



# CAVITY BPM FOR CALIFES

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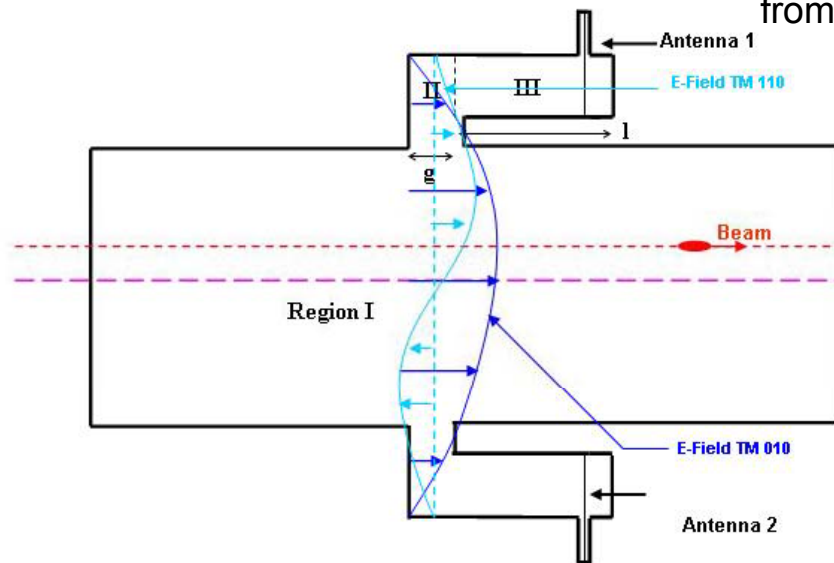
***CEA/Saclay/IRFU***

***CTF3 Meeting – 22<sup>th</sup> January 2008***

# Re-entrant Cavity BPM

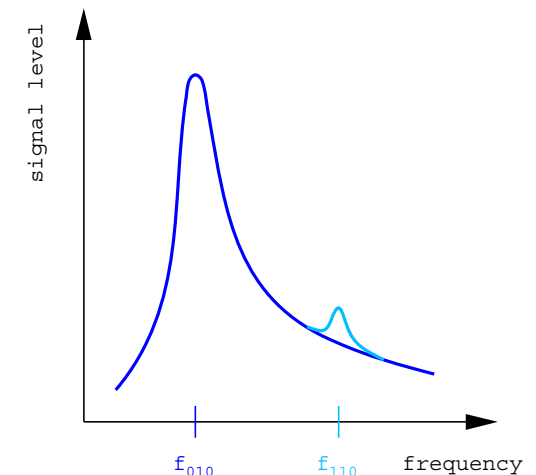


- **Coaxial re-entrant cavity** has been chosen for the beam orbit measurement because of its mechanical simplicity and **excellent resolution** (concept from CERN).
- The re-entrant BPM is composed of a mechanical structure with four orthogonal feedthroughs (or antennas).
- Passing through the cavity, the beam excites some electromagnetic fields (resonant modes)
  - two main modes : - **monopole mode** (proportional to beam intensity and does not depend on the beam position : normalization)
  - **dipole mode** (proportional to the distance of the beam from the centre axis of the monitor)



**Re-entrant Cavity :**

- **beam pipe (I),**
- **gap (II),**
- **coaxial cylinder (III)**

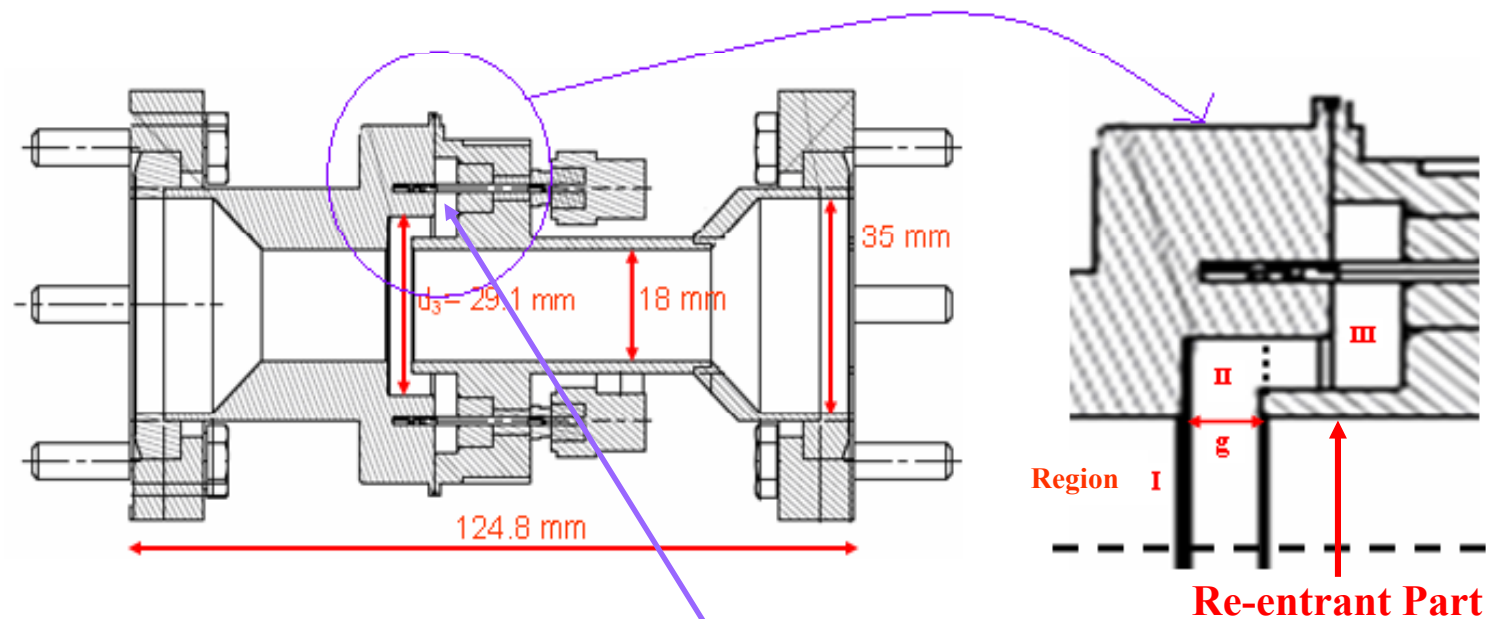


- It is arranged around the beam tube and forms a coaxial line which is short circuited at one end.



- The cavity is fabricated with titanium and is as compact as possible :

**~125 mm length and 18 mm aperture**  
**4 mm gap**



**Bent coaxial cylinder to separate the main RF modes (monopole and dipole)**

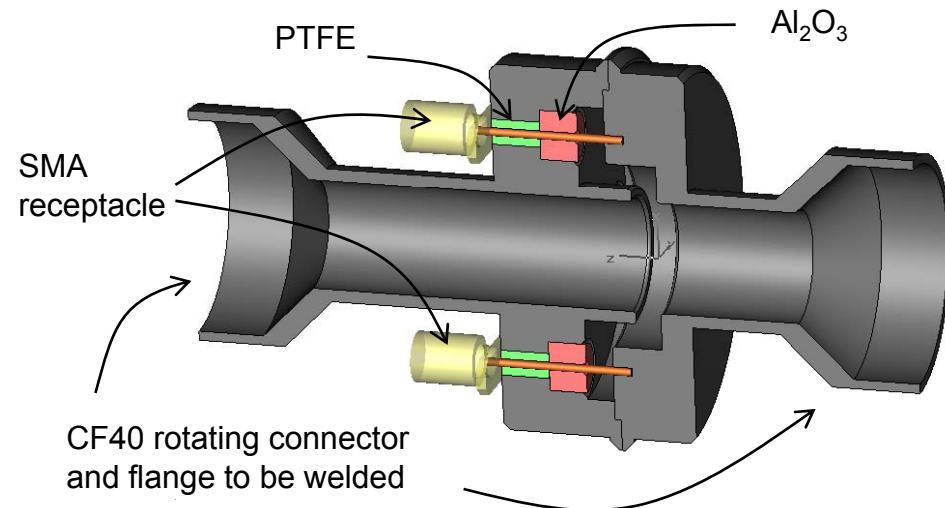
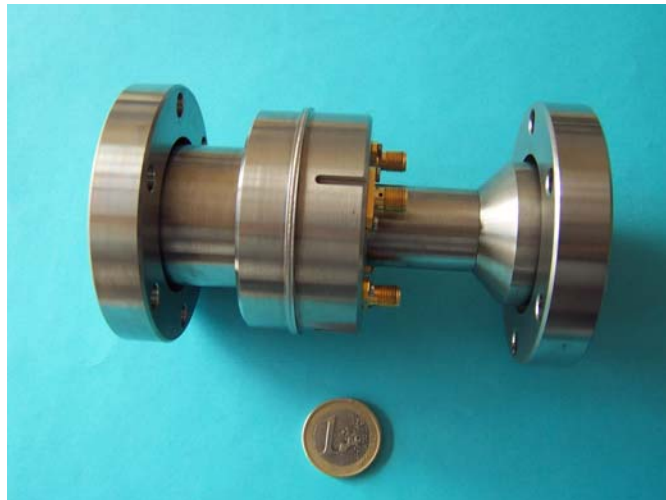


- BPM developed for the CTF3 probe beam CALIFES:

- designed with a large frequency separation between monopole and dipole modes, as well as a low loop exposure to the electric fields

- operated in single and multi-bunches modes

- 6 BPMs will be installed on the CTF3 probe beam



# RF Characteristics



RF characteristics measured on the 6 BPMs in laboratory.

- Standard deviation on the dipole frequency : ~ 12 MHz
- Monopole frequency ~ 3.99 GHz

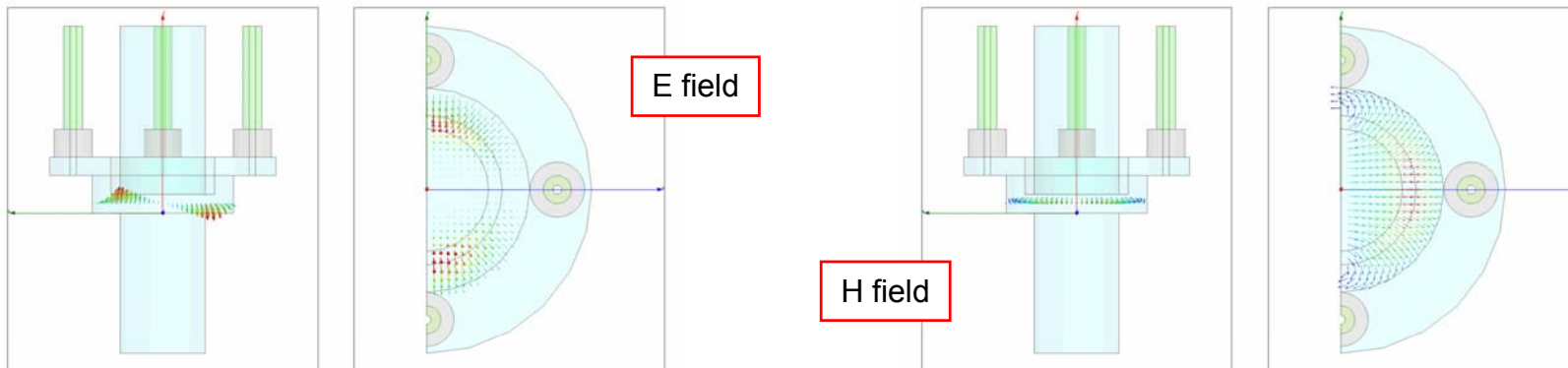
Eigen modes	F (GHz)	Q <sub>1</sub>	R/Q <sub>1</sub> (Ω)	R/Q <sub>1</sub> (Ω)
	Measured in lab	Measured in lab	Offset 5 mm	Offset 10 mm
Monopole mode	3991	24	22.3	22.2
Dipole mode	5985	43	1.1	7

- With **Matlab** and the **HFSS** calculator, we computed **R/Q Ratio**.

R: the Shunt impedance and Q: the quality factor

$$\frac{R}{Q} = \frac{V^2}{2 * \pi * f * W}$$

$$V = \left| \int E(z) * e^{jkz} dz \right| \quad \text{and} \quad k = \omega/c$$

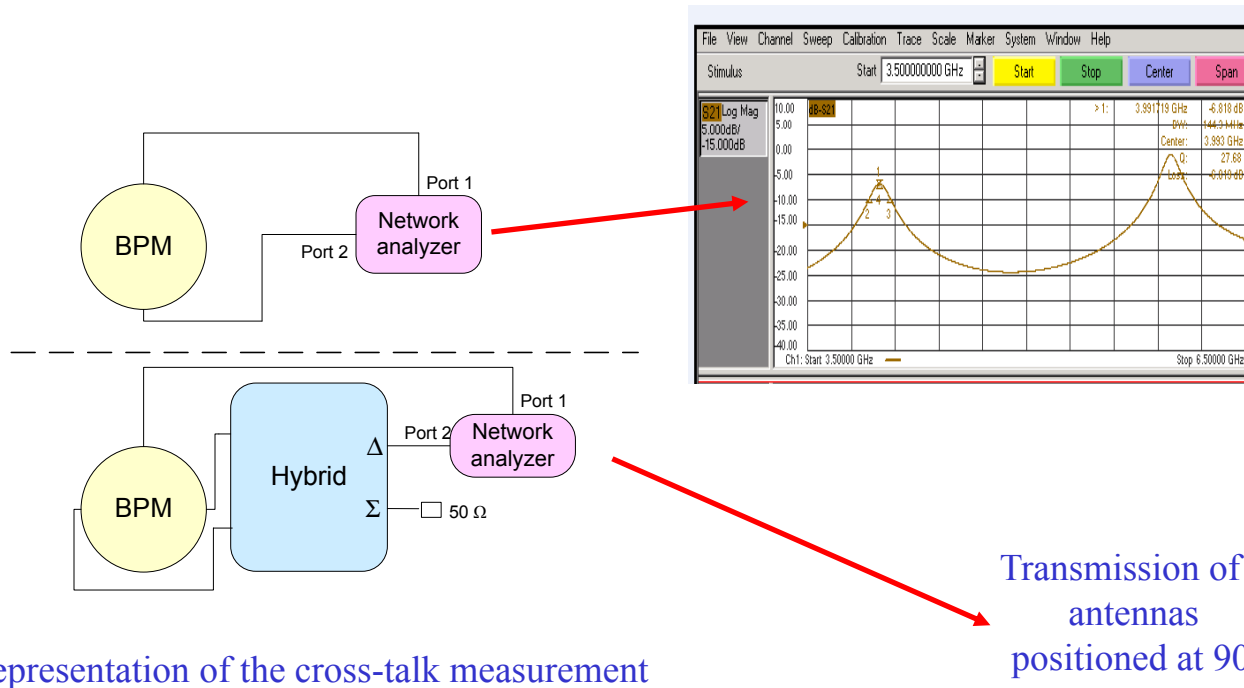


- Due to tolerances in machining, welding and mounting, some small distortions of the cavity symmetry are generated.

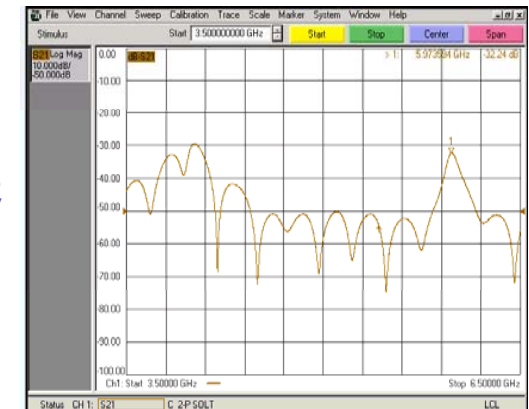


A beam displacement in the 'x' direction gives not only a reading in that direction but also a non zero reading in the orthogonal direction 'y'.

This **asymmetry** is called **cross talk**.



Monopole and dipole transmission measured by the network analyzer



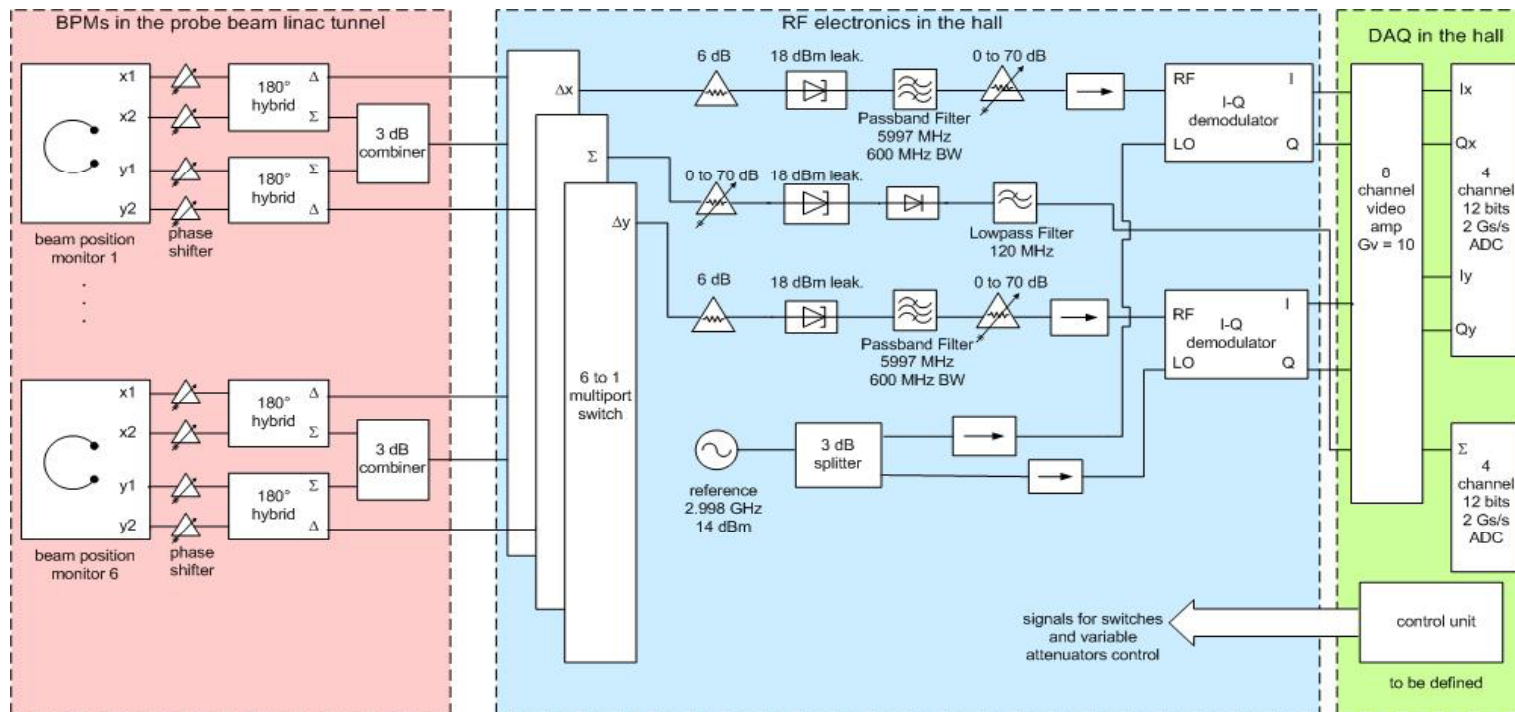
From those measurements, the **cross-talk isolation** value is estimated **>30 dB**.

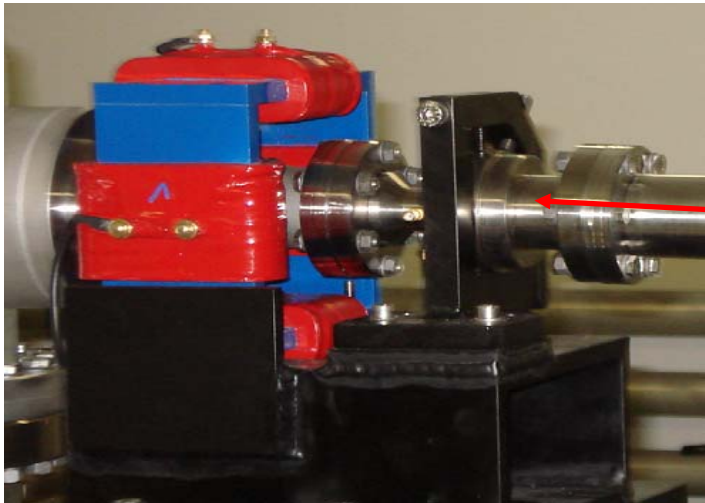
# Signal Processing



➤ The **rejection of the monopole mode**, on the  $\Delta$  channel, proceeds in **three steps** :

- a rejection based on a **hybrid coupler** having isolation higher than 18 dB in the range of 2 to 8 GHz.
- a frequency domain rejection with a **band pass filter** centered at the dipole mode frequency. Its bandwidth of 600 MHz also provides a noise reduction.
- a **synchronous detection** carried out with an I/Q demodulator.

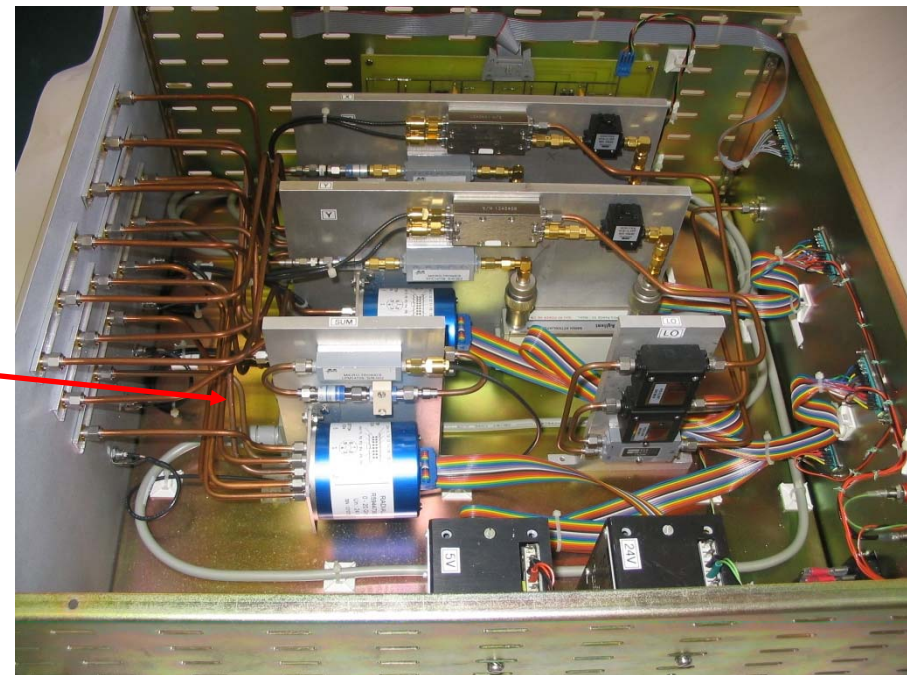




*Re-entrant cavity BPM installed on the CTF3 probe beam*



*Signal processing electronics of the re-entrant BPM*



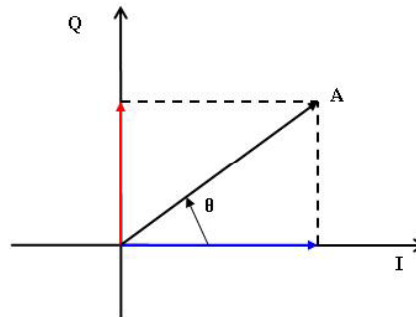


# Waveform processing



- As there is one electronics for 6 BPMs, a intermediate frequency is necessary
- Signals coming from 4 channels  $I_x$ ,  $I_y$ ,  $Q_x$ ,  $Q_y$  with a frequency  $\sim 100$  MHz
- **Sampling** of signals with an Acqiris board.
- **Digital Down Conversion (DDC)**
  - raw waveform multiplied by a local oscillator of the same frequency to yield a zero intermediate frequency
  - Real and imaginary parts of each IF are then multiplied by a 60 coefficient, symmetric, finite impulse response (FIR), low pass filter with 40MHz 3dB bandwidth

- **Beam offset** is given by



$$A := \sqrt{I^2 + Q^2}$$

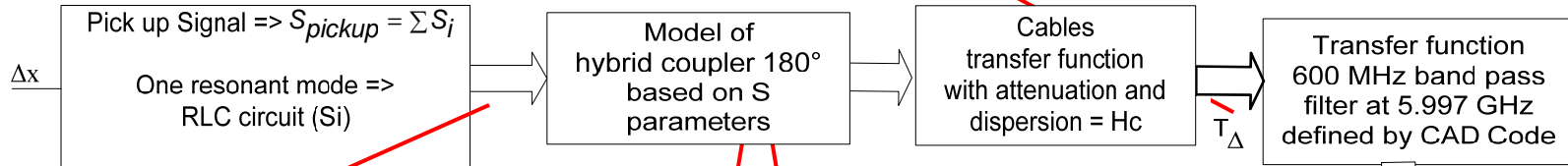
$$\cos(\theta) := \frac{I}{A} \quad \sin(\theta) := \frac{Q}{A}$$

# Mathcad Model



➤ To assess the **system performance**, a **model (cavity+signal processing)** is elaborated with a **Mathcad code** based on **Fourier transforms**.

$$T_{\Delta} = \left[ \left( (S_m - S_d) \cdot H_c \cdot H_{diff1} \right) + \left( (S_m + S_d) \cdot H_c \cdot H_{diff2} \right) \right]$$

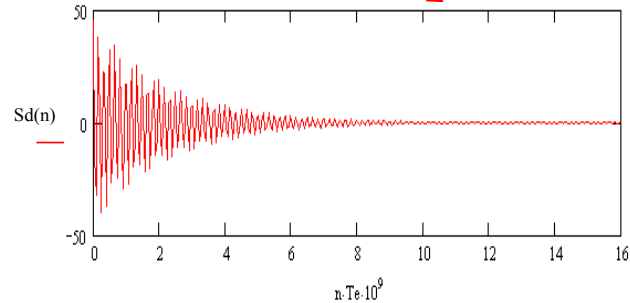


LO signal =>  $\sin((\omega_d) + \Phi)$

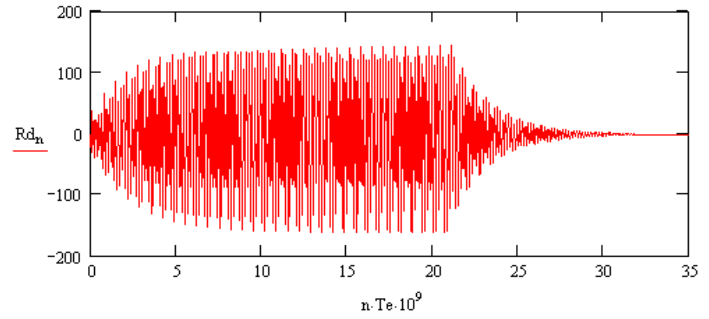
Transfer function 200 MHz low pass filter defined by CAD Code

Sampling at the peak for a significant beam offset

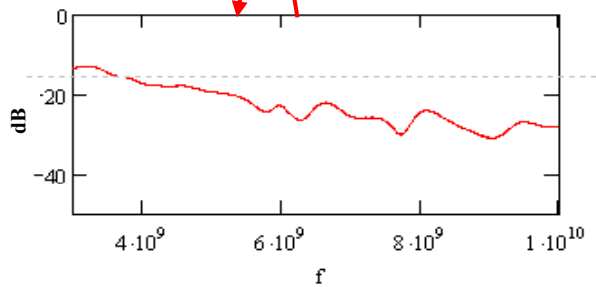
$$V_{\Delta}(\Delta x)$$



*Dipole mode signal in single bunch mode*

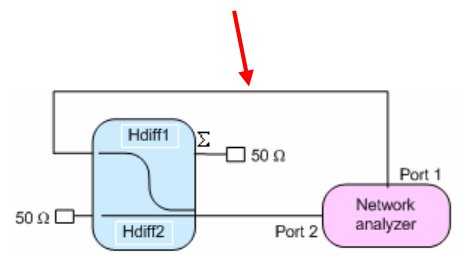


*Dipole mode signal in 32 bunches mode*



$$I_{hybrid} = 20 * \log(|H_{diff1} + H_{diff2}|)$$

*Isolation of the 180° hybrid*



*S parameters measurement of the hybrid 180°*



- **Noise** determined by the thermal noise and the noise from signal processing channel

$$\text{Thermal noise : } P_{th} = k_b * T * BW$$

$k_b$  = Boltzmann's constant ( $1.38 \cdot 10^{-23} \text{J/K}$ ),  $BW$  (Hz) = bandwidth of the signal processing channel, and  $T$  (K) = room temperature.

$$\text{Noise from the signal processing: } P_n = NF * G * P_{th}.$$

$NF$  = total noise figure of the signal processing channel,  $G$  = gain of the signal processing and  $P_{th}$  = thermal noise.

**Total noise** introduced into the system by the electronics can be evaluated by the noise figure in a cascaded system :

$$NF = F_1 + \frac{F_2 - 1}{G_1} + \frac{F_3 - 1}{G_1 * G_2} + \dots$$

$NF$  = total noise factor of the signal processing,  $F_i$  and  $G_i$  respectively the noise factor and the gain of component  $i$ .

# Theoretical Resolution



- **Position resolution:** RMS value related to the minimum position difference that can be statistically resolved.
- **Signal given by the model** (cavity+signal processing) simulation with a gain adjusted to get an RF signal level around 0 dBm on the  $\Delta$  channel with 5 mm beam offset.

System	Signal $\Delta$ with 5 mm beam offset	Noise
Single bunch	590 mV	0.5 mV
Multi-bunch	590 mV	0.5 mV

Resolution ~ 3.2  $\mu\text{m}$  with a measurement dynamic range +/- 5 mm



- **Damping time** is given by using the following formula

$$\tau = \frac{1}{\pi \cdot BW}$$

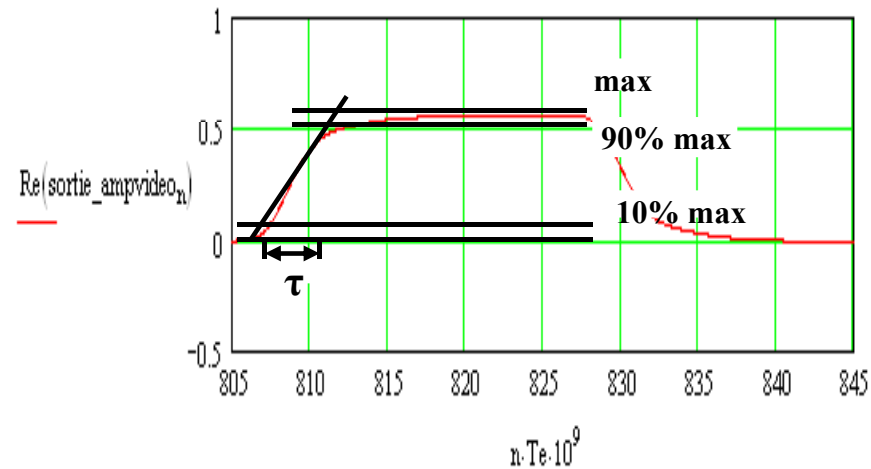
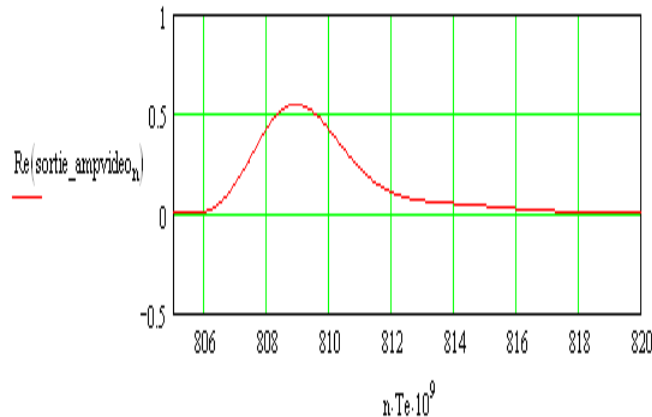
$$BW = \frac{F_d}{Q_d}$$

$F_d$ : dipole mode frequency

$Q_d$ : loaded quality factor for the dipole mode

Damping time of the cavity : 2.8 ns

- Rising time



Rising time: - single bunch mode ~ 2.8 ns  
- multi bunches mode (32 bunches) ~ 4.5 ns



- ❖ Re-entrant cavity BPM features, designed for CALIFES:
  - Good resolution simulated  
( **3.2  $\mu\text{m}$**  a dynamic range around **+/- 5 mm**)
  
  - Rising time **single bunch mode = 2.8 ns**  
**multi bunches mode (32 bunches) = 4.426 ns**
  
- ❖ Software / Algorithms still under development.
  
- ❖ First beam tests **→ June 2008**

## Acknowledgements



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**Thank you for your attention**