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Higgs mass reconstruction in $H \rightarrow \tau\tau$ using Boosted Regression Trees

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CERN Summer Student Lectures

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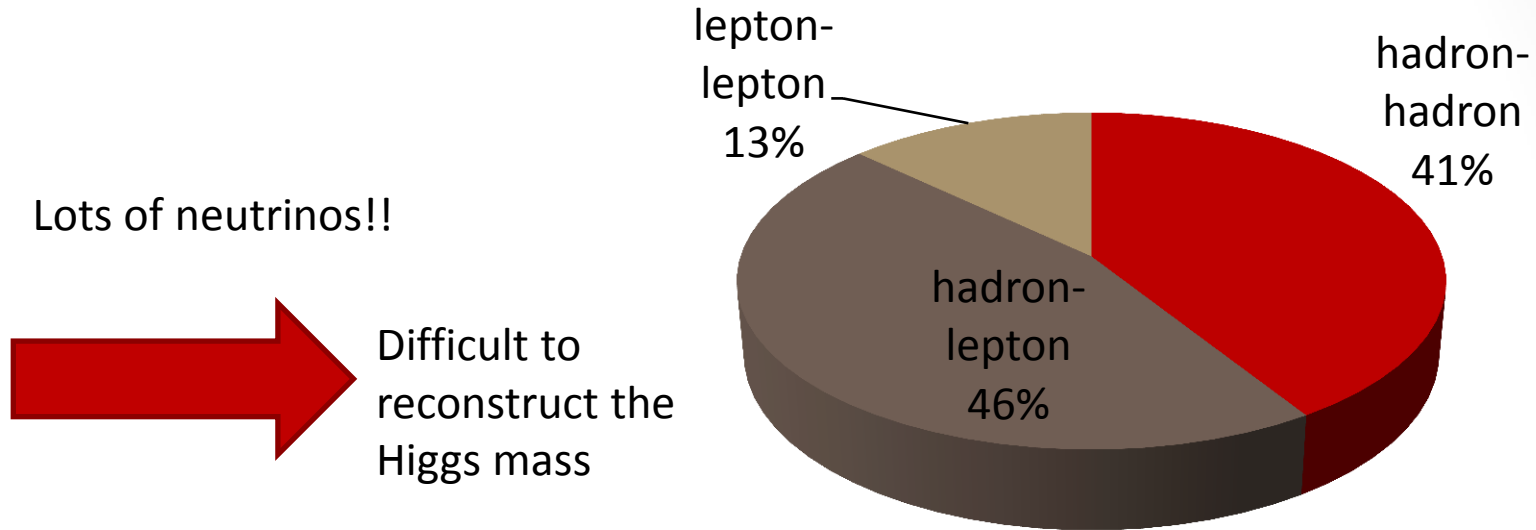
Outline:

- Boosted Regression Trees (BRT's)
- TMVA
- Results
- Conclusions



Introduction: Why BRT's?

- Higgs \rightarrow $\tau\tau \rightarrow$ hadron, e, $\mu + \nu$

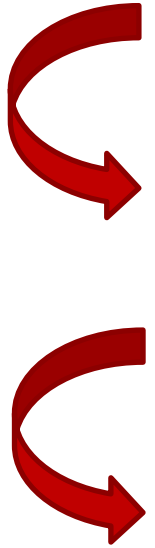


- Currently, we use the Missing Mass Calculator (MMC)
 - It's slow to evaluate
 - must be retuned for each new data set \rightarrow a lot of work
- Boosted Regression Trees (BRT's)
 - are fast to evaluate
 - re-training is trivial- can we use them to reconstruct the Higgs mass?

BRT's (a quick introduction)

- **What:** Binary tree structure designed to approximate a target (Higgs mass)

- **How:**



Take a set of input variables $\{X_1, X_2, \dots, X_n\}$
Eg. MET, leadJetPt, etc...
And a target Y

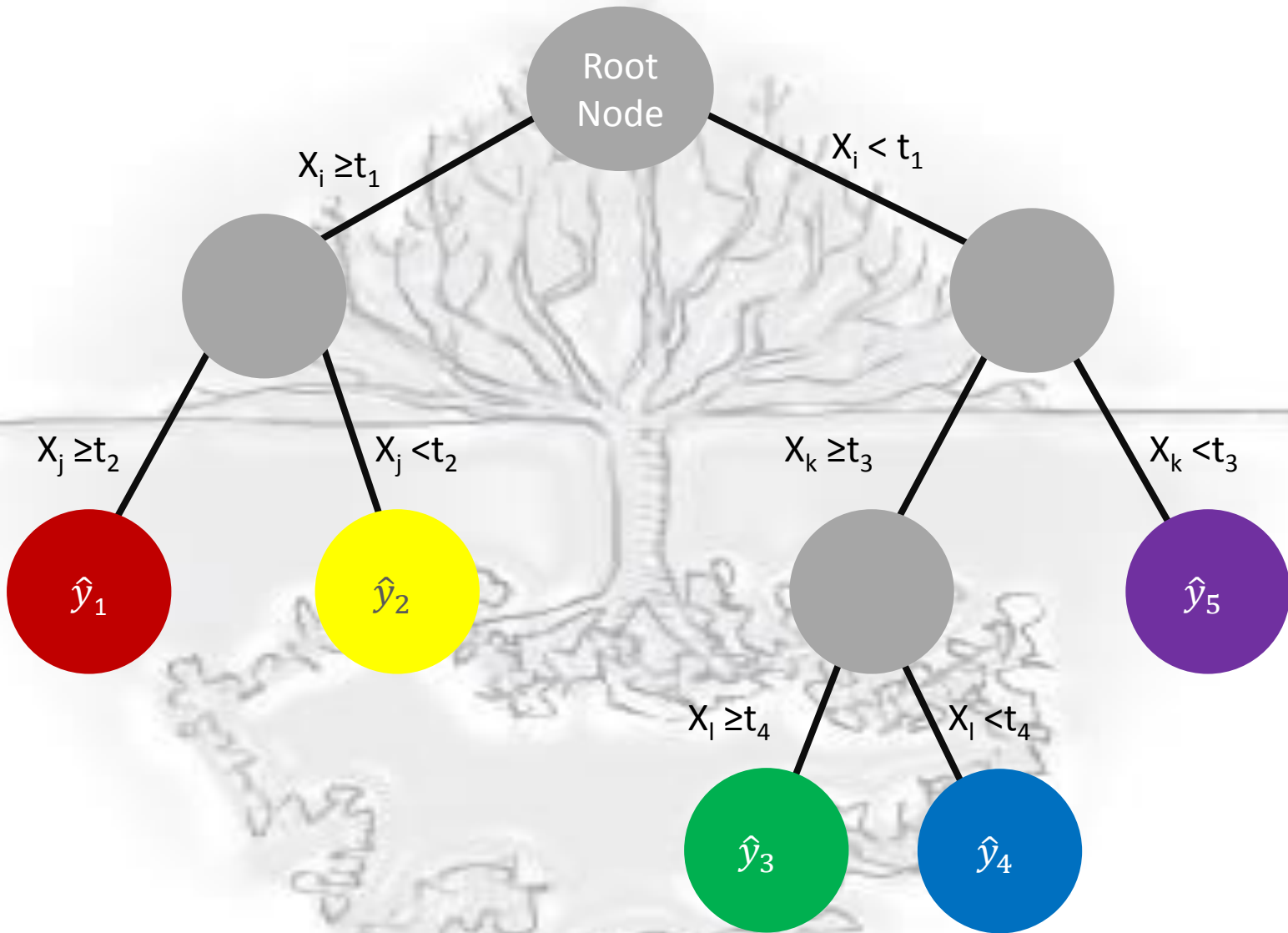
At each node, apply a cut t_i to variable X_i to minimize the
AVERAGE SQUARED ERROR

$$\frac{1}{N} \sum^N (y - \hat{y})^2$$

Output is = $\{\hat{y}_1, \dots, \hat{y}_n\}$
→ Estimates of the target
→ a mean over all training events in the node

- **Boosting?**

- → reweight the misclassified events more heavily and repeat
 - Improves robustness against statistical fluctuations- final output is an average of the “forest” of trees

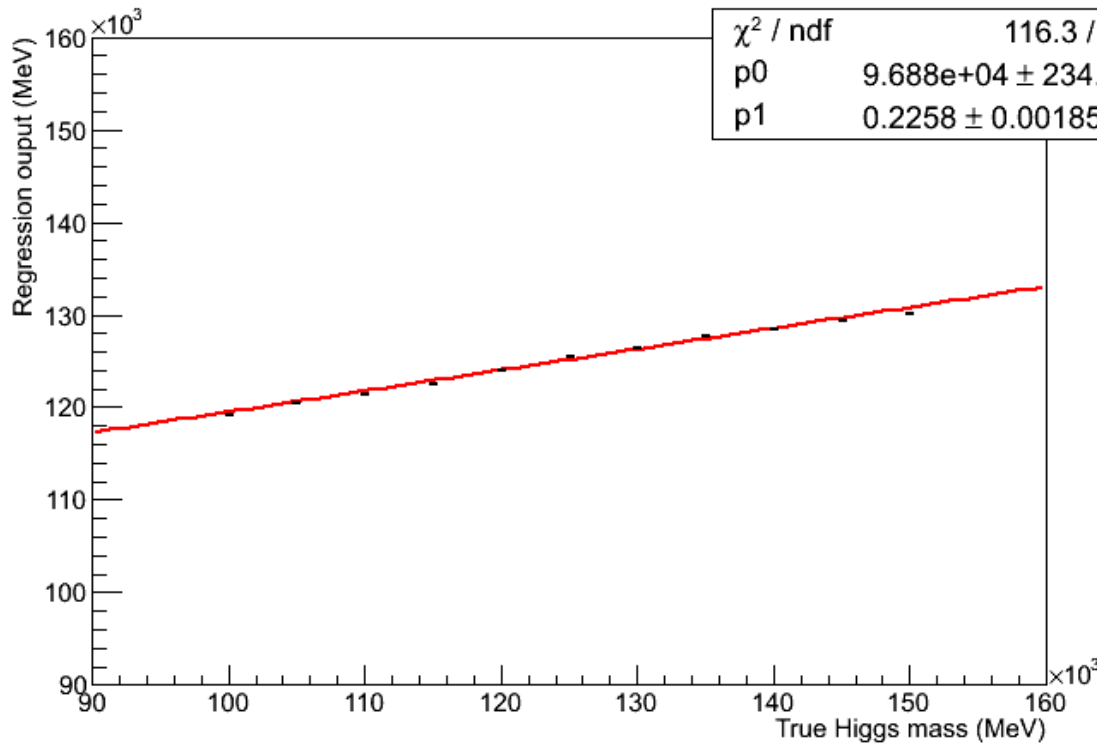


- $\{X_1, X_2, \dots, X_n\}$ = training variables
- $\{\hat{y}_1, \hat{y}_2, \dots, \hat{y}_n\}$ = outcomes
- $\{t_1, t_2, \dots, t_n\}$ = cuts



- **Factory:** used to train, test and evaluate various MVA methods (in this case, BDT's)
 - **Training & Testing** – train on samples of $H \rightarrow \tau\tau$ with masses from 100 GeV to 150 GeV in 5 GeV increments
 - optimize cuts and save in a binary file
 - test for overtraining
 - **Evaluation** – determines regression performance and variable correlations
- **Reader:** used to apply the MVA method to an independent testing sample using the binary file produced during training
 - Read out the regression output for each event and fill into a histogram.
 - Obtain the mean and RMS of the histogram and plot mean against the true mass of the Higgs

Initial Results



Target: true_higgs_mass
(discrete distribution)

Input Variables:

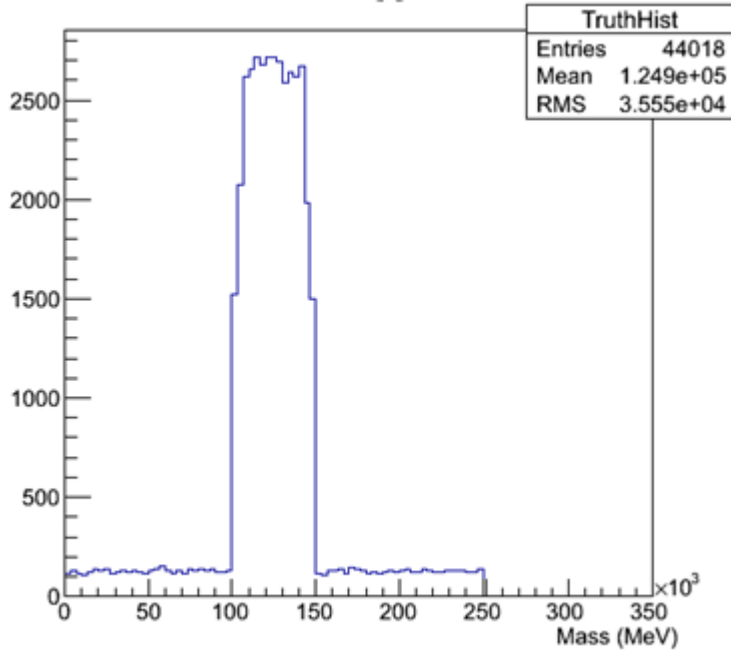
- MET
- LeadJetPt
- mass_vis_tau_lep
- sumPt
- tau_fourvect.fE
- ...

Training Parameters:

- 100 Trees
- 20 layers
- min 5 events per node

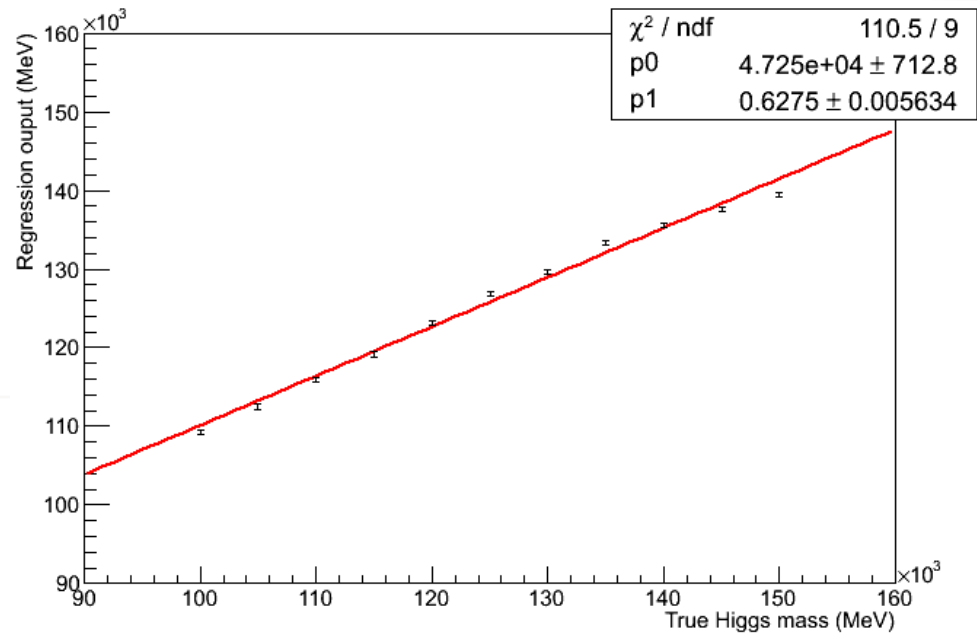
Goal → slope = 1

Improvements:



(a) Target Distribution

Introduce artificial mass target & adjust target distribution \rightarrow tails are important

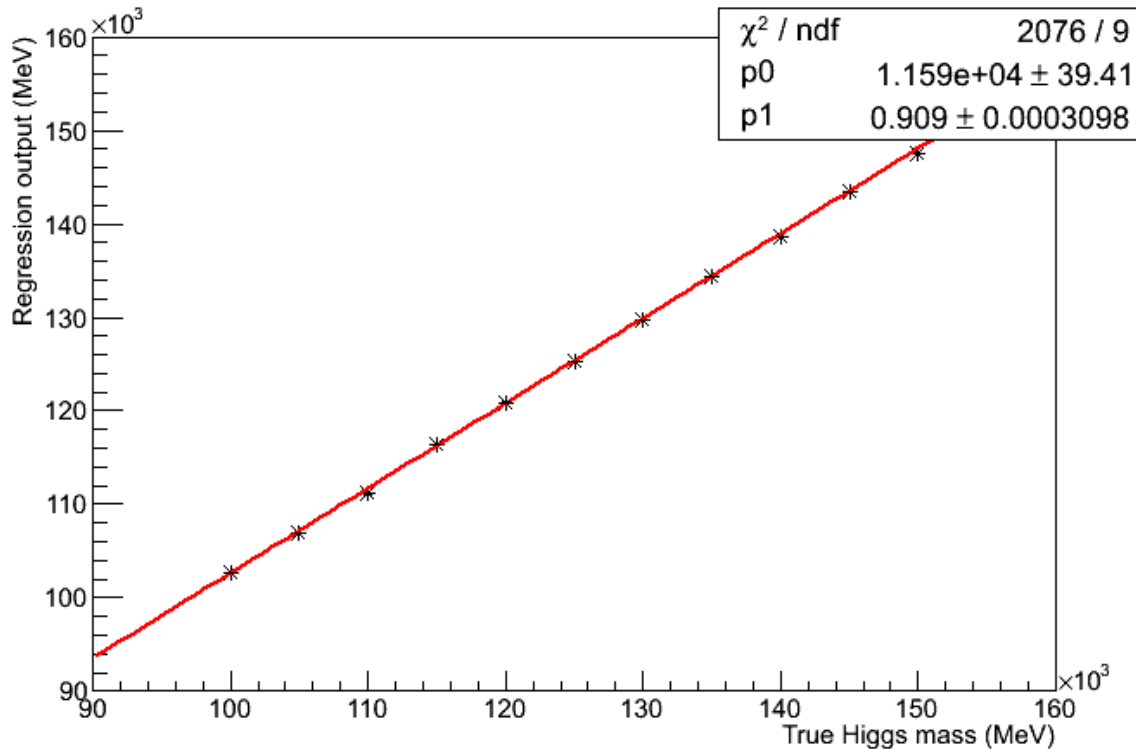


(b) Regression output

- Vary the training parameters \rightarrow little improvement
- Change the input variables to truth level \rightarrow large improvement

Results (truth level)

H \rightarrow $\tau\tau$ MC samples generated using PowHeg interfaced with Herwig



Target: true_higgs_mass

Input Variables:

tau_E
tau_px
tau_py
tau_pz

Training Parameters:

100 Trees
20 layers
min 200 events per node

Outstanding Questions:

What If: we use the Higgs four vector as the input variables?

we smear the truth variables \rightarrow mimicking the reconstructed resolution?

Acknowledgements:

Thank you to:

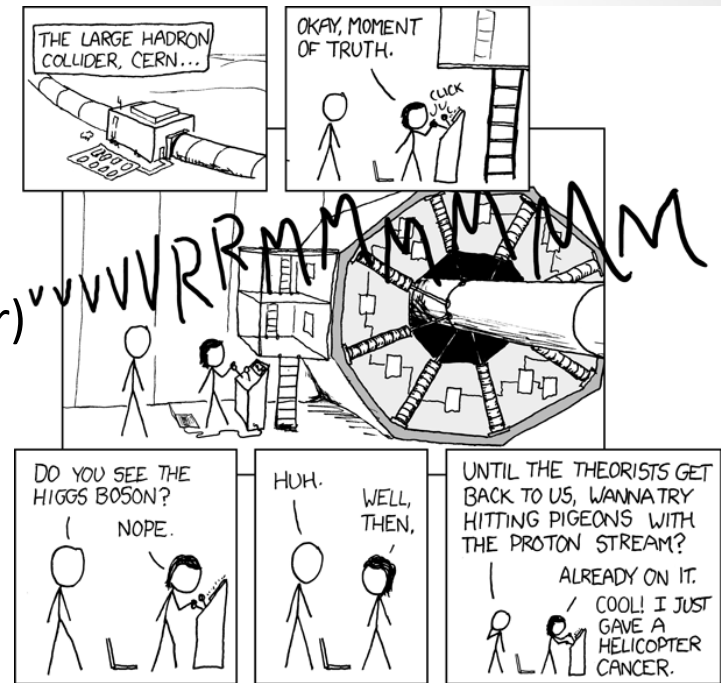
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CERN & Summer Student Team

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Further information about MVA and Boosted Regression Trees:

John Lu, Z. Q. "The elements of statistical learning: data mining, inference, and prediction." *Journal of the Royal Statistical Society: Series A (Statistics in Society)* 173.3 (2010): 693-694.

Hoecker, Andreas, et al. "Tmva-toolkit for multivariate data analysis." *arXiv preprint physics/0703039* (2007).

Additional Slides

Input Variables/Parameters

MET

dphi_met_lep

dr_tau_lep

leadJetPt

mass_transverse_met_lep

mass_transverse_met_tau

mass_vis_tau_lep

pt_ratio_tau_lep

pt_vector_sum_all

sumPt

tau_fourvect.fE

lep_fourvect.fE

factory.BookMethod():

NTrees=100

nEventsMin=5

MaxDepth=20

BoostType=AdaBoost

AdaBoostBeta=0.2

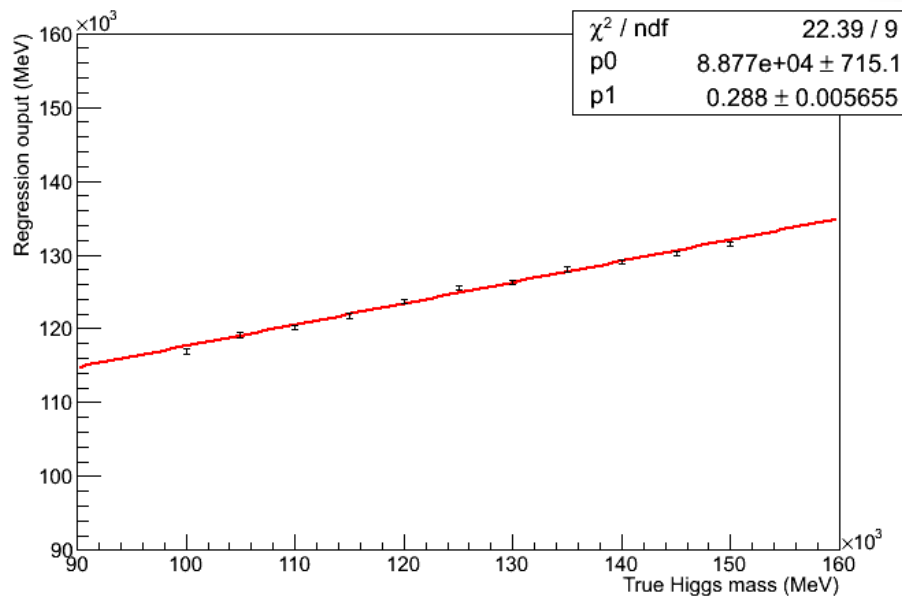
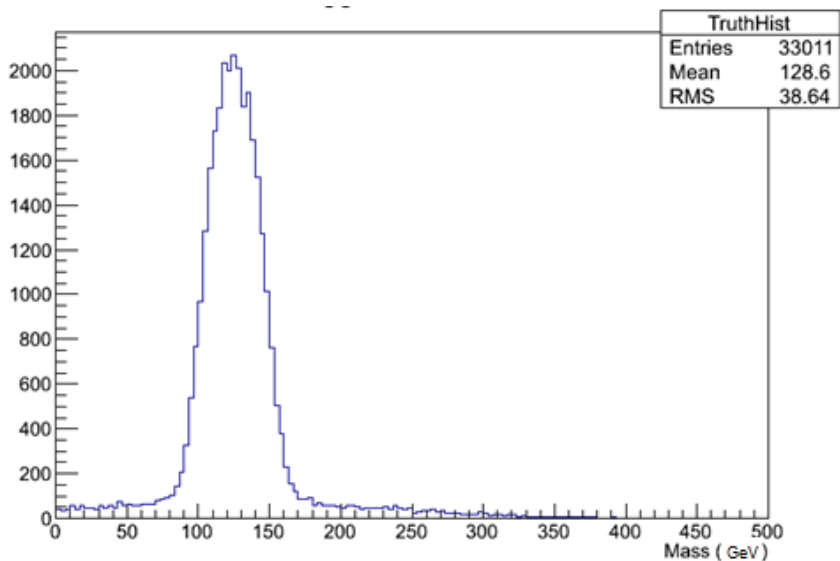
SeparationType=RegressionVariance

nCuts=20

Variables were chosen based on a standard signal/background analysis

What happens if we use Gaussian distributions?

→ For each mass m , use a gaussian distribution centered at m with a standard deviation of 50 GeV for $100 \text{ GeV} < m < 150 \text{ GeV}$ and with a standard deviation of 100 GeV for 100 GeV and 150 GeV .



Variation of Training Parameters

Question: Can we still improve the performance by other means?

→ vary the training parameters

1. Use more trees

$\text{NTrees} = 1000 \rightarrow \text{slope} = 0.6527$

2. Increase the minimum number of events per node

$\text{nEventsMin} = 50 \rightarrow \text{slope} = 0.71$

3. Make the trees deeper

$\text{MaxDepth} = 200 \rightarrow \text{slope} = 0.5943$

4. Increase the boosting parameter

$\text{AdaBoostBeta} = 0.5 \rightarrow \text{slope} = 0.6295$

5. Decrease the boosting parameter

$\text{AdaBoostBeta} = 0.05 \rightarrow \text{slope} = 0.5917$

Conclusion: there is little improvement from changing the training parameters except when increasing nEventsMin

Note: increasing Ntrees → increase in training time

With a low nEventsMin , there is some evidence of overtraining

Resolution

- Comparing the resolution between the MMC and regression, they are very comparable. Regression seems a bit better, but in reality is due to compressed range.

Comparison of the resolution of the MMC and regression output as a function of the true Higgs mass

