

Improving Jet Resolution with Calorimeter Segmentation with Data



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David López Mateos, November 13, 2008

Where we Stand and Long-Term Plans

Event Selection: Truth to Data-Driven

Understanding Low-Response Jets

Event Selection: η region

Numerical Inversion with New Event Selection

Conclusions and Plans



Where We Stand Now and Future Plans

- Proof of Principle is complete: this is a technique that is worth developing

- Now we need a more long-term plan:
 1. Redefine event selection so that it works on a data-driven approach
 2. Define p_T and η regions (and data sets) for full study
 3. Redo pre-calibration steps vs. p_T^{reco}
 4. Complete the four-layer approach study
 5. Perform a 6-layer study
 6. Try to see what can be understood from a principal-component analysis



Where We Stand Now and Future Plans

Today

1. Redefine event selection so that it works on a data-driven approach
Address problem of low-response (fake jets), define uniform eta region
2. Define p_T and η regions (and data sets) for full study
20 GeV < p_T < 150 GeV (early data)+one high- p_T bin. MC08 J2 and J3 datasets. For high- p_T bin: J5? What eta regions?

By the end of the year

3. Redo pre-calibration steps vs. p_T^{reco}
Numerical inversion
4. Complete the four-layer approach study

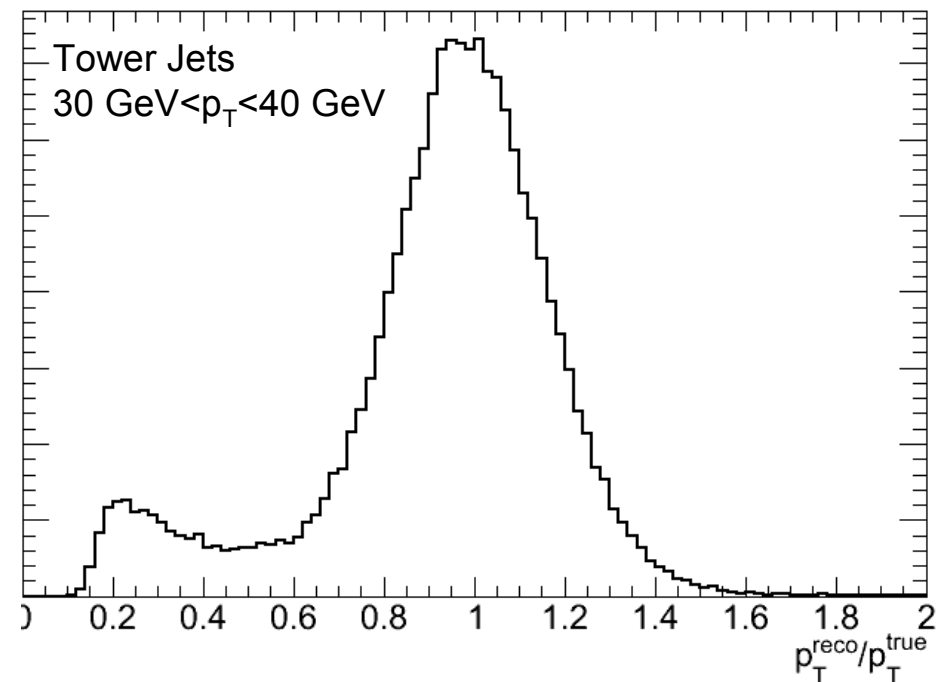
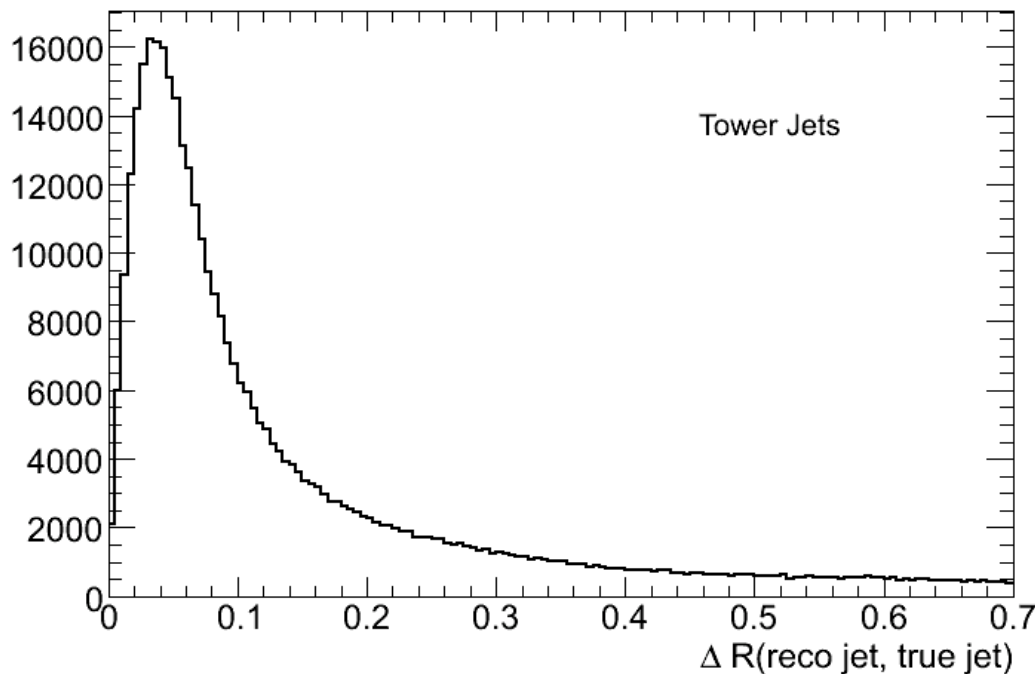
Early next year

5. Perform a 6-layer study
Use all 6 layers. It could be better, but also more complicated
6. Try to see what can be understood from a principal-component analysis
Most complicated analysis. Might not be very useful with first data, but could also point to physically meaningful quantities



Event Selection: Truth to Data-Driven

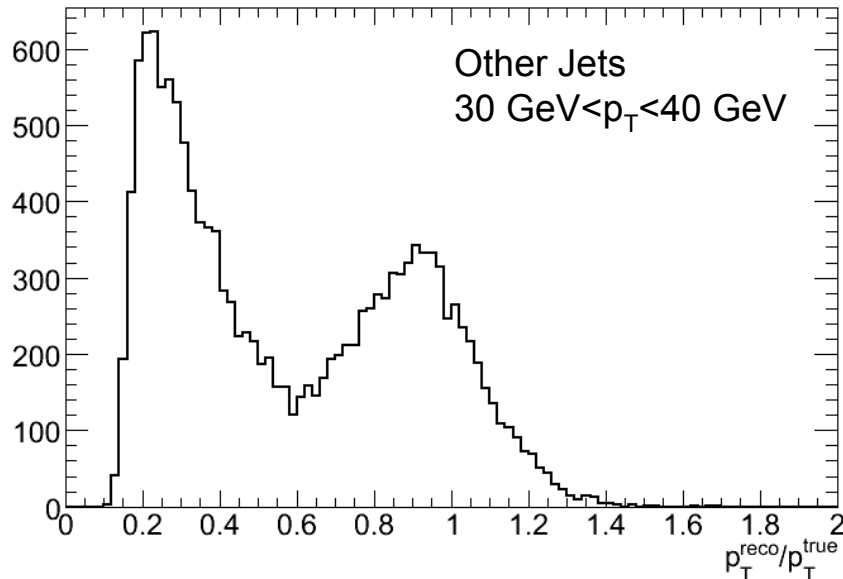
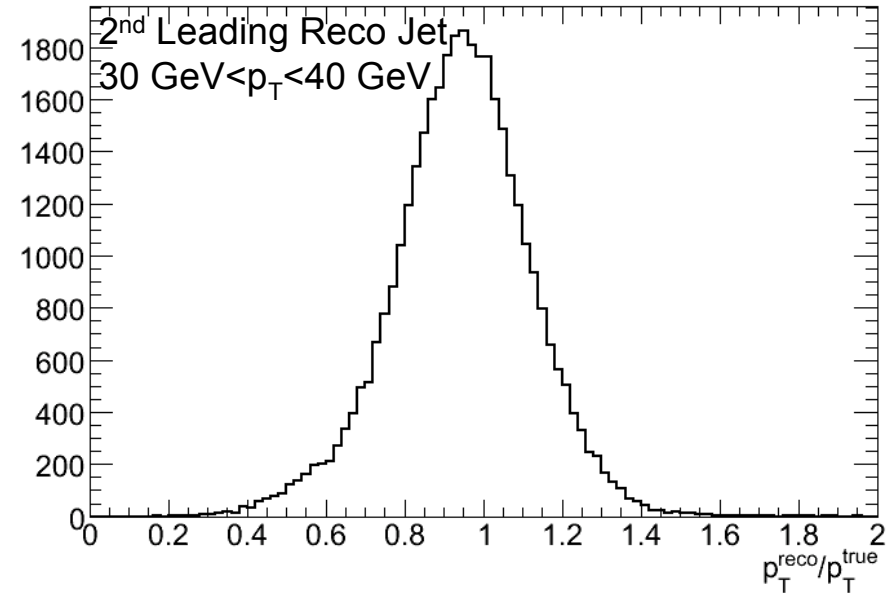
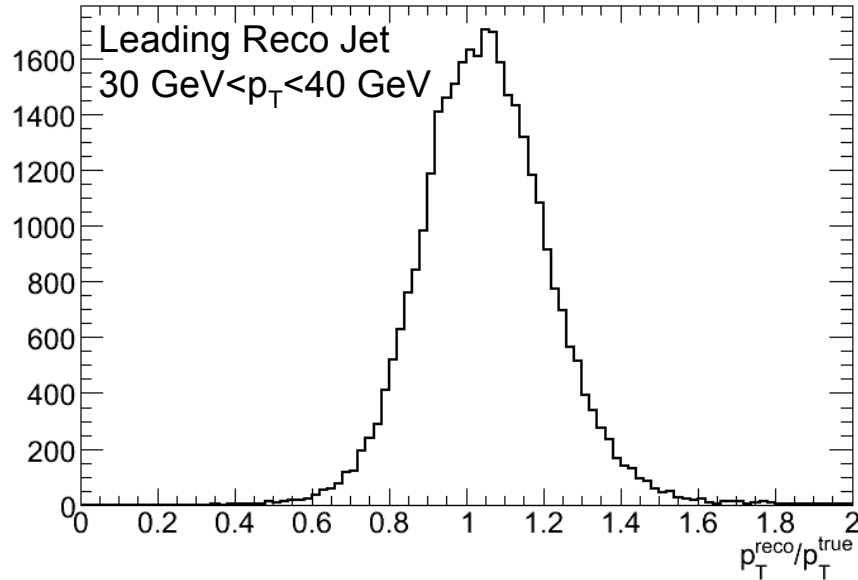
- For the event selection so far we used jets with a truth jet matched within a 0.2 radius
- This throws away ~20% of the jets, but it is necessary not to get low-response jets (probably fakes)



- But we cannot do this with data. So what will be the event selection with data?



Where Are Low-Response Jets Coming From?



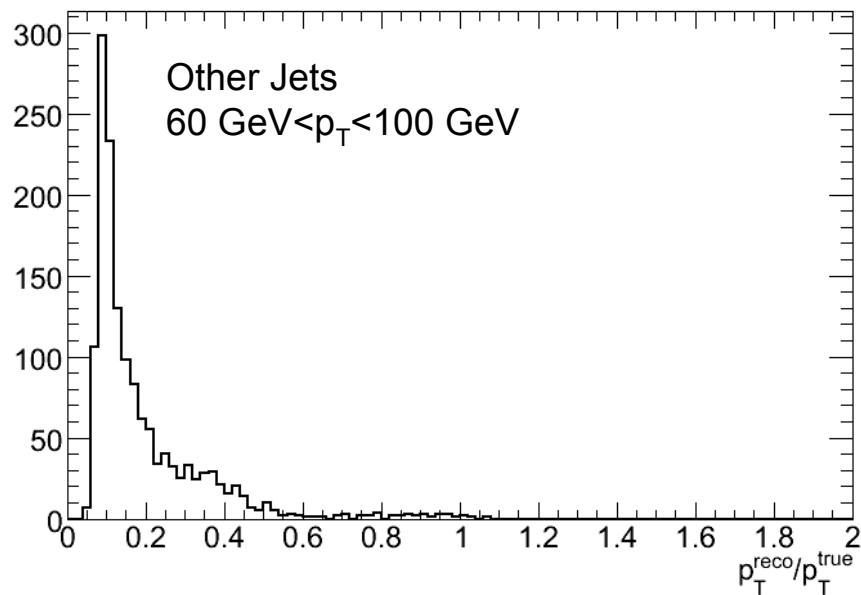
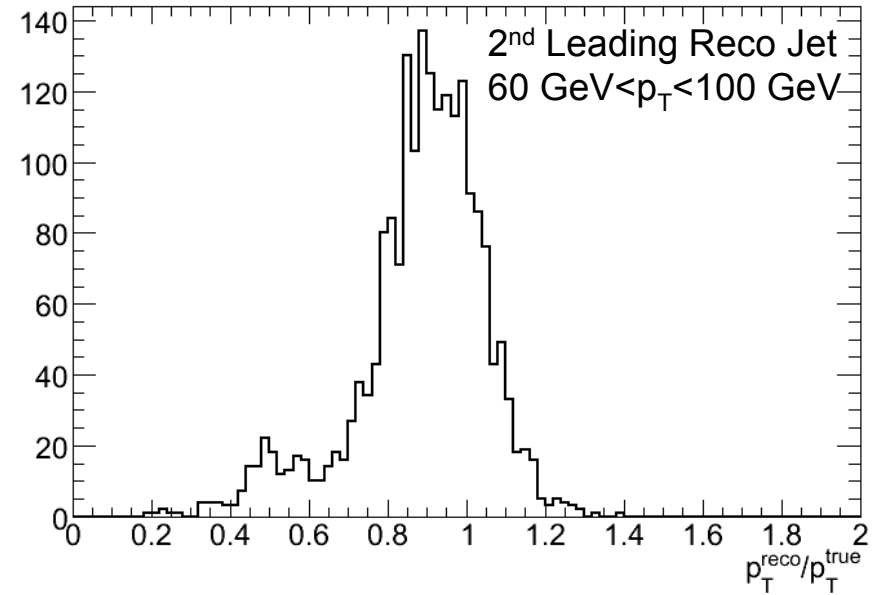
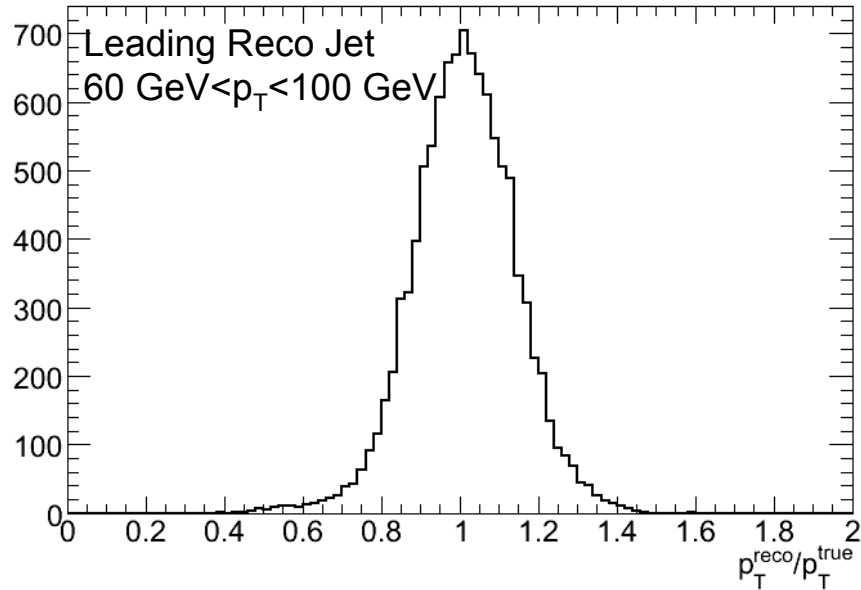
This problem seems to not be present if we choose the leading jet, or the 2nd leading jet

Can this problem disappear completely with a cut on p_T^{reco} ?

Otherwise: other jets are ~50% of all jets in the J2 sample



Where Are Low-Response Jets Coming From?



These jets can have a reco p_T of over 20 GeV...

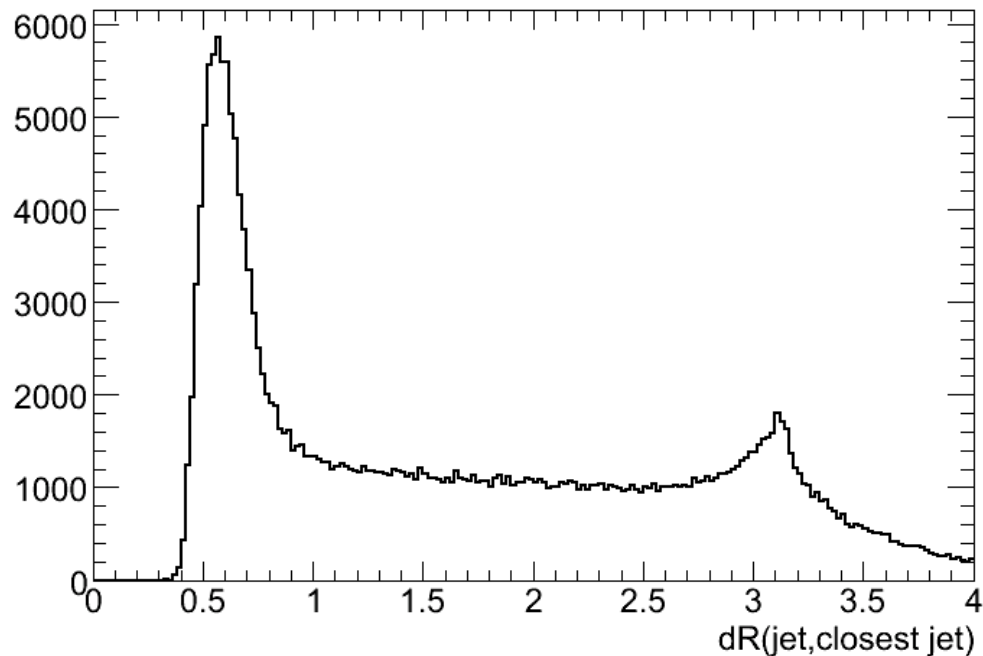
The 2nd leading jet might also be a bit vulnerable to these “fake jets”



Are These Split-Merge Jets?

If so, jet isolation cut could help.

Look at jets matched to a truth jet above 20 GeV

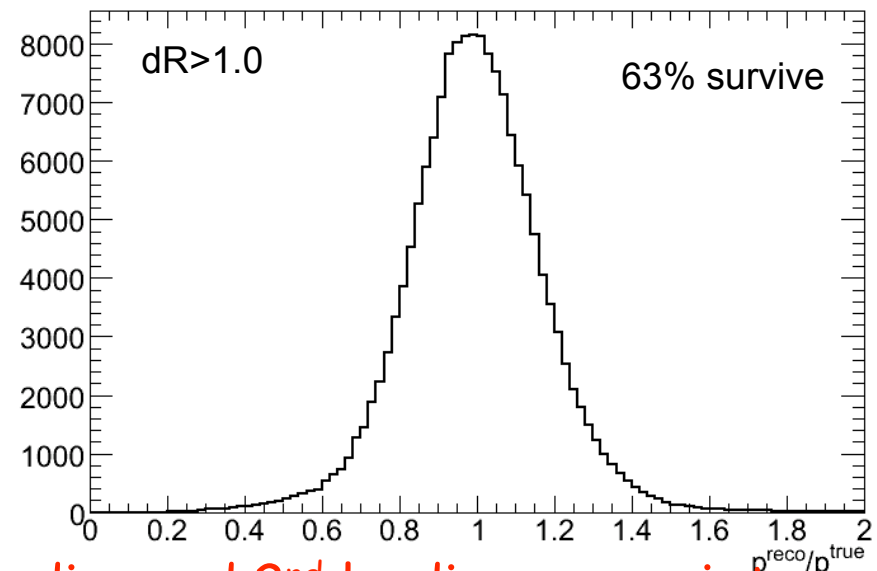
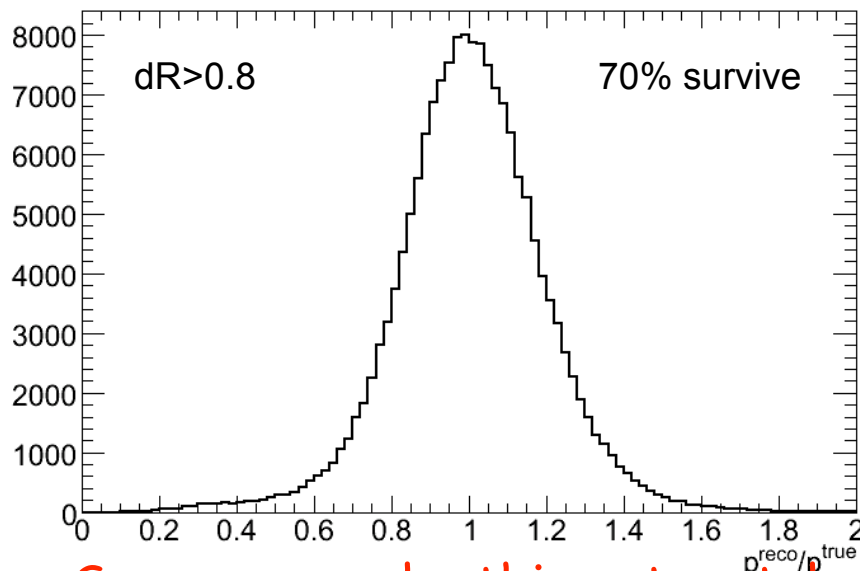
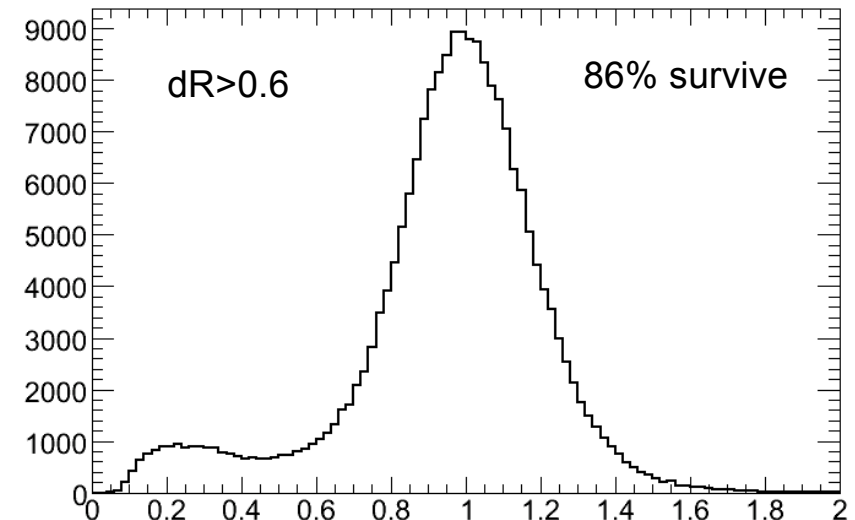
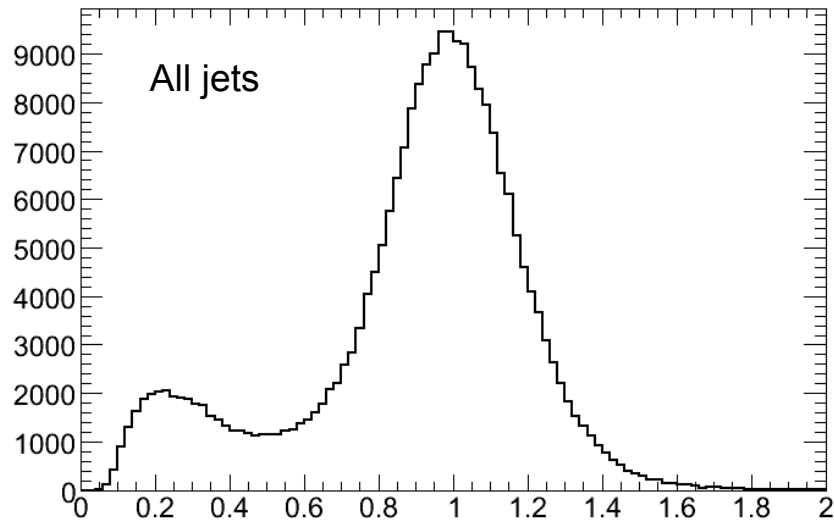


Clearly, very close-by jets can be the problem

Try different cuts, and look at the response, also check what percentage of jets survive



Are These Split-Merge Jets?

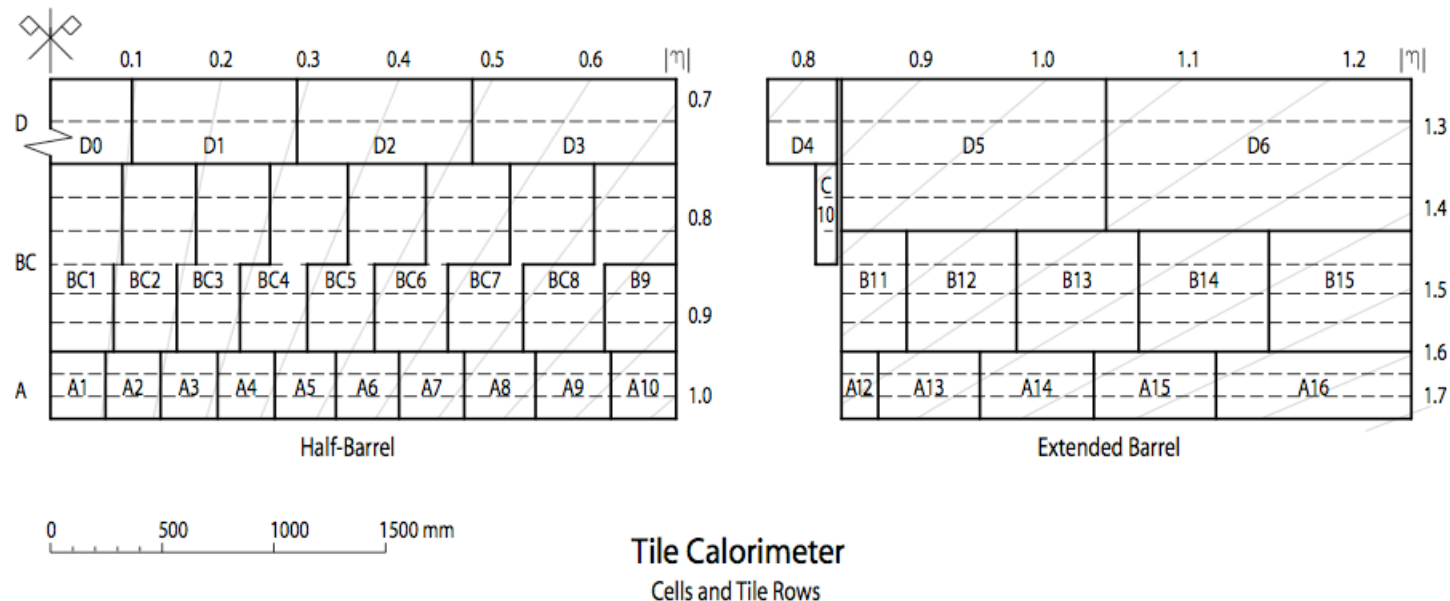


So we can make this cut or take only leading and 2nd leading, or a mixture.
For the rest of today I use $dR > 1.0$ for the event selection



Event Selection: η region

- Eventually, this will be done in small η bins, say 0.1
- But with the Monte Carlo, statistics are not high enough for such fine binning
- We need uniform section of the Calorimeter: particularly important since layer definition changes from one part to another



$\eta \sim 0.7$: end of Tile Barrel: use Cone 4 jets with $|\eta| < 0.3$ to not be affected by this

$\eta \sim 1.1$: end of EM Barrel: use Cone 4 jets with $|\eta| < 0.7$ to not be affected by this

\Rightarrow I will look at both, see if I can merge them or not



Numerical Inversion

Reminder: A method to apply a Monte Carlo-derived correction to data

In MC you have: $R(p_T^{\text{true}})$ p_T^{true}

In data you have only: p_T^{reco}

And it is hard to calculate $R(p_T^{\text{reco}})$
in MC because the
distribution is not
gaussian in bins of p_T^{reco}

⇒ So we use $R(p_T^{\text{true}})$ to transform the p_T^{true} axis in p_T^{reco}

Note: distributions are still gaussian because the events in
the different bins are not being reshuffled

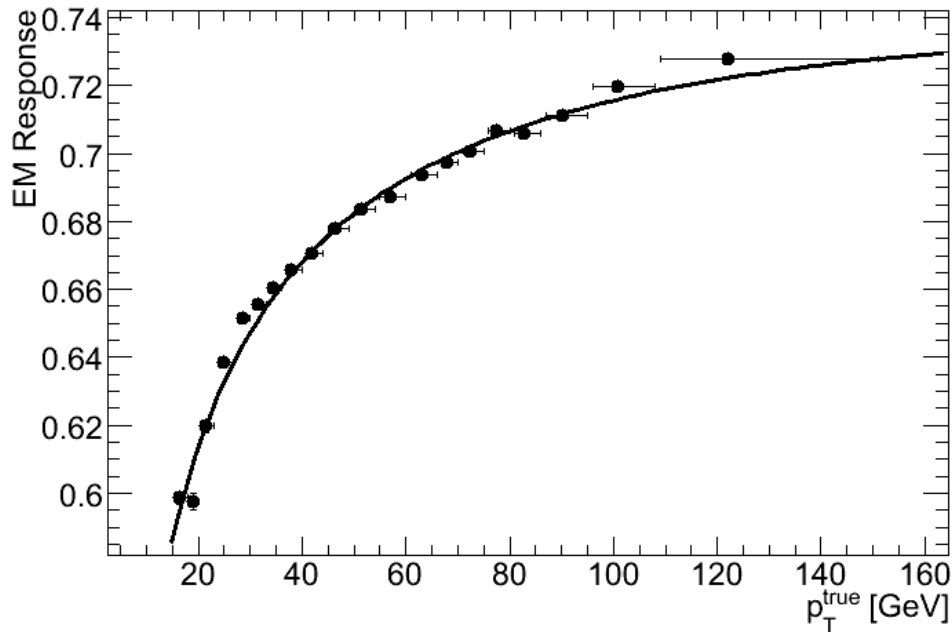
Then you can apply the correction as a function of p_T^{reco}



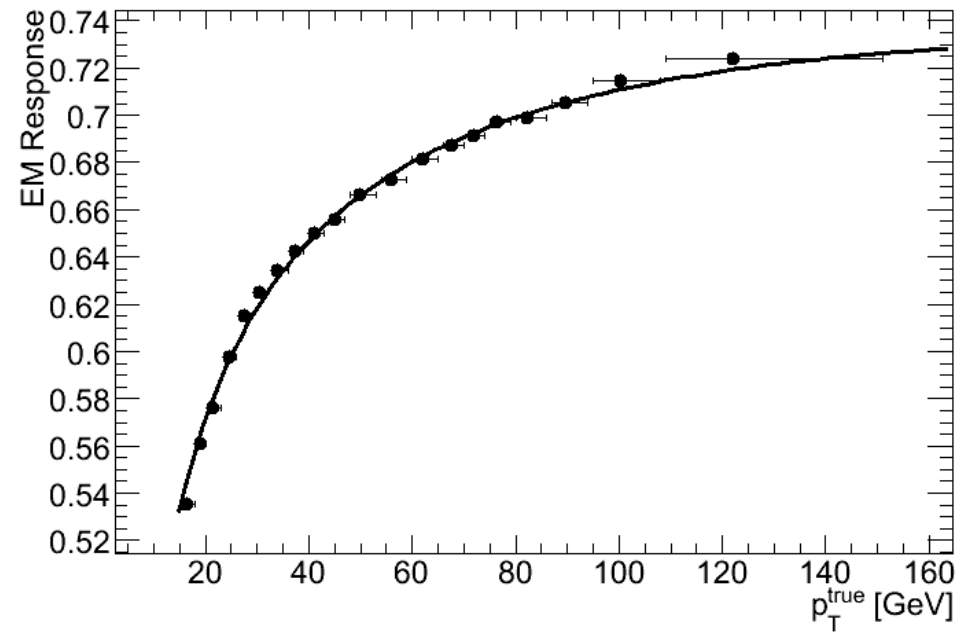
Numerical Inversion: Step 1

Calculation of: $R(p_T^{\text{true}})$

Tower Jets



Topo Jets



Fits to $a+b*\log(p_T)+c*(\log(p_T))^2$

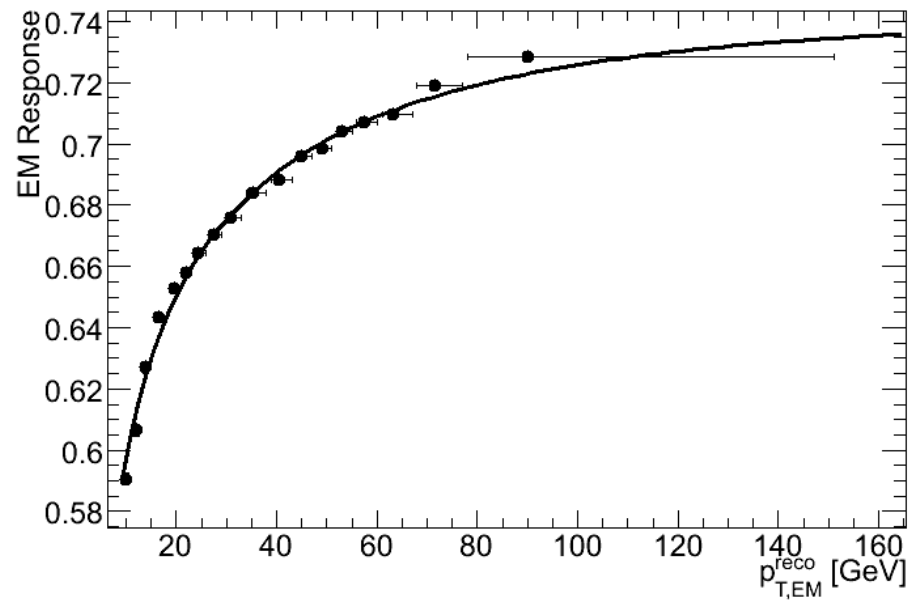
$|\eta| < 0.3$



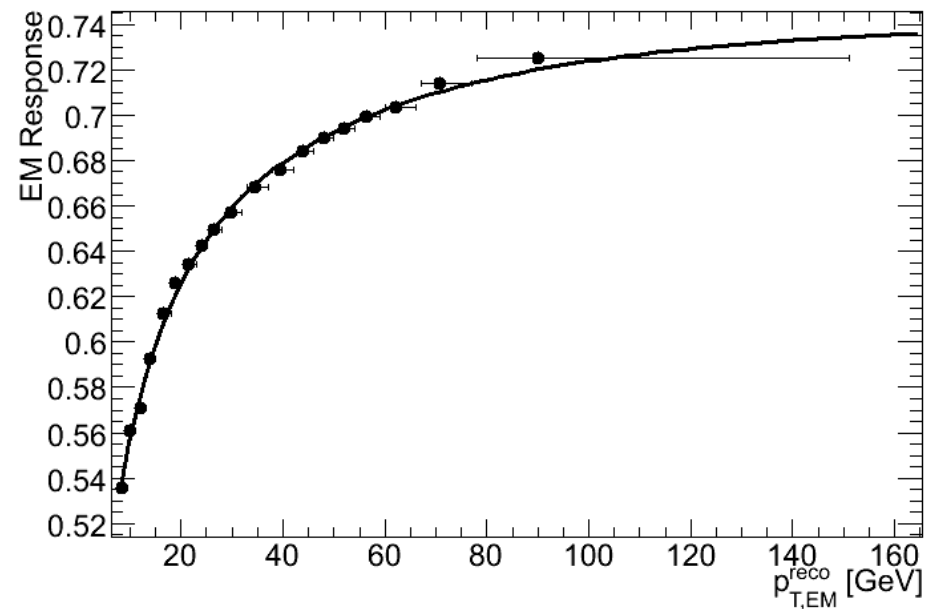
Numerical Inversion: Step 2

Calculation of: $R(p_T^{\text{reco}})$

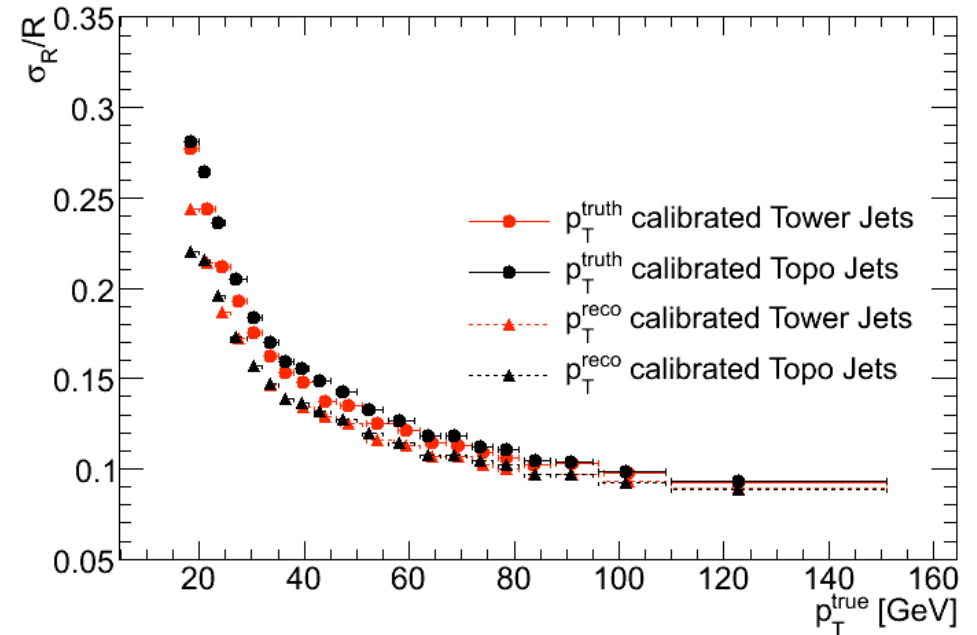
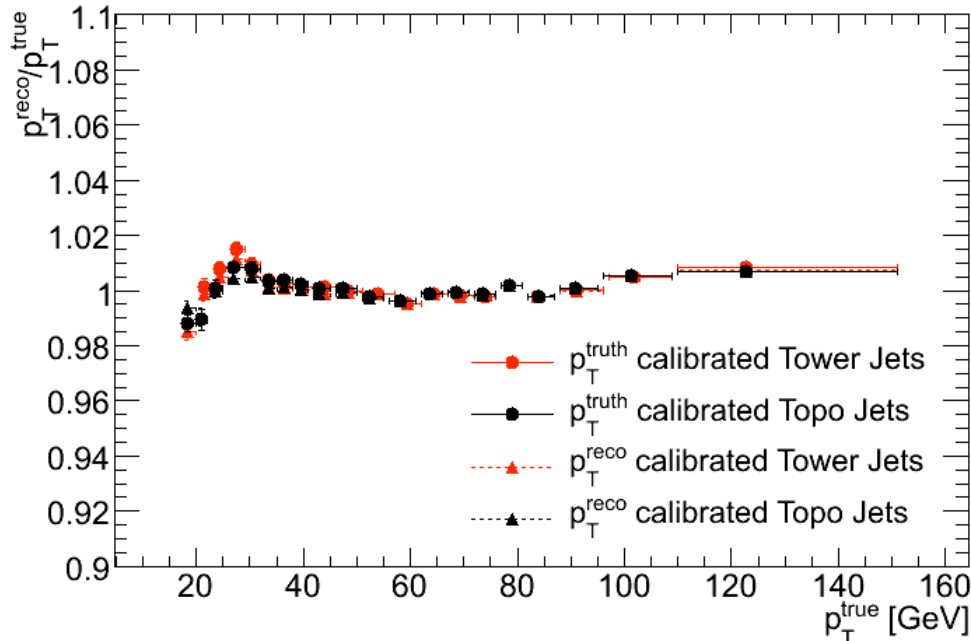
Tower Jets



Topo Jets



Numerical Inversion: Results



The response is virtually the same with a truth-correction and a numerical inversion correction

The resolution is much better! (and the differences in resolution between Tower and Topo Jets disappear (!?))

~10% improvement in resolution (recall ~7% from f_3). Compare to total ~20% improvement with H1



Conclusions and Plans

- Now starting to perform study more systematically
- It should be complete with 4 layers before the end of the year
- Event selection is now clearer
- Numerical inversion works very well, even when starting from the EM scale. Amazing improvement in resolution