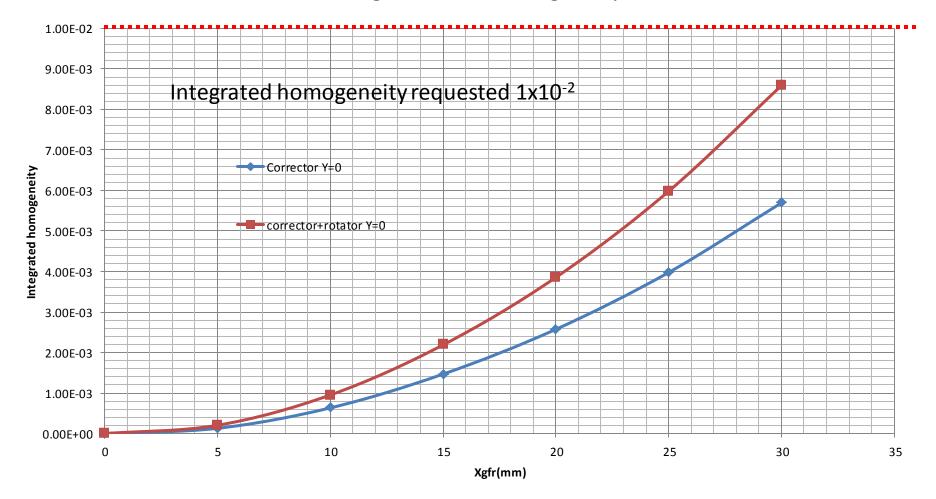


Longitudinal magnetic field profile in the center of the GFR. Blue line corrector without rotator Red line corrector inside the rotator

# Corrector + rotator

#### **Static simulations**

Integrated Field homogeneity



# Corrector + rotator

#### **Static simulations**

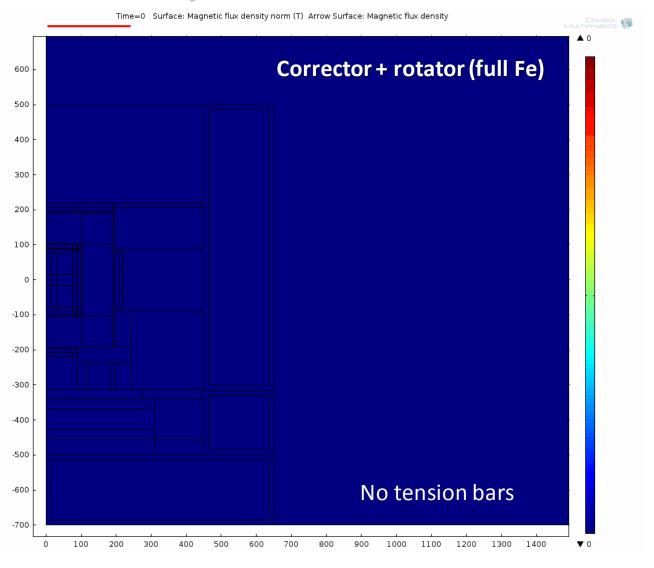
0.06064

2D	B field in the center of the magnet [T]	Delta (%)
Only iron yoke	0.060614	0
Corrector + partially full of Fe	0.060606	0.012
Corrector+ Totally full of Fe	0.060606	0.012

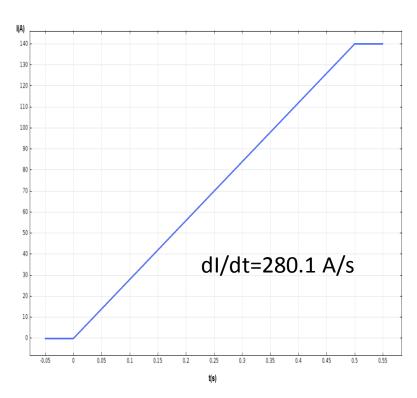
0.060635 Partially fully -corrector full 0.06063 Fe 1 <u>E</u> 0.060625 0.06062 0.060615 0.06061 0.060605 25 10 15 20 30 35 Xgfr(mm)

Values of the magnetic field in the center of the GFR

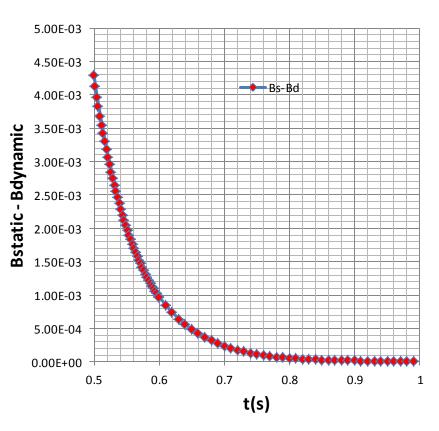
Magnetic field profile different contributions



#### **Corrector**



Linear current ramp used



The eddy currents generated in the coils and rotator structure provides a time ( $\tau$ ) of **0.068 s** 

### Remarks about the corrector magnet

• The effect of the rotator on the corrector field strength is very low (0.012%) and it can be neglected.

• 3D and dynamic simulations of the magnet in the rotator are in progress

## **Conclusions**

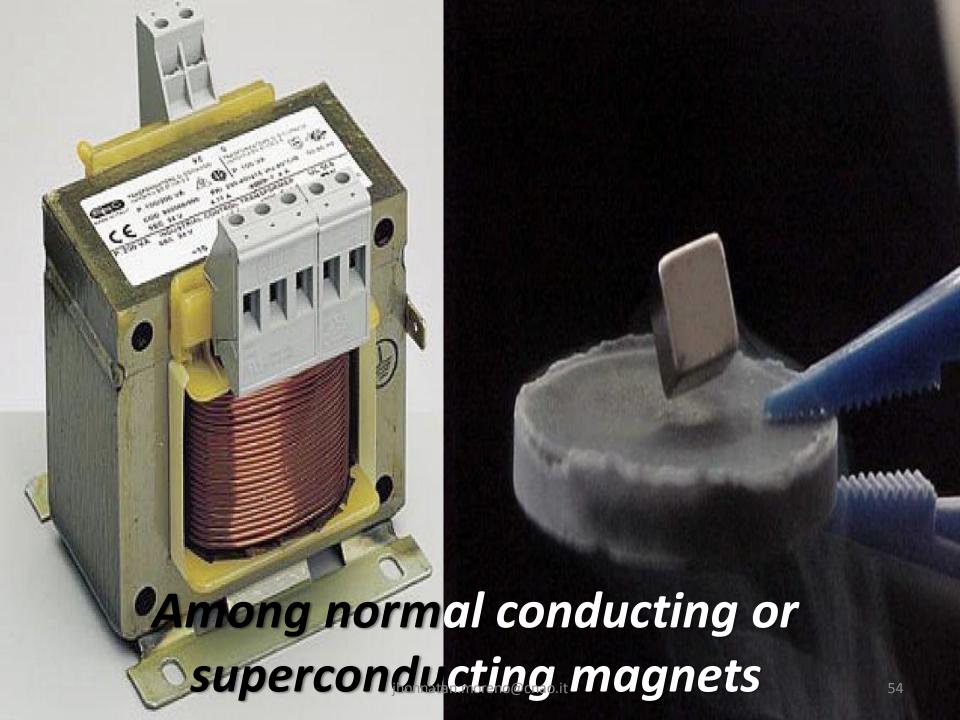
• The magnets of the gantry line have been characterized.

• In general, the dynamic effects in the transfer line magnets can be neglected because of the low ramp rate needed to follow the energy change.

 Although there is no strong impact in the dynamics of quadrupoles and correctors due to rotator structure, the magneto static 3D simulations suggest an optimization phase of magnet and rotator design to compensate the (small) effect on the field homogeneity.

Thank you for your attention

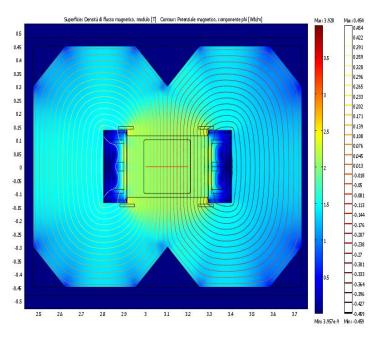
#### Additional slides

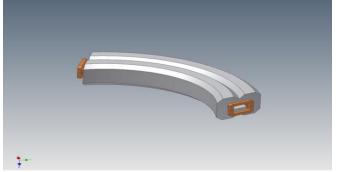


#### Superferric iron dominated 90° dipole

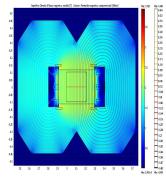
This magnet is the superconducting version of the conventional 90° dipole presently employed in the CNAO vertical line. The use of a superconducting cable allows reducing the dimension by a factor two.

The superconducting coil is placed in the cryostat, which is included into the ferromagnetic yoke





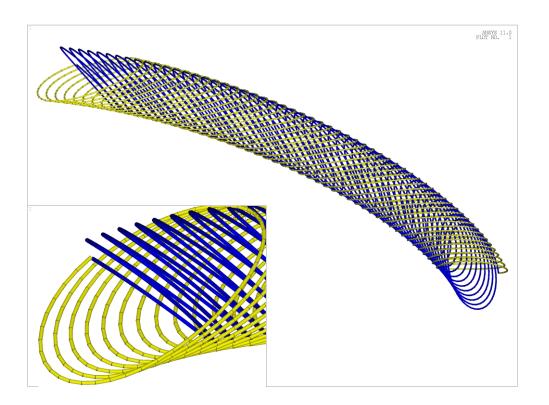
weight = 40 tons curvture radius = 3.31 m



#### Superferric iron dominated 90° dipole

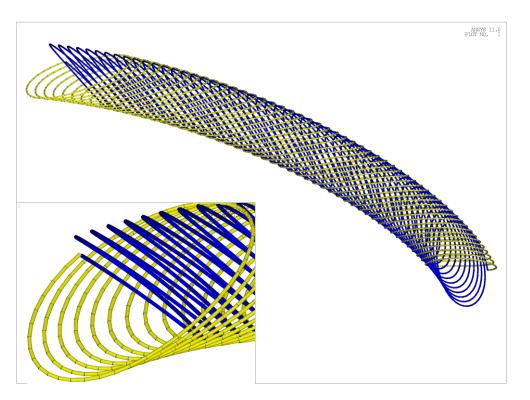
Pros	Cons
Low weight wrt normal conducting magnet	Complex winding and cryostat
Low required power at 300K wrt normal conducting magnet	AC losses at 4.2K limiting ramp rate at 0.1 T/s (0.2 T/s)
The winding is a limited part of the magnet wrt full SC magnet	Low temperature margin using NbTi (but much higher than full SC magnet)
Low AC losses wrt full SC magnet	Very difficult coil using Nb <sub>3</sub> Sn
	Magnetic forces curbing/withstanding

#### Double helical coil 90° dipole



number of double layers	1
dipole field	3 T
bending radius	2.2 m
current	6112 A
turns per layer	838
good field region diameter	120 mm
inductance	0.12 H
stored energy	2.23 MJ

#### Double helical coil 90° dipole



number of double layers	1
dipole field	3 T
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current	6112 A
turns per layer	838
good field region diameter	120 mm
inductance	0.12 H
stored energy	2.23 MJ

Detailed mechanical analyses showed that in order to hold the magnetic forces, a massive structure is required. The difficulties in finding a reasonable overall technical solution led to abandon this option in favor of a standard normal conducting 90 degree magnet