

BESIII



Charmonium radiative transitions

Ke LI^{1,2}

¹Shandong University

² Institute of High Energy of Physics

(for the BESIII collaboration)



- What we want to measure
- What we have done
- What we will do



$$\Gamma(J/\psi \rightarrow \gamma\eta_c)$$

PDG2014: 1.58 ± 0.37 keV

Lattice QCD 2.49 ± 0.19 keV

Error is large

PRD 86,094501

η_c lineshape

Big difference between different measurements

Interference common phase in $\psi(3686) \rightarrow \gamma\eta_c$?

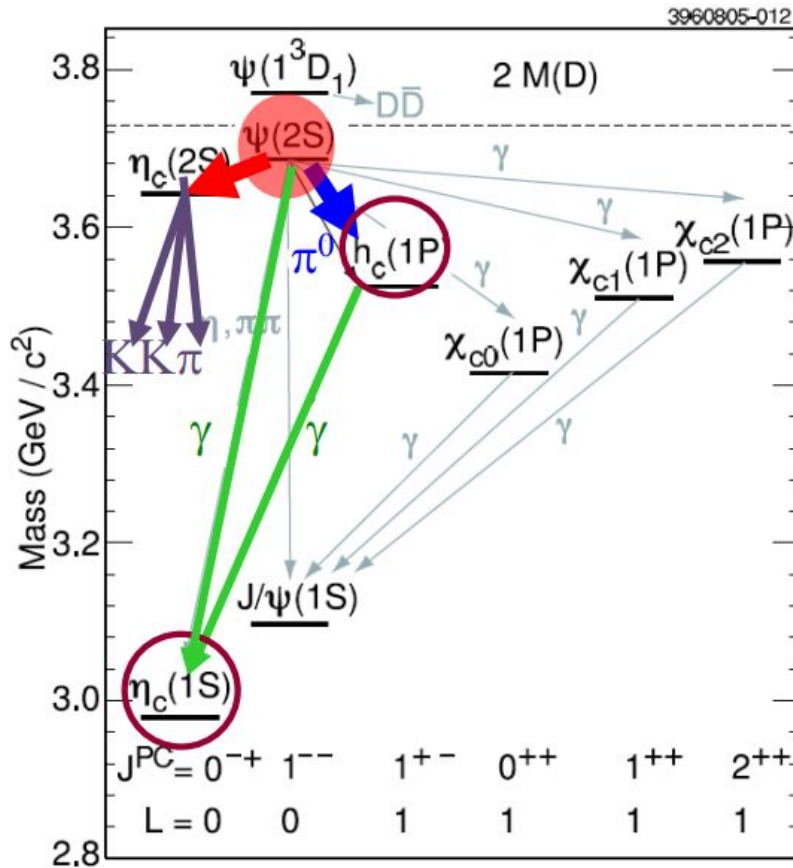
$$\mathcal{B}(\psi(3686) \rightarrow \gamma\eta_c(2S))$$

$(7 \pm 2 \pm 4) \times 10^{-4}$ (PDG2014),

systematic error dominated by $\mathcal{B}(\eta_c(2S) \rightarrow KK\pi)$

$$\mathcal{B}(\psi(3686) \rightarrow \gamma\eta_c)$$

$(0.34 \pm 0.05) \times 10^{-2}$ (PDG2014),

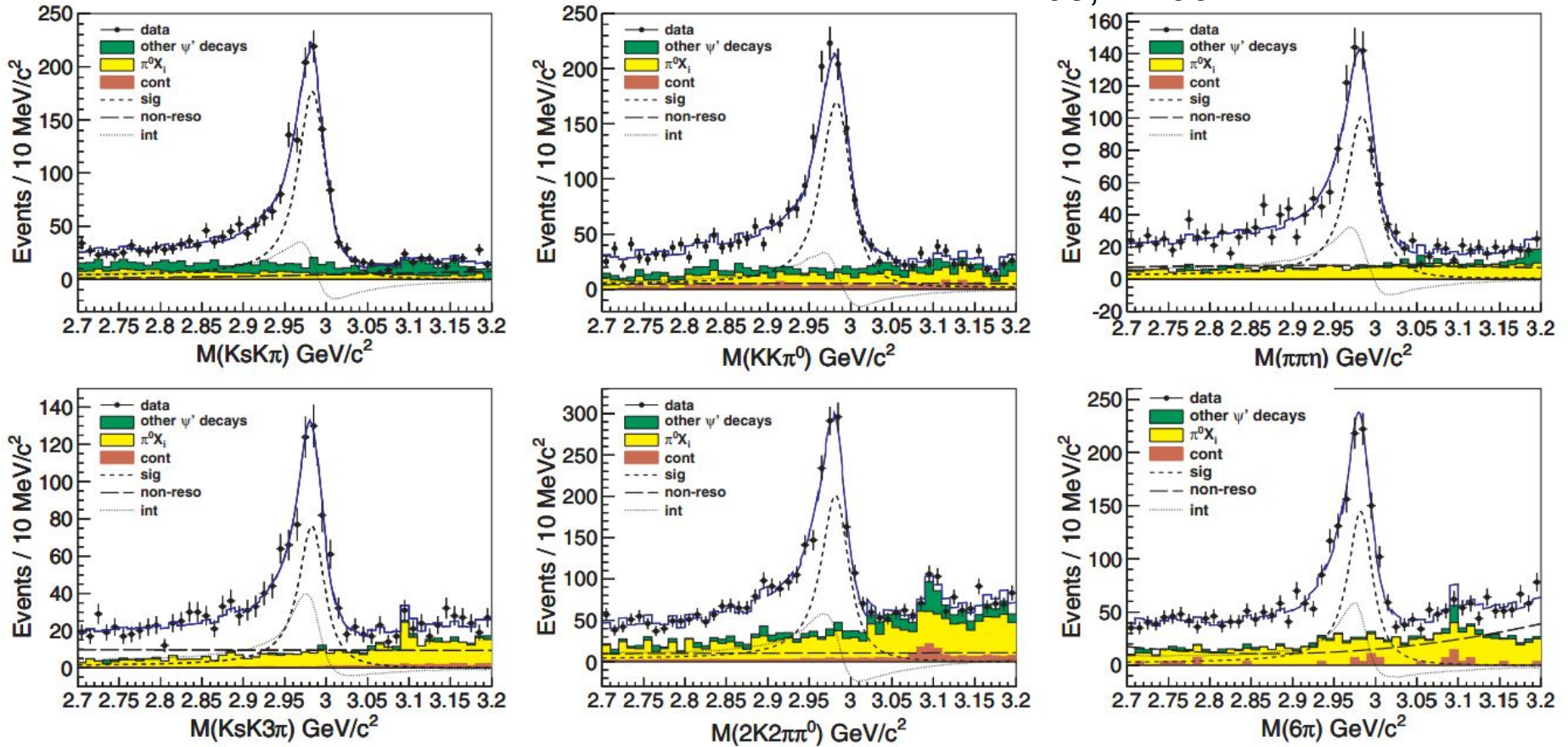


- η_c line-shape
 - $\psi(3686)$ M1 transition
 - h_c E1 transition
- M1 transition $\psi(3686) \rightarrow \gamma \eta_c(2S)$
first observation
- $\psi(3770) \rightarrow \gamma \eta_c / \eta_c(2S)$

What we used

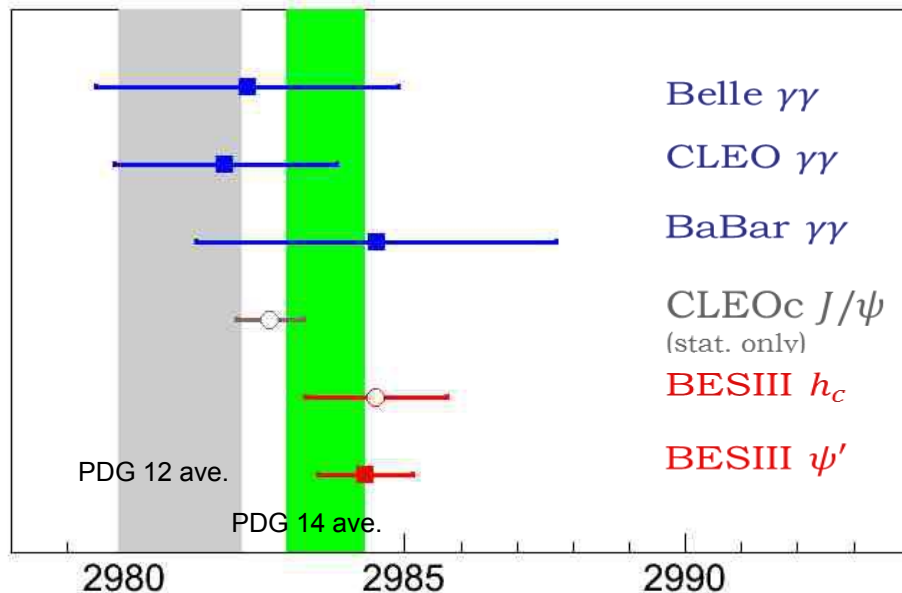
106 M $\psi(3686)$ data

2.92 fb⁻¹ $\psi(3770)$ data.

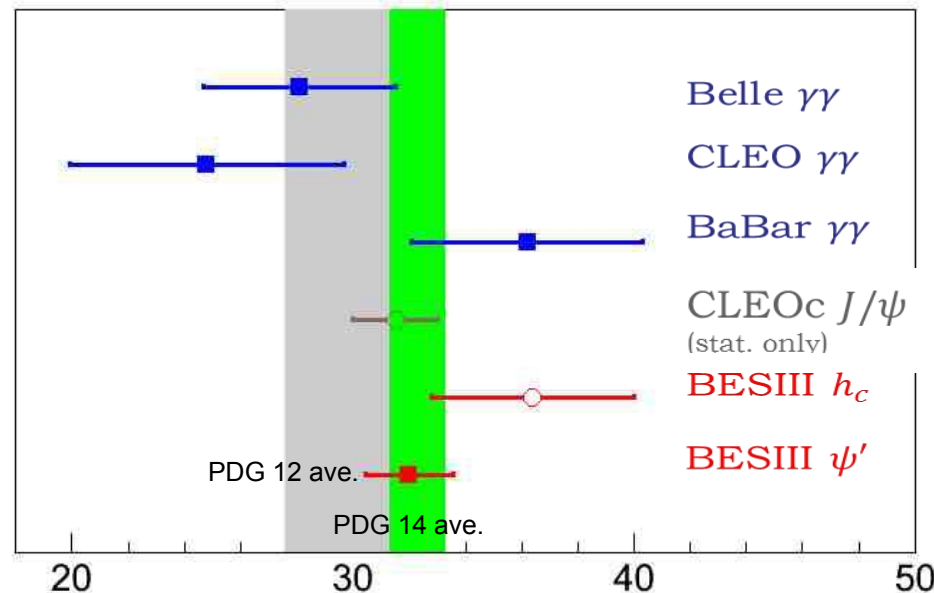


Simultaneous fit with modified Breit-Wigner (hindered M1).
Significance of interference is of order 15σ .

(may partly clarify the discrepancy puzzle)



η_c mass (MeV)



η_c width (MeV)

mass = $2984.3 \pm 0.6 \pm 0.6 \text{ MeV}/c^2$ $2983.9 \pm 0.6 \pm 0.6 \text{ MeV}/c^2$

width = $32.0 \pm 1.2 \pm 1.0 \text{ MeV}$ $31.3 \pm 1.2 \pm 0.9 \text{ MeV}$

Relative phases are consistent with each other within 3σ .

$\phi = 2.40 \pm 0.07 \pm 0.47 \text{ rad}$

The phases are constrained to be same

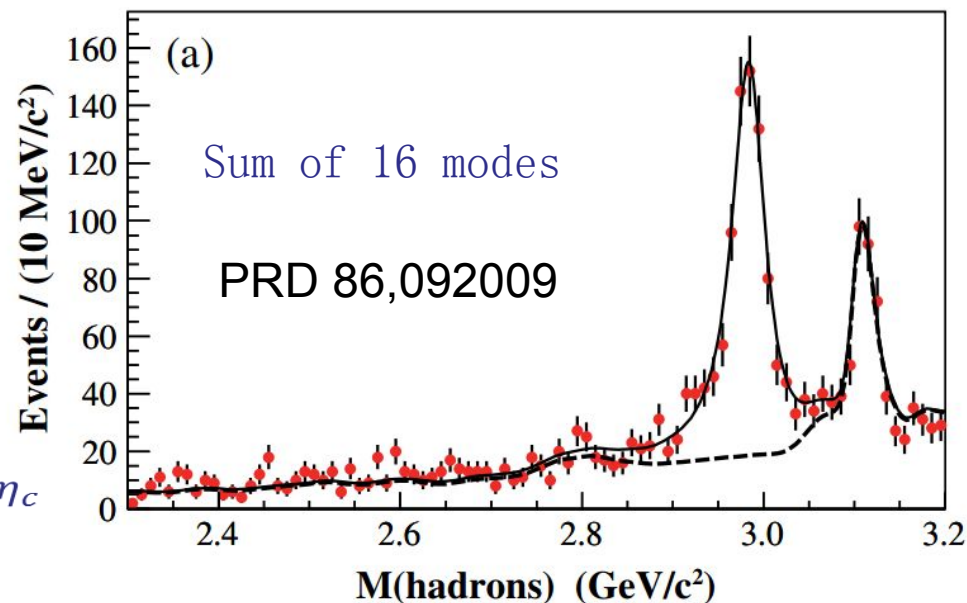
Suggest a common phase in all the modes.

Huge interference in $\psi(3686) \rightarrow \gamma\eta_c$

The η_c amplitude in h_c decays is larger than in $\psi(3686)$ decays.

Weaker interference in $h_c \rightarrow \gamma\eta_c$

Easier and better than $\psi(3686) \rightarrow \gamma\eta_c$



$$\text{Signal: } [E_\gamma^3 \times BW(m) \times f_d(E_\gamma)] \otimes R_i(m)$$

Energy of photon in rest frame of h_c

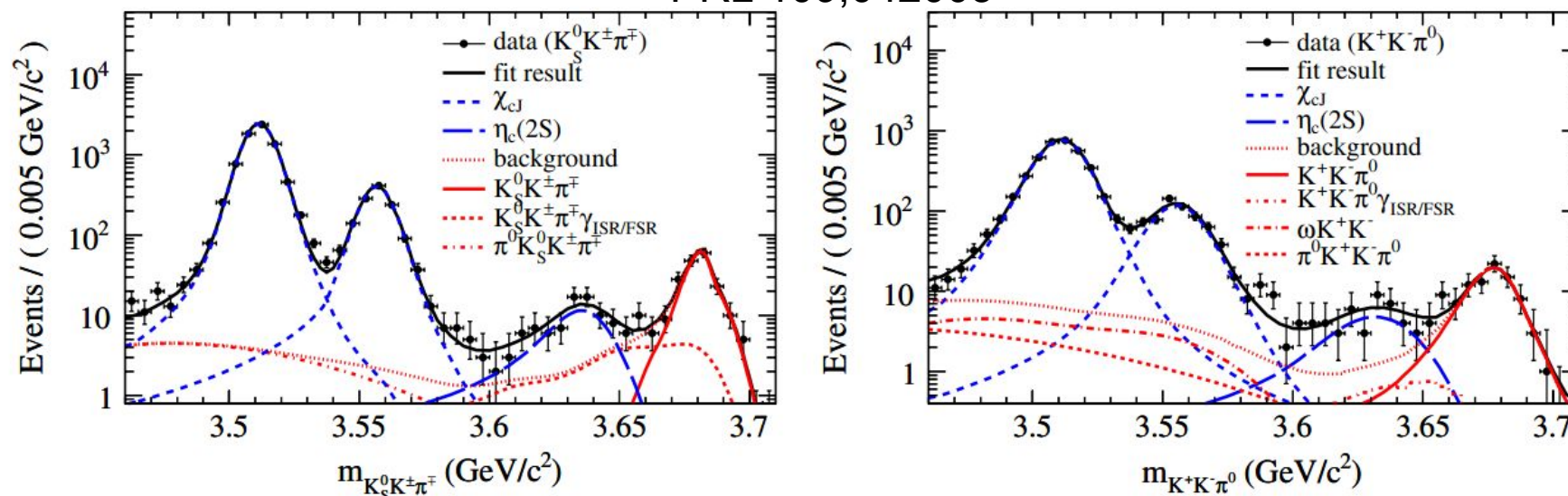
For convergence

Resolution for i th mode

$$M(\eta_c) = 2984.40 \pm 1.16 \pm 0.52 \text{ MeV}/c^2$$

$$\Gamma(\eta_c) = 36.4 \pm 3.2 \pm 1.7 \text{ MeV}/c^2$$

PRL 109,042003



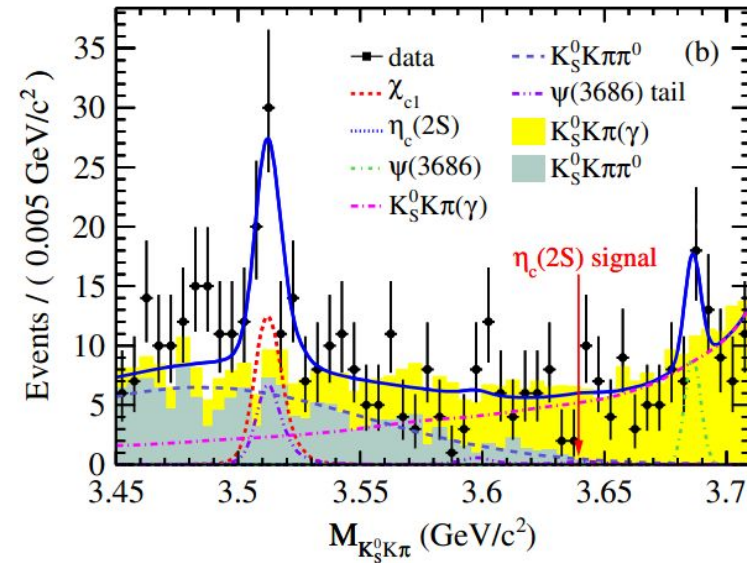
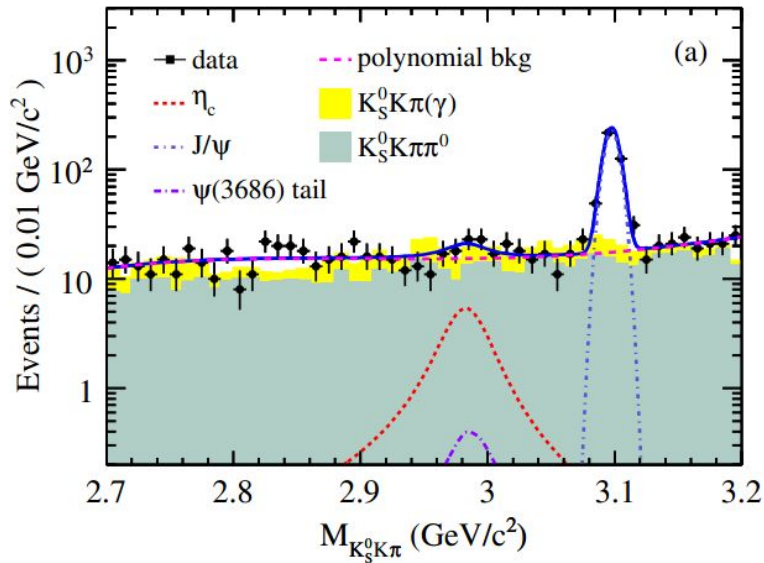
Significance larger than 10σ

$$M_{\eta_c(2S)} = 3637.6 \pm 2.9 \pm 1.6 \text{ MeV}/c^2$$

$$\Gamma_{\eta_c(2S)} = 16.9 \pm 6.4 \pm 4.8 \text{ MeV}$$

$$\mathcal{B}(\psi(3686) \rightarrow \gamma\eta_c(2S)) = (6.8 \pm 1.1 \pm 4.5) \times 10^{-4}$$

Systematic error is dominated by $\mathcal{B}(\eta_c(2S) \rightarrow KK\pi)$



This work

PRD 89,112005

$$\mathcal{B}(\psi(3770) \rightarrow \gamma\eta_c) < 6.8 \times 10^{-4} \quad \mathcal{B}(\psi(3770) \rightarrow \gamma\eta_c(2S)) < 2.0 \times 10^{-3}$$

Consider the intermediate meson loop (IML). (PRD 84,074005)

$$\mathcal{B}(\psi(3770) \rightarrow \gamma\eta_c) = (6.3_{-4.4}^{+8.4}) \times 10^{-4}, \quad \mathcal{B}(\psi(3770) \rightarrow \gamma\eta_c(2S)) = (6.7_{-4.4}^{+7.2}) \times 10^{-5}$$

What we will do

$1.06 \times 10^8 \psi(3686)$ 2009

$\sim 3.5 \times 10^8 \psi(3686)$ 2012,
(under data quality check, will be available soon))

$\sim 1 \times 10^9 J/\psi$ data

$\sim 5 \text{ fb}^{-1}$ data above 4.0 GeV

$\Gamma(J/\psi/\psi(3686) \rightarrow \gamma\eta_c)$

η_c lineshape

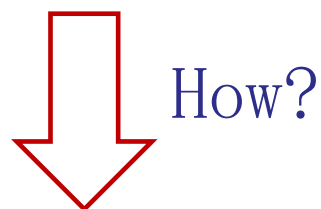
Inclusive

Difficult to deal with the interference.

Exclusive

Seems simpler than inclusive method.

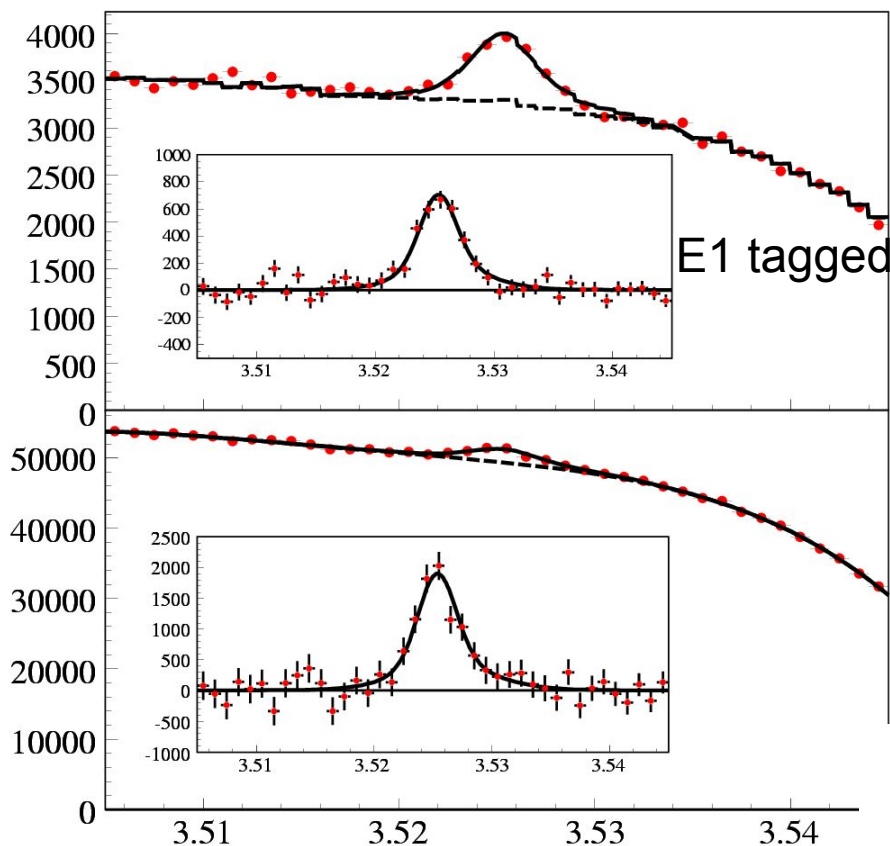
Need to know a branching ratio in high precision



Use $h_c \rightarrow \gamma\eta_c$ Seems no interference

inclusive and exclusive

PRL 104,132002 $1.06 \times 10^8 \psi(3686)$



Select inclusive π^0 in $\psi(3686)$ decays



Select E1 photon in $h_c \rightarrow \gamma \eta_c$ (E1 tagged)



Absolute branching fraction
 $B(h_c \rightarrow \gamma \eta_c) = (54.3 \pm 6.7 \pm 5.2)\%$

dominated by BKG shape

Will be improved

Now $\psi(3686) \sim 4.5$ times.

And $\sim 5 \text{ fb}^{-1}$ data above 4.0 GeV $\pi\pi h_c \sim 2$ times with part of data $\pi^+\pi^-h_c$

PRL 111,242001

Together we have ~ 9 times h_c yield .

- Measure $\mathcal{B}(h_c \rightarrow \gamma\eta_c)$ using inclusive method.
- $\mathcal{B}(\eta_c \rightarrow X)$ for 16 exclusive modes. More precise η_c lineshape.

$$\mathcal{B}(\eta_c \rightarrow K_S^0 K^\pm \pi^\mp) = (2.60 \pm 0.29(\text{stat}) \pm 0.34 \pm 0.25(\text{syst}))\% \text{ PRD 86,092009}$$

reduce to one-third

Due to $\mathcal{B}(\psi(3686) \rightarrow \pi^0 h_c) \cdot \mathcal{B}(h_c \rightarrow \gamma\eta_c)$,
Will be improved

dominant systematic errors

N($\psi(3686)$):	4%	1%
Tracking:	8%	4%
Photon:	3%	1%
Bkg shape:	4.7%	More reliable
Kinematic fit:	6.8%	MC

- $\mathcal{B}(J/\psi/\psi(3686) \rightarrow \gamma\eta_c)$ using exclusive method.

Understand the difference.



$\Gamma(\psi(3686) \rightarrow \gamma\eta_c(2S))$ $\eta_c(2S)$ lineshape

Inclusive

Seems impossible at BESIII, ~ 50 MeV photon

Exclusive

$\mathcal{B}(\eta_c(2S) \rightarrow X)$, error $> 60\%$ PDG 2014.

Difficult to measure $\mathcal{B}(\eta_c(2S) \rightarrow X)$ at BESIII

Hope this work will be done at Belle or Babar.

Transition from $\eta_c(2S)$ Theoretical predictions

$$\mathcal{B}(\eta_c(2S) \rightarrow \pi^+\pi^-\eta_c) = (5 - 10)\%$$

$$\mathcal{B}(\eta_c(2S) \rightarrow \gamma J/\psi) = 7 \times 10^{-4}$$

$$\mathcal{B}(\eta_c(2S) \rightarrow \gamma h_c) = 4 \times 10^{-3}$$

Summary

- The η_c parameters are measured through M1 transition of $\psi(3686)$ and E1 transition of h_c . The most accurate measurement.
- First observation of M1 transition $\psi(3686) \rightarrow \gamma\eta_c(2S)$
- The upper limit on branching ratio of $\psi(3770) \rightarrow \gamma\eta_c(\eta_c(2S))$.

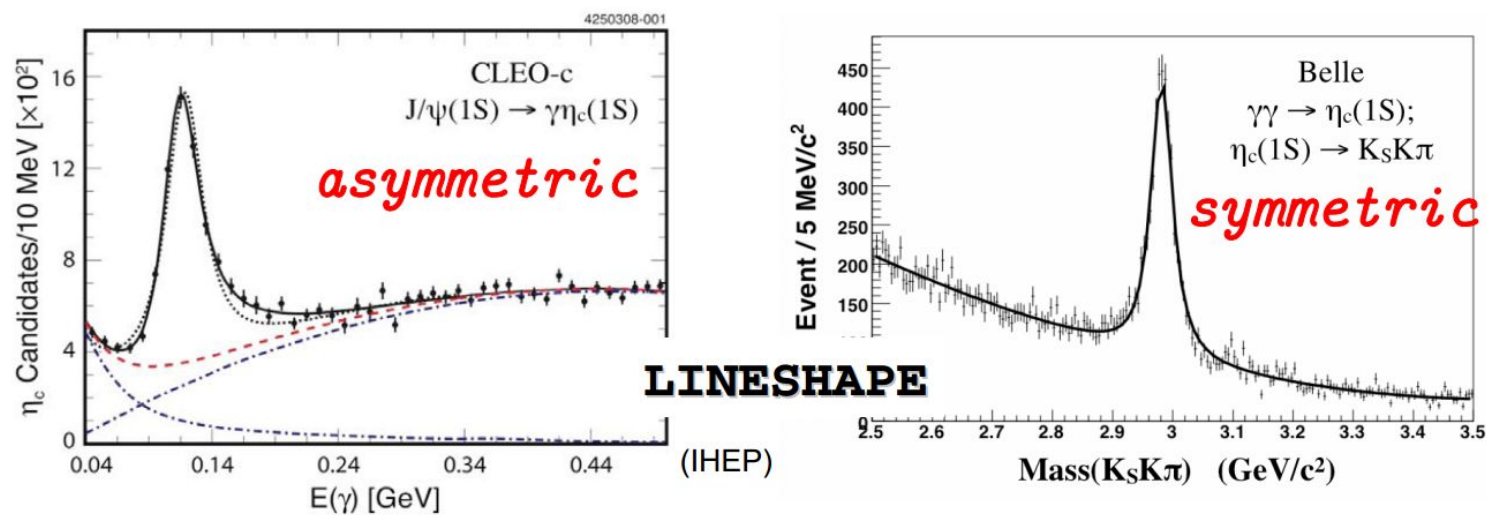
We can measure $\Gamma(J/\psi/\psi(3686) \rightarrow \gamma\eta_c)$ more precise.

More result will come out.



Back-up

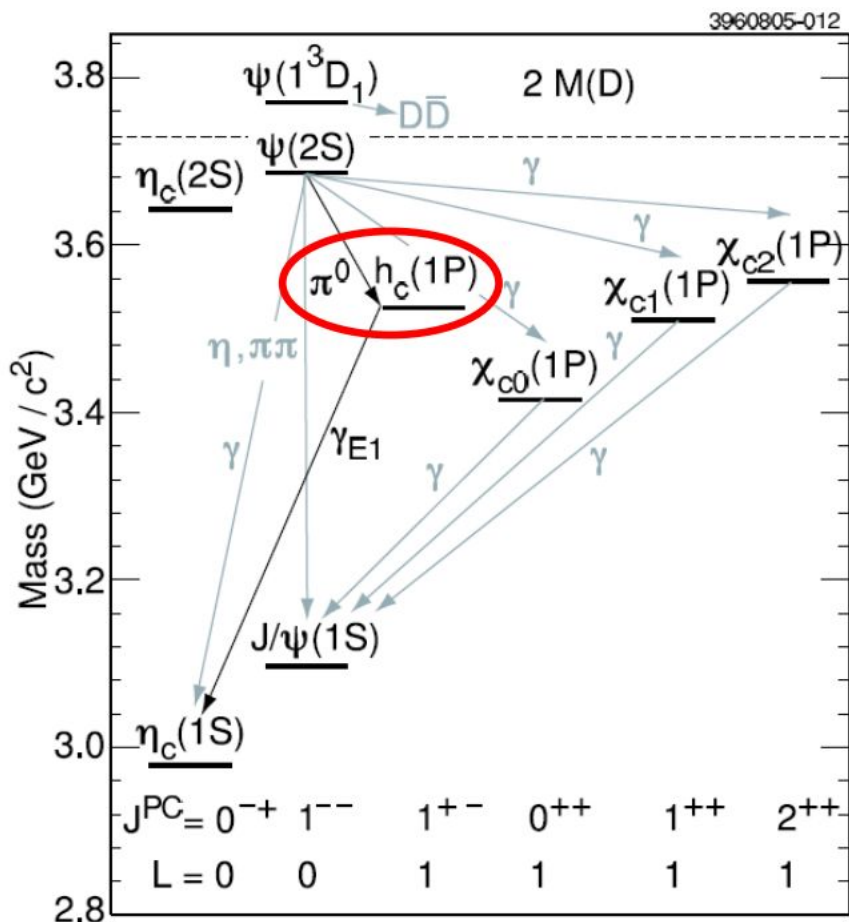
- Large uncertainties compared to other charmonium states.
- Big difference between different measurements ($\gamma\gamma$ fusion, B decays ...)
- Distortion of η_c line-shape in $\psi(3686) \rightarrow \gamma\eta_c$ compared with $J/\psi \rightarrow \gamma\eta_c$
- 1S Hyperfine splitting.



- Use 1.06×10^8 $\psi(3686)$ events.
- Full interference between $\gamma\eta_c$ and non-resonant $\psi(3686)$ radiative decay.
- Six modes to reconstruct the η_c :
 $K_S K^+ \pi^-$, $K^+ K^- \pi^0$, $\eta \pi^+ \pi^-$,
 $K_S K^+ \pi^+ \pi^- \pi^-$, $K^+ K^- \pi^+ \pi^- \pi^0$, $3(\pi^+ \pi^-)$.

$$F(m) = \sigma \otimes \left[\epsilon(m) \left| e^{i\phi} E_\gamma^{7/2} S(m) + \alpha N(m) \right|^2 \right] + B(m)$$

resolution \swarrow
 Interference phase \swarrow
 Mass-dependent efficiency \swarrow
 Hindered M1 transition \swarrow
 Non-resonant component \swarrow



Huge interference in $\psi(3686) \rightarrow \gamma\eta_c$

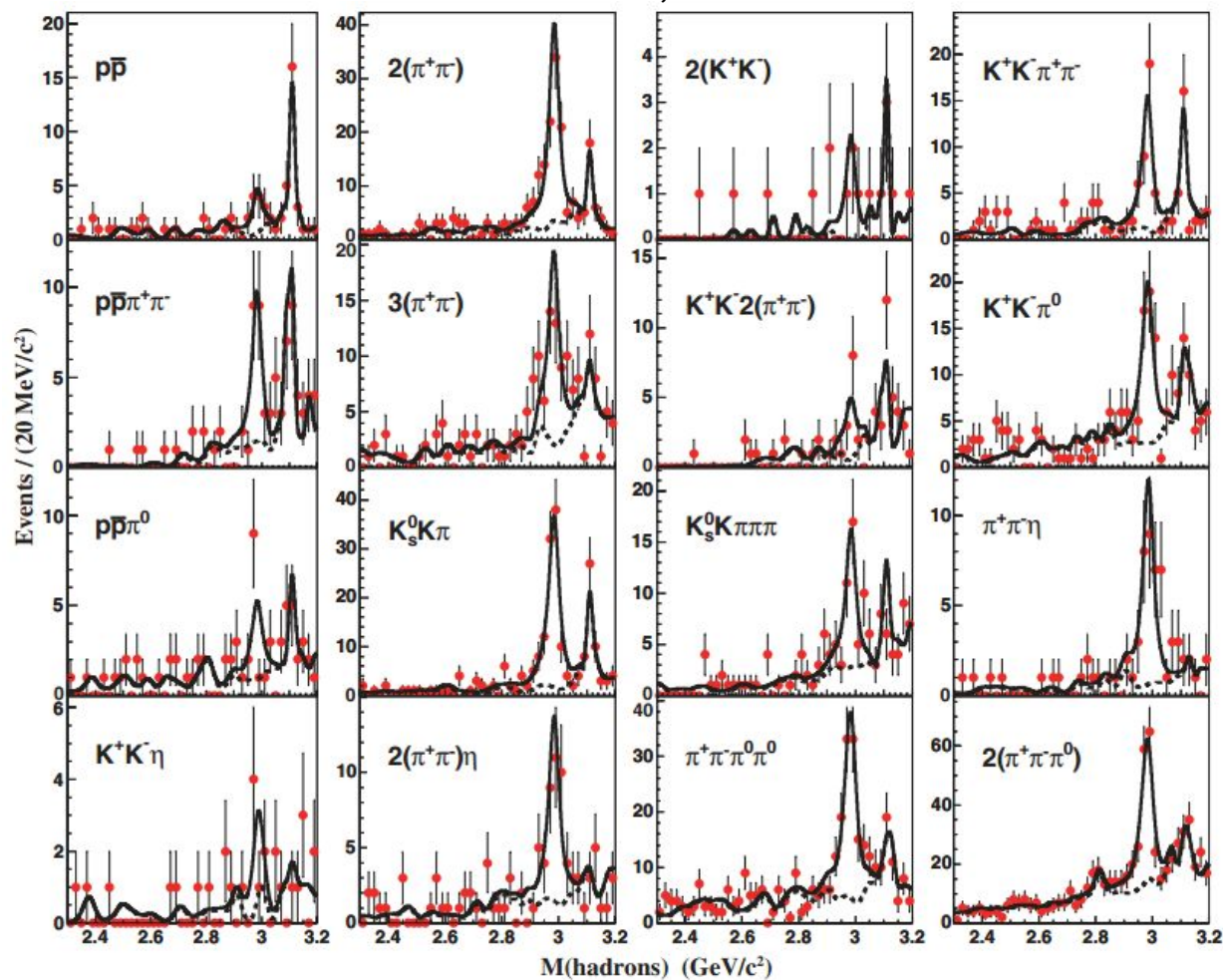
The η_c amplitude in h_c decays is much larger than in $\psi(3686)$ decay.

Interference term in $h_c \rightarrow \gamma\eta_c$ is much smaller than that in $\psi(3686) \rightarrow \gamma\eta_c$

Means η_c line-shape from h_c E1 transition can be measured easier and better than $\psi(3686)$?

Branching ratio of $h_c \rightarrow \gamma\eta_c$

PRD 86,092009

Simultaneous fit to combine 16 η_c decay modes.

$\eta_c(2S)$ signal:

$$\left[E_\gamma^3 \times BW(m) \times f_d(E_\gamma) \times \epsilon(m) \right] \otimes G(\delta m, \sigma)$$

\downarrow M1 transition \swarrow For convergence \downarrow Mass shift and detector resolution, fixed to linear extrapolation from $\gamma\chi_{cJ}$

χ_{cJ} : MC shape \otimes Gaussian, fixed

Background:

$e^+e^- \rightarrow KK\pi(\gamma_{ISR/FSR})$, MC shape, normalized to the measurements with data

$e^+e^- \rightarrow \pi^0 KK\pi$, Novosibirsk function, measured with data and fixed

ωK^+K^- for $K^+K^-\pi^0$ mode, double Gaussian, measured with data and fixed.



The first observation of the M1 transition $\psi(3686) \rightarrow \gamma\eta_c(2S)$



- First observed by Belle in the process $B^+ \rightarrow K^\pm\eta_c(2S)$, $\eta_c(2S) \rightarrow K_S^0 K^\pm \pi^\mp$, confirmed in two-photon production and double-charmonium production.
- Experimental challenge: search for real photon $\sim 50\text{MeV}$.
- The branching ratio $\mathcal{B}(\psi(3686) \rightarrow \gamma\eta_c(2S))$ is predicted to be in $(0.1 - 6.2) \times 10^{-4}$
- Chance with 1.06×10^8 $\psi(3686)$ data at BESIII.
- Two modes: $\eta_c(2S) \rightarrow K_S^0 K^\pm \pi^\mp, K^+ K^- \pi^0$

- Lightest charmonium state above open charm threshold, assigned to be a dominant 1^3D_1 with a small 2^3S_1 admixture.
- Non- $D\bar{D}$ branching fraction, $(14.7 \pm 3.2)\%$ by BESIII, $(-3.3 \pm 1.4_{-4.8}^{+6.6})\%$ by CLEO
- Exclusive modes:
Hadronic transition: $\pi\pi J/\psi$, $\eta J/\psi$, E1 radiative transition $\gamma\chi_{cJ}(J = 0,1)$

What about $\gamma\eta_c/\eta_c(2S)$?

$$\mathcal{B}(\psi(3770) \rightarrow \gamma\eta_c) = (6.3_{-4.4}^{+8.4}) \times 10^{-4}, \quad \mathcal{B}(\psi(3770) \rightarrow \gamma\eta_c(2S)) = (6.7_{-4.4}^{+7.2}) \times 10^{-5}$$

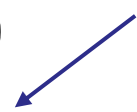


Consider the intermediate meson loop (IML). (PRD 84, 074005)

Background:

- $e^+e^- \rightarrow \pi^0 K_S^0 K^\pm \pi^\mp$, measured with data and fixed
- $e^+e^- \rightarrow (\gamma_{ISR}/\gamma_{FSR}) K_S^0 K^\pm \pi^\mp$, fixed,
using Born cross section of $e^+e^- \rightarrow K_S^0 K^\pm \pi^\mp$ by BABAR.
- Tail of the $\psi(3686)$, including $\gamma_{ISR}\psi(3686)$, $\psi(3686) \rightarrow \gamma X$

$$N_{\psi(3686)}^b = \sigma(s) \times \mathcal{L} \times \epsilon \times \mathcal{B}$$

$$\sigma(s) = \int_0^{x_{cut}} W(s, x) \cdot BW(s'(x)) \cdot F_x(s'(x)) dx$$

ISR γ -emission probability Relativistic Phase space factor

- Sensitive to the coupling between $c\bar{c}$ and $D\bar{D}$ meson pairs.
- E1 transition $\psi(3686) \rightarrow \gamma\chi_{cJ} \rightarrow \gamma\gamma J/\psi$

	$\mathcal{B}(\times 10^{-4})$
$\gamma\gamma J/\psi$	$3.1 \pm 0.6^{+0.8}_{-1.0} \quad 6.6\sigma$
$\gamma(\gamma J/\psi)_{\chi_{c0}}$	$15.1 \pm 0.3 \pm 1.0$
$\gamma(\gamma J/\psi)_{\chi_{c1}}$	$337.7 \pm 0.9 \pm 18.3$
$\gamma(\gamma J/\psi)_{\chi_{c2}}$	$187.4 \pm 0.7 \pm 10.2$

