

Detector Design and R&D for the Next Generation of $e^+ e^-$ Colliders

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Physics Requirements and
Experimental Conditions

Vertexing and Tracking

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Calorimetry at a Future
Electron-Positron Collider

Detector Design for a Future
Electron Positron Collider

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Physics Requirements and Experimental Conditions

Detectors at a future e^+e^- collider will face different challenges compared to those at LEP and LHC. The distinctive feature of LC physics is precision for a large variety of measurements (spectroscopy, searches, rare decays, EW observables, ...) to be performed over a broad energy range (~ 0.25 TeV – 3 TeV);

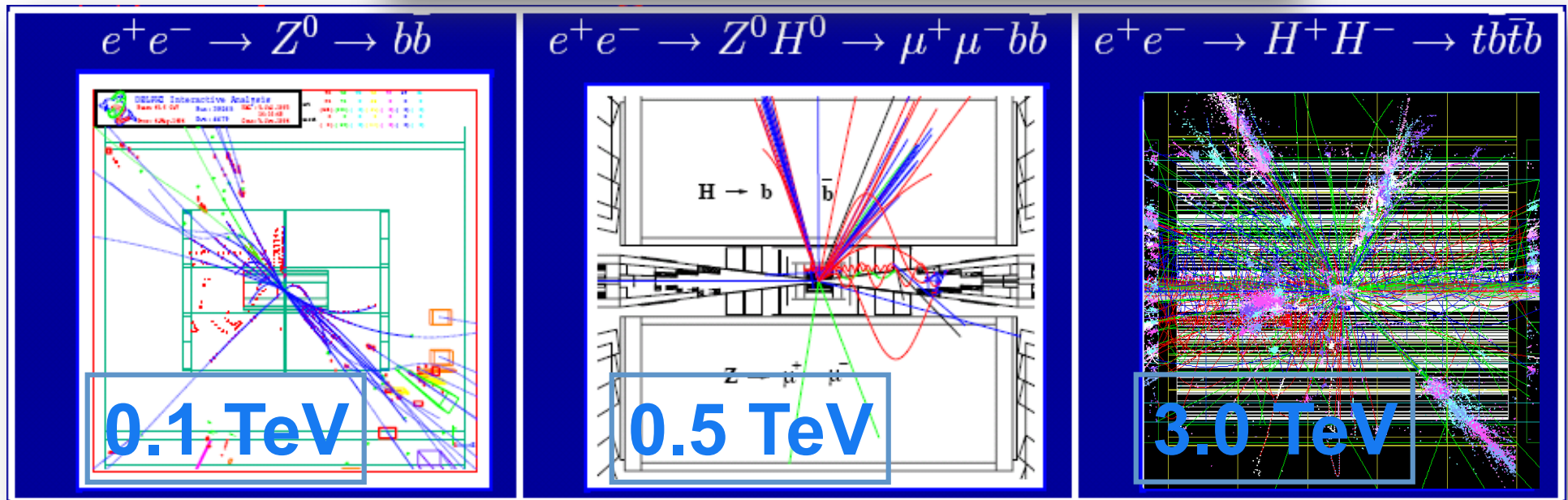
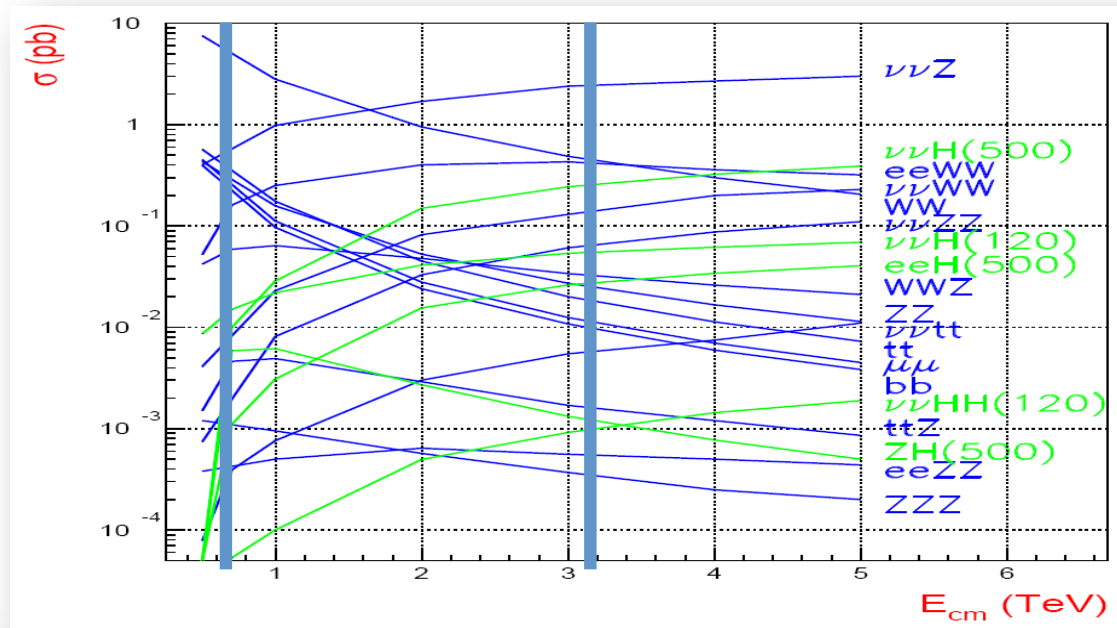
Background fluxes are lower compared to LHC and novel detector technologies and event reconstruction techniques can be exploited;

Main paths of LC-directed R&D towards detectors which have substantially lower material budget and higher (space or space-time) granularity compared to those developed for the LHC;

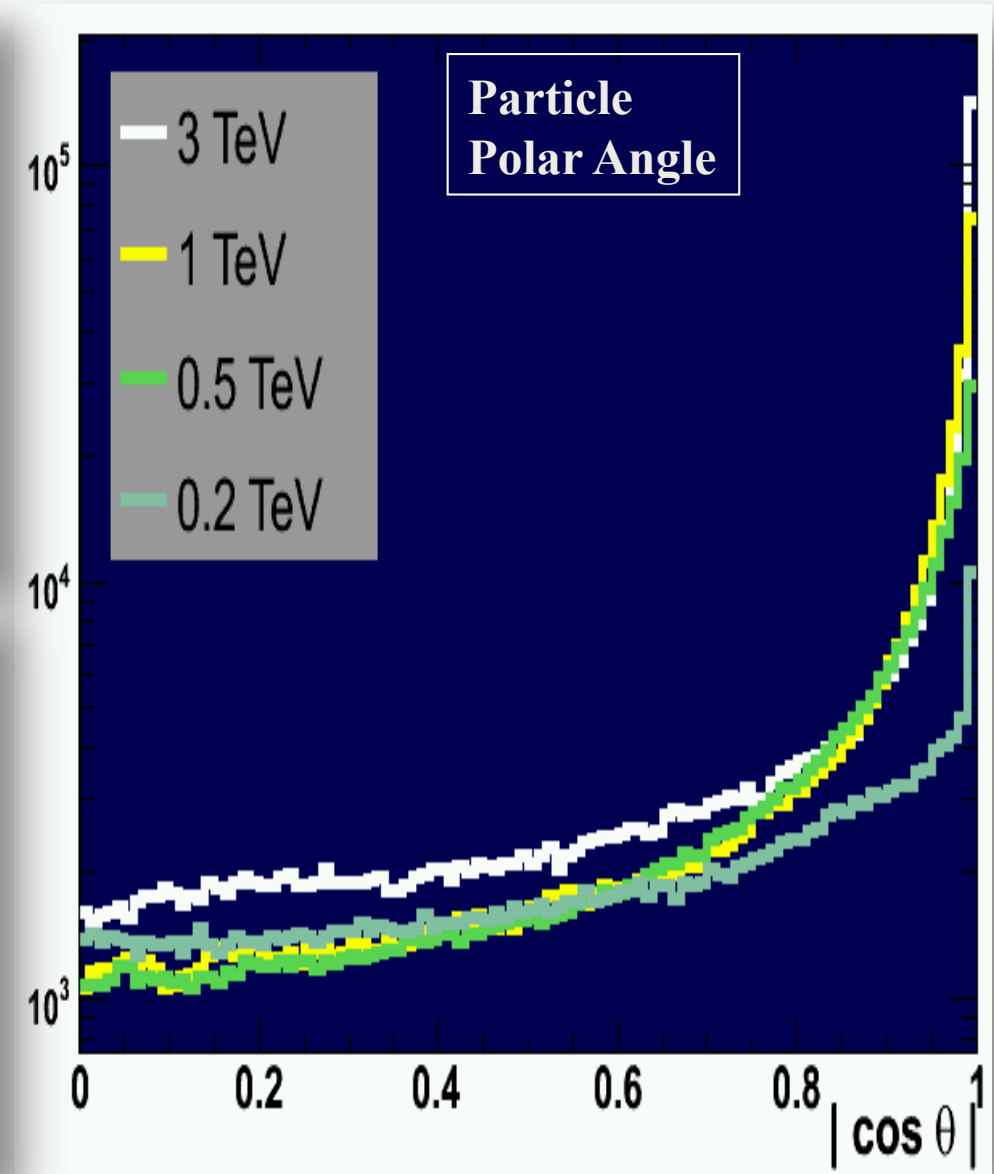
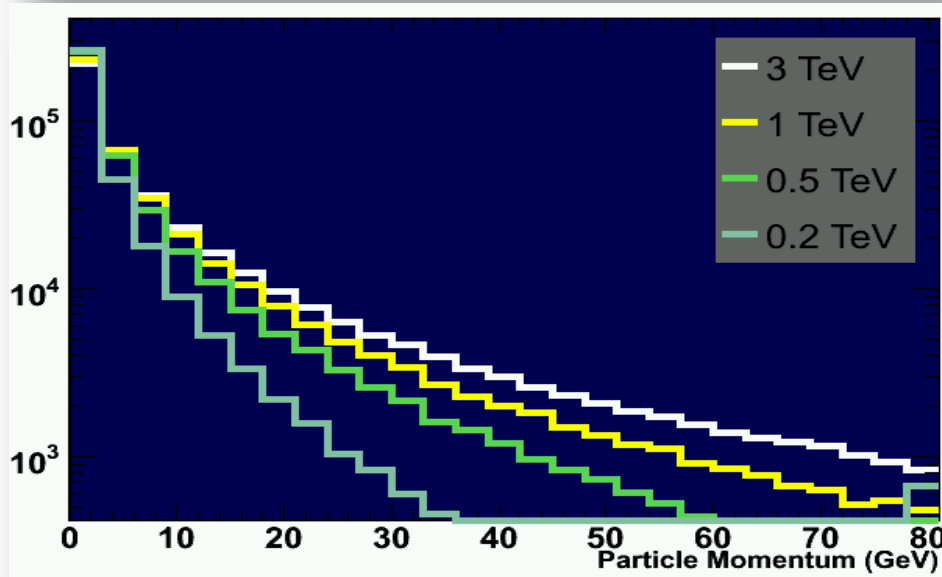
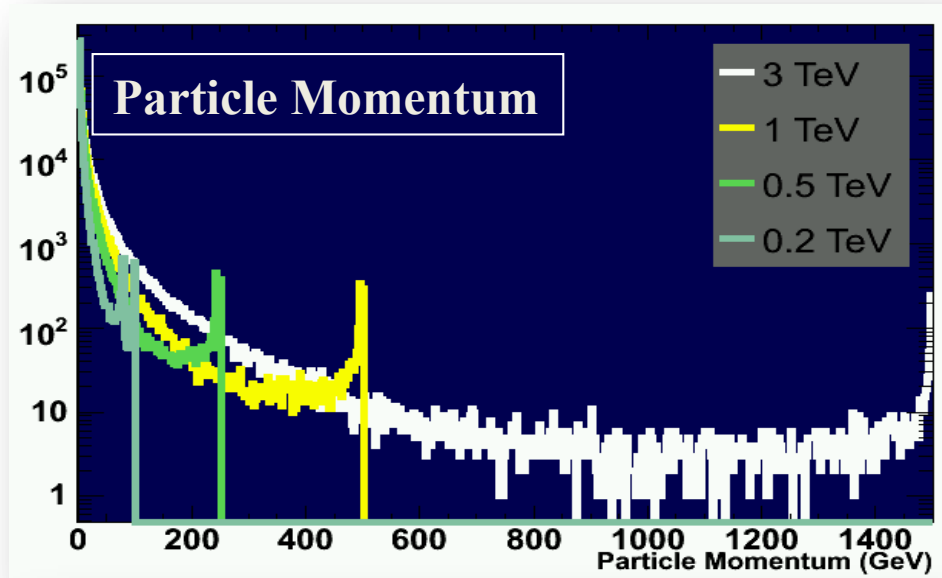
Sensor R&D motivated by ILC program has already found important applications in other HEP projects and fields of science outside accelerator particle physics;

How is physics changing from 0.2 to 3.0 TeV ?

$\sigma(\text{pb})$ for
SM Processes
vs. E_{cm} (TeV)



Observables from 0.2 TeV to 3 TeV (SM EvtS)



Observables from 0.2 TeV to 3 TeV (SM Evts)

Jet Multiplicity

\sqrt{s} (TeV)	0.09	0.20	0.5	0.8	3.0	5.0
$\langle N_{Jets} \rangle$	2.8	4.2	4.8	5.3	6.4	6.7

Parton Energy

\sqrt{s} (TeV)	0.2	0.5	1.0	3.0
$\langle E_{Parton} \rangle$ (GeV)	32	64	110	240

B Hadron Decay Distance

\sqrt{s} (TeV)	0.09	0.2	0.35	0.5	3.0
Process	Z^0	HZ	HZ	HZ	H^+H^- $b\bar{b}$
d_{space} (cm)	0.3	0.3	0.7	0.85	2.5 9.0

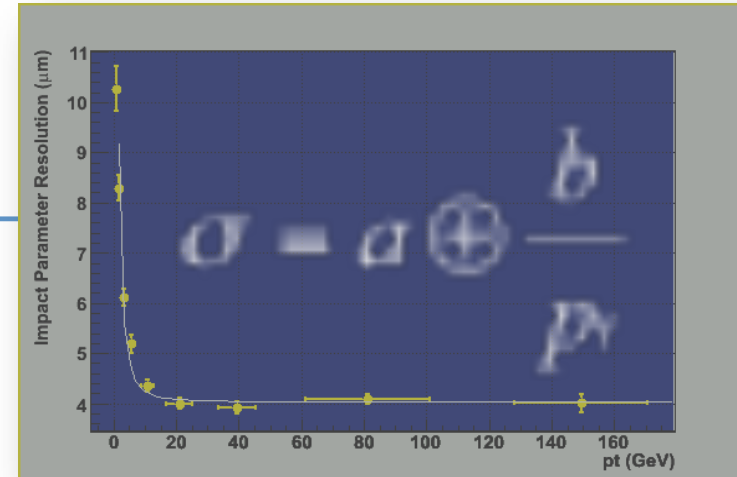
Requirements for a LC Vertex Tracker

Asymptotic

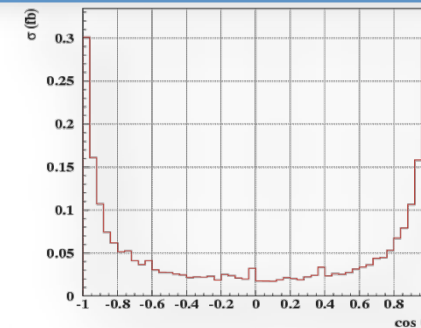
I.P. Resolution [a]

Multiple Scattering

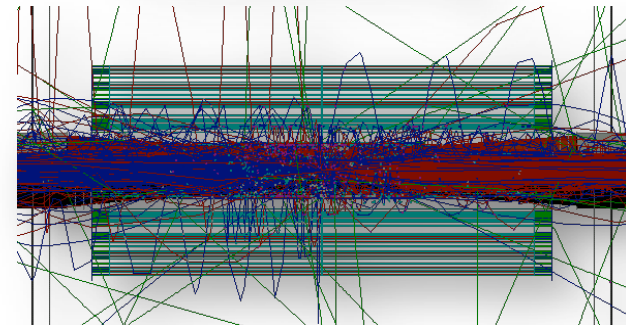
I.P. Term [b]



Polar Angle Coverage



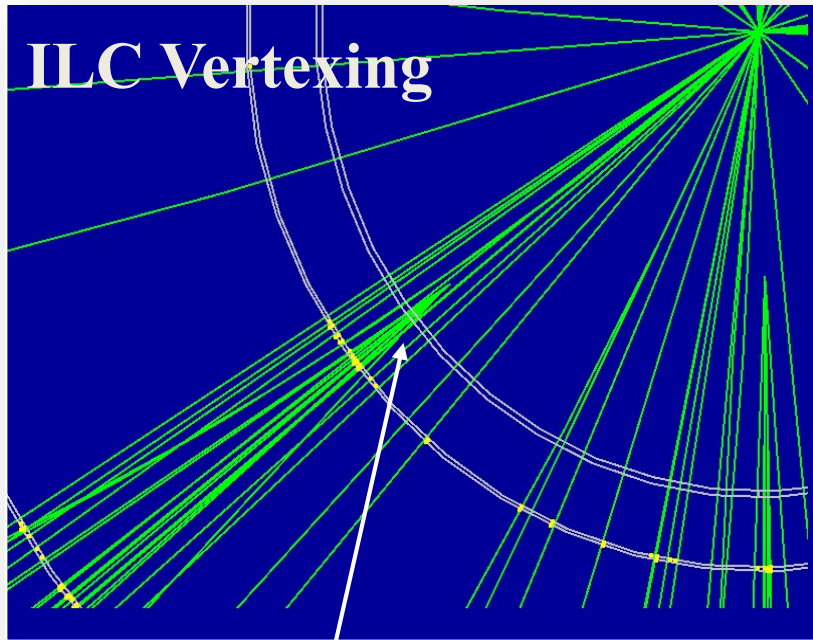
Space - Time
Granularity



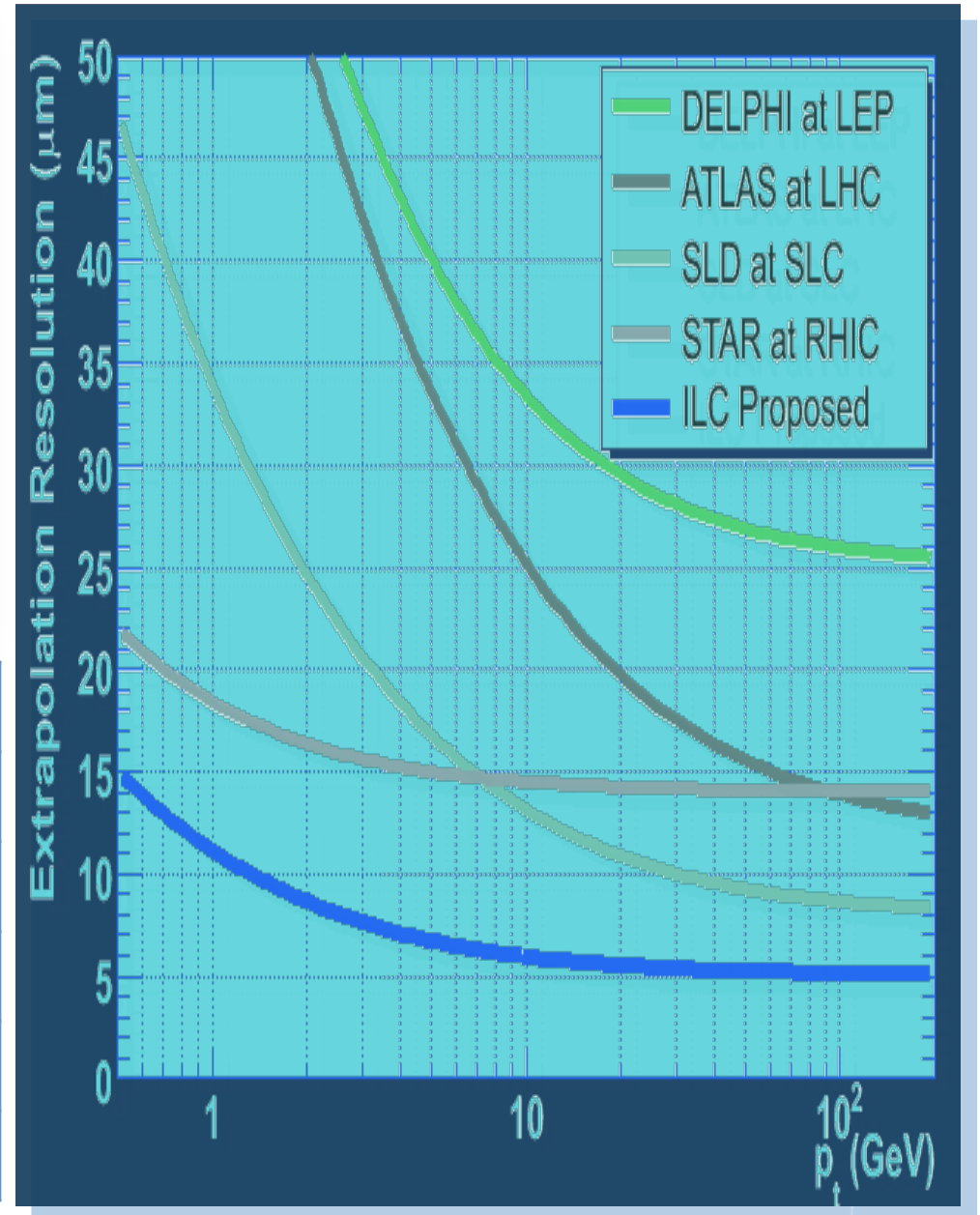
The Physics Matrix

	Testing the SM	Understanding New Physics	Probing the TeraScale
Asymptotic I.P. resolution (a)	$H_{SM} \rightarrow bb, \tau\tau, \mu\mu$ $e^+e^- \rightarrow HHZ, HH\nu\nu$	$HA \rightarrow bbbb$ $\tau_1\tau_1 \rightarrow \tau\tau\chi\chi$ $H^- \rightarrow \tau\nu$	
Multiple Scattering I.P. Term (b)	$H_{SM} \rightarrow cc, gg$ $e^+e^- \rightarrow HHZ$	CP violation H^- $\tau_1\tau_1 \rightarrow \tau\tau\chi\chi$	$\sigma(e^+e^- \rightarrow bb, cc)$
Polar Angle Coverage	A_{FB}		$e^+e^- \rightarrow HHZ, HH\nu\nu$

Track Extrapolation Resolution at 0.3-0.5 TeV



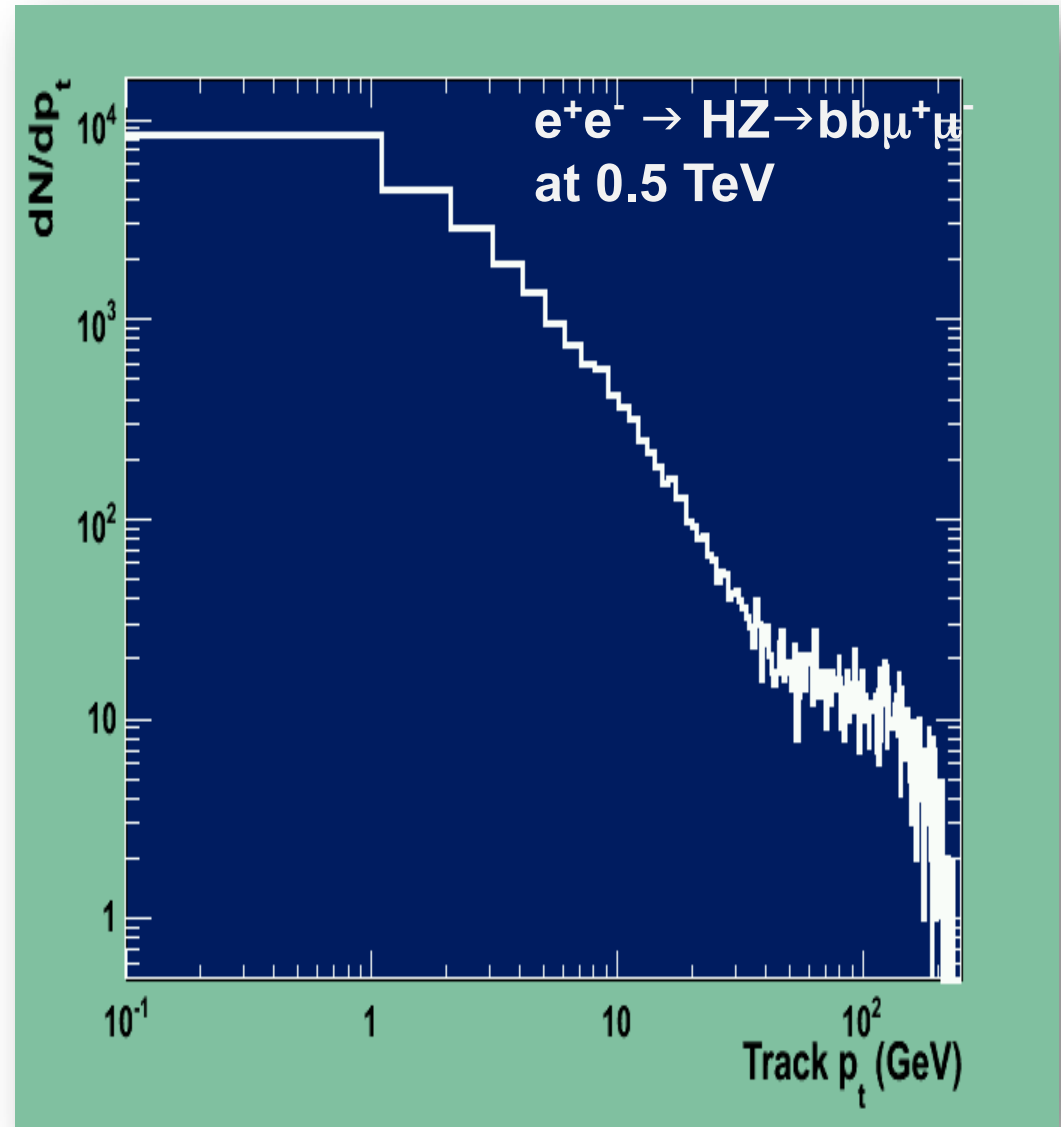
$\sigma_{ip} = a \oplus b / p_t$	a (μm)	b ($\mu\text{m}/\text{GeV}$)
LEP	25	70
SLD	8	33
LHC	12	70
RHIC II	14	12
ILC	5	10



Multiple Scattering Term

Despite large centre-of-mass energies, most charged particles are produced with rather moderate energies: interesting processes have large jet multiplicity (4 and 6 parton processes + hard gluon radiation) or large missing energies WW and ZZ fusion processes and SUSY with conserved R-parity;

Excellent track extrapolation at low momenta essential for sec. particle track counting, scenarios with very soft single prongs.



b and c Tagging vs. Extrapolation Resolution

Study change in efficiency of b & c tagging in Z^0 -like flavour composition

Geometry	σ_{IP} (μm)		
ILC	$5 \oplus 10 / p_t$	b purity=0.9	$\epsilon_b = 0.75$
“LHC”	$12 \oplus 70 / p_t$	b purity=0.9	$\epsilon_b = 0.25$
Geometry	σ_{IP} (μm)		
R_{in} 1.2 cm	$4 \oplus 7 / p_t$	c purity=0.7	$\epsilon_c = 0.49$
↓ 2.1 cm	$5.5 \oplus 14 / p_t$		$\epsilon_c = 0.40$
HPS	$11 \oplus 15 / p_t$	c purity=0.7	$\epsilon_c = 0.29$

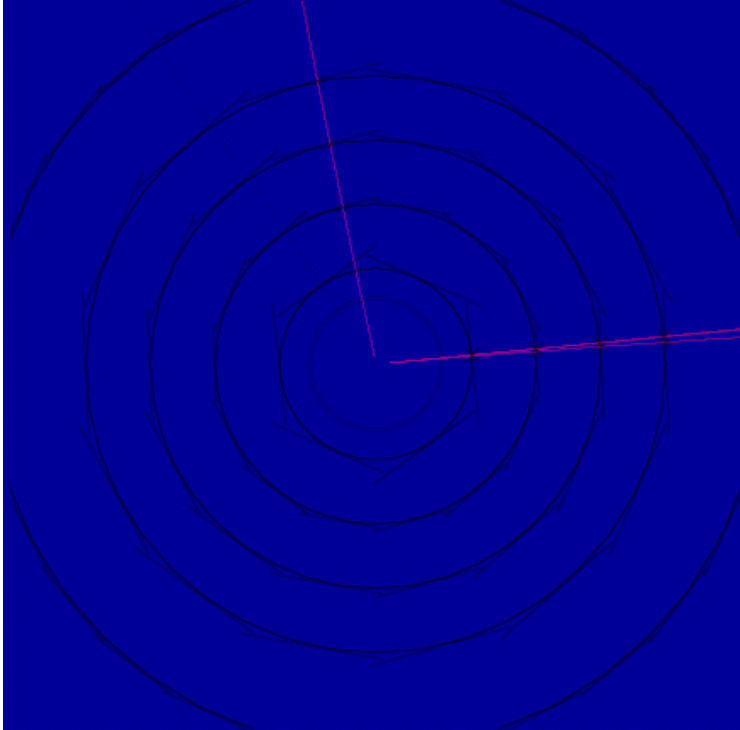
Total efficiency = ϵ^N with N = number of jets to be tagged

R Hawking,
LC-PHSM-2000-021

$$e^+e^- \rightarrow H^0 Z^0, H^0 \nu\nu; H^0 \rightarrow \tau^+\tau^-, \mu^+\mu^-$$

Fundamental test of Higgs mechanism requires verifying that its couplings to fermions scale as fermion masses, not only LC can do this to limiting δm_f accuracy for quarks but can also perform first test in leptonic sector;

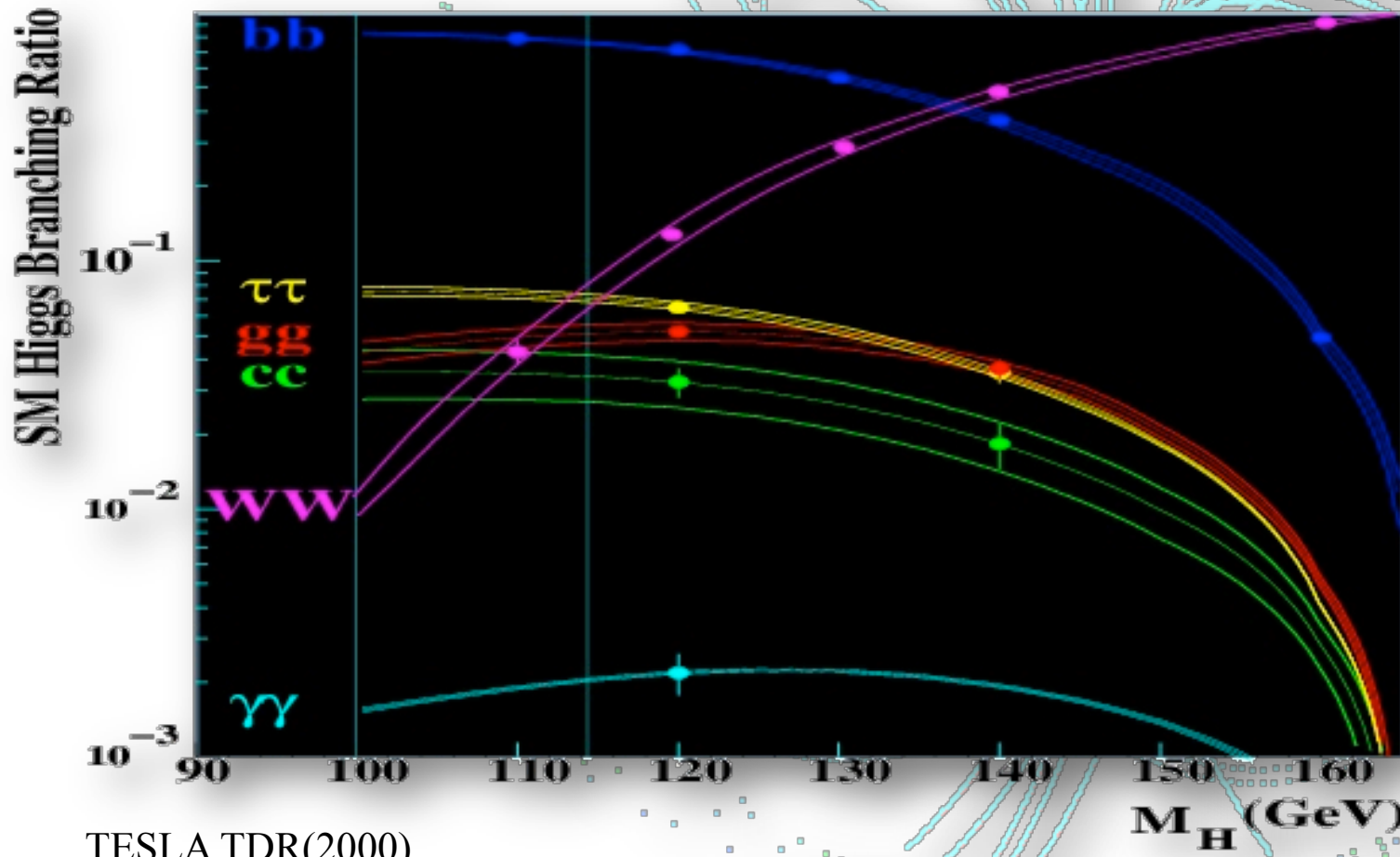
$e^+e^- \rightarrow Z^0 H^0, H^0 \rightarrow \tau^+\tau^-$ at 0.35 TeV



Vertex Tracker plays major role to tag leptons, improve $\delta p/p$ for ms; essential excellent single point resolution for stiff, closely collimated (τ) or isolated (τ, μ) particle tracks;

$H^0 \rightarrow bb, cc, gg$ at 0.3 - 0.5 TeV

Determination of Higgs hadronic branching fractions, one of the most crucial tests of the Higgs mechanism of mass generation and unique to the LC: experimental accuracy needs to match theory uncertainties and probe extended Higgs sector models;

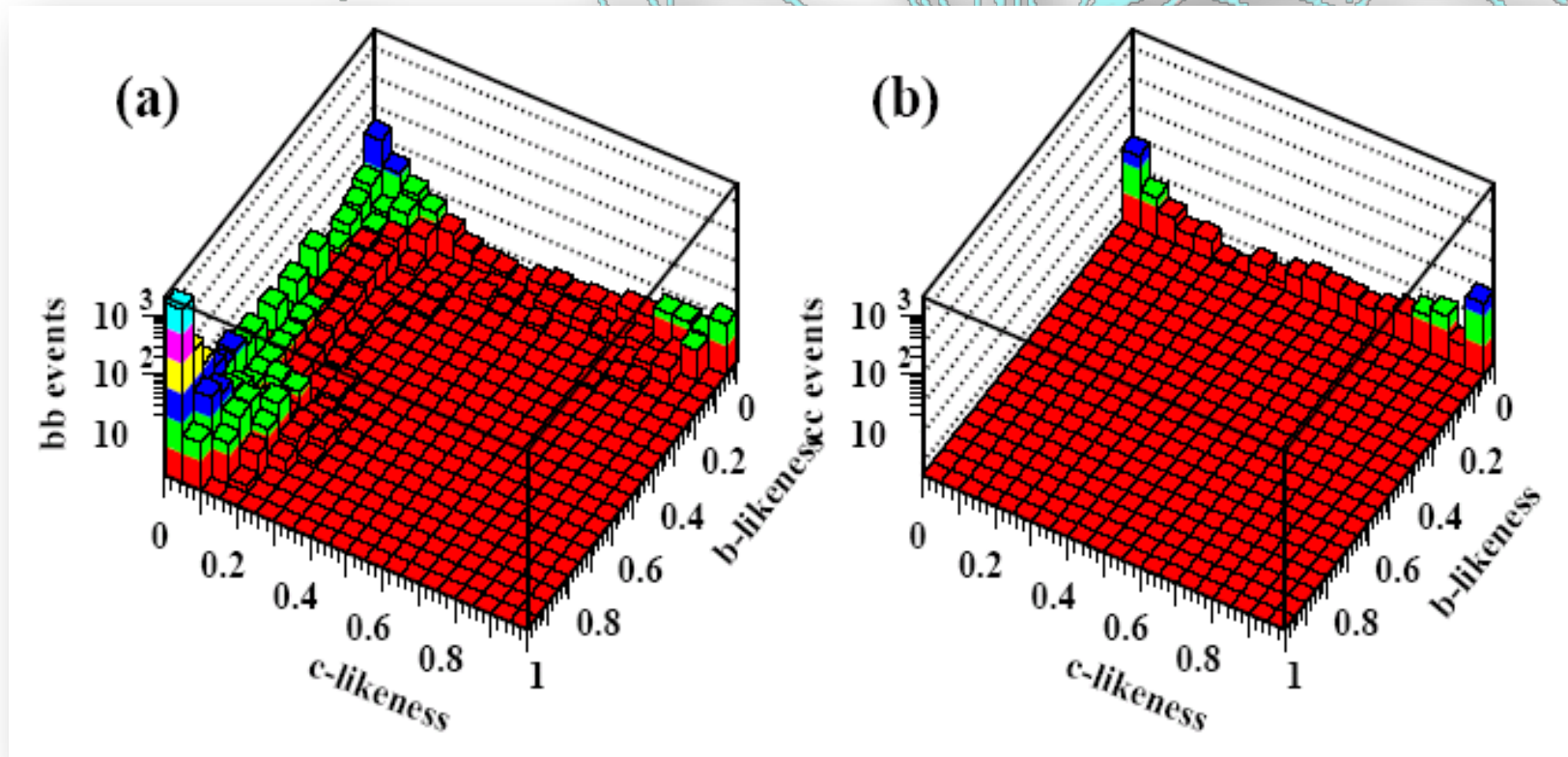


TESLA TDR(2000)

BR($H^0 \rightarrow bb, cc, gg$) at 0.3 – 0.5 TeV

Light Higgs boson offers opportunity and challenge: couplings to b, c and t quark accessible, but need to tag **b**, **c**, **light** jets with **70 : 3 : 7** ratio in signal.

Fit response of jet flavour tagging based on tracking and vertexing variables:



BR($H^0 \rightarrow bb, cc, gg$) at 0.3 - 0.5 TeV

Channel	Change	Rel. Change in BR Stat. Uncertainty
$H \rightarrow bb$	<u>Geometry:</u> 5 \rightarrow 4 layer VTX	+ 0%
$H \rightarrow cc$	<u>Thickness:</u> 50 $\mu\text{m} \rightarrow$ 100 μm	+15%
$H \rightarrow gg$		+ 5%
$H \rightarrow cc$	<u>σ_{point}:</u> 2 $\mu\text{m} \rightarrow$ 6 μm	+20%
$H \rightarrow cc$	<u>Thickness:</u> 50 $\mu\text{m} \rightarrow$ 100 μm	+15%

Degradation in performance correspond to 20-40%
equivalent Luminosity loss.

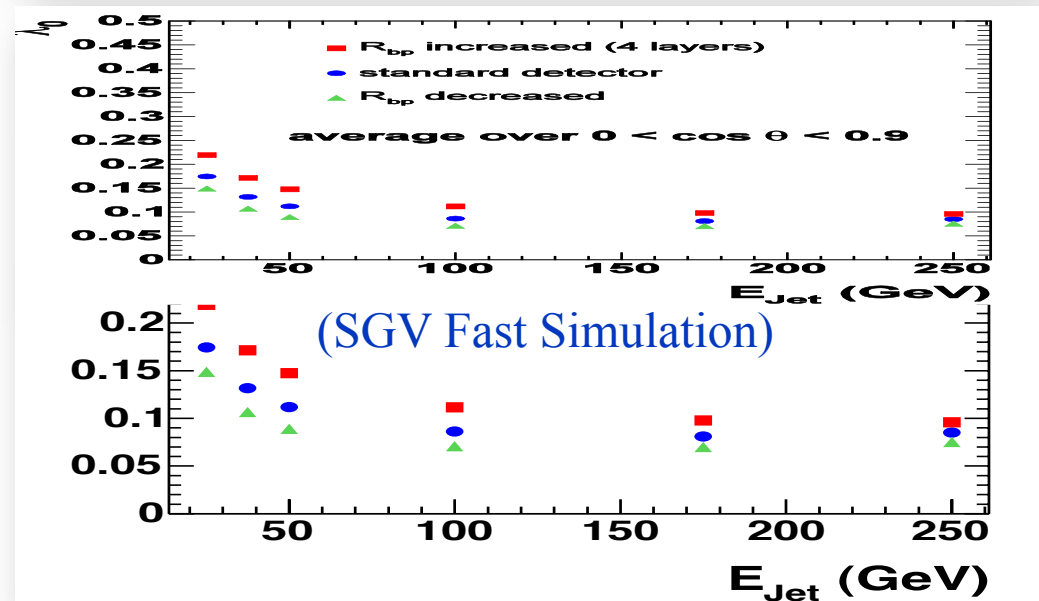
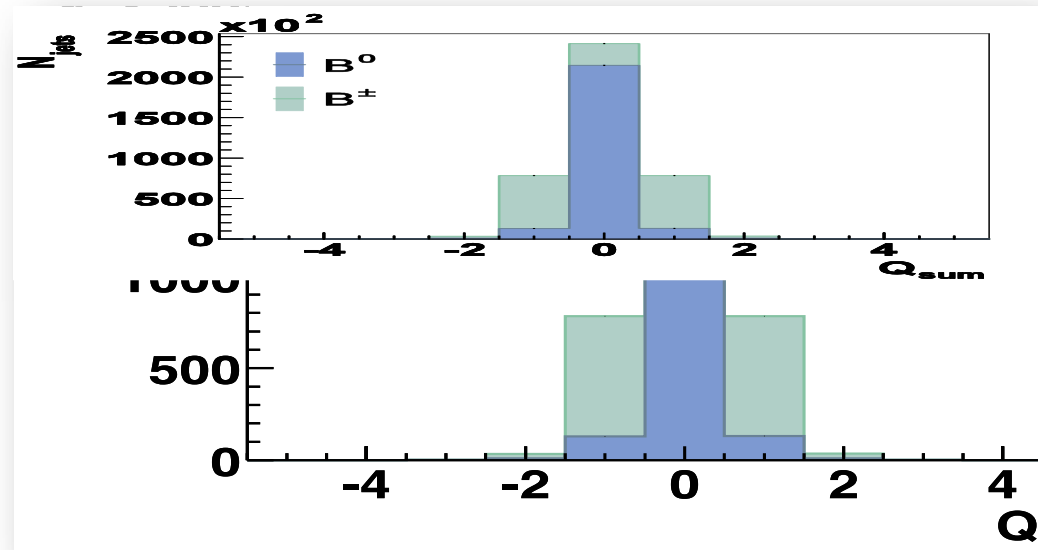
Yu et al.
J. Korean Phys. Soc. 50 (2007);
Kuhl, Desch
LC-PHSM-2007-001;
Ciborowski, Luzniak
Snowmass 2005

Vertex Charge

Vertex charge algorithms very promising for q-anti q discrimination of b and c jets (jet pairing, A_{FB} , ...) based on charge of secondaries at reconstructed vertex;

Vertex charge extremely sensitive to correct secondary particle tags: any mistake changes result by ± 1

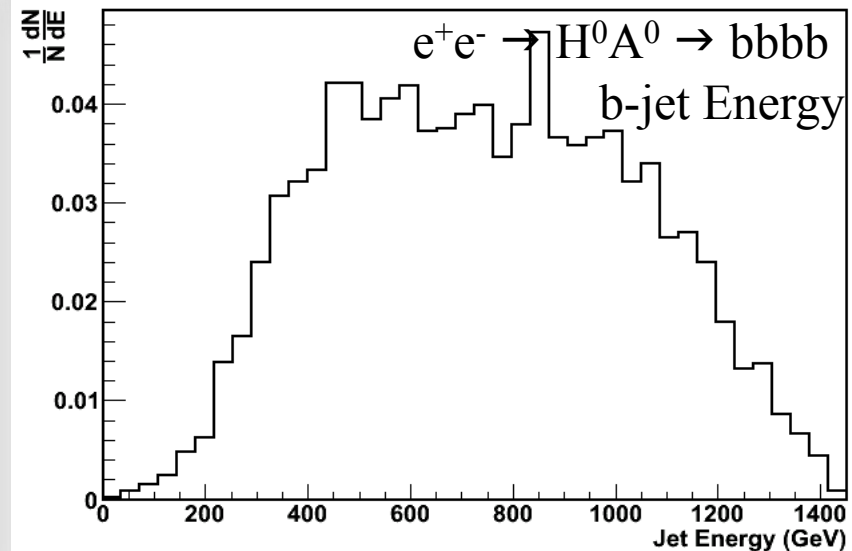
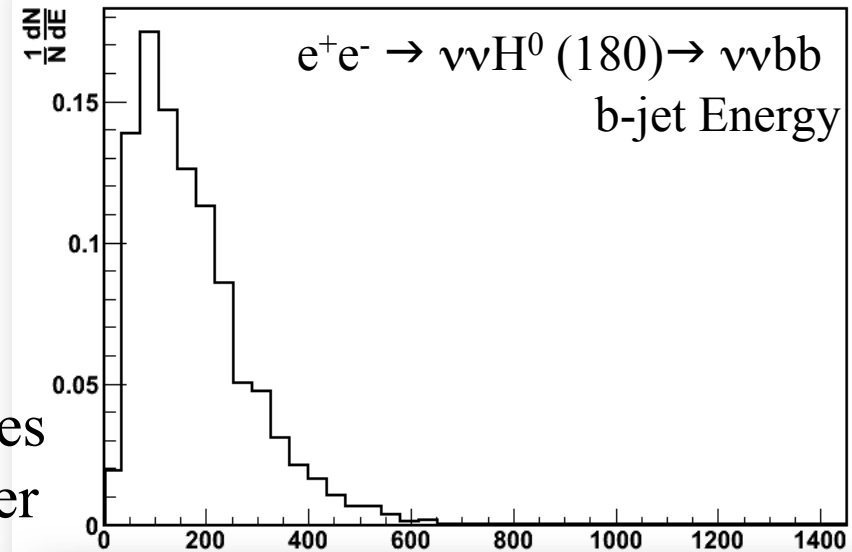
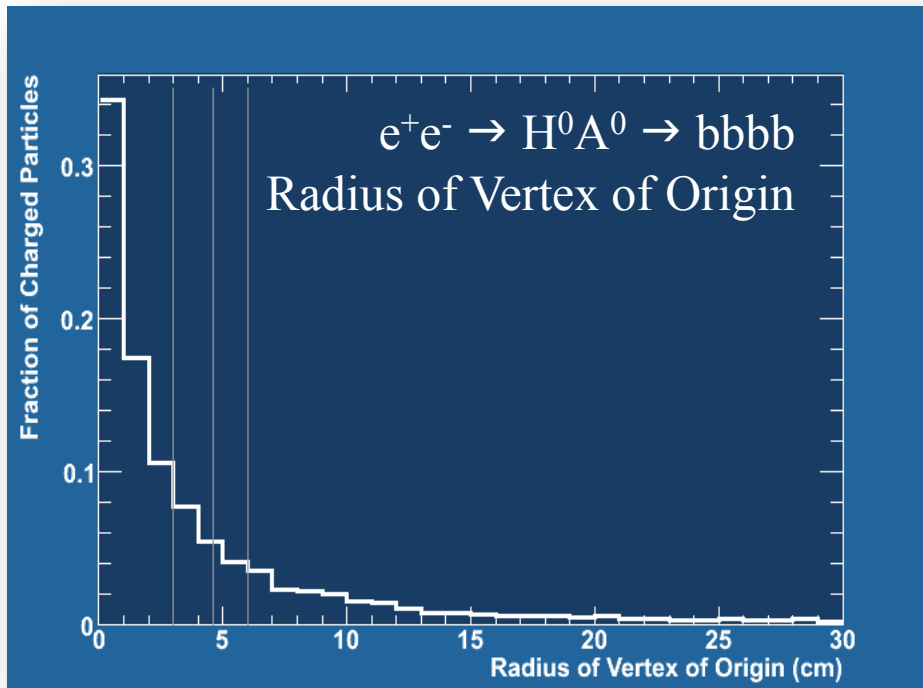
Benchmark vertex charge performance using $P(B^0 \rightarrow B^\pm)$:



Track Extrapolation Resolution at 1.0-3.0 TeV

Broad range of b-jet energies of interest:
 $\sim 0.1 \rightarrow 1.5$ TeV;

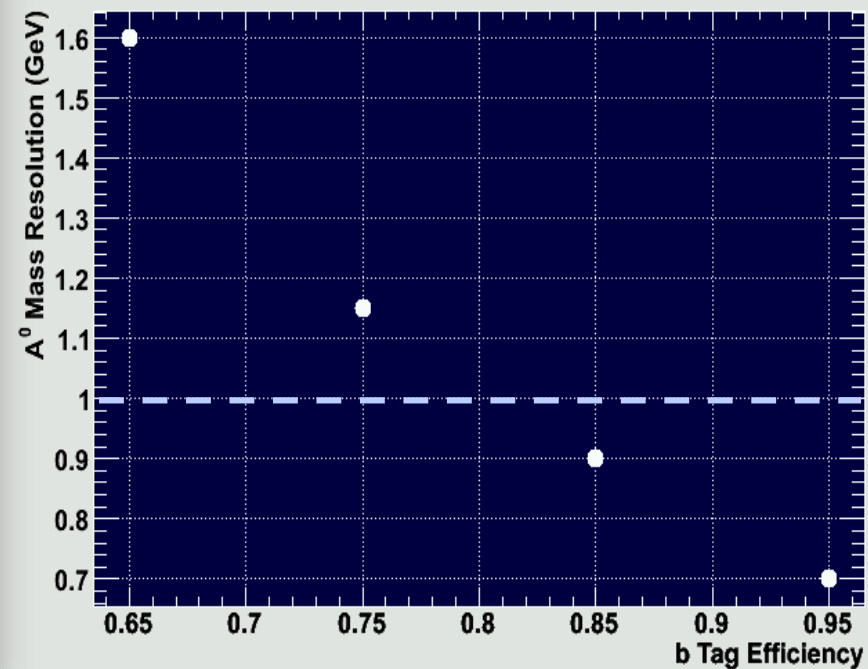
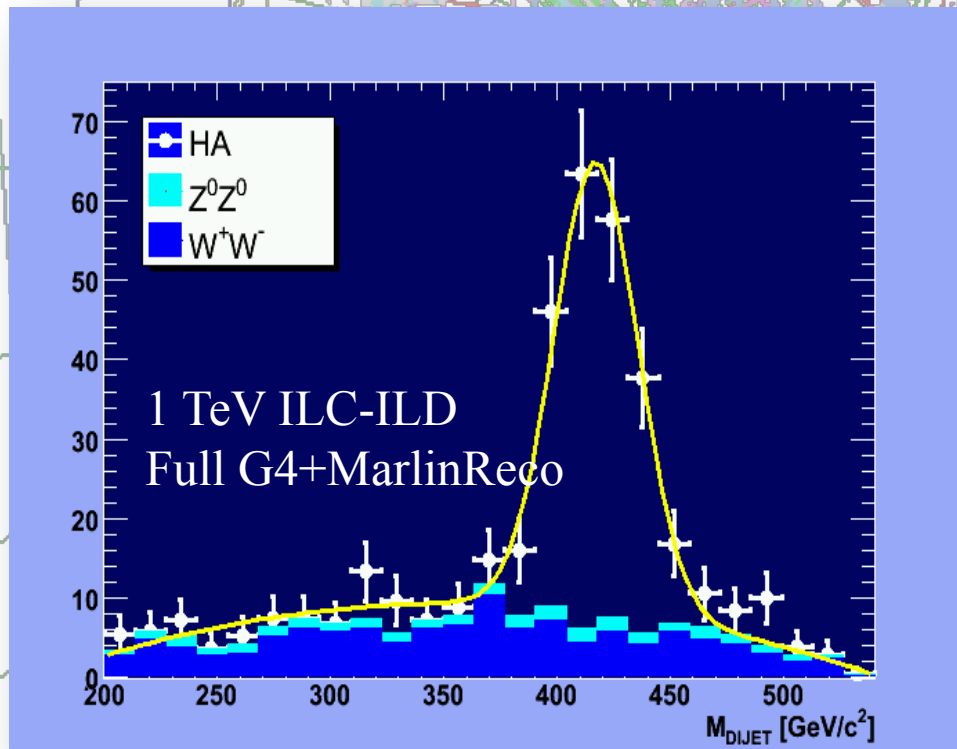
Long lived hadrons in b-jets acquire significant flight distance: in four jet 3 TeV events over 1/3 of charged particles with $p > 1$ GeV decay after first VTX layer



$e^+e^- \rightarrow H^0 A^0 \rightarrow b\bar{b}b\bar{b}, \tau^+\tau^-b\bar{b}$ at 1 TeV

LC unique to achieve the $<1\%$ accuracy on the A^0 mass needed to predict Ω_χ matching CMB WMAP precision;

Need to tag $b\bar{b}b\bar{b}$ final state high efficiency ($\sigma_{HA} \sim 1\text{fb}$ and 4b jets to tag) and small misid ($\sigma_{\text{bkg}}/\sigma_{\text{signal}} \sim 4 \times 10^3$), τ tagging important to fix additional SUSY parameters:

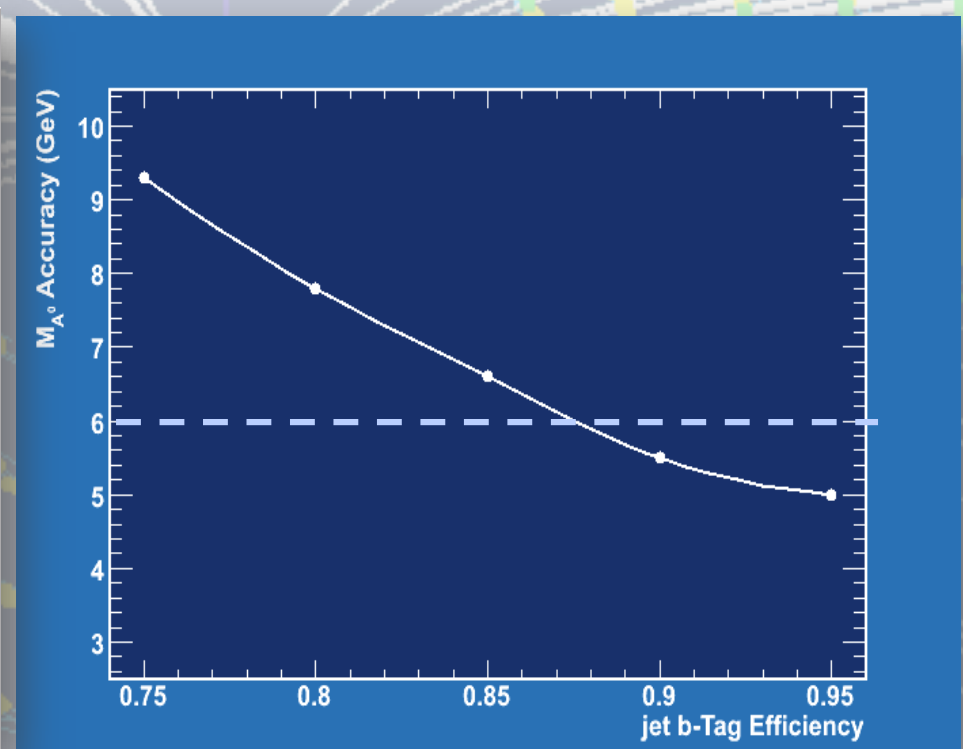
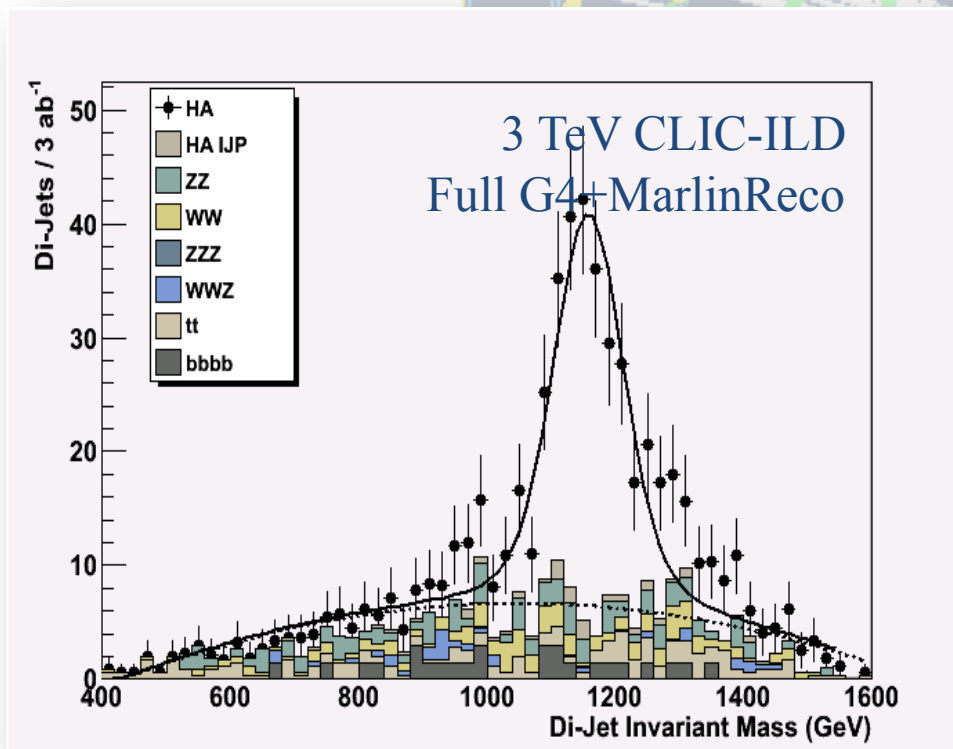


$e^+e^- \rightarrow H^0 A^0 \rightarrow bbbb, \tau^+\tau^-bb$ at 3 TeV

SUSY heavy Higgs boson expected to be a genuine feast for flavour tagging

- $e^+e^- \rightarrow H^0 A^0 \rightarrow bbbb, \rightarrow bb\tau\tau, \rightarrow \tau\tau\tau\tau$;
- $e^+e^- \rightarrow H^+H^- \rightarrow tbtb, \rightarrow \tau\nu\tau\nu$.

Full MOKKA+Marlin w/ Full SM Bkg + 20 BX $\gamma\gamma$



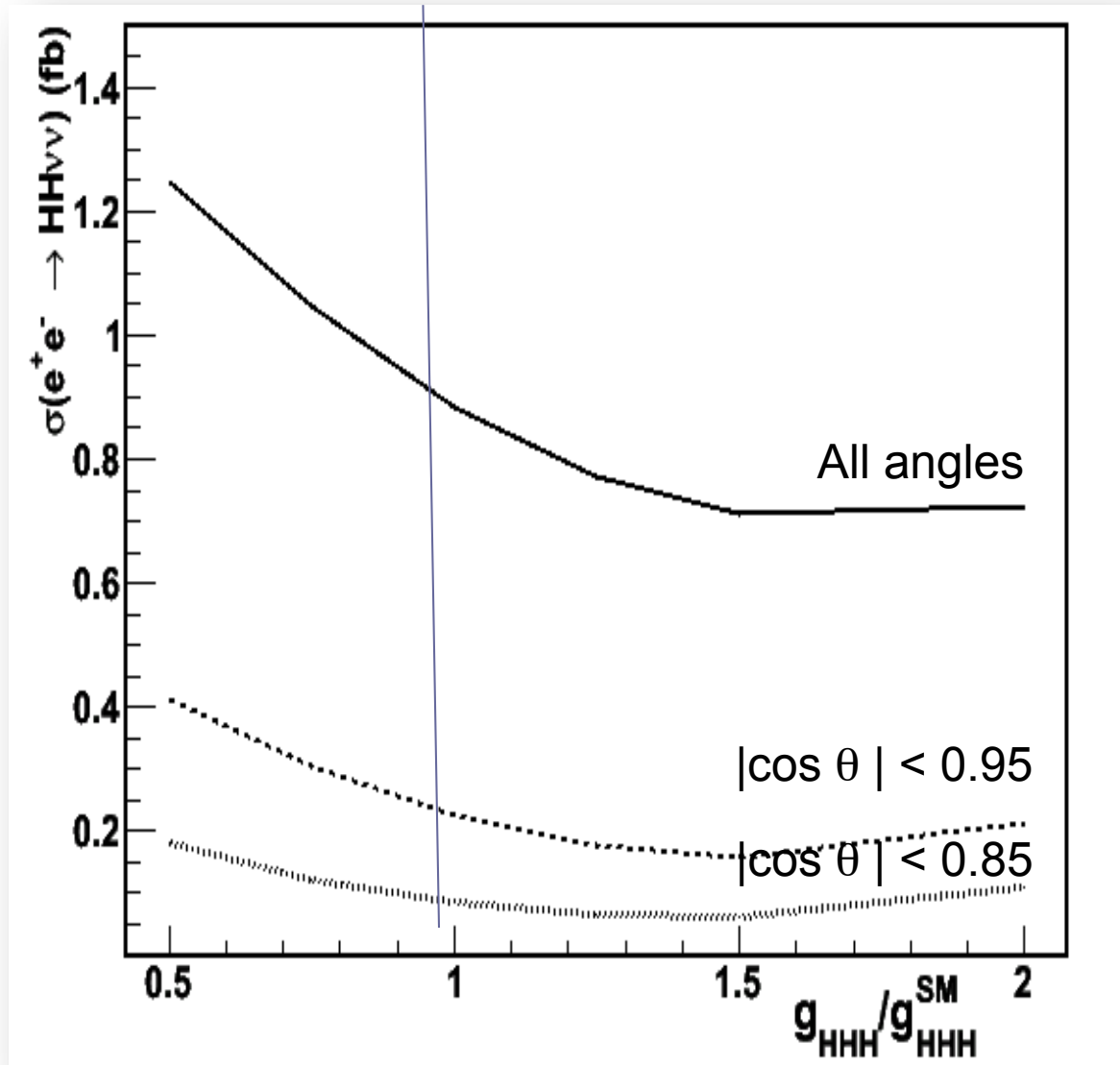
$e^+e^- \rightarrow H^0 H^0 \nu\nu \rightarrow bbb\nu\nu$ at 3 TeV

Sensitivity of $HH\nu\nu$ cross section to triple Higgs coupling for various polar angle coverages

Non-trivial interference of double WW fusion with other diagrams yielding double Higgs production but not involving the triple Higgs vertex;

Imperative to accept & b-tag jets at low angles to retain sensitivity to g_{HHH} ;

$\epsilon = \epsilon_b^4$ with $\sim 1.5\text{-}2.0\text{k}$ useful evts \rightarrow need to achieve $\epsilon_b > 0.85$



LC Tracking: Momentum Resolution

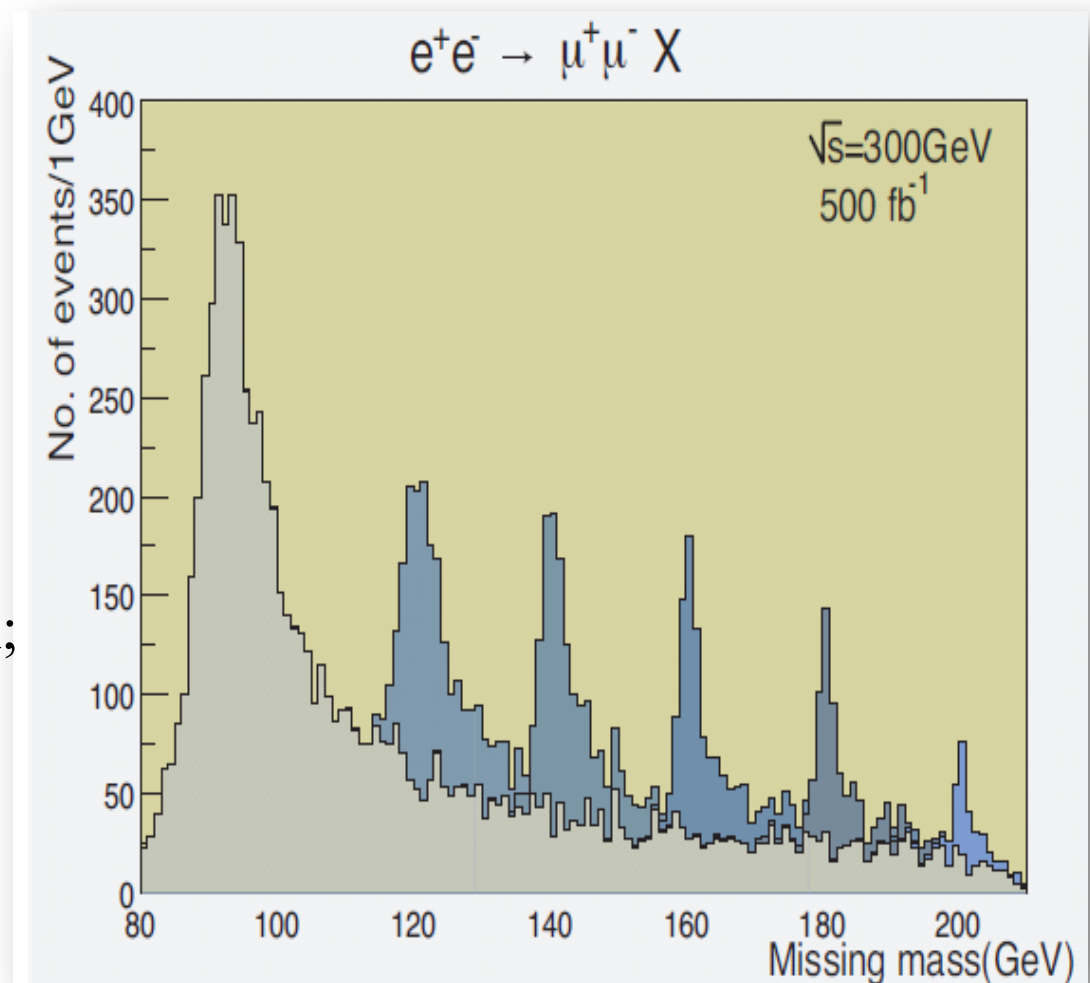
Track Momentum Resolution at 0.3-0.5 TeV

If Higgs boson light as predicted by EW data, associated HZ production $e^+e^- \rightarrow H^0Z^0 \rightarrow X l^+l^-$ will offer model-independent Higgs reconstruction.

$$M_H^2 = s - 2\sqrt{s}E_Z + M_Z^2$$

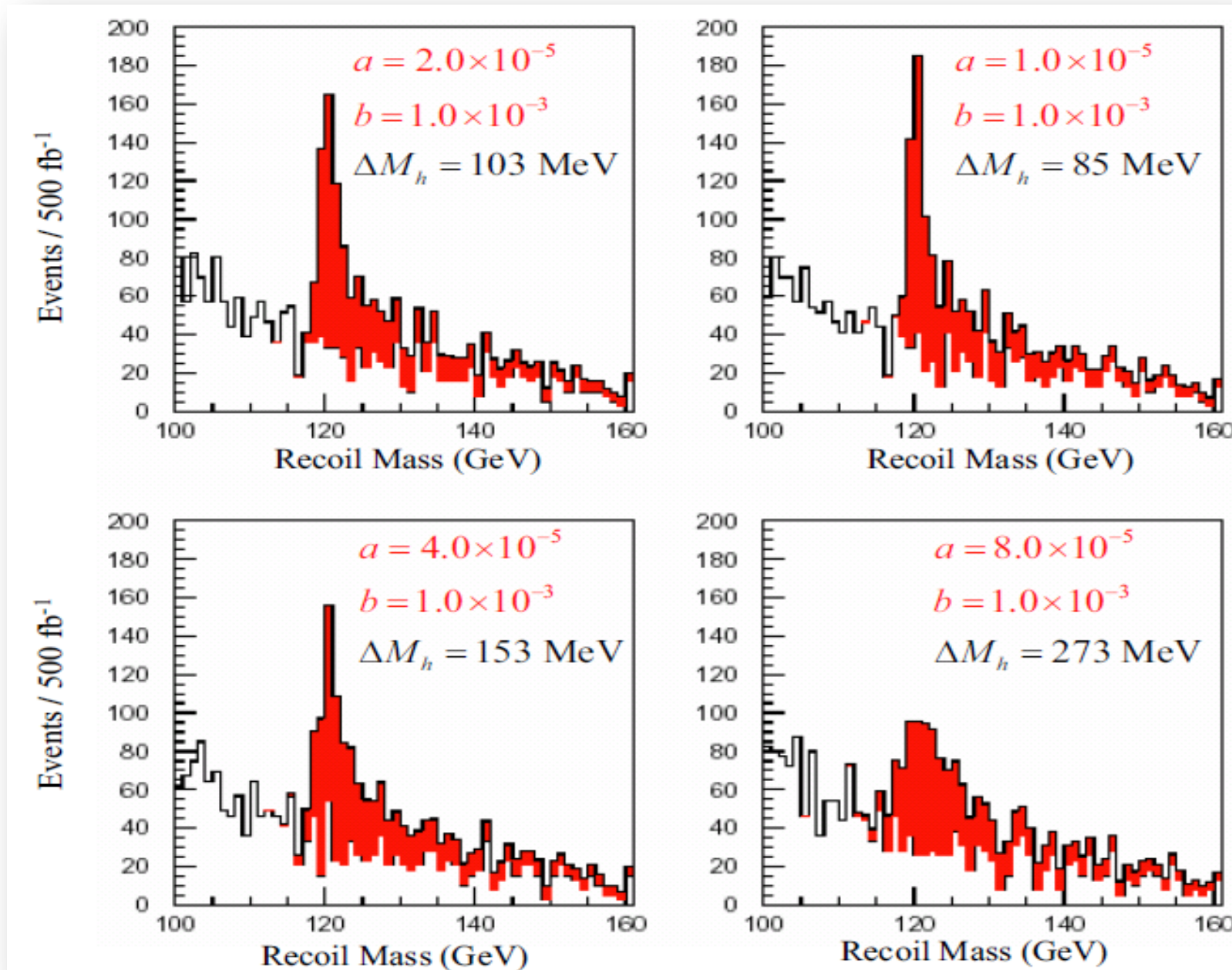
Resolution in e^+e^- and $\mu^+\mu^-$ recoil mass depends on accuracy in beam energy (peak and spread) and detector momentum resolution;

This process sets tightest constrain on track momentum resolution while HZ process is of interest.

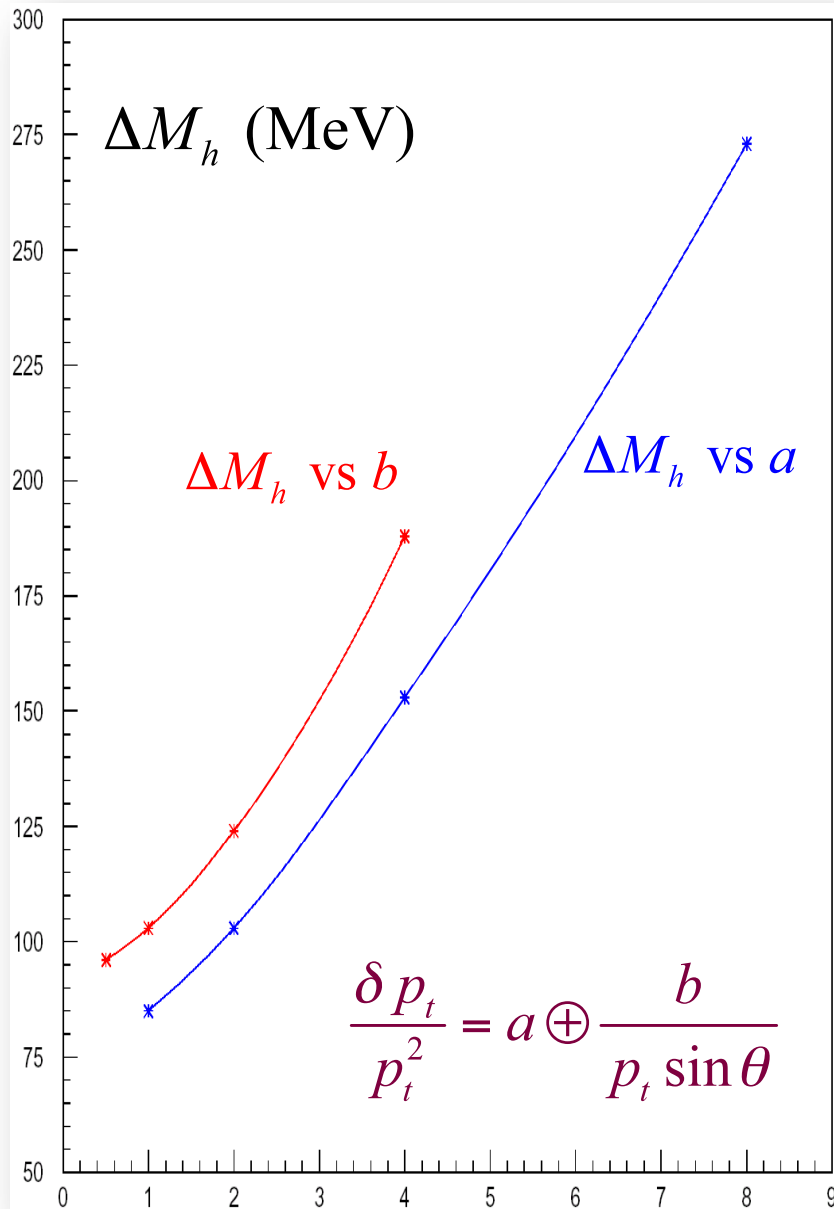


$e^+e^- \rightarrow Z^0 H^0 \rightarrow \mu^+ \mu^- X$ at 0.35 TeV

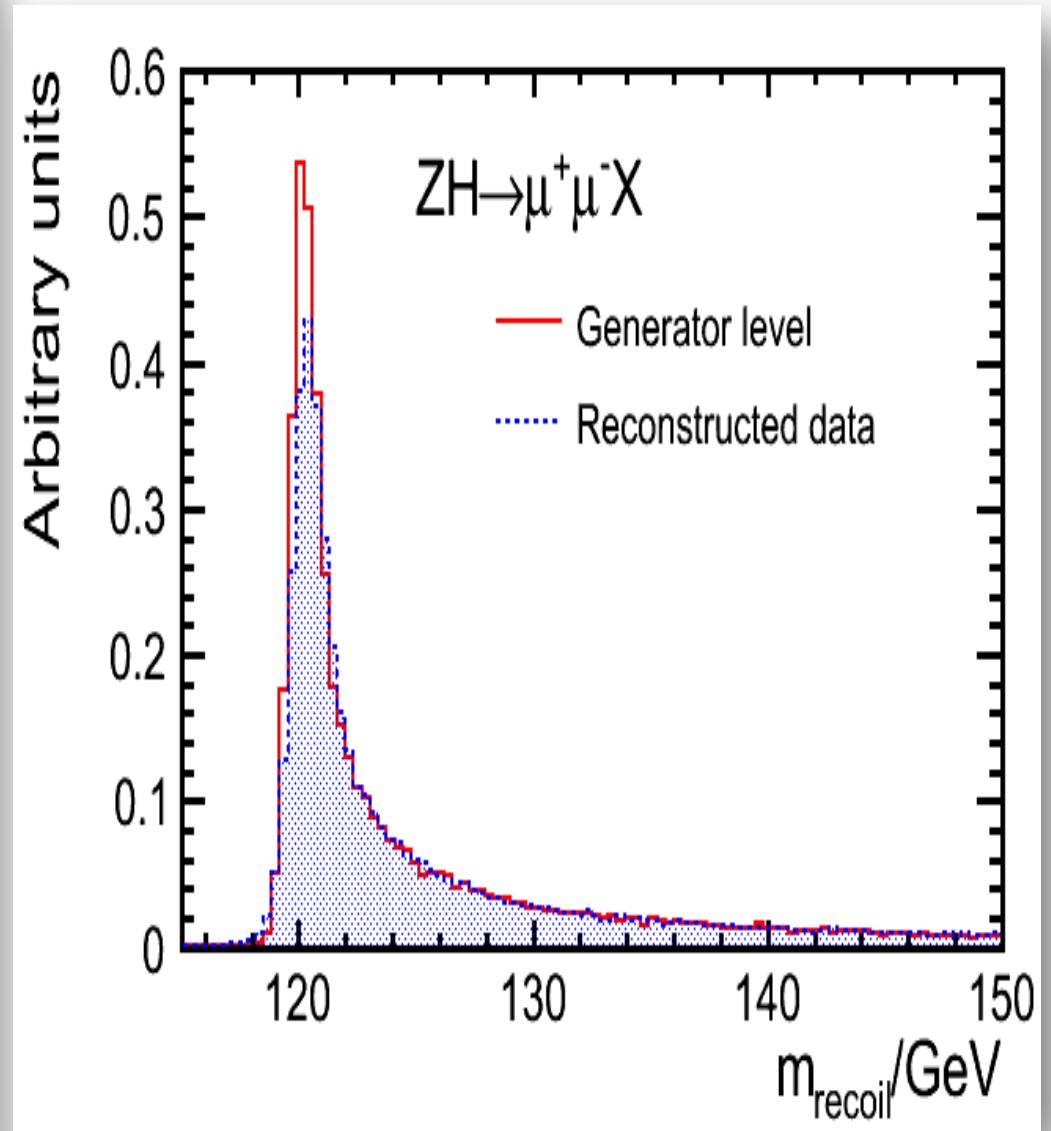
$$\frac{\delta p_t}{p_t^2} = a \oplus \frac{b}{p_t \sin \theta}$$



$e^+e^- \rightarrow Z^0 H^0 \rightarrow \mu^+ \mu^- X$ at 0.35 TeV

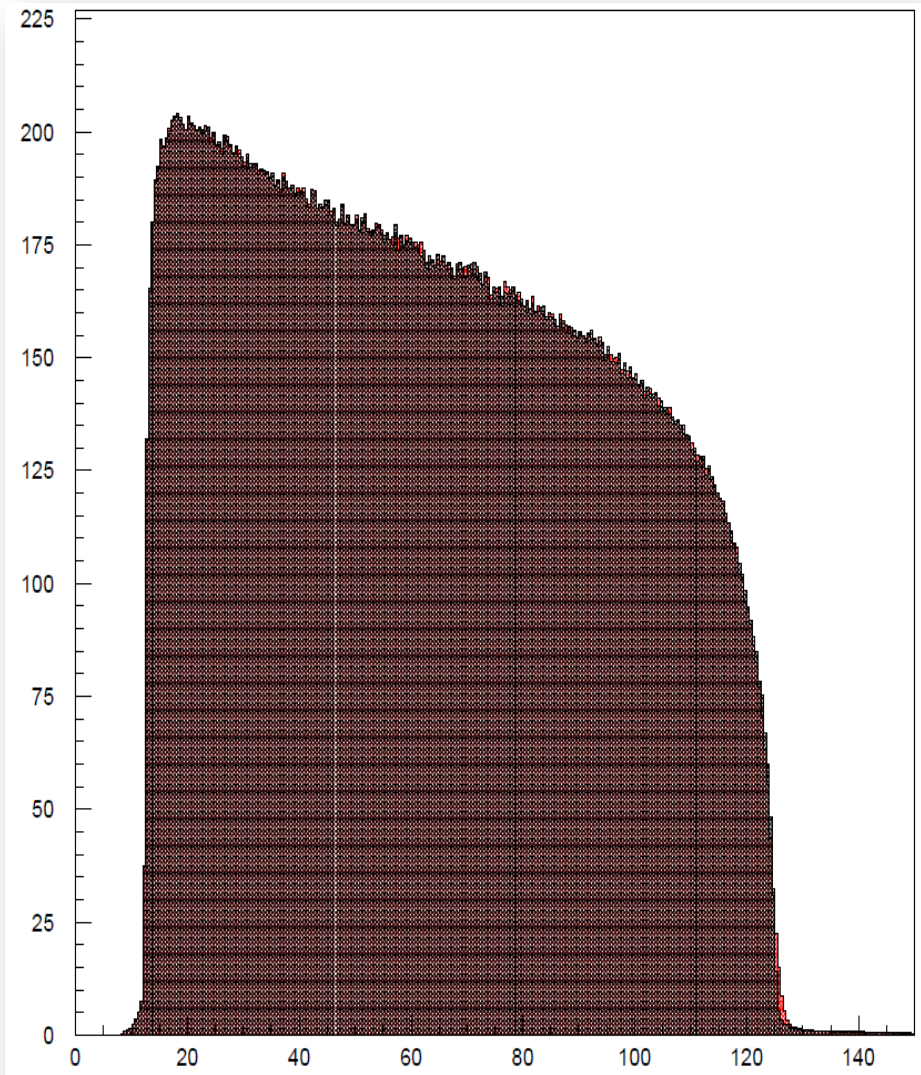


T Barklow, (2005) $a \times 10^{-5}$ or $b \times 10^{-3}$



ILD LoI (2009)

$$e^+e^- \rightarrow \mu^+\mu^- \rightarrow \mu^+\mu^- \chi_1^0 \chi_1^0 \text{ at } 0.5 \text{ TeV}$$

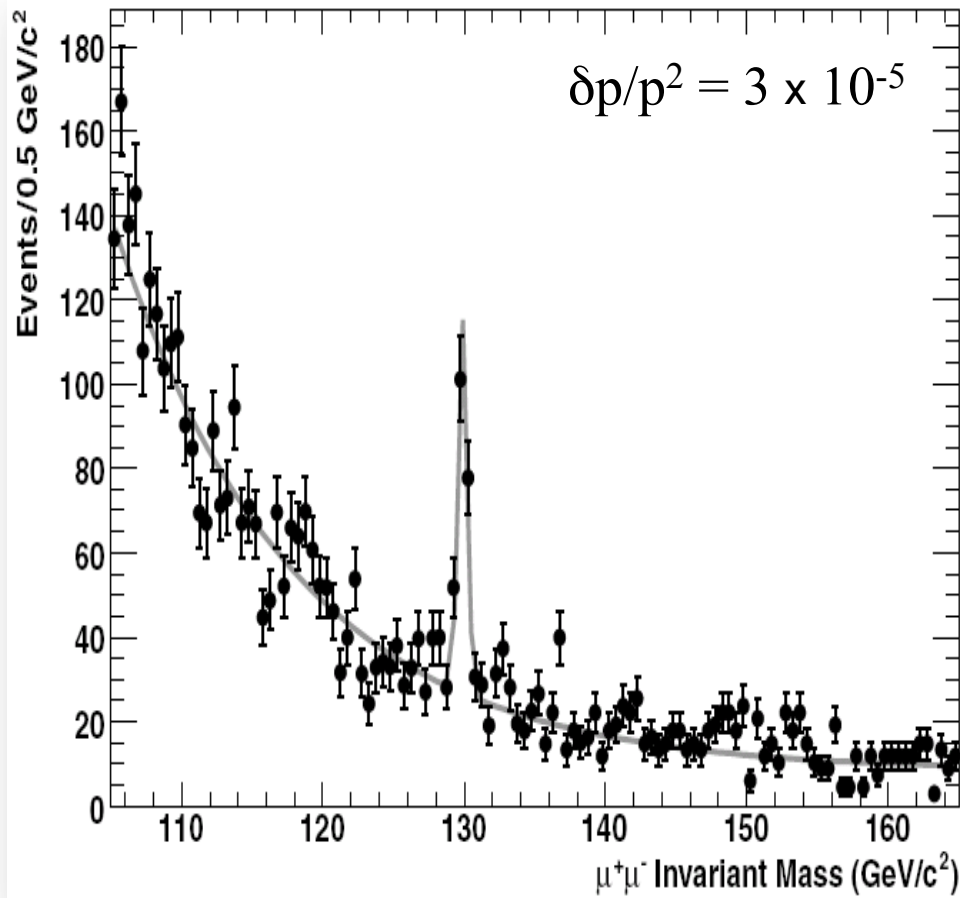


$\delta p/p^2$ (GeV ⁻²)	δM_μ (MeV)	δM_χ (MeV)
0	98	86
2×10^{-5}	115	98
8×10^{-5}	139	113

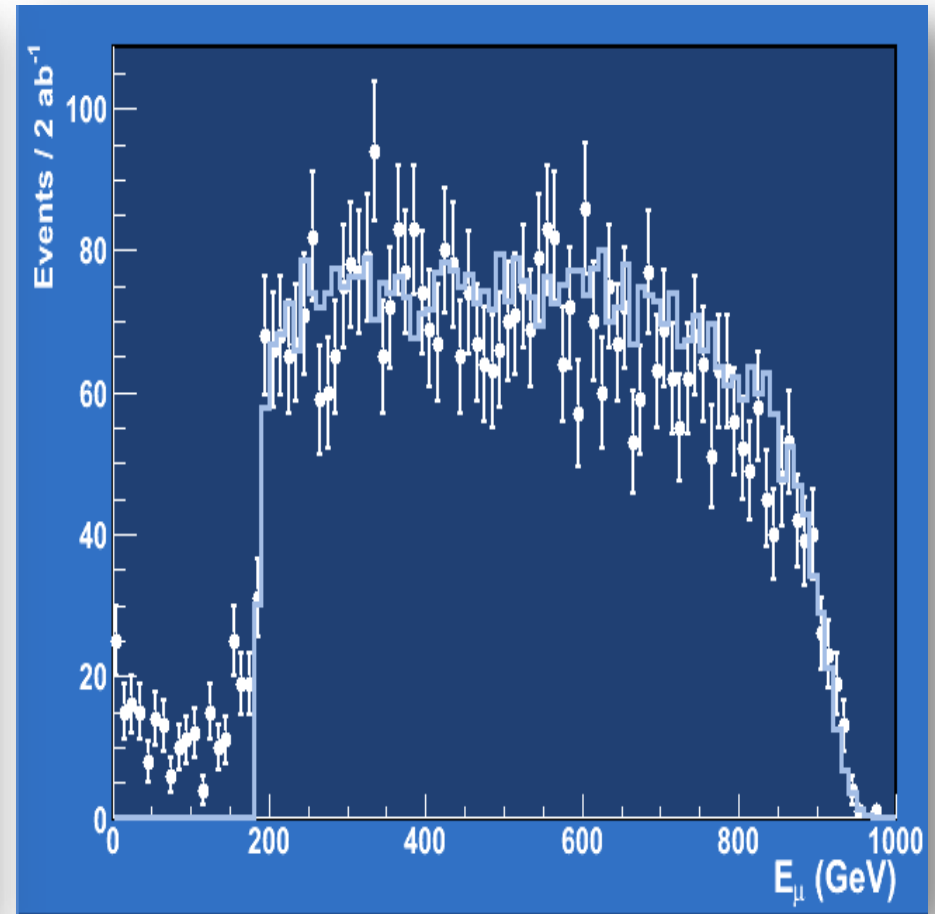
T Barklow, ILC RDR (2007)

Track Momentum Resolution at 1 - 3 TeV

$e^+e^- \rightarrow \nu_e \nu_e H^0 \rightarrow \nu_e \nu_e \mu^+ \mu^-$
Di-Muon Invariant Mass



$e^+e^- \rightarrow \mu^+_{\text{R}} \mu^-_{\text{R}} \rightarrow \mu^+ \chi^0_1 \mu^- \chi^0_1$
Muon Energy

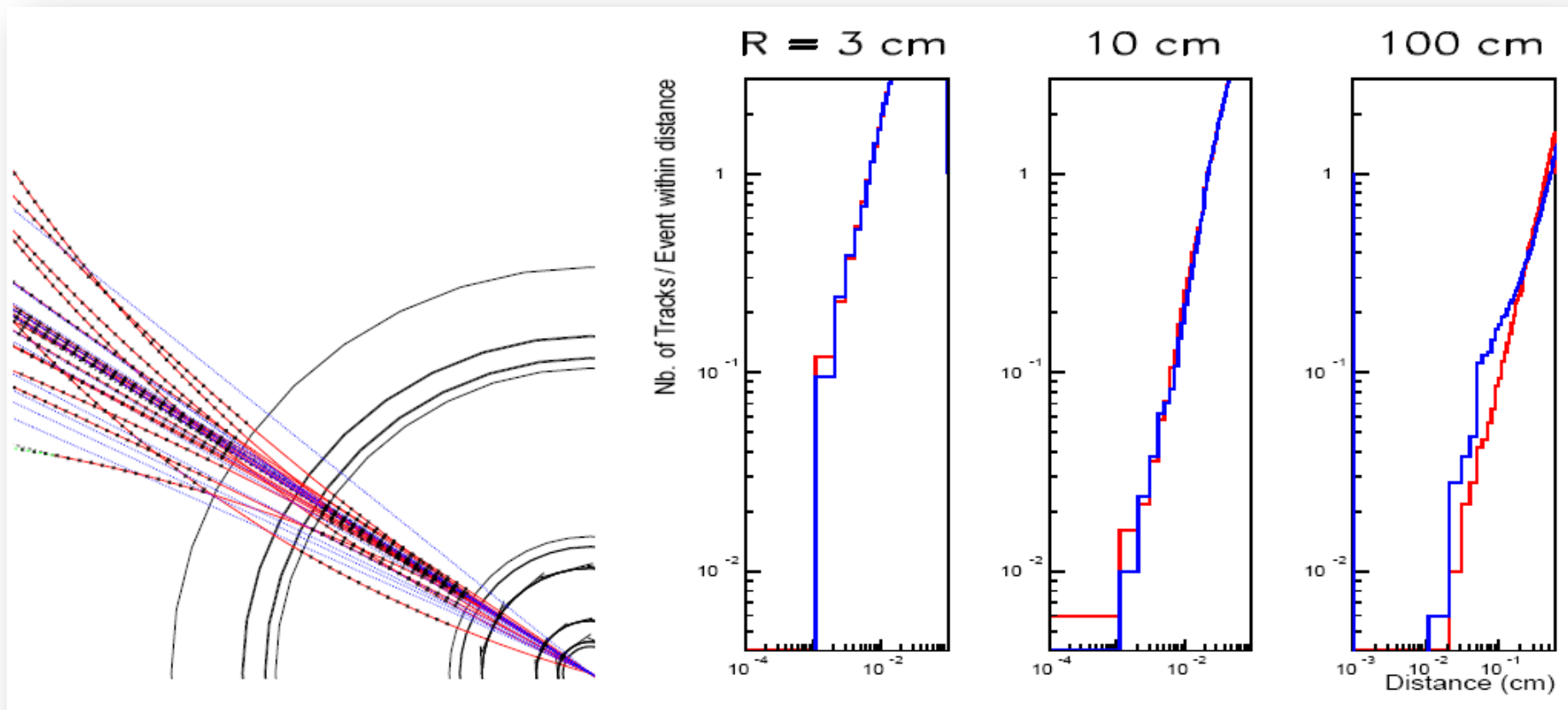


ILC Track momentum resolution adequate to analysis of multi-TeV events, resolution mostly dominated by beamstrahlung.

Tracking in multi-TeV Events

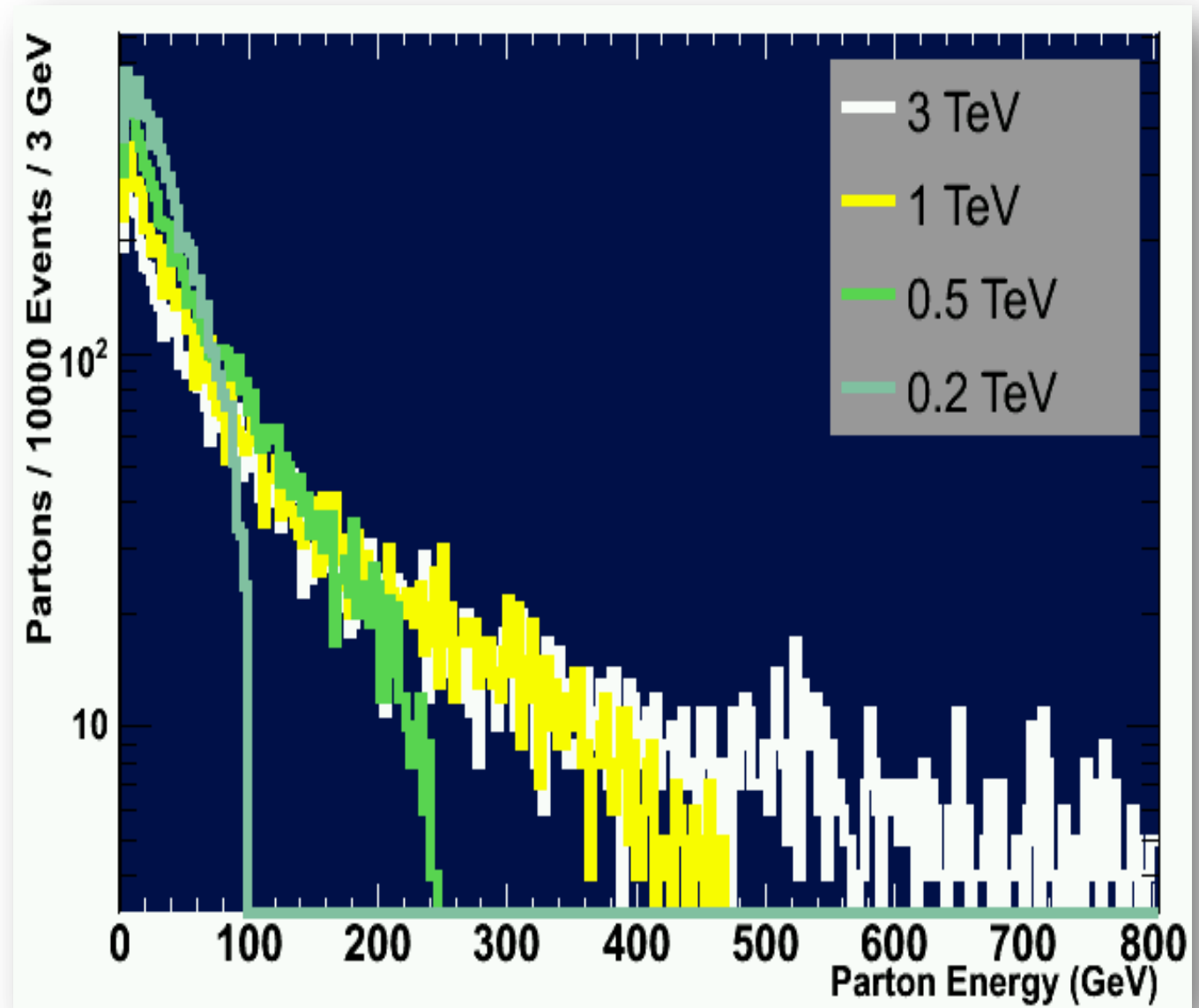
Significant track density in collimated hadronic jets + parallel muon bkg, $\gamma\gamma \rightarrow$ hadrons and low momentum spiralling tracks:

Minimum Distance between Tracks in Hadronic Events at 3 TeV

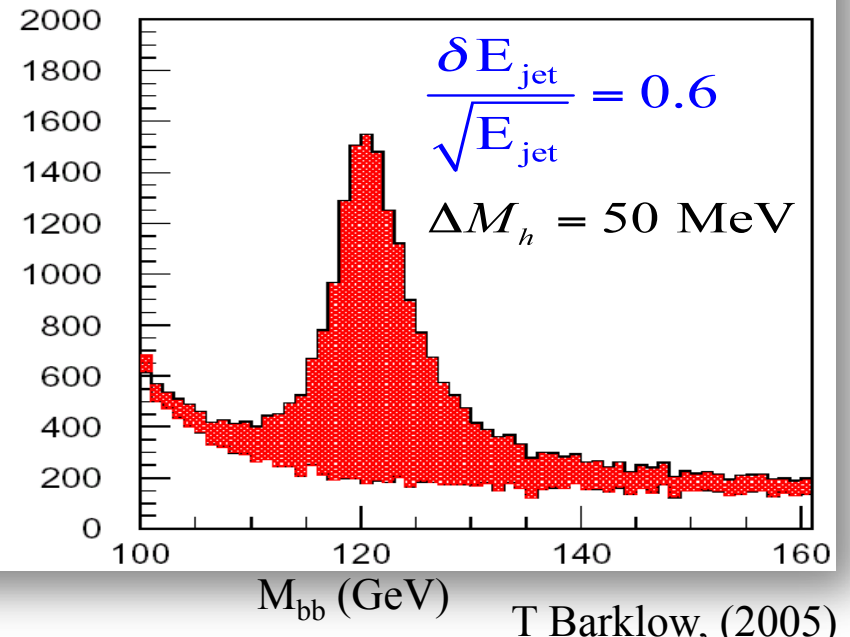
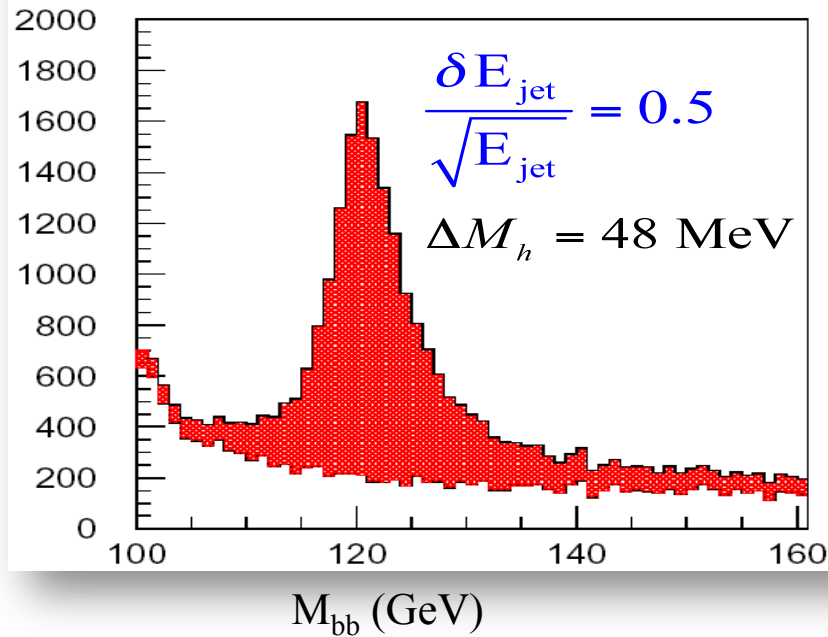
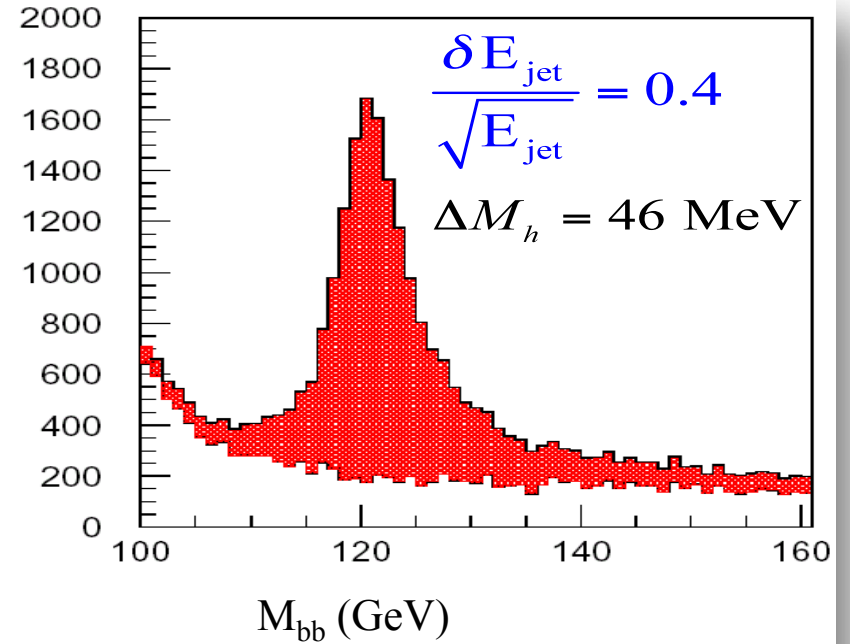
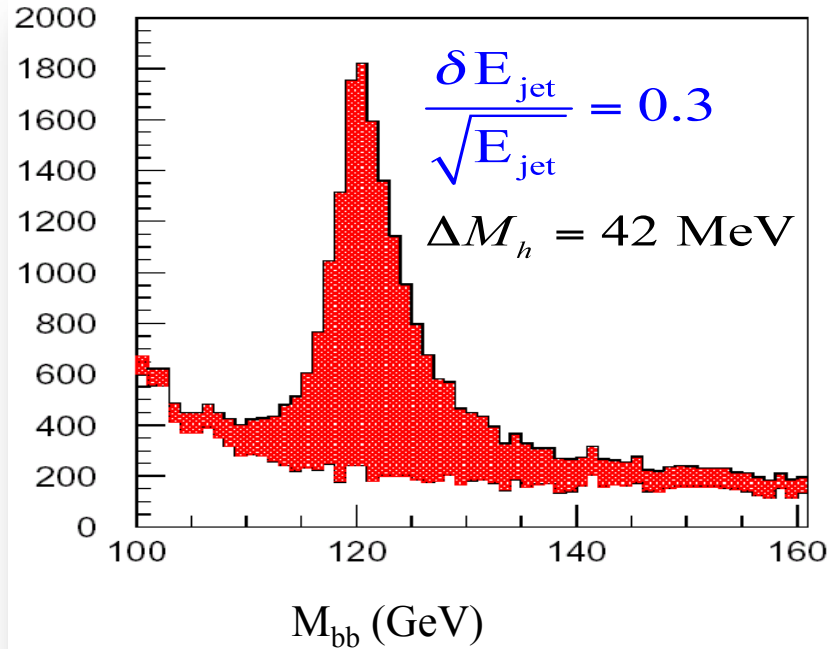


LC Parton Reconstruction: Energy Resolution

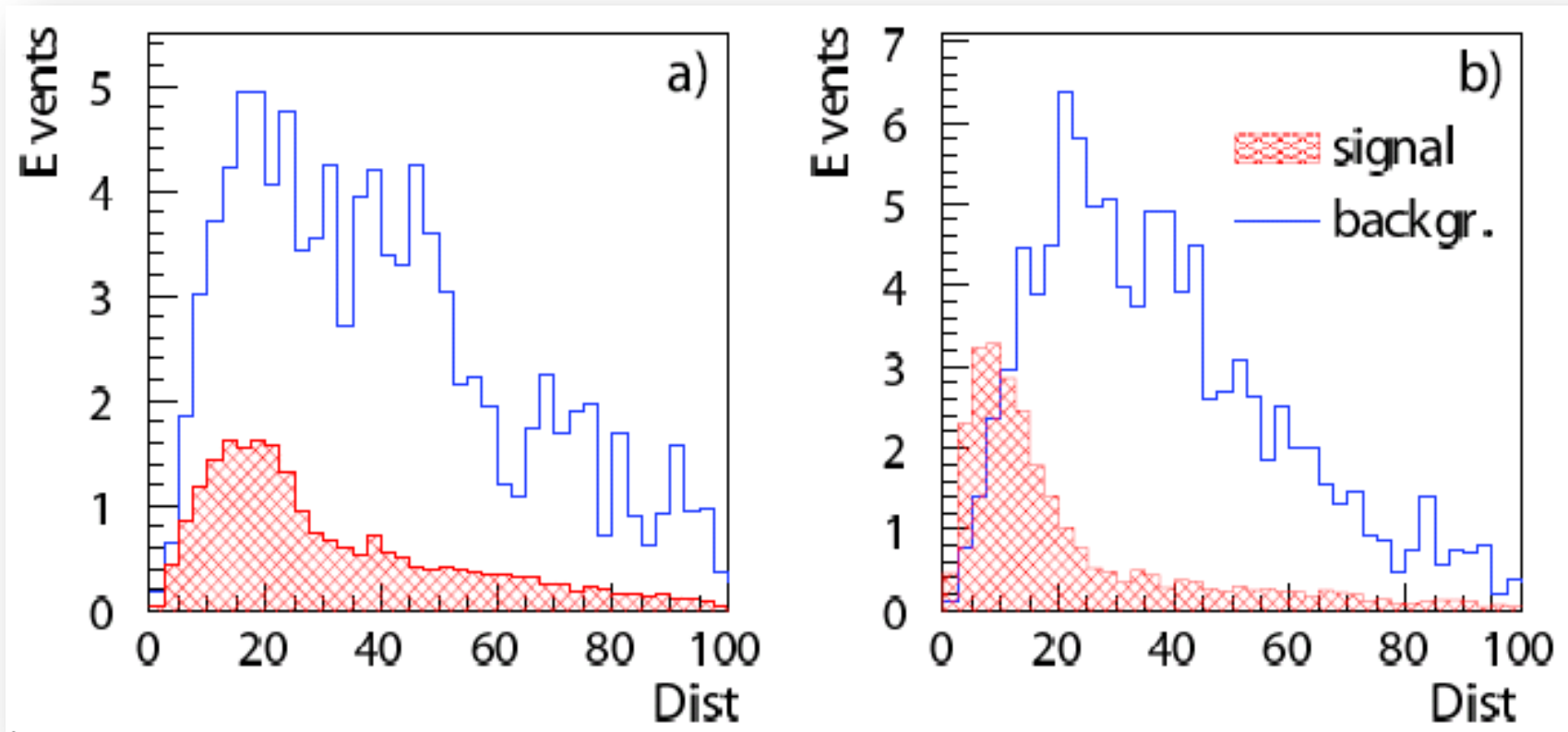
Parton Energies



$e^+e^- \rightarrow Z^0 H^0 \rightarrow qqbb$ at 0.35 TeV

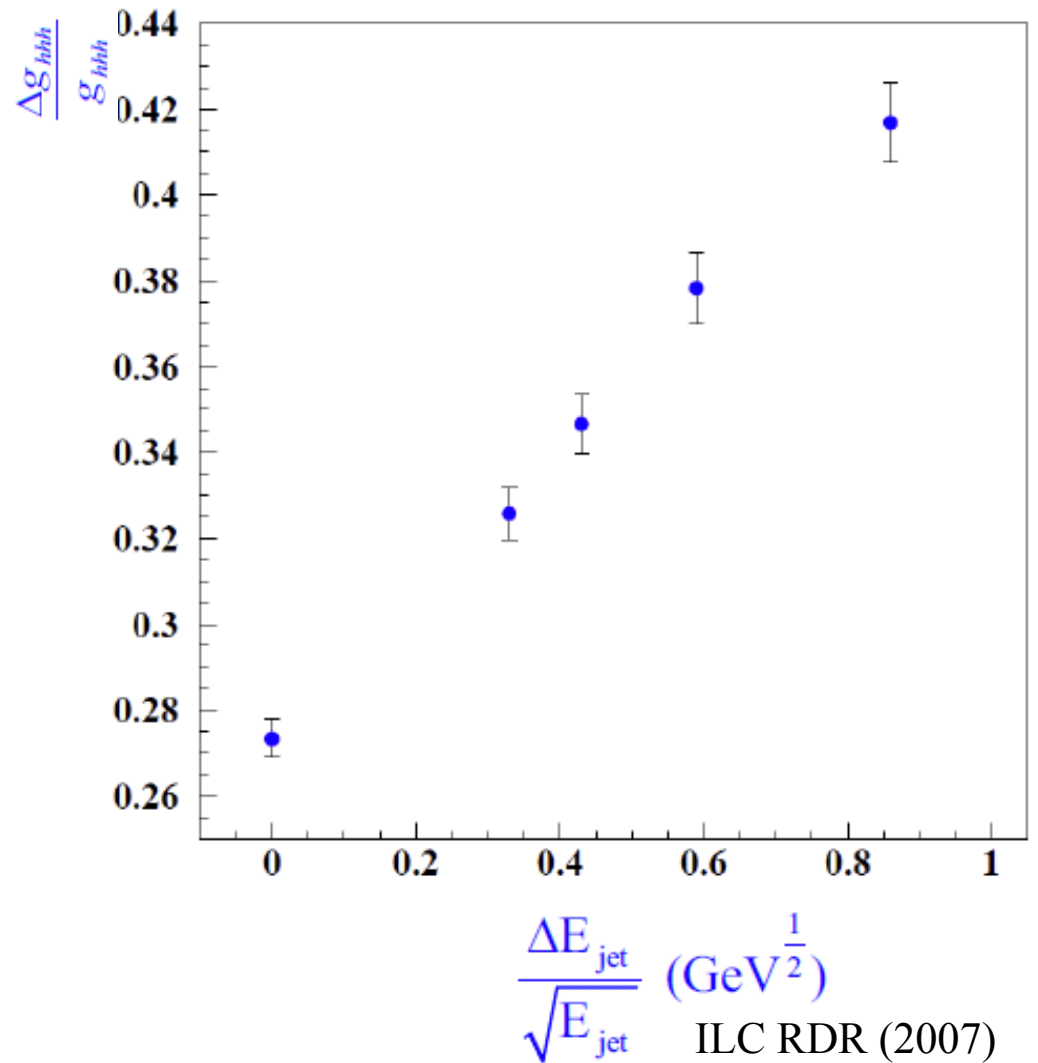
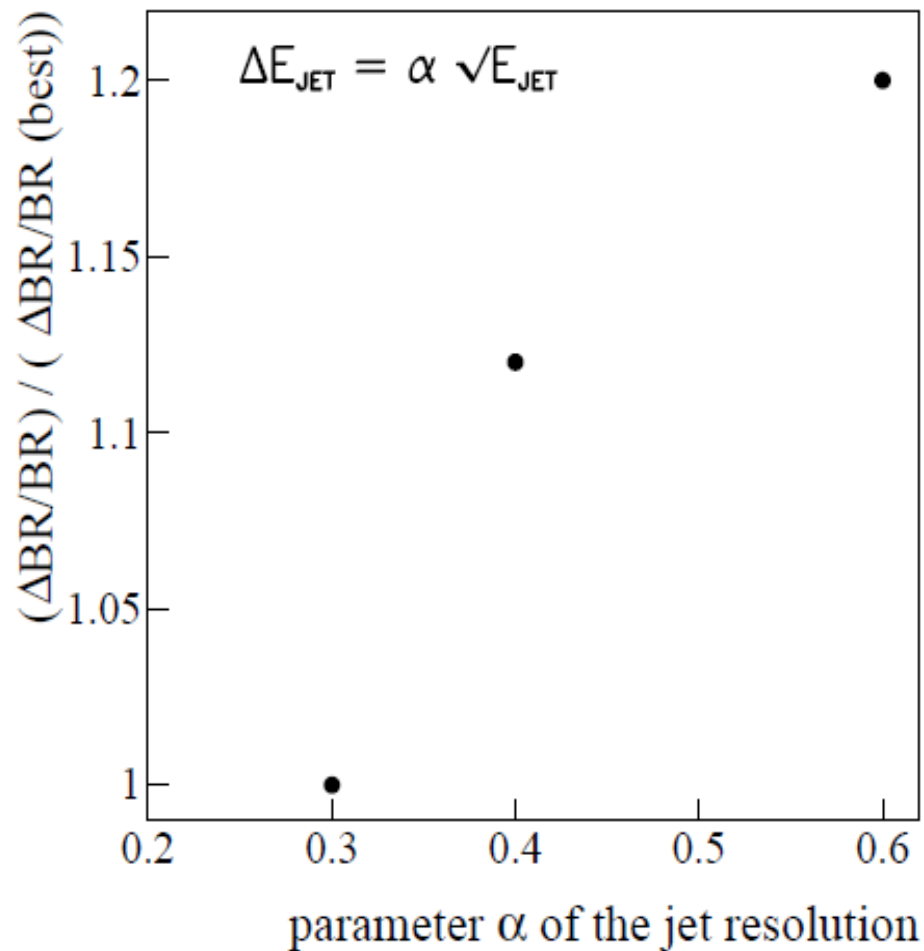


$e^+e^- \rightarrow Z^0 H^0 H^0 \rightarrow qqbbbb$ at 0.5 TeV



$$\sqrt{(m_{12} - m_H)^2 + (m_{34} - m_H)^2 + (m_{56} - m_H)^2}$$

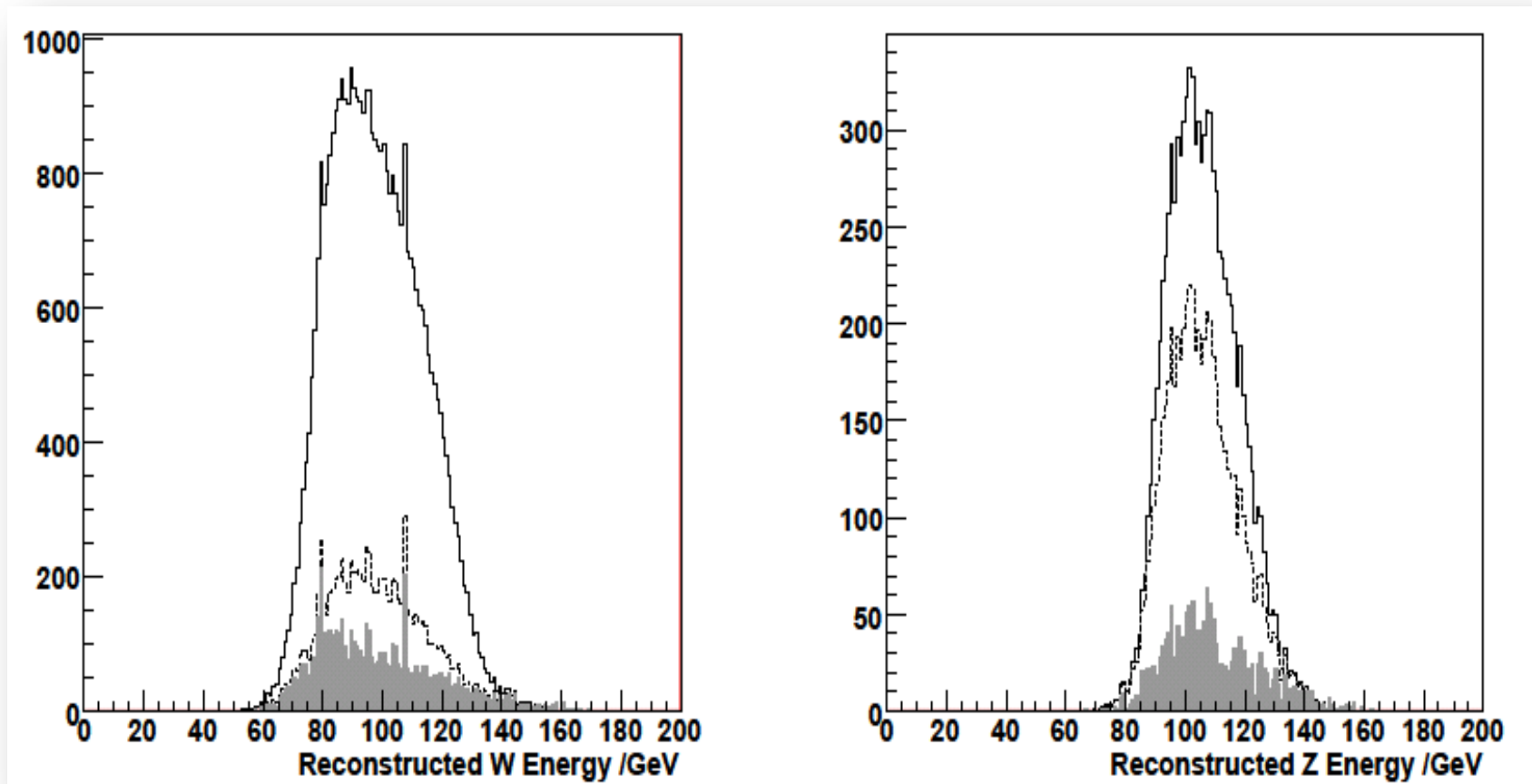
Invariant Mass Resolution



Di-parton Energy Resolution at 0.5 TeV

W and Z energies for chargino and neutralino reconstruction in SiD

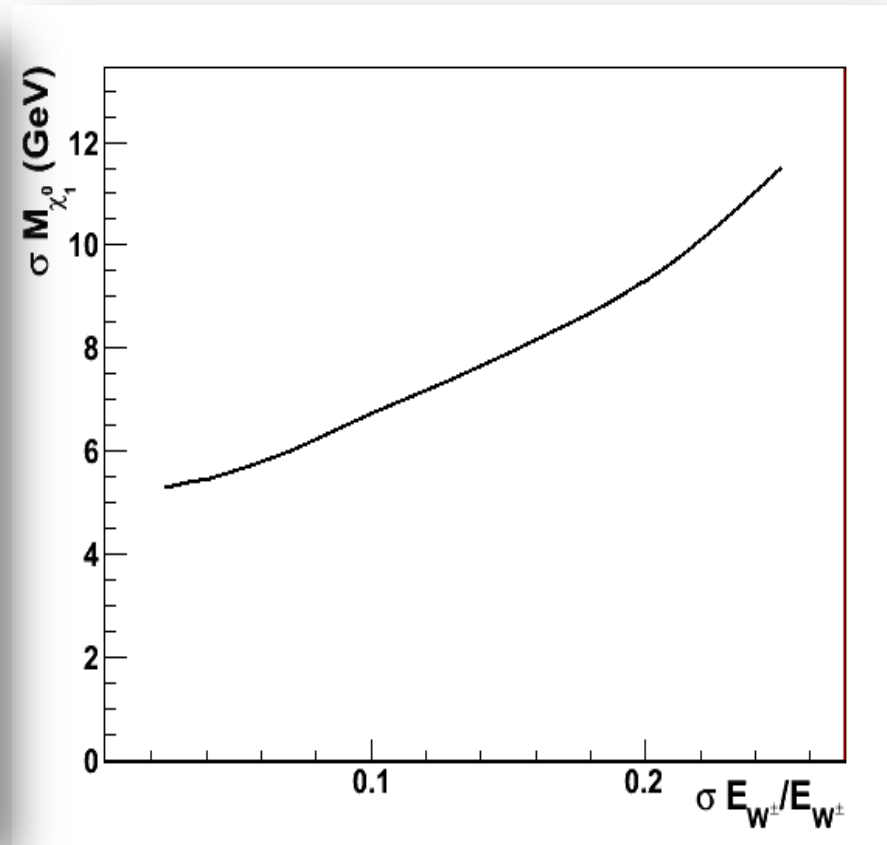
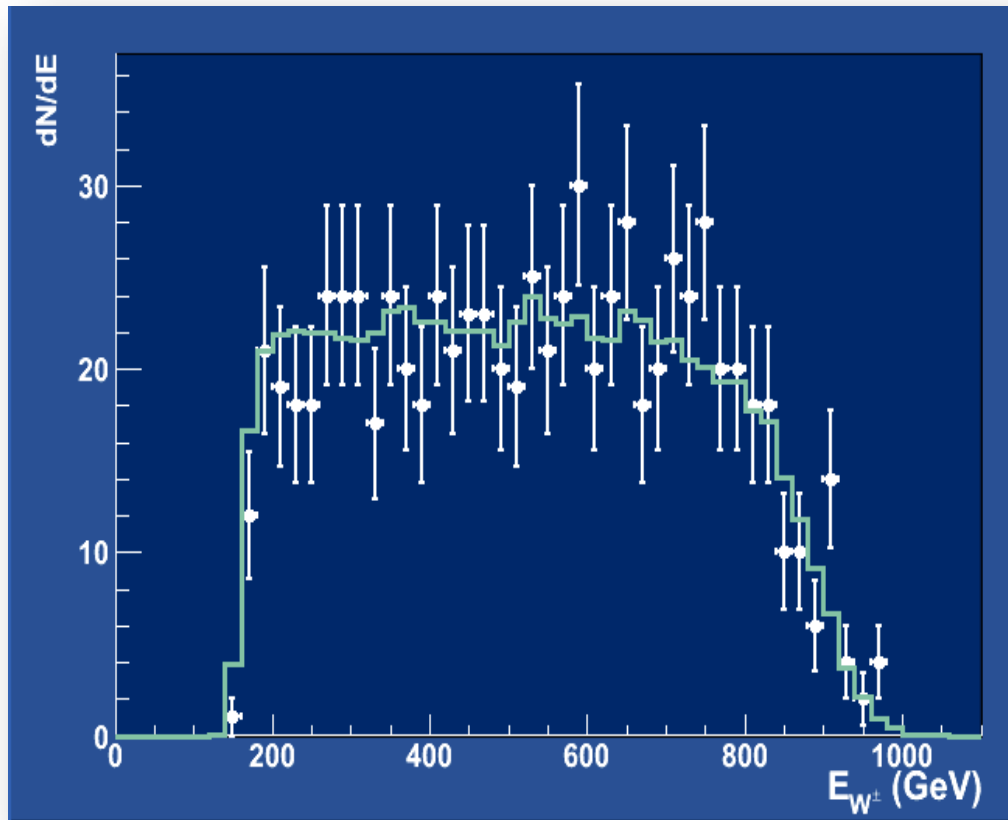
$$\sqrt{s} = 500 \text{ GeV}$$



Di-parton Energy Resolution at 1 - 3 TeV

$$e^+e^- \rightarrow \chi^+_1 \chi^-_1 \rightarrow W^\pm \chi^0_1 X$$

(Preliminary)

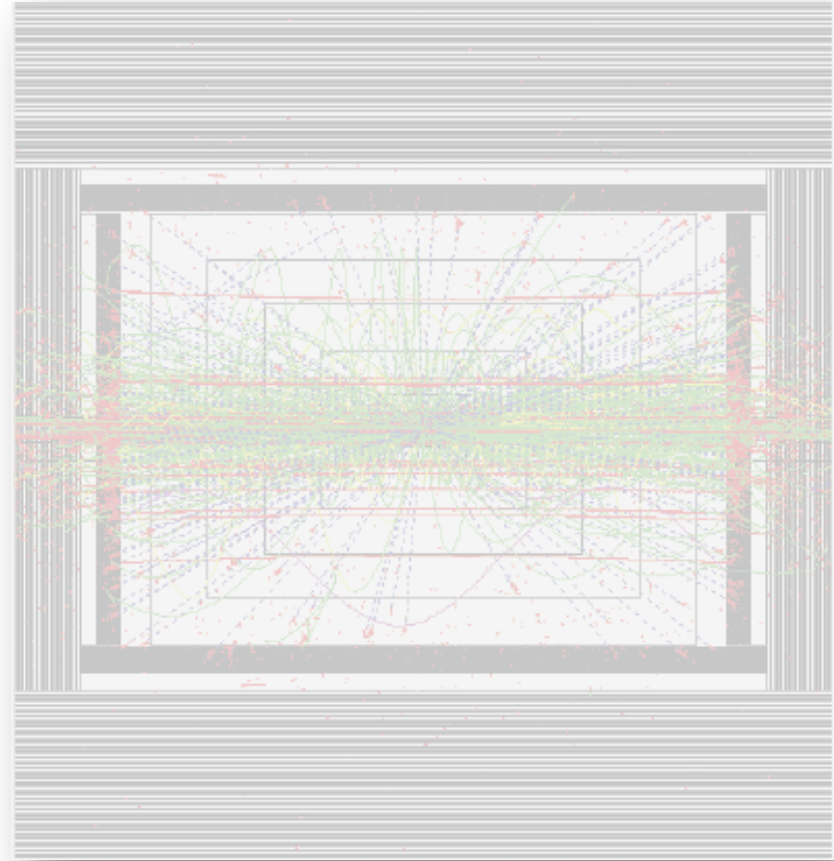


Experimental Conditions

Machine-induced backgrounds

Main sources of background in detector acceptance:

- incoherent pair production;
- $\gamma\gamma \rightarrow$ hadrons, $\gamma\gamma \rightarrow$ leptons;
- parallel muons;
- neutrons from dump of pairs and disrupted beam.



Incoherent pairs

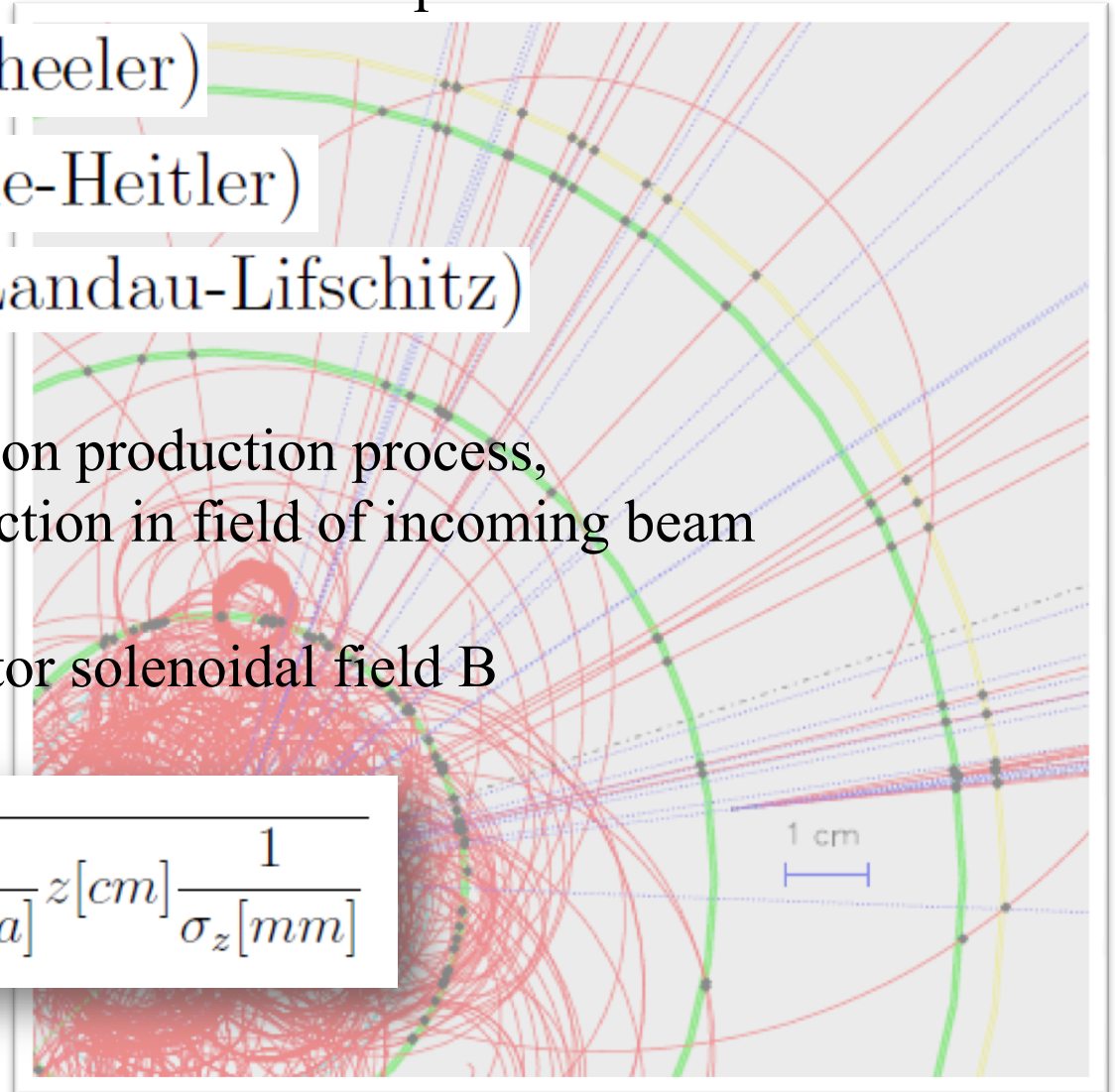
Production of e^+e^- pairs through scattering of beam particles on (virtual) photons of incoming beam: three main processes:

- $\gamma\gamma \rightarrow e^+e^-$ (Breit-Wheeler)
- $e^\pm\gamma \rightarrow e^\pm e^+e^-$ (Bethe-Heitler)
- $e^+e^- \rightarrow e^+e^-e^+e^-$ (Landau-Lifschitz)

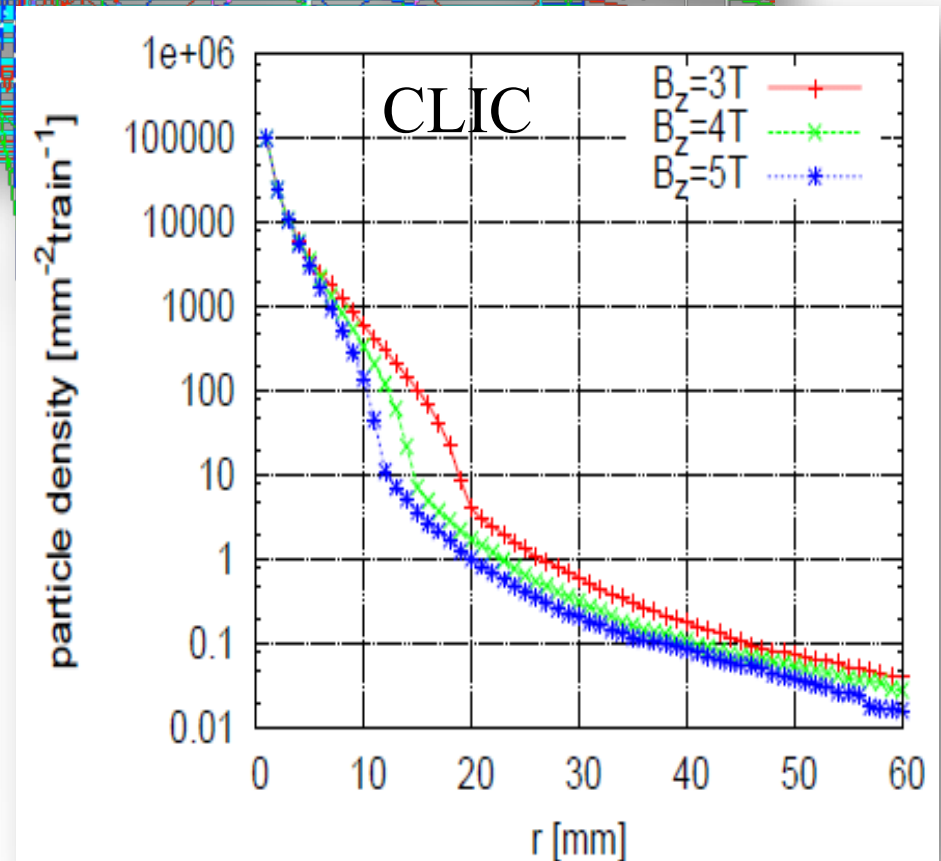
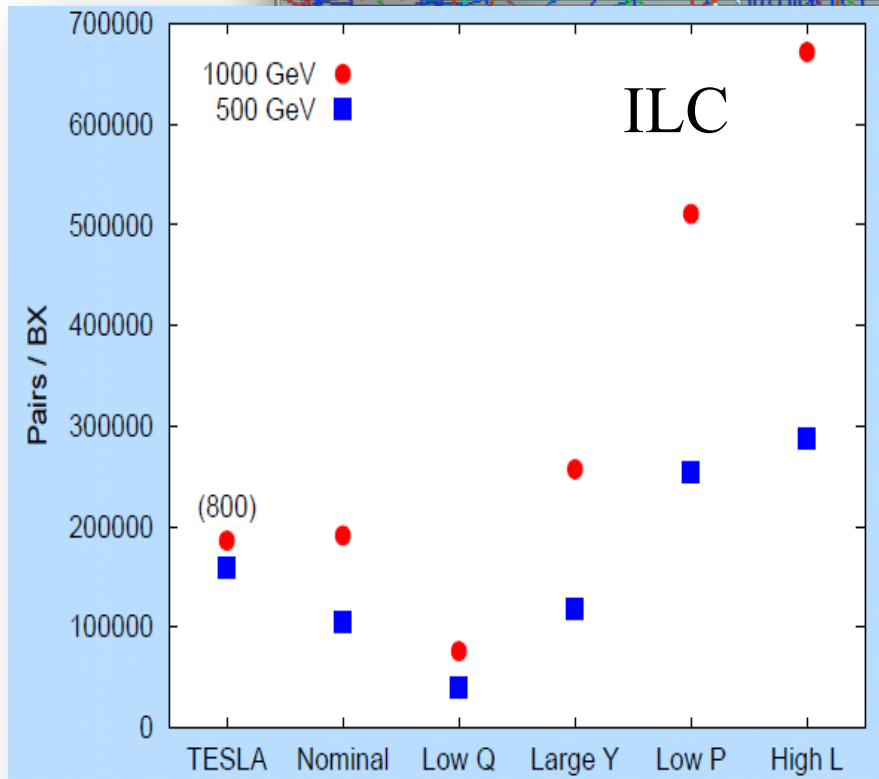
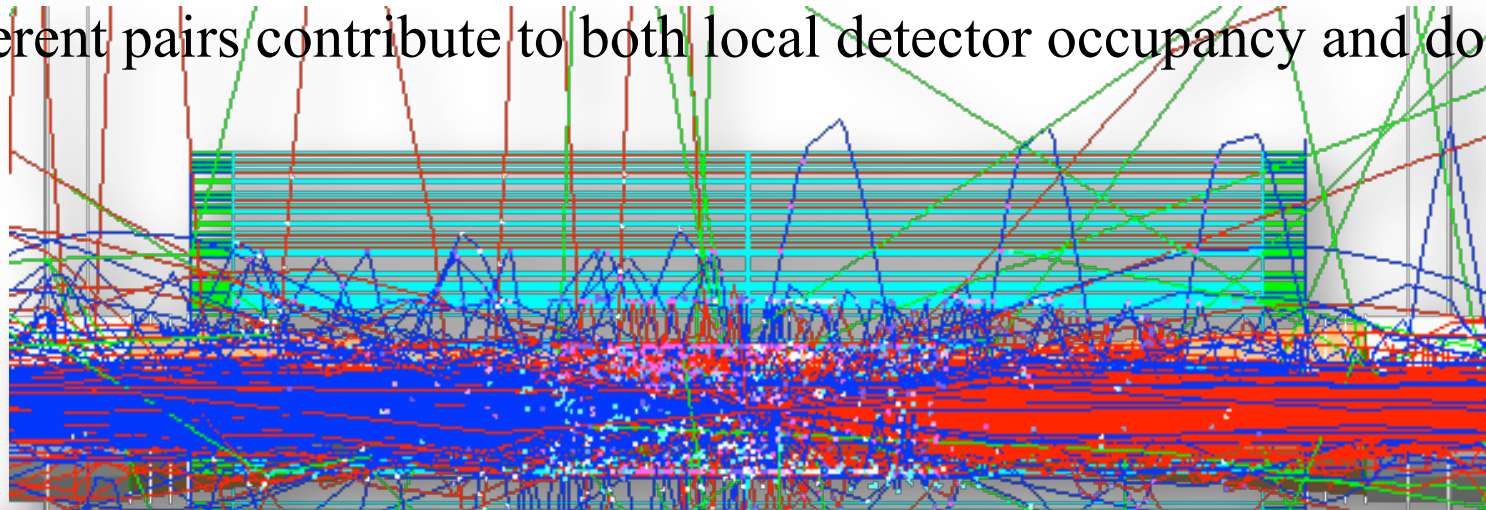
Production p_t of pairs depends on production process,
Final p_t depends on e.m. interaction in field of incoming beam

Radial reach depends on detector solenoidal field B

$$R_{max}[cm] = 0.35 \sqrt{\frac{N}{10^{10}} \frac{1}{B[Tesla]} z[cm] \frac{1}{\sigma_z[mm]}}$$



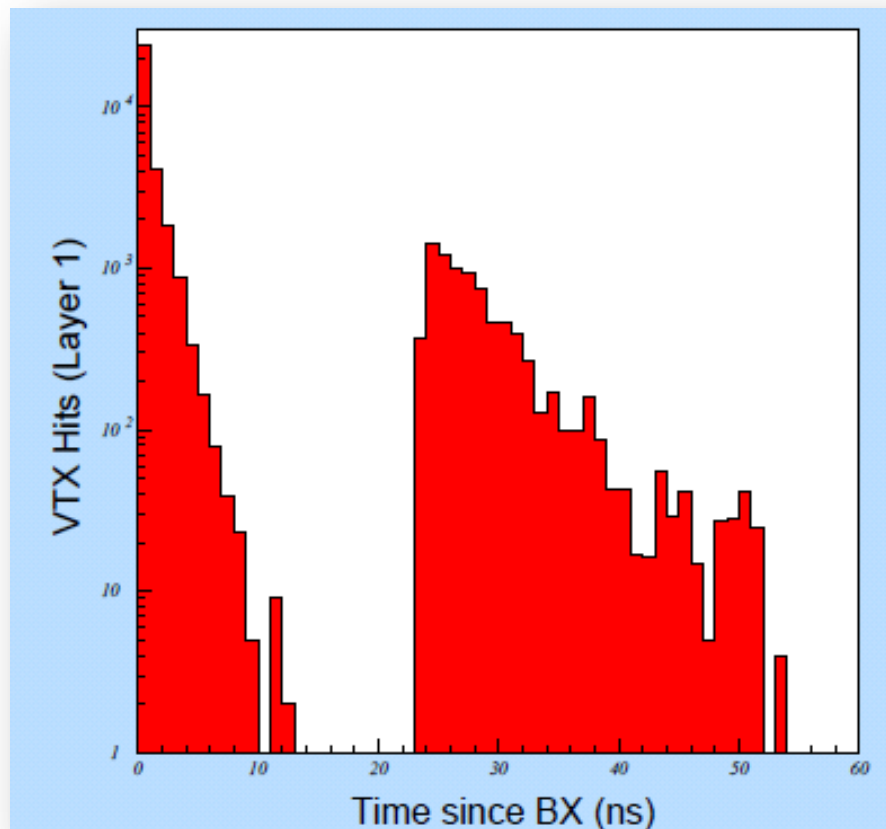
Incoherent pairs contribute to both local detector occupancy and dose



Hits from incoherent pairs at 0.5 and 3 TeV: direct and backscattering contribution

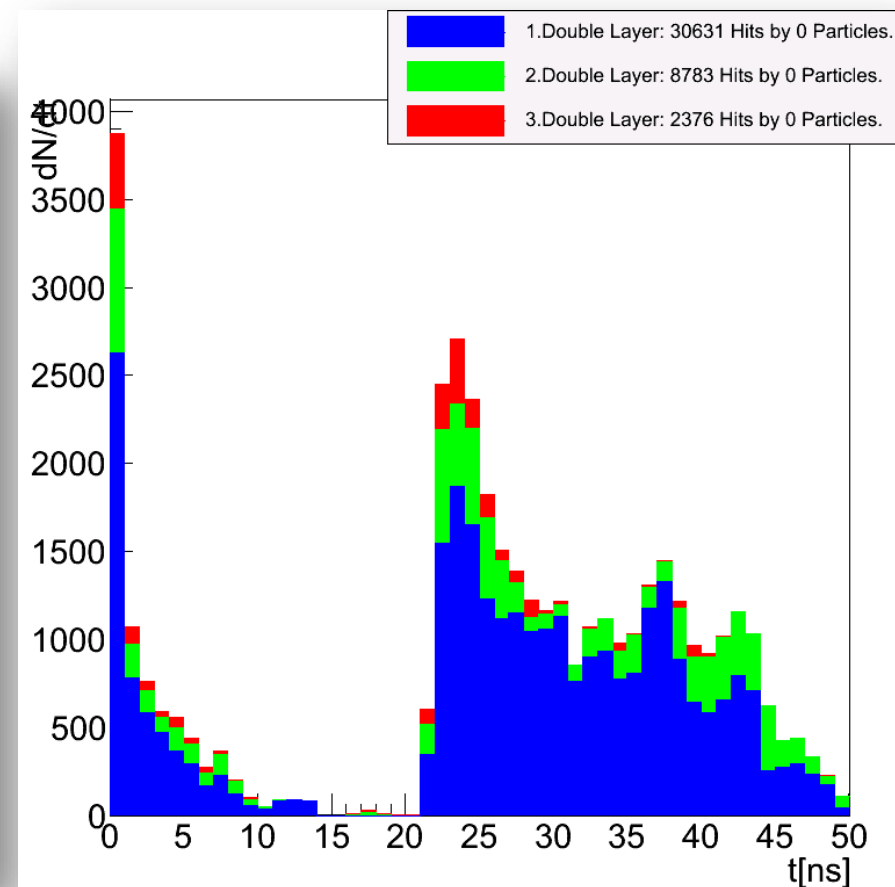
Number of hits on Vertex Tracker / BX vs time

ILC $\sqrt{s} = 500$ GeV, $R = 16$ mm



A Vogel(2007)

CLIC $\sqrt{s} = 3$ TeV, $R = 32$ mm



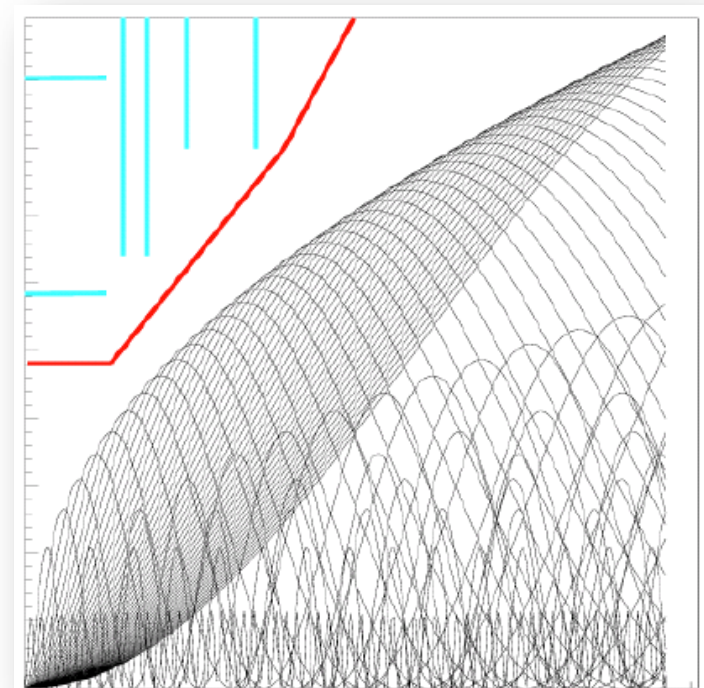
A Sailer(2009)

Intersection of deflected pair envelope with detector cylinder defines minimum radius and maximum length of innermost layer

Number of hits from pairs on innermost layer of Vertex Tracker

$$R_{\text{inner}} = 16 \text{ mm (ILC)}, 32 \text{ mm (CLIC)}$$

	Hits $\text{cm}^{-2} \text{BX}^{-1}$
$\sqrt{s}=0.5 \text{ TeV}$ ILC Nominal	4.4
$\sqrt{s}=0.5 \text{ TeV}$ ILC low-P	7.0
$\sqrt{s}=1.0 \text{ TeV}$ ILC Nominal	7.1
$\sqrt{s}=3.0 \text{ TeV}$ CLIC	2.0



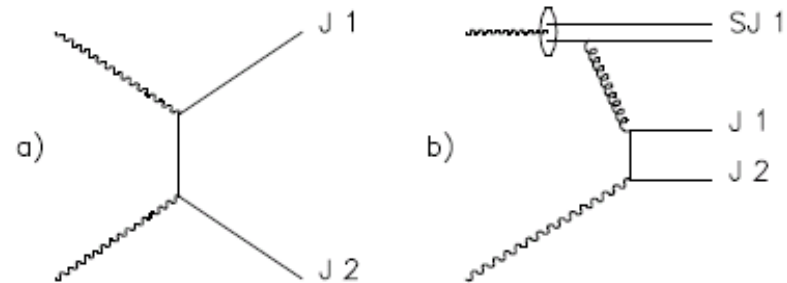
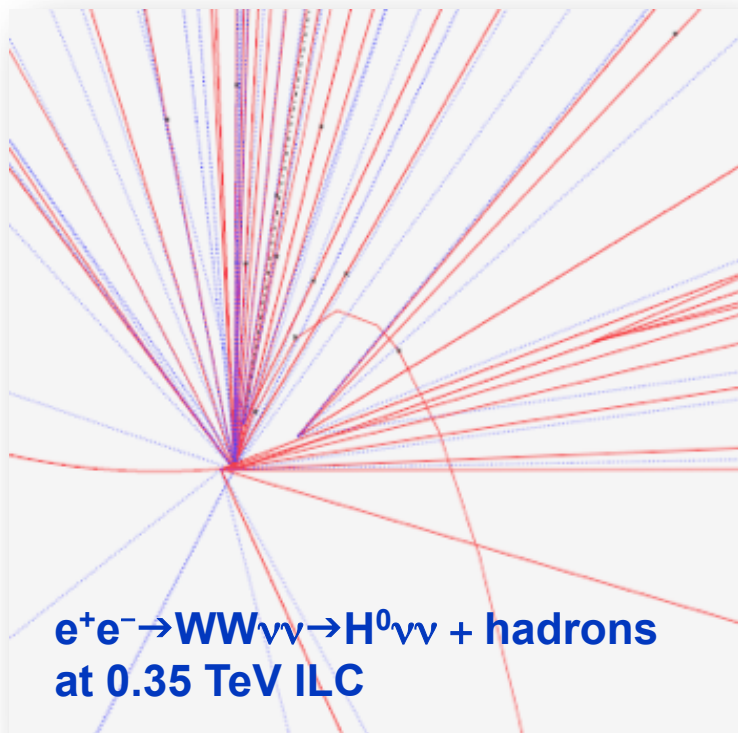
$\gamma\gamma \rightarrow \text{hadrons}$

Hadron production from collision of beamstrahlung photons;

Rate depends on \sqrt{s} and beam parameters;

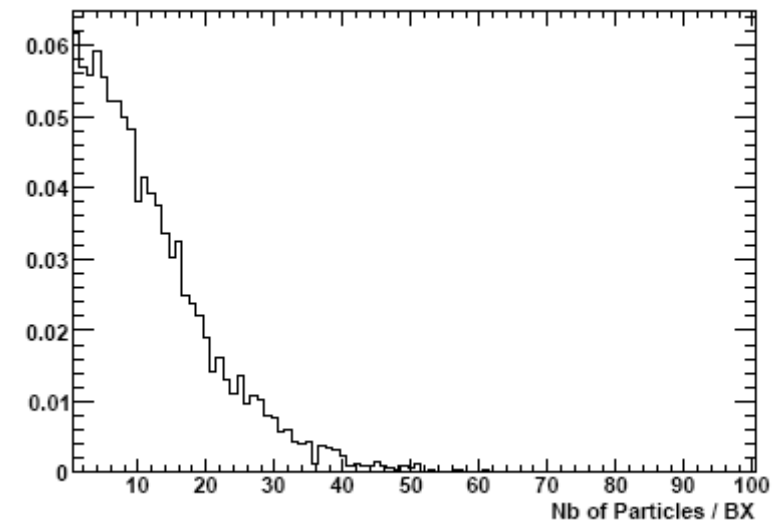
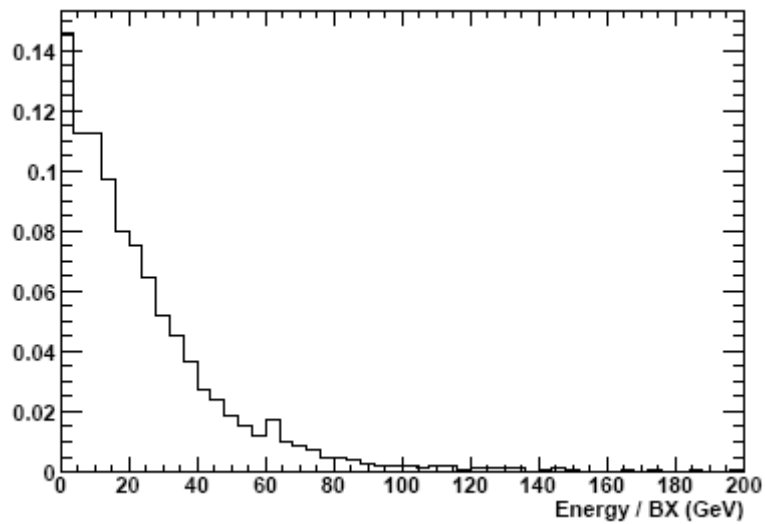
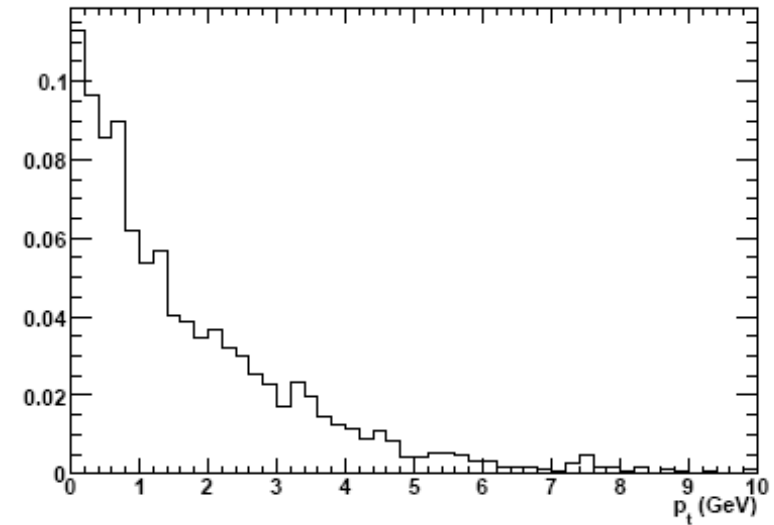
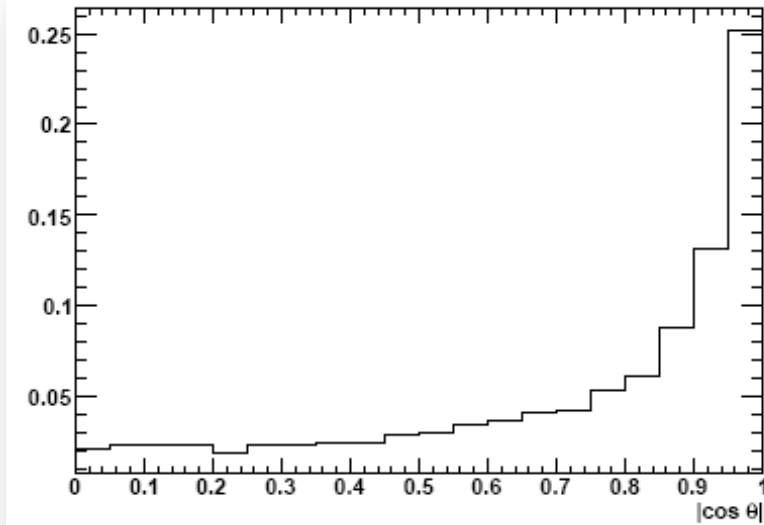
Experimental data limited at LEP-2 energies, extrapolate using models

$\gamma\gamma \rightarrow \text{hadrons}$ contributes to local occupancy and energy deposition



	$N_{\gamma\gamma} \text{ BX}^{-1}$
$\sqrt{s}=0.5 \text{ TeV ILC}$	0.12
$\sqrt{s}=3.0 \text{ TeV CLIC}$	2.8

$\gamma\gamma$ Background Characterisation at 3 TeV

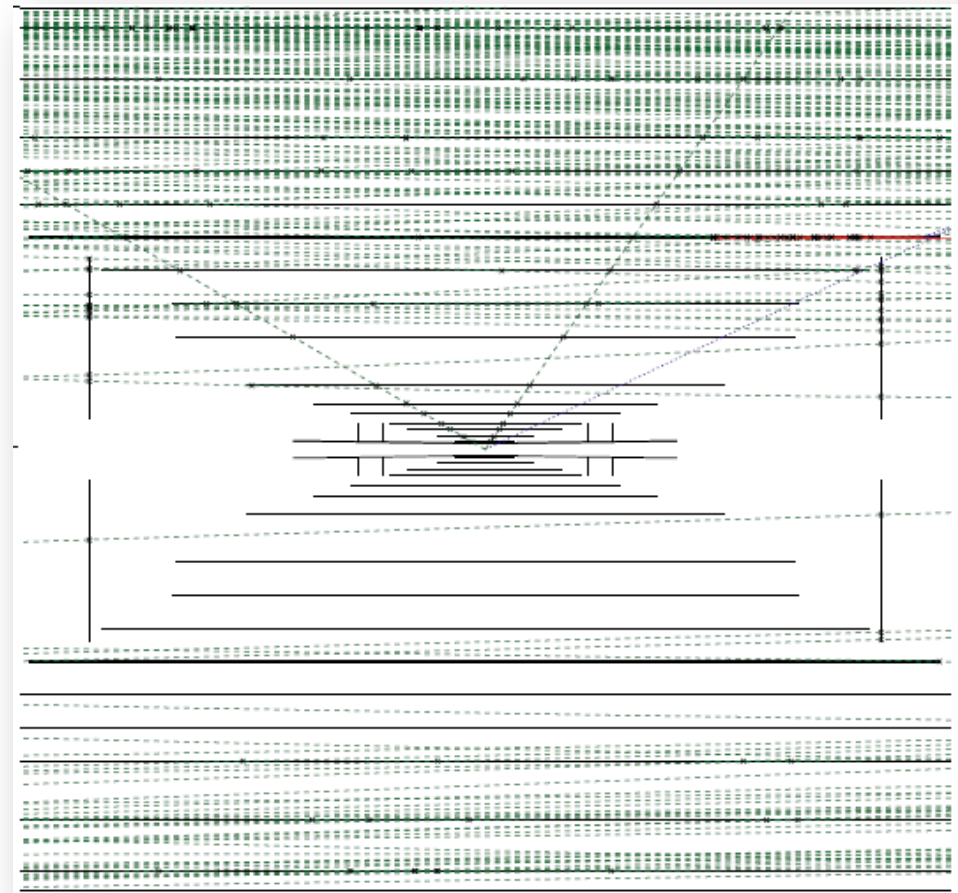


Parallel Muons

Parallel muons originate in Bethe-Heitler interactions of halo beam particles in collimators, fluxes depend on collimated fraction of bunch charge

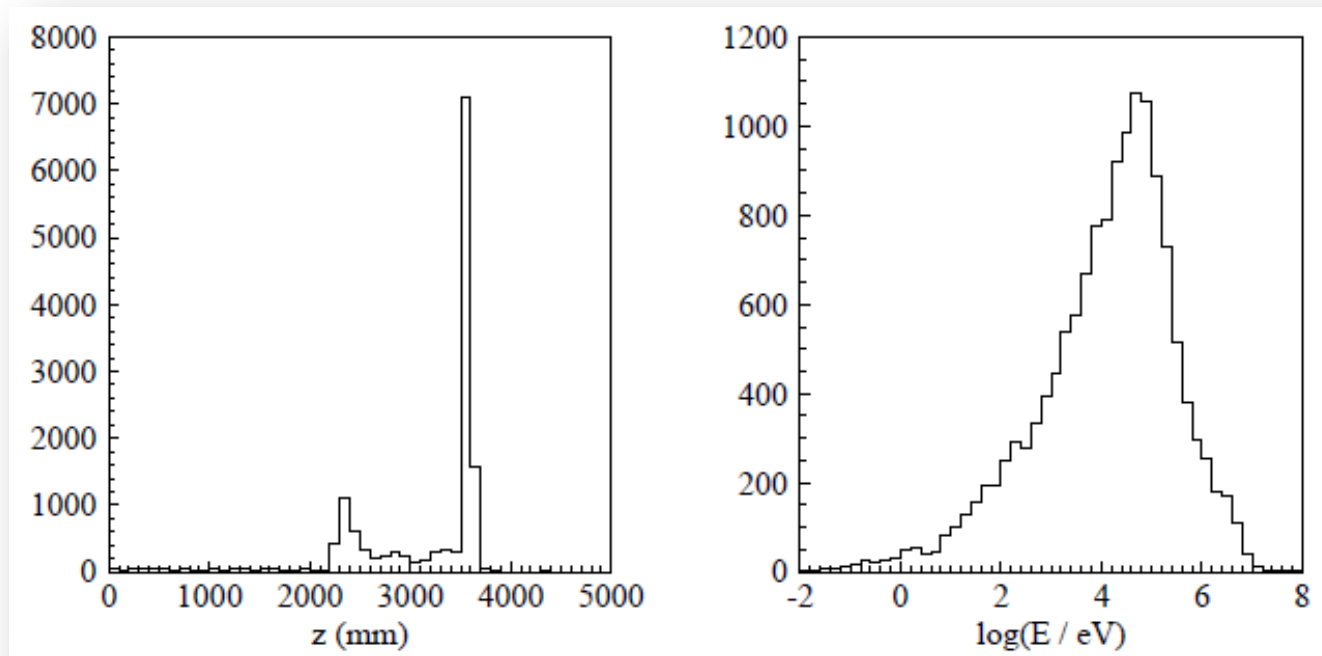
Nb. of muons in detectors /BX
assuming iron spoiler system in
tunnel and 10^{-3} es in beam halo
scraping collimators (but SLC
experience has been up to 10^{-2})

	Nb μ in Detector w/ spoilers BX ⁻¹
$\sqrt{s} = 0.5$ TeV ILC	1.7
$\sqrt{s} = 1.0$ TeV ILC	12.0
$\sqrt{s} = 3.0$ TeV CLIC	26.0



Neutrons

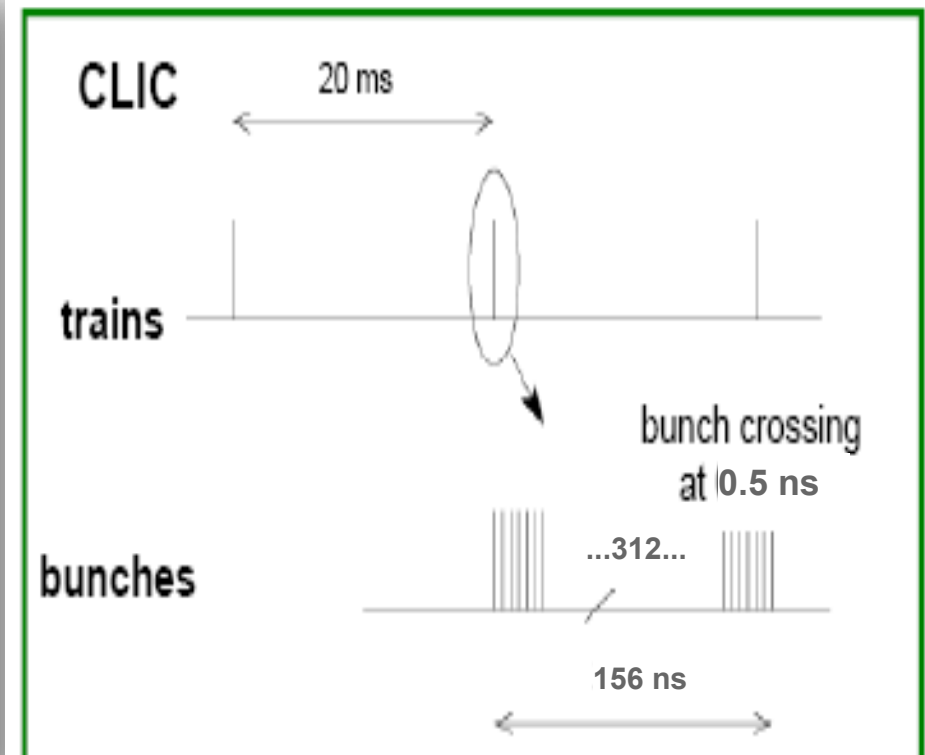
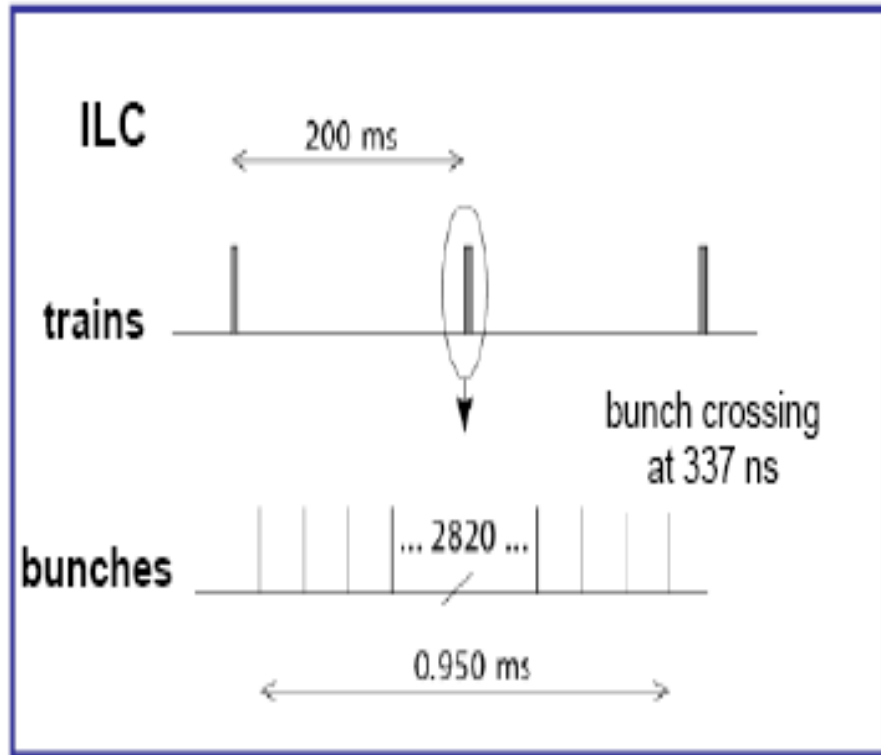
Neutrons are mostly generated through giant resonance production by dumped pairs and disrupted beam. Raw flux can be reduced by $\sim 10^3$ by masks, detailed simulation of actual MDI needed to get precise numbers



	$n(1 \text{ MeV eq})$ $\text{cm}^{-2} \text{ year}^{-1}$
$\sqrt{s} = 0.5 \text{ TeV ILC}$	$\sim 10^{10}$
$\sqrt{s} = 3.0 \text{ TeV CLIC}$	$\sim 5 \times 10^{10}$

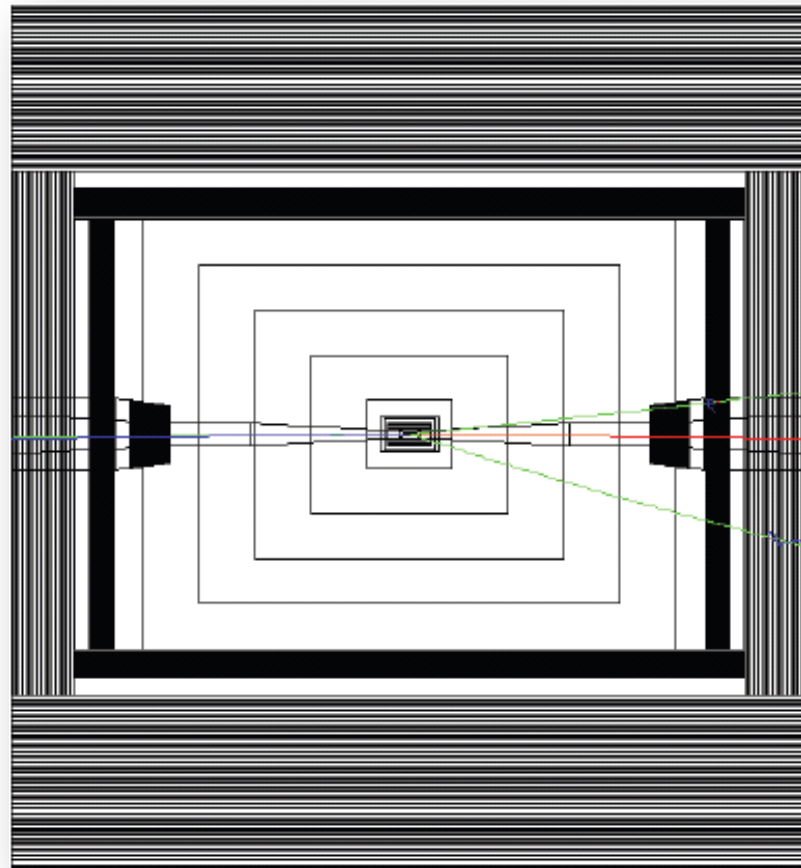
Experimental Conditions

Beam time-structure

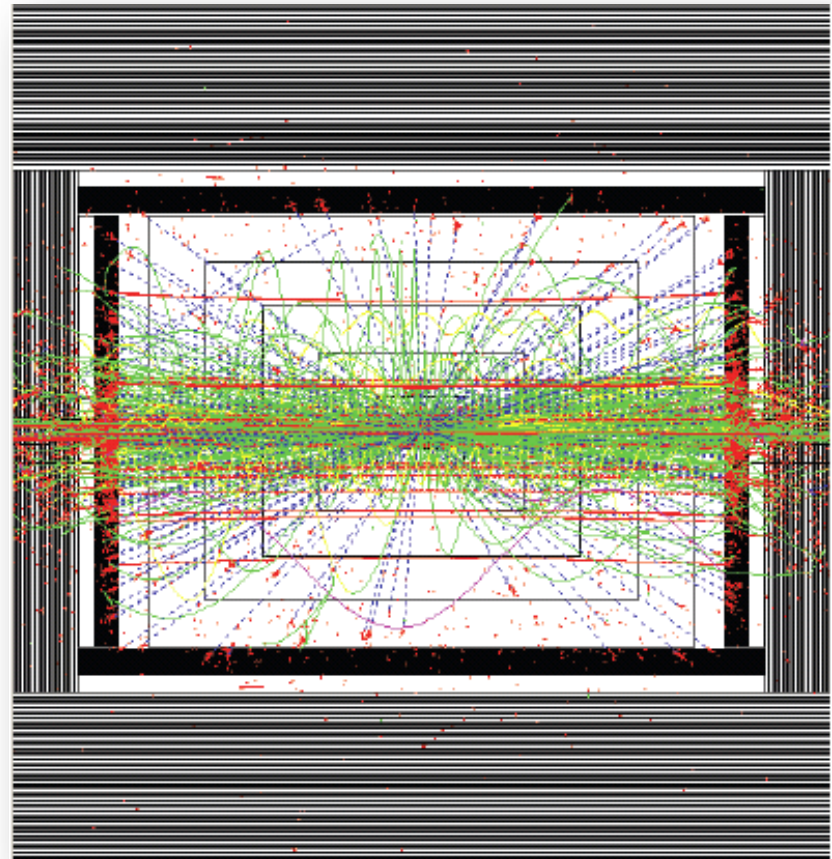


Simulated Backgrounds in Detector at ILC $\sqrt{s}=500$ GeV (SiD Simulation)

1 BX



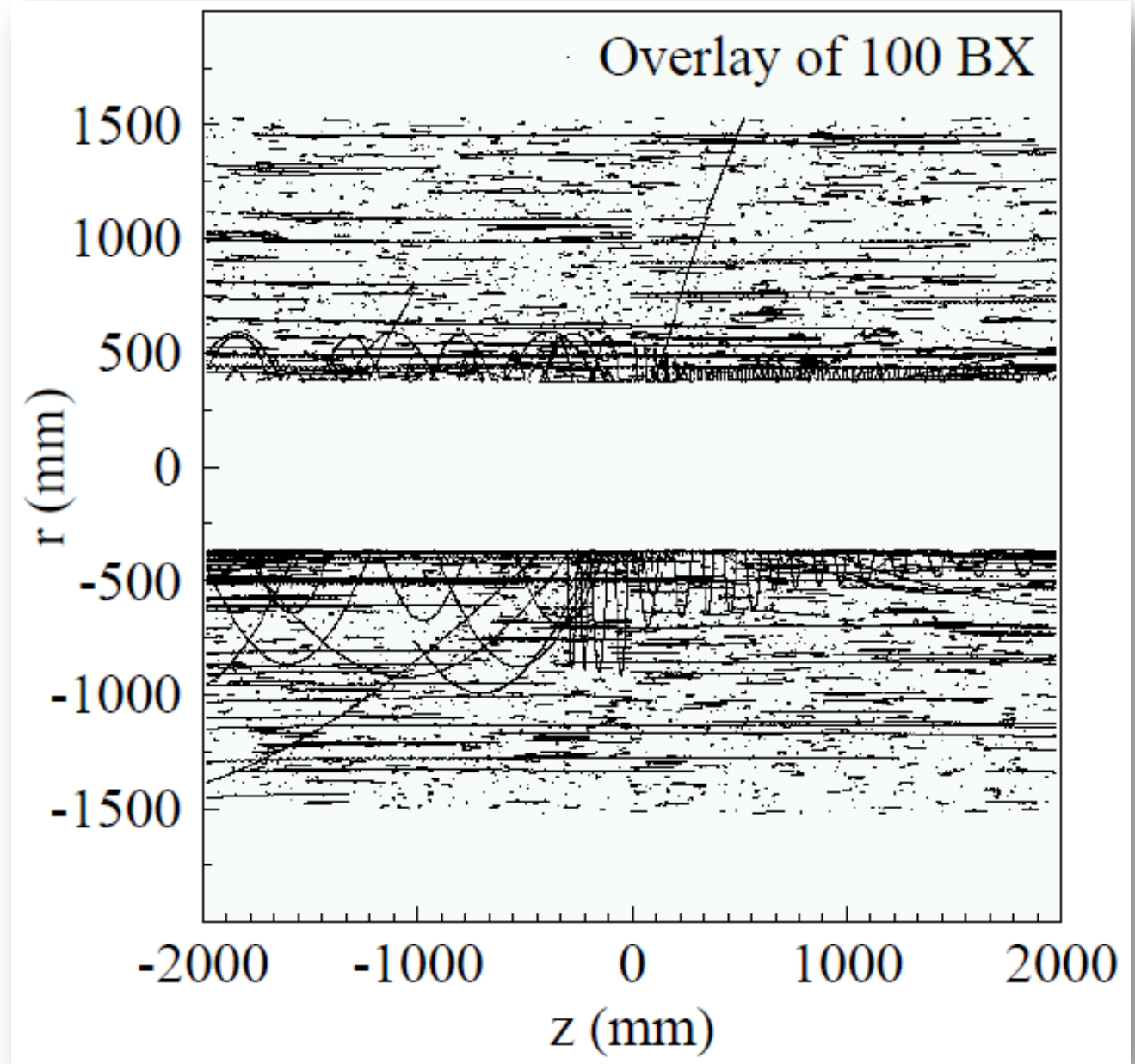
150 BX



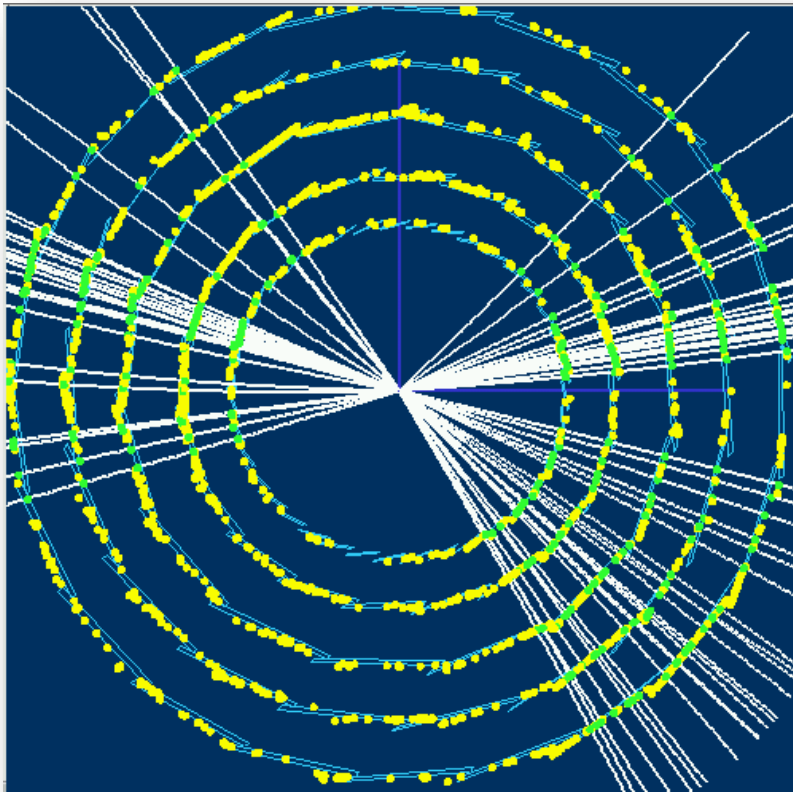
125 tracks
920 GeV Energy

T Barklow
SiD Lol (2009)

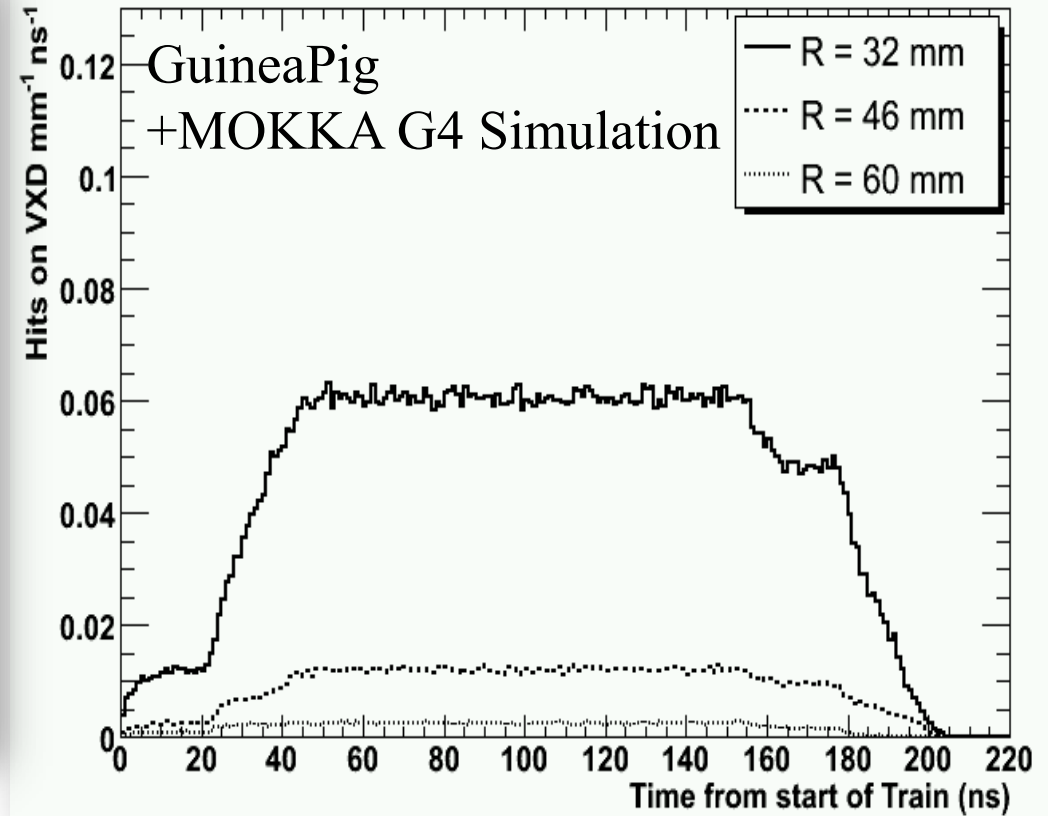
Overlay of Background in TPC at 0.5 TeV



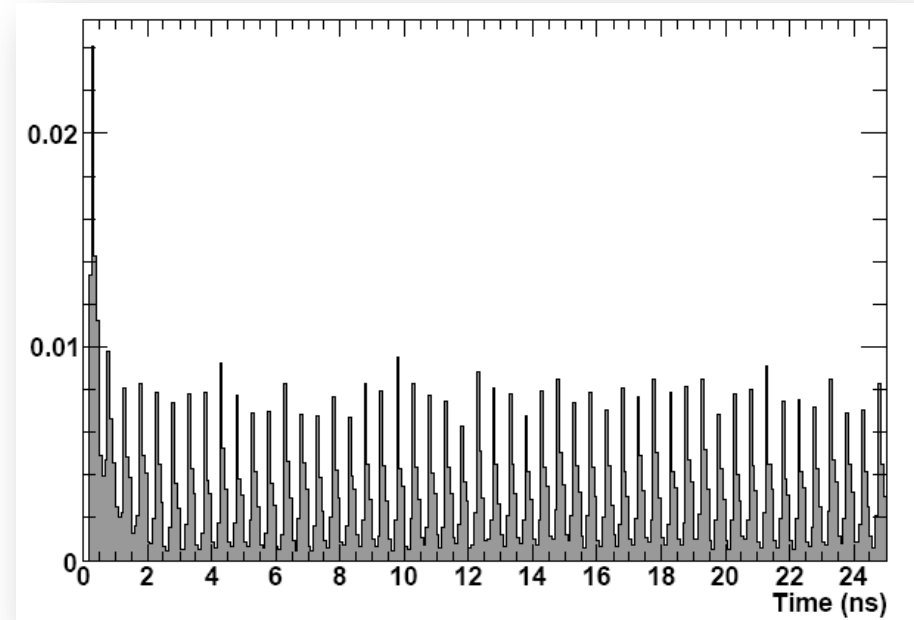
Overlay of Pair Background in Vertex Tracker at 3 TeV



Hit Density on VTX vs time from start of train



Overlay of $\gamma\gamma$ Background in Detector at 3 TeV



0 BX

20 BX

60 BX

