



# COLLECTIVE EFFECTS IN THE CLIC DAMPING RINGS

G. Rumolo,

with the valuable inputs and contribution of F. Antoniou, M. Barnes, S. Calatroni, J. Calvey, J. Crittenden, A. Grudiev, E. Koukovini-Platia, N. Mounet, M. Palmer, Y. Papaphilippou, D. Schoerling, M. Taborelli, A Vivoli, F. Zimmermann  
for the 6<sup>th</sup> CLIC-ACE, 2 February 2011

- **MOST RECENT PARAMETER TABLE WITH TWO OPTIONS**
- **COLLECTIVE EFFECTS STUDIED/UNDER STUDY**
  - **SPACE CHARGE AND IBS**
  - **ELECTRON CLOUD**
    - **BUILD UP AND BEAM STABILITY**
    - **HEAT LOAD IN SUPERCONDUCTING WIGGLERS**
  - **SINGLE BUNCH INSTABILITIES**
    - **HIGH FREQUENCY RESISTIVE WALL FROM COATING**
    - **BROAD BAND IMPEDANCE BUDGET**
  - **COUPLED BUNCH INSTABILITIES**
    - **LOW FREQUENCY RESISTIVE WALL**
    - **FAST ION INSTABILITIES**
- **A LIST OF FUTURE STUDIES**



# Damping Ring parameter table

Y. Papaphilippou

Parameters	1GHz	2GHz
Energy [GeV]	2.86	
Circumference [m]	427.5	
Energy loss/turn [MeV]	4.0	
RF voltage [MV]	5.1	4.5
Stationary phase [°]	51	62
Natural chromaticity x / y	-115/-85	
Momentum compaction factor	1.3e-4	
Damping time x / s [ms]	2.0/1.0	
Number of dipoles/wigglers	100/52	
Cell /dipole length [m]	2.51 / 0.58	
Dipole/Wiggler field [T]	1.0/2.5	
Bend gradient [1/m <sup>2</sup> ]	-1.1	
Tunes x / y	49.64/11.34	
Bunch population, [e9]	4.1	
IBS growth factor x/z/s	1.5/1.4/1.2	
Hor./ Ver Norm. Emittance [nm.rad]	456/4.8	472/4.8
Bunch length [mm]	1.8	1.6
Longitudinal emittance [keV/m]	6.0	5.3
Space charge tune shift	-0.10	-0.11

- Reduced circumference
  - Lower space-charge tune-shift
- Increased momentum compaction factor
  - Longer bunch for reducing space-charge tune-shift and increasing CSR instability threshold
- RF frequency of 1GHz (two trains)
  - Halving peak power and current, thereby reducing transient beam loading
  - Increase harmonic number i.e. longer bunch (see above)
  - Less e-cloud production (bunch spacing doubled)
  - Less pronounced Fast Beam Ion Instability (doubling critical mass above which particles get trapped, clearing gap between the two trains)

# Space charge

- Space charge causes a **negative tune-shift** that can be estimated by integrating all over the ring circumference the contribution from a section  $ds$  of the ring. For a Gaussian beam, the formula reads

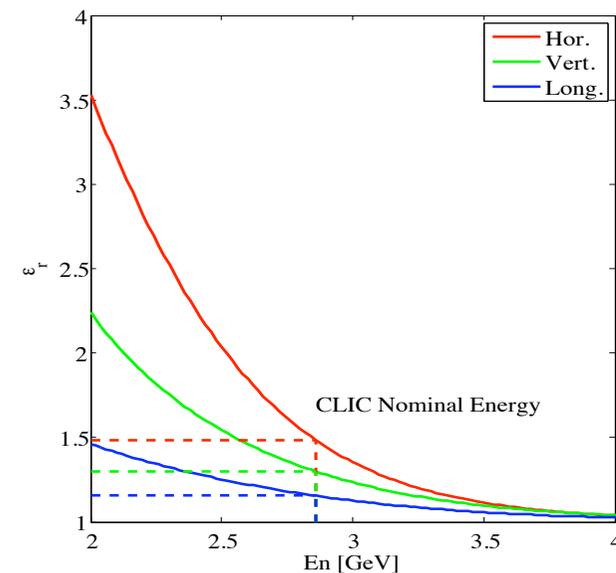
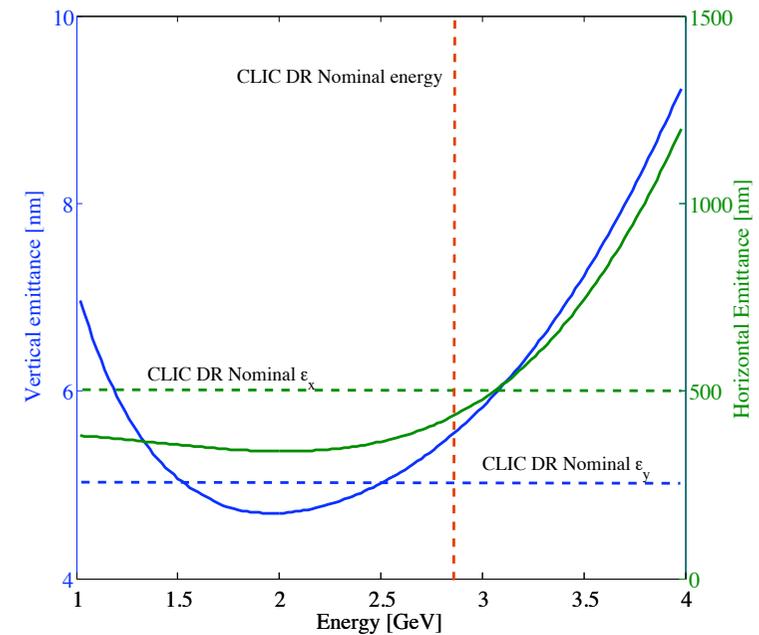
$$\Delta Q_{x,y} = - \frac{N_b r_e C}{(2\pi)^{3/2} \gamma^3 \sigma_z} \oint \frac{\beta_{x,y}}{\sigma_{x,y} (\sigma_x + \sigma_y)} ds$$

- For the present CLIC damping ring parameters, the vertical tune-shift after damping was reduced to -0.1 (versus -0.2 for the previous parameter) by
  - Reducing the circumference
  - Lengthening the bunch with larger momentum compaction
- For a previous ring version (slightly shorter ring, with lower energy and vertical SC tune-shift of -0.2), **HEADTAIL simulations** without the effect of radiation damping showed that the emittance growth is  $\sim 10\%$  (i.e. 5% of the beam size). **More ORBIT-PTC simulations** envisaged.
- Note that high-intensity proton rings (e.g. PS) operate with SC tune-spread  $> 0.2$  in both planes, without significant emittance growth over more than 1s and for for much larger emittances

# IBS blow up versus ring emittance

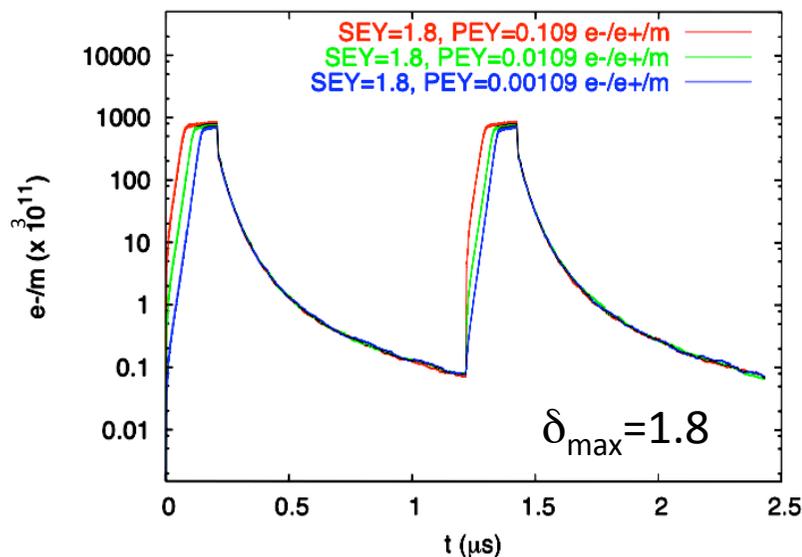
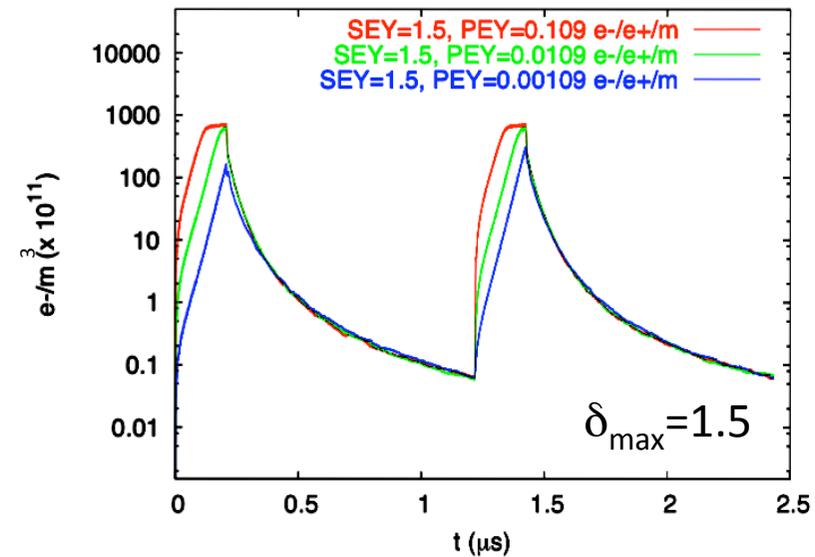
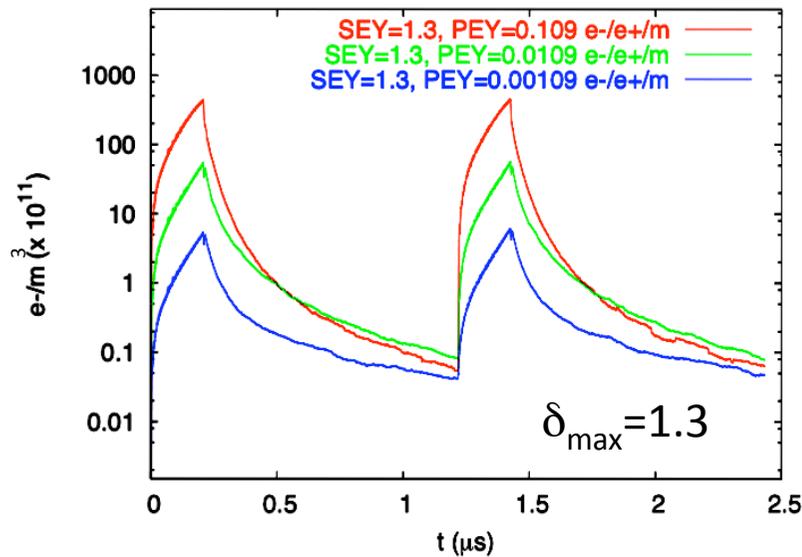
F. Antoniou, Y. Papaphilippou, A. Vivoli

- Scaling of emittance growth due to IBS with energy obtained with Piwinski formalism for the same optics and constant output longitudinal emittance
- Broad minimum for transverse emittance  $\sim 2-3\text{GeV}$
- Higher energy reduces ratio between zero current and IBS dominated emittance
- **Choice of  $2.86\text{GeV}$**  in order to relax collective effects while achieving target emittances with contained IBS blow up
- Model predictions successfully compared with IBS tracking code
- CESR-TA measurements foreseen to benchmark predictions



# E-cloud @ 2 GHz: build up in wigglers

Central densities for different PEYs and SEYs



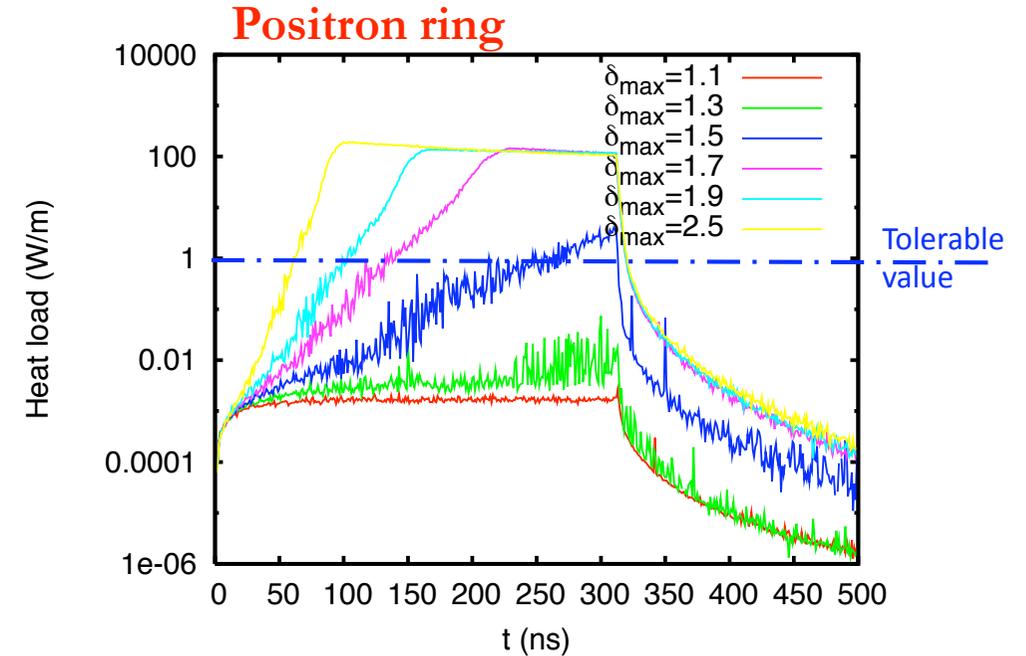
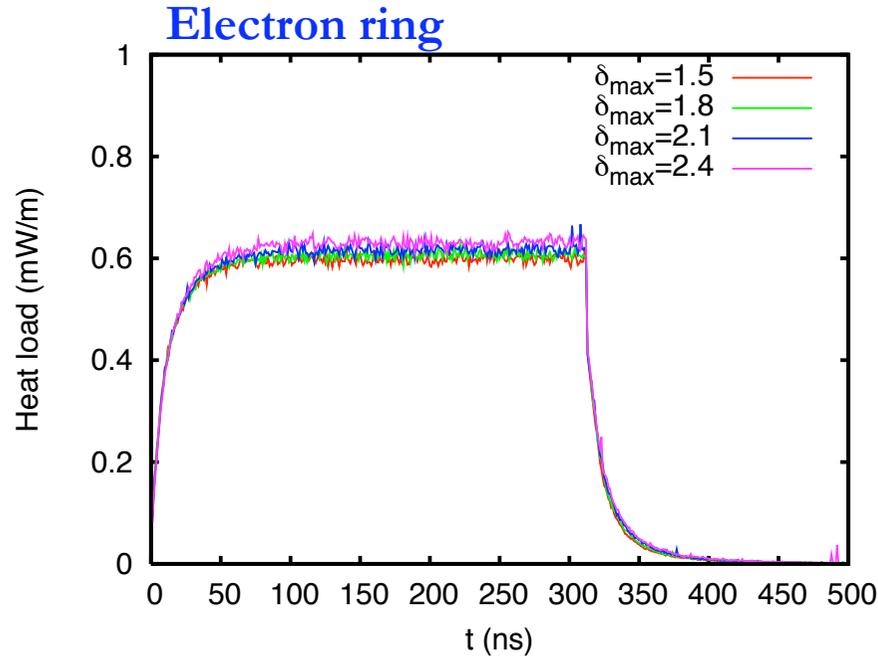
→ To **prevent the electron cloud in the wigglers** from reaching saturation density values causing beam instability (HEADTAIL simulations):

- ✓ **Low PEY** (i.e., 0.01% of the produced radiation not absorbed by an antechamber or by special absorbers or  $\eta_{\text{PE}}$  lowered to relax this constraint), though SEY is low
- ✓ **SEY below 1.3**, independently of the PEY

# E-cloud @ 1 GHz: heat load in wigglers

- 2010-11: we have a baseline design for the **superconducting wigglers** (as shown in Yannis' talk)
- Based on the present design, we have assumed **99.9%** of the synchrotron radiation to go into the absorbers, so that only **0.1%** of the total incident radiation ends up uniformly scattered around the wiggler walls and produces photoelectrons (D. Schoerling)
- Calculations of heat load were done with the E-CLOUD code
- The maximum Secondary Emission Yield ( $\delta_{\max}$ ) has been scanned from 1.1 to values above 2
- Knowing from ANKA about significant heat load measured in a superconducting wiggler, simulations were done both for the **positron and the electron ring**.

# E-cloud @ 1 GHz: heat load in wigglers



- No significant multipacting (heat load) for the **electron ring** (<1 mW/m)
  - Vacuum specification determined by the fast ion instability
- Multipacting appears in the **positron ring** for  $\delta_{\max}$  above 1.3 (but causes strong e-cloud over 1 train passage for values above 1.4-1.5)
  - For values of  $\delta_{\max}$  above 1.4 the heat load grows to values above 1 W/m!
  - Anyway, electron clouds with these values make the beam unstable...
  - With 1GHz,  $\delta_{\max}$  below 1.3 and 0.1% of residual radiation seem acceptable!
  - Low SEY coating (a-C, NEG) is needed

# Against the electron cloud....

- If there is electron cloud in the CLIC-DR, the beam becomes unstable!
  - o Conventional feedback systems cannot damp this instability (wider band needed)
  - o It is necessary to find techniques against the formation of the electron cloud

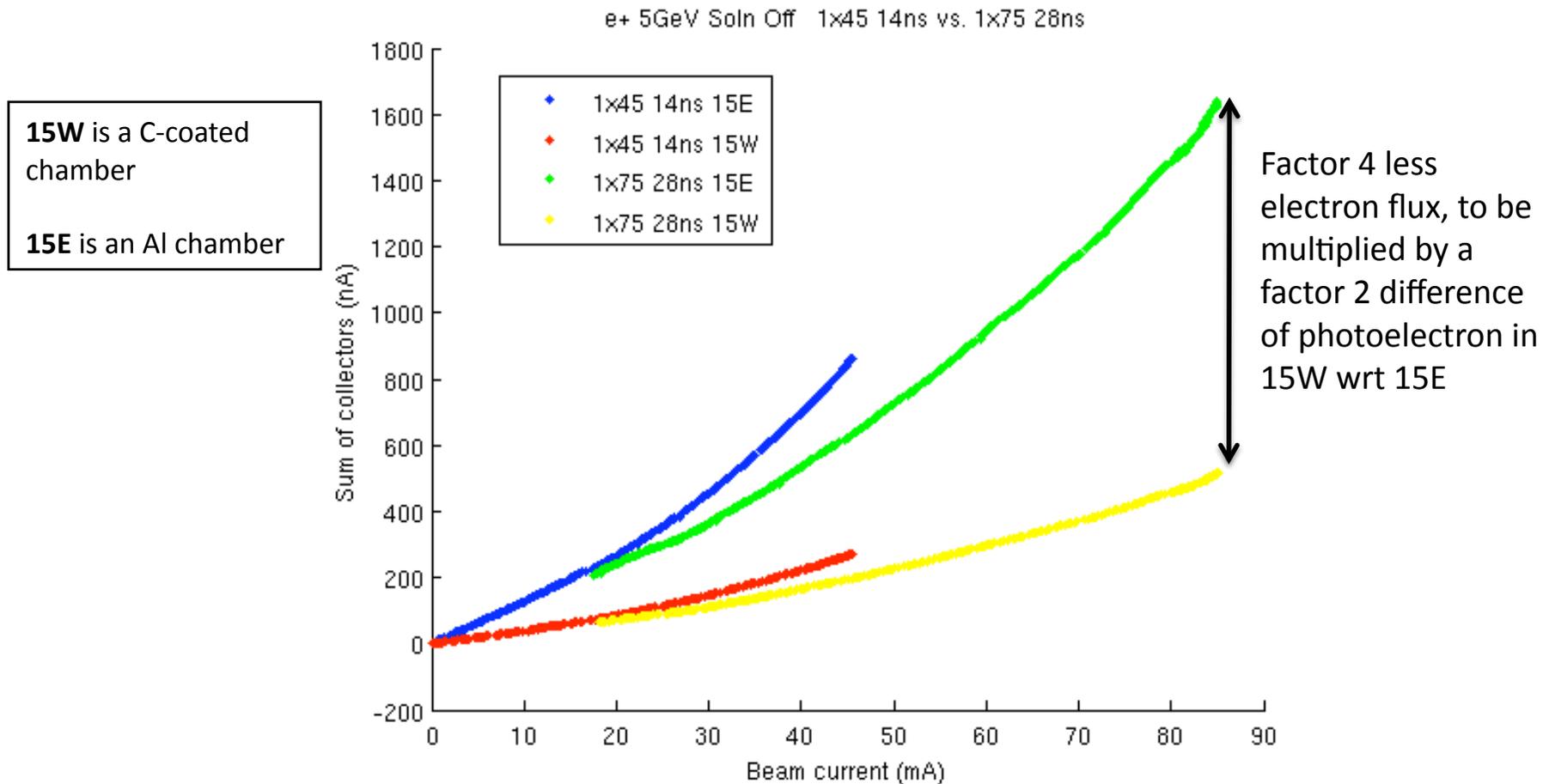
→ Several mitigation techniques are presently under study (LER2010):

- ✓ Low impedance clearing electrodes
- ✓ Solenoids (KEKB, RHIC) -however only usable in field free regions!
- ✓ Low SEY surfaces
  - Grooved surfaces (SLAC)
  - NEG and TiN coating
  - New coatings presently under investigation (SPS and Cesr-TA)

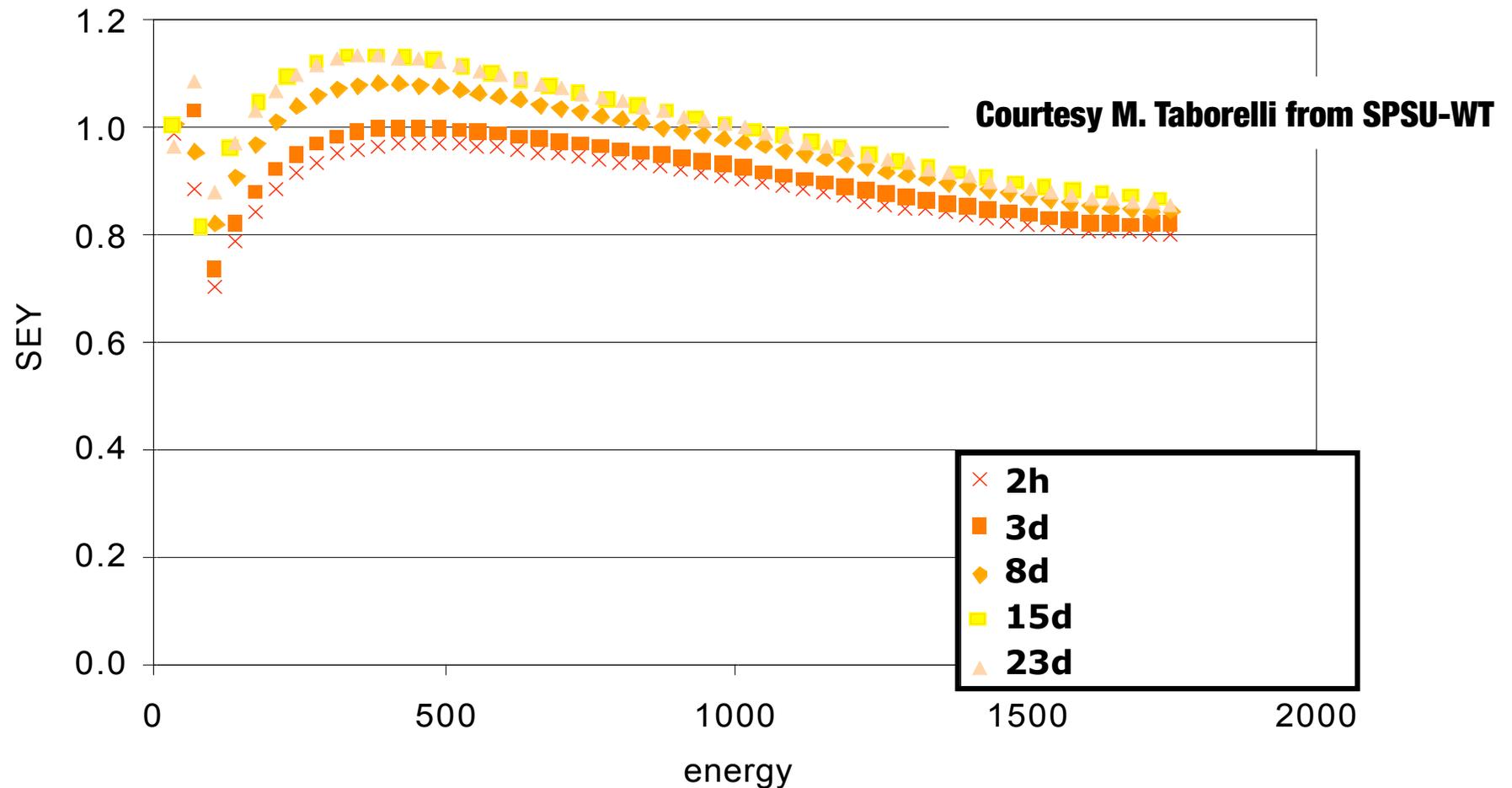
Carbon coatings, intensively studied by the SPS Upgrade Working Team, seem very promising and a possible solution.....

# PEY of an a-C coated surface

- Run with positrons at 5 GeV, example of intensity scan at Csr-TA
- Comparing data with two bunch spacings and train lengths (45 x 14ns, 75 x 28ns). The total electron current is displayed as a function of the beam current.



# SEY of an a-C coated surface



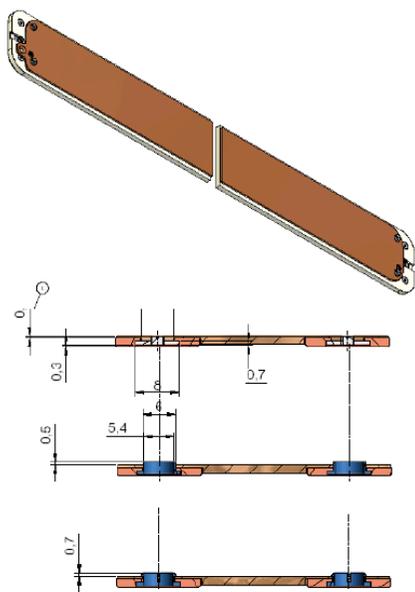
The maximum SEY starts from below 1 and gradually grows to slightly more than 1.1 after 23 days of air exposure. The peak of the SEY moves to lower energy.

# Beware...

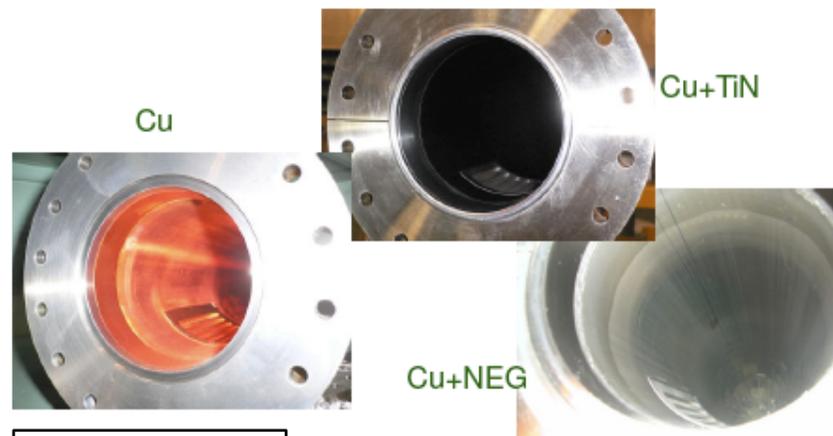
From LER 2010 Workshop

- Some techniques to fight electron cloud (or have good vacuum) do not come for free and can be serious high frequency impedance sources:
  - Surface coating with low SEY materials (Cu, NEG, TiN, a-C)
  - Non-smooth surfaces (natural roughness, grooves)
  - Clearing electrodes
  - NEG coating for pumping

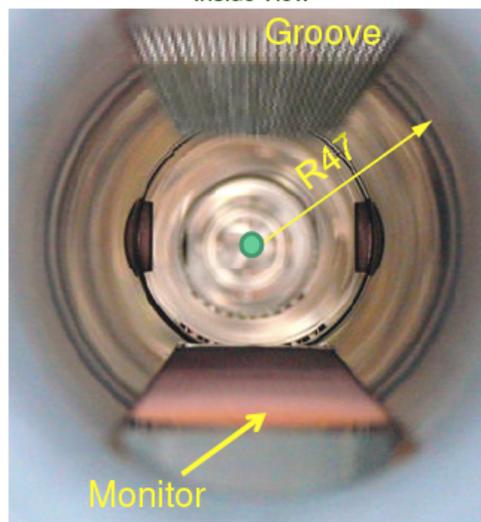
## Clearing electrodes for DAFNE



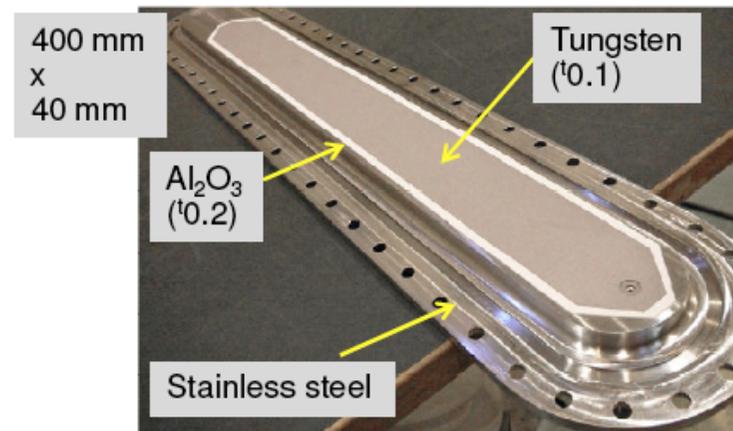
From T. Demma



From S. Suetsugu



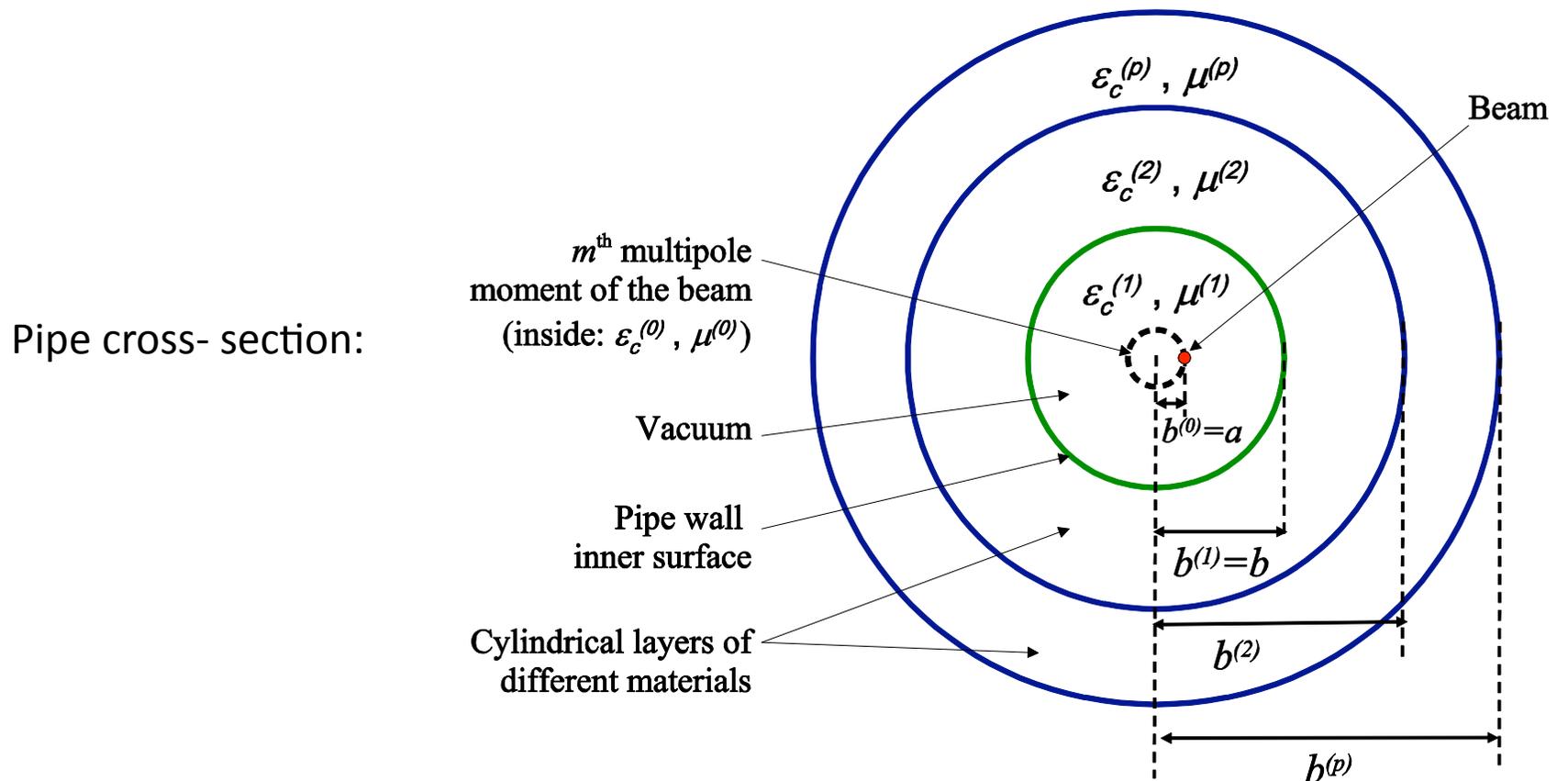
An insertion for test with a thin electrode



# Resistive wall in the CLIC-DR regime

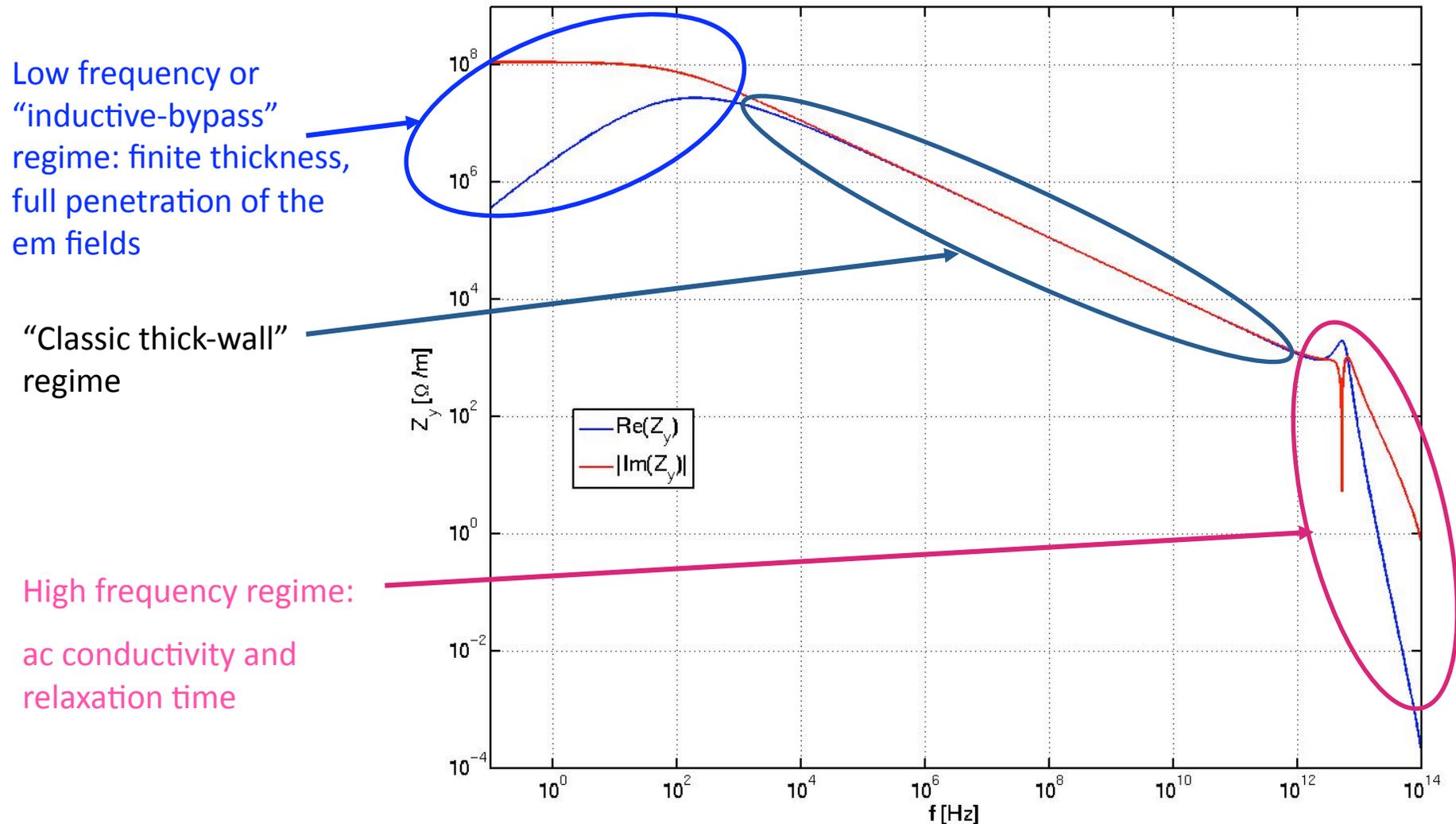
- **Layers of coating materials** can significantly increase the resistive wall impedance at **high frequency**
  - Coating especially needed in the low gap wigglers (not yet decided for the electron ring, as NEG is not proved to pump at low temperatures)
  - Low conductivity, thin layer coatings (NEG, a-C)
  - Rough surfaces (not taken into account so far)

N. Mounet



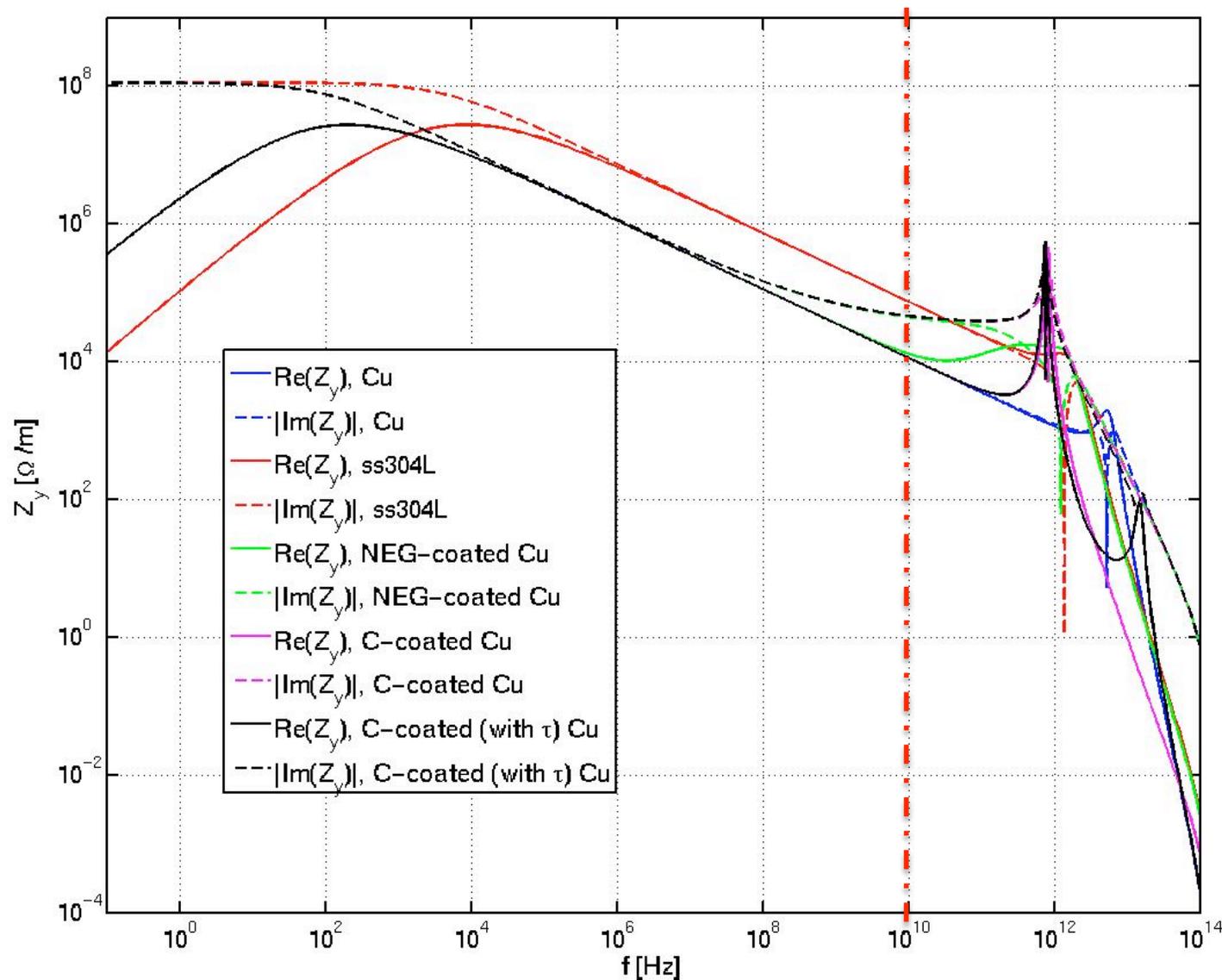
# CLIC-DR Resistive wall impedance w/o coating

- Vertical impedance in the wigglers (pipe made of copper without coating)



# CLIC-DR resistive wall for different coatings

- Vertical impedance in the wigglers for different materials: global view



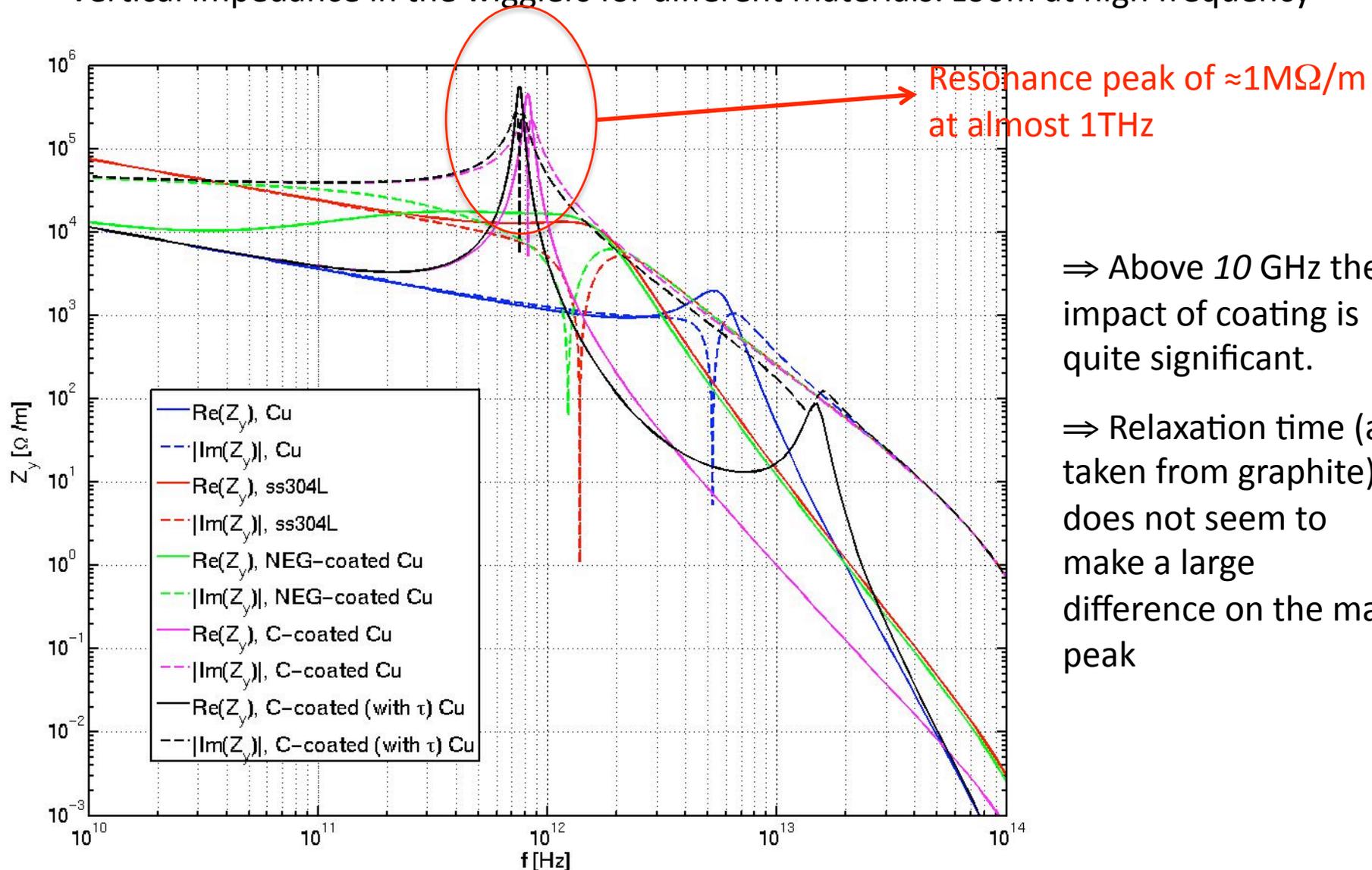
⇒ Coating is “transparent” up to  $\sim 10$  GHz

⇒ But at higher frequencies some narrow peaks appear!!

⇒ So we zoom for frequencies above 10 GHz →

# CLIC-DR resistive wall for different coatings

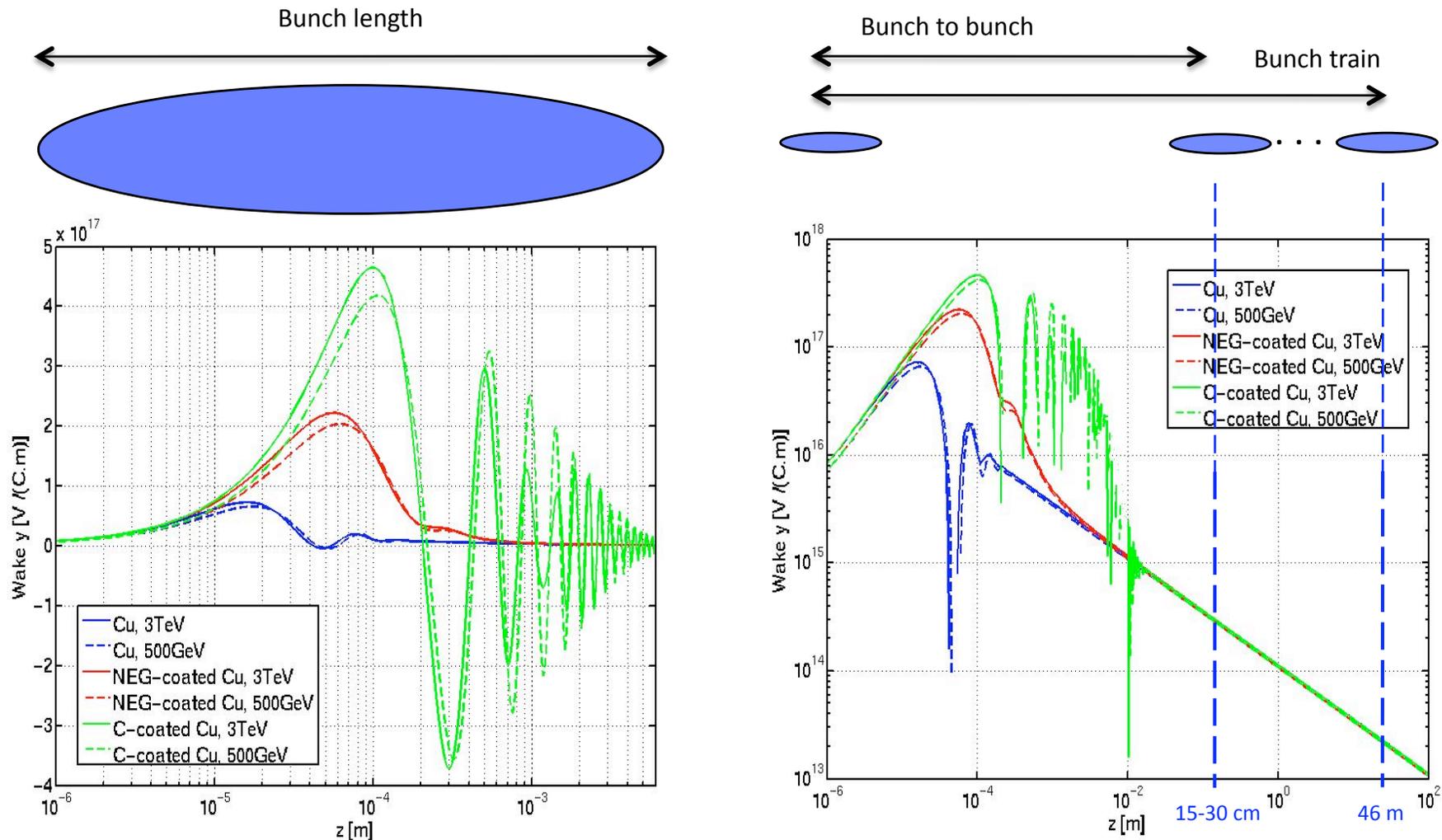
- Vertical impedance in the wigglers for different materials: zoom at high frequency



$\Rightarrow$  Above 10 GHz the impact of coating is quite significant.

$\Rightarrow$  Relaxation time (as taken from graphite) does not seem to make a large difference on the main peak

# Time domain: Wake fields, input for simulations



- The presence of coatings strongly enhances the wake field on the scale of a bunch
- The single bunch instability threshold should be evaluated through simulations, no expected impact on the coupled bunch instability
- This will lower the **transverse impedance budget for the DRs**

# Broad-band impedance budget: single bunch

- **Longitudinal**

✓ The Boussard criterion (including in the formula the suppression factor  $(b/\sigma_z)^2$ ) would give a maximum normalized impedance **value of up to  $3\Omega$**

$$\left| \frac{Z_0^{\parallel}}{n} \right| < 1.7 \ln(2) Z_0 \frac{|\eta| \gamma}{N_b r_0} \sigma_\delta^2 \sigma_z$$

- **Transverse**

✓ The TMCI threshold is given by the formula below for resonator impedance

✓ The CLIC-DRs are in short bunch regime, and the formula translates into a tolerable **impedance value of about  $12 \text{ M}\Omega/\text{m}$**  if  $\omega_r = 2\pi \times 5 \text{ GHz}$

$$\xi < \frac{Q_s}{\omega_r \sigma_t} \quad \text{if } \omega_r \sigma_t \leq 1$$

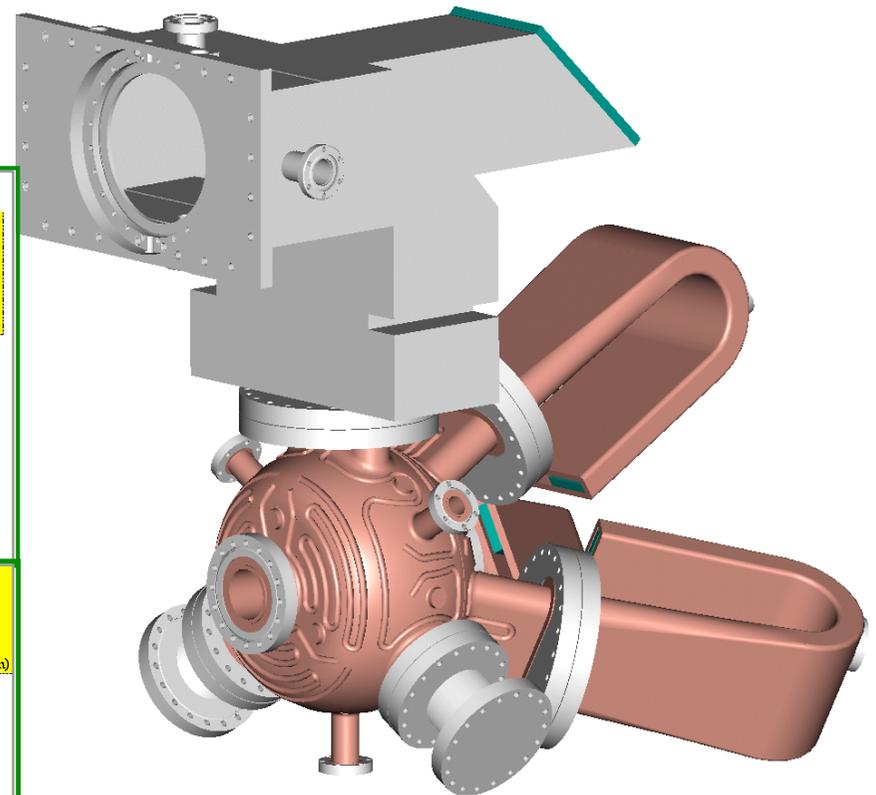
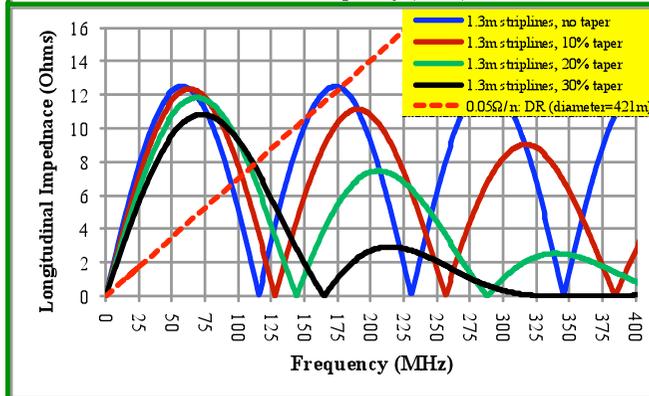
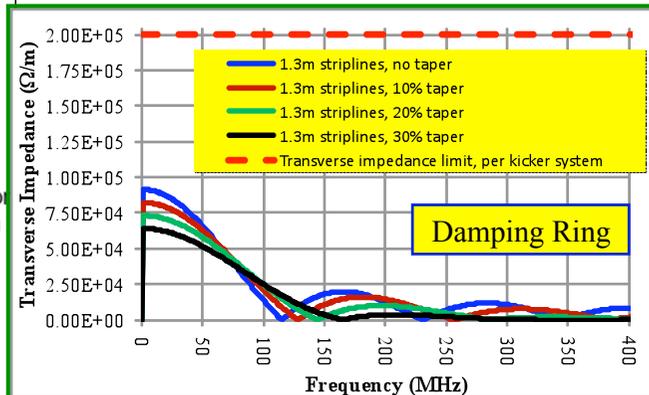
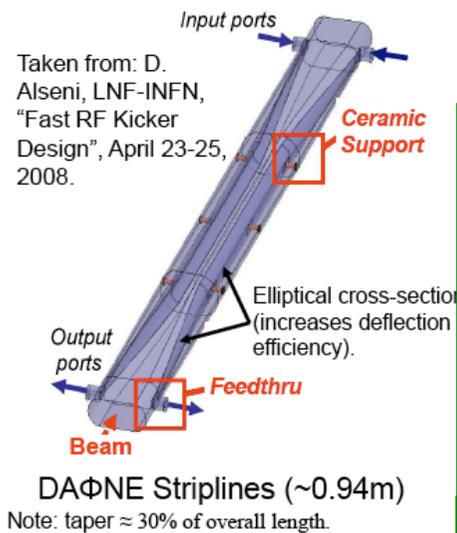
$$\xi < \sqrt{2} Q Q_s (\omega_r \sigma_t)^2 \quad \text{if } \omega_r \sigma_t \gg 1$$

where

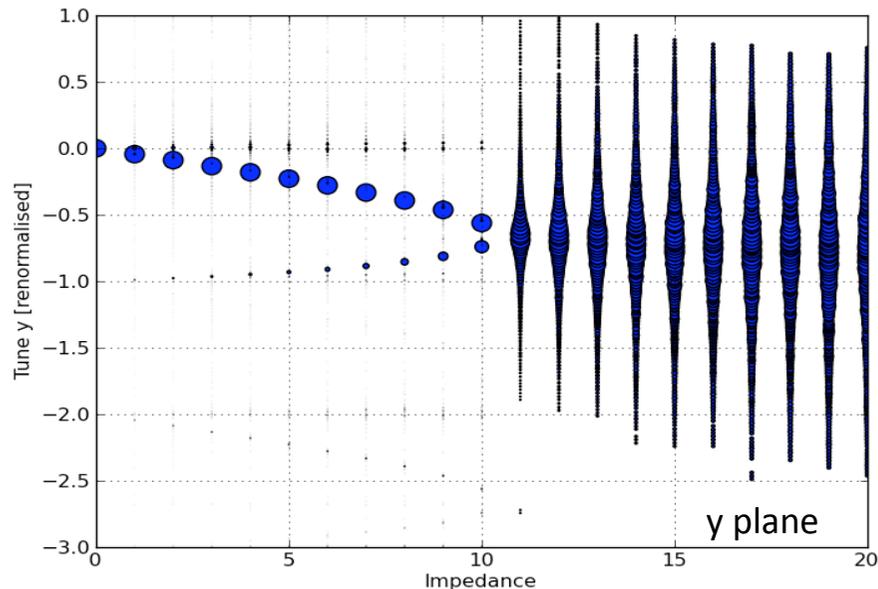
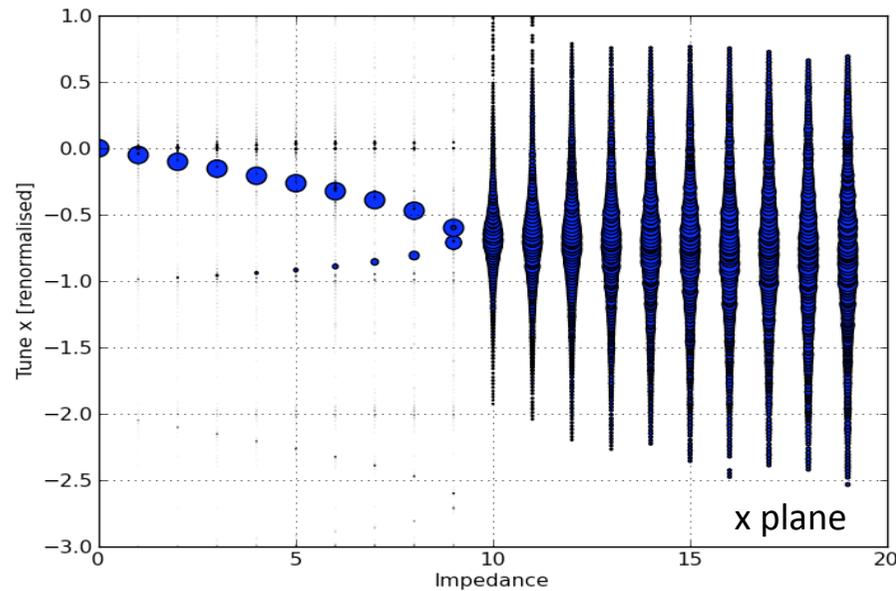
$$\xi = \frac{\omega_r / 2\pi \langle \beta_y \rangle R_T N_b e}{3.75 Q E / e}$$

# Impedance database: program launched

- Contributions of **coatings** to **resistive wall**
- **Kickers**: Choice to go for tapered **stripline** kickers to reduce the transverse and longitudinal impedance. Striplines to be designed and prototyped under the Spanish program Industry for Science (M. Barnes)
- **Cavities**: values scaled from the NLC DR RF cavity design, impact of the **HOMs** on the beam stability/energy loss to be evaluated also depending on the absorbers (A. Grudiev)
- All the wake fields will be used for detailed **HEADTAIL simulations**, as is presently done for the SPS/LHC to predict the instability thresholds



# Impedance budget: TMCI threshold

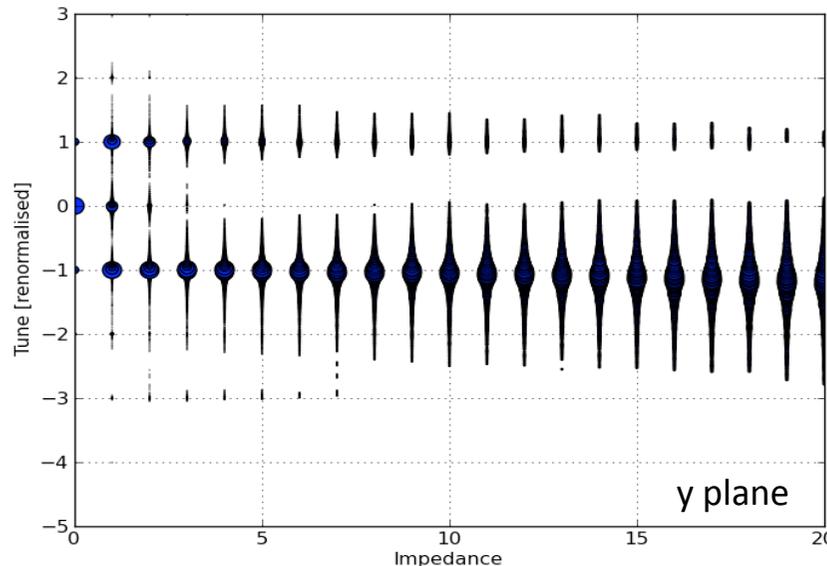
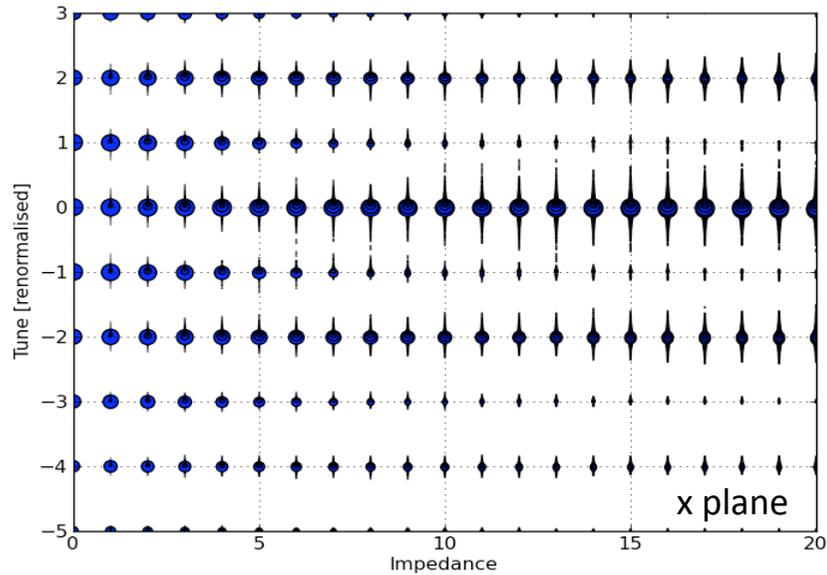


## Mode spectrum of the horizontal and vertical coherent motion as a function of BB impedance

- Plot all the tunes  $(Q-Q_x)/Q_s$  and  $(Q-Q_y)/Q_s$  with impedance
- Mode spectrum represents the natural coherent oscillation modes of the bunch
- The shift of the modes due to impedance causes them to merge and leads to an instability

□ The mode 0 is observed to couple with mode -1 in both planes, causing a TMCI instability, for a symmetric impedance source of about  $11\text{M}\Omega/\text{m}$

# Impedance budget: TMCI threshold



Can positive chromaticity help increase the threshold?

Horiz.chrom. $\xi_x$	0.2
Vert. chrom. $\xi_y$	0.2
Geometry	Round

- Chromaticity makes the modes shift less, no visible coupling
- Another type of instability (head-tail) is observed on **mode -1** (higher for larger  $\xi_{x,y}$ )
- Dangerous as long as rise time is shorter than damping time (lowers impedance budget to only few M $\Omega$ /m for low chromaticity values)

# Coupled bunch instability from resistive wall

$$\Delta\omega_{\mu,m}^{x,y} = -\frac{i}{2} \frac{\Gamma(m+1/2)}{2^m m!} \frac{N_b r_0 c^2 \langle \beta_{x,y} \rangle}{\gamma C \sigma_z} \frac{\sum_{p=-\infty}^{\infty} Z_1^{x,y}(\omega_p) h_m(\omega_p - \omega_{\xi x,y})}{\sum_{p=-\infty}^{\infty} h_m(\omega_p - \omega_{\xi x,y})},$$

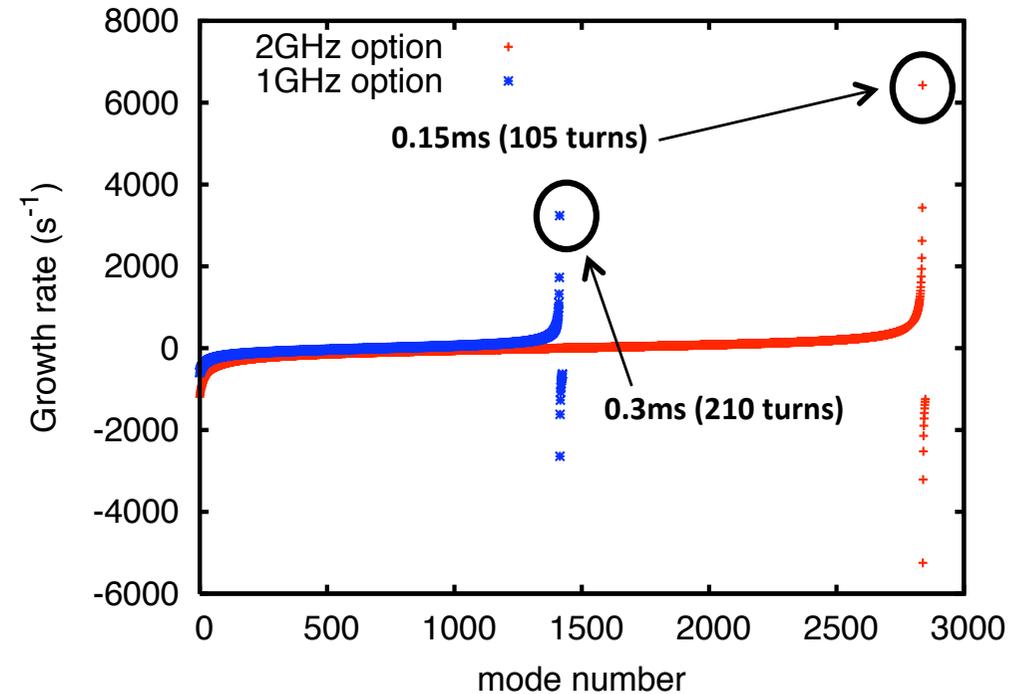
with

$$h_m(\omega) = \left(\frac{\omega \sigma_z}{c}\right)^{2m} \exp\left(-\frac{\omega^2 \sigma_z^2}{c^2}\right)$$

$$\omega_p = (pM + \mu + Q_{x,y} + m\nu_s)\omega_0$$

$$\mu = 0, 1, \dots, M-1$$

$$m = 0, \pm 1, \pm 2, \dots$$



Pessimistic estimate because:

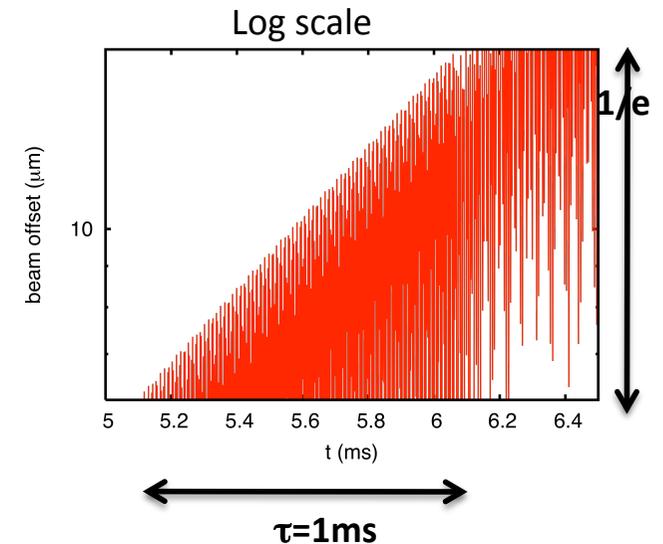
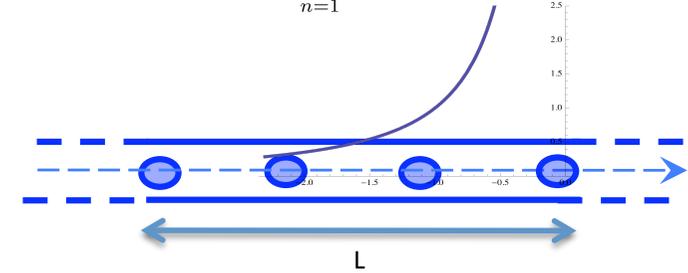
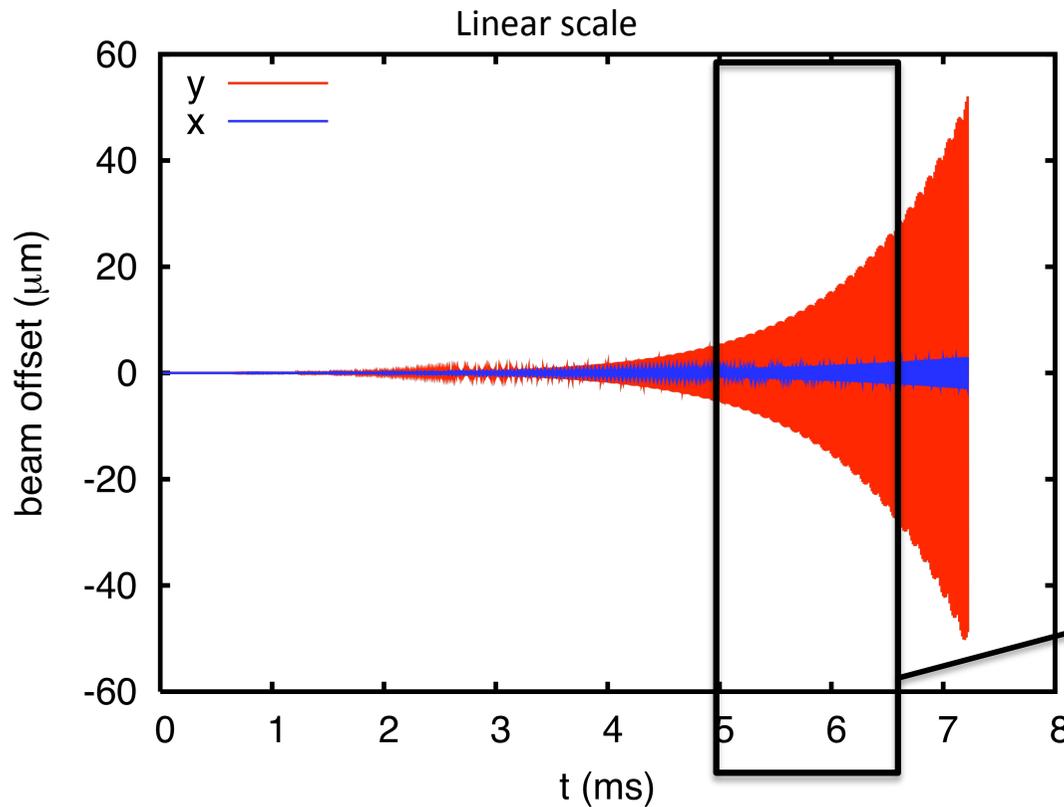
1. Wigglers only cover half of the ring, which gives possibly a factor 2
2. Instability rate has to be scaled by  $n_b/M$ , because the formulae assume a uniformly filled ring.

However we assumed a Cu pipe!

# Coupled bunch instability: macroparticle simulation

HEADTAIL simulations with the parameters of the 2 GHz option

$$\Delta x'_{i,j} \propto N_e \sum_{n=1}^{N-i-1} [W_{\perp d}(ncT_b)\langle x \rangle_n + W_{\perp q}(ncT_b)x_j]$$



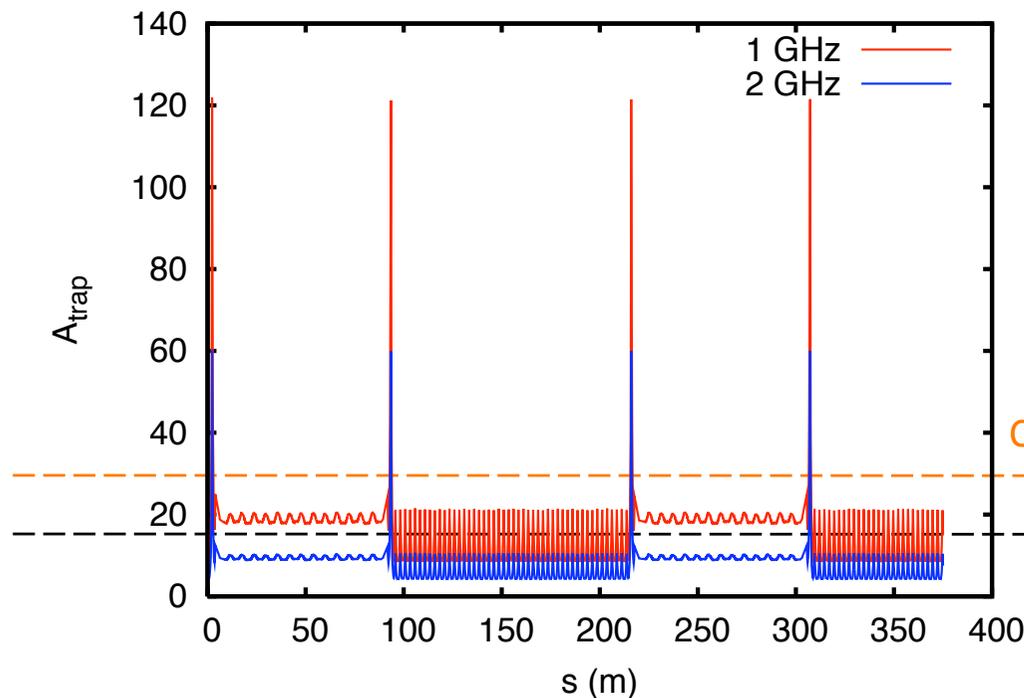
In the plot

→ The evolution of the vertical centroid of the train exhibits an exponential growth in both the horizontal (slow) and vertical (fast) plane

→ The **rise time** is larger than the calculated one by about a factor 5-10, because the simulation takes into account the real wiggler length and the train length

# Coupled bunch instability: fast ion effects

The ions trapped around the beam are those having a mass number above a critical value, which depends on the location in the ring (due to the different beam sizes)



$$\Delta Q_{\text{ion}} \simeq \frac{N_b n_b r_e C}{\pi \gamma \sqrt{\epsilon_x \epsilon_y}} \left( \frac{\sigma_{\text{ion}} p}{k_B T} \right) \simeq \begin{cases} 0.008 & 1\text{GHz} \\ 0.02 & 2\text{GHz} \end{cases}$$

$$\tau_{\text{inst}} \simeq \frac{0.1 \cdot \gamma \sigma_x \sigma_y}{N_b n_b c r_e \beta_y \sigma_i} \left( \frac{k_B T}{p} \right) \sqrt{\frac{8}{\pi}}$$

- ✓ Molecules like  $\text{N}_2$ ,  $\text{CO}$  trapped almost along the full ring (1 and 2GHz).
- ✓ For the 1 GHz option the critical masses for trapping are twice as large, reducing the fraction of the ring over which ions like  $\text{H}_2\text{O}$  can be trapped.
- ✓ With a pressure of 1nTorr moderate tune shift, but intolerable instability growth time (few turns for both options)!

## From summary talk of LER 2010: instabilities and beam quality degradation



- Many types of instabilities observed in the existing machines, often limiting their performance, and enhanced by low emittance design
  - Coupled bunch instabilities (e.g., e-cloud in DAΦNE, FBII in SOLEIL)
  - Transverse Mode Coupling Instability (ELETTRA)
  - Head-tail instabilities on mode 0, or higher (ELETTRA, SOLEIL)
  - Bunch lengthening, hitting the microwave instability threshold (DAΦNE, ELETTRA)
  - Emittance blow up (DAΦNE, SOLEIL)
  - CSR causing microwave-like instability (ANKA)
- Instability suppression:
  - High positive chromaticity, but this excites higher order head-tail modes and could deteriorate the beam lifetime
  - Landau cavities for bunch lengthening
  - Impedance reduction (→ low impedance design, HOM absorption)
  - Active feedback system (multi-bunch or single-bunch)
  - Quality of the vacuum, low SEY surfaces
  - Still unidentified self-stabilizing mechanism for FBII? Seldom observed in existing light sources, formulae are pessimistic



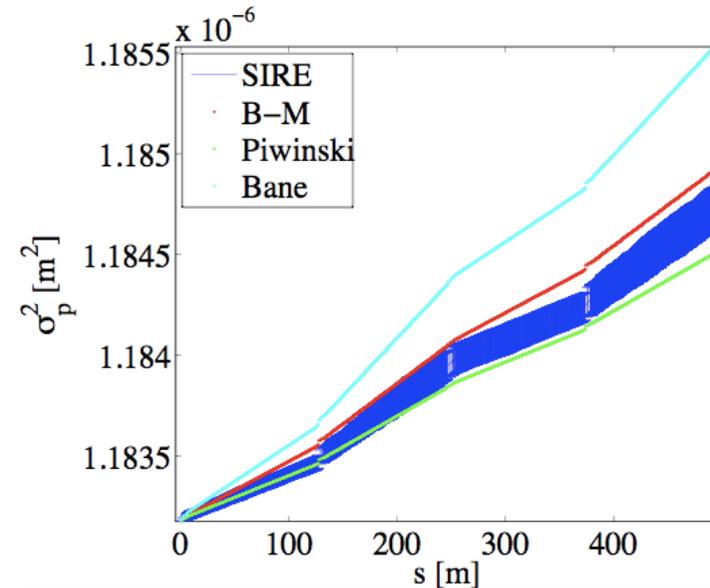
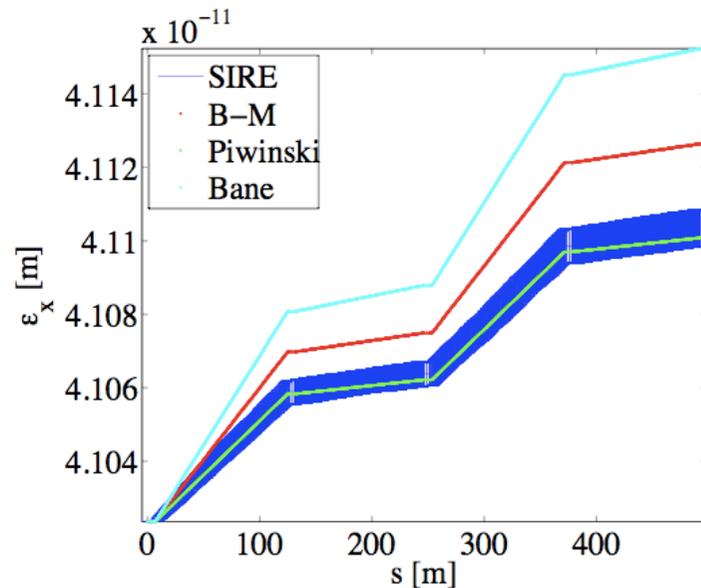
# A LIST OF FUTURE STUDIES

- **High frequency** effects of **resistive wall** (general and from coated chambers):
    - ✓ Properties of the coating material
      - Measure or calculate  $\epsilon(\omega)$ ,  $\mu(\omega)$  and  $\sigma(\omega)$
      - Ac conductivity (relaxation time)
      - Anomalous skin effect (breaking of Ohm's law at high frequency)
    - ✓ **Yokoya's factors**, applicable in the classical resistive wall regime, maybe not valid at high frequency (and the wiggler chambers are flat) → underway!
    - ✓ Influence of surface roughness, of temperature (wigglers are cold, better for Cu but worse for a-C?), of curvature ...
    - ✓ Tests to be possibly foreseen in Cesr-TA?
  - **Impedance** database:
    - ✓ Stripline kickers: em simulations, build prototype, bench measurements, tests in ATF (M. Barnes, C. Belver)
    - ✓ Include more available contributions:
      - Instrumentation (BPMs, emittance measurements devices)
      - Clearing electrodes (maybe option to be kept in consideration)
  - Feasibility and specifications of a **feedback system**
  - Macroparticle **simulations**:
    - ✓ Space charge
    - ✓ Single and multi-bunch instability thresholds with impedances from database
  - Coherent synchrotron radiation
- ⇒ Issue → Limited manpower!



# IBS tracking code

F. Antoniou, A. Vivoli, et al.



- Developed Monte-Carlo tracking code for IBS including synchrotron radiation damping and quantum excitation (SIRE, based on MOCAC)
- Agreement between analytical emittance growth (especially Piwinski approach) and the mean values obtained by 20 SIRE runs
- Final emittances obtained by SIRE are within the CLIC DR budget
- Benchmarking with measurements foreseen at CESR-TA

# Beam stability with e-cloud (HEADTAIL)

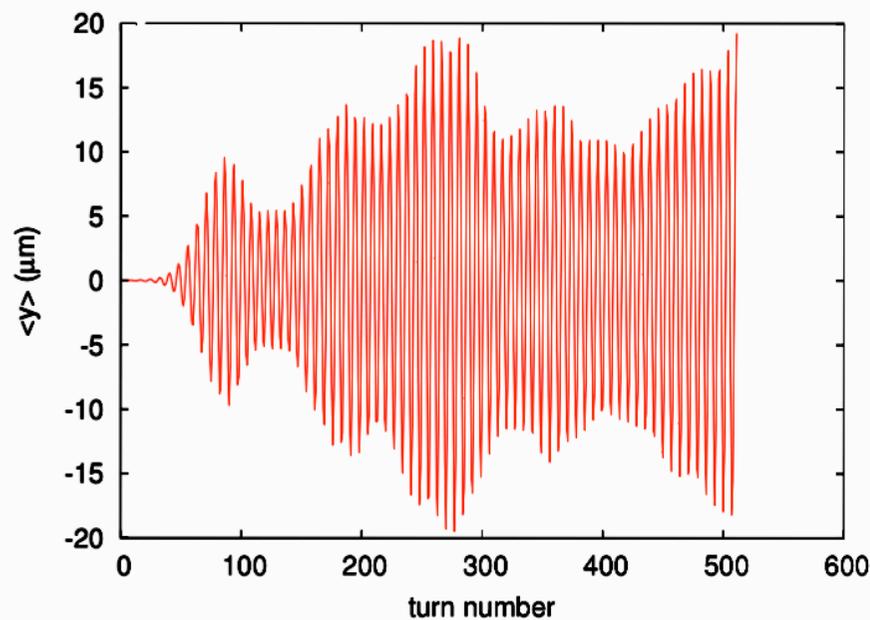
→ In case of electron cloud build up, we assume these density values in arcs and wigglers (saturation values weighted by the fraction of coverage):

$$\rho_{\text{wig}} = 2 \times 10^{13} \text{ m}^{-3}$$

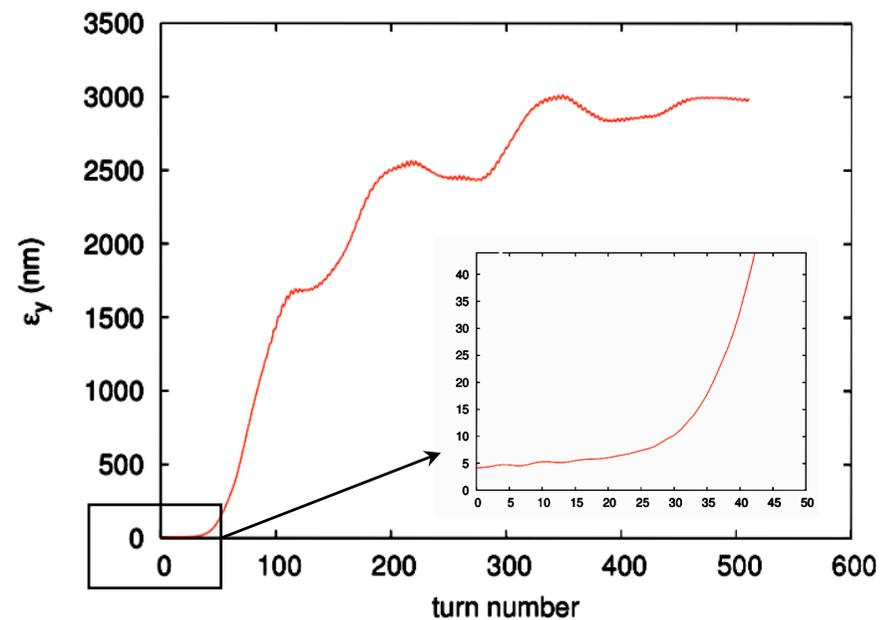
$$\rho_{\text{dip}} = 3 \times 10^{11} \text{ m}^{-3}$$

→ The beam is affected by **a strong and fast instability in the vertical plane**

→ The presence of an electron cloud in the wigglers is not compatible with stable operation of the positron damping ring. **Electron cloud suppression is necessary!**

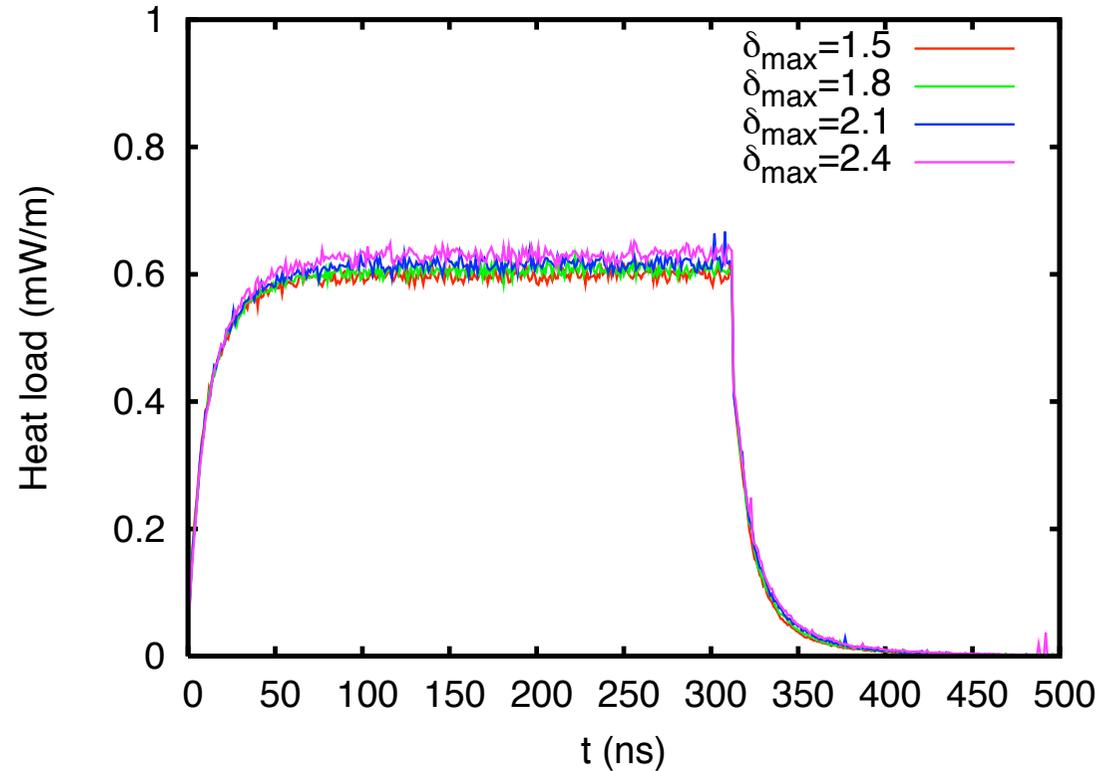


\* Vertical centroid motion



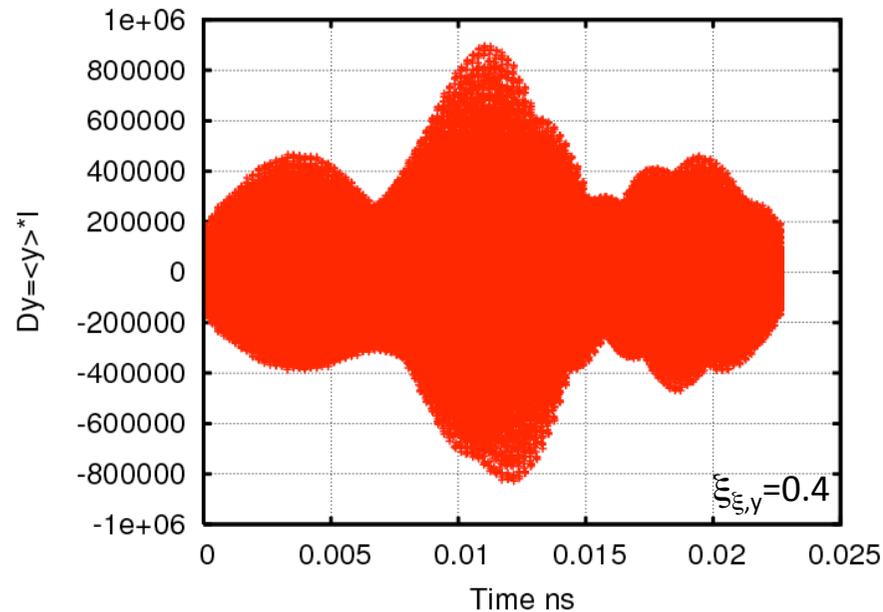
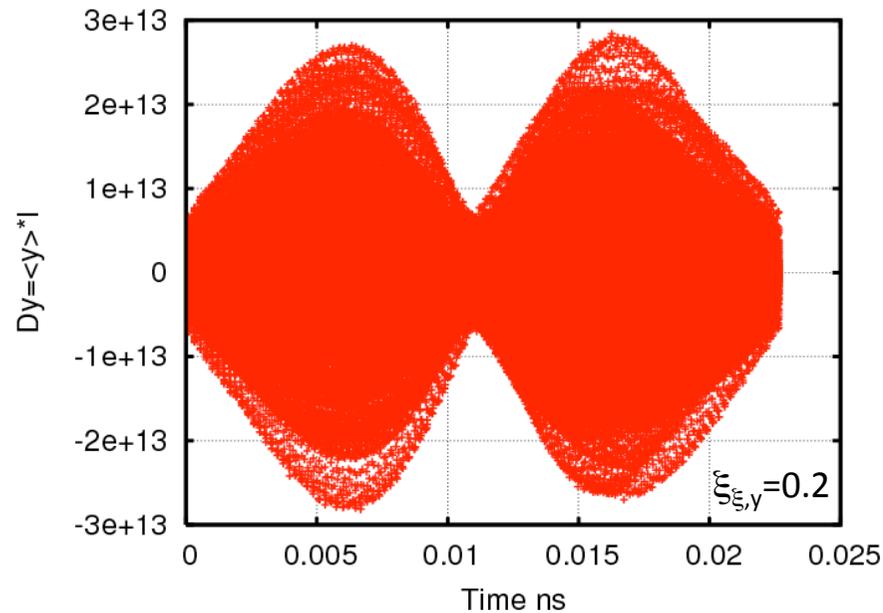
\* Vertical emittance evolution

# E-cloud @ 1 GHz: the electron ring



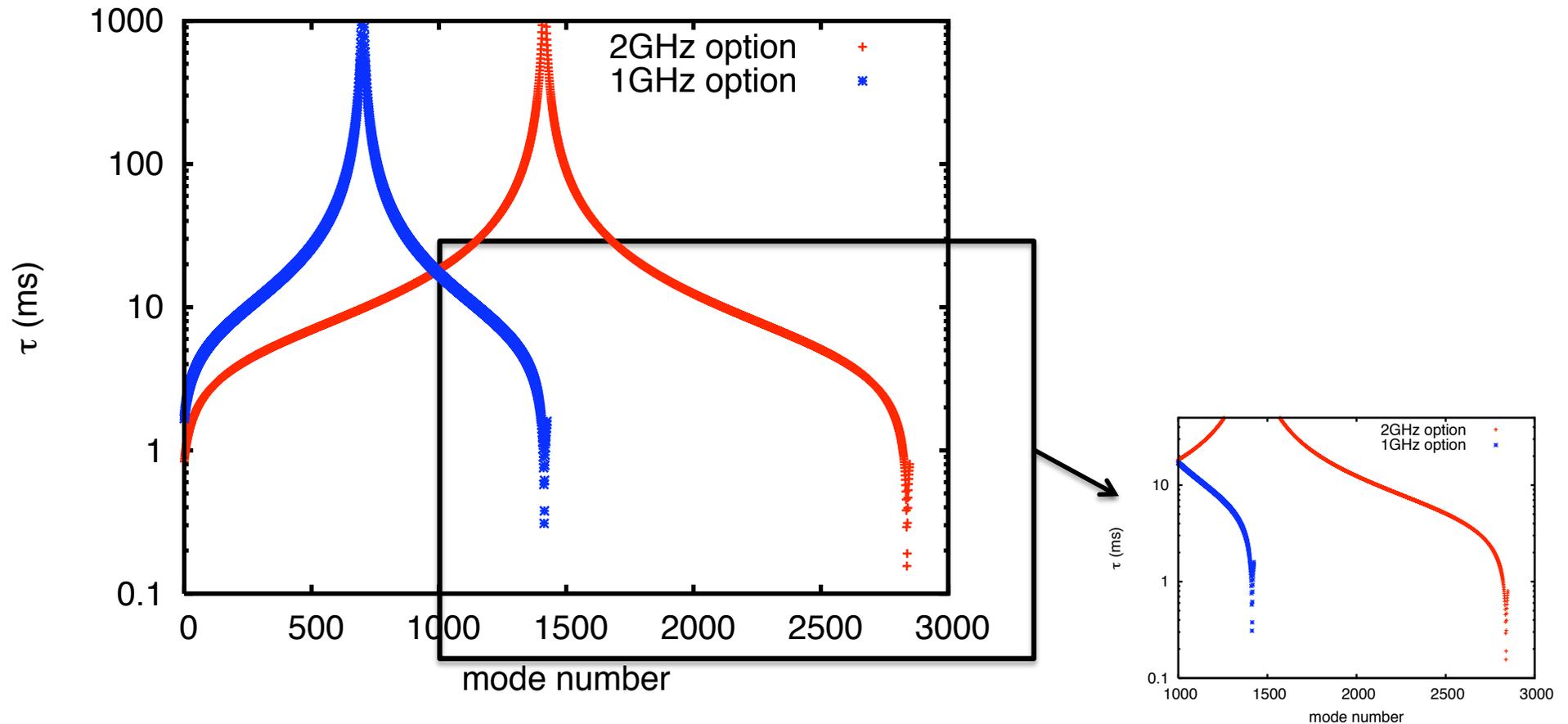
- Multipacting does not affect the electron beam in the wigglers
- For values of  $\delta_{\max}$  up to 2.4 the heat load remains well below 1 mW/m
- Actually, no serious e-cloud build up or induced heat load limitations seem to be present in the electron ring

# Impedance budget: TMCI threshold



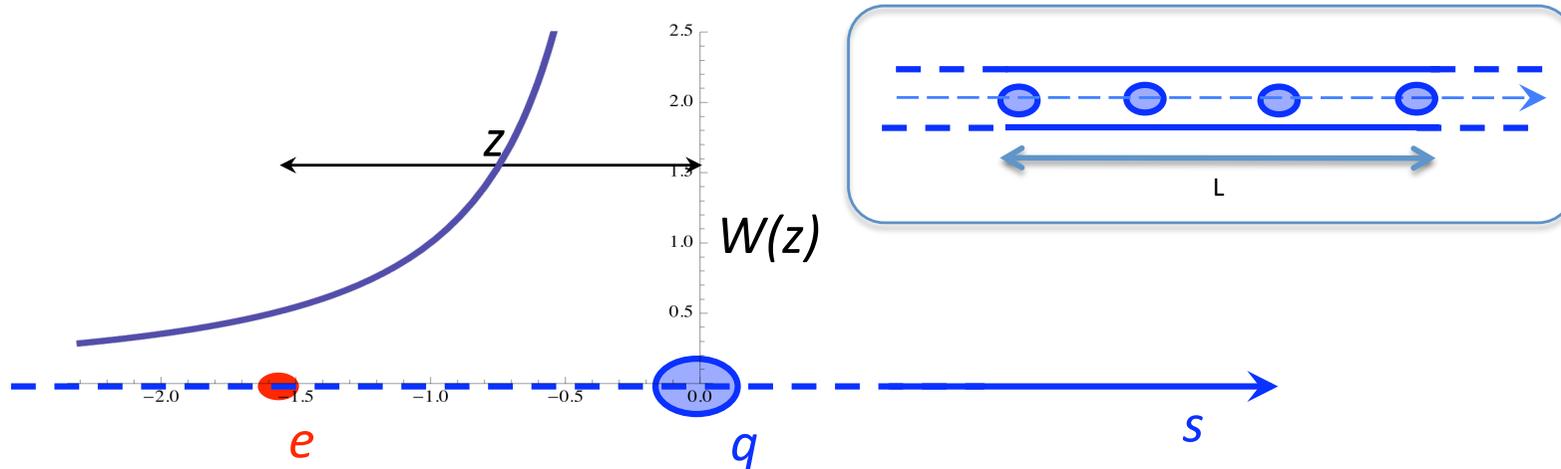
- **Head-tail instability** is observed for positive values of chromaticity
- The pattern on the bunch length shows only 1 node, confirming that the **mode  $||=1$**  has become unstable when  $\xi_{x,y} = 0.2$
- For higher chromaticity values, **higher order modes** become visibly unstable (even combination of modes with different numbers)
- The **rise time** of these modes should be compared with the damping times to assess how dangerous they really are
- Maybe better run with **negative chromaticity** and suppress the unstable mode 0 with an active damper?

# Coupled bunch instability from resistive wall



The expected lowest rise time is slightly higher for the 1 GHz option ( $\sim 0.3$ ms or 210 turns) and is about twice lower for the 2 GHz option ( $\sim 0.15$ ms or 105 turns)

# Coupled bunch instability: macroparticle simulation



Present simulation model for HEADTAIL **multi-bunch**:

- A bunch train (made of disk-like macroparticle sets) is tracked through one or more interaction points chosen around the ring
- All particles in bunches subsequent to the first feel a transverse kick in each point resulting from the sum of the resistive wall contributions (integrated over the distance  $L$  between points) of all the preceding bunches.

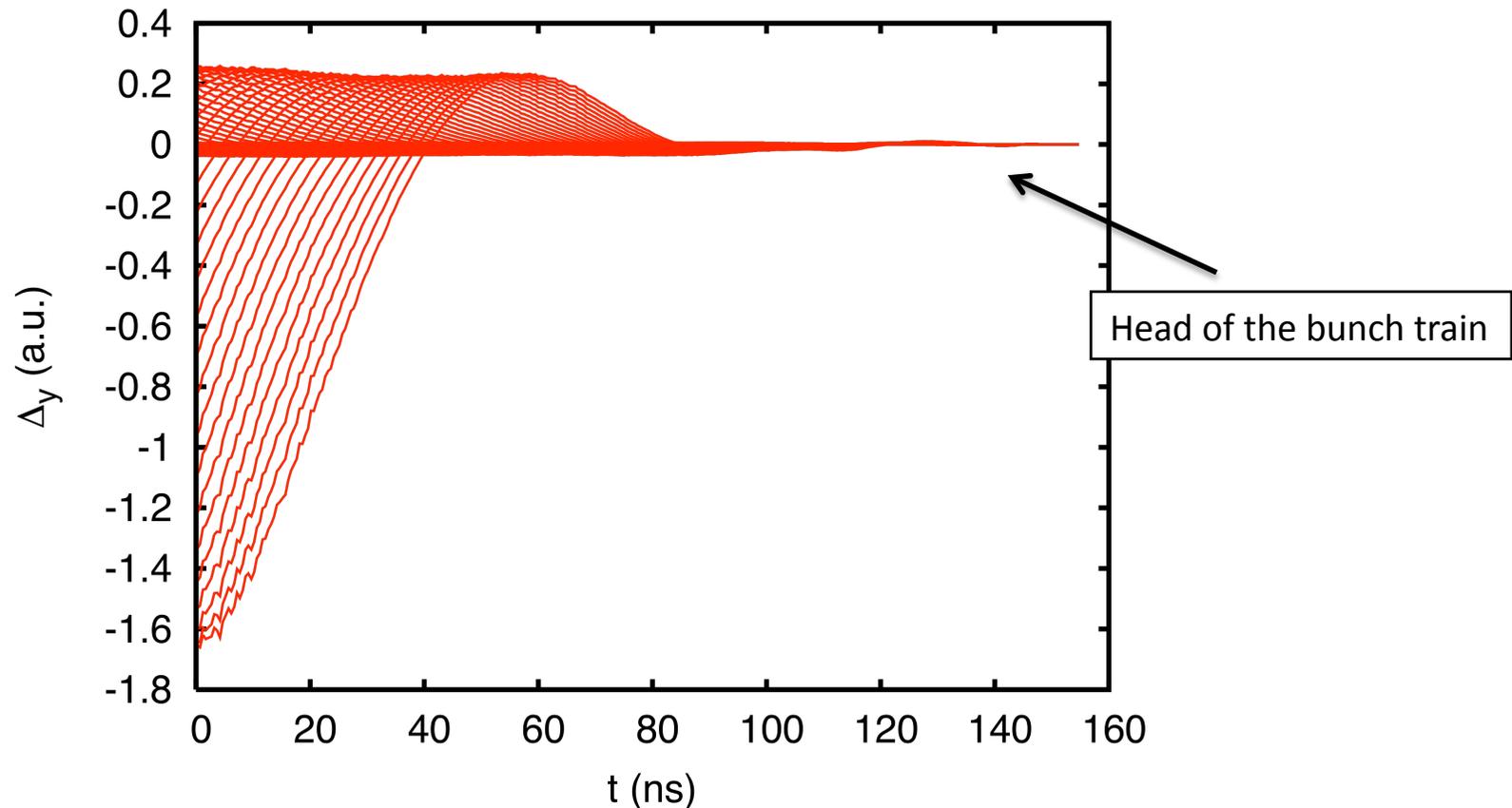
$$\int_0^L F_{\perp}(s, z) ds = -eqxW_{\perp}(z)$$

$$\Delta x'_i \propto N_e \sum_{n=1}^{N-i-1} W_{\perp d}(ncT_b) \langle x \rangle_n$$

$$\Delta x'_{i,j} \propto N_e \sum_{n=1}^{N-i-1} [W_{\perp d}(ncT_b) \langle x \rangle_n + W_{\perp q}(ncT_b) x_j]$$

# Coupled bunch instability: macroparticle simulation

HEADTAIL simulations with the parameters of the 2 GHz option



In the plot

- Superposition of snapshots of the bunch by bunch vertical BPM signal taken every 50 turns during the first 5000 turns of evolution
- The unstable wave develops at the tail of the train and propagates to the front

# Coupled bunch instability: fast ion effects

The trapped molecules (like N<sub>2</sub>, CO, H<sub>2</sub>O) can cause tune shift and instability

Trapped ions cause tune spread (p=1 nTorr)

$$\Delta Q_{ion} \simeq \frac{N_b n_b r_e C}{\pi \gamma \sqrt{\epsilon_x \epsilon_y}} \left( \frac{\sigma_{ion} p}{k_B T} \right) \simeq$$

and a fast instability having a **rise time of few turns for both designs**, calculated with the following formula.

$$\tau_{inst} \simeq \frac{0.1 \cdot \gamma \sigma_x \sigma_y}{N_b n_b c r_e \beta_y \sigma_i} \left( \frac{k_B T}{p} \right) \sqrt{\frac{8}{\pi}}$$