



# The tau lepton in B decays

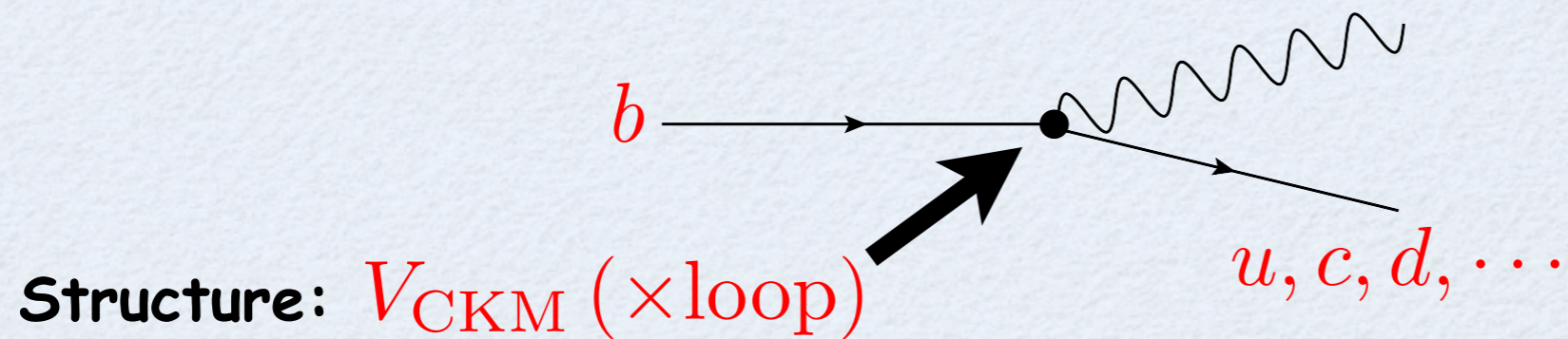
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(KEK, Japan → IBS, Korea)

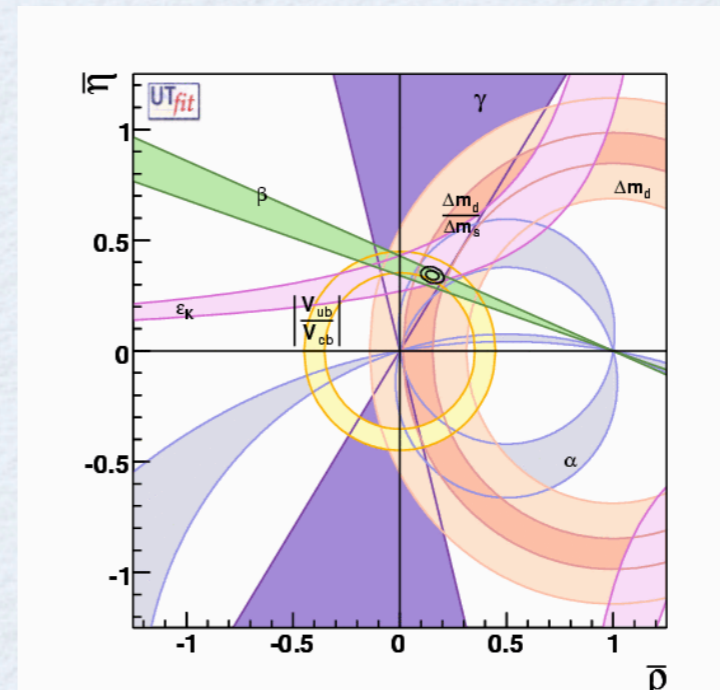
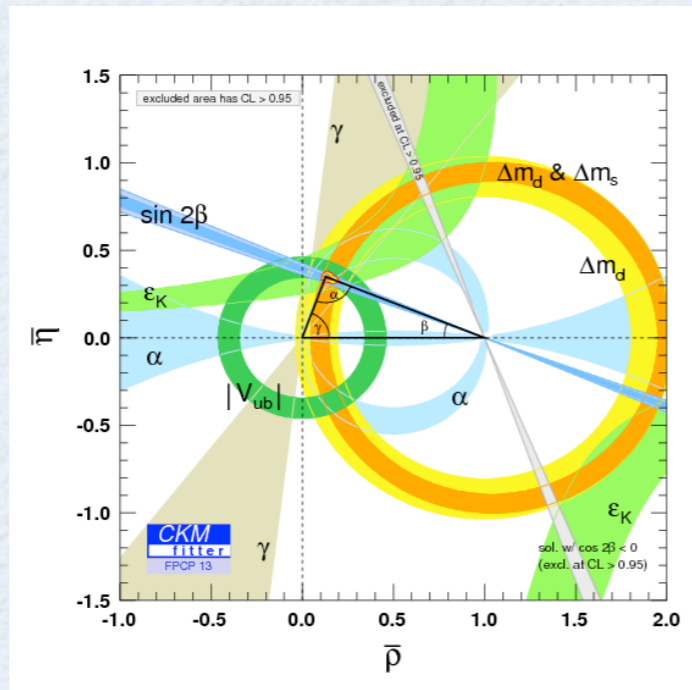
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# Prologue...

B meson decays have been used to investigate **the flavor structure** in the quark sector due to their various final states.



Belle & BABAR have measured a lot of processes, studied them, and then found the validity of large part of **flavor structure in SM**.



# Prologue...

Among them, **B decays with "tau lepton"** have special meanings.

Because...

- 3rd generation is important clue to new physics beyond SM
  - Potentially sensitive to new physics
- Some particular kind of analysis is required for the measurement
  - Challenging task to identify the tau lepton in the final state

Conceivable decay modes:

- Already measured:

$$\bar{B} \rightarrow \tau \bar{\nu}, \quad \bar{B} \rightarrow D \tau \bar{\nu}, \quad \bar{B} \rightarrow D^* \tau \bar{\nu} \quad \text{Today's topic}$$

- Not (yet) measured:

$$\bar{B} \rightarrow (\pi, D^{**}) \tau \bar{\nu}, \quad B_c \rightarrow (X) \tau \bar{\nu}, \quad B_{(s)} \rightarrow (X) \tau \tau, \quad \dots \text{etc.}$$

[See, for example, Biancofiore et. al. arXiv:1302.1042]

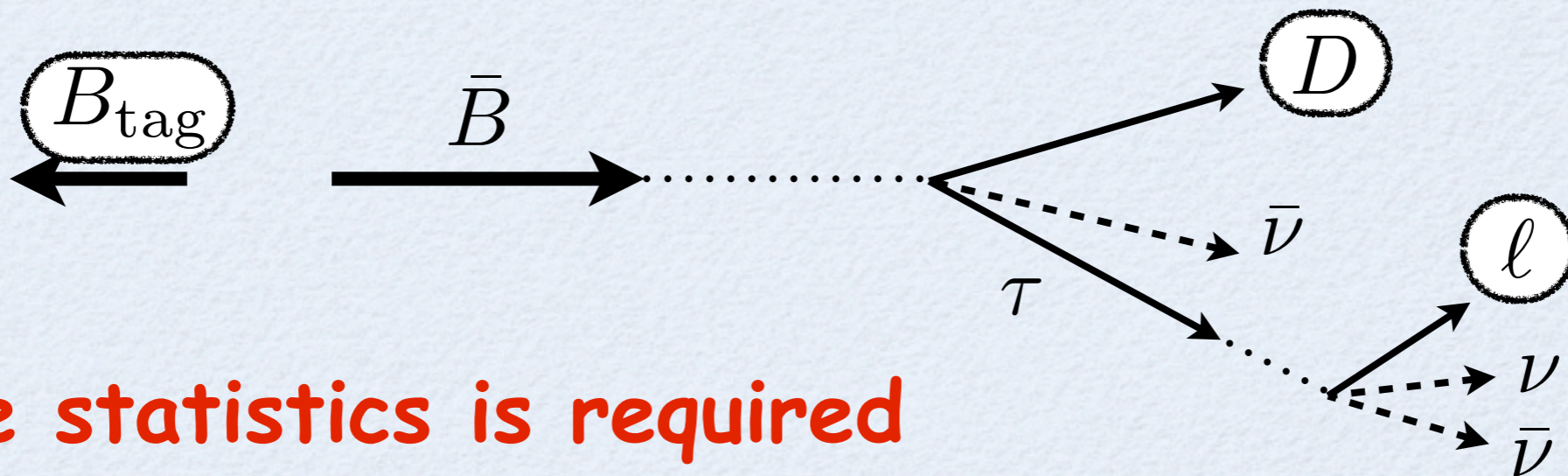
# Content

- **Review on tauonic B decays**
  - Theory
  - Experiment
- **New physics**
  - Effective operator analysis
  - Several models
- **Observables**
  - Asymmetry, polarization
  - CP violation
- **Near future prospects**
  - $q^2$  distribution

# Review on tauonic B decays

## Tau in a final state

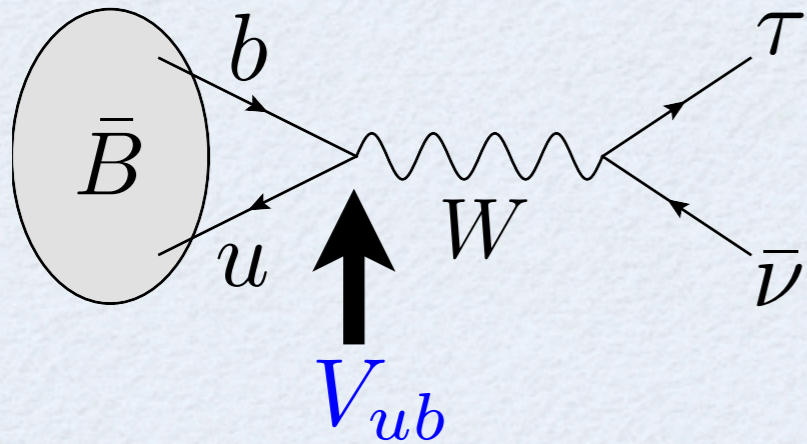
- It is challenging to measure tauonic B meson decays, because **more than 2 neutrinos go through the detector**.
- At B factory, however, reconstructing the opposite B mesons we can compare the properties of the remaining particles to those expected for signal and background: **"Full reconstruction"**.



**Large statistics is required  
even for tree level process**

## Status on $B \rightarrow TV$

- Tree level process via  $V_{ub}$  in the SM



$$\mathcal{B}(\bar{B} \rightarrow \tau \bar{\nu}) = \frac{|V_{ub}|^2 f_B^2}{8\pi\tau_B} G_F^2 m_B m_\tau^2 \left(1 - \frac{m_\tau^2}{m_B^2}\right)^2$$

\* Latest average:  $f_B = (190.5 \pm 4.2)\text{MeV}$

[FLAG, arXiv:1310.8555]

- Experimental result & determination of  $|V_{ub}|$

[BABAR2012, Belle2012]

	BABAR	Belle	CKM fit
$\mathcal{B}(\bar{B} \rightarrow \tau \bar{\nu}) \times 10^4$	$1.79 \pm 0.48$	$0.96 \pm 0.26$	$1.14 \pm 0.23$
$ V_{ub}  \times 10^3$	$5.28 \pm 0.72$	$3.87 \pm 0.53$	$3.38 \pm 0.15$

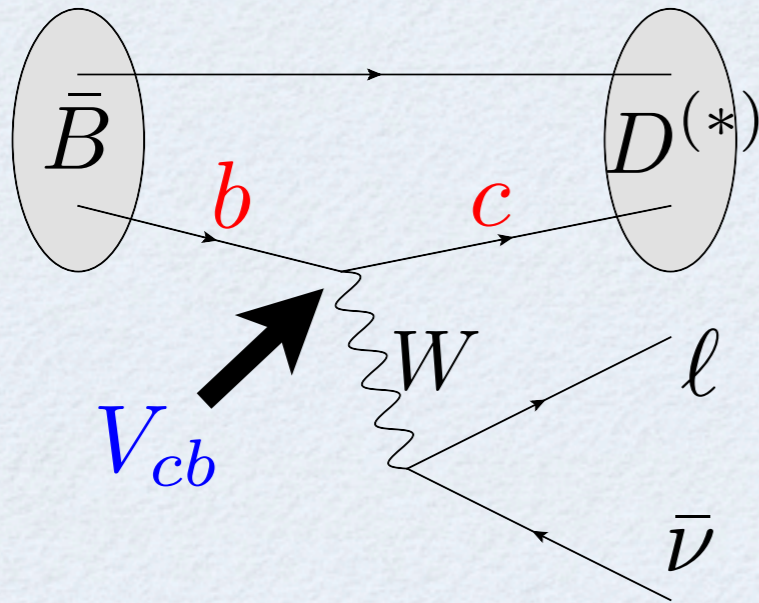
\* Combination of “semi-leptonic tag” & “hadronic tag” for  $B_{\text{tag}}$

\* Discrepancy in determination of  $|V_{ub}|$  is one of most important issues. But today, I don't go deeply into it.

On average, data is in (good) agreement with SM

## Status on $B \rightarrow D\tau\nu$ & $B \rightarrow D^*\tau\nu$

- Tree level process via  $V_{cb}$  in the SM



$$\mathcal{B}(\bar{B} \rightarrow D\tau\bar{\nu}) \propto |V_{cb}|^2 \mathcal{G}(1)^2 \times \{ \text{function of } \rho_1^2 \}$$

$$\mathcal{B}(\bar{B} \rightarrow D^*\tau\bar{\nu}) \propto |V_{cb}|^2 \mathcal{F}(1)^2 \times \{ \text{func. of } \rho_{A_1}^2, R_1(1), R_2(1) \}$$

\*  $D$ =pseudo-scalar,  $D^*$ =vector

\*  $\mathcal{G}, \mathcal{F}, \rho^2, R$  are FF parameters

- Hadronic uncertainty and measurement

$V_{cb}$  & FF parameters are obtained by a fit to distributions of  $\bar{B} \rightarrow D^{(*)}\ell\bar{\nu}$  for  $\ell = e$  or  $\mu$ . For an observable of  $\bar{B} \rightarrow D^{(*)}\tau\bar{\nu}$ , normalized decay rate;

$$R(D) = \frac{\Gamma(\bar{B} \rightarrow D\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D\ell\bar{\nu})} \qquad R(D^*) = \frac{\Gamma(\bar{B} \rightarrow D^*\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D^*\ell\bar{\nu})}$$

is used in order to cancel  $|V_{cb}|\mathcal{G}(1)$ ,  $|V_{cb}|\mathcal{F}(1)$  and reduce FF uncertainties.

# Status on $B \rightarrow D\tau\nu$ & $B \rightarrow D^*\tau\nu$

## • Experimental result

[Belle private combination, BABAR in arXiv:1205.5442]

Normalized decay rate:  $R(D) = \frac{\Gamma(\bar{B} \rightarrow D\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D\ell\bar{\nu})}$      $R(D^*) = \frac{\Gamma(\bar{B} \rightarrow D^*\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D^*\ell\bar{\nu})}$

	Belle	BABAR	SM
$R(D)$	$0.430 \pm 0.091$	$0.440 \pm 0.058 \pm 0.042$	$0.297 \pm 0.017$
$R(D^*)$	$0.405 \pm 0.047$	$0.332 \pm 0.024 \pm 0.018$	$0.252 \pm 0.003$
correlation	neglected	$-0.27$	-



# Status on $B \rightarrow D\tau\nu$ & $B \rightarrow D^*\tau\nu$

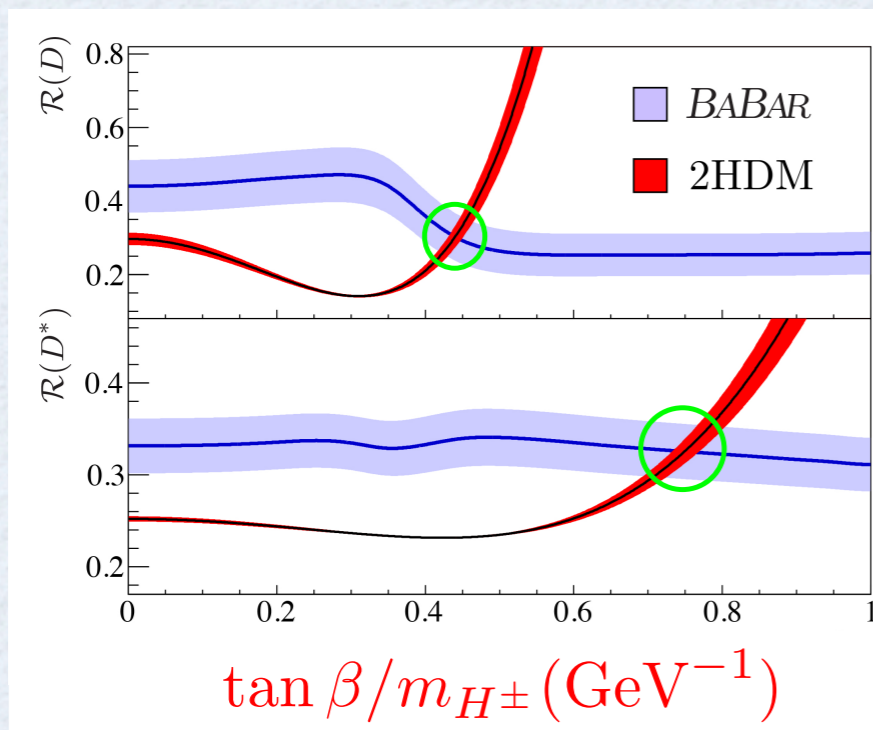
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correlation	neglected	-0.27	-

BABAR analysis:



**3.4 $\sigma$  deviation from SM!**

\* reported by BABAR

\* 2.0 $\sigma$  for  $R(D)$ , 2.7 $\sigma$  for  $R(D^*)$

**Type-II 2HDM is disfavored**

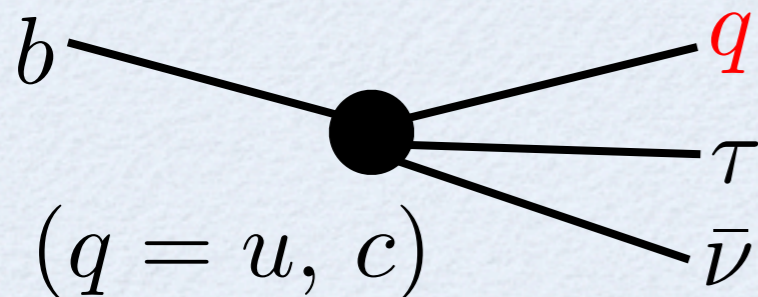
\* Charged Higgs can contribute

\* cannot explain data at the same time

# New physics

(Very quick review)

## Model independent analysis



$$\mathcal{L}_{\text{eff}} = -2\sqrt{2}G_F V_{qb} \left[ (1 + C_{V_1}^q) \mathcal{O}_{V_1}^q + C_{V_2}^q \mathcal{O}_{V_2}^q + C_{S_1}^q \mathcal{O}_{S_1}^q + C_{S_2}^q \mathcal{O}_{S_2}^q + C_T^q \mathcal{O}_T^q \right]$$

### • Effective operators

**Vector1:**  $\mathcal{O}_{V_1}^q = \bar{q}_L \gamma^\mu b_L \bar{\tau}_L \gamma_\mu \nu_L$

**Scalar1:**  $\mathcal{O}_{S_1}^q = \bar{q}_L b_R \bar{\tau}_R \nu_L$

**Vector2:**  $\mathcal{O}_{V_2}^q = \bar{q}_R \gamma^\mu b_R \bar{\tau}_L \gamma_\mu \nu_L$

**Scalar2:**  $\mathcal{O}_{S_2}^q = \bar{q}_R b_L \bar{\tau}_R \nu_L$

**Tensor:**  $\mathcal{O}_T^q = \bar{q}_R \sigma^{\mu\nu} b_L \bar{\tau}_R \sigma_{\mu\nu} \nu_L$

### • Wilson coefficients

$C_x$  represent "New Physics" contribution normalized by SM contribution

No right-handed neutrino is assumed.

• Bound on operator  $\mathcal{O}_X^u$  from  $\text{Br}(B \rightarrow \tau \nu)$

[RW, in my PhD thesis]

NP contribution:  $\mathcal{B}(\bar{B} \rightarrow \tau \bar{\nu}) = |1 + r_{\text{NP}}|^2 \cdot \mathcal{B}(\bar{B} \rightarrow \tau \bar{\nu})_{\text{SM}}$

Allowed range:  $|1 + r_{\text{NP}}|^2 = 1.24 \pm 0.16$

where  $r_{\text{NP}} = C_{V_1}^u - C_{V_2}^u + \frac{m_B^2}{m_b m_\tau} (C_{S_1}^u - C_{S_2}^u)$

- Bound on operator  $\mathcal{O}_X^u$  from  $\text{Br}(B \rightarrow \tau \nu)$

[RW, in my PhD thesis]

NP contribution:  $\frac{p(\bar{D} \rightarrow -)}{p(\bar{D} \rightarrow -)} |1 + \dots|^2$

Allowed

**NP contribution is limited,  
but large error (~13%) is still involved**

where  $\mathcal{C}_{NP} = \mathcal{C}_{V_1} + \mathcal{C}_{V_2} + m_b m_\tau (\mathcal{C}_{S_1} + \mathcal{C}_{S_2})$

• Bound on operator  $\mathcal{O}_X^u$  from  $\text{Br}(B \rightarrow \tau\nu)$

[RW, in my PhD thesis]

NP contribution:  $\frac{p(\bar{D} \rightarrow \tau^+ \nu_\tau)}{p(\bar{D} \rightarrow \tau^+ \nu_\tau)} \sim |1 + \frac{C_{V_1} + C_{V_2}}{m_b m_\tau} (C_{S_1} + C_{S_2})|^2$

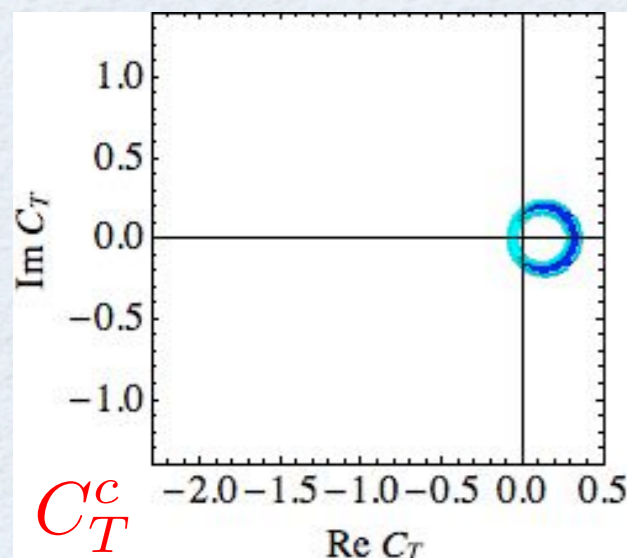
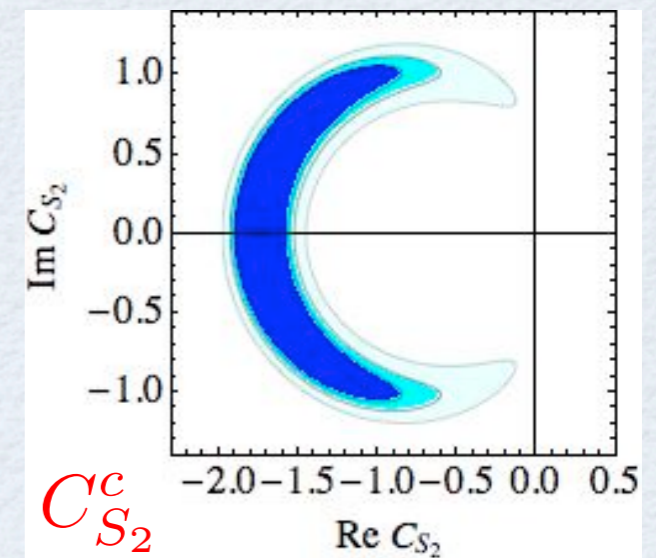
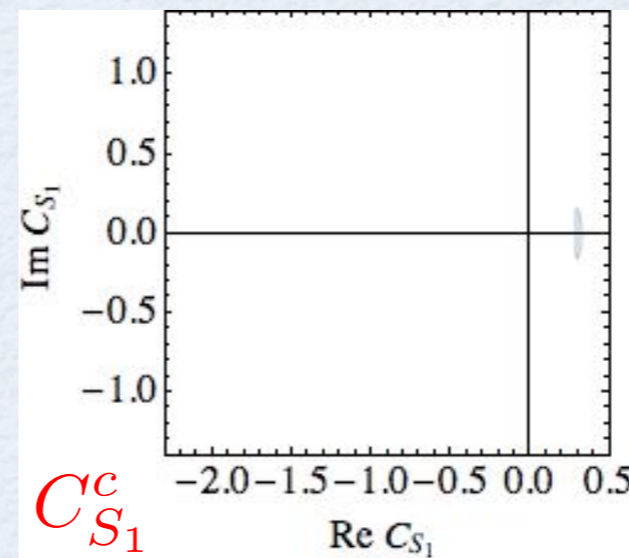
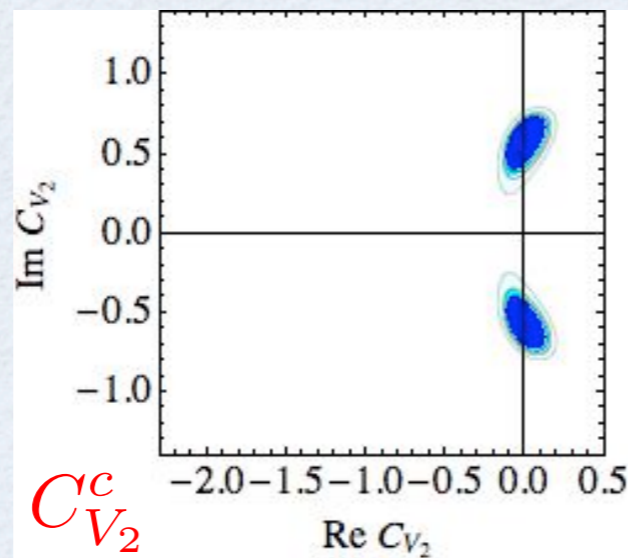
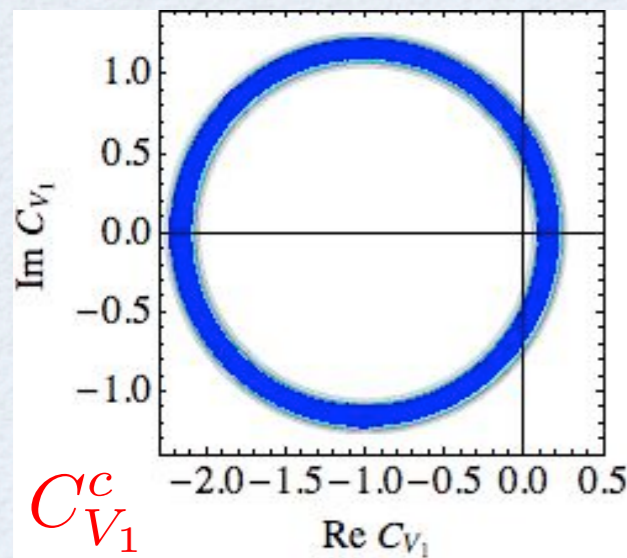
Allowed

**NP contribution is limited,  
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where  $C_{NP} = C_{V_1} + C_{V_2} + \frac{m_b m_\tau}{m_b m_\tau} (C_{S_1} + C_{S_2})$

• Bound on operator  $\mathcal{O}_X^c$  from  $R(D)$  &  $R(D^*)$

[M.Tanaka&RW, arXiv:1212.1878]



- \* assuming **one operator dominance** (ex:  $C_{S_2} \neq 0$ , others = 0)
- \* using the data which is the average of Belle & BABAR
- \* allowed at 90%(Light blue), 95%(Cyan), 99%(Dark blue)

- Bound on operator  $\mathcal{O}_X^u$  from  $\text{Br}(B \rightarrow \tau\nu)$

[RW, in my PhD thesis]

NP contribution:  $\rho(\bar{D} \rightarrow \tau \nu) \sim |C_{V_1}|^2 + |C_{V_2}|^2 + |C_T|^2 + |C_{S_1}|^2 + |C_{S_2}|^2$

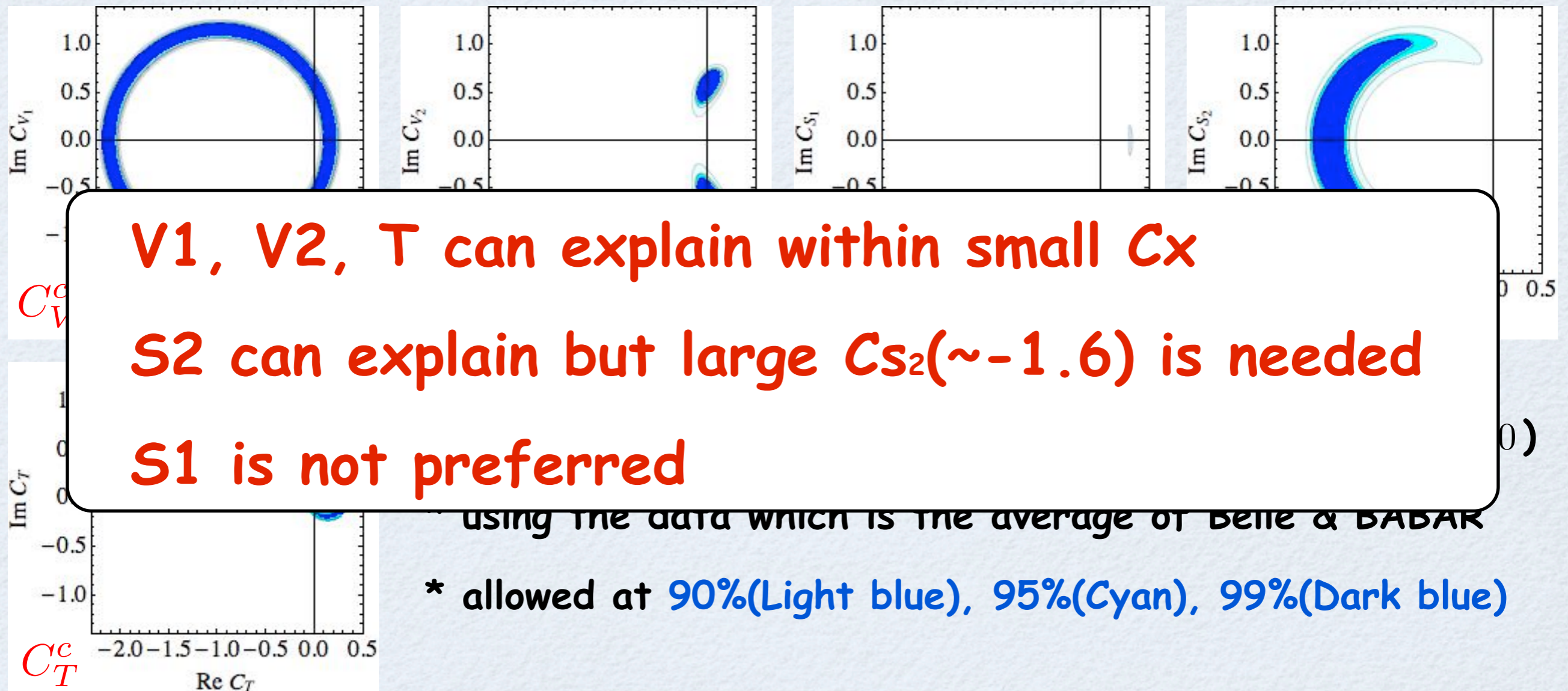
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## 2 Higgs Doublet Models

$V_1$   $V_2$   $S_1$   $S_2$   $T$

### • Type of 2HDM

In order to forbid **tree level FCNC**,

only one of two Higgs doublets couples to each fermion doublet:

$$\mathcal{L}_{\text{yukawa}} = -\bar{Q}_L Y_u \tilde{H}_u u_R - \bar{Q}_L Y_d H_d d_R - \bar{L}_L Y_\ell H_\ell \ell_R + \text{h.c.}$$

\*  $H_1$  or  $H_2$  is assigned to  $H_u$ ,  $H_d$ , and  $H_\ell$  one by one

As a result, there are 4 distinct types for Yukawa structure:

**Type I** :  $H_2 = H_u = H_d = H_\ell$

**Type II** :  $H_2 = H_u$ ,  $H_1 = H_d = H_\ell$

**Type X** :  $H_2 = H_u = H_d$ ,  $H_1 = H_\ell$

**Type Y** :  $H_2 = H_u = H_\ell$ ,  $H_1 = H_d$

[X,Y is named by Kanemura et. al. arXiv0902.4665]

## 2 Higgs Doublet Models

$V_1$   $V_2$   $S_1$   $S_2$   $T$

- Corresponding Wilson coefficients

$$C_{S_1}^u = C_{S_1}^c = -\frac{m_b m_\tau}{m_{H^\pm}^2} \xi_1, \quad C_{S_2}^u = -\frac{m_u m_\tau}{m_{H^\pm}^2} \xi_2, \quad C_{S_2}^c = -\frac{m_c m_\tau}{m_{H^\pm}^2} \xi_2$$

- \* Charged Higgs contributes

- \*  $\xi$  depends on the type:

	Type I	Type II	Type X	Type Y
$\xi_1$	$\cot^2 \beta$	$\tan^2 \beta$	-1	-1
$\xi_2$	$-\cot^2 \beta$	1	1	$-\cot^2 \beta$

- \* For  $S_1$ , "u" & "c" have the same contribution

- \* For  $S_2$ , "u" is suppressed, and thus "c" has independent contribution

- Bound

For  $S_1$ , same contribution in "u" & "c" is apparently not favored according to model independent analysis.

For  $S_2$ , Best fit  $C_{S_2}^c \sim -1.6$  from  $R(D)$  &  $R(D^*)$  then,

Type I & Y are unlikely, because they cannot have negative  $C_{S_2}$

Type II & X are disfavored, because  $\xi_2 = 1$ ,  $m_{H^\pm} \sim \mathcal{O}(1)$  GeV



## 2HDM with tree level FCNC

$V_1$   $V_2$   $S_1$   $S_2$   $T$

“S2 enhancement” can be realized allowing FCNC : [Crivellin et. al. arXiv:1206.2634]

$$\text{ex.) } \mathcal{L}_{\text{yukawa}} = -\bar{Q}_L Y_u \tilde{H}_2 u_R - \bar{Q}_L Y_d H_1 d_R - \bar{L}_L Y_\ell H_1 \ell_R + \text{h.c.} \\ -\bar{Q}_L \epsilon'_u \tilde{H}_1 u_R - \bar{Q}_L \epsilon'_d H_2 d_R + \text{h.c.}$$

- \*  $\epsilon$  is coupling that control FCNC in the weak basis
- \* Constraint on FCNC in up-quark sector  $\epsilon_u$  is rather weak

$$\text{S2 type contribution to } B \rightarrow D(*) \tau \nu : C_{S_2}^c \simeq \frac{V_{tb}}{\sqrt{2}V_{cb}} \frac{vm_\tau}{m_{H^\pm}^2} (\epsilon_u^*)^{tc} \sin \beta \tan \beta$$

Best fit value is  $\epsilon_u^{tc} \sim -0.7$  with  $m_{H^\pm} = 500\text{GeV}$ ,  $\tan \beta = 50$

We may predict top FCNC decay such as  $t \rightarrow ch$

- \*  $\text{Br}(t \rightarrow ch) \simeq 0.12 \times |\epsilon_u^{tc}|^2 \cos^2(\alpha - \beta) \simeq 0.06 \times \cos^2(\alpha - \beta)$
- \* Observed limit at 14TeV LHC of  $100\text{fb}^{-1}$ :  $\text{Br}(t \rightarrow ch) < 4.1 \times 10^{-5}$

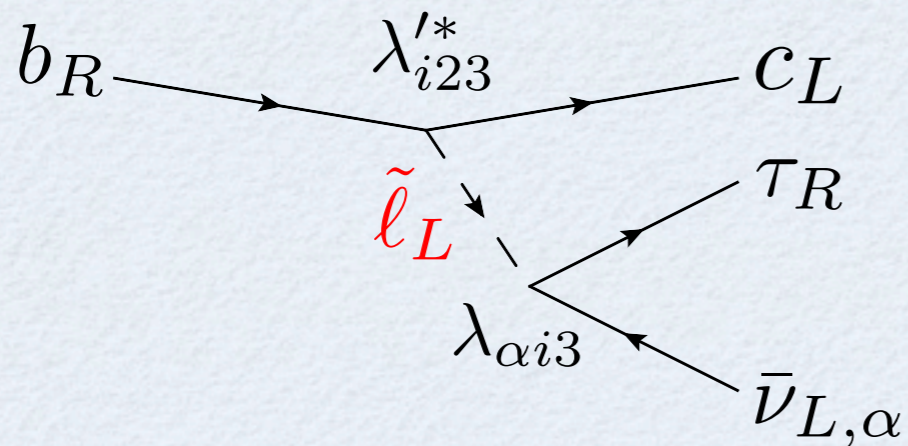
[J. Aguilar-Saavedra, hep-ph/0409342]

# R Parity Violation

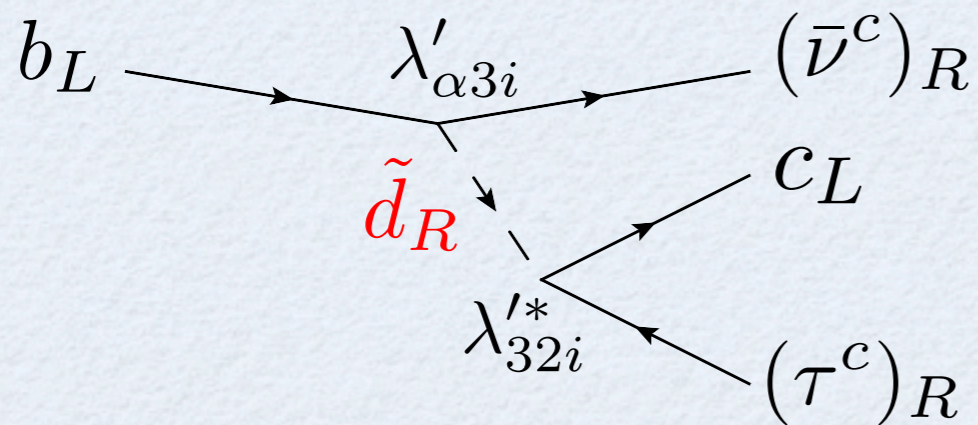
$V_1$   $V_2$   $S_1$   $S_2$   $T$

Only considering a contribution to  $B \rightarrow D(*) \tau \nu$

Superpotential: 
$$W_{\text{RPV}} = \frac{1}{2} \lambda_{ijk} L_i L_j E_k^c + \lambda'_{ijk} L_i Q_j D_k^c$$



correspond to **S1**,  
then **this is disfavored**



correspond to **V1**,  
It is likely to explain the results,  
**but incompatible with  $B \rightarrow X_s \nu \bar{\nu}$ :**

$$\mathcal{B}(B \rightarrow X_s \nu \bar{\nu}) < 6.4 \times 10^{-4}$$

# Lepto Quark

$V_1$   $V_2$   $S_1$   $S_2$   $T$

Only considering a contribution to  $B \rightarrow D(*) \tau \nu$

Classification of interaction: **4 independent types generated**

[Tanaka et. al. arXiv:1309.0301]

**Scalar1:** disfavored according to model indep. analysis

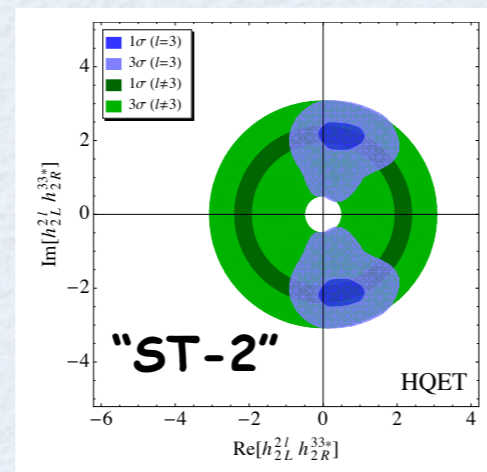
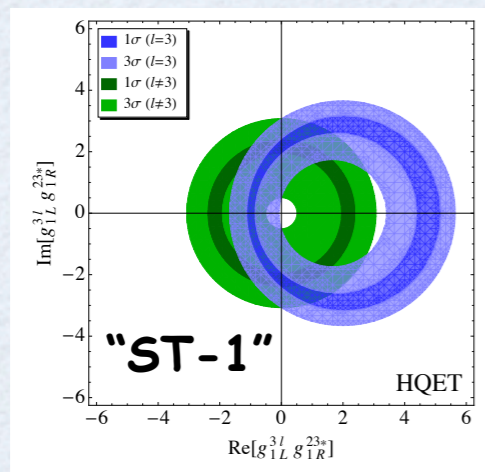
**Vector1:** incompatible with  $B \rightarrow X_s \nu \nu$ , as well as RPV

**Scalar2-Tensor:** both  $C_{S_2}$  &  $C_T$  appear at the same time

"ST-1"  $C_{S_2}^c = 4C_T^c$

"ST-2"  $C_{S_2}^c = -4C_T^c$

@LQ scale



\* Green:  $\nu_{l \neq \tau}$  Blue:  $\nu_\tau$

\* No other constraint

**They are likely to explain the data**

# New physics: summary

## 2 Higgs Doublet Model:

$V_1$   $V_2$   $S_1$   $S_2$   $T$

- Usual 2HDM cannot explain the recent  $R(D)$  &  $R(D^*)$
- FCNC induced  $S_2$  can explain them

## R Parity Violation:

$V_1$   $V_2$   $S_1$   $S_2$   $T$

- $S_1$  type is generated, and is disfavored
- $V_1$  type is generated, but it is incompatible with  $B \rightarrow X_s \nu \nu$

## Lepto Quark:

$V_1$   $V_2$   $S_1$   $S_2$   $T$

- $S_1$  &  $V_1$  type are generated and disfavored as well as RPV
- $S_2$ - $T$  types are generated and likely to explain the results

# Observables

## New physics analyzer

- Compared with two body decay;  $B \rightarrow TV$ , many more observables are available in three body decays;  $B \rightarrow D(*)TV$
- Actually, there are several studies for NP search using such observables ( $q^2$  distributed and/or integrated)

### Asymmetry:

for **CP violation** in  $B \rightarrow DTV$  [Sakaki et. al. arXiv:1403.5892]

in  $B \rightarrow D^*TV$  [Duraisamy et. al. arXiv:1302.7031, arXiv:1405.3719]

for **Tensor operator** [Biancofiore et. al. arXiv:1302.1042]

to **distinguish NP operators** [Sakaki, arXiv:1205.4908; Datta et. al. arXiv1206.3760]

### Polarization:

to **distinguish NP operators** [Tanaka&RW, arXiv:1212.1878; Datta et. al. arXiv1206.3760]

# Multi-pion tau decays

[Sakaki, Hagiwara, Nojiri, arXiv:1403.5892]

Successive decay involving **vector resonance**;

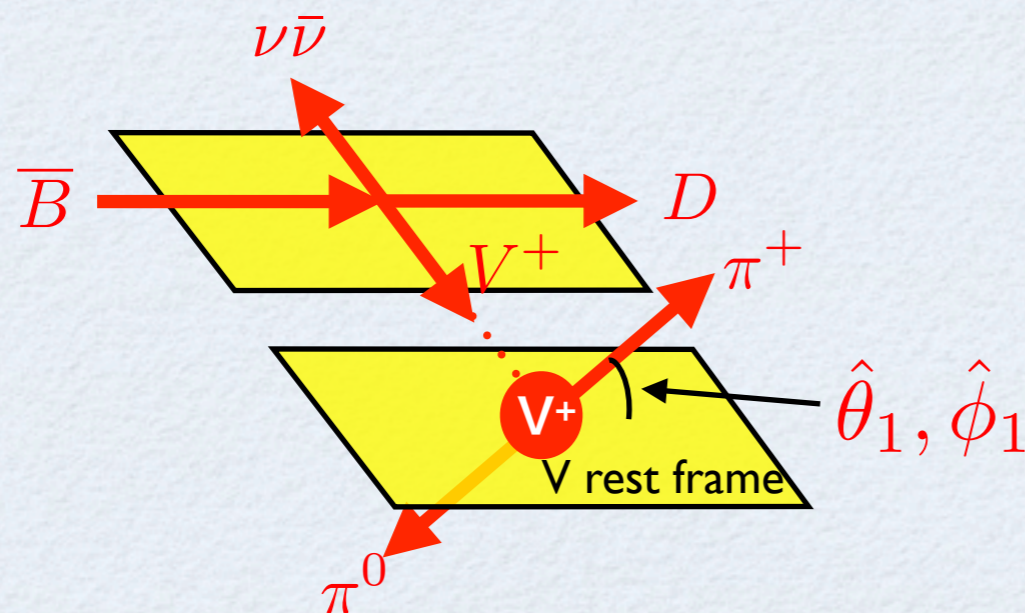
$$\left. \begin{aligned} \bar{B} &\rightarrow D\tau\bar{\nu}_\tau \\ \tau &\rightarrow V\nu_\tau \\ V &\rightarrow 2\pi, \text{ or } 3\pi \end{aligned} \right\} \begin{aligned} &* \text{ vector mesons: } V = \rho, \rho', a_1, \dots \\ &* \text{ Br } \sim 44\% \text{ of tau decay} \end{aligned}$$

can provide CP violated observable  $d\Gamma - d\Gamma^{CP} \neq 0$ ;

$$A(q^2) \equiv \frac{1}{\Gamma + \Gamma^{CP}} \int dE_V dQ^2 d\cos\theta_V \cdot \left( \int_0^1 - \int_{-1}^0 \right) d\cos\hat{\theta}_1 \cdot \left( \int_0^\pi - \int_\pi^{2\pi} \right) d\hat{\phi}_1 \frac{d\Gamma - d\Gamma^{CP}}{d\Phi}$$

$$d\Phi = dq^2 dE_V d\cos\theta_V dQ^2 d\cos\hat{\theta}_1 d\hat{\phi}_1 \quad * \quad q^2 = (p_{\bar{B}} - p_D)^2$$

where  $(\hat{\theta}_1, \hat{\phi}_1)$  are angles which represent charged pion direction;



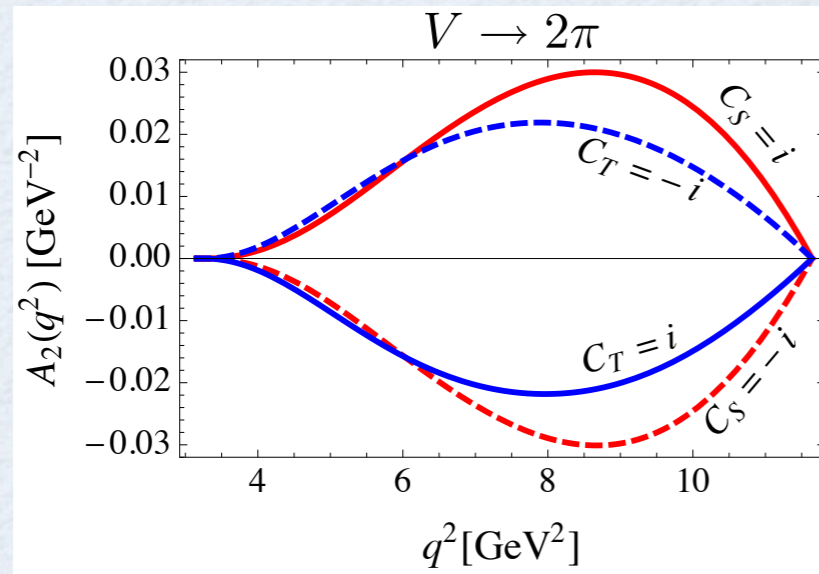
\* Similar to CP conjugate mode

# Multi-pion tau decays

[Sakaki, Hagiwara, Nojiri, arXiv:1403.5892]

Accessibility to CP violation:

**ImCx**, including its sign, affects the shape of the quantity



\* could distinguish NP including CP violation

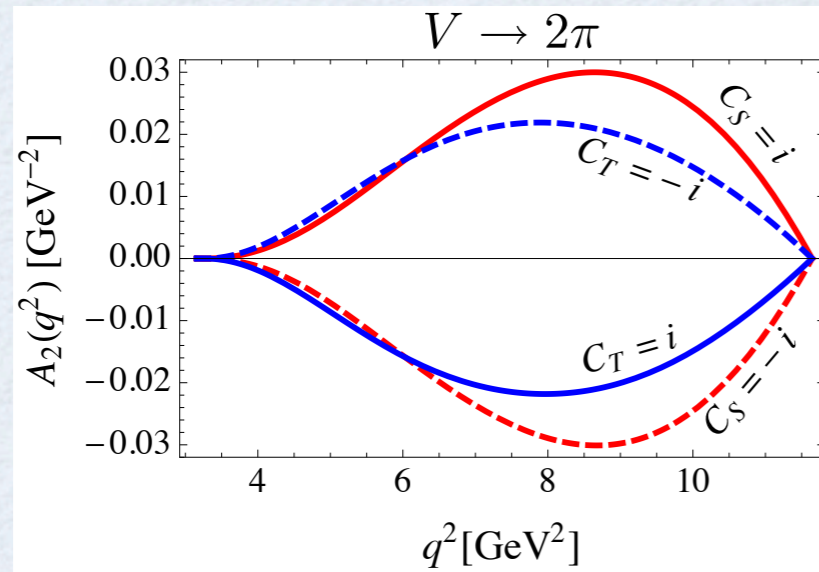
\* Same distribution is obtained in  $V \rightarrow 3\pi$

# Multi-pion tau decays

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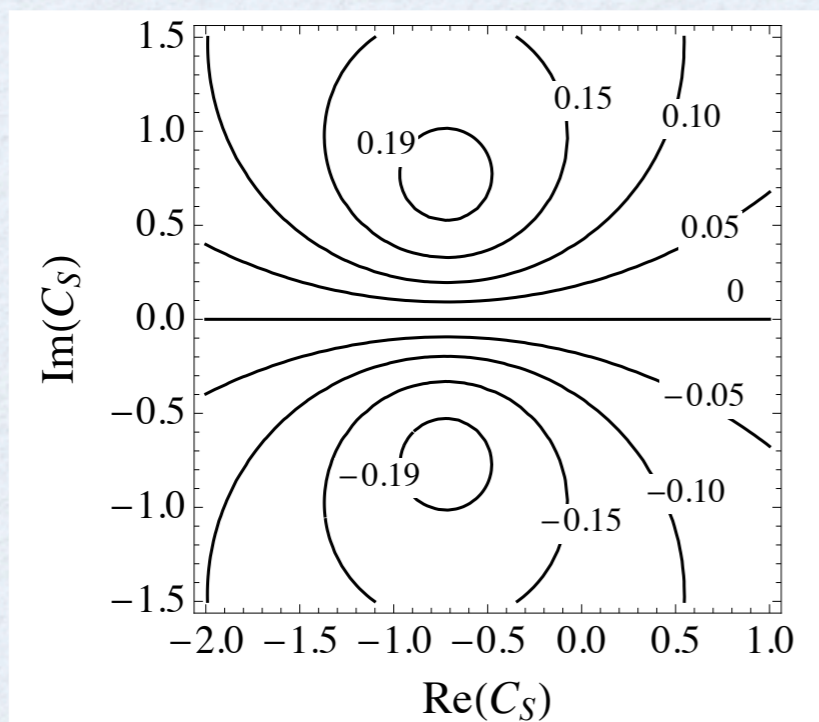
Accessibility to CP violation:

$\text{Im}C_x$ , including its sign, affects the shape of the quantity



- \* could distinguish NP including CP violation
- \* Same distribution is obtained in  $V \rightarrow 3\pi$

Reach of integrated asymmetry



\* In the case of scalar operator:  $C_S = C_{S_1}^c - C_{S_2}^c$

\* Contour plot of  $\int dq^2 A(q^2)$

on the plane of  $(\text{Re}C_x, \text{Im}C_x)$

\* Typical upper reach  $\sim O(0.1)$



# Near future prospect

[Work in progress

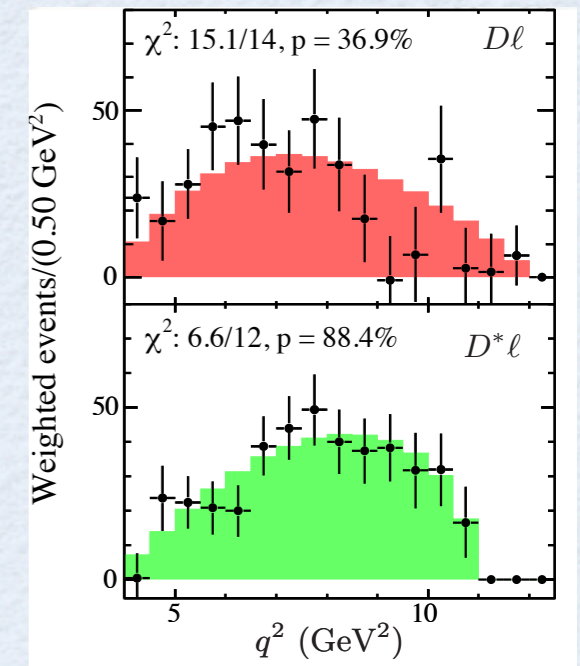
by Sakaki, Tayduganov, Tanaka &RW]

Already measured “distribution”

[BABAR, arXiv:1303.0571]

BABAR has studied  $q^2$  distribution:  $d\mathcal{B}(\bar{B} \rightarrow D^{(*)}\tau\bar{\nu})/dq^2$

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at Belle2 in early year of running



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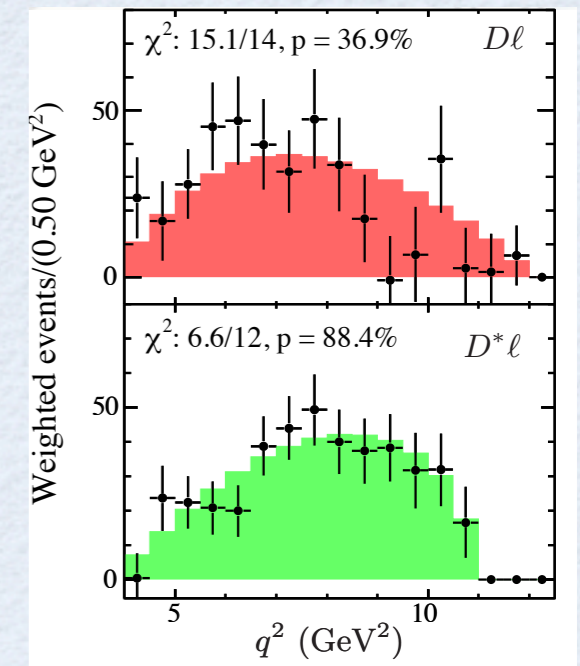
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We are studying  $q^2$  distribution as a NP analyzer:

$$\text{Ex. } R_{D^*}(q^2) \equiv \frac{d\mathcal{B}(\bar{B} \rightarrow D^*\tau\bar{\nu})/dq^2}{d\mathcal{B}(\bar{B} \rightarrow D^*\ell\bar{\nu})/dq^2} \cdot \left(1 - \frac{m_\tau^2}{q^2}\right)$$

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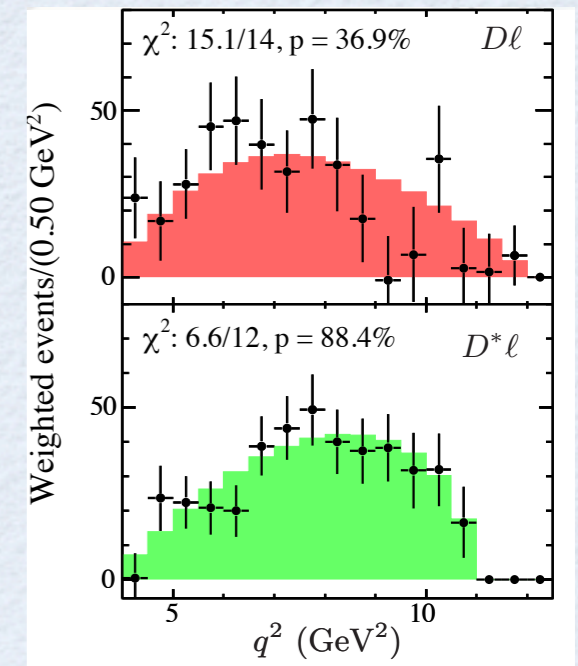
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Suppose the central experimental value of  $R(D)$  &  $R(D^*)$  from recent data, then the best fit value of  $C_X$  is obtained as follows:

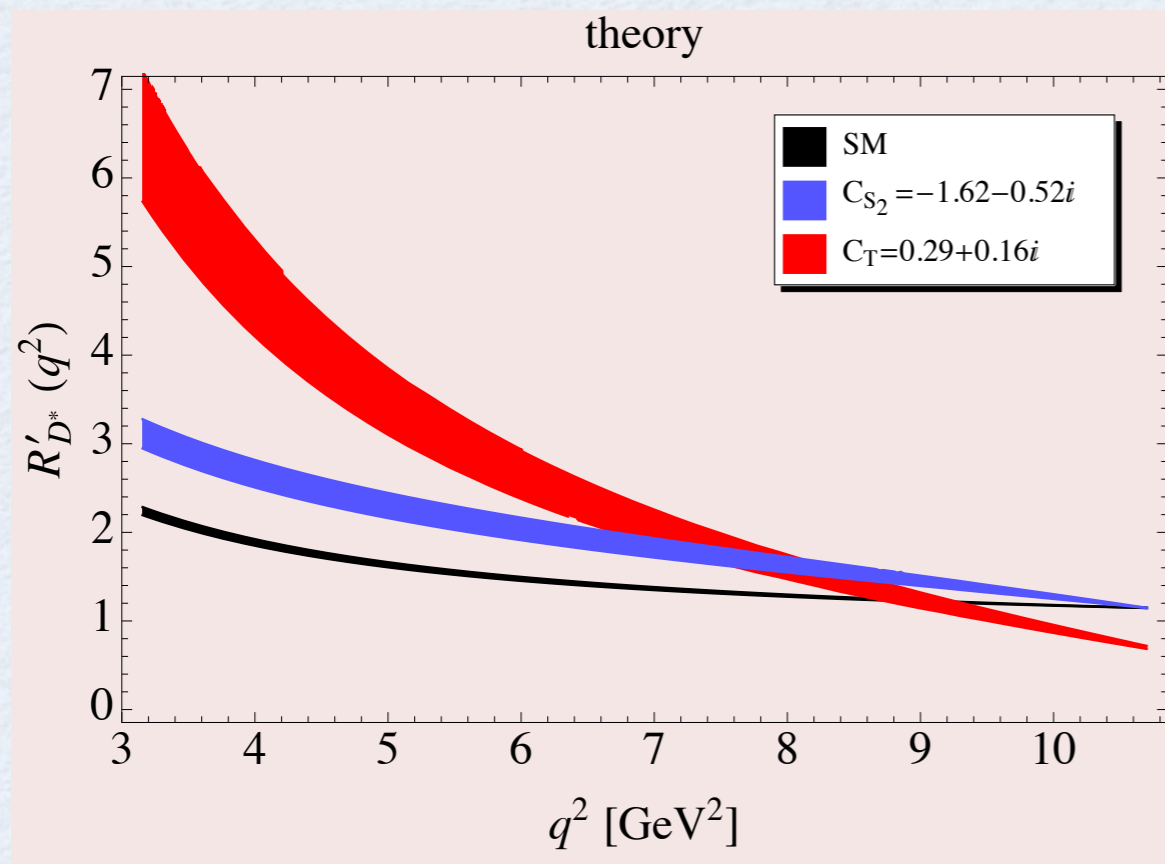
$$C_{S_2} = -1.62 \pm 0.52i, \quad \text{with } C_{X \neq S_2} = 0$$

$$C_T = 0.29 \pm 0.16i, \quad \text{with } C_{X \neq T} = 0$$

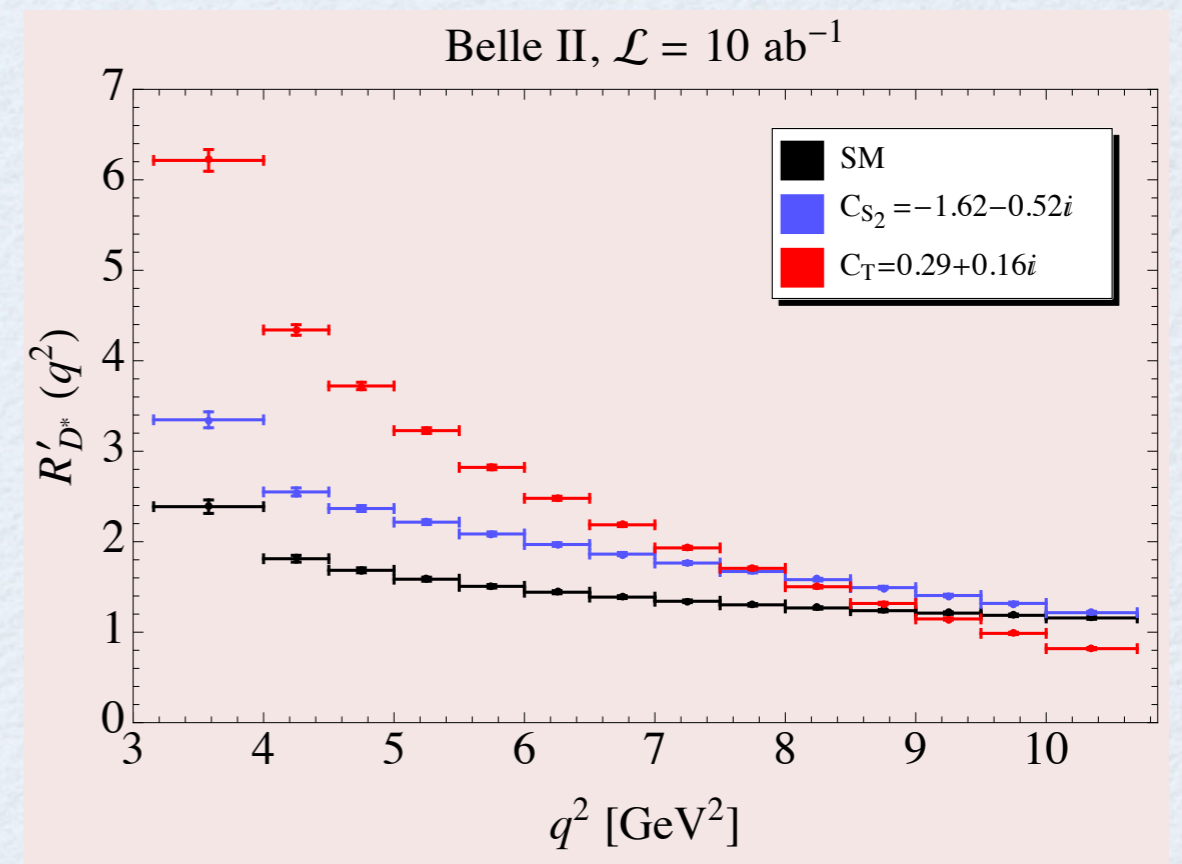


- Best fit value predict different shape of distribution

Preliminary



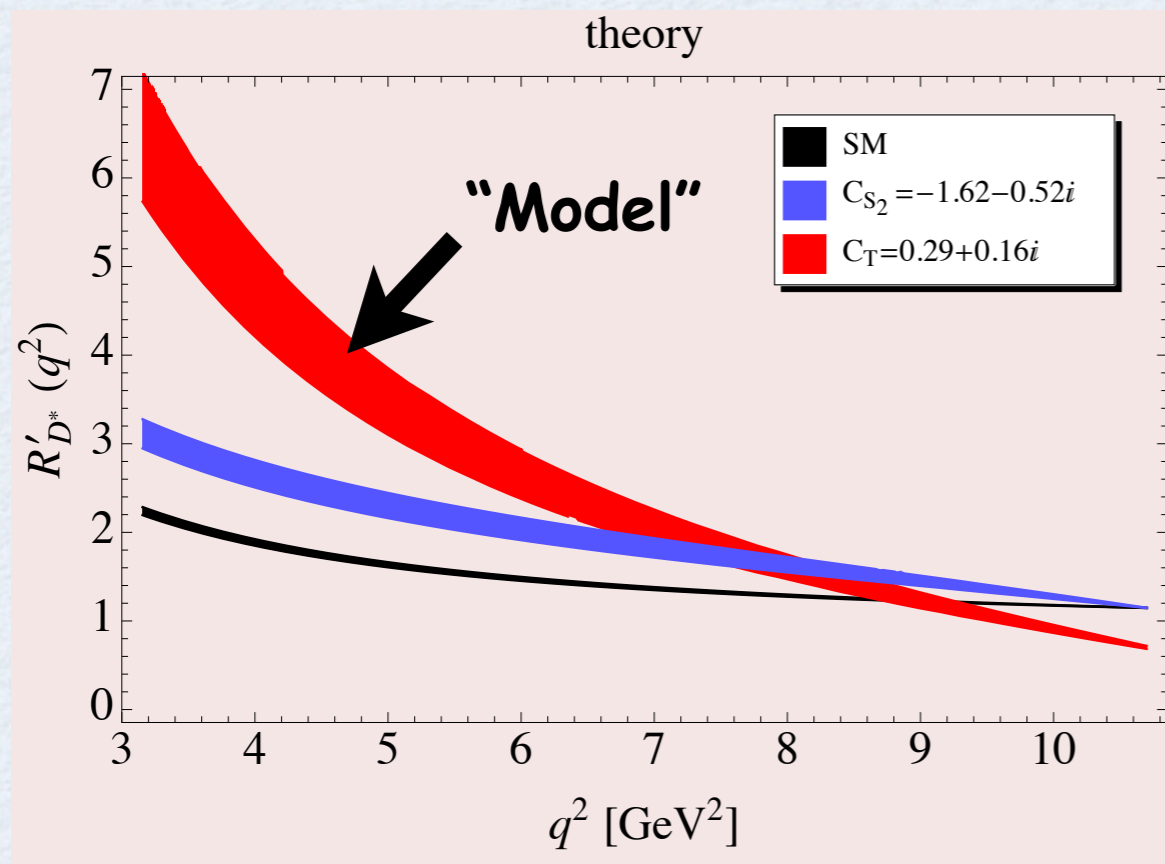
Theoretical uncertainty



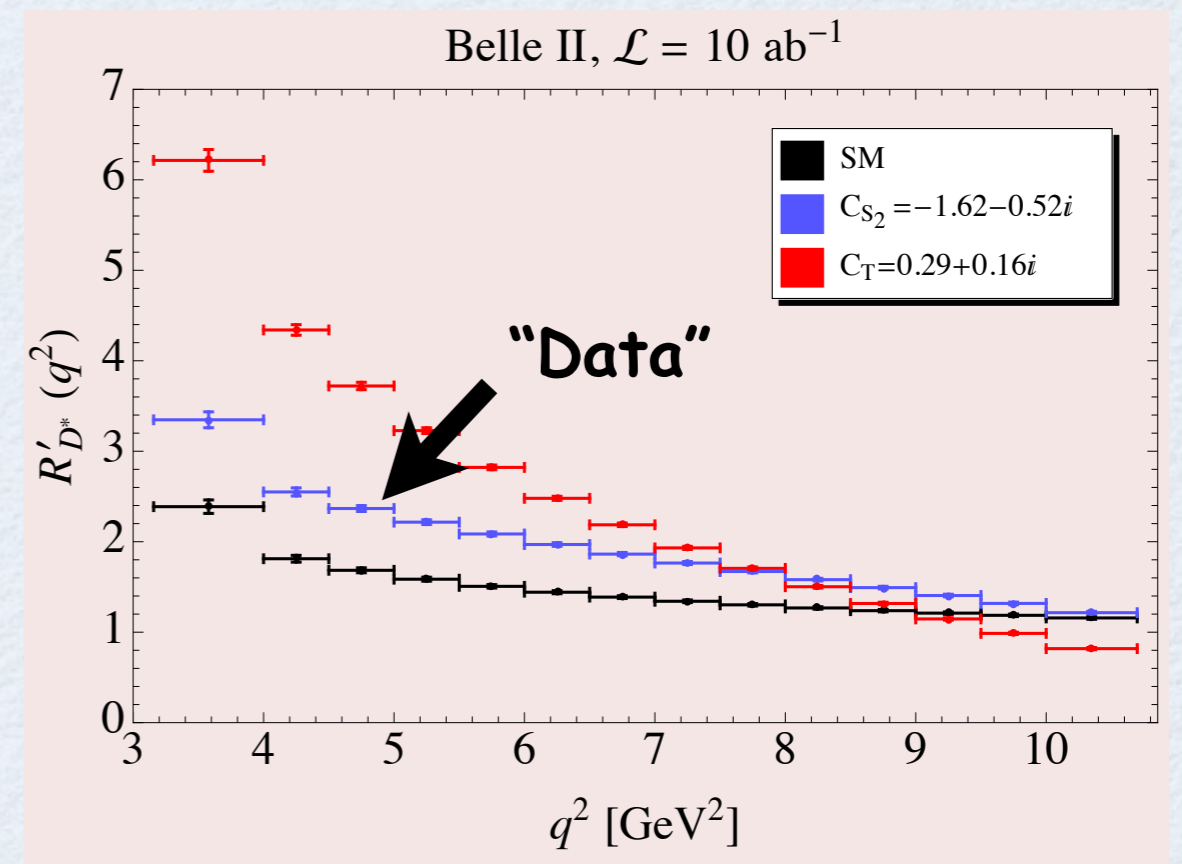
Expected error at  $10 \text{ ab}^{-1}$   
with  $\epsilon_{\text{efficiency}} \sim \mathcal{O}(10^{-4})$

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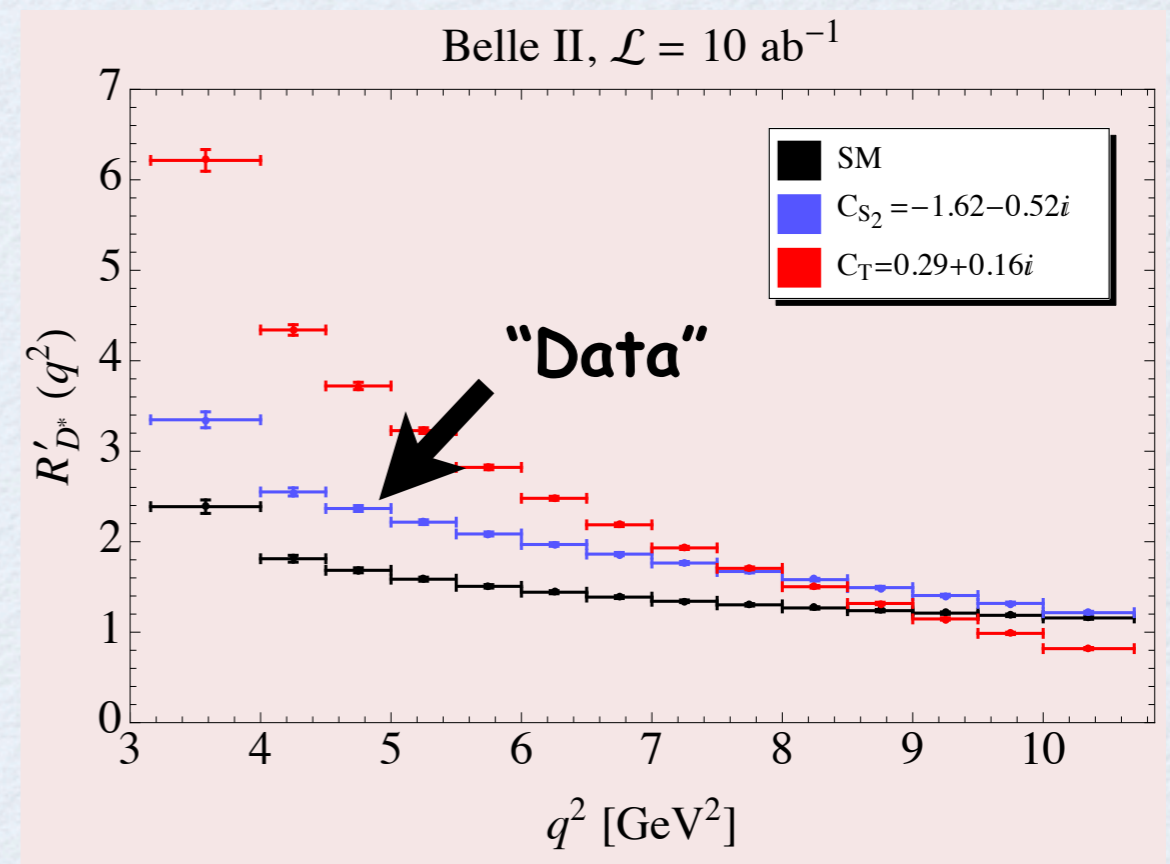
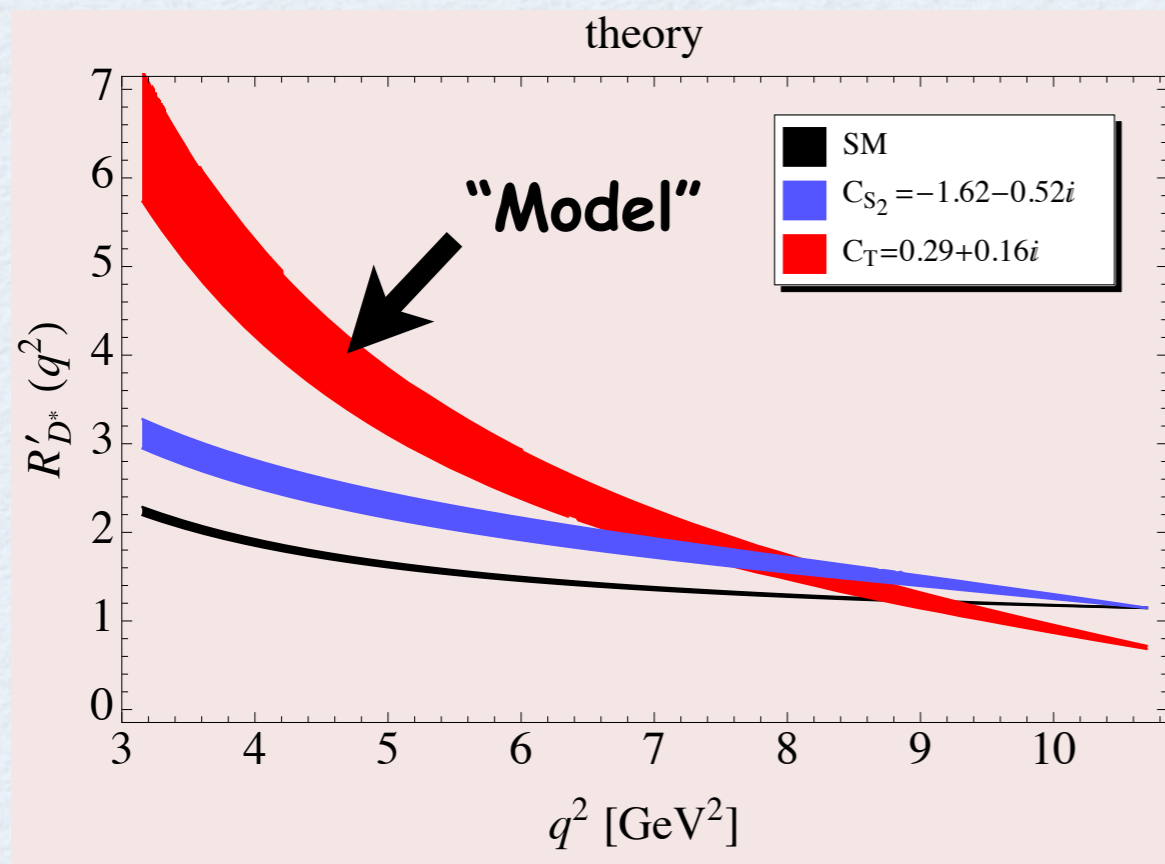
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Theoretical uncertainty

Expected error at  $10 \text{ ab}^{-1}$   
with  $\epsilon_{\text{efficiency}} \sim \mathcal{O}(10^{-4})$

- $R(q^2)$  distribution can distinguish between scalar- & tensor-like contribution

Integrated luminosity	$\chi^2/N_{\text{bins}}$
$426 \text{ fb}^{-1}$	10
$10 \text{ ab}^{-1}$	225

\* Simulation of  
fake "data" vs "model"

# Summary

- **Review on tauonic B decays**

- $B \rightarrow D^{(*)} \tau \nu$ : Large deviation from SM & type2-2HDM prediction
- $B \rightarrow \tau \nu$ : Good agreement with SM

- **New physics**

- Several effective operators (vector, scalar, tensor) can explain data
- “Unusual” 2HDM & LQM are in good agreement with data in  $B \rightarrow D^{(*)} \tau \nu$

- **Observables**

- Asymmetry, polarization, distribution are useful to test NP contribution
- CP violation is available using asymmetry

- **Near future prospects**

- $q^2$  distribution will be obtained in relatively near future and sensitive to NP contributions

**Back up**



# $|V_{cb}|$ determination

$$\boxed{\bar{B} \rightarrow D\ell\bar{\nu}} \quad \frac{d\Gamma}{dw}(\bar{B} \rightarrow D\ell\bar{\nu}) = \frac{G_F m_B^5}{48\pi^3} r^3 (1+r)^2 (w^2-1)^{3/2} V_1(w)^2 |V_{cb}|^2$$

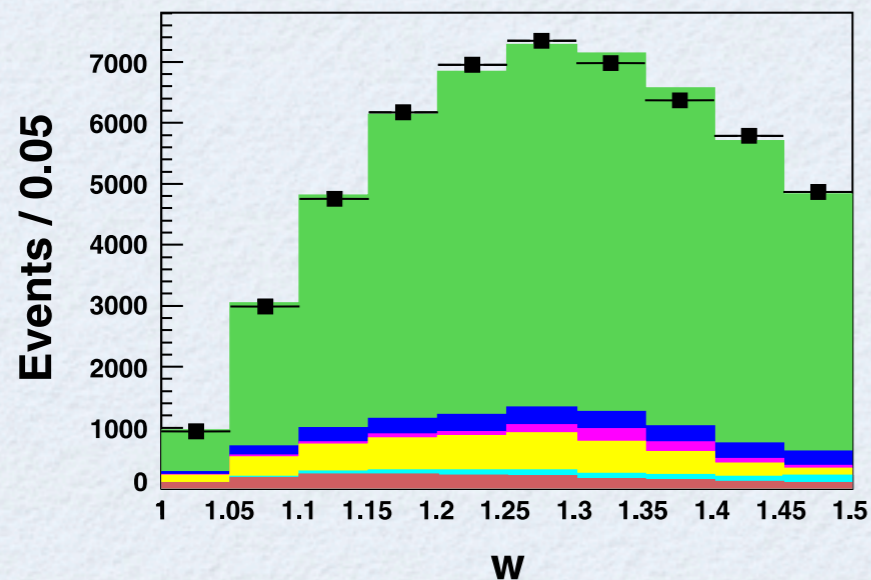
• Fit the shape (=interaction type) and the height (=coupling)

• Shape is parametrized by HQET

[Caprini et.al. (1996)]

$$\text{Shape : } V_1(w) = V_1(1) \left[ 1 - 8\rho_1^2 z + (51\rho_1^2 - 10)z^2 - (252\rho_1^2 - 84)z^3 \right]$$

$$\text{Height : } V_1(1)|V_{cb}| \quad \left( z = \frac{\sqrt{w+1} - \sqrt{2}}{\sqrt{w+1} + \sqrt{2}} \right)$$

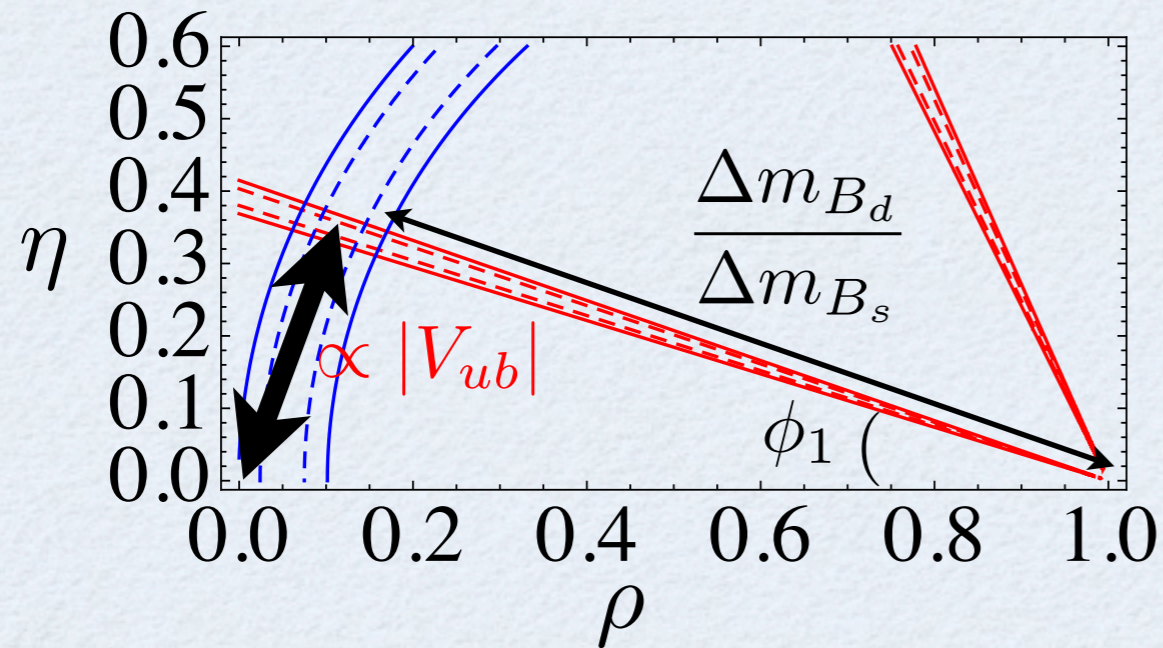


Fit result:

$$V_1(1)|V_{cb}| = (4.26 \pm 0.07 \pm 0.14) \times 10^{-2}$$

$$\rho_1^2 = 1.186 \pm 0.055$$

# $|V_{ub}|$ determination from a fit to CKM unitarity



$$|V_{ub}| = (3.38 \pm 0.15) \times 10^{-3}$$

## Average values

	Average	CKM fit
$\mathcal{B}(\bar{B} \rightarrow \tau \bar{\nu}) \times 10^4$	$1.41 \pm 0.23$	$1.14 \pm 0.23$
$ V_{ub}  \times 10^3$	$4.18 \pm 0.53$	$3.38 \pm 0.15$

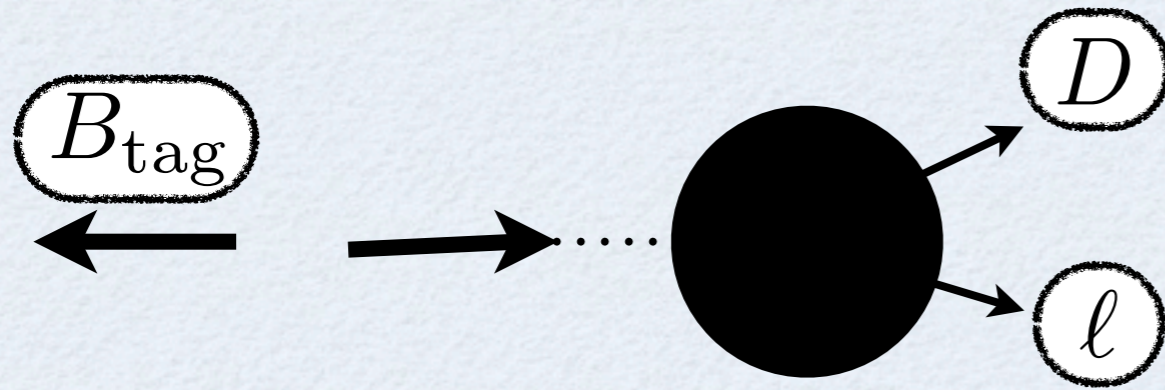
	Average	SM
$R(D)$	$0.421 \pm 0.058$	$0.297 \pm 0.017$
$R(D^*)$	$0.337 \pm 0.025$	$0.252 \pm 0.003$
correlation	$-0.19$	-

\* Belle result is obtained by our private calculation

\* So, Belle result here is different from that shown in main slide

# Experimental analysis @BABAR

[BABAR, arXiv:1205.5442]

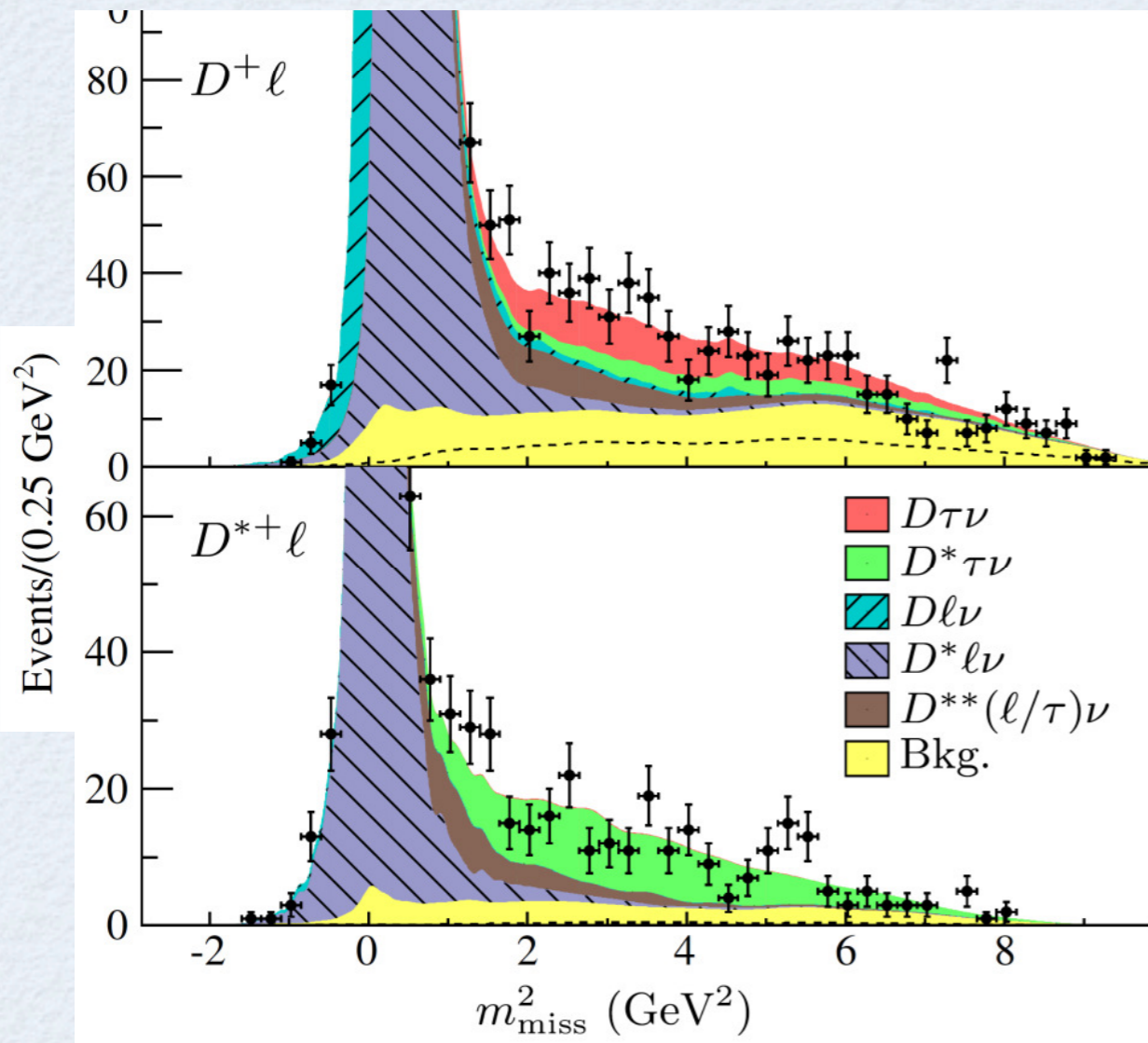


\* Decay channel BABAR analyzed:

$$\bar{B} \rightarrow D^{(*)}(\tau \rightarrow \ell \bar{\nu})\bar{\nu}$$

\* inv. mass of missing particles:

$$m_{\text{miss}}^2 = (p_{e^+e^-} - p_{\text{tag}} - p_{D^{(*)}} - p_{\ell})^2$$



1.  $B_{\text{tag}}, D^{(*)}, \ell$  are identified

2.  $m_{\text{miss}}^2$  distribution is measured

3. Comparing total event data with expected signal & background, **signal event is extracted**

# Belle & Belle2

## Belle...

- Belle result was reported, but it is not fully completed...  
**We are now waiting for the upgrade.**

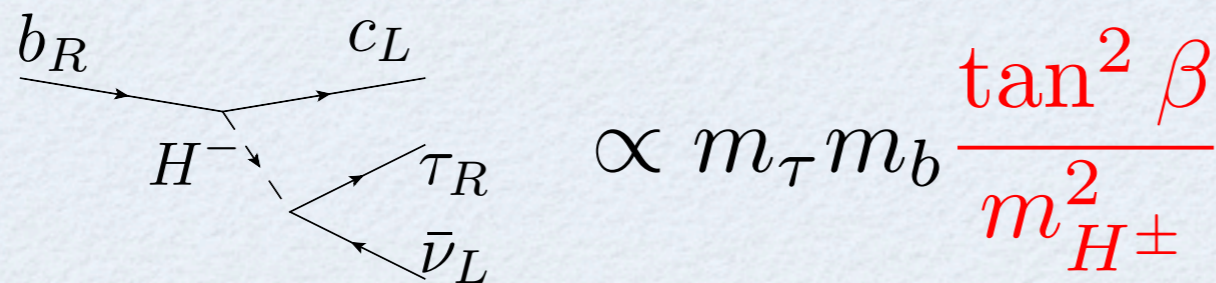
## Super KEKB

- Tauonic B meson decay is one of the golden modes in future super B factory, due to its large statistics.
- Large statistics enable us to measure not only total rate, but also some **distributions & polarizations**

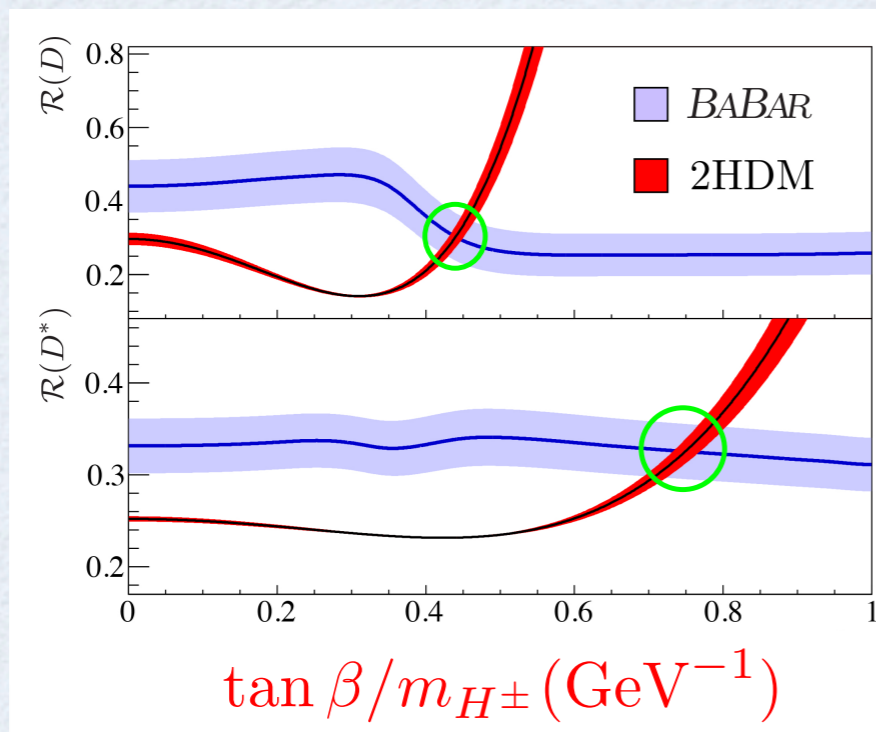
# BABAR result for 2HDM of type II

**Type-II 2HDM is ruled out at 99.8% CL!**

\* Charged Higgs can contribute to the processes



\* However, it cannot explain the results **at the same time**



**Note:**

As explained, we must expect the signal event, to extract from the total event including the background event. Thus, **this result depends on the model parameters.**

# Lepto Quark model



- LQs are particles, carrying both baryon & lepton number. Thus, they couple to quark-lepton pair.
- LQ particles are expected to exist in various NP models; (ex: SU(5)-GUT, SO(10)-GUT, composite models, and so on)

## Mass bounds on LQs from LHC

**Scalar LQ:**  $M_{\text{SLQ}_3} \gtrsim 530\text{GeV}$       **[ATLAS & CMS (2013)]**

**Vector LQ:**  $M_{\text{VLQ}_3} \gtrsim 760\text{GeV}$       **[CMS (2013)]**

**Lagrangian relevant for  $b \rightarrow c\tau\nu$ , with general dimensionless  $SU(3) \times SU(2) \times U(1)$  invariant couplings of scalar & vector LQs:**

$$\mathcal{L}_{F=0}^{\text{LQ}} = (h_{1L}^{ij} \bar{Q}_{iL} \gamma^\mu L_{jL} + h_{1R}^{ij} \bar{d}_{iR} \gamma^\mu \ell_{jR}) U_{1\mu} + h_{3L}^{ij} \bar{Q}_{iL} \boldsymbol{\sigma} \gamma^\mu L_{jL} \mathbf{U}_{3\mu} + (h_{2L}^{ij} \bar{u}_{iR} L_{jL} + h_{2R}^{ij} \bar{Q}_{iL} i\sigma_2 \ell_{jR}) R_2,$$

$$\mathcal{L}_{F=-2}^{\text{LQ}} = (g_{1L}^{ij} \bar{Q}_{iL}^c i\sigma_2 L_{jL} + g_{1R}^{ij} \bar{u}_{iR}^c \ell_{jR}) S_1 + g_{3L}^{ij} \bar{Q}_{iL}^c i\sigma_2 \boldsymbol{\sigma} L_{jL} \mathbf{S}_3 + (g_{2L}^{ij} \bar{d}_{iR}^c \gamma^\mu L_{jL} + g_{2R}^{ij} \bar{Q}_{iL}^c \gamma^\mu \ell_{jR}) V_{2\mu},$$

**S,R: scalar LQ**  
**U,V: vector LQ**

# Tau polarization

- Tau has rich features compared with light leptons.  
Its helicity can vary depending on the type of the interaction.

\* **In SM,** 
$$P_\tau = \frac{\Gamma^+ - \Gamma^-}{\Gamma^+ + \Gamma^-} \simeq 0.325$$

\* **NP can influence the tau helicity in  $B \rightarrow D(^*)\tau\nu$**

\*  **$P_\tau$  is measurable without knowing  $\tau$  momentum**

**& we estimated expected error  $\delta P_\tau \sim 0.04$  at super KEKB**

**[Tanaka & RW, arXiv:1005.4306]**

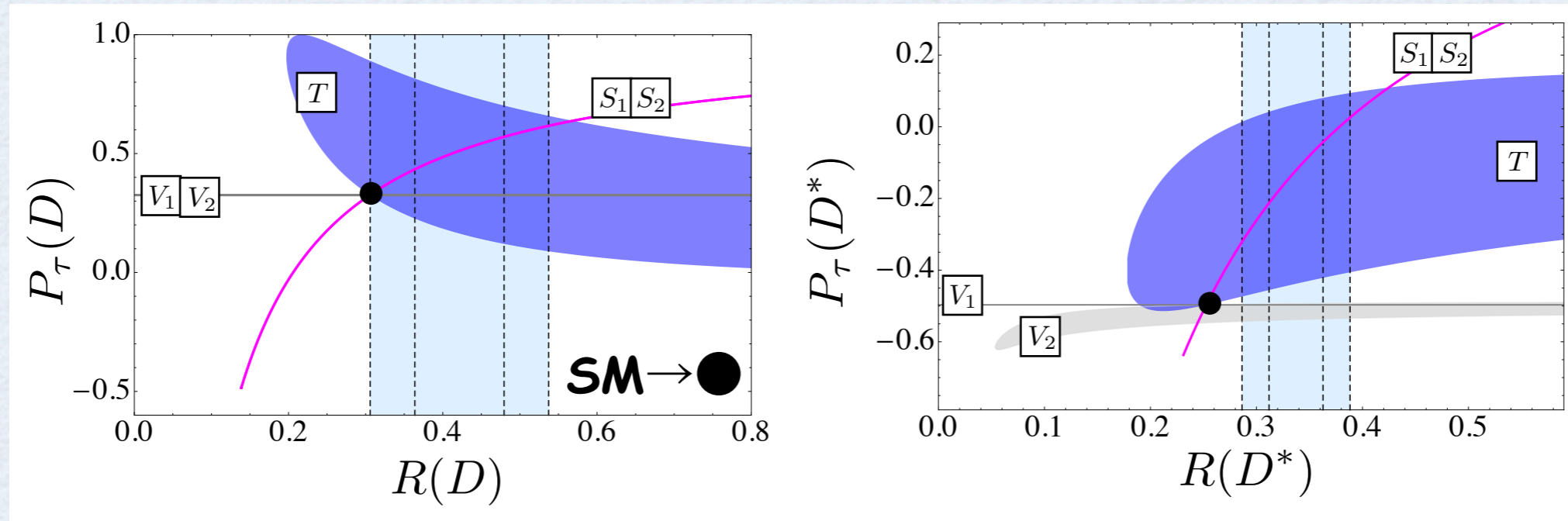
- Definition:

$$P_\tau(D) = \frac{\Gamma^+(D) - \Gamma^-(D)}{\Gamma^+(D) + \Gamma^-(D)} \quad P_\tau(D^*) = \frac{\Gamma^+(D^*) - \Gamma^-(D^*)}{\Gamma^+(D^*) + \Gamma^-(D^*)}$$

$\Gamma^\pm(D)$  is decay rate of  $B \rightarrow D\tau\nu$  with tau helicity to be  $\pm \frac{1}{2}$

# Tau polarization

## Correlation of $R(D)$ & $P_\tau$ :



\*  $P_\tau$  &  $R$  are correlated

\* Nontrivial strong correlation for  $S_{1,2}$  due to spin conservation

## How to distinguish NP:

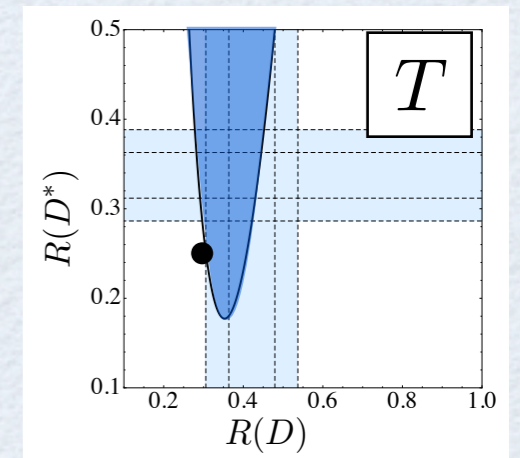
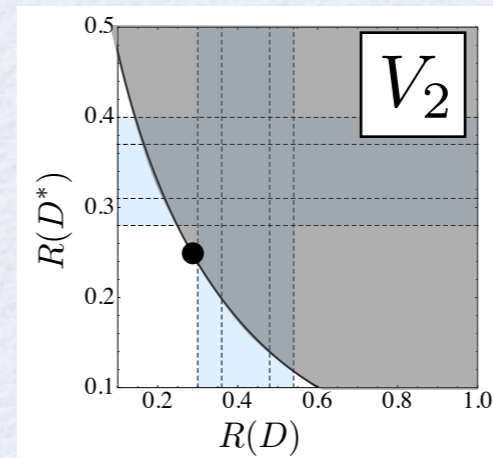
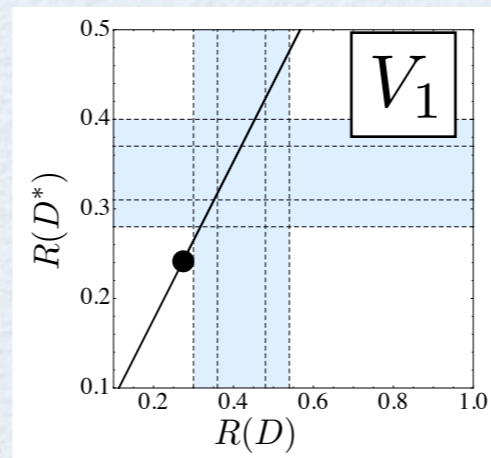
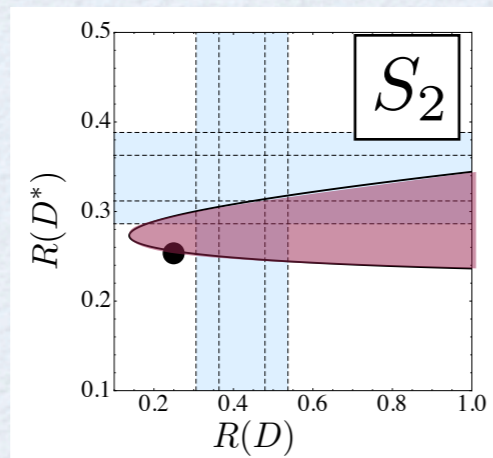
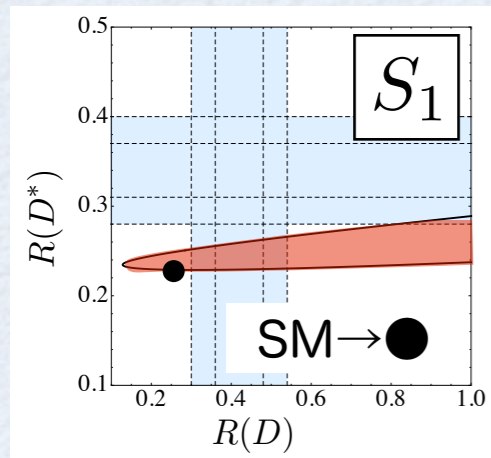
#. If  $R(D)$  &  $R(D^*)$  are precisely measured, we can **predict  $P_\tau$**  in each NP case

$(R(D), R(D^*))$	$(0.37, 0.28)$		
X	$S_2$	$V_2$	$T$
$C_X$	$-0.81 \pm i 0.87$	$0.03 \pm i 0.40$	$0.16 \pm i 0.14$
$P_\tau(D)$	0.44	0.33	0.22
$P_\tau(D^*)$	-0.35	-0.50	-0.26





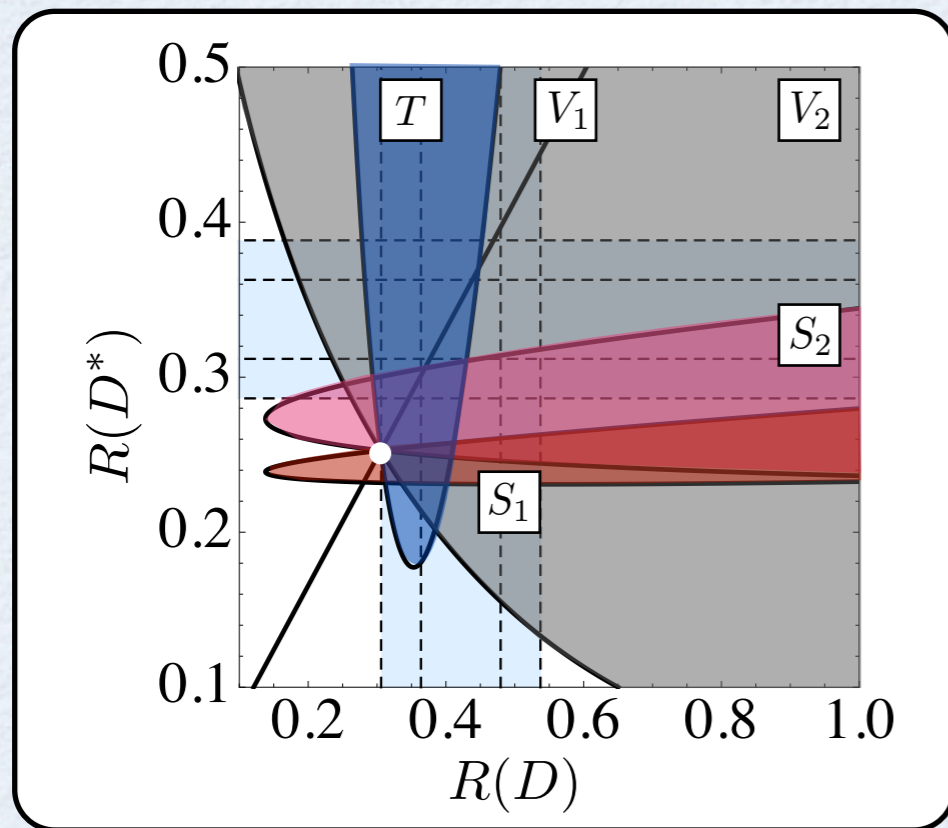
# Correlations



Sensitive to  $R(D)$

Same

to  $R(D^*)$



We can distinguish the type in part if we measure them more precisely.

# Kinematics in multi-pion decay of tau

