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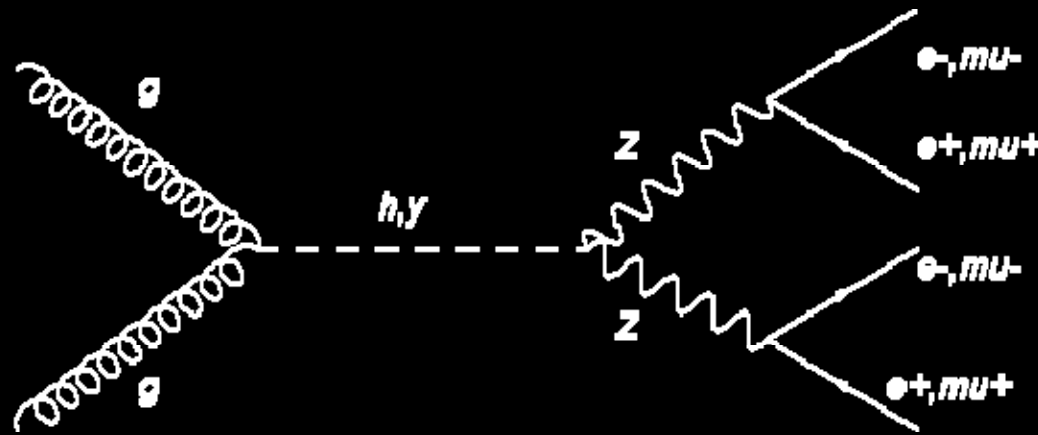
DIBOSON SIGNATURES OF HIGH MASS NEUTRAL RESONANCES AT THE LHC

BSM High Mass Resonances

- Many proposed theories for physics beyond the standard model include new heavy particles with some coupling to two Z bosons
- Different theories predict such new particles with different spins, for example a spin-2 graviton, a spin-1 boson arising from a new U(1) gauge group, or a spin-0 Higgs-like particle
- Given such a new particle X, we consider the process whereby an X resonance in the LHC decays through two Zs, and then into two negatively charged and two positively charged leptons (namely e, mu)



Bivariate Angular Distributions

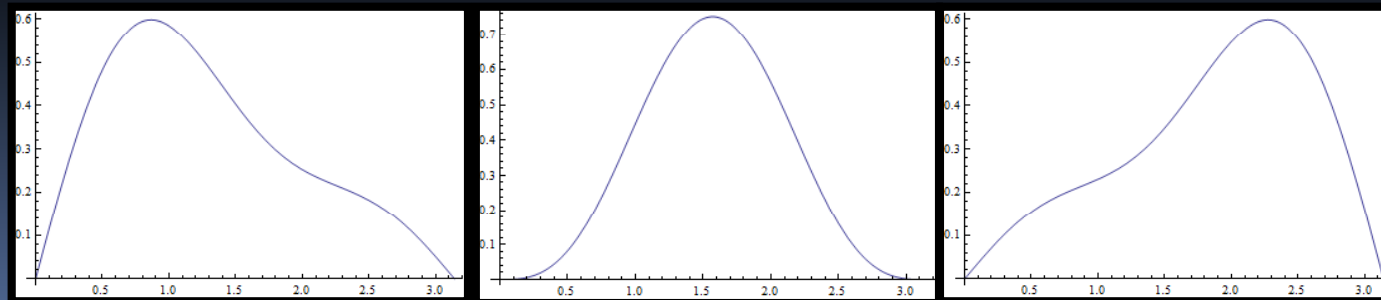


- Deriving observables from the bivariate distribution of the angles of the negatively charged leptons in their respective Z rest frames, we can probe the spin of the resonance



Polarization States of the Z

- As a massive spin-1 particle, the Z boson has three polarization states, which we can characterize as right handed, left handed, and longitudinal
- Each of these states gives a distinct probability distribution for the lepton angles

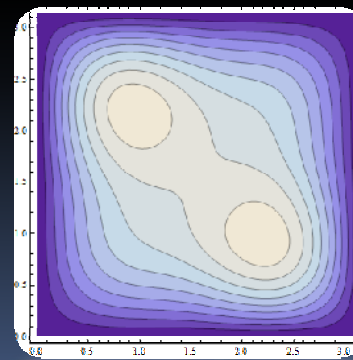
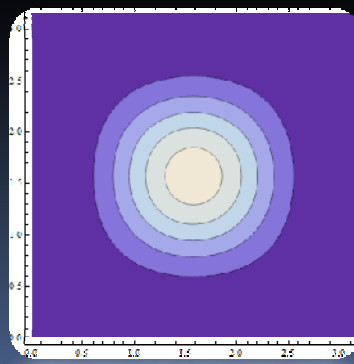
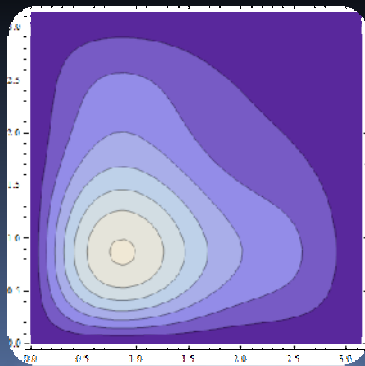


Bivariate Distributions of ZZ

- Given two Z bosons we have the relation:

$$\frac{d^2 N_{ij}}{d\theta_1 d\theta_2} = \frac{1}{2} \left(\frac{dN_i}{d\theta_1} \frac{dN_j}{d\theta_2} + \frac{dN_i}{d\theta_2} \frac{dN_j}{d\theta_1} \right)$$

- Thus we can generate the bivariate distributions of leptons if the state of each Z in the ZZ pair is known



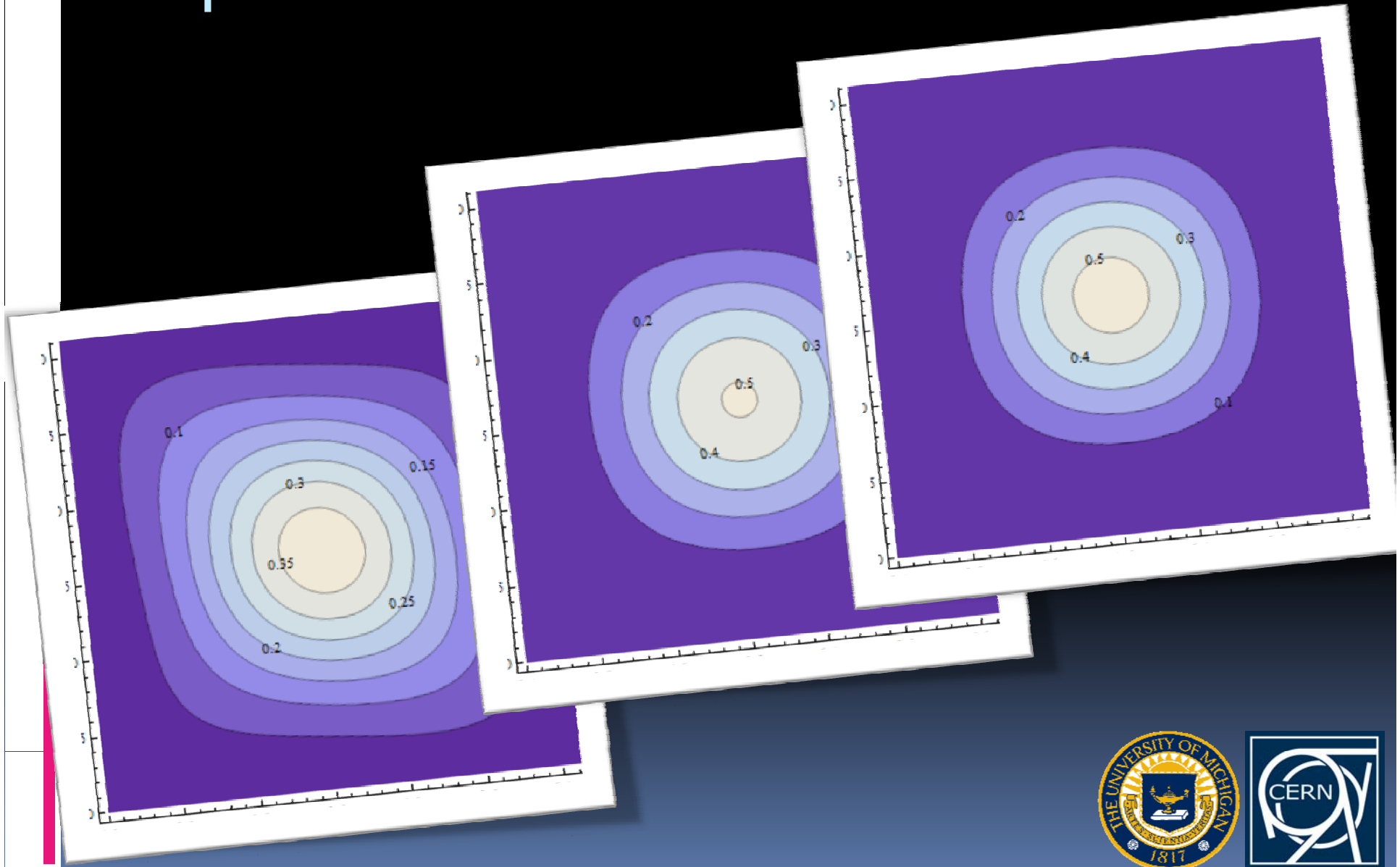
Bivariate distributions for the decay of a new particle

- To derive the bivariate distributions for new particles we calculate the relative decay widths into each possible pair of ZZ states (for our analytic calculations we assume that the Zs are on shell)
- For example, for the SM Higgs coupling we have

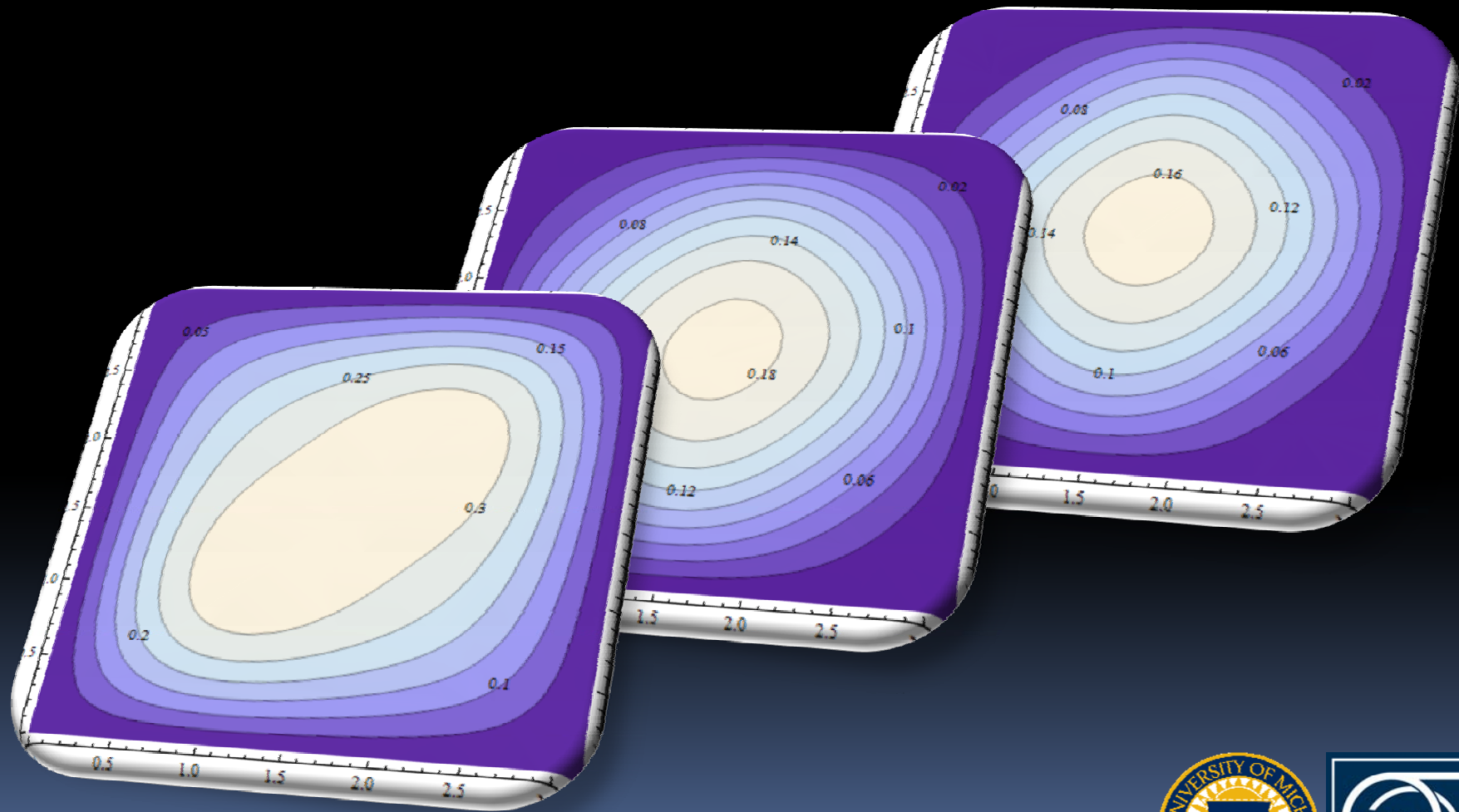
$$\Gamma_{h \rightarrow ZZ} = \sum_{i,j} \Gamma_{h \rightarrow Z_i Z_j} = (-1)^2 + (-1)^2 + (1 + \frac{1}{2}((\frac{M_h}{M_z})^2 - 4))$$



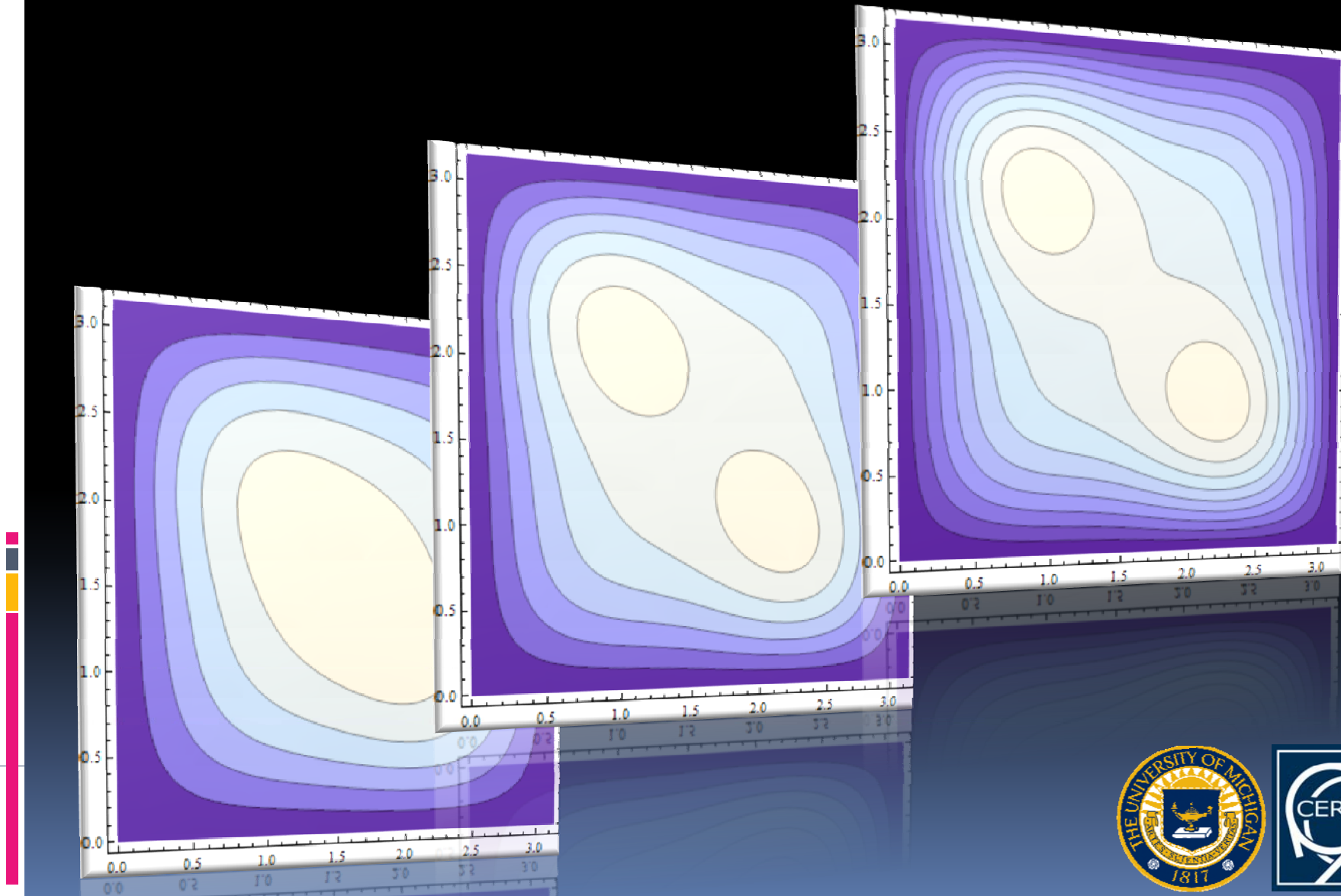
Spin-0 Distribution



Spin-1 Distribution



Spin-2 Distribution



Monte Carlo Event Generation

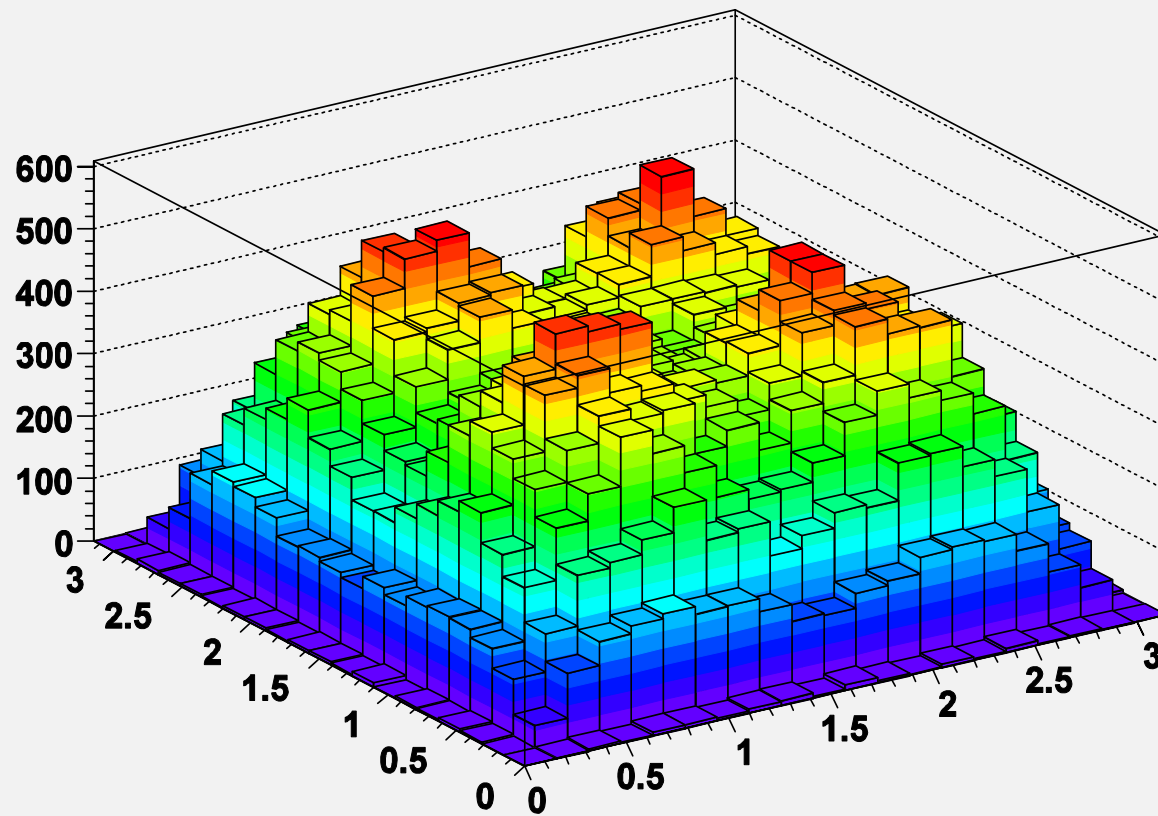
- To take account of the background and the corresponding experimental cuts to deal with it we use a Monte Carlo simulator to get a better sense of what experiments will see
- We record events for 250, 500, and 1,000 GeV resonances for spin-0, spin-1, and spin-2
- We require that the invariant mass of the lepton pairs reconstruct that of the Z to within 5 GeV, and use the following windows for the 4-lepton invariant masses

250 GeV	500 GeV	1 TeV
7.5 GeV	10 GeV	20 GeV



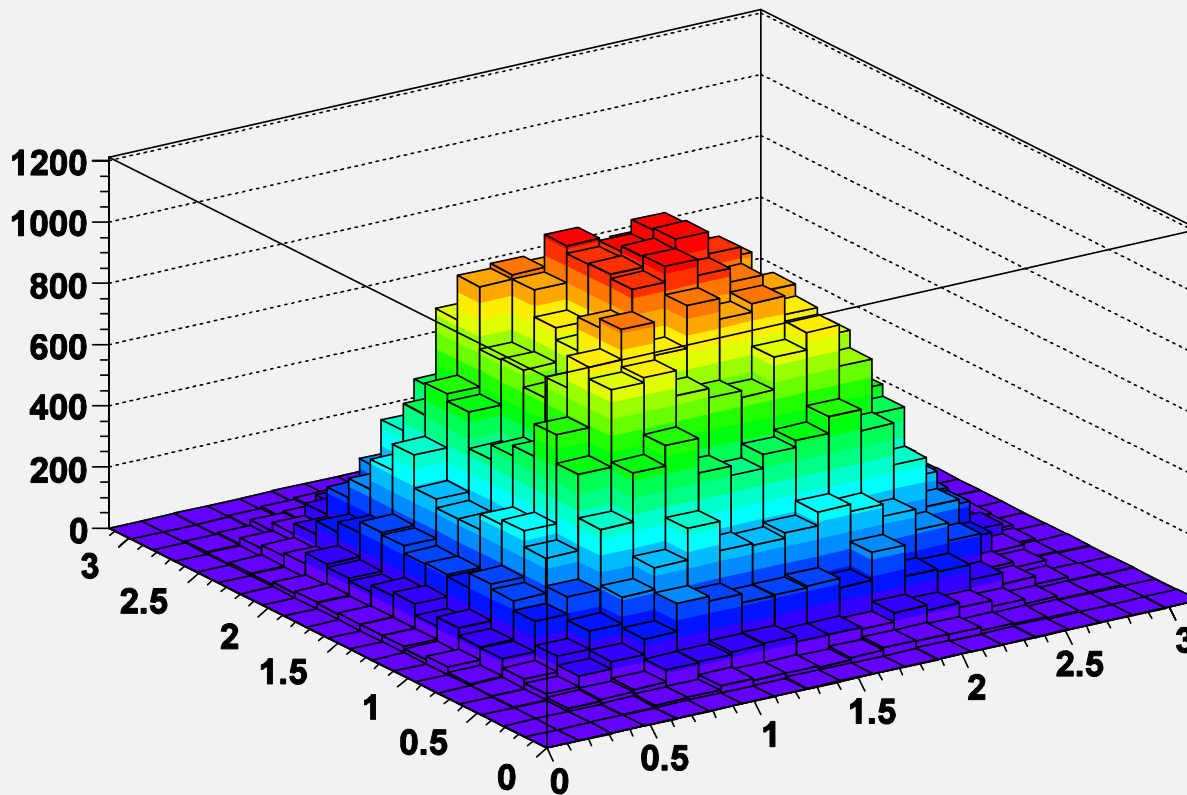
Events at 1 TeV: The Graviton

Bivariate theta distribution



Events at 1 TeV: The Scalar

Bivariate theta distribution



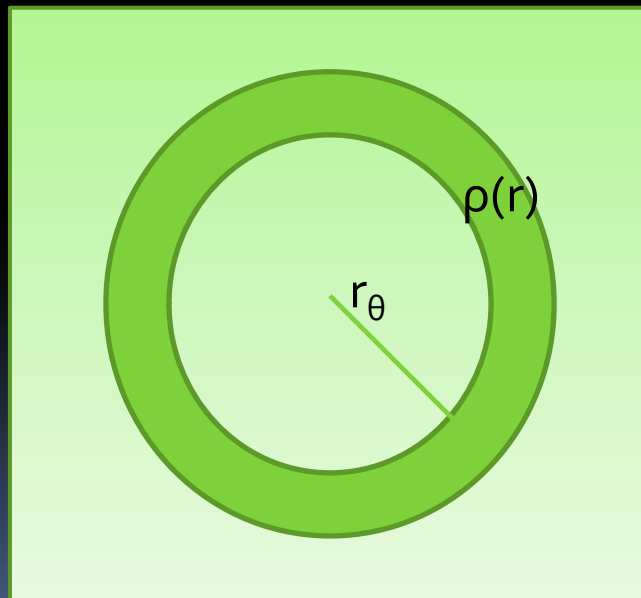
Constructing an Observable

- Because contour plots are by design effective for continuous distributions and not for the discrete approximations resulting from a finite number of events, we must find some more useful characterization of the angular distributions
- The reality of event production means that some finer aspects of the angular distributions, such as even the existence of the transverse ZZ modes in the Higgs decay, cannot be probed
- However, some features of the angular distributions are markedly different for particles of different spin
- For example, our spin-1 vertex has no decay modes into two longitudinally polarized Zs



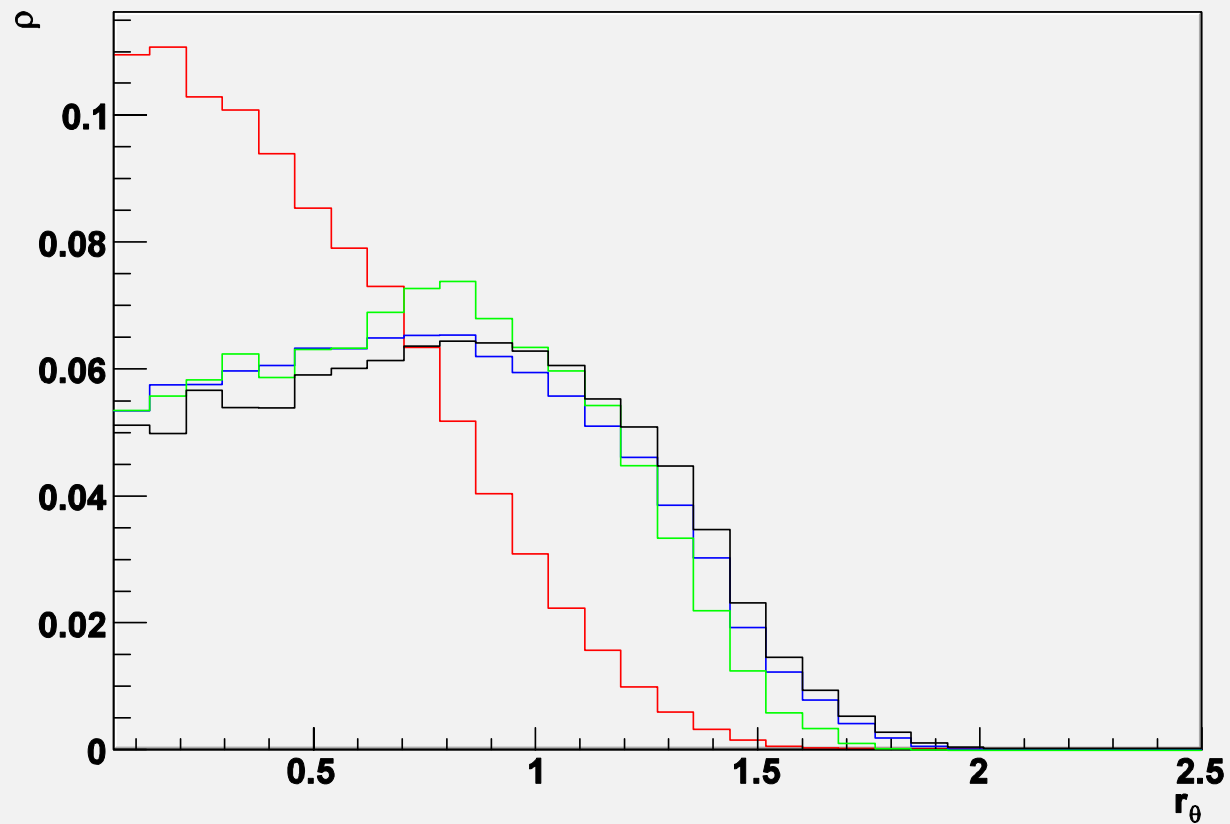
Constructing an Observable

- One way these differences can be seen is by observing the radial density distribution of the bivariate plots



Events at 1 TeV

Radial Distribution

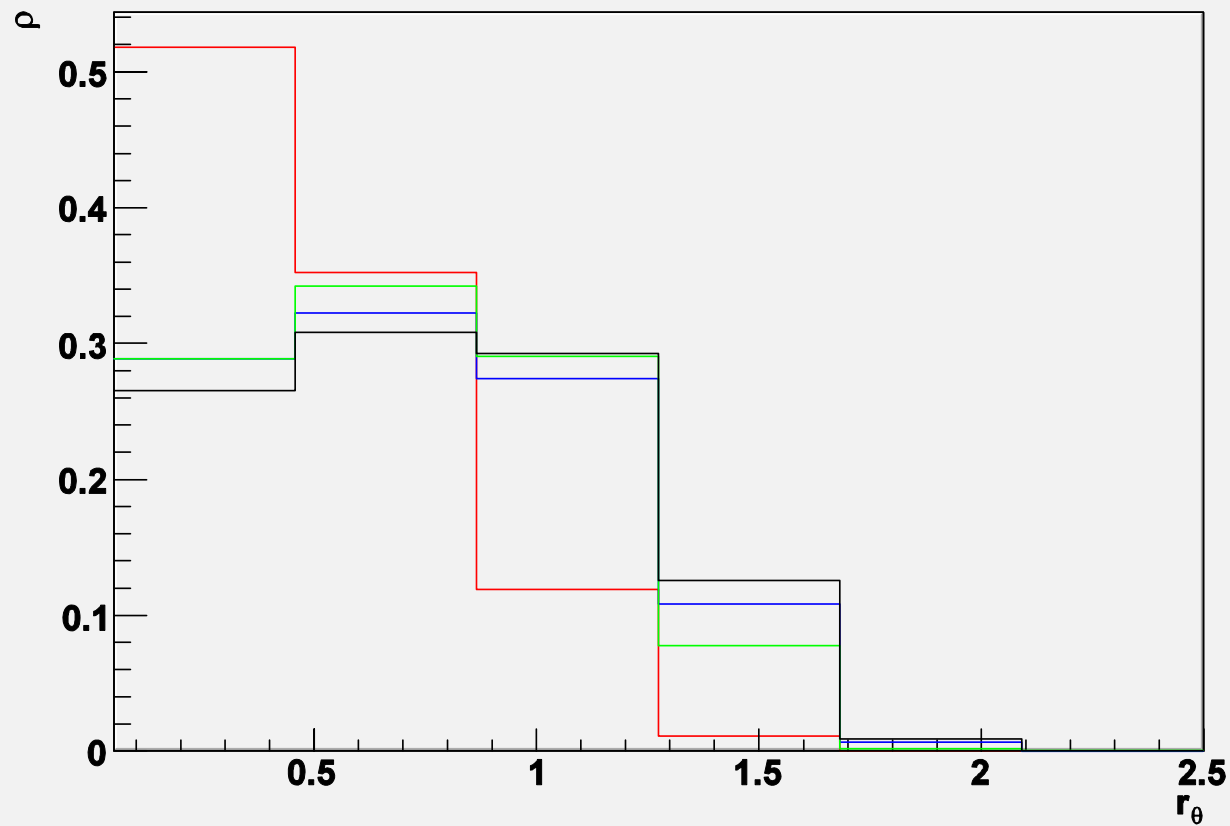


Red	Green	Blue	Black
Scalar	Vector	Tensor	Background



Events at 1 TeV

Radial Distribution

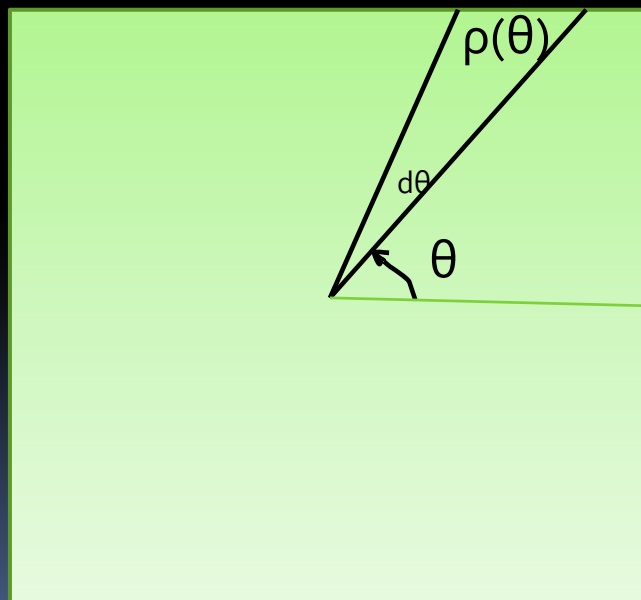


Red	Green	Blue	Black
Scalar	Vector	Tensor	Background



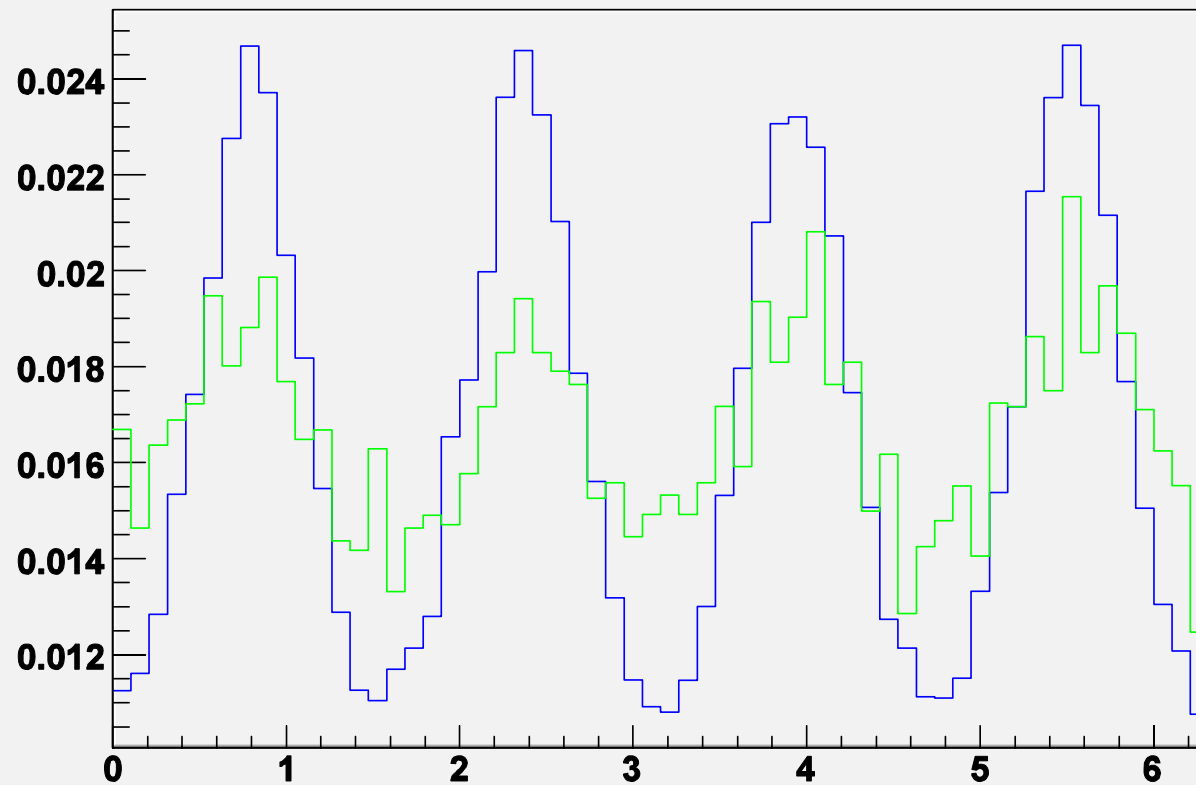
Constructing another observable

- We can also plot the distribution as a function of the angle from an axis



Events at 1 TeV

Angular Distribution

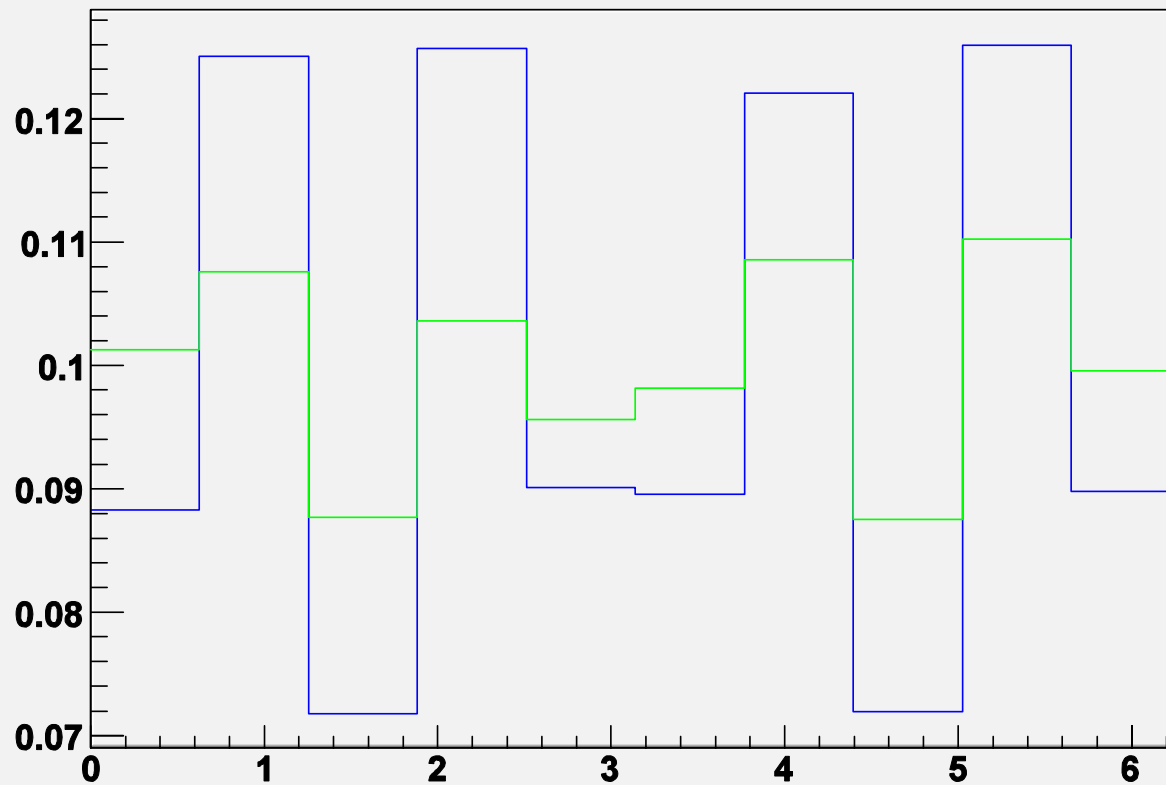


Green	Blue
Vector	Tensor



Events at 1 TeV

Angular Distribution



Green	Blue
Vector	Tensor



Acknowledgements

- James Wells
- Rikkert Frederix from the Madgraph development team
- Jean Krisch, Myron Campbell, Homer Neal and Jeremy Herr

Backup Slides



HELAS and new vertices

```
154  & + v1(3)*v2(2)*p1(3)*q(0)*q(0)*vmass**2
155  & + v1(3)*v2(2)*p2(0)*q(0)*q(3)*vmass**2
156  & - v1(3)*v2(2)*p2(3)*q(0)*q(0)*vmass**2
157  & + v1(3)*v2(4)*p1(0)*q(0)*q(1)*vmass**2
158  & - v1(3)*v2(4)*p1(1)*q(0)*q(0)*vmass**2
159  & - v1(3)*v2(4)*p2(0)*q(0)*q(1)*vmass**2
160  & + v1(3)*v2(4)*p2(1)*q(0)*q(0)*vmass**2
161  & - v1(4)*v2(1)*p1(1)*q(0)*q(2)*vmass**2
162  & + v1(4)*v2(1)*p1(2)*q(0)*q(1)*vmass**2
163  & + v1(4)*v2(1)*p2(1)*q(0)*q(2)*vmass**2
164  & - v1(4)*v2(1)*p2(2)*q(0)*q(1)*vmass**2
165  & + v1(4)*v2(2)*p1(0)*q(0)*q(2)*vmass**2
166  & - v1(4)*v2(2)*p1(2)*q(0)*q(0)*vmass**2
167  & - v1(4)*v2(2)*p2(0)*q(0)*q(2)*vmass**2
168  & + v1(4)*v2(2)*p2(2)*q(0)*q(0)*vmass**2
169  & - v1(4)*v2(3)*p1(0)*q(0)*q(1)*vmass**2
170  & + v1(4)*v2(3)*p1(1)*q(0)*q(0)*vmass**2
171  & + v1(4)*v2(3)*p2(0)*q(0)*q(1)*vmass**2
172  & - v1(4)*v2(3)*p2(1)*q(0)*q(0)*vmass**2
173
174  jvv(2) = - wp(1)*v1(3)*p1(3)
175  & + wp(1)*v1(3)*p2(3)
176  & + wp(1)*v1(4)*p1(2)
177  & - wp(1)*v1(4)*p2(2)
178  & + wp(3)*v1(1)*p1(3)
179  & - wp(3)*v1(1)*p2(3)
180  & - wp(3)*v1(4)*p1(0)
181  & + wp(3)*v1(4)*p2(0)
182  & - wp(4)*v1(1)*p1(2)
183  & + wp(4)*v1(1)*p2(2)
184  & + wp(4)*v1(3)*p1(0)
185  & - wp(4)*v1(3)*p2(0)
186  & + v1(1)*v2(2)*p1(2)*q(1)*q(3)*vmass**2
187  & - v1(1)*v2(2)*p1(3)*q(1)*q(2)*vmass**2
188  & - v1(1)*v2(2)*p2(2)*q(1)*q(3)*vmass**2
189  & + v1(1)*v2(2)*p2(3)*q(1)*q(2)*vmass**2
190  & - v1(1)*v2(3)*p1(1)*q(1)*q(3)*vmass**2
191  & + v1(1)*v2(3)*p1(3)*q(1)*q(1)*vmass**2
192  & + v1(1)*v2(3)*p2(1)*q(1)*q(3)*vmass**2
```



FORM

```
[J] =  
- k1.k2*e1plus.e2zero*e3plus.e3plus + 2*k1.k2*e1plus.e3plus*  
e2zero.e3plus + k1.e2zero*k2.e1plus*e3plus.e3plus - 2*k1.e2zero*  
k2.e3plus*e1plus.e3plus - 2*k1.e3plus*k2.e1plus*e2zero.e3plus + 2*  
k1.e3plus*k2.e3plus*e1plus.e2zero - e1plus.e2zero*e3plus.e3plus*Mz^2 + 2  
*e1plus.e3plus*e2zero.e3plus*Mz^2;  
  
[K] =  
- k1.k2*e1zero.e2plus*e3plus.e3plus + 2*k1.k2*e1zero.e3plus*  
e2plus.e3plus + k1.e2plus*k2.e1zero*e3plus.e3plus - 2*k1.e2plus*  
k2.e3plus*e1zero.e3plus - 2*k1.e3plus*k2.e1zero*e2plus.e3plus + 2*  
k1.e3plus*k2.e3plus*e1zero.e2plus - e1zero.e2plus*e3plus.e3plus*Mz^2 + 2  
*e1zero.e3plus*e2plus.e3plus*Mz^2;  
  
[L] =  
- k1.k2*e1minus.e2zero*e3plus.e3plus + 2*k1.k2*e1minus.e3plus*  
e2zero.e3plus + k1.e2zero*k2.e1minus*e3plus.e3plus - 2*k1.e2zero*  
k2.e3plus*e1minus.e3plus - 2*k1.e3plus*k2.e1minus*e2zero.e3plus + 2*  
k1.e3plus*k2.e3plus*e1minus.e2zero - e1minus.e2zero*e3plus.e3plus*Mz^2  
+ 2*e1minus.e3plus*e2zero.e3plus*Mz^2;  
  
[M] =  
- k1.k2*e1zero.e2minus*e3plus.e3plus + 2*k1.k2*e1zero.e3plus*  
e2minus.e3plus + k1.e2minus*k2.e1zero*e3plus.e3plus - 2*k1.e2minus*  
k2.e3plus*e1zero.e3plus - 2*k1.e3plus*k2.e1zero*e2minus.e3plus + 2*  
k1.e3plus*k2.e3plus*e1zero.e2minus - e1zero.e2minus*e3plus.e3plus*Mz^2  
+ 2*e1zero.e3plus*e2minus.e3plus*Mz^2;  
  
repeat;  
  
id k1.k1 = Mz^2;  
id k2.k2 = Mz^2;  
id k3.k3 = Mh^2;  
  
id e2plus = e1minus;  
id e2minus = e1plus;  
  
id e3zero.k3 = 0;  
id e3plus.k3 = 0;  
id e3minus.k3 = 0;  
  
id k3 = k1+k2;  
  
id e1zero.k1 = 0;  
id e1plus.k1 = 0;  
id e1minus.k1 = 0;
```



Madgraph

```
12 # 2. The character after the @ is used as an identifier for the class *
13 #   of processes. It can be a single or a digit. *
14 # 3. The number of lines for the max couplings depends on how many *
15 #   different classes of couplings are present in the model *
16 #   In the SM these are just two: QED (which include EW) and QCD *
17 # 4. Write "end_coup" after the couplings list, *
18 #   to tell MG that the couplings input is over. *
19 # 5. Write "done" after the proc list to *
20 #   to tell MG that the proc input is over. *
21 # 6. Some model names available at present are: *
22 #   sm = Standard Model *
23 #   sm_ckm - Standard Model with Cabibbo matrix *
24 #   mssm = Minimal Supersymmetric Standard Model *
25 #   2hdm = Generic Two Higgs Doublet model *
26 #   heft = Higgs EFT (+Standard Model) *
27 #   usrmod = User Model *
28 # 7. Don't leave spaces between the particles name in the *
29 #   definition of the multiparticles. *
30 #*****
31 #*****
32 # Process(es) requested : mg2 input *
33 #*****
34 # Begin PROCESS # This is TAG. Do not modify this line
35
36 e+e->mu+mu- @0 # First Process
37 QCD=4 # Max QCD couplings
38 QED=5 # Max QED couplings
39 end_coup # End the couplings input
40
41 done # this tells MG there are no more procs
42
43 # End PROCESS # This is TAG. Do not modify this line
44 #*****
45 # Model information *
46 #*****
47 # Begin MODEL # This is TAG. Do not modify this line
48 crazy
49 # End MODEL # This is TAG. Do not modify this line
50 #*****
51 # Start multiparticle definitions *
52 #*****
53 # Begin MULTIPARTICLES # This is TAG. Do not modify this line
54 P uu~dd~ss~cc~g
55 J uu~dd~ss~cc~g
56 L+ e+mu+
57 L- e-mu-
```

```
69 u d w+ GWF QED
70 c s w+ GWF QED
71 t b w+ GWF QED
72
73 # FFV (1l'W)
74 ve e- w+ GWF QED
75 vm mu- w+ GWF QED
76 vt ta- w+ GWF QED
77 e- ve w- GWF QED
78 mu- vm w- GWF QED
79 ta- vt w- GWF QED
80
81 # FFS (Yukawa)
82 ta- ta- h GHTAU QED
83 b b h GHBOT QED
84 t t h GHTOP QED
85
86
87 #
88 # Boson 3-,4-pt
89 #
90
91 # VVV
92 w- w+ a GWWA QED
93 w- w+ z GWWZ QED
94
95 # VVS
96 w- w+ h GWWH QED
97 z z h CZZH QED
98
99
100 # SSS
101 h h h GHHH QED
102
103 # VVVV
104 w- a w+ a GWWA GWWA QED QED
105 w- z w+ a GWWZ GWWA QED QED
106 w- z w+ z GWWZ GWWZ QED QED
107 w- w+ w- w+ GWWZ GWWA QED QED
108
109 # VVSS
110 w- w+ h h GWWHH GWWHH QED QED
111 z z h h GZZHH GZZHH QED QED
112
113
114 # USRVertex
115 u u x GUUX QED
116 z a x GZAX QED E
117
```

