

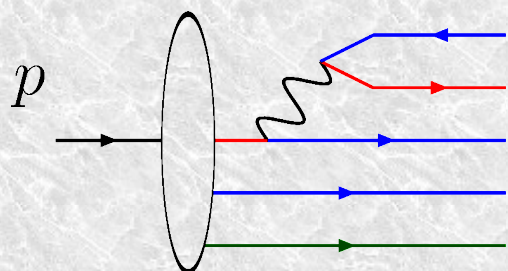
# Intrinsic vs. radiative charm

- ➡ Usual assumption in global fits: at threshold

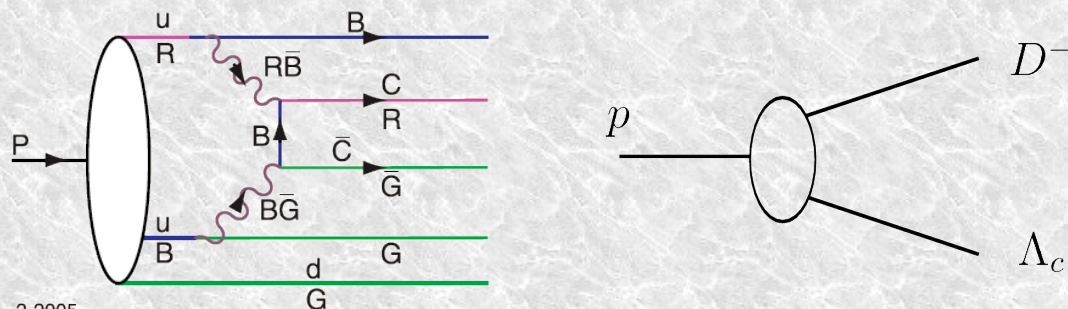
Pumplin, PRD73(06),  
Brodsky et al., PRD73(06)  
+ references therein

$$c(x, Q_c \approx m_c) = 0$$

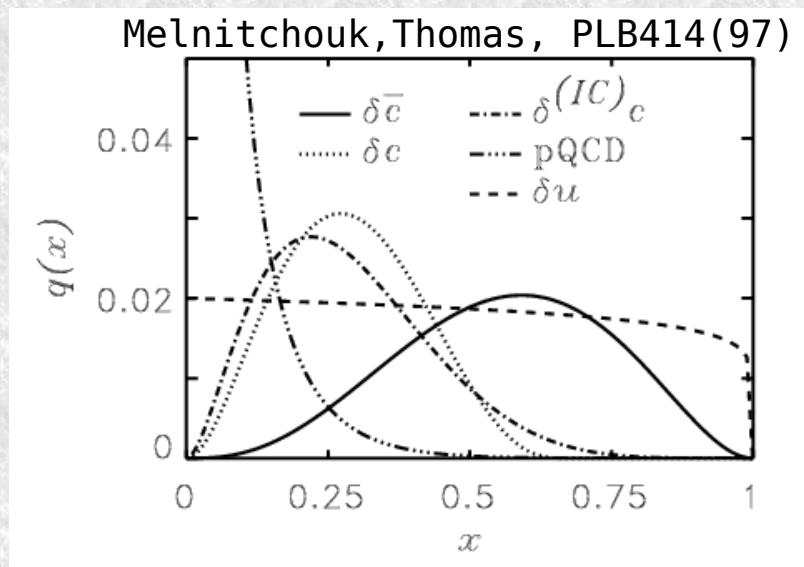
- ➡ charm generated during DGLAP evolution



- ➡ but QCD predicts intrinsic charm



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- ➡ a  $c$ - $\bar{c}$  pair fluctuation already exists, peaked at large  $x \sim 0.4$
- ➡ fully participates in DGLAP evolution
- ➡  $c, \bar{c}$  asymmetry: small @ NLO (pQCD) or large (nonpert. models)

# Indications from global fits

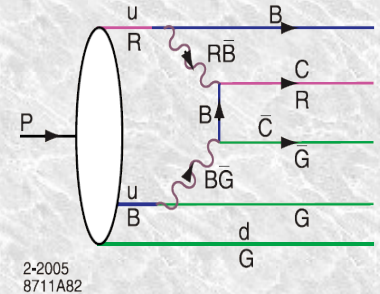
[Pumplin, Lai, Tung, PRD75(07)]

- ➔ 3 models at  $\mu = m_c$   
 [see Pumplin PRD 73(06) for review of models]

## 1) Brodsky-Hoyer-Peterson-Sakai [PLB 93 (80)]

$$c(x) = \bar{c}(x)$$

$$= A x^2 [6x(1+x) \ln x + (1-x)(1+10x+x^2)]$$

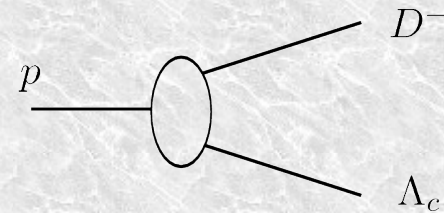


## 2) meson-cloud model

[Navarra et al '96, '98;  
 Melnitchouk, Steffens, Thomas '97, '99]

$$c(x) = A x^{1.897} (1-x)^{6.095}$$

$$\bar{c}(x) = \bar{A} x^{2.511} (1-x)^{4.929}$$



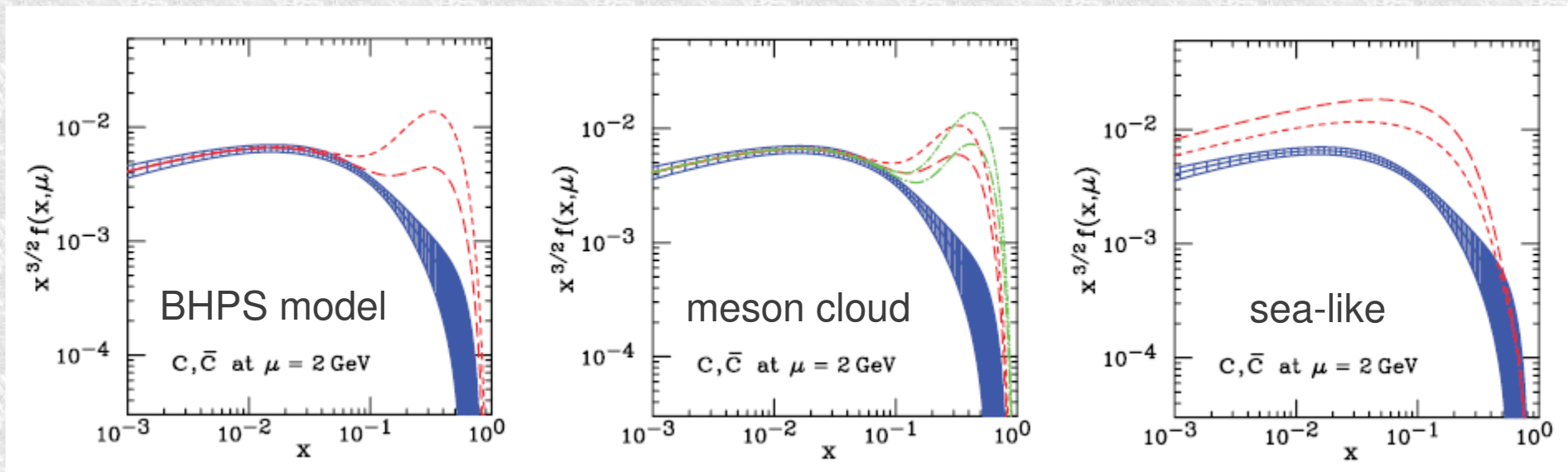
## 3) phenomenological “sea-like”

$$c(x) = \bar{c}(x) \propto \bar{d}(x) + \bar{u}(x)$$

# Indications from global fits

[Pumplin, Lai, Tung, PRD75(07)]

- All models allow **IC = 0-3% intrinsic charm**
- Evolution redistributes IC to lower  $x$ , but large- $x$  peak persists
- sea-like spread out over  $x$

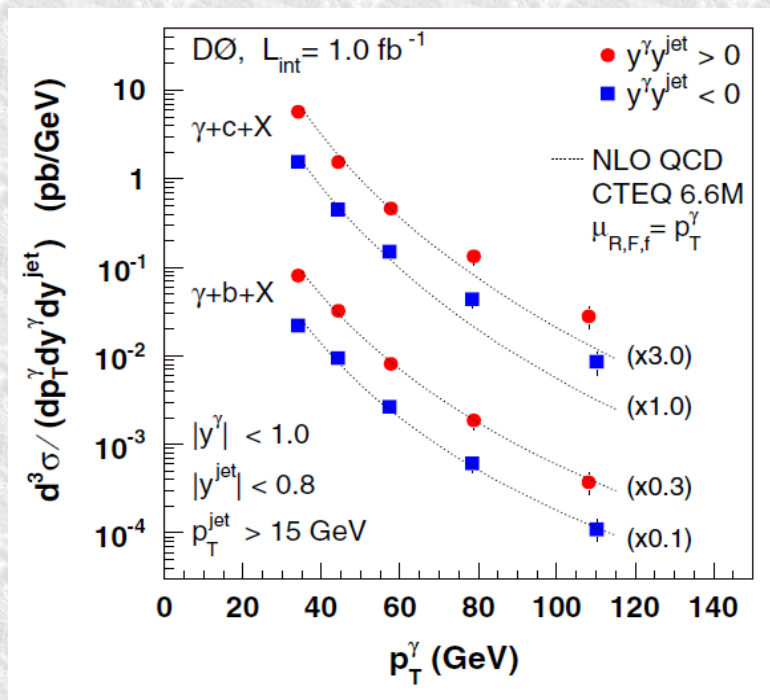


# Experimental evidence - D0

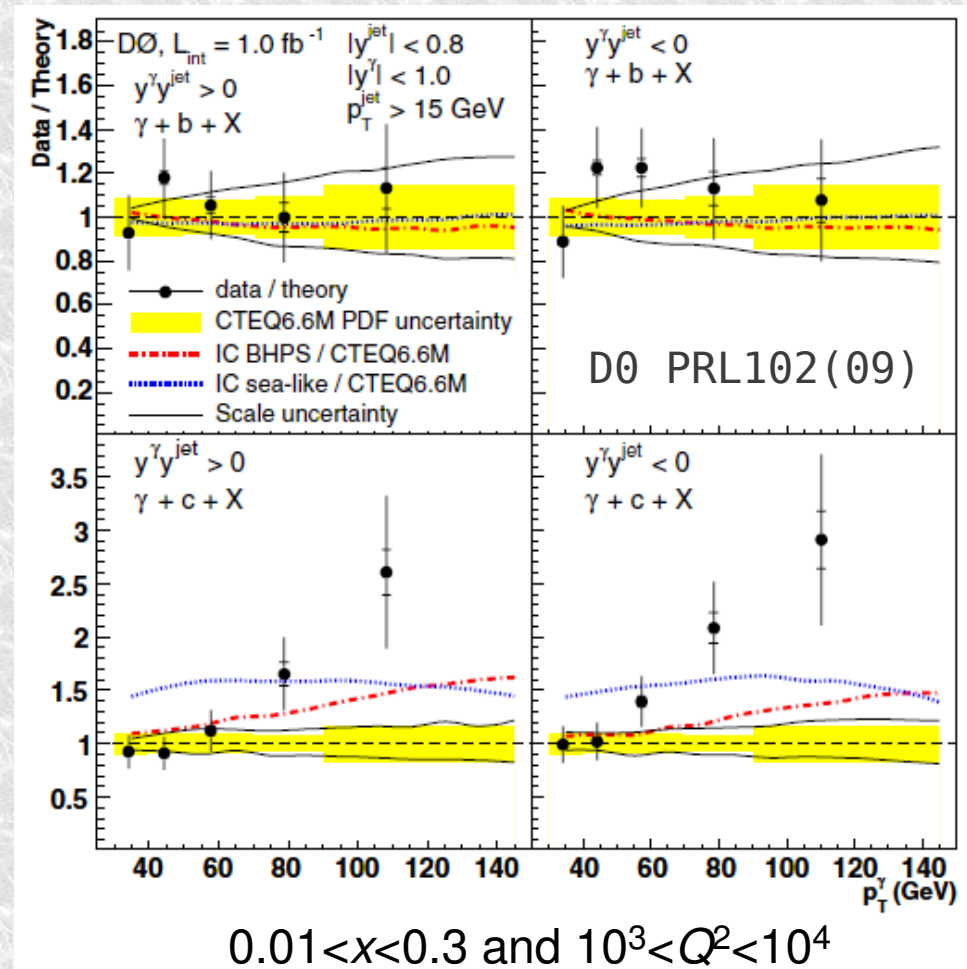
- ➡ D0 measured excess of  $\gamma$ +charm jets compared CTEQ6.6 [D0, PRL102(09)]

$$g + Q \rightarrow \gamma/Z + Q$$

$$q + \bar{q} \rightarrow \gamma/Z + g \rightarrow \gamma/Z + Q\bar{Q}$$

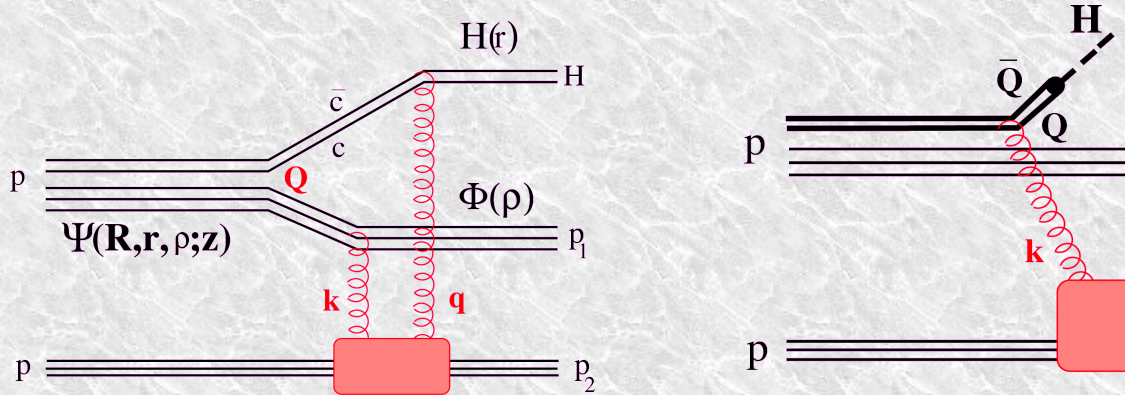


- ➡ Difference due to
  - ➡ intrinsic charm?
  - ➡ underestimate of  $g \rightarrow c\bar{c}$  ?

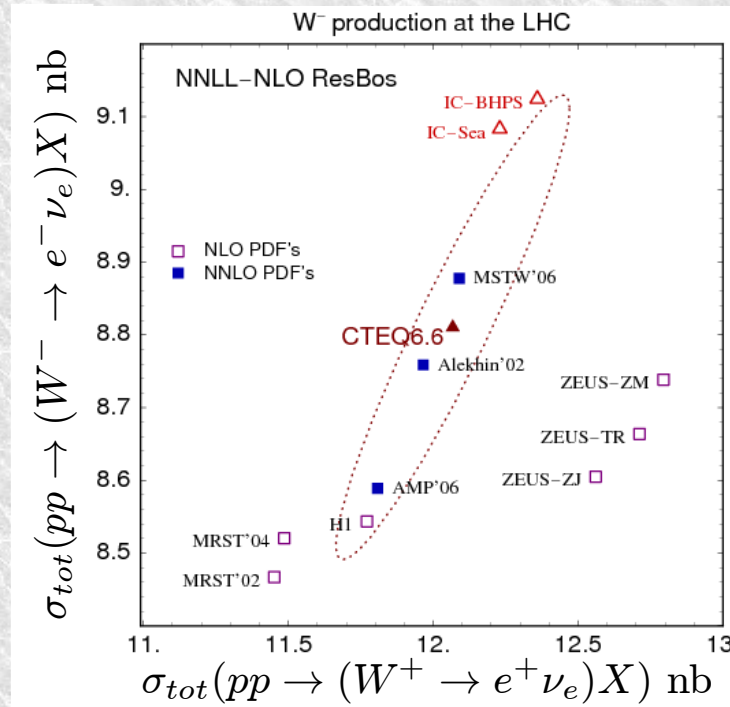


# Phenomenological implications

- ➔ SM and beyond at Tevatron and LHC
- ➔ Higgs and single top production sensitive to heavy quarks
- ➔ Novel Higgs production mechanisms at large  $x_F \approx 0.7-0.9$  [Brodsky et al. PRD73(06), NPB907(09)]



## ➔ W production



[Nadolsky et al. PRD78(08)]

# How to measure - hadronic collisions

## ➔ $\gamma/Z$ + charm jet

- ➔ sensitive to  $g + Q \rightarrow \gamma/Z + Q$  and  $q + \bar{q} \rightarrow \gamma/Z + g \rightarrow \gamma/Z + Q\bar{Q}$
- ➔  $y_\gamma y_{jet} > 0$  and  $y_\gamma y_{jet} < 0$  sensitive to different  $x_1, x_2$
- ➔ allows constraints on  $Q, Qbar$ , and gluons
- ➔ angular dependence to distinguish above sub-processes

## ➔ Also,

- High  $x_F$   $pp \rightarrow J/\psi X$
- High  $x_F$   $pp \rightarrow J/\psi J/\psi X$
- High  $x_F$   $pp \rightarrow \Lambda_c X$
- High  $x_F$   $pp \rightarrow \Lambda_b X$
- High  $x_F$   $pp \rightarrow \Xi(ccd)X$  (SELEX)

PANDA Workshop  
Turin June 17, 2009

Novel Anti-Proton QCD Physics

35

Stan Brodsky  
SLAC

# How to measure - DIS

## ➤ HERA charm and bottom events

➤ already included in the fits

➤ most data at small  $x$ , where  $\gamma g \rightarrow c\bar{c}$  dominates over  $\gamma c \rightarrow cX$

➤ needs larger  $x$

## ➤ $F_L/F_2$ ratio [Ivanov, NPB814(09)]

## ➤ JLAB 6/12

➤ Ideally placed across the charm threshold

➤ D+ vs. D- sensitive to  $c/\bar{c}$  asymmetry

## ➤ EIC (LHeC ??)

➤ jet measurements are possible

➤ larger  $Q^2$  range

# Target and heavy-quark mass corrections

DIS in collinear factorization: [Accardi, Qiu JHEP '08]

$$F_{T,L}(x_B, Q^2, m_N) = \sum_f \int_{x_f^{min}}^{x_f^{max}} \frac{dx}{x} h_{T,L}^f\left(\frac{\xi_f}{x}, Q^2\right) \varphi_f(x, Q^2)$$

$f$  parton mass

Nachtmann variable

$$\xi_f = \xi \left[ 1 - \frac{\xi^2}{x^2} \frac{m_f^2}{Q^2} \right]^{-1} \quad \begin{array}{l} m_f \rightarrow 0 \\ \longrightarrow \end{array} \xi \quad \begin{array}{l} M_N \rightarrow 0 \\ \longrightarrow \end{array} x_B$$

$$x_f^{min} = \xi \frac{Q^2 + (c-1)m_f^2 + \Delta[m_f^2, -Q^2, cm_f^2]}{2Q^2} \quad \begin{array}{l} m_f \rightarrow 0 \\ \longrightarrow \end{array} \xi \quad \begin{array}{l} M_N \rightarrow 0 \\ \longrightarrow \end{array} x_B$$

$$x_f^{max} = \xi \frac{Q^2/x_B + 3m_f^2 + \Delta[m_f^2, -Q^2, Q^2(1/x_B - 1)]}{2Q^2} \quad \begin{array}{l} m_f \rightarrow 0 \\ \longrightarrow \end{array} \xi/x_B \quad \begin{array}{l} M_N \rightarrow 0 \\ \longrightarrow \end{array} 1$$

$$\Delta[a, b, c] = \sqrt{a^2 + b^2 + c^2 - 2(ab + bc + ca)} \quad \xi = 2x_B / \left( 1 + \sqrt{1 + 4x_B^2 M_N^2 / Q^2} \right)$$