Díffraction and Low-x 2021 Sept 27<sup>th</sup> – Oct 1<sup>st</sup>, La Biolola Italy

RECENT HERA RESULTS ON VECTOR MESON PRODUCTION, PARTICLE CORRELATIONS AND PARTICLE MULTIPLICITY SPECTRA





Marta Ruspa

(Univ. Piemonte Orientale & INFN-Torino, Italy)

#### **Outline of the talk**

Search for collectivity in DIS and photoproduction

ZEUS: arXiv:2106.12377 submitted to JHEP, JHEP 04 (2020) 070 H1: H1prelim-20-033

**Charged particles and entanglement** 

Eur.Phys.J.C81 (2021), 212

rho(770) photoproduction

Eur.Phys.J.C80 (2020), 1189

#### H1 and ZEUS @ HERA

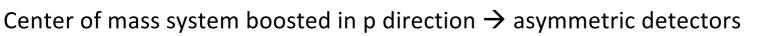
#### HERA COLLIDER

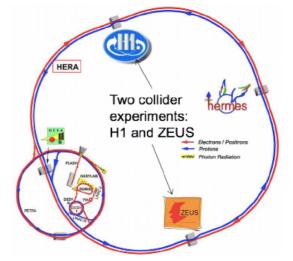
Operated from 1992 to 2007, 500 pb<sup>-1</sup> to ZEUS/H1

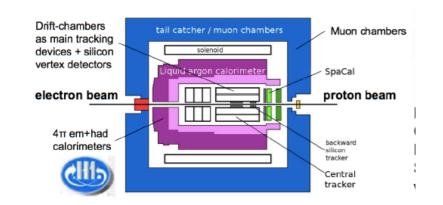
6.3 km circumference

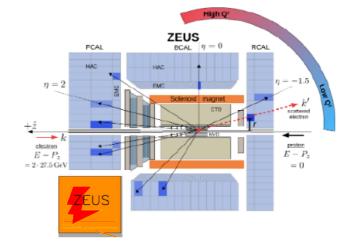
Asymmetric detectors

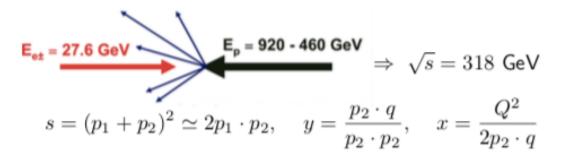
e<sup>+</sup> or e<sup>-</sup> colliding with p

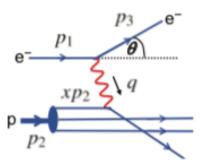














 $Q^2 > 0$  DIS

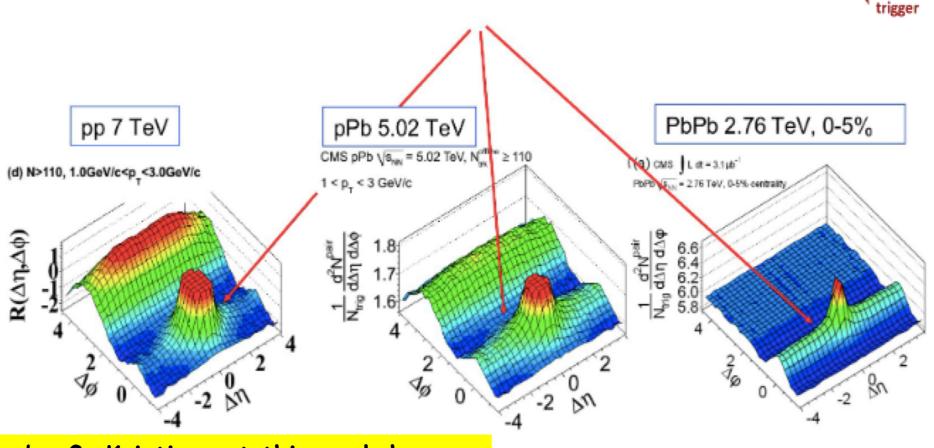
#### Search for collectivity in DIS and photoproduction

ZEUS: arXiv:2106.12377 submitted to JHEP, JHEP 04 (2020) 070

H1: H1prelim-20-033

## "Everything...flows"(?)

- □ Long-range (2 <  $|\Delta \eta|$  < 4), near-side ( $\Delta \phi \approx 0$ ) angular correlations are seen at LHC at various √s in
  - heavy ions (XeXe and PbPb), and
  - "small systems", i.e., high-multiplicity (≥50–60) pPb and pp collisions
- Signs reminiscent of collective behavior of a quark-gluon plasma (QGP)



Slide by G. Krintiras at this workshop

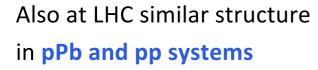
Di-hadron

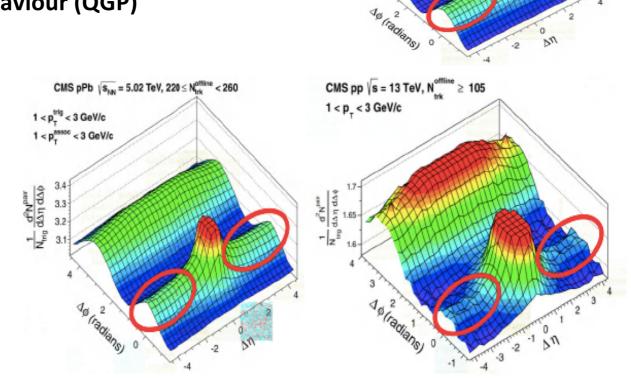
correlations

associated

#### **Motivation**

In heavy ion collisions evidence of long-range correlation in  $\Delta \eta$  for particle pairs produced at small  $\Delta \phi$  (ridge)  $\rightarrow$  understood as fluid-like behaviour (QGP)





CMS PbPb (SAN = 2.76 TeV, 220 5 Not a 260

 $1 < p_T^{trig} < 3 \text{ GeV/c}$  $1 < p_T^{RSSOC} < 3 \text{ GeV/c}$ 

1 2.8 4 γρ μγρ 2.6 2.6 1 2.6 1 2.6

#### What happens in an even smaller systems, i.e. electron-proton collision?

#### Formalism

• Two-particle and four-particle azimuthal correlations defined as

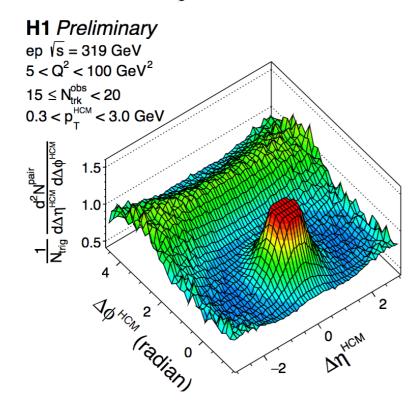
 $C_n\{2\} \;\; \equiv \;\; \left\langle \cos\left[n(arphi_1-arphi_2)
ight]
ight
angle \, ,$ 

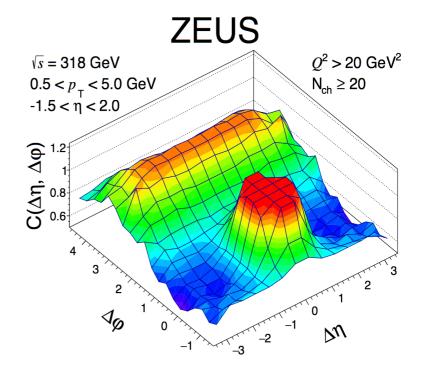
- $C_n\{4\} ~\equiv~ \langle \cos\left[n(arphi_1+arphi_2-arphi_3-arphi_4)
  ight]
  angle$
- $\varphi_i$  the azimuthal angle of particle *i*
- *n* the harmonics
- () averages over pairs and quadruplets
   (corrections for non-uniform acceptance taken into account by proper weights)
- Also two-dimensional correlation functions  $C(\Delta \eta, \Delta \varphi) = \frac{S(\Delta \eta, \Delta \varphi)}{B(\Delta \eta, \Delta \varphi)}$
- S (signal)
- B (background)

formed with pairs from the same- and mixed- event respectively

# Low-x 2021 M. Ruspa

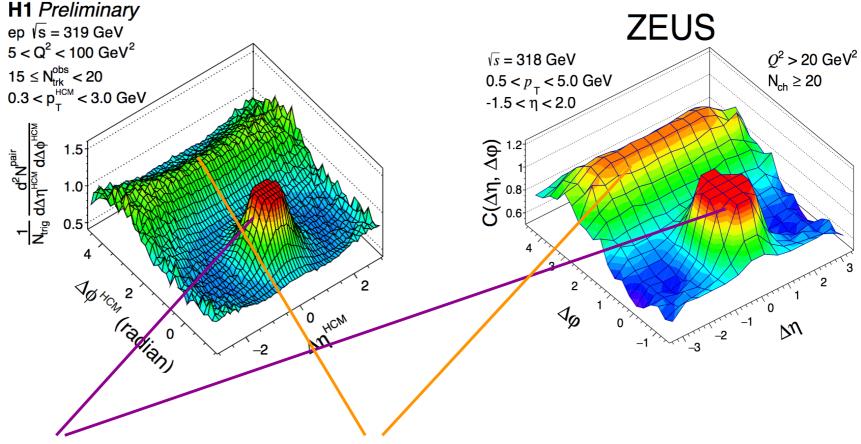
## Ridge in DIS?





Low-x 2021 M. Ruspa

#### Ridge in DIS?

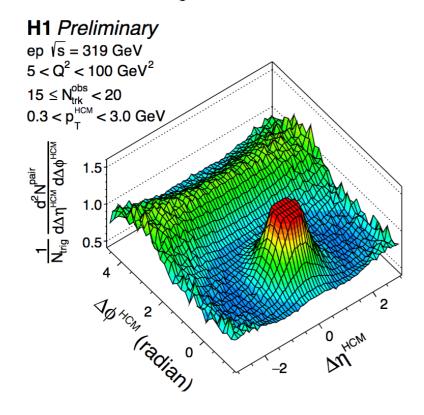


Near-side ( $\Delta \phi \sim 0$ ) peak and away-side ridge clearly visible

No visible long-range near-side double ridge

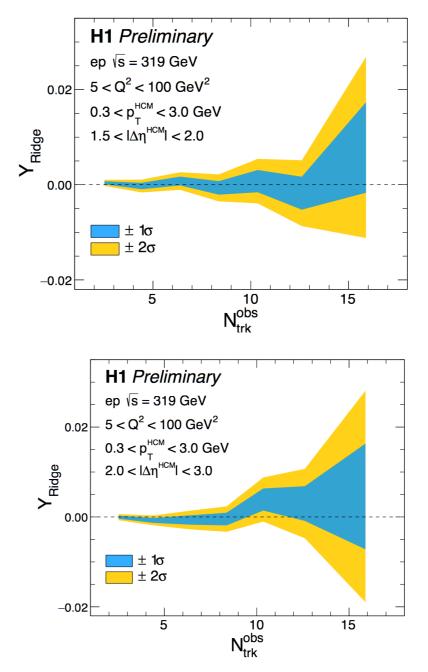
Low-x 2021 M. Ruspa

#### Ridge in DIS?

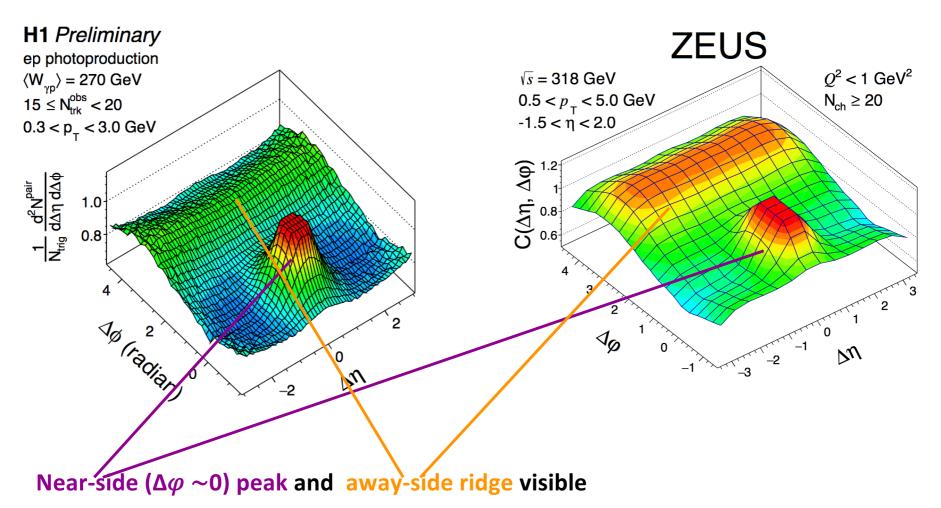


Ridge limits extracted using a Zero-Yield-At-Minimum assumption with bootstrap procedure

## → Limits indicate small room for existence of ridge

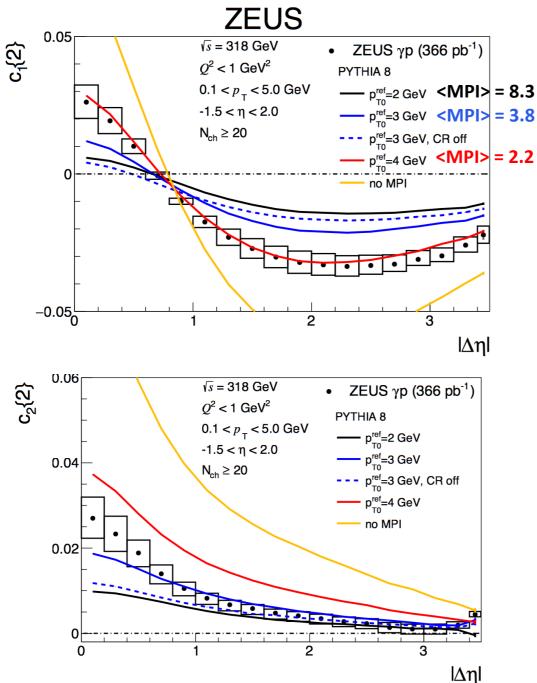


## **Ridge in photoproduction?**



No visible long-range near-side double ridge

#### **2-particle cumulants in photoproduction**

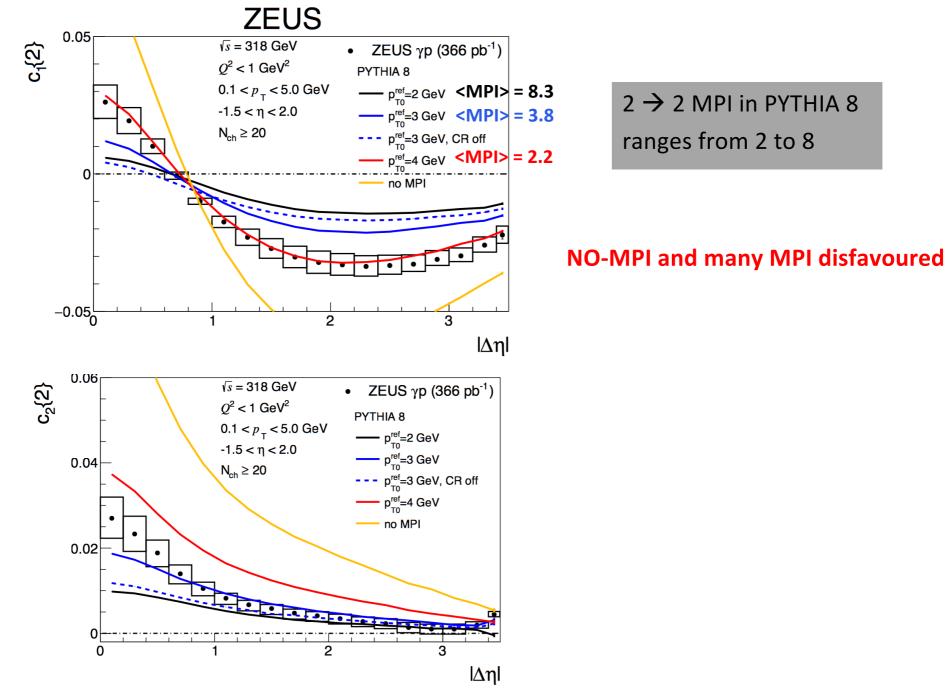


M. Ruspa

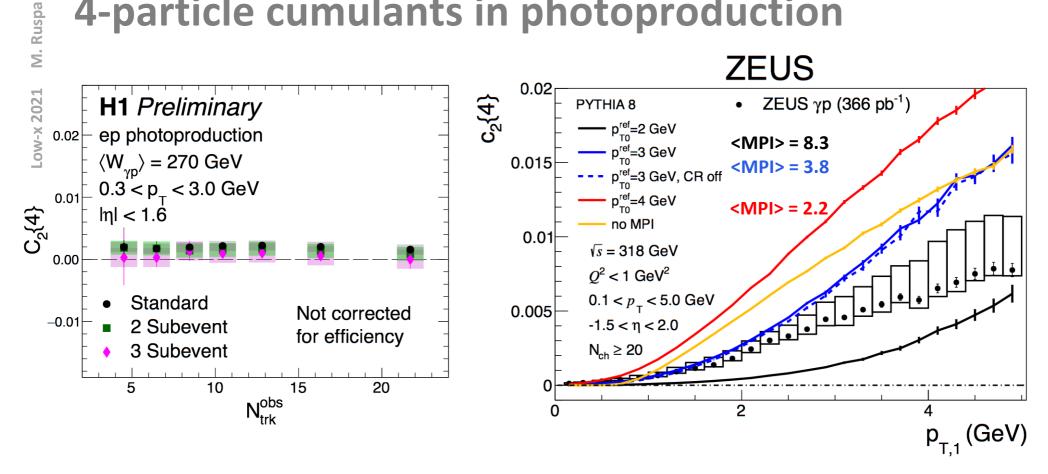
Low-x 2021

C<sub>1</sub> negative much more than C<sub>2</sub> is positive, in constrast to heavy-ion collisions

#### **2-particle cumulants in photoproduction**



#### **4-particle cumulants in photoproduction**



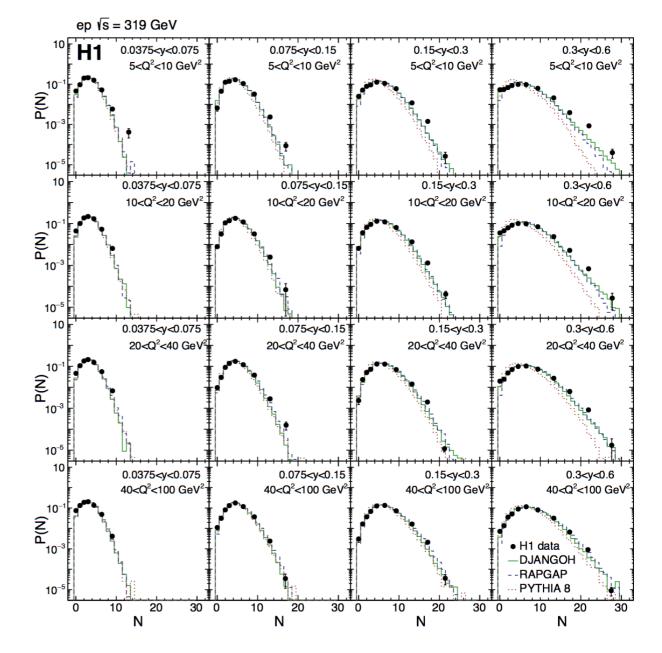
#### 4-particle cumulant is positive, in contrast to heavy-ion collisions

Measurement of charged-particle azimuthal correlations by H1 and ZEUS in DIS and photoproduction do not show a long-range near-side ridge  $\rightarrow$  no collectivity Data sensitive to the number of MPI: a useful tool to help understand the onset of collective behaviour? **Charged particle multiplicity and entanglement entropy of partons** Eur.Phys.J.C81 (2021), 212

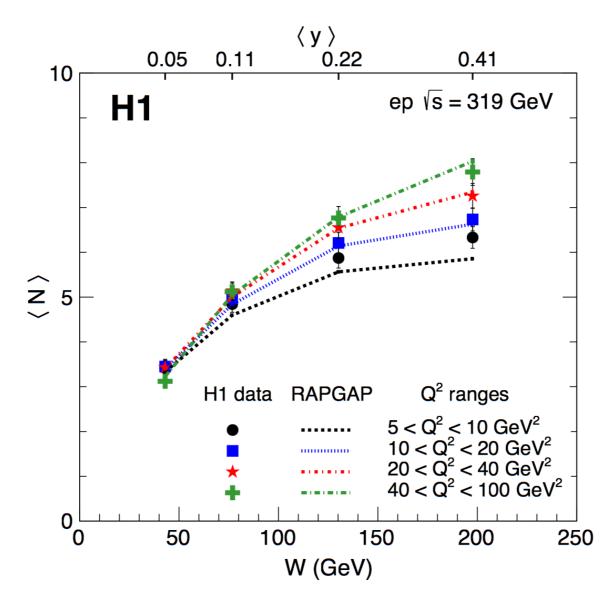
## **Multiplicity distributions**

Charged particle multiplicity distributions measured on a 4x4 grid in Q2 and y

MC models underestimate the tails at large N



#### Mean multiplicity as a function of energy



#### **Entanglement entropy**

$$S_{\text{hadron}} \equiv -\sum P(N) \ln P(N) = \ln [xG(x,Q^2)] \equiv S_{\text{gluon}}.$$

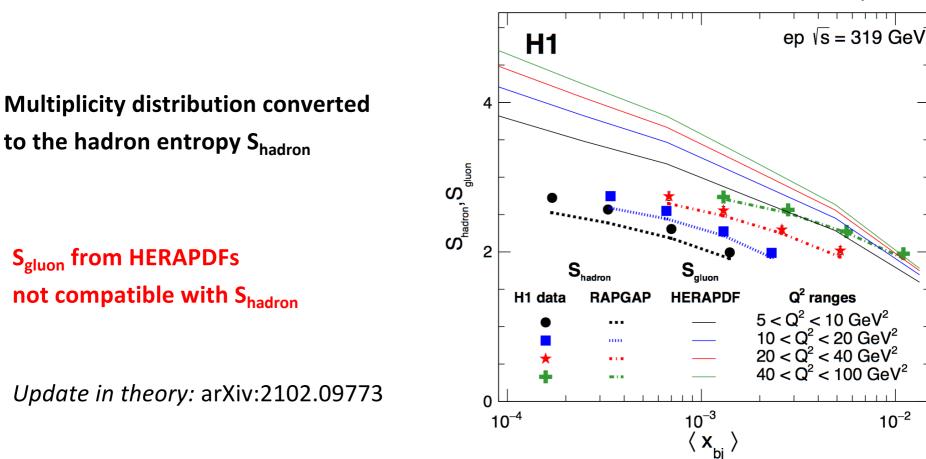
Theory prediction [PRD 95,114008 (2017)]

 $S_{hadron} \rightarrow$  final state hadron entropy calculated from particle multiplicity distributions

 $S_{gluon} \rightarrow$  entanglement entropy for gluons at low x

Are the data compatible with  $S_{gluon} = S_{hadron}$ ?

### **Test of quantum entanglement in DIS**

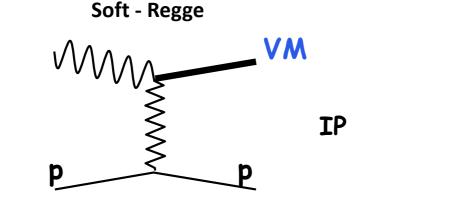


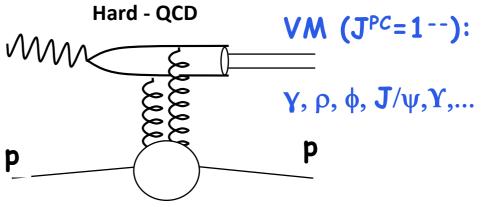
 $0 < \eta^* < 4.0$ 

Predictions for the entropy of gluons disagree with hadron entropy obtained from multiplicity measurements

#### Exclusive $\pi^+ \pi^-$ and $\rho$ (770) photoproduction Eur.Phys.J.C80 (2020), 1189

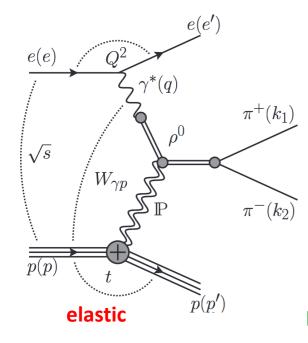
#### Transition soft $\rightarrow$ hard

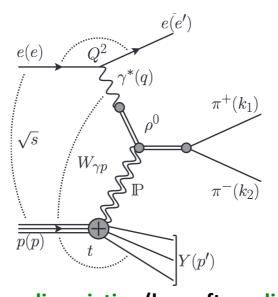




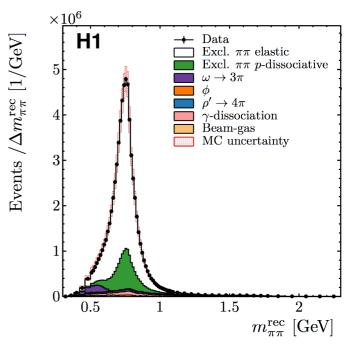
With increasing scale ( $Q^2$ ,  $M_{VM}$ , t)





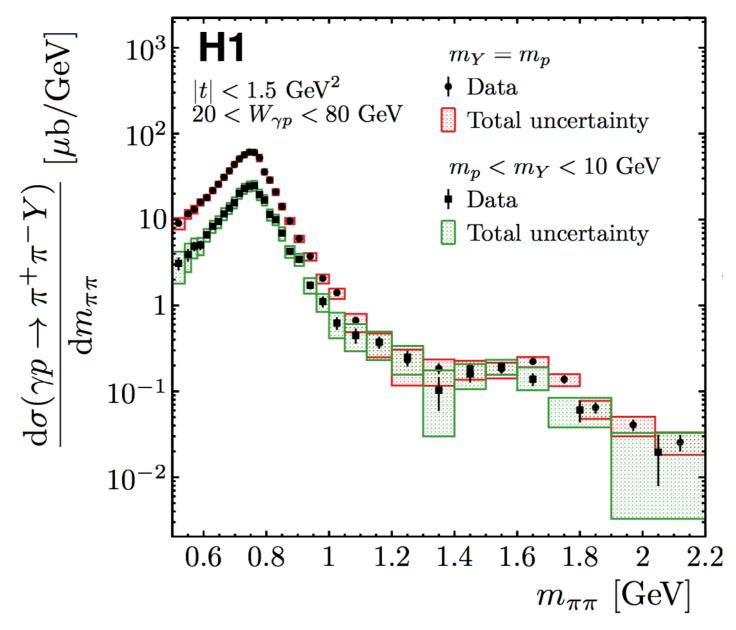




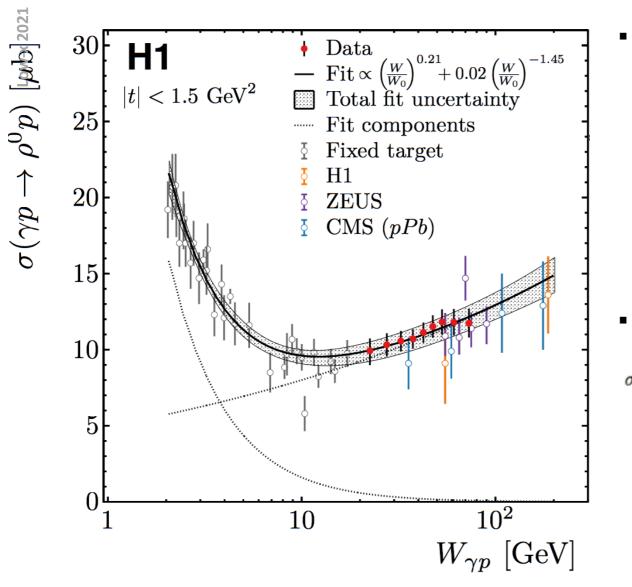


#### Differential cross section $d\sigma(\gamma p \rightarrow \pi^+ \pi^- Y)$

elastic and pdiss



#### Energy dependence of $\rho^0$ cross section



M. Ruspa

Fit to H1 elastic and pdiss data

$$\sigma_
ho(W_{\gamma p}) = \sigma_
ho(W_0) ~ \left(rac{W_{\gamma p}}{W_0}
ight)^\delta$$

$$\delta_{\mathsf{el}} = +0.171 \pm 0.009 \stackrel{+0.039}{_{-0.026}}$$
  
 $\delta_{\mathsf{pd}} = -0.156 \pm 0.026 \stackrel{+0.081}{_{-0.070}}$ 

Simultaneous fit to all elastic data

$$\sigma_{\rho}(W_{\gamma p}) = \sigma_{\rho}(W_0) \; \left( \left( \frac{W_{\gamma p}}{W_0} \right)^{\delta_{I\!\!P}} + f_{I\!\!R} \left( \frac{W_{\gamma p}}{W_0} \right)^{\delta_{I\!\!R}} \right)$$

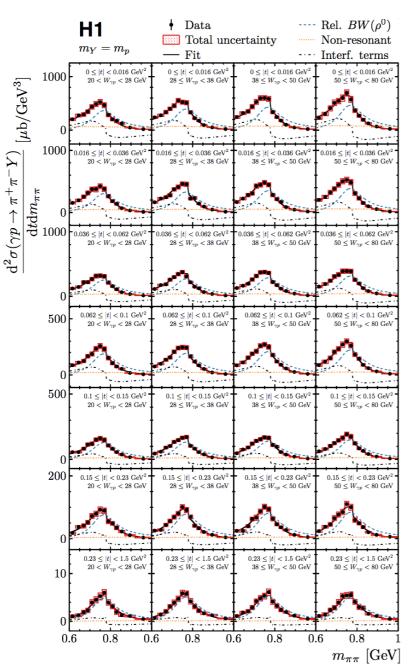
$$\delta_{\mathbb{IP}, \mathsf{el}} = +0.207 \pm 0.015 \begin{array}{c} +0.053 \\ -0.033 \end{array}$$
  
 $\delta_{\mathbb{IR}, \mathsf{el}} = -1.45 \pm 0.12 \begin{array}{c} +0.35 \\ -0.21 \end{array}$ 

$$f_{IR} = [2.0 \pm 0.7 \text{ (stat.)} ^{+2.9}_{-1.3} \text{ (syst.)}]\%$$

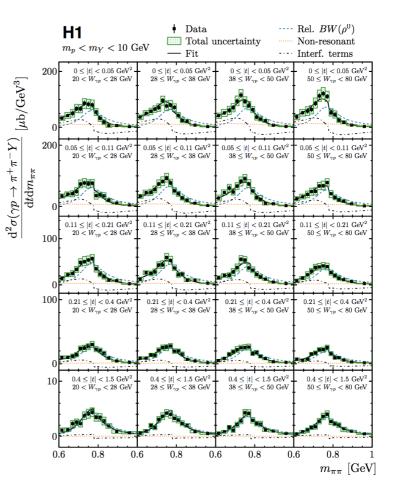
ικ τοπιπρατισπ

#### Double differential cross section $d\sigma(\gamma p \rightarrow \pi^+ \pi^- Y)$

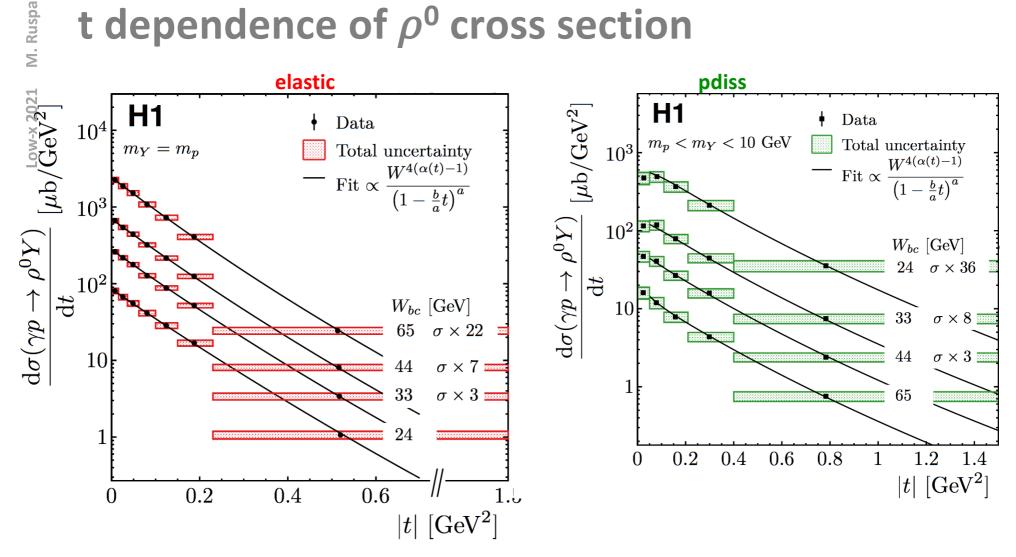
elastic



pdiss



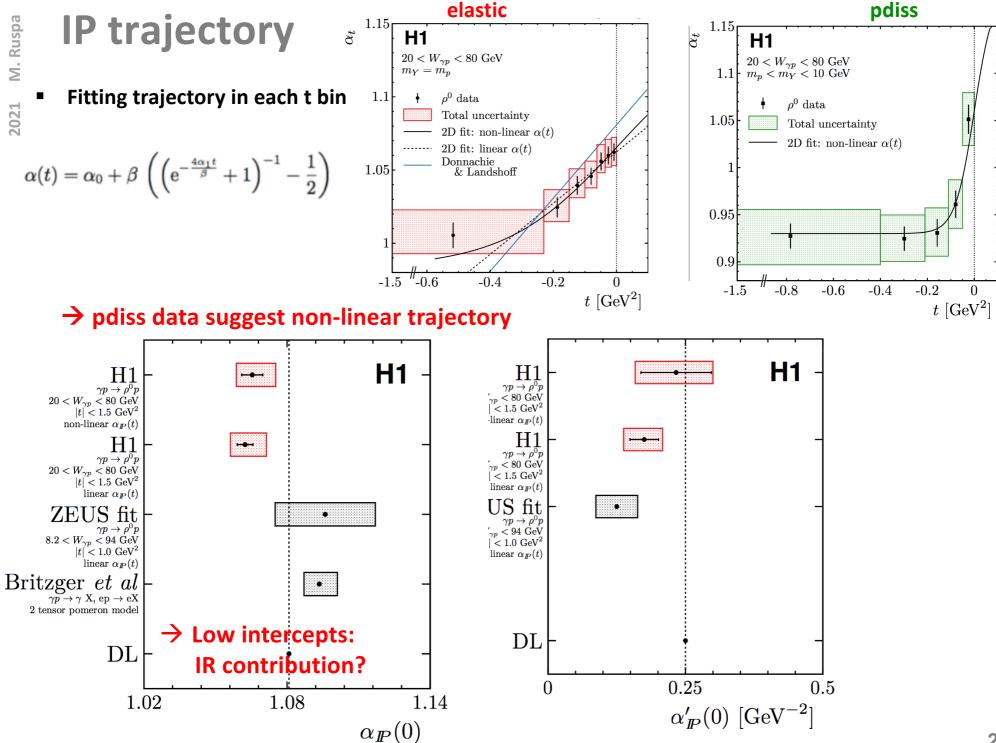
#### t dependence of $\rho^0$ cross section



Fit t dependence elastic and pdiss simultaneously

$$\frac{\mathrm{d}\sigma_{\rho}}{\mathrm{d}t}(t) = \frac{\mathrm{d}\sigma_{\rho}}{\mathrm{d}t}(t=0) \ \left(1 - \frac{b\,t}{a}\right)^{-a}.$$

$$\begin{array}{l} b_{\mathrm{el}} = 9.59 \pm 0.10 \stackrel{+0.17}{_{-0.12}} \mathrm{GeV}^{-2} \\ a_{\mathrm{el}} = 19.8 \pm 2.7 \stackrel{+4.9}{_{-4.7}} \\ b_{\mathrm{pd}} = 4.79 \pm 0.19 \stackrel{+0.37}{_{-0.39}} \mathrm{GeV}^{-2} \\ a_{\mathrm{pd}} = 9.1 \pm 1.5 \stackrel{+3.1}{_{-2.4}} \end{array}$$



 $\pi^+ \pi$  cross sections measured multi-differentially with high precision Non-linear effects at large t? Precise leading trajectory from single experiment Potential IR contribution