



Measurement of the antinuclei inelastic cross sections with ALICE and implications for indirect Dark Matter searches

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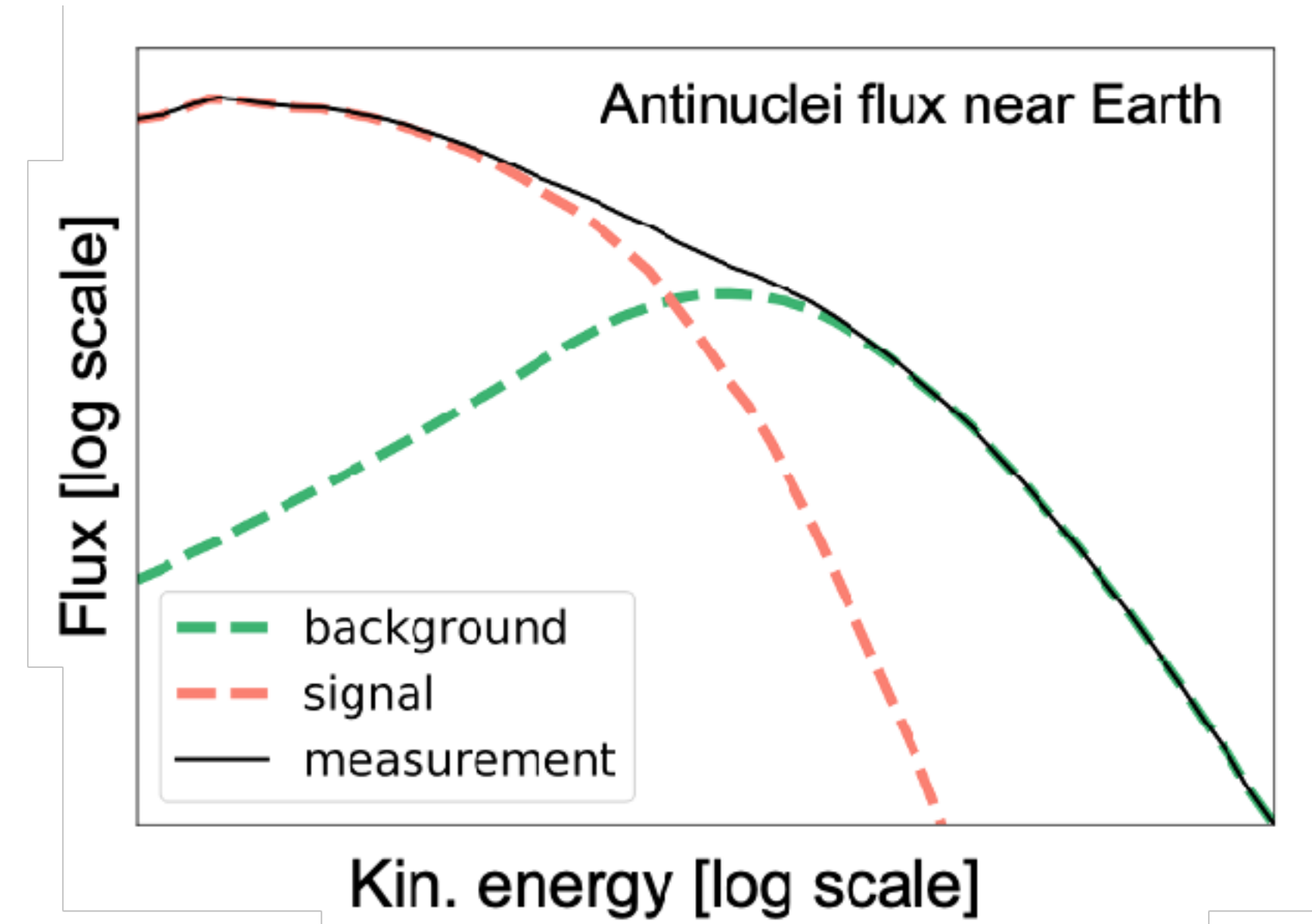
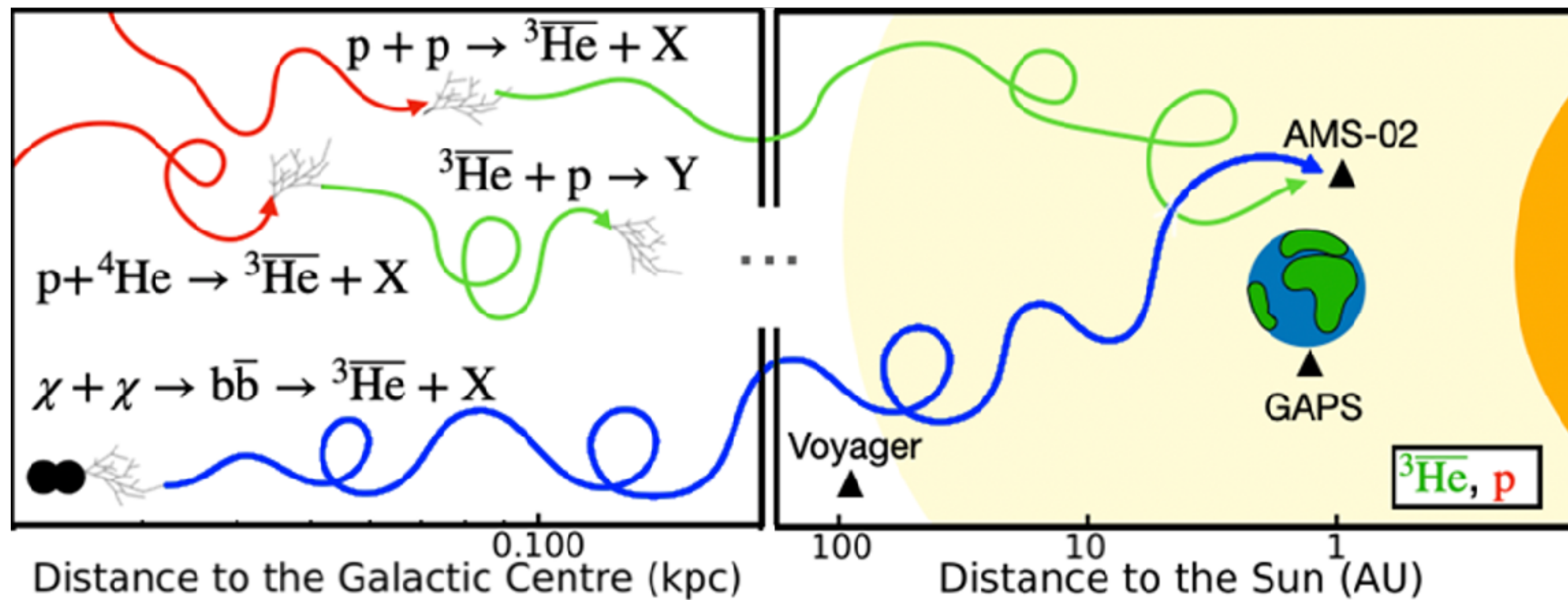
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Introduction and motivation

Antinuclei (\bar{d} , ${}^3\bar{\text{He}}$, ${}^4\bar{\text{He}}$) in space (searched by **AMS-02**, **GAPS**) may result from:

- Dark Matter annihilation (or decay) → **signal**
 - Interaction of high energy cosmic rays with the interstellar gas → **background**
- Low background is expected in the low energy range
 – Vital to determine exact primary and secondary antinuclei fluxes
 – *Requires precise knowledge of antinuclei inelastic interaction with interstellar gas*

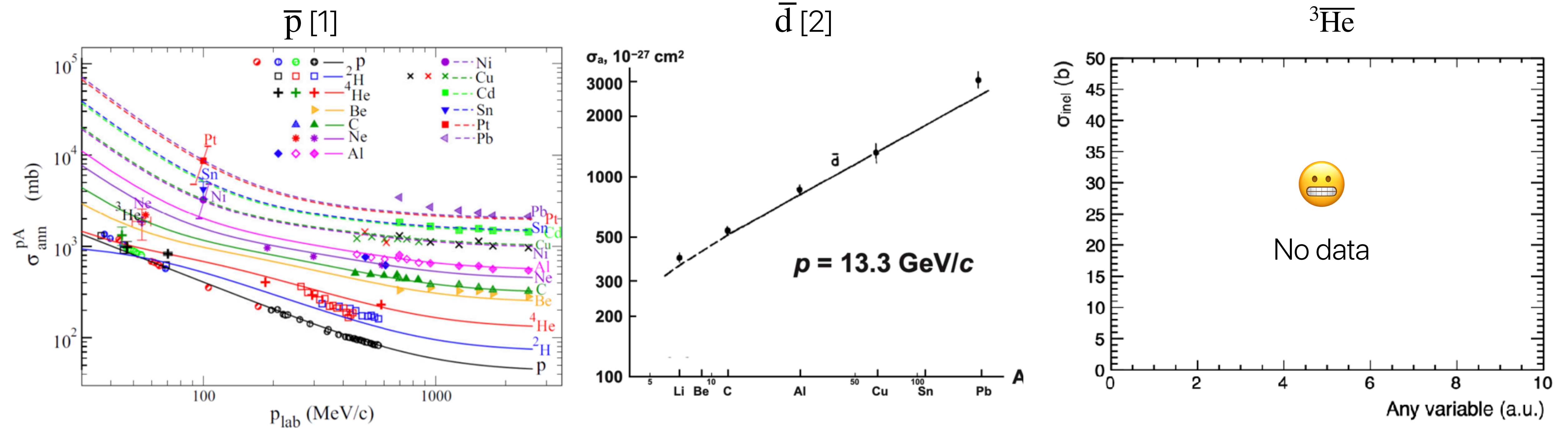
Unique probe for indirect Dark Matter searches!



Current antinuclei σ_{inel} measurements (before ALICE)

Relevant inelastic cross sections (σ_{inel}) only poorly constrained for antinuclei heavier than \bar{p} :

- Antideuterons: no experimental data below $p = 13.3$ GeV/c [2]
- Antihelium inelastic c.s. have **never been measured** at any momenta

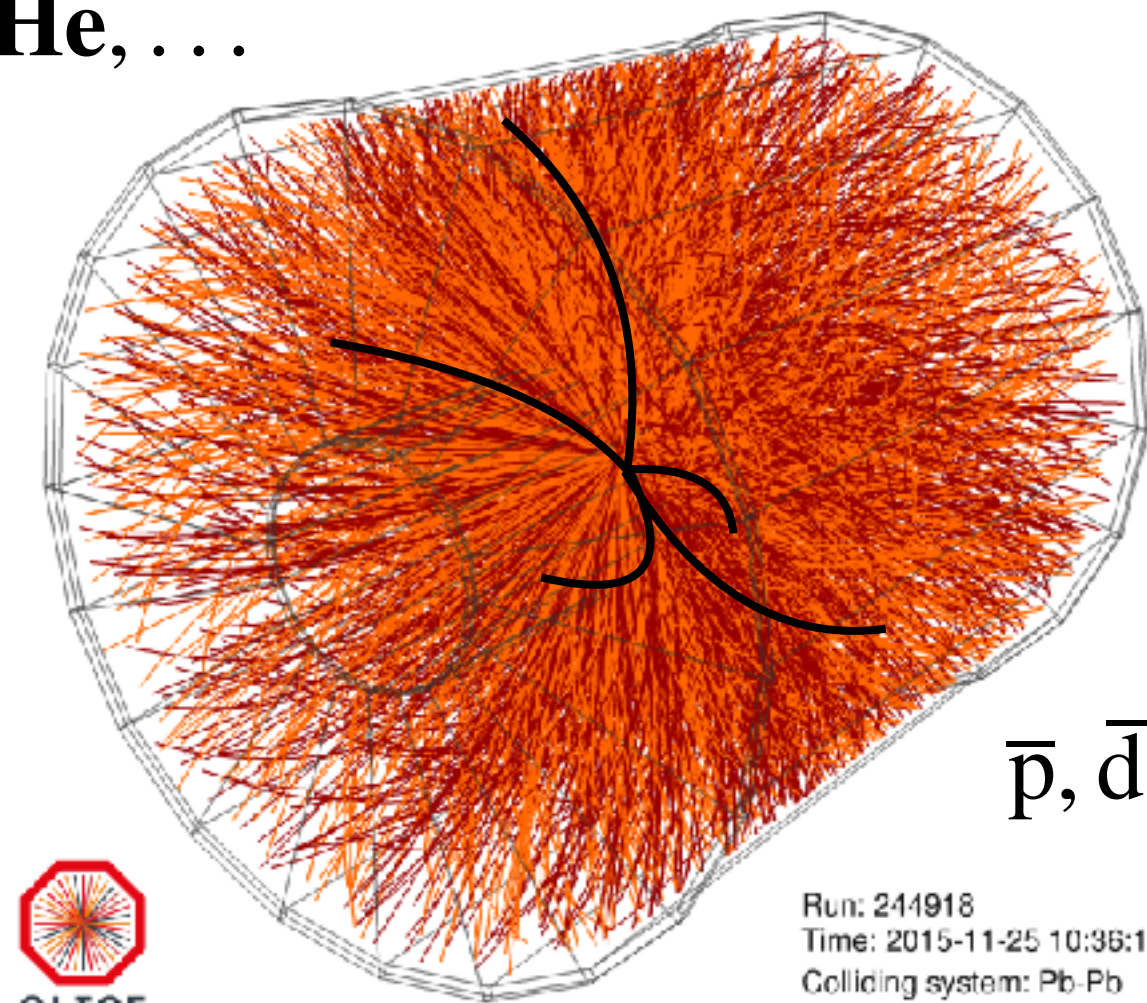


[1] Lee et al., Phys. Rev. C 89, 054601 (2014)

[2] Denisov et al., Nuclear Physics B 31 (1971) 253

LHC as an antimatter factory

$p, d, t, {}^3\text{He}, \dots$



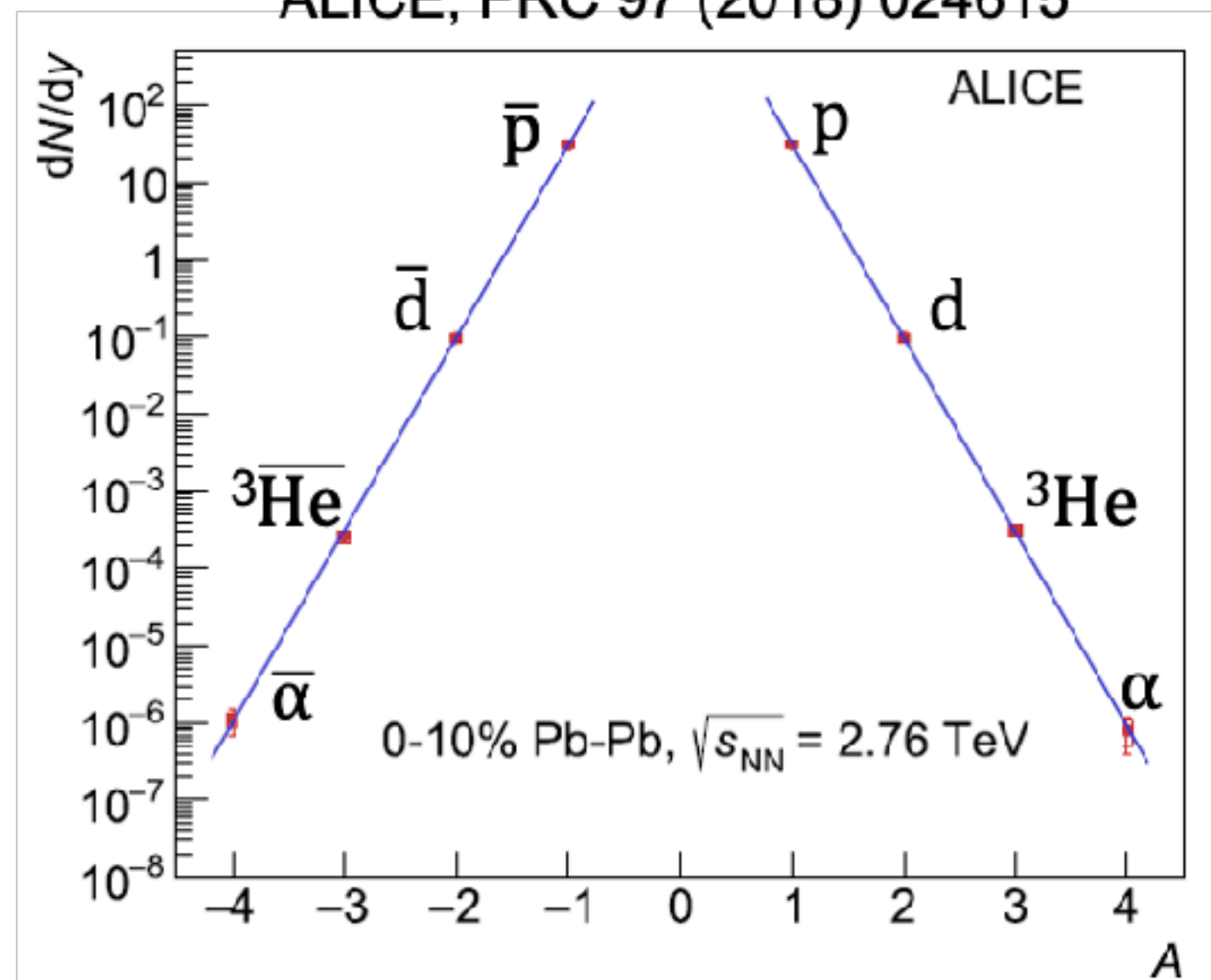
$\bar{p}, \bar{d}, \bar{t}, {}^3\bar{\text{He}}, \dots$



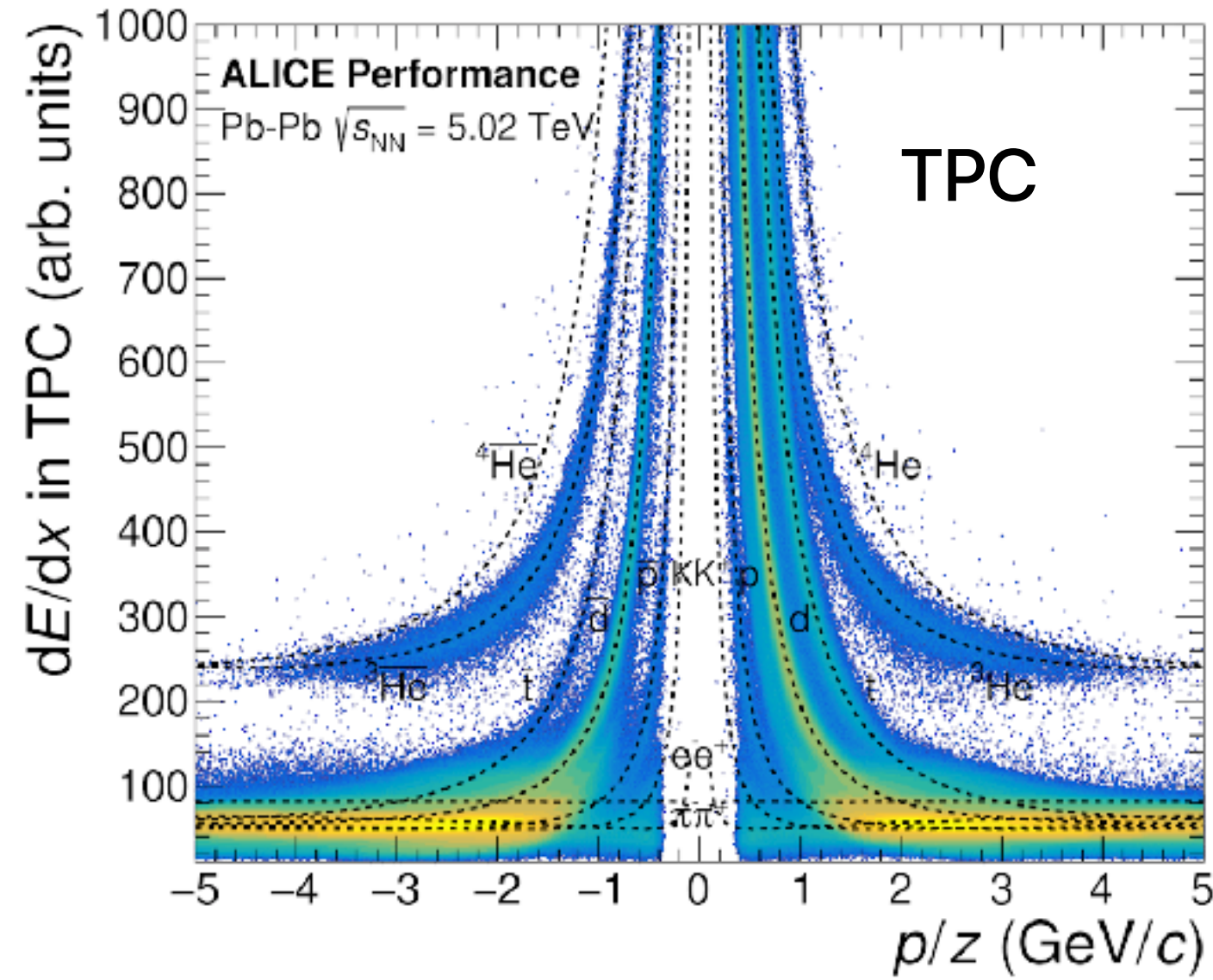
Run: 244918
Time: 2015-11-25 10:36:18
Colliding system: Pb-Pb
Collision energy: 5.02 TeV

- High energy collisions at LHC = the most suitable environment to study production of (anti)nuclei and their annihilation
- At LHC energies matter and antimatter are produced in almost equal amounts
- ... and propagate through detector material ->
- (anti)nuclei get absorbed inside the detector → in ALICE we are in a unique position to quantify it!

ALICE, PRC 97 (2018) 024615

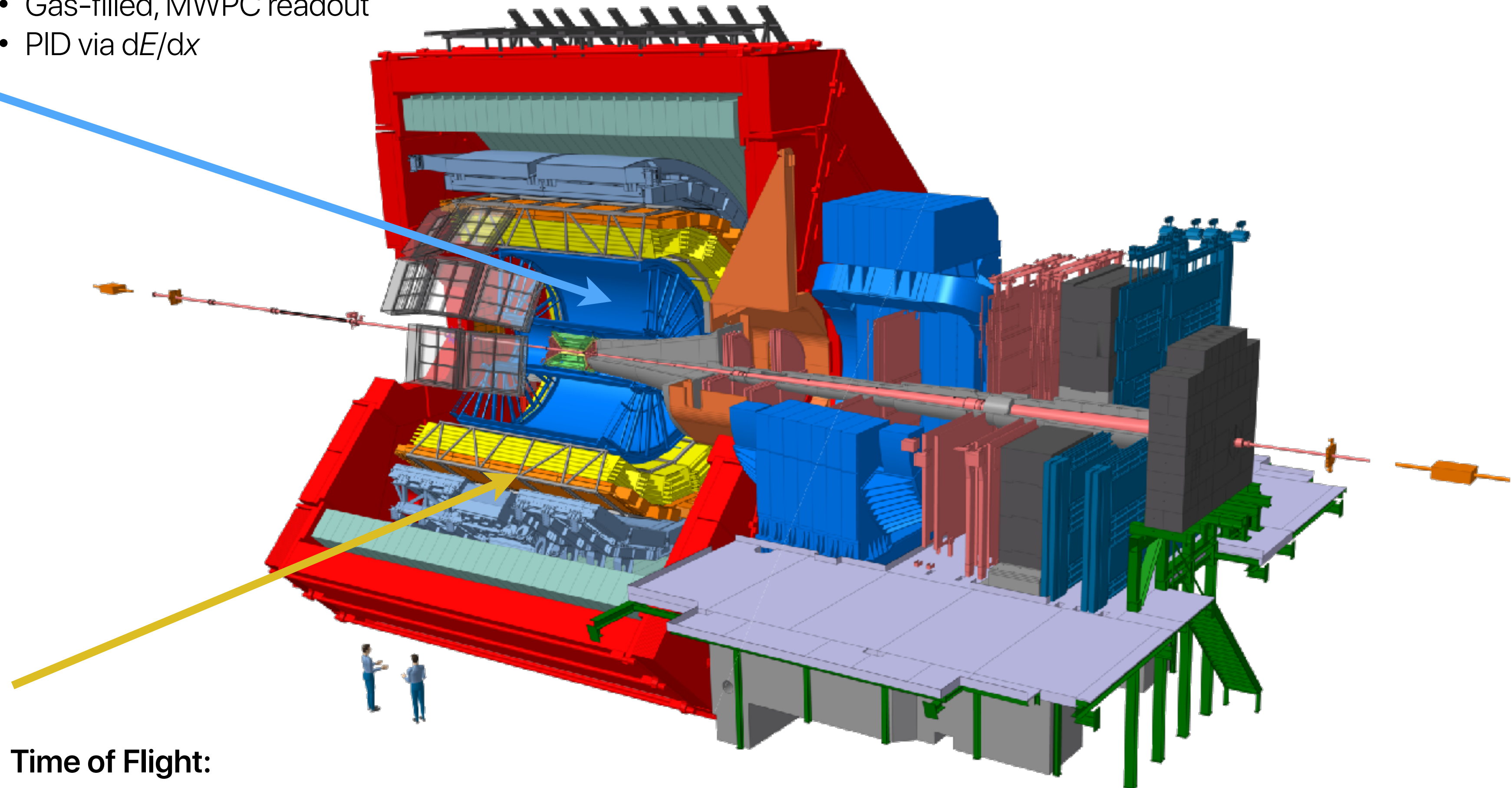


ALICE apparatus and its particle identification capabilities

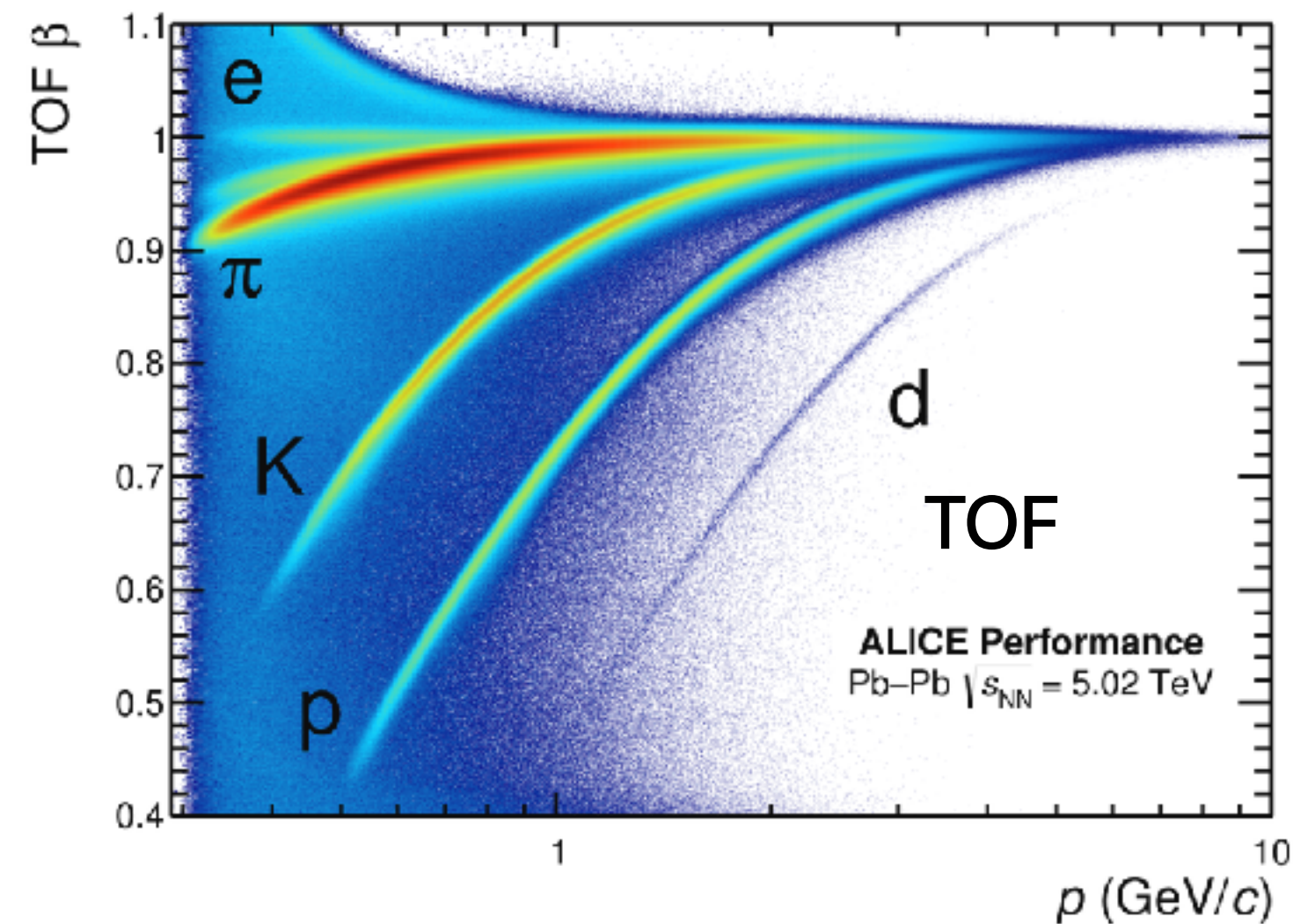


Time Projection Chamber:

- Gas-filled, MWPC readout
- PID via dE/dx



ALI-PERF-341664



Time of Flight:

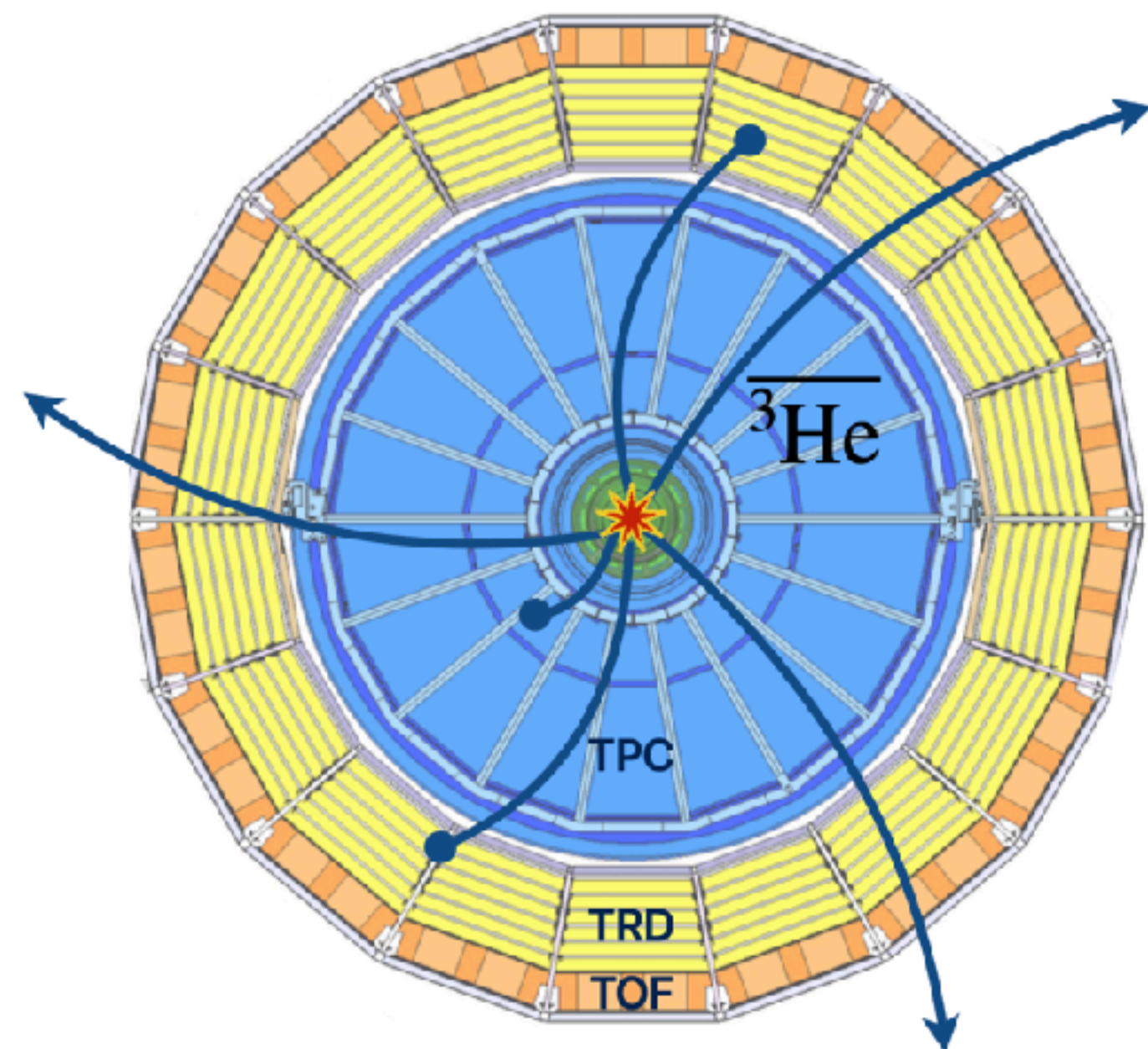
- Multigap RPC
- PID via time-of-flight measurement

ALI-PERF-106336

Methods to measure σ_{inel}

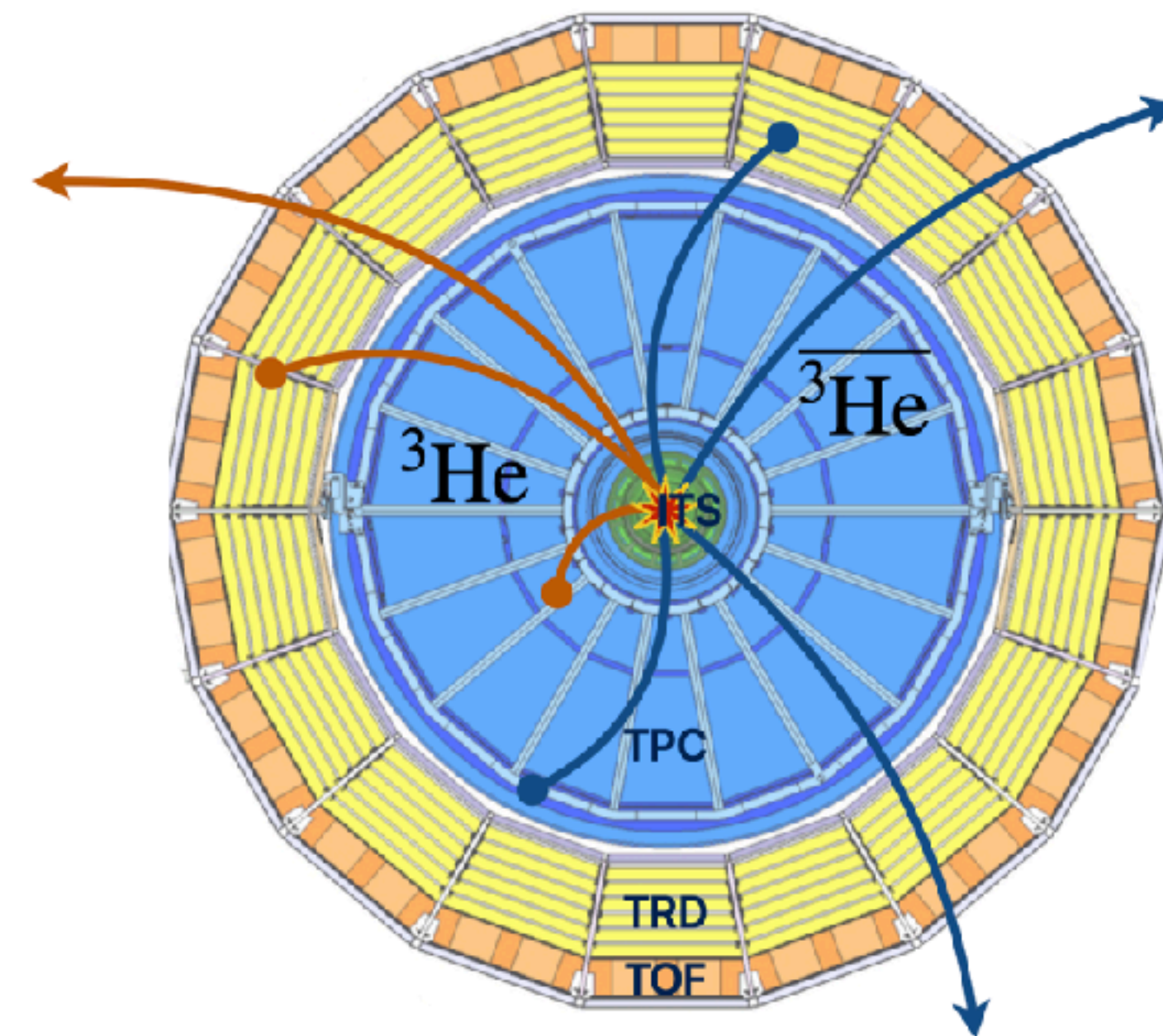
TOF/TPC ratio (Pb-Pb collisions):

- Measure reconstructed $N_{\overline{^3\text{He}}}^{\text{TOF}} / N_{\overline{^3\text{He}}}^{\text{TPC}}$ and compare with MC simulations
- + High statistics
- + Independent on $\sigma_{inel}({}^3\text{He})$
- No access to very-low momenta ($p \lesssim 1 \text{ GeV}/c$)

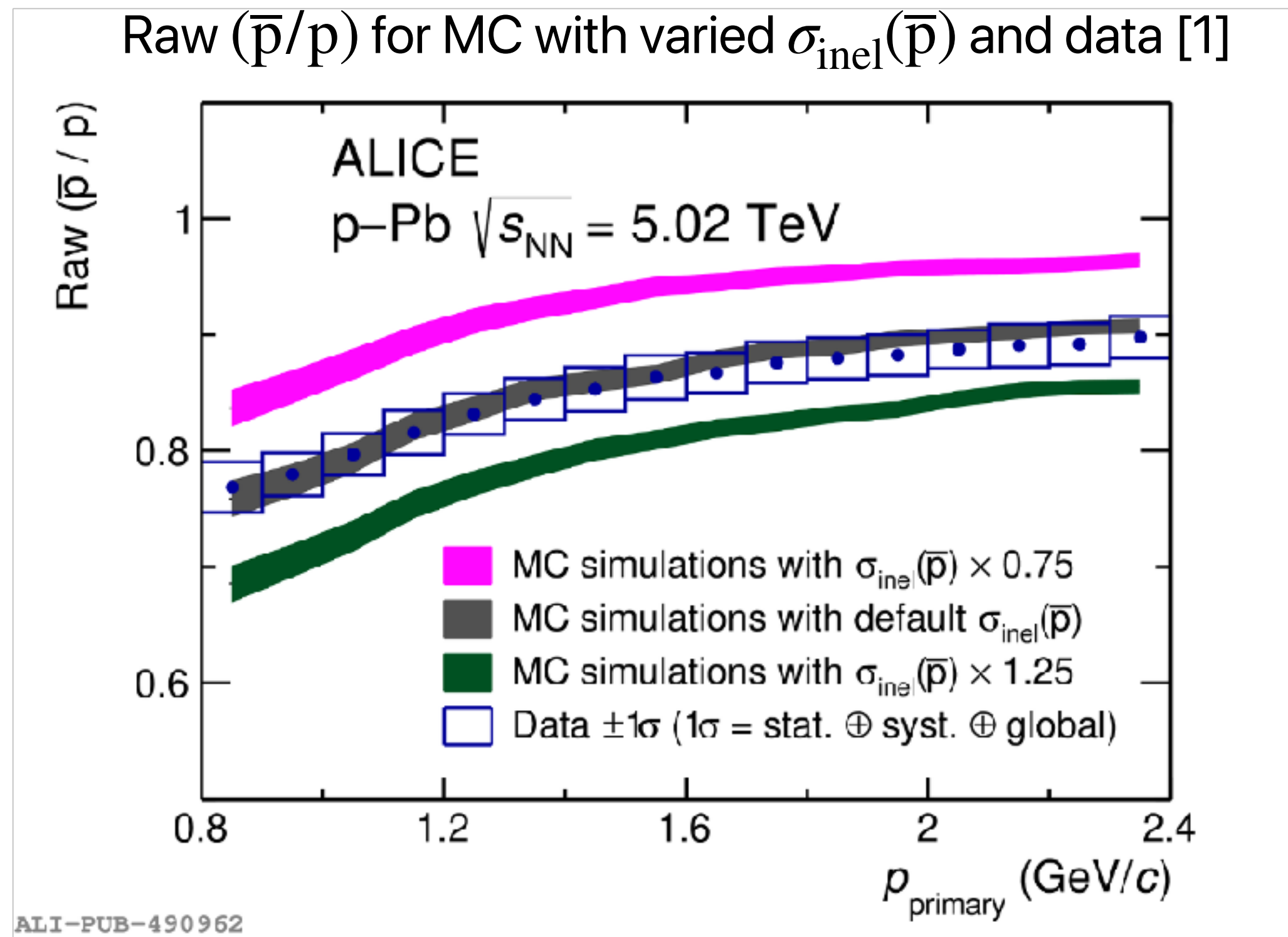


Antiparticle/particle raw ratio (pp, p-Pb collisions):

- Measure reconstructed $\overline{^3\text{He}} / {}^3\text{He}$ and compare with MC simulations
- + Access to low momenta ($p \lesssim 1 \text{ GeV}/c$)
- Relies on $\sigma_{inel}({}^3\text{He})$
- Background from secondary particles

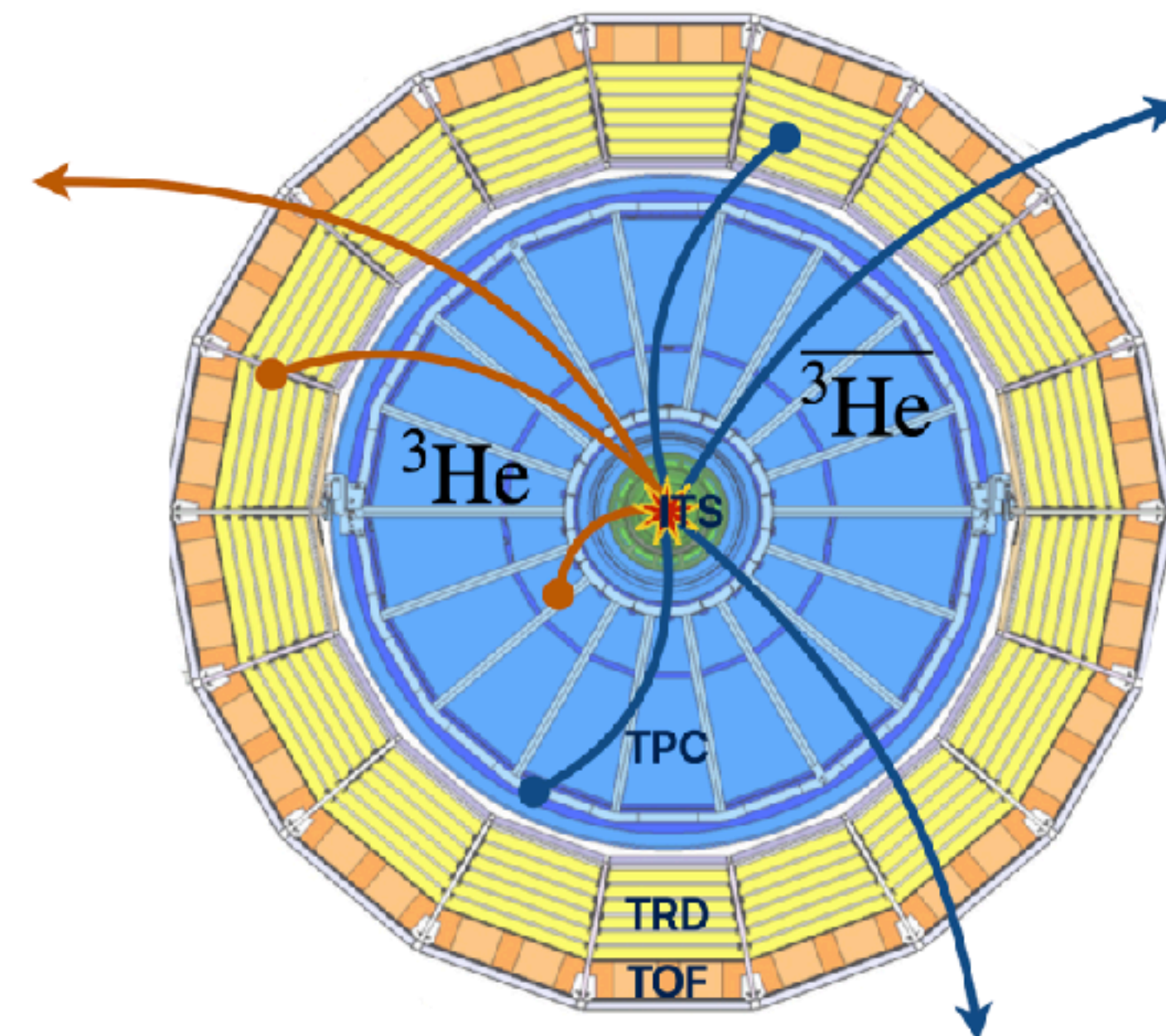


Antiparticle/particle raw ratio



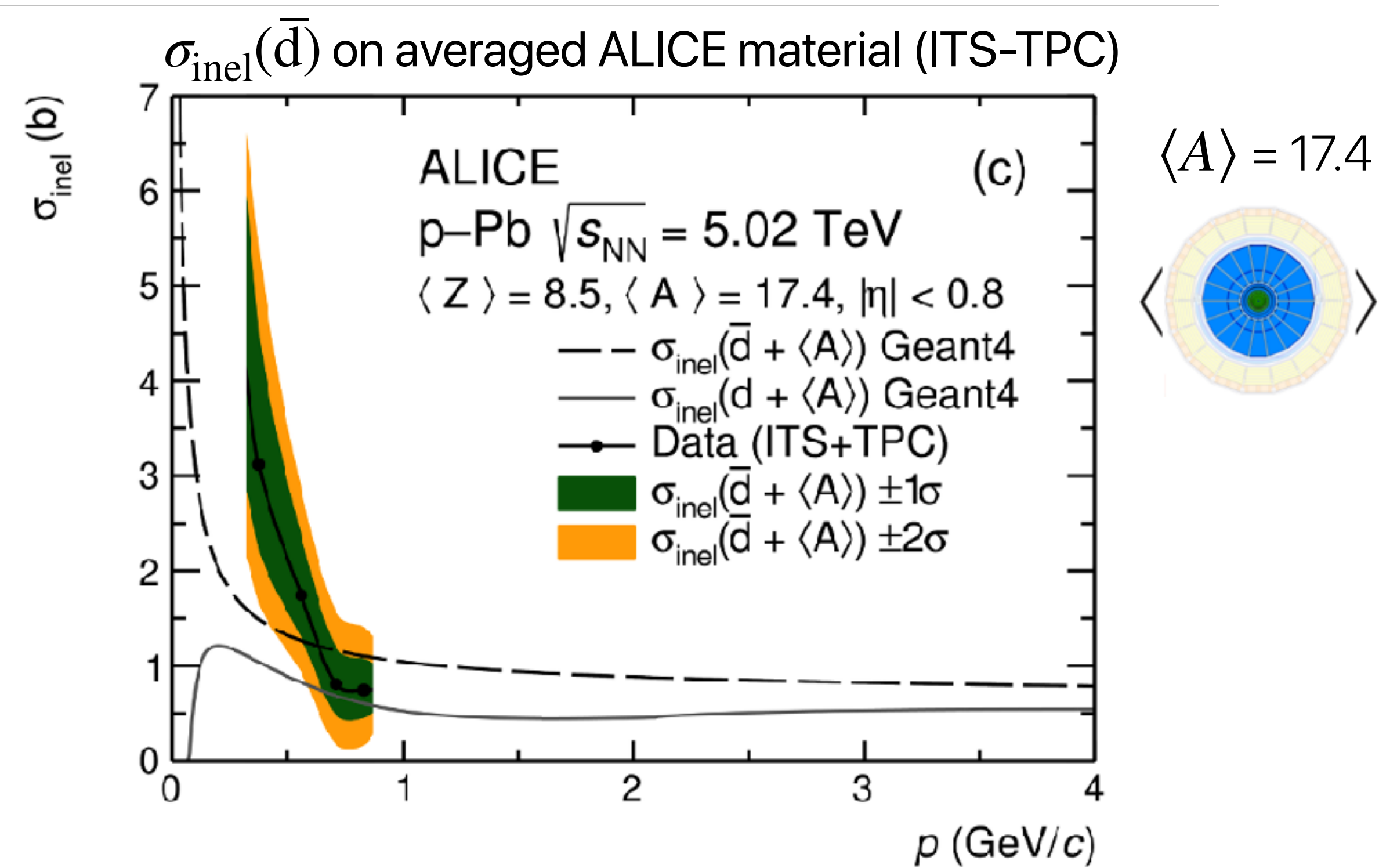
Antiparticle/particle raw ratio (pp, p-Pb collisions):

- Measure reconstructed ${}^3\bar{\text{He}}/{}^3\text{He}$ and compare with MC simulations
- + Access to low momenta ($p \lesssim 1$ GeV/c)
- Relies on $\sigma_{inel}({}^3\text{He})$
- Background from secondary particles

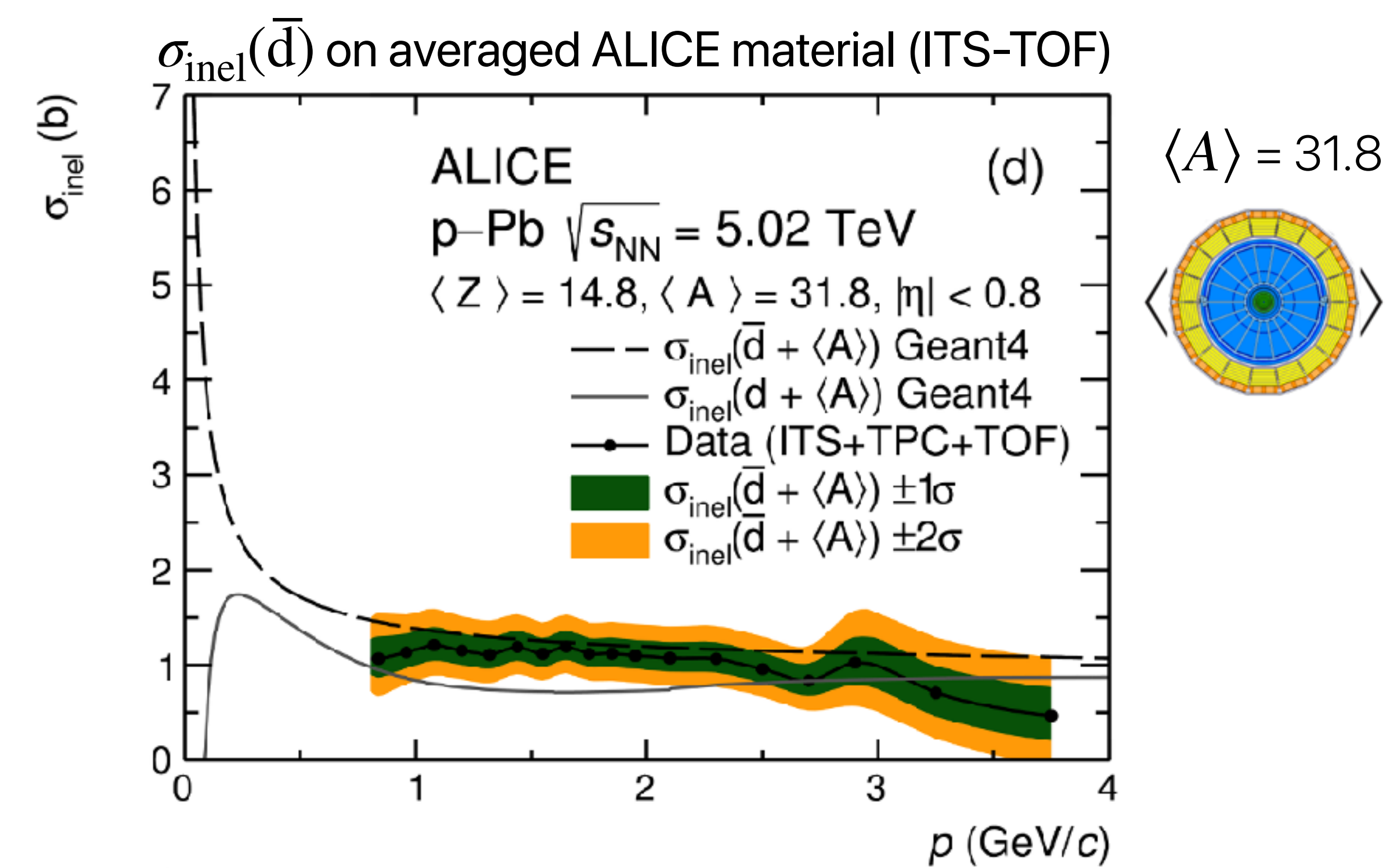


- Antiparticle-to-particle ratios are mainly sensitive to the variation of the inelastic cross section
- Vary $\sigma_{inel}(\bar{d}, {}^3\bar{\text{He}})$ in simulations until MC describes the experimental results \rightarrow constraints on $\sigma_{inel}(\bar{d}, {}^3\bar{\text{He}})$

Antiparticle/particle raw ratio: $\sigma_{inel}(\bar{d})$



ALI-PUB-490977

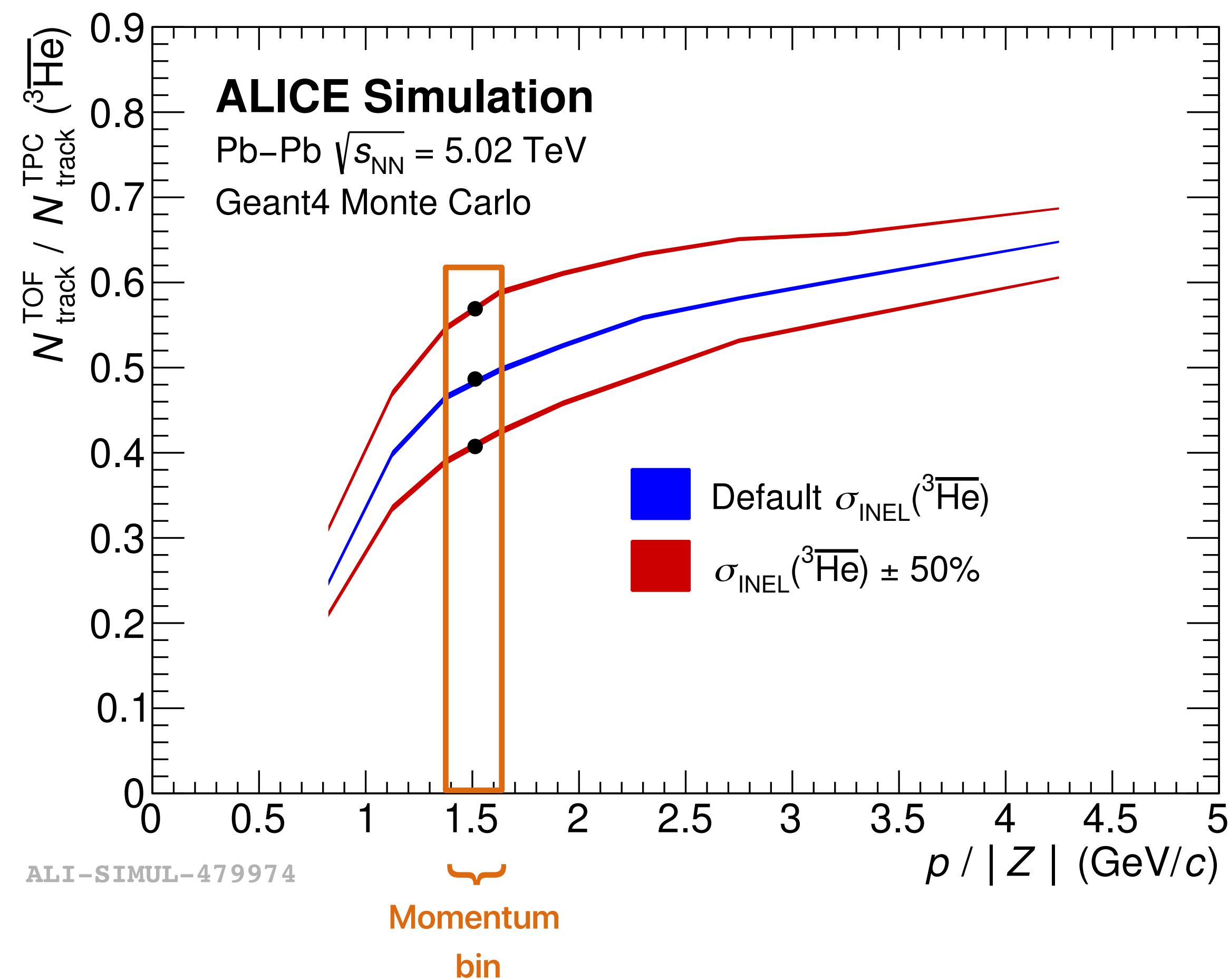
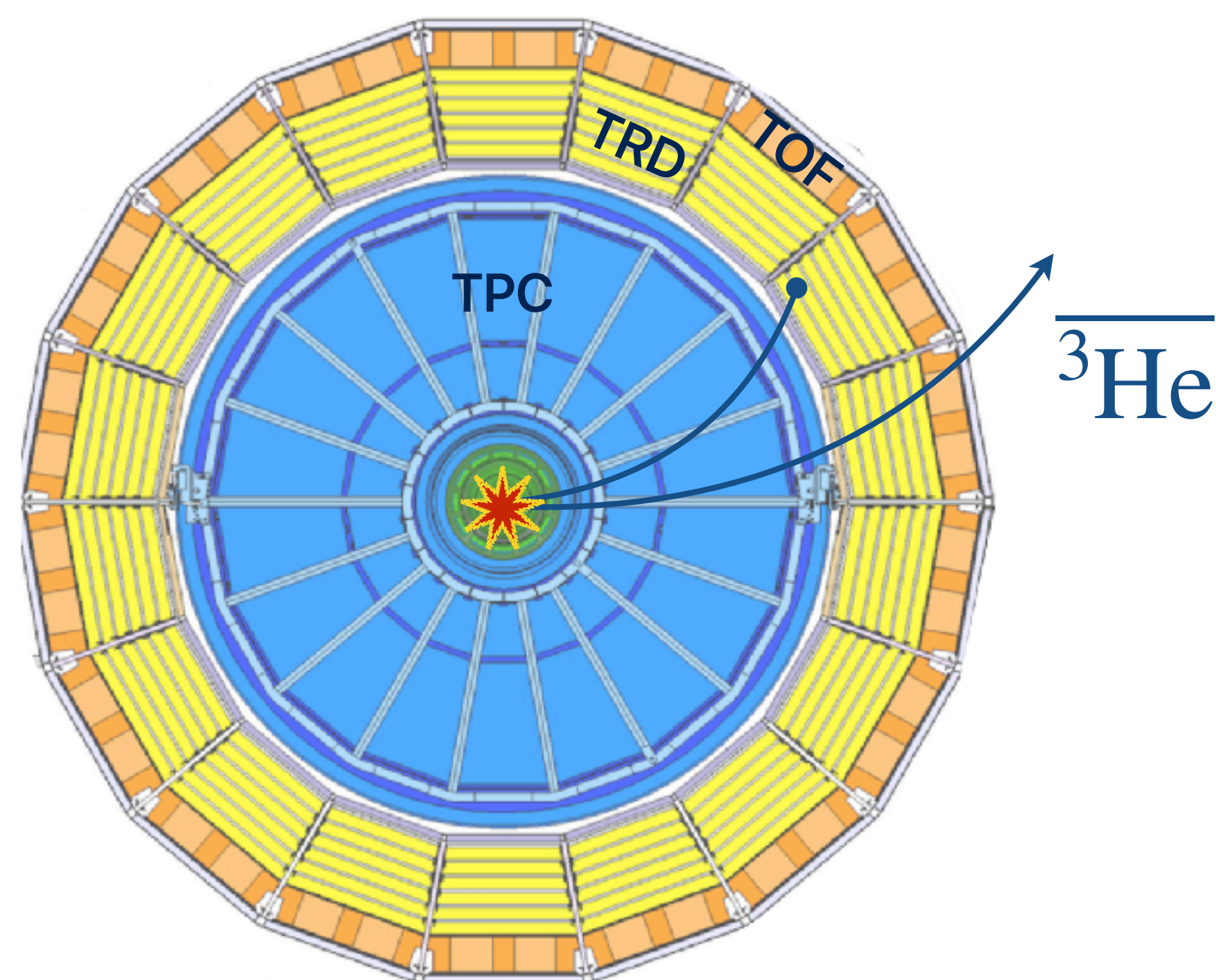


ALI-PUB-490982

- First measurement of antideuteron inelastic cross section at low momenta!
- Exp. σ_{inel} is approx. 15% smaller w.r.t. Geant4 at high momenta, steeper rise in low p region
- Published: [PRL 125, 162001 \(2020\)](https://arxiv.org/abs/1908.07111)

How we measure σ_{inel} with TPC-TOF matching

- Identify $N_{track}^{TOF} / N_{track}^{TPC}$ in data and Monte Carlo
- In each momentum bin compare the TOF-TPC ratio in MC to the one in data
- Monte Carlo simulations with scaled σ_{inel} (0.5x, 1x, 1.5x)



How we measure σ_{inel} with TPC-TOF matching

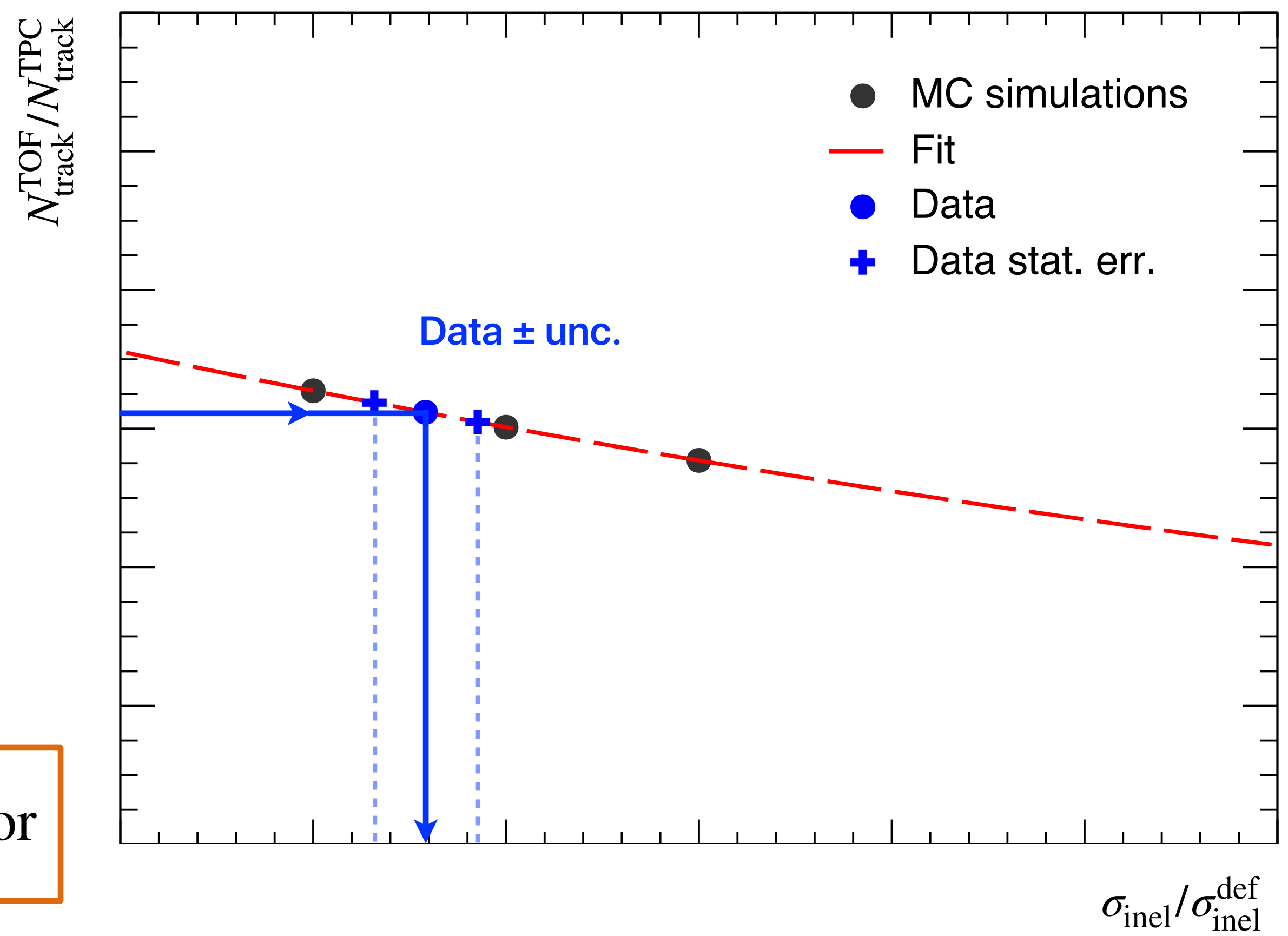
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- In each momentum bin compare the TOF-TPC ratio in MC to the one in data
- Monte Carlo simulations with scaled σ_{inel} (0.5x, 1x, 1.5x)

→ extract $\sigma_{inel} / \sigma_{inel}^{def}$ scaling factor

- MC points fit with an exponential according to the Lambert-Beer law:

$$N = N_0 \times \exp(-\sigma\rho L)$$

$$\sigma_{inel}({}^3\overline{\text{He}} - \langle A \rangle) = \sigma_{inel}^{\text{Geant4}}({}^3\overline{\text{He}} - \langle A \rangle) \times \text{scaling factor}$$



Results: $^3\overline{\text{He}}$ inelastic cross-section

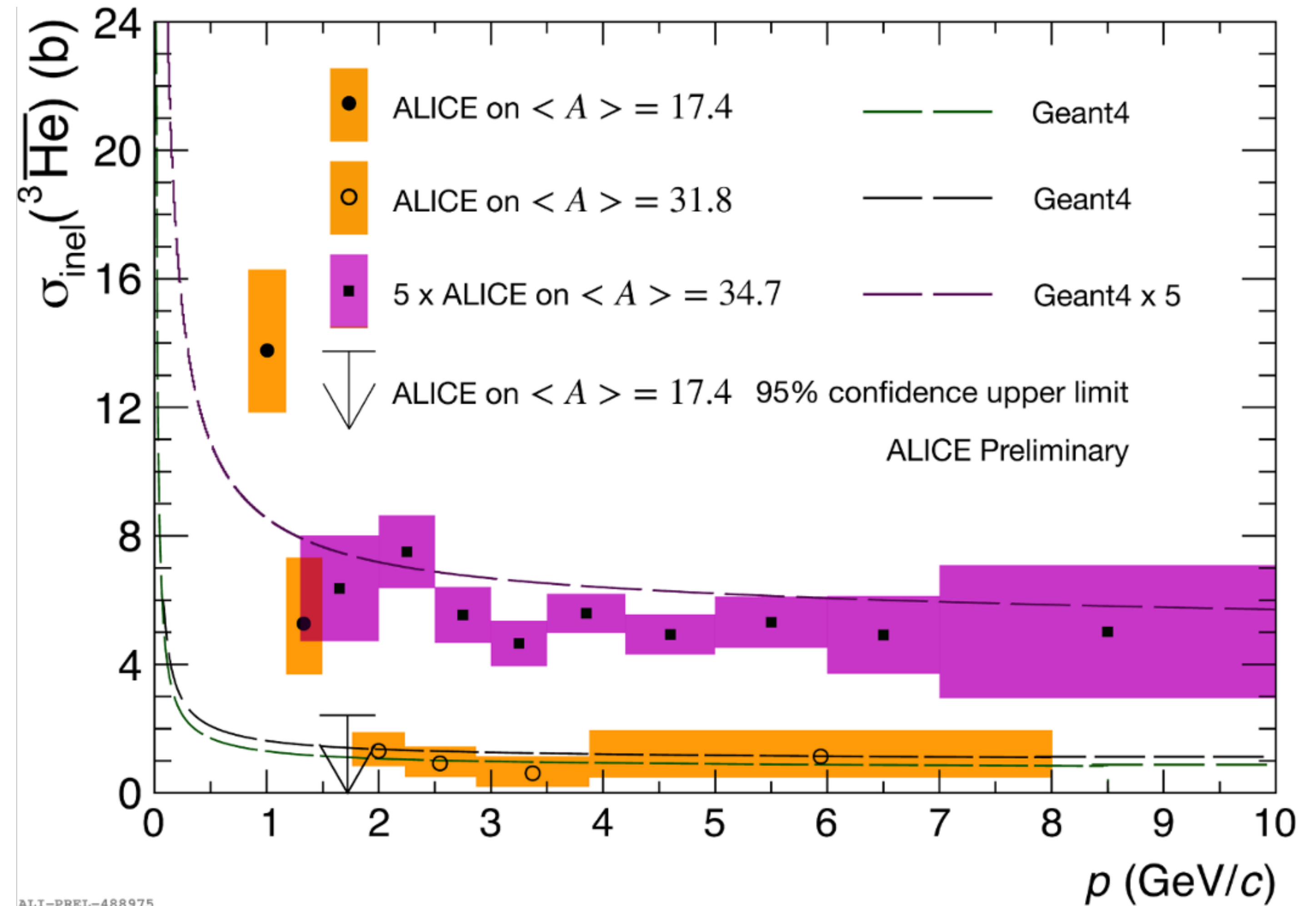
- $\sigma_{\text{inel}}(^3\overline{\text{He}})$: Results for **TOF-to-TPC ratio** and **antiparticle-to-particle raw ratio**:

First ever measurement of $^3\overline{\text{He}}$ inelastic cross section!

- Results from both methods are compatible (higher precision in TOF-to-TPC ratio)
- Exp. data at very low momentum ($p < 1.5 \text{ GeV}/c$) show large discrepancy w.r.t. Geant4 parametrization

→ Next: impact on $^3\overline{\text{He}}$ propagation in space

$\sigma_{\text{inel}}(^3\overline{\text{He}})$ on averaged ALICE material



ALI-PREL-488975

Propagation of ${}^3\overline{\text{He}}$ in the Galaxy: ingredients

Transport equation

$$\frac{\partial \psi}{\partial t} = \boxed{q(\mathbf{r}, p)} + \boxed{\text{div}(D_{xx} \mathbf{grad} \psi - \mathbf{V} \psi) + \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial \psi}{\partial p} - \frac{\partial}{\partial p} \left[\psi \frac{dp}{dt} - \frac{p}{3} (\mathbf{div} \cdot \mathbf{V}) \psi \right]} - \boxed{\frac{\psi}{\tau_f} - \frac{\psi}{\tau_r}}$$

Source
Function

Propagation: diffusion, convection...

Fragmentation,
annihilation

- Can be numerically solved using publicly available GALPROP package
- **Propagation parameters** (common for all (anti)nuclei) can be constrained using available cosmic ray measurements [1]
- Calculation of antinuclei flux requires:
 - ✗ **source function**: differential production cross section [2, 3]
 - ✗ **annihilation cross section**

[1] M. J. Boschini et al 2020 (*ApJS* 250 27)

[2] Shukla et al, *Phys. Rev. D.* 102, 063004 (2020)

[3] Carlson et al, *Phys. Rev. D.* 89, 076005 (2014)

$^3\overline{\text{He}}$ source (I): Dark Matter

Source (I) ✓

Propagation ✓

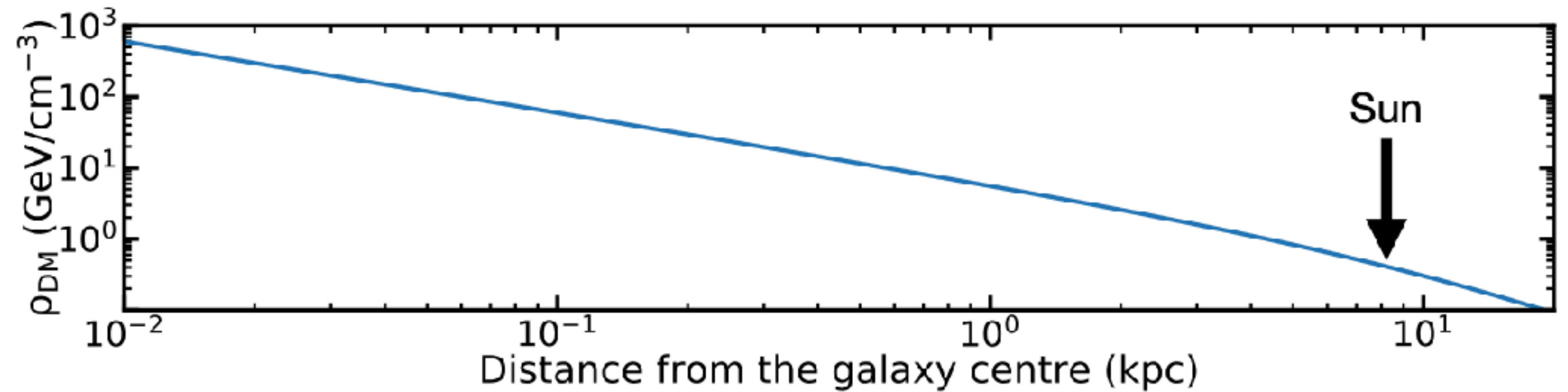
Annihilation ✗



Source function

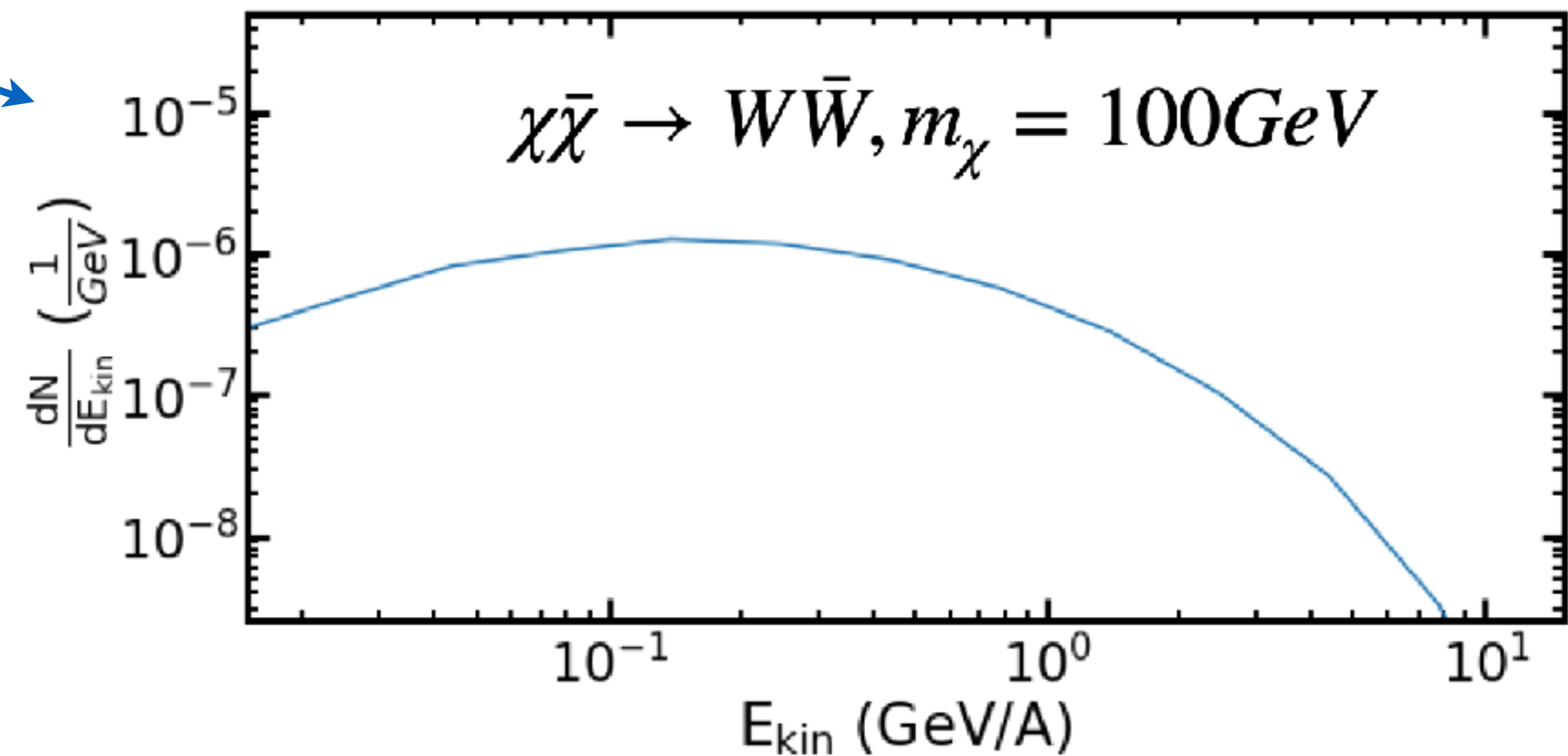
$$q(r, E_{kin}) = \frac{1}{2} \frac{\rho_{DM}^2(r)}{m_\chi^2} \langle \sigma v \rangle (1 + \epsilon) \frac{dN}{dE_{kin}}$$

DM density distr.



- ρ_{DM} - Navarro-Frenk-White profile [1]
 - $m_\chi = 100 \text{ GeV}$ for W^+W^-
 - $\langle \sigma v \rangle = 2.6 \times 10^{-26} \text{ cm}^3 \text{ s}^{-1}$ [2]
 - $(1 + \epsilon) = 2$ [1]
 - $^3\overline{\text{He}}$ spectrum from [1] PYTHIA 8 + coalescence afterburner
- peak at $E_{kin} \sim 0.1 \text{ GeV}/A$

$^3\overline{\text{He}}$ spectrum



[1] Carlson et al, Phys. Rev. D. 89, 076005 (2014)

[2] Korsmeier et al, Phys. Rev. D. 97, 103011 (2018)

$^3\overline{\text{He}}$ source (II): CR + ISM

Sources ✓

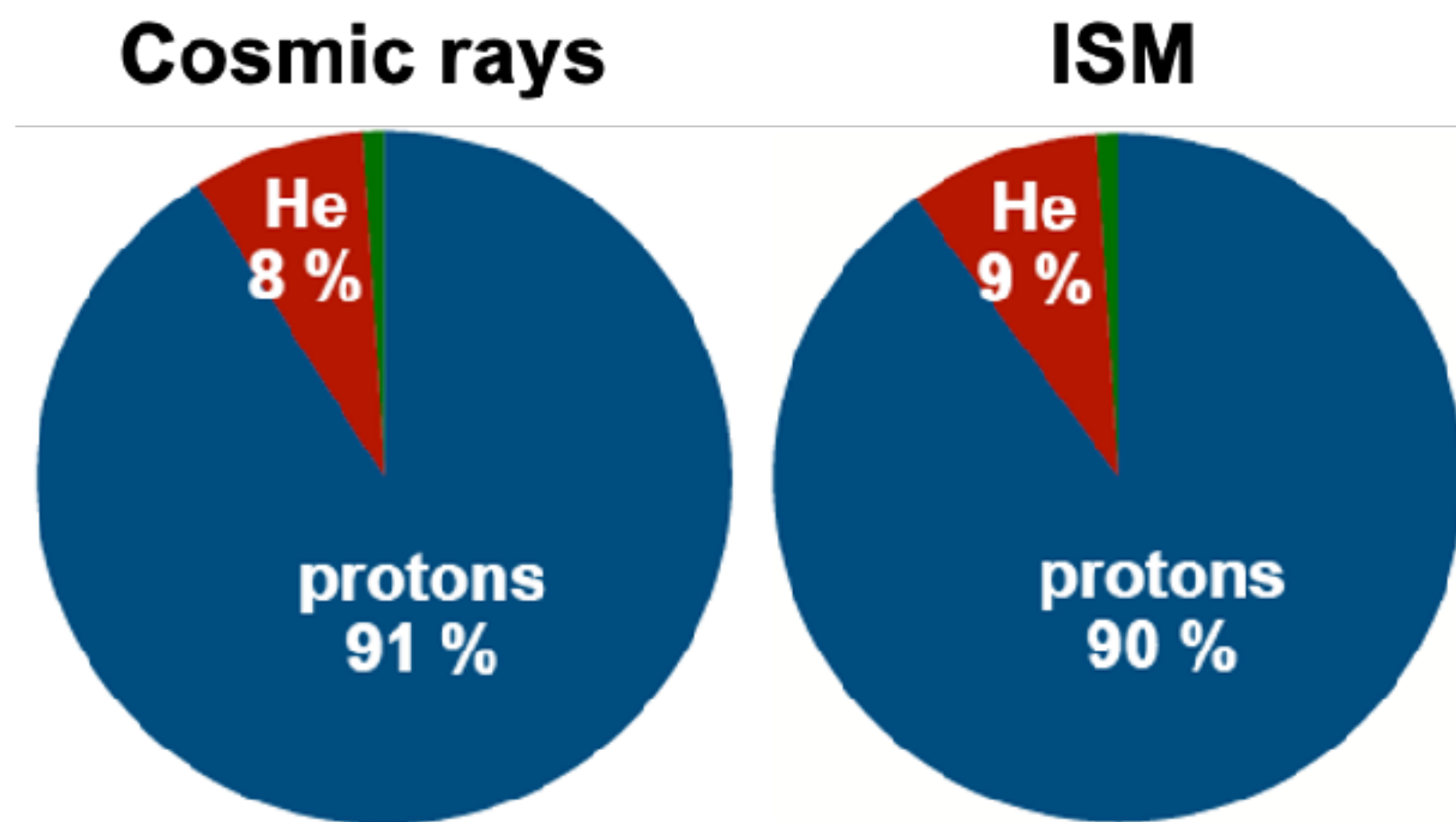
Propagation ✓

Annihilation ✗

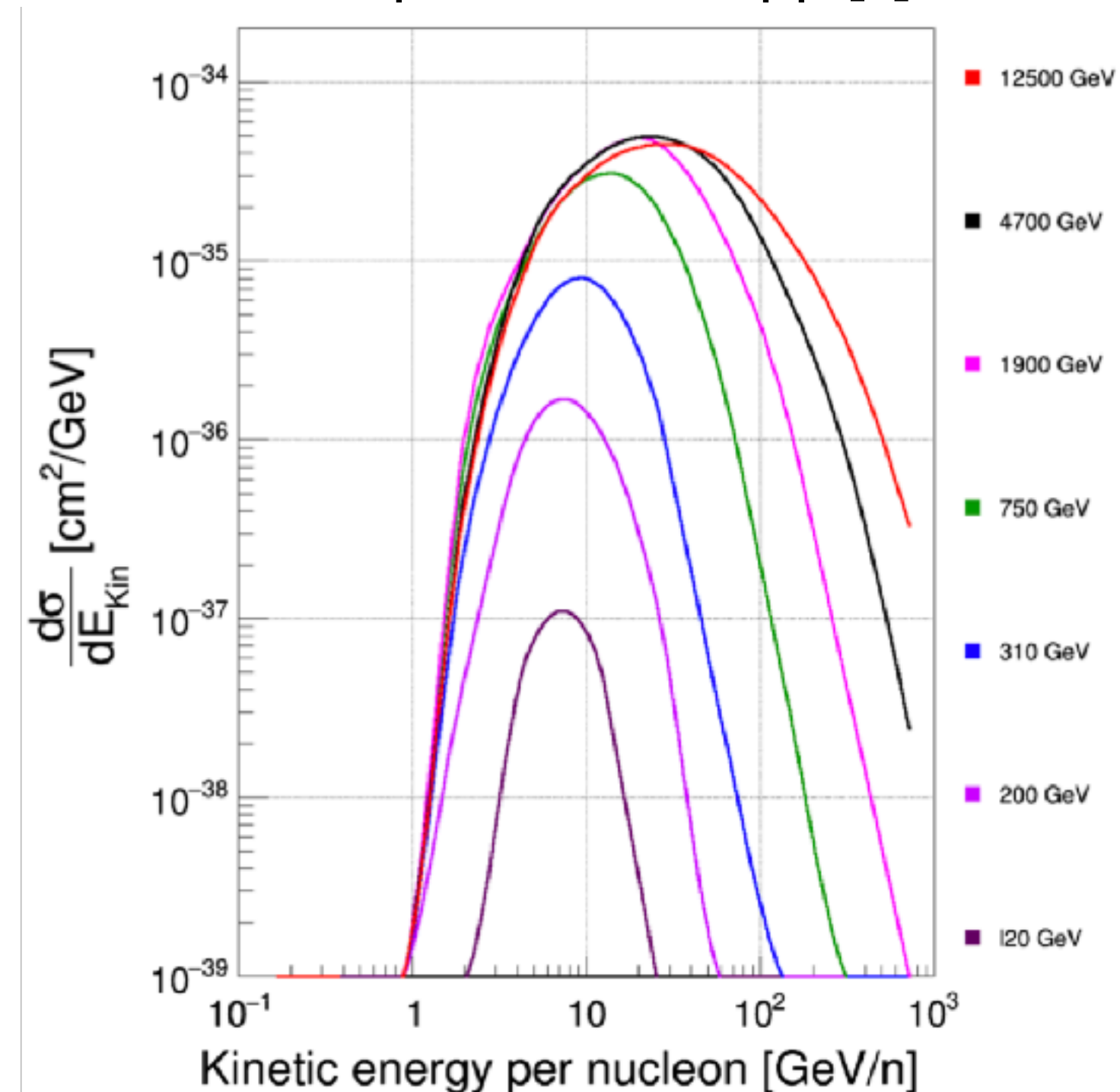


Another relevant $^3\overline{\text{He}}$ source from interactions of cosmic rays (CR) with interstellar medium (ISM)

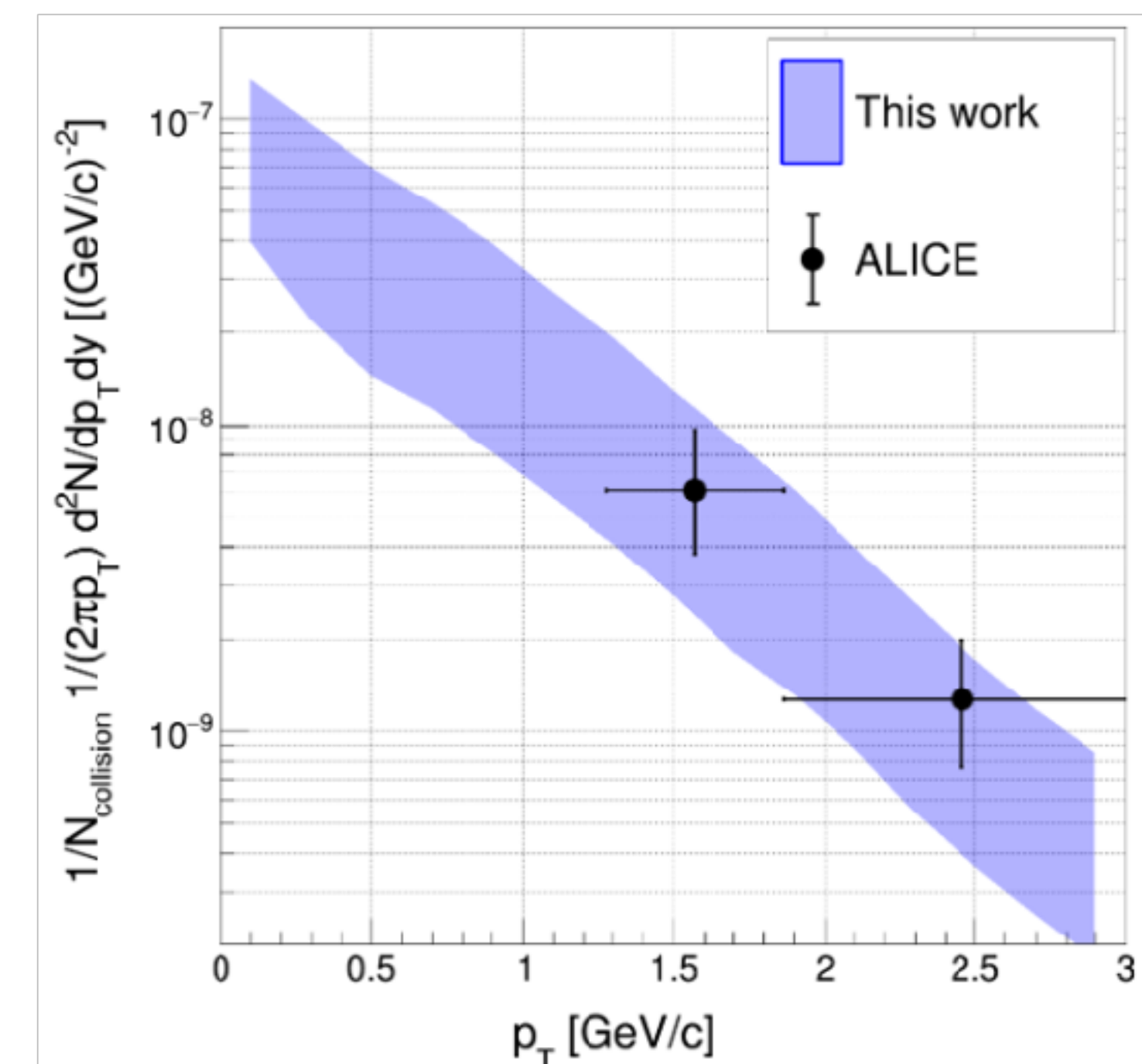
- Collision systems: pp, p- ^3He , ^3He -p, ^3He - ^3He
- Production cross section in pp from [1]: EPOS LHC + coalescence afterburner
- Scaling factor $(A_T A_P)^{11/15}$ for the other collision systems
- Validated by ALICE data [2] ✓



$^3\overline{\text{He}}$ production in pp [1]



Comparison with ALICE results [1,2]



[1] Shukla et al, Phys. Rev. D. 102, 063004 (2020)

[2] ALICE, Phys. Rev. C 97, 024615 (2018)

Annihilation

Sources ✓

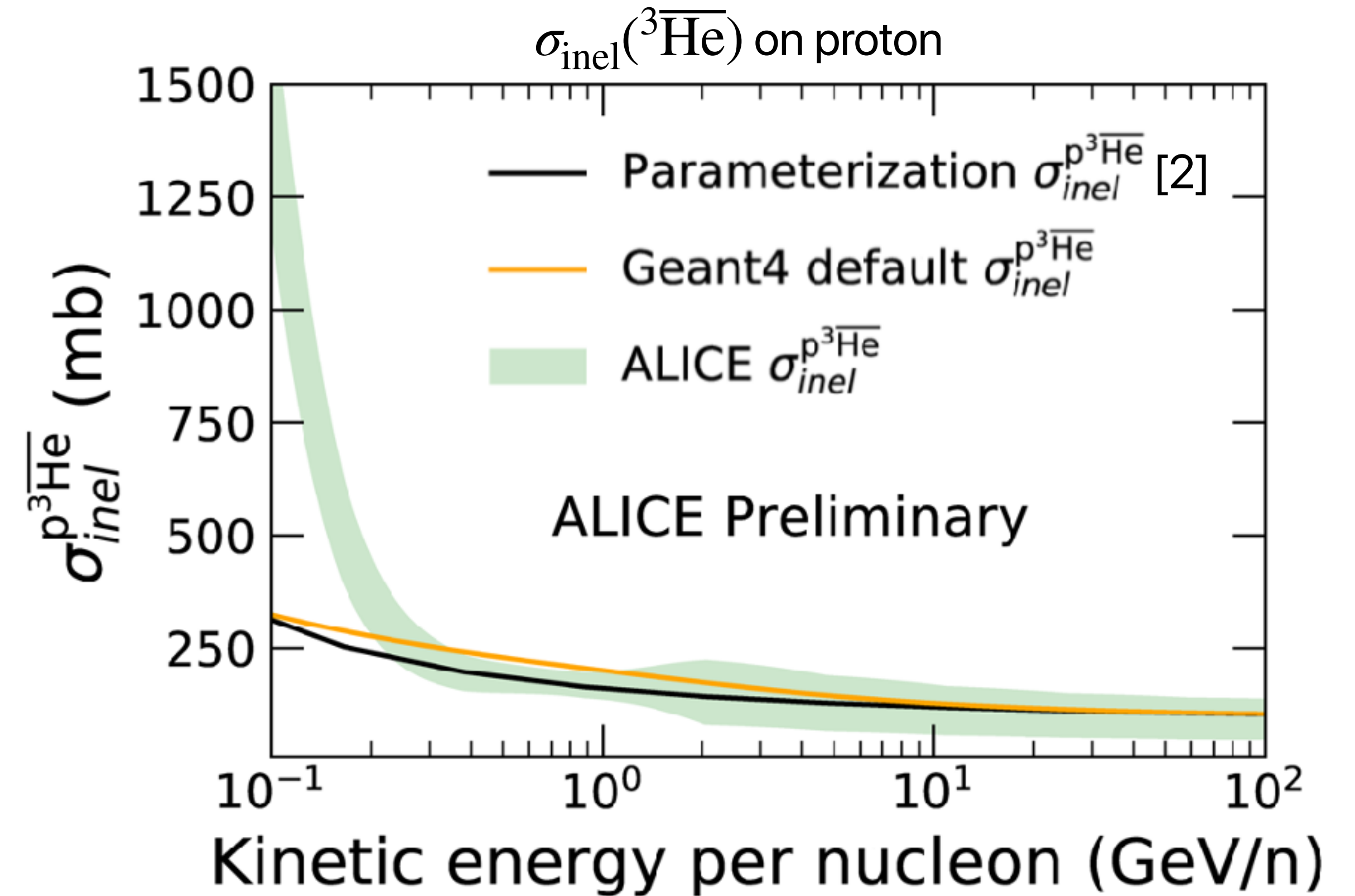
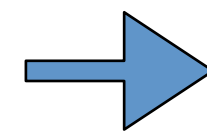
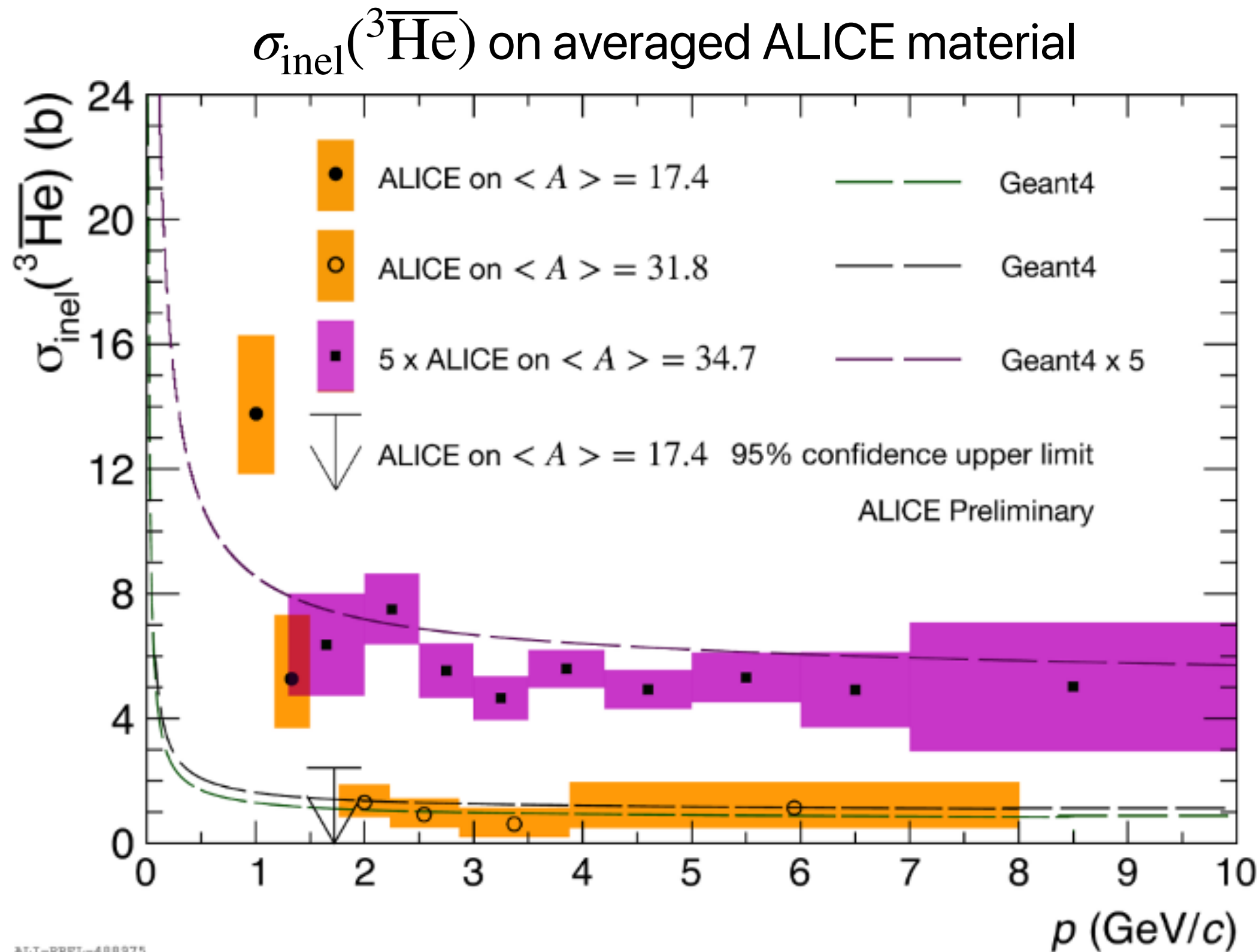
Propagation ✓

Annihilation ✓



${}^3\overline{\text{He}}$ nuclei may interact inelastically with the interstellar gas

- ALICE results for $\sigma_{\text{inel}}({}^3\overline{\text{He}})$ are for heavy elements with $\langle A \rangle = 17.4$ to 34.7
- Rescaled using ALICE experimental data for proton and helium targets
- 8% uncertainty from A scaling [1] is valid for all targets



[1] Uzhinsky et al. Phys. Lett. B 705 (2011) 235

[2] Korsmeier et al, Phys. Rev. D. 97, 103011 (2018)

Annihilation

Sources ✓

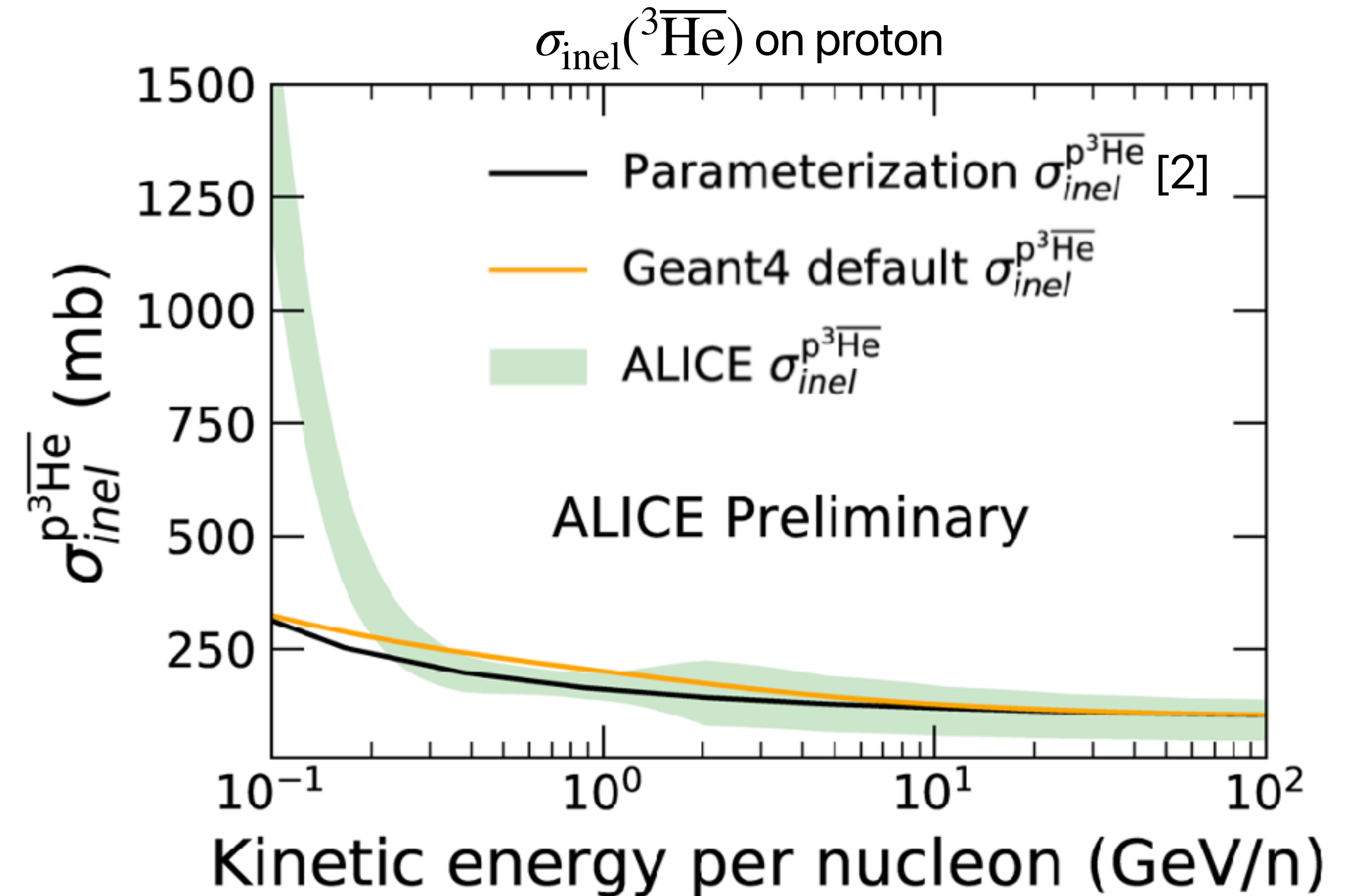
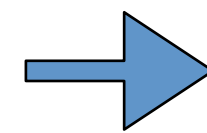
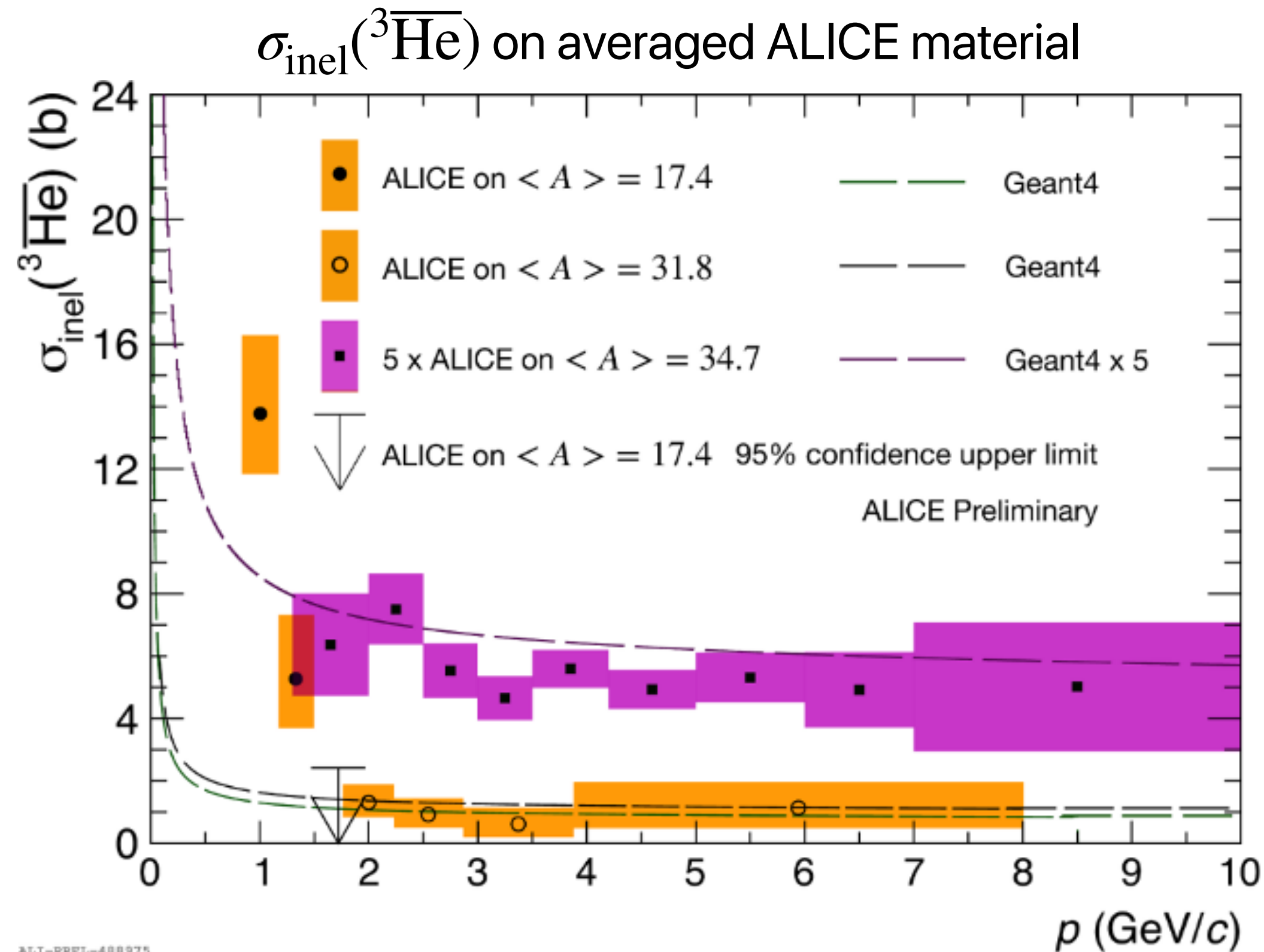
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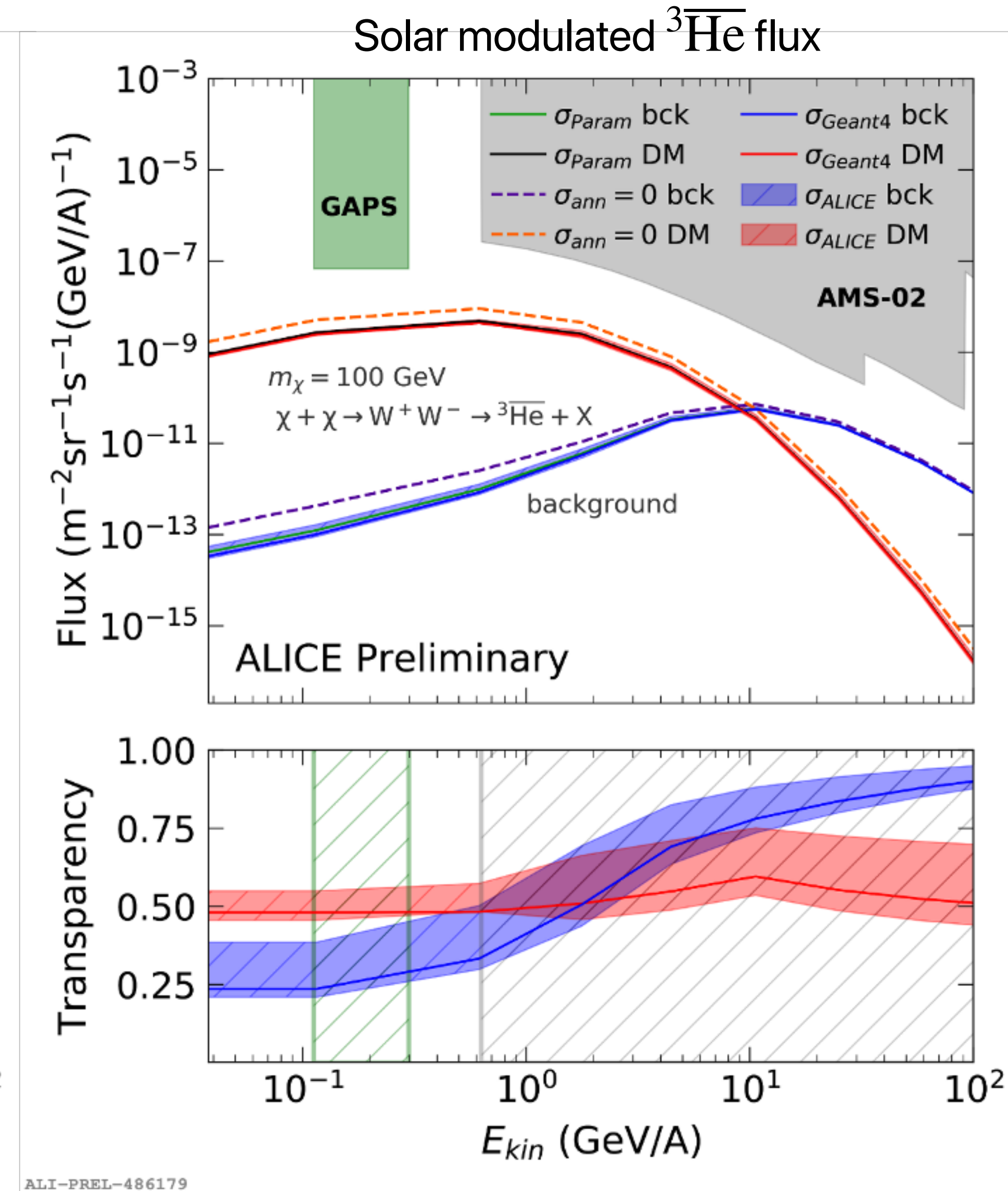
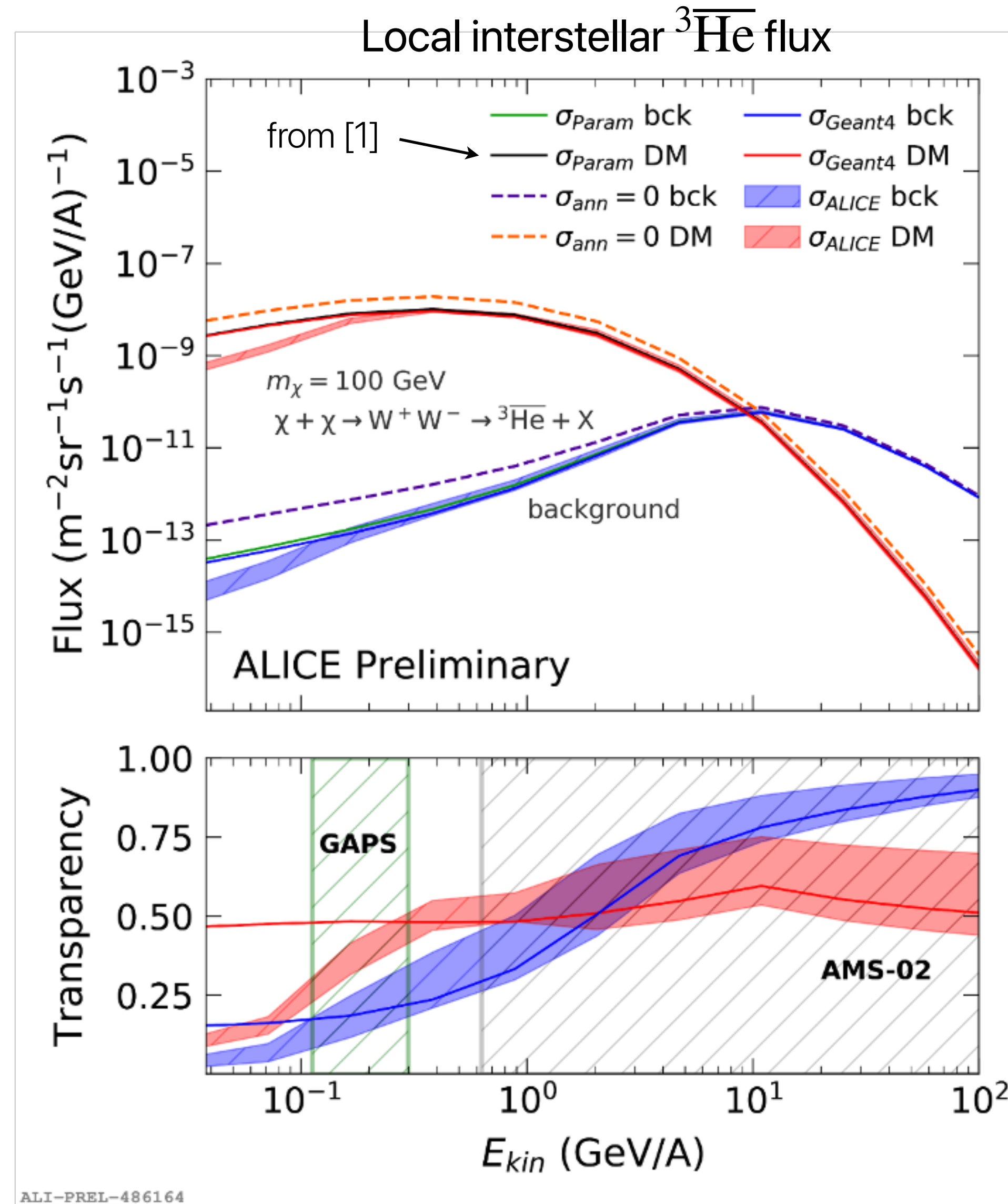
[1] Uzhinsky et al. Phys. Lett. B 705 (2011) 235

[2] Korsmeier et al, Phys. Rev. D. 97, 103011 (2018)

Results: $^3\overline{\text{He}}$ fluxes

- Effect of various inelastic cross sections on $^3\overline{\text{He}}$ fluxes
- Uncertainty only on σ_{inel} from ALICE data:
→ small compared to other unc. in the field
- $^3\overline{\text{He}}$ transparency (at low E_{kin}): 25% from CR interactions, 50% from typical DM candidates

High transparency of the Galaxy to $^3\overline{\text{He}}$ nuclei!



Summary and outlook

First measurements of antinuclei inelastic cross sections:

- ✓ \bar{d} at low energy (published)
- ✓ ${}^3\bar{\text{He}}$ (paper in preparation)

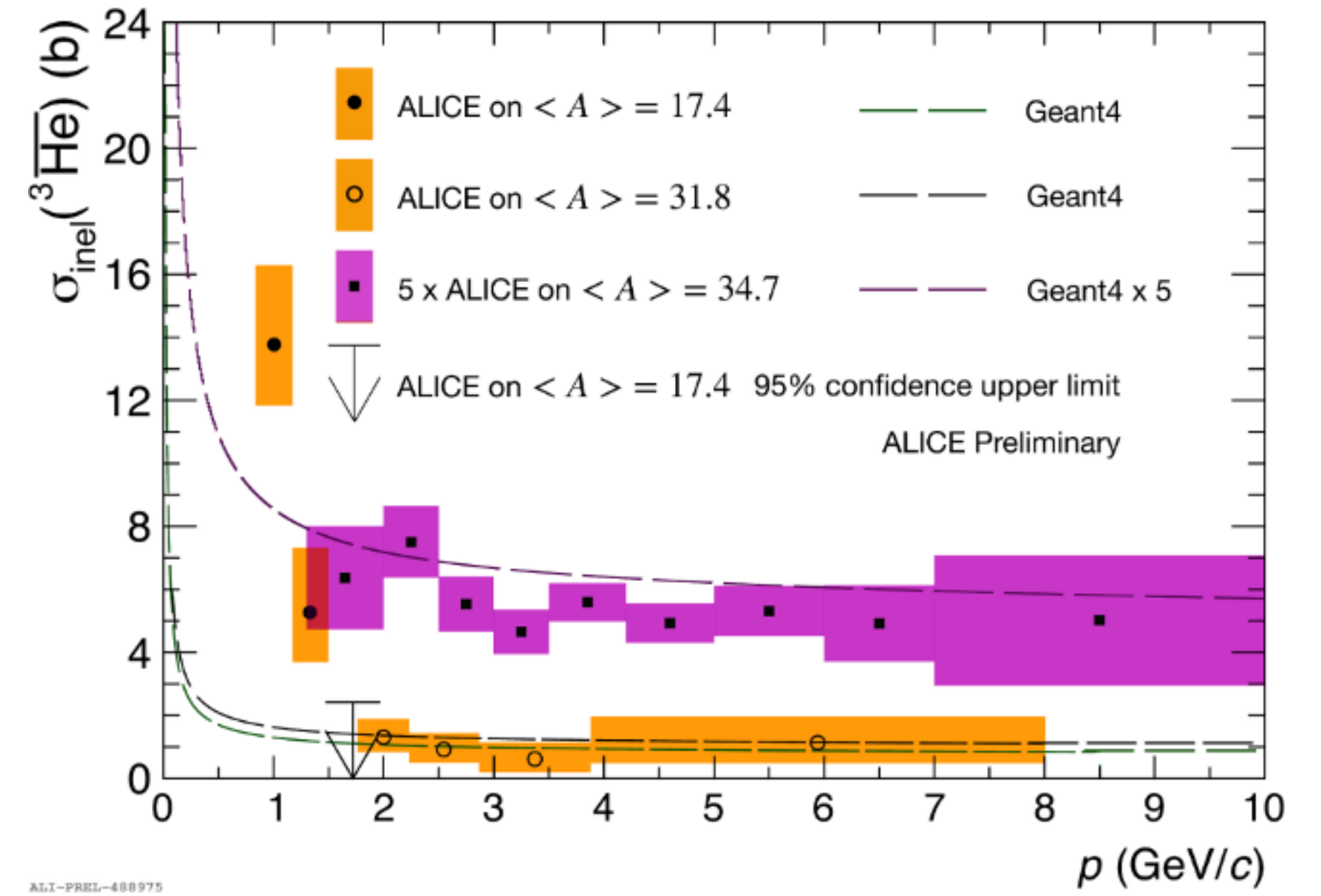


Impact on ${}^3\bar{\text{He}}$ flux near Earth:

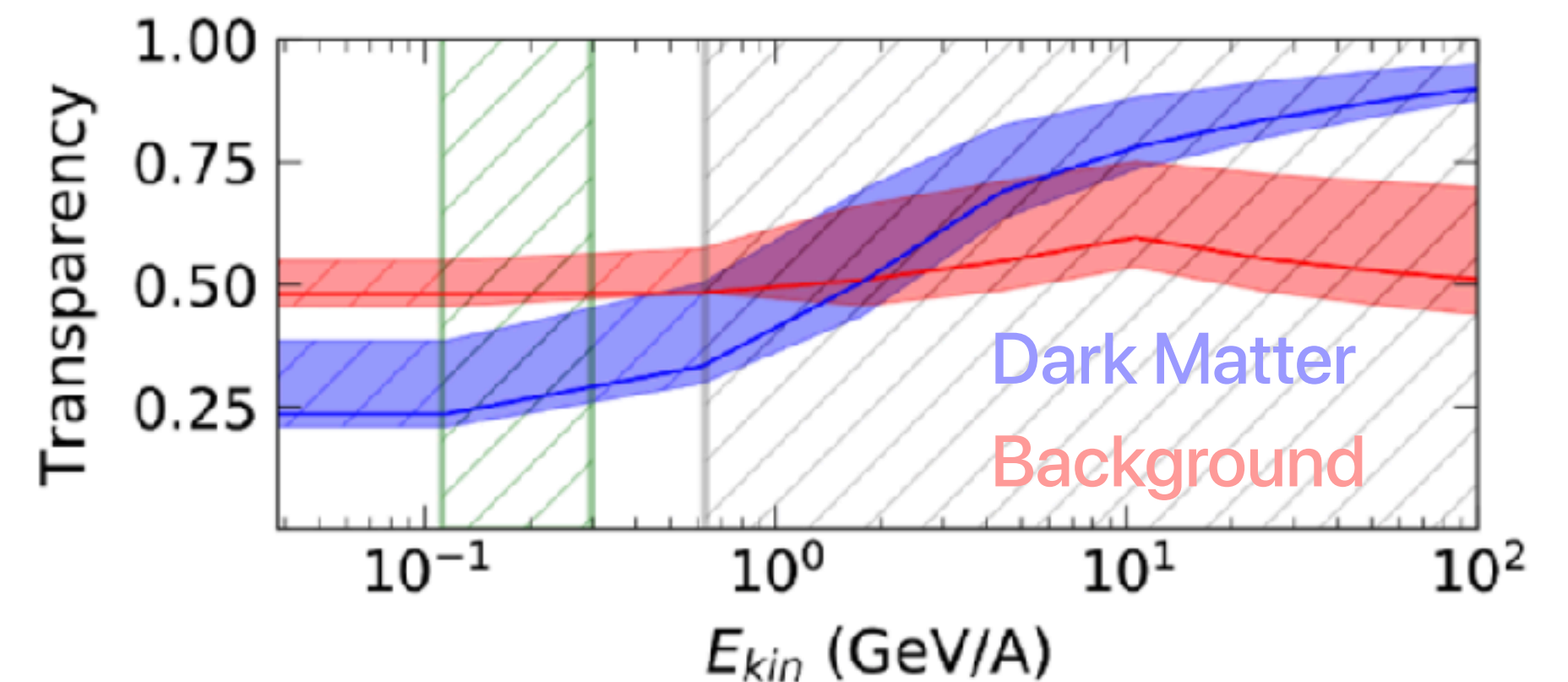
- High transparency of the Galaxy to ${}^3\bar{\text{He}}$
- Small uncertainties on cosmic ray fluxes from $\sigma_{\text{inel}}({}^3\bar{\text{He}})$ compared to other uncertainties in the field

Thank you for your attention!

$\sigma_{\text{inel}}({}^3\bar{\text{He}})$ on averaged ALICE material



Transparency of the Galaxy to ${}^3\bar{\text{He}}$



Backup slides

Solar environment effects

- Solar magnetic field forms heliosphere which shields cosmic rays
- Solar modulation is accounted for using Force-Field approximation [1] with Fisk potential $\phi = 0.4$ GV:

$$F_{mod}(E_{mod}, \phi) = F(E) \frac{(E - Z\phi)^2 - m_{^3\text{He}}^2}{E^2 - m_{^3\text{He}}^2}, \text{ where } E_{mod} = E - Z\phi$$

