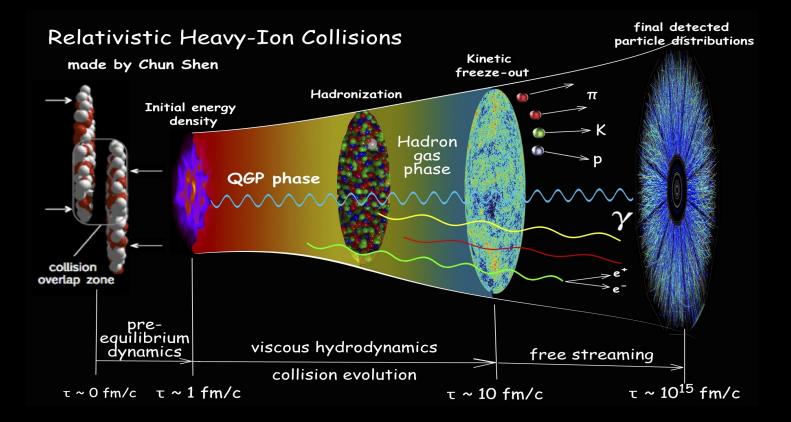
# Probing Quark Gluon Plasma with jets

Varun Vaidya MIT

JHEP 20 (2020) 024, 2010.00028, 2101.02225 2105.XXXXX . Jet Physics in Heavy Ion Collisions

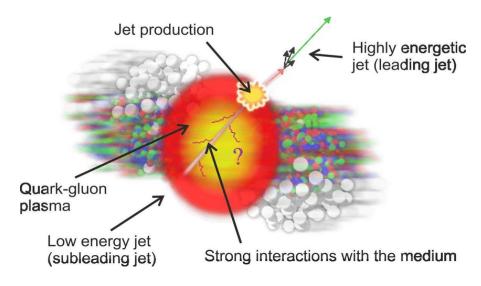


c.o.m energy per nucleon pair 200 GeV - 2.76 TeV

QGP temperature 200 - 1000 MeV

## Using QCD Jets to probe the QGP

- QGP phase exists for a very small time-> Using external probes (like an electron in DIS) is unfeasible
- Look for natural probes that appear in HIC



Few events produce energetic partons that evolve into back to back jets : A natural X ray for the QGP!

Modification of the jet substructure compared to pp collisions :

$$R_{AA} = \frac{\frac{d\sigma}{d\phi}\Big|_{HIC}}{\frac{d\sigma}{d\phi}\Big|_{pp}}$$

What is a good jet substructure observable in HIC environment?

## Jet substructure observables in HIC

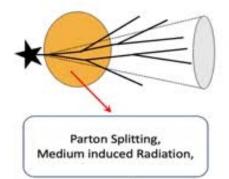
Heavy ion collisions are messy environments!

• Work with groomed jets for clean measurement.

 $E_J z_{cut} \sim E_J >> T$  : Energy scale of the QGP

## Jet substructure observables in HIC

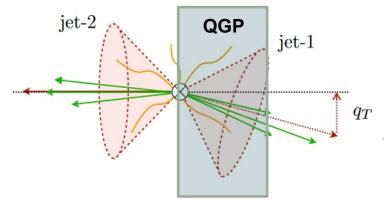
- Choose an observable insensitive to jet selection bias<sup>\*</sup>:
- The same hard event leads to jets with different {pT, R} in pp vs HIC.
- Energy/pT leaks out due to interaction with medium near the edge of the jet-> Jet Quenching



- Cannot directly compare jet substructure modification for the same hard event with a given R, pT cut.
- Solution :Any observable that is insensitive to edge of the jet radiation
  Added advantage -> No NGLs

\* 2009.03316, 1907.11248 K. Rajagopal et.al.
 1907.12301 D. Pablos

## The Observable



 $\frac{d\sigma(e_n,e_{\overline{n}})}{d^2q_{\scriptscriptstyle T}}$ 

- Measure the transverse momentum • imbalance between the two groomed jets (R  $\sim$ 1) in the small q<sub>T</sub> regime.
- Measure the groomed jet mass (cumulative)

$$\begin{array}{l} m_D << \sqrt{e_i} E_J \sim q_T \sim \mathrm{T} << E_J z_{cut} \sim E_J \\ \downarrow \\ \text{Debye} \\ \text{screening} \\ \text{mass} \sim \mathrm{gT} \end{array}$$
 D. Gutierrez-Reyes, Y. Makris, V.V,

I. Scimemi, L. Zoppi JHEP 08 (2019) 161

 $E_{I}$ 

## A preview for this talk

1. Factorization formula for jet observables in HIC

2. Operator definition and running for a universal "medium structure function" and an observable dependent medium induced jet function

3. A Linblad equation for multiple incoherent jet-medium interactions.

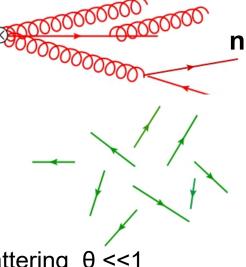
## EFT for jet substructure in HIC

- The jet is made up of collinear partons
  - $p_c \sim E_J(1,\lambda^2,\lambda)$
- QGP is a bath made of soft partons (T <<Q)</li>

 $p_s \sim E_J(\lambda, \lambda, \lambda)$ 

• Interaction between d.o.f s is dominated by forward scattering  $\theta <<$ 

$$\lambda \sim \theta \leq \frac{T}{E_J} \sim \frac{q_T}{E_J} \sim \sqrt{e_i}$$

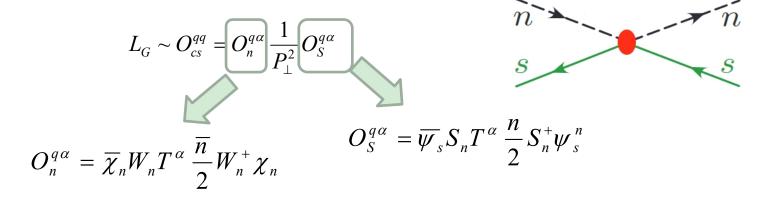


### EFT for jet substructure in HIC

• The forward interaction between the Collinear and Soft modes is mediated by the Glauber mode.

$$L_{QCD} = L_c + L_s + L_G + O(\lambda^2) \qquad p_G \sim Q(\lambda, \lambda^2, \lambda)$$

I. Rothstein, I. Stewart, JHEP 1608 (2016) 025



#### How this EFT compares with previous formulations

Off shell Glauber mode is integrated out instead of the QGP degrees of freedom

Consequences

Manifestly Gauge invariant operators

Factorization formulas for observables can be derived rigorously

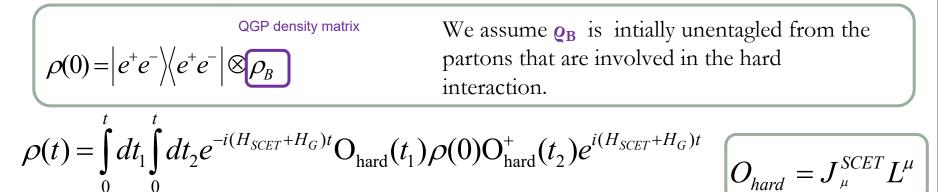
Factorization leads to Rapidity Divergences not observed in earlier EFTs Treat QGP as a background Glauber field (SCET<sub>G</sub>)

G. Ovanesyan and I. Vitev, JHEP 1106, 080 (2011)

G. Ovanesyan and I. Vitev, Phys. Lett. B 706, 371 (2012)

Y. T. Chien and I. Vitev, JHEP 1605, 023 (2016)

#### Jets as open quantum systems



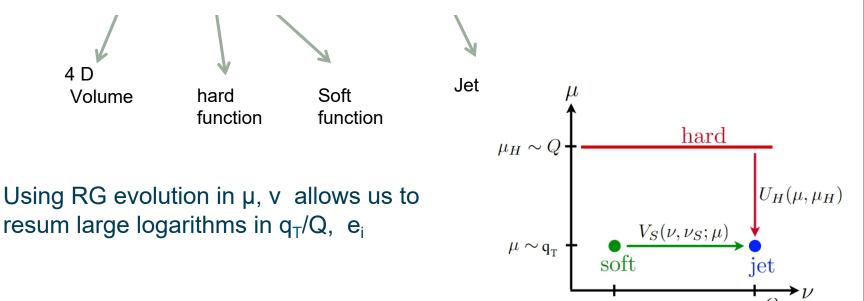
- The Glauber Hamiltonian prevents us from factorizing the Soft physics from the collinear to all orders in perturbation theory
- Factorization needs to be proven order by order in  $H_G$  (but all order in  $H_{SCET}$ )

$$\Sigma(t) = Tr[\rho(t)M] = \Sigma^{(0)}(t) + \Sigma^{(1)}(t) + \Sigma^{(2)}(t) + \dots$$
  
$$O(H_G^0) \qquad O(H_G^1) \qquad O(H_G^2)$$

#### Factorization for reduced density matrix

Leading order  $(H_G^{(0)})$ : Vacuum evolution

 $\Sigma^{(0)}(q_T, e_n, e_{\bar{n}}) = V \times H(Q, \mu) S(\vec{q}_T; \mu, \nu) \otimes_{q_T} \mathcal{J}_n^{\perp}(e_n, Q, z_{cut}, \vec{q}_T; \mu, \nu) \otimes_{q_T} \mathcal{J}_{\bar{n}}^{\perp}(e_{\bar{n}}, Q, z_{cut}, \vec{q}_T; \mu, \nu)$ 



 $\nu_S \sim q_{\rm T}$ 

#### Factorization for reduced density matrix

Next to Leading order  $(H_G^{(2)})$ 

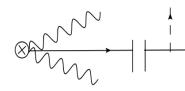
• Three time scales that characterize the system-medium interaction,

 $t_e \sim 1/T$ Relaxation time of the bath :Time scale over which coherence is lost in the QGP bath

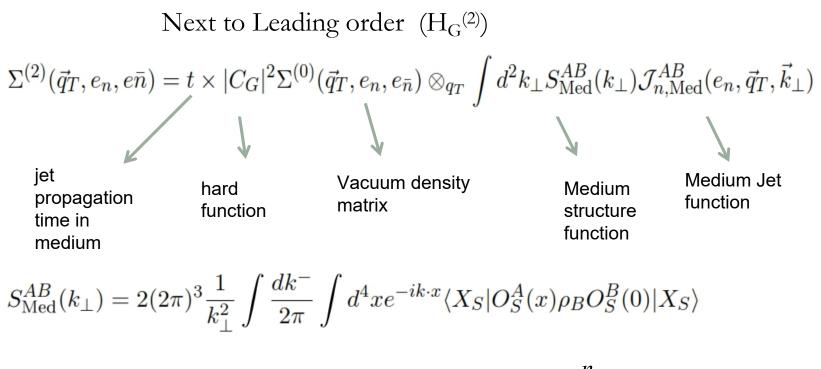
Time of propagation of the jet in the medium

 $t_l \sim 1/(T \alpha_s(k_T))$ Emergent time scale of jet evolution in the medium

- For  $t >> t_e$ , Dominant contribution comes from " $t/t_I$ " enhanced terms.
- Partons go on-shell before interacting with the medium
- Assumption : The QGP bath is homogeneous over the length scale(~  $1/k_T$ ) probed by a single jet-medium interaction .



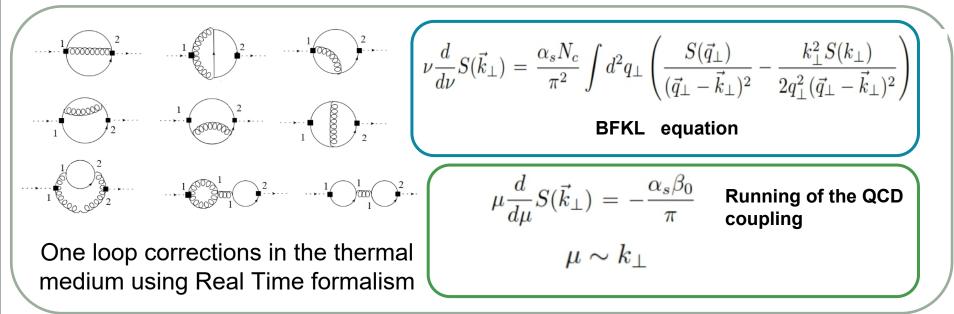
#### Factorization for reduced density matrix



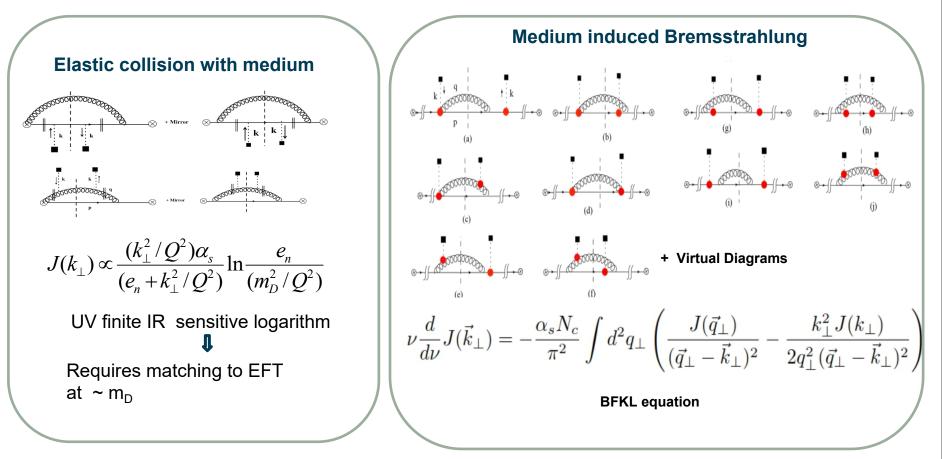
$$O_S^{q\alpha} = \overline{\psi}_s S_n T^{\alpha} \frac{n}{2} S_n^+ \psi_s^n$$

#### Renormalization for Soft correlator in a thermal medium

$$\mathbf{k} = \left\{ \mathbf{k} = \frac{\delta^{AB}}{\mathbf{k}} \int d^2 p_{\perp} \int_0^\infty dp^+ \left\{ n_F \left( \left| \frac{p^+}{2} + \frac{p_{\perp}^2}{2} \right| \right) \left[ 1 - n_F \left( \left| \frac{p^+}{2} + \frac{(\vec{p}_{\perp} + \vec{k}_{\perp})^2}{2p^+} \right| \right) \right] \right\}$$



#### Renormalization for the medium jet function



#### Solution for the RG equations

#### Solution for rapidity RGE -> Solution for the BFKL equation

#### **Master Equation**

$$\Sigma(\vec{q}_{T}, e_{n}, e_{\bar{n}}, t) = \Sigma^{(0)}(\vec{q}_{T}, e_{n}, e_{\bar{n}})(1 - Rt) + t \int d^{2}p_{\perp}K_{\text{Med}}(p_{\perp})\Sigma^{(0)}(\vec{p}_{\perp} + \vec{q}_{T}, e_{n}, e_{\bar{n}}) + O(H_{G}^{3})$$
$$K_{\text{Med}}(p_{\perp}) = \int \frac{d^{2}k_{\perp}}{(2\pi)^{4}}S_{G}^{\text{resum}}(k_{\perp})J^{\text{Resum}}(Q, z_{cut}, \vec{p}_{\perp}, k_{\perp}) \qquad R = \int d^{2}p_{\perp}K_{\text{Med}}(p_{\perp})$$

Taking the limit t  $\rightarrow 0$  yields an evolution equation for multiple incoherent medium-jet interactions

$$P(\vec{q}_T) \equiv \frac{d\sigma(t)}{d^2 \vec{q}_T} = \mathcal{N} \frac{\Sigma(t)}{V}$$
$$\partial_t P(\vec{q}_T)(t) = -RP(\vec{q}_T) + P(\vec{q}_T) \otimes_{q_T} K_{\text{Med}}(\vec{q}_T)$$

Introduce time dependence in  $S_G$  to account for inhomogeneity of the medium over length scales >> 1/kT

$$\partial_t P(\vec{q}_T)(t) = -R(t) P(\vec{q}_T, t) + P(\vec{q}_T, t) \otimes_{q_T} K_{\text{Med}}(\vec{q}_T, t)$$

#### **Master Equation**

Evolution equation can be solved in impact parameter space.

 $\frac{d\sigma}{d^2q_T}(t,e_n,e_{\bar{n}}) = \int d^2\vec{b}e^{i\vec{b}\cdot\vec{q}_T}\sigma^{\mathrm{vac}}(\vec{b},e_n,e_{\bar{n}}) \times e^{\int_0^t d\bar{t}\left(\frac{d\sigma}{d^2q_T}\right)} dr$ Factorized and Cross section as a function of medium Factorized and resummed resummed medium propagation time

Vacuum cross section

kernel

Resums mutiple interactions of the jet partons with the medium accounting for leading 't' enhanced terms to all orders taking into account medium inhomogeneity.

Systematic higher order corrections to R (multiple coherent Glauber exchanges) allow us to ٠ go beyond the independent scattering paradigm : **arXiV** 2101.02225 V.V.

#### What do we learn from this analysis

- Careful selection of jet observables is necessary in messy HIC environment to make sensible comparisons with pp.
- It is possible to derive a factorization formula for jet observables assuming medium homogeneity over certain scales (~ 1/kT)
- The information about the medium properties is encoded in a soft correlator which has both UV and rapidity divergences.
- A coherent interaction of the jet with the medium is captured by the BFKL equation.
- Multiple incoherent jet-medium interactions with an inhomogeneous medium( >>1/kT) are captured by a Lindblad type evolution equation.

Stay tuned for the numerics!

#### **Open Questions**

- A phenomenological prediction including nuclear pdf's.
- Match to the EFT at scale m<sub>D</sub> account for medium induced IR logarithms
- Extend formalism to jets initiated by heavy quarks-> PHENIX and sPHENIX
- Apply this formalism for jet propagation in cold nuclear matter (EIC)?

# THANKS!