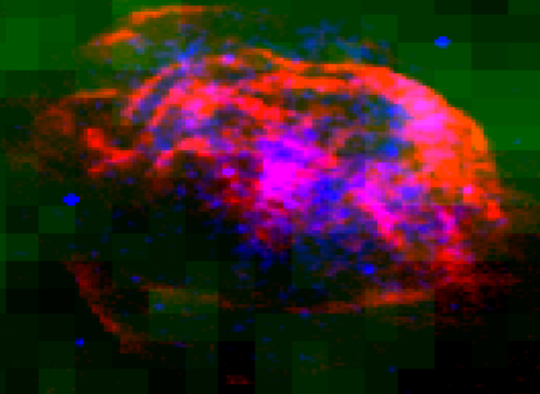


# SNR G39.2-0.3: An hadronic cosmic ray accelerator



*De Ona Wilhelmi et al.  
MNRAS, 497, 3581,  
2020*

**Emma de Oña Wilhelmi<sup>1</sup>, Iurii Sushch, Robert Brose, Enrique Mestre,  
Yang Su & Roberta Zanin**

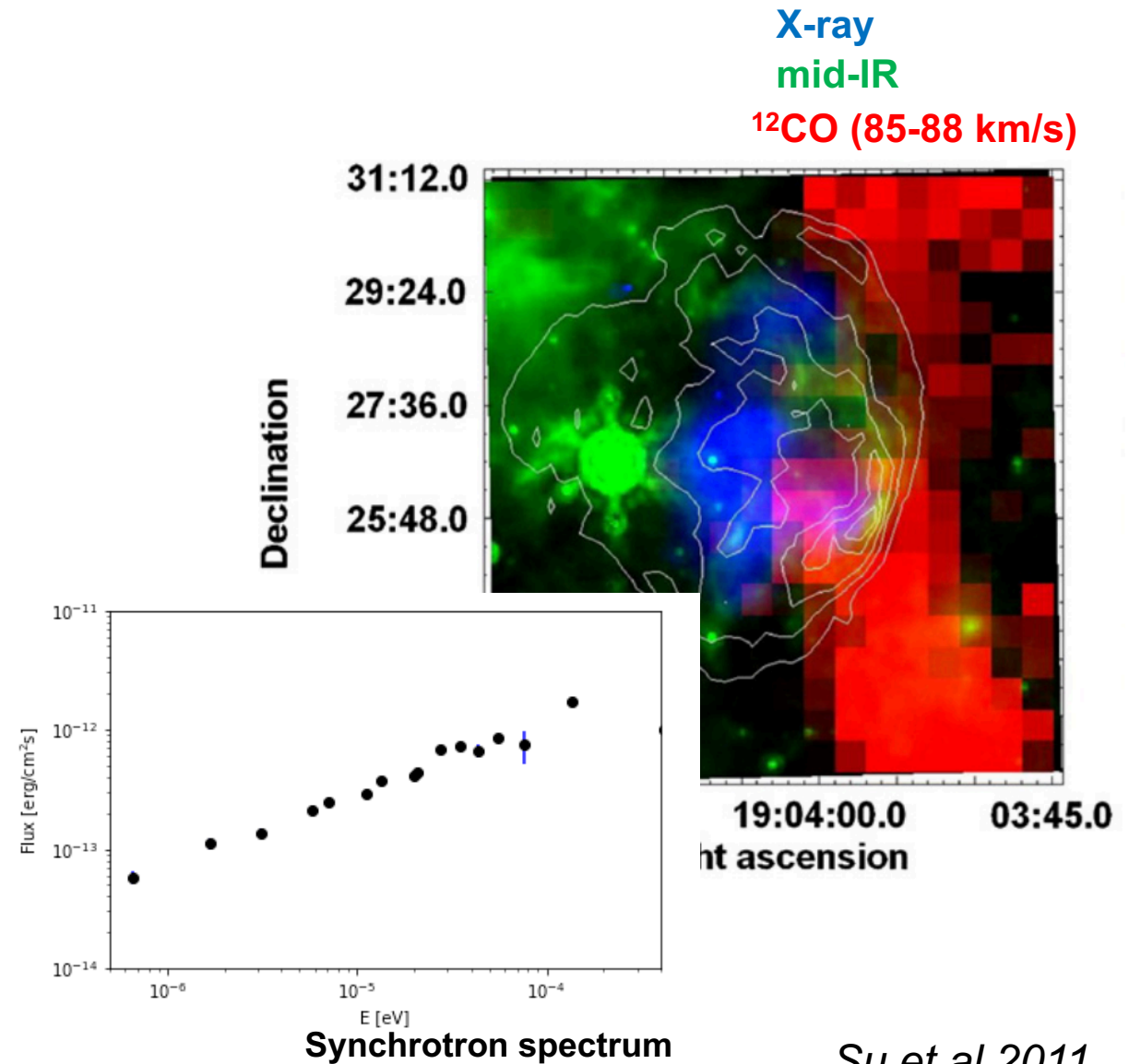
**<sup>1</sup>DESY-Zeuthen**



# Core-collapse SNRs: SNR G39.2-0.3

- **CC Type IIL/b** SNRs expands in a very dense medium, after undergo a RSG phase
- Bright NIR H<sub>2</sub> emission
- 3-7 kyrs, at ~6 kpc
- $V_{LST} \sim 69$  or 88 km/s
- $E \sim 3.5 \times 10^{50}$  erg ( $7 \times 10^{50}$  erg) for filling factor  $ff=1$  (0.25)
- $B \sim 100\mu\text{G}$  ( $\sim 140\mu\text{G}$ ) for  $ff=1$  (0.25)

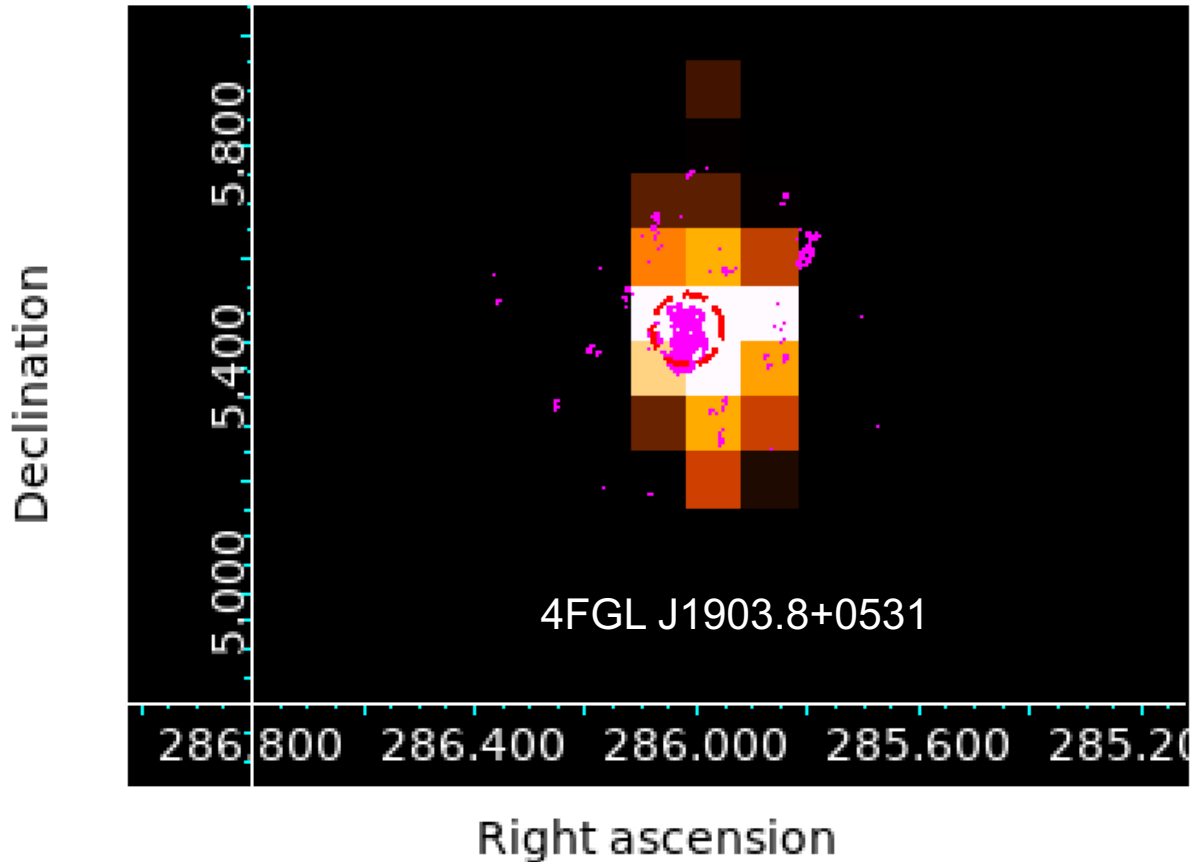
*Harris & Slane 1999*



# SNR G39.2-0.3: Multi-wavelength

High Energy Observations: Fermi LAT

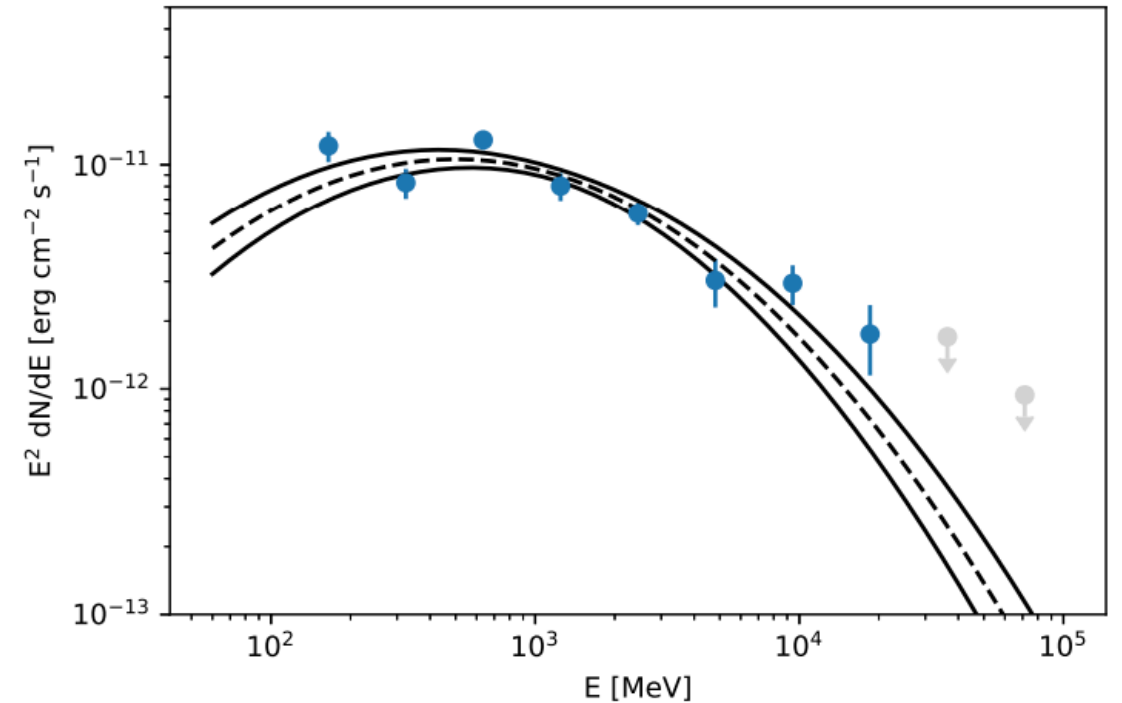
LAT E>3 GeV



$$\frac{dN}{dE} = N_o \left( \frac{E}{E_{break}} \right)^{(-\alpha + \beta \log(E/E_{break}))}$$

$$N_o = (8.7 \pm 0.7) 10^{-13} \text{ MeV}^1 / \text{cm}^2 \text{ s}$$

$$\alpha = 2.6 \pm 0.1, \beta = 0.20 \pm 0.03, E_{break} = 2.3 \text{ GeV}$$



*dOW et al. 2020*

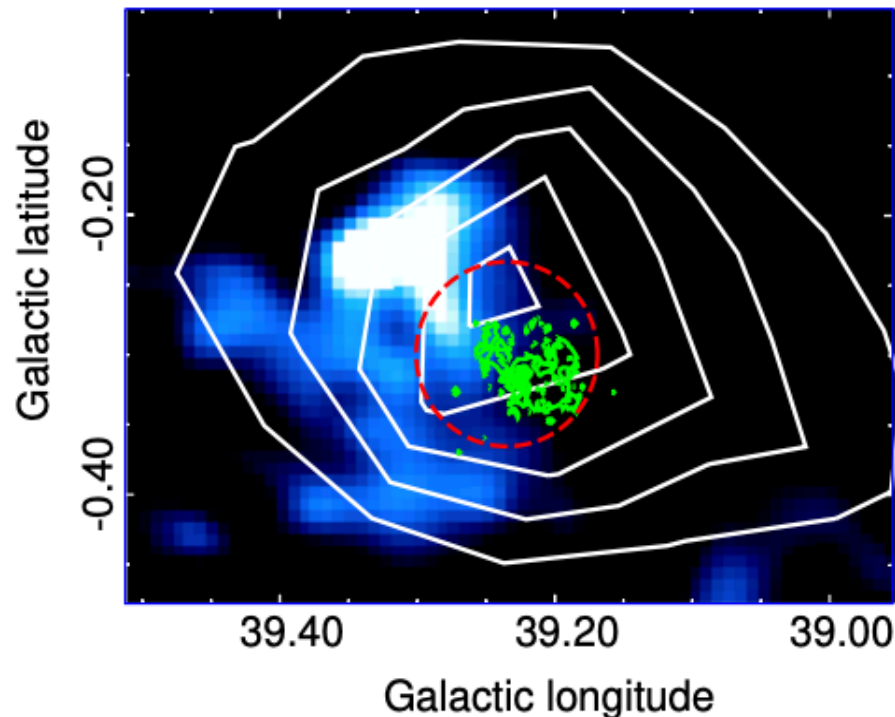
# SNR G39.2-0.3: Multi-wavelength spectrum

## Radio Observations: MWISP

*Su et al 2011*

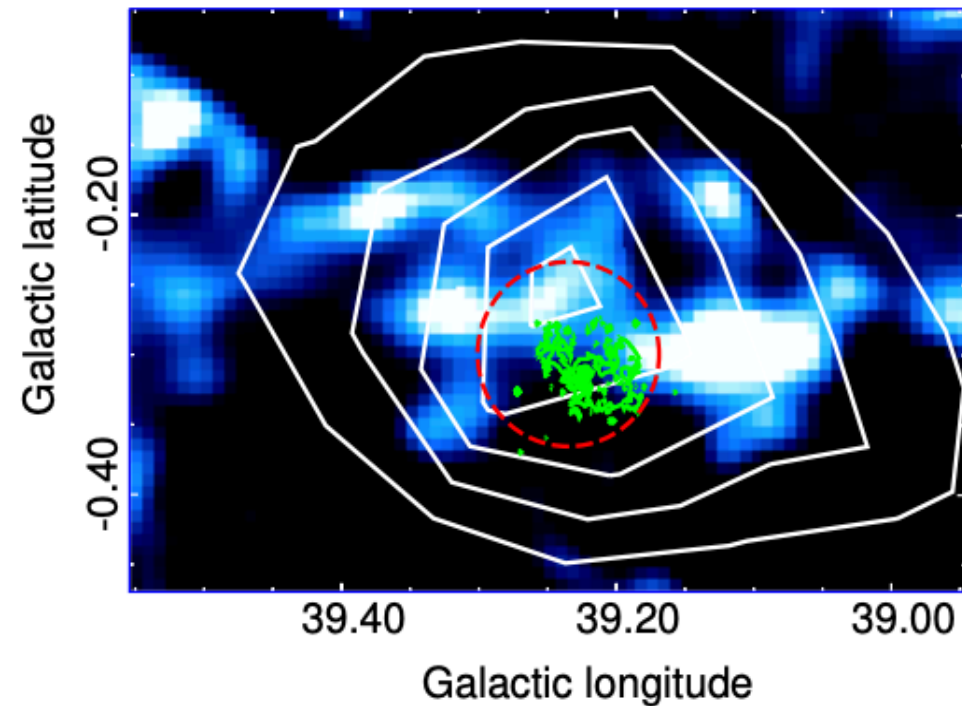
- We analyzed  $^{12}\text{CO}$  and  $^{13}\text{CO}$  from MWISP Survey
- The  $\sim 80$  km/s seems to be favored, based on the gas/gamma-ray distribution.

67 – 74 km/s ( $440 \text{ cm}^{-3}$ )

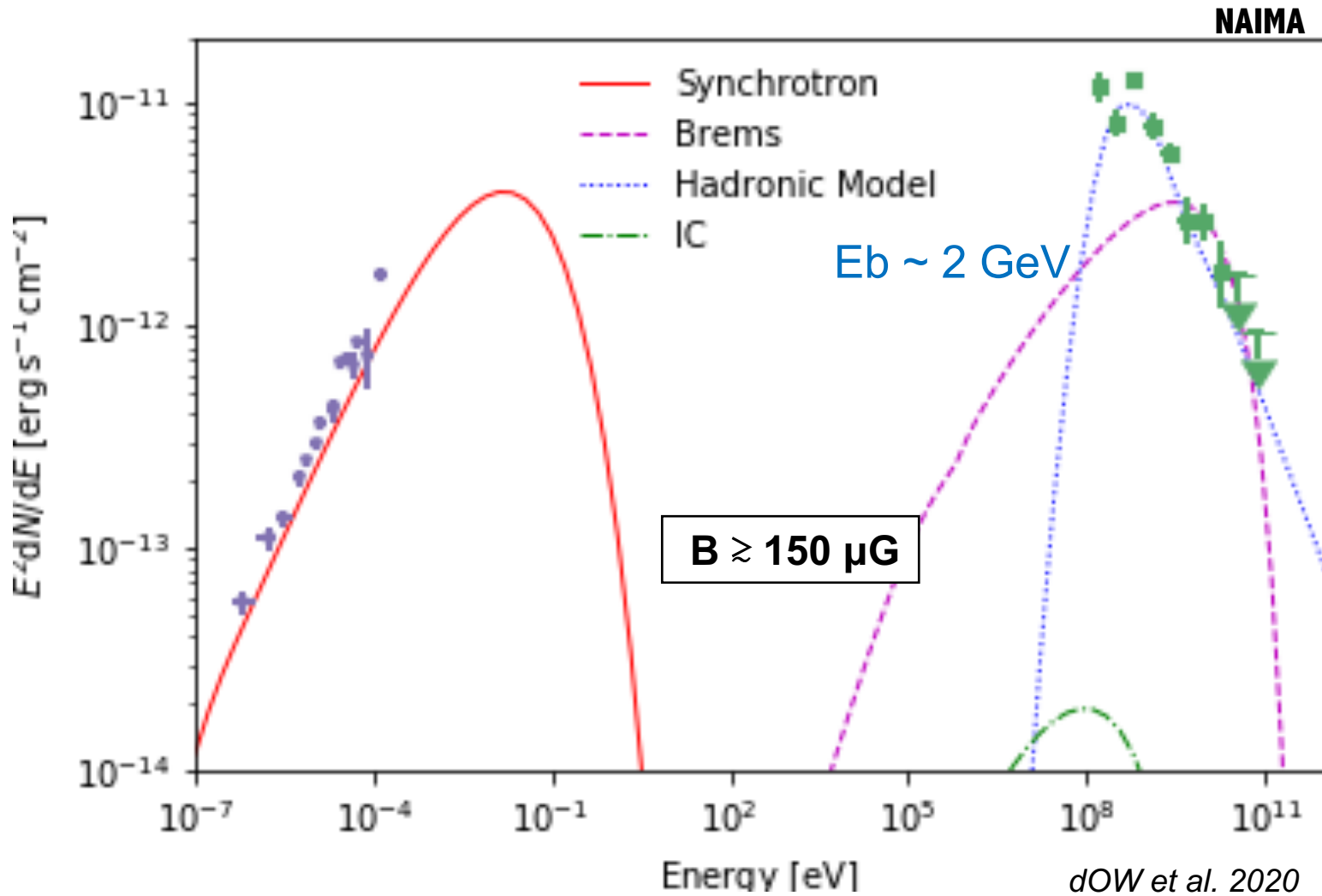


80– 88km/s ( $326 \text{ cm}^{-3}$ )

*dOW et al. 2020*



# SNR G39.2-0.3: Spectral Modeling



$$W_p = 3.2^{+1.1}_{-0.8} 10^{49} \text{ erg}$$

**Broken power-law function:**

$$E_b = 220 \pm 70 \text{ MeV}$$

$$s_1 = 2.0 \pm 1.5 \text{ and } s_2 = 2.78 \pm 0.06$$

**Power-law function:**

$$s = 2.75^{+0.04}_{-0.06}$$

# SNR G39.2-0.3: Spectral Modeling

## Hadronic constraints

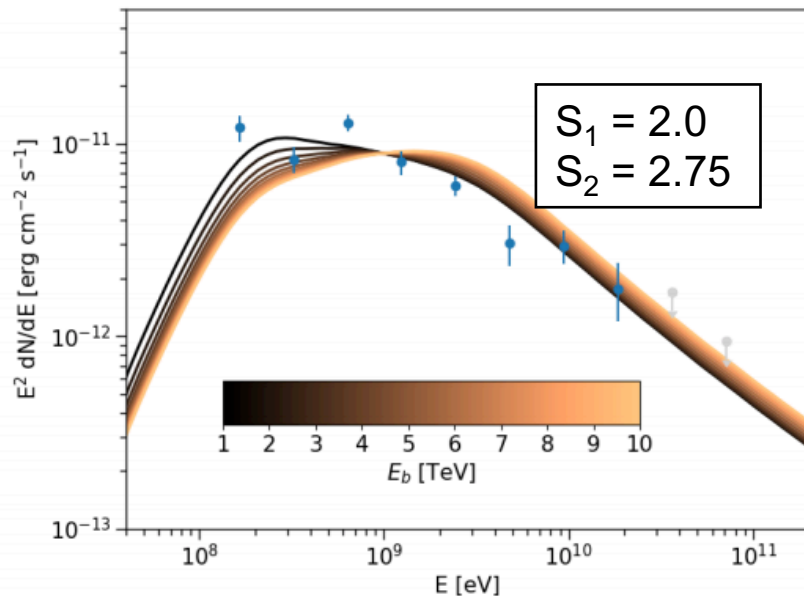
- The large magnetic field should boost the acceleration of particles into high energies, but a break in protons at  $\sim 220$  MeV is observed  $\Rightarrow$  **Slow shock, effective particles escape, heavy composition?**

### ➤ Old dynamical age scenario

slow shock and effective escape of high energy particles

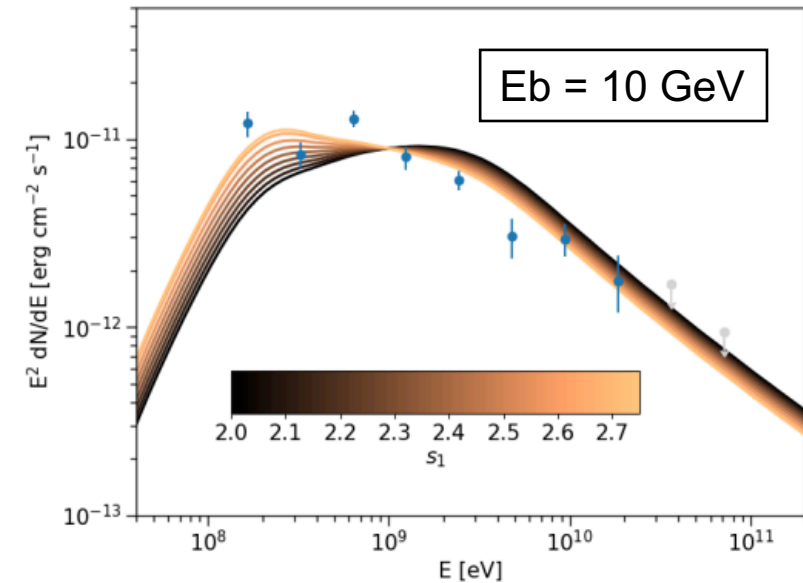
RATPAC<sup>1</sup> code to model the radiation

$E_b > 3$  GeV  $\Rightarrow$  Turnover shift to high energies



Soft spectrum works

but then should be different from radio electrons



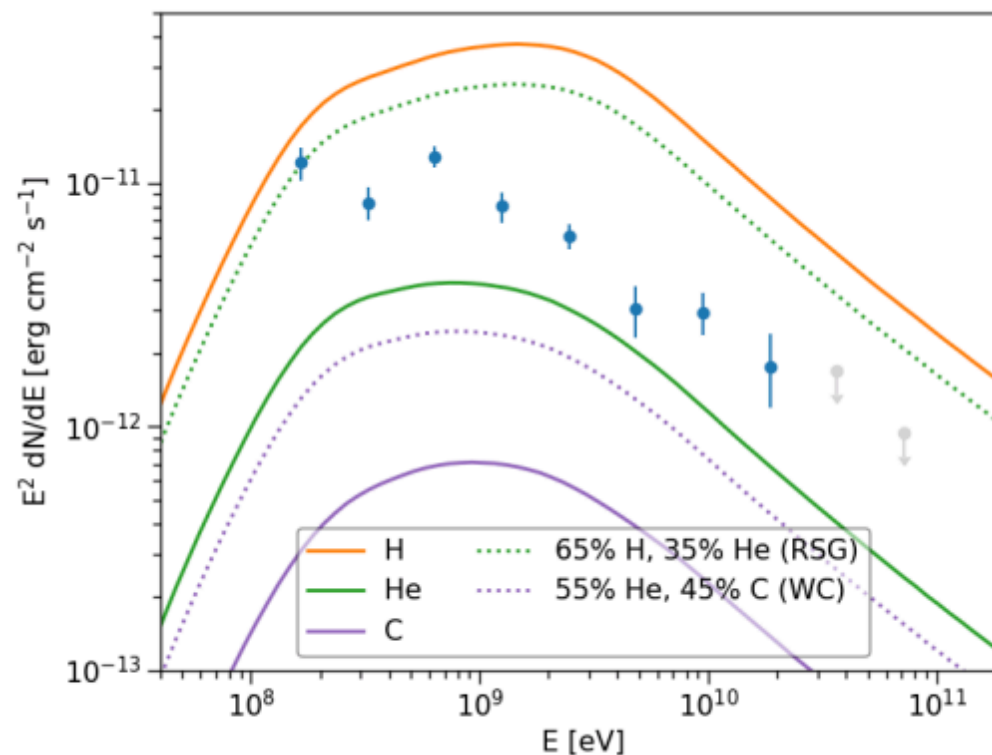
# SNR G39.2-0.3: Spectral Modeling

## Hadronic constraints

- The large magnetic field should boost the acceleration of particles into high energies, but a break at ~220 MeV is observed => **Slow shock? Or effective particles escape?**

### ➤ Heavy Composition

A Wolf-Rayet Wind (WC) shifts the peak to ~0.8 GeV

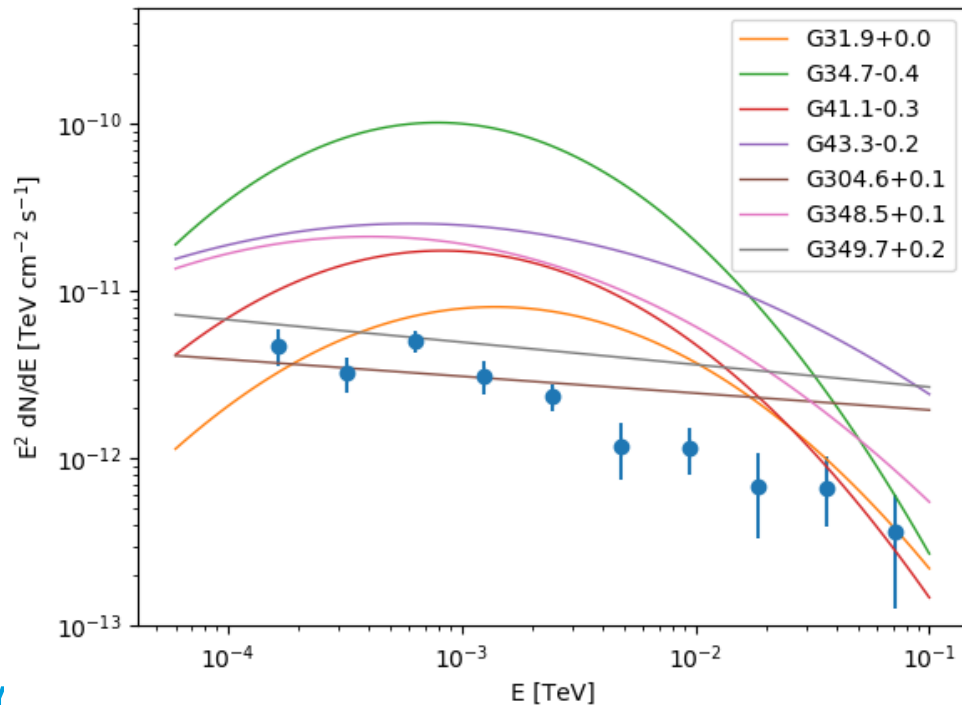


$$\frac{dN_i}{dp} = \begin{cases} N_{0,i} p^{-s_1}, & \text{if } p < Z p_b \\ N_{0,i} (Z p_b)^{-s_1+s_2} p^{-s_2}, & \text{otherwise.} \end{cases}$$

# Conclusions

## And future applications

- SNR G39.2-0.3 is an hadronic accelerator with a high magnetic field => Why is then so inefficient in accelerating protons to high energies ( $E_b = 2.3$  GeV)
  - **Dynamical old SNR?**  $E_b \sim 10$ - $100$  GeV and radio emission suggests a high-energy break\*
  - **Heavy composition?** The spectrum might be a hint of heavier composition



18 SNRs detected in the GLIMPSE Legacy science program on Spitzer (Reach et al. 2006)





# BACKUP SLIDES

**Contact** Emma de Ona Wilhelmi

**DESY.** Deutsches  
Elektronen-Synchrotron

[www.desy.de](http://www.desy.de)

# SNR G39.2-0.3: Spectral Modeling

## Leptonic constraints

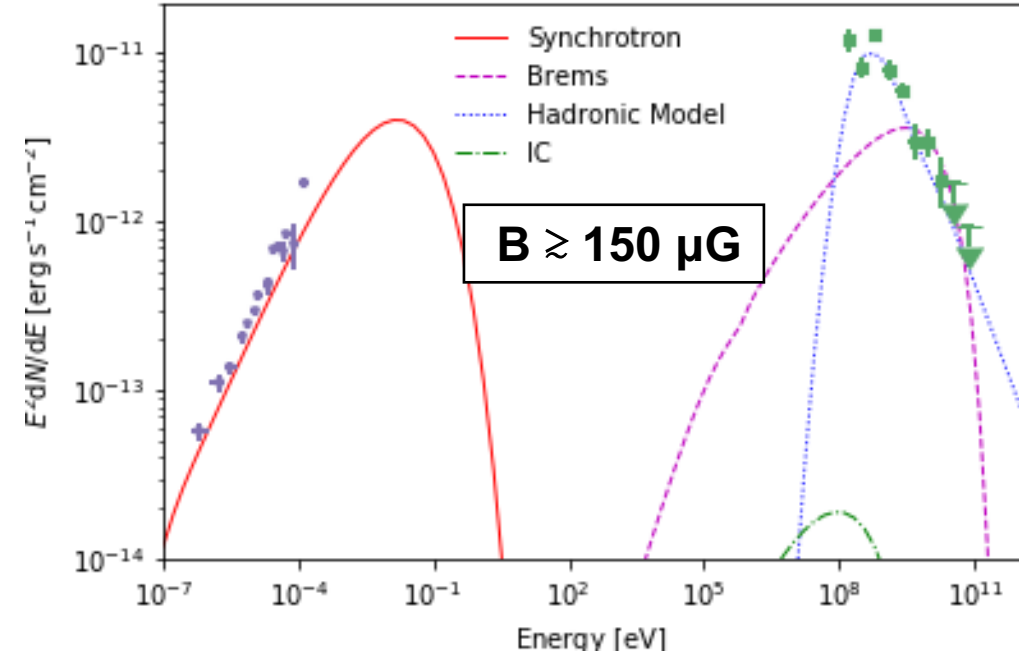
- Spectral Index constrained by radio => 1.8 vs Brems: No <  $3 \times 10^{34} \text{ eV}^{-1}$  (for  $n \sim 400 \text{ cm}^{-3}$ )
- Amplified magnetic field, that can be due to:

❖ Compression ( $B_0 \sim 10 \mu\text{G}$ ,  $\xi \sim 15$ )

$$B_d = B_0 \sqrt{\frac{2\xi^2 + 1}{3}}$$

❖ Turbulent field due to MHD instabilities ( $v_{\text{sh}} \sim 150 \text{ km/s}$ ,  $\sigma=5\%$ ,  $\xi \sim \text{a few}$ )

$$B_d \approx \sqrt{\frac{4\pi n m_p \sigma}{\xi}} v_{\text{shock}}$$



# SNR G39.2-0.3: Spectral Modeling

## Hadronic constraints

- Compression of Galactic CRs?

$$n_{\text{comp}}(p) = \xi^{2/3} n_{\text{GCR}}(\xi^{-1/3} p)$$

$$\xi \equiv n_{\text{shell}} / (r n_0)$$

Cloud density

Shell density

Compression radius

$$\xi \approx 94 \left[ \frac{n_0}{1 \text{ cm}^{-3}} \right]^{1/2} \left[ \frac{B_0}{1 \mu\text{G}} \right]^{-1} \left[ \frac{v_{\text{sh}}}{10^7 \text{ cm/s}} \right]$$

For  $\xi=10$ ,  $f=0.18 \Rightarrow M \sim 4 \times 10^4 M_\odot$

2 times the total cloud mass that can be accumulated in the SNR ( $V_{\text{snr}} n_0 \eta_{\text{H}} = 2 \times 10^4 M_\odot$ )

