#### **Detector Simulation**

Alberto Ribon CERN PH/SFT

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#### Foreword

This lecture is aimed to offer a **simple and general introduction** to detector simulation.

**Geant4** will be considered as a concrete example (because it is used by the LHC experiments) but only to illustrate general aspects of detector simulation.

This lecture is **not** a tutorial on Geant4 !

(The best way to learn how to use any simulation package is by starting with an example)

# Outline

#### **1. Introduction**

- Why do we need to simulate a detector?
- How does it work?

#### 2. Geometry

- How do we describe an experimental apparatus?

#### **3. Physics**

- What is available and what to use?
- What are the challenges?

#### 4. Validation

- How can we trust a few million lines of code?

# Introduction

### Introduction

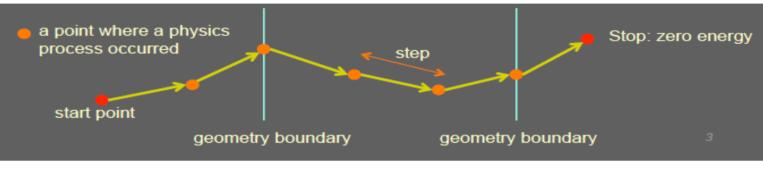
- Simulation is a very useful, essential tool in modern particle physics for:
  - **designing** an experiment (e.g. now ILC/CLIC, FCC)
  - **analysing** the data (e.g. now LHC experiments)
- For the LHC experiments, the simulation is made of two distinct steps:
  - **1.** Simulation of the p-p collision
    - Monte Carlo event generators
- Simulation of the passage of the produced particles through the experimental apparatus
  - Monte Carlo radiation transportation, or simply "detector simulation"
  - From the beam pipe to the end of the cavern
  - The output of 1. is the input of 2.

### Monte Carlo radiation transportation codes

- The simulation of the p-p collision is the same for different experiments at the same collider, e.g. ATLAS and CMS
- The detector simulation is different for each experiment. However, general codes exist that can be used for simulating any detector
  - An experimental apparatus can be modeled in terms of elementary geometrical objects
  - The physics processes are detector independent
- These general codes, e.g. Geant4, are called "Monte Carlo radiation transportation codes"
  - Non-deterministic (e.g. do not solve equations); use random numbers to reproduce distributions
  - Transport particles through matter

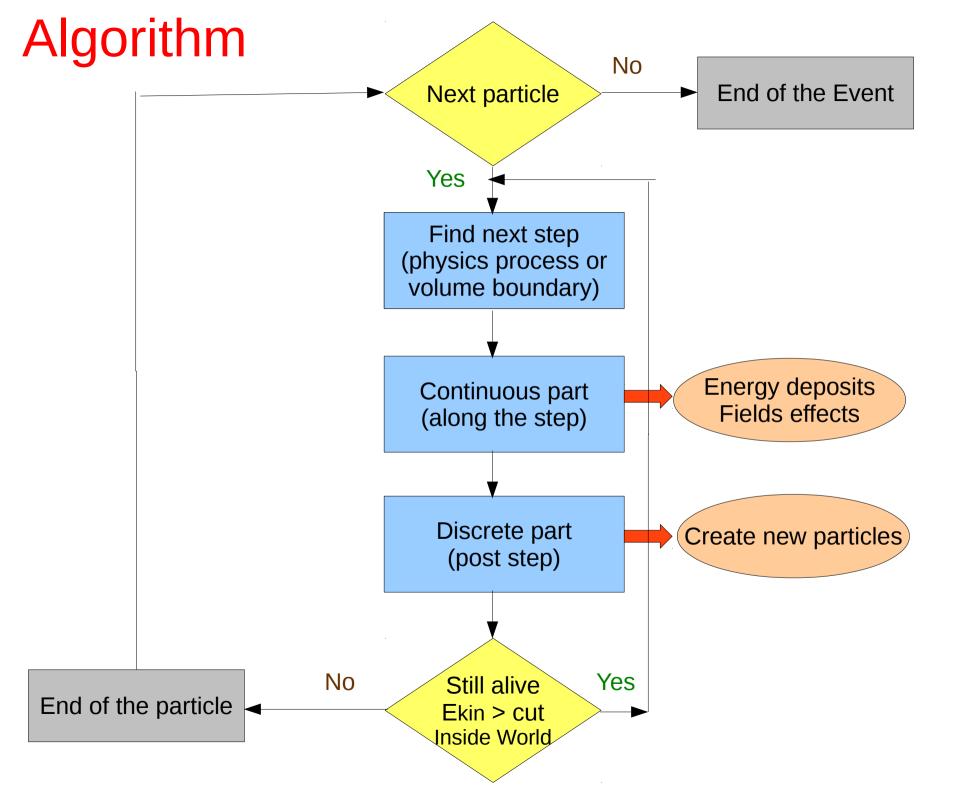
### How does it work?

- Treat one particle at the time
- Treat a particle in steps



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- For each step
  - the step length is determined by the cross sections of the physics processes and the geometrical boundaries; if new particles are created, add them to the list of particles to be transported;
  - local energy deposit; effect of magnetic and electric fields;
  - if the particle is destroyed by the interaction, or it reaches the end of the apparatus, or its energy is below a (tracking) threshold, then the simulation of this particle is over; else continue with another step.
- Output new particles created (indirect)
  - local energy deposits throughout the detector (direct)



### "Digitization"

- Besides the geometry, another experiment-specific aspect of the detector simulation is the "digitization"
  - It is not part of the general radiation transportation codes
- It consists of producing the detector response in terms of electric current & voltage signals, as in the real experiment
  - The same reconstruction chain can be applied for both real and simulated data
- The general radiation transportation code provides energy deposits in the whole detector; from these, the "digitization" simulates the electrical signals induced in the sensitive parts of the detector
- Another detector-specific aspect is the "pile-up" ...

#### Accuracy vs. Speed

- Huge samples (billions) of simulated events are needed by the experiments for their physics analyses
- The number of simulated events is limited by CPU
- The simulation time is dominated by the detector simulation
- Tradeoff between accuracy and speed of the detector simulation
  - More precise physics models are slower and, more importantly, create more secondaries and/or steps
  - Smaller geometrical details slow down the simulation
    - Never model explicitly screws, bolts, cables, etc.
  - Continuous spectrum of types of detector simulations
    - From full, detailed detector simulations (covered in this lecture)
    - To very fast, fully parametrized detector simulations (not covered here!)
- On-going effort to exploit the latest CPU features
  - Multi-threading (e.g. G4 10); Vectorization (e.g. Geant-V)

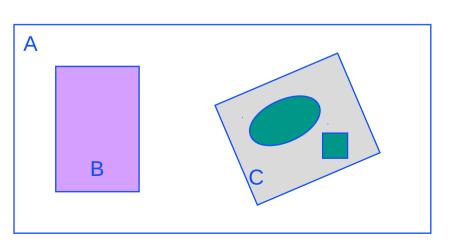
# **Application domains**

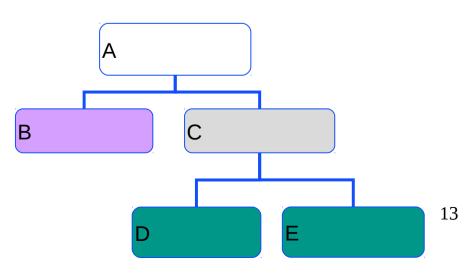
- We are considering here mainly high-energy physics, but...
- There are other domains where the same radiation transportation codes are successfully used:
  - Nuclear physics
  - Accelerator science
  - Astrophysics
  - Space engineering
  - Radiation damage
  - Medical physics
  - Industrial applications
- So, detector simulation is a multi-disciplinary field!

# Geometry

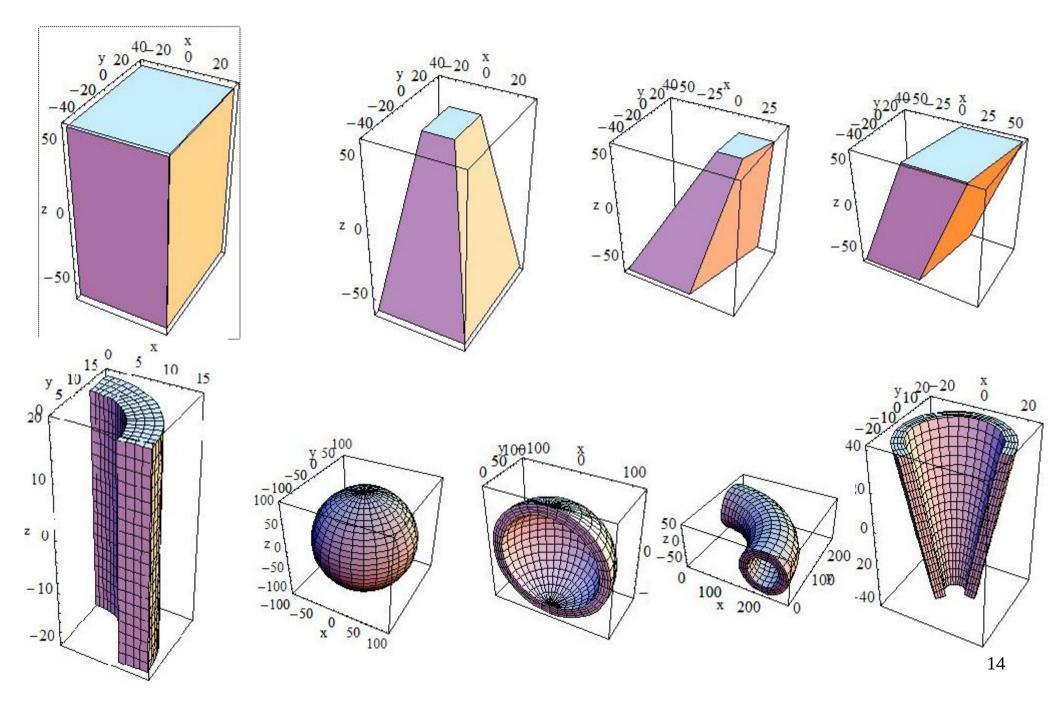
### Geometry

- The way to describe the geometry varies widely between the different simulation engines
  - In Geant4, you need to write some C++ code
    - Geometry objects are instances of classes
    - Geometry parameters (e.g. dimensions) are arguments of the constructors
- The geometry can be "flat" or "hierarchical"
  - In Geant4, it is hierarchical: a volume is placed in its mother volume; there are mother-daughter relationships
- A material should be assigned to each volume

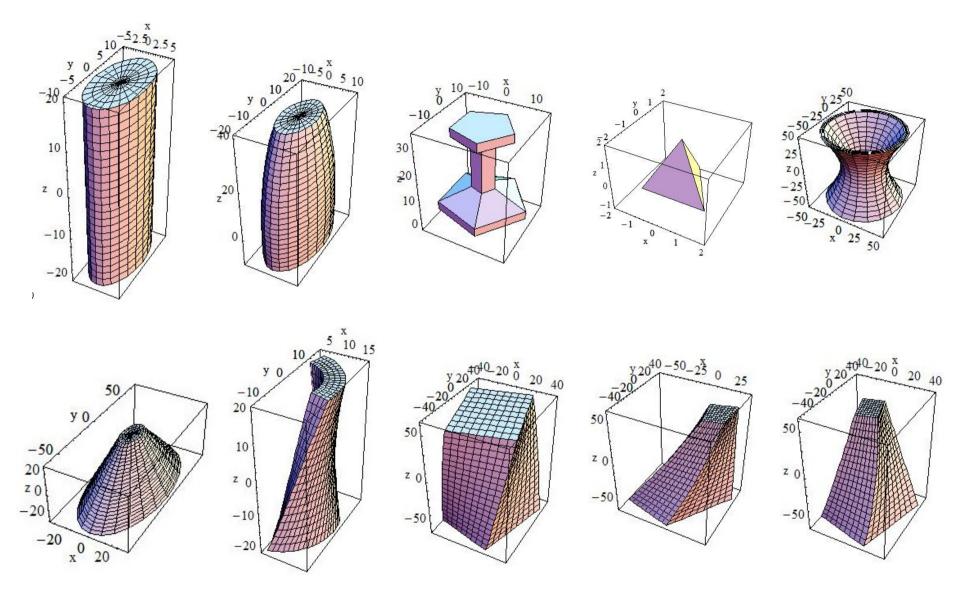




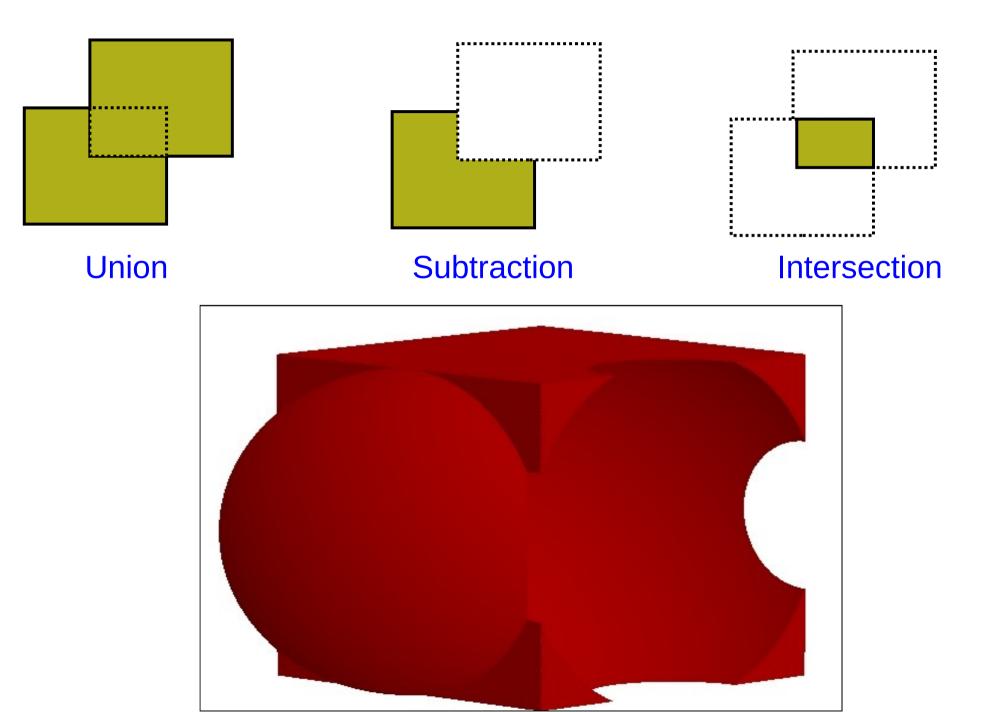
#### CGS (Constructed Geometry) Solids



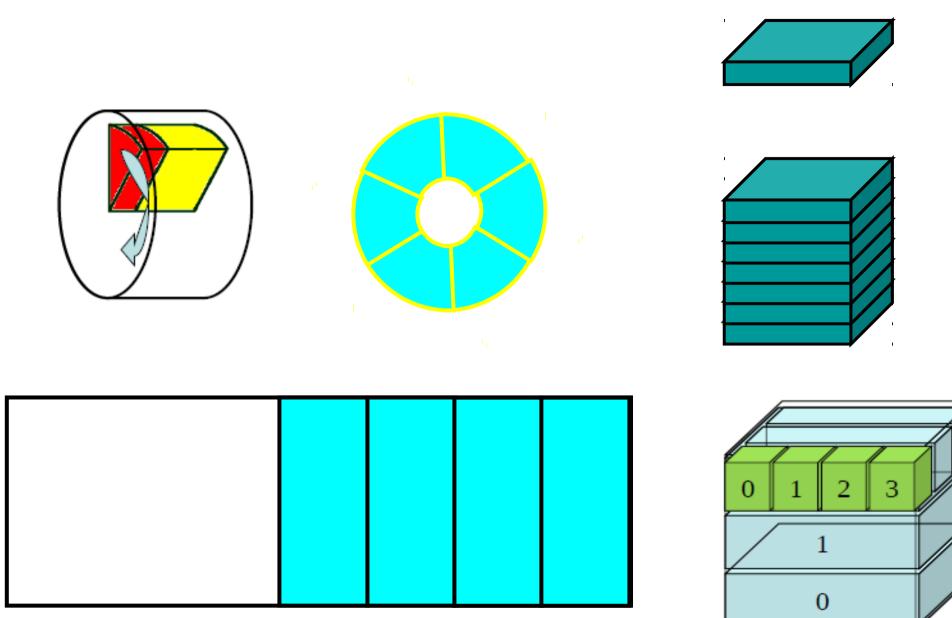
#### Other CGS solids



#### **Boolean solids**



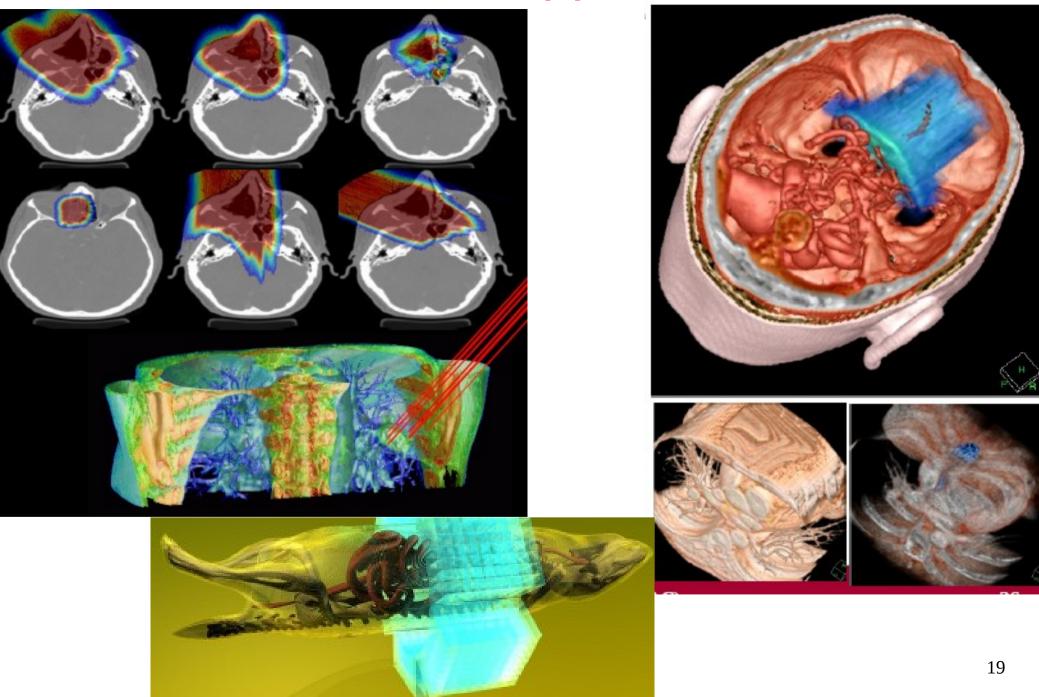
#### **Geometrical symmetries**



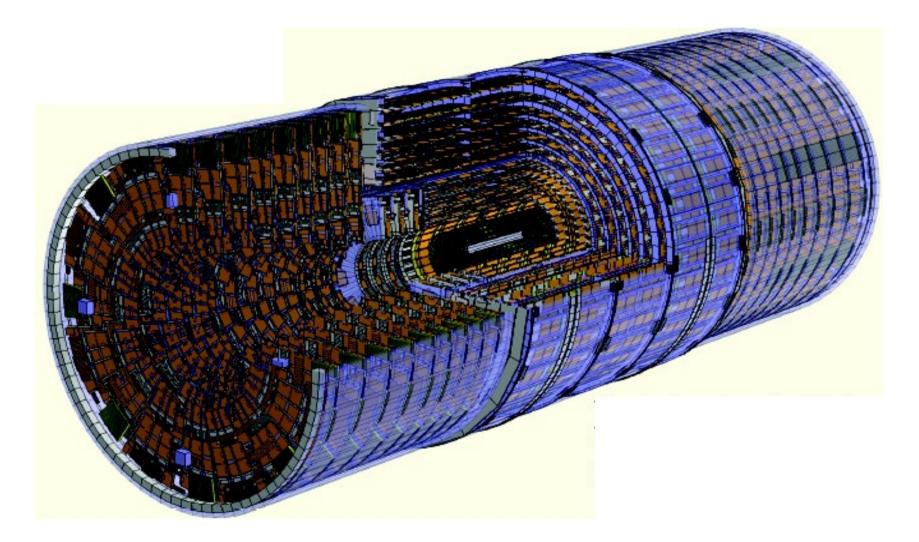
# **Space applications**

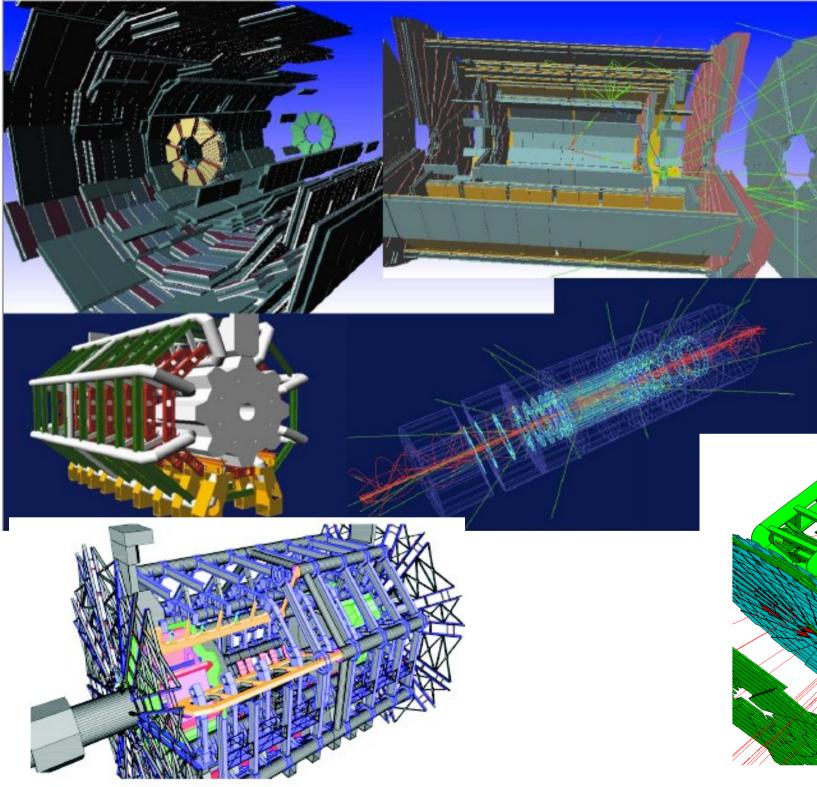


# **Medical applications**

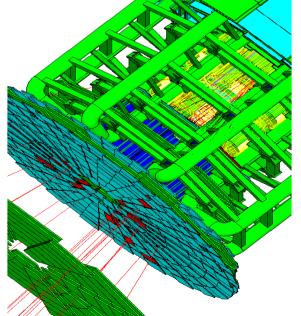


#### **HEP : CMS tracker**





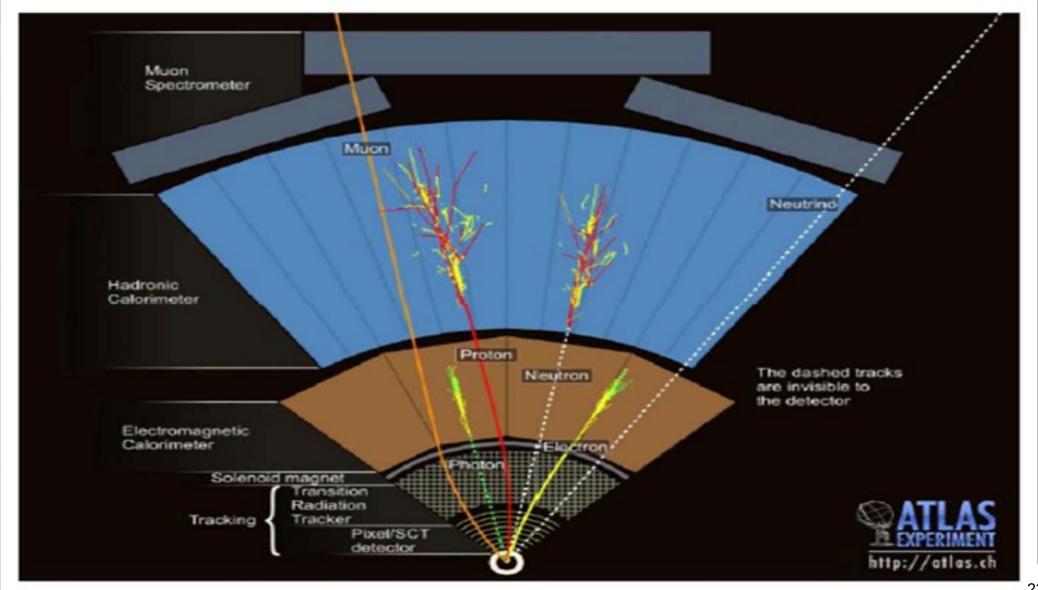
#### HEP : ATLAS



Physics

#### **Particle interactions**

Each particle type has its own set of physics processes. Only electromagnetic effects are directly measurable



### Main electromagnetic processes

#### Gamma

- Conversion
  γ -> e+ e- , μ+ μ-
- Compton scattering
  γ (atomic)e- -> γ (free)e-
- Photo-electric
  γ material -> (free)e-
- Rayleigh scattering
  y atom -> y atom

#### Muon

- Pair production
  µ- atom -> µ- e+ e-
- Bremsstrahlung
  μ- atom -> μ- γ
- MSC (Coulomb scattering)
  μ- atom -> μ- atom
- lonization :
  μ- atom -> μ- ion+ e-

Total cross section: → step length

Differential & partial cross sections : final state (multiplicity & spectra)

#### **Electron, Positron**

- Bremsstrahlung
  e- atom -> e- γ
- MSC (Coulomb scattering)
  e- atom -> e- atom
- Ionization
  e- atom -> e- ion+ e-
- Positron annihilation
  e+ e- -> γ γ

#### Charged hadron, ion

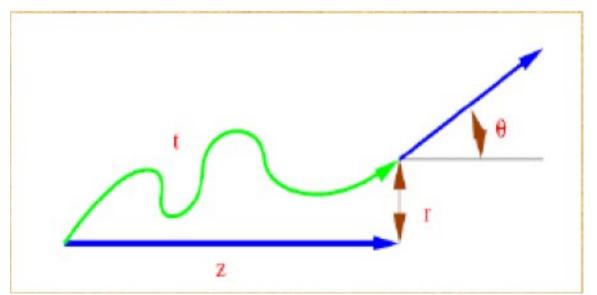
- Bremsstrahlung
  h- atom -> h- γ
- MSC (Coulomb scattering) h- atom -> h- atom
- Ionization
  h- atom -> h- ion+ e-

#### Production and tracking cuts

- Ionization & bremsstrahlung processes produce an increasing number of secondaries as the secondary energy decreases, so we need to set a production cut
  - Above the cut, new particles (e-, y) are created
  - Below the cut, "continuous" energy loss of the primary
- Once a charged particle is created, it can be reliably transported down to Ekin  $\sim 1 \ keV$ 
  - Either, stop it below a tracking cut and deposit its energy locally
  - Or, go down to Ekin -> 0 using its approximated range
- Production and tracking cuts can be expressed directly as kinetic energy thresholds or indirectly as equivalent range thresholds

# Multiple (Coulomb) scattering (MSC)

- Charged particles traversing a finite thickness of matter suffer a huge number (millions) of elastic Coulomb scatterings
- The cumulative effect of these small angle scatterings is mainly a net deflection from the original particle direction
- In most cases, to save CPU time, these multiple scatterings are not simulated individually, but in a "condensed" form
- Various algorithms exist, and new ones under development. One of the main differences between codes



# **Electromagnetic physics**

- Typical validity of electromagnetic physics ≥ 1 keV; for a few processes, extensions to lower energies
- CPU performance of electromagnetic physics is critical : continuous effort to improve it
- Detailed validation of electromagnetic physics is necessary before the validation of hadronic physics
- Typical precision in electromagnetic physics is **~1%** 
  - QED is extremely precise for elementary processes, but atomic and medium effects, important for detector simulations, bring larger uncertainties...
  - Moreover, the "condensed" description of multiple scattering introduces further approximations...
  - Continuous effort to improve the models

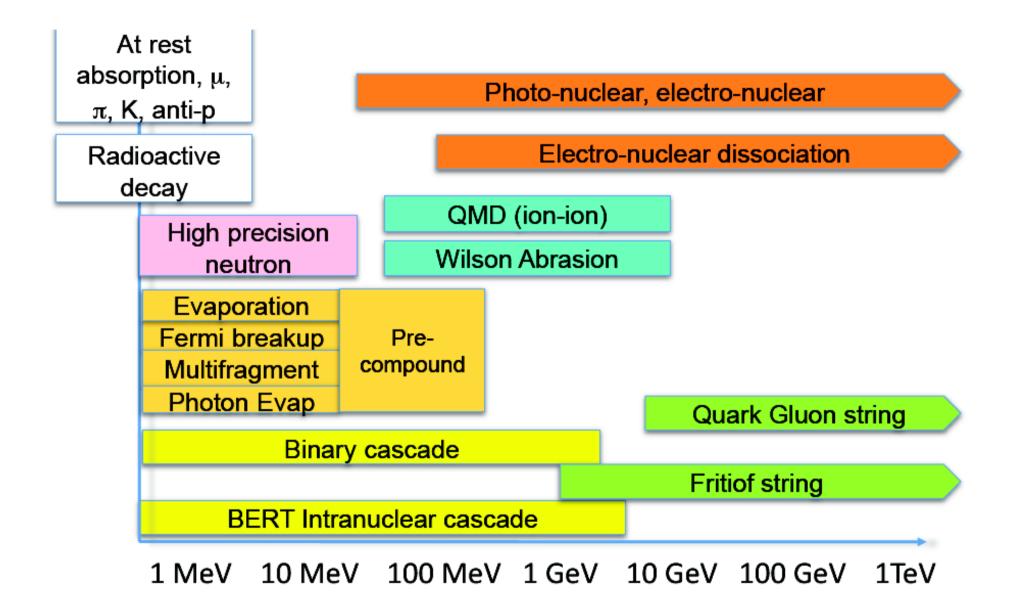
#### Hadronic physics

- Hadrons (π±, K±, K°L, p, n, α, etc.), produced in jets and decays, traverse the detectors (H,C,Ar,Si,Al,Fe,Cu,W,Pb...)
- Therefore we need to model hadronic interactions hadron – nucleus -> anything in our detector simulations
- In principle, QCD is the theory that describes all hadronic interactions; in practice, perturbative calculations are applicable only in a tiny (but important!) phase-space region
  - the hard scattering at high transverse momentum

whereas for the rest, i.e. most of the phase space

- soft scattering, re-scattering, hadronization, nucleus de-excitation only approximate models are available
- Hadronic models are valid for limited combinations of
  - particle type energy target material

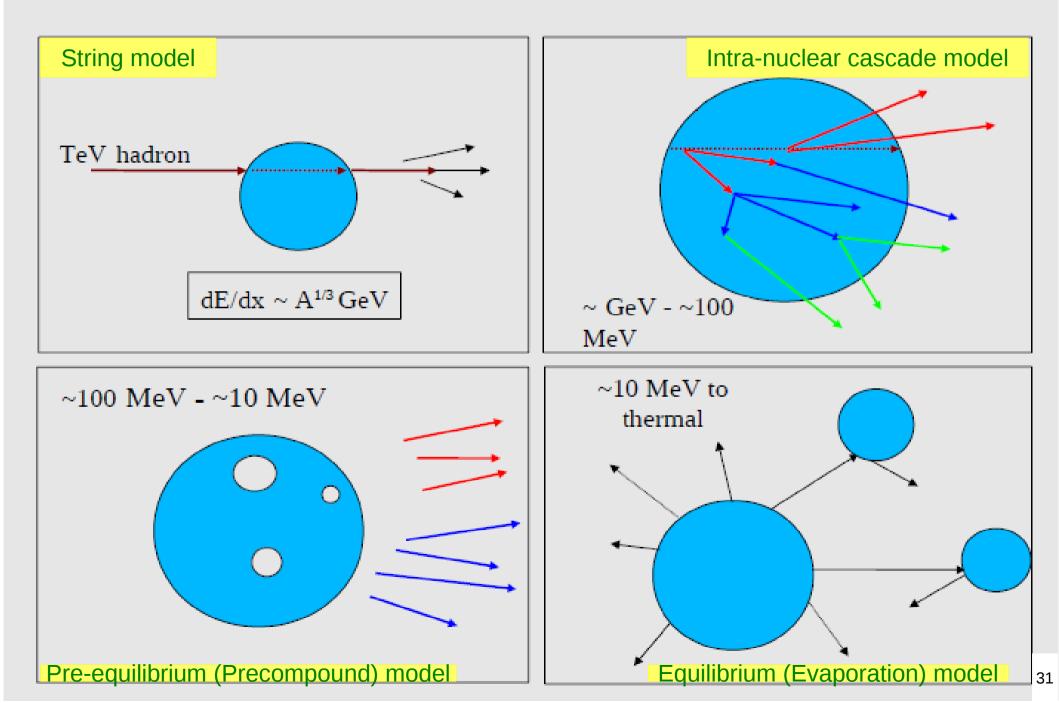
#### Hadronic models available in Geant4



# Physics configuration

- No "unified" hadronic model: need to choose a set of hadronic models able to cover all possible interactions
  - The choice depends on the use-case, because of:
    - The energy scale involved
    - The compromise between accuracy and CPU speed
  - The choice is often done by the developers
    - Options can be proposed according to use-cases
- In the case of Geant4
  - These physics configurations are called "physics lists"
    - The particles to be considered in the simulation are also specified
  - There is no default
  - Ready-to-use "physics lists" exist, for different use-cases
  - Users can also tailor/modify any of these, or write their own

### Hadronic Interactions from TeV to meV

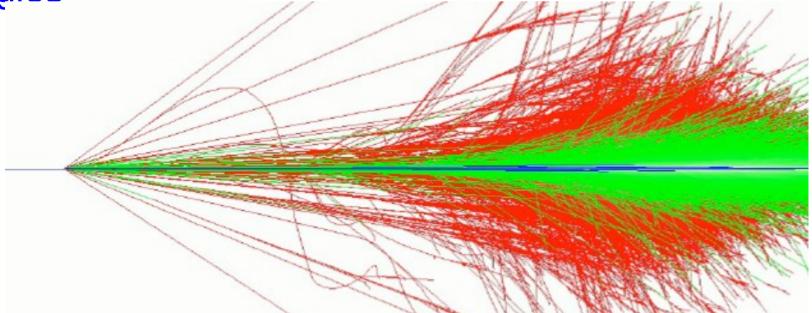


### An interesting complication: Neutrons

- Neutrons are abundantly produced
  - Mostly "soft" neutrons, produced by the de-excitations of nuclei, after hadron-nucleus interactions
  - It is typically the  $3^{rd}$  most produced particle (after e-,  $\gamma$ )
- Before a neutron "disappears" via an inelastic interaction, it can have many elastic scatterings with nuclei, and eventually it can "thermalize" in the environment
- The CPU time of the detector simulation can vary by an order of magnitude according to the physical accuracy of the neutron transportation simulation
  - For typical high-energy applications, a simple treatment is enough (luckily!)
  - For activation and radiation damage studies, a more precise, data-driven and isotope-specific treatment is needed, especially for neutrons of kinetic energy below ~ MeV

#### Hadronic showers

- A single hadron impinging on a large block of matter (e.g. a calorimeter) produces secondary hadrons of lower energies, which in turn can produce other hadrons, and so on: the set of these particles is called a hadronic shower
  - e-/e+/y (electromagnetic component) are also produced copiously because of  $\pi^{\circ}$  -> y y and ionization of charged particles
- The development of a hadronic shower involves many energy scales, from hundreds of GeV down to thermal energies

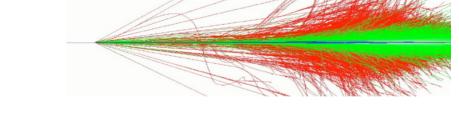


# Validation

# Validation & tuning of hadronic models

 The developers of the hadronic models are responsible of the tuning & validation of these models with thin-target (microscopic, single-interaction) measurements

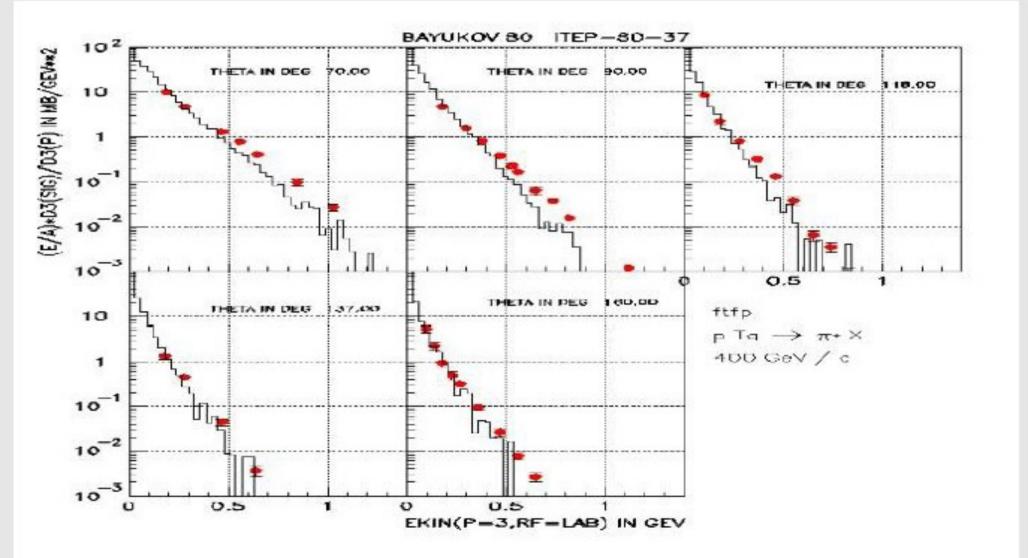
 Validation of complete physics configurations is performed by users mostly via measurements of hadronic showers in calorimeter test-beam setups (thick targets)



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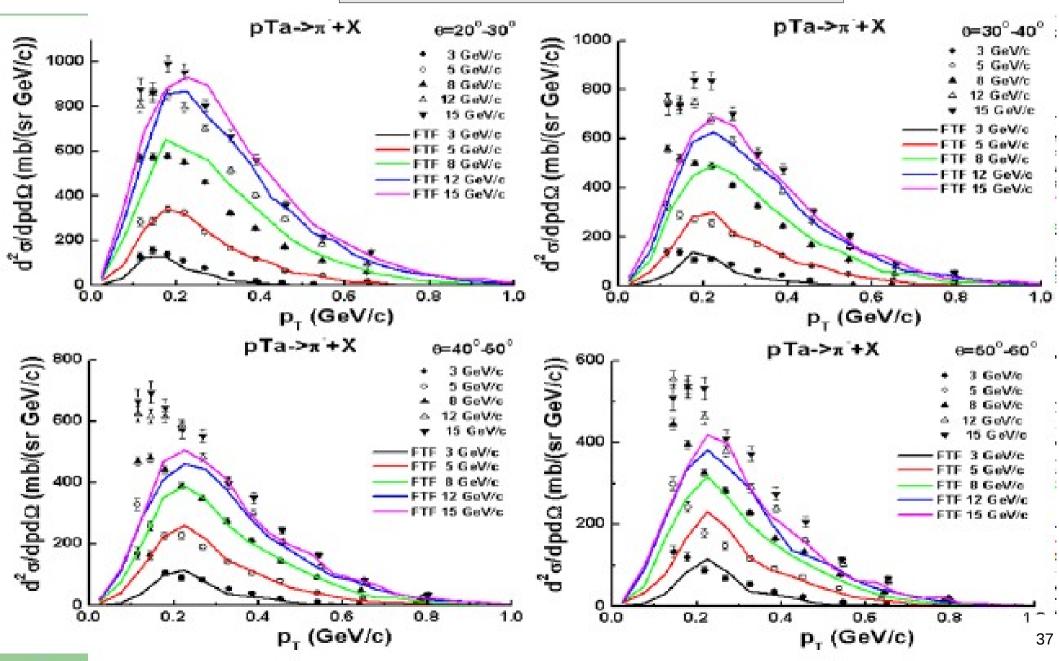
- The most important application of the hadronic models for collider experiments is the **simulation of jets**, which involves
  - **1.** the Monte Carlo event generator
  - **2.** the convolution of the showers for each constituent hadron
  - 3. experiment specific: geometry & materials, digitization, etc.

#### Model-level thin-target tests FTF Results at 400 GeV/c p Ta -> pi+ X

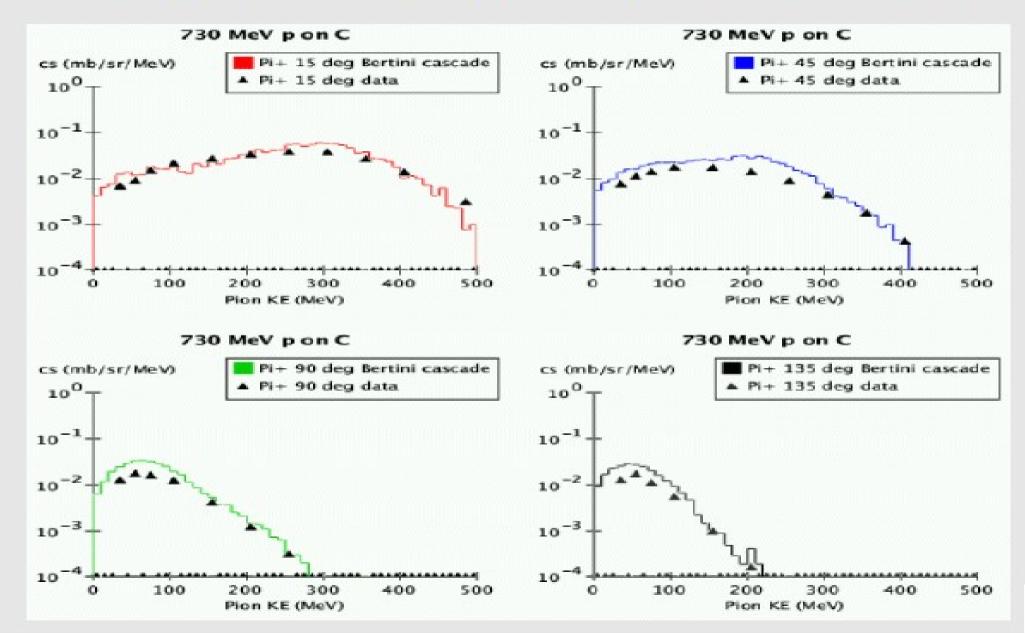


## Model-level thin-target tests

FTF validation, HARP-CDP data

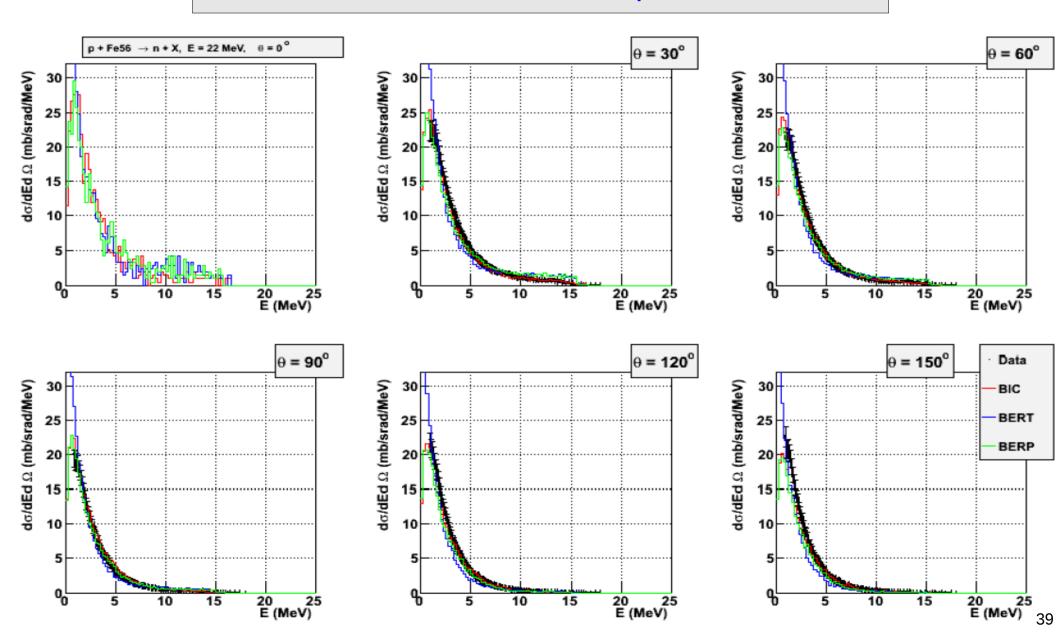


## Model-level thin-target tests Validation of the Bertini Cascade



### Model-level thin-target tests

#### Preco validation, 22 MeV p – Fe -> n

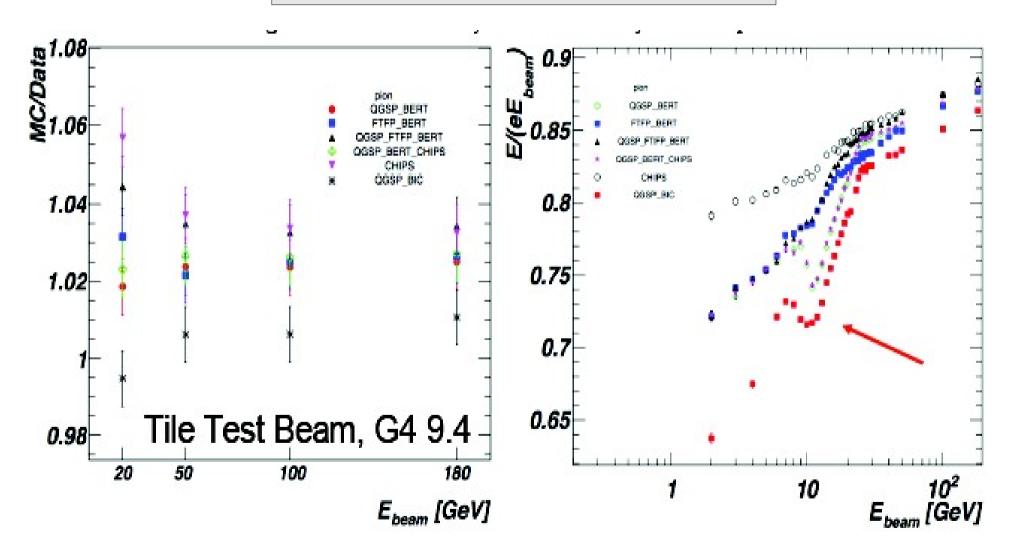


## LHC calorimeter test-beams



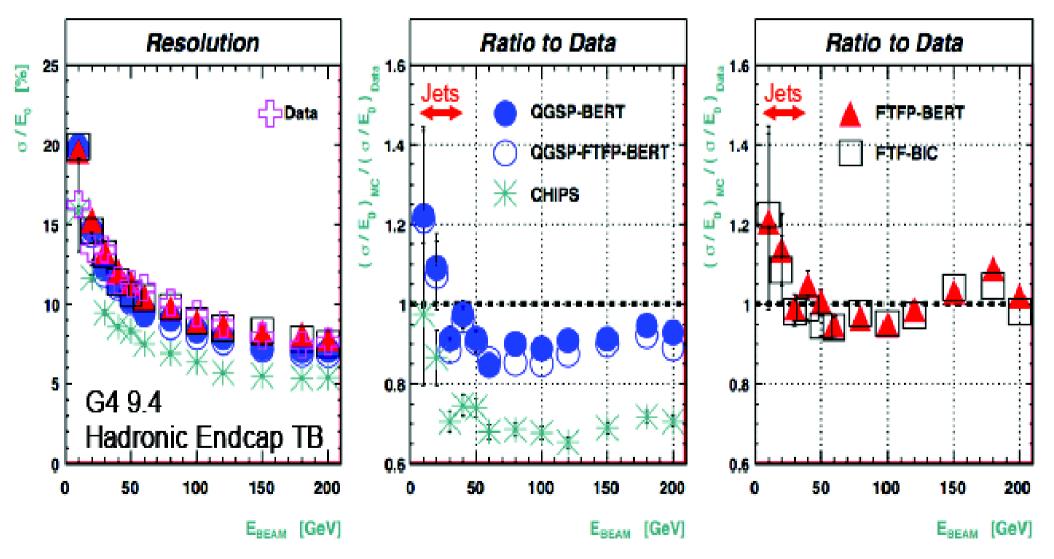
## Energy response

#### ATLAS TileCal test-beam



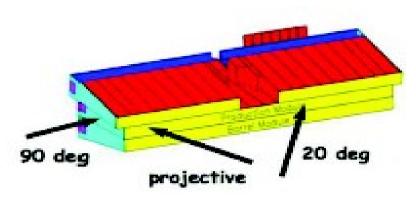
## **Energy resolution**

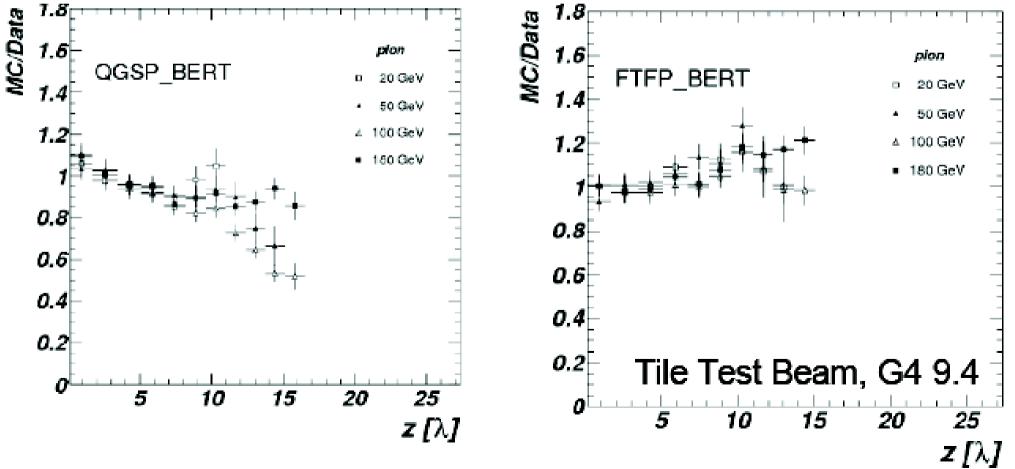
#### ATLAS HEC test-beam



## Longitudinal shower shape

ATLAS TileCal test-beam @90°

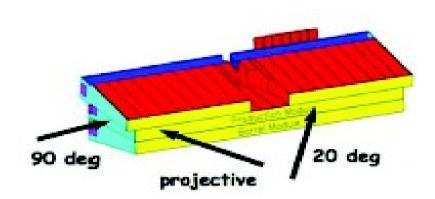


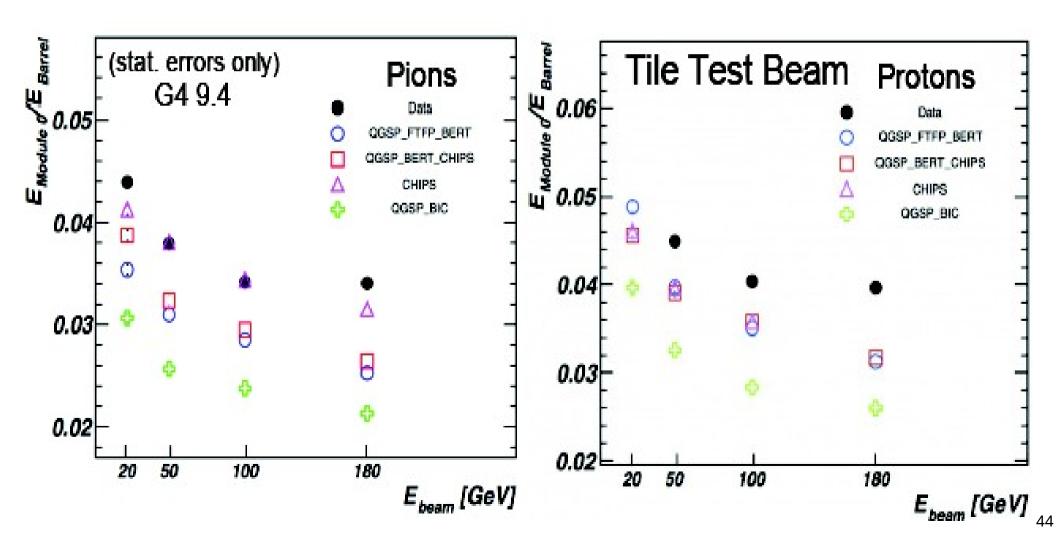


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## Lateral shower shape

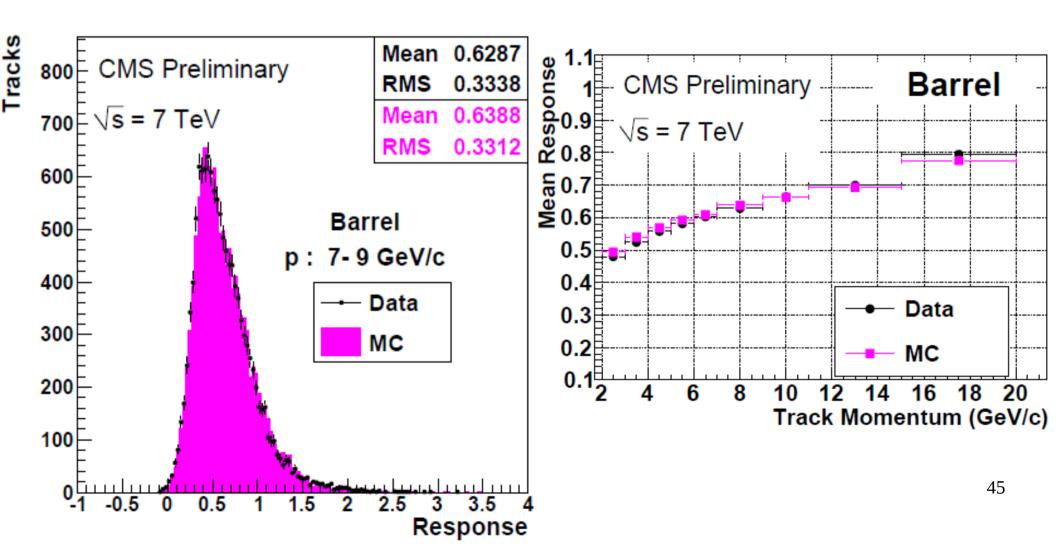
ATLAS TileCal test-beam @90°





# Isolated single hadron response: simulation vs. CMS p-p data

Agreement is better than ±3% between 2-20 GeV/c

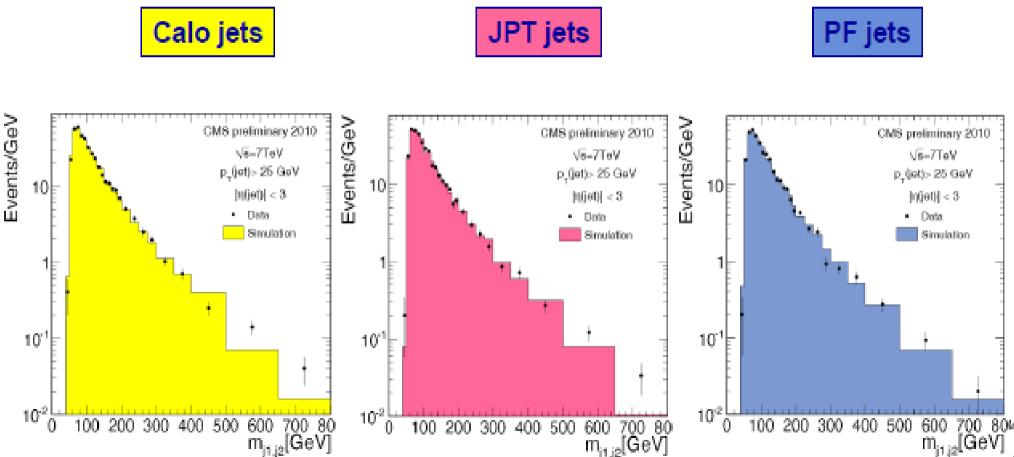


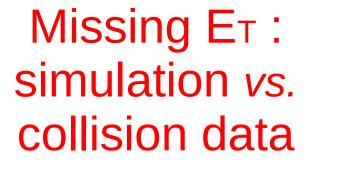
## Di-jet invariant mass: simulation vs. CMS p-p data

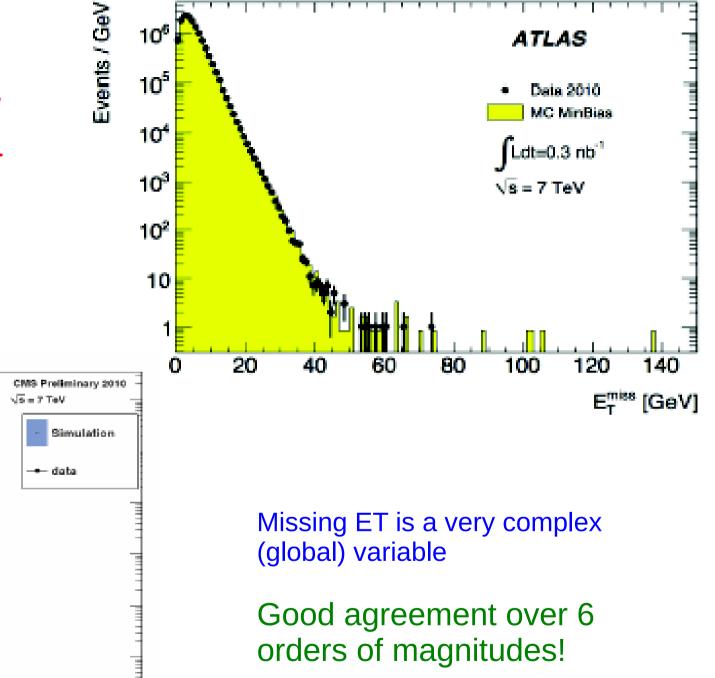
Very good agreement between simulation and collision data!

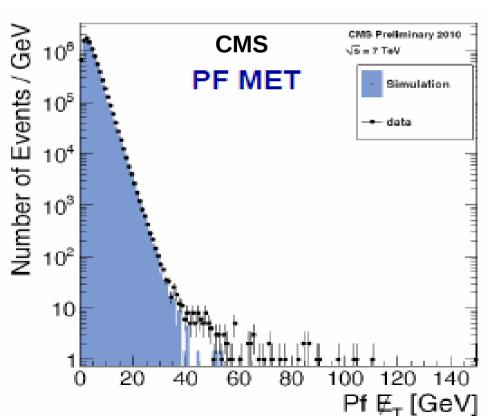
Three ingredients are convoluted in the simulation:

- Monte Carlo event generator: Pythia
- Detector simulation engine: Geant4
- Experiment-specific aspects: geometry/materials, digitization, calibration, rec.









## Summary

- Detector simulation is one of the main tools of modern high-energy physics
- The main challenges of detector simulation are:
  - Physics accuracy
  - CPU performance
  - Validation
- Suggestions for you:
  - Learn by studying and playing with existing examples
  - Be critical and pragmatic when using simulations
  - Contribute to the validation and provide feedback

## Other codes

- General
  - Fluka
  - Geant3
  - MARS
  - MCNP / MCNPX
- Dedicated to electromagnetic physics
  - EGS4
  - EGS5
  - EGSnrc
  - ETRAN
  - Penelope

## Acknowledgment

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