

## Computational and experimental investigation of hydroformed niobium tubes for SRF cavities

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## Objective

Testing the **hydroformability** using **hydraulic tube bulge test** in preparation for the hydroforming of multi-cell cavities



welded nine-cell cavity

hydroformed nine-cell cavity

- 1. Obtain the accurate flow stress curve of tubular materials
- 2. Construct the simulation model

## Simulation strategy



Finite Element Method ABAQUS Crystal plasticity (CP)– FEM ABAQUS User material subroutine (UMAT)

## Multi scale



### **Research Outline**



## **Experimental Materials**

#### 1. The Tube

- OD: 2.5" = 63.5 mm
- Thickness: 0.065" = 1.65 mm
- Heat treated at 600 °C for 1 hr

#### 2. The tensile sample



- Tensile test specimens were cut from the tube with an ASTM standard dimension.
- Strain rate: 0.002 /s





### Hydraulic Bulge Test



OSU's Press for Hydraulic Bulge Testing

Press: Max. clamping force of 45 tons, provided by a small hydraulic press
Hydraulic Pump: Max. pressure of 68.9 MPa, provided by an air assisted hydraulic pump
Hydraulic cylinder: Max. sealing force of 20 tons

# Hydraulic Bulge Test\_(3)



### **Analytical Model**



 $R_{\Theta}$   $R_{Z}$   $\sigma_{\Theta}$   $\sigma_{Z}$   $\varepsilon_{\Theta}$   $\varepsilon_{Z}$ 

## **Analytical Model**

$$R_{\theta} = R_{0} + \Delta R \qquad R_{z} = \frac{\left[\left(w/2\right)^{2} + \Delta R^{2}\right]}{2\Delta R} \qquad \varepsilon_{\theta} = \ln\left(\frac{R_{\theta}}{R_{0}}\right) \qquad \varepsilon_{t} = \ln\left(\frac{t}{t_{0}}\right)$$
$$R_{\theta} \qquad R_{Z} \qquad \sigma_{\theta} \qquad \sigma_{Z} \qquad \varepsilon_{\theta} \qquad \varepsilon_{t}$$
$$Von \text{ Mises Yield Function (Isotropy)}$$
$$\overline{\sigma} = \sqrt{\sigma_{\theta}^{2} - \sigma_{\theta}\sigma_{z} + \sigma_{z}^{2}} \qquad \overline{\varepsilon} = \frac{2}{\sqrt{3}}\sqrt{\varepsilon_{\theta}^{2} + \varepsilon_{\theta}\varepsilon_{t} + \varepsilon_{t}^{2}}$$

## **Finite Element Simulation**

1) Program: ABAQUS/Explicit

#### 2) Geometry

- Axisymmetry cross-section of the tube
- Only half tube was modeled
- The ends of the tube were constrained
- Four-noded solid elements (CAX4R)

#### 3) Elastic properties

- Elastic Modulus: 115 GPa

#### 4) Plastic Properties

- Effective stress – Effective plastic strain obtained from tensile and bulge tests and Crystal Plasticity simulation (Bi-axial force applied)



w/2 = 35mm $R_0 = 31.75mm$  $t_o = 1.65mm$ 

# Crystal plasticity\_(1)

- 1) Program: ABAQUS + Fortran
- 2) Model: Taylor model (iso-strain with multiple

slip in each grain

#### 3) Geometry

- Cube shape (One element)
- X and Y axis Symmetry
- Force is applied by displacement

#### 4) Parameters (Hardening formulation)

$$\dot{\gamma}^{\alpha} = \dot{\gamma}_0 \left(\frac{\tau^{\alpha}}{g^{\alpha}}\right)^{1/m} sign(\tau^{\alpha})$$

[Hutchingson, 1976, Peirce et al., 1982]



 $h^{\alpha\beta} = q^{\alpha\beta} h^{(\beta)}$  (Hardening matrix)









Tensile test <determine the parameters> 1. Initial val. of the def. resis. 2. Value of the initial hardening rate 3. Saturation value for the def. resis.

4. Exponent in hardening equation

[Asaro, 1983]

## Crystal plasticity\_(2)

5) Slip system: 12

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6) Euler angles



FIGURE 2.14. Euler angle rotations according to Bunge's convention. (Adapted from [13].)

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122.9229383	89.23301997	74.67874606
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77.15678852	81.40412466	359.6834232
77.96809676	82,21142219	359. 3373567
78,20300946	81,29239789	358,0252834
157.2150353	103.3885153	157.7369999
37.56139418	153.1132305	238.5567076
338.0731741	73.88577247	47.25755894
337.9975436	73.92244177	47.59503108
95.98360871	103.5924882	52.33110022
350.8358089	139.8/16029	68.95489/69
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**Biaxial tension test** 



Engineering stress – Engineering strain curve



## Tensile Test Results\_(2)

True stress – True plastic strain curve



- Fitting curve to the data using least square method

### **Bulge Test Results**

Tube: Heat treated at 600 °C for 1 hr



### Flow stress curves

Effective Stress – plastic strain curve



Hollomon format  $\overline{\sigma} =$ 

$$\overline{\sigma} = K \cdot \overline{\varepsilon}^n$$

	K	п
Macro_Tensile	561.20	0.4596
Macro_Bulge	436.40	0.3776
CP_Biaixal	448.76	0.3635

### **FEA Simulation results**

Combined simulation results using flow stress curves from **tensile test**, **bulge test and microstructure (CP)** 



-The simulation results using the flow stress curve from crystal plasticity is well matched to the experimental data.

## Concluding Summary & Future Work

- Obtain the three different flow stress curves from tensile, bulge tests and crystal plasticity simulation using texture.
- The simulation results using the flow stress curves from the CP simulation is closer to the experimental data.
- Need to reduce the simulation time for CP

### **Next Step**

- Crystal plasticity simulation of free bulge test
- Crystal plasticity simulation using 3D orientation Map
- Crystal plasticity simulation for niobium tube
- Investigate the texture evolution after deformation

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