# Optics-measurement-based BPM calibration with Ballistic optics 

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## State-of-the-art

$\beta$ function is being computed using two different methods:

- N-BPM phase advance method.
- Transversal oscillations amplitude (Amplitude method).


## Amplitude method

- The amplitude method depends on the BPM calibration $x_{\text {measured }}=C \cdot x_{\text {correct }}$ where $C$ is a calibration factor.
- Since the $\beta$ function is related to the position through the equation $x=\sqrt{\beta \cdot \epsilon}$, the $\beta_{\text {measured }}=\mathrm{C}^{2} \cdot \beta_{\text {correct }}$.


## Calibration procedure

- The calibration factor $\mathrm{C}^{2}$ has been computed using the $\beta_{\text {correct }}$ coming from a fit of the $\beta$ from phase.


## Motivation

## MD motivation

The goals of the MD are:

- To improve the knowledge on the BPM alignment in the triplet.
- To disentangle better optics errors from the triplets and from Q4.


## Analysis motivation

- Challenging $\beta^{*}$ control in HL-LHC.


## Motivation

## MD motivation

The goals of the MD are:

- To improve the knowledge on the BPM alignment in the triplet.
- To disentangle better optics errors from the triplets and from Q4.


## Analysis motivation

- Challenging $\beta^{*}$ control in HL-LHC.
- Here we compute $C^{2}$ using $\beta$ from phase in dedicated optics (ballistic).


## MD description

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- Triplet is switched off.
- Optics measured with AC-dipole.


## MD specifications

- Beam: both
- Beam energies:
- Injection
- Flat top
- Ramp
- Time required (hours): 8 hours
- Beam: Beam 2
- Beam energies:
- Injection
- Time (hours) : 4 hours


## Analysis of the parabolic behavior of $\beta$ from model at the IRs



## Measurements IR1 I: Horizontal



## Measurements IR1 II: Vertical



## Measurements IR5 I: Horizontal



## Measurements IR5 II: Vertical



## Calibration ratios I: IR1

$\beta$ phase fit $\rightarrow \beta(s)=\beta^{*}+\frac{(s-\omega)^{2}}{\beta^{*}}$ at the current BPMs positions.
$\beta$ ratio $=\frac{\beta \text { phasefit }}{\beta \text { amplitude }}$


## Calibration ratios I: IR5



## Error calibration ratios



## Conclusions and outlook

## Conclusions

- $C^{2}$ can be measured with an accuracy smaller than $1.2 \%$.
- C is acquired with an error lower than $0.6 \%$.


## Outlook

- Study of calibration dependence with beam orbit in the BPMs
- Hopefully complete set of data (both beams 6.5TeV) in 2016

