

# **PENNING TRANSFERS**

**Ozkan SAHIN**  
**Uludag University**  
**Physics Department**  
**Bursa -Turkey**

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# Outline



Introduction

Calculation Methods

Calculated Results

Discussions

# Introduction

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Gas detectors are filled with pure noble gases and gas mixtures. Because of its high specific ionization and low cost, argon is usually preferred as noble gas.

However, pure argon gas can not be operated because of the high excitation energy levels. Photons emitted by excited argon atoms can reach the cathode wall and can produce a low energy electron at the cathode surface through the photoelectric effect. This single electron will then drifts toward the anode and create another signal pulse. Since noble gases have low absorption cross sections for these photons, they are not stopped by argon gas itself.

This problem can be remedied by the addition of quencher gasses. These admixtures absorb the radiated photons and dissipating this energy through dissociation, elastic or inelastic collisions.

# Introduction

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In gas mixtures, Penning transfers occur if the metastable excitation energy level of one gas component is energetically higher compared to the ionization energy of the other gas component. Thus, it is possible to transfer energy stored in excited metastable state of one gas to ionization of the other.

Penning gas mixtures consist of a rare gas (Ne, Ar ...) and an admixture, usually a molecular gas, which is present in a relatively low concentration.

It is expected that Penning mixtures improve the detector energy resolution because of lower  $W$  and  $F$  values. As a result of the Penning transfer, the number of electron- ion pairs produced in the mixture increases, thus lowering the mean energy required to form an ion pair, and the Fano factor.

# Introduction

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Gas amplification is a consequence of the motion of a free electron in a strong electric-field. By increasing the field in the gas volume (above a few kV/cm) electrons can gain enough energy between two collisions to produce ionization. After such an ionizing collision, an electron-ion pair is produced and the primary electron continues its trajectory. Electrons from ionized atoms are also accelerated and can knock out more electrons which in turn ionize other atoms.

Due to the Penning transfers, the number of the generated electron-ion pairs by a free electron per unit length and the gas amplification factor can also be increased in gas mixtures for a fixed field strength.

# Introduction

In a cylindrical proportional counter the mean gas amplification factor (gas gain) can be given by:

$$G = e^{\int_{r_a}^{r_b} \alpha(E(r)) * dr}$$

where,  $r_a$  is the anode radius and  $r_b$  can be determined as the distance from the center of the anode wire where  $\alpha(E(r))$  is zero. The first Townsend ionization coefficient ( $\alpha$ ) represents the mean number of ion pairs created by a free electron per unit length in an electric field. This parameter depends on the nature of the gas, its pressure, its temperature and the applied electric field.

The electric field strength  $E(r)$  at the radius  $r$  in the counter can be computed in terms of the anode radius  $r_a$ , the cathode radius  $r_c$  and the anode potential  $V$  as:

$$E(r) = \frac{V}{r \ln(r_a / r_c)}$$

## Calculation Methods

The Magboltz program has been used to reproduce the experimental gas gain curves. It performs a Monte Carlo simulation to compute transport properties of the gas for electrons with varying electric field strengths in the given range. Electric field range and the gas properties such as pressure, temperature and the fractions of the gas type in the mixture are entered to the Magboltz.

The output file contains all needed transport properties like drift velocities, longitudinal and transverse diffusion coefficients, attachment coefficients, and Townsend coefficients  $\alpha(E(r))$  of electrons. Detailed collision frequencies of excitations and ionisations in the gas mixtures can also be derived from the output file. The Townsend coefficients were used to find the corrected Townsend coefficients for estimating the Penning effect from experimental data.

# Calculation Methods

The Penning transfer probability  $P_T$  is the fraction of the *energy* in the excited states that will cause further ionizations by the Penning process. Since we do not *a priori* know the transfer probabilities, we have developed a tool to derive them from published experimental.

To find  $P_T$ , we fit the experimental gain data using Townsend coefficients updated for *all energetically allowed* Penning transfers:

$$\alpha_{penning} = \alpha \frac{(f_{ion(Ar)} + f_{ion(admix.)} + \sum_i (P_T(i) * f_{exc\_Ar}(i)) + \sum_i P_T(i) * f_{exc\_admix.}(i))}{(f_{ion(Ar)} + f_{ion(admix.)})}$$

## Calculation Methods

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Certain excited states of the gas atoms or molecules have enough energy to ionize the other ones to contribute the Penning process. Hence, one should pay attention to the selection of *possible* Penning transfers before the calculations. Magboltz knows the energy levels of the excited states and the ionization potentials of each gas in the mixture.

A fitting procedure has been added into the our simulation program. This subroutine iterates using a least squares method to find the transfer probabilities  $P_T(i)$ . It returns the errors on the fit parameters and the covariance matrix.

Given the low sensitivity to some  $P_T(i)$  and the correlations between the  $P_T(i)$ , the parameters were varied collectively.

# Calculation Methods

Fig.1 shows the Townsend coefficients without Penning transfers for argon 97.8% - isobutane 2.2% gas mixture, at 90 kPa and 300 °K. The experimental gas gain data and the calculated results without corrected Townsend coefficients are given in Fig.2.

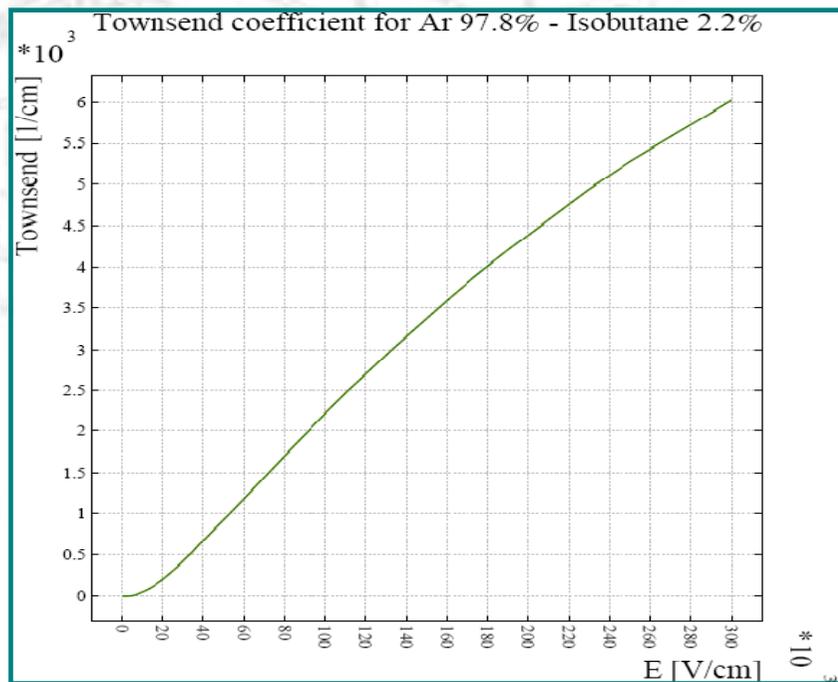


Fig.1 Townsend coefficients (without Penning transfers).

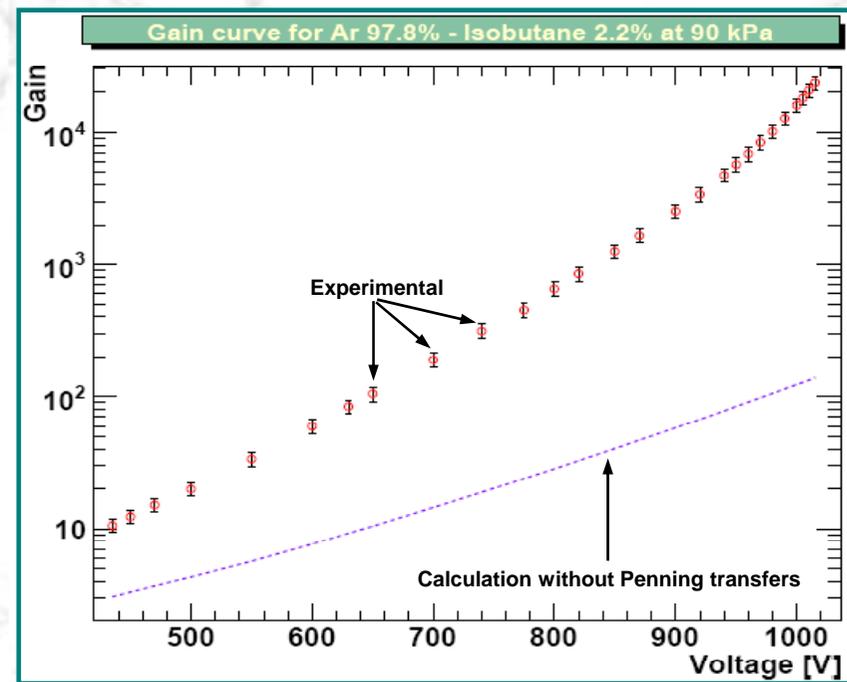


Fig.2 Experimental and calculated gas gains.

# Calculation Methods

As can be seen from the semi-log plot of the gas gain, the experimental data display an over-exponential growth at high potentials. This can be explained by secondary avalanches due to insufficient quenching of UV photons emitted by excited rare gas atoms. Such an effect is seen mostly in mixtures containing low quencher gas concentrations.

If  $G$  is the mean gain without feedback, then the gain  $G_{tot}$  including photon feedback can be written as:

$$G_{tot} = \frac{G}{1 - P_{\gamma} * G}$$

## Calculation Methods

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$P_\gamma$  is the probability that an ionisation in the primary avalanche produces a photon which leads to a secondary avalanche. We call  $P_\gamma$  the photon feedback term (shortly photon term) and include it in our fits.

Example: argon-isobutane mixtures. The ionization potential of isobutane (I=10.7 eV) is lower than the excitation energy of the argon metastable levels (S-level 11.55 eV, P-level 13.0 eV, D-level 14 eV). In addition, the energy in the third level excitation of isobutane (17.0 eV) is higher than the ionization potential of argon (15.7 eV). Hence, all these excited states should be taken into account for Penning transfers.

# Calculation Methods

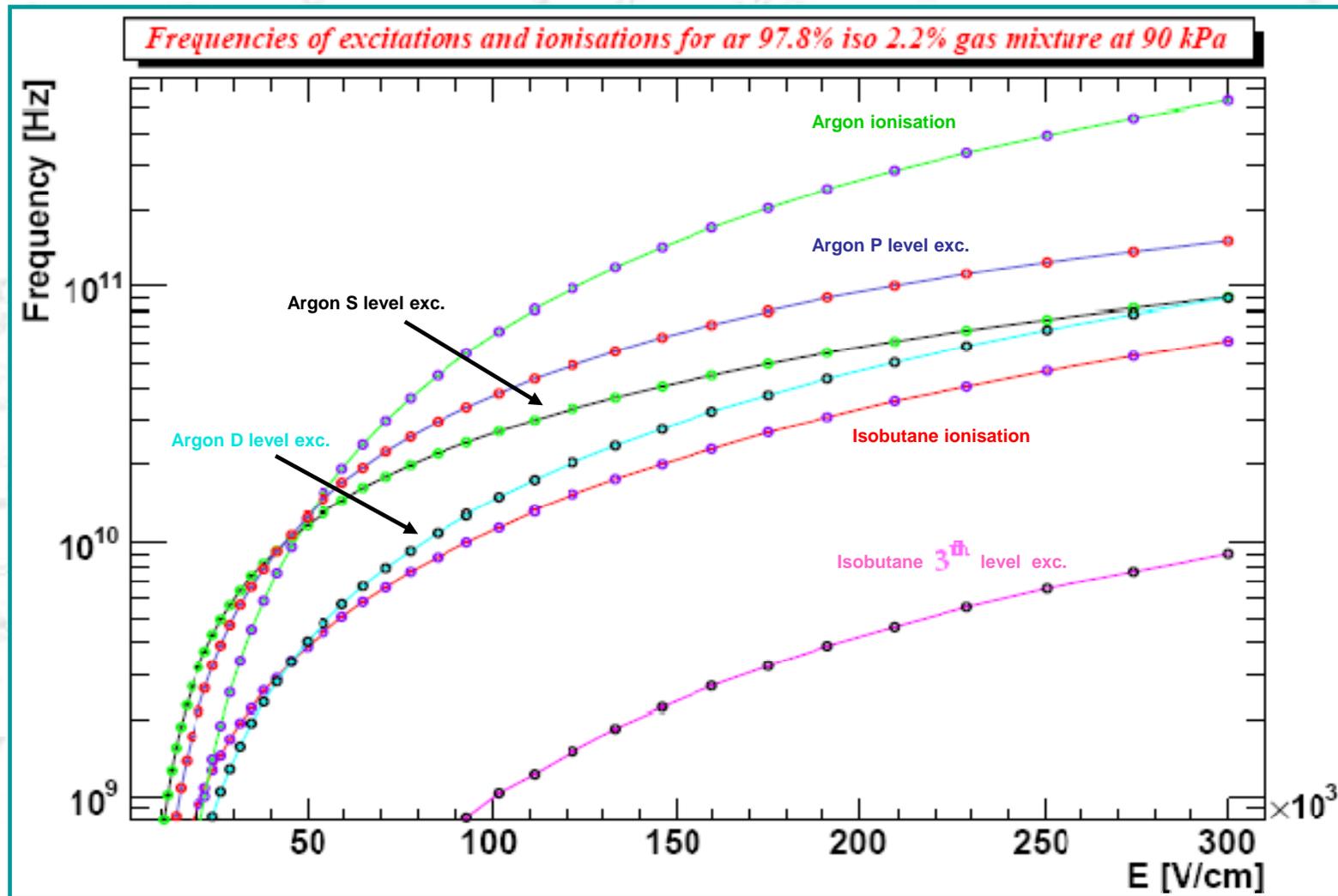


Fig.3 Frequencies of excitations and ionisations versus electric field.

# Calculation Methods

The corrected Townsend coefficients have been calculated after including all possible Penning transfers and considering the photon feedback term (Fig. 4). A good agreement is obtained (Fig. 5).

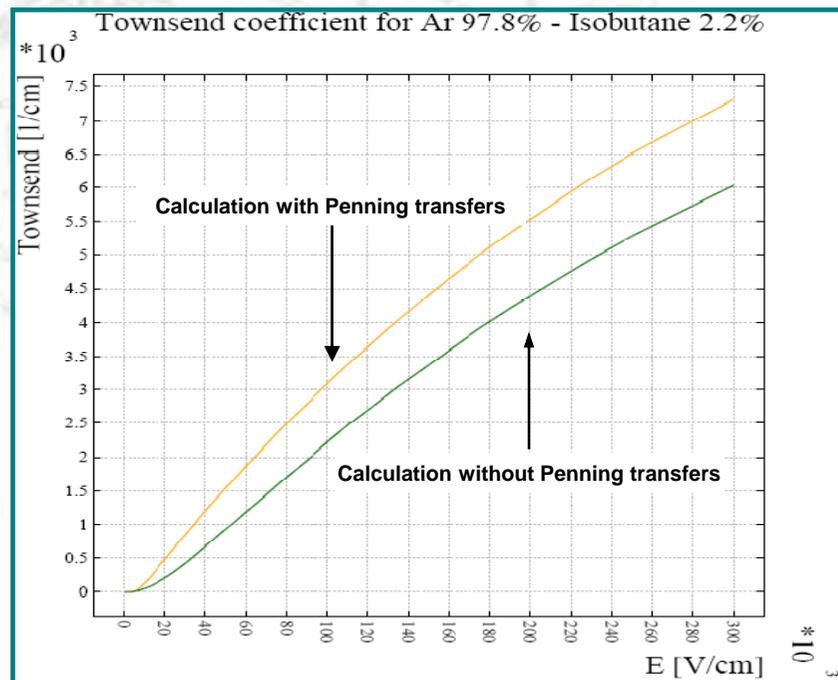


Fig.4 Corrected and uncorrected Townsend coefficients.

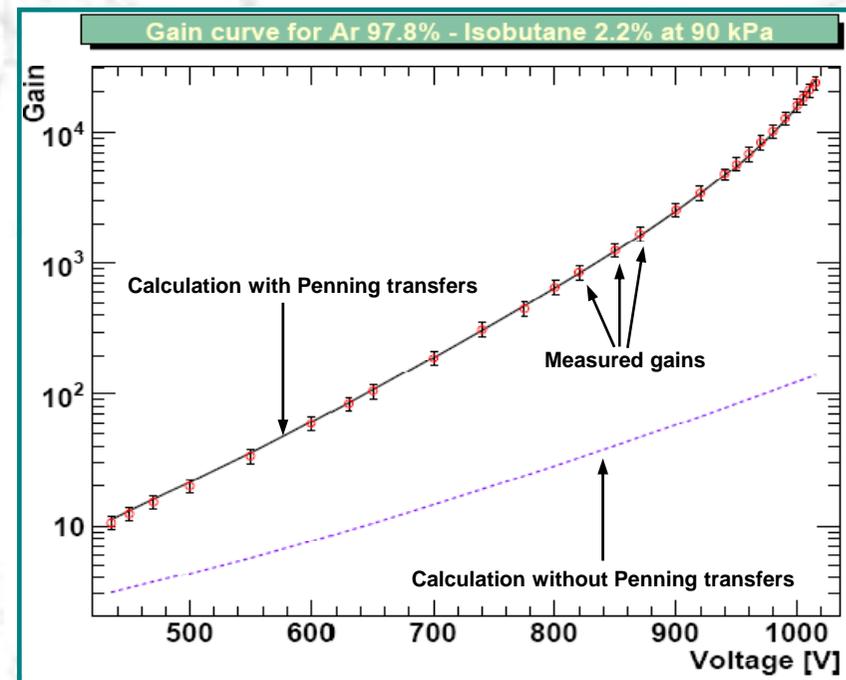


Fig.5 Measured and calculated gas gains.

# Calculated Results

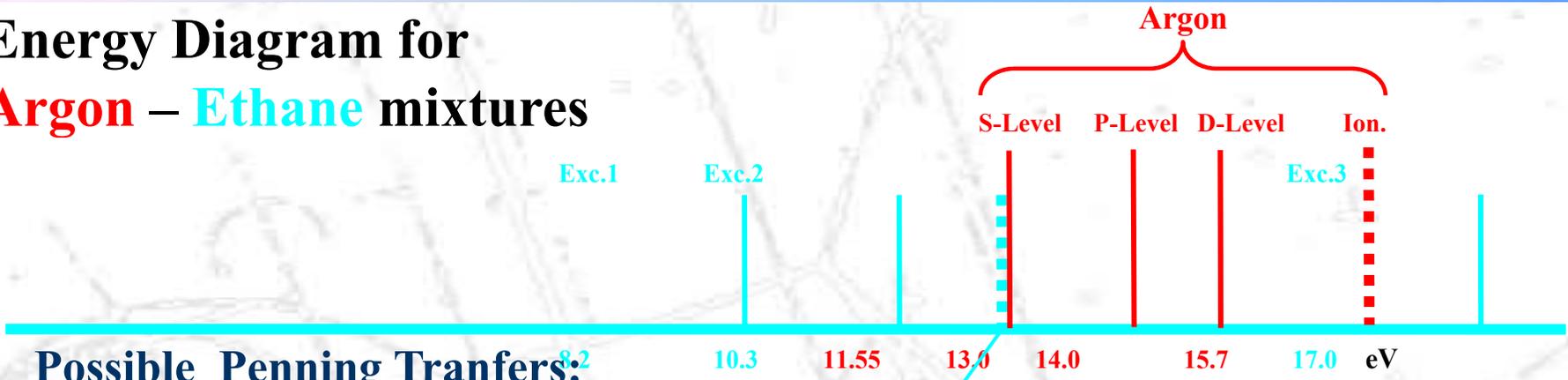
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7 different argon-based gas mixtures have been investigated

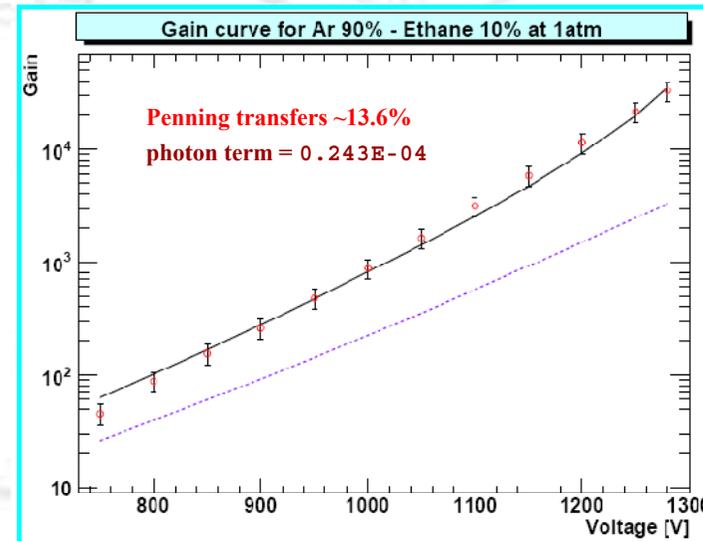
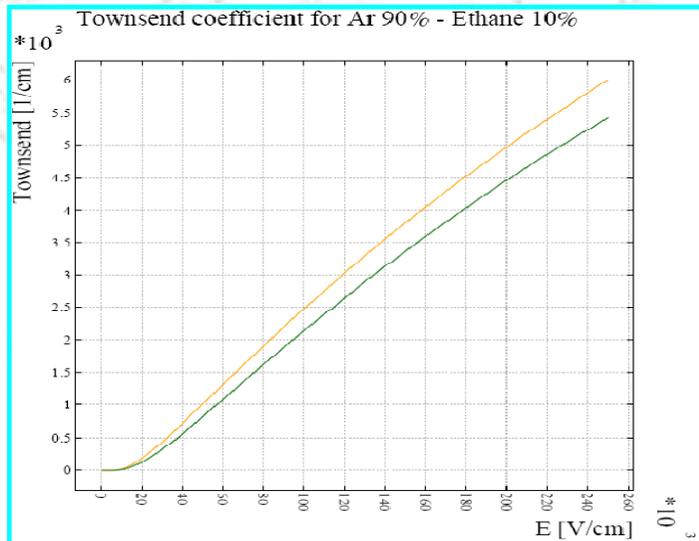
- 1 **Argon** – **Ethane**
- 2 **Argon** – **Isobutane**
- 3 **Argon** – **Propane**
- 4 **Argon** – **Methane**
- 5 **Argon** – **Acetylene**
- 6 **Argon** – **CO<sub>2</sub>**
- 7 **Argon** – **Xenon**

# Calculated Results

## Energy Diagram for Argon – Ethane mixtures

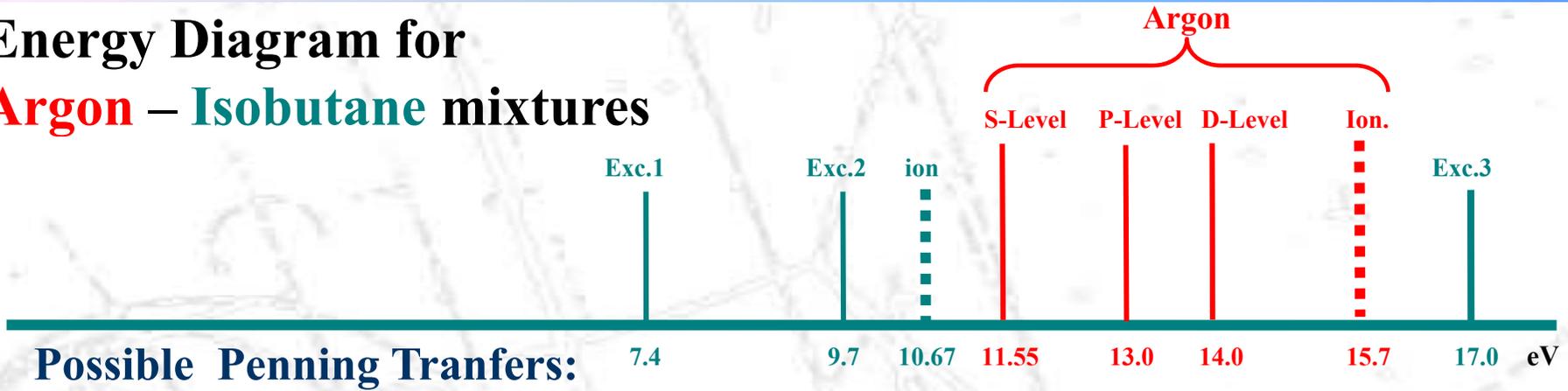


Possible Penning Transfers:

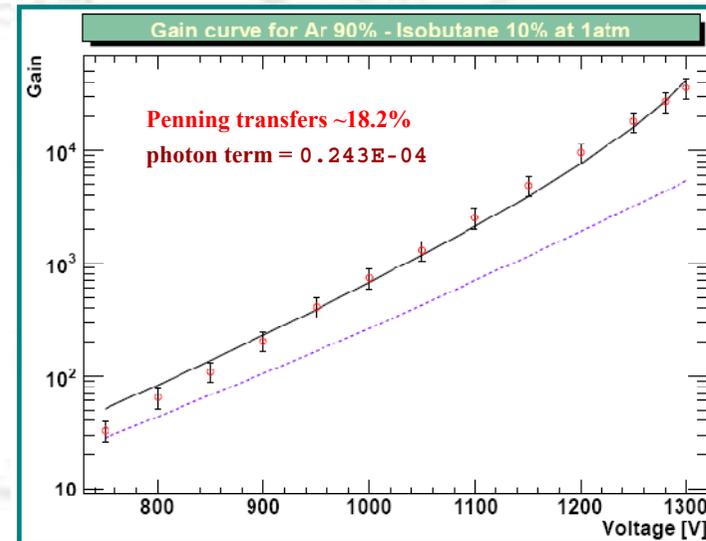
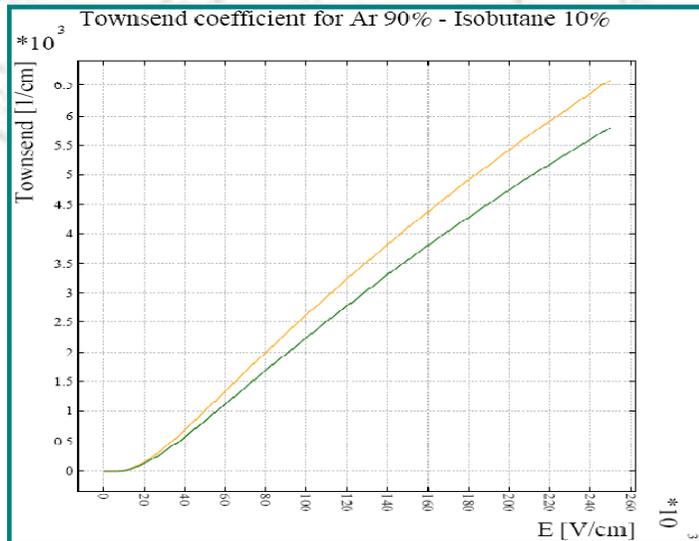


# Calculated Results

## Energy Diagram for Argon – Isobutane mixtures

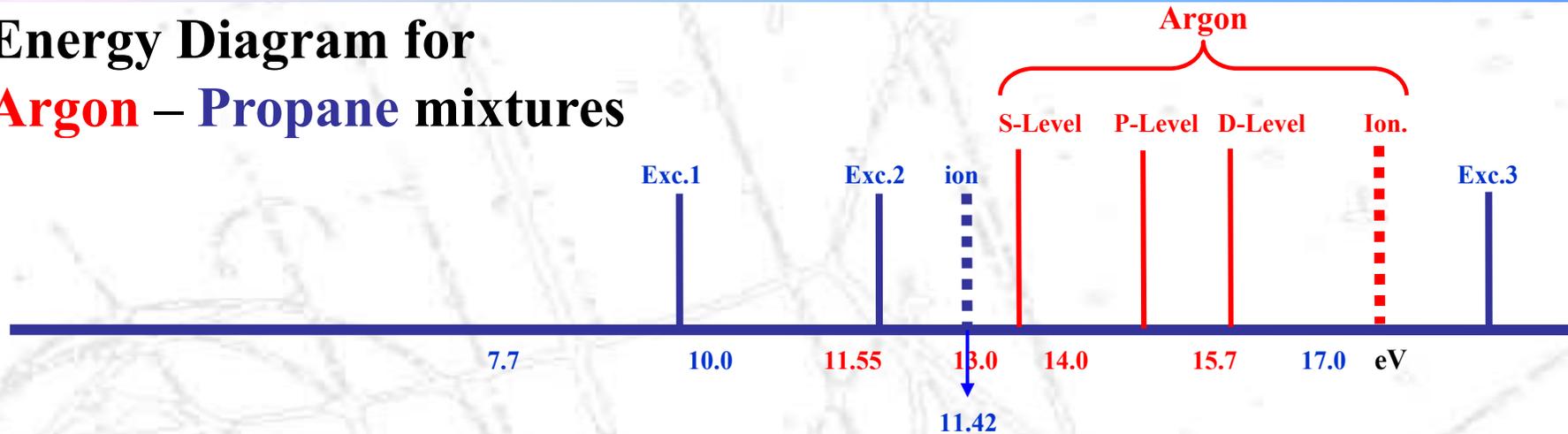


Possible Penning Transfers:



# Calculated Results

## Energy Diagram for Argon – Propane mixtures

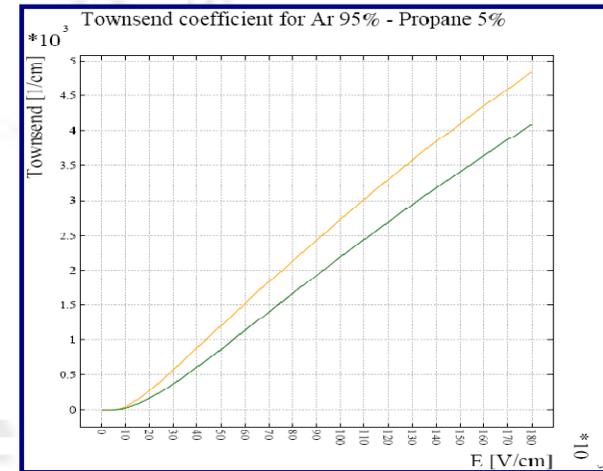
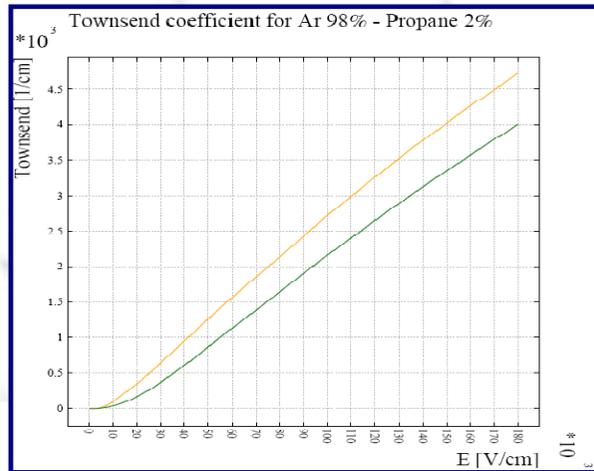
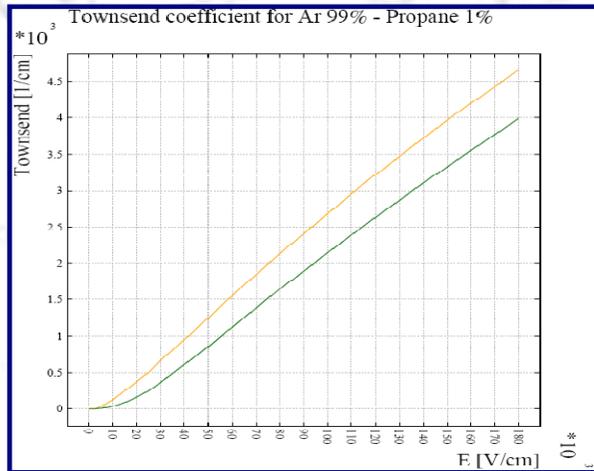
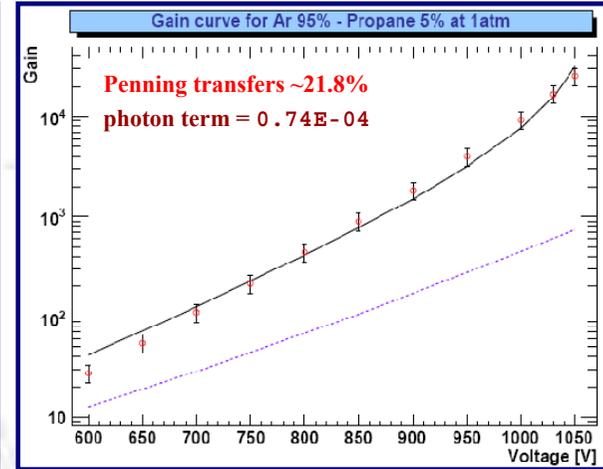
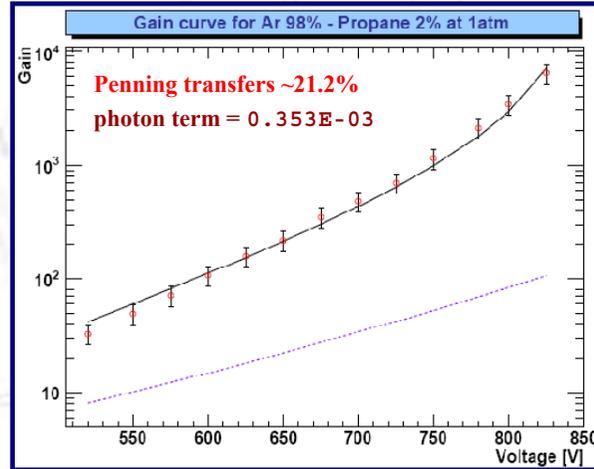
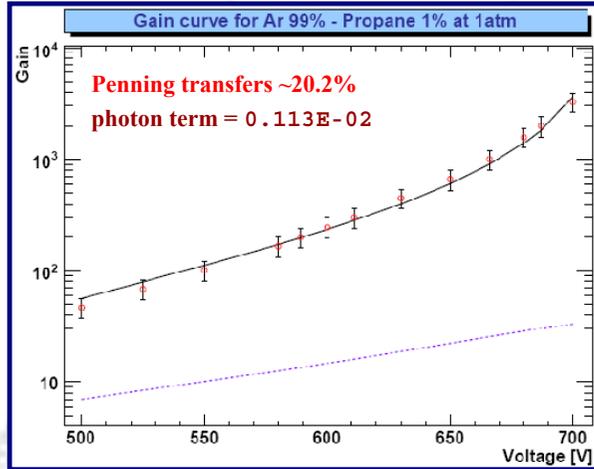


### Possible Penning Transfers:

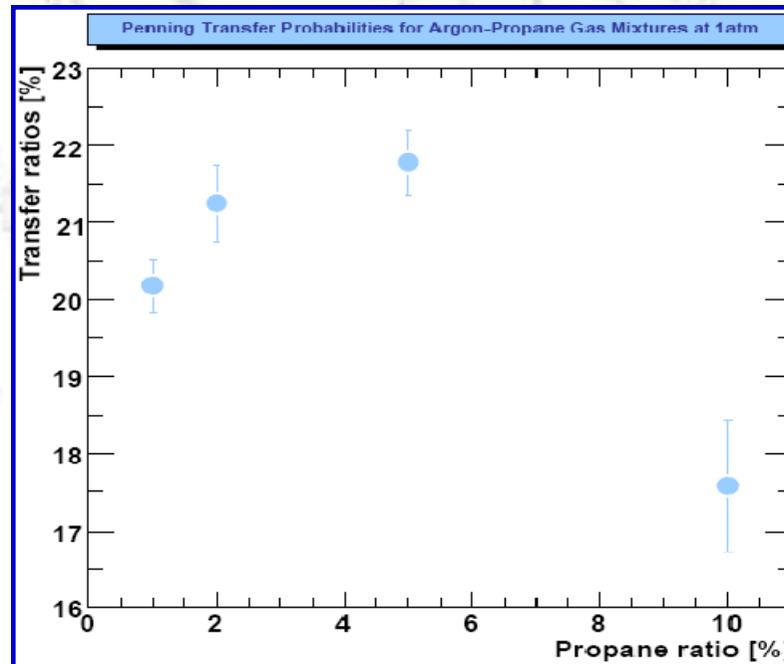
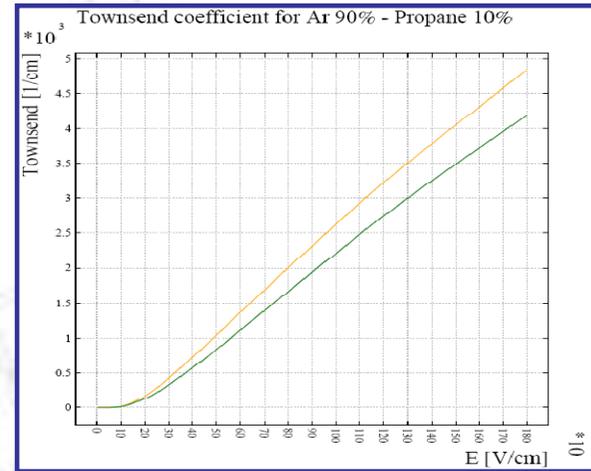
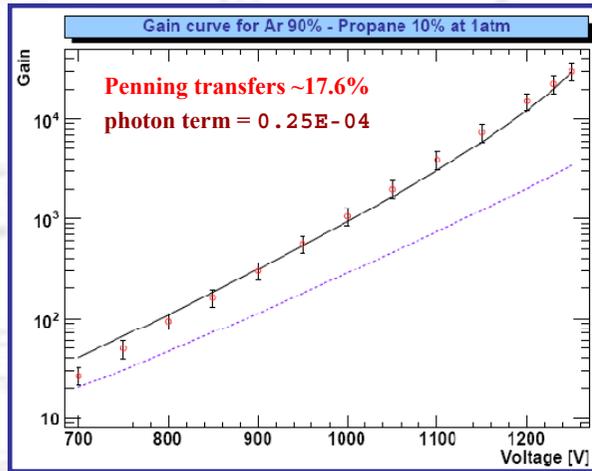


Ar + 1%, 2%, 5%, %10 Propane

# Calculated Results

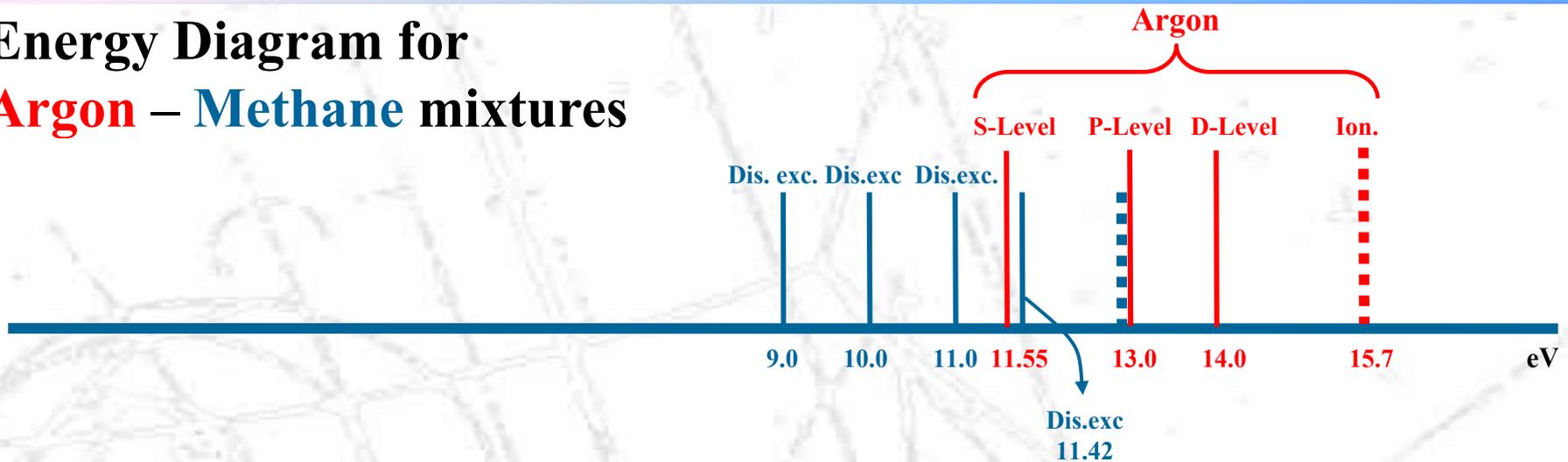


# Calculated Results



# Calculated Results

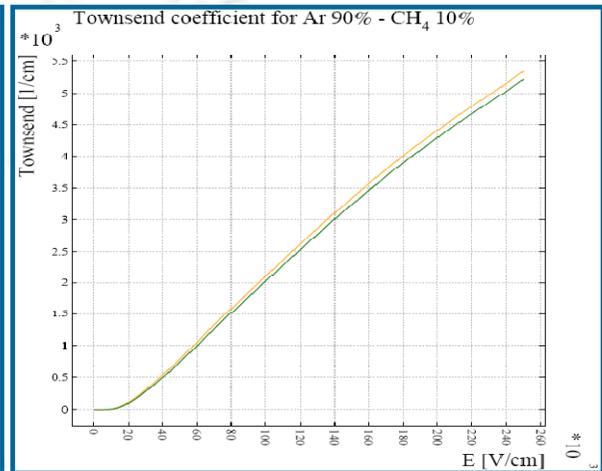
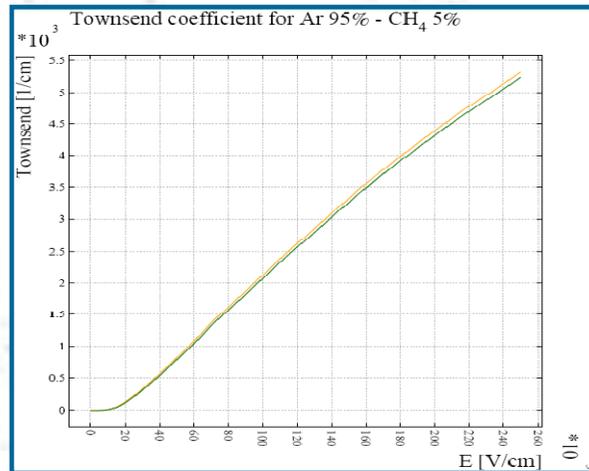
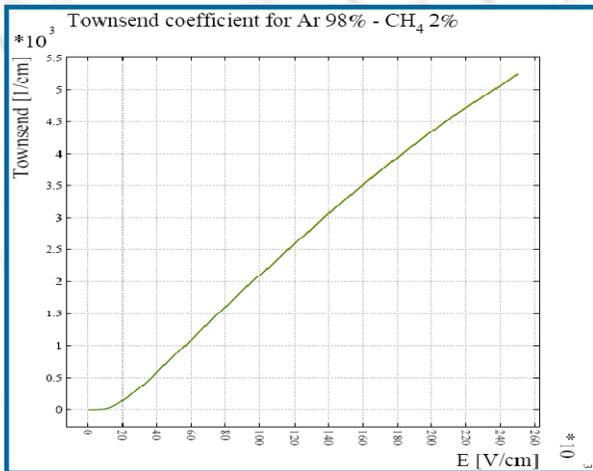
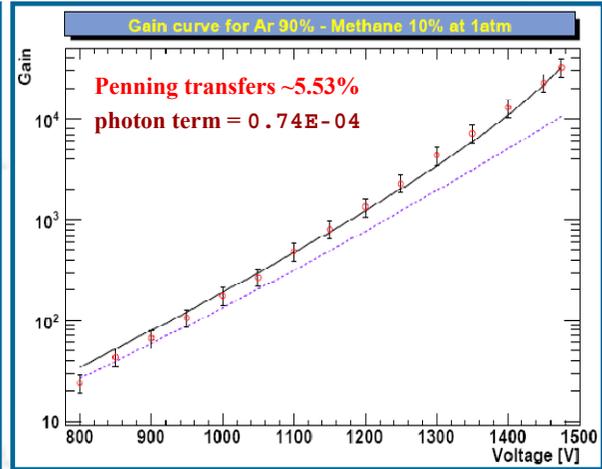
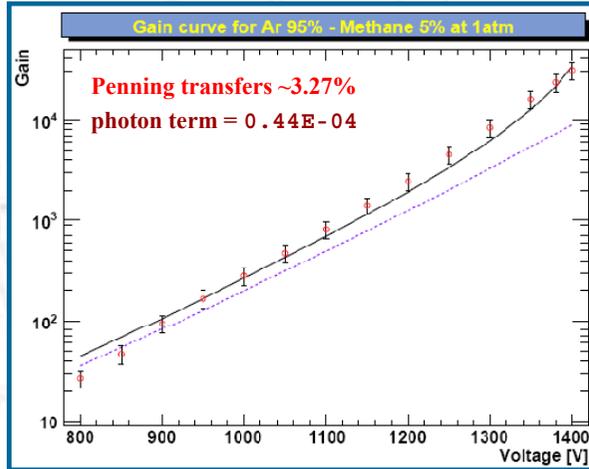
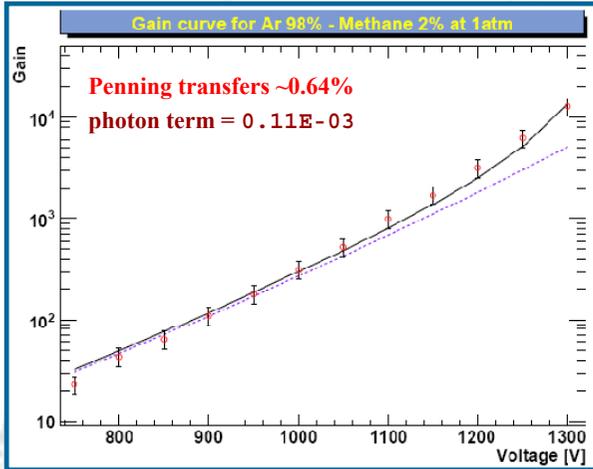
## Energy Diagram for Argon – Methane mixtures



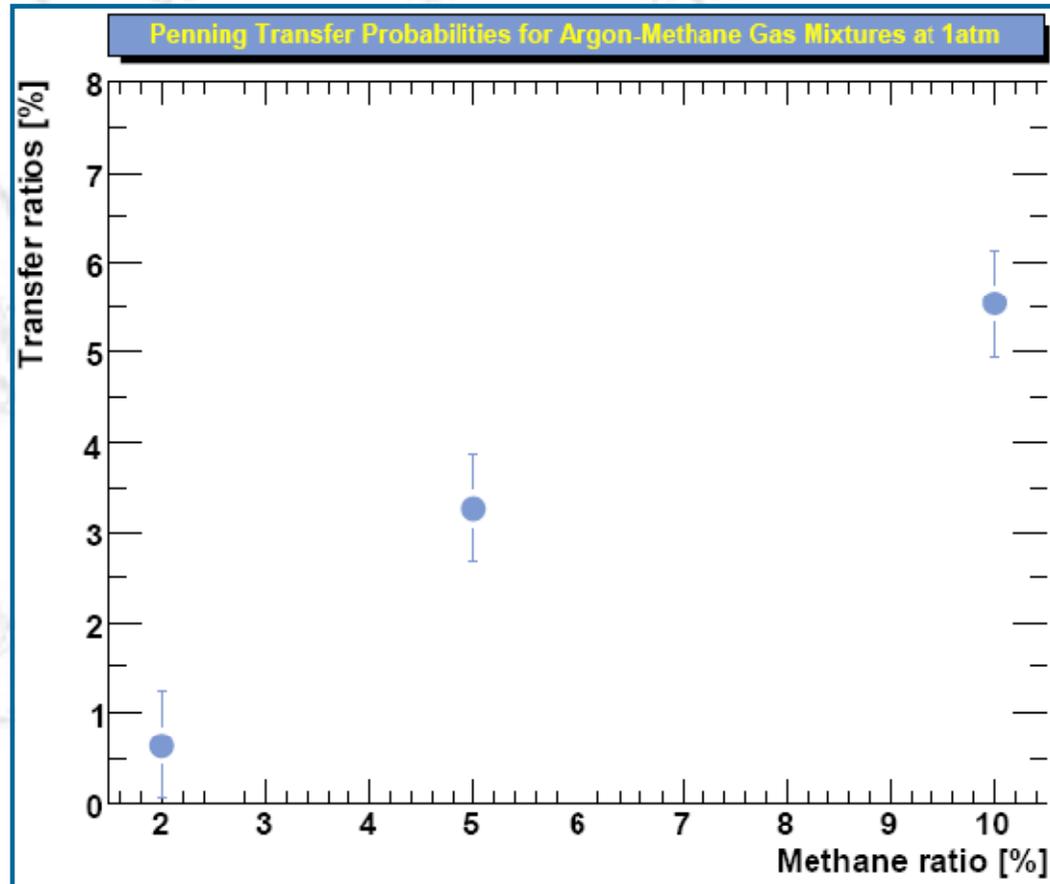
Possible Penning Transfers:  
 $\text{Ar}^* (\text{P, D level exc.}) \longrightarrow \text{CH}_4$

Ar + 2%, 5%, 10% Methane

# Calculated Results

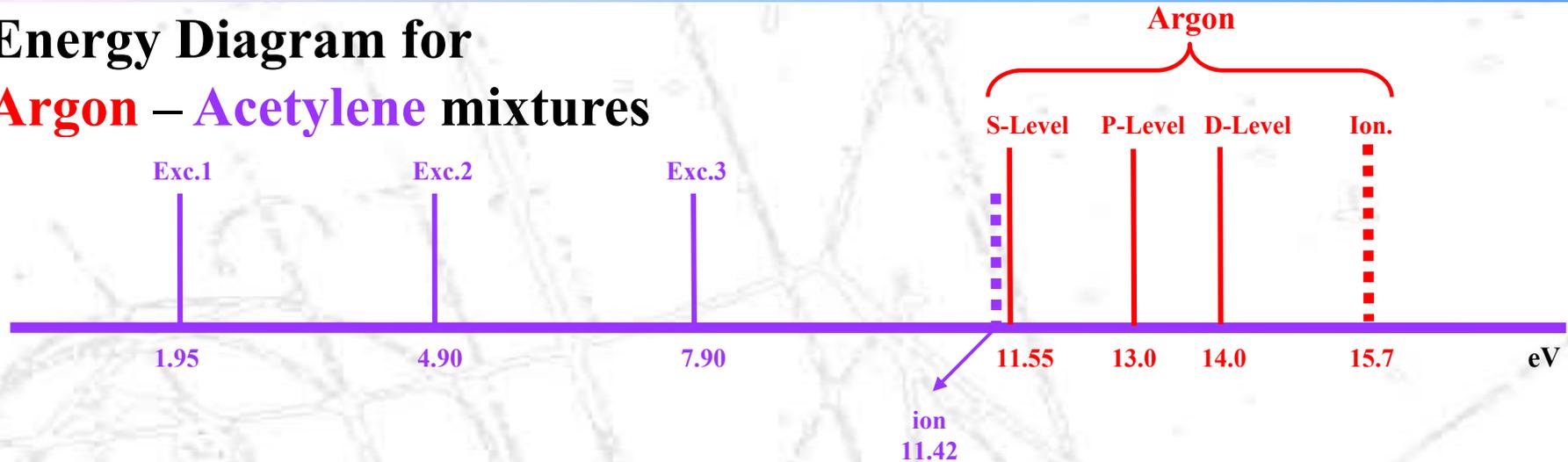


# Calculated Results



# Calculated Results

## Energy Diagram for Argon – Acetylene mixtures

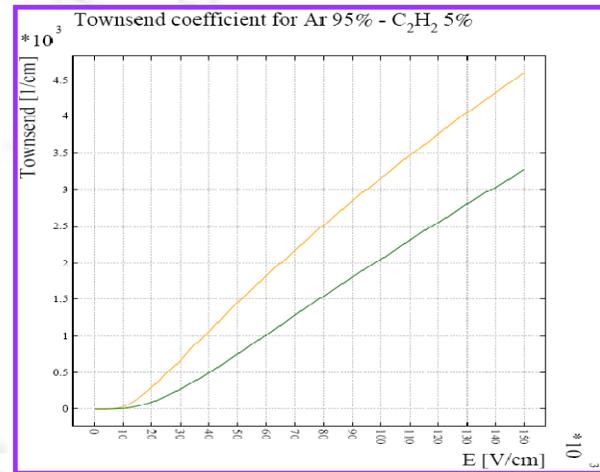
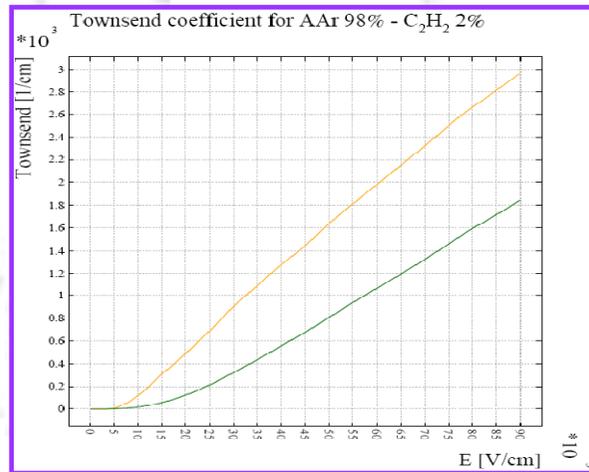
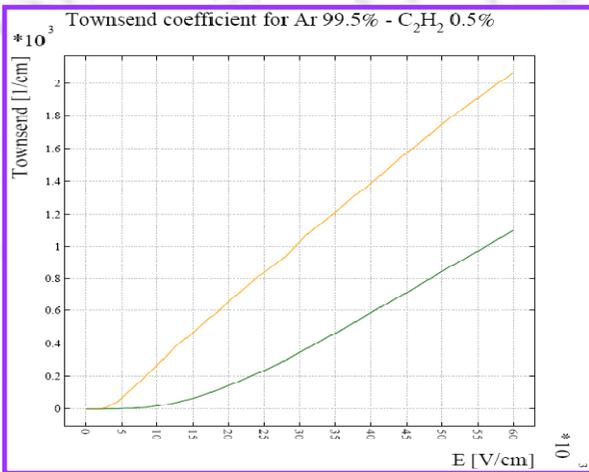
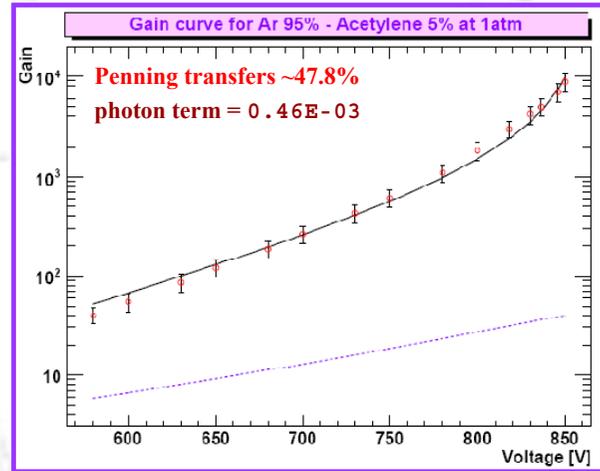
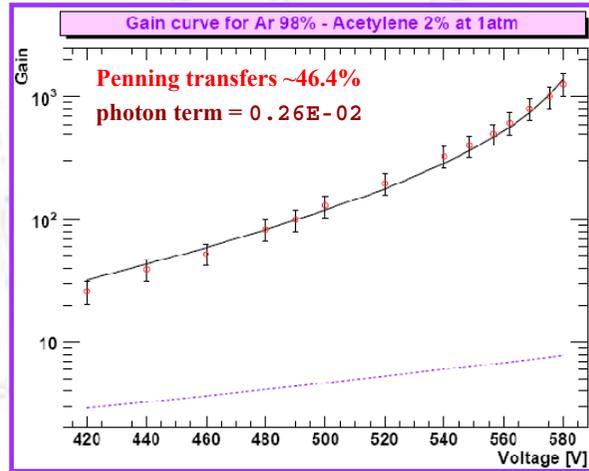
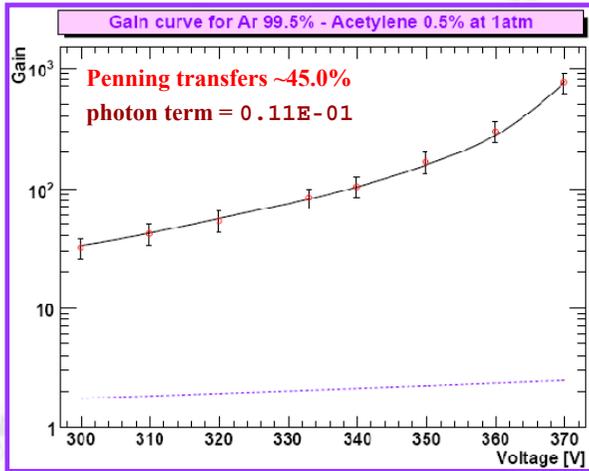


Possible Penning Transfers:

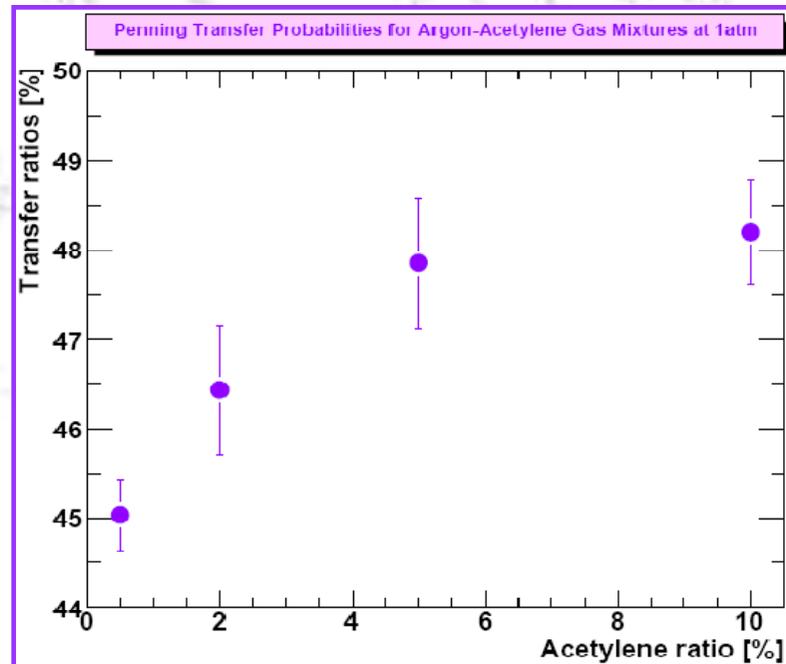
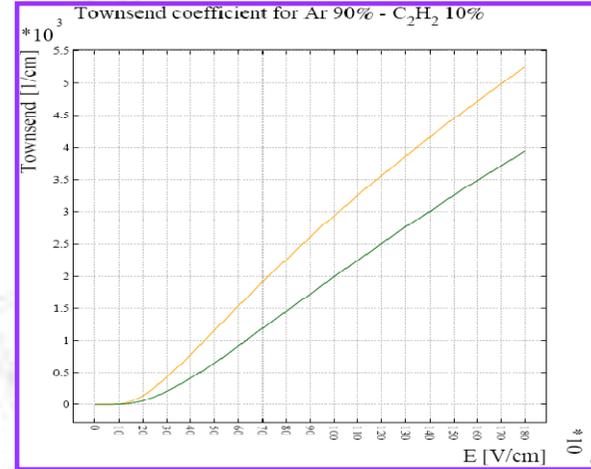
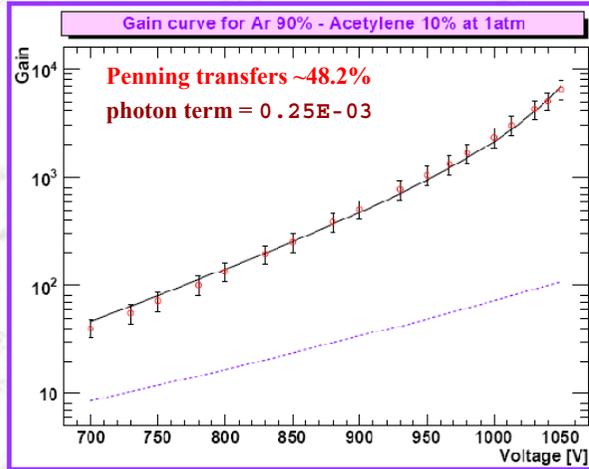


Ar + 0.5%, 2%, 5%, 10% Acetylene

# Calculated Results

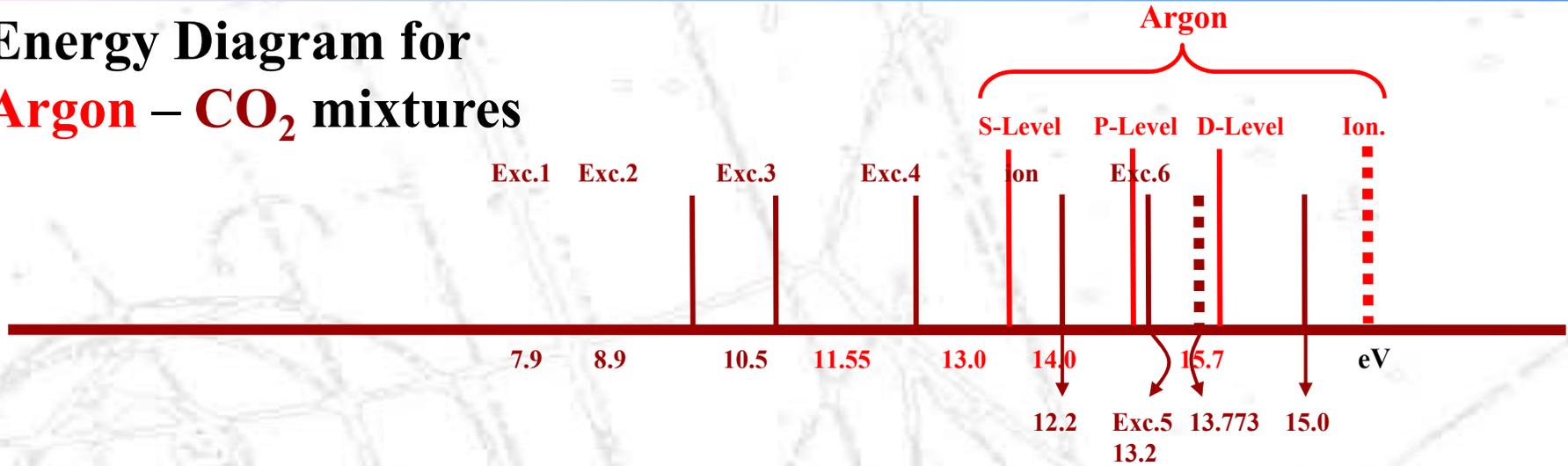


# Calculated Results



# Calculated Results

## Energy Diagram for Argon – CO<sub>2</sub> mixtures

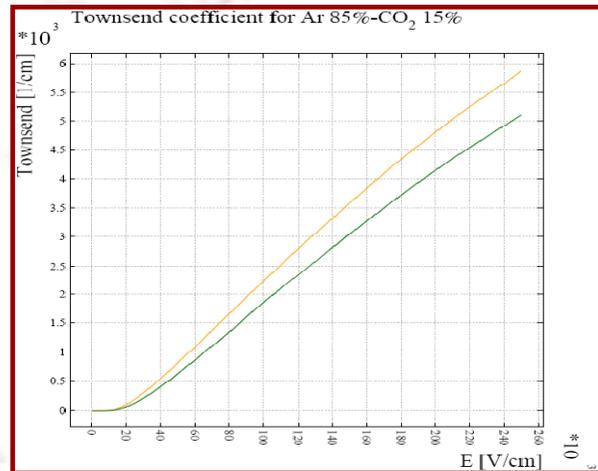
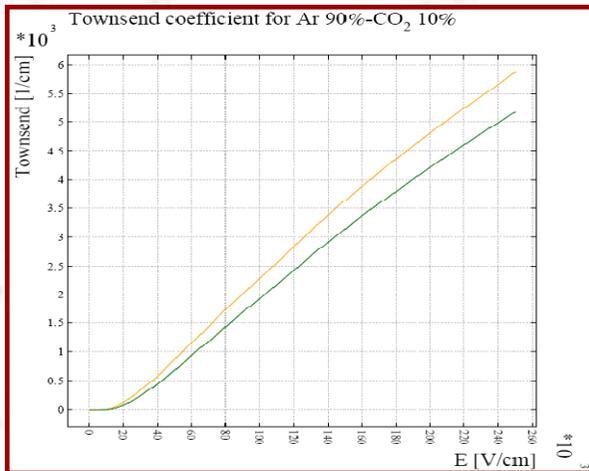
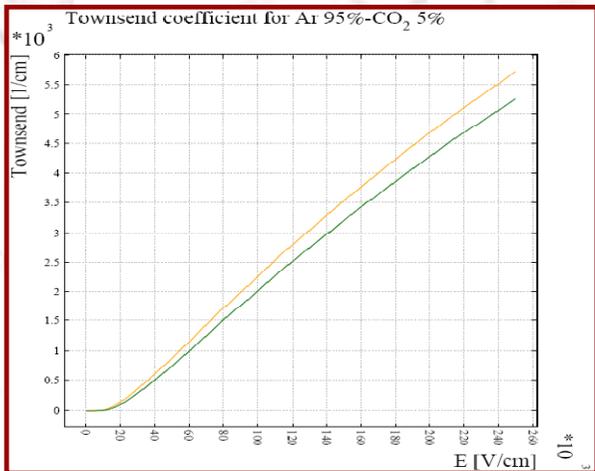
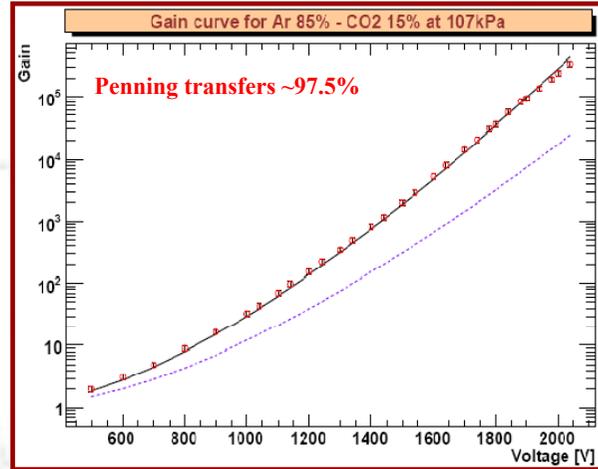
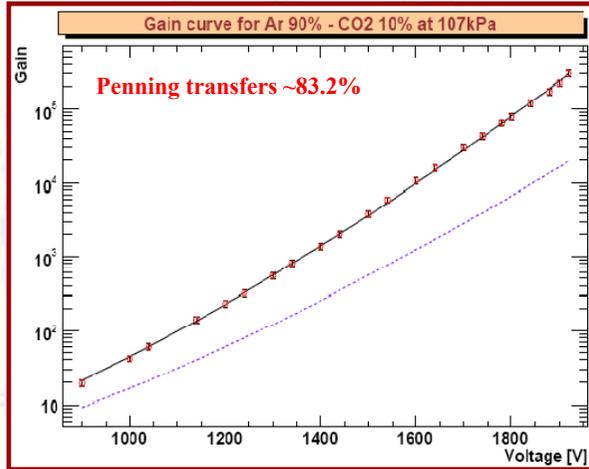
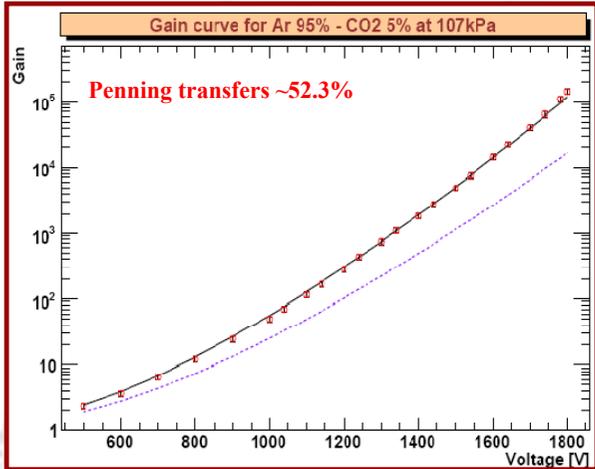


**Possible Penning Transfers:**

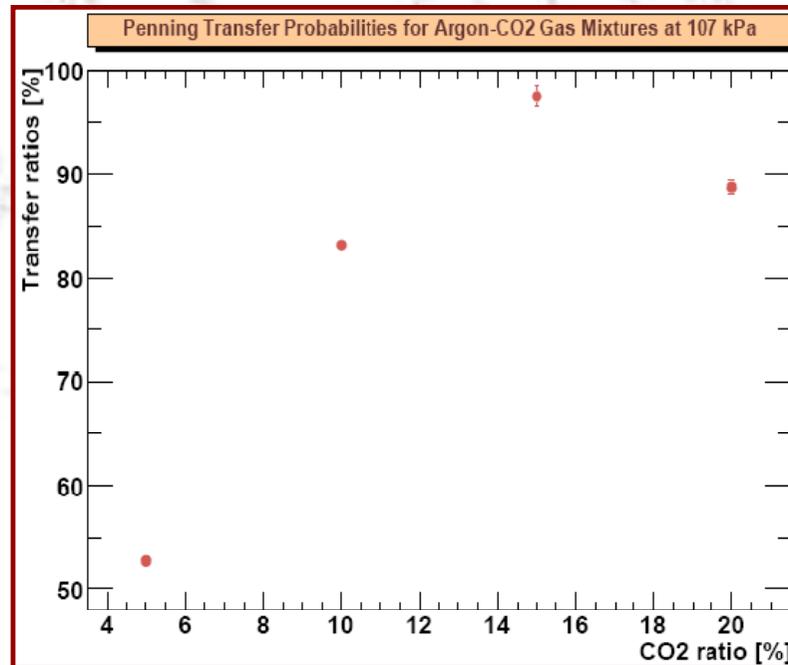
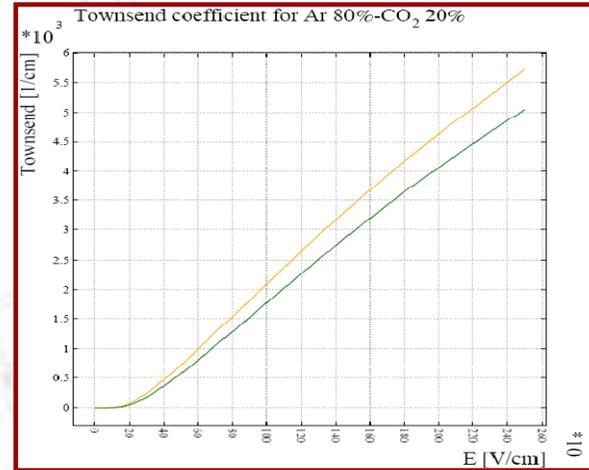
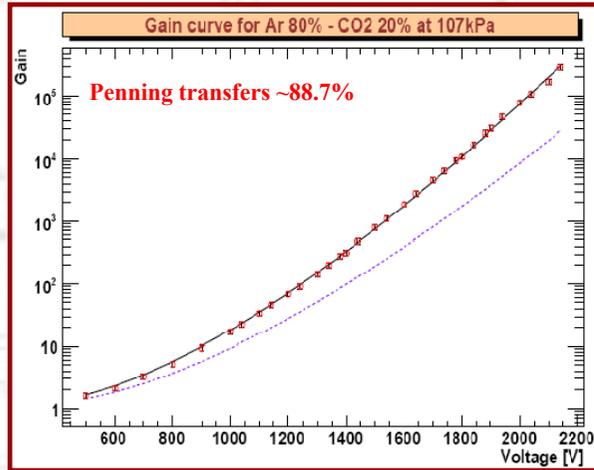
**Ar\* (only D level exc.) → CO<sub>2</sub>**

Ar + 5%, 10%, 15%, 20% CO<sub>2</sub>

# Calculated Results

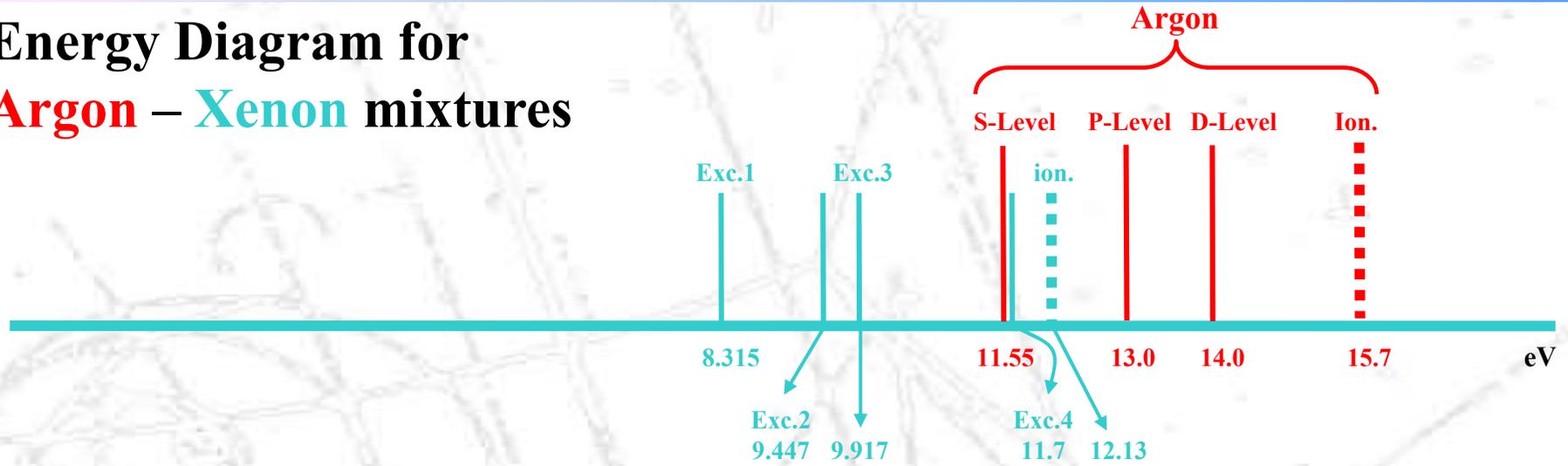


# Calculated Results



# Calculated Results

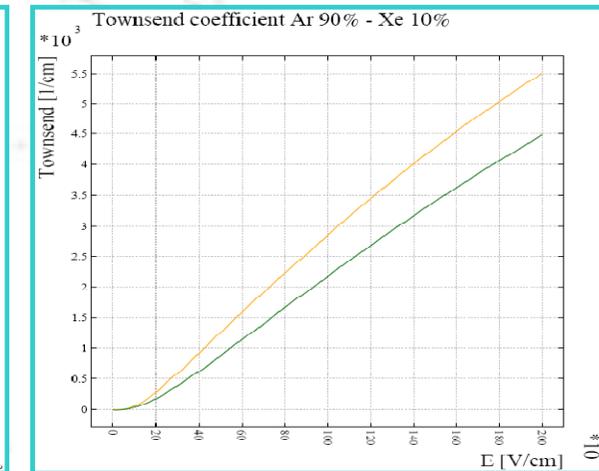
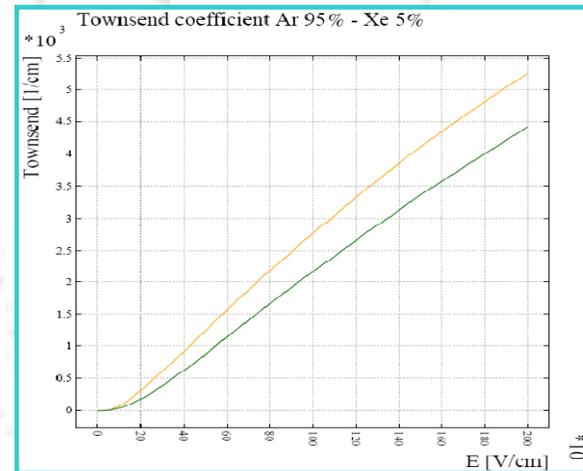
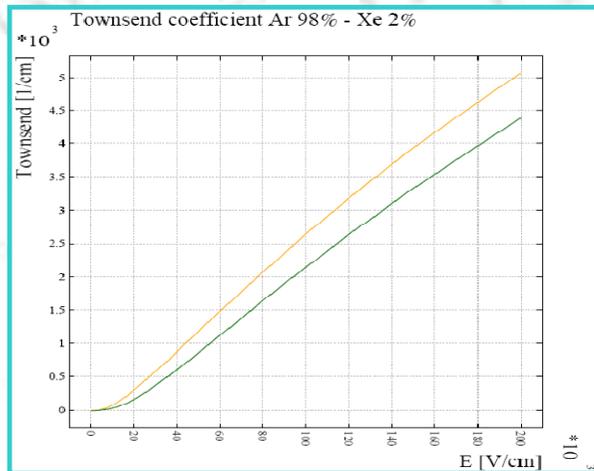
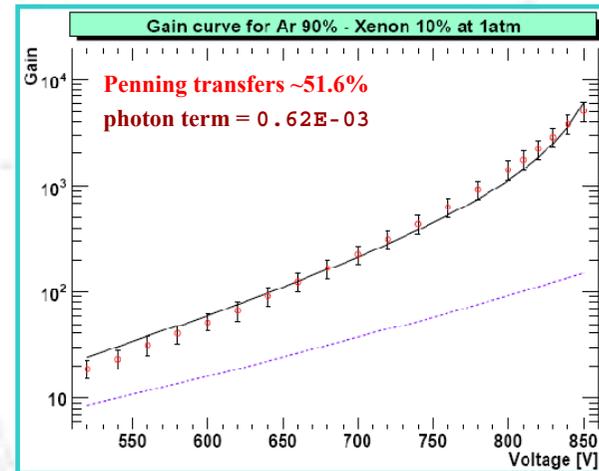
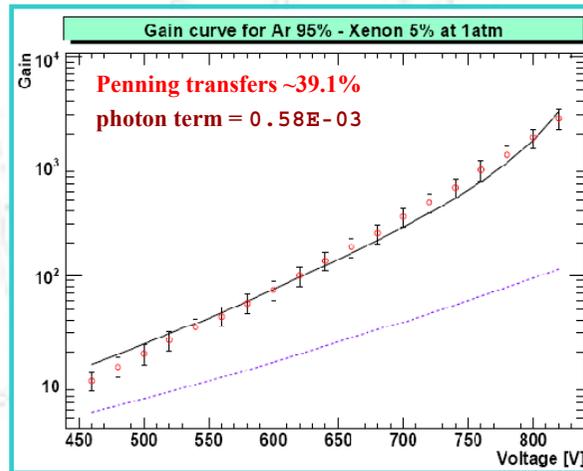
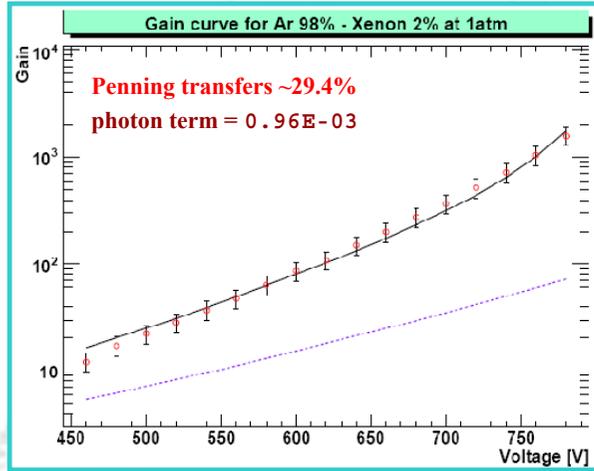
## Energy Diagram for Argon – Xenon mixtures



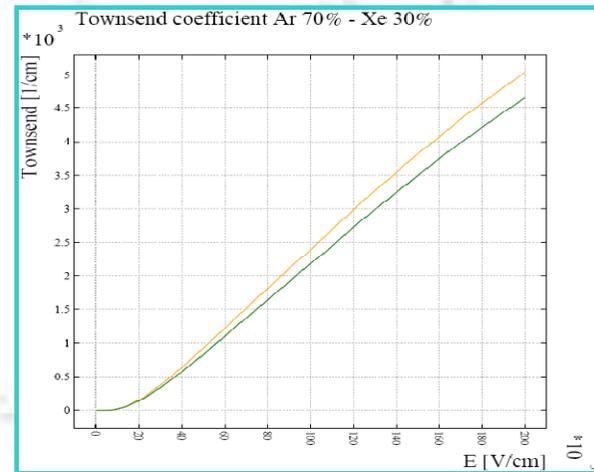
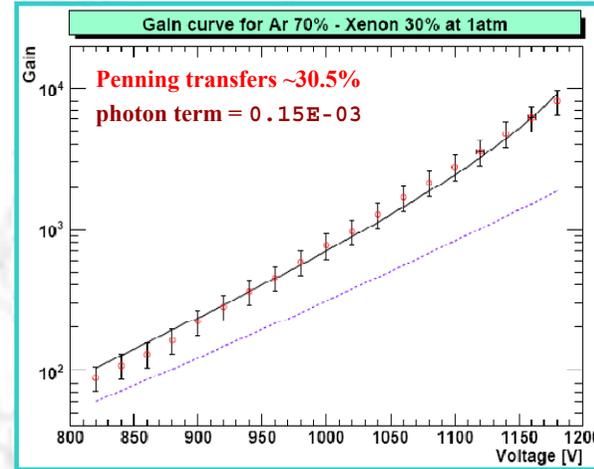
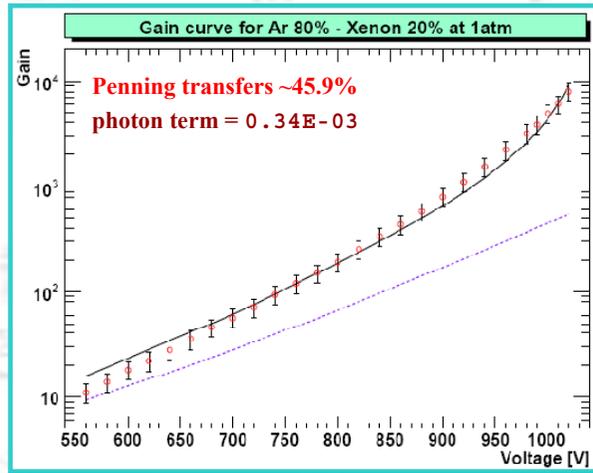
**Possible Penning Transfers:**  
**Ar\* (P, D level exc.) → Xe**

Ar + 0.5%, 2%, 5%, 10% Xenon

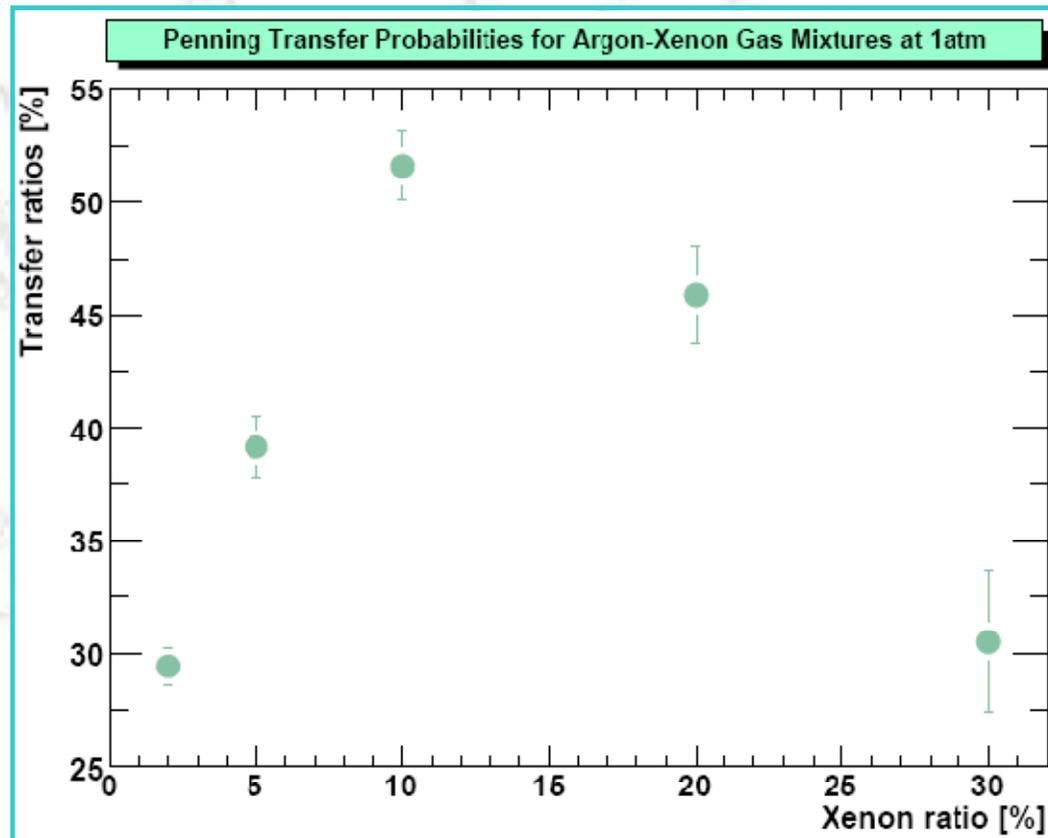
# Calculated Results



# Calculated Results



# Calculated Results



## Discussions

At low admixture concentrations, Penning transfer probabilities increase with increasing percentage of the admixture. When the concentration of the admixture gas is higher, then there are more recipient gas atoms or molecules to receive the energy stored in the argon metastable states. Therefore, the transfer probabilities increase with quencher fraction up to the point where each excited argon atom finds a quenching gas atom or molecule, if it doesn't decay before.

If we assume that the transfer probability is proportional to the chance that an excited atom (or molecule) meets a recipient before it decays spontaneously in the  $t_{\text{decay}}$  time then one expects:

$$P_T = 1 - e^{-\frac{t_{\text{decay}}}{t_{\text{meet}}}} \quad (1)$$

## Discussions

where  $t_{\text{meet}}$  is the time needed to meet a recipient atom or molecule. When  $t_{\text{coll}}$  is the time between gas collisions and *fraction* is the concentration fraction of the quenching gas, in this case,  $t_{\text{meet}}$  should contain them like:

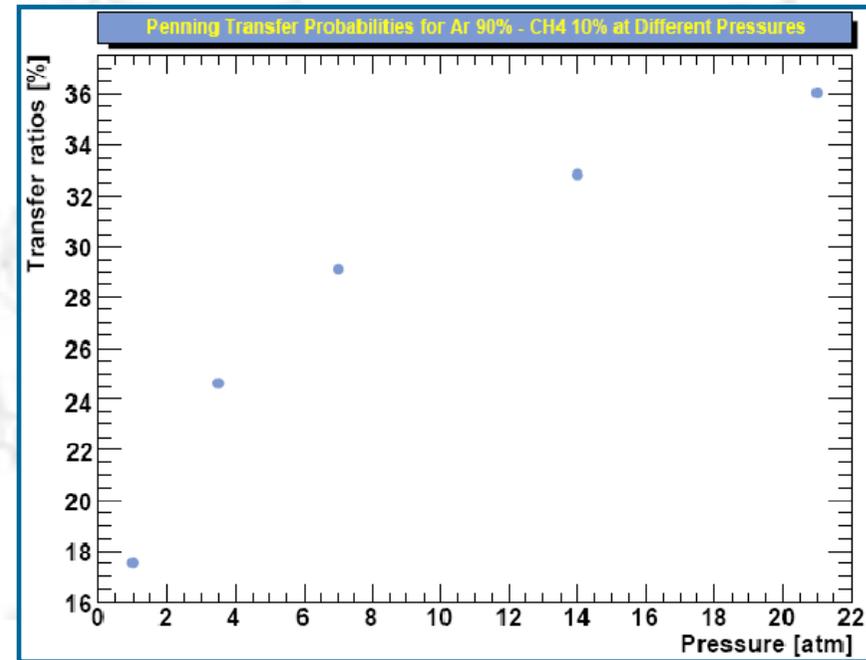
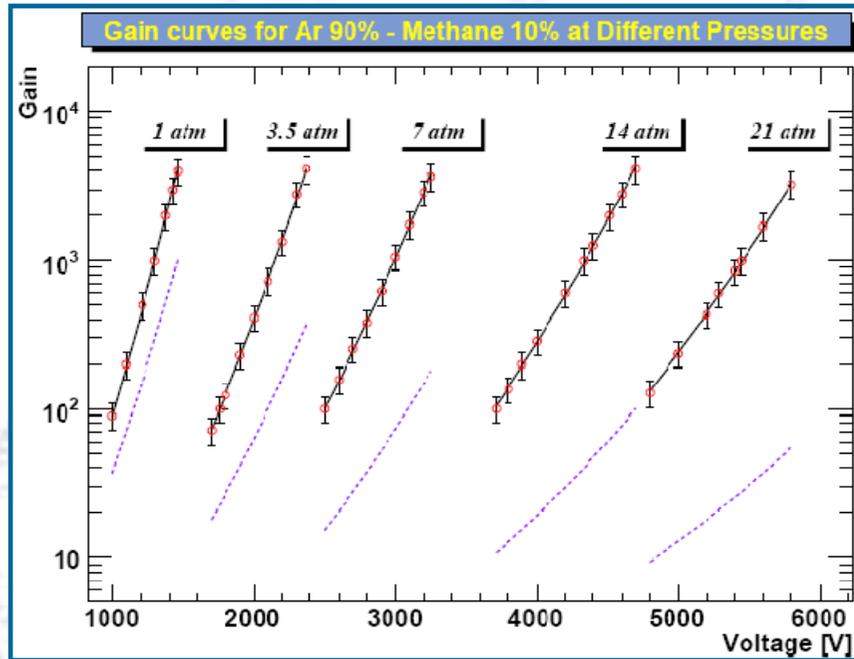
$$t_{\text{meet}} = t_{\text{coll}} / \textit{fraction} \quad (2)$$

Substituting equation (1), the Penning transfer probability is given by,

$$P_T = 1 - e^{-\textit{fraction} \frac{t_{\text{decay}}}{t_{\text{coll}}}} \quad (3)$$

On the other hand, the transfer probabilities particularly for Argon-Xenon and Argon-Propane gas mixtures decrease at high concentration fraction. This situation indicates that, there would be inelastic collisions between excited argon atoms and the recipient atoms or molecules. This leads to decrease transfer probabilities at higher percentage of quencher.

# Discussions



If pressure of the gas mixture increases then the mean free path and thus the time between collisions decreases. Therefore, it can be seen from equation (3) that as the collision time decreases (by increasing pressure), the Penning transfer probabilities increase.

# Discussions      Transfer probabilities for Ar 90% + admixture 10%

## Acetylene (C<sub>2</sub>H<sub>2</sub>) 10%

Transfer Probability [%] =  $48.2 \pm 0.59$

Ionisation = 11.42 eV

Exc. 1 = 1.95 eV

Exc. 2 = 4.90 eV

Exc. 3 = 7.90 eV

## Isobutane (iC<sub>4</sub>H<sub>10</sub>) 10%

Transfer Probability [%] =  $18.2 \pm 0.87$

Ionisation = 10.67 eV

Exc. 1 = 7.4 eV

Exc. 2 = 9.70 eV

Exc. 3 = 17.0 eV

## Propane (C<sub>3</sub>H<sub>8</sub>) 10%

Transfer Probability [%] =  $17.6 \pm 0.87$

Ionisation = 10.95 eV

Exc. 1 = 7.70 eV

Exc. 2 = 10.0 eV

Exc. 3 = 17.0 eV

## Ethane (C<sub>2</sub>H<sub>6</sub>) 10%

Transfer Probability [%] =  $13.6 \pm 0.47$

Ionisation = 11.52 eV

Exc. 1 = 8.52 eV

Exc. 2 = 10.3 eV

Exc. 3 = 17.0 eV

## Methane (CH<sub>4</sub>) 10%

Transfer Probability [%] =  $5.5 \pm 0.58$

Ionisation = 12.99 eV

Exc. Dis. = 9.0 eV

Exc. Dis. = 10.0 eV

Exc. Dis. = 11.0 eV

Exc. Dis. = 11.8 eV

The magnitudes of the transfer probabilities differ between the admixtures, even for the same concentrations.

If the difference between the metastable states of the argon atom and the ionization potential of the admixture gas is small, the Penning transfer probability is higher. This reflects that some of the metastable states energy of argon can be swallowed from low-energy inelastic states of the admixtures.

So, the reason for differences of the Penning transfer probabilities could be differences of the low-energy inelastic states of the admixtures.

A microscopic image of plant tissue, showing a network of thin, elongated cells. A prominent circular structure is visible on the left side. A horizontal blue gradient bar is positioned at the top of the image.

*Thank you ...*