



Luminosity leveling with crabs

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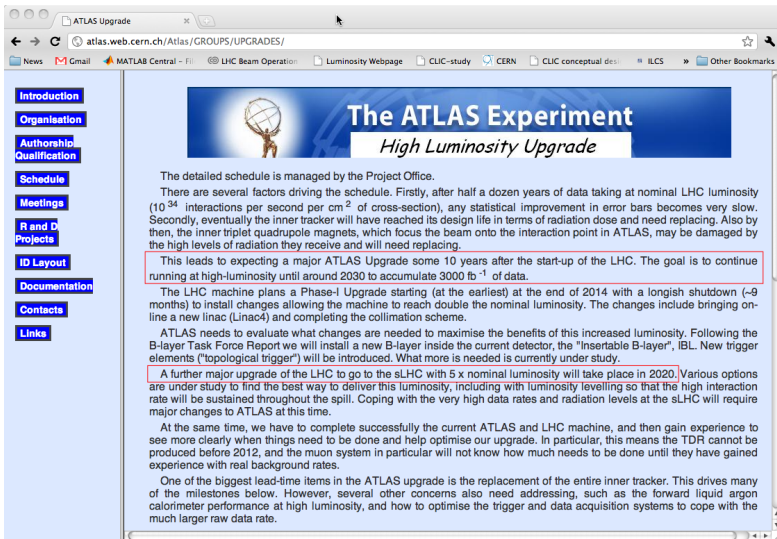
LHC-CC10, 15 December 2010

Thanks to Rama and Riccardo for the discussions

- Introduction: the goals, crab Xing and the crab leveling.
- Adopted model: hypotheses, approximations, limits.
- Benchmarking of the model with LHC (an example).

- Different scenarios for HL-LHC with crabs.
- Conclusions

The goal...



The screenshot shows a web browser window titled "ATLAS Upgrade" with the URL "atlas.web.cern.ch/Atlas/GROUPS/UPGRADES/". The page features a navigation menu on the left with links for Introduction, Organisation, Authorship Qualification, Schedule, Meetings, R and D Projects, ID Layout, Documentation, Contacts, and Links. The main content area has a header image of a person holding a globe, followed by the title "The ATLAS Experiment High Luminosity Upgrade". The text discusses the detailed schedule managed by the Project Office, factors driving the schedule (nominal LHC luminosity, inner tracker design life, radiation dose, and magnet replacement), and the goal of continuing high-luminosity running until around 2030. It also mentions the LHC Phase-I Upgrade starting in 2014 and the need for ATLAS to evaluate changes for increased luminosity, including the installation of a new B-layer and trigger elements. A further major upgrade to sLHC with 5x nominal luminosity is planned for 2020. The text concludes by stating the goal of completing the current ATLAS and LHC machine and gaining experience to see more clearly when things need to be done and help optimise the upgrade.

TARGET: $\int \mathcal{L} dt \approx 300 \text{ fb}^{-1} \text{ year}^{-1}$ AND pile-up $\lesssim 100$

Compute the $\int \mathcal{L}(t)dt$: the adopted model.

How to evaluate the performance? We need to

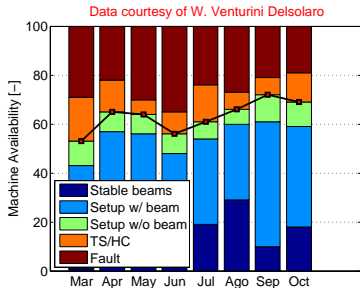
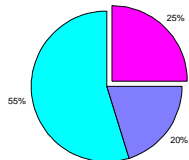
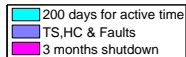
- chose/guess the parameters for reaching $\hat{\mathcal{L}} (\beta^*, N_b, \epsilon_n \dots)$,
- compute $\mathcal{L}(t)$ (dynamic model for proton burn-off, emittance growth, ...),
- and integrate it in a realistic domain (machine availability, Turn-Around-Time, ...).

The 2010 LHC has given us a lot of information for HL-LHC.

$\int \mathcal{L} dt$: the domain of integration.

Assumptions in simulations

- 200 days of machine availability ($\approx 70\%$ on 9 months),
- 10 h of Turn-Around-Time (TAT),
- (3 months shut-down per year).



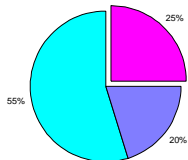
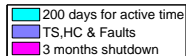
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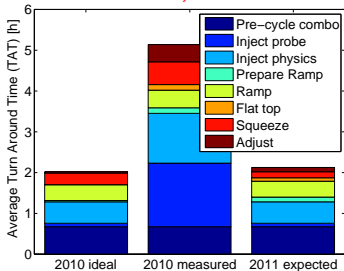
- 200 days of machine availability ($\approx 70\%$ on 9 months),
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- (3 months shut-down per year).

Observations in LHC

- $\approx 65\%$ availability,
- 5 h of Turn-Around-Time .



Data courtesy of S. Redaelli



How we compute $\mathcal{L}(t)$

What the model does

- Solve a system of differential equations taking into account a simple model for intra-beam and rest-gas scattering.
- Take into consideration proton burn-off and allows feedback on the luminosity (e.g. leveling).

What the model does not

- Only fully matched beams (same N_b, ϵ_n) and rounds beams,
- No hourglass effect or Crab RF curvature ($< 10\%$ effect on $\hat{\mathcal{L}}$ in our parameter space),
- No additional diffusion mechanism for the beam-beam interaction.
- ...

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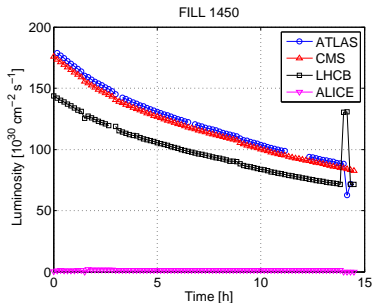
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Let us benchmark the code with FILL 1450...

FILL 1450 (one of the last pp fill this year).

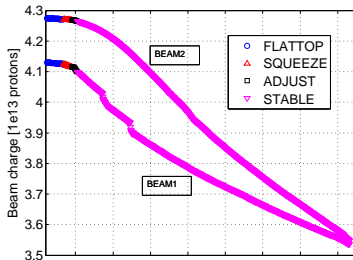
The effect of the crossing

Visible effect of the large crossing angle in LHCb: we can see the geometrical factor (≈ 0.8). Very good agreement with the expected one.



Different Current decay

When the beams are put in collision the beam lifetime is reduced. In real life the two beams have very different behavior.



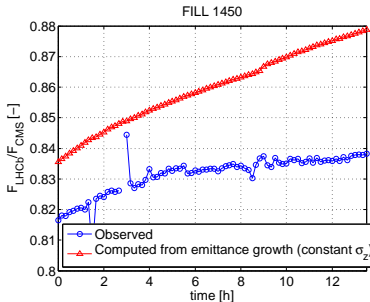
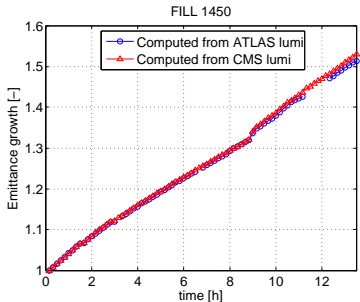
FILL 1450 (one of the last pp fill this year).

Emittance growth (round beam)

From \mathcal{L} and $N_b = 1.14e11$ we can compute $\epsilon_n \approx 2.4\mu\text{m rad}$ and it is growing 4%/h.

What about σ_z ?

From the F factor in LHCb it seems growing too since there is a mismatch with the emittance growth.



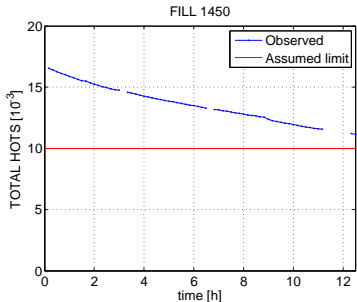
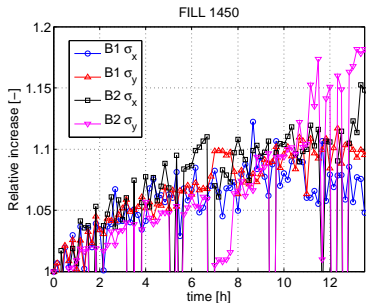
FILL 1450 (one of the last pp fill this year).

The measured σ

From the synchrotron light monitor a factor 2 is missing.

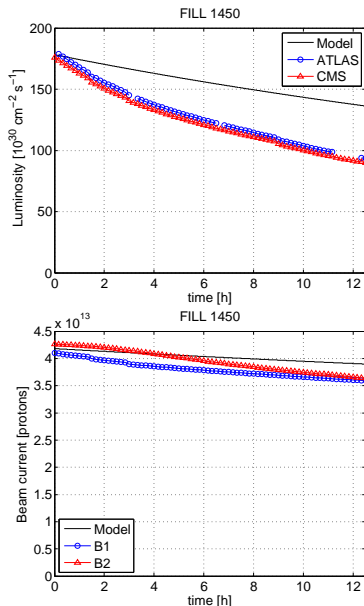
What about the total head on ΔQ ?

Almost $17e-3$: That is significantly above the $10e-3$ reference limit.



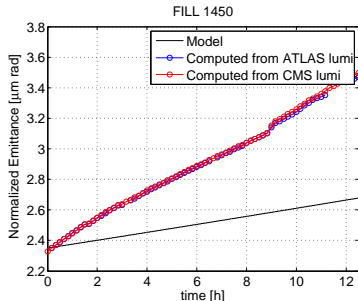
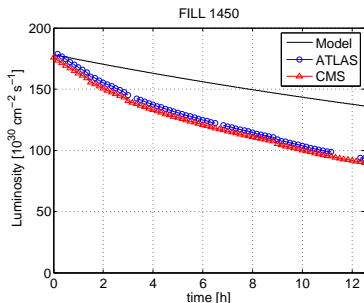
Benchmarking with FILL 1450

The model is not conservative. The luminosity decay computed is slower of the actual one: in fact the model underestimate the current decay rate and the emittance growth.



Benchmarking with FILL 1450

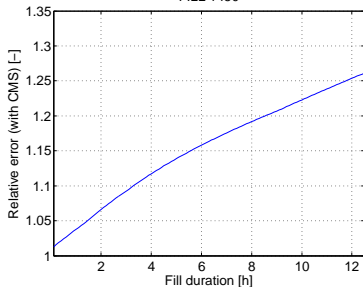
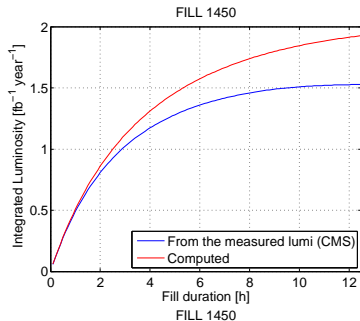
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Benchmarking with FILL 1450

What about $\int \mathcal{L} dt$?

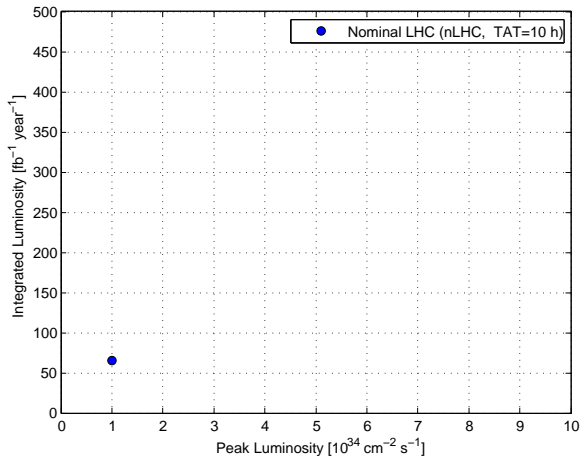
The error depends on the fill duration. For 12 h is $\approx 25\%$. But in the fill duration of the HL-LHC we expect **an error $\approx 15\%$** .



... interlude ...

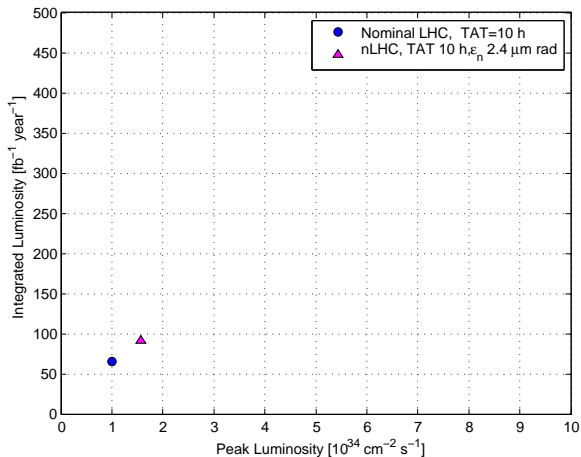
(if not differently stated I refer to the 25 ns beam)

A possible journey on the luminosity plane in LHC...



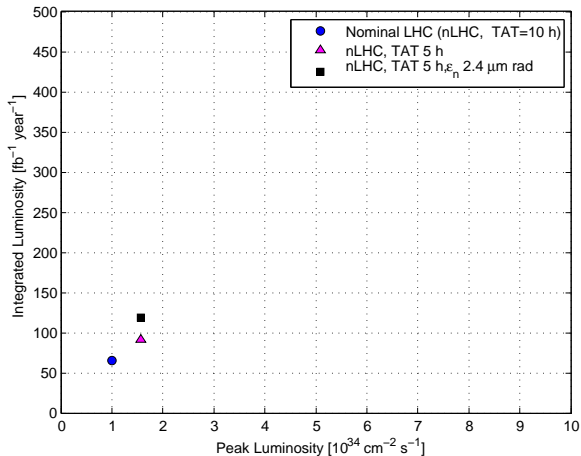
The starting point: $\approx 65 \text{ fb}^{-1}$ per year.

A possible journey on the luminosity plane in LHC...



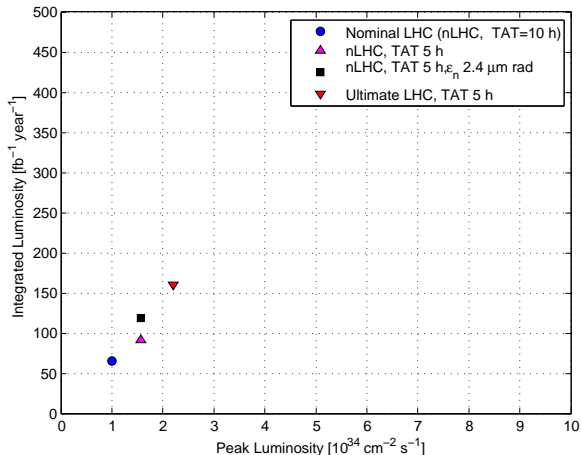
We can profit of the $\epsilon_n = 2.4 \mu\text{m rad}$.

A possible journey on the luminosity plane in LHC...



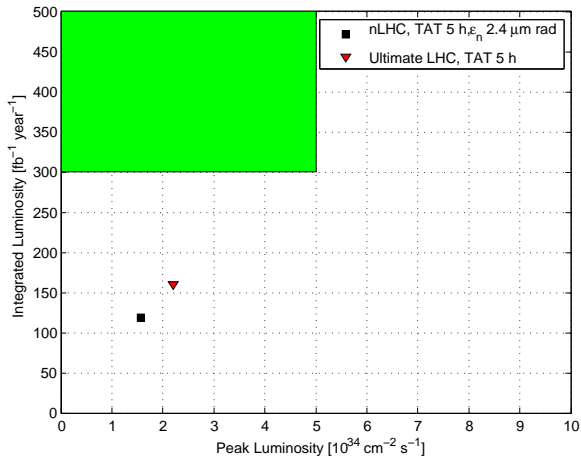
We can profit of the 5 h Turn-Around-Time.

A possible journey on the luminosity plane in LHC...



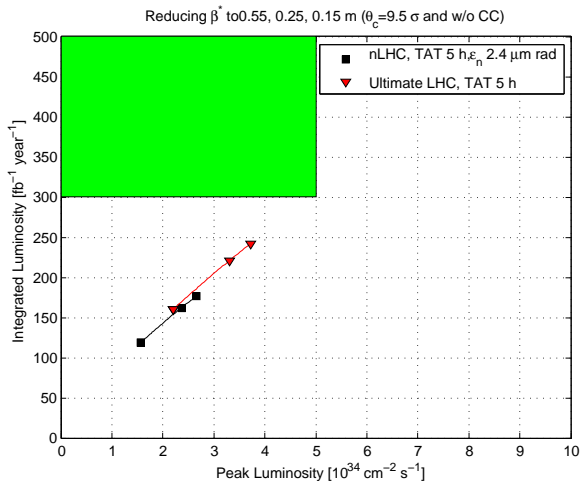
We can consider the ultimate N_b (1.7e11 at 3.75 $\mu\text{rad m}$).

A possible journey on the luminosity plane in LHC...



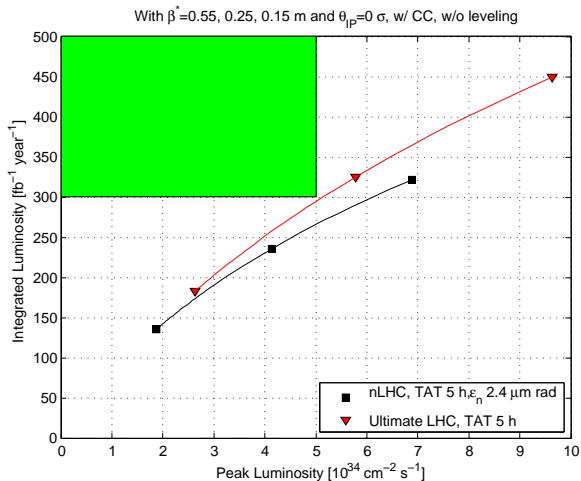
... half the way still to be done, half the way already gone...

...adding New Insertions...



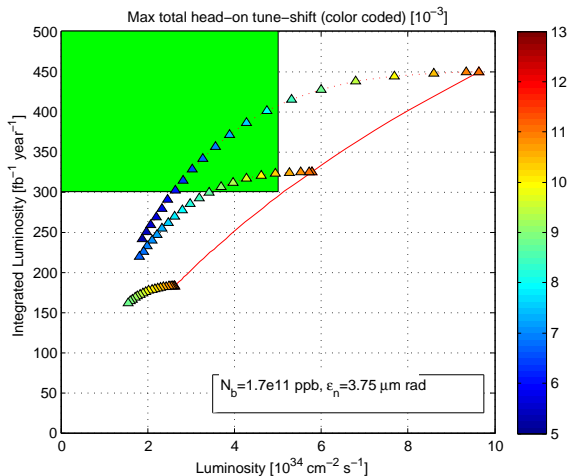
Reducing β^* helps but the 9.5σ beam separation reduces the gain.

...adding Crab Crossing...



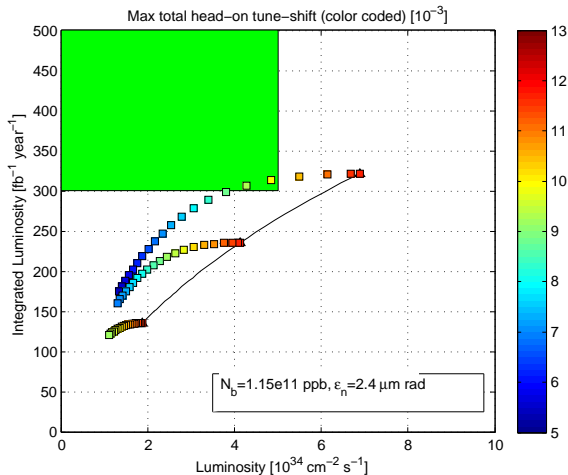
The Crab Crossing boosts the performance!

...adding Crab Leveling...



With Crab Leveling we can reduce $\hat{\mathcal{L}}$ and reach the target (w/ $\beta^* = 0.15$ or 0.25 m at very low head-on tune shift).

...adding Crab Leveling...

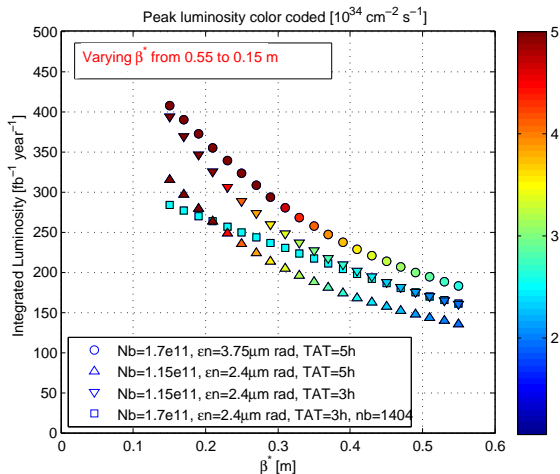


Similar approach with reduced N_b
($\beta^* = 0.15$ and increased head-on tune shift).

Additional considerations...

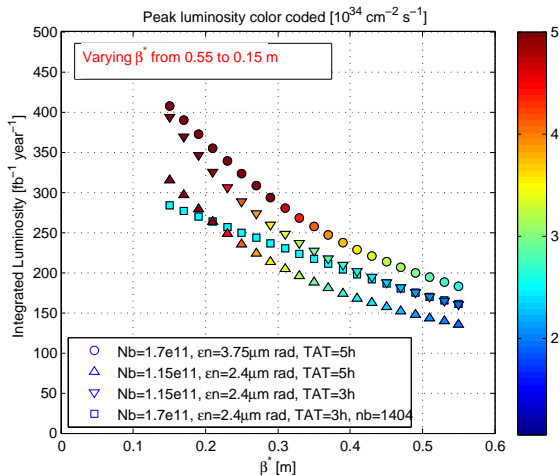
- 1 At which Turn-Around-Time the $N_b=1.15e11$ is equivalent to $1.7e11$?
- 2 Can we reach the goal with 50 ns beam?
- 3 How does $\int \mathcal{L} dt$ scales with β^* at pile-up < 100 ?

$\int \mathcal{L} dt$ vs β^* at pile-up $\lesssim 100$



1.15@2.4 + 3 h TAT \approx 1.7@3.75 + 5 h TAT

$\int \mathcal{L} dt$ vs β^* at pile-up $\lesssim 100$



50 ns ($\approx 1.7@2.4 + 3 \text{ h TAT}$) almost reaches the target

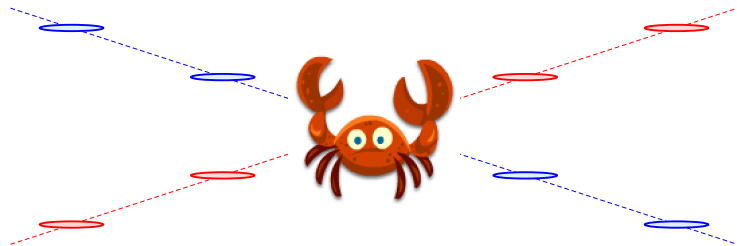
From 2010 run

- $\approx 65\%$ machine availability + 5 h of Turn-Around-Time,
- bunch 60% brighter than the nominal one,
- head-on ΔQ beyond the expected limit,
- geometrical reduction of $\mathcal{L}(t)$ observable in LHCb.

$\int \mathcal{L} dt$ per year at pile-up ≈ 100

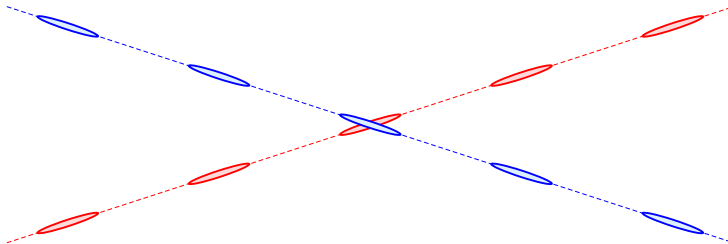
- Leveling appears essential for alleviating the detector pile-up.
- Crab Leveling + $\beta^* = 0.15$ m can reach the target (7 TeV):
 - 320 fb^{-1} : 25 ns, with the observed bunch in LHC (5 h TAT)
 - 400 fb^{-1} : 25 ns, with the ultimate bunch (5 h TAT)
 - 280 fb^{-1} : 50 ns, $N_b=1.7\text{e}11$, $\epsilon_n = 2.4 \mu\text{rad m}$ and 3 h TAT.

Happy crabbing!



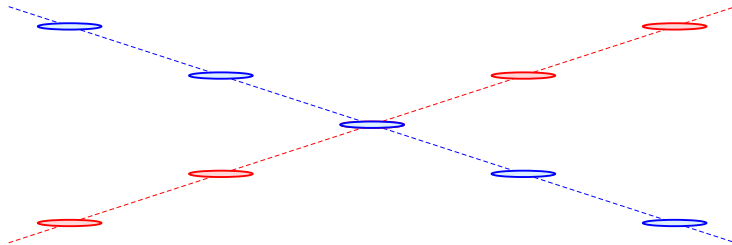
Thank you!

BACKUP SLIDES



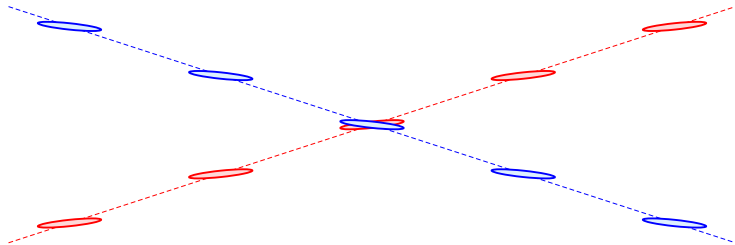
Crab CROSSING

We can have a better overlapping of the bunches at the IP AND a large beam separation at the parasitic encounters.



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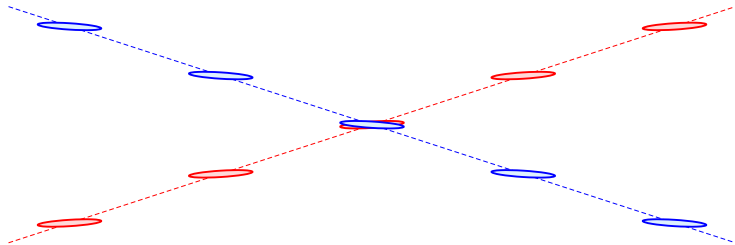
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Crab LEVELING

We can use the CC RF voltage as a knob to keep constant the luminosity and to alleviate the beam-beam interaction at the IP.

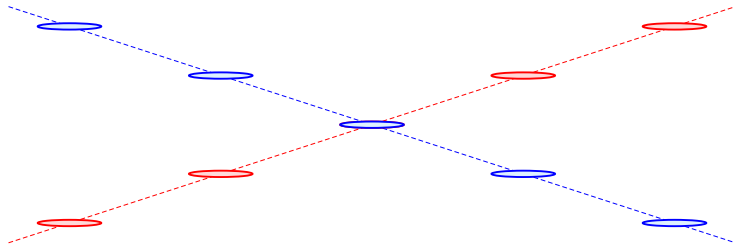
Crab CROSSING and crab LEVELING



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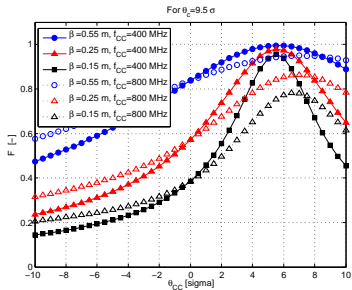
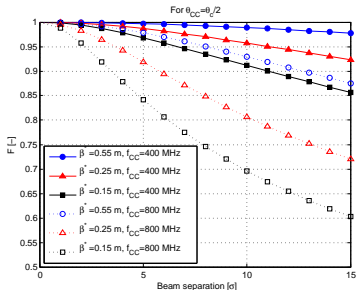
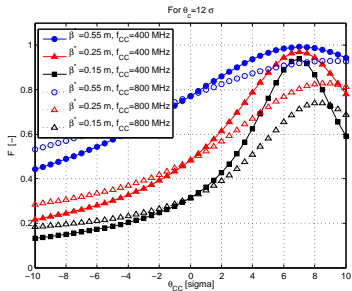
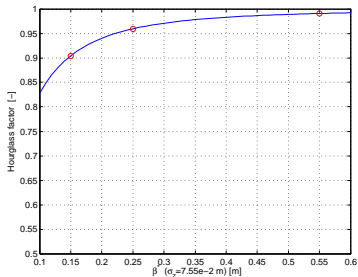
Crab CROSSING and crab LEVELING



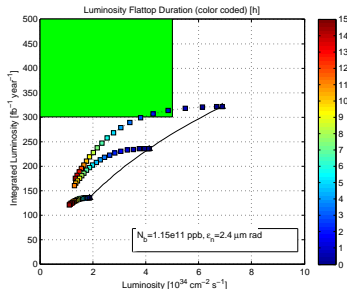
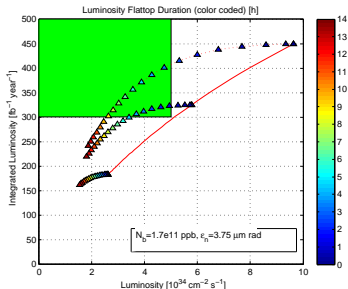
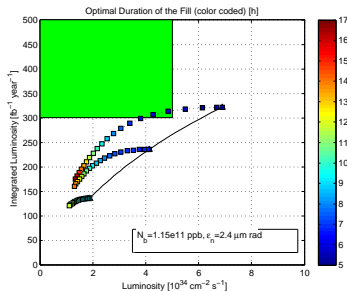
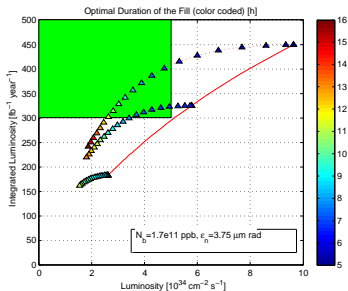
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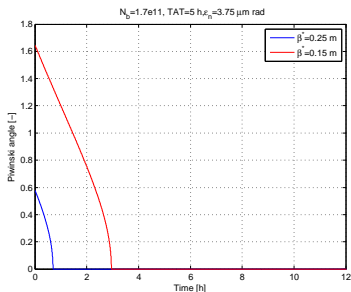
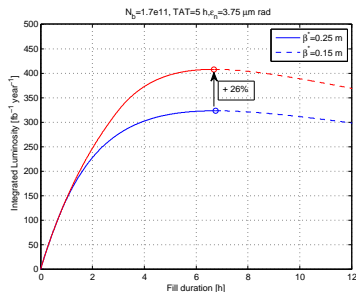
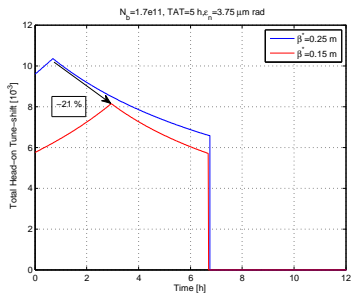
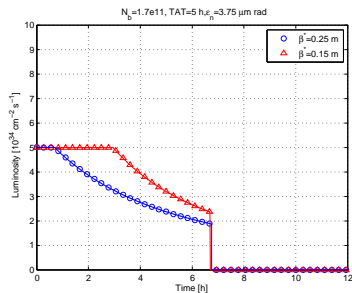
Hourglass Effect and RF Curvature Effect on F



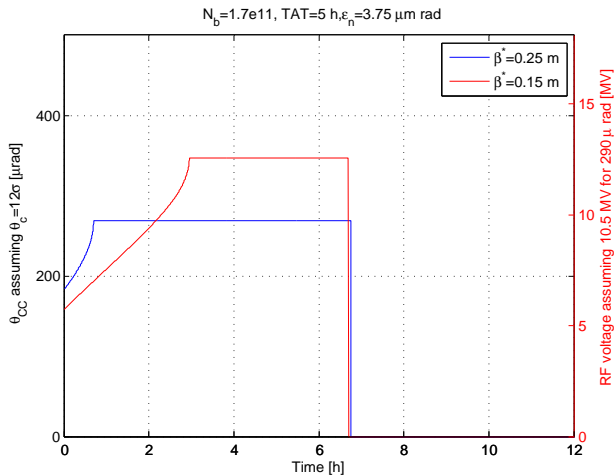
Luminosity leveling



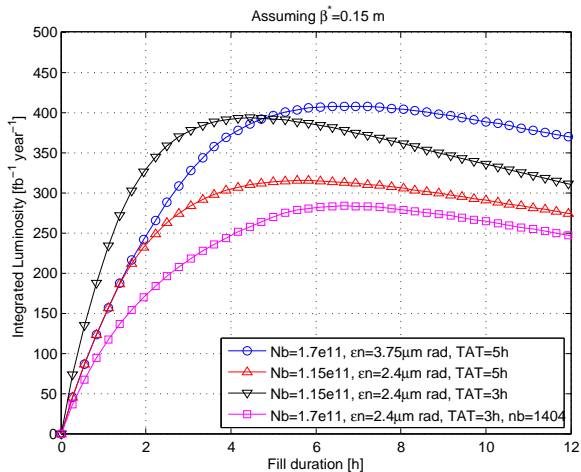
An example of luminosity leveling wrt time



RF Voltage Required



$\int \mathcal{L} dt$ vs β^* at pile-up $\lesssim 100$



4 scenarios on the luminosity plane

