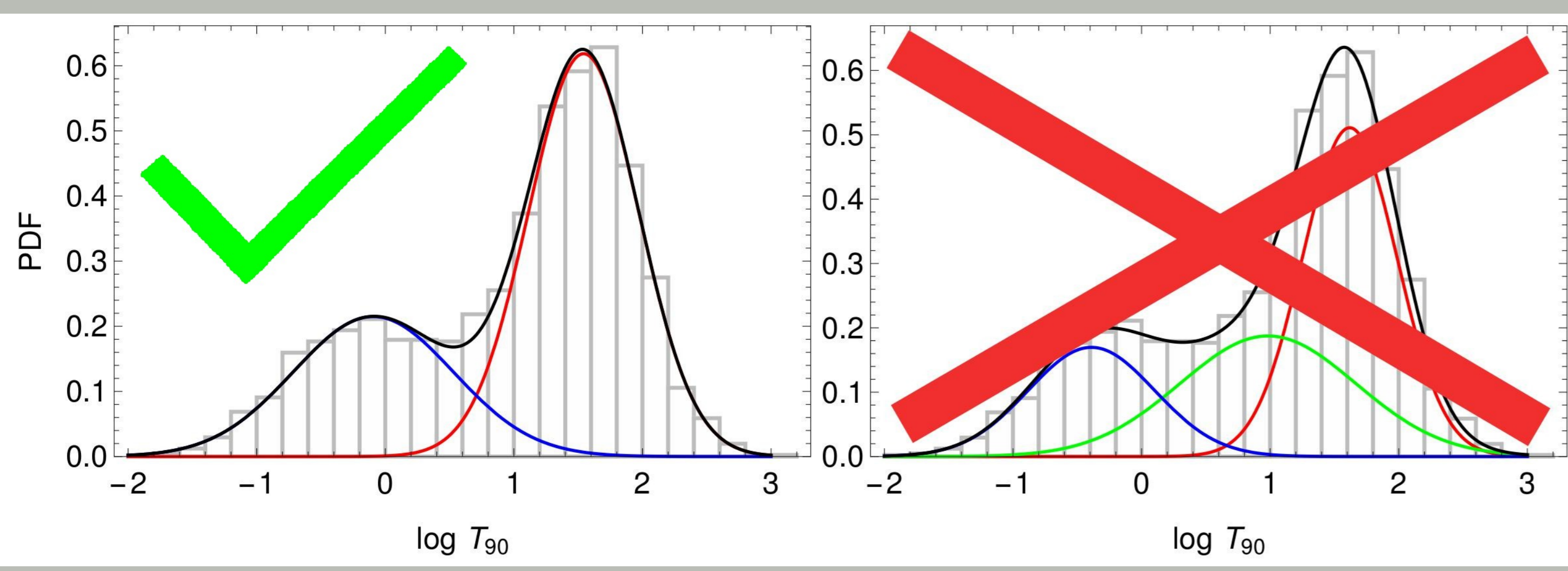


Constraining the number of classes of gamma-ray bursts: multidimensional modelling with skewed distributions

Take-away summary



The duration and multivariate parameter distributions of GRBs (from BATSE, Fermi, Swift, etc.) are adequately described by only **2 components** [1, 2]. This implies that there are 2 main classes, the *short* (mergers) and *long* (collapsars). All-in-all, the existence of a presumed third class of intermediate-duration, soft GRBs is unjustified.

Discussion

Context. •Fitting the distributions of GRB parameters (duration T_{90} , hardness ratio H_{32} , etc.) with mixtures of Gaussians leads to concluding that 3 such components are needed to describe the data accordingly. •However, the data sets gathered by various instruments are at most **bimodal**, hence the existence of a third class is putative. It was already shown [1] that a mixture of **only 2 skewed components** is a better description of the durations than a 3-Gaussian. •This provides a much simpler explanation that does not require introducing yet another physical phenomenon.

Methods. •Mixtures of the following multivariate distributions are examined: Gaussian (2G–8G), skew-normal (2SN–5SN), Student- t (2T–5T), and skew-Student- t (2ST–5ST). •The models' performance is evaluated based on the information criteria, AIC/AIC_c and BIC [3]. •The best model is the one with the lowest IC score. AIC/AIC_c are inclined toward overfitting, while BIC has a tendency to underfit. So the truth lies somewhere in between.

Results 1. •The $T_{90} - H_{32}$ plane was analysed with 2- and 3-component mixtures. It was found [2] that a **2-component mixture of skewed distributions** is a better description of the BATSE and Fermi data than any of the examined 3-component ones. •For Swift and Konus no clear answer was obtained, however both AIC_c and BIC point at **skewed distributions**. •In case of RHESSI, **2-component** mixtures are unequivocally pointed at. •Suzaku, the smallest data set examined, can be confidently modelled with only **2 Gaussian components**.

Results 2. •A multivariate analysis of BATSE data in spaces of various parameters, ranging from 2D and 3D, up to a 4D space of $T_{90} - F_{tot} - H_{32} - P_{256}$ (F_{tot} —total fluence, P_{256} —peak flux at a 256 ms time scale), yielded inconclusive results, pointing at **either 2 or 3 components**. •A Monte Carlo testing implied that additional components might be **artifacts** owing to the **finiteness of the data** and be a result of examining a **particular realisation** of the data as a random sample, thus resulting in **spurious identifications**.

Results 3. •In case of Fermi GRBs, the space $T_{90} - F_{tot} - P_{256}$ yielded **3 skewed components** as the best description. •However, the 5D space of $T_{90} - F_{tot} - E_{peak} - \alpha - \beta$ (where E_{peak} , α , β are the Band parameters) requires only **2 skewed components**.

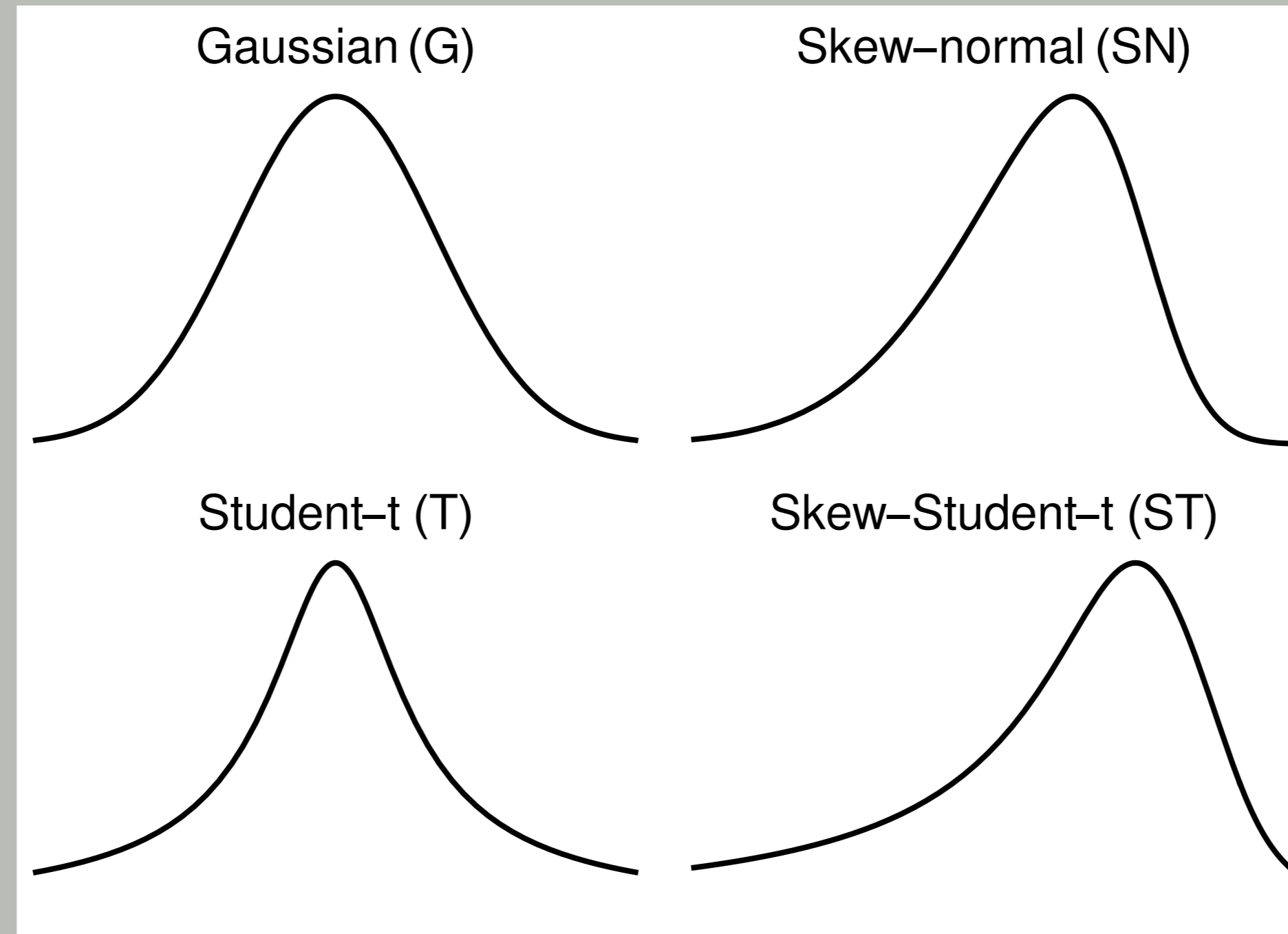


Figure : 1D illustrations of the employed distributions.

Results 1 [2, 4]

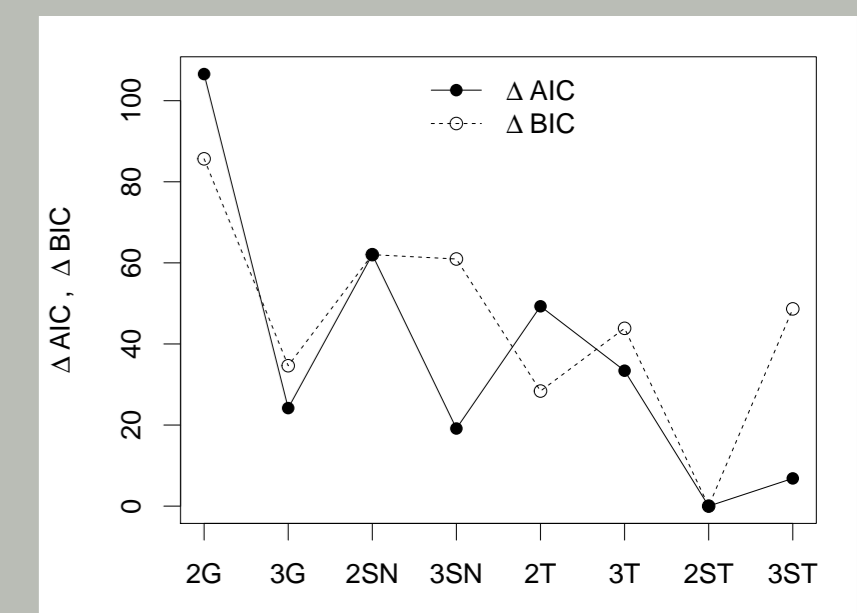
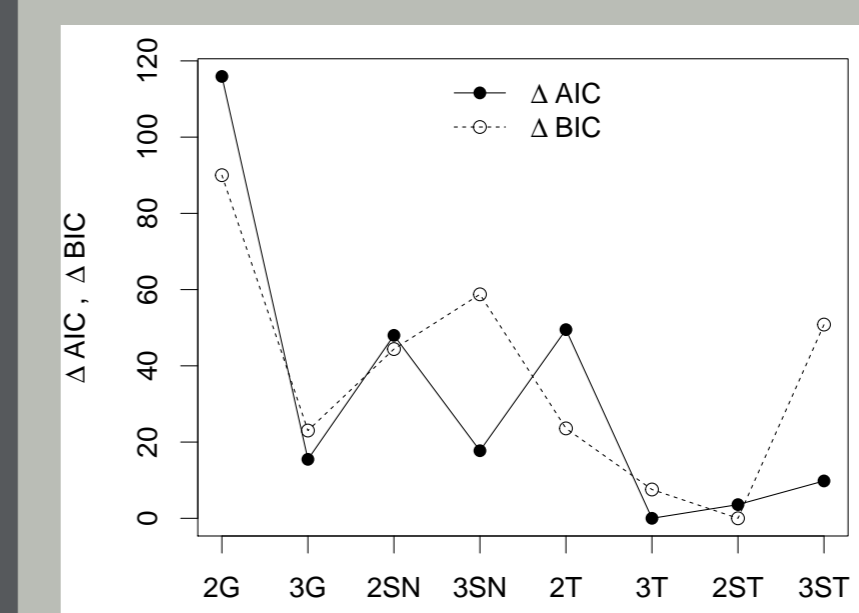
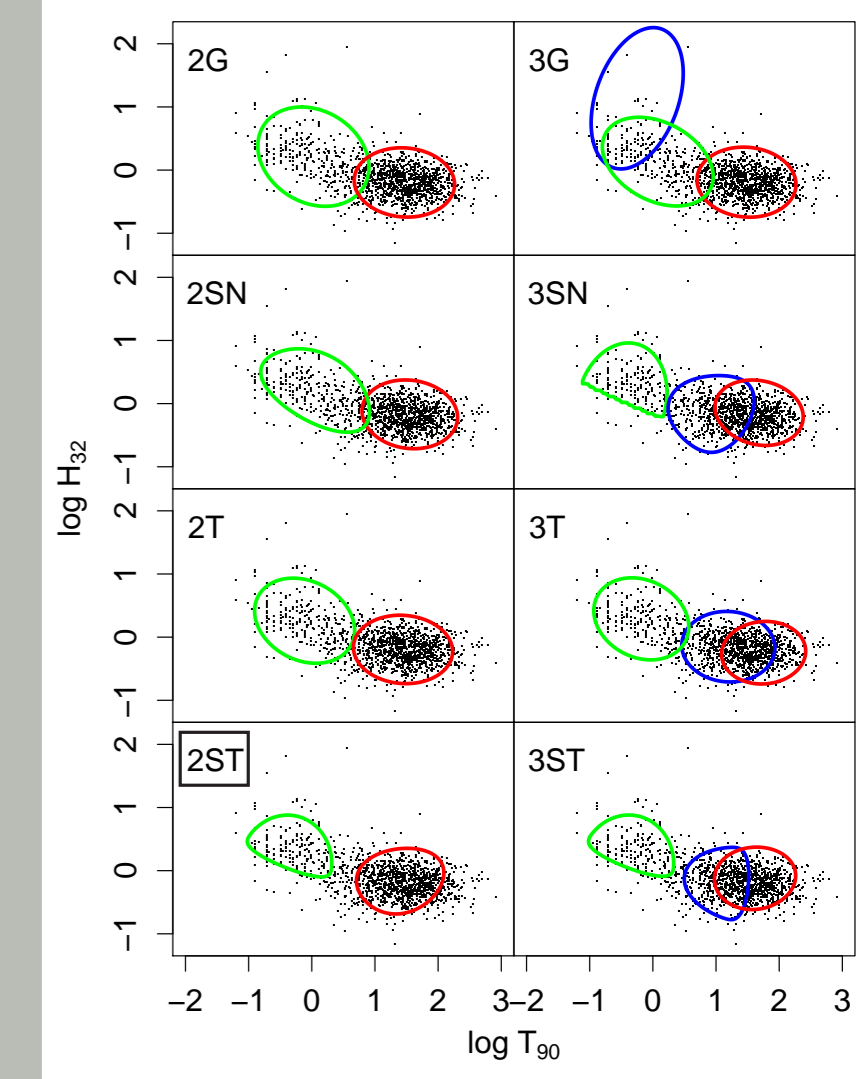
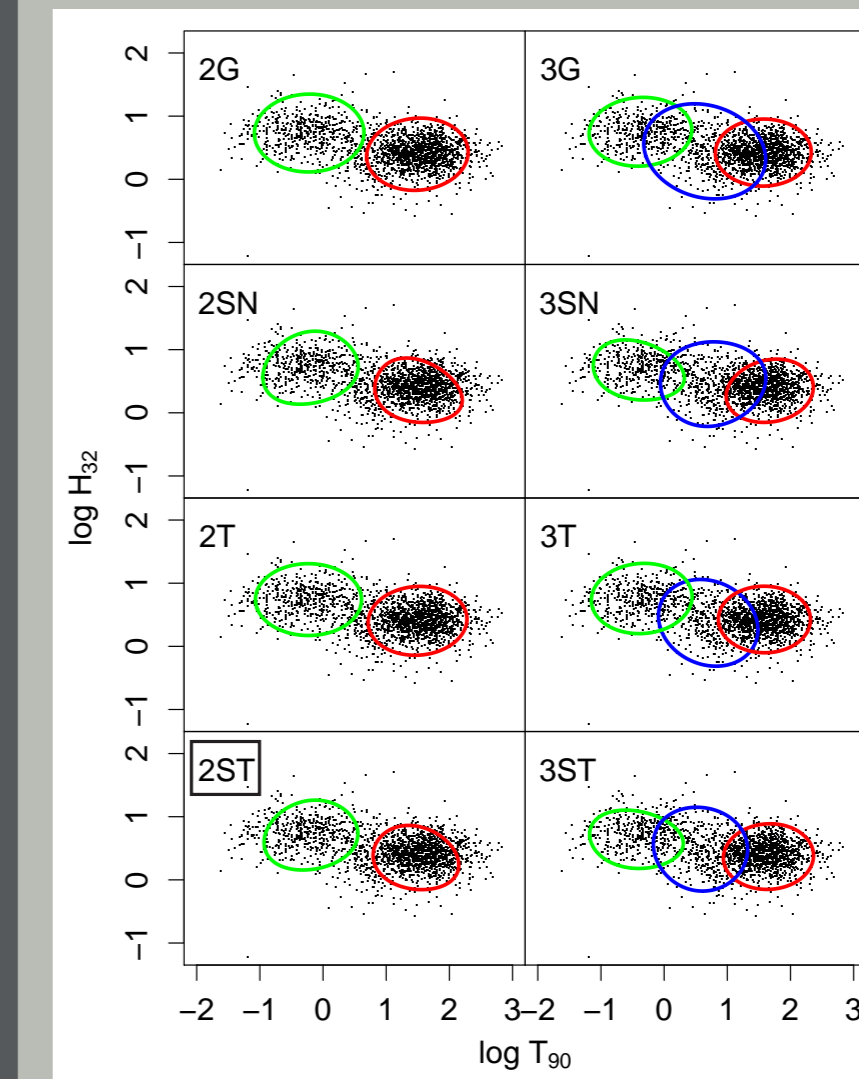
Contours depict FWHM. Best models are framed.

BATSE [7]
(1954 GRBs)

$$H_{32} = \frac{F_{100-300 \text{ keV}}}{F_{50-100 \text{ keV}}}$$

Fermi [8]
(1376 GRBs)

$$H_{32} = \frac{F_{50-300 \text{ keV}}}{F_{10-50 \text{ keV}}}$$

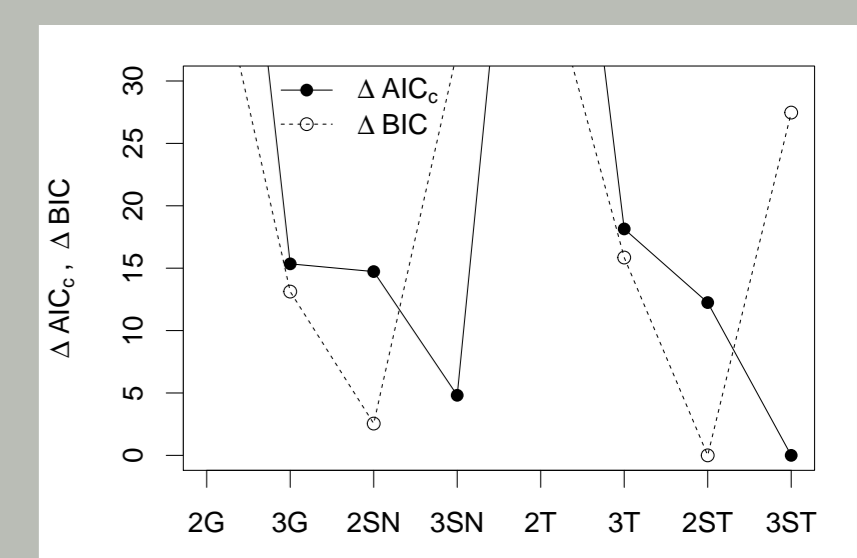
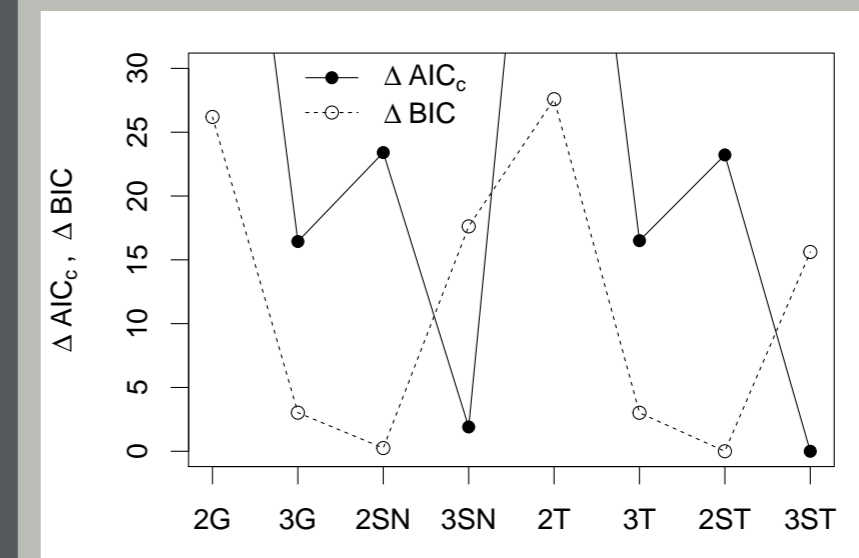
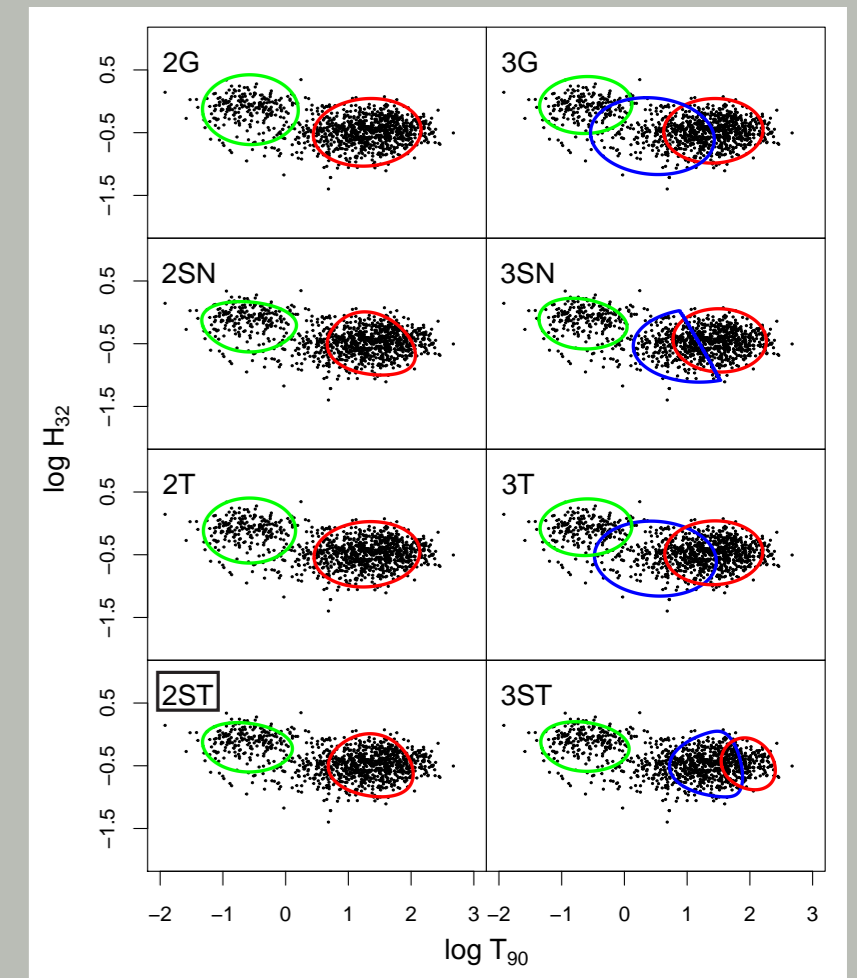
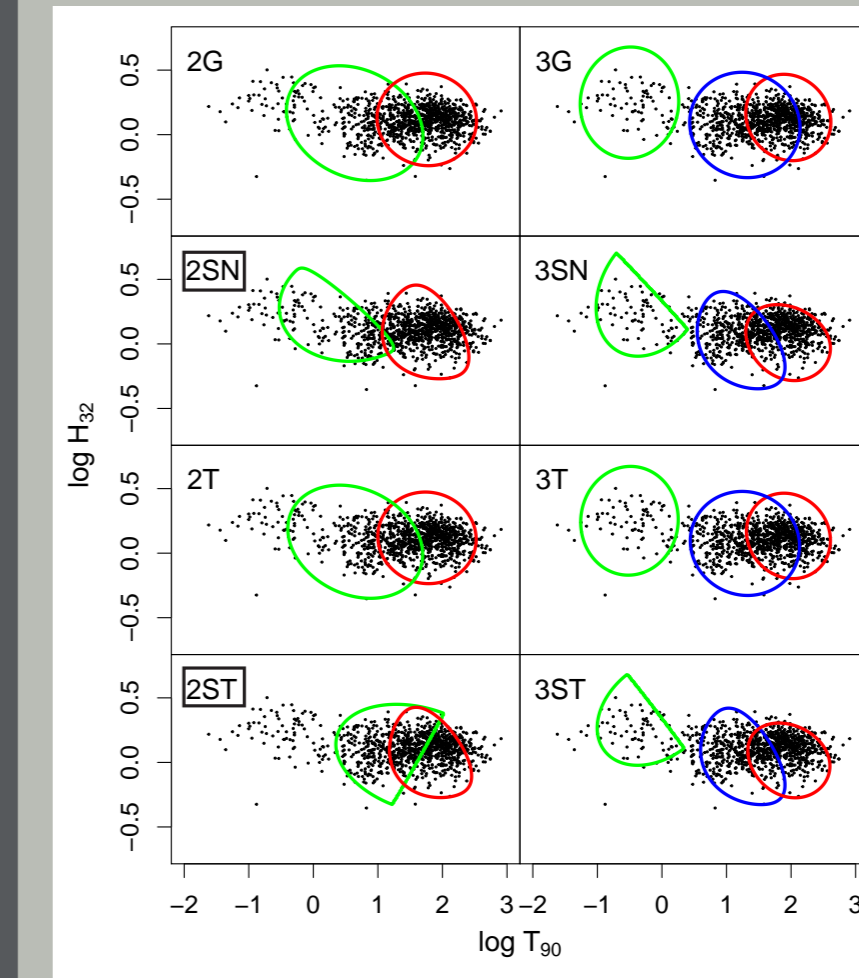


Swift [9]
(1033 GRBs)

$$H_{32} = \frac{F_{50-100 \text{ keV}}}{F_{25-50 \text{ keV}}}$$

Konus [10]
(1143 GRBs)

$$H_{32} = \frac{F_{200-750 \text{ keV}}}{F_{50-200 \text{ keV}}}$$

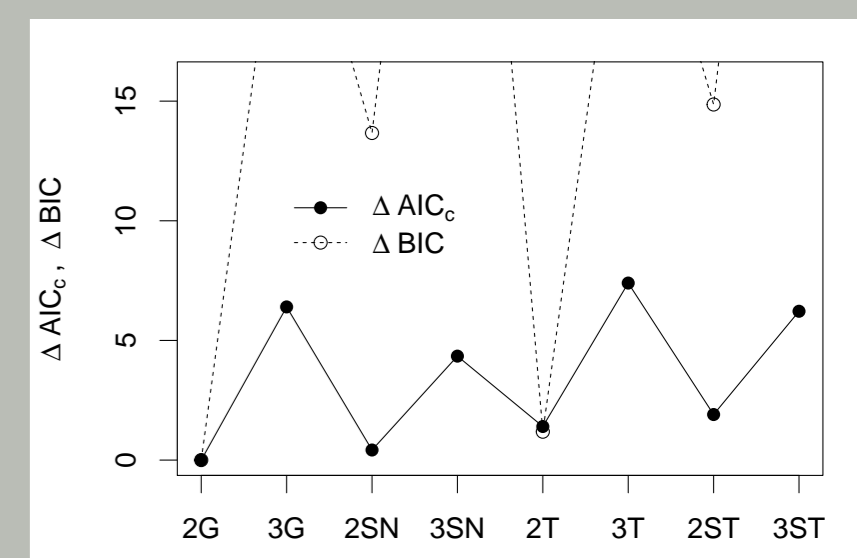
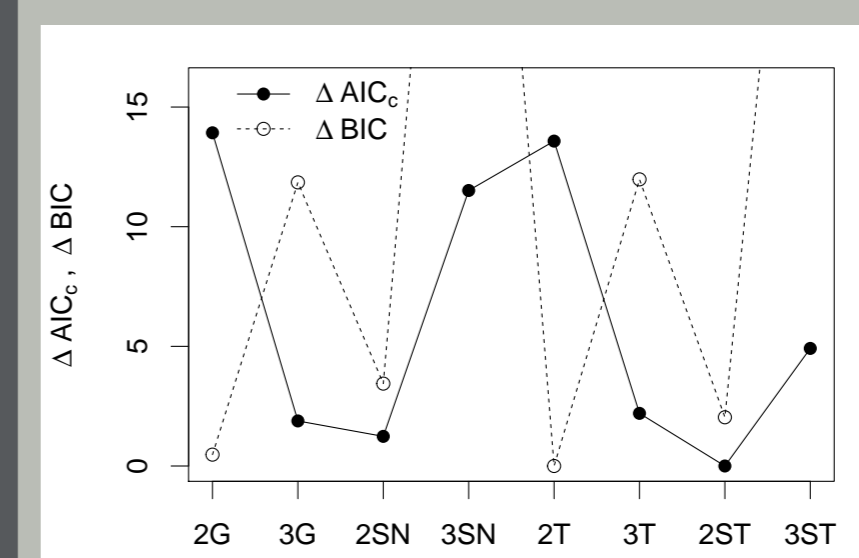
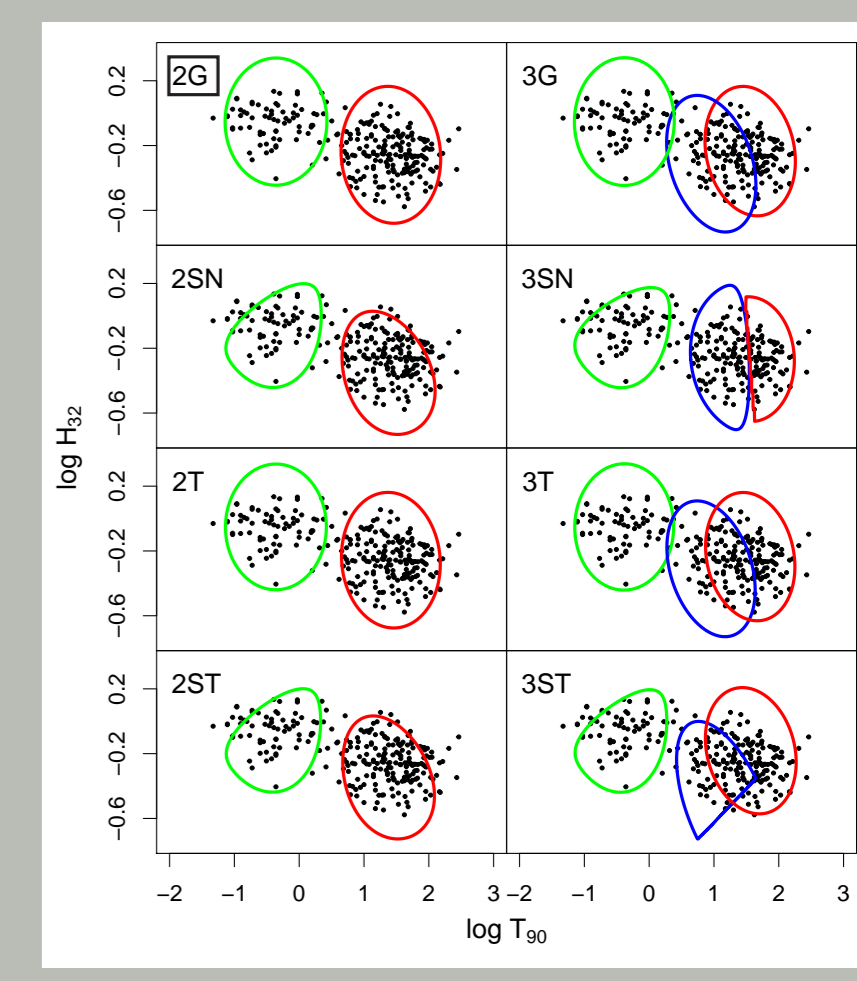
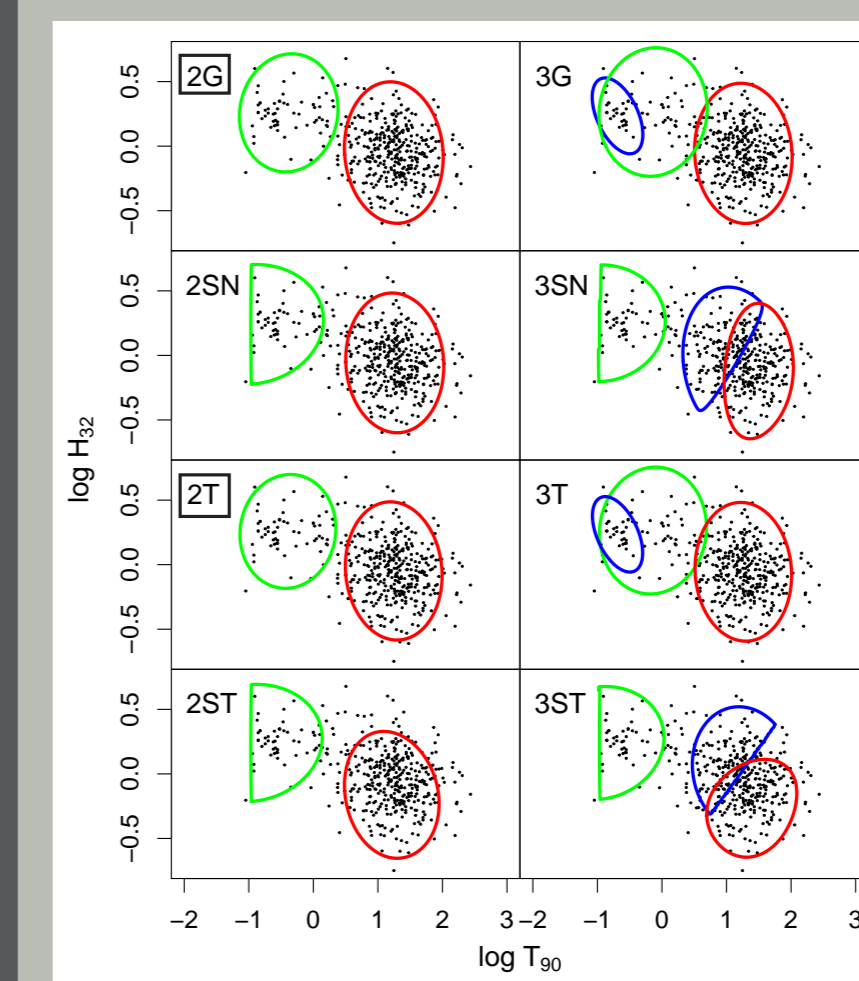


RHESSI [11]
(427 GRBs)

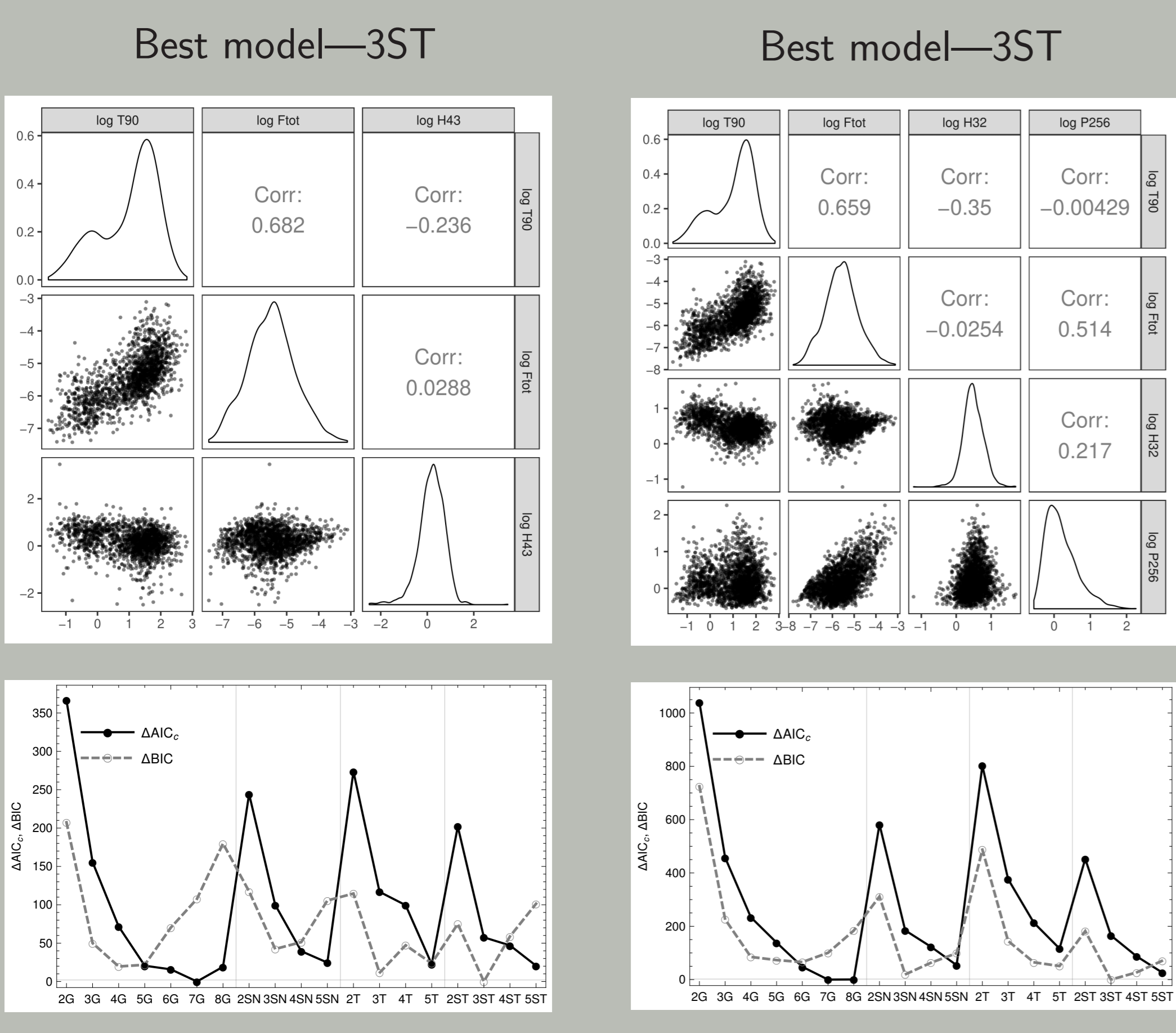
$$H_{32} = \frac{F_{120-1500 \text{ keV}}}{F_{25-120 \text{ keV}}}$$

Suzaku [12]
(259 GRBs)

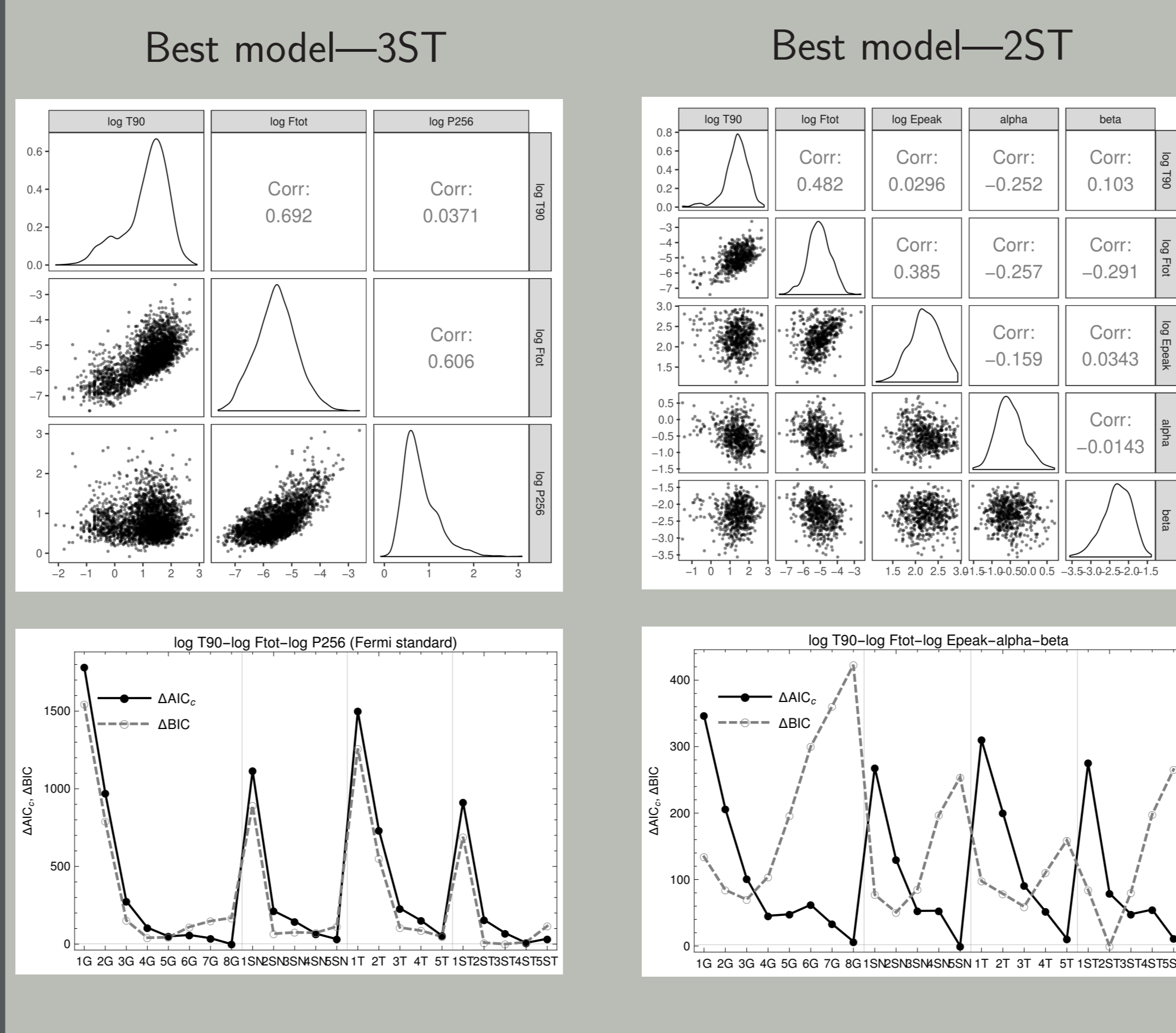
$$H_{32} = \frac{F_{240-520 \text{ keV}}}{F_{110-240 \text{ keV}}}$$



Results 2—BATSE [5]



Results 3—Fermi



Conclusions

•**No definite signs** of the presumed third GRB class are visible among the examined data sets. •The asymmetry of the data, manifested via skewed distributions, might arise from a **non-symmetric distribution of the envelope masses** of the progenitors of long GRBs, or other inherently asymmetric distributions of physical parameters governing the progenitors or GRBs themselves. •The asymmetry **cannot** result from the impact of the redshift distribution on the observables [6].

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