

# $^{238}\text{U}$ Neutron Capture with the Total Absorption Calorimeter

Toby Wright

University Of Manchester



Toby Wright, n\_TOF Annual Meeting 2013, Bologna

# Outline

- Introduction
- Background contributions
- Pile up effect
- Neutron scattering correction
- Resonance analysis
- Kernel comparison
- Conclusions



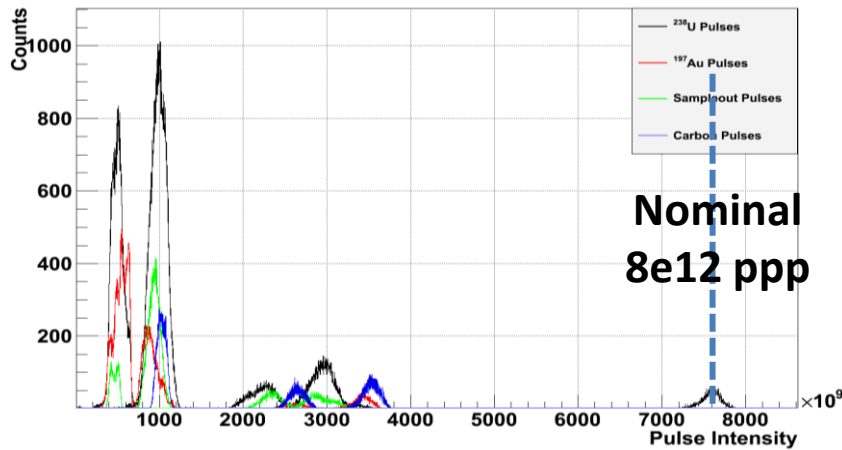
# Introduction

## Features on the NEA high priority request list

Requested uncertainties:

- 0.01 -1 keV **1%**  
(currently **2%**)
- 1-10keV **1%**  
(currently **3%**)
- 10-25keV **3%**  
(currently **9%**)

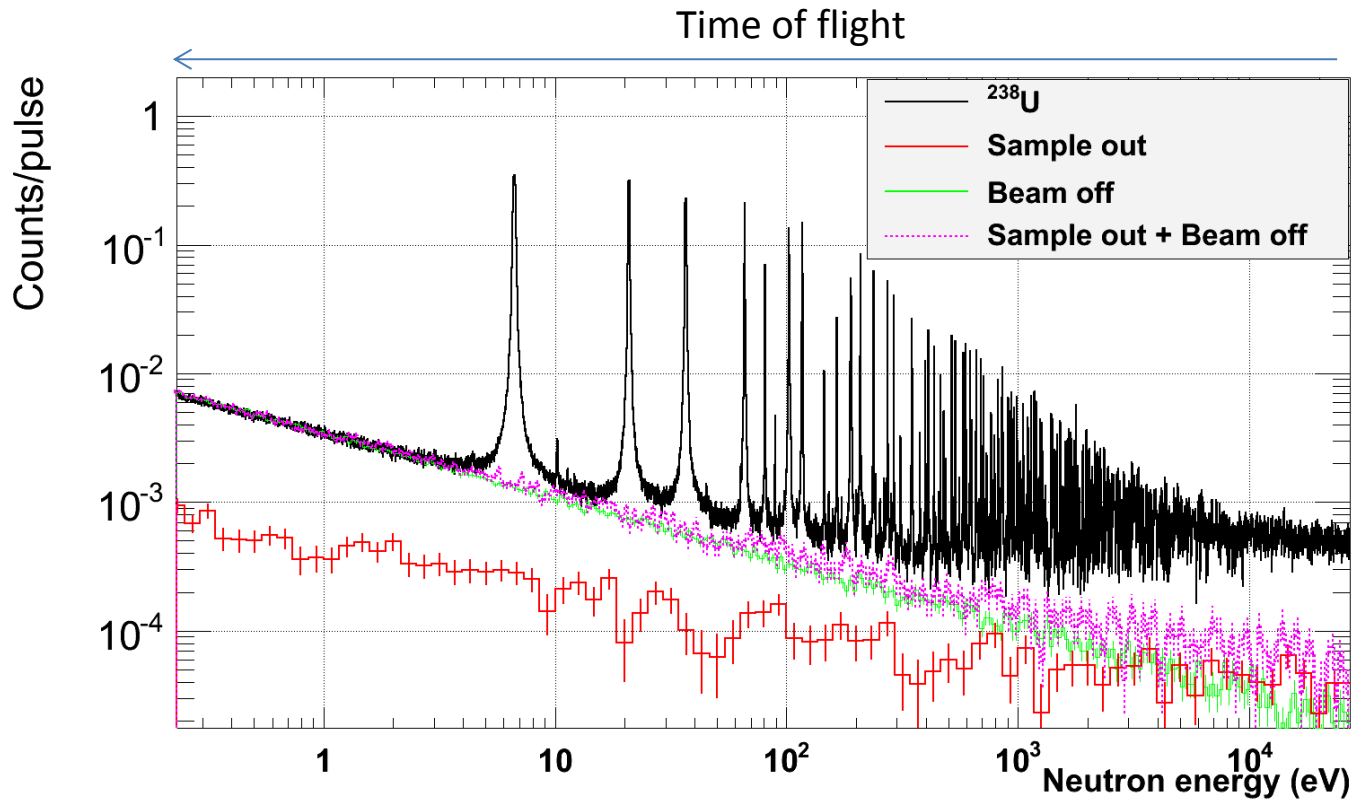
- 6.125 g  $^{238}\text{U}$  sample was measured for 41 days
- The same sample was measured with the  $\text{C}_6\text{D}_6$  detectors at n\_TOF and GELINA
- To reach maximum precision, the data analysis of the three separate measurements will be combined in the final stage



- Three main pulse intensities used, all lower than the nominal intensity to avoid large pile up problems due to the sample mass
- ANDES deliverable – joint report submitted end of October from  $\text{C}_6\text{D}_6$  and TAC at n\_TOF and  $\text{C}_6\text{D}_6$  at GELINA
- Main previous outstanding issues – pile up not correctly corrected for and the first resonance could not be correctly fitted with SAMMY



# Background contributions

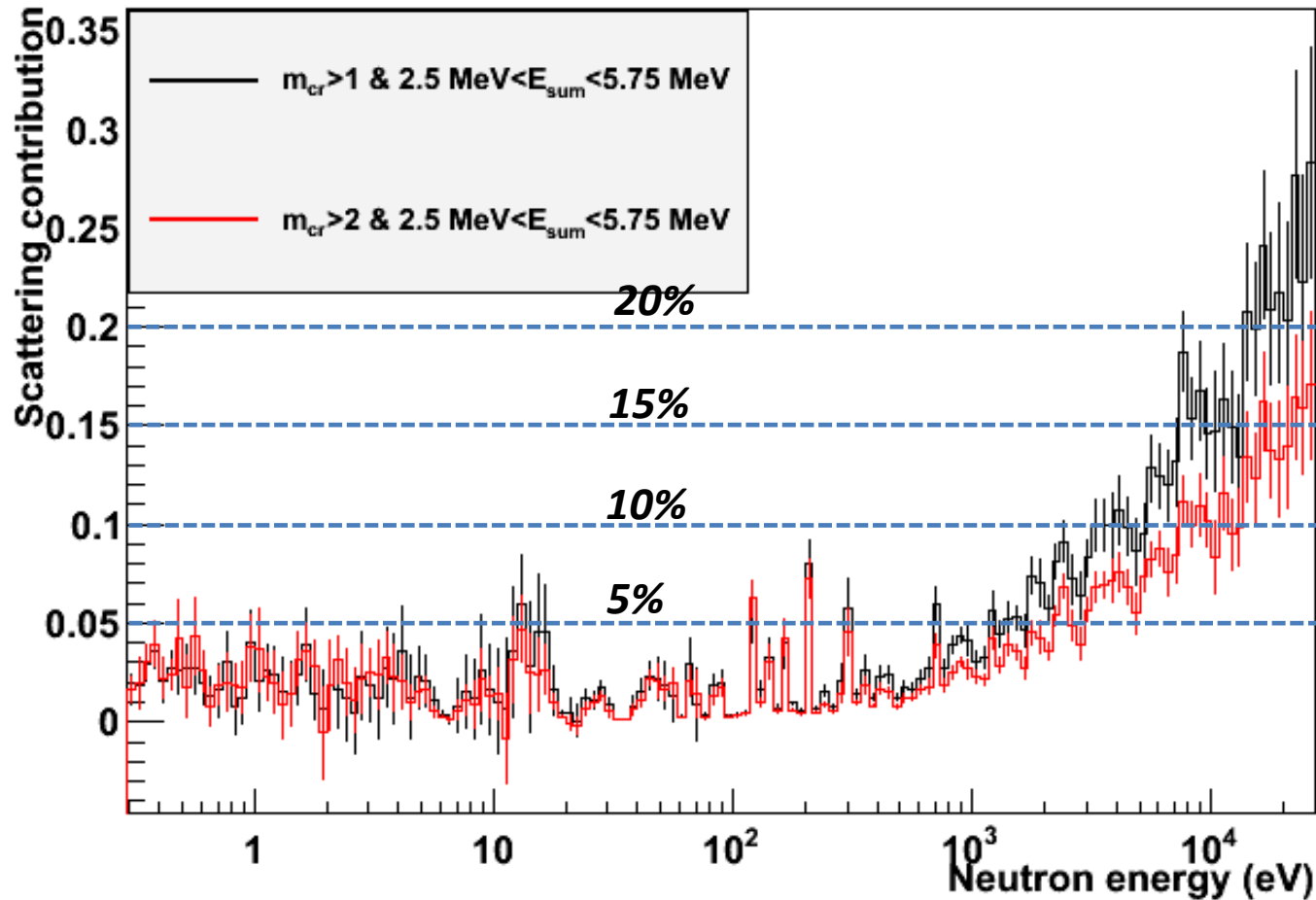


- Beam off background fitted using a linear function on a log-log scale
- Sample background contribution remains below 15% smoothed by re-binning, then interpolating between adjacent bins
- Above 10 keV, we will be unable to analyse due to the gamma flash



# Neutron scattering correction

Mult>2 >7MeV/2.5-6MeV



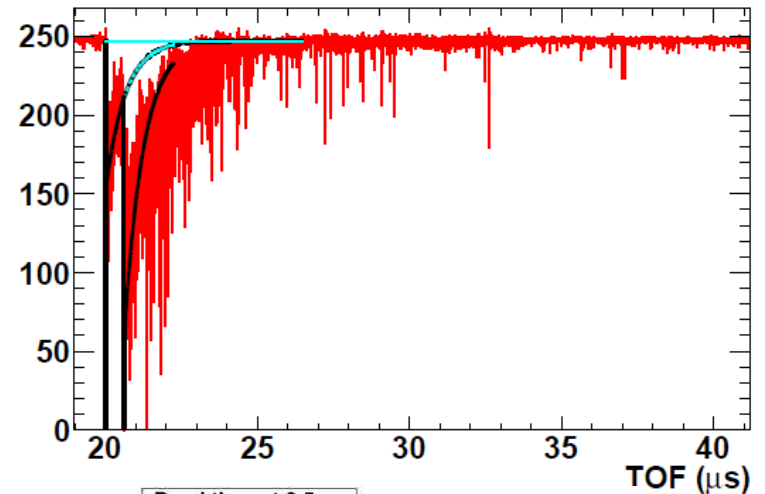
- At higher neutron energies, the background contribution from neutron scattering is larger
- Here the histogram is re-binned to 100bins/decade



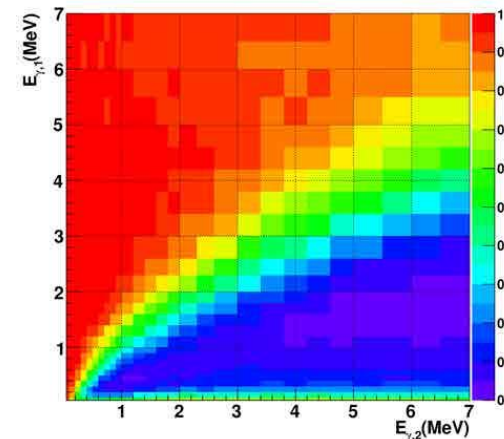
# Pile up

- The slow component of BaF<sub>2</sub> is around 630 ns, thus subsequent signals within a few  $\mu\text{s}$  can be difficult to identify
- The probability of detecting a second (or third..) signal depends on the energy of the first signal,  $E_1$ , the energy of the second signal  $E_2$  and the time between the two signals,  $t$ .
- This probability is found by taking many, many examples from the raw data.

Delay = 0.617  $\mu\text{s}$ ,  $E_1=4.83$  MeV,  $E_2=7.57$  MeV



Dead time at 0.5  $\mu\text{s}$

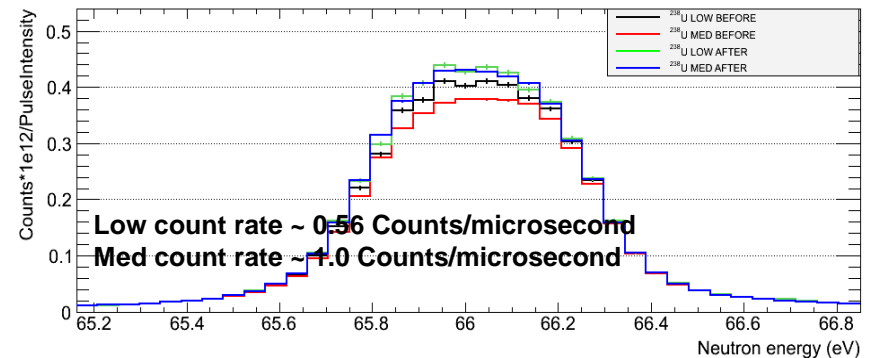
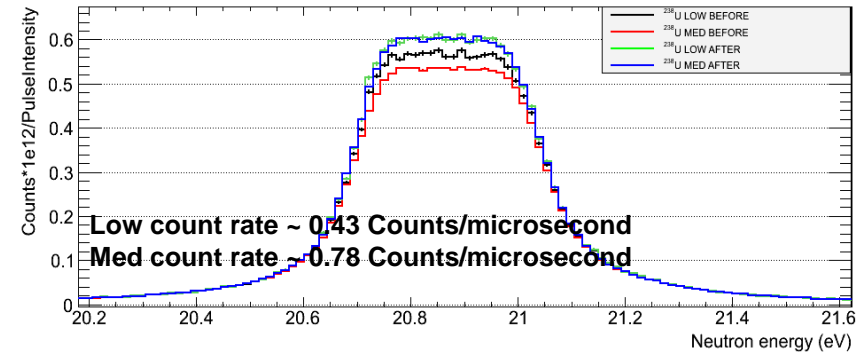
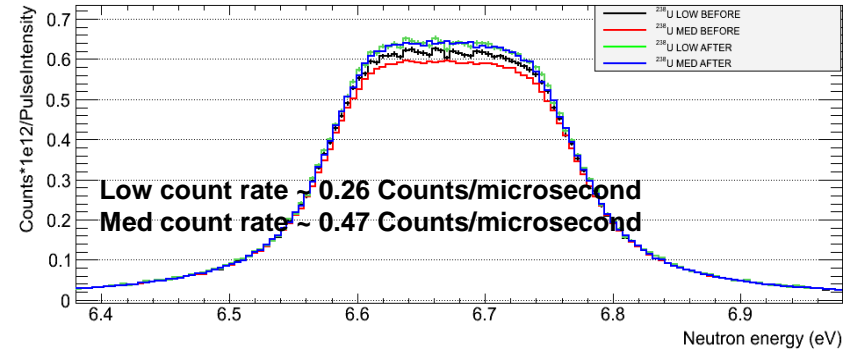


Thanks to C. Guerrero, E. Mendoza and D. Cano Ott



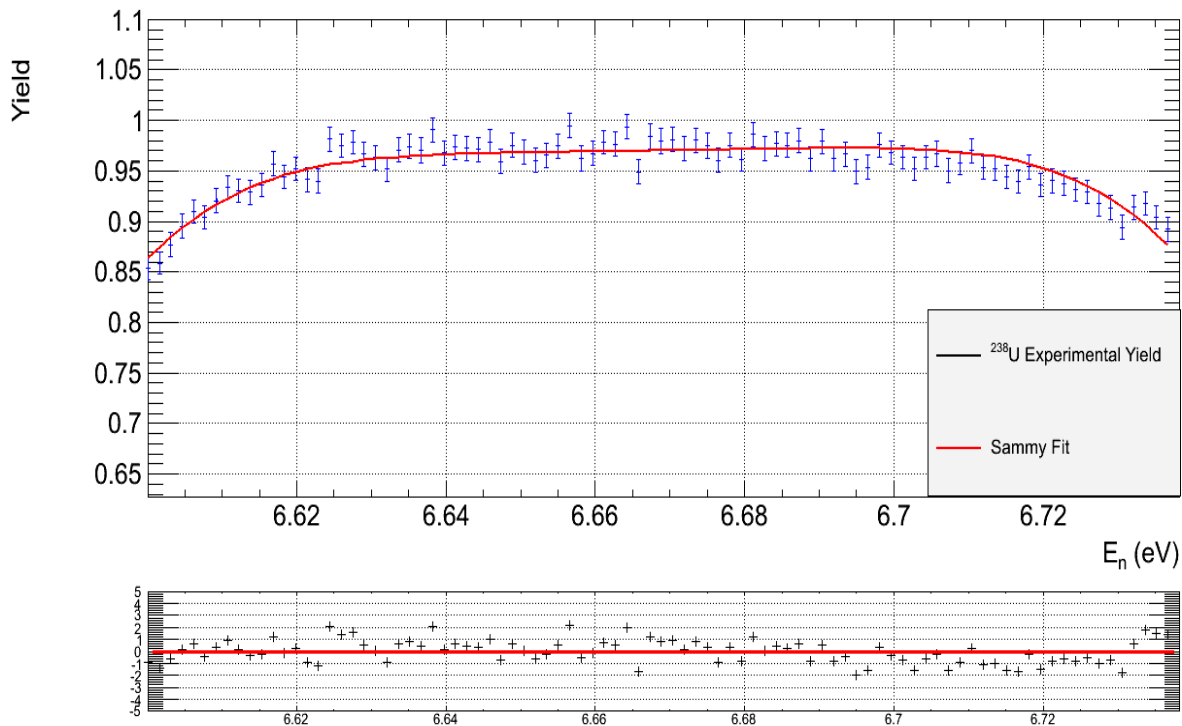
# Pile up

- Take the  $(n,\gamma)$  cascades from a low count rate, e.g. in the tail of a resonance
- Randomly sample these cascades depending on the measured count rate and determine the probability of killing a signal.
- From this you can estimate the true count rate, and thus the magnitude of the pile up correction
- A comparison between different count rate data sets show the correction works for count rates as high as 1 count/ $\mu$ s with a 1% accuracy.
- The asymmetric resonance shape caused pile up is lost when you apply the correction, showing it's powerful use with a variable count rate



# Yield calculation

Normalised in the peak of the first resonance.  $N_{bif} \cdot \varepsilon = 0.67$  for our chosen analysis conditions,  $m_{cf} > 1$  &  $2.5 < E_{sum} (MeV) < 5.75$



$$Y(E_n) = \frac{C_{tot}(E_n) - C_{back}(E_n)}{N_{bif} \cdot \varepsilon \cdot \varphi(E_n)}$$

The first **three** resonances are saturated, allowing three normalisation points to be used. They all agree within 1%.

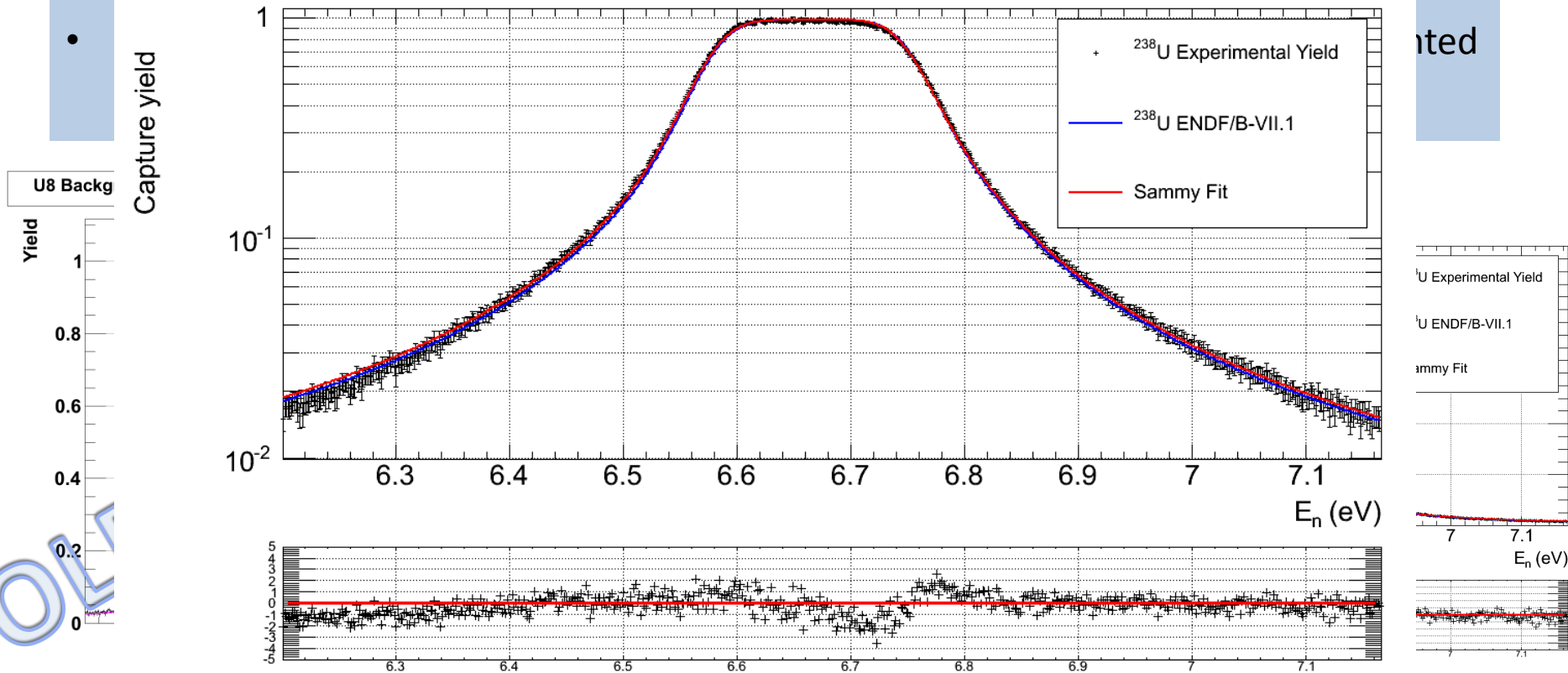




# Resonance analysis – First resonance

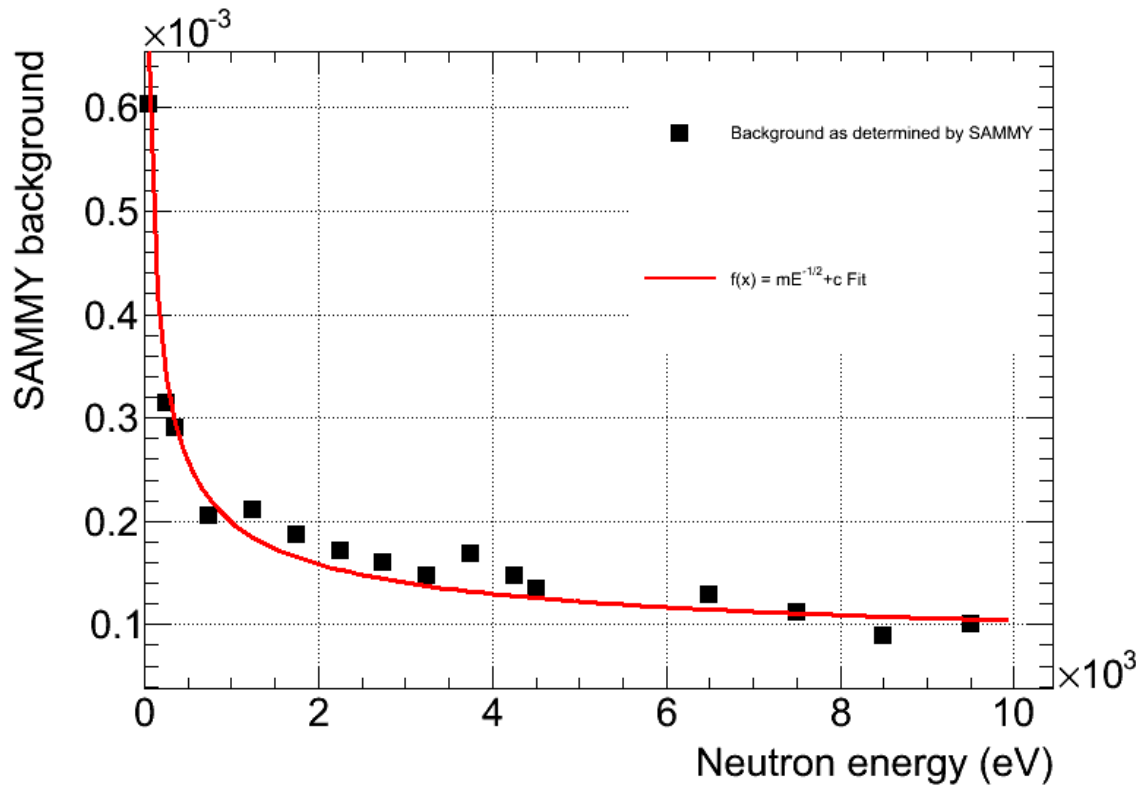
- Previous problems tried with SAMMY, REFIT, CONRAD – nothing could fit the first

ated



# Resonance analysis – Background

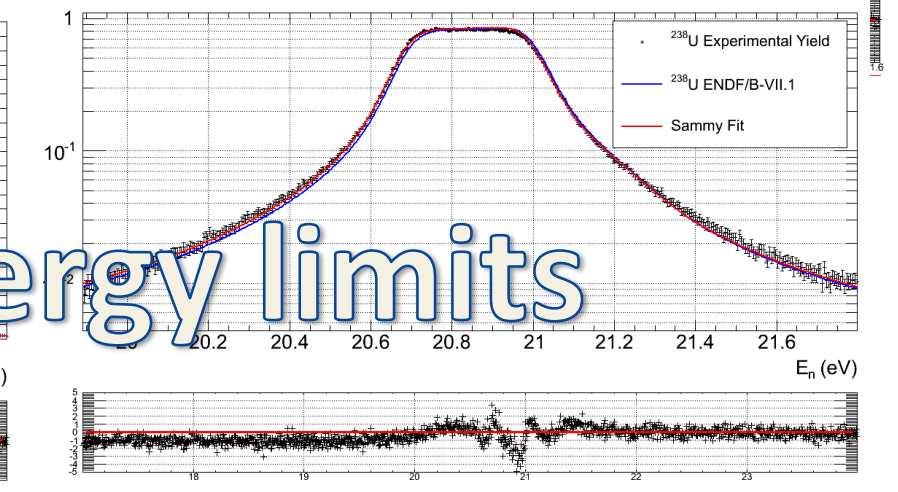
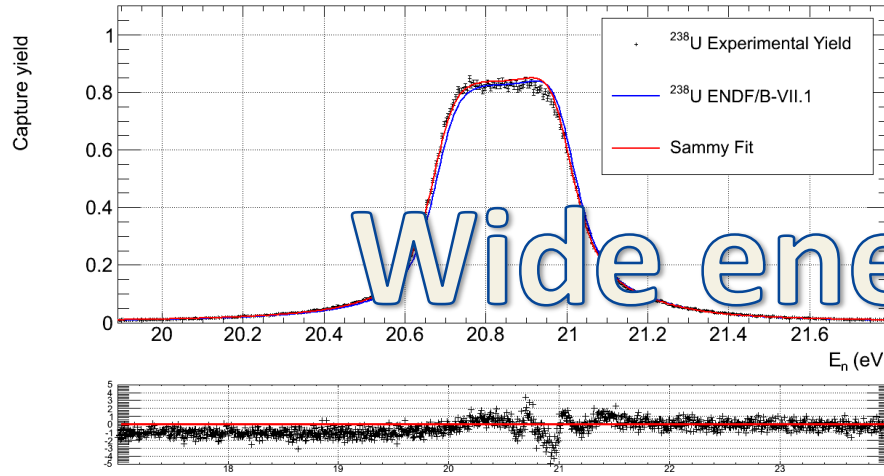
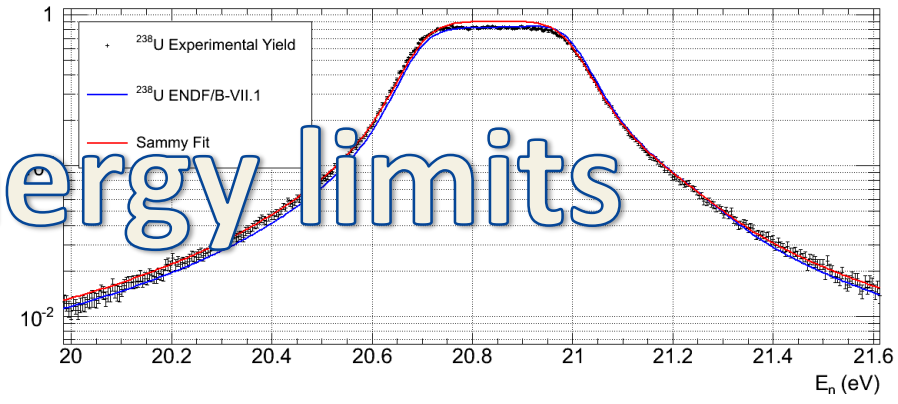
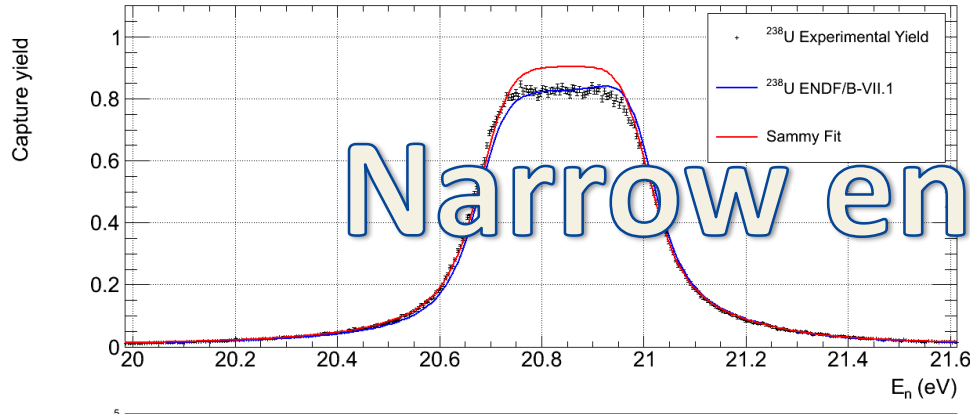
- SAMMY shows there is some background present in the data
- By leaving the constant background free in different energy regions the shape of the background was found



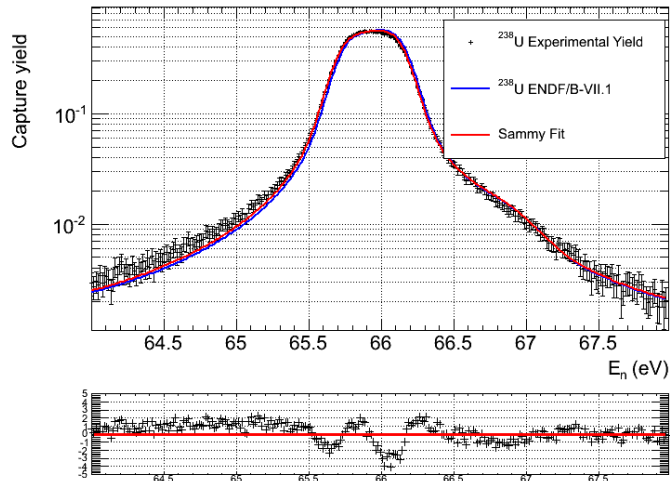
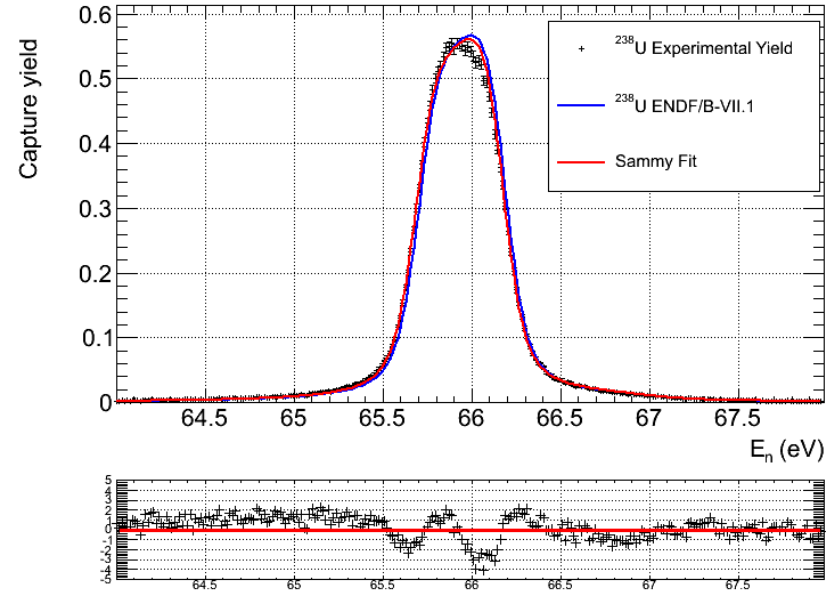
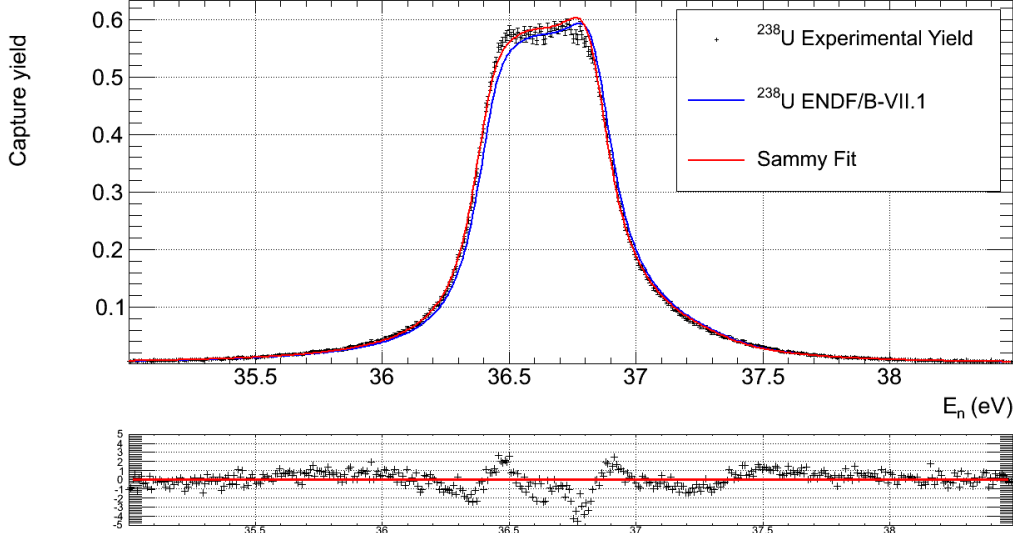
The background has both a constant component:  
 **$c = 6.00433 \times 10^{-5}$**   
and a  $E_n^{-1/2}$  component:  
 **$m = 4.40615 \times 10^{-3}$**



# Resonance analysis – Second resonance



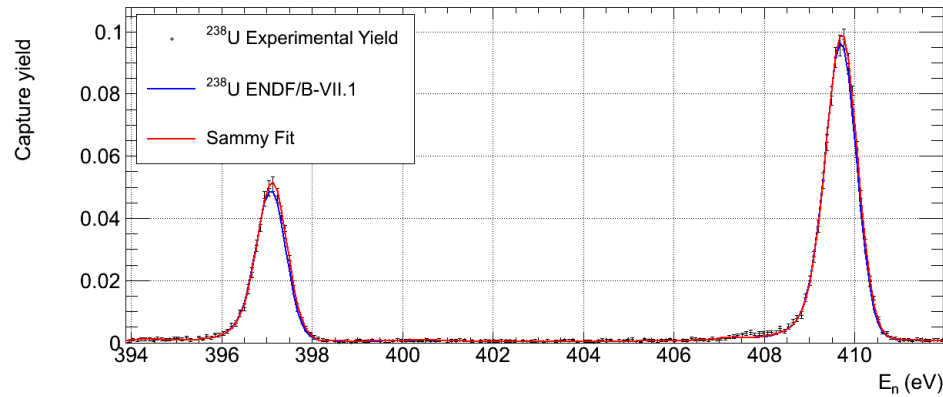
# Resonance analysis – Third and fourth resonances



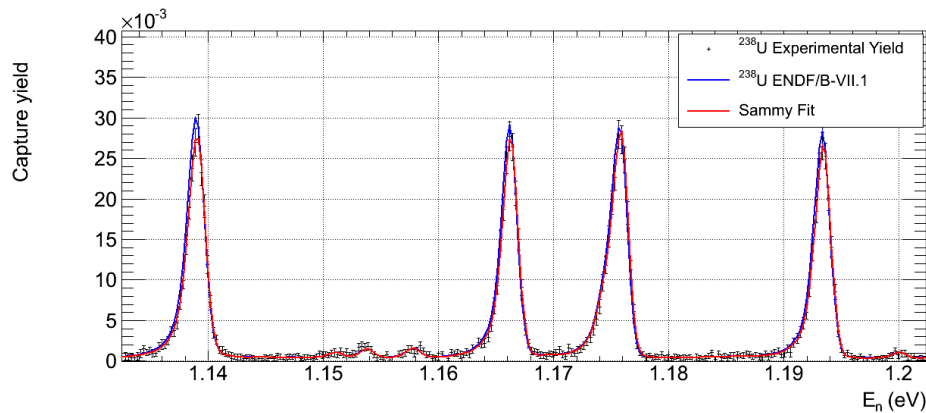
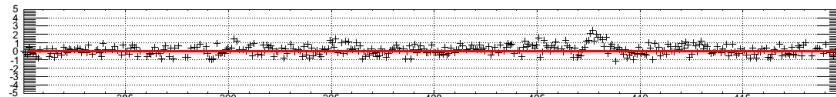
- Problems with fitting resonances up to 100 eV
- Here the uncertainty should already be 2 %
- May have to leave some specific resonances out of the analysis?
- Comparison with the  $C_6D_6$  data will be done



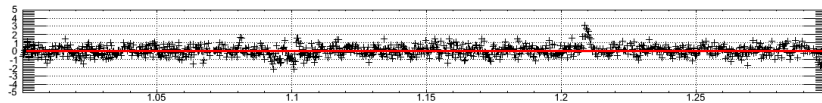
# Resonance analysis - RRR



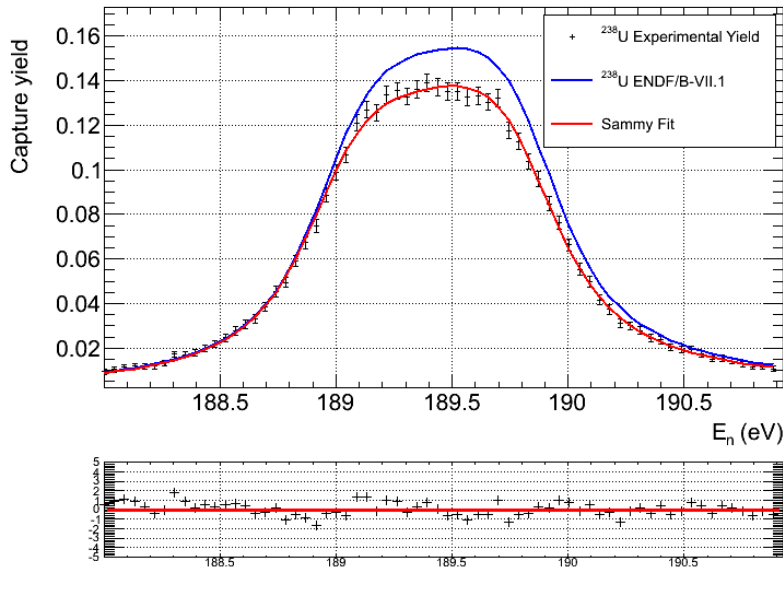
- Here we seem slightly higher than ENDF



- Here we seem slightly lower than ENDF



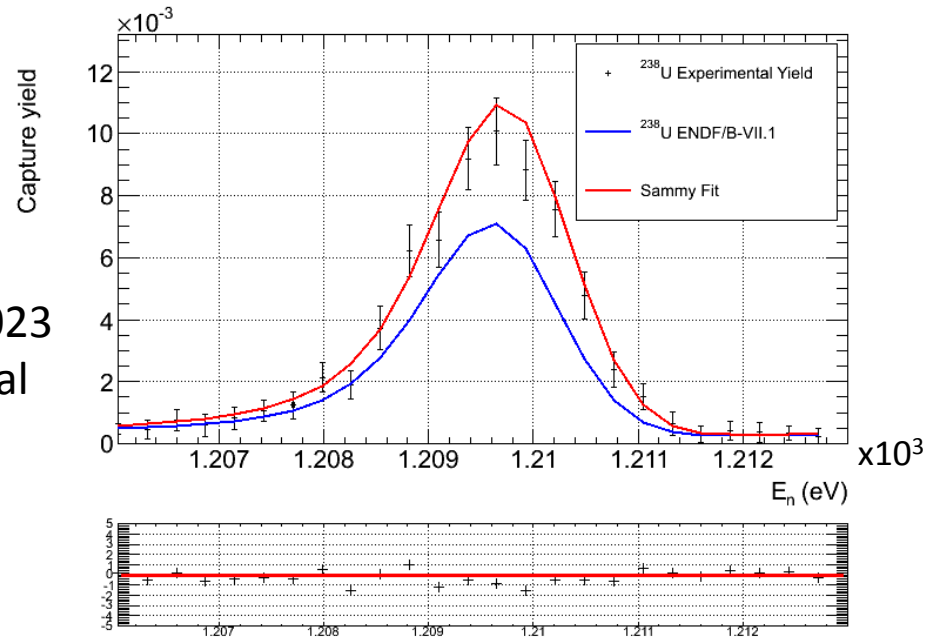
# Resonance analysis - RRR



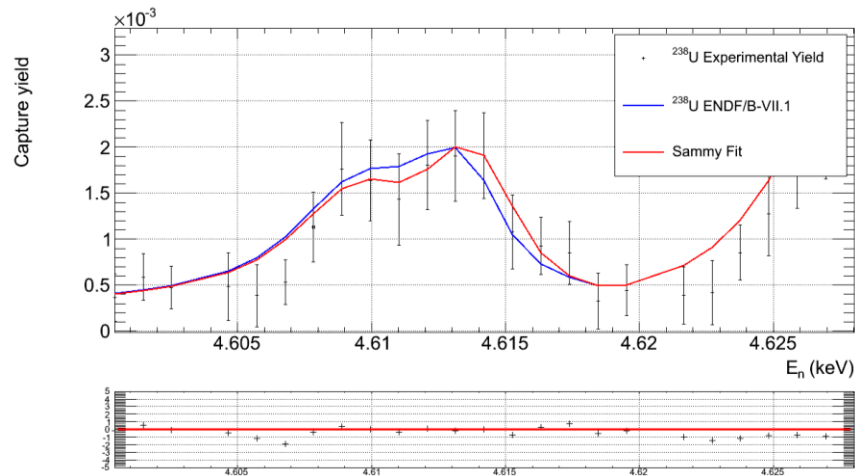
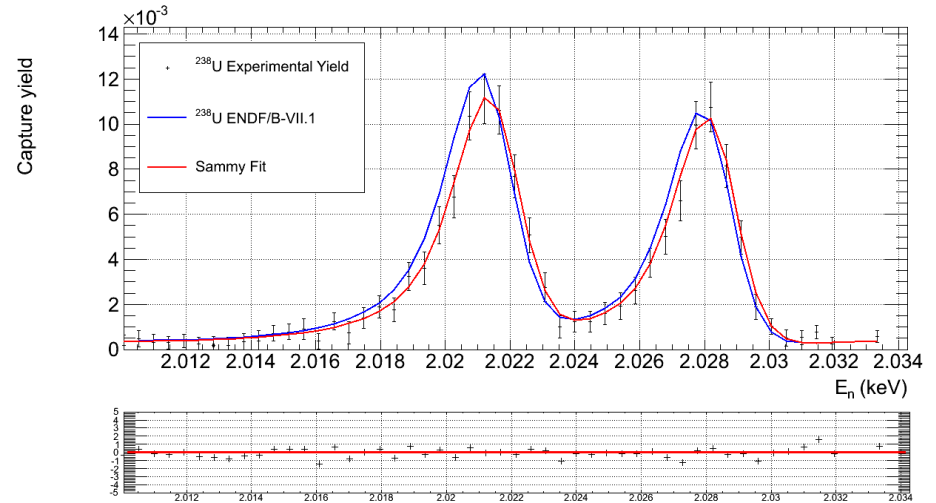
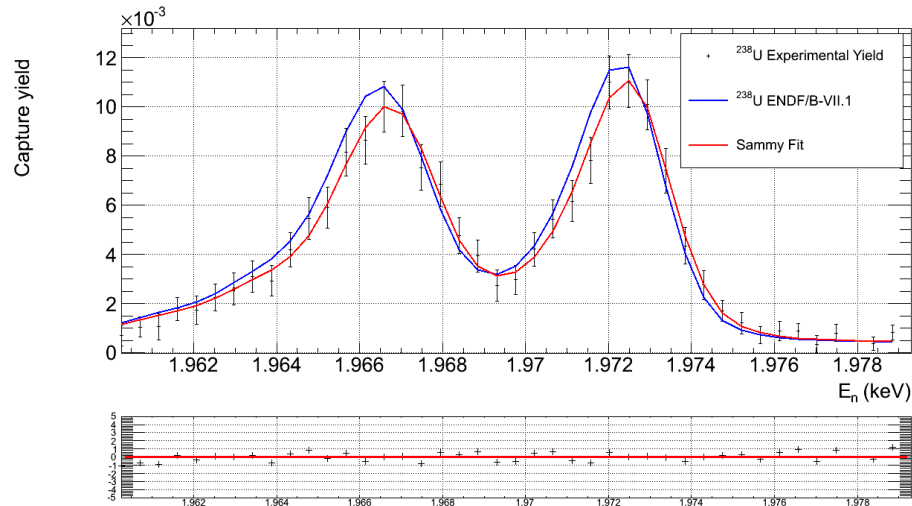
We seem some major differences between individual resonances

Here,  $\Gamma_n$  is approximately 7 times bigger than  $\Gamma_\gamma$ . But surely we would expect to be above ENDF if we were confusing extra counts from neutron scattering?

Here,  $\Gamma_\gamma = 0.0066$  compared to the usual 0.023 but has,  $\Gamma_f = 0.000472$  compared to the usual 0.



# Resonance analysis - RRR



Perhaps the energy calibration isn't perfect

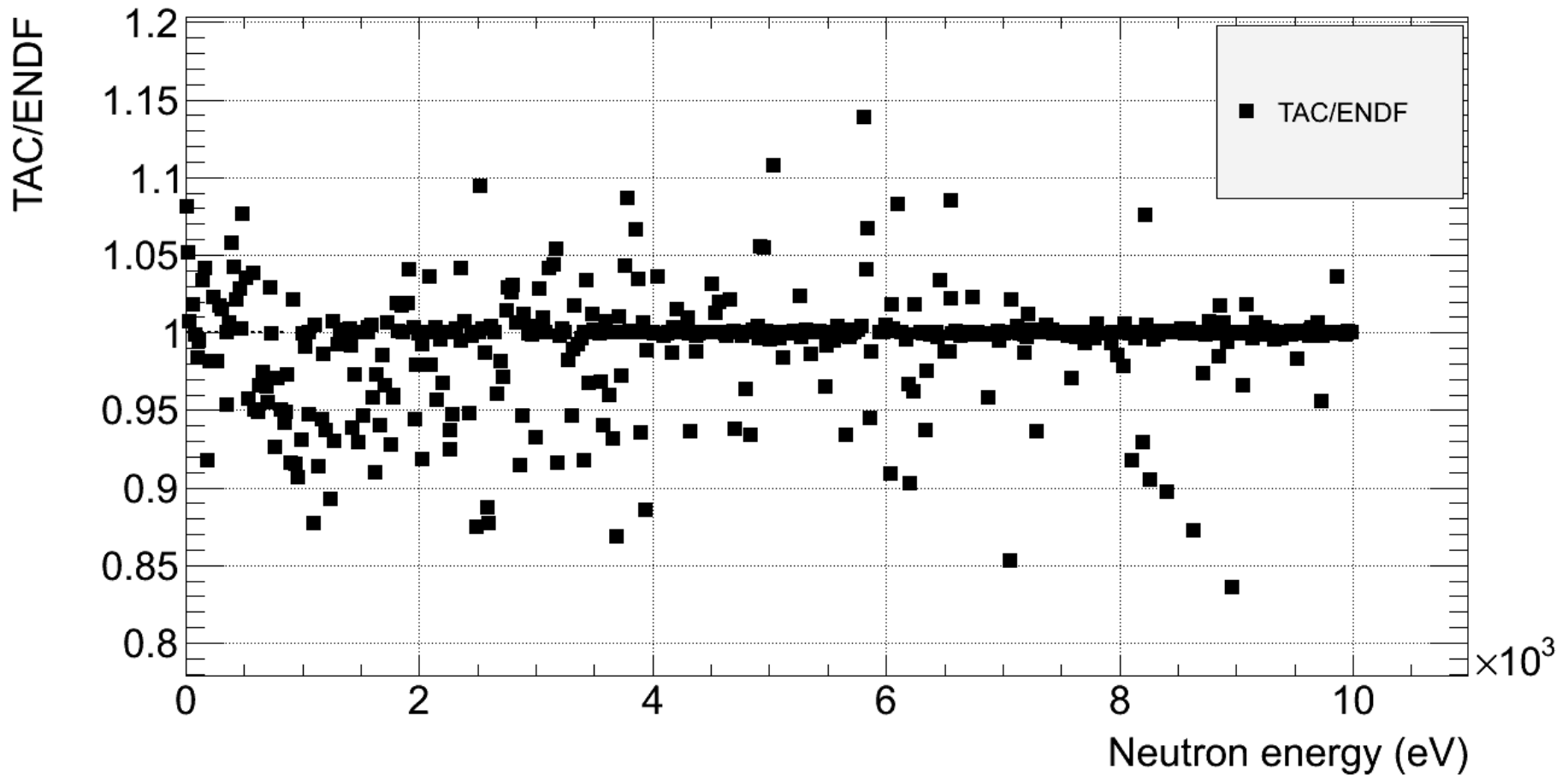
As we reach 5 keV, statistics start to be limiting

Let's look at the resonance kernels and compare to ENDF to see if we can see any systematics

$$RK = \frac{\Gamma_n \cdot \Gamma_\gamma}{\Gamma_n + \Gamma_\gamma}$$



# Kernel comparison



Unfortunately no error bars yet, as it is not trivial....

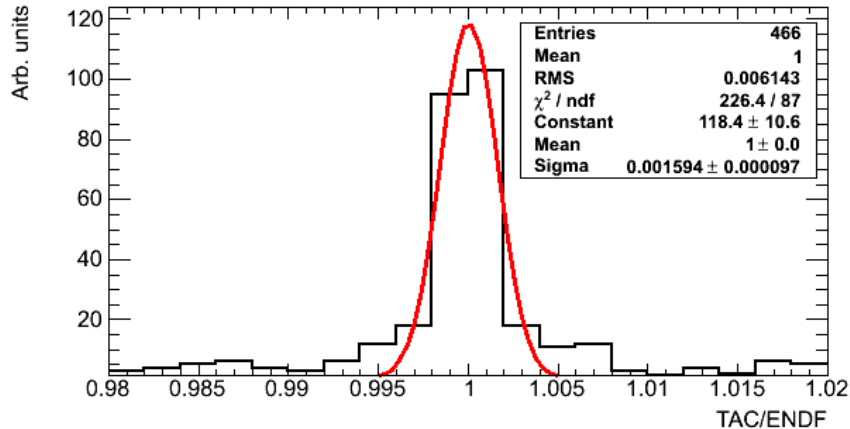


Toby Wright, n\_TOF Annual Meeting 2013, Bologna

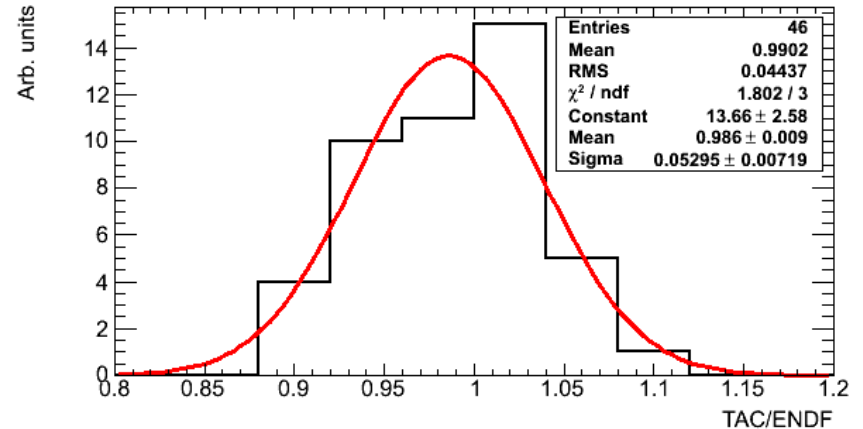


# Projections

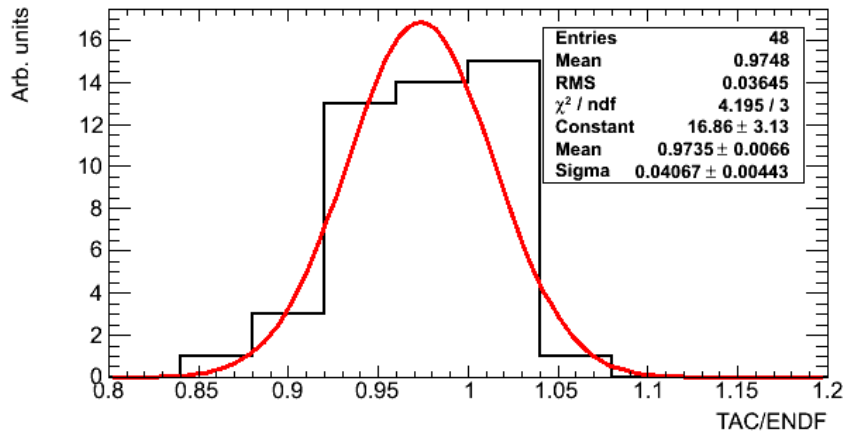
TAC/ENDF Projection all neutron energies



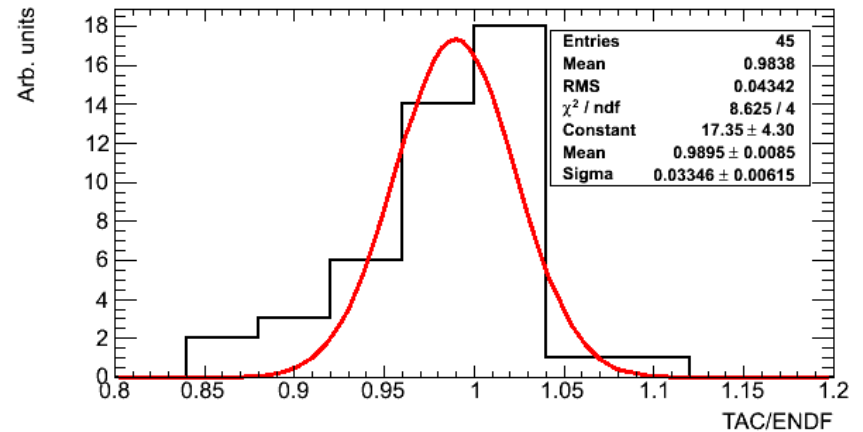
TAC/ENDF Projection  $1 < E_n < 1000$



TAC/ENDF Projection  $1000 < E_n < 2000$

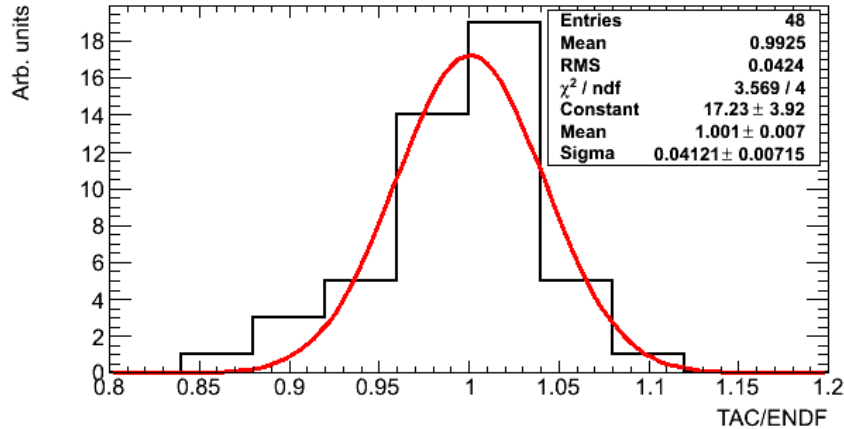


TAC/ENDF Projection  $2000 < E_n < 3000$

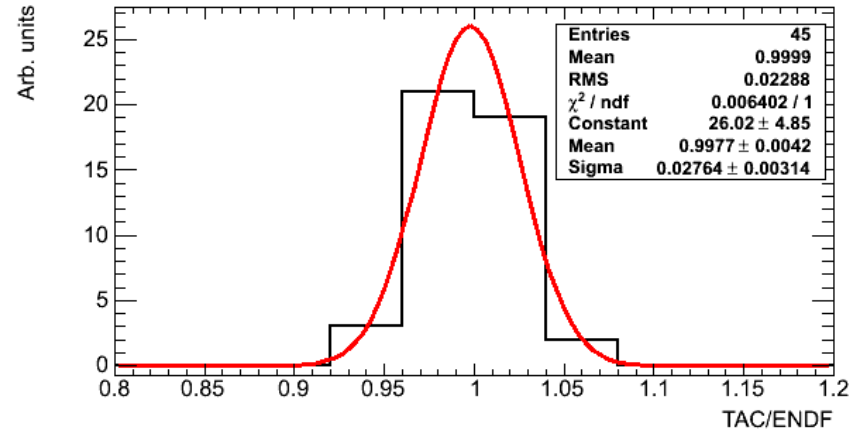


# Projections

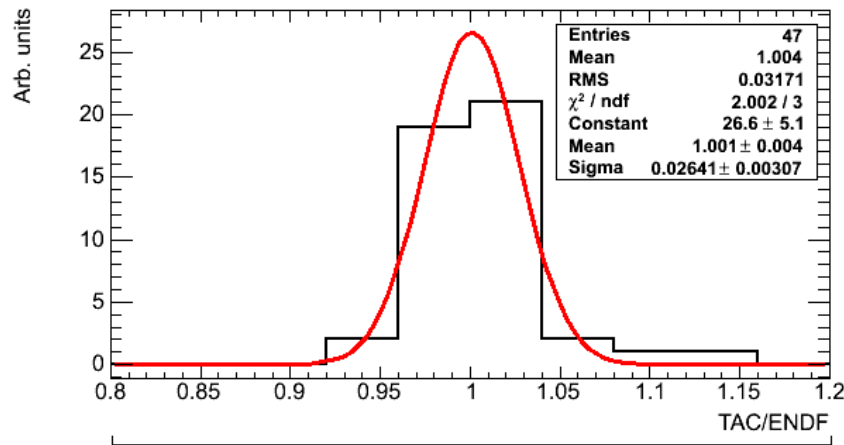
TAC/ENDF Projection 3000<E<sub>n</sub><4000



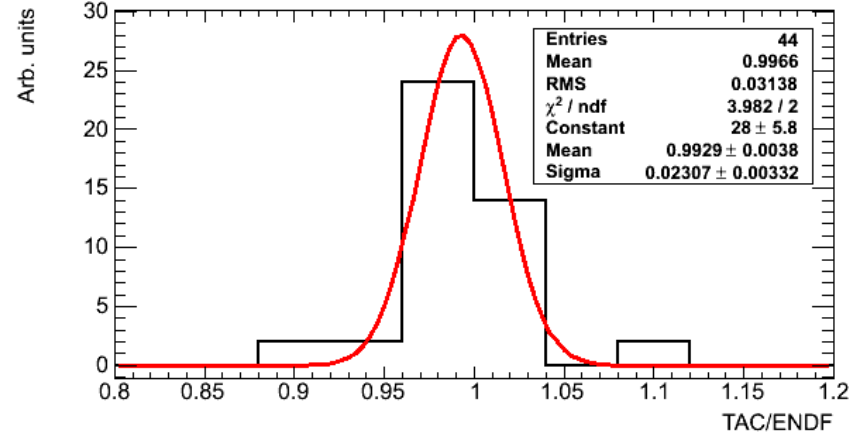
TAC/ENDF Projection 4000<E<sub>n</sub><5000



TAC/ENDF Projection 5000<E<sub>n</sub><6000

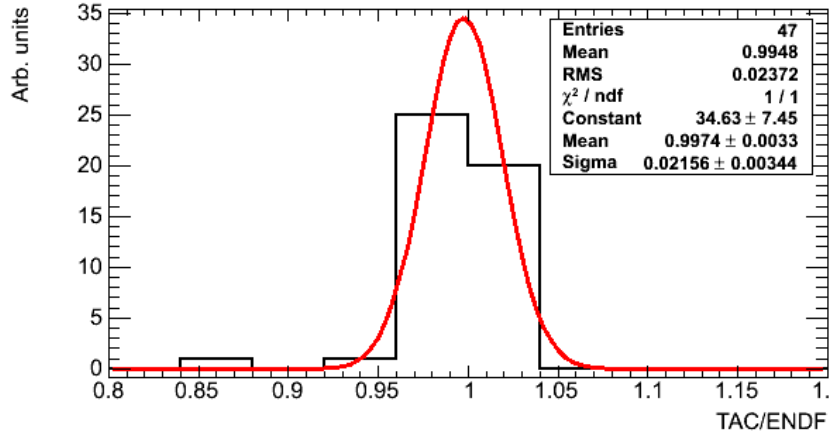


TAC/ENDF Projection 6000<E<sub>n</sub><7000

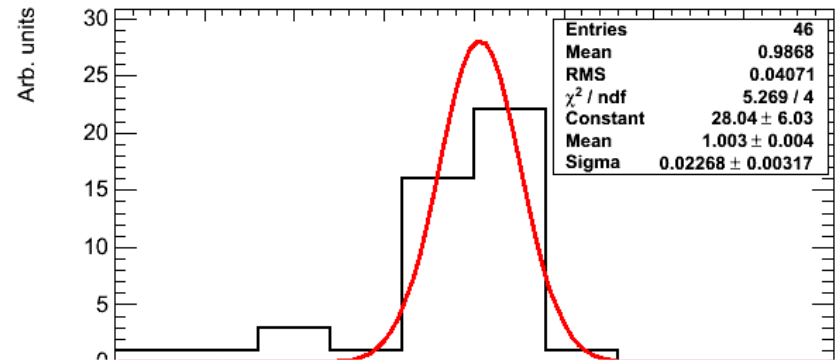


# Projections

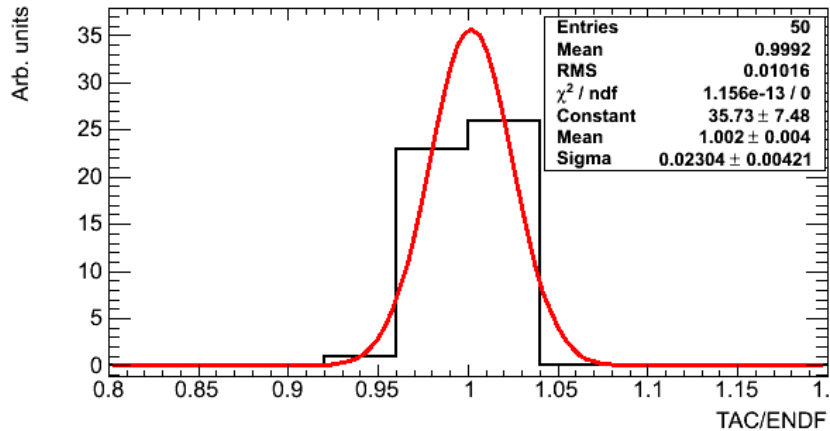
TAC/ENDF Projection 7000<E<sub>n</sub><8000



TAC/ENDF Projection 8000<E<sub>n</sub><9000



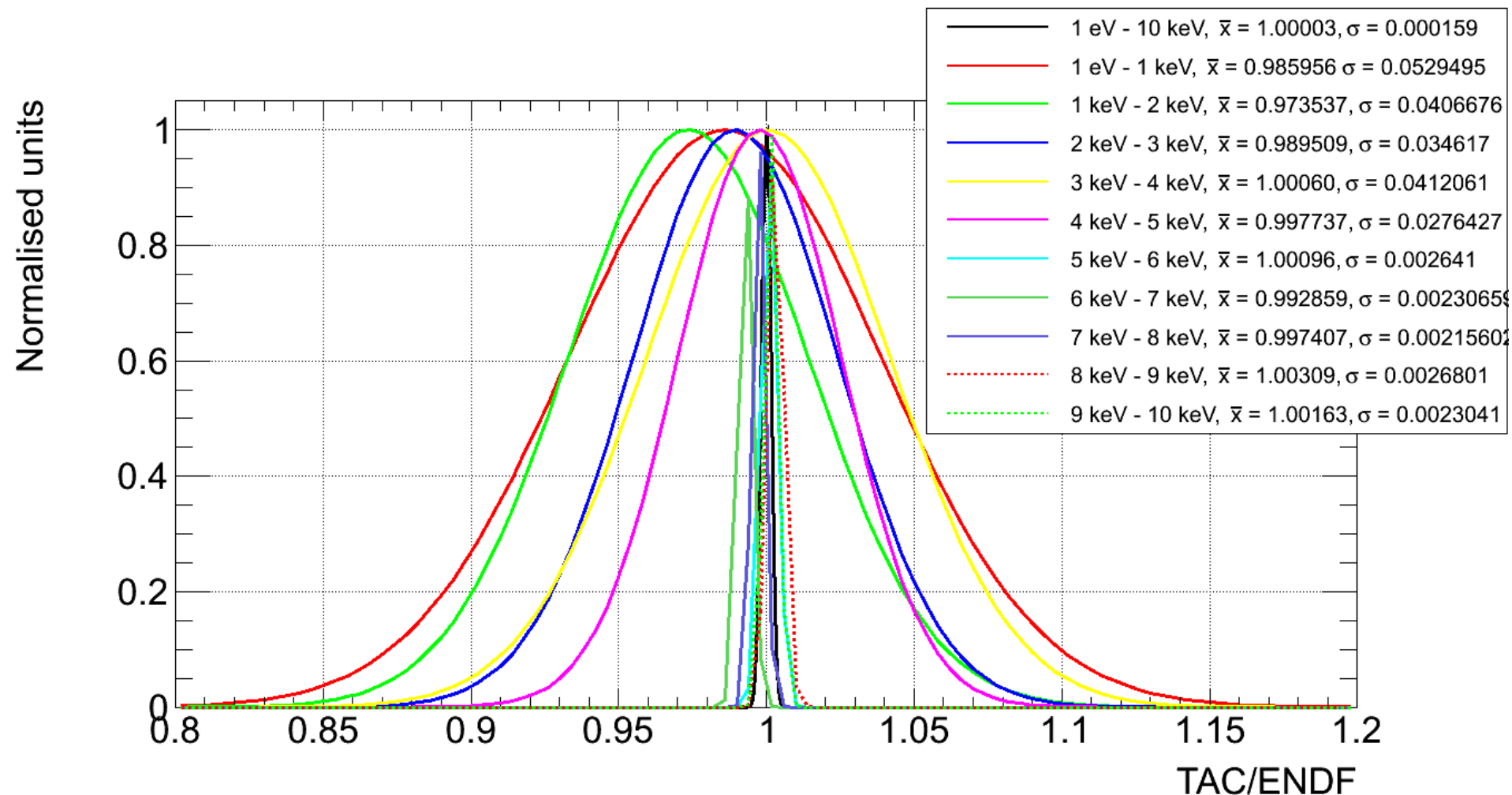
TAC/ENDF Projection 9000<E<sub>n</sub><10000



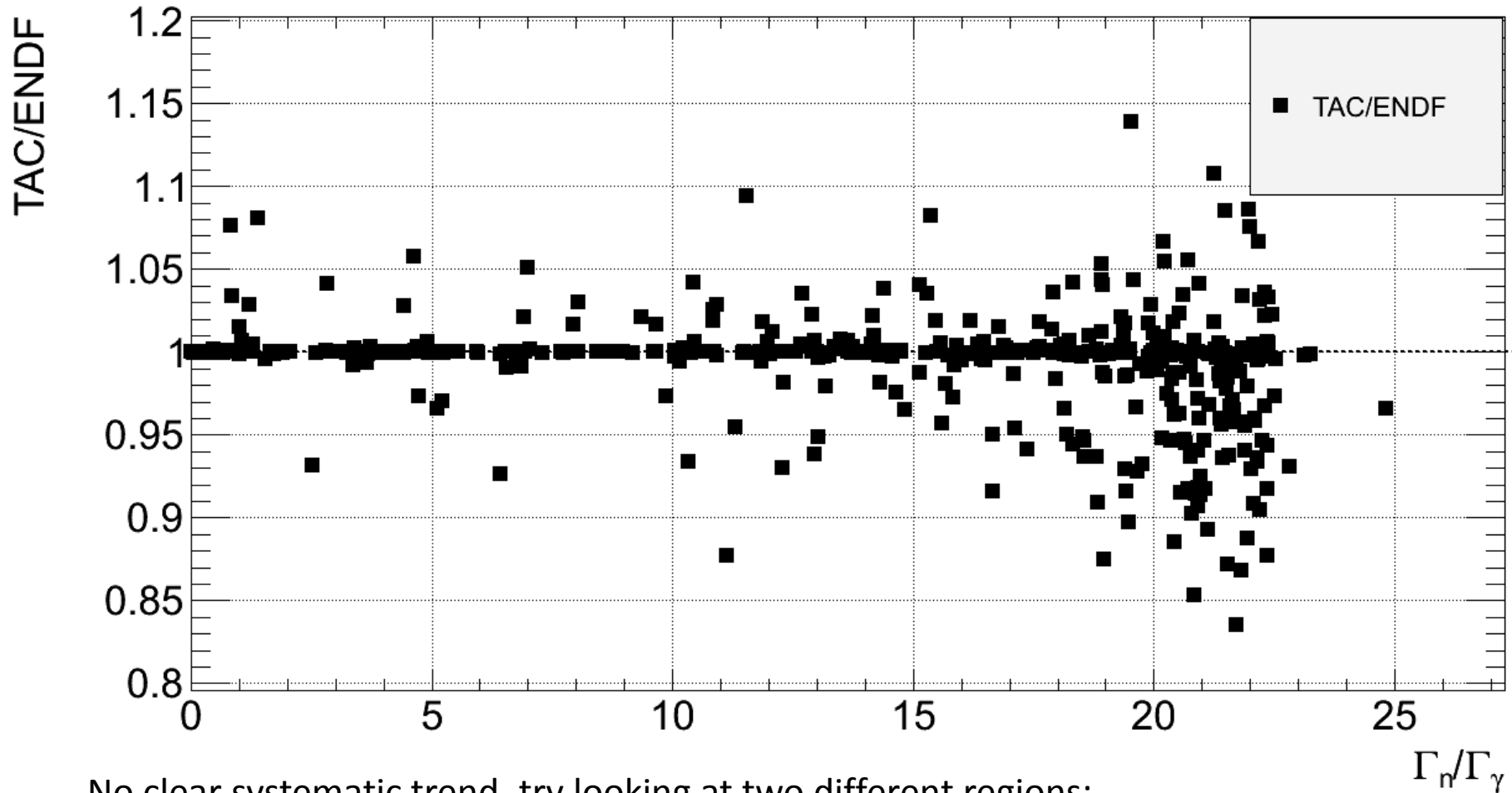
Energy range (eV)	Mean	Sigma
All	1.000	0.00159
1-1000	0.986	0.0529
1000-2000	0.974	0.0407
2000-3000	0.990	0.0346
3000-4000	0.998	0.0412
4000-5000	1.001	0.02764
5000-6000	0.993	0.002641



# Fitted Gaussians



# Kernel scattering comparison



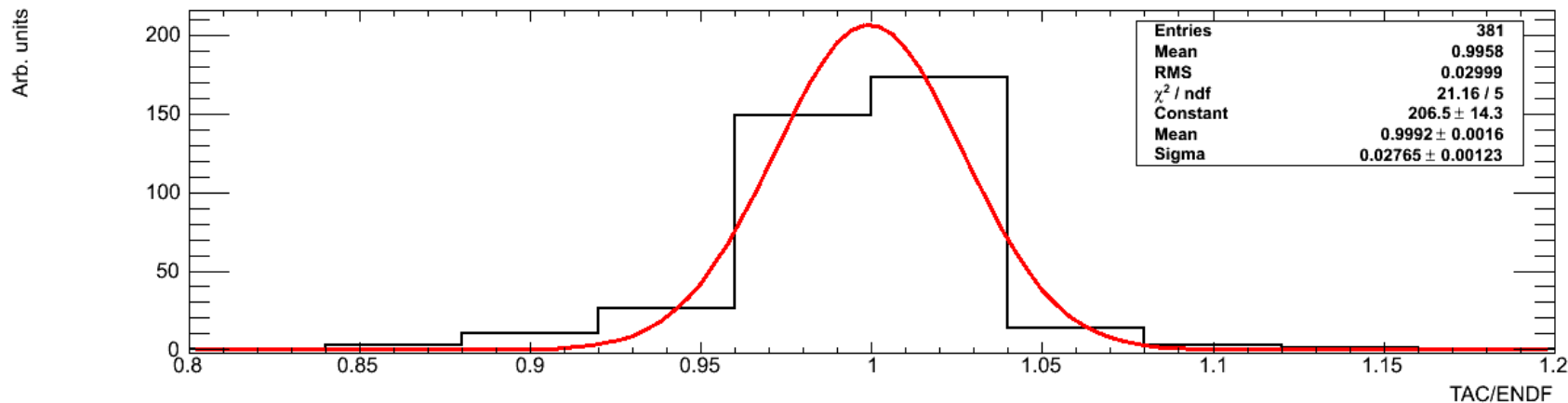
No clear systematic trend, try looking at two different regions:  
high scattering and low scattering



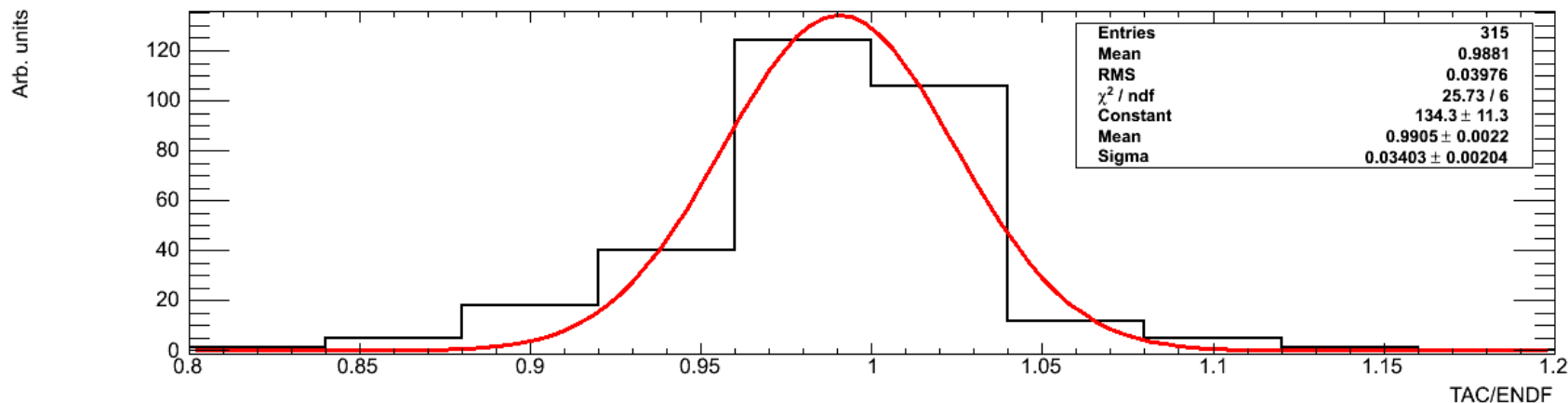
Toby Wright, n\_TOF Annual Meeting 2013, Bologna

# Projections

TAC/ENDF Projection  $\Gamma_n/\Gamma_\gamma < 10$ .



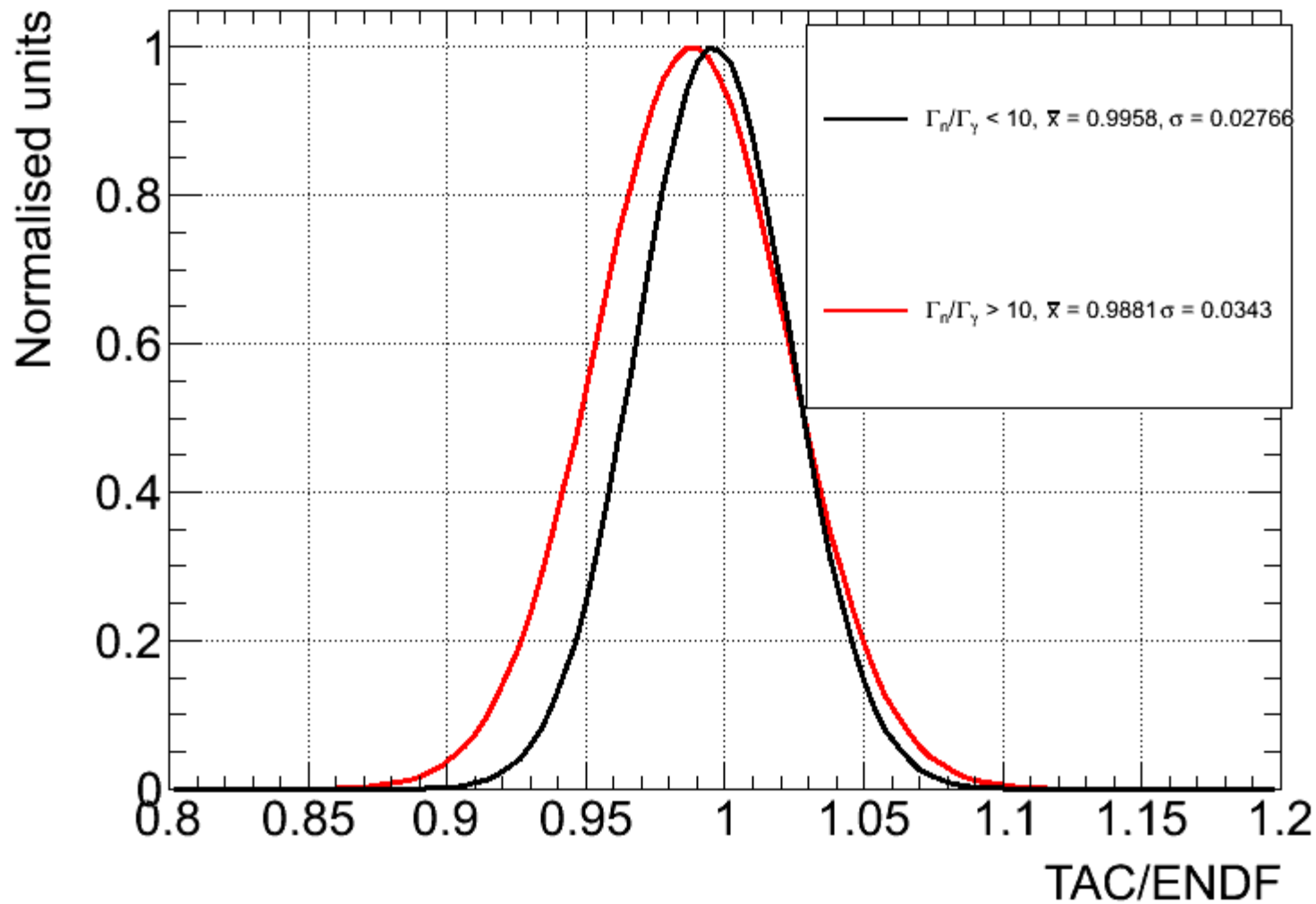
TAC/ENDF Projection  $\Gamma_n/\Gamma_\gamma > 10$ .



The University of Manchester

Toby Wright, n\_TOF Annual Meeting 2013, Bologna

# Fitted Gaussians



# Conclusions

## **Dead-time and pile-up effects have been minimised and corrected for.**

A combination of low pulse intensity and an innovative dead time correction method have been implemented to deal with this issue.

## **Normalisation to the first resonance must be accurate within 1%.**

The first resonance is now fitted much better, and the normalisation to the first three resonances all agrees within 1 % giving confidence to this issue.

## **Final uncertainty of this individual measurement should be no larger than 3% up to 10 keV**

This is achievable, the uncertainties related to each individual step in the analysis can be found in the ANDES report

## **Statistics must be sufficient**

By choosing appropriate binning this is achieved

## **The TAC and C<sub>6</sub>D<sub>6</sub> data sets should be compared in depth**

This shall be done in the immediate future

**The initial comparison with ENDF looks promising – the data should be useful in the upcoming <sup>238</sup>U evaluation as part of CIELO**



Toby Wright, n\_TOF Annual Meeting 2013, Bologna