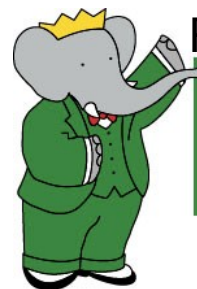




*Search of New Physics in rare B decays
including leptons and/or neutrinos
at BaBar*

Virginia Azzolini



Helsinki University - HIP
Representing

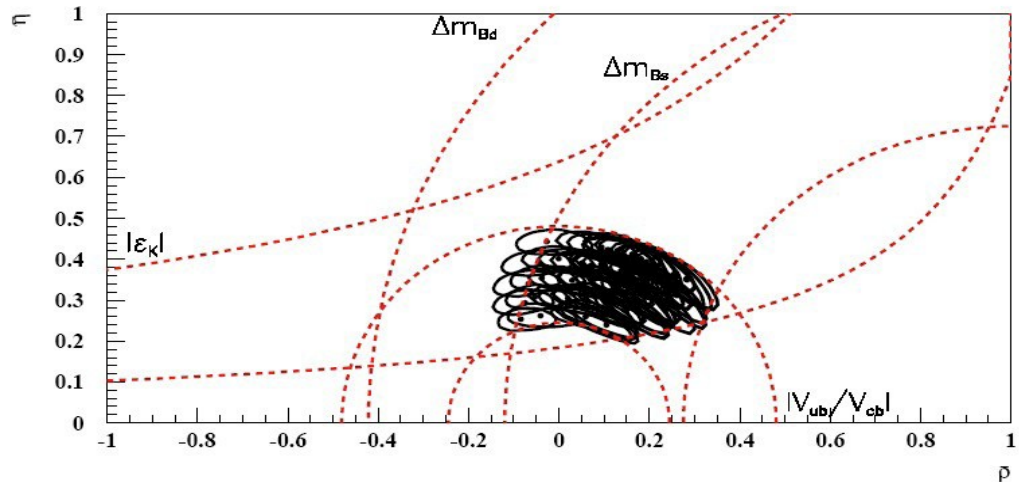
BABARTM

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(Previously at Valencia University,
IFIC- CSIC)

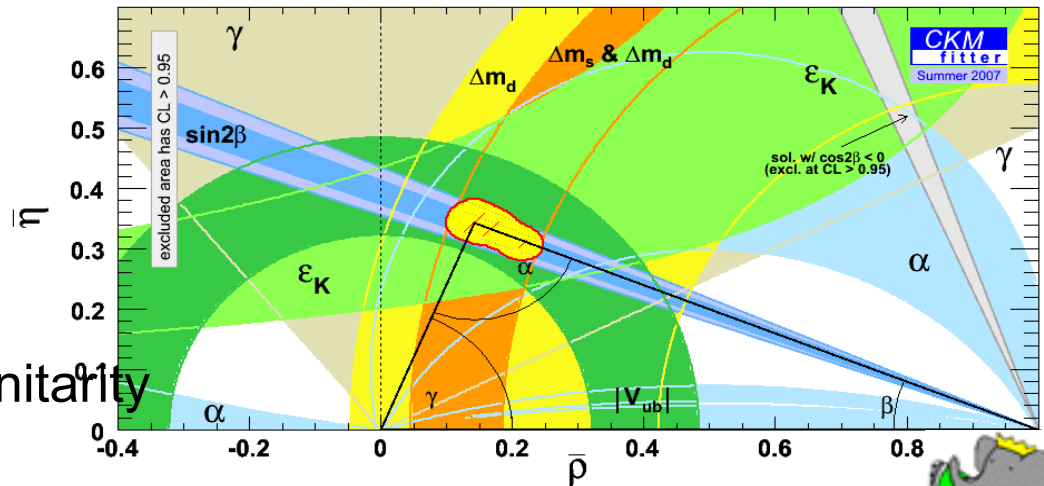
A new era of flavour physics

~1998:
 unitarity triangle
 of the CKM matrix
 weakly constrained



2008:
*thanks to the B factories,
 Tevatron experiments,
 and theoretical developments:*

precision measurements
 Data ~ consistent with CKM Unitarity



Standard Model description of CP violation is a success!



Where's the New Physics?

- . Looking for something subtle
 - Measurement precision limited by strong interaction (non-perturbative)
 - Uncertainties are multiplicative
 - To find something small, competing SM process must be small

Rare decays!



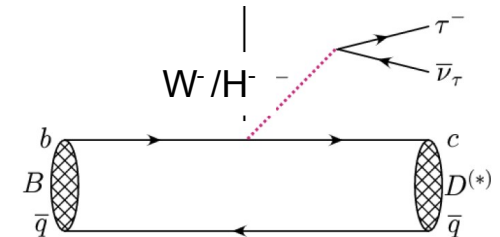
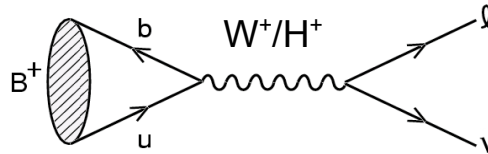
Rare decays Probe New Physics

Rare decays

- . forbidden or strongly suppressed in the SM
- . decay not via the dominant transition
- . could receive contributions from NP effects → probe of NP

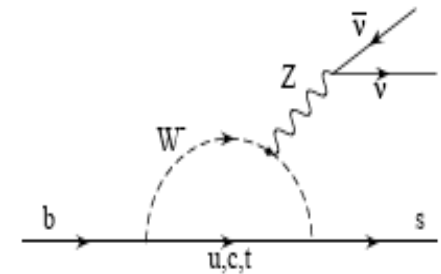
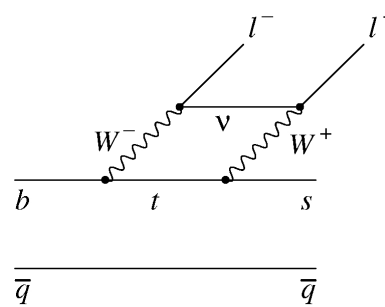
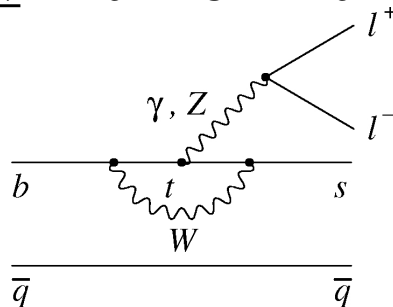
Missing ν final state (leptonic/semileptonic) decays:

- . sensitive to charged Higgs mass
- . $B \rightarrow l \nu$ and $B \rightarrow D^{(*)} \tau \nu$



Electroweak penguin mediated processes :

- . Flavour Changing neutral current (FCNC) prohibited in SM at tree level
- . sensitive to Higgs, SUSY particles, light dark matter
- . $b \rightarrow K^{(*)} \nu \bar{\nu}$. $b \rightarrow s ll$. $b \rightarrow s \gamma$



Outline

Theoretical overview

B-factories and datasets

missing ν final state transitions:

- . $B \rightarrow l \nu$ ($l = \tau, e, \mu$)

- . $B \rightarrow D(^*) \tau \nu$

$b \rightarrow s$ transitions:

- . $B \rightarrow K(^*) l l$

- . $B \rightarrow K(^*) \nu \bar{\nu}$

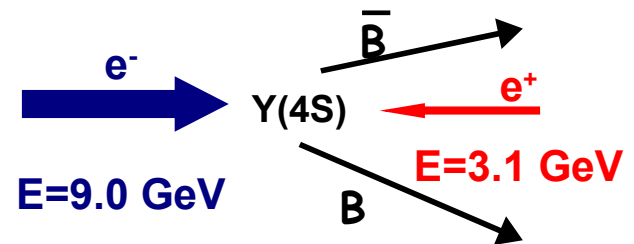
Conclusions



PEP-II B Factory at SLAC

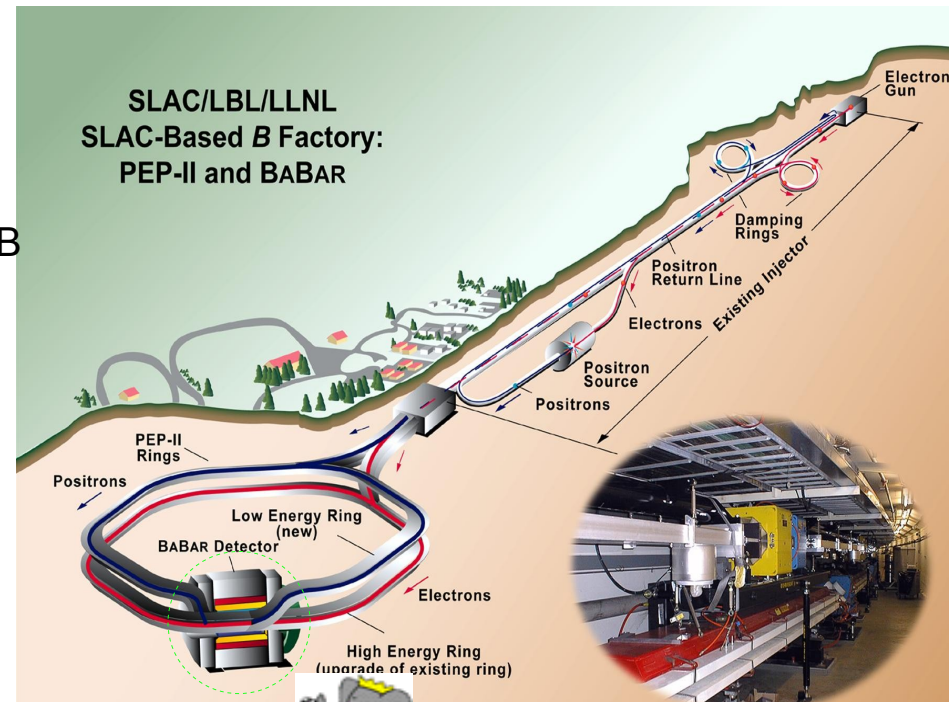
High Luminosity $e^+ e^-$ asymmetric collider:

- Center-of-mass energy tuned ~ 10.58 GeV
- $Y(4S)$ is a $b\bar{b}$ bound state, decays to B meson pairs:
 B^+B^- or $B^0\bar{B}^0$
- Produces ≈ 10 $B\bar{B}$ pairs per second



B Factories peculiarities:

- Asymmetry, lab frame boost ($\gamma\beta = 0.56$):
 - separation of the decays vertices of two B
 - reco of decay vertex and time
 - time dependent CP asymmetries
- $BR(Y(4S) \rightarrow B^+B^-) \sim BR(Y(4S) \rightarrow B^0\bar{B}^0) \sim 0.5$
 - clear environment
 - high signal-to-bkg ratio, $\sigma_{b\bar{b}} / \sigma_{had} \approx 0.28$
- Absence of fragmentation
 - combinatorial background reduction

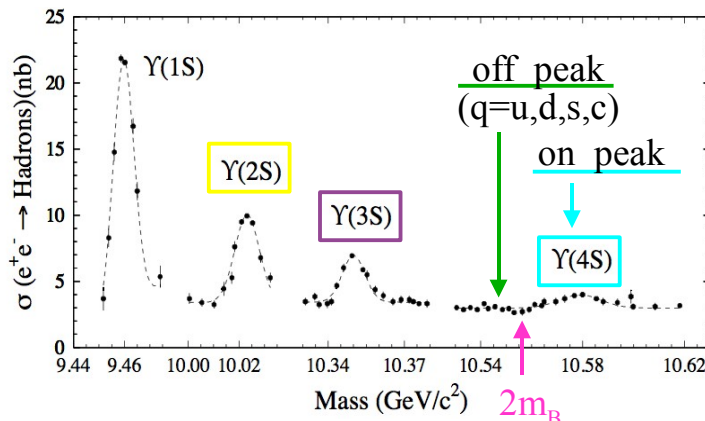
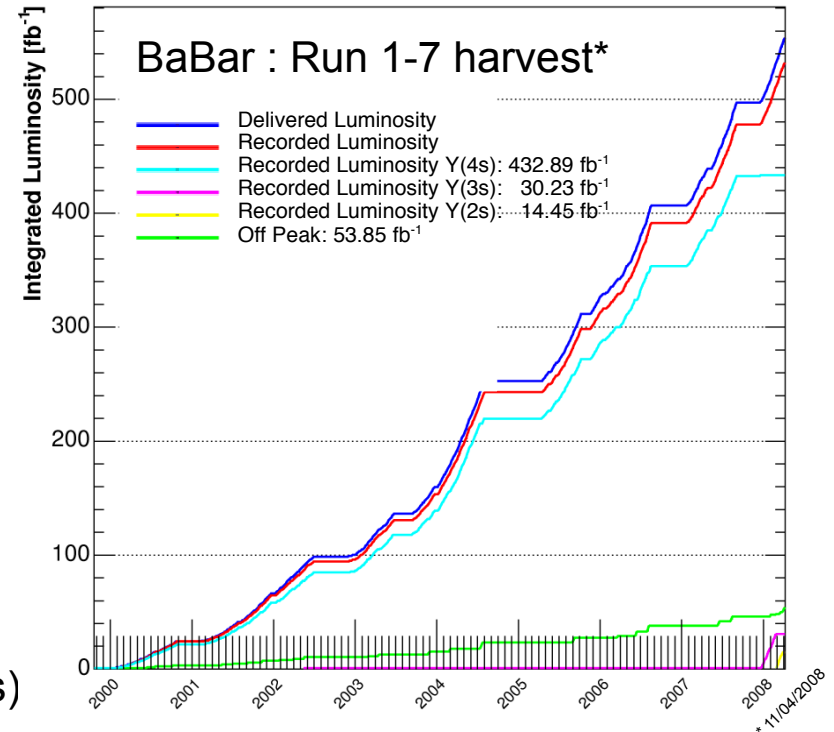


PEP-II performance & BaBar Luminosity

. Peak $\mathcal{L} = 1.2 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$
 ~ 4 times the design luminosity !
 (design: $3.0 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$)

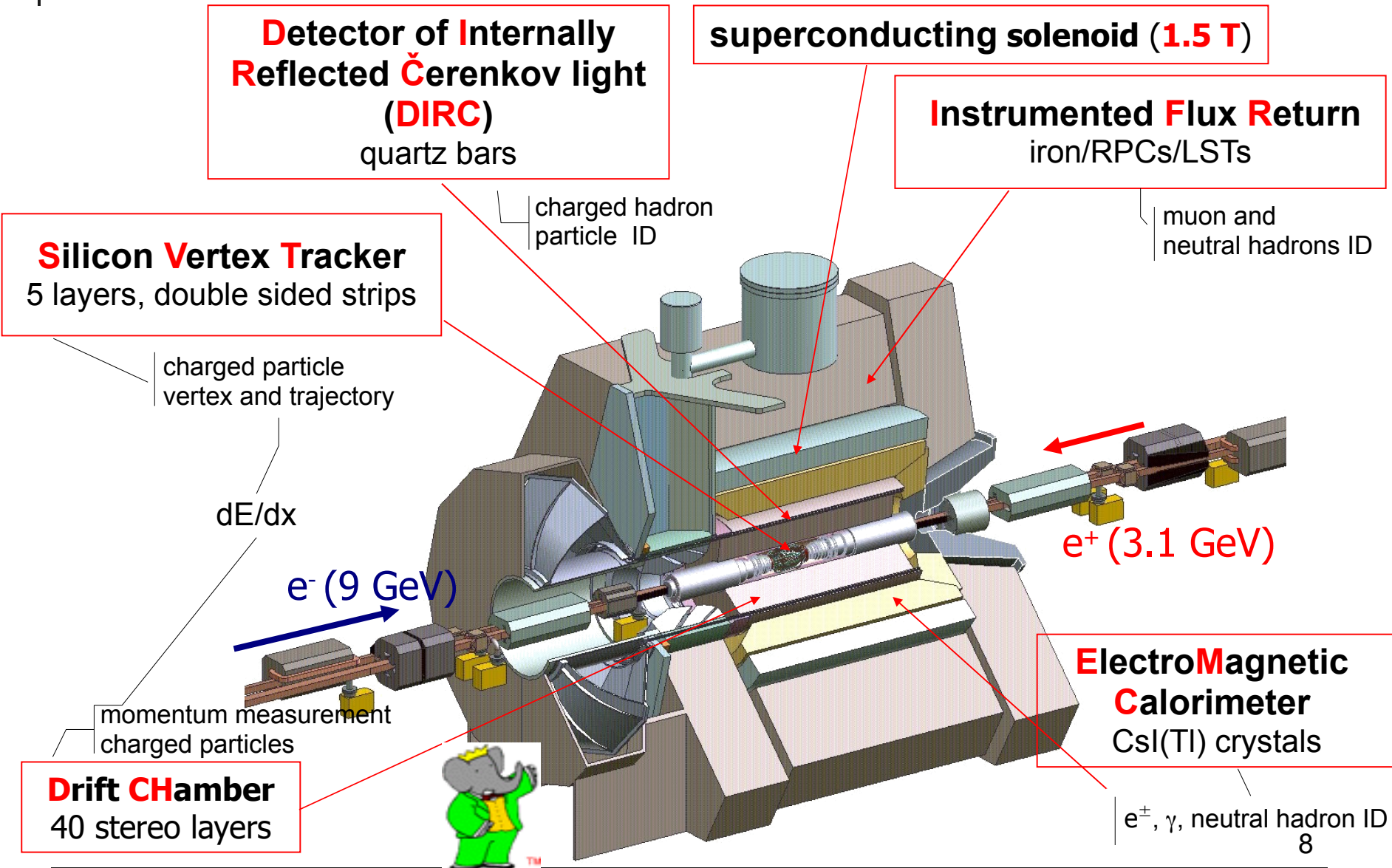
. PEP-II Delivered 553.48 fb^{-1}
 BABAR Recorded 531.43 fb^{-1}
 > 530 M $B\bar{B}$ pairs Recorded

. Achieved Records
 0.89 fb^{-1} in a day (~ 1M $B\bar{B}$ couples)
 5.25 fb^{-1} in a week (~ 5.8 M $B\bar{B}$ couples)

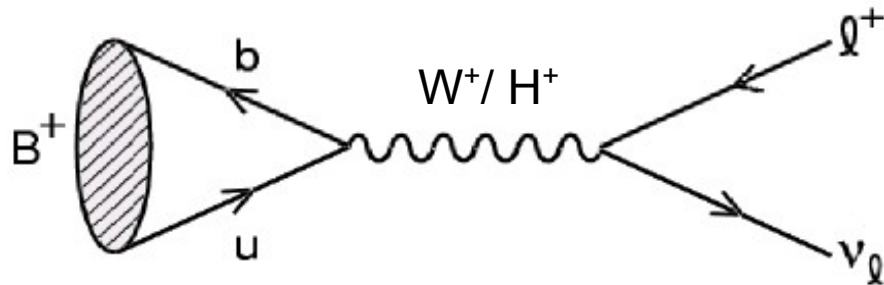


Y(3S) and Y(2S) data collected:
 . search for rare decays (deviations from SM) and
 . detailed bottomonium spectroscopy with 140 million each

the BaBar detector

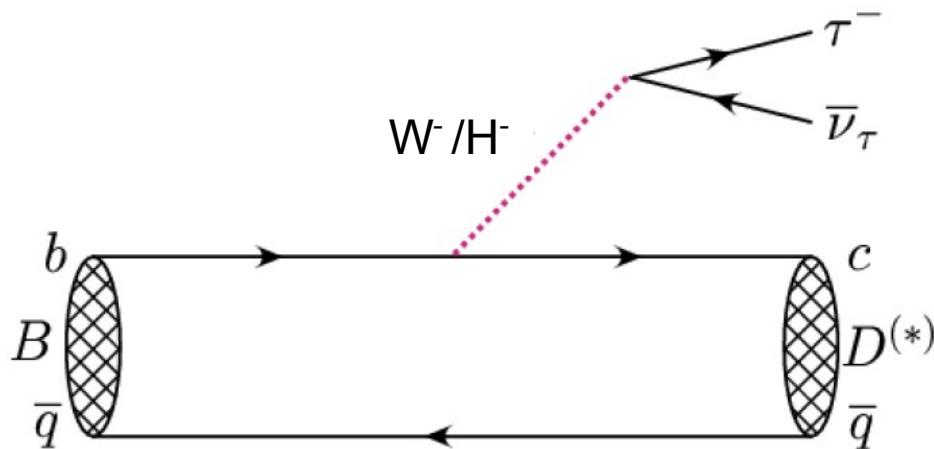


Missing ν final state transitions



$$b \rightarrow l \nu \quad (l = \tau, e, \mu)$$

$$B \rightarrow D^{(*)} \tau \nu$$



Experimental Technique: B tagging

- . Lack of kinematic constraints:
 - 1- 3 neutrinos in final state
 - challenging!

- . Two methods – “Tags”:

- .. Hadronic: $B_{\text{reco}} \rightarrow D^{(*)}X$

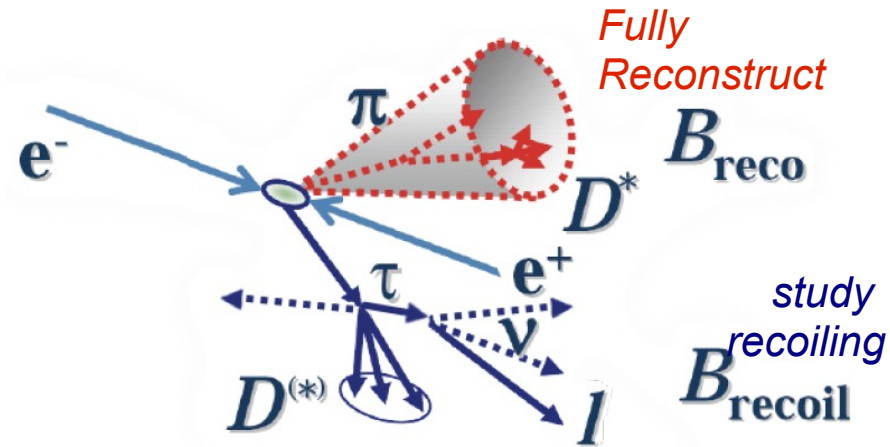
- $X = \text{hadrons } (\pi, K, \pi^0, K_s)$
- Low efficiency ($\sim 3 \times 10^{-3}$)
- Full reconstruction: high purity sample with kinematic constr.

- .. Semileptonic: $B_{\text{reco}} \rightarrow D l \nu X$

- $X = \pi^0, \gamma$, nothing (assume 1 ν missing)
- lower purity
- Higher efficiency $\sim 1\%$ vs. $\sim 0.3\%$

- . No tags (Inclusive), applied to $B \rightarrow \mu \nu$

- .. Find highest momentum lepton, make a B with the rest of the event
- .. High background, best limits



First search for $b \rightarrow e \nu, b \rightarrow \mu \nu$ using this tag

Experimental Technique: recoil

. The τ is reconstructed in 4 modes in $B \rightarrow \tau \nu$

- $\tau^- \rightarrow e^- \nu_e \nu_\tau$

- $\tau^- \rightarrow \mu^- \nu_\mu \nu_\tau$

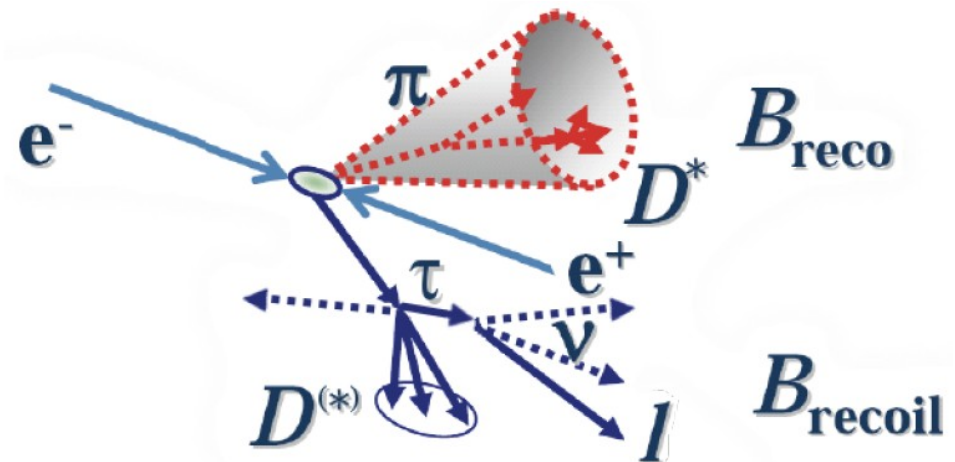
- $\tau^- \rightarrow \pi^- \nu_\tau$

- $\tau^- \rightarrow \rho^- \nu_\tau$ ($\rho \rightarrow \pi^- \pi^0$)

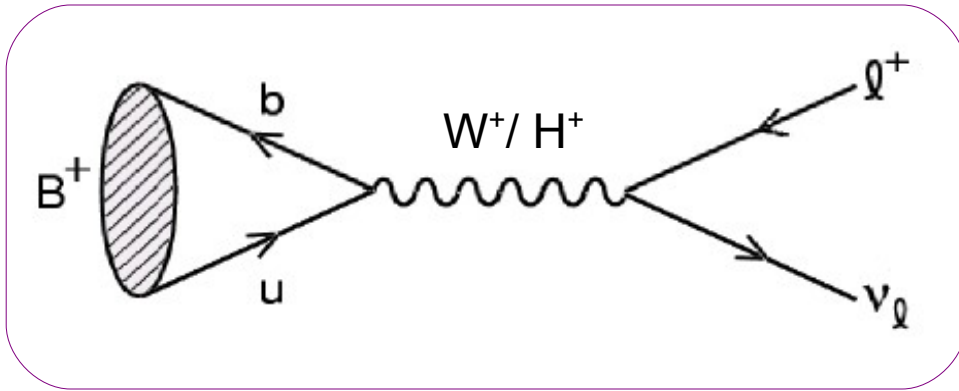
. Accounts for $\sim 70\%$ of τ decays

. Only Leptonic τ decays used in $B \rightarrow D^{(*)} \tau \nu$

. $B \rightarrow e \nu, \mu \nu$ decays classified on the base of p'_l cut

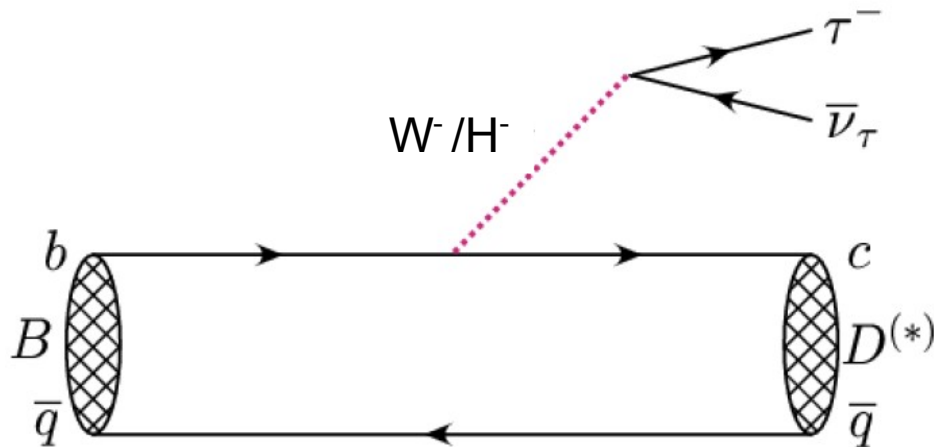


Missing ν final state transitions

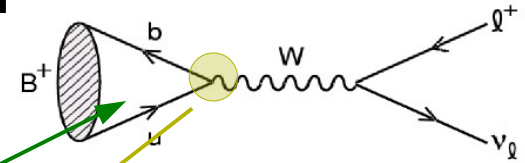


$$b \rightarrow l \nu \quad (l = \tau, e, \mu)$$

$$B \rightarrow D^{(*)} \tau \nu$$



B → l ν motivation



$$\mathcal{B}(B^- \rightarrow \ell^- \bar{\nu}) = \frac{G_F^2 m_B}{8\pi} \boxed{m_\ell^2} \left(1 - \frac{m_\ell^2}{m_B^2}\right)^2 \boxed{f_B^2} \boxed{|V_{ub}|^2} \tau_B$$

τ most favoured channel
 m_l leads to Helicity suppression

$$\tau : \mu : e = 1 : 5 \times 10^{-3} : 10^{-7}$$

V_{ub} : b → u l ν ~ 8 % error
 |V_{ub}| = (3.96 ± 0.15^{+0.20}_{-0.23}) × 10⁻³ *

+
 • f_B: B-meson decay constant

- f_B = 0.216 ± 0.022 GeV (Lattice QCD)

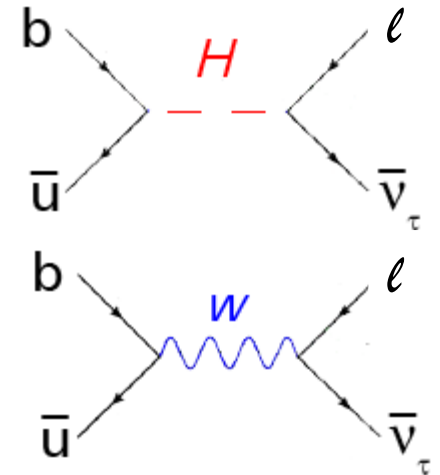
	$B^+ \rightarrow e^+ \nu_e$	$B^+ \rightarrow \mu^+ \nu_\mu$	$B^+ \rightarrow \tau^+ \nu_\tau$
Prediction SM	$(1.4 \pm 0.3) \times 10^{-11}$	$(5.8 \pm 1.3) \times 10^{-7}$	$(1.3 \pm 0.3) \times 10^{-4}$
PDG Values	$< 9.8 \times 10^{-7}$	$< 1.7 \times 10^{-6}$	$(1.4 \pm 0.4) \times 10^{-4}$

The SM prediction for B → τ ν is large!

It can be easily enhanced or suppressed by a factor of 1.5 from NP effects

B \rightarrow l ν motivation.. beyond the SM

- Additional Feynman diagram from Higgs boson: assuming f_B and $|V_{ub}|$, constrain charged Higgs



- Two Higgs Doublet Model (2HDM) and Minimal Supersymmetry(MSSM) lead to modified Branching fraction:

$$\mathcal{B}(B \rightarrow \tau\nu) = \mathcal{B}(B \rightarrow \tau\nu)_{SM} \times r_H$$

$$r_H = \left(1 - \frac{m_B^2}{m_H^2} \tan^2 \beta\right)^2$$

2HDM: Isidori and Paradisi PL B639 (2006)
W.S.Hou PRD 48 2342 (1993)

m_H – charged Higgs Mass

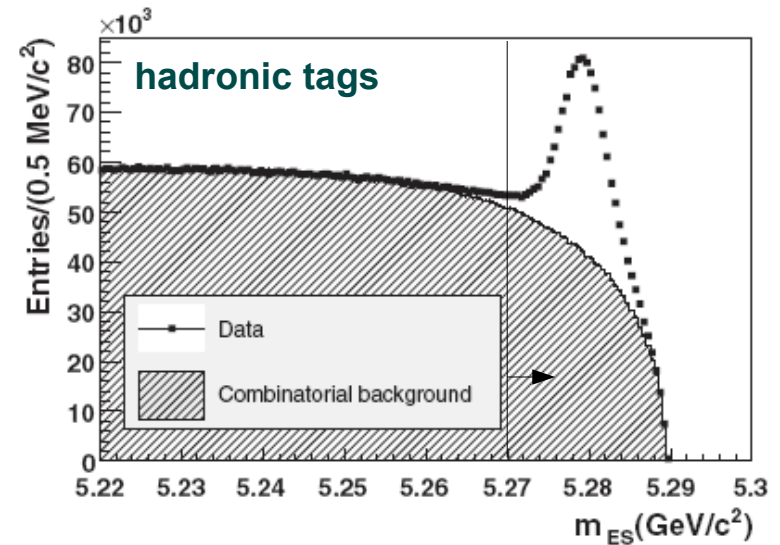
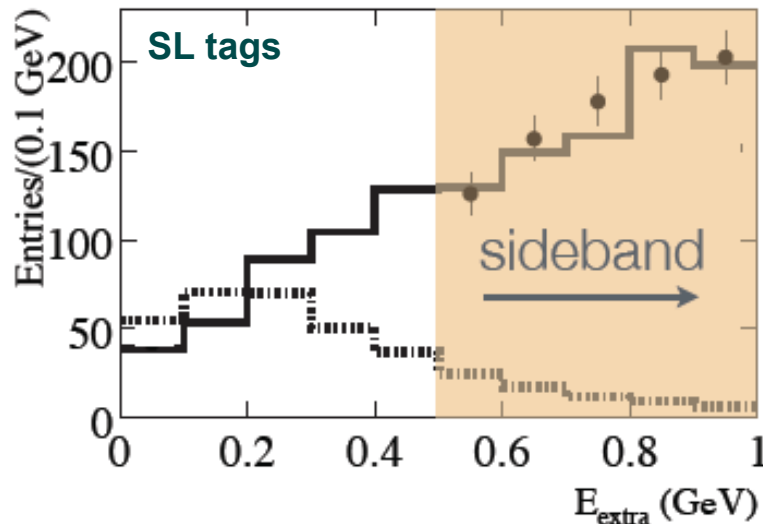
$\tan \beta$ – ratio of vacuum expectation values
 for the u and d type
 Higgs bosons of 2HD

$B \rightarrow l \nu$: Event selection

- . require a good Tag-B (Use both hadronic and semileptonic tags)
- . Cannot reconstruct B_{recoil} mass, use simultaneously optimized cuts on:
 - .. E_{extra} , sum of energies of remaining neutrals
 - .. the momentum of signal lepton in B rest frame (p'_l)
 - .. little presence of “extra” particles (K_L^0 , tracks, π^0)
 - .. continuum rejection through event shape requirements
 - ... for the semileptonic tag, take extra care of $\tau\tau$ events:
if they enter final sample, they peak in E_{extra} !
- . selection efficiencies of $\sim 1\text{-}5\%$ in each channel,
total of 10(HAD)-13(SL)% (after tagging and signal-B reconstruction)

B → l ν : Background Estimation

- Use sidebands in data to estimate background yield
 - E_{extra} , B_{tag} mass sidebands

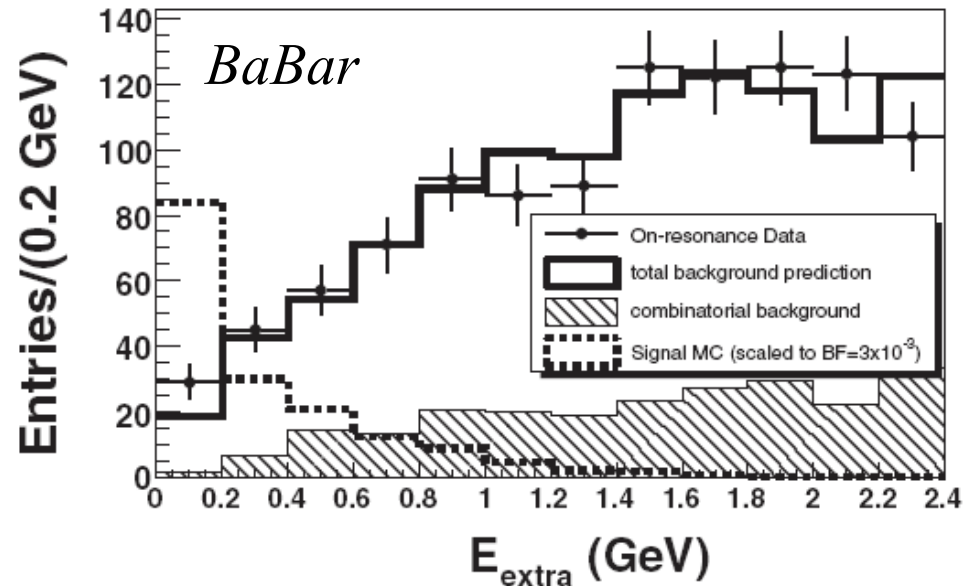


- Scale the amount of data in the E_{extra} SB region by the ratio of MC bkg events in the signal and SB region:

$$N_{\text{exp,Sig}} = N_{\text{data,SideB}} \cdot \frac{N_{\text{MC,Sig}}}{N_{\text{MC,SideB}}}$$

$B \rightarrow \tau \nu$: Hadronic Tag Signal Yields

E_{extra} distribution
after all the selection criteria,
all modes combined



Expected BG = 14 ± 3 , Observed 24
Measure Branching Fraction

τ decay mode	Expected background	Observed
$\tau^+ \rightarrow e^+ \nu \bar{\nu}$	1.47 ± 1.37	4
$\tau^+ \rightarrow \mu^+ \nu \bar{\nu}$	1.78 ± 0.97	5
$\tau^+ \rightarrow \pi^+ \bar{\nu}$	6.79 ± 2.11	10
$\tau^+ \rightarrow \pi^+ \pi^0 \bar{\nu}$	4.23 ± 1.39	5
All modes	14.27 ± 3.03	24



B \rightarrow τ ν : SL Tag Signal Yields

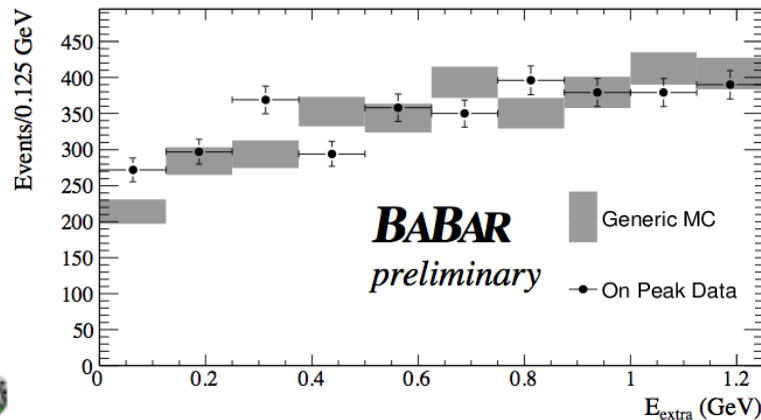
458M BB New: arXiv:0809.4027 hep-ex
(CKM 2008)

383M BB publ:PRD 76, 052002 (2007)

Total E_{extra} energy
after all cuts
all modes combined

BG shape taken from MC,
normalization taken from E_{extra}
sideband and cross-checked
with control samples

Mode	Expected Background (N_{BG})	Observed Events (N_{obs})
$\tau^+ \rightarrow e^+ \nu_e \bar{\nu}_\tau$	91 ± 13	148
$\tau^+ \rightarrow \mu^+ \nu_\mu \bar{\nu}_\tau$	137 ± 13	148
$\tau^+ \rightarrow \pi^+ \bar{\nu}_\tau$	233 ± 19	243
$\tau^+ \rightarrow \pi^+ \pi^0 \bar{\nu}_\tau$	59 ± 9	71



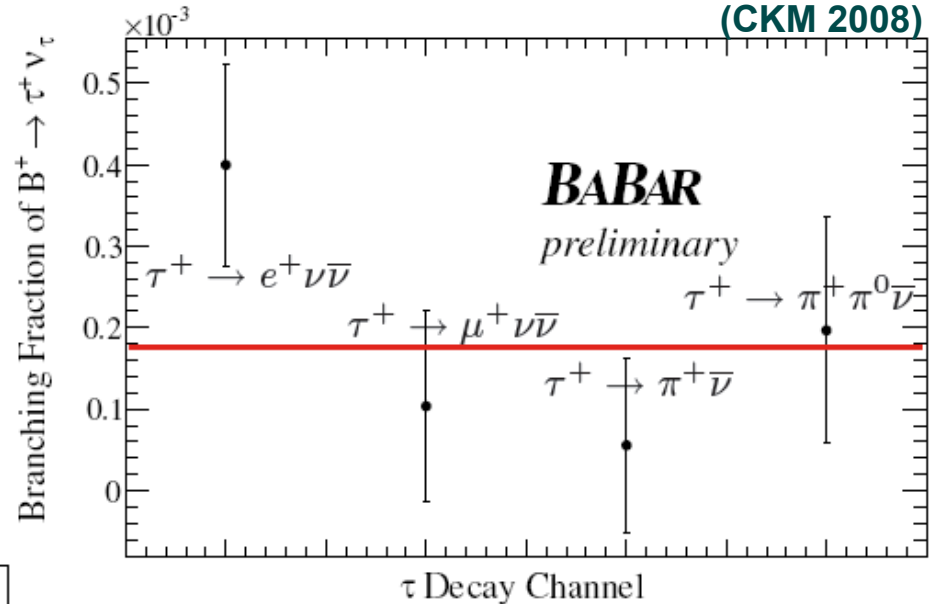
Expected BG = 521 ± 31 ,
Observed 610
Measure Branching Fraction



$B \rightarrow \tau \nu$: SL Tag Branching fraction

- . Fill histogram of separate BFs
- . Fit to constant \rightarrow probability of 18%

458M BB New: arXiv:0809.4027 hep-ex
(CKM 2008)



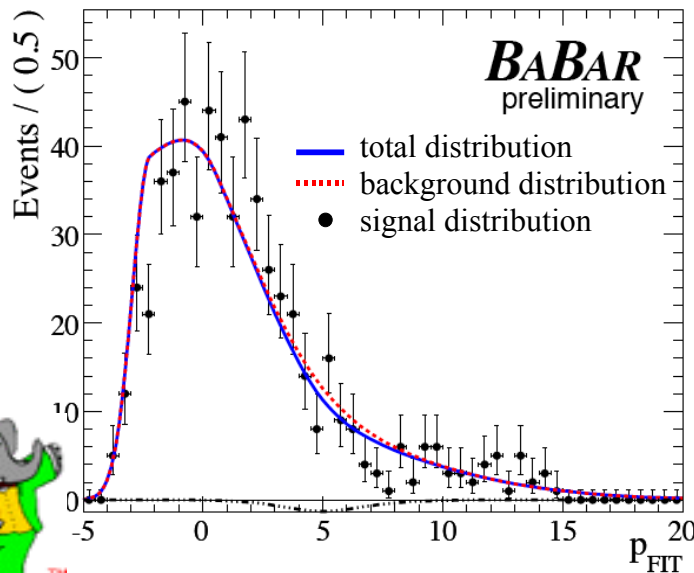
Mode	Branching Fraction
$\tau^+ \rightarrow e^+ \nu_e \bar{\nu}_\tau$	$(4.0 \pm 1.2) \times 10^{-4}$
$\tau^+ \rightarrow \mu^+ \nu_\mu \bar{\nu}_\tau$	$(1.0^{+1.2}_{-0.9}) \times 10^{-4}$
$\tau^+ \rightarrow \pi^+ \bar{\nu}_\tau$	$(0.6^{+1.1}_{-0.5}) \times 10^{-4}$
$\tau^+ \rightarrow \pi^+ \pi^0 \bar{\nu}_\tau$	$(2.0^{+1.4}_{-1.3}) \times 10^{-4}$

$P(\chi^2) = 18\%$
probability



B \rightarrow μ ν : Inclusive Signal Yield

- . Look for highest momentum muon in the signal, make a B_{tag} with the rest of the event (through 4-momenta addition)
- . Tag B: selection on ΔE and m_{ES} and additional lepton requirements
 - .. Candidate lepton momentum very discriminating, both in B rest frame (p_{REST}) and in CM frame (p_{CM})
- . Background (continuum, $B \rightarrow Xu l \nu$ with lepton at spectrum limit): suppression through topological Fisher discriminant



- . Signal and background yields: extracted from a Fisher discriminant distr. built up from p_{CM} and p_{REST}

$$S_{\text{obs}}: -12 \pm 15 \text{ ev} \quad (S_{\text{exp}}: 10 \text{ from MC})$$

$$B_{\text{obs}}: 600 \pm 29 \text{ ev}$$

- set up upper limit in a Bayesian approach
 (assuming a flat prior for the BF up to a maximum of $\mathcal{B}(B^\pm \rightarrow \mu^\pm \nu) = 1.3 \times 10^{-6}$)



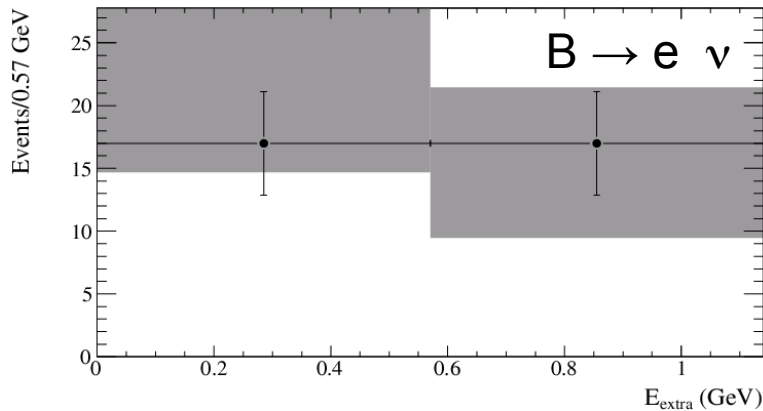
$B \rightarrow e \nu, B \rightarrow \mu \nu$: SL Tag Signal Yields

458M BB New: arXiv:0809.4027 hep-ex
(CKM 2008)

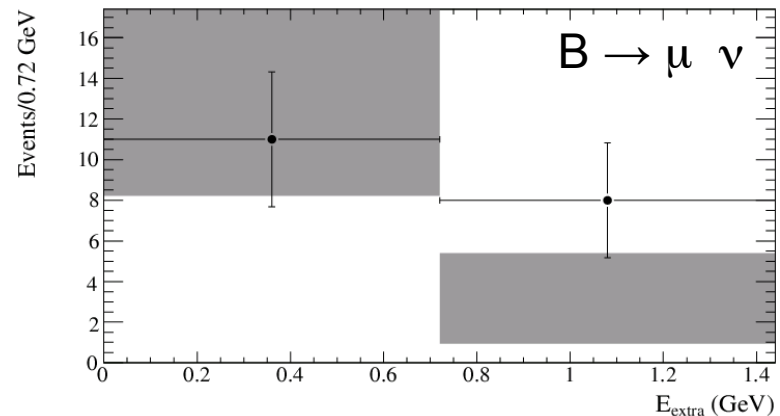
- . Pioneered by Babar
- . Reconstruct one B meson
 - .. less sensitive to signal than inclusive approach,
 - .. much lower background ($\ll 1$),
 - .. suppressed by SM, but excellent method for the future precision studies in high luminosity B factories

Generic MC

On Peak Data



Expected BG = 24 ± 11 ,
Observed 17
Set upper limit



Expected BG = 15 ± 10 ,
Observed 11
Set upper limit



B → l ν : Results

. SM using $|V_{ub}| = (3.96 \pm 0.15^{+0.20}_{-0.23}) \times 10^{-3}$ $f_B = 216 \pm 22 \text{ MeV}$

$$\begin{aligned} \mathcal{B}(B \rightarrow \tau \nu)_{\text{SM}} &= (1.3 \pm 0.3) \times 10^{-4} \\ \mathcal{B}(B \rightarrow \mu \nu)_{\text{SM}} &= (5.8 \pm 1.3) \times 10^{-7} \\ \mathcal{B}(B \rightarrow e \nu)_{\text{SM}} &= (1.4 \pm 0.3) \times 10^{-11} \end{aligned}$$

. BaBar results:

- Hadronic tag $\mathcal{B}(B^+ \rightarrow \tau^+ \nu)_{\text{HAD}} = (1.8^{+0.9}_{-0.8} \pm 0.4 \pm 0.2) \times 10^{-4}$ **PRD77, 011107 (2008)**
- SL * tag $\mathcal{B}(B^+ \rightarrow \tau^+ \nu)_{\text{SL}} = (1.8 \pm 0.8 \pm 0.1) \times 10^{-4}$
- Average $\mathcal{B}(B^+ \rightarrow \tau^+ \nu)_{\text{AVERAGE(SL+HAD)}} = (1.8 \pm 0.6) \times 10^{-4}$
HAD & SL statistically independent **arXiv:0809.4027 hep-ex**
Excludes zero at 3.2σ
- SL tag $\mathcal{B}(B^+ \rightarrow e^+ \nu)_{\text{SL}} < 7.7 \times 10^{-6}$ **arXiv:0809.4027 hep-ex**
- inclusive $\mathcal{B}(B^+ \rightarrow \mu^+ \nu)_{\text{INCL}} < 1.3 \times 10^{-6}$ **arXiv:0807.4187 hep-ex**

. Belle results:

- Hadronic tag $\mathcal{B}(B^+ \rightarrow \tau^+ \nu)_{\text{HAD}} = (1.79^{+0.56}_{-0.49} \text{ }^{+0.46}_{-0.51}) \times 10^{-4}$ **PRL99, 251802 (2006)**
- SL tag $\mathcal{B}(B^+ \rightarrow \tau^+ \nu)_{\text{SL}} = (1.65^{+0.38}_{-0.37} \text{ }^{+0.35}_{-0.37}) \times 10^{-4}$ **arXiv:0809.3834v1 hep-ex**
Excludes zero at 3.8σ

* measured also $f_B = 255 \pm 58 \text{ MeV}$

B → τ ν : Implication for NP

- Charged Higgs contribution may enhance/reduce the branching ratio

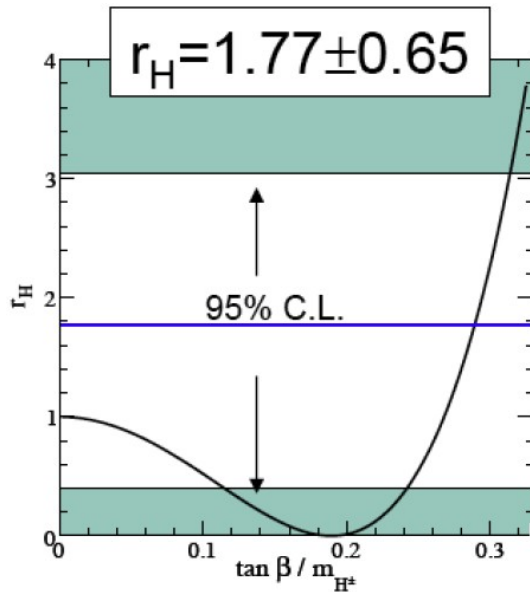
$$\mathcal{B}(B \rightarrow \tau \nu) = (1.8 \pm 0.6) \times 10^{-4}$$

exclude zero at 3.2σ

$$\mathcal{B}(B \rightarrow e \nu) < 7.7 \times 10^{-6}, \quad \mathcal{B}(B \rightarrow \mu \nu) < 11 \times 10^{-6}$$

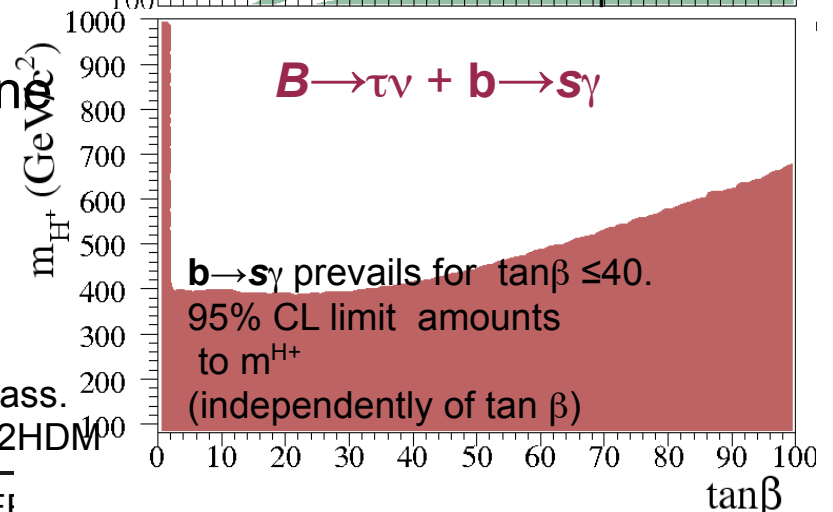
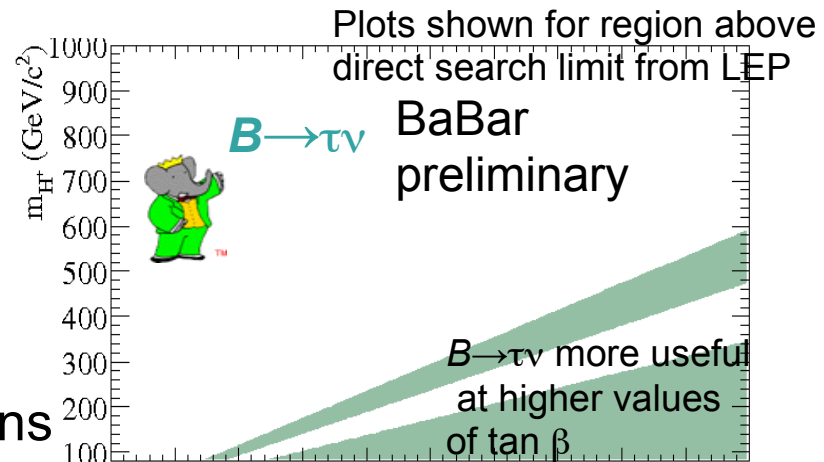
consistent with predictions

- $B_{\text{measured}} > B_{\text{SM}}$ suggests that the H^+ dominates



95 % CL
exclusions regions

in
 $m_H - \tan \beta$ plane

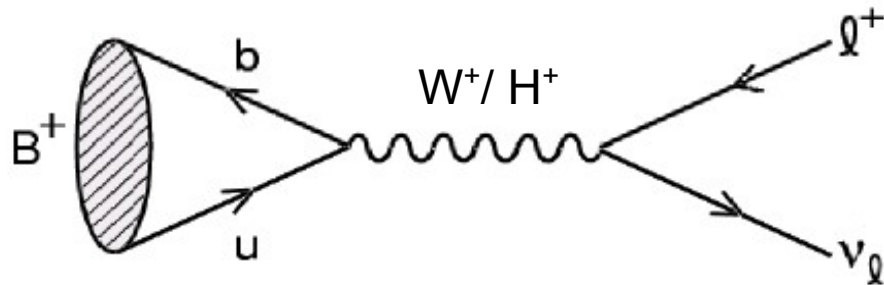


$$r_H = \left(1 - \frac{m_B^2}{m_H^2} \tan^2 \beta\right)^2$$

.. m_H – Charged Higgs mass.

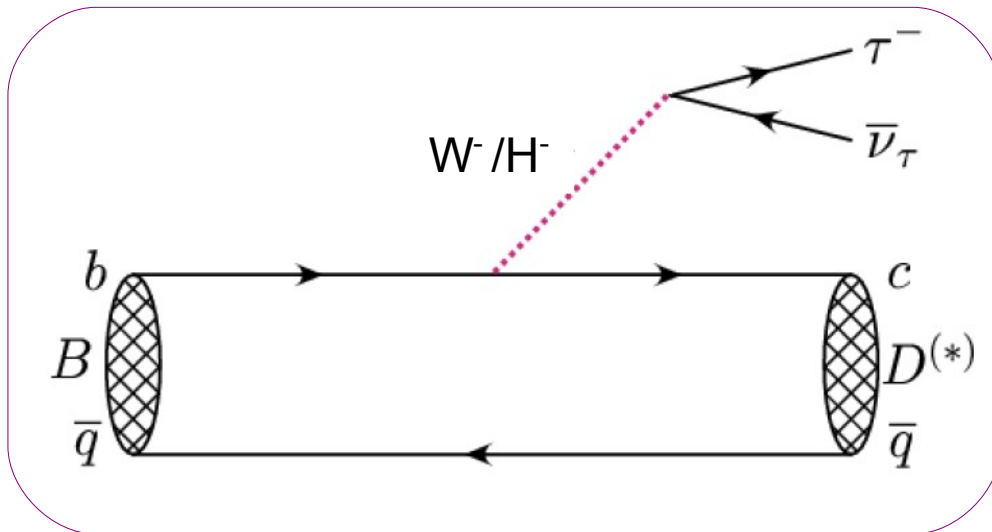
.. $\tan \beta$ – ratio of v.e.v. of 2HDM

Missing ν final state transitions



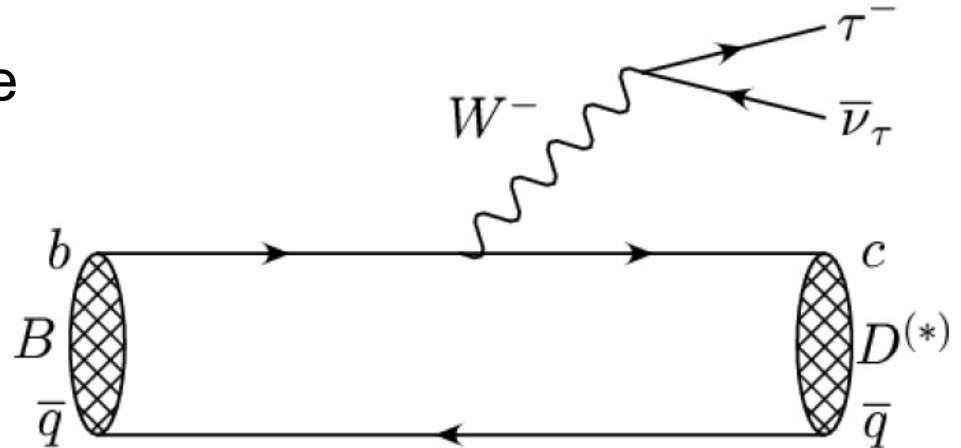
$$b \rightarrow l \nu \quad (l = \tau, e, \mu)$$

$$B \rightarrow D^{(*)} \tau \nu$$



$B \rightarrow D^{(*)} \tau \nu$: motivation

Same Feynman diagram as the light leptons...

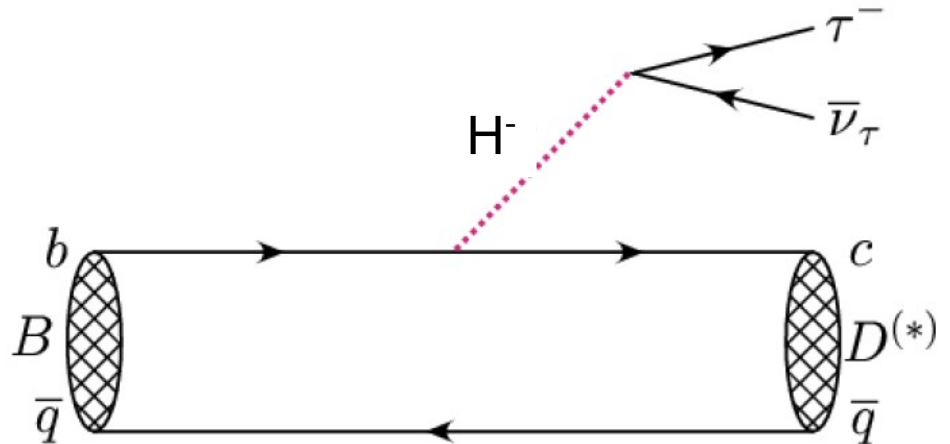


Effects of a heavy τ :

- . Reduces phase space
- . One additional helicity state for the W^*
 - .. Need two form factors to describe $D\tau\nu$, four for $D^*\tau\nu$
 - .. HQET relates these extra FF's to the “light lepton” ones
- . τ decays \sim immediately & 2-3 $\nu \rightarrow$ experimental challenge!

$B \rightarrow D^{(*)} \tau \nu$: motivation

... but the decay can also be mediated by a charged Higgs boson



Very clean probe of new physics

- . New physics contributes at tree level
- . Measurements of FF's for light leptons allow for very precise predictions for the $\tau \rightarrow$ hadronic behavior under control
- . Spin-zero Higgs does not couple to all helicity states
→ affects D and D^* differently, τ polarization

B \rightarrow D(*) $\tau \nu$: motivation

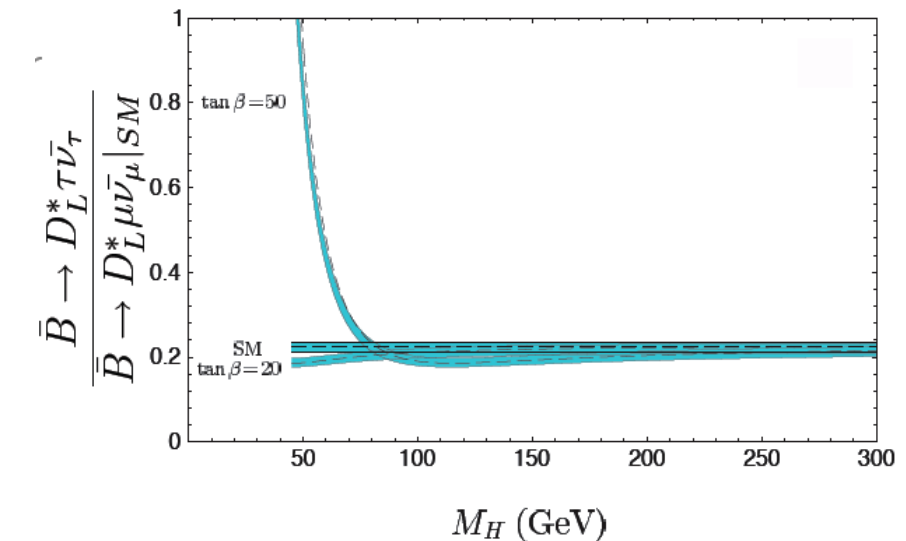
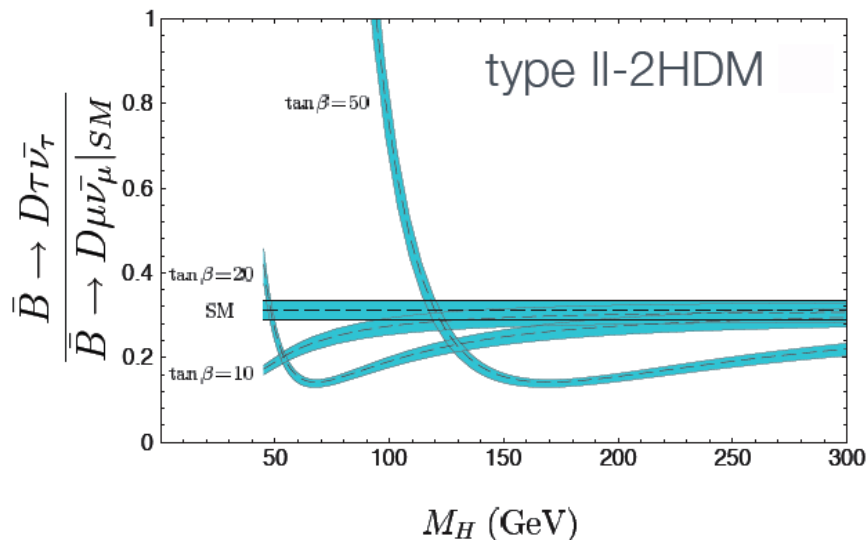
Beyond SM charged Higgs

- Higgs couples to mass
 \rightarrow larger effect than in B \rightarrow D(*) l ν (l=e, μ)

- Ratio of B \rightarrow D(*) $\tau\nu$ /B \rightarrow D(*) $\mu\nu$ shown for 2HDM-type II

Decay Mode	B (%)
$\bar{B}^0 \rightarrow D^- \tau^- \bar{\nu}_\tau$	0.69 ± 0.04
$\bar{B}^0 \rightarrow D^{*-} \tau^- \bar{\nu}_\tau$	1.41 ± 0.07
$B^- \rightarrow D^0 \tau^- \bar{\nu}_\tau$	0.64 ± 0.04
$B^- \rightarrow D^{*0} \tau^- \bar{\nu}_\tau$	1.32 ± 0.07
$B \rightarrow X_c \tau^- \bar{\nu}_\tau$	2.3 ± 0.25

Chen and Geng, JHEP 061053 (2006)
 Falk et al. PL B 326 145 (1994)

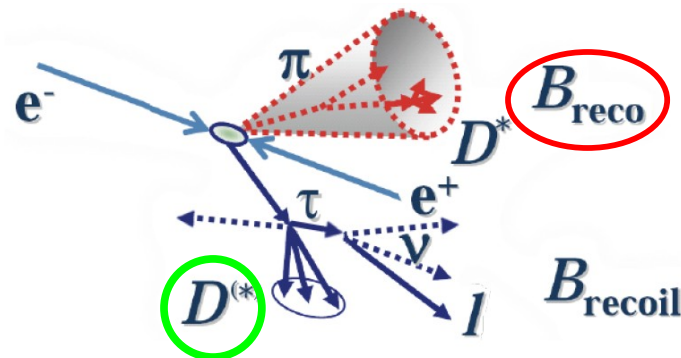


qualitatively
 similar behaviour
 in other models

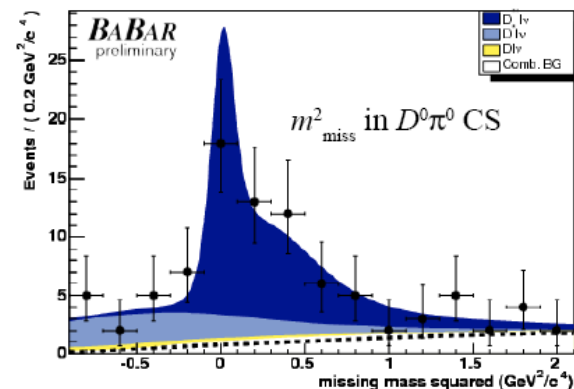
plots from Tanaka,
 Z Phys C67 321 (1995)

B → D(*) τ ν : analysis outline

- . Hadronic tags used, D/D* + lepton in recoil
- . Charge correlation between D(*) and Breco
- . Simultaneous measurement 4 D channels:
D⁰τν, D^{0*}τν, D⁺τν, D⁺*τν
.. Reconstruct τ as τ → lνν



- . Main background B → D l ν, B → D* l ν
- . Use m^2_{miss} to discriminate signal from BG
.. Light lepton BG has 1 ν → $m^2_{\text{miss}} \approx 0$
.. Signal events have 3 ν → very large m^2_{miss}
- . B → D** l ν BG constrained using control samples
.. Add a π⁰ to signal reconstruction
.. Reduce sensitivity to details of D** model (D₁, D₂^{*}, D₀^{*}, D₁['], non-resonant)



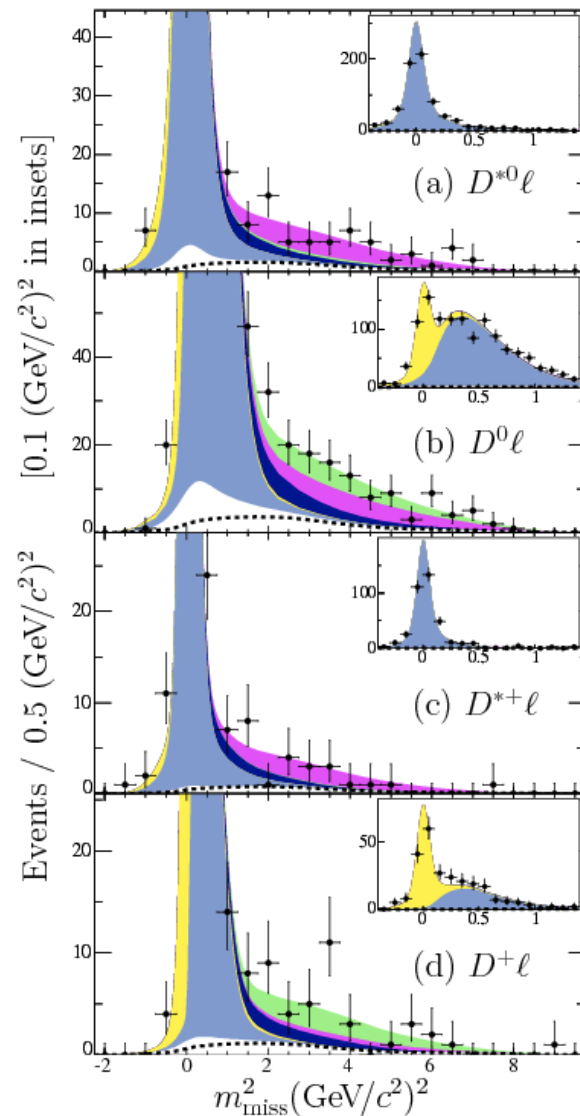
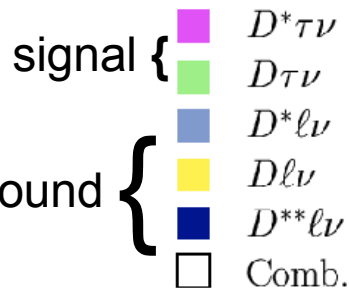
B → D(*) τ ν : signal fit

- Unbinned maximum likelihood fit:
 - Two discriminating variables, m_{miss}^2 and lepton momentum, p_l^*
 - Simultaneous fit to 4 D(*) signal channels, 4 D** control samples
 - Constrain D**lv background with independent data control sample

Measure
$$R \equiv \frac{\mathcal{B}(B \rightarrow D^{(*)} \tau^- \bar{\nu}_\tau)}{\mathcal{B}(B \rightarrow D^{(*)} \ell^- \bar{\nu}_\ell)}$$

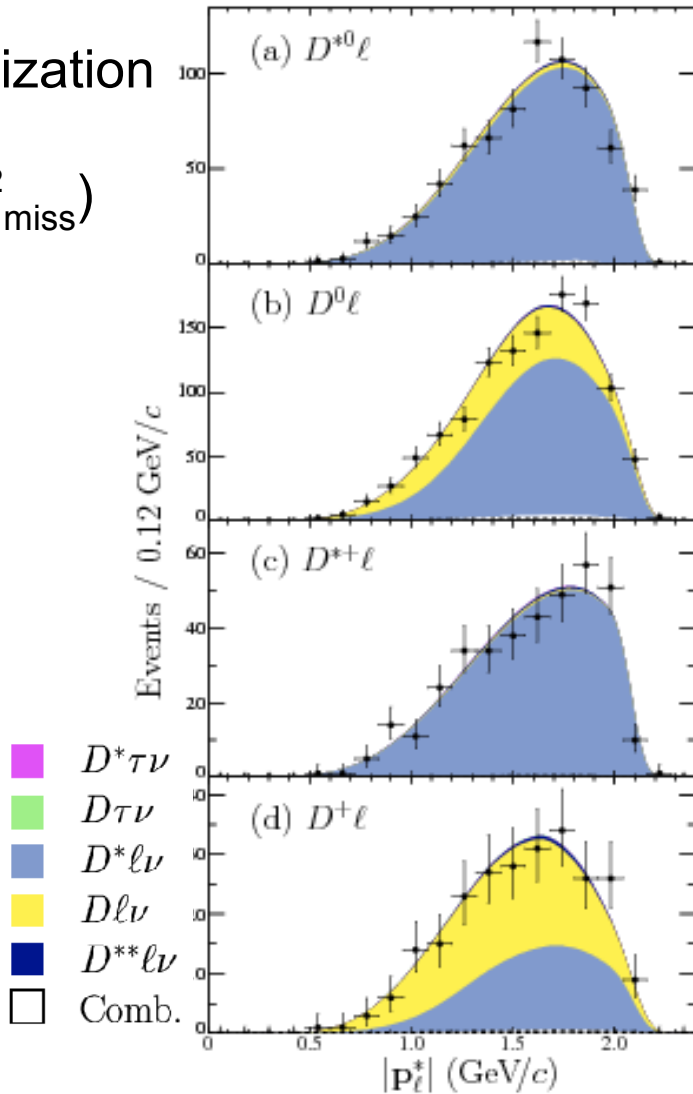
Fit

66.9 ± 18.9 Dτν signal
101.4 ± 19.1 D*τν signal

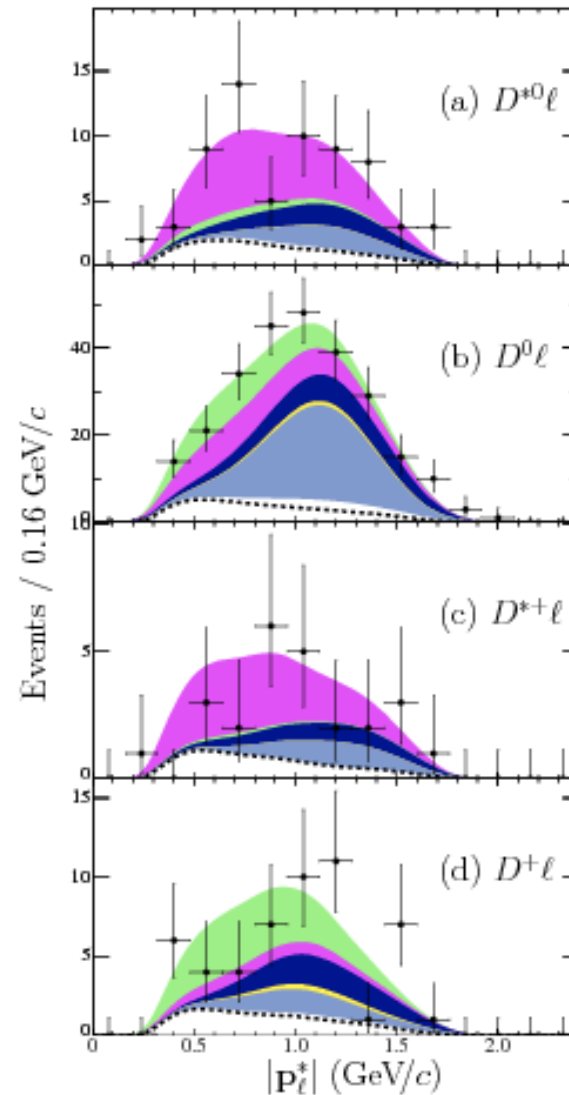


$B \rightarrow D(*) \tau \nu : p^*_\ell$ projections

Normalization region
(low m^2_{miss})



Signal region
(high m^2_{miss})



B \rightarrow D(*) τ ν : Results

Standard Model

Decay Mode	\mathcal{B} (%)
$\bar{B}^0 \rightarrow D^- \tau^- \bar{\nu}_\tau$	0.69 ± 0.04
$\bar{B}^0 \rightarrow D^{*-} \tau^- \bar{\nu}_\tau$	1.41 ± 0.07

Chen and Geng, JHEP 10 053 (2006)

BaBar

Mode	\mathcal{B} [%]
$B^- \rightarrow D^0 \tau^- \bar{\nu}_\tau$	$0.67 \pm 0.37 \pm 0.11 \pm 0.07$
$B^- \rightarrow D^{*0} \tau^- \bar{\nu}_\tau$	$2.25 \pm 0.48 \pm 0.22 \pm 0.17$
$\bar{B}^0 \rightarrow D^+ \tau^- \bar{\nu}_\tau$	$1.04 \pm 0.35 \pm 0.15 \pm 0.10$
$\bar{B}^0 \rightarrow D^{*+} \tau^- \bar{\nu}_\tau$	$1.11 \pm 0.51 \pm 0.04 \pm 0.04$
$B \rightarrow D \tau^- \bar{\nu}_\tau$	$0.86 \pm 0.24 \pm 0.11 \pm 0.06$
$B \rightarrow D^* \tau^- \bar{\nu}_\tau$	$1.62 \pm 0.31 \pm 0.10 \pm 0.05$

232M BB, PRL 100, 021801 (2008)

3.6 σ

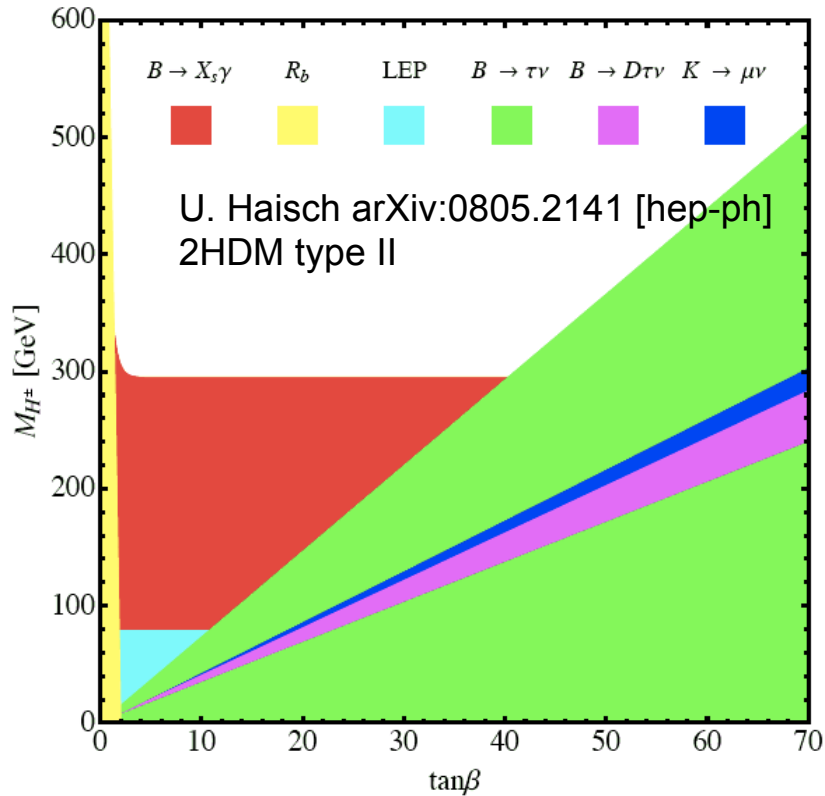
6.2 σ

Belle

$$\mathcal{B}(\bar{B}^0 \rightarrow D^{*+} \tau^- \bar{\nu}_\tau) = (2.02_{-0.37}^{+0.40} \pm 0.37)\% \quad \mathbf{5.2\sigma}$$

535M BB, PRL 99 191807 (2007)

$B \rightarrow \tau \nu$ & $B \rightarrow D \tau \nu$: Implication for NP



In general, $B \rightarrow X_s \gamma$ lower bound on M_{H^\pm} stronger than all direct & indirect constraints

In particular,
 $B \rightarrow X_s \gamma$ still prevails over $B \rightarrow \tau \nu$ [57-59],
 $B \rightarrow D \tau \nu$ [58],
 and $K \rightarrow \mu \nu$ [60] for values of $\tan \beta < 40$.

The derived 95% confidence level (CL) limit (shaded regions) amounts to $M_{H^\pm} > 295 \text{ GeV}$ independently of $\tan \beta$

[57] B. Aubert et al. [BaBar Collaboration], hep-ex/0608019; Phys. Rev. D 76, 052002 (2007),

K. Ikado et al. [Belle Collaboration], Phys. Rev. Lett. 97, 251802 (2006);

[58] J. F. Kamenik and F. Mescia, 0802.3790 [hep-ph]

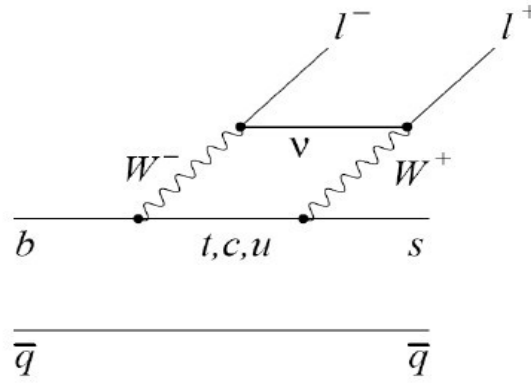
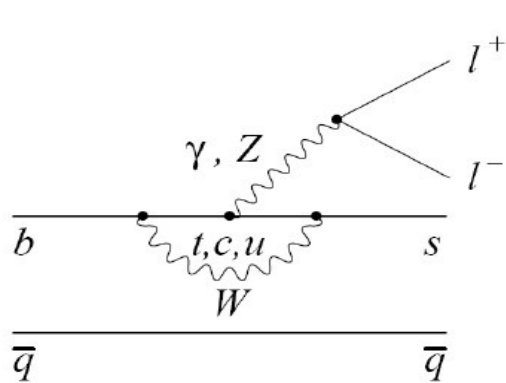
[60] M. Antonelli et al. [FlaviaNet Working Group on Kaon Decays], 0801.1817 [hep-ph].



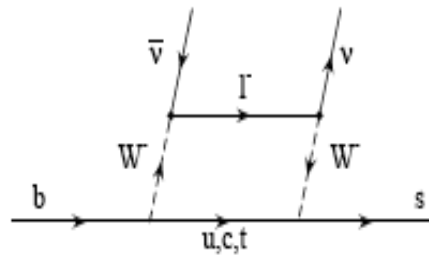
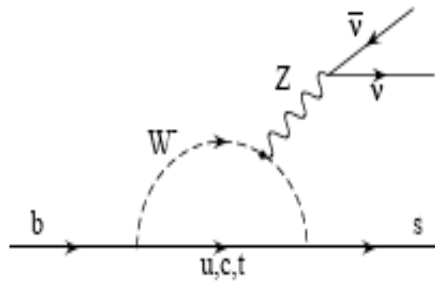
$B \rightarrow D \tau \nu$: **PRL100, 021801(2008)**

$B \rightarrow \tau \nu$: **arXiv:0809.4027 [hep-ex]**

Electroweak Penguins



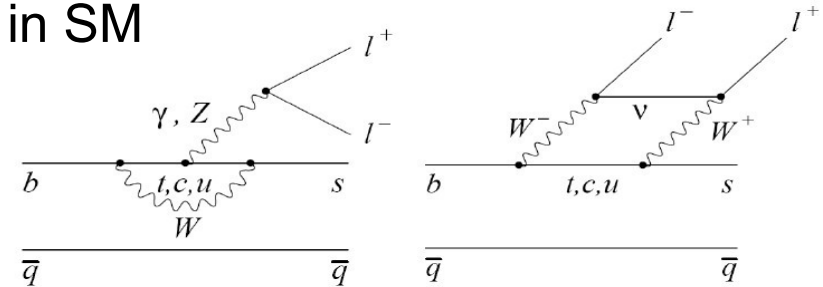
$b \rightarrow s l^+ l^-$
 $b \rightarrow s \nu \bar{\nu}$



$b \rightarrow s \ell \ell, \nu \bar{\nu}$: Motivation

- . FCNC process forbidden at tree level in SM
- . Operator Product Expansion

$$H_{\text{eff}} = -4G_F/\sqrt{2} (V_{tb} V_{ts}^*) \sum_i C_i O_i$$



.. 3 short distance Wilson coeff. C_i

- C_7 EM photon penguin

constrained $b \rightarrow s \gamma$ BF measurement
 $|C_7| \approx 0.33$ (arXiv:0704.3575)

- $C_9 (C_{10})$ Vector (Axial-Vector) parts of the Z penguin, WW box

$|C_9|^2 + |C_{10}|^2$ constrained $b \rightarrow s \ell^+ \ell^-$ BF,
 but not relative sign

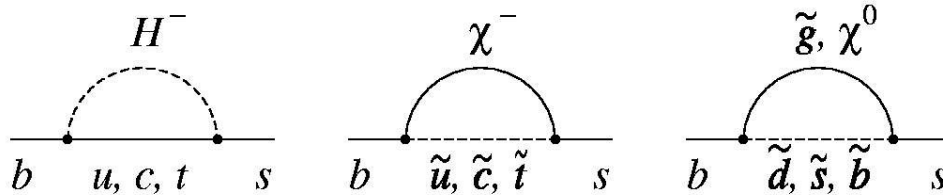
- . Rich phenomenology for standard model tests
- . SM BF prediction:

decay	BR_{SM}
$B \rightarrow K^* \ell^+ \ell^-$	1.2×10^{-6}
$B \rightarrow K \ell^+ \ell^-$	0.4×10^{-6}
$B \rightarrow \pi \ell^+ \ell^-$	3.3×10^{-8}
$B \rightarrow K^* \nu \bar{\nu}$	1.3×10^{-5}
$B \rightarrow K \nu \bar{\nu}$	4×10^{-6}

$b \rightarrow s \ell \ell, \nu \bar{\nu}$: Motivation ... beyond the SM

. Modification of magnitude and relative sign of C_i wrt SM prediction

. NP contributions can appear in the loop affecting both rates and kinematic distributions



Higgs

Chargino

Gluino/Neutralino

New particles in loop may enhance $B(b \rightarrow s \gamma)$

Affects mostly EW penguins (C7 & C9)

EM penguins (C7) enhanced by $m_{\tilde{g}}/m_b$

.. Sensitive to *non-standard Z couplings*, new particles in Z-loop [1]

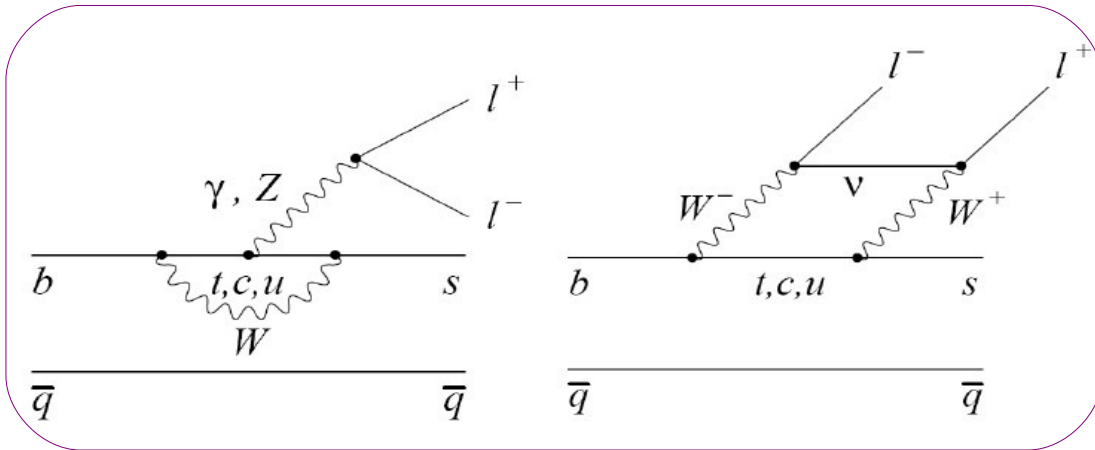
.. $B \rightarrow X_s \nu \bar{\nu}$ sensitive to other exotic models:

- *New sources of missing energy*: production of *light dark matter* in $BR(B \rightarrow K^* + \text{missing energy})$ via Higgs mediated vertex (BR_{NP} up to $50 \times BR_{SM}$ for given values of model parameters)[2]
- *Unparticle operators* : existence of NP fields (Banks-Zaks fields) that, in the low energy limit of an effective field theory, represent invisible particles contributing to $BR(B \rightarrow K^* + \text{missing energy})$ [3]

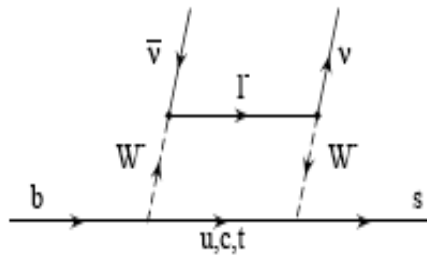
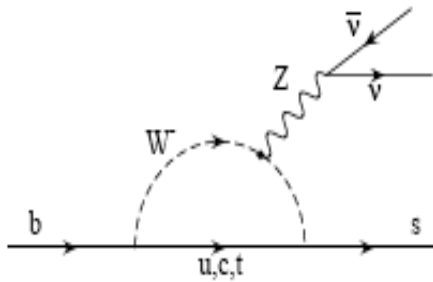
[1] G. Buchalla, G. Hiller, G. Isidori *Phys. Rev. D* 63, 014015, 2000 [2] C. Bird et al. *Phys. Rev. Lett.* 93:201803, 2004

[3] T.M. Aliev et al *JHEP* 0707:072, 2007

Electroweak Penguins



$b \rightarrow s l^+ l^-$
 $b \rightarrow s \nu \bar{\nu}$



B \rightarrow K^(*) l⁺l⁻ : Experimental Tag Methods

384M BB

arXiv:0804.4412 hep-ex

arXiv:0807.4119 hep-ex

. Fully reconstruction of 10 B \rightarrow K^(*)l⁺l⁻ final states:

... [K[±] π[∓], K[±] π⁰ or K⁰_Sπ[±]] recoiling against pairs [e⁺e⁻, μ⁺μ⁻]

. Backgrounds suppression:

.. di-lepton bkg from B and D

.. continuum ll \rightarrow cc, c \rightarrow slv

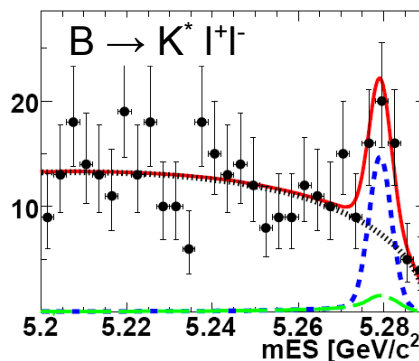
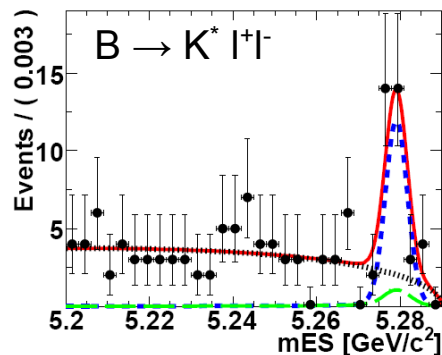
.. B \rightarrow K^(*)J/ψ and B \rightarrow K^(*)ψ(2S) : veto by cutting on m_{ll}²

.. B \rightarrow D(D \rightarrow K^(*)π)π with π \rightarrow μ mis-ID: veto on m_{K(*)π} close to m_D

2 different Neural Networks (cc, BB) with event shape variables, missing energy and vertexing infos, for each q² region

. Signal yield extraction: unbinned maximum likelihood fit to m_{ES}

Low q² region:
q² < 6.25 GeV²/c⁴



data; signal; peaking;
combinatorial; total

High q² region:
q² > 10.24 GeV²/c⁴

B → K^(*) ℓ⁺ℓ⁻ : Observables

- . Branching fractions
- . q² distributions
- . Direct CP asymmetry:

$$A_{CP}^{K^{(*)}} \equiv \frac{\mathcal{B}(\bar{B} \rightarrow \bar{K}^{(*)} \ell^+ \ell^-) - \mathcal{B}(B \rightarrow K^{(*)} \ell^+ \ell^-)}{\mathcal{B}(\bar{B} \rightarrow \bar{K}^{(*)} \ell^+ \ell^-) + \mathcal{B}(B \rightarrow K^{(*)} \ell^+ \ell^-)}$$

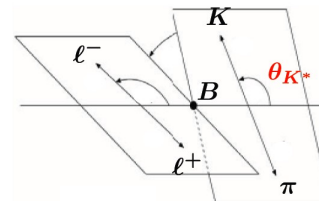
- . Lepton Flavour ratio:

$$R_{K^{(*)}} \equiv \frac{\mathcal{B}(B \rightarrow K^{(*)} \mu^+ \mu^-)}{\mathcal{B}(B \rightarrow K^{(*)} e^+ e^-)}$$

- . CP-averaged isospin asymmetry

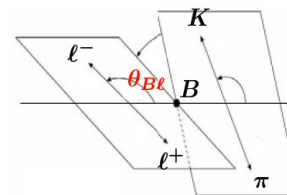
$$A_I^{K^{(*)}} \equiv \frac{\mathcal{B}(B^0 \rightarrow K^{(*)0} \ell^+ \ell^-) - r \mathcal{B}(B^\pm \rightarrow K^{(*)\pm} \ell^+ \ell^-)}{\mathcal{B}(B^0 \rightarrow K^{(*)0} \ell^+ \ell^-) + r \mathcal{B}(B^\pm \rightarrow K^{(*)\pm} \ell^+ \ell^-)}$$

- . Longitudinal K* polarization, f_L



Extracted from angular fit to $\cos_{\theta_{\ell K}}$ in each q² bin

- . Forward-backward Asymmetry, A_{FB}



Extracted from angular fit to $\cos_{\theta_{\ell}}$ in each q² bin



$B \rightarrow K^{(*)} l^+ l^-$: Branching ratios

SM BF prediction: $\mathcal{B}(B \rightarrow K^{(*)} l^+ l^-) \sim 10^{-6}$

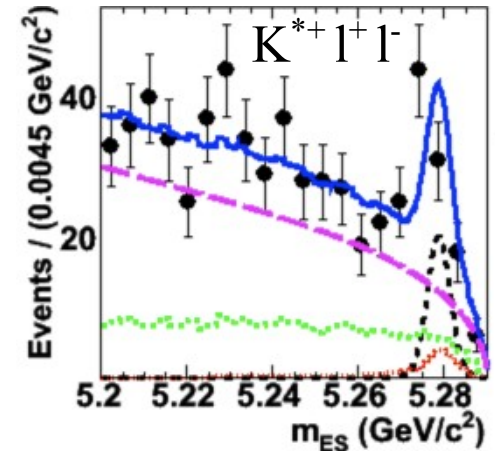
Total branching fractions:



657M $B\bar{B}$ **New**
arXiv:0810.0335 (2008)

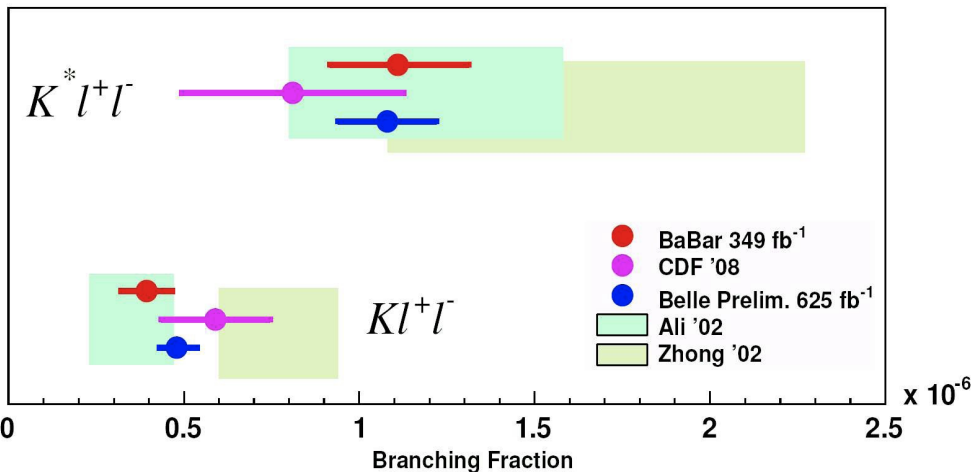


384M $B\bar{B}$ **New**
arXiv:0807.4119 (2008)



. DATA
total fit
signal gaussian
combinatorial bkg
hadronic bkg
cross-feed bkg

Mode	$\mathcal{B}(\times 10^{-7})$	$\mathcal{B}(\times 10^{-7})$
$K^* l^+ l^-$	$10.8 \pm 1.0 \pm 0.9$	$11.1 \pm 1.9 \pm 0.7$
$K l^+ l^-$	$4.8 \pm_{0.4}^{0.5} \pm 0.3$	$3.9 \pm 0.7 \pm 0.2$

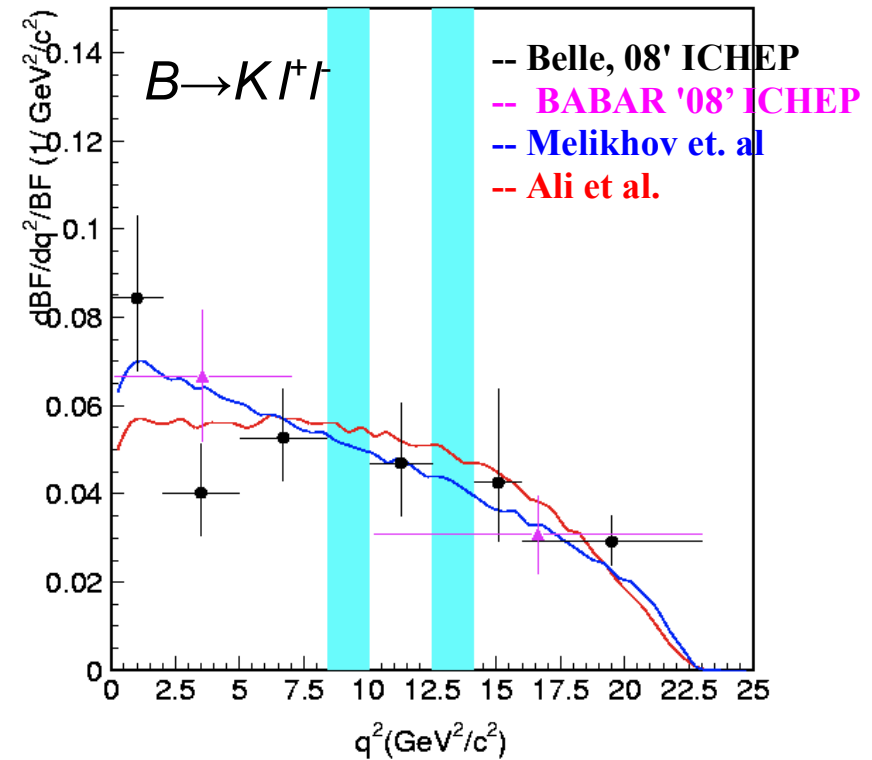
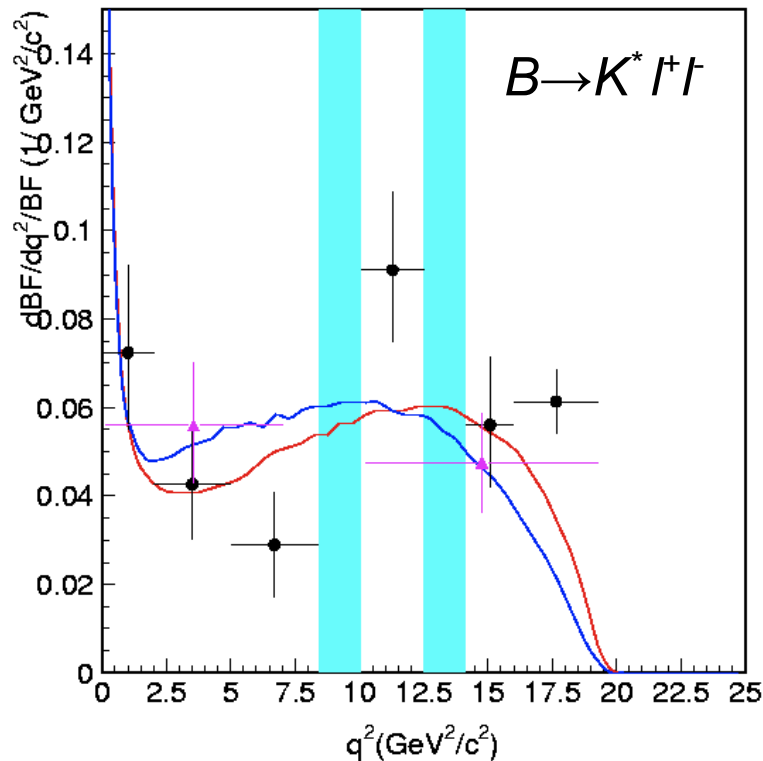


- . Precision is at $\sim 5\%$ level
- . BABAR $\mathcal{B}(B \rightarrow K^{(*)} l^+ l^-)$ results lie $\sim 1\sigma$ lower than Belle's
- . results consistent with SM expectations

Ali et al: PRD 66, 034002 (2002)
Zhong et al: IJMO A18, 1959 (2003) 39

$B \rightarrow K^{(*)} l^+ l^- : q^2$ Distributions

$$q^2 = m_{\ell\ell}^2$$



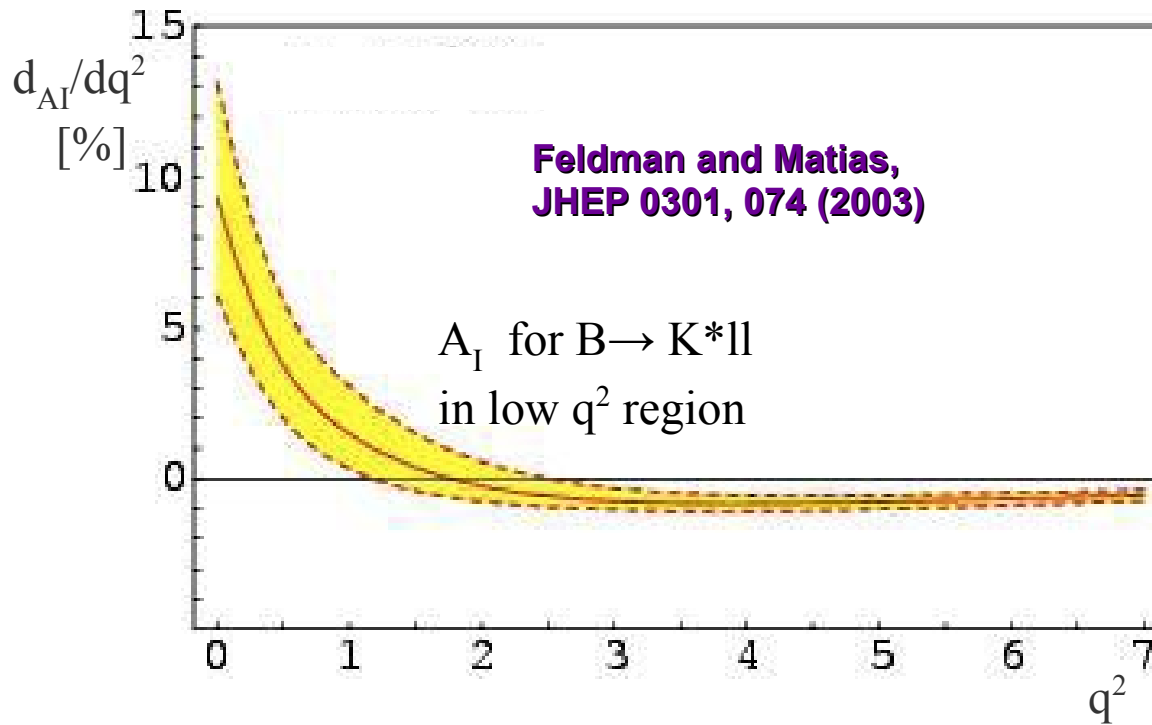
Consistent with SM expectations

Ali et al: PRD 66, 034002 (2002)
Melikhov et al: PLB 410, 290 (1997)

$B \rightarrow K^{(*)} \ell^+ \ell^-$: Isospin Asymmetries

Define isospin asymmetry
in different q^2 bins:

$$A_I \equiv \frac{B(B^0 \rightarrow K^{(*)0} \ell^+ \ell^-) - \left(\frac{\tau_0}{\tau_+}\right) B(B^\pm \rightarrow K^{(*)\pm} \ell^+ \ell^-)}{B(B^0 \rightarrow K^{(*)0} \ell^+ \ell^-) + \left(\frac{\tau_0}{\tau_+}\right) B(B^\pm \rightarrow K^{(*)\pm} \ell^+ \ell^-)}$$



SM Isospin asymmetry is
expected to be 0 for $B \rightarrow K \ell \ell$
at low q^2

For $B \rightarrow K^* \ell \ell$: Small ($< 15\%$)
with some variation at low q^2 ,
near 0 for high q^2

calculations*: $A_I^{K^*} = -0.005 \pm 0.020$

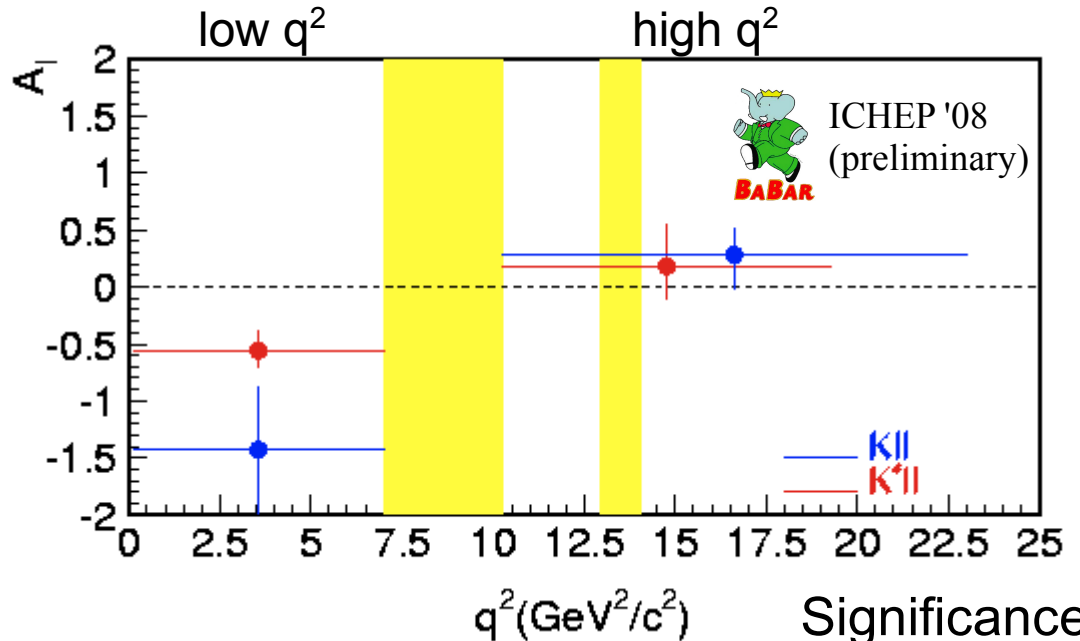
A_I exhibits q^2 -dependence in low
 q^2 region

Some sensitivity to the sign of C_7

**M. Beneke et al.
Eur. Phys. J.C41, 173 (2005)**

$B \rightarrow K^{(*)} l^+ l^-$: Isospin Asymmetries

- No significant asymmetry in the high q^2 region, consistent with zero
- BaBar sees significant negative isospin asymmetries in the low q^2 region, suggest insensitive to hadronic final state \rightarrow combine K_{ll} & K^{*ll}
- BaBar and Belle's * results are consistent



Mode	low q^2	Significance (syst included) to exclude $A^{K^{(*)}}_l = 0$:
$K^{*} ll$	$-0.56^{+0.17}_{-0.15} \pm 0.03$	2.7σ
$K ll$	$-1.43^{+0.56}_{-0.85} \pm 0.05$	3.2σ

Belle*:675M BB, arxiv:0810:0335
@ $q^2 < 8.68 \text{ GeV}^2/c^2$
 $A^{K^{(*)}}_l = -0.30^{+0.12}_{-0.11} \pm 0.04 \quad 2.24\sigma$

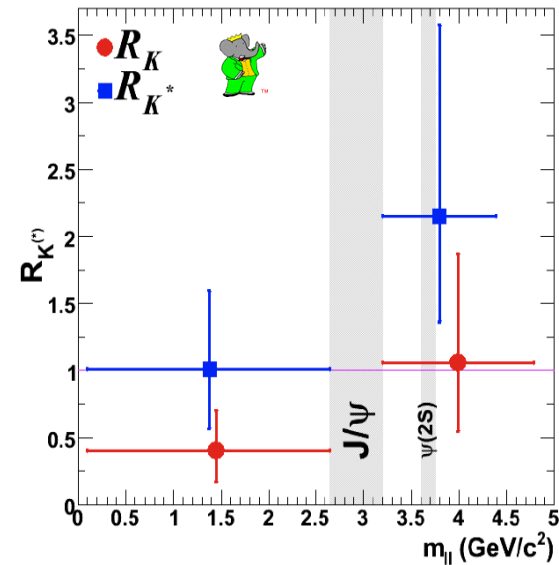
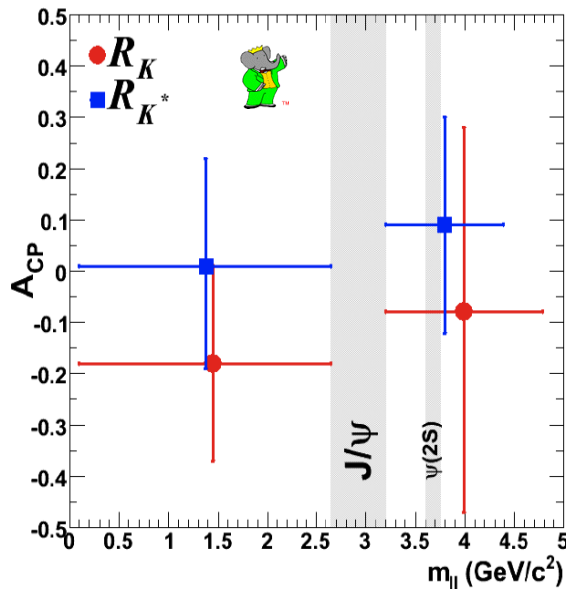
$$A^{K^{(*)}}_l = -0.64^{+0.15}_{-0.14} \pm 0.03 \quad 3.9\sigma$$

$B \rightarrow K^{(*)} l^+ l^- : A_{CP}^{K^{(*)}} \text{ \& } R_{K^{(*)}}$

Define

$$A_{CP}^{K^{(*)}} \equiv \frac{\mathcal{B}(\bar{B} \rightarrow \bar{K}^{(*)} l^+ l^-) - \mathcal{B}(B \rightarrow K^{(*)} l^+ l^-)}{\mathcal{B}(\bar{B} \rightarrow \bar{K}^{(*)} l^+ l^-) + \mathcal{B}(B \rightarrow K^{(*)} l^+ l^-)}$$

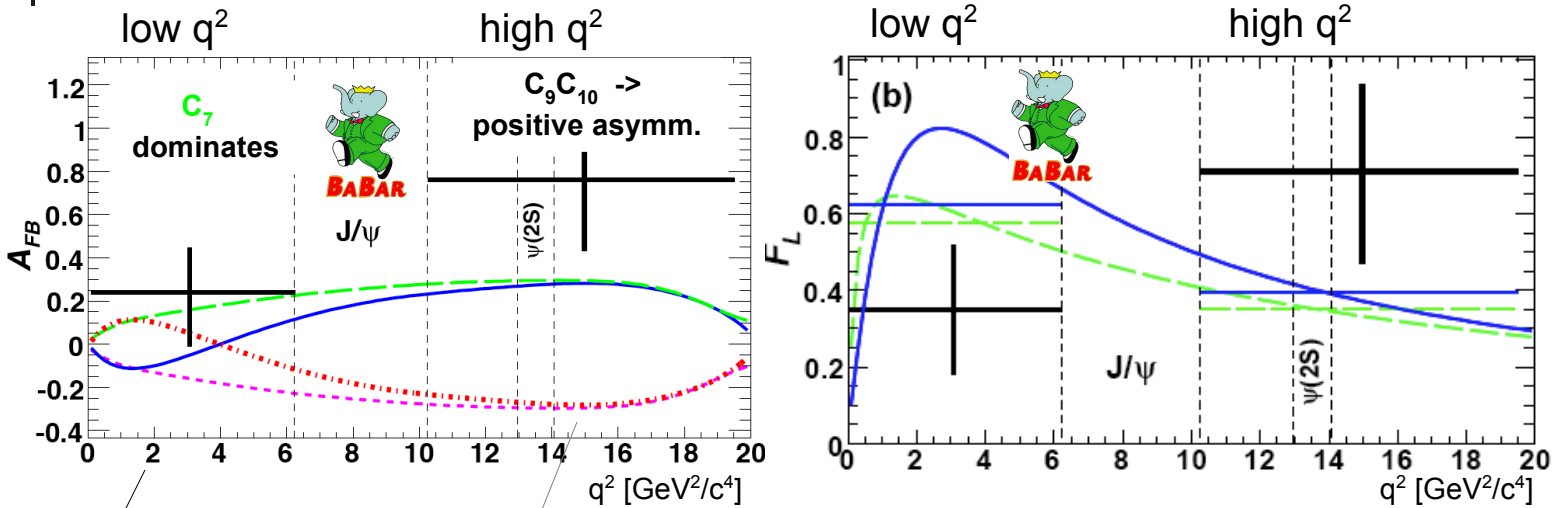
$$R_{K^{(*)}} \equiv \frac{\mathcal{B}(B \rightarrow K^{(*)} \mu^+ \mu^-)}{\mathcal{B}(B \rightarrow K^{(*)} e^+ e^-)}$$



Direct CP Asymmetry : expected $O(10^{-4})$ in SM but possible significant enhancement from NP at the EW scale ([arXiv:0805.2525](https://arxiv.org/abs/0805.2525)).
Results consistent with SM

Lepton Flavor Ratio: In SM $R_K \sim 1$, $R_{K^*} \sim 0.75$; in 2HDM & SUSY sensitive to neutral Higgs at large $\tan \beta$ ([hep-ph/0004262](https://arxiv.org/abs/hep-ph/0004262)).
Results consistent with SM.

$B \rightarrow K^* l^+ l^- : F_L \text{ \& } A_{FB}$



SM $C_7 = -C_7^{SM}$
 $C_9 C_{10} = -C_9^{SM} C_{10}^{SM}$
 $C_7 = -C_7^{SM}$
 $C_9 C_{10} = -C_9^{SM} C_{10}^{SM}$

SM @ Low q^2 :
 A_{FB} expected to be small,
 with zero crossing point at
 $q^2 < 4 \text{ GeV}^2/c^4$.
 C_7 constrained $b \rightarrow s \gamma$,
 but change in sign is allowed.

non-SM contributions:
 - change the magnitudes and
 relative signs of C_7, C_9 & C_{10}
 - introduce complex phases
 between them.

q^2	F_L
low	$0.35 \pm 0.16 \pm 0.04$
high	$0.71^{+0.20}_{-0.22} \pm 0.04$
q^2	A_{FB}
low	$0.24^{+0.18}_{-0.23} \pm 0.05$
high	$0.76^{+0.52}_{-0.32} \pm 0.07$

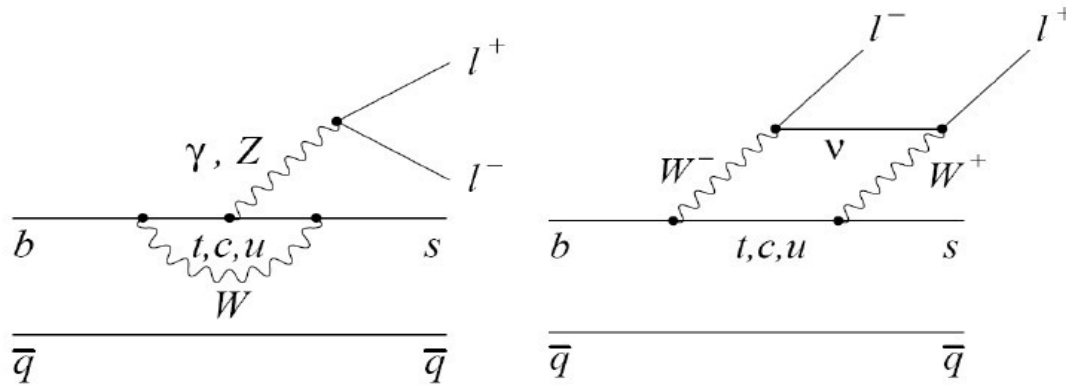
SM @ High q^2 :
 $C_9 C_{10}$ expected give pos. asymm.
 Right-handed weak currents
 have an opposite-sign $C_9 C_{10}$
 would \rightarrow negative A_{FB}

Results:

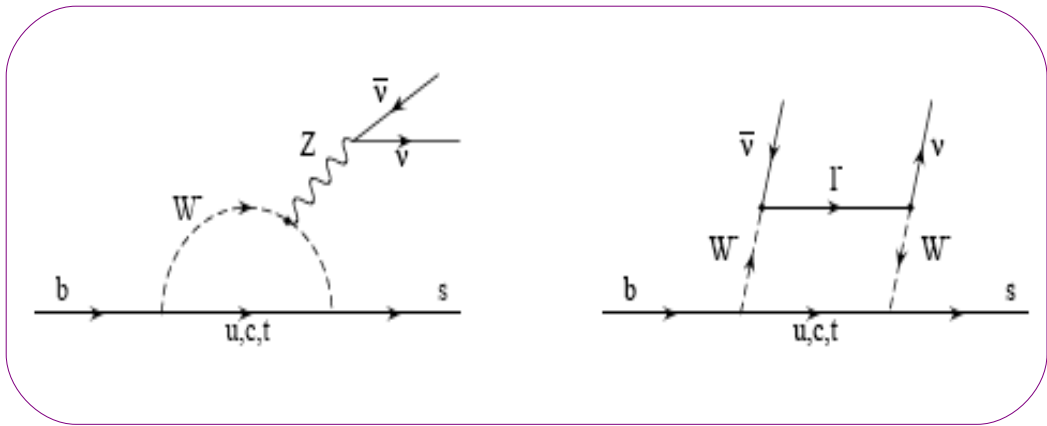
- A_{FB} results exclude @ $> 3 \sigma$ significance
 a wrong-sign $C_9 C_{10}$ from purely R-H weak currents
- BaBar's results consistent with Belle*

Kruger and Matias: PRD 71, 094009 (2005)

Electroweak Penguins



$b \rightarrow s l^+ l^-$
 $b \rightarrow s \nu \underline{\nu}$



$B \rightarrow K^{(*)} \nu \bar{\nu}$: B tagging

[1]: 2008 update @ 351M BB
PRL94,101801(2005)

[2]: NEW 2008 @ 454M BB
PRD78,072007(2008)

Presence of 2 neutrinos \rightarrow lack of kinematic constraints on signal side
Full reconstruction of B_{tag} meson in hadronic or semileptonic decays

and

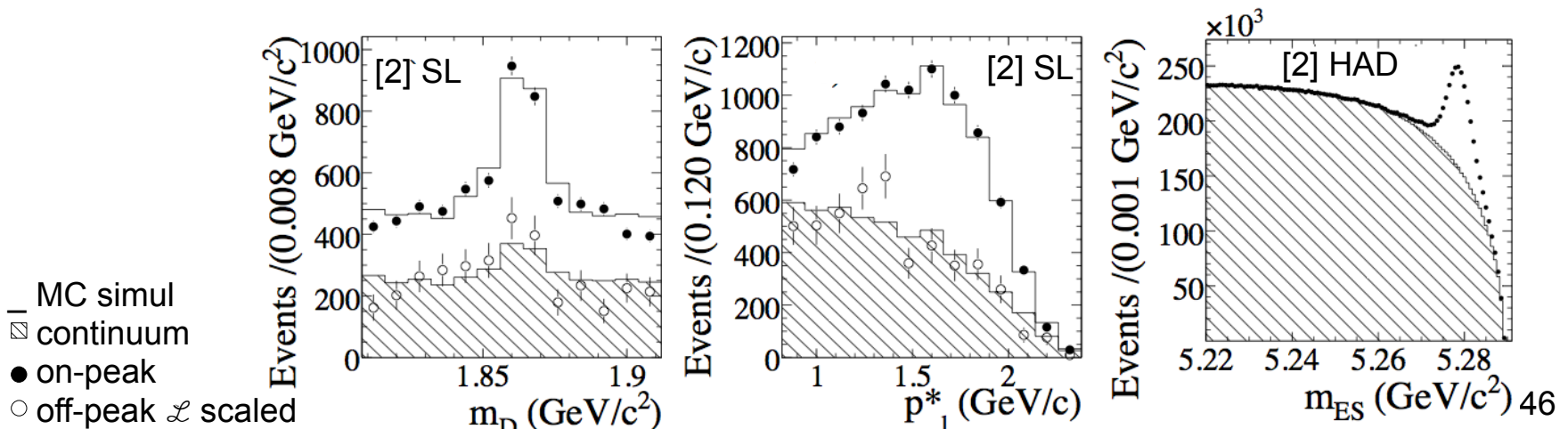
Use rest of event to reconstruct $B_{\text{sig}} = K^{(*)} +$ missing energy

tag side selection :

$B \rightarrow K \nu \bar{\nu}$ semileptonic: $m_{Dl}, \cos\theta_{Dl,B}, p_D$ [1]

$B \rightarrow K^* \nu \bar{\nu}$ semileptonic: $m_D, \cos\theta_{Dl,B}, p_1^*$ [2]

$B \rightarrow K^* \nu \bar{\nu}$ hadronic: $m_{ES}, \Delta E$ [2]



$B \rightarrow K^{(*)} \nu \underline{\nu}$: signal selection

. $B \rightarrow K \nu \underline{\nu}$ selection [1]:

- .. combine 22 variables in a multivariate classification tool (Random Forest) and cut on the output to optimize $S/[3/2+\sqrt{B}]$
- .. combinatorial bkg estimation from data m_{D^0} sideband
- .. peaking bkg estimation from MC Random Forest output sideband (correcting for data/MC ratio)
- .. *yield estimation* by cut and count in the D^0 mass signal region

. $B \rightarrow K^* \nu \underline{\nu}$ selection [2]:

- .. search for a K^* candidate (neutral K^* in $K^+\pi^-$, charged K^* in $K^0_S\pi^+$ & $K^+\pi^0$)[2 HAD]
- .. continuum bkg: $\cos \theta_{B,T}^*$, R_2
- .. combinatorial K^* bkg: m_{K^*} , $m_{K^0_S}$, $E_{\text{miss}}^* - |p_{\text{miss}}^*|$, E_{extra}
- .. *yield estimation* [SL] extended maximum likelihood fit of E_{extra} distribution
- .. *yield estimation* [HAD] NN fit of all discrimination variables

. Both: signal efficiency taken from MC

B \rightarrow K^(*) ν $\underline{\nu}$: Results

[1]: 2008 update @ 351M BB
PRL94,101801(2005)
[2]: NEW 2008 @ 454M BB
PRD78,072007(2008)

mode	BF
$\mathcal{B}(B \rightarrow K \nu \underline{\nu})_{SM}$	$= (3.8^{+1.2}_{-0.6}) \times 10^{-6}$ [A]
$\mathcal{B}(B \rightarrow K \nu \underline{\nu})_{best}$	$< 1.4 \times 10^{-5}$ [B]
$\mathcal{B}(B \rightarrow K^* \nu \underline{\nu})_{SM}$	$= (1.3^{+0.4}_{-0.3}) \times 10^{-5}$ [A]

[A] G.Buchalla et al. PRD 63, 014015,2000
[B] K.F. Chen, arXiv:0708.4089

mode	BF	UL
$\mathcal{B}(B^+ \rightarrow K^+ \nu \underline{\nu})$	$< 4.2 \times 10^{-5}$	[1]
$\mathcal{B}(B^+ \rightarrow K^{*+} \nu \underline{\nu})_{SL+HAD}$	$< 8 \times 10^{-5}$	[2]
$\mathcal{B}(B^0 \rightarrow K^{*0} \nu \underline{\nu})_{SL+HAD}$	$< 12 \times 10^{-5}$	[2]
$\mathcal{B}(B \rightarrow K^* \nu \underline{\nu})_{SL+HAD}$	$< 8 \times 10^{-5}$	[2]

- [1] Because $N_{obs-bkg}$ is consistent with $B_{expect-bkg} \rightarrow$ results in the SM & set an UL on BF
 . improvement of the previous BaBar measurement of this mode, but not at the level [B]
- [2] Because no constraints applied on K^* final state, or undetected $\nu \underline{\nu}$ system \rightarrow context of NP models, other invisible particles are responsible for the missing energy [C-E].
 \rightarrow results presented are model independent
 . They are the most stringent upper limits reported at date & still SM consistent

[C] C. Bird et al. PRL93, 201803 (2004) [D] H. Georgi, PRL 98, 221601 (2007) [E] T. M. Aliev et al., JHEP 0707 (2007) 072

Conclusions

- . **Rare B** decays are probing the Standard Model deeper and deeper for NP
- . **B Factories** are a unique place for looking for NP effects in rare B and τ decays (inclusive channels, channels with large amount of missing energy)
- . BaBar produced competitive results in several channels, we have presented some of the recent **BaBar updated measurements** in:
leptonic and **semileptonic** ν final states, $b \rightarrow l \nu$ ($l = e, \mu, \tau$), $b \rightarrow c \tau \nu$,
electroweak penguins, $b \rightarrow s X$ ($X = l^+ l^-, \nu \bar{\nu}$)
- . Results **consistent** in general with SM expectations
There is disagreement with SM (hints to new physics?) in Isospin Asymmetry in $B \rightarrow K(^*) l^+ l^-$ decays
- . Need an order of magnitude **more luminosity** to pin down some of NP effects
- . B physics @ LHC, for some, and Super Flavor factories, for other measurements, will be advantageous for NP sensitive modes with photons, leptons and neutrinos

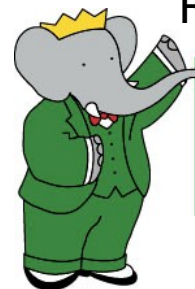




Thank you all
(sorry if I missed your topics of interest)

Virginia Azzolini

Helsinki University - HIP
Representing



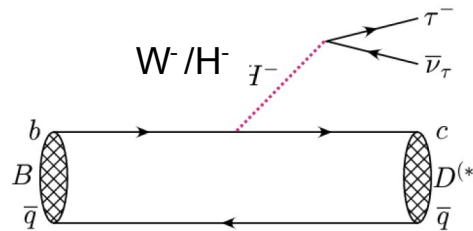
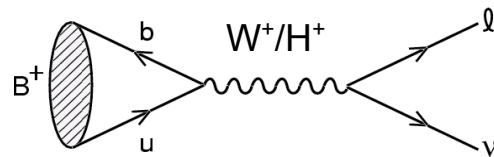
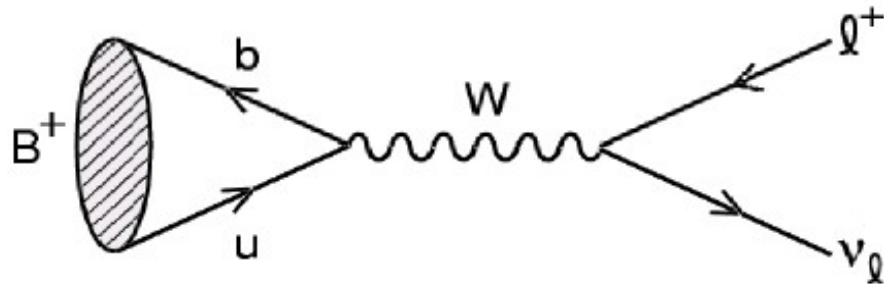
BABAR™

™ and © Nelvana, All Rights Reserved

Back up



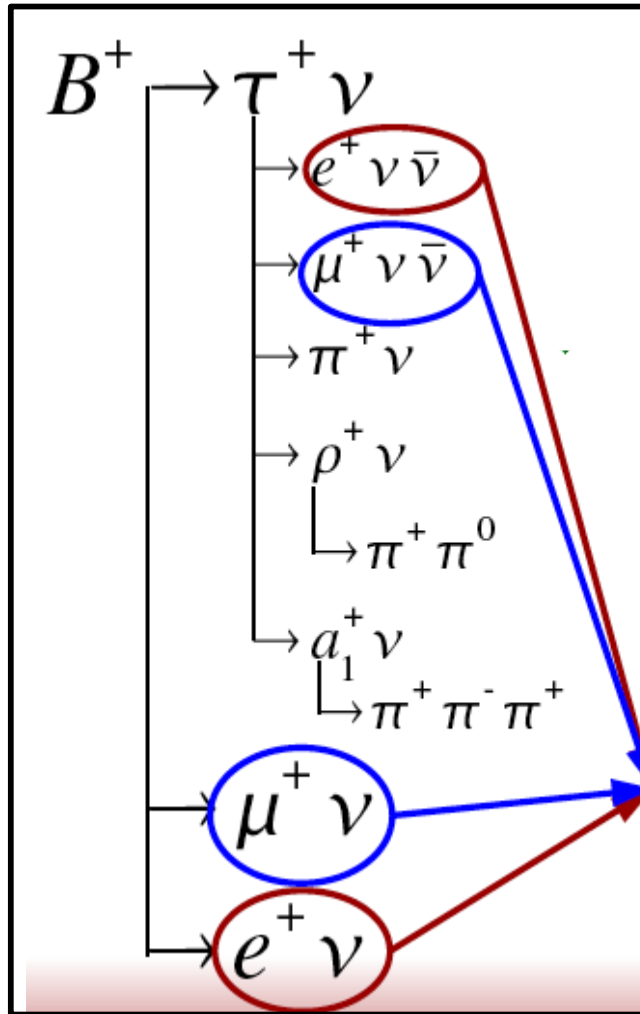
Missing ν final state transitions



$b \rightarrow l \nu \quad (l = \tau, e, \mu)$
 $B \rightarrow D^{(*)} \tau \nu$



Experimental Technique: recoil



- . The τ is reconstructed
- ..in 4 modes in $B \rightarrow \tau \nu$
- .. only Leptonic τ decays used in $B \rightarrow D^{(*)} \tau \nu$

- . Accounts for $\sim 70\%$ of τ decays.

- . in $e\nu$ and $\mu\nu$ calculate $|\underline{p}'|$ at several points around BY cone

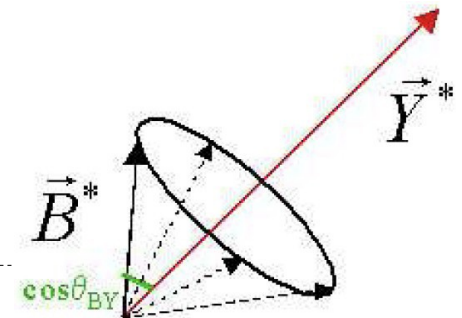
- . $|\underline{p}'|$ = average of all results

use $|\underline{p}'|$ x separation

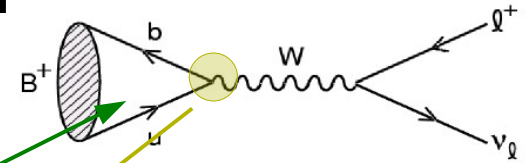
Two body $\Rightarrow |\underline{p}'| = m_B/2 = 2.64 \text{ GeV}$

$|\underline{p}'| \leq 2.25 \text{ GeV} \Rightarrow \tau \rightarrow e\nu$

$|\underline{p}'| \leq 2.30 \text{ GeV} \Rightarrow \tau \rightarrow \mu\nu$



B → l ν motivation



$$\mathcal{B}(B^- \rightarrow \ell^- \bar{\nu}) = \frac{G_F^2 m_B}{8\pi} m_\ell^2 \left(1 - \frac{m_\ell^2}{m_B^2}\right)^2 f_B^2 |V_{ub}|^2 \tau_B = (1.6 \pm 0.4) \times 10^{-4}$$

SM

- . most favoured channel
- m_ℓ leads to Helicity suppression

$$\tau : \mu : e = 1 : 5 \times 10^{-3} : 10^{-7}$$

V_{ub} : $b \rightarrow u l \bar{\nu}$ ~8 % error

+

- . f_B : B-meson decay constant

- Accessible: purely leptonic decays + lattice QCD

- . assuming f_B and $|V_{ub}|$, can use $B \rightarrow \tau \nu$ to constrain charged Higgs:

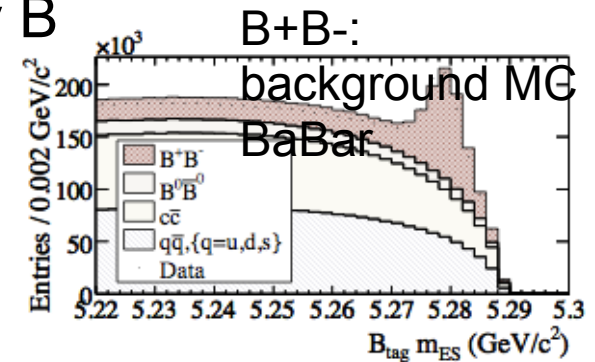
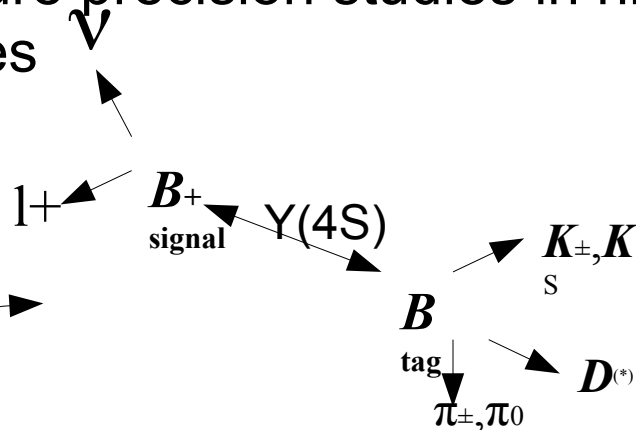
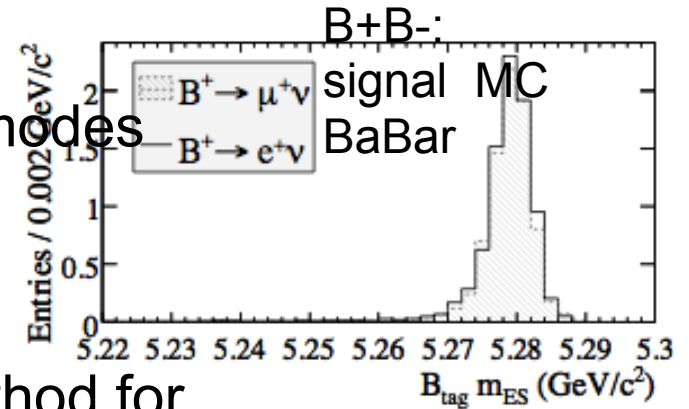
$$\mathcal{B}(B^- \rightarrow \ell^- \bar{\nu}) = \frac{G_F^2 m_B}{8\pi} m_\ell^2 \left(1 - \frac{m_\ell^2}{m_B^2}\right)^2 f_B^2 |V_{ub}|^2 \tau_B \times \left(1 - \tan^2 \beta \frac{m_{B^\pm}^2}{m_{H^\pm}^2}\right)^2$$

2HDM: Isidori and Paradisi PL B639 (2006)

- . SM prediction huge BF → ? NP enhance

B \rightarrow l ν ($\nu = e, \mu$) SL Tag

- . Pioneered by Babar
- . Reconstruct one B meson in hadronic modes
 - .. less sensitive to signal than inclusive approach,
 - .. much lower background ($\ll 1$),
 - .. suppressed by SM, but excellent method for the future precision studies in high luminosity B factories



Signal side selection criteria:

- . monoenergetic lepton in signal B frame.
- . missing momentum (carried by the neutrino),
- . extra energy in the calorimeter (should be close to zero)

Should be zero for an ideal, fully reconstructed, event

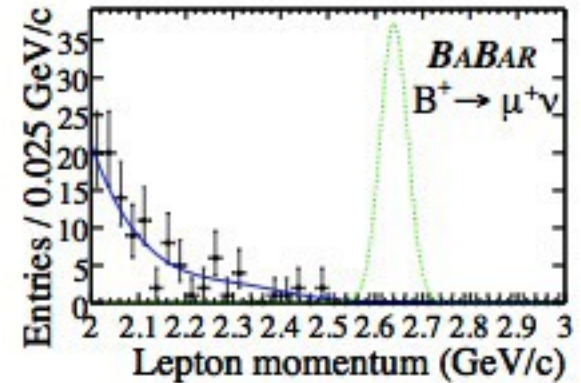
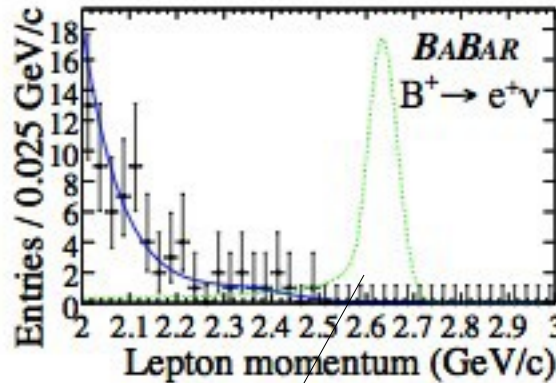


B → l ν (ν = e, μ) SL tag

Unbinned maximum likelihood (ML) fit on lepton momentum in the signal B rest frame

$$\mathcal{L}(n_s, n_b) = \frac{e^{-(n_s+n_b)}}{N!} \prod_{i=1}^N [n_s f_s(i) + n_b f_b(i)],$$

- . data points
- signal: CB modeled
- B → lν bkg: exponential & Gaussian modeled



(number of events
"under the peak")

	$e^+\nu$	$\mu^+\nu$
$\epsilon_{\text{tot}} \times 10^5$	135 ± 4	120 ± 4
$n_b^* \text{ MC}$	2.66 ± 0.13	5.74 ± 0.25
n_b^*	2.67 ± 0.19	5.67 ± 0.34
n_s^*	-0.07 ± 0.03	-0.11 ± 0.05
$\mathcal{B} \times 10^{-6}$	$-0.1^{+2.6}_{-1.7}$	$-0.2^{+2.7}_{-1.8}$
$\mathcal{B}^{90\% \text{ C.L.}}$	5.2×10^{-6}	5.6×10^{-6}

$$0.90 = \int_0^{\mathcal{B}^{90\%}} \mathcal{L}(\mathcal{B}) d\mathcal{B} / \int_0^\infty \mathcal{L}(\mathcal{B}) d\mathcal{B}$$

The 90% CL upper limit on the BF is det solving for 90% in for events lying in the signal regions of $2.40 \text{ GeV}/c < p^* < 2.75 \text{ GeV}/c$

Main uncertainties
PDF shape, B tagging, statistics

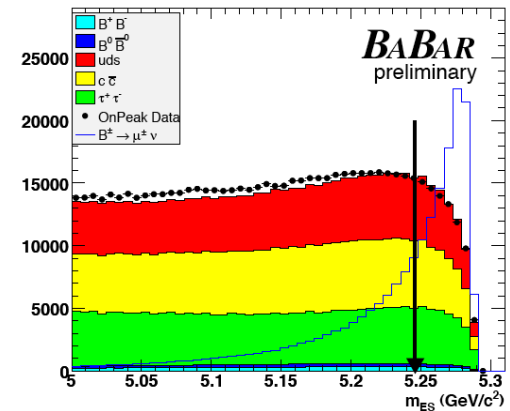
$B \rightarrow \mu \nu$: Inclusive Selection

- . Look for highest momentum muon in the signal, make a B_{tag} with the rest of the event (through 4-momenta addition)

- . Additional Lepton Selection:
 - . track quality and fiducial volume cuts
 - .. require tight muon ID
 - .. Tight pREST requirement
 - .. No additional lepton on tag side

- . Typical background
 - .. qq
 - .. $B \rightarrow Xu \ell \nu$ with lepton at spectrum limit
 - .. $B \rightarrow X h^+$ with misID on h^+

Tag B Selection on ΔE and m_{ES}



Background suppression through topological Fisher discriminant

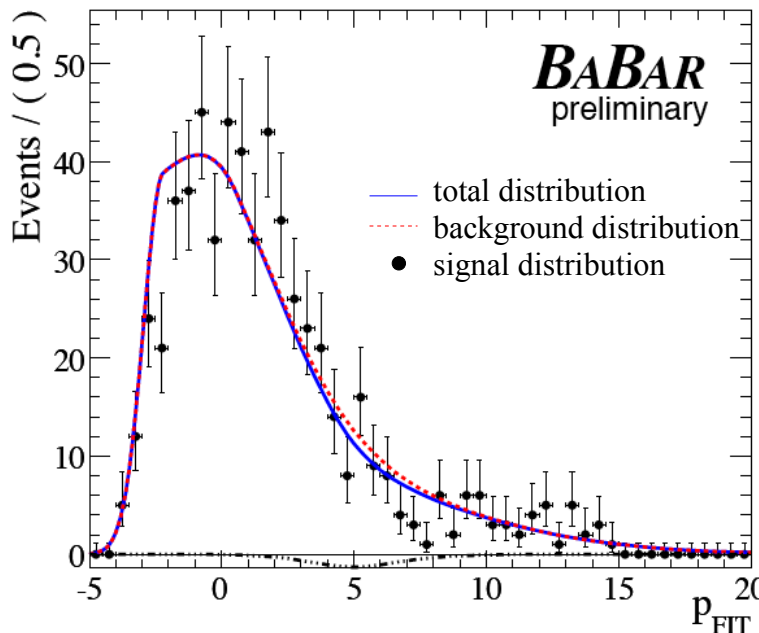


B \rightarrow μ ν : inclusive Signal Yield

- Candidate lepton momentum very discriminating, both in B rest frame (p_{REST}) and in CM frame (p_{CM})
- Signal and background yields extracted from a Fisher discriminant distribution built up from p_{CM} and p_{REST}

$$p_{FIT} = a_1 + a_2 \cdot p_{CM} + a_3 \cdot p_{Rest}$$

$$a_1 = -60.5203, \\ a_2 = 6.6544 \text{ and } a_3 = 18.272$$



UL @ 90% CL in Bayesian approach
(assuming a flat prior for the BF up to a maximum of $\mathcal{B}(B^\pm \rightarrow \mu^\pm \nu) = 1.3 \times 10^{-6}$)

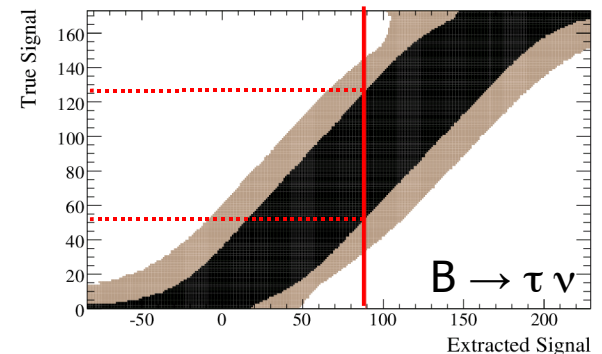
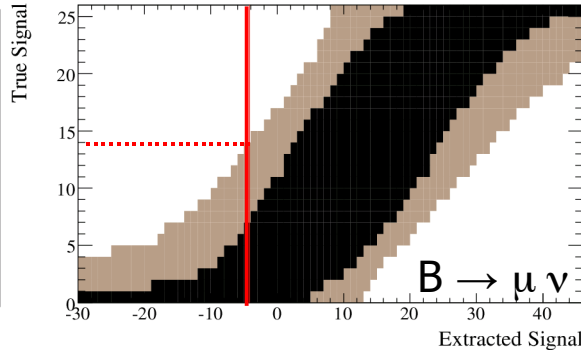
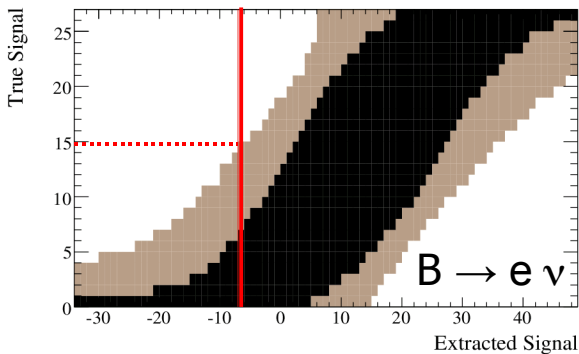
$$\mathcal{B}(B^+ \rightarrow \mu^+ \nu) < 1.3 \times 10^{-6}$$

These results are more restrictive than previous measurements from BABAR and Belle*



$B \rightarrow \tau \nu$: SL Tag CL histograms

- . How do we convert raw numbers in BF and upper limits?
- . We choose Feldman-Cousins* method
- . Uses MC to set branching fraction or upper limit
- . Works in high and low background environments



Red line is unblinded value

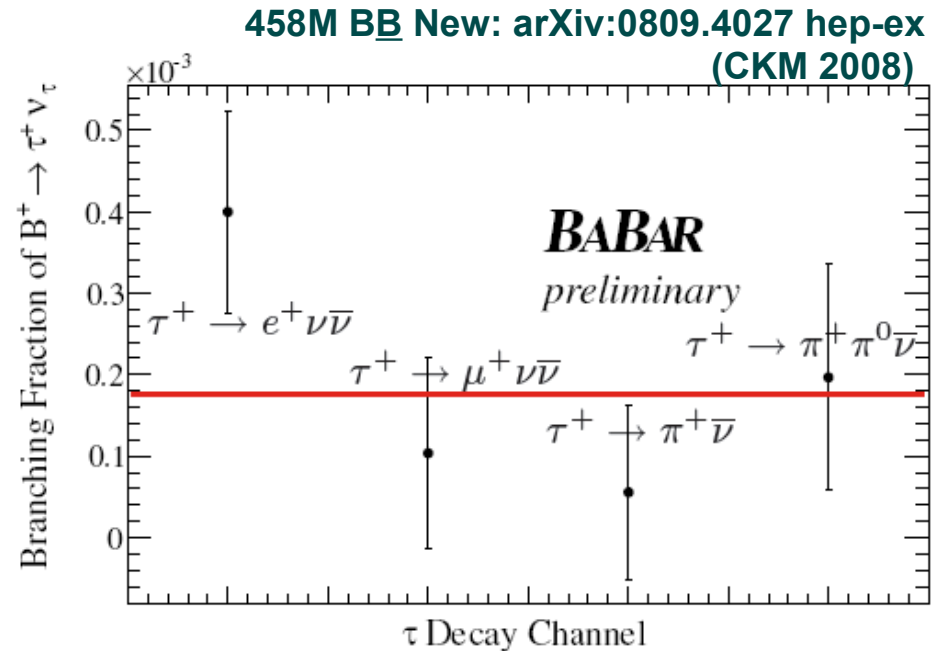
- . Central Band = 1σ
- . Outer Band is 90% CL

* = *Phys. Rev. D*57:38733889

$B \rightarrow \tau \nu$: SL Tag Branching fraction

- . Fit histogram of separate BFs
- . Fit to constant \rightarrow probability of 18%

Mode	Branching Fraction
$\tau^+ \rightarrow e^+ \nu_e \bar{\nu}_\tau$	$(4.0 \pm 1.2) \times 10^{-4}$
$\tau^+ \rightarrow \mu^+ \nu_\mu \bar{\nu}_\tau$	$\left(1.0_{-0.9}^{+1.2}\right) \times 10^{-4}$
$\tau^+ \rightarrow \pi^+ \bar{\nu}_\tau$	$\left(0.6_{-0.5}^{+1.1}\right) \times 10^{-4}$
$\tau^+ \rightarrow \pi^+ \pi^0 \bar{\nu}_\tau$	$\left(2.0_{-1.3}^{+1.4}\right) \times 10^{-4}$
$B^+ \rightarrow \tau^+ \nu_\tau$	$(1.8 \pm 0.8 \pm 0.1) \times 10^{-4}$



**$P(\chi^2) = 18\%$
probability**



$B \rightarrow \tau \nu$: excess in $\tau \rightarrow e \nu \nu$

- Large excess in first 3 bins gives:
 $BF(B \rightarrow \tau \nu(\tau \rightarrow e \nu \nu)) = (4.0 \pm 1.2) 10^{-4}$

- Many sideband/control sample studies performed:

- .. two photon fusion QED events:
 where a fake D_0 is reconstructed and the e^+, e^- are reconstructed as the tag or signal leptons.

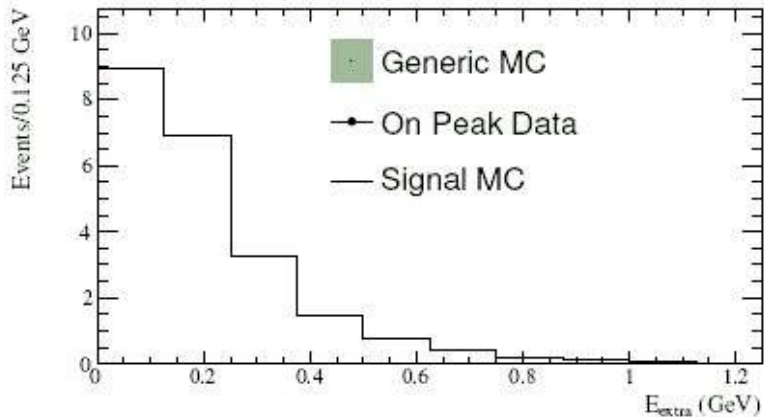
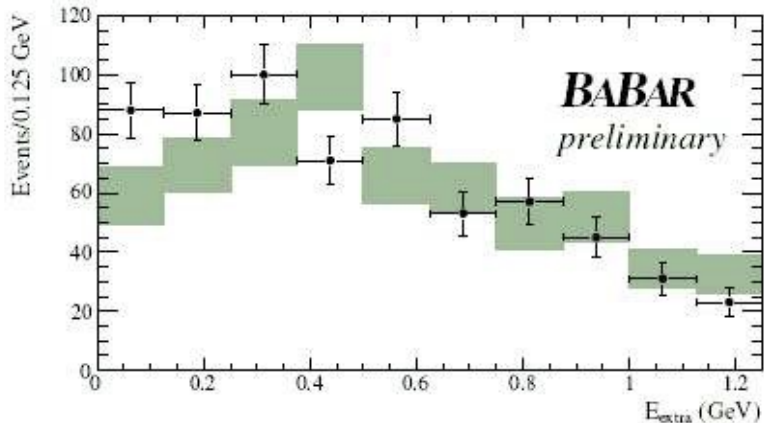
No excess seen in the D_0 sidebands.

- .. events that contain overlapping e^+e^- collisions:

study the separation of the reconstructed B vertices, Δz : possible excess at high Δz , however no excess found.

- .. other samples studied include photon pair production and Bremstrahlung recovered e

- .. Same number of e, μ from the tag B:
 expected for true signal



B → l ν : Results

PDG Values [1]		$< 9.8 \times 10^{-7}$	$< 1.7 \times 10^{-6}$	$(1.4 \pm 0.4) \times 10^{-4}$
Inclusive Meas.	<i>BABAR</i> [9]	-	$< 1.3 \times 10^{-6}$	N/A
	Belle [10]	$< 9.8 \times 10^{-7}$	$< 1.7 \times 10^{-6}$	N/A
Hadronic Tag Meas.	<i>BABAR</i>	$< 5.2 \times 10^{-6}$ [11]	$< 5.6 \times 10^{-6}$ [11]	$(1.8^{+1.0}_{-0.9}) \times 10^{-4}$ [12]
	Belle	-	-	$(1.8 \pm 0.7) \times 10^{-4}$ [13]
Semilep. Tag Meas.	<i>BABAR</i>	$< 7.7 \times 10^{-6}$	$< 11 \times 10^{-6}$	$(1.8 \pm 0.8 \pm 0.1) \times 10^{-4}$
	Belle [14]	-	-	$(1.65^{+0.38+0.35}_{-0.37-0.37}) \times 10^{-4}$

- . B → τ ν consistent with all recent measurements
- . B → μ ν 11 events in sig. region (Inclusive: 600)
 - .. Smaller backgrounds are more conducive to discovery
 - .. Precision measurement at Super B factory



[9] arXiv:0807.4187

[10] *Phys. Lett.* **B647**:6773

[11] arXiv:0801.0697

[12] *Phys. Rev.* **D77**:011107

[13] *Phys Rev. Lett.* **97**:251802

[14] arXiv:0809.3894

B → l ν : Systematics

$$\mathcal{B}(B^+ \rightarrow l^+ \nu_l) = \frac{N_{\text{obs}} - N_{\text{BG}}}{N_{BB} \epsilon_{\text{tag}} \epsilon_{\text{sig}}}$$

1.1% ←

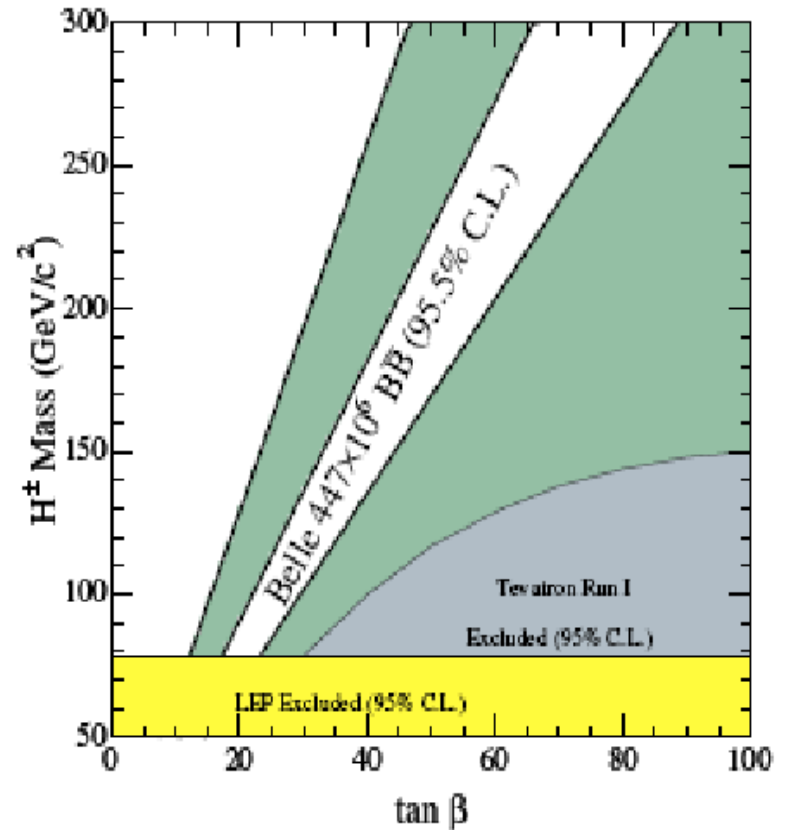
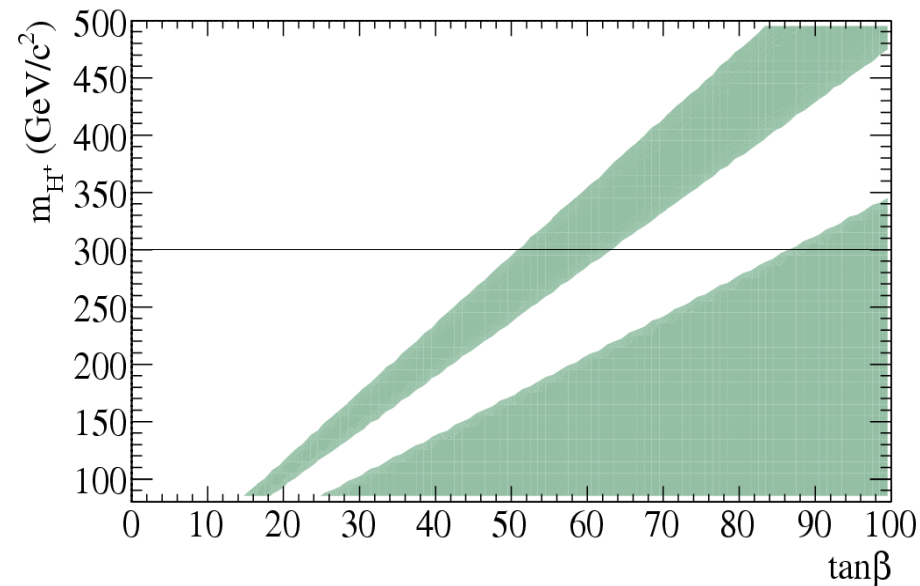
Tagging
efficiency
(correction)

- . E_{extra} modeling
- . K_L^0 veto efficiency: use double tag sample
(Both B mesons reconstructed in a tag mode)
- . Tracking Efficiency
 - .. use π -events of a 1-3 topology
- . Particle Identification
 - .. correction as functions of particle momentum and angle, determined in clean samples
- . π^0 efficiency
 - .. use τ -decays: compare rates of π^\pm to $\pi^\pm \pi^0$ decays

Data/MC agreement
from sidebands

$B \rightarrow \tau \nu$: Implication for NP, Belle

Comparison of BaBar and Belle
exclusions from $B \rightarrow \tau \nu$

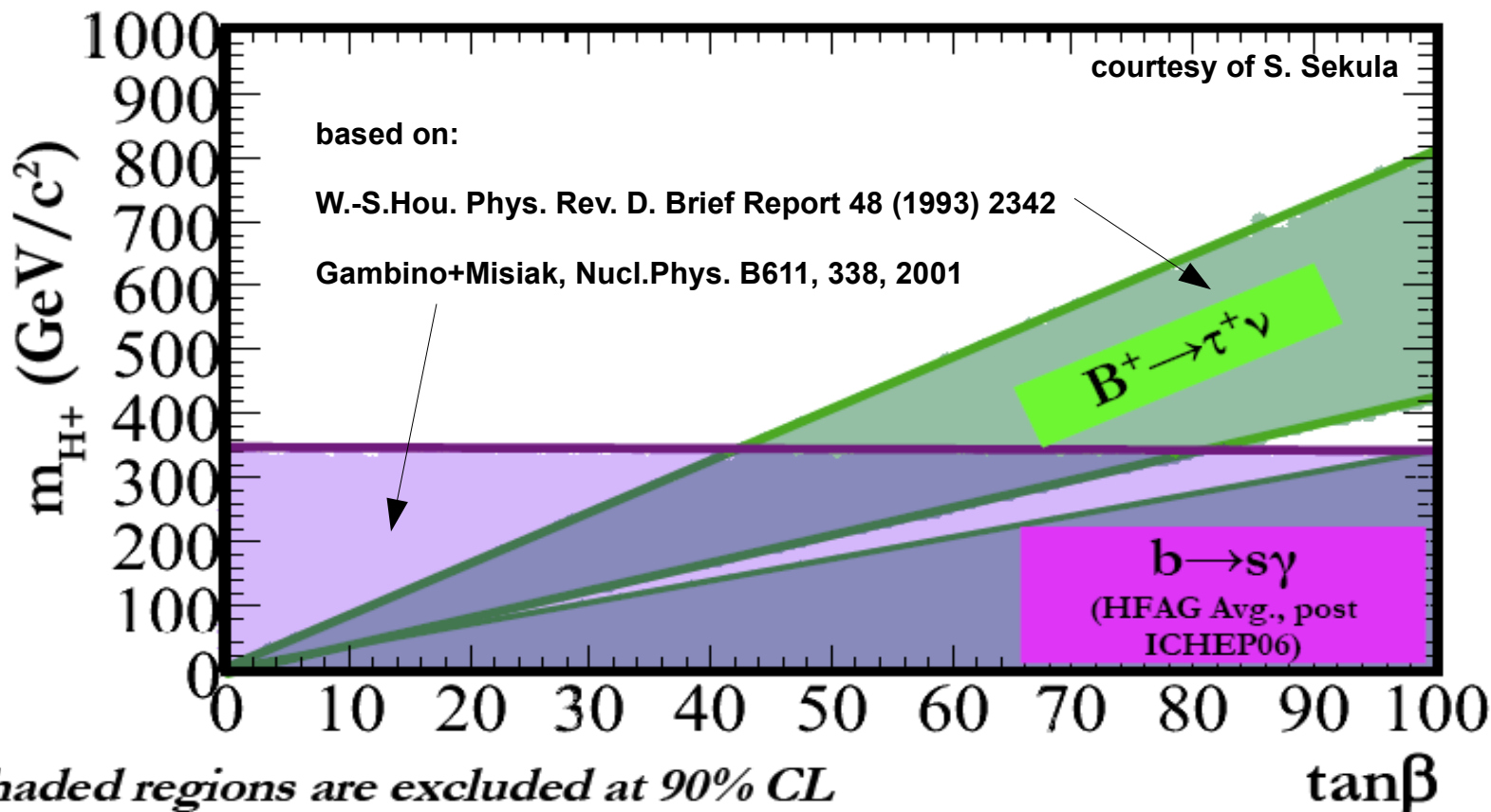


Current 2HDM Constraints

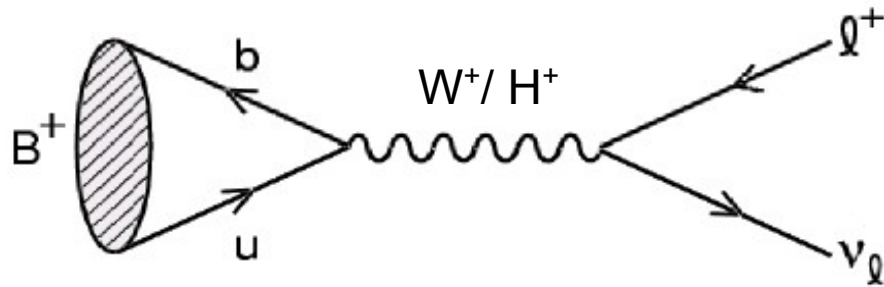


Type II 2-Higgs
Doublet Model

$$BR = BR_{SM} \times \left(1 - \tan^2 \beta \frac{m_{B^+}^2}{m_{H^+}^2} \right)^2$$

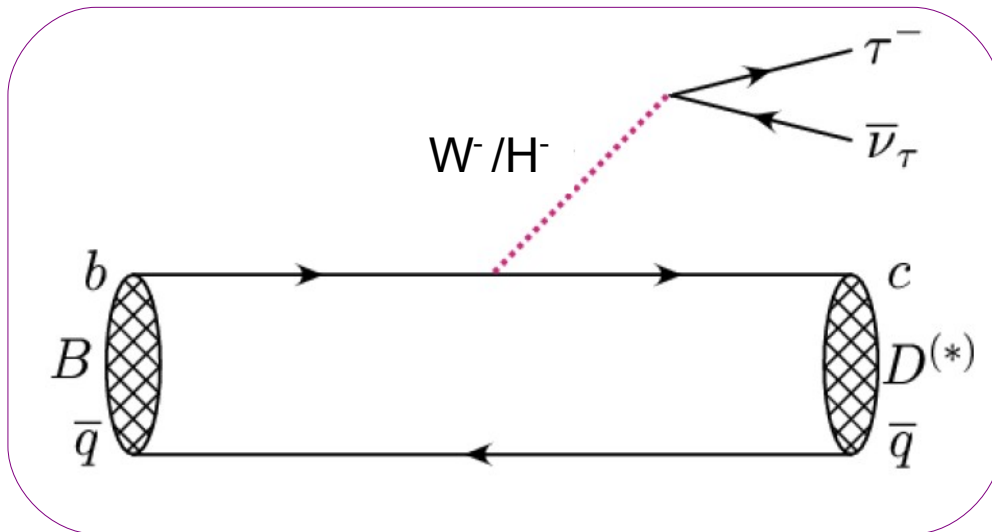


Missing ν final state transitions

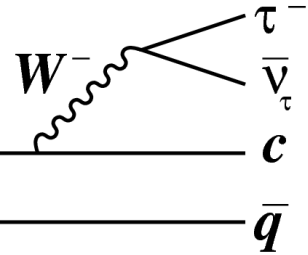


$$b \rightarrow l \nu \quad (l = \tau, e, \mu)$$

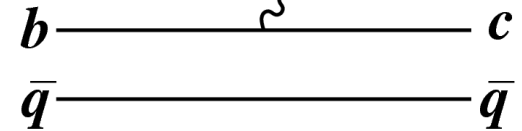
$$B \rightarrow D^{(*)} \tau \nu$$



B \rightarrow D(*) τ ν : motivation



Many Semileptonic B decays observed but
 . τ are experimentally challenging (final 2-3 ν)



- . no helicity suppression \rightarrow BF smaller wrt light lepton
- .. Branching fractions can be accurately predicted:

Decay Mode	B (%)
$\bar{B}^0 \rightarrow D^- \tau^- \bar{\nu}_\tau$	0.69 ± 0.04
$\bar{B}^0 \rightarrow D^{*-} \tau^- \bar{\nu}_\tau$	1.41 ± 0.07
$B^- \rightarrow D^0 \tau^- \bar{\nu}_\tau$	0.64 ± 0.04
$B^- \rightarrow D^{*0} \tau^- \bar{\nu}_\tau$	1.32 ± 0.07
$B \rightarrow X_c \tau^- \bar{\nu}_\tau$	2.3 ± 0.25

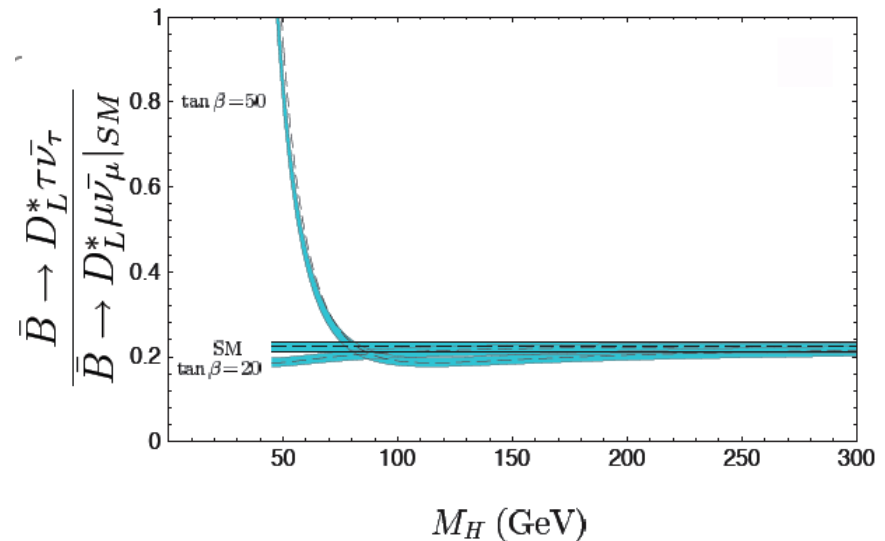
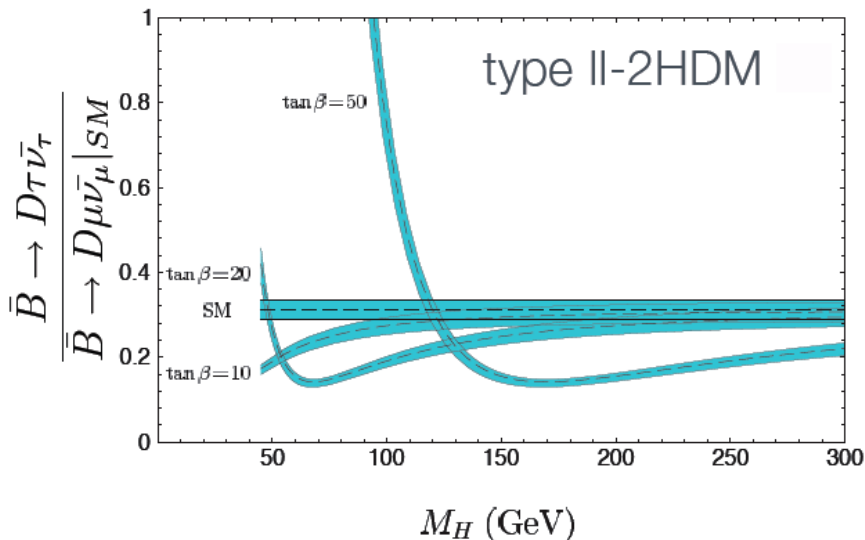
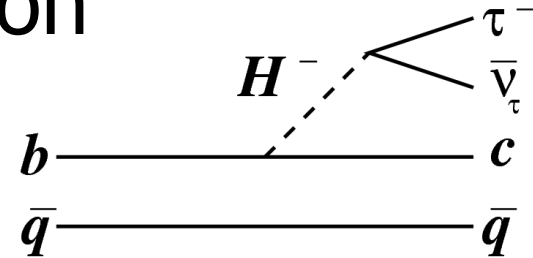
JHEP 0610, 053 (2006)
 Phys. Lett. B 326 145 (1994)

- .. Light lepton modes are very well studied
 - QCD effects under control, very clean probe of NP
- . 4 channels to be studied
- . 3-body decay, study differential distributions as well as BF
 - .. q^2 , D^* polarization, t polarization (daughter momentum)

B → D(*) τ ν : motivation

Beyond SM – charged Higgs.

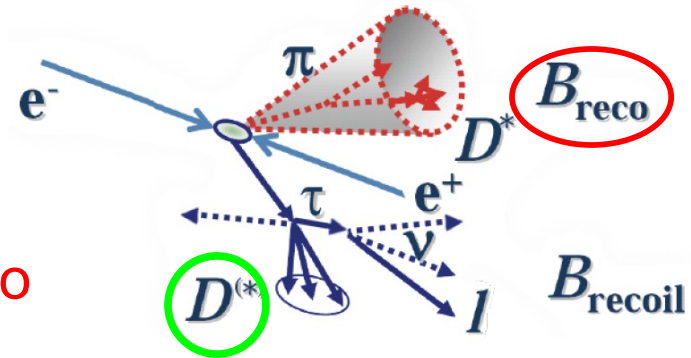
- Higgs couples to mass → larger effect than in B → D(*) l ν
- Ratio of B → D(*) τ ν / B → D(*) l ν shown for 2HDM-type II
- .. qualitatively similar behaviour seen in other models



plots from Tanaka,
Z Phys C67 321 (1995)

$B \rightarrow D(^*) \tau \nu$: analysis outline

- . Uses 232M $B\bar{B}$ pairs
- . Hadronic tags used, $D/D^* + \text{lepton}$ in recoil
- . Charge correlation between $D(^*)$ and B_{reco}



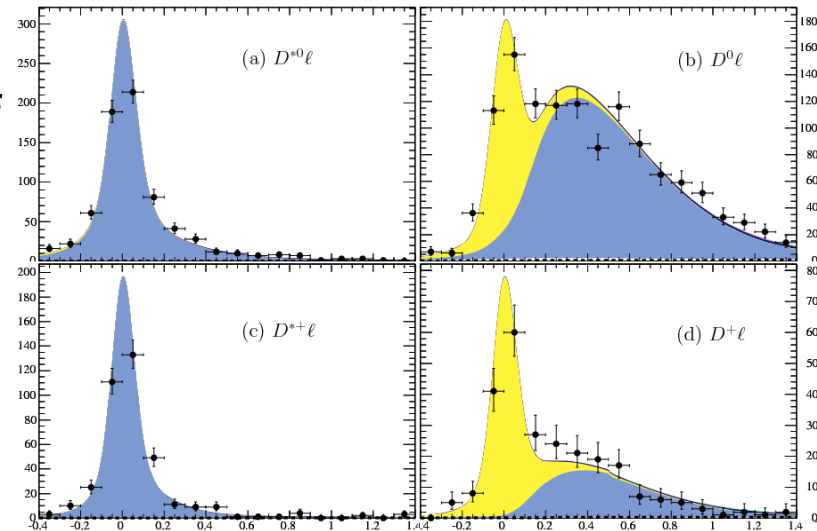
- . Simultaneous measurement 4 D channels:
 $D^0 \tau \nu, D^{*0} \tau \nu, D^+ \tau \nu, D^{*+} \tau \nu$
.. Reconstruct τ as $\tau \rightarrow l \nu \nu$
- . Look for events with large m_{miss}^2 - signal events have 3ν
- . BF normalised with respect to $D(^*) l \nu = m_{\text{miss}}^2 \sim 0$ region

$B \rightarrow D(^*) \tau \nu$: cross-feeds and backgrounds

- . D^* events can feed down to D events if soft γ or π^0 is not reconstructed (well)
 - .. true for both background and signal modes

- . smaller feed-up components are present

- . other backgrounds
 - .. D^{**} , $D(^*) Ds(^*)$, charge cross-feed
 - .. construct D^{**} control sample by requiring an extra π^0

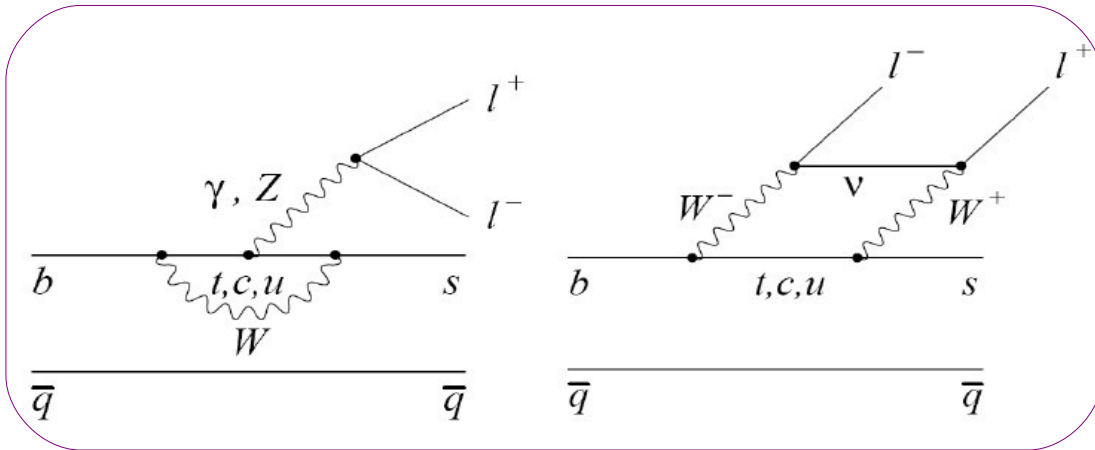


$m_{\text{miss}}^2 \sim 0$: normalization region

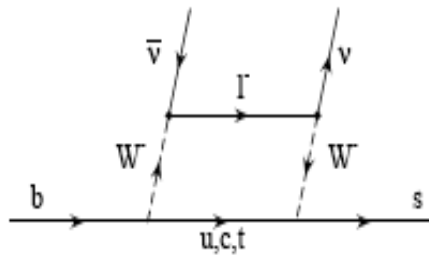
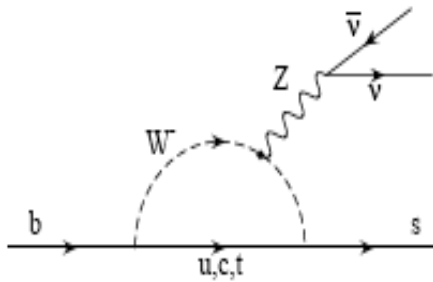
- charm resonances heavier than $D^*(2010)$
- non-resonant $D^* n \pi$ ($n \geq 1$)



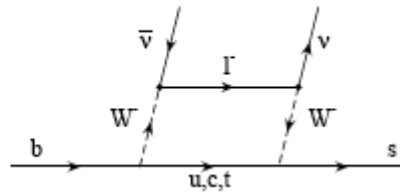
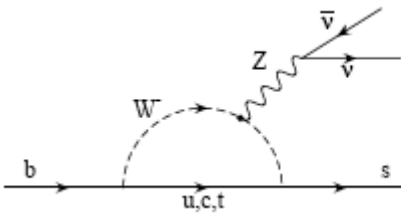
Electroweak Penguins



$b \rightarrow s l^+ l^-$
 $b \rightarrow s \nu \bar{\nu}$



$b \rightarrow s l^+ l^-$: Theory



. Short-distance physics appears in the Wilson coefficients.

Operator Product Expansion:

$$H_{\text{eff}} = -4G_F/\sqrt{2} (V_{tb} V_{ts}^*) \sum_i C_i O_i$$

CKM factors

Short-distance/
perturbative

Long-distance/
nonperturbative

. Three short distant Wilson coeff.:

- C_7^{eff} from photon penguin

Magnitude constrained by $b \rightarrow s \gamma$ BF measurement:

$$|C_7^{\text{eff}}| \approx 0.33$$

(arXiv:0704.3575)

- C_9^{eff} (C_{10}^{eff}) from vector (axial vector)

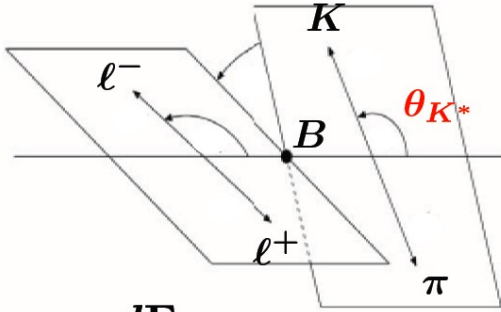
parts of the Z, W box

$|C_9|^2 + |C_{10}|^2$ constrained by

$b \rightarrow s l^+ l^-$ branching fraction, but not relative sign.

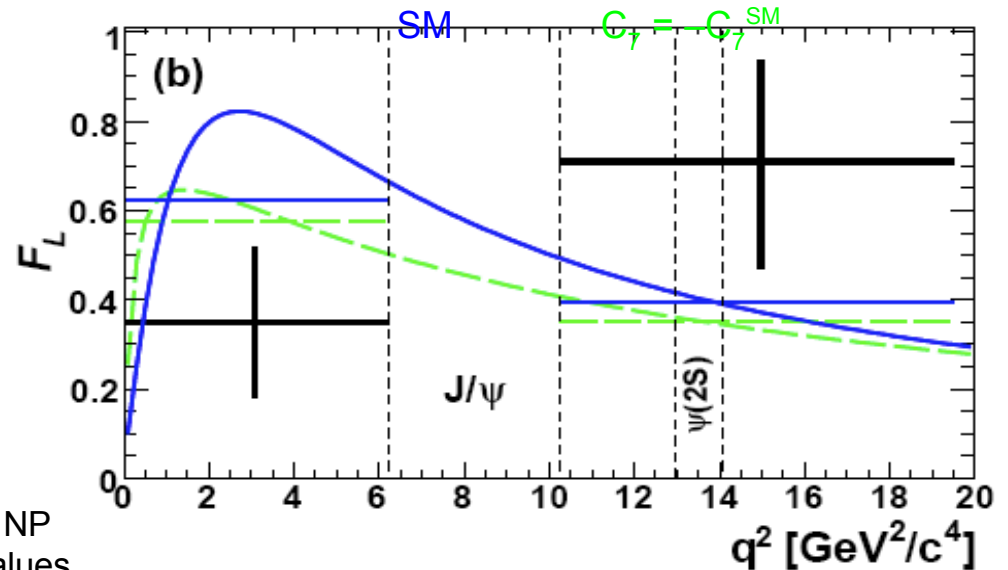
. New physics may modify the C_i 's or introduce additional scalar (e.g pseudoscalar terms)

$B \rightarrow K^* l^+ l^-$: K^* longitudinal polarization



Extracted from angular fit to $\cos_{\theta_{K^*}}$ in each q^2 bin

$$\frac{d\Gamma}{d\cos\theta_{K^*}} = \frac{3}{2} F_L \cos^2 \theta_{K^*} + \frac{3}{4} (1 - F_L) \sin^2 \theta_{K^*}$$

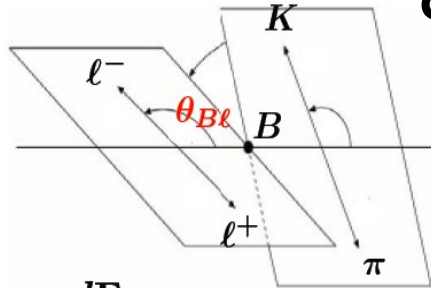


sensitive to NP at low q^2 values

Kruger and Matias: PRD 71, 094009 (2005)



$B \rightarrow K^* \ell^+ \ell^-$: lepton forward-backward asymmetry



Extracted from angular fit to $\theta_{B\ell}$ in each q^2 bin.

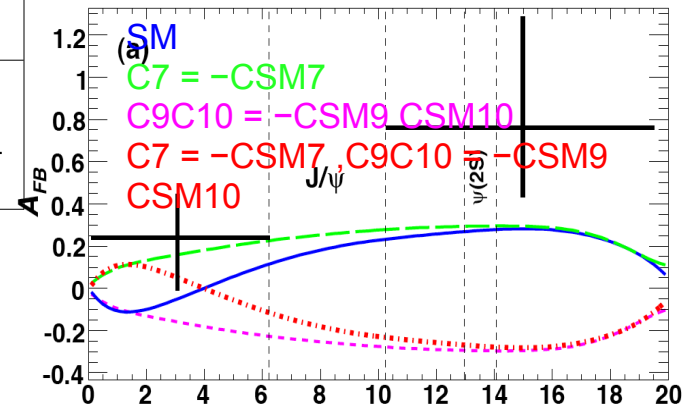
$$\frac{d\Gamma}{d \cos \theta_{B\ell}} = \frac{3}{4} F_L \sin^2 \theta_{B\ell} + \frac{3}{8} (1 - F_L) (1 + \cos^2 \theta_{K^*}) + A_{FB} \cos \theta_{B\ell}$$

SM expected

measured

high q^2

SM expected		measured	
A_{FB}	F_L	A_{FB}	F_L
$-0.03 \pm 0.01^*$	$0.63 \pm 0.03^{**}$	$0.24^{+0.18}_{-0.23} \pm 0.05$	$0.35 \pm 0.16 \pm 0.04$
$0.26 \pm 0.01^{+0.00}_{-0.05} \text{***}$	$0.40 \pm 0.03^{**}$	$0.76^{+0.52}_{-0.32} \pm 0.07$	$0.71^{+0.20}_{-0.22} \pm 0.04$



The AFB results exclude a wrong-sign C9C10 from purely right-handed weak currents at more than 3 standard deviations significance. Our results are consistent with measurements by Belle [14], and replace the earlier BABAR results in which only a lower limit on AFB was set in the low q^2 region

- * Huber, Hurth and Lunghi, arXiv:0712.3009 [hep-ph]
- ** Kruger and Matias, PRD 71, 094009 (2005)
- *** Ali, Ball, Handoko and Hiller, PRD 61, 074024 (2000)
Hovhannisyan, Hou and Mahajan, PRD 77, 014016 (2008)

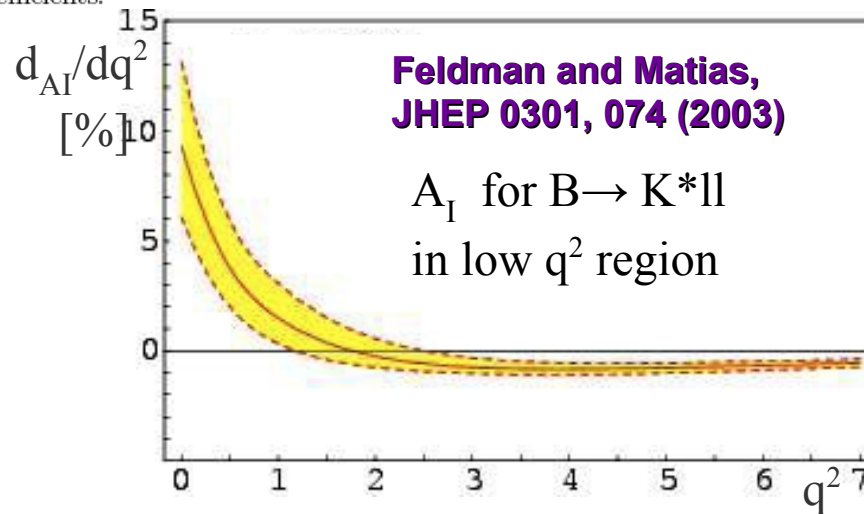
$B \rightarrow K^{(*)} \ell^+ \ell^-$: Feldman & Matias

384M BB
arXiv:0807.4119

Define isospin asymmetry in different s bins:

$$A_I \equiv \frac{B(B^0 \rightarrow K^{(*)0} \ell^+ \ell^-) - \left(\frac{\tau_0}{\tau_+}\right) B(B^\pm \rightarrow K^{(*)\pm} \ell^+ \ell^-)}{B(B^0 \rightarrow K^{(*)0} \ell^+ \ell^-) + \left(\frac{\tau_0}{\tau_+}\right) B(B^\pm \rightarrow K^{(*)\pm} \ell^+ \ell^-)}$$

integral $X_\perp^{(1)}$ ($\sim 1\%$). We thus confirm the conclusion in [26] that QCD factorization correctly reproduces the sign and magnitude of the experimentally measured isospin asymmetry ($A_I[B \rightarrow K^* \gamma] = 0.11 \pm 0.07$ [47, 48, 49]) with SM values for the Wilson coefficients.



For increasing values of q^2 the isospin-asymmetry decreases, and its central value becomes slightly negative above $q^2 = 2 \text{ GeV}^2$ and stays basically at a constant value of about -1% . Since the uncertainty related to the hadronic input parameters is reduced as well, this means that the measurement of a significant deviation from zero of the isospin asymmetry in the range $2 \text{ GeV}^2 < q^2 < 7 \text{ GeV}^2$ may still indicate new physics (although one would need to have a handle on even higher order effects, before drawing any definite conclusions). Note that in the SM the isospin asymmetry is sensitive to C_5 and C_6 at small q^2 but to C_3 and C_4 at larger q^2 . Thus, in principle, the two momentum regions provide complementary tests of the four-quark penguin-operators (see also Fig. 6 below).

$$B \rightarrow K^{(*)} \ell^+ \ell^-$$

CP-averaged Isospin Asymmetry

$|A_{K^{(*)}}| \sim 0.01$ expected in SM

(T. Feldmann-J. Matias, JHEP 0301,074(2003))

Measured in low, high and sum dilepton mass squared regions.

No deviation from SM in high mass and in combined regions

Significance (syst included)

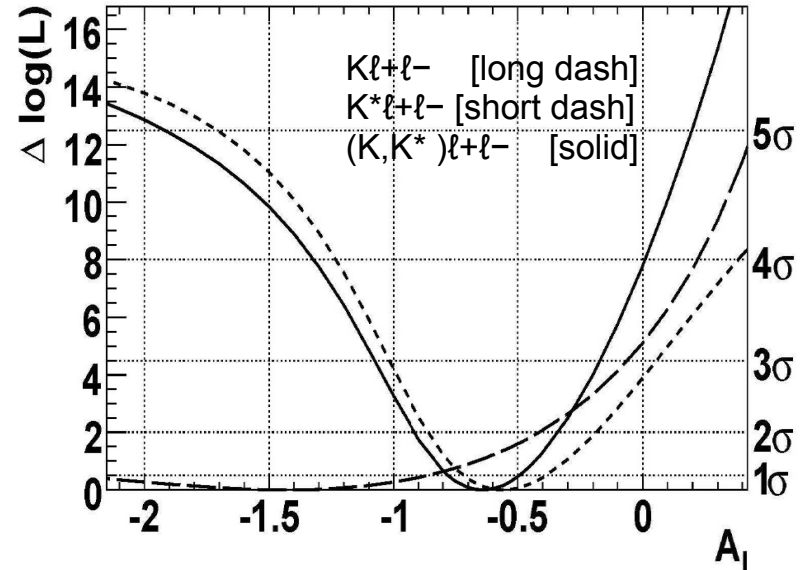
to exclude $A_{K^{(*)} \ell^+ \ell^-} = 0$:

$K \ell^+ \ell^- \parallel 3.2\sigma$,

$K^* \ell^+ \ell^- \parallel 2.7\sigma$,

combined $K^{(*)} \ell^+ \ell^- \parallel 3.9\sigma$

Low q^2 region $A_{K^{(*)} \ell^+ \ell^-}$ fit likelihood curves



Low q^2 : BaBar consistent with Belle results ICHEP'08



$B \rightarrow K^{(*)} l^+ l^-$: Systematics

384M BB
arXiv:0807.4119

Reconstruction efficiencies

Hadronic background parameterization in di-muon final states

Peaking background contributions obtained from simulated events possible CP, lepton flavor and isospin asymmetries in the background pdfs.

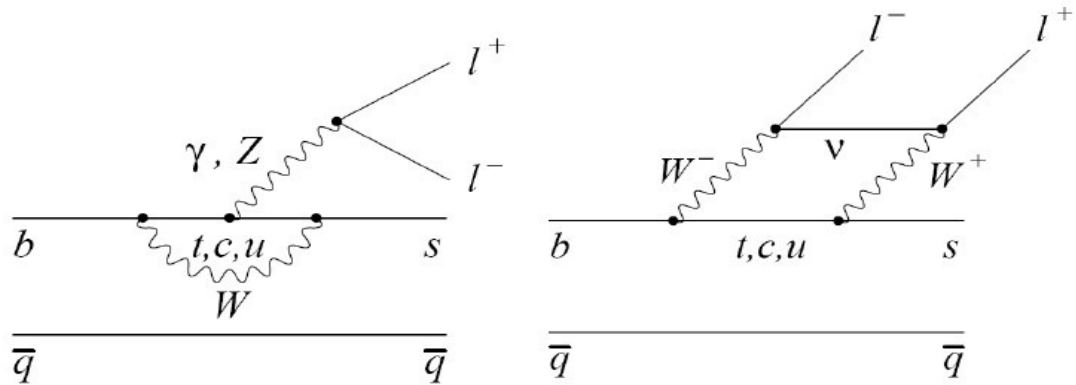
We quantify the efficiency systematics using the vetoed $J/\psi K^{(*)}$ samples

(These include charged track, π^0 , and K^0_S reconstruction, particle identification, NN selection, and the E and K^* mass selections.)

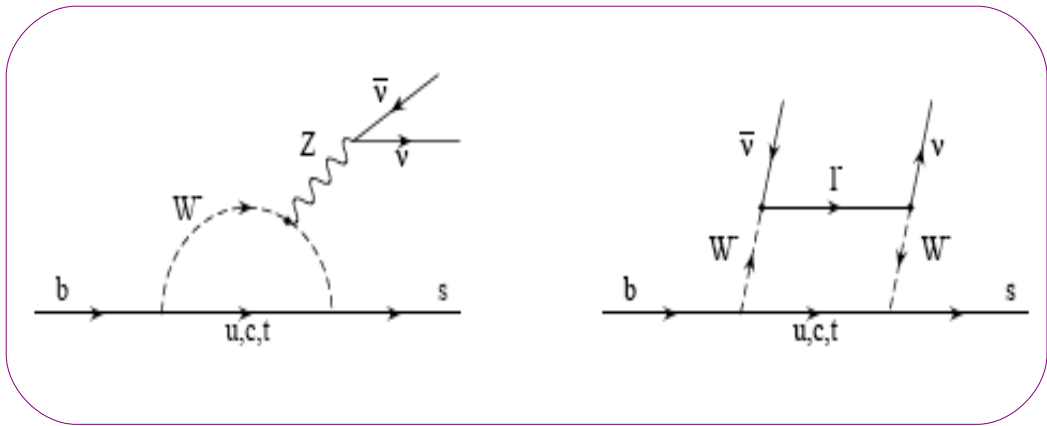
Systematic largest contributions: particle identification, the characterization of the hadronic bkg, and the signal m_{ES} pdf shape.

All of these cancel at least partially in the rate asymmetries, and the final systematic errors are small compared to the statistical errors

Electroweak Penguins

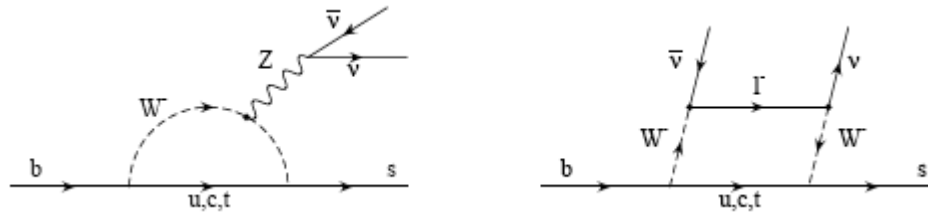


$b \rightarrow s l^+ l^-$
 $b \rightarrow s \nu \bar{\nu}$



$b \rightarrow s \nu \bar{\nu}$: theoretical overview/motivation

$b \rightarrow s \nu \bar{\nu}$ diagrams in the SM model



*G. Buchalla, G. Hiller, G. Isidori
Phys. Rev. D 63, 014015, 2000*

SM prediction: $BR_{SM}(B \rightarrow K \nu \bar{\nu}) = (3.8^{+1.2}_{-0.6}) \times 10^{-6}$
 $BR_{SM}(B \rightarrow K^* \nu \bar{\nu}) = (1.3^{+0.4}_{-0.3}) \times 10^{-5}$

NP effects:

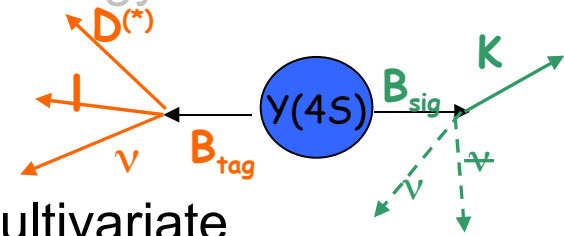
- . Non-standard Z coupling: new particles in Z-loop $BR(B \rightarrow K^* \nu \bar{\nu}) \sim 10^{-4}$
G. Buchalla et al. Phys. Rev. D 63, 014015, 2000
- . New sources of missing energy: production of light dark matter in $BR(B \rightarrow K^* + \text{missing energy})$ via Higgs mediated vertex (BR_{NP} up to $50 \times BR_{SM}$ for given values of model parameters)
C. Bird et al. Phys. Rev. Lett. 93:201803, 2004
- . Unparticle operators : existence of NP fields (Banks-Zaks fields) that, in the low energy limit of an effective field theory, represent invisible particles contributing to $BR(B \rightarrow K^* + \text{missing energy})$
T.M. Aliev et al JHEP 0707:072, 2007

$$B \rightarrow K \nu \bar{\nu}$$

preliminary
351 M BB

da elisa

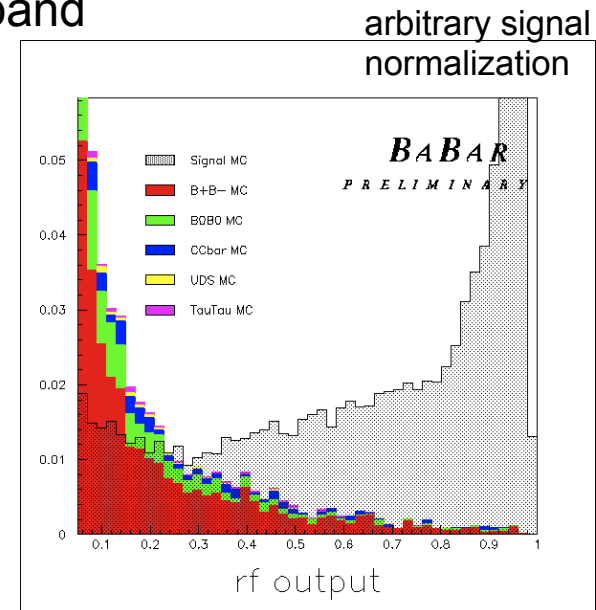
- . Full reconstruction of B_{tag} meson in semileptonic decays;
- . Use rest of event to reconstruct $B_{\text{sig}} = K + \text{missing energy}$



- . tag side selection : m_{DI} , $\cos q_{\text{DL,B}}$, p_{D}
- . signal side selection : combine 22 variables in a multivariate classification tool (**Random Forest**) and cut on the output
- yield estimation** by cut and counting in the D_0 mass signal region
 - combinatorial bkg estimation from data m_{D_0} sideband
 - peaking bkg estimation from MC Random Forest output sideband (correcting for data/MC ratio)
 - signal efficiency from MC

Result:

B_{exp}	Nobs	BR UL
30.71 ± 10.71	38	4.2×10^{-5}



B \rightarrow K ν $\underline{\nu}$: Random Forest inputs [1]

TABLE I: The 22 different variables input to the Random Forest.

Variable	Description
CosBY	Cosine of the angle between the tag side momentum of the combined D^0l and the momentum of the original B meson
modenum	the D^0 decay channel (1= $K\pi$, 2= $K\pi\pi\pi$, 3= $K\pi\pi^0$)
isoftpi	index of the soft pion if there is one in the event ($D^{*+} \rightarrow D^0 + \pi^+$)
nUsedGam	the number of Gamma's used in the event (0, or 2 for the π^0)
nUsedTrk	the number of charged tracks used to reconstruct the tag side
nTrkLeft	the number of remaining charged tracks after reconstruction of the tag side
nGamLeft	the number of remaining Gammas > 50 MeV, after the reconstruction of the tag side
thetalab	the azimuthal angle of the highest indexed track
costhDl	the cosine of the thrust angle of the tag side
thDl	the thrust angle of the tag side
sumptDl	the total transverse momentum of the tag side
cosmomDl	the cosine of the momentum of the tag side
pstarlep	the center of mass momentum of the tag side lepton
npi0left	the number of remaining π^0 candidates after tag side reconstruction
Etotleftnew50	the remaining neutral energy after tag side reconstruction
ptrkleft	the momentum of the signal side Kaon
r2all	the 2nd Fox-Wolfram moment
cosangKl	the cosine of the angle between the signal side Kaon, and the tag side lepton
cosangKD	the cosine of the angle between the signal side Kaon, and the tag side D
xmmiss	the missing mass in the event
cosDIK	the cosine of the angle between the signal side Kaon and the tag side
eMissEvt	the missing energy in the event
angtogam	the smallest angle between a randomly selected charged track and the photons



$B \rightarrow K \nu \bar{\nu}$: signal systematics [1]

systematic uncertainties on the signal efficiency

	Random Forest
	$\frac{\Delta\epsilon}{\epsilon}$
Kaon Momentum	3.1%
Tracking Efficiency	0.5%
Kaon PID	3.5%
Tagging Efficiency	6.5%
Selection Efficiency	5.2%
Signal vs. Double	9.3%
Tag MC Event Difference	
Total	13.4%



B \rightarrow K* ν $\bar{\nu}$: MC yields & data fit [2]

TABLE III: Expected signal and background yields (N_s and N_b respectively) from MC studies (assuming the SM \mathcal{B} for the signal) and results of the data fit, along with signal efficiencies, corrected for systematic effects. Expected signal yields are evaluated according to the SM expected \mathcal{B} . The first error on the fitted signal yield and on $N_{B_{\text{had}}}$ is statistical, the second is systematic. The corresponding upper limits are also quoted.

K^* mode	$K^+\pi^0$	$K_S^0\pi^+$	$K^+\pi^-$
SL ANALYSIS			
Expected Yields			
N_s	3.31	2.54	4.07
N_b	697	827	468
E_{extra} Fit Results			
N_s	$-22 \pm 16 \pm 14$	$3 \pm 17 \pm 15$	$35 \pm 13 \pm 9$
N_b	754 ± 32	869 ± 34	476 ± 25
ε ($\times 10^{-4}$)	5.6 ± 0.7	4.3 ± 0.6	6.9 ± 0.8
$N_{B\bar{B}}$ ($\times 10^6$)	454 ± 5		
UL (90% CL)	9×10^{-5}		18×10^{-5}
HAD ANALYSIS			
Expected Yields			
N_s	0.87	0.77	1.64
N_b	46	35	73
NN Fit Results			
N_s	$5 \pm 6 \pm 4$	$3 \pm 7 \pm 4$	$-10 \pm 9 \pm 6$
N_b	39 ± 9	51 ± 10	77 ± 13
$\varepsilon_{B_{\text{sig}}}$ ($\times 10^{-2}$)	5.8 ± 0.5	5.2 ± 0.6	16.6 ± 1.4
$N_{B_{\text{had}}}$ ($\times 10^5$)	$10.128 \pm 0.010 \pm 0.344$		$7.175 \pm 0.008 \pm 0.222$
UL (90% CL)	21×10^{-5}		11×10^{-5}



B \rightarrow K* ν $\bar{\nu}$: systematics [2]

TABLE IV: Summary of systematic uncertainties on the signal efficiencies, signal yield, and normalization.

K^* mode	SL ANALYSIS			HAD ANALYSIS		
	$K^+\pi^0$	$K_S^0\pi^+$	$K^+\pi^-$	$K^+\pi^0$	$K_S^0\pi^+$	$K^+\pi^-$
	Signal efficiency (%)					
MC statistics	1.4	1.7	1.3	2.9	3.1	2.4
Best pair selection	0.2	0.0	0.0	–	–	–
Tagging Efficiency	10.0	10.0	10.0	–	–	–
Tracking	0.3	1.0	0.7	0.3	1.0	0.7
π^0 reconstruction	3.0	–	–	3.0	–	–
K_S^0 reconstruction	–	2.5	–	–	2.5	–
Particle ID	1.7	–	1.4	1.7	–	1.4
Selection variables	5.0	7.3	5.1	5.3	8.6	3.8
Model dependence	4.5	4.8	1.3	6.3	7.4	6.9
	Signal yield (events)					
Signal PDF param.	0.7	1.4	0.2	0.2	0.3	0.2
Bkgd PDF param.	11.0	11.0	7.7	2.8	2.8	4.5
Signal PDF shape	–	–	–	1.2	1.7	1.2
Bkgd PDF shape	6.4	4.9	2.8	2.1	1.6	3.4
	Normalization factor (%)					
N_{BB} or $N_{B_{had}}$	1.1	1.1	1.1	3.4	3.4	3.1



B → K* ν ν̄: results

No significant signal is observed in the 2 analysis B → K* ν ν̄

B → K* ν ν̄ SL

B → K* ν ν̄ HAD

Table 29: Results of the unblinded fit.

	$K^{*0} \rightarrow K^+ \pi^-$	$K^{*+} \rightarrow K_S^0 \pi^+$ ($K_S^0 \rightarrow \pi^+ \pi^-$)	$K^{*+} \rightarrow K_S^0 \pi^+$ ($K_S^0 \rightarrow \pi^0 \pi^0$)	$K^{*+} \rightarrow K^+ \pi^0$
N_s	35 ± 13	3 ± 17	-9 ± 8	-22 ± 18
N_b	476 ± 25	889 ± 34	338 ± 20	754 ± 32

Table 41: Values used to compute the expected and the measured ULs on $B(B^+ \rightarrow K^{*+} \nu \bar{\nu})$ and $B(B^0 \rightarrow K^{*0} \nu \bar{\nu})$

	$K^{*+} \rightarrow K^+ \pi^0$	$K^{*+} \rightarrow K_S^0 \pi^+$	$K^{*0} \rightarrow K^- \pi^+$
N_B^{tag}	$1\,012\,788 \pm 34\,580$	$1\,012\,788 \pm 34\,580$	$717\,490 \pm 22\,256$
	cut and count		
$\epsilon_{K^* \nu \bar{\nu}}^{\text{sig}}$	$(4.0 \pm 0.4) \times 10^{-2}$	$(3.0 \pm 0.3) \times 10^{-2}$	$(10.3 \pm 1.0) \times 10^{-2}$
B_{exp}	18.8 ± 12.6	8.5 ± 6.1	14.0 ± 7.4
N_{obs}	20	11	19
	NN fit		
$\epsilon_{K^* \nu \bar{\nu}}^{\text{sig}}$	$(5.8 \pm 0.5) \times 10^{-2}$	$(5.2 \pm 0.6) \times 10^{-2}$	$(16.6 \pm 1.4) \times 10^{-2}$
$N_{\text{sig,exp}}$	1 ± 6	1 ± 6	2 ± 10
$N_{\text{sig,obs}}$	5 ± 7	3 ± 8	-10 ± 11

11 Results

To estimate the sensitivity of the analysis, we compute the expected UL before unblinding. In Table 41 the quantities used in the UL estimation are listed. For the cut and count we assume that the number of observed events in data correspond to the expected number of background from MC. For the expected signal use Equation 28, with a BR equals to the SM prediction (1.3×10^{-5}). For the NN fit we compute the UL assuming as signal yield and its statistical error the values obtained from the toy MC studies. We have the following results for the expected ULs at 90% of CL:

$$\begin{aligned}
 \text{cut and count: } B(B^+ \rightarrow K^{*+} \nu \bar{\nu}) &< 30 \times 10^{-5} \\
 B(B^0 \rightarrow K^{*0} \nu \bar{\nu}) &< 19 \times 10^{-5} \\
 \text{NN fit: } B(B^+ \rightarrow K^{*+} \nu \bar{\nu}) &< 14 \times 10^{-5} \\
 B(B^0 \rightarrow K^{*0} \nu \bar{\nu}) &< 15 \times 10^{-5}
 \end{aligned} \tag{36}$$

After unblinding, we measure the following ULs:

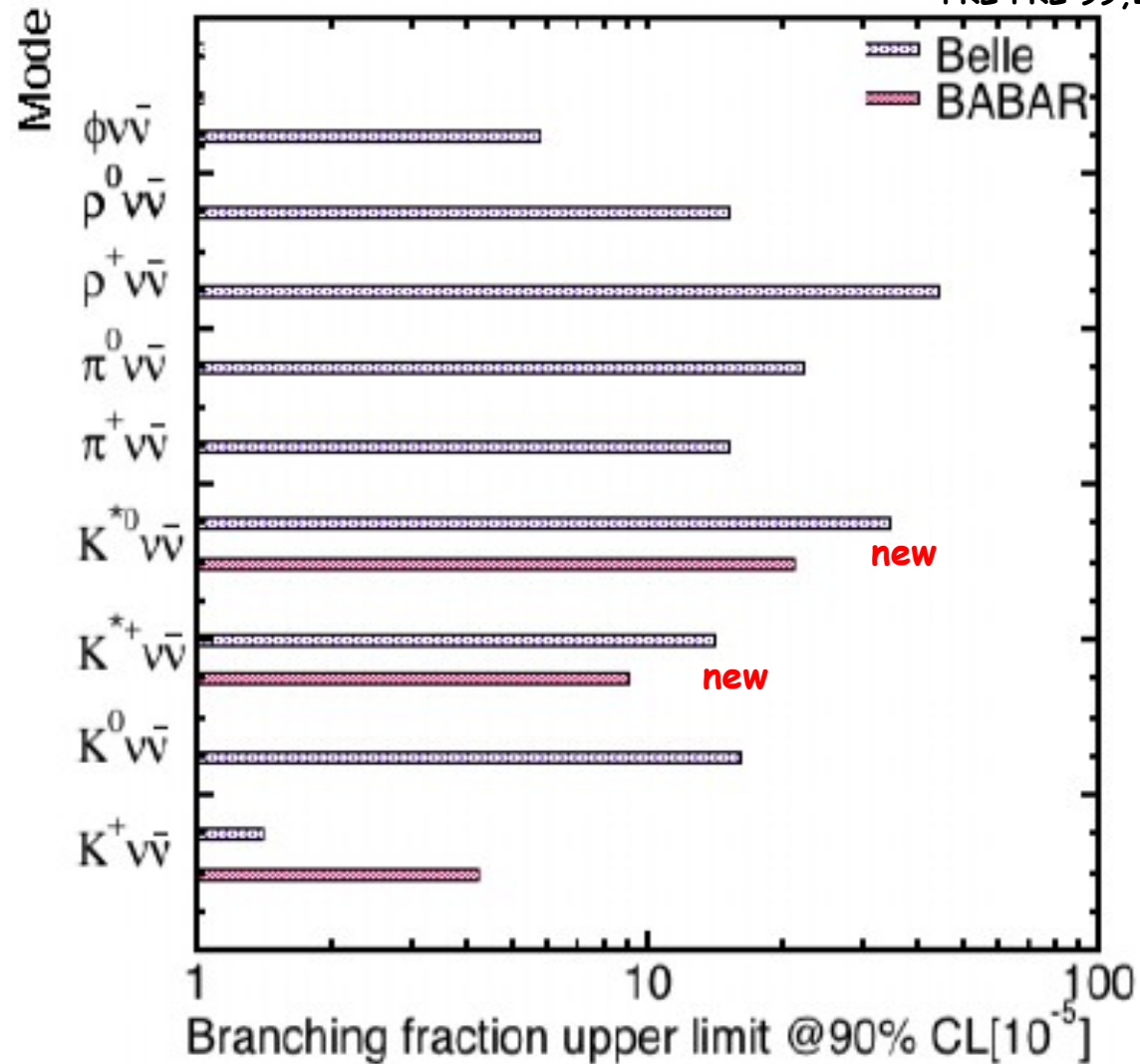
$$\begin{aligned}
 \text{cut and count: } B(B^+ \rightarrow K^{*+} \nu \bar{\nu}) &< 36 \times 10^{-5} \\
 B(B^0 \rightarrow K^{*0} \nu \bar{\nu}) &< 25 \times 10^{-5} \\
 \text{NN fit: } B(B^+ \rightarrow K^{*+} \nu \bar{\nu}) &< 21 \times 10^{-5} \\
 B(B^0 \rightarrow K^{*0} \nu \bar{\nu}) &< 11 \times 10^{-5}
 \end{aligned} \tag{37}$$

$$\begin{aligned}
 B(B^+ \rightarrow K^{*+} \nu \bar{\nu}) &< 8 \times 10^{-5} \\
 B(B^0 \rightarrow K^{*0} \nu \bar{\nu}) &< 12 \times 10^{-5} \\
 B(B \rightarrow K^* \nu \bar{\nu}) &< 8 \times 10^{-5}.
 \end{aligned}$$

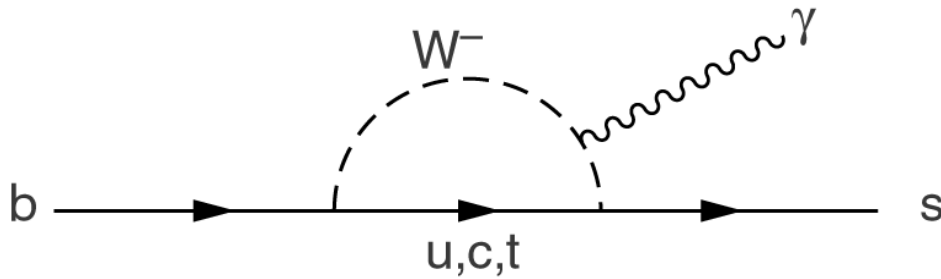
$B \rightarrow K^{(*)} \nu \bar{\nu}$: comparisons

Belle: 493 fb⁻¹

PRL PRL 99,221802 (2007)



Electroweak Penguins



$$b \rightarrow s \gamma$$

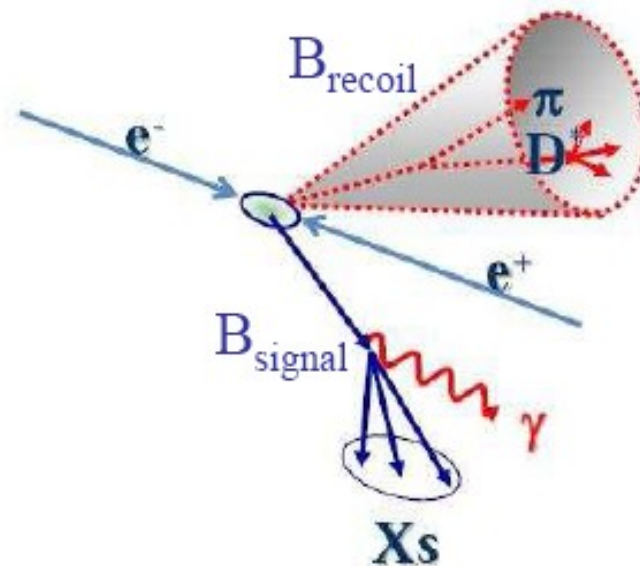
Please See:
April 7th, 2008 CERN EP Seminar Henning Flücher (CERN)



$B \rightarrow s \gamma$ Recoil Technique

PRD 77, 051103 (2008)

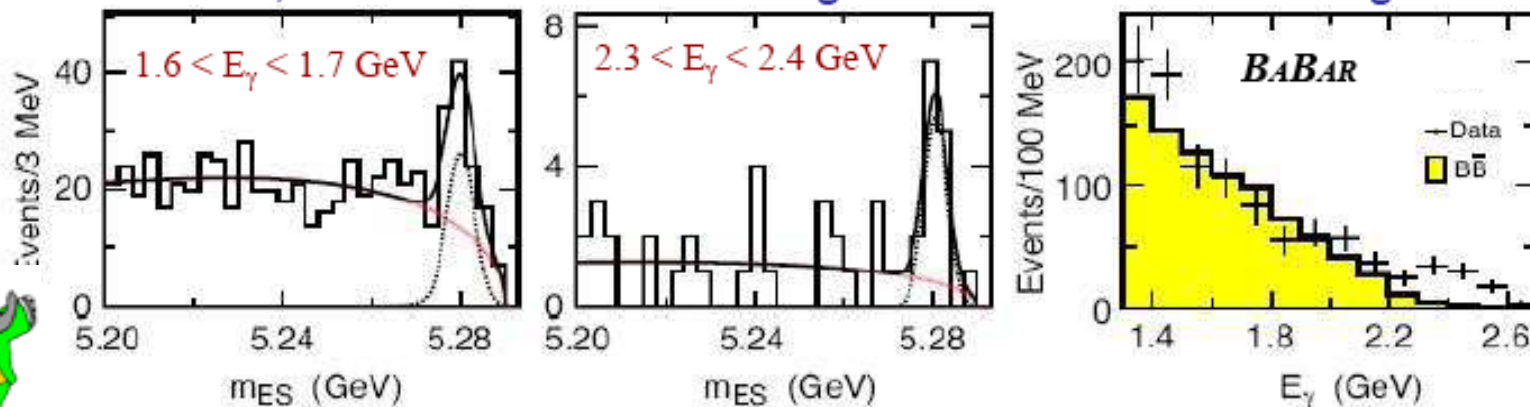
- $210 \text{ fb}^{-1} \leftrightarrow 232 \text{ M } B\bar{B}$ pairs
- Fully reconstructs $B \rightarrow D^{(*)}Y^{\pm}$
 - Y^{\pm} is a combination of up to 9 pions and kaons.
 - Determines charge and flavor of the signal B .
- From the remaining particles in the event, require an isolated high-energy photon candidate.
- Allows determination of the photon energy spectrum in the rest frame of the signal B meson.
- However, the recoil reconstruction efficiency is low: about 0.3%.



$B \rightarrow s \gamma$ Events selection

PRD 77, 051103 (2008)

- Require
 - $m_{ES} > 5.2 \text{ GeV}/c^2$
 - $|\Delta E| < 60 \text{ MeV}$
 } Tagged B
 - Veto if signal photon is consistent with coming from a π^0 or η decay.
 - Use a Fisher discriminant based on event-shape variables to veto $q\bar{q}$ backgrounds.
- Divide the surviving events into 100-MeV-wide bins from 1.3 – 2.7 GeV in photon energy.
- Extract the event yield in each bin using a fit to m_{ES} .
 - Fit parameters are allowed some dependence on E_γ .
- The region below 1.9 GeV is dominated by B backgrounds, so we scale the B events from a Monte Carlo simulation to the data below 1.9 GeV, then subtract the B background from the entire range.



$B \rightarrow s \gamma$ Systematics

PRD 77, 051103 (2008)

- **B background modeling**
 - Evaluate uncertainty by comparing results with those obtained by varying the Monte Carlo shape:
 - Apply E_γ -dependent corrections to account for photons coming from π^0 and η mesons.
 - Remaining backgrounds have a roughly linear slope in E_γ , so vary the slope by a conservative $\pm 30\%$.
- **Parameterization of m_{ES} fits**
 - Vary the dependence of the fit parameters on E_γ
 - Take the maximum variation in the result as the uncertainty.
- Include relatively smaller uncertainties due to detector response and efficiency related to the assumed E_γ shape (model dependence).

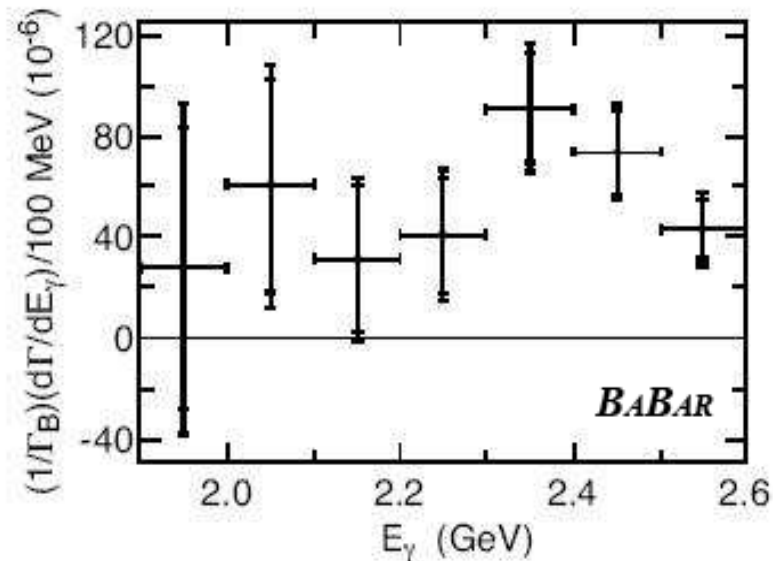


B \rightarrow s γ Results

PRD 77, 051103 (2008)

- Measured 119 ± 22 signal events over 145 ± 9 background.
- $\mathcal{B}(B \rightarrow X_s \gamma) = (3.66 \pm 0.85 \pm 0.60) \times 10^{-4}$.
- World-average branching fraction measured by BaBar, Belle, and CLEO:
- $\mathcal{B}(B \rightarrow X_s \gamma) = (3.55 \pm 0.26) \times 10^{-4}$.
 - E. Barberio *et al.* [Heavy Flavor Averaging Group (HFAG) Collaboration], arXiv:0704.3575 [hep-ex].

- Isospin asymmetry for $E_\gamma > 2.2$ GeV
 $\Delta_{0-} = -0.06 \pm 0.15 \pm 0.07$.
- CP Asymmetry for $E_\gamma > 2.2$ GeV
 $A_{CP} = 0.10 \pm 0.18 \pm 0.05$.



- Spectrum shape yields kinetic scheme parameters for $E_\gamma > 2.0$ GeV
- $m_b = 4.46^{+0.21}_{-0.23}$ GeV
- $\mu_\pi^2 = 0.64^{+0.39}_{-0.38}$ GeV²
- Errors are the theoretical ones from D. Benson, I.I. Bigi, and N. Uraltsev, Nucl. Phys. B **710**, 371 (2005).



$B \rightarrow s \gamma$ Conclusions

PRD 77, 051103 (2008)

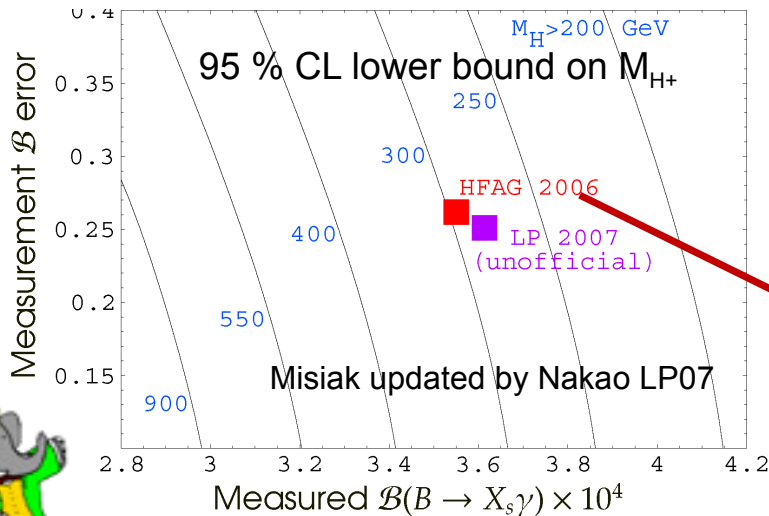
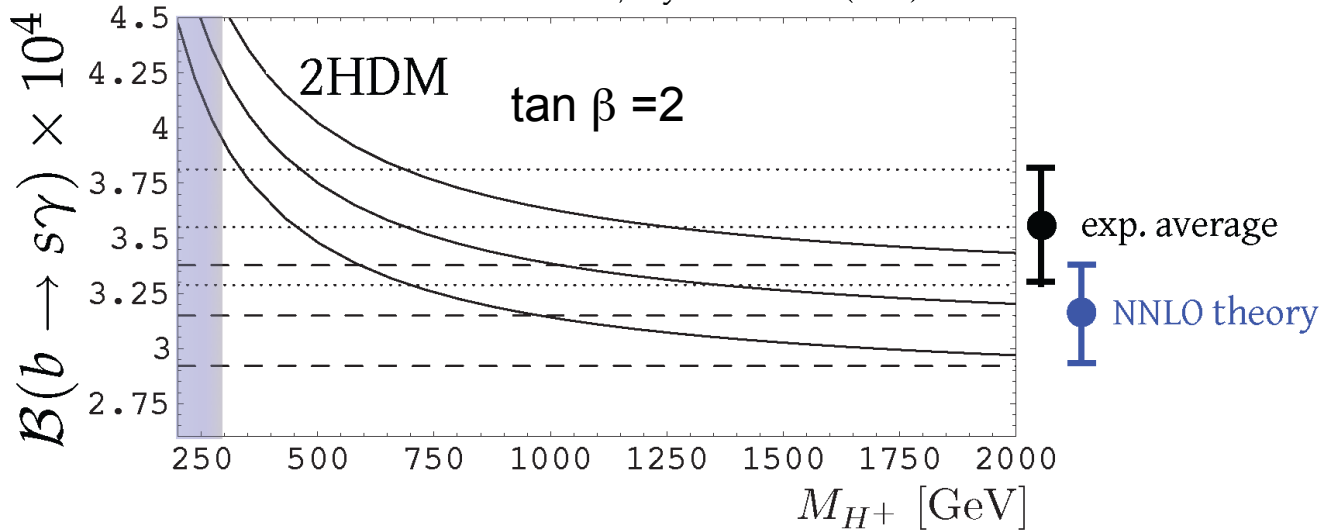
- These measurements test the standard model in all aspects of the $b \rightarrow s \gamma$ interaction
 - Rate, CP asymmetry, isospin asymmetry, photon spectrum, and photon polarization.
- Measured values are consistent with the standard model within their uncertainties.
- $B \rightarrow X_s \gamma$ Recoil technique
 - Much lower background than standard inclusive techniques.
 - Allows determination of $b \rightarrow s \gamma$ photon spectrum in the B rest frame.
 - Spectrum shape relates to b quark kinematics inside the B meson.



B → s γ Charged Higgs Mass Implications

77, 051103 (2008)

Misiak et al, Phys.Rev.Lett. 98 (2007) 022002



$b \rightarrow s\gamma$ gives a lower limit on a type-II Higgs for any $\tan \beta$

$M_{H^+} > 295$ GeV (95%CL)

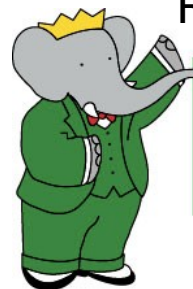
$M_{H^+} \sim 650$ GeV



*Search of New Physics in rare B decays
including leptons and/or neutrinos
at BaBar*

Virginia Azzolini

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