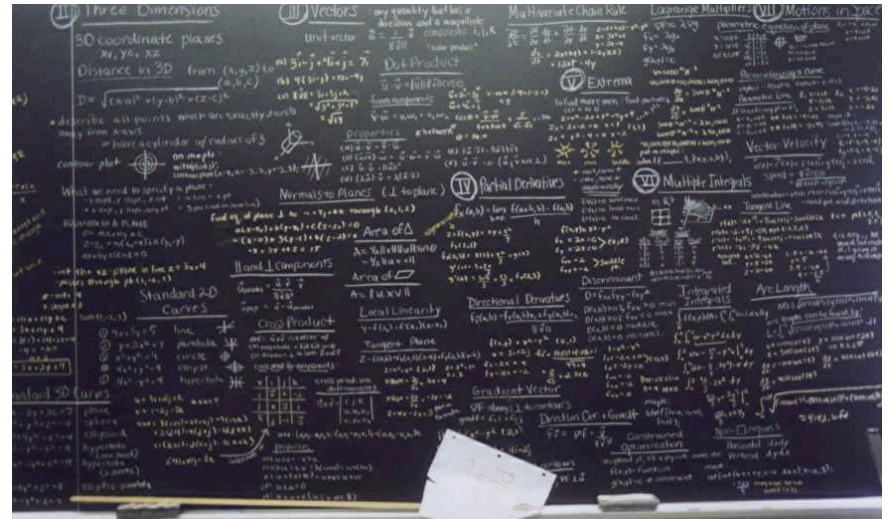


# Implications of LHC Data to New Physics

Alex Pomarol (Univ. Autonoma Barcelona)



**VS**



right-handed

Quarks



Leptons



left-handed

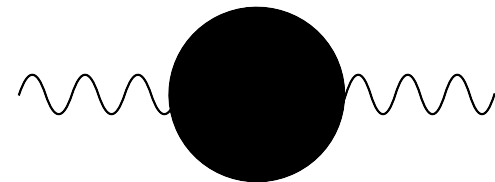
Quarks



Leptons



# Effects on the gauge-boson propagators

A Feynman diagram showing a gauge boson loop. It consists of two wavy lines representing gauge bosons, one entering from the left and one exiting to the right, connected by a solid black circle representing a loop of fermions.
$$\equiv \Pi_{ij}(q^2)$$

nicely parametrized in terms of 4 quantities (for the EW sector):

$$\hat{T} = \frac{g^2}{M_W^2} \left[ \Pi_{W_3}(0) - \Pi_{W^+}(0) \right]$$

$$\hat{S} = g^2 \Pi'_{W_3 B}(0)$$

$$W = \frac{g^2 M_W^2}{2} \Pi''_{W_3}(0)$$

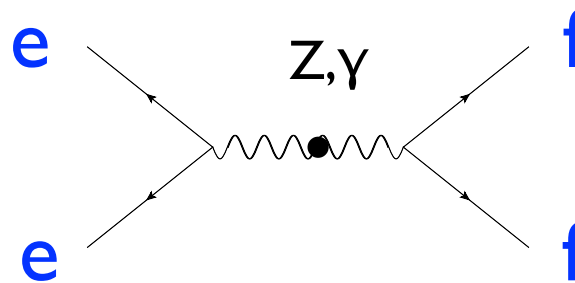
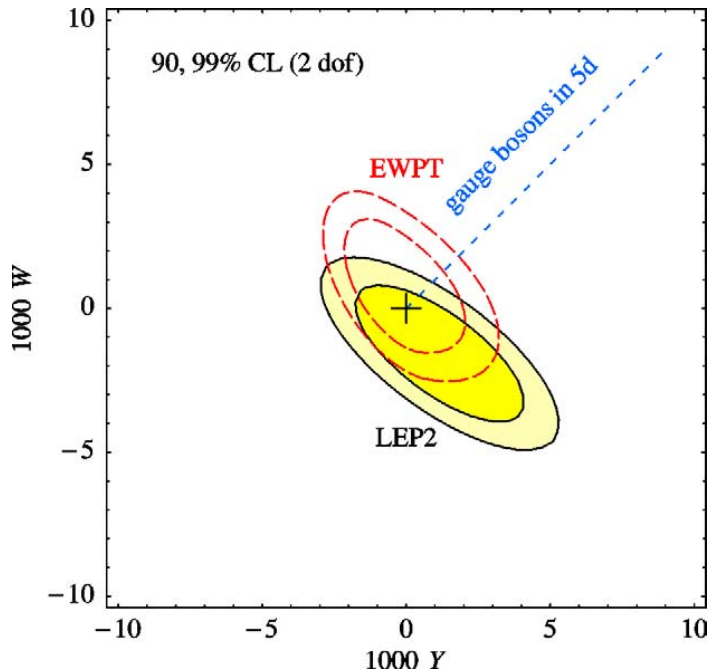
$$Y = \frac{g'^2 M_W^2}{2} \Pi''_B(0)$$

Peskin, Takeushi  
Barbieri, AP, Rattazzi, Strumia

I) Transverse part of gauge bosons:

$$\begin{aligned}
 Y &\leftrightarrow (\partial_\rho B_{\mu\nu})^2 \frac{1}{\Lambda^2} \\
 W &\leftrightarrow (D_\rho W_{\mu\nu})^2 \frac{1}{\Lambda^2}
 \end{aligned}
 \left. \vphantom{\begin{aligned} Y \\ W \end{aligned}} \right\} \text{effects } p^2/\Lambda^2$$

**Thanks to LEP2:**



bounds at the per mille level:  
gauge bosons look like  
elementary up to  $\Lambda \gtrsim 3 \text{ TeV!}$

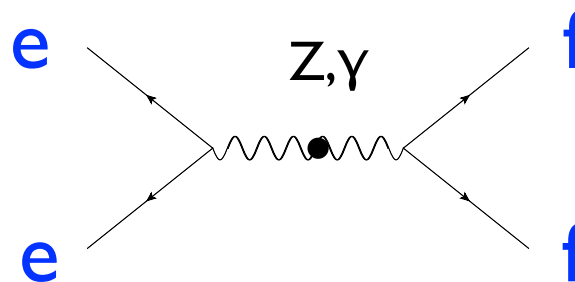
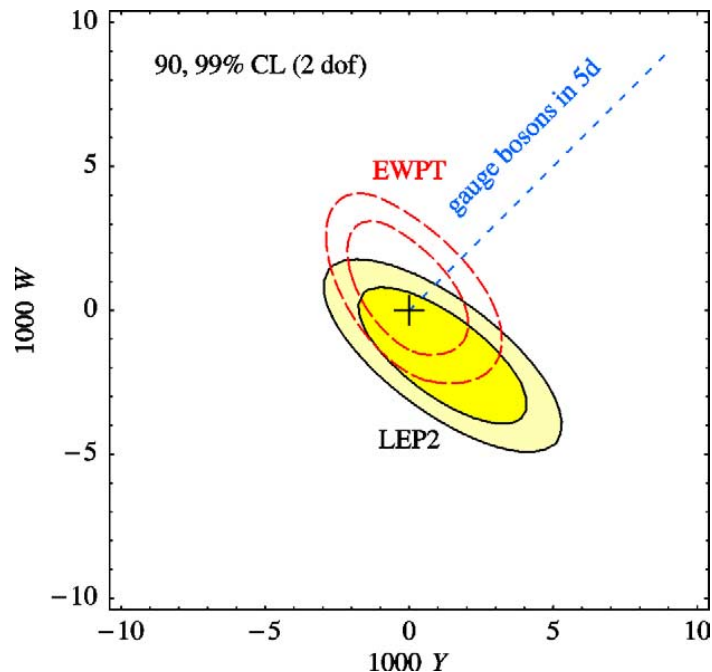
(from Tevatron similar but  
weaker bounds for the gluon)



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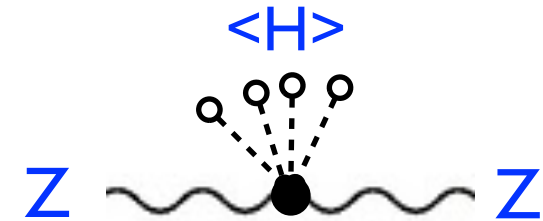
MSSM	Compositeness
	

## 2) EW symmetry breaking effects:

→ information on the EWSB sector

$$\text{a) } \hat{T} \leftrightarrow (H^\dagger \overleftrightarrow{D}_\mu H)^2 \frac{1}{\Lambda^2}$$

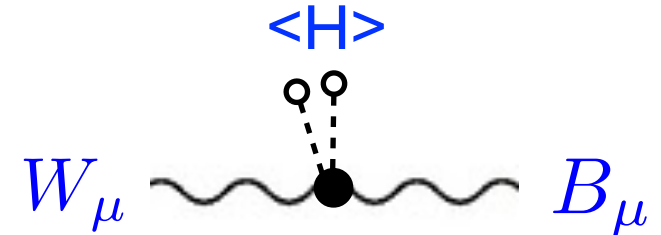
↳ Contribute to the Z-mass:



Equivalent to  $\rho$ -I: Contribution to  $M_W^2 - M_Z^2 \cos^2 \theta_W$

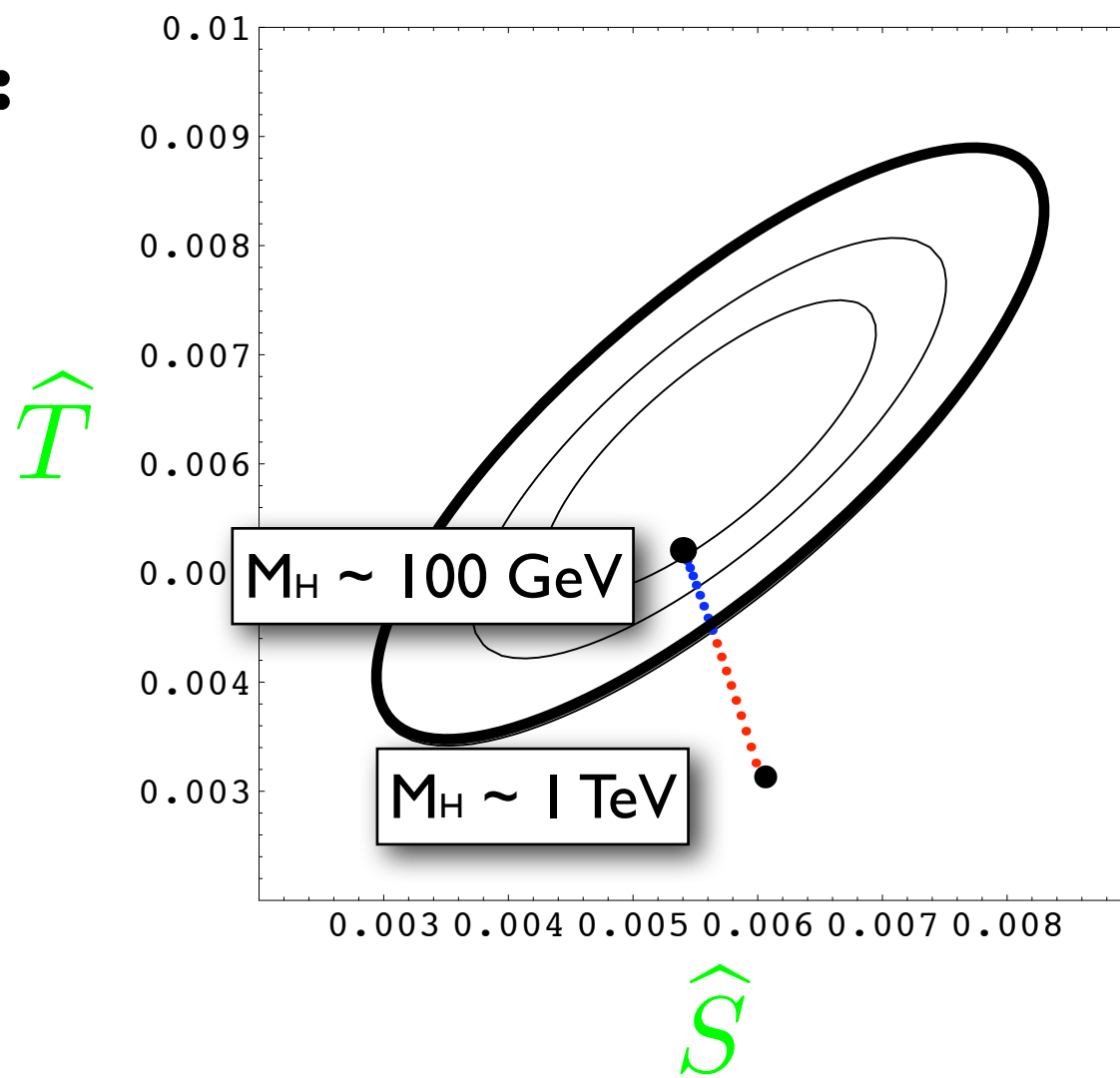
$$\text{b) } \hat{S} \leftrightarrow H^\dagger W_{\mu\nu} H B_{\mu\nu} \frac{1}{\Lambda^2}$$

↳ W-B kinetic mixing:

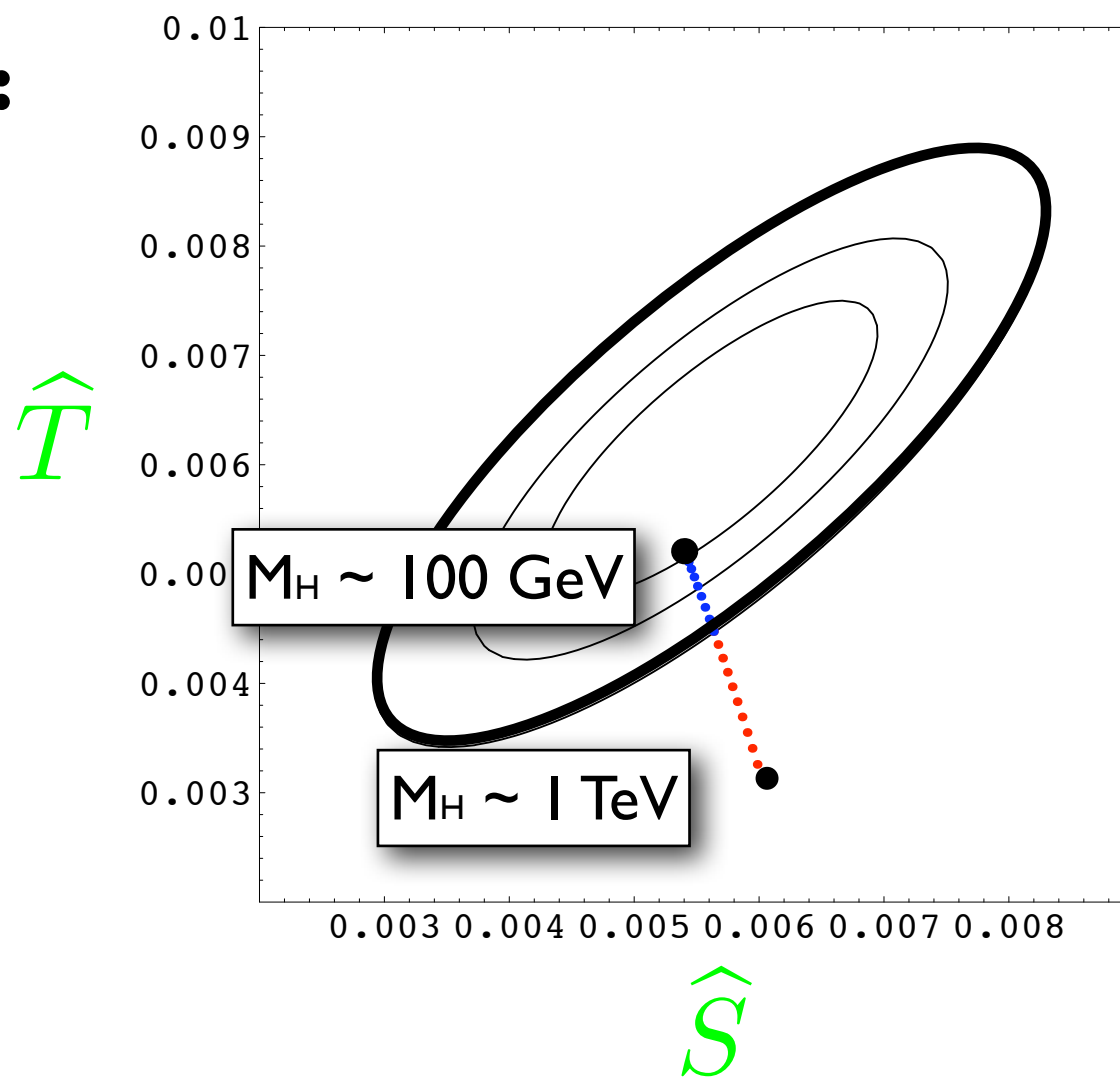


Higgs contribute at the loop level to both

# LEP I + Tevatron:



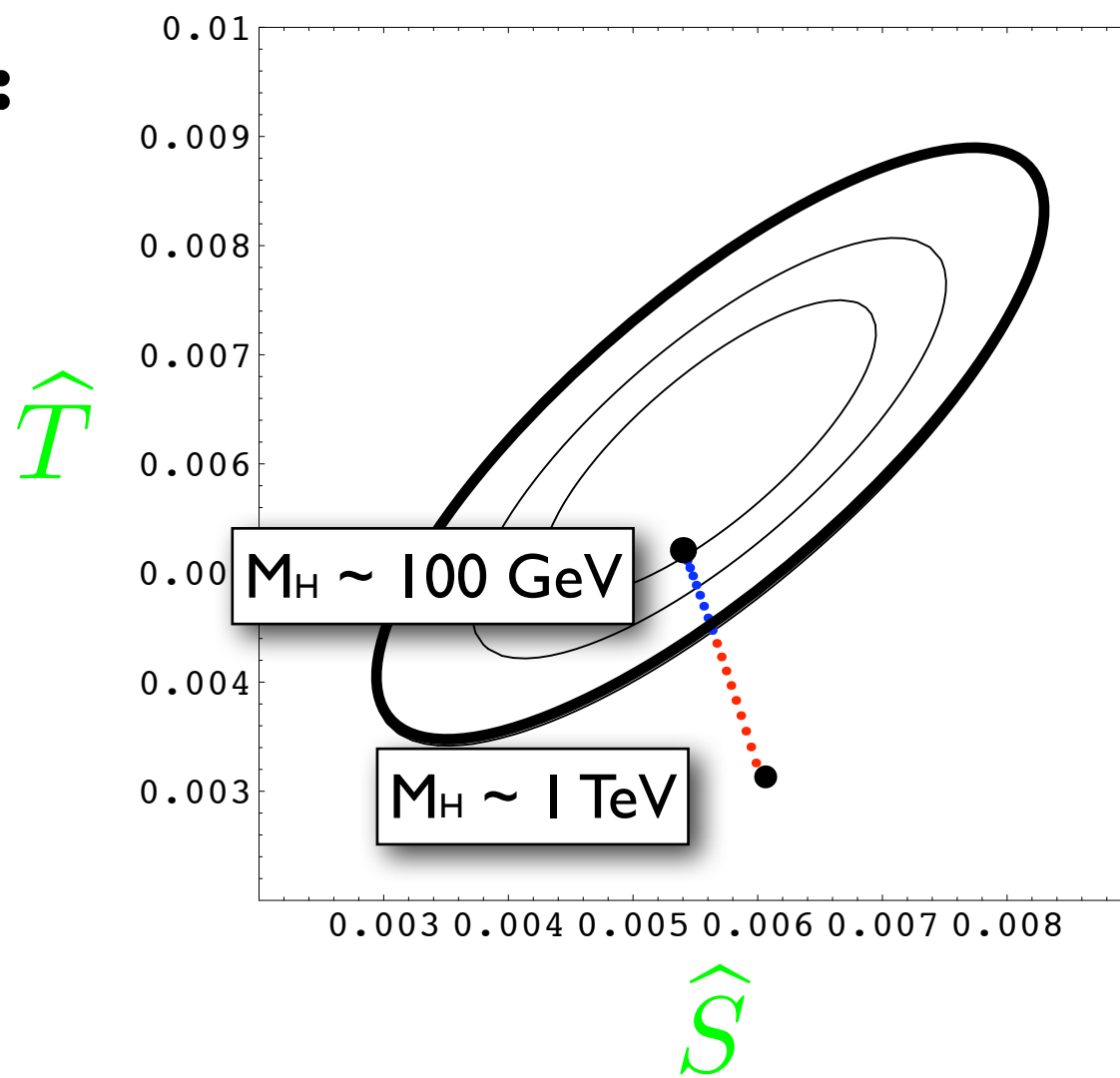
# LEP I + Tevatron:



➡ To keep  $M_W^2 \approx M_Z^2 \cos^2 \theta_W$  a “custodial” symmetry must be present in the EWSB sector

➡ A light Higgs is preferred

# LEP I + Tevatron:

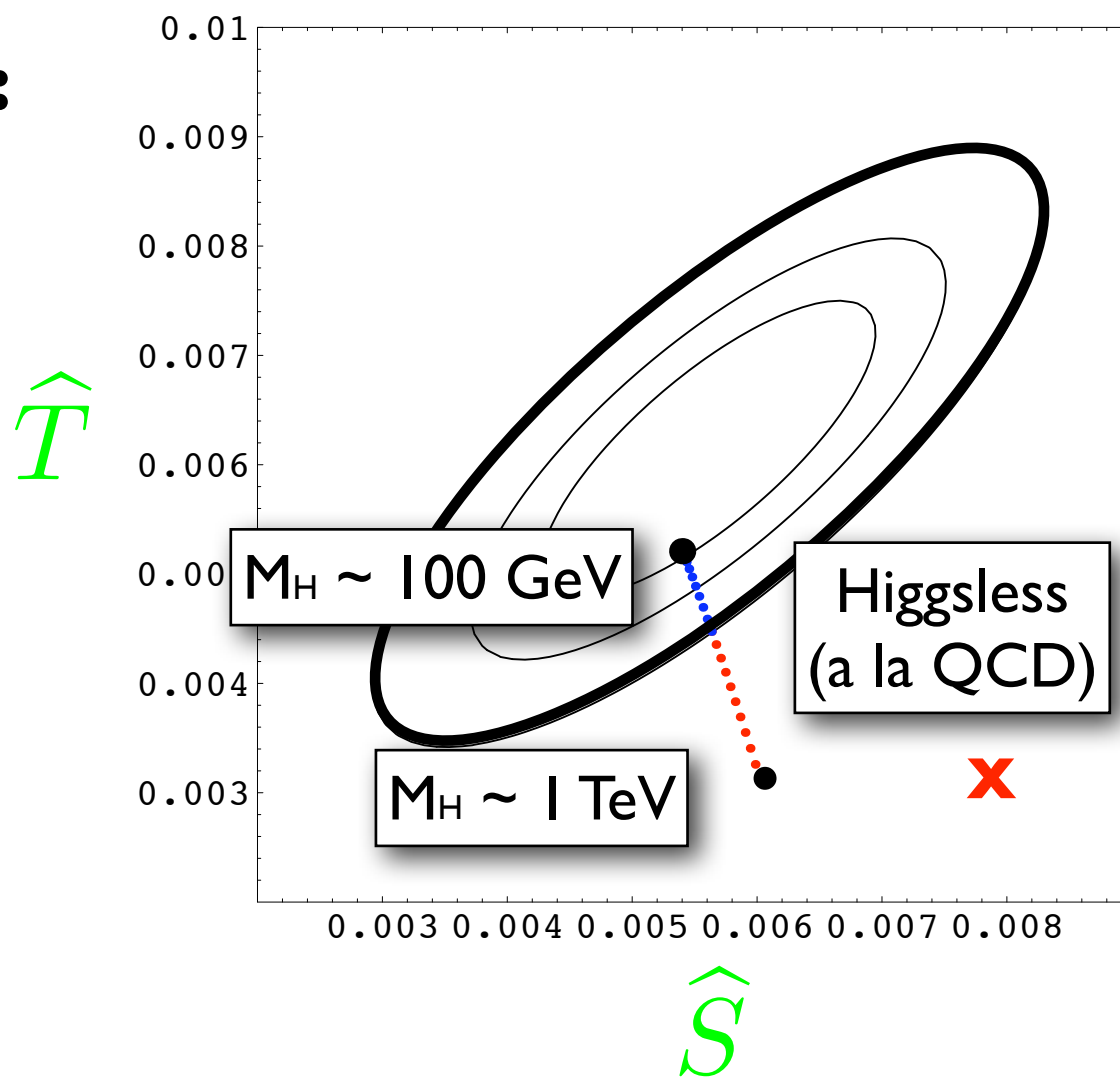


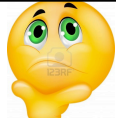
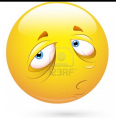
MSSM	Compositeness
🤔	🤔

➡ To keep  $M_W^2 \approx M_Z^2 \cos^2 \theta_W$  a “custodial” symmetry must be present in the EWSB sector ✓

➡ A light Higgs is preferred ✓

# LEP I + Tevatron:



MSSM	Compositeness
	

➔ To keep  $M_W^2 \approx M_Z^2 \cos^2 \theta_W$  a “custodial” symmetry must be

➔ In **composite Higgs models:**  
spin-one resonances can give tree-level contribution to  $S$ :

$$W \sim \rho \sim B \quad M_\rho \gtrsim 3 \text{ TeV when } 1 \text{ TeV expected}$$

➔ Certain tuning in the models are needed (<10-20%)

right-handed

Quarks



Leptons



left-handed

Quarks

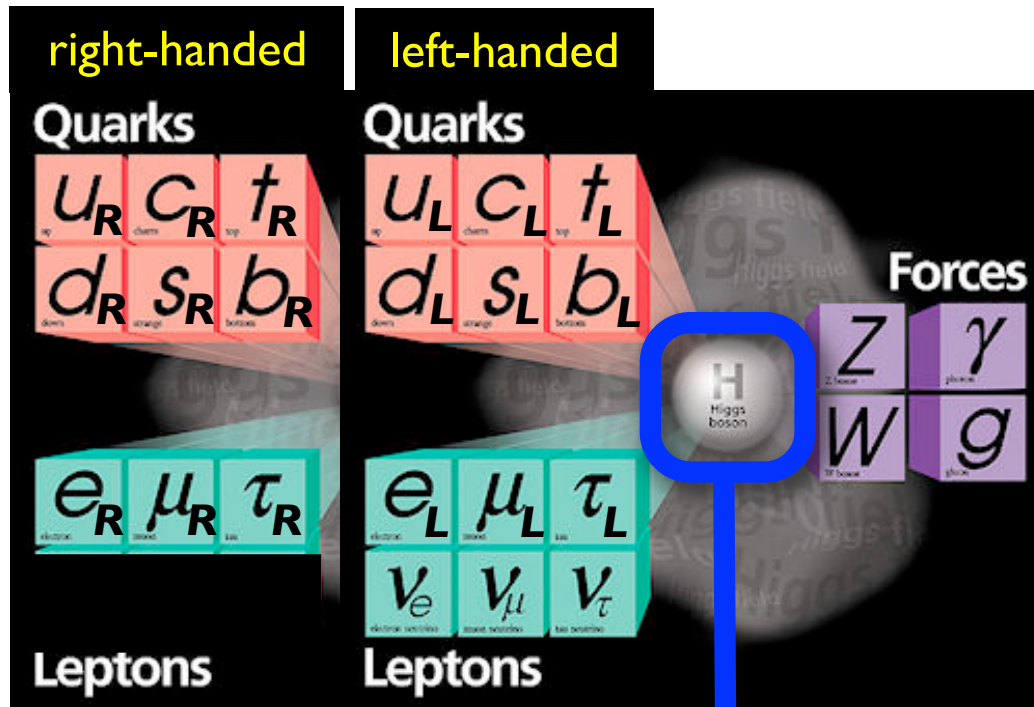


Leptons



Forces





No more...



## Wrapping up (before the LHC):

### Quite well-measured:

Leptons, left-handed quarks, gauge bosons

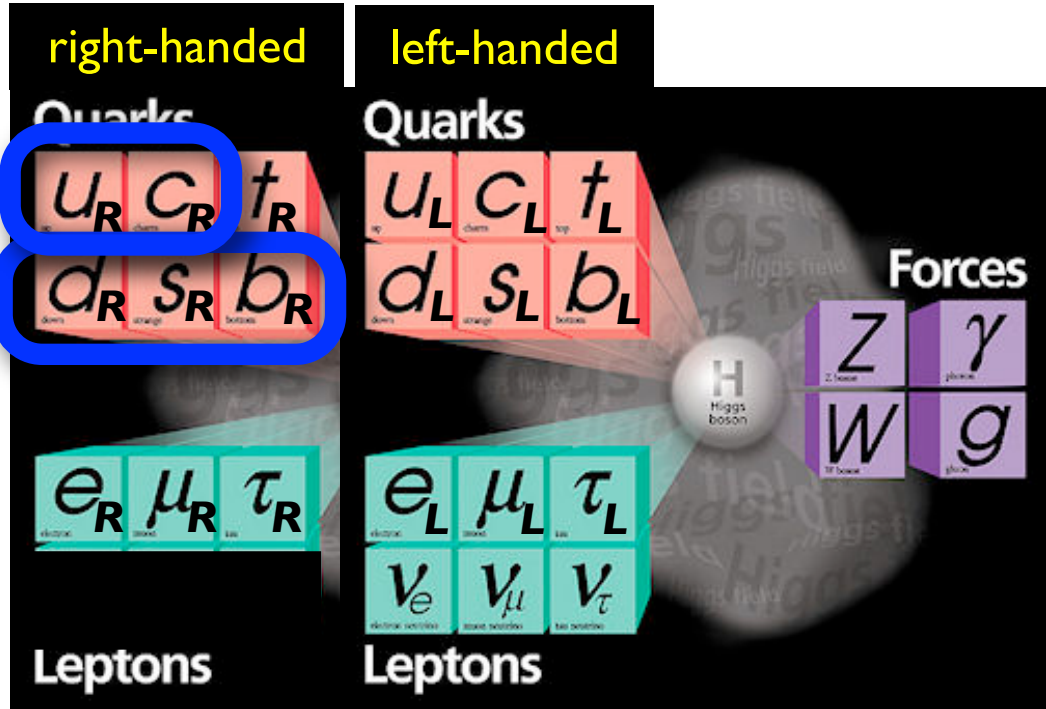
### Not very well-measured (with some hints of BSM) :

Right-handed quark, especially the top

### Not at all well-measured:

Higgs

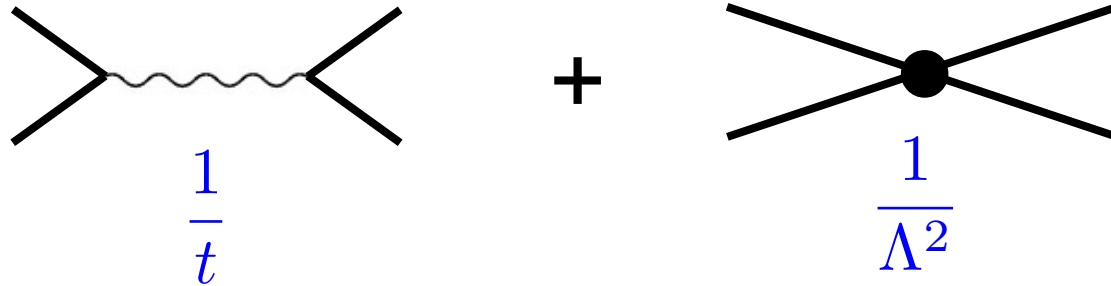
# **After the LHC**



# Testing right-handed quark at the LHC

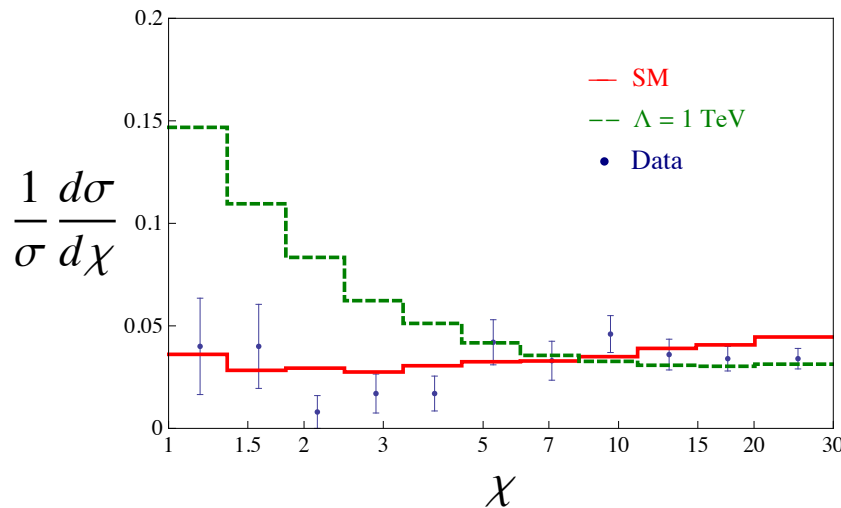
Best test at the LHC: **Dijets**

$pp \rightarrow q\bar{q} \rightarrow \text{jet}+\text{jet}$  affected at high-energy by  $\frac{(\bar{u}_R \gamma_\mu u_R)^2}{\Lambda^2}$



➔ large  $t$  needed to enhance new-physics effects:

$\hat{t} = -\hat{s}(1 - \cos \theta^*)/2$ : **Large energies and large scattering angles**



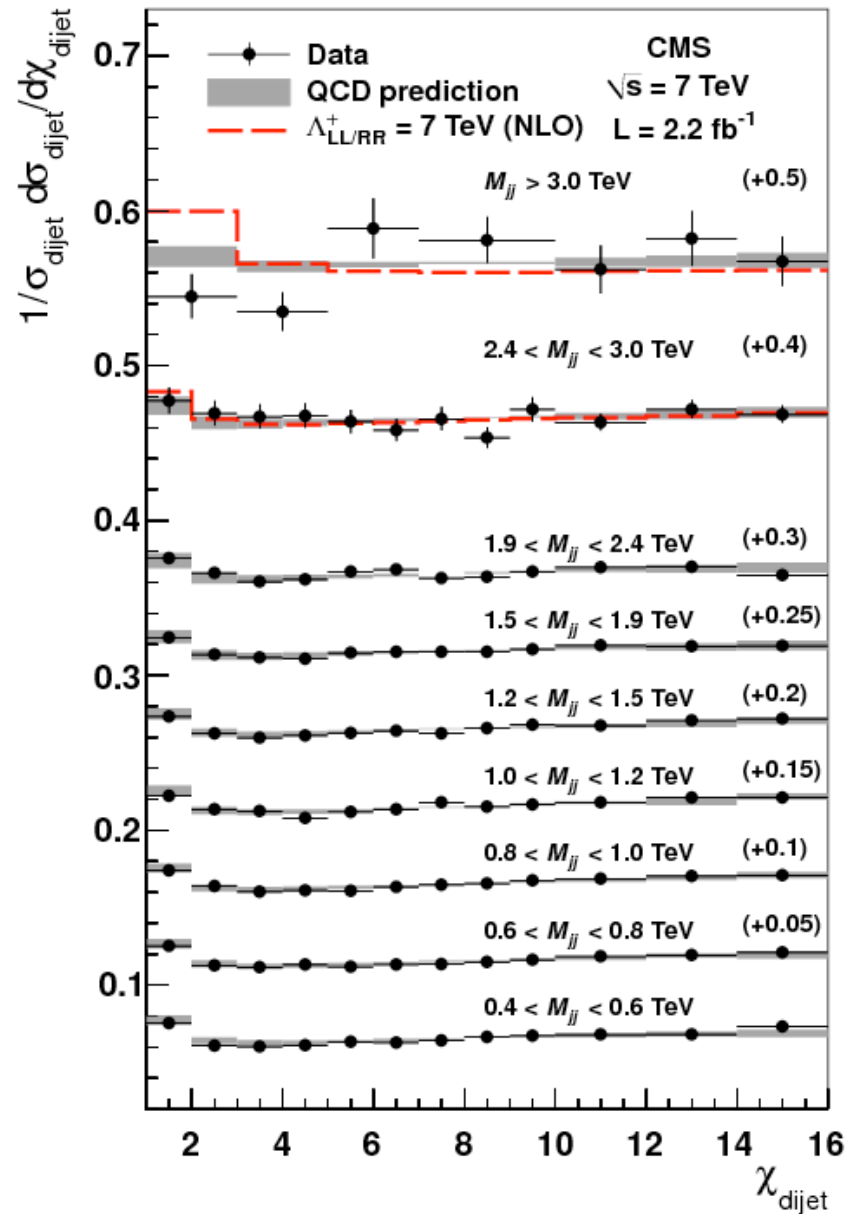
arXiv:1201.6510  
using 7 TeV data

$$m_{jj} > 2 \text{ TeV}$$

$$\chi = (1 + |\cos \theta^*|) / (1 - |\cos \theta^*|)$$

$$\chi = e^{|y_1 - y_2|}$$

# LHC recent data



Nothing seen beyond QCD!

# Bounds on the scale suppressing four-quark interactions

arXiv:1201.6510  
using 7 TeV data

Operator	$\Lambda_-/\sqrt{c_i}$	$\Lambda_+/\sqrt{c_i}$	(TeV)
$\mathcal{O}_{uu}^{(1)}$	4.5	3.0	
$\mathcal{O}_{dd}^{(1)}$	2.4	2.0	
$\mathcal{O}_{ud}^{(1)}$	2.2	2.2	
$\mathcal{O}_{ud}^{(8)}$	1.8	1.3	

} bounds as good as for leptons at LEP2

where

$$\mathcal{O}_{uu}^{(1)} = (\bar{u}_R \gamma^\mu u_R)(\bar{u}_R \gamma_\mu u_R)$$

$$\mathcal{O}_{dd}^{(1)} = (\bar{d}_R \gamma^\mu d_R)(\bar{d}_R \gamma_\mu d_R)$$

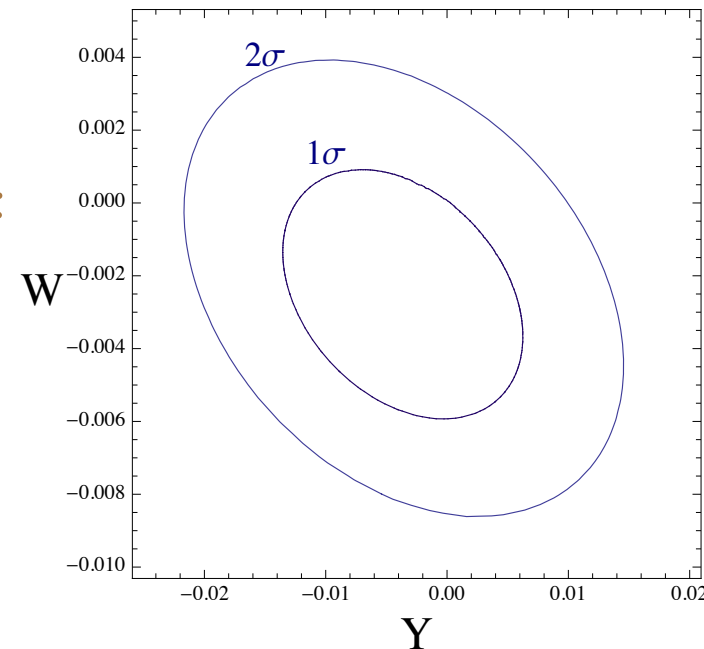
$$\mathcal{O}_{ud}^{(1)} = (\bar{u}_R \gamma^\mu u_R)(\bar{d}_R \gamma_\mu d_R)$$

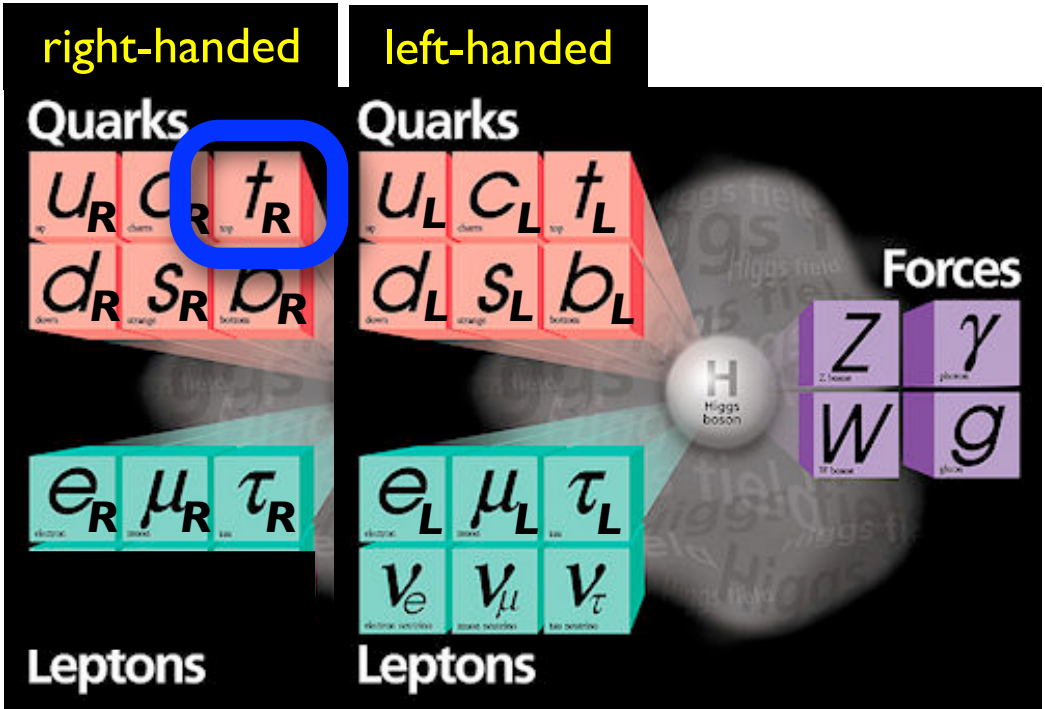
$$\mathcal{O}_{ud}^{(8)} = (\bar{u}_R \gamma^\mu T^A u_R)(\bar{d}_R \gamma_\mu T^A d_R)$$

Recast as a bound on gauge-boson propagator  $p^2/\Lambda^2$  effects:

$$\frac{-Y}{4m_W^2} (\partial_\rho B_{\mu\nu})^2, \quad \frac{-W}{4m_W^2} (D_\rho W_{\mu\nu}^I)^2, \quad \frac{-Z}{4m_W^2} (D_\rho G_{\mu\nu}^A)^2$$

$$-9 \times 10^{-4} \lesssim Z \lesssim 3 \times 10^{-4}$$





**Plenty of new relevant data**

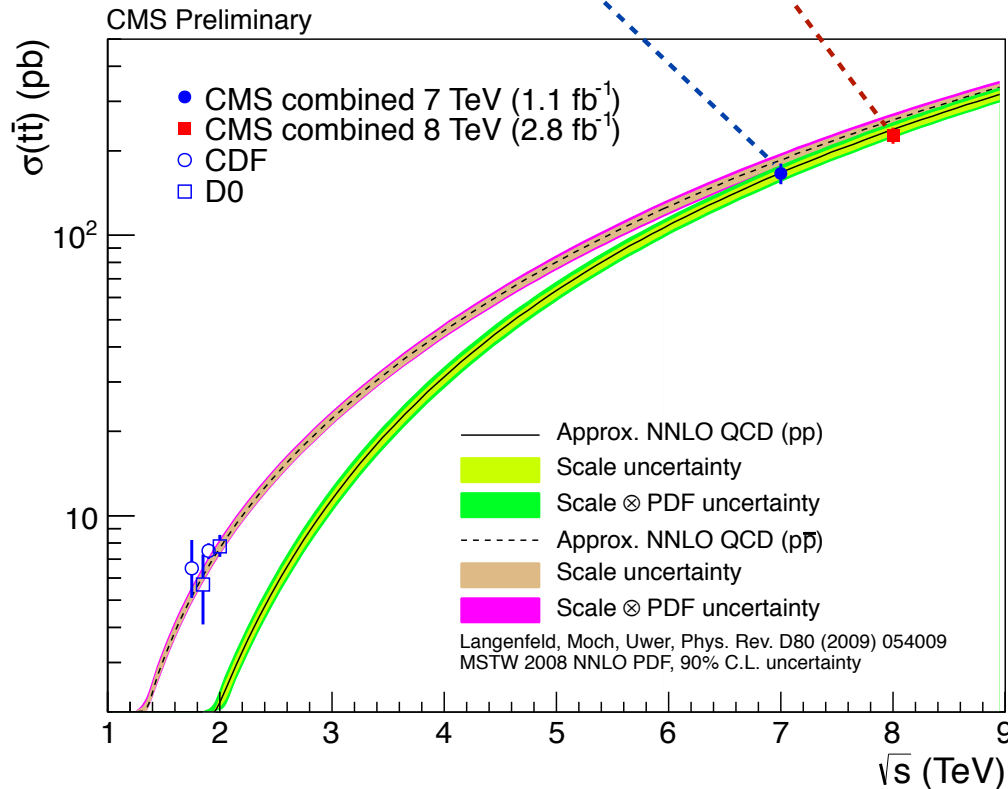
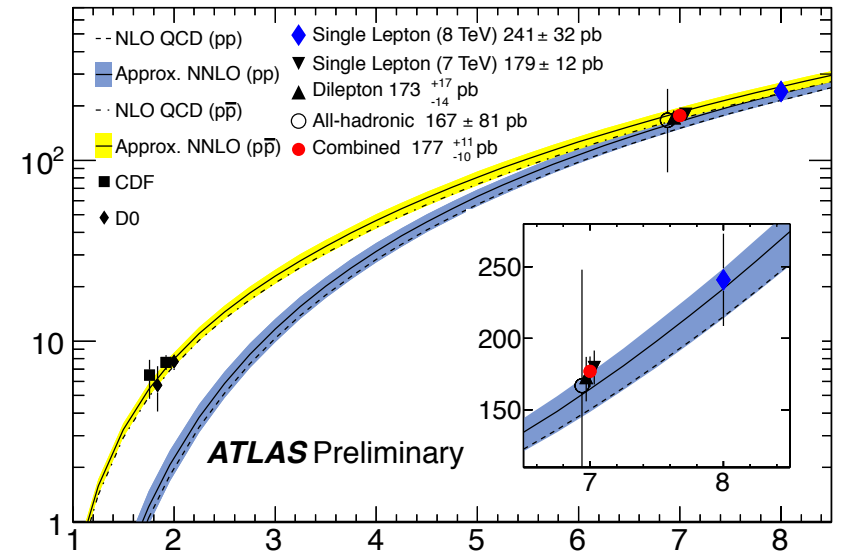
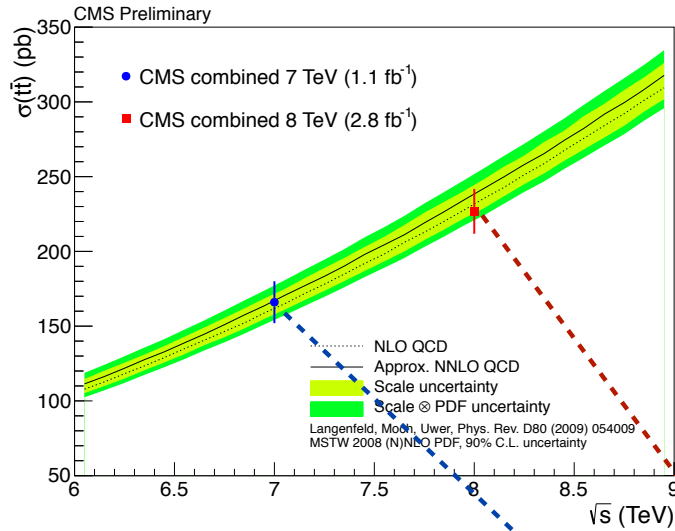


# Plenty of new relevant data

Let's first address *possible new physics* in the top FB asymmetry measured at Tevatron:

- 1) Expecting larger production cross-section, specially at large invariant-mass from new physics

# New LHC data: $t\bar{t}$ cross-sections



Excellent agreement  
with the SM

# Differential cross sections



CMS: CMS PAS TOP-12-027 (l+jets)

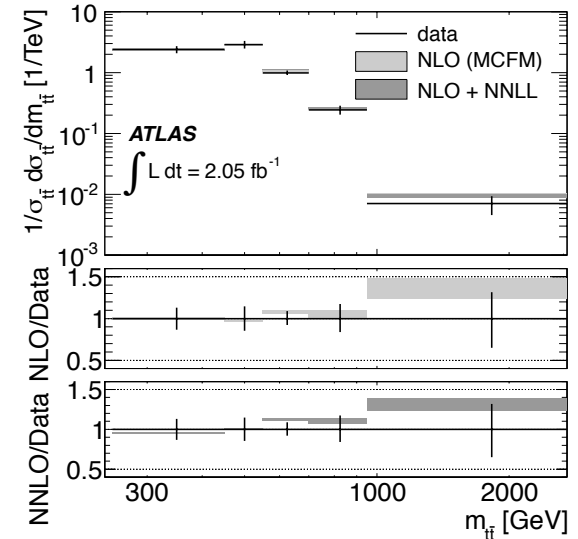
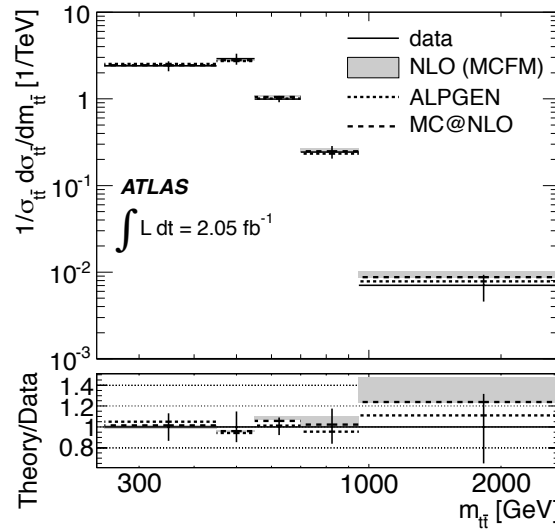
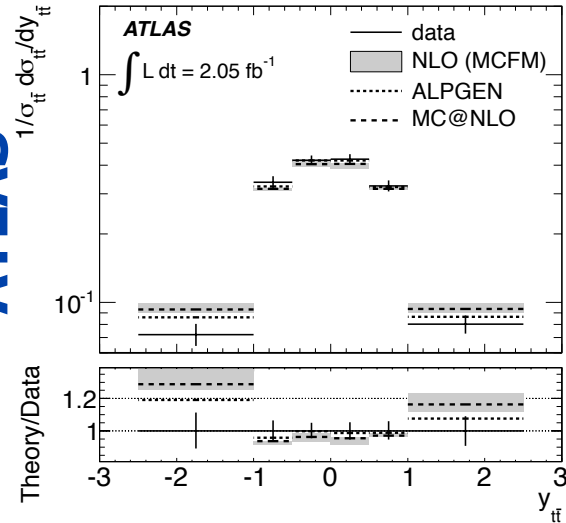
CMS: CMS PAS TOP-12-028 (dilepton)

ATLAS: Eur. Pys. J. C (2013) (l+jets)

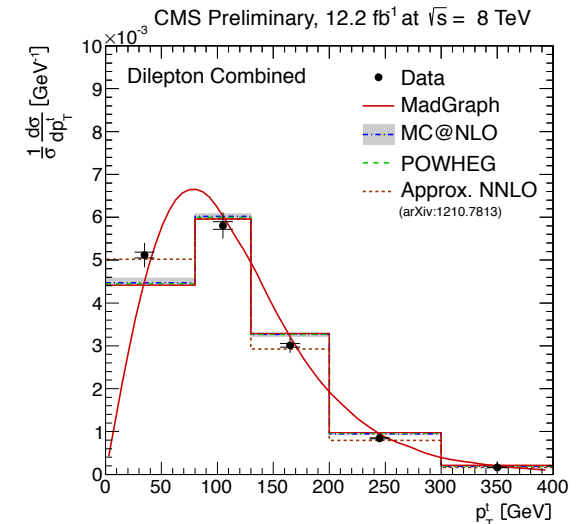
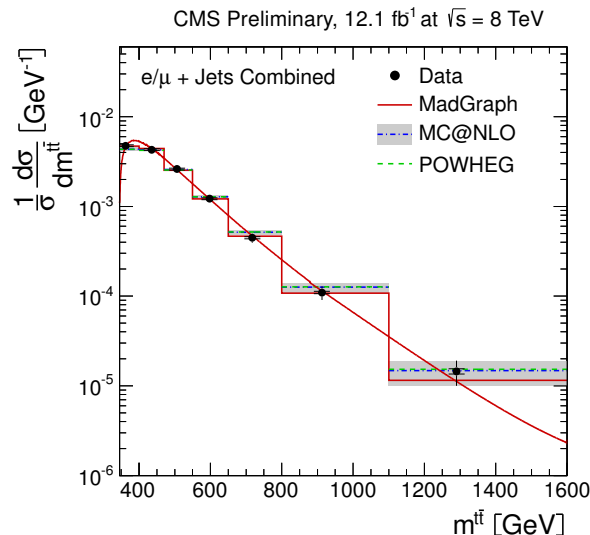
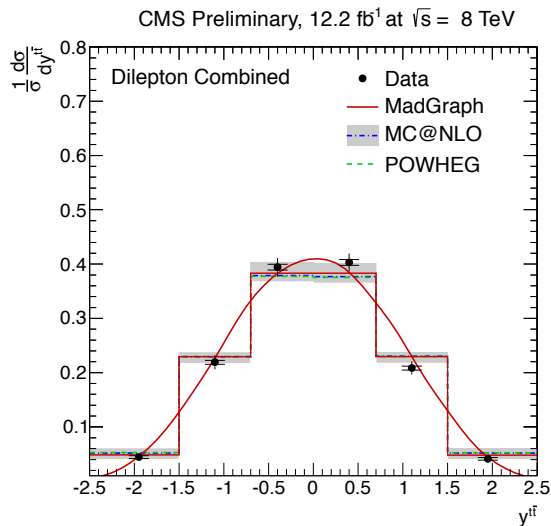
No significant deviation from SM observed

$$\frac{1}{\sigma} \frac{d\sigma(x_i)}{dx_i}$$

ATLAS



CMS New



# Plenty of new relevant data

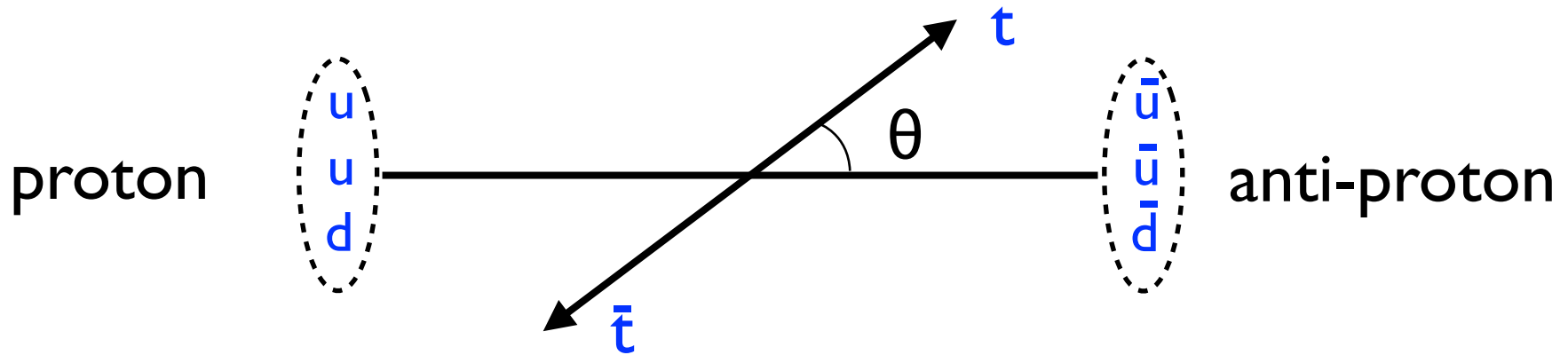
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- 2) Expecting deviations from top asymmetries from new physics

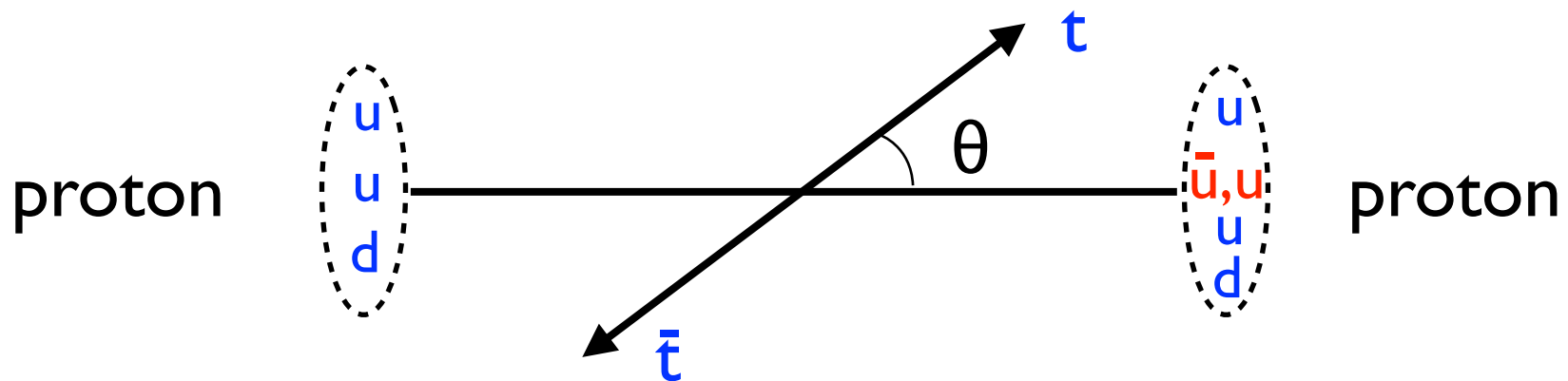


At the LHC, no meaning of the Forward-Backward asymmetry

**$p\bar{p}$ -collider:** ~ known direction of the quark and antiquark:



**$pp$ -collider:** Symmetric initial state. We must exploit that valence quarks have ~ more momentum than (sea) antiquark



➡ different rapidity distributions

# $t\bar{t}$ -Charge Asymmetry

**At the  
LHC:**

Reconstructing  $t\bar{t}$ :  $\Delta|y| = |y_t| - |y_{\bar{t}}|$

$$A_C = \frac{N(\Delta|y| > 0) - N(\Delta|y| < 0)}{N(\Delta|y| > 0) + N(\Delta|y| < 0)}$$

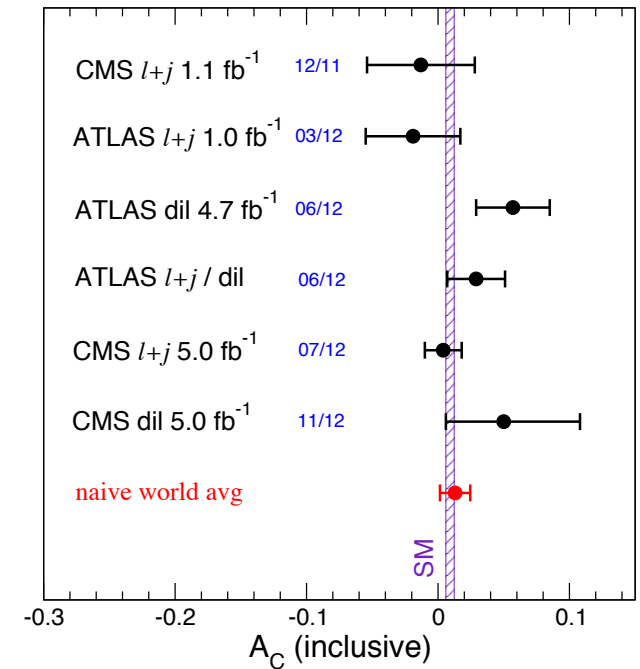
# $t\bar{t}$ -Charge Asymmetry

arXiv:1302.6618

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**No deviation with respect the SM!**

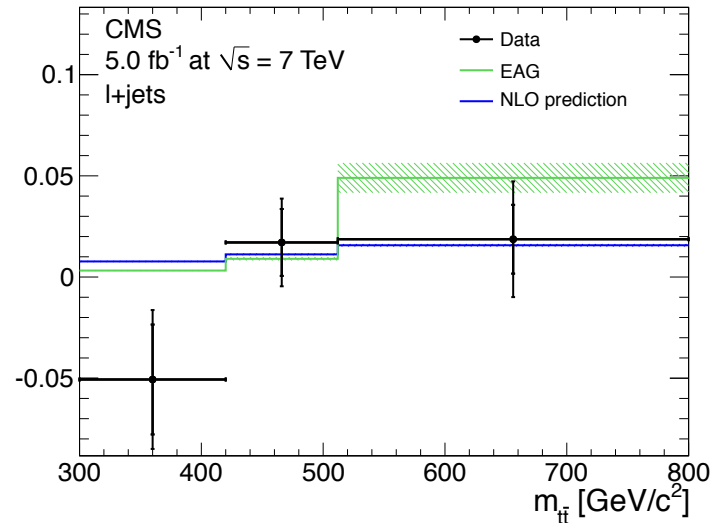
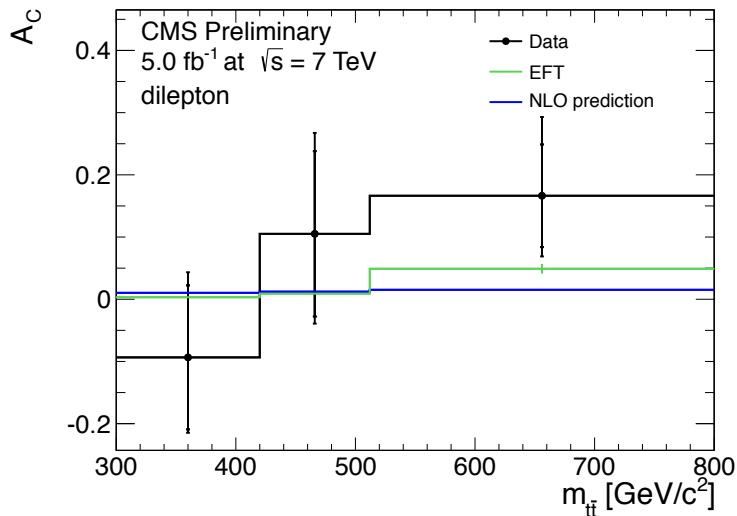
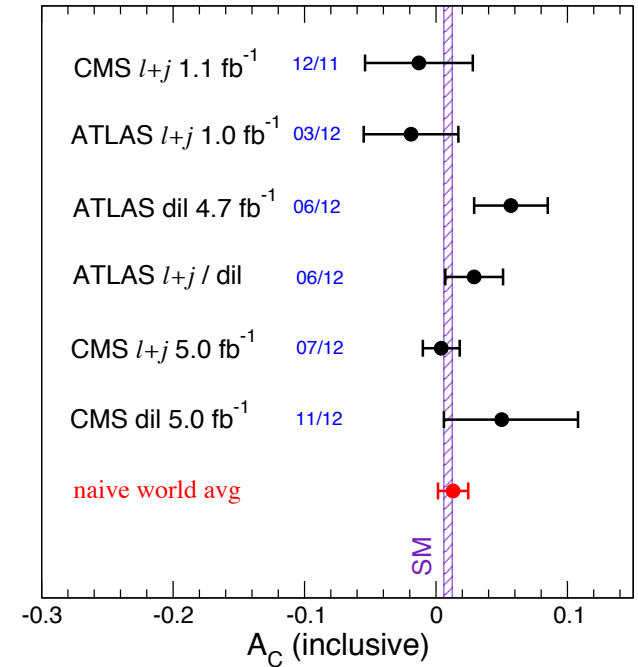
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No increase  
with the  
invariant mass



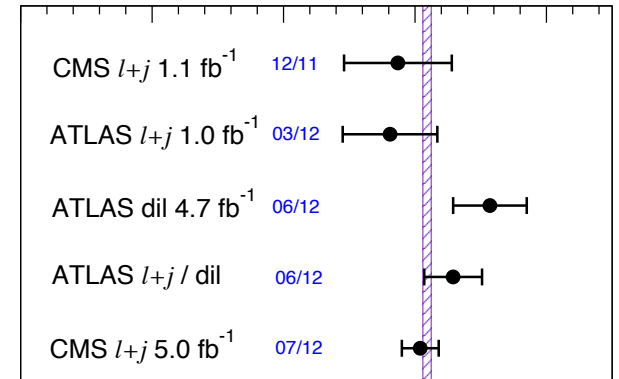
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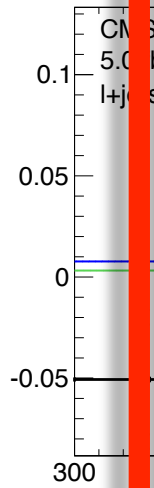
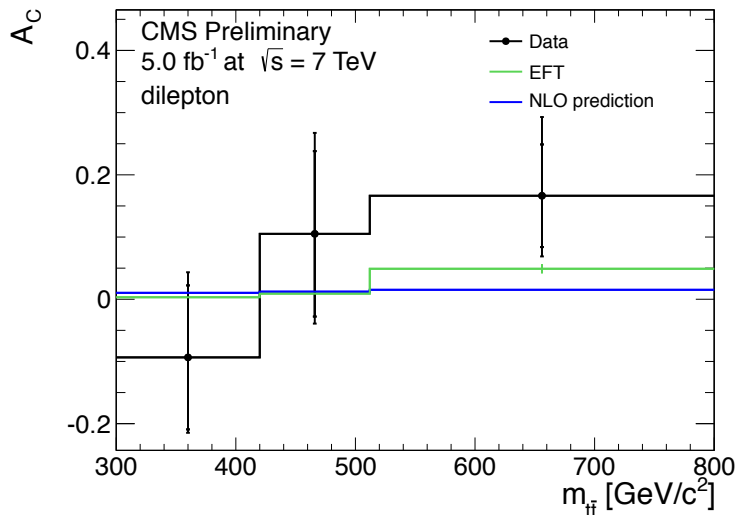
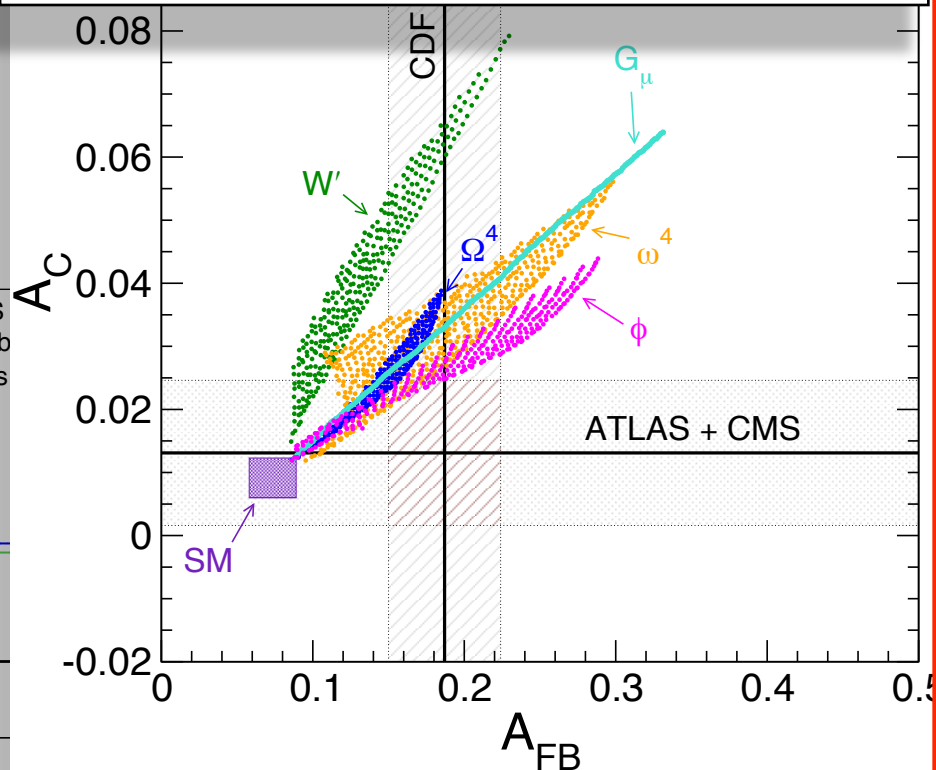
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## Prediction from resonances



use  
e  
mass

# Plenty of new relevant data

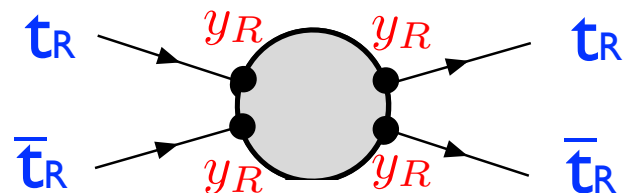
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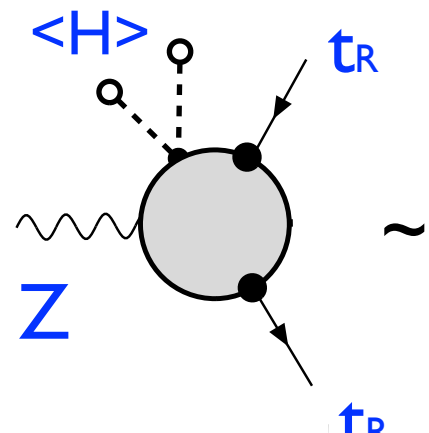
# Other new physics expectations

$t_R$  remains as the only quark with possible large BSM effects  
Also the only one really motivated by **composite Higgs** models

## Main effects:

1)   $\sim \frac{y_R^4}{\Lambda^2}$

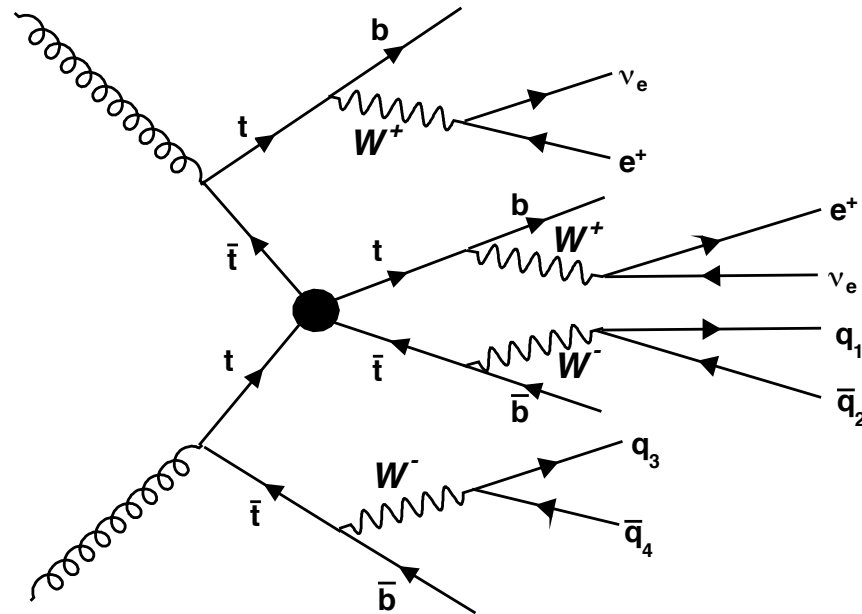
The diagram shows a loop of a composite Higgs boson (grey circle) with four external fermion lines. The top and bottom lines are labeled  $t_R$  and  $\bar{t}_R$  respectively. The left and right lines are also labeled  $t_R$  and  $\bar{t}_R$ . The vertices are marked with  $y_R$ .

2)   $\sim \frac{y_R^2 v^2}{\Lambda^2}$

The diagram shows a loop of a composite Higgs boson (grey circle) with a Z boson (wavy line) and two  $t_R$  fermion lines. The Z boson is labeled  $Z$ . The fermion lines are labeled  $t_R$ . The vertices are marked with  $y_R$ . A dashed line with a circle at the end is labeled  $\langle H \rangle$ .

important for  $y_R > 1$

# To be seen in 4 top-quark production:



ATLAS-CONF-2012-130:

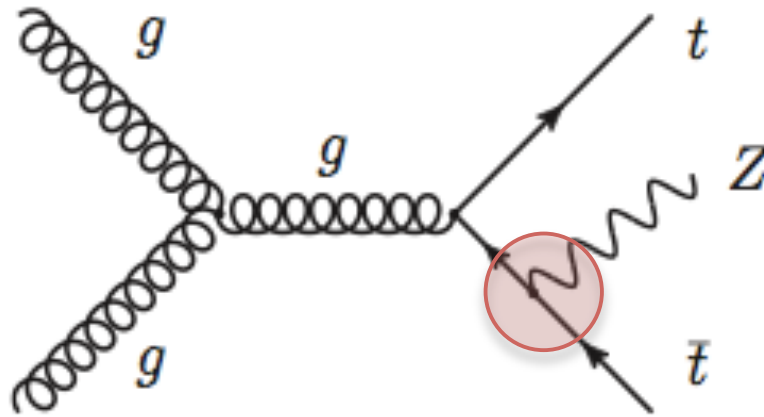
$$\sigma < 61 \text{ fb}$$



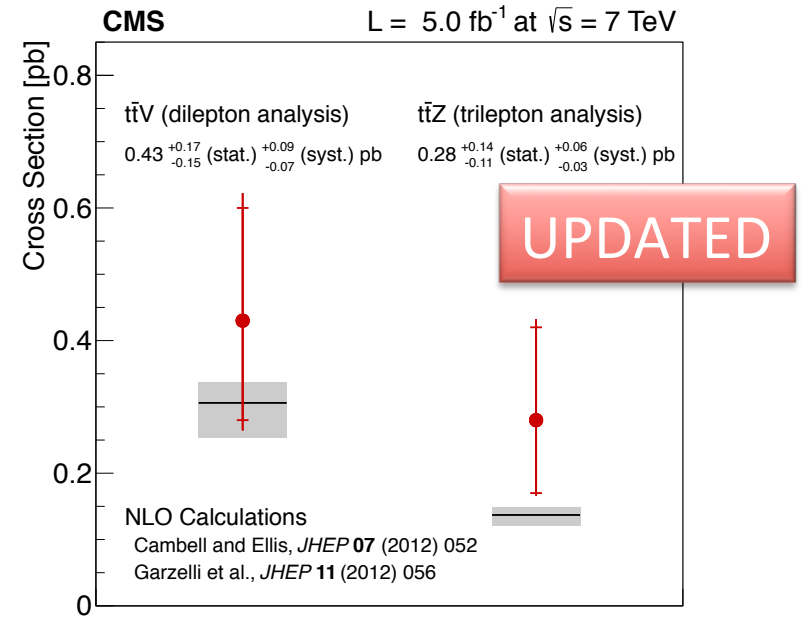
$$\Lambda \gtrsim 500 \text{ GeV (for } y_R \sim 1)$$

PHYSICAL REVIEW D 78, 074026 (2008)

# First evidence of $t\bar{t}Z$ production:

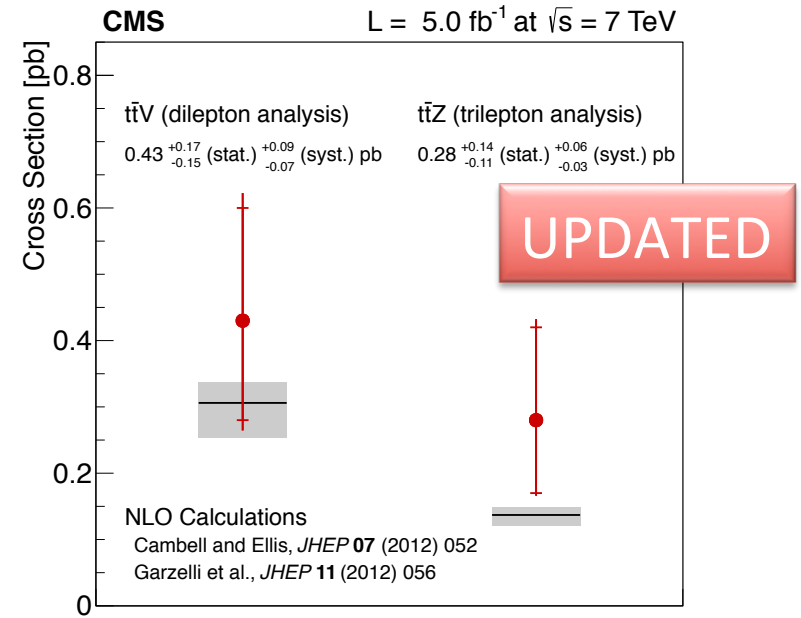
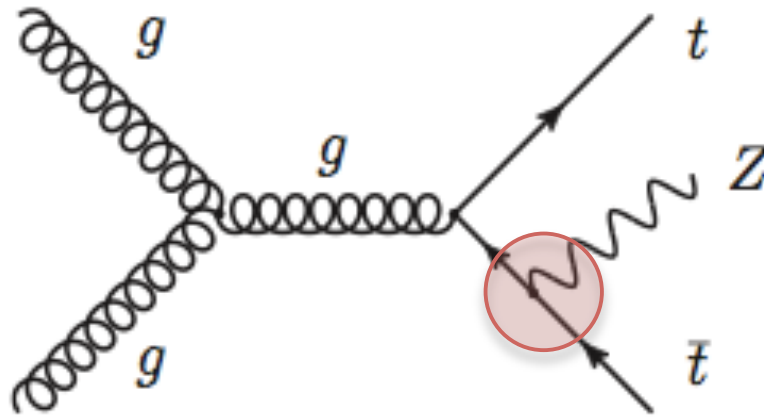


still big errors...



First direct measurements of top-Z coupling.

# First evidence of ttZ production:



still big errors...

First direct measurements of top-Z coupling.

Also flavor-changing decays:

$$BR(t \rightarrow cZ) = 2 \times 10^{-4} (\xi c_R)^2 \left( \frac{\theta_{tc}}{V_{cb}} \right)^2$$

$$\xi = (v/\Lambda)^2 \text{ for } y_R \sim 1$$

JHEP06(2007)045

CMS bound:  $BR(t \rightarrow Zq) < 0.21\%$

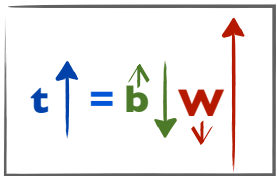
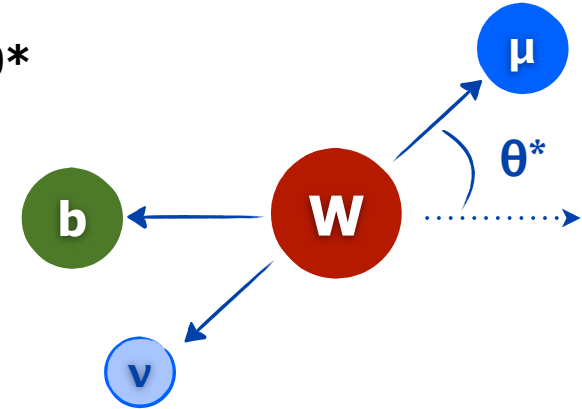
arXiv:1208.0957

# W helicity in top decays

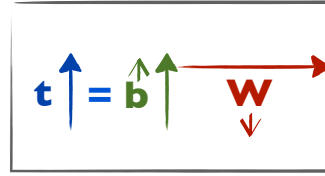


## V-A SM nature of the $tWb$ coupling can be probed using $\theta^*$

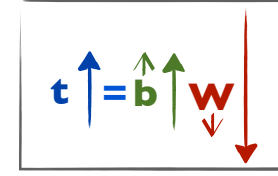
- compute  $\cos\theta^*$  to measure contributions from different helicities
- $F_{0/L/R}$  relative contributions for SM are well known
- Different relative contrib. can indicate new physics
  - in SM only  $V_L \neq 0$  and  $g_R = g_L = V_R = 0$



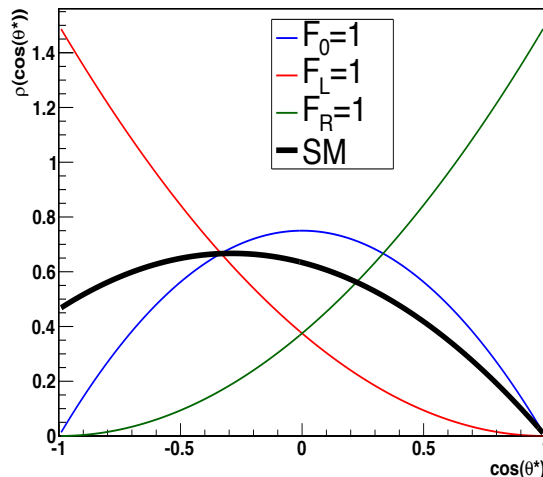
$F_L$  [SM $\approx$ 0.311]



$F_0$  [SM $\approx$ 0.687]



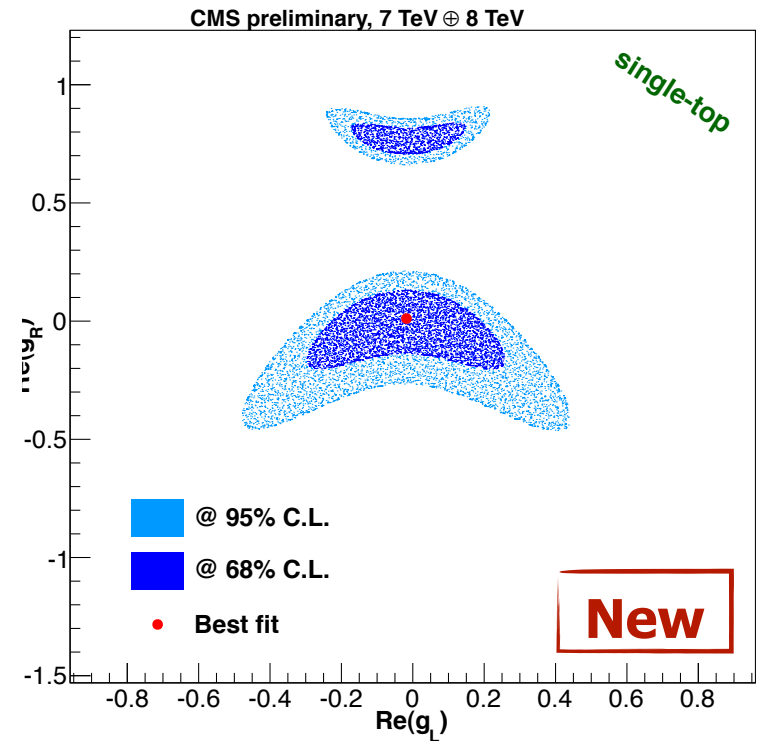
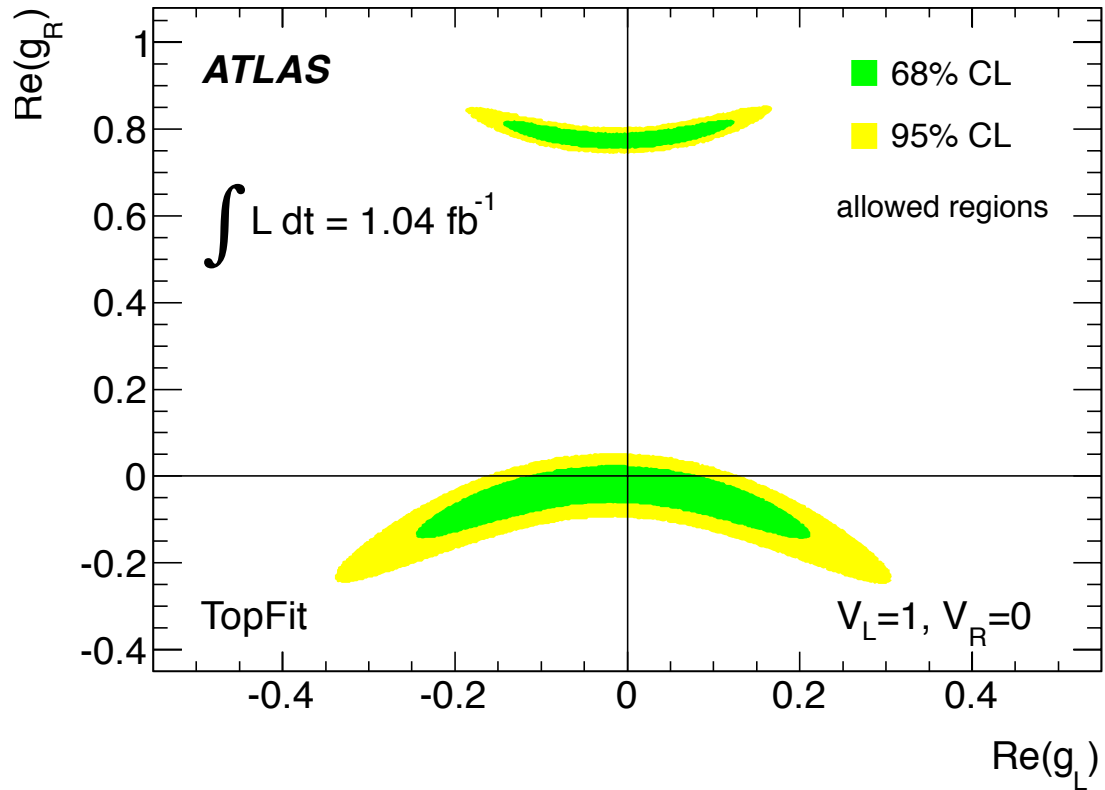
$F_R$  [SM $\approx$ 0.001]



$$\frac{1}{\sigma} \frac{d\sigma}{d\cos\theta^*} = \frac{3}{4} (1 - \cos^2\theta^*) F_0 + \frac{3}{8} (1 - \cos\theta^*)^2 F_L + \frac{3}{8} (1 + \cos\theta^*)^2 F_R$$

# New constraints on top dipole moments:

$$-\frac{g}{\sqrt{2}} \bar{b} \frac{i\sigma^{\mu\nu} q_\nu}{M_W} (g_L P_L + g_R P_R) t W_\mu^-$$





right-handed

Quarks



Leptons



left-handed

Quarks

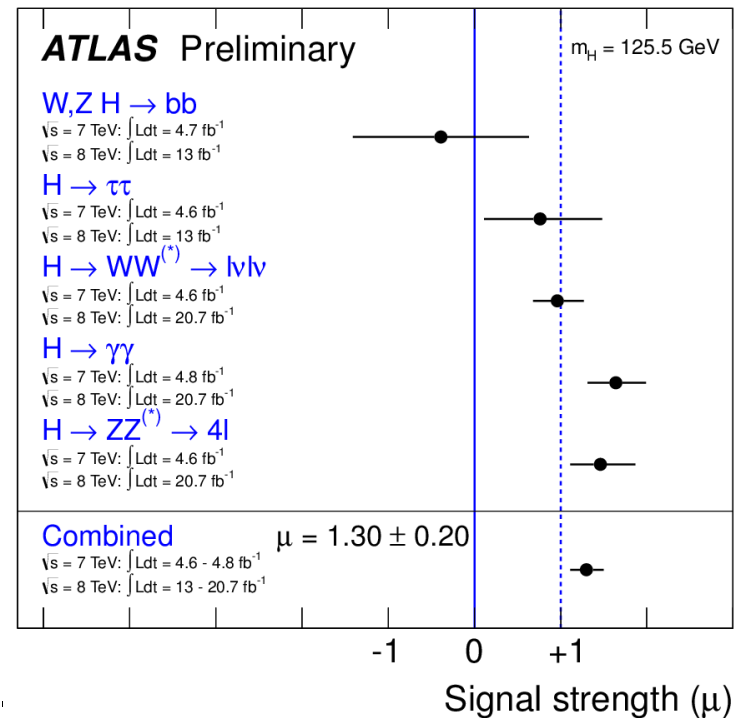
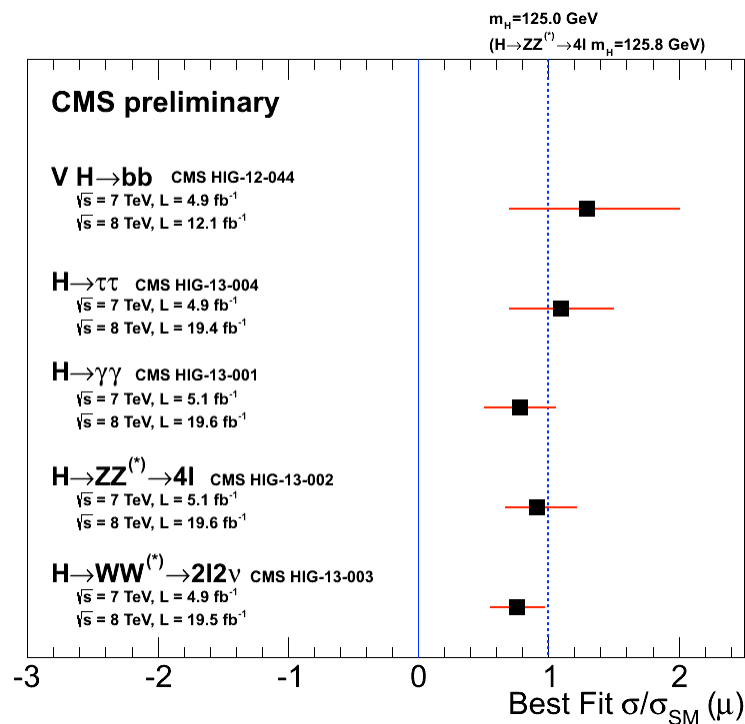


Leptons



# The 4th of July of 2012 marked a new milestone in particle physics

## A Higgs-like state has been discovered



**with no significant deviations from a SM Higgs!**

# What the Higgs mass

$$m_H \approx 125 \text{ GeV}$$

**tells us?**

# What the Higgs mass

$$m_H \approx 125 \text{ GeV}$$

tells us?

**Light state:**

If it has to do with EWSB:  $m_H^2 = \lambda v^2$

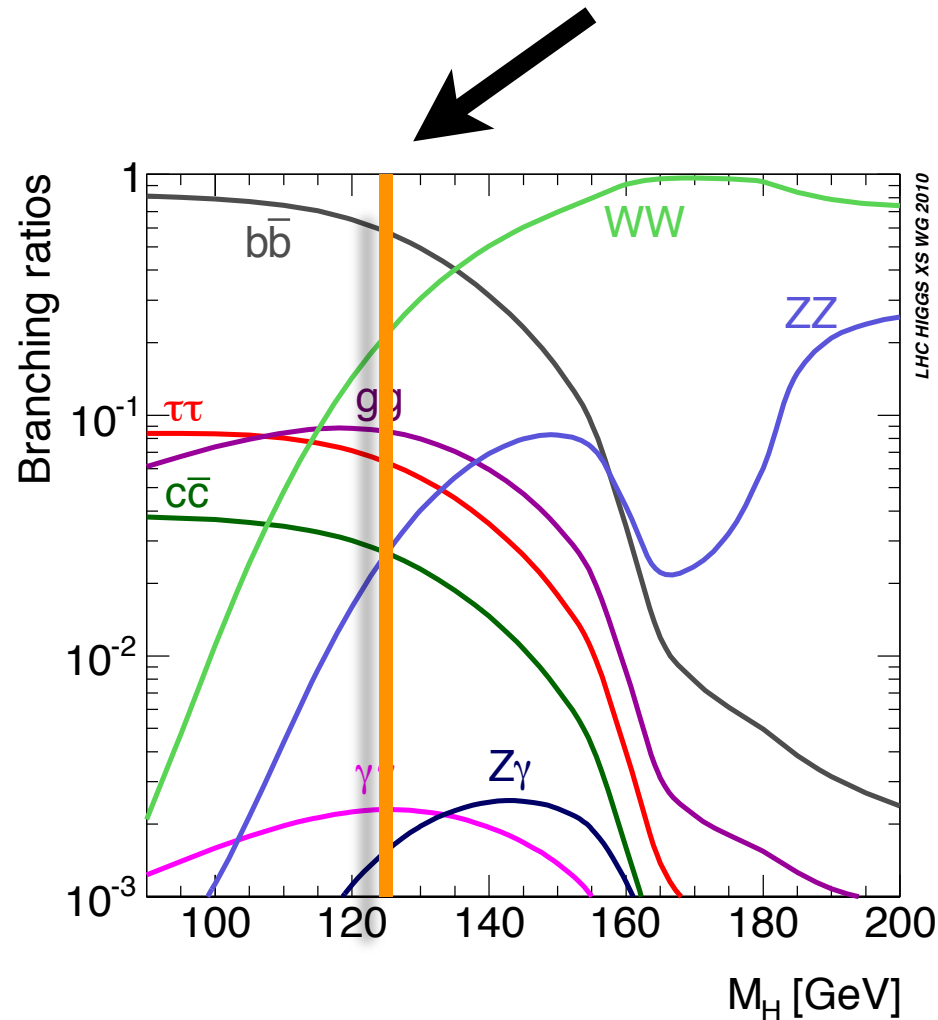
  
~ 0.26 (perturbative coupling)

Origin of the EWSB potential → a weakly-coupled theory

# Excellent for experimentalists:

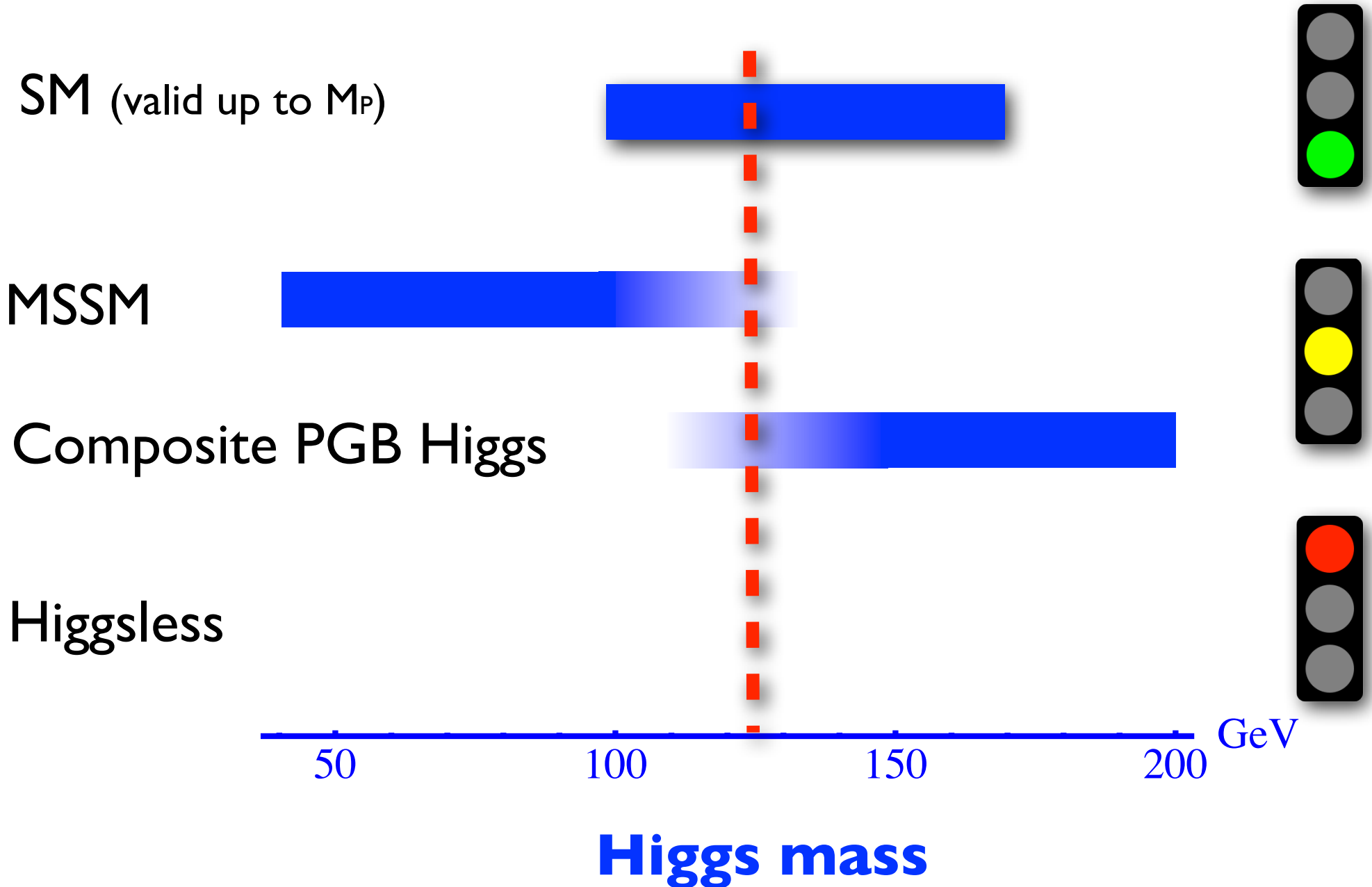
Fabiola Gianotti: “**Nature has been kind to us...**”

Most of decay modes visible:  $m_H \approx 125 \text{ GeV}$



**For theorist...**

# Rough Higgs-mass range predictions



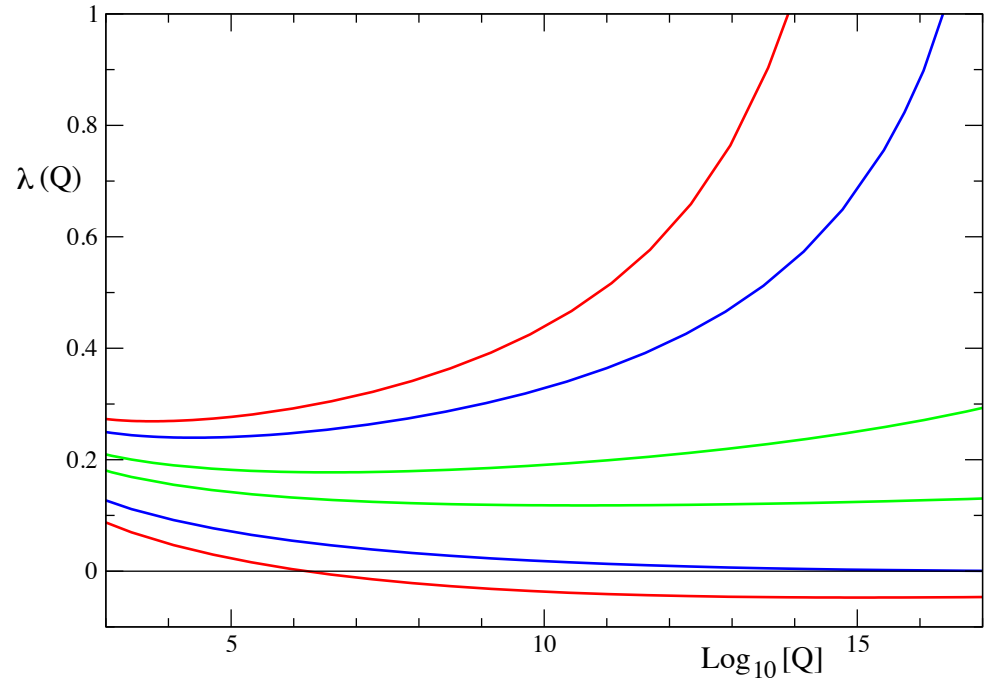
**125 GeV SM Higgs**



# In the SM:

$$m_H^2 = \lambda v^2$$

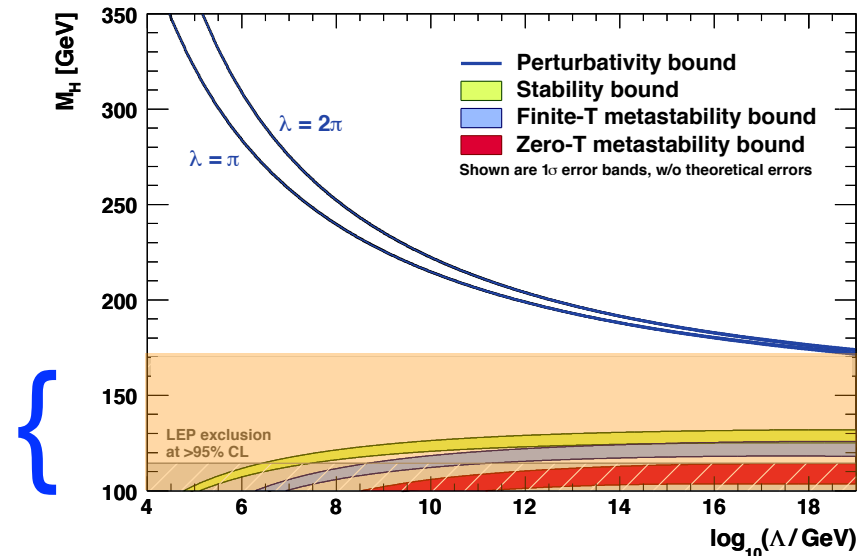
Evolves with the energy



Demanding  $\lambda$  not too large (keep perturbativity),  
not too negative that destabilizes the Higgs potential:

from Phys.Lett. B679 (2009) 369

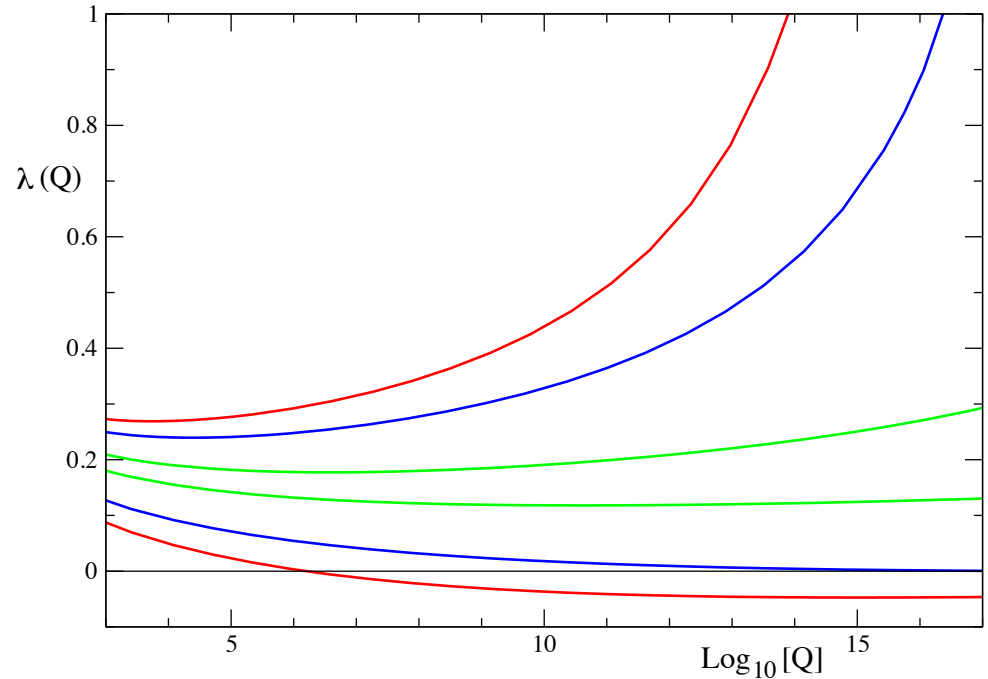
Only a small window  
in the Higgs mass  
makes the SM consistent  
all the way to the Planck scale



# In the SM:

$$m_H^2 = \lambda v^2$$

Evolves with the energy

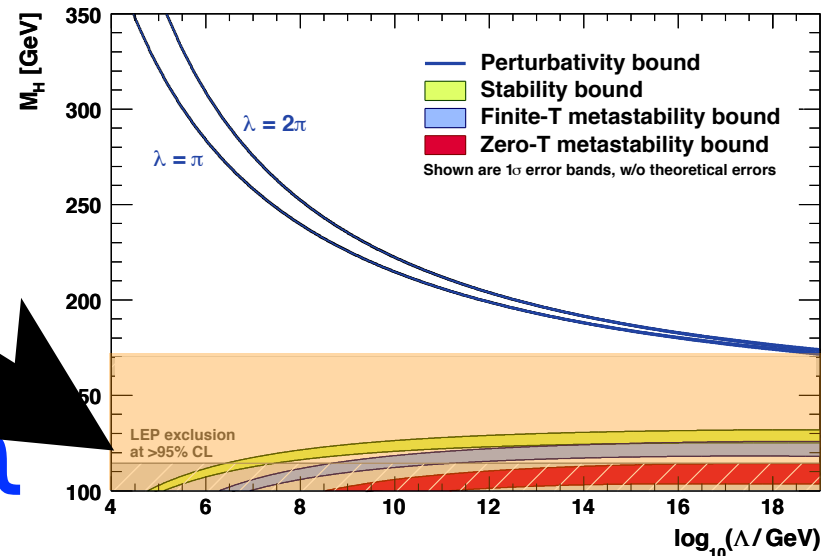


Demanding  $\lambda$  not too large (keep perturbativity),  
not too negative that destabilizes the Higgs potential:

from Phys.Lett. B679 (2009) 369

A 125 GeV Higgs is  
in this window!

Only a small window  
in the Higgs mass  
makes the SM consistent  
all the way to the Planck scale



# **125 GeV MSSM Higgs**

## In the MSSM:

$$M_h^2 \leq M_Z^2 + \Delta m^2$$

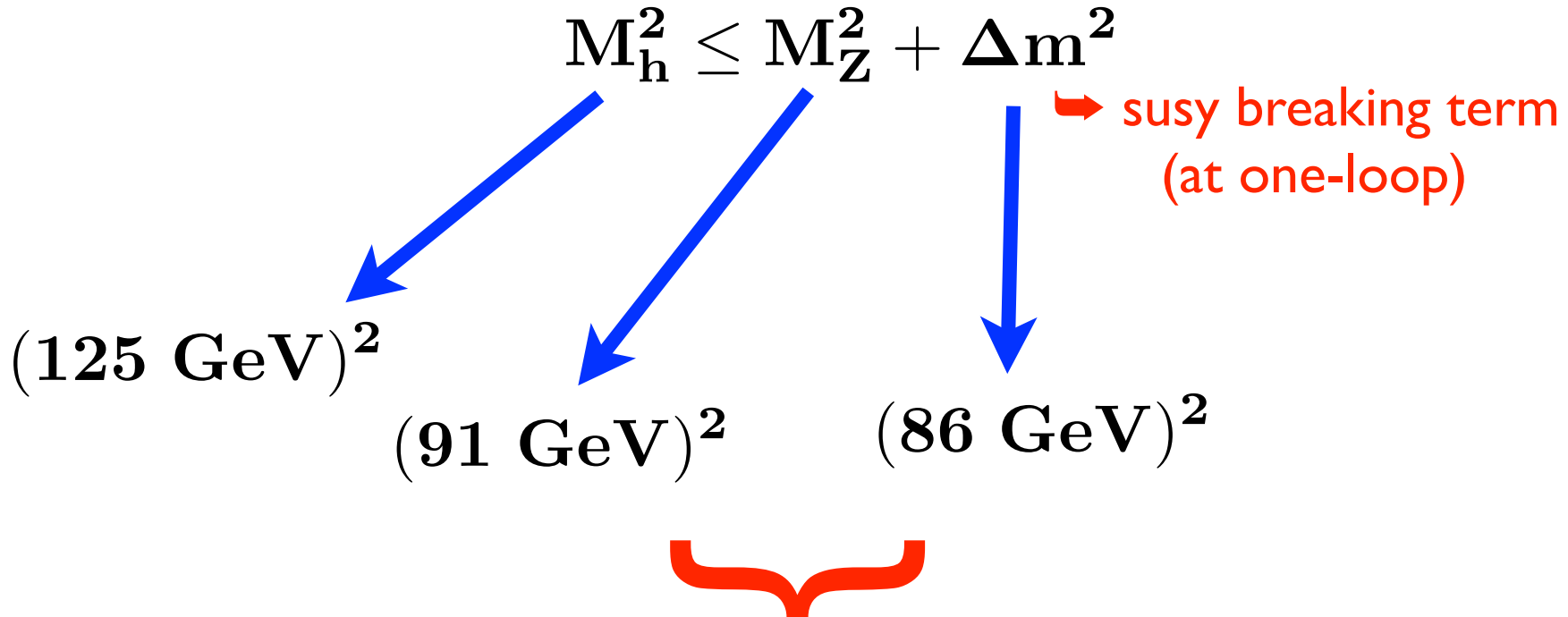
→ susy breaking term  
(at one-loop)

## In the MSSM:

$$M_h^2 \leq M_Z^2 + \Delta m^2$$

$(125 \text{ GeV})^2$        $(91 \text{ GeV})^2$        $(86 \text{ GeV})^2$

→ susy breaking term  
(at one-loop)

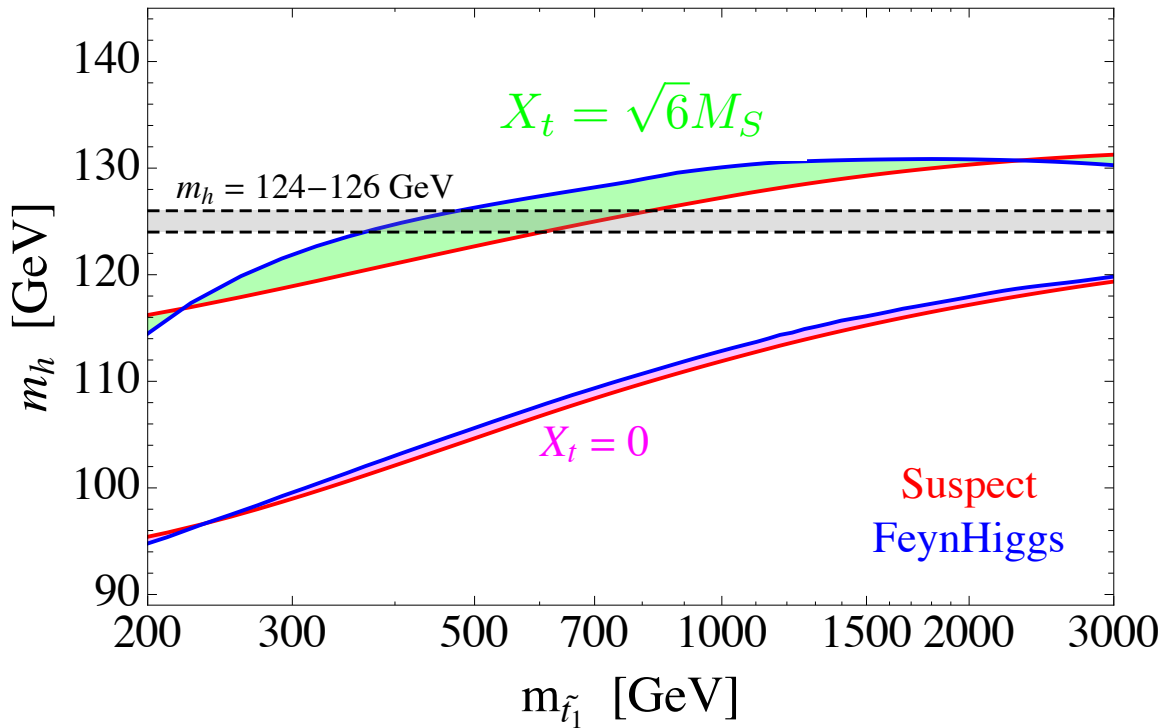


both have similar size:  
Non-small Susy breaking effects

$$m_h^2 = m_Z^2 c_{2\beta}^2 + \frac{3m_t^4}{4\pi^2 v^2} \left( \log \left( \frac{M_S^2}{m_t^2} \right) + \frac{X_t^2}{M_S^2} \left( 1 - \frac{X_t^2}{12M_S^2} \right) \right)$$

arXiv:1112.2703

### MSSM Higgs Mass



$$\tan \beta = \frac{\langle H_u \rangle}{\langle H_d \rangle}$$

$$M_S \equiv (m_{\tilde{t}_1} m_{\tilde{t}_2})^{1/2}$$

$$X_t \equiv A_t - \mu \cot \beta.$$

**Implications:** Large  $\tan \beta$ , large stop masses or trilinears

# **Implications in particular models of susy-breaking**

Soft terms must be generated in a **clever** way  
(family-symmetric)

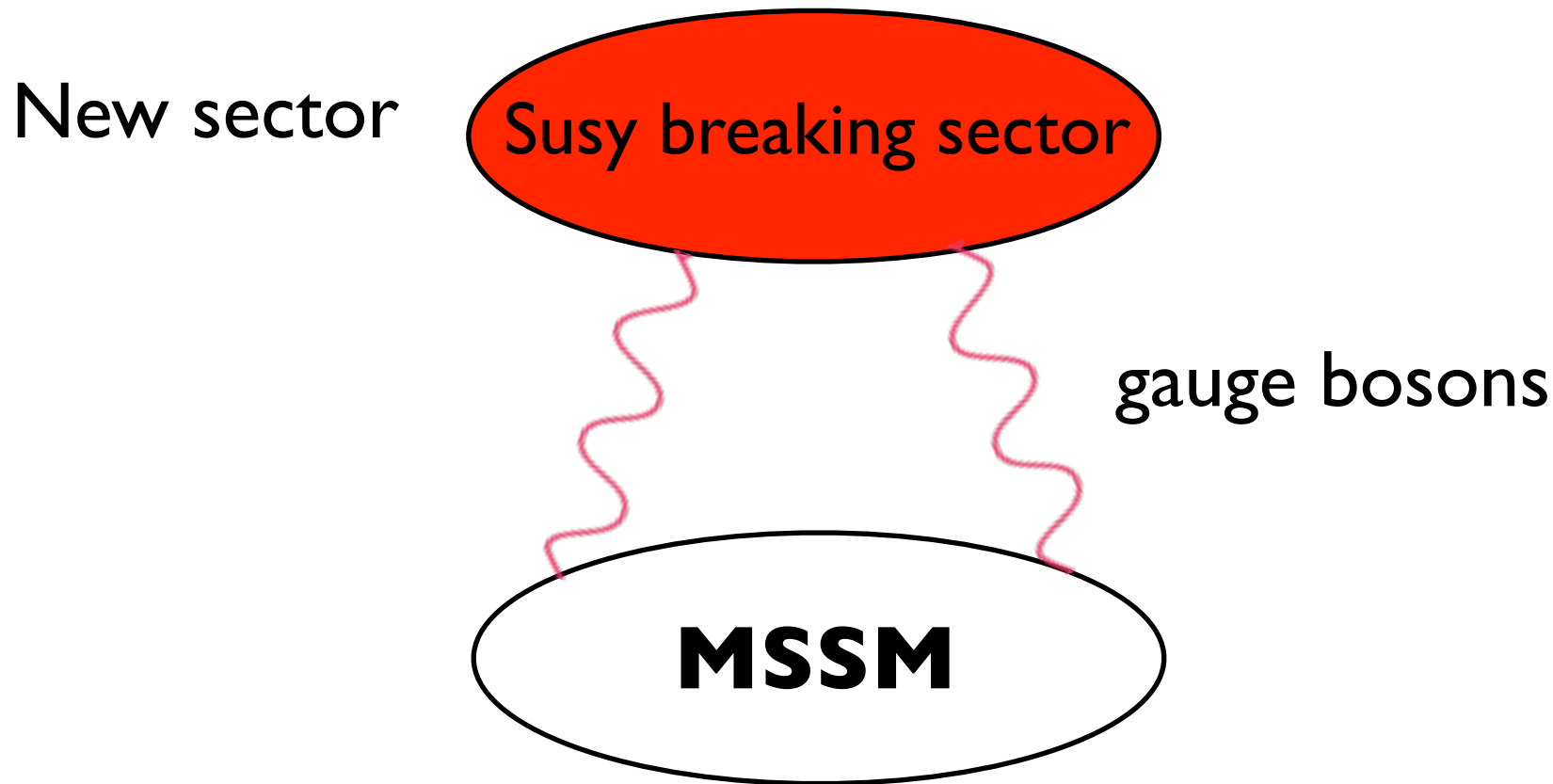
Most interesting possibilities:

**1) Low-scale susy breaking: Gauge mediation**

**2) High-scale susy breaking:  
Gravity/Moduli/Extra-dim mediation**



# I) Gauge mediation



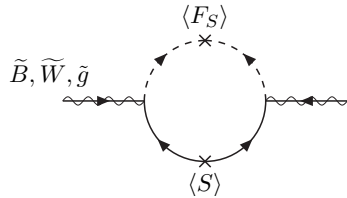
Gauge interactions are “flavor blind”:

Universal masses for squarks/sleptons with equal charges

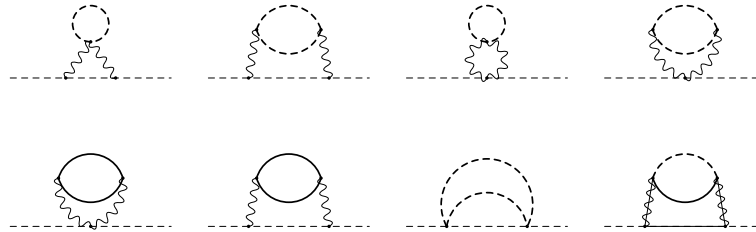
In minimal models trilinears are not generated

(only via RG-evolution)

Very predictive (in the minimal case).  
Just calculate loops:



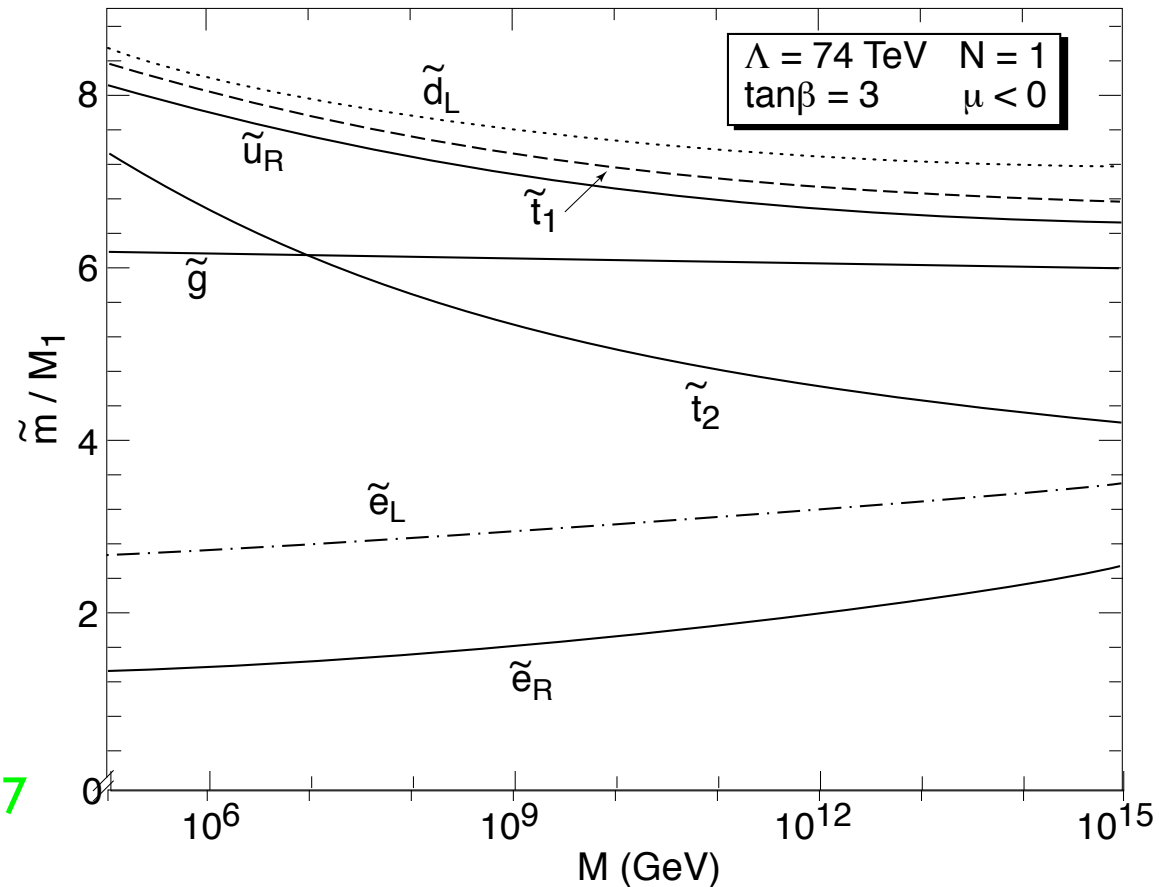
gaugino masses



scalar masses

**Depends on 4 parameters:**

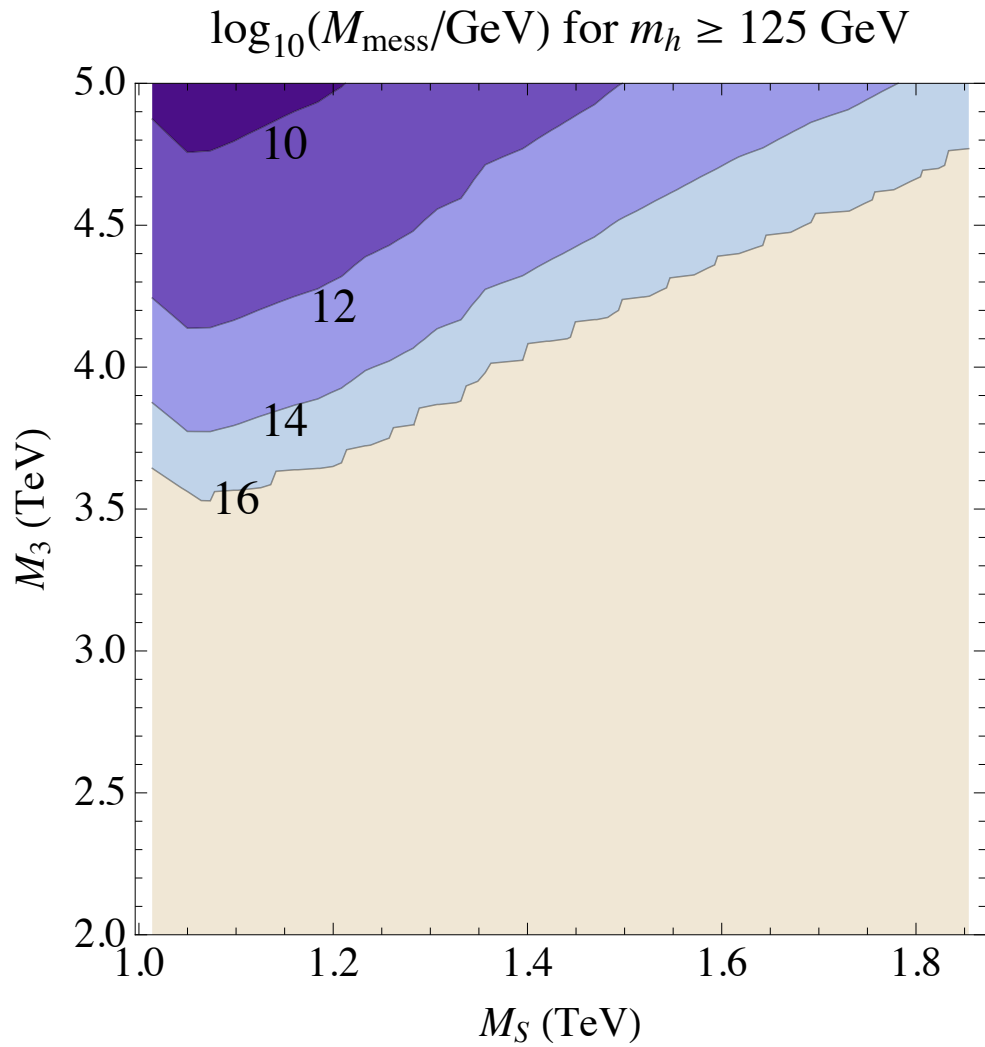
- 1)  $\mu$ -term: Higgsino mass
- 2)  $B\mu$ -term: Higgs mixing mass
- 3) Susy-breaking scale:  $F$
- 4) Scale where the soft-terms are induced:  $M$



Giudice, Rattazzi 97

GMSB:

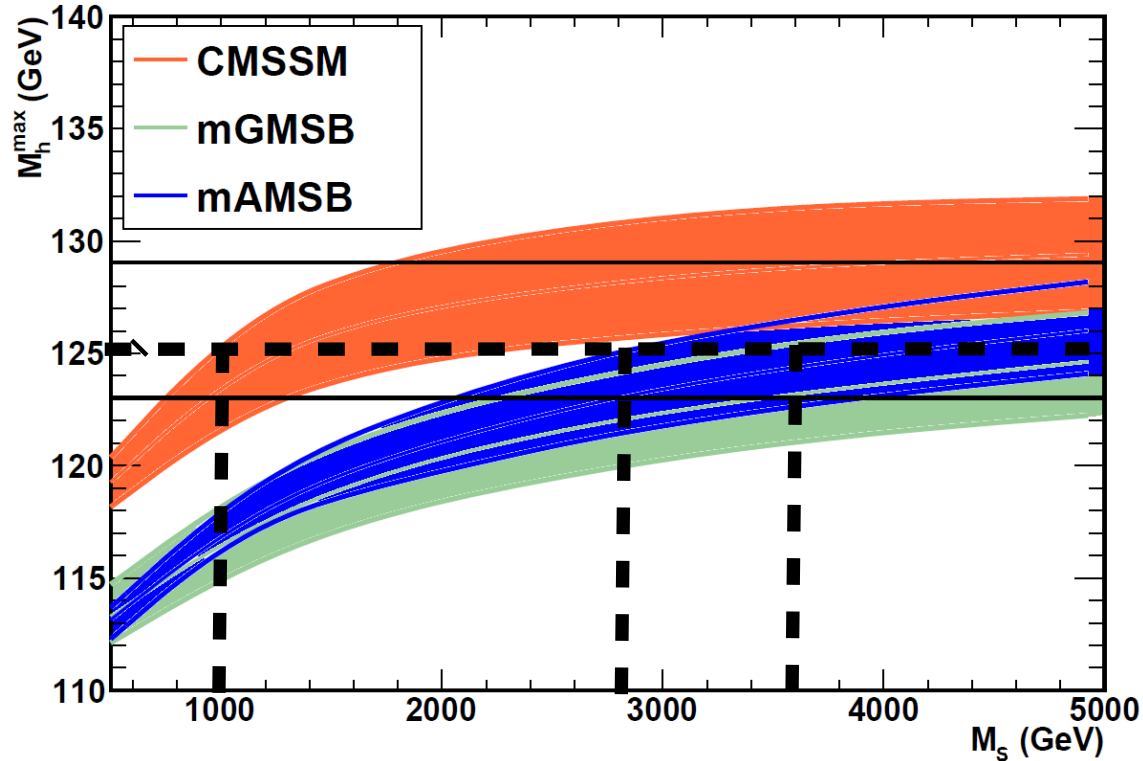
gaugino  
mass



arXiv:1112.3068

➡ obviates LHC searches!

# Higgs mass in particular models of susy breaking:



This implies that most superpartners are beyond present LHC searches!