Status for 2016 and plans for 2017, CERN NA63

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NA 63

Measurements of the radiation reaction

$$m\dot{\mathbf{v}} = \mathbf{F}_{\text{ext}}$$
 N2

Classical Radiation Reaction

Jackson 1975 p. 786-798

$$P(t) = \frac{2}{3} \frac{e^2}{c^3} (\dot{\mathbf{v}})^2 \qquad \text{Larmor}$$

$$m\dot{\mathbf{v}} = \mathbf{F}_{\text{ext}} + \mathbf{F}_{\text{rad}}$$

$$\mathbf{F}_{rad}$$
 "must" vanish if $\dot{\mathbf{v}} = 0$ (no radiation)

$$m(\dot{\mathbf{v}} - \tau \ddot{\mathbf{v}}) = \mathbf{F}_{\text{ext}}$$

Lorentz-Abraham-Dirac (LAD) equation

$$\mathbf{F}_{\text{rad}} = \frac{2}{3} \frac{e^2}{c^3} \ddot{\mathbf{v}} = m\tau \ddot{\mathbf{v}} \qquad \tau = \frac{2}{3} \frac{e^2}{mc^3}$$

No field, solution to LAD eq.: (runaway – energy conservation)

$$a(t) = a_0 e^{t/\tau},$$

$$\tau = 6 \times 10^{-24} \text{s}.$$

Step-fct. field, solution to LAD eq.: (pre-acceleration - causality)

Classical Electrodynamics

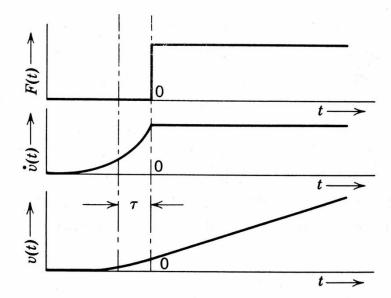
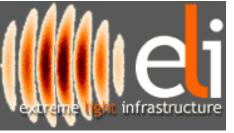
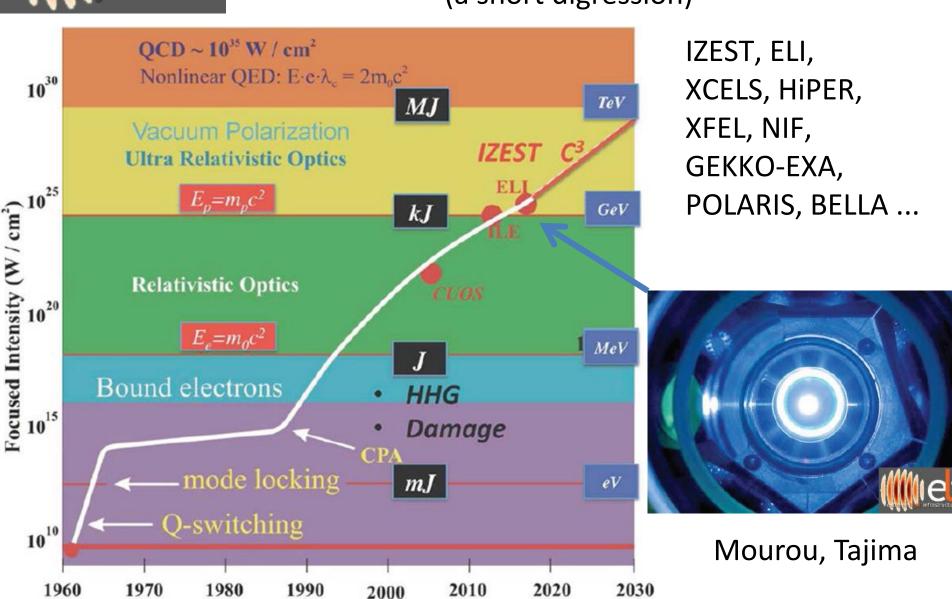


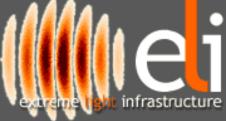
Fig. 17.1 "Preacceleration" of charged particle.



High-intensity laser interactions

(a short digression)



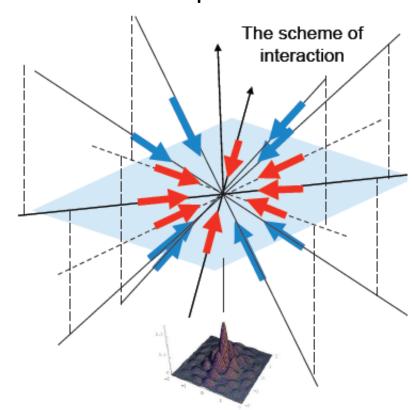


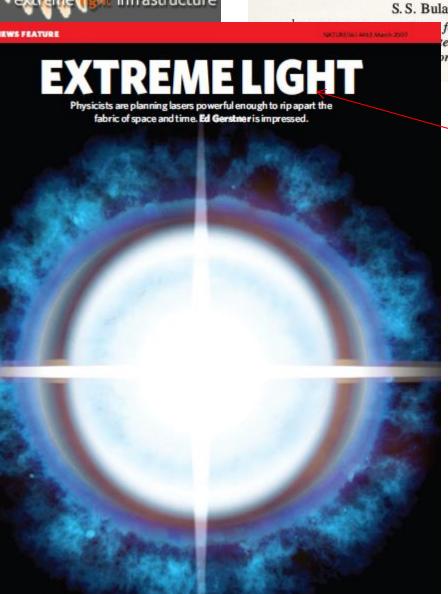
Multiple Colliding Electromagnetic Pulses: A Way to Lower the Threshold of e^+e^- Pair Production from Vacuum

S. S. Bulanov, 1,2 V. D. Mur, N. B. Narozhny, J. Nees, and V. S. Popov I.

for Ultrafast Optical Science, University of Michigan, Ann Arbor, Michigan 48109, USA to of Theoretical and Experimental Physics, Moscow 117218, Russia and Research Nuclear University MEPhI, 115409 Moscow, Russia (Received 2 March 2010; published 1 June 2010)

"Physicists are planning lasers powerful enough to rip apart the fabric of space and time"

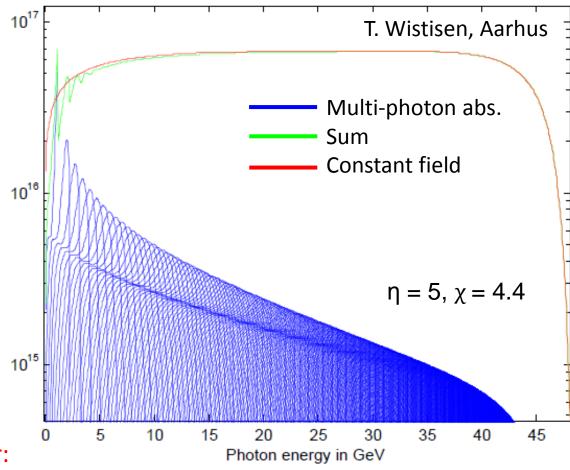






"The location of ELI's fourth pillar, the highest intensity pillar, is still to be decided. Its laser power is expected to exceed that of the current ELI pillars by about one order of magnitude

[i.e. reach 10²⁴ W/cm²,
Schwinger limit = 10²⁹ W/cm²]".



The <u>only</u> laser experiment so far:

SLAC E-144: PRL **76**, 3116 (1996), PRL **79**, 1626 (1997)

Laser frequency

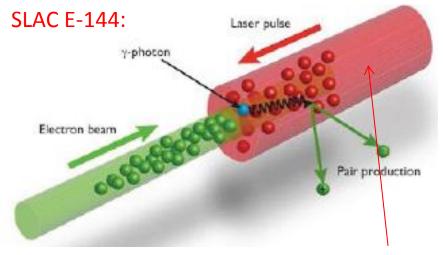
$$\eta = e\sqrt{\langle A_{\mu}A^{\mu}\rangle/mc^2} = e\mathcal{E}_{\rm rms}/m\omega_0c = e\mathcal{E}_{\rm rms}\lambda_0/mc^2$$

$$\kappa = \sqrt{\langle (F_{\mu\nu}p^{\nu})^2 \rangle} / (mc^2 \mathcal{E}_{crit})$$

Why not use a constant strong field instead?

$$\mathcal{E}_{\text{crit}} = m^2 c^3 / e \hbar = m c^2 / e \lambda_C = 1.3 \times 10^{16} \text{ V/cm}$$

diation power [arb.]



Crystals

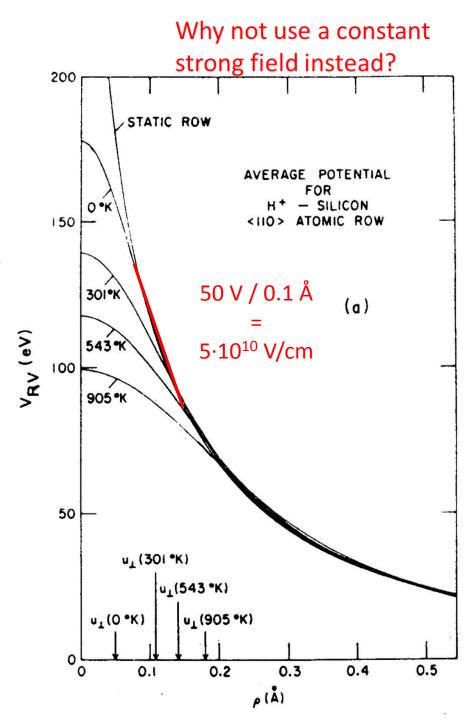
Replace laser-pulse by virtual photons

Extremely strong electric fields

 10^{10} - 10^{11} V/cm

Relativistic invariant:

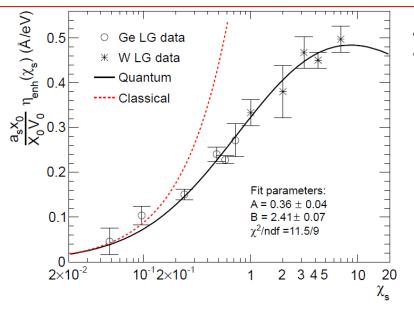
$$\chi = \gamma \mathcal{E} / \mathcal{E}_0$$
 $\mathcal{E}_0 = mc^2 / e \lambda_c$
=1.32·10¹⁶ V/cm



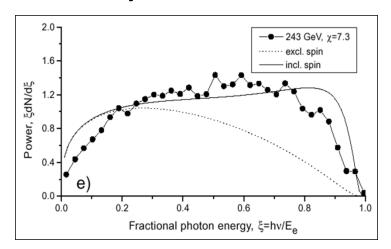
Previously presented by NA63

$$\frac{I_e}{I_{cl}} = (1 + 4.8(1 + \chi)\ln(1 + 1.7\chi) + 2.44\chi^2)^{-2/3}.$$

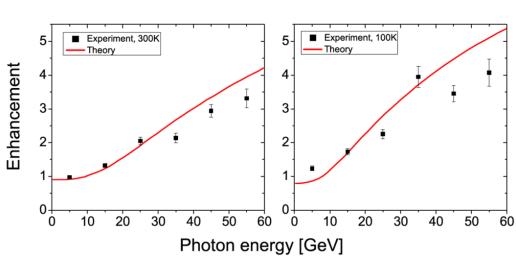
those directly relevant to high-power laser interactions...



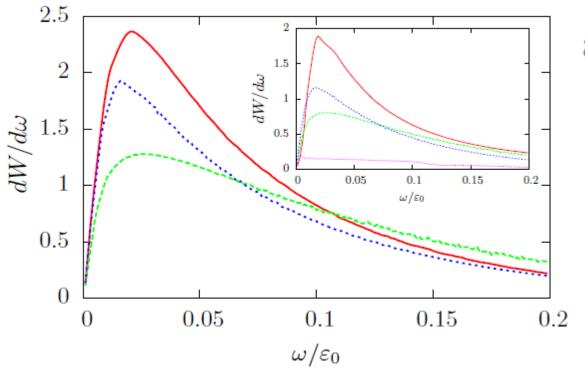
1. 'Quantum-synchrotron'-rad.



- 2. Spin-flip processes
- 3. 'Schwinger' pair prod.
- 4. Trident production



Investigation of classical radiation reaction with aligned crystals
A. Di Piazza, Tobias N. Wistisen, Ulrik I. Uggerhøj



arXiv:1503.05717v2

Figure 3: (Color online) Radiation energy spectra for parameters given in the text without RR (dashed green curve), with RR and no derivative term (dotted blue curve), and with RR (continuous red curve). The inset shows the corresponding plots including dechanneling and the spectrum of coherent bremsstrahlung by dechanneled electrons (fine-dotted purple line).

Derivative term not accessible in laser interactions

In a purely electric field (in the lab frame), LL equation:

$$f = \frac{2e^3}{3m} \gamma \underbrace{\{(v \cdot \nabla) E\}}_{} + \frac{2e^4}{3m^2} \{E(v \cdot E)\} - \frac{2e^4}{3m^2} \gamma^2 v \left\{(E)^2 - (E \cdot v)^2\right\}$$



Some recent examples...

PHYSICAL REVIEW E 91, 023207 (2015)

Detecting radiation reaction at moderate laser intensities

Thomas Heinzl, 1,* Chris Harvey, 2,3 Anton Ilderton, Mattias Marklund, 3,4 Stepan S. Bulanov, Sergey Rykovanov, 6,†
Carl B. Schroeder, Eric Esarev, and Wim P. Leemans

PRL 105, 220403 (2010)

PHYSICAL REVIEW LETTERS

week ending 26 NOVEMBER 2010

Quantum Radiation Reaction Effects in Multiphoton Compton Scattering

A. Di Piazza,* K. Z. Hatsagortsyan, and C. H. Keitel

Max-Planck-Institut für Kernphysik, Saupfercheckweg 1, 69117 Heidelberg, Germany

PRL 116, 090406 (2016)

PHYSICAL REVIEW LETTERS

week ending 4 MARCH 2016

Critical Schwinger Pair Production

Holger Gies^{1,2,*} and Greger Torgrimsson^{3,†}

¹Theoretisch-Physikalisches Institut, Abbe Center of Photonics,
Friedrich-Schiller-Universität Jena, Max-Wien-Platz 1, D-07743 Jena, Germany

PRL 111, 054802 (2013)

PHYSICAL REVIEW LETTERS

week ending 2 AUGUST 2013

Stochasticity Effects in Quantum Radiation Reaction

N. Neitz and A. Di Piazza*

Max-Planck-Institut für Kernphysik, Saupfercheckweg 1, D-69117 Heidelberg, Germany

PRL 116, 044801 (2016)

PHYSICAL REVIEW LETTERS

week ending 29 JANUARY 2016

Quantum Radiation Reaction: From Interference to Incoherence

Victor Dinu, ^{1,*} Chris Harvey, ^{2,†} Anton Ilderton, ^{2,‡} Mattias Marklund, ^{2,§} and Greger Torgrimsson ^{2,‡} Department of Physics, University of Bucharest, P.O. Box MG-11, Măgurele 077125, Romania ²Department of Physics, Chalmers University of Technology, SE-41296 Gothenburg, Sweden

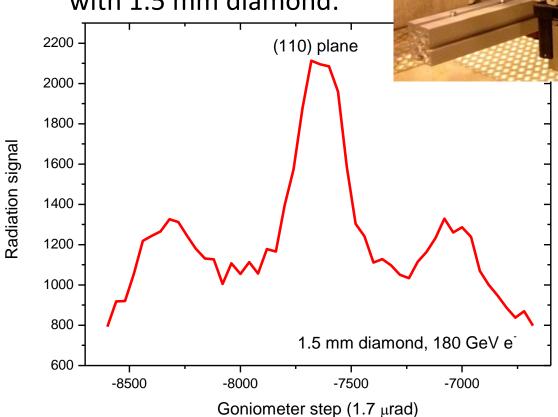
Experiment NA63 Run schedule

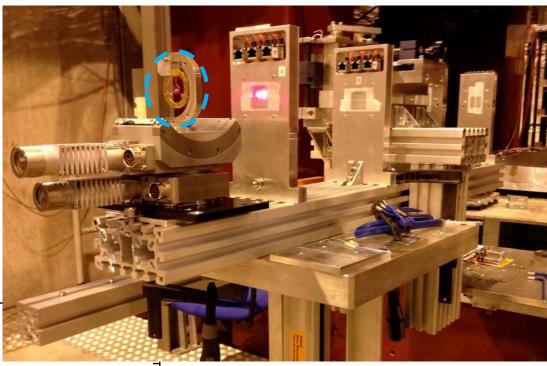
SPS: Mai 2016

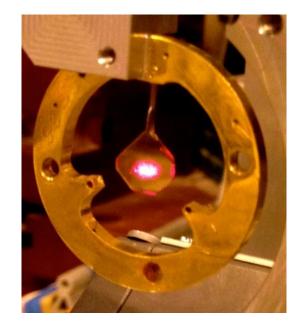
W	Vec	Tł	nu	Fri	Sat	Sun	Mon	Tue	Wed	Thu	Fri	Sat	Sun	Mon	Tue	W
11		1	2	13	14	15	16	17	18	19	20	21	22	23	24	2
Mai		M	ai	Mai	Mai	Mai	Mai	Mai	Mai	Mai	Mai	Mai	Mai	Mai	Mai	M
		NA							463	3						
		Uggerhøj						,								
	<mark>P</mark> P	E13&etting up							Data taking					F		

Angular scans

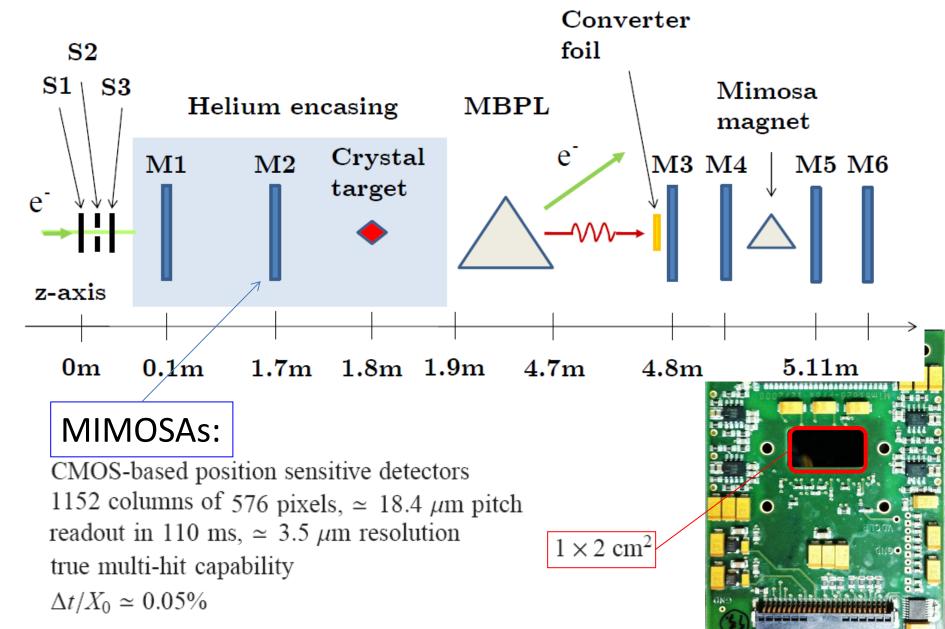
 Radiation enhancement observed w/ 180 GeV electrons (signal = radiation above 50 GeV, 'strong field radiation') with 1.5 mm diamond:







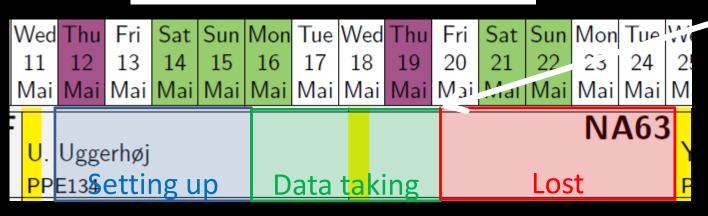
Setup for e+ measurement





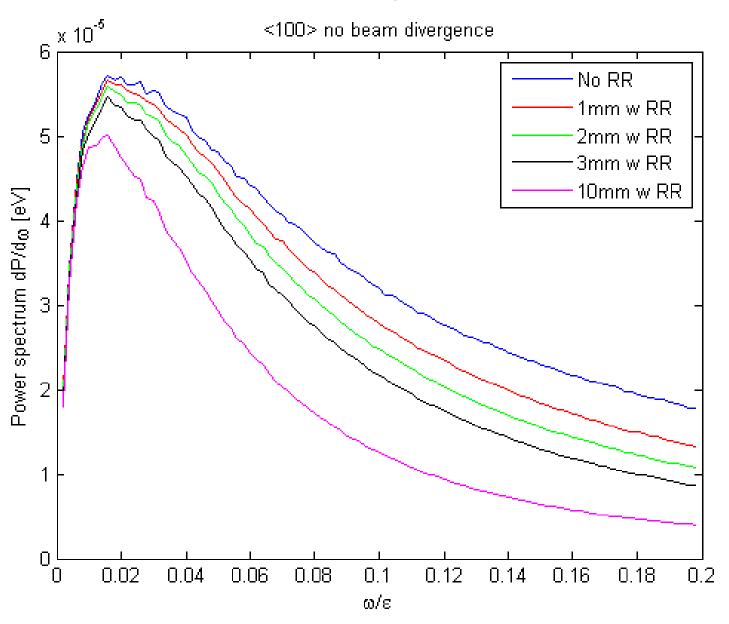
"[Friday 20th of May in the] morning there was a fire at the PS main power supply (the rotating machine), and it will not be usable for the weeks to come."

SPS: Mai 2016

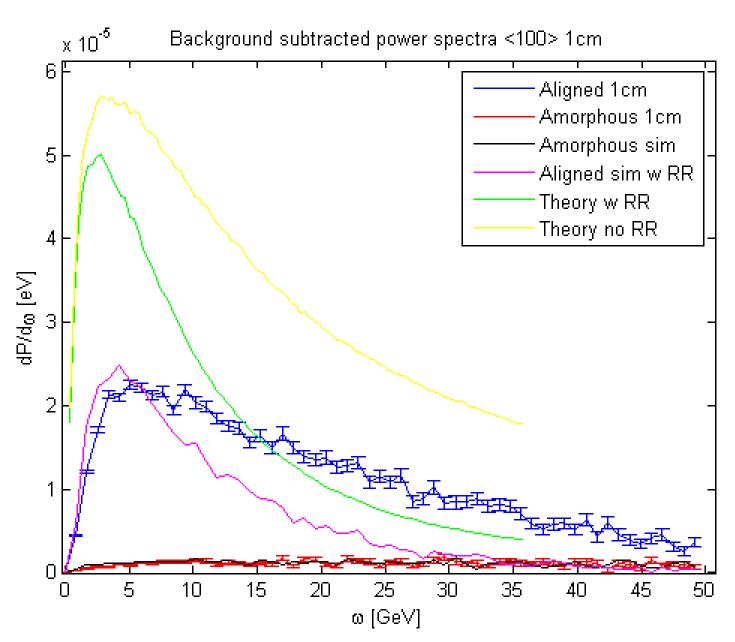


Graphs
presented in
the following
are all <u>very</u>
preliminary!

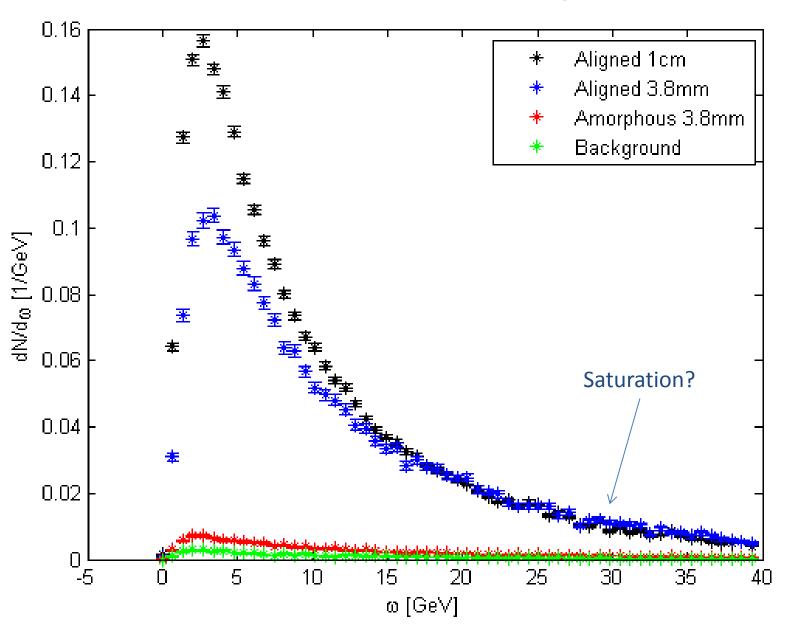
Si <100>, theory - simulated



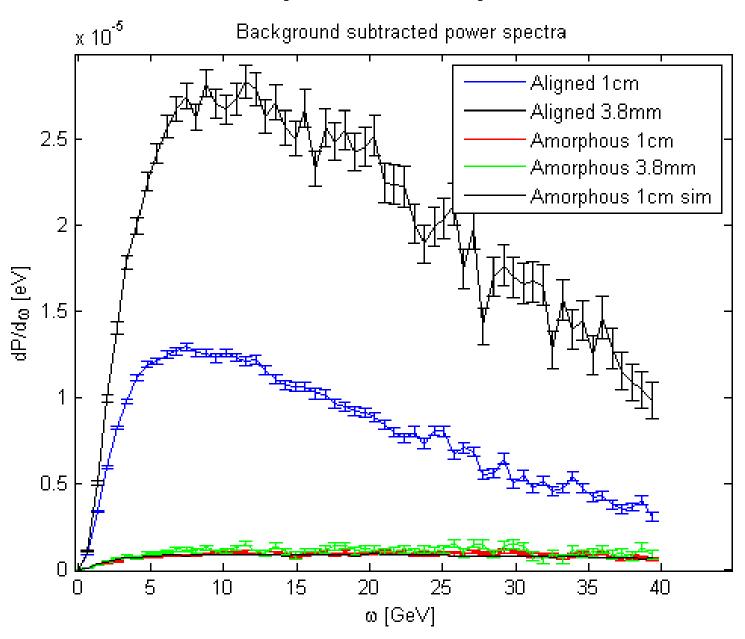
Si <100> power-spectrum



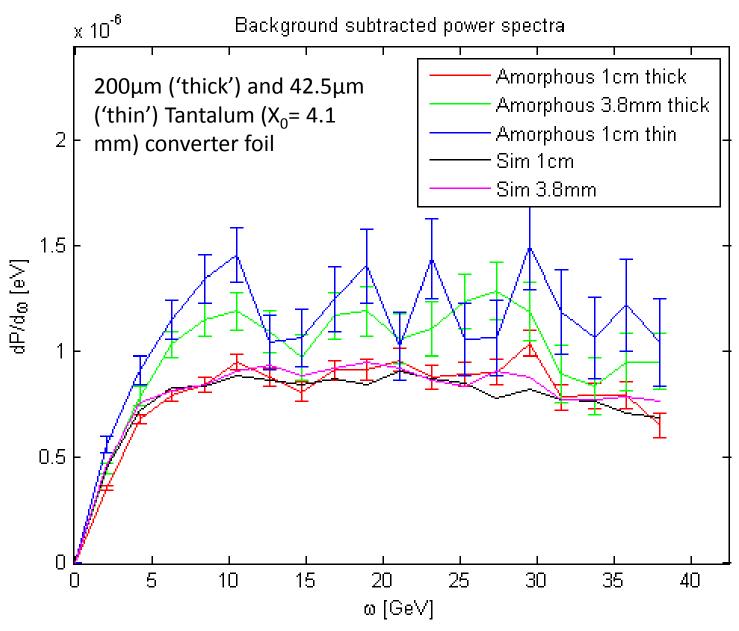
Si <111>, number spectra



Si <111> power-spectrum



Measurements and simulation, Si <111>



PLANS FOR 2017:

NA63 applies for 2 weeks of beam time in H4 in 2017, to complete the series of measurements necessary for an experimental proof that radiation reaction can be observed using highenergy electrons in crystals

Publications, (related to) NA63

- Since previous SPSC presentation:
- 1. R.E. Mikkelsen, T. Poulsen, U.I. Uggerhøj and S.R. Klein: Characteristics of Cherenkov radiation in naturally occuring ice, Phys. Rev. D **93**, 053006 (2016)
- 2. R.E. Mikkelsen, A.H. Sørensen and U.I. Uggerhøj: Elastic photonuclear cross sections for bremsstrahlung from relativistic heavy ions, Nucl. Instr. Meth. B **372**, 58-66 (2016)
- 3. A. Di Piazza, T.N. Wistisen and U.I. Uggerhøj: *Investigation of classical radiation reaction with aligned crystals*, ArXiv: 1503.05717, subm. to Phys. Lett. B (2015); still under review



What are the invariants?

$$\chi^2 = \frac{(F_{\mu\nu}p^{\nu})^2}{m^2c^2\mathcal{E}_0^2},$$

$$\Xi = \frac{F_{\mu\nu}^2}{\mathcal{E}_0^2} = \frac{2(\vec{B}^2 - \vec{\mathcal{E}}^2)}{\mathcal{E}_0^2},$$

$$\Gamma = \frac{e_{\lambda\mu\nu\rho}F^{\lambda\mu}F^{\nu\rho}}{\mathcal{E}_0^2} = \frac{8\vec{\mathcal{E}}\cdot\vec{B}}{\mathcal{E}_0^2},$$

$$\mathcal{E}_0 = \frac{m^2 c^3}{e \hbar} = 1.323285 \cdot 10^{16} \text{V/cm} \quad B_0 = 4.414005 \cdot 10^9 \text{T}$$

What are the invariants?



$$\chi^2 = \frac{(F_{\mu\nu}p^{\nu})^2}{m^2c^4\mathcal{E}_0^2}$$

In terms of electric and magnetic fields:

$$\chi^2 = \frac{1}{\mathcal{E}_0^2 m^2 c^4} ((\boldsymbol{p}c \times \boldsymbol{B} + E \cdot \boldsymbol{\mathcal{E}})^2 - (\boldsymbol{p}c \cdot \boldsymbol{\mathcal{E}})^2)$$

A particle moving perpendicularly to a purely electric/magnetic field:

$$\chi = \frac{\gamma \mathcal{E}}{\mathcal{E}_0} \qquad \qquad \Upsilon = \frac{2\hbar\omega_c}{3E_0} = \gamma \frac{B}{B_0}$$

$$\mathcal{E}_0 = \frac{m^2 c^3}{e\hbar} = 1.323285 \cdot 10^{16} \text{V/cm} \quad B_0 = 4.414005 \cdot 10^9 \text{T}$$