



CDF Measurement of Time-Integrated Mixing

Robert Harr
for the CDF Collaboration

Impact of the D0 Dimuon A_{SL} Result

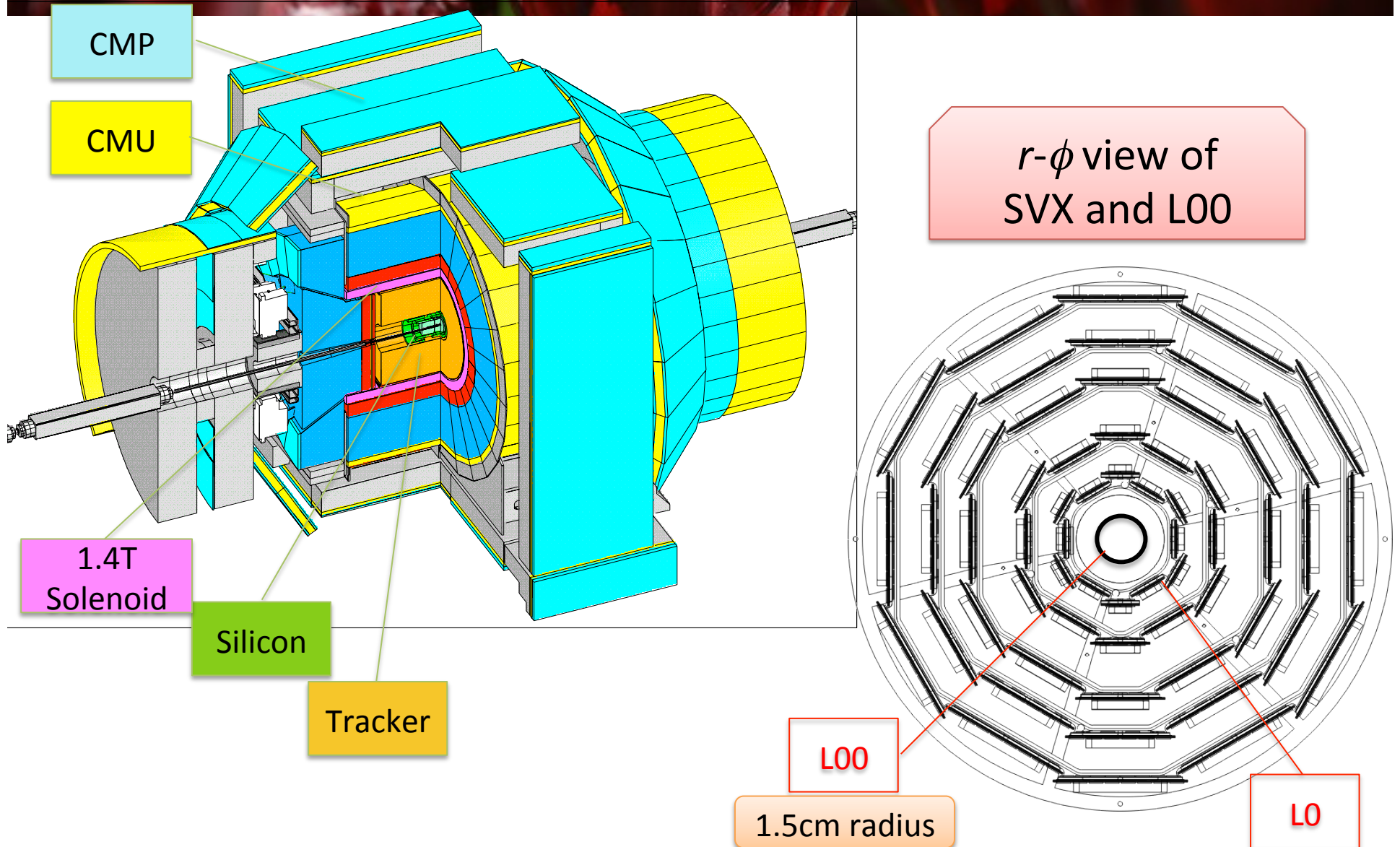
- Result is 40 times SM expectation.
- Requires some serious theoretical gymnastics to accommodate the result.
- About 30 papers cite this result, most proposing a model to explain the result.
- The D0 analysis doesn't use dimuon mass or impact parameters.

Impact of the D0 Dimuon A_{SL} Result

- Result is 40 times SM expectation
- Requires some serious theoretical gymnastics to accommodate the result
- About 30 papers cite this result, most proposing a model to explain the result
- The D0 analysis doesn't use dimuon mass or impact parameters

Deserves independent verification

The CDF Detector

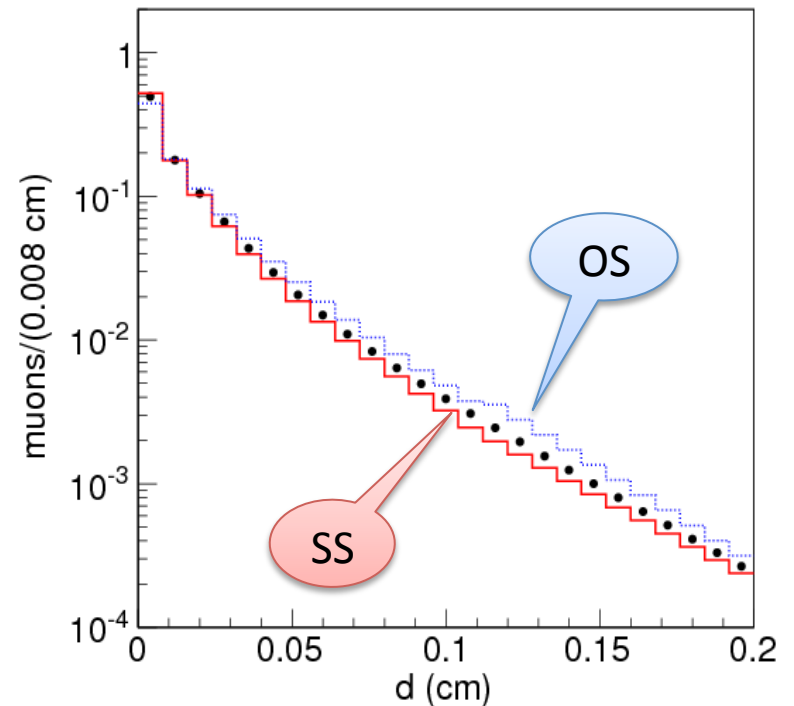


CDF Technique

- Use muon impact parameter distributions to separate $b\bar{b}$ contribution from other sources.
- Select dimuon events with $|\eta| < 0.6$ and $p_T > 3 \text{ GeV}/c$ for each muon.
- $5 \text{ GeV}/c^2 < M_{\mu\mu} < 80 \text{ GeV}/c^2$
- Remove events with additional muons
- Plot the IP distributions (d_1, d_2) for opposite sign (OS) and same sign ($++$, $--$) muons.
- Simultaneously fit the distributions for muons from b pairs (BB), c pairs (CC), sequential decays (BC), Drell-Yan (PP), and D.I.F.'s or misID's with a muon or in pairs (BB_{FK} , CC_{FK} , and other).

A Note on Templates

- Sequential decays ($b \rightarrow \mu c \rightarrow \mu \mu X$) contribute to OS templates but not SS templates.
- And cc source is only OS.
- Prompt $\rightarrow Y$ data
- b and c \rightarrow simulation [tuned in $\sigma(b\bar{b})$ analysis]





Advantages

- Use data-derived templates for these sources (as much as possible).
- Excellent I.P. resolution allows us to disentangle the sources.
- This technique has been used since Run I
 - most recently to measure bb production xsec: PRD 77, 072004 (2008).
 - Previous A_{SL} : <http://www-cdf.fnal.gov/physics/new/bottom/070816.blessed-acp-bsemil/>
- Measurement of $\bar{\chi}$ is good preparation for an A_{SL} measurement


$$\bar{\chi}$$

- $\bar{\chi}$ is the average mixing probability

$$\bar{\chi}_b = \frac{\Gamma(B^0 \rightarrow \bar{B}^0 \rightarrow \ell^+ X)}{\Gamma(B \rightarrow \ell^\pm X)} = f_d \chi_d + f_s \chi_s$$

- And is related to R:

$$R = \frac{N^{++} + N^{--}}{N^{OS}}$$

- Difference in $\bar{\chi}$ from LEP (0.1259 ± 0.0042) and Tevatron (0.147 ± 0.011)

CDF RunI: PRD 69, 012002 (2004)

Relation of R to $\bar{\chi}$

- R has contributions from mixing, and other decay processes such as
 - $b \rightarrow c \rightarrow \mu$ decays
 - $b \rightarrow \psi X$, $b \rightarrow \chi_c X$, and other $b \rightarrow c \bar{c} q$ decays
- We account for these effects with a parameter f , determined from simulation to be $f = 0.176 \pm 0.011$
- We obtain the relation:

$$R = \frac{f \left[\bar{\chi}^2 + (1 - \bar{\chi})^2 \right] + 2\bar{\chi} (1 - \bar{\chi}) (1 - f)}{(1 - f) \left[\bar{\chi}^2 + (1 - \bar{\chi})^2 \right] + 2\bar{\chi} (1 - \bar{\chi}) f}$$

$\bar{\chi}$ Measurement

- Use dimuon triggered data from 1.44/fb of int. lumi.
- Same selection requirements as described for A_{SL} measurement.
- Require that both muons have a hit in one of the two innermost silicon layers
 - Removes a large fraction of poorly understood events
 - Reduces overall statistics.
- Fit the OS, ++, and – impact parameter distributions simultaneously
- Determine R from BB component of the fit.

The Fit Function (for completeness)

$$L = \prod_i \prod_j \left[\ell_{ij}^{n(i,j)} \frac{e^{-\ell_{ij}}}{n(i,j)!} \right]$$

$$\begin{aligned} \ell_{ij} = & BB^{XS} \cdot S_b^{XS}(i) \cdot S_b^{XS}(j) + BB_{FK}^{XS} \cdot S_b(i) \cdot S_b(j) \\ & + (CC + CC_{FK}^{XS}) \cdot S_c(i) \cdot S_c(j) + PP^{XS} \cdot S_p(i) \cdot S_p(j) \\ & + \frac{1}{2} [BP^{XS} \cdot (S_b(i) \cdot S_p(j) + S_p(i) \cdot S_b(j)) \\ & + CP^{XS} \cdot (S_c(i) \cdot S_p(j) + S_p(i) \cdot S_c(j)) \\ & + BC^{XS} \cdot (S_b(i) \cdot S_c(j) + S_c(i) \cdot S_b(j))] \end{aligned}$$

$$\frac{1}{2} \left[\frac{(CP - BP)^2}{CP + BP + (0.14 \cdot BP)^2} + \frac{(BC - 0.046 \cdot BB)^2}{BC + (0.046)^2 \cdot BB + (0.013 \cdot BB)^2} \right]$$

$$CP^{LS} = (1.05 \pm 0.05) \cdot CP^{OS}$$

$$CP^{++} = (1.2 \pm 0.1) \cdot CP^{--}$$

$$BP^{LS} = (0.87 \pm 0.07) \cdot BP^{OS}$$

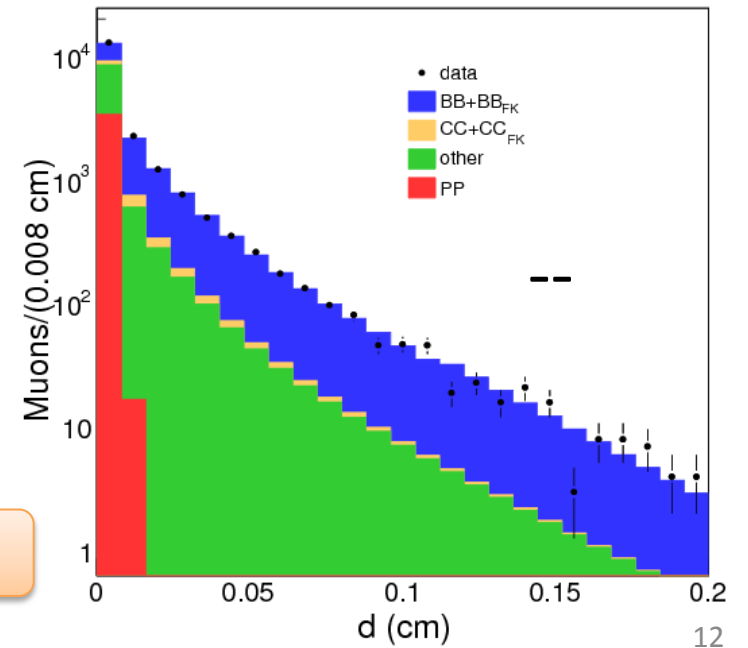
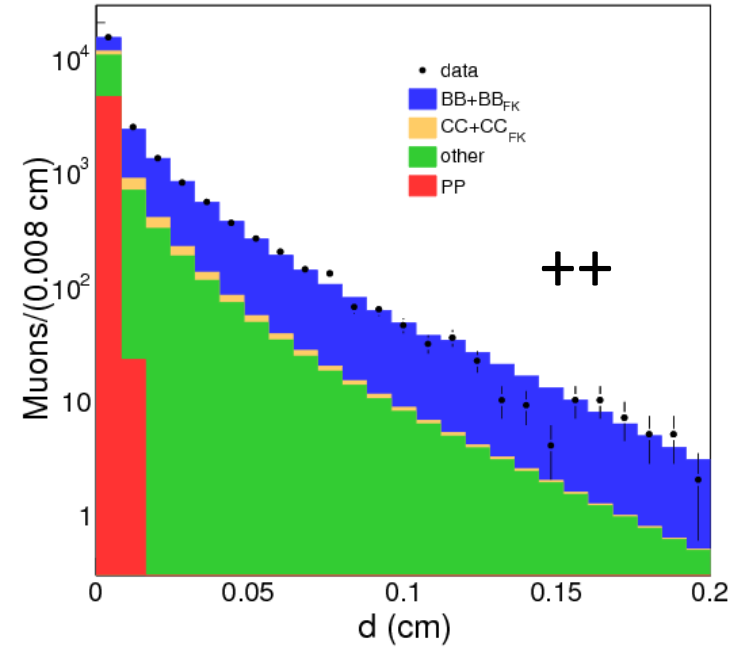
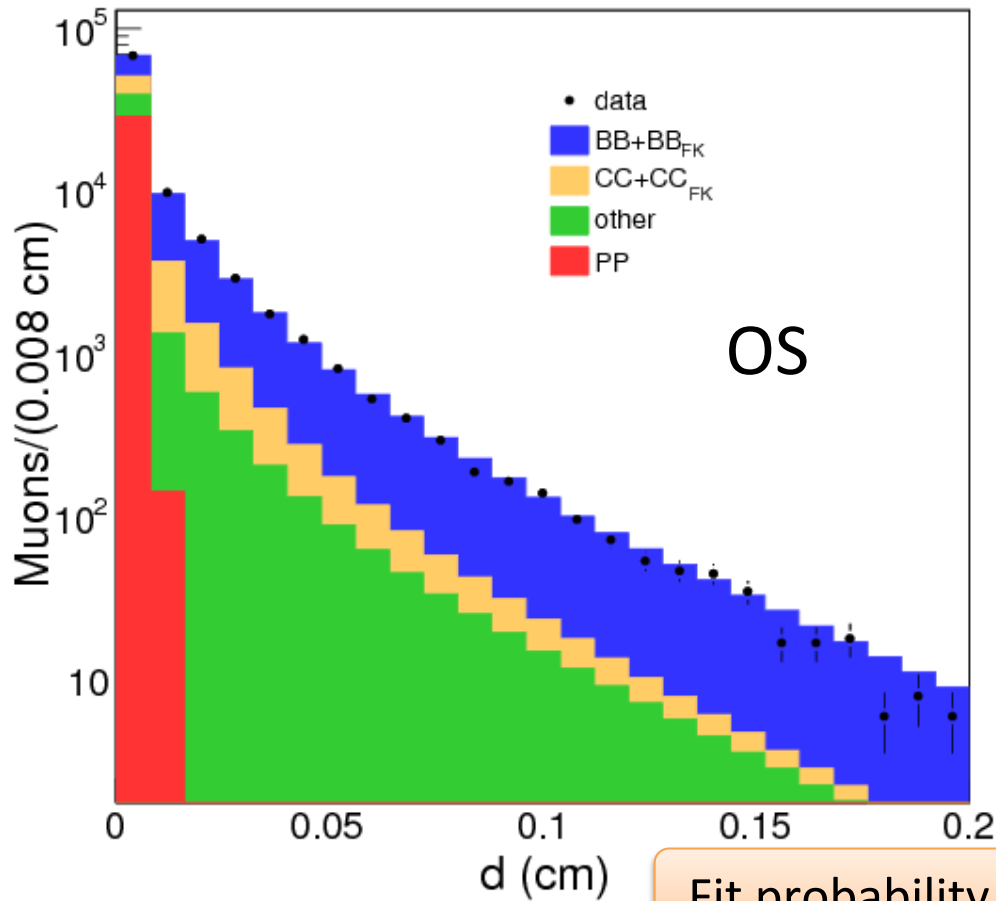
$$BP^{++} = (1.15 \pm 0.05) \cdot BP^{--}$$

$$BC^{LS} = BC^{OS}$$

$$BC^{++} = BC^{--}$$

Fit Results

1D projections of 2D fits





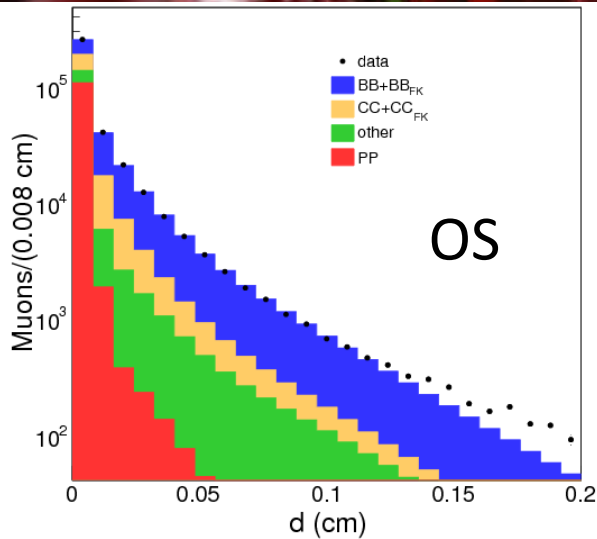
$\bar{\chi}$ Result

- $R=0.467\pm 0.008$ (stat only)
- Varying the templates within their uncertainties yields a systematic error of 0.007
- $R = 0.467\pm 0.011$ (stat and sys)
- Yields $\bar{\chi} = 0.126\pm 0.008$ (0.005 is due to R and 0.006 to f)
- Compare to LEP average $\bar{\chi} = 0.1259\pm 0.0042$

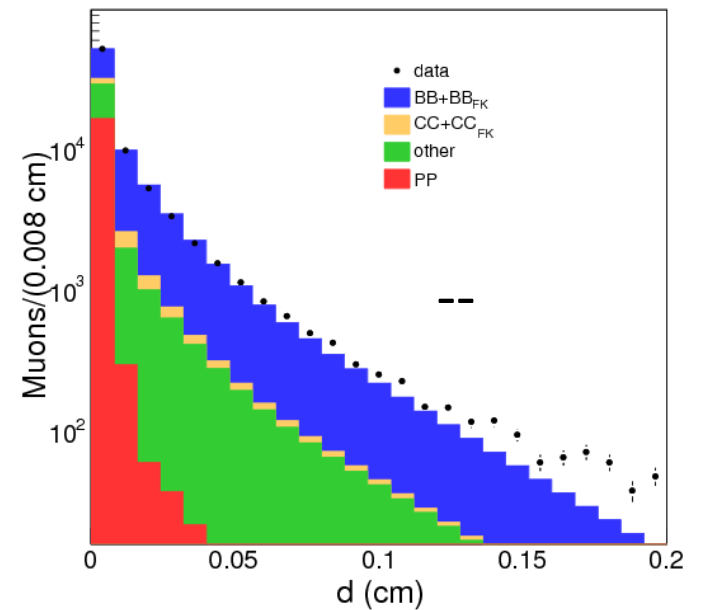
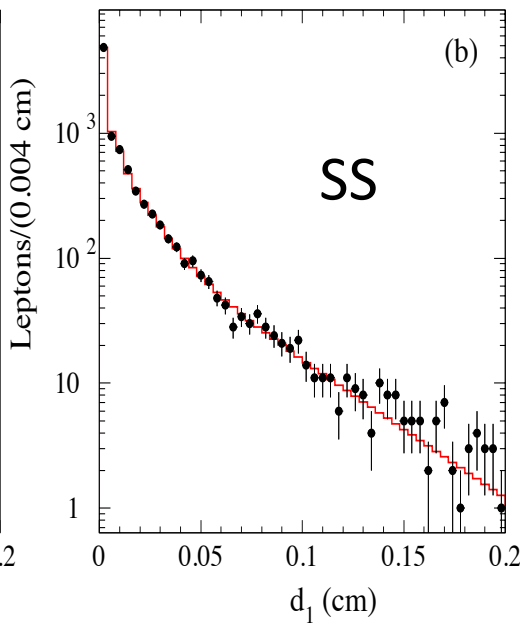
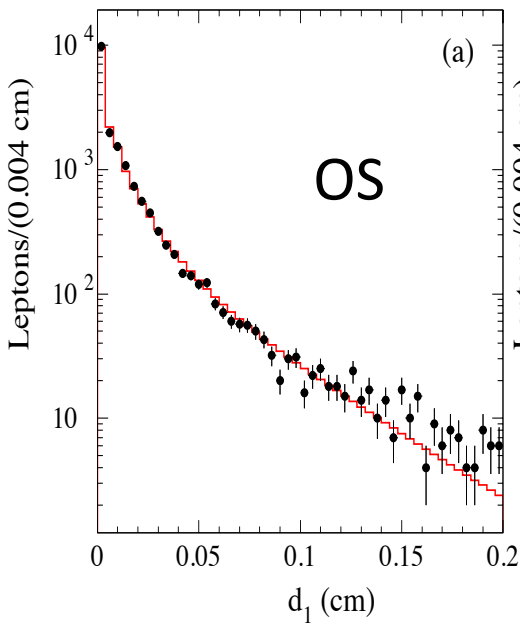
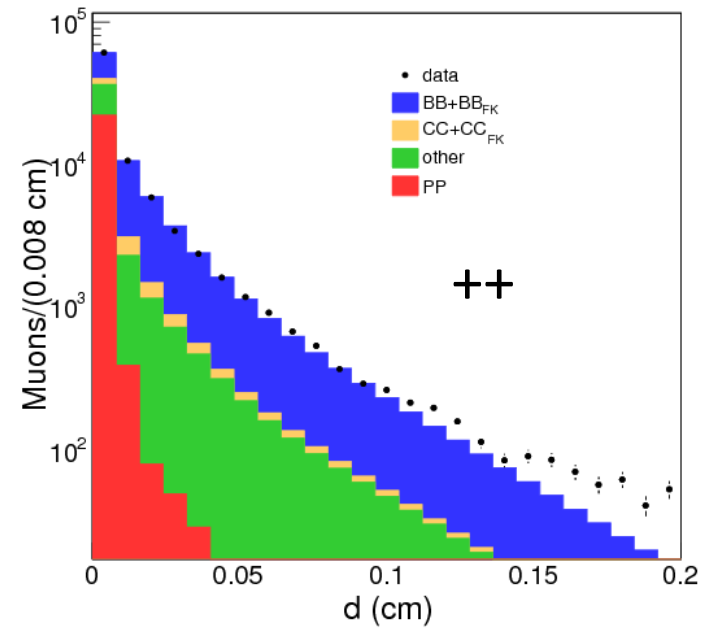
Additional Checks on $\bar{\chi}$

- To investigate difference w.r.t. earlier Tevatron measurements, we revert to “standard” silicon hit requirements.
- This lets in a class of muons missing from the simulation; we refer to them as “ghosts”.
- The ghosts are dominated by punchthrough, and it is important to correctly account for them.
- The ghost template is derived from 0.7/fb of data and applied to the other 0.7/fb of data.

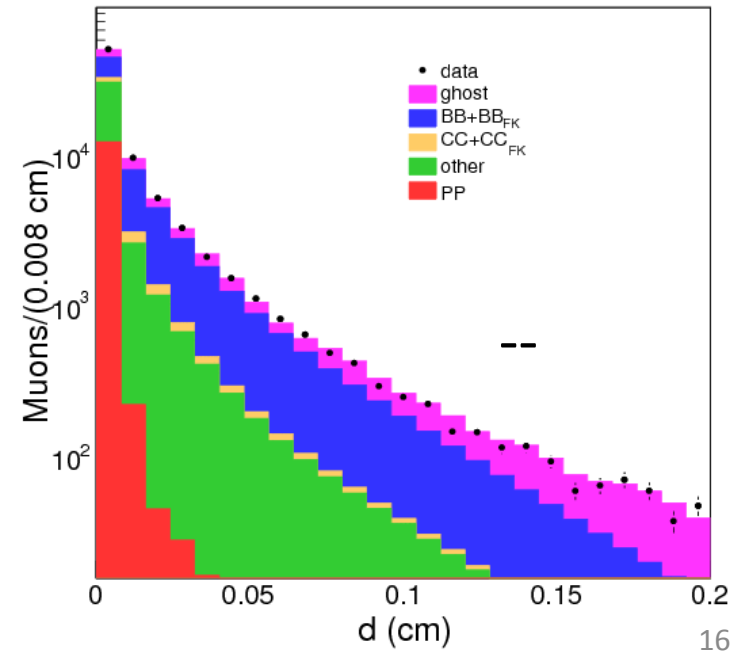
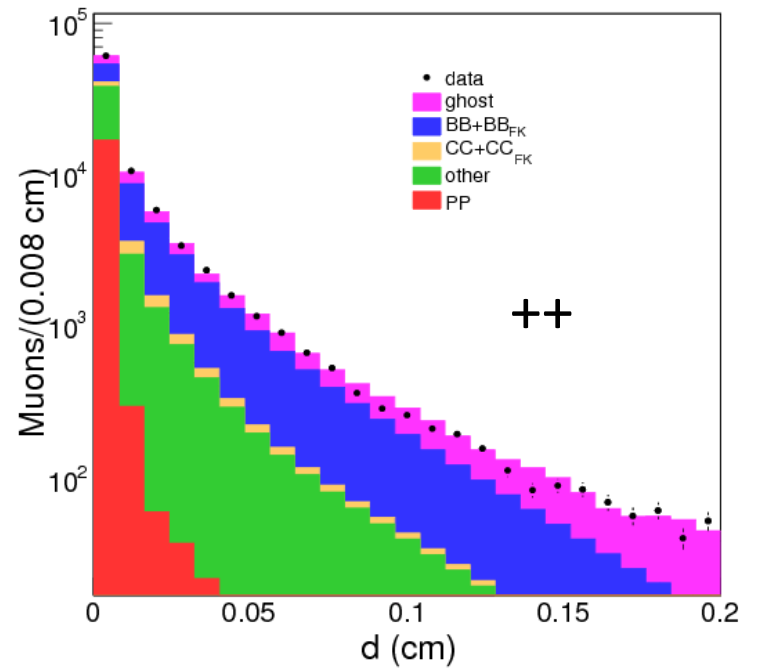
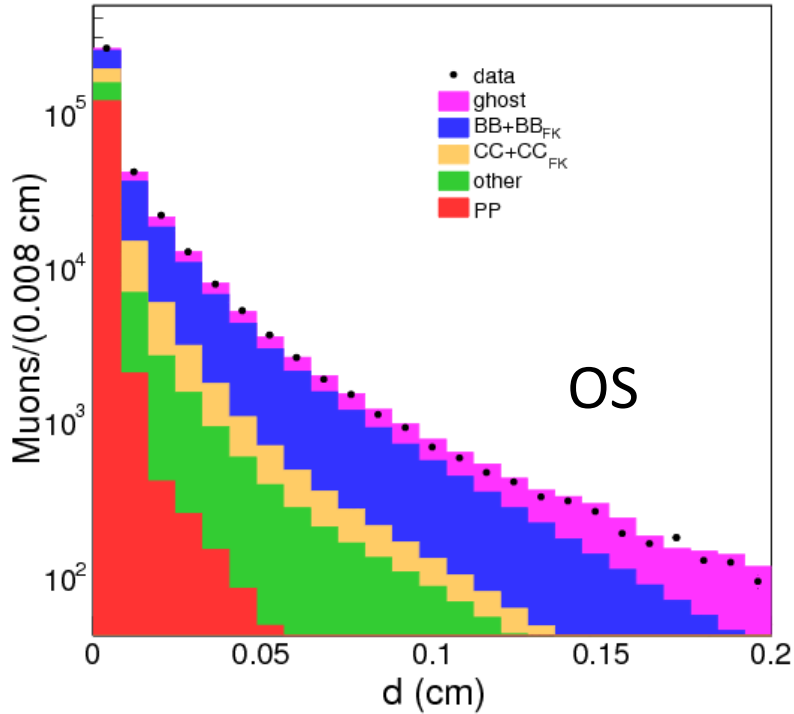
Fit result without "ghosts"



Fit probability
0.02%



Fit result with ghosts



Consistent result
 $R=0.466 \pm 0.007$ (stat only)

Fit probability
 49.1%

Prospects for A_{SL}

- Measure the dimuon asymmetry defined as

$$A_{SL} = \frac{N^{++} - N^{--}}{N^{++} + N^{--}}$$

- Using 6/fb of data, like sign sample is about 1.2 million events, about 1/3 the size of the D0 sample.
- Will yield 70% larger statistical errors than D0.
- Systematic errors should scale similarly.



Conclusion

- The new $\bar{\chi}$ result is in agreement with the LEP measurements, possibly settling a long standing difference.
- Previous disagreement related to class of poorly understood muons (ghosts).
- Data-derived templates for ghosts allows us to extract $\bar{\chi}$.
- These techniques are being used to measure A_{SL} in 6/fb of data.



BACKUP



Magnetic Field

- CDF does not reverse solenoid polarity
 - Central tracker has tilted drift cells intended for one field direction
 - We evaluate tracking asymmetry with data (see CPV in charm decays talk by Angelo Di Canto on Tuesday).
 - CDF muon chambers are not in a magnetized region
 - We don't see an asymmetry in muon ID.