



Ideas on low noise preamp with controlled Z_i

Outline

I. Requirements

II. Noise

III. Feedback amplifiers

IV. Cable coupled

I. Specifications

PMT gain must be reduced by a factor 4-5

	Value	Comments
Energy range	0-10 GeV/c (ECAL)	1-3 Kphe / GeV
Calibration	4 fC / 2.5 MeV / ADC cnt	4 fC input of FE card: assuming 25 Ω clipping at PMT base 12 fC / ADC count if no clipping
Dynamic range	4096-256=3840 cnts :12 bit	Enough? New physic req.? Pedestal variation?
Noise	$\ll 1$ ADC cnt or ENC $< 5 - 6$ fC	< 1 nV/$\sqrt{\text{Hz}}$?
Termination	$50 \pm 5 \Omega$	Passive vs. active
AC coupling	Needed	Low freq. (pick-up) noise
Baseline shift prevention	Dynamic pedestal subtraction (also needed for LF pick-up)	How to compute baseline? Number of samples needed?
Max. peak current	4-5 mA over 25 Ω	50 pC charge at PMT output
Spill over correction	Clipping	Residue level: 2 % \pm 1 % ?
Spill over noise	\ll ADC cnt	Relevant after clipping?
Linearity	$< 1\%$	
Crosstalk	$< 0.5 \%$	
Timing	Individual (per channel)	PMT dependent

II. Noise computation

- Total noise power (or variance) at the output preamplifier (gain A , time constant τ) + integrator (time constant τ_i , integration time T):

$$\psi_{white}^2(t_0 = t_1 + T) = \frac{1}{2} e_{niwhite}^2 \left(\frac{A}{\tau_i} \right)^2 \left(T - \tau \left(1 - e^{-\frac{T}{\tau}} \right) \right) \approx \Big|_{T \gg \tau} \frac{1}{2} e_{niwhite}^2 \left(\frac{A}{\tau_i} \right)^2 T$$

- Signal at the end of integration (τ_s is signal decay time):

$$v_o(t = T) = R_{PMT} \frac{A}{\tau_i} Q \left(1 - e^{-\frac{T}{\tau_s}} \right) \approx \Big|_{CLIPPING} R_{PMT} \frac{A}{\tau_i} Q$$

- Then, for $\sqrt{\text{noise power}} = \text{signal of } Q_{LSB}$

$$e_{niwhite} < \frac{R_{PMT} Q_{LSB}}{\sqrt{T/2}} \approx \frac{17\Omega \cdot 5 fC}{\sqrt{25ns/2}} \approx 0.75 \frac{nV}{\sqrt{Hz}}$$

Clipping impedance // 50 Ω

- For a line adaptation (50 Ω) noise requirement is relaxed to 2 nV/ \sqrt{Hz}
- Additional shaping (delay line int. reset or any high pass filter) was not taken into account, it will improve (a little bit): LF is removed

III. Feedback amplifiers

- Electronically cooled termination:
 - Transimpedance amplifier
 - Charge amplifier if clipping in base

$$Z_i(j\omega) \approx R_f \frac{\frac{GBW}{G_0} + j\omega}{GBW} \approx \begin{cases} \frac{R_f}{G_0} & \frac{GBW}{G_0} \ll \omega \end{cases}$$

- Dominant pole of the amplifier should be higher than BW of the signal $\frac{GBW}{G_0} \equiv \omega_d \gg BW$

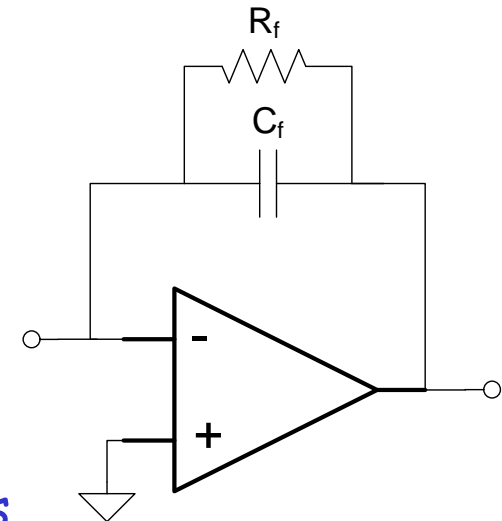
- Input impedance is inductive: stability

- Low noise:

- Amplifier can be optimized
- R_f contributes to parallel noise, if large enough it is negligible

- Input impedance depend on open-loop properties of the amplifier:

- Can controlled to the few % level in ASIC

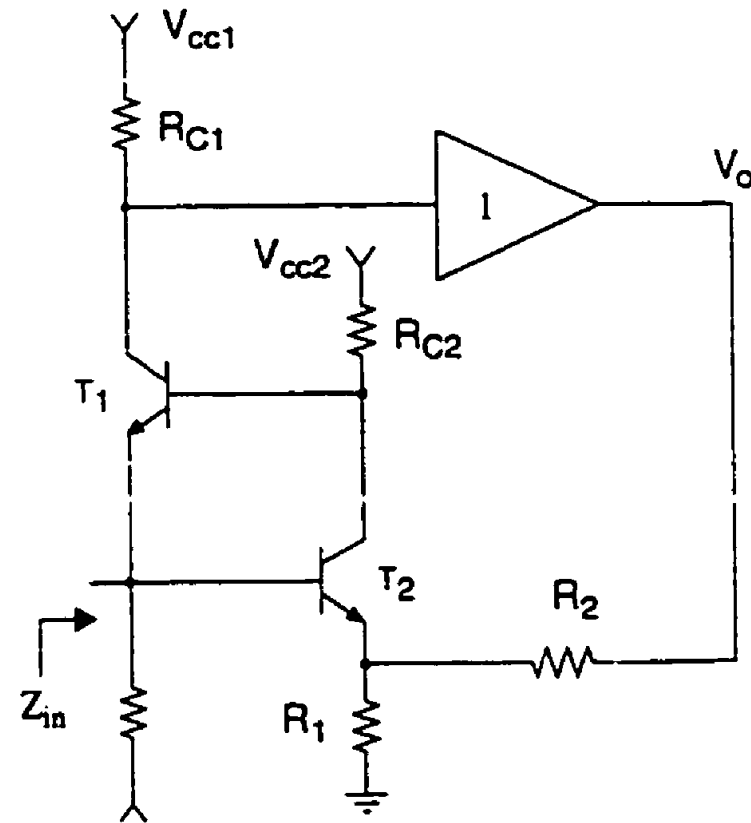


IV. Cable coupled amplifier (ATLAS LAr style)

- Common gate with double feedback
 - Inner loop to reduce input impedance preserving linearity and with low noise
 - Outer loop to control the input impedance accurately

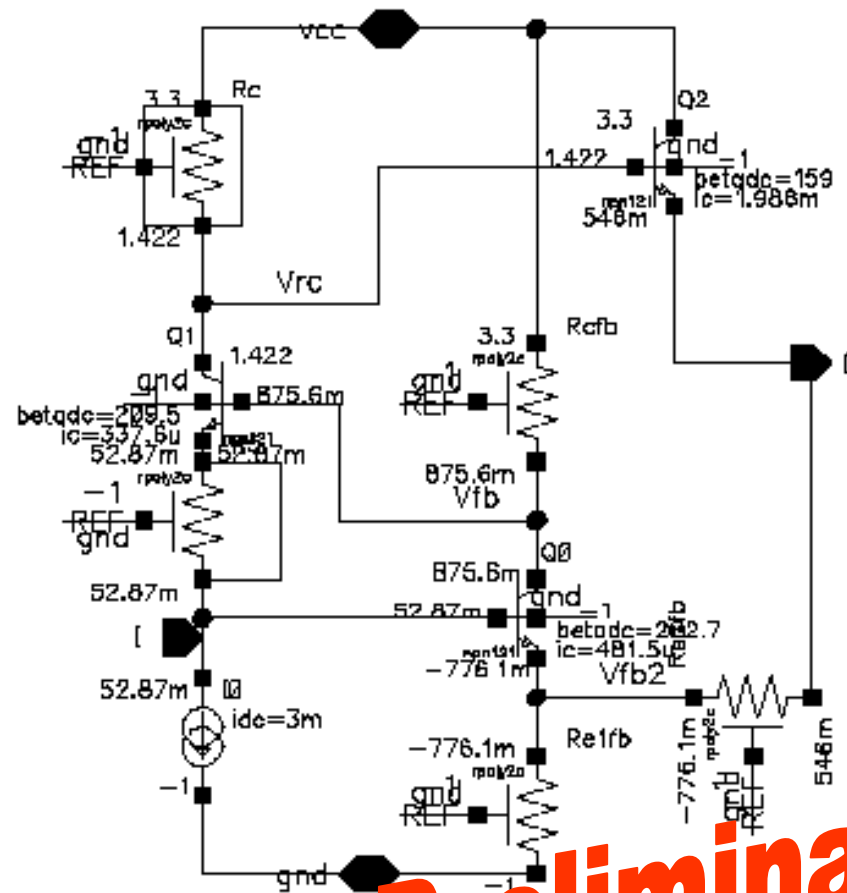
$$Z_i(j\omega) \approx \frac{1/g_{m1}}{G} + R_{C1} \frac{R_1}{R_1 + R_2}$$

- Transimpedance gain is given by R_{C1}
- Noise is $< 0.5 \text{ nV}/\sqrt{\text{Hz}}$
 - Small value for R_1 and R_2
 - Large g_{m1} and g_{m2}



IV. Cable coupled amplifier

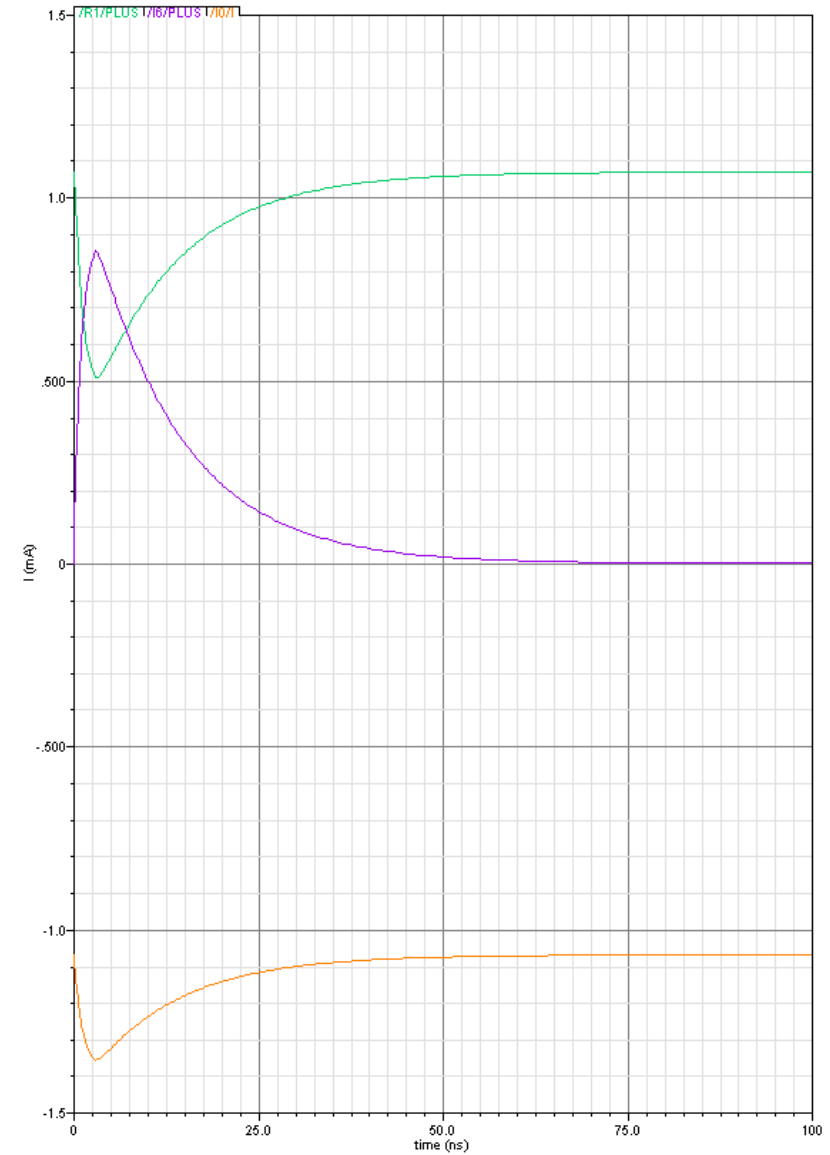
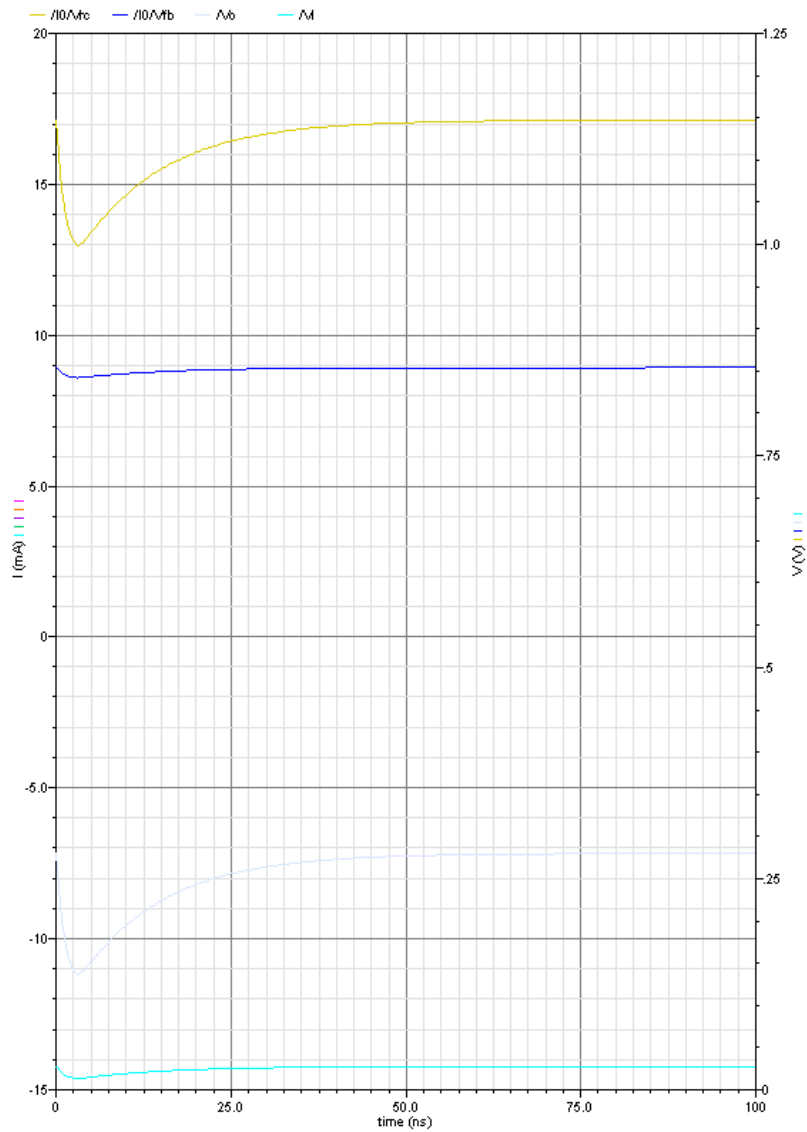
- Some simulations in SiGe 0.35 μm CMOS (AMS)



Preliminary (very)

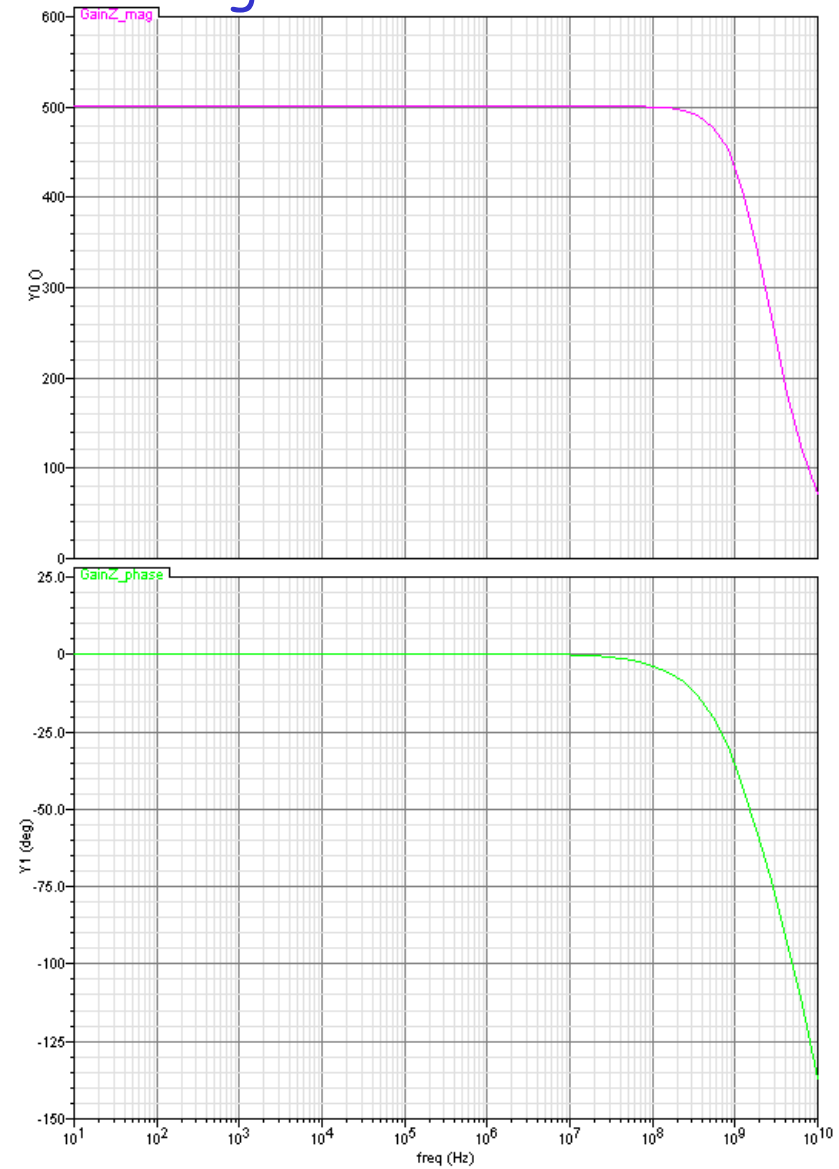
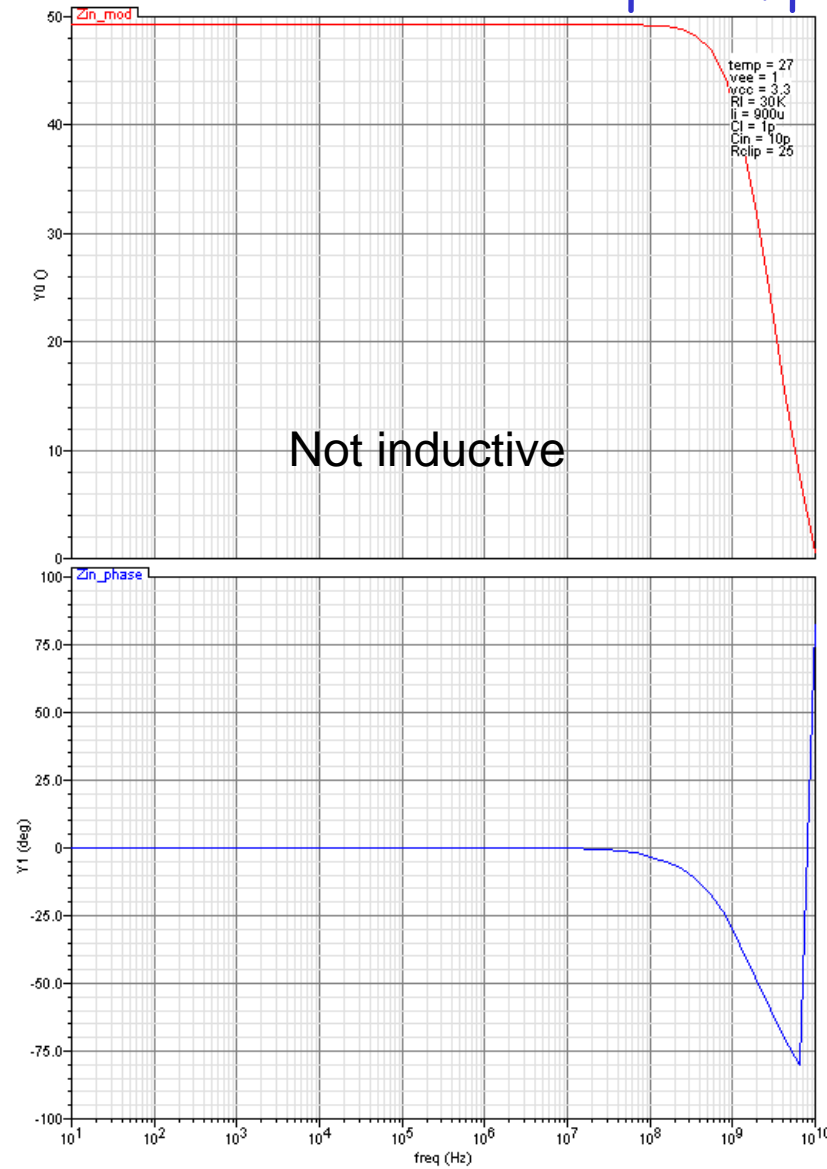
IV. Cable coupled amplifier

- Transient simulation



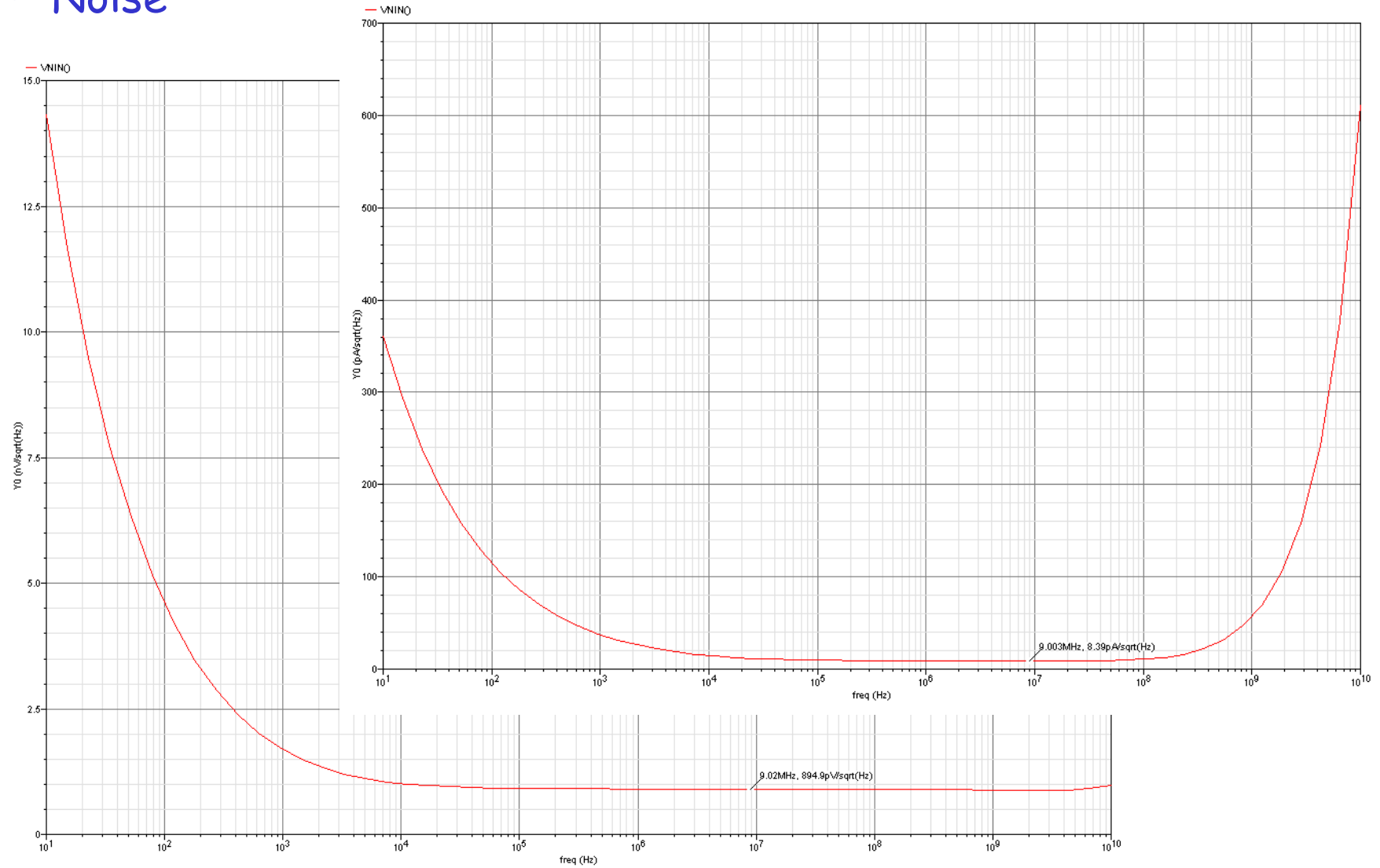
IV. Cable coupled amplifier

- Input impedance and gain



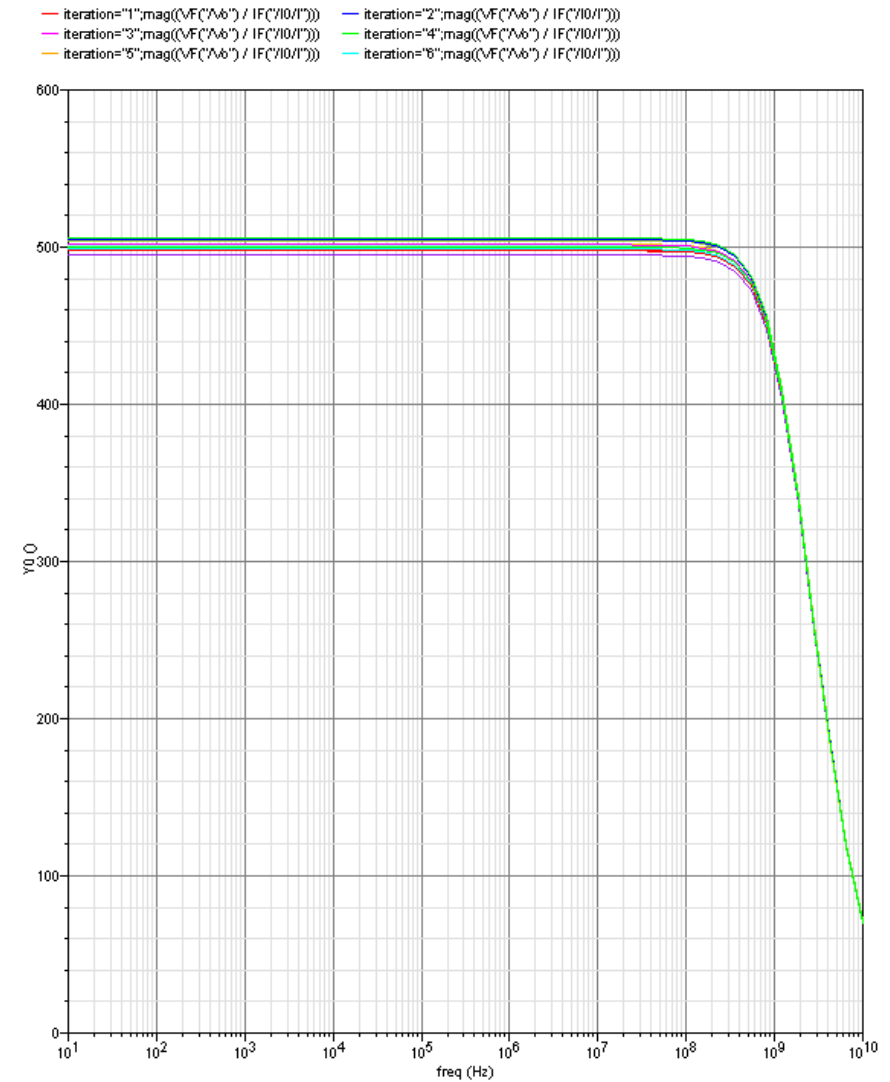
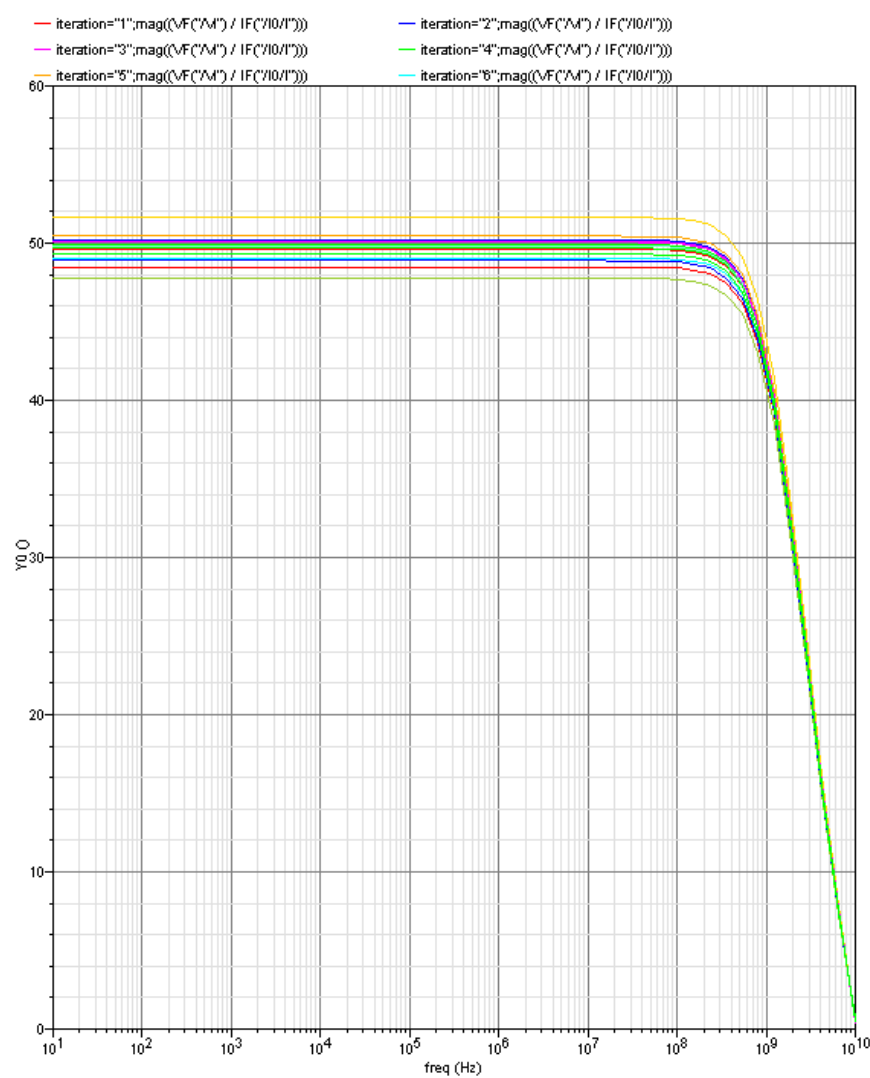
IV. Cable coupled amplifier

- Noise



IV. Cable coupled amplifier

- Monte Carlo: Mismatch: no problem



IV. Cable coupled amplifier

- Process variations: >5% effect, but can be compensated (whole production run)

