Elastic and Diffractive Scattering 2009:

Summary on theoretical aspects

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Agenda



Agenda



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Outline

1 - Soft Diffraction

- Theoretical overview on soft diffraction Kaidalov
- Reggeon calculus for soft diffraction Poghosyan
- Soft diffraction Re-Visited Maor
- Aspects of Higgs production at the LHC Gotsman
- Color fluctuations and gap survival probability at LHC Strikman
- One particle inclusive and unitarized Pomeron models Martynov

2 - Elastic Scattering and Total Cross-Section

- lacksquare Amplitudes pp, ar pp in Coulomb interference region Ferreira
- GPD and elastic scattering at LHC Selyugin

Outline (continued)

- Froissart bound for σ_{inel} Martin
- Theoretical aspects of elastic scattering at HE Kundrat
- Total cross section at LHC: Models and Exp. Consequences Cudell
- lacksquare pp elastic scattering at LHC and proton structure Luddy
- Optical theorem and elastic nucleon scattering Lokajicek
- Pomeron, duality, saturation Chung I Tan
- $\blacksquare pp$ elastic spin observables confront QCD Sivers
- Reflective elastic scattering at LHC Troshin

Outline (continued)

3 - Hard Diffraction

- Analytic properties of DPE amplitudes Teryaev
- Low-x structure functions using discrete BFKL Pomeron Ross
- Soft gluon resummation for gaps between jets Marzani

4 - Central production, Higgs

- Central exclusive χ_c production Teryaev
- Central exclusive Higgs production:vector mesons, jets, Higgs Cudell
- Beyond Standard Model Higgs search Heinemeyer
- Exclusive Higgs production in a triplet scenario Huitu



Contents.

- Introduction. s- and t-channel points of view for diffraction.
- Unitarity effects in Gribov`s approach.
- Interplay of soft and hard diffraction.
- Large mass diffraction and role of pomeron interactions.
- Conclusions.



Introduction.

■ Diffractive processes constitute $\approx \frac{1}{2}\sigma^{(tot)}$ Investigation of these processes gives an important information on dynamics of strong interactions at high energies.

Some important problems of diffraction:

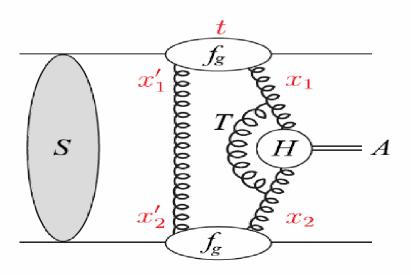
- The nature of the pomeron in QCD.
- Role of s-channel unitarity and multi- pomeron exchanges.
- Small-x problem and "saturation" of partonic densities as $x \rightarrow 0$.
- Violation of QCD and Regge factorization in diffractive processes.

 Elastic and Diffractive Scattering 2009: Summary on theoretical aspects – p. 9/??

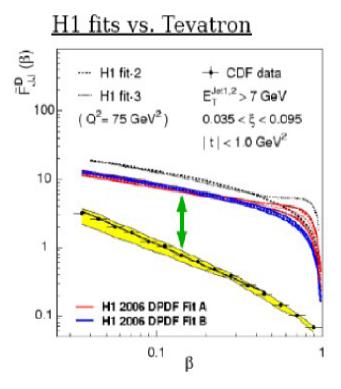


DPE Higgs production.

Central exclusive production of a Higgs boson at very high energies. Cross section depends on gap survival probability.



Suppression of diffractive dijets at Tevatron.



Suppression in hadronic interactions is due to multipomeron exchanges. V.Khoze et al (KKMR)

describe CDF data in multichannel eikonal model. Important for Higgs production at LHC.

Reggeon calculus for soft diffraction

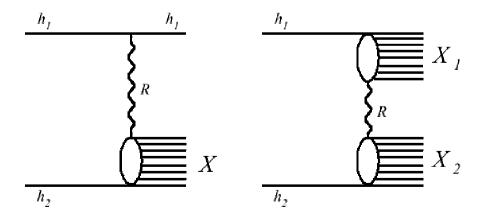
(Poghosyan)

Regge pole exchange diagrams for SD and DD

The process of soft diffraction dissociation is closely related to small angle elastic scattering:

$$h_1 + h_2 \rightarrow h_1 + X_2$$
, $h_1 + h_2 \rightarrow X_1 + h_2$, $h_1 + h_2 \rightarrow X_1 + X_2$,

where these processes may be considered as binary reactions where each of the incoming hadrons may become a system which will then decay into a number of stable final state particles.



Reggeon calculus for soft diffraction

(Poghosyan)

Triple-Reggeon coupling

Analogous to the optical theorem, Muller's theorem relates the inclusive cross-section for the reaction $h_1 + h_2 \rightarrow h_1 + X$ to the forward scattering amplitude of the three-body hadronic process $h_1 + h_2 + h_1 \rightarrow h_1 + h_2 + h_1$.

$$\sum_{c} T_{ac} T_{ac}^* = 2 \Im m T_{aa}$$

$$= 2 \Im m \begin{bmatrix} h_1 & h_1 & h_1 \\ h_2 & h_2 \end{bmatrix} = 2 \Im m \begin{bmatrix} h_1 & h_1 & h_1 \\ h_1 & h_2 \\ h_2 & h_2 \end{bmatrix}$$

EDS09, CERN, 29 June 2009 M.G. Poghosyan 3

Reggeon calculus for soft diffraction

(Poghosyan)

Conclusion and predictions for LHC.

The model is simple but it gives a good description of data on soft diffraction dissociation.

√s TeV	σ_{tot} mb	σ_{el} mb	B GeV-2	$\sigma_{SD}(M^2/s < 0.05) mb$	$\sigma_{DD}(\Delta\eta > 3) \ mb$
0.9	66.8	14.6	15.4	8.2	5.7
10	102	27	19.8	12	6.2
14	108	29.5	20.5	13	6.4

Based on the results of KT-MP Pomeron intercept renormalization scheme, we expect to have up to 5% uncertainty due to enhanced diagrams for total and elastic cross-sections and up to 10% for diffractive dissociation cross sections.

Soft Scattering Re- Visited (Maor)

Soft Scattering Re-Visited

Uri MAOR
Tel-Aviv University

EDS'09, CERN Genève

Soft Scattering Re- Visited (Maor)

I shall discuss the modelling of the above dynamical observations with special emphesis on:

- o The implications of s-channel screening and Pomeron enhancement on soft scattering and its implied gap survival probabilities.
- The approach of the elastic amplitude, at small impact parameter b, toward the black disc bound.
- · How much diffraction (soft and hard) do we expect at exceedingly high energies.
- The interplay between theory and data analysis in soft scattering modellings.
- The identification of experimental signatures implied by the above.
- The nature of the formeron and its QCD foundations. What is the relation between soft and hard formerons?

Soft Scattering Re- Visited (Maor)

1) Tot, Te, de are compatible.

2) KMR estimates of & are larger than GLMM.

3) The incompatability between GLMM and KMR becomes extreme when comparing 56.

1) In early publications who had ou > ou . In the latest set of papers the high mass sector of Gu is omitted!

	-	KMR(07)	KMR(08)	GLMM	KMR(07)	KMR(08)		=10° GeV KMR(07)	
σ _{tot} (mb)	73.3	74.0	73.7	92.1	88.0	91.7	108.0	98.0	108.0
oel(mb)	16.3	16.3	16.4	20.9	20.1	21.5	24.0	22.9	26.2
$\sigma_{sd}(mb)$	9.8	10.9	13.8	11.8	13.3	19.0	14.4	15.7	24.2
olow M	8.6	4.4	4.1	10.5	5.1	4.9	12.2	5.7	5.6
ohigh M	1.2	6.5	9.7	1.3	8.2	14.1	2.2	10.0	18.6
$\sigma_{dd}(mb)$	5.4	7.2		6.1	13.4	2	6.3	17.3	
Oct + Odiff	0.43	0.46		0.42	0.53	2	0,41	0.57	

TABLE III: Comparison of GLMM, KMR(07) and KMR(08) outputs.

5) The extensive LYMR (69) analysis of dost convincingly demonstrates the need to supplement the 3P ratex with secondary Regge contributions such as PPR and RRP. LAMR addresses the formeron enhanced contribution only at its lowest order. As such this analysis has very limitted reference in our context.

as both models need an arbitrary ded to background form so as to reproduce the CDF data.

7) Note that LKMR(09) were able to fit the data at 590 and 1800 Gev only after a relative normalization rescale of 25%.

7. Concluding Remarks

- 1) A primary implication of Pomeron enhancement is that that and the are reduced at LHC and above. Both GLHM and MHR predictions are 10-20% lower than estimated 2 years ago.
- 2) A measurement of Sol and Jid, in particular high mass, is critical for the understanding of Pomeron enhancement and its decisive verification.
- 3) I wish to end with a common sense reminder, obviously, any reasonable model applied to the multi Ter range is required to reasonably reproduce the Spps-Teratron data. It is also obvious that this is not sufficient. To remind you, the range of "legitimate" but predictions at the LHC spreads from 90 mb (GLMM, KMR) to 280 mb (Trashin and Tyurin).

Aspects of Higgs production at the LHC

(Gotsman)

ASPECTS OF HIGGS PRODUCTION AT THE LHC

Errol Gotsman Tel Aviv University Outline

- GLMM model for high energy soft interactions incorporating multi-eikonal scattering plus multi-Pomeron vertices.
- Hard matrix element
- Estimates of Survival Probability for Central Higgs production at LHC.
- Comparison with competing models
- Summary

Aspects of Higgs production at the LHC

(Gotsman)

Survival Probability for exclusive central diffractive production of the Higgs boson

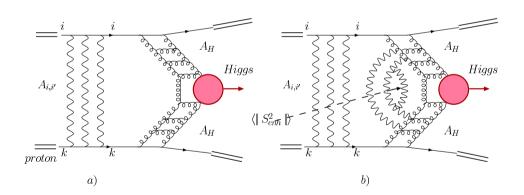


Fig-a shows the contribution to the survival probability in the G-W mechanism Fig-b illustrates the origin of the additional factor $\langle \mid S_{enh}^2 \mid \rangle$

Eikonal s-channel corrections give rise to the LRG survival probability of hard diffraction.

Experimental evidence \rightarrow hard dijets with LRG at Tevatron are scaled down by a factor $\langle \mid S^2 \mid \rangle \approx 0.1$, compared to dijets at Desy (due to screening).

Aspects of Higgs production at the LHC

(Gotsman)

Survival Probalitity including G-W, Enhanced, and Semi-Enhanced diagrams

(Preliminary)

Survival probability $(S^2\%)$	Tevatron	LHC
G-W + enhanced diagrams	1.51	0.24
$G extsf{-}W + enhanced$ diagrams		
+ semi-enhanced (perturbative)	1.48	0.23

Color fluctuations and gap survival probability at LHC (Strikman)

Strength of the gluon field should depend on the size of the quark configurations - for small configurations the field is strongly screened - gluon density much smaller than average.

How strong are fluctuations of the gluon field in nucleons?

FSTW08

Consider
$$\gamma_L^* + p \rightarrow V + X$$
 for $Q^2 > \text{few GeV}^2$

In this limit the QCD factorization theorem (BFGMS03, CFS07) for these processes is applicable

Expand initial proton state in a set of partonic states characterized by the number of partons and their transverse positions, summarily labeled as $|n\rangle$

$$|p\rangle = \sum a_n |n\rangle$$

Each configuration n has a definite gluon density $G(x, Q^2|n)$ given by the expectation value of the twist--2 gluon operator in the state $|n\rangle$

$$G(x, Q^2) = \sum_{n} |a_n|^2 G(x, Q^2|n) \equiv \langle G \rangle$$

Color fluctuations and gap survival probability at LHC (Strikman)

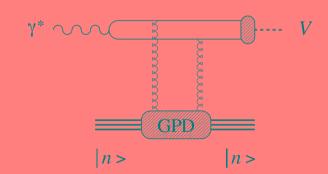
Making use of the completeness of partonic states, we find that the elastic(X = p) and total diffractive (X = p) are proportional to

$$(d\sigma_{\rm el}/dt)_{t=0} \propto \left[\sum_{n} |a_n|^2 G(x, Q^2|n)\right]^2 \equiv \langle G \rangle^2$$

$$(d\sigma_{\text{diff}}/dt)_{t=0} \propto \sum_{n} |a_n|^2 \left[G(x, Q^2|n) \right]^2 \equiv \langle G^2 \rangle.$$

Hence cross section of inelastic diffraction is

$$\sigma_{\rm inel} = \sigma_{\rm diff} - \sigma_{\rm el}$$



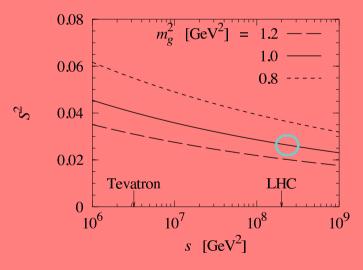
$$\Rightarrow$$

$$\omega_g \equiv \frac{\langle G^2 \rangle - \langle G \rangle^2}{\langle G \rangle^2} = \frac{d\sigma_{\gamma^* + p \to VM + X}}{dt} / \frac{d\sigma_{\gamma^* + p \to VM + p}}{dt} \Big|_{t=0}.$$

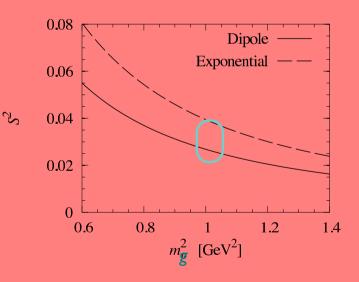
New sum rule!

Color fluctuations and gap survival probability at LHC (Strikman)

Sensitivity to GPD input



dipole t dependence of gluon GPD



sensitivity to the shape of gluon GPD

S² in the mean field approximation for LHC is 3 - 4% - close to the result of Khoze et al. which however included strong reduction of S² due to inelastic diffraction Elastic and Diffractive Scattering 2009: Summary on theoretical aspects - p. 24/2?

Color fluctuations and gap survival probability at LHC (Strikman)

Need mechanism to generate Hard gluons not correlated with other partons example - Sudakov form factor suppressed contribution

The probability to find a gluon at $x=10^{-2}$ at $Q^2=4$ GeV² which had the same x at a soft scale of Q_0^2 is given by $C \delta(x-1)$ in the integral form of the evolution equation times the ratio of gluon pdfs at Q^2 and Q_0^2

$$C = \left[S_G(Q^2/Q_0^2) \right]^2 = \exp(-\frac{3\alpha_s}{\pi} \ln^2(Q^2/Q_0^2))$$

the square of the gluon Sudakov form factor - probability not to emit a gluon in the amplitude

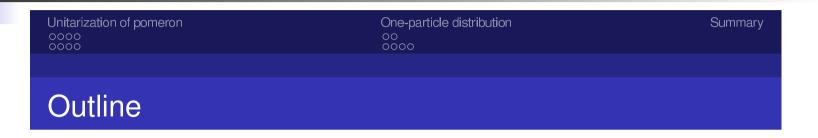
Hence suppression factor for this contribution is

$$R = C^2 \left[\frac{g_N(x_H, Q^2)}{g_N(x_H, Q^2_0)} \right]^4 \qquad \Rightarrow \leq 0.02 \quad (Q_0^2 = 1 GeV^2)$$

$$\Rightarrow \leq 0.3 \quad (Q_0^2 = 2 GeV^2) \text{ too high } Q_0^2 ??$$

assuming standard pattern of onset of $S^2 < 1\%$ saturation/ black disk regime and no novel parton correlation mechanisms in nucleons

One particle inclusive and unitarized Pomeron models (Martynov)

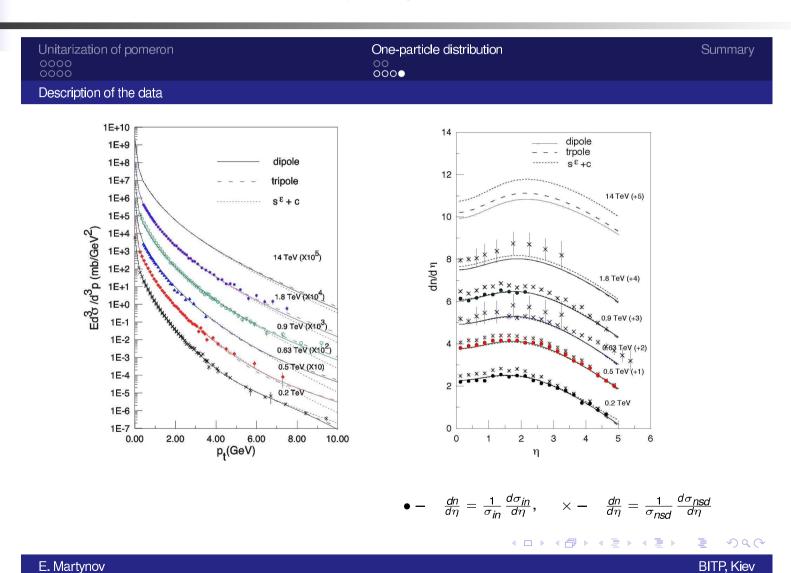


- Unitarization of pomeron
 - Elastic scattering
 - Inclusive process
- 2 One-particle distribution
 - Experimental data
 - Description of the data

One particle inclusive and unitarized

Pomeron models (Martynov)

One-particle distribution, unitarized pomeron



Amplitudes pp, $\bar{p}p$ in Coulomb interference region (Ferreira)

Topics

Near Forward Scattering Amplitude

Coulomb Phase

Analysis of Data

19 - 63 GeV

541-546 GeV

1800-1960 GeV

Amplitudes: slopes and zeros

Derivative Dispersion Relations for Amplitudes

DDR for t = 0

Derivative Dispersion Relations for Slopes

A reference: A.K. Kohara, T. Kodama, E.F.: hep-ph 0905.1955

Amplitudes pp, $\bar{p}p$ in Coulomb interference region (Ferreira)

Parametrization of Near Forward Scattering Amplitude For small angles

$$F^{N}(s,t) \approx F_{R}^{N}(s,0)e^{B_{R}t/2} + iF_{I}^{N}(s,0)e^{B_{I}t/2}$$

Usually B_R and B_I are treated as having equal values. We allow

$$B_R \neq B_I$$

For low |t|, the strong differential cross section has approximate form with single exponential slope

$$\frac{d\sigma}{dt} = \left| \frac{d\sigma}{dt} \right|_{t=0} e^{Bt}$$

with

$$B = \frac{\rho^2 B_R + B_I}{1 + \rho^2}$$
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Amplitudes pp, $\bar{p}p$ in Coulomb interference region (Ferreira)

1800 GeV: parameter values and comments

Parameters (with fixed $\rho=0.14$ and $\rho=1.0$) are given in the table. Although there are large variation bars, notice that the lowest χ^2 are obtained with B_R larger than B_I , for both experiments.

Table: Forward scattering parameters at 1800 GeV

Exp.	$\sigma(\mathrm{mb})$	ρ	$B_I(\text{GeV}^{-2})$	$B_R(\text{GeV}^{-2})$	χ^2
E710	72.75 ± 0.19	0.14 (fixed)	16.30 ± 0.04	115.57 ± 164.20	0.6020
E710	$71.82{\pm}0.18$	0.14 (fixed)	16.28 ± 0.04	B_{l} (fixed)	0.6060
E710	72.65 ± 0.19	1.0 (fixed)	16.28 ± 0.04	167.93 ± 48.56	0.5961
CDF	80.92 ± 0.44	0.14 (fixed)	17.00 ± 0.09	$72.01\pm\ 116.15$	1.771
CDF	$9.98{\pm}0.43$	0.14 (fixed)	$16.98 {\pm} 0.09$	B_I (fixed)	1.775
CDF	80.16 ± 0.43	1.0 (fixed)	16.87 ± 0.09	85.73 ± 16.94	1.705

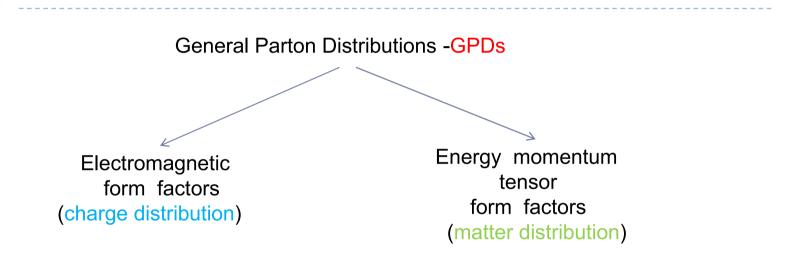
Observing the large differences in χ^2 , we learn that the E710 data are more compatible with the forward scattering basic expression for $d\sigma/dt$ than the CDF data.

GPD and elastic scattering at LHC (Selyugin)

Contents

- I. Introduction
- 2. GPDs and hadrons form-factors
- 3. t-dependence of the GPDs
- 4 Unitarization of the elastic scattering amplitude
- 5. The differential cross sections
 - 6. Conclusion

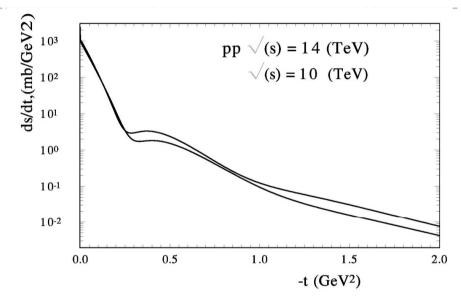
GPD and elastic scattering at LHC (Selyugin)



GPD and elastic scattering at LHC (Selyugin)

PREDICTIONS

$$pp \rightarrow pp \quad (\sqrt{s} = 10, 14 \text{ TeV})$$



$$\sqrt{s} \, \Box \, 1.8 \, \text{TeV}; \quad \rho(0) = 0.208; \, \sigma_{tot} = 80.3 \, mb;$$

$$\sqrt{s} \, \Box \, 10 \, \text{TeV}; \quad \rho(0) = 0.238; \, \sigma_{tot} = 132 \, mb;$$

$$\sqrt{s} \, \Box \, 14 \, \text{TeV}; \quad \rho(0) = 0.235; \, \sigma_{tot} = 146 \, mb;$$

The Froissart bound for σ_{inel} (Martin)

Improved Froissart bound

$$\sigma_{tot}(s) < \pi/m_\pi^2 (lns)^2$$
 where $\pi/m_\pi^2 = 60mb$

Can improve with average cross section

$$\bar{\sigma}_{tot}(s) = 1/s \int_{s}^{2s} \sigma_{tot}(s') ds' < \pi/m_{\pi}^{2} (\ln s + C)^{2}$$

New rigourous result on inelastic cross section

$$\sigma_{inel} < \pi/4m_{\pi}^2(lns)^2$$

Theoretical aspects of elastic scattering at

HE (Kundrat)

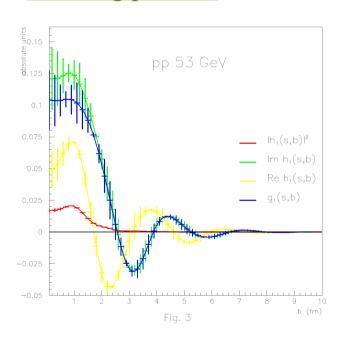
Theoretical aspects of high energy elastic nucleon scattering

- V. Kundrát, M. Lokajíček, Institute of Physics AS CR, v.v.i., Prague, CR
- J. Kašpar, CERN, Geneva and Institute of Physics AS CR, v.v.i., Prague, CR
- 1. Introduction
- 2. General eikonal model approach
- 3. Elastic hadronic amplitude
- 4. Profiles for pp at 53 GeV
- 5. Model predictions for pp elastic scattering at the LHC
- 6. Luminosity estimation at the LHC
- 7. Conclusion

Theoretical aspects of elastic scattering at

HE (Kundrat)

resulting profiles



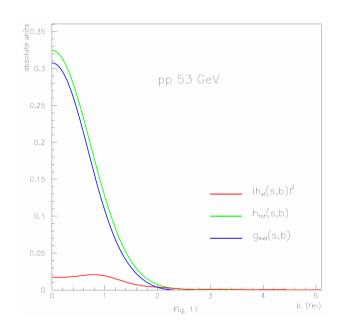


Fig. 3: original oscillating profiles (statistical errors)

Fig. 11: final shape of profiles; full lines:

red ... peripheral elastic profile green ... central total profile yellow ... central inelastic profile

"original" values of total, elastic and inelastic rms and of cross sections conserved

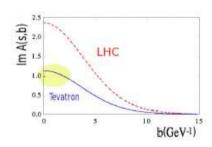
The total cross section at the LHC The basic problem No theory

- General principles:
 - analyticity
 - unitarity of partial waves
- several possibilities:
 - simple or multiple poles
 - cuts (eikonal, U matrix, multi-channel eikonal, KMR,...)
- Phenomenological fits and extrapolation

The total cross section at the LHC
Cuts

Unitarity problem

Our model with soft+hard pomerons violates unitarity at small b around the Tevatron energy, assuming the t dependence given by $F_1(t)$

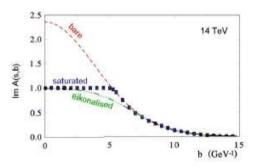


The total cross section at the LHC
Cuts

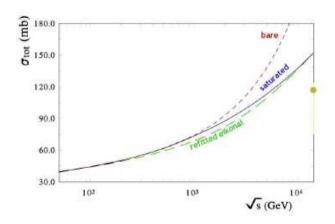
Unitarised hard+soft pomerons

Two simple choices:

- "Saturation": cut Im A(s, b) at 1 and add a smoothing function - in some sense minimal unitarisation
- Use a simple eikonal



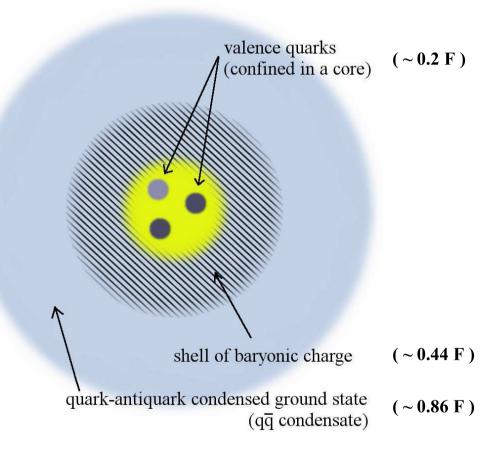




The total cross section could reach ~150 mb:

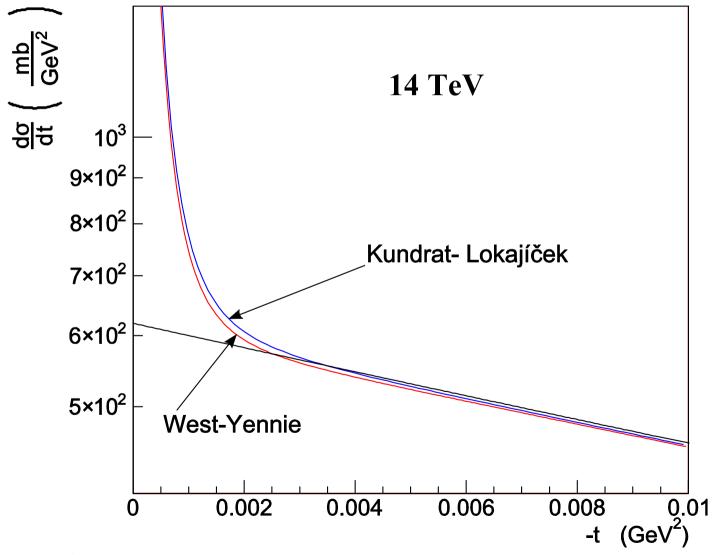
$$\sigma_{tot}$$
(10TeV)=132 mb σ_{tot} (14TeV)=146 mb

pp elastic scattering at LHC and proton structure (Luddy)



Condensate Enclosed Chiral-Bag Model

pp elastic scattering at LHC and proton structure (Luddy)

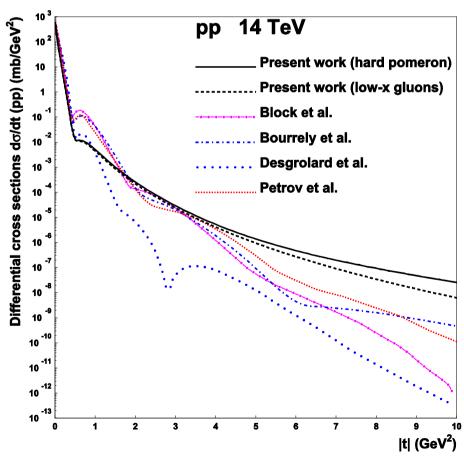


 $d\sigma/dt$ when Coulomb interaction is included in our model. Calculation by Jan Kašpar.

pp elastic scattering at LHC and proton structure (Luddy)

Conclusion

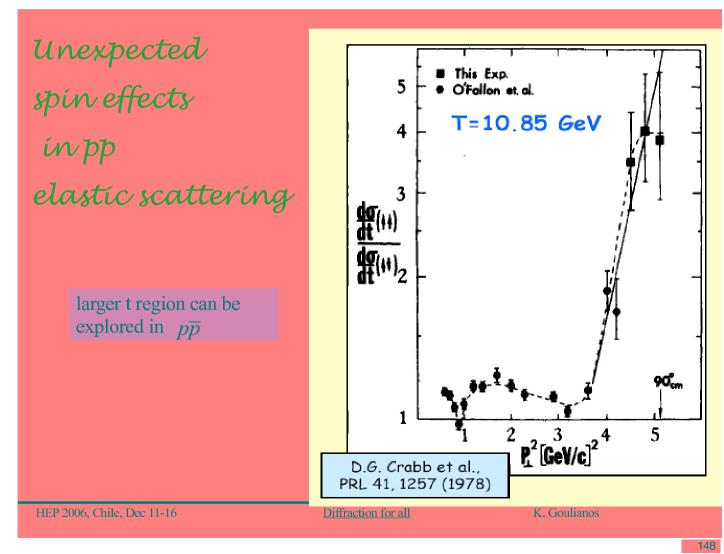
We, therefore, find two distinct classes of models



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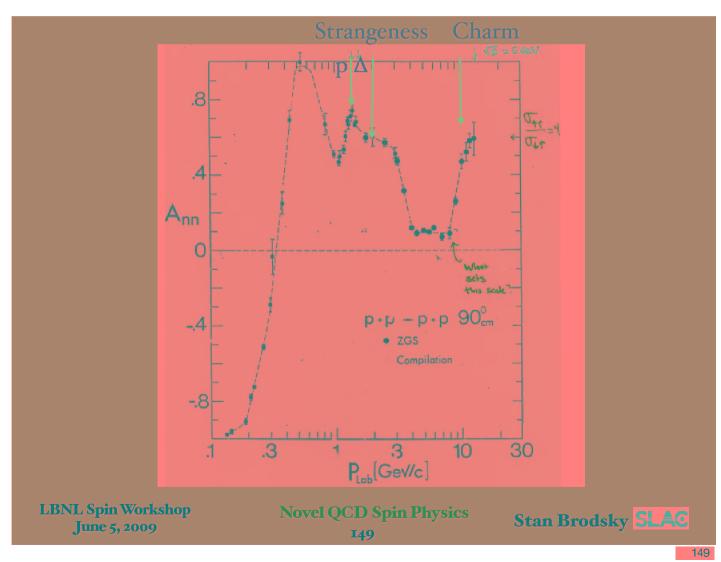
pp elastic spin observables confront QCD

(Sivers)

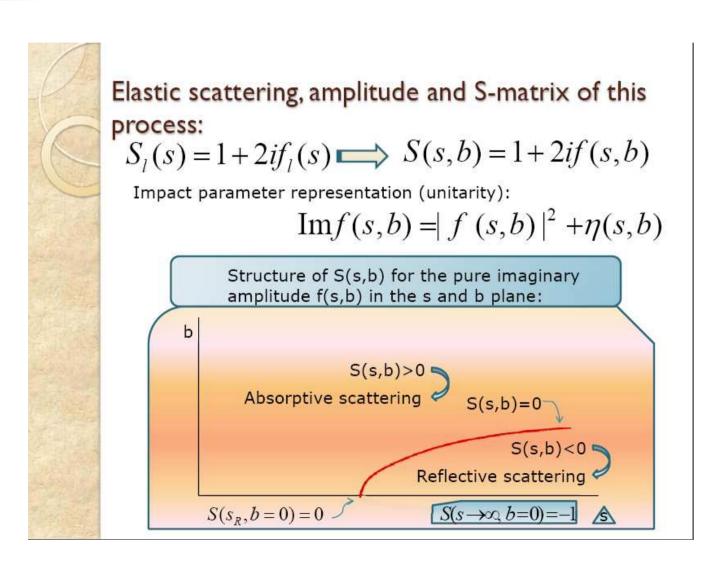


pp elastic spin observables confront QCD

(Sivers)



Reflective elastic scattering at LHC (Troshin)



Reflective elastic scattering at LHC (Troshin)

Phenomenology (based on chiral quark model for U-matrix)

Total, elastic and inelastic cross-sections;

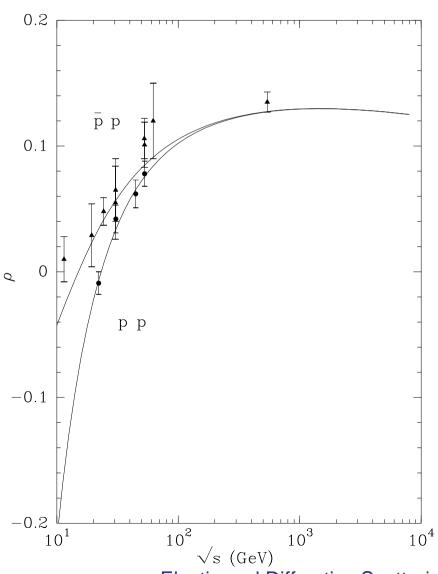
Differential cross-section;

Knee in cosmic rays energy spectrum and other phenomena in this field;

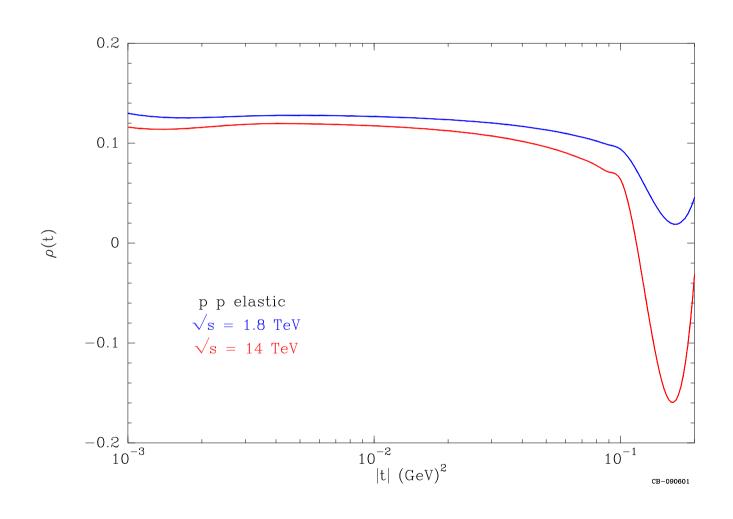
Estimate for the gap survival probability is 0.2.

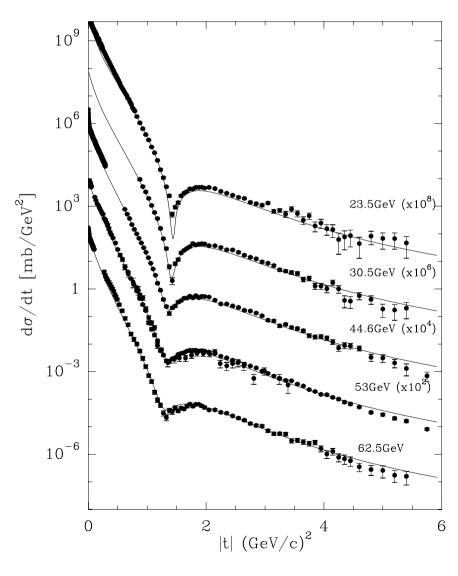
Large values of $\sigma_{tot}(s)\cong 230~\text{mb}$ and ratio $\sigma_{el}(s)/\sigma_{tot}(s)\cong 2/3$ at the LHC energies (14 TeV), while $\sigma_{inel}(s)\cong 77~\text{mb}$. Standard background estimations remain valid.

Note the strong model dependence of numerical estimates.



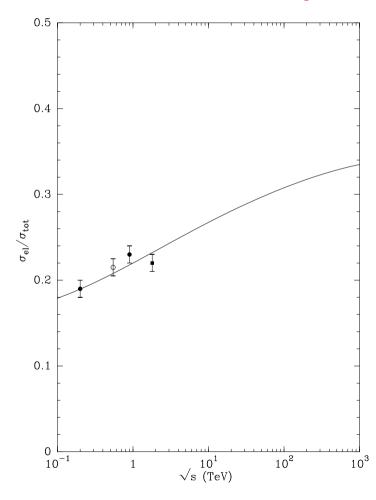
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Neither Tel Aviv nor Durham models have this increasing ratio



Analytic properties of DPE amplitudes

(Teryaev)



Main Topics

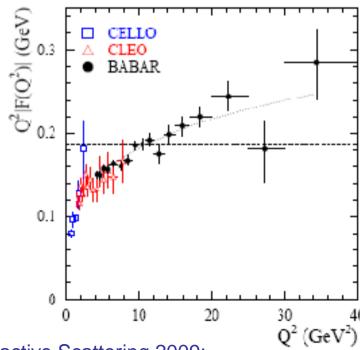
- QCD factorization and its violation
- QCD factorization vs analyticity
- Analyticity and crossing for hard exclusive lepton hadron reactions
- DPE specifics and the role of Steinmann relations
- BABAR data: violation of factorization typical?
- Possible implications for Higgs production
- Conclusions

Analytic properties of DPE amplitudes

(Teryaev)

Hot topic for (p)QCD: BABAR data 0905.4778 [hep-ex]

- Pion-photon transition FF
- Where is attractor?!



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Low-x structure functions using discrete BFKL Pomeron (Ross)

Goal

- ► To fit low-x data from HERA to discretized eigenfunctions of BFKL kernel.
 - (Discrete eigenfunctions simulate description of data by a Pomeron as a Regge pole),
- ► Extract low-x gluon distribution for applications to jet production and diffractive events at LHC.

Low-x structure functions using discrete BFKL Pomeron (Ross)

Impact Factor:

$$\Phi = Ak^2e^{-bk^2}, \ b = 2 \text{ Gev}^{-2} \quad \text{E}^{2}$$

1. Linear Shift:

$$\eta(\omega) = \eta_0 + \eta' \frac{\omega}{\omega_1}$$

$$\eta_0 = -0.74\pi, \ \eta' = 0.76\pi$$

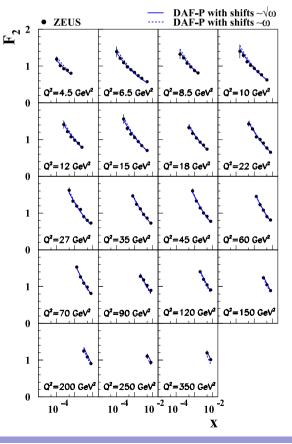
$$\chi^2 \sim 3 \ {\rm per \ DOF}$$

2. Non-linear Shift:

$$\eta(\omega) = \eta_0 + \eta' \sqrt{\frac{\omega}{\omega_1}}$$

$$\eta_0 = -0.74\pi, \ \eta' = 0.76\pi$$

$$\chi^2 \sim 1.1 \text{ per DOF}$$



Low-x Gluon Distribution from Discrete BFKL Pomerons

EDS2009, 1 July 2009

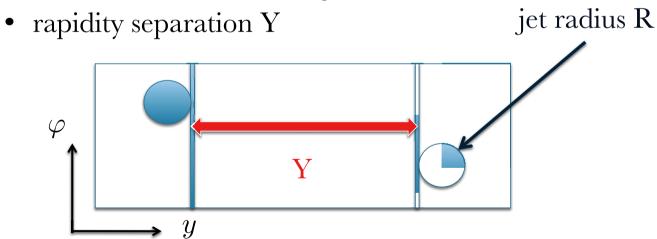
Soft gluon resummation for gaps between

jets (Marzani)

The observable

Production of two jets with

transverse momentum Q



• Emission with $k_T > Q_0$ forbidden in the inter-jet region

 Q_0 can be rather large: the gap is a region of limited hadronic activity

Soft gluon resummation for gaps between

jets (Marzani)

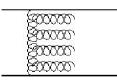
Plenty of QCD effects

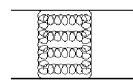




Forward BFKL (Mueller-Navelet jets)

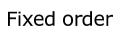
Non- forward BFKL (Mueller-Tang jets)

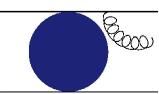




Super-leading logs

Wide-angle soft radiation





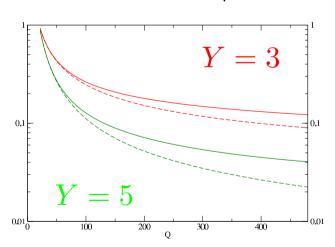
$$L = \ln rac{Q}{Q_0}$$
 "emptier" gap

Soft gluon resummation for gaps between

jets (Marzani)

Global logs and Coulomb gluons (no gluon outside the gap)

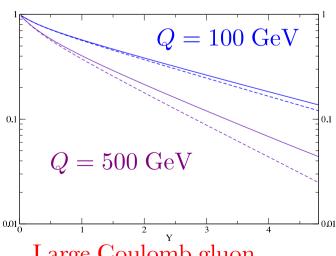
$$f^{(0)} = \sigma^{(0)} / \sigma^{\text{born}}$$



• solid lines: full resummation

• dashed lines: ignoring $i \pi$'s

$$\sqrt{S} = 14 \text{ TeV}$$
 $Q_0 = 20 \text{ GeV}$
 $R = 0.4$
 $\eta_{\text{cut}} = 4.5$



Large Coulomb gluon

Central exclusive χ_c production (*Teryaev*)



Main Topics

- QCD factorization and 'Durham Model'
- Heavy quarkonia: inclusive and exclusive production
- Generalized (skewed) UGD and positivity
- Relative contributions of spin 0,1,2 for various UGD
- Helicity amplitudes
- Conclusions

Central exclusive χ_c production (*Teryaev*)

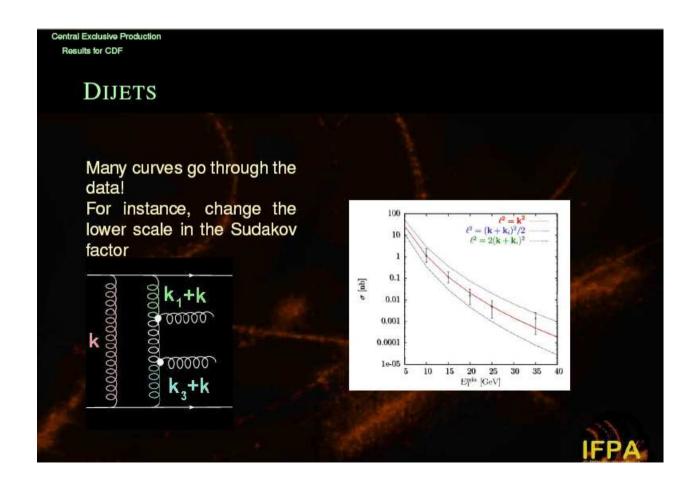
Density matrix positivity and GUGD

- General property (counterpart of unitarity) Phys.Rept.470:1-92,2009.
- NP matrix elements (and impact factors)
 -parton (-hadron) density matrices
 Cauchy–Schwarz–Bunyakovsky type inequalities
 |<A|B>|² < < A|A><B|B>
 Collinear GPD Ryskin; Pire,Soffer,OT; Radyushkin; Pobylitsa GUGD:

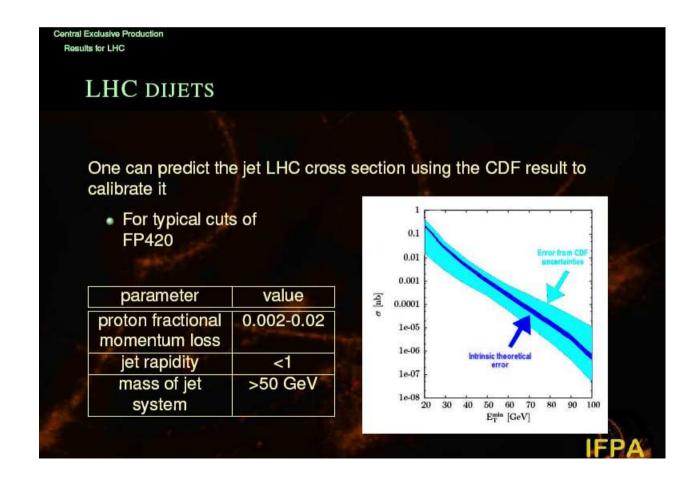
$$f_{g,1}^{\text{off}}(x_1, x_1', k_{0,t}^2, k_{1,t}^2, t_1) = \sqrt{f_g^{(1)}(x_1', k_{0,t}^2, \mu_0^2) \cdot f_g^{(1)}(x_1, k_{1,t}^2, \mu^2)} \cdot F_1(t_1)$$

Saturation – for limited number (or correlation between) intermediate states (= effective dimension of vector space)

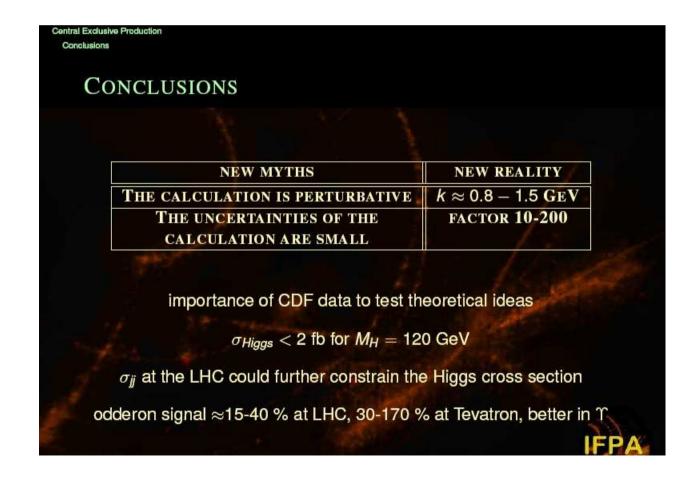
Central exclusive Higgs production: vector mesons, jets, Higgs (Cudell)



Central exclusive Higgs production:vector mesons, jets, Higgs (Cudell)



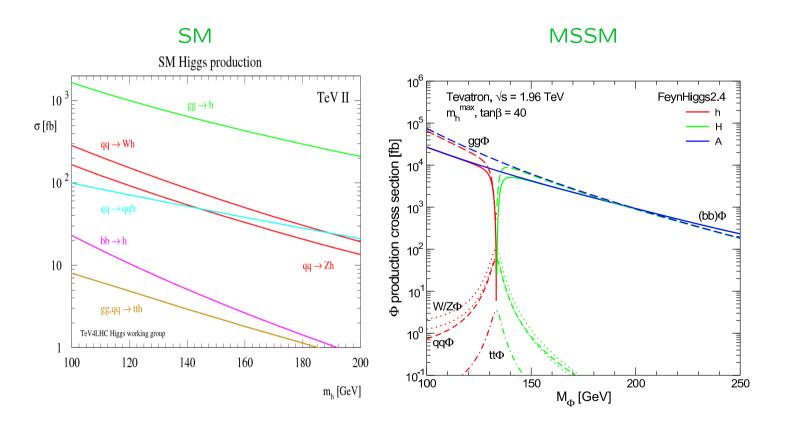
Central exclusive Higgs production:vector mesons, jets, Higgs (Cudell)



Beyond Standard Model Higgs search

(Heinemeyer)

Higgs production cross sections at the Tevatron:



MSSM: possibly enhanced rates at high tan β

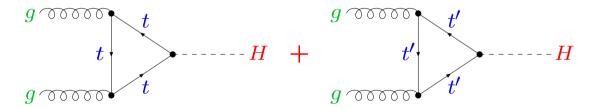
Beyond Standard Model Higgs search

(Heinemeyer)

3. 4th generation model

Assume the SM with a 4th generation of heavy fermions Relevant changes:

1. additional contribution to $gg \rightarrow H$:



- \Rightarrow factor of \sim 9 in Higgs production cross section
- 2. \Rightarrow factor of \sim 9 in $\Gamma(H \to gg)$ \Rightarrow reduced BR $(H \to b\bar{b})$, BR $(H \to \tau^+\tau^-)$

Evaluation of SM quantities with FeynHiggs subsequent application of reduction and enhancement factors

Exclusive Higgs production in a triplet scenario (*Huitu*)

Conclusions

- For higher Higgs representations the doublet couplings are enhanced
 - With forward processes possible to study the representation using the neutral Higgses
- The forward production complementary to the usual one
- In the triplet model with ρ = 1: c_H < 0.5, 120 GeV < m_H < 150 GeV
 - H₁⁰ observed with 4σ or better, m_H measurement better than 2 GeV for low luminosity

Outlook

Many interesting topics were presented here:

- * Soft diffraction
- * Elastic scattering and total cross sections
- * Hard diffraction
- *Central production, Higgs
- * etc.....

I apologize for not been able to cover more for lack of time and due to my ignorance

Outlook

Many interesting topics were presented here:

- * Soft diffraction
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I apologize for not been able to cover more for lack of time and due to my ignorance

They reveal new progress in this broad field

We all look forward to new exciting data in particular here

from LHC!!

THANK YOU