



The Mu3e Experiment Searching for the Lepton Flavour Violating Decay



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Overview:

• Search for signal muon decays, background categories and the detector concepts for the Phase I and II of the Mu3e Experiment

Software:

- Studies of Mu3e tracking performance for different categories of particle tracks when effected by:
- ✓ Missing hits due to by dead layers dead chip or individual dead pixels
- ✓ Misaligned detector
- \checkmark Noise in the pixel sensors

Hardware:

• Test-Beam Data Acquisition System for Characterization of High Voltage Monolithic Active Pixel Sensors



The Mu3e Experiment @ PSI

• Charge ID

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Motivation & Challenges

Search for Lepton Flavour Violation:

Decay : $\mu^+ \rightarrow e^+ e^+ e^-$

- Negligible in Standard Model (Br < 10⁻⁵⁴)
- Can be enhanced in New Physics : (SUSY, leptoquarks, etc.), any observed decay will point to NP
- Current status: $Br < 10^{-12}$ (SINDRUM) at 90% CL
- Mu3e Phase I: Aiming for O(10⁻¹⁵) sensitivity at existing πE5 beamline: 10⁸ μ/s
- Mu3e Phase II: Aiming for O(10⁻¹⁶) sensitivity at a new high-intensity muon beamline (HiMB): >10⁹ μ/s



Muon decay in the SM



Muon decay BSM (SUSY)

Signal:

Background:

- Three tracks: $\mu^+ \rightarrow e^+ e^+ e^-$
- Decay at rest
- $P_e < 53 \text{ MeV/c}$
- Common vertex
- Coincide in time • $\Sigma P = 0$, $\Sigma E = m_{\mu}$

- Internal conversion background (IC BG): $\mu^+ \rightarrow e^+ e^+ e^- v^+ v^-$ (suppressed by good momentum resolution)
- Accidental background (Acc. BG): Michel $\mu^+ \rightarrow e^+ v^+ v^$ with e^+e^- , etc (suppressed by good time and vertex resolution)





3



Simulation and Track Reconstruction of the Mu3e Pixel Detector

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Simulation & Reconstruction—

• Full detector Simulation (Geant4) in 50 ns framelength

- Track Reconstruction

Triplet:

- Track is a sequence of triplets
- Basic block for track reconstruction
- 3 hits (combination 2 helices)
- Optimization the nonlinear problem multiple scattering

Categories of Nominal Tracks:

Short tracks:

- 4 hits in the silicon layers
- Seeds for long tracks

Long (recurl tracks):

- Combine 1 short track with 2 hits in recurl detector (6 hits)
- Combine 2 short tracks (8hits)

triplet 2 triplet 1

Categories of New Tracks:

Artificially introduce different inefficiencies level into pixel layers in the central station and investigate recovering track efficiency by allowing holes on the track

Short tracks:

- 3 hits in the silicon layers with a missing pixel hit
- Seeds for long tracks

Long (recurl tracks):

- Combine 1 short track with 2 hits in recurl detector (5 hits)
- Using long track with 5-pixel hits with two more hits in the CS of the detector (7-pixel hits)





Categories of Nominal Tracks in CS or 2-RS of the Detector in 2D

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Check the High Purity for the Long Tracks with 6-hits in the 2-RS of the Mu3e Detector

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A Way of Splitting the Long Tracks with 6-hits

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- Z6: 6th silicon hit in outer layers either in CS or RS, it is a good cut to to split long tracks with 6 hits recurl back into CS or RS of the detector
- Z6 < 200 mm: tracks can recurl back into CS
- Z6 > 200 mm: tracks can extrapolate into RS "that is because outer silicon detector is started from roughly 200 mm"

Reconstruction		CS (z6 < 200 mm)	RS (z6 > 200 mm)	CS and RS
Full	ϵ			0.837(267)
Full long-6h	e			0.885(360)
Long-6h	$\epsilon \\ \epsilon$ relative to full long-6h	0.767(514) 0.365(36)		
Long-6h	$\epsilon \\ \epsilon$ relative to full long-6h		0.962(494) 0.578(266)	
Full long-8h	e	0.549(513)		

TABLE 28: Efficiency ϵ for only correctly reconstructed long tracks with 6,8, and all hits tracks.





Expanded Studies to Understand Increased Mis-Alignments of the Mu3e Pixel Detector IOP Institute of Physics High Energy Particle Physics Group

Track Based Alignment of the Mu3e Pixel Detector Studies

- Many misalignment modes can be applied for all individual sensors or composite parts level
- Using Millipede-II alignment algorithm to align detector
- Study the performance of nominal tracks with misaligned and aligned and compare it with nominal detector

Results of the vertex reconstruction of signal events with three recurlers required; for a nominal, a misaligned and an aligned detector. The mean stems from a fit of the sum of two Gaussians and the quoted width is the area-weighted mean

parameter	nominal	misaligned	aligned
$\mathbf{x}_{rec} - \mathbf{x}_{true}$	$\mu = -0.004 \pm 0.002$	$\mu = 3.00 \pm 0.00$	$\mu = -0.003 \pm 0.002$
	$\sigma = 0.212 \pm 0.002$	$\sigma = 672 \pm 0.009$	$\sigma = 0.212 \pm 0.002$
y _{rec} – y _{true}	$\mu = 0.004 \pm 0.002$	$\mu = -0.261 \pm 0.08$	$\mu = 0.005 \pm 0.002$
	$\sigma = 0.214 \pm 0.002$	$\sigma = 0.570 \pm 0.03$	$\sigma = 0.217 \pm 0.002$
$\mathbf{z}_{rec} - \mathbf{z}_{true}$	$\mu = -0.0 \pm 0.001$	$\mu = 0.001 \pm 0.00$	$\mu = -0.00 \pm 0.001$
	$\sigma = 0.115 \pm 0.001$	$\sigma = 0.760 \pm 0.00$	$\sigma = 0.115 \pm 0.001$







Results: The Performance of Tracks in the Reconstruction Step (Perfect & Imperfect Tracks)

Signal µ decays

35 40 45

all tracks

true tracks

fake tracks

Performance & Goal •

- Study tracking performance with imperfect detector for signal muon decays. Artificially introduce 100% inefficiencies into 1/2-pixel layer in the central station of the detector
- Goal was to allow tracking algorithm to access dead sensor in a missing layer
- Study and optimizing the tracks cut requirements with understand the tracking efficiency, purity rates for new categories of tracks

$$\varepsilon(\chi^2_{\rm max}) = \frac{S_{\rm cut}(\chi^2_{\rm max})}{S_{\rm total}}, \qquad 0 \le \varepsilon \le 1.$$

$$P(\chi^2_{\max}) = \frac{S_{\rm cut}(\chi^2_{\max})}{S_{\rm cut}(\chi^2_{\max}) + B_{\rm cut}(\chi^2_{\max})}, \qquad 0 \le P \le$$

Perfect tracks with 6-pixel hits In the CS or RS of the detector with 0% inefficiency

15 20

20

15

25

30

35

10

(Mu3e work in progress)

25 30

(Mulle work in progress)

10000

8000

6000

4000

2000

0.8

0.6

0.4

0.2

5







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Selection cuts for long tracks with 6-pixel hits in perfect detector:

z0 (mm)	< 50
$\lambda 01(rad): 6hits$	> 0.1
χ^2 : 6hits	30

Selection cuts for long tracks with 5-pixel hits in *imperfect detector:*

z0 (mm)	< 50
$\lambda 01(rad): 5hits$	> 0.1
$\chi^2:5 hits$	20

Perfect tracks with 6-pixel hits

In the CS or RS of the detector

St 18000 19000

14000

12000

10000

8000

6000

4000

2000

with 0% inefficiency in 1-pixel layer

Momentum Distribution before and after applying cuts for **Different Categories of Tracks**

Imperfect tracks with 5-pixel hits

inefficiency in 1-pixel layer)

In the CS or RS of the detector(100%

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Imperfect tracks with 5-pixel hits In the CS or RS of the detector(100% *inefficiency in 2-pixel layer*)



TABLE 14: Efficiency ϵ , purity p and $\epsilon \cdot p$ before and after applying cuts TABLE 14: Efficiency ϵ , purity p and $\epsilon \cdot p$ before and after applying cuts for signal muon decays. for signal muon decays.

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Summary Plot for How Many Imperfect Correctly Reconstructed Tracks Could Recover in the Case of a Missing Layer at a Different **Level of Inefficiency**

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11



Extended Studies on the Noise in the Mu3e Pixel Detector

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• What is the effect on efficiency and purity for the performance of the track reconstruction as the noise rate per pixel goes from 0 to highest rates in 20Hz as height noise rate per pixel (MuPix8)?

Purity is relatively stable until a noise rate of approximately 40Hz, which is much larger that the highest noise rate seen for the MuPix8 prototypes of 20 Hz

Summary plot for different detector noise rates per pixel go from 0 to 20 Hz vs. tracking efficiency and purity of track candidates:





Signal Efficiency After Reconstruction and Vertex Fit Step for Phase Spac Distributed Events for Perfect and Noise Mu3e Detector

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Vertex fit step -

Signal efficiency after reconstruction and vertex fit step for phase space distributed events for perfect and noise detector (injecting 20 Hz as highest noise rate per pixel)

Default selection cuts applied to distinguish $\mu^+ \rightarrow e^+ e^+ e^-$ and suppress different background categories

Variable	Value Cut	Comment
χ^2_{vertex}	<30	3 degrees of freedom
$ert ec{p}_{eee} ert = ert \Sigma ec{p}_i ert$	<8 Mev/c	
distance: \vec{v} to target	<3 mm	
m _{eee}	103.5 Mev $\leq m \leq$ 115 Mev	
crossed tracking layers	≥ 4	4,6,8 hits tracks
χ^2_{timing}	< 6 ns	

Track/Vertex Efficiency After Track Reconstruction and Vertex Fit =
Step for Phase Space Distributed Signal Muons Events in perfect or Noise detector (Mu3e work in progress)

Phase space	$\epsilon_{all\ tracks}$ (4, 6, 8 hits)	ϵ_3 long tracks (6, 8 hits)
events in acceptance	0.412(1)	0.265(1)
relative to events in acceptance		0.643(3)
Perfect detector with o Hz noise rate per pixel		
events after track reconstruction	0.368(1)	0.185(1)
relative to events in acceptance	0.892(5)	0.698(5)
events with reconstructed vertex	0.374(1)	0.188(1)
relative to events in acceptance	0.907(5)	0.708(5)
relative to events after track reconstruction	0.998(8)	0.998(8)
events with reconstructed vertex after cuts	0.290(1)	0.163(1)
relative to events with reconstructed vertex before cuts	0.776(4)	0.866(7)
relative to events in acceptance	0.704(4)	0.614(4)
relative to events after reconstruction	0.789(4)	0.879(7)
Noise detector with 20 Hz noise rate per pixel		
events after track reconstruction	0.367(7)	0.179(4)
relative to events in acceptance	0.910(2)	0.684(2)
events with reconstructed vertex	0.354(6)	0.173(4)
relative to events in acceptance	0.878(2)	0.658(2)
relative to events after track reconstruction	0.964(2)	0.962(3)
events with reconstructed vertex after cuts	0.274(5)	0.148(4)
relative to events with reconstructed vertex before cuts	0.735(1)	0.812(2)
relative to events in acceptance	0.680(1)	0.563(1)
relative to events after track reconstruction	0.747(1)	0.823(2)



What is the Single-Event Sensitivity (SES) with Noise Mu3e Detector in Vertex Fit Step and How is Vary from Perfect Detector ?

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Single event sensitivity (SES) and the corresponding 90% and 95% C.L. upper limits versus data taking days for the phase I Mu3e detector





All tracks in perfect (PD) and noise detector (ND) after applying vertex cuts





Test-beam Data Acquisition System and Characterisation of HV-MAPS

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Summary:

- Acceptance and efficiency of the detector have studied with checking sources of fake tracks by looking at timing information
- The performance of imperfect tracks due to by noise or missing hits have studied with optimising selection cuts
- Test-Beam data acquisition system for characterization of High Voltage Monolithic Active Pixel Sensors has analyzed



Thank you for listening!



Backup.....



What is the Single-Event Sensitivity (SES) with Nosy Detector in Vertex Fit Step and How is Vary from

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Single event sensitivity (SES) and the corresponding 90% and 95% C.L. upper limits versus data taking days for the phase I Mu3e detector

Perfect Detector



Nosy Detector





Fake Long Tracks (Mis-Reconstruction Identification) by Time Information





A way of splitting the long tracks with 5 hits in CS or RS of the detector



- Z5: 5th silicon hit in outer layers either in CS or RS, it is a good cut to to split long tracks with 6 hits recurl back into CS or RS
- Z5 < 200 mm: tracks can recurl back into CS
- Z5 > 200 mm: tracks can extrapolate into RS "that is because outer silicon detector is started from roughly 200 mm"
- This is an example if there is a missing layer (layer2)





Illustration of the curvature of electrons and positrons in a magnetic field in the right-handed coordinate system of Mu3e. κ indicates the curvature of a track.

Signal Event Sensitivity:

The sensitivity is estimated by the means of simulation, the selection efficiency is used to estimate the sensitivity of the Mu3e experiment. After applying selection cuts, it is assumed that all types of background will be suppressed. The signal-event sensitivity (SES) is defined as:

$$SES(\mu \to eee) \le rac{1}{\epsilon N_{\mu}}$$

where e is the signal selection efficiency, this efficiency is calculated as defined previously in the equation. Also, Nµ is the number of muon decays on the target region in which for 300 days of data taking or the number of muon decays on the target region with the nominal Phase-I luminosity, this number is taken as Nµ=1×10^15. In the absence of signal which means zero events and because the number of signal decays follows a Poisson distribution, then an upper limit on theµ→eee branching fraction of a rare decay can be derived:

here $1-\beta$ is the required confidence level.

$$B_{(1-\beta)CL} = -\ln\beta \times SES = \frac{-\ln\beta}{\epsilon N_{\mu}}$$





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What the Misalignment and Alignment Tool do:

• The misalignment tool **MU3EMISAL** has been created, there are many misalignment modes for the pixel detector

Relative misalignment	$\sigma_{\tt off,x,y}$	$\sigma_{\tt rot,x,y}$	$\sigma_{\tt off,z}$	$\sigma_{\tt rot,z}$
	in µm	in mrad	in µm	in mrad
sensors vs. ladders	50(100)	5(10)	5(100)	5(10)
ladders vs. modules	150(300)	1(2)	150(300)	1(2)
modules vs. layers	150(300)	1(2)	150(300)	1(2)
layers vs. layer pairs	25(50)	0.2(0.2)	50(50)	0.2(0.2)
layer pairs globally	150(300)	1(2)	250(300)	1(2)

Such a scenario is obtained by estimating the expected error on each entity and modifying the nominal (simulated) geometry by random Gaussian distributed values which reflect these error estimates. In parentheses, the worse case is given.



