Dark matter and line-intensity mapping

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with José Luis Bernal, Andrea Caputo, Cyril Creque-Sarbinowski, and Francisco Villaescusa-Navarro

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Who did the work

- Dark matter:
 - Creque-Sarbinowski & MK, 1806.11119
 - Bernal, Caputo, & MK, 2012.00771
- Neutrinos:
 - Bernal, Caputo, Villaescusa-Navarro, & MK, 2103.12099
- Other LIM collaborators:
 - E. Kovetz, P. Breysse, G. Sato-Polito, K. Boddy
- General background:
 - "Line-Intensity Mapping: 2017 Status Report," Kovetz et al., 1709.09066 [astro-ph.CO]
 - "User's guide to extracting cosmological information from line-intensity maps," Bernal, Breysse, Gil-Marín, & Kovetz, 1907.10067.

Line-Intensity Mapping

• LIM: use integrated light in given pixel on sky

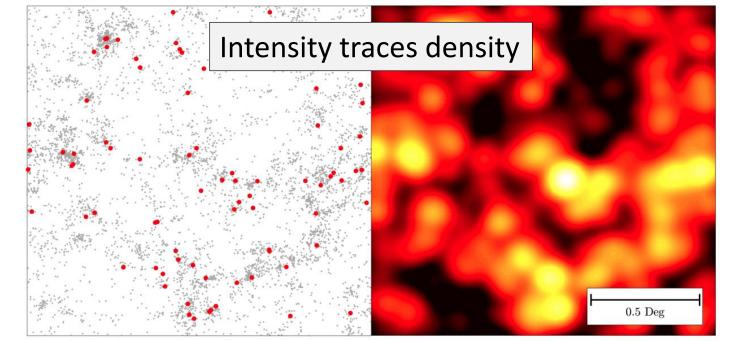
Information from all galaxies and IGM along LoS

Use redshift of identifiable spectral line → 3D maps

Galaxy surveys: detailed distribution of brightest galaxies

Intensity maps: noisy distribution of all galaxies and IGM

 ~ 4.5 k hours of VLA can detect $\sim 1\%$ of CO-emitting galaxies

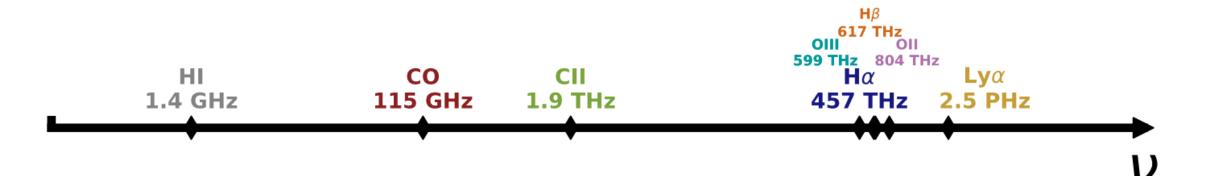


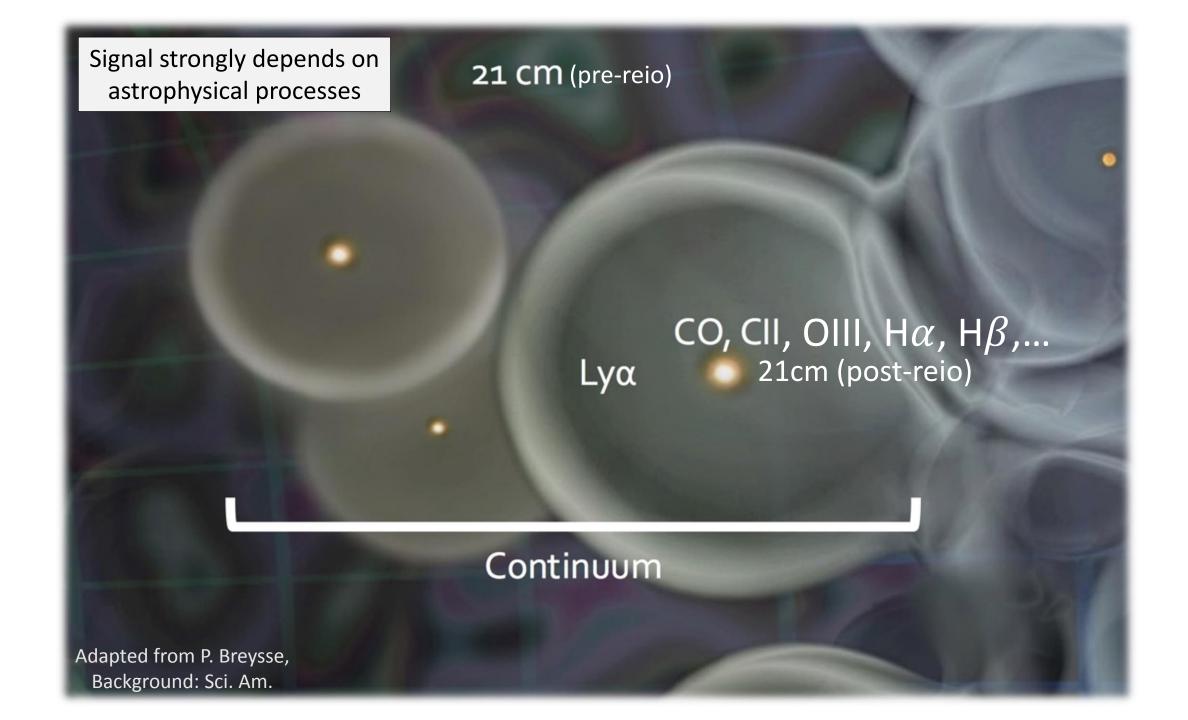
~ 1.5k hours of COMAP mapping CO intensity fluctuations

P. Breysse

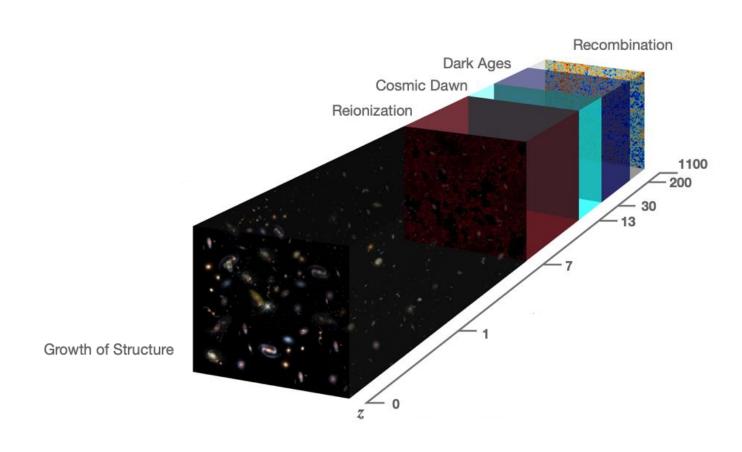
Targeted lines

•
$$v_{obs} = v_0/(1+z)$$



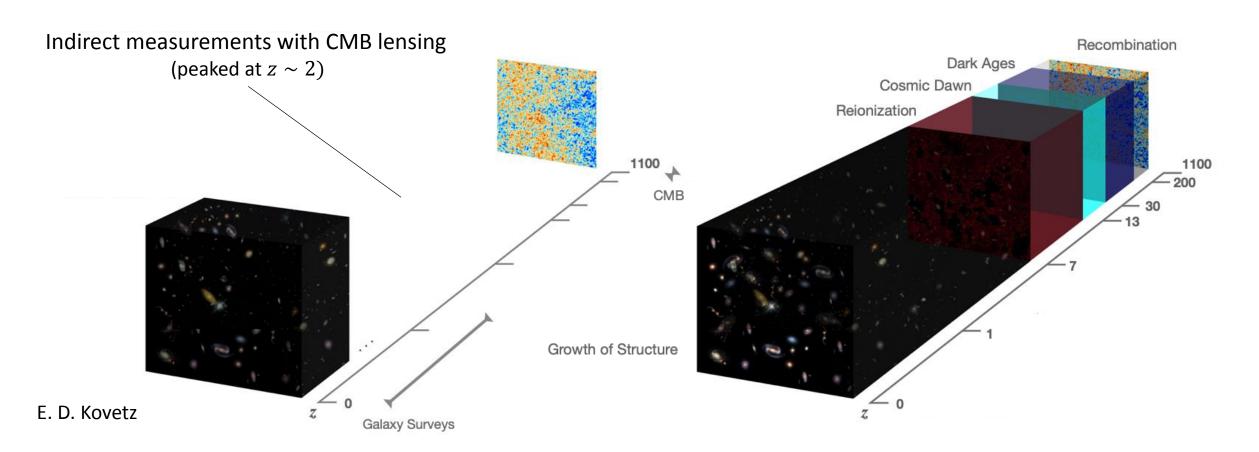


Probing the Universe



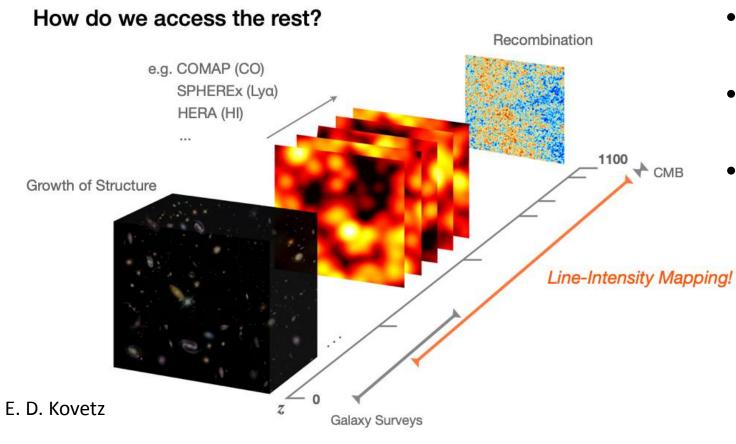
E. D. Kovetz

Probing the Universe



Probed Universe

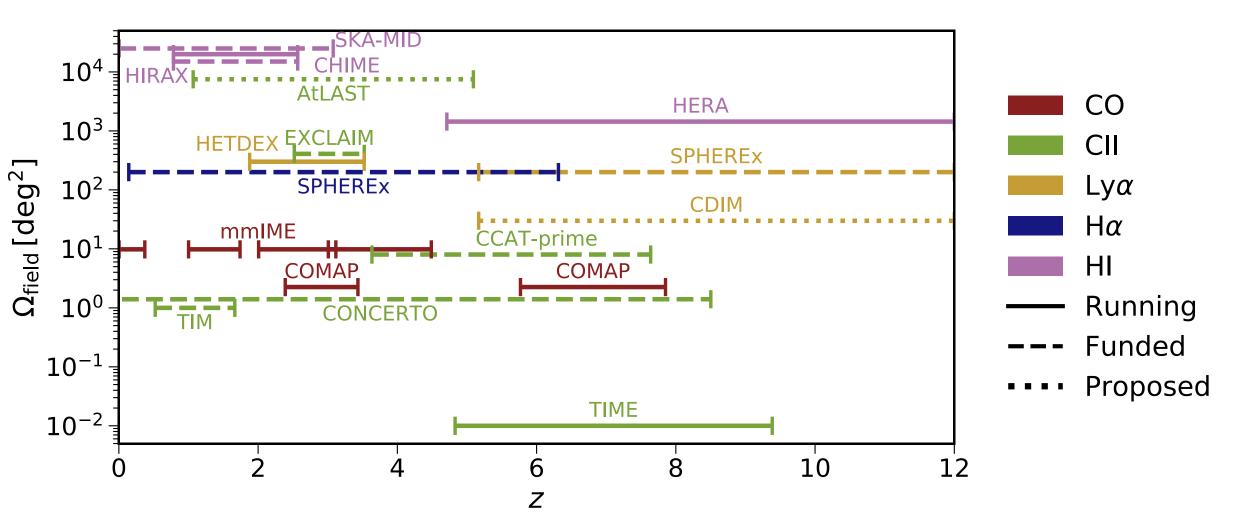
Probing the Universe



- Different stages of evolution across time
- But we have only exploited a small part
- LIM: fills the gap!

Probing the Universe with LIM

Exciting experimental landscape!



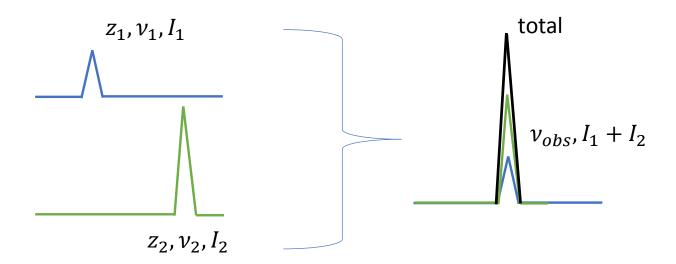
Observables

- Clustering anisotropy parametrized by monopole, dipole, quadrupole, hexadecapole in angle wrt LOS
 - Clustering along line of sight
 - Angular clustering

Voxel-intensity distribution (VID) (one-point PDF)

Contamination of intensity maps

- Continuous foregrounds: problem for HI surveys, less severe at higher frequencies
- Line interlopers: Main problem for higher freq. LIM surveys
 - $v_{obs} = v/(1+z) = v'/(1+z') \rightarrow$ other lines redshifted to same v_{obs}



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 - Two approaches:
 - Masking: targeted (external data) and blind (contaminated voxels are expected to be brighter)
 - Model the effect of known interlopers in the likelihood and analyses

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Exotic radiative decays would be inadvertently detected as a line interloper!!

Exotic radiative decays

• Decaying dark matter: $\chi \rightarrow \gamma + \gamma$

$$\nu_{\gamma} = m_{\chi}c^2/2h_P \qquad \qquad \rho_L^{\chi}(\mathbf{x}, z) = \rho_{\chi}(\mathbf{x}, z)c^2 \Gamma_{\chi}f_{\chi}f_{\gamma\gamma}f_{esc} (1 + 2\mathcal{F}_{\gamma})$$

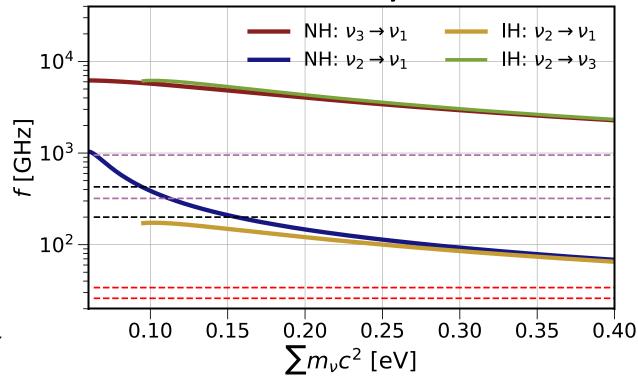
Traces directly the DM density field

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Exotic radiative decays



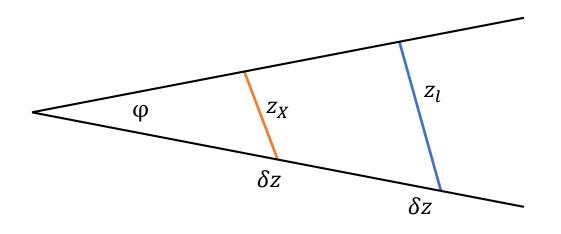
• Neutrino decay: $v_i \rightarrow v_j + \gamma$

$$f_{ij} = (m_i^2 - m_j^2)c^2/2h_P m_i$$
 $\rho_L^{ij}(\mathbf{x}, z) = \frac{1}{6}\rho_{\nu}(\mathbf{x}, z)c^2\Gamma_{ij}\left(1 - \frac{m_j^2}{m_i^2}\right)$

Traces directly the cosmic neutrino density field

Effect in power spectrum

• Confusion in redshift

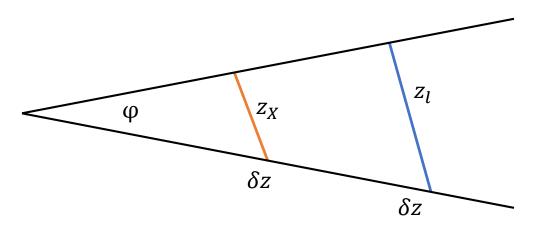


$$x_{\perp} = D_M(z)\theta$$

$$x_{\parallel} = \frac{c\delta z}{H(z)}$$

Effect in power spectrum

Confusion in redshift → projection effects → extra anisotropy



$$x_{\perp} = D_M(z)\theta$$

$$x_{\parallel} = \frac{c\delta z}{H(z)}$$

• Model it similar to Alcock-Paczynski effect: $k_i^{true} \equiv k_i^{infer}/q_i$

$$q_{\parallel} = \frac{(1+z_X)/H(z_X)}{(1+z_l)/H(z_l)}$$

$$q_{\perp} = \frac{D_M(z_X)}{D_M(z_l)}$$

Effect in power spectrum

$$\begin{array}{c} \bullet \ P_{tot} = P_l + P_X; \qquad k_i^{true} \equiv k_i^{infer}/q_i \\ \\ \stackrel{\frown}{\mathbb{Z}}_{0} = \frac{10^8}{10^6} \\ \stackrel{\frown}{\mathbb{Z}}_{0} = \frac{10^{-30}}{10^{-3}} \\ \stackrel{\frown}{\mathbb{Z}}_{0} = \frac{10^{-3}}{10^{-3}} \\ \stackrel{\frown}{\mathbb{Z}}_{0} =$$

Effect in VID

Each voxel receives contributions from both emissions:

$$T_{tot} = T_l + T_{noise}$$

$$\mathcal{P}_{tot+X}(T) = ((\mathcal{P}_l * \mathcal{P}_X) * \mathcal{P}_{noise})(T); \qquad \mathcal{P}_X = \mathcal{P}_{\widetilde{\rho}}/\langle T_X \rangle$$

- $\mathcal{P}_{\widetilde{\rho}}$: PDF of normalized densities. Obtained from simulations
- We provide the first analytic fit to $\mathcal{P}_{\widetilde{\rho}_{\mathcal{V}}}$, using Quijote simulations and symbolic regression

Effect in VID

Each voxel receives contributions from both emissions:

$$\mathcal{P}_{tot+\chi}(T) = \left(\left(\mathcal{P}_{l} * \mathcal{P}_{\chi} \right) * \mathcal{P}_{noise} \right) (T); \qquad \mathcal{P}_{\chi} = \mathcal{P}_{\widetilde{\rho}} / \langle T_{\chi} \rangle$$

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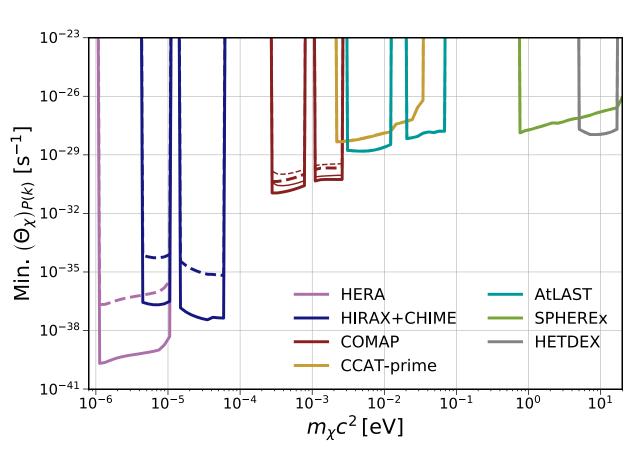
$$10^{2}$$

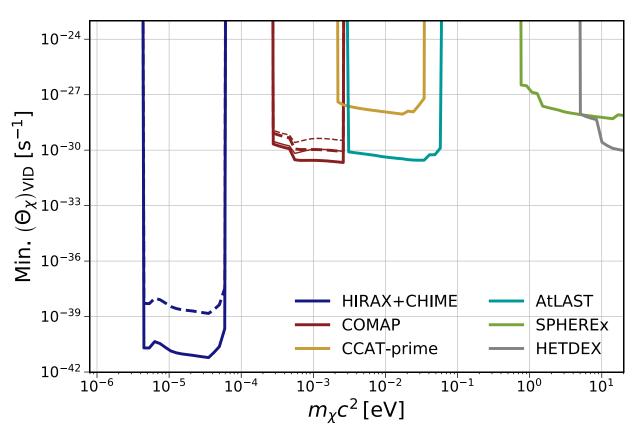
$$10^$$

No noise contribution included here!

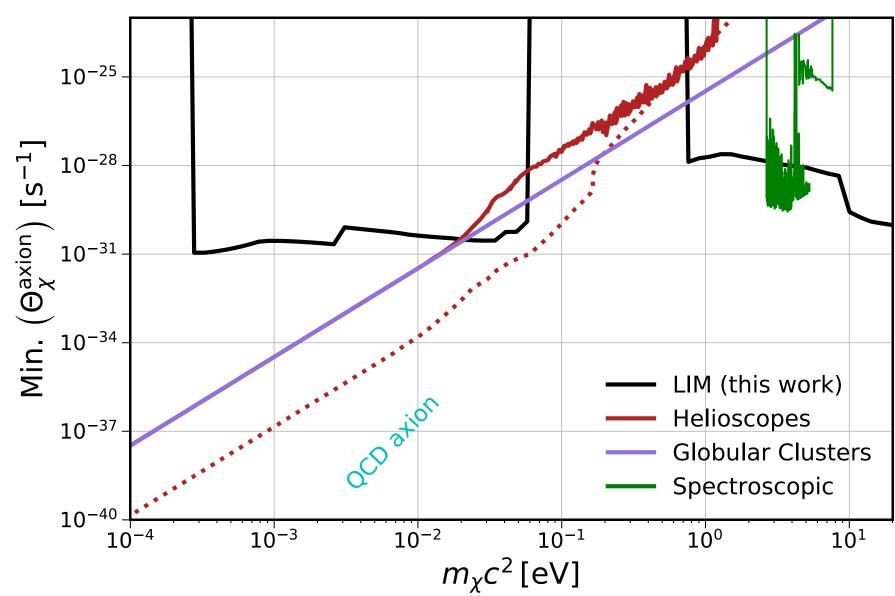
Sensitivity to DM decays

After marginalizing over astrophysical uncertainties of the target emission line

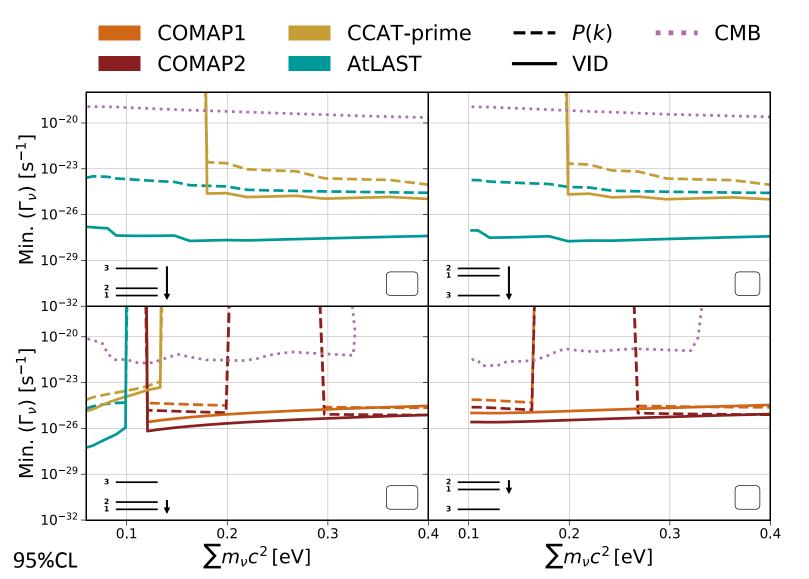




Sensitivity to axions



Sensitivities to neutrino decay



$$\Gamma_{ij} \sim 10^{-28} - 10^{-25} \text{s}^{-1}$$

$$\downarrow$$

$$\mu_{ij}^{eff} \sim 10^{-12} - 10^{-8} \left(\frac{m_i c^2}{0.1 \text{eV}}\right)^{1.5} \mu_B$$

- CMB forescast: $3 \times 10^{-11} 10^{-8} \mu_B$
- Borexino: $< 2.8 \times 10^{-11} \mu_{B}$
- TRGB: $< 4.5 \times 10^{-12} \mu_B$

Challenges & improvements

• Challenges:

- Astrophysical uncertainties: marginalized over them
- Other contaminants: modeled loss information
- Line broadening
- Reasons to be optimistic:
 - Extendable to other statistics
 - Combination with cross-correlations with galaxy clustering and weak lensing
 - Confusion between DM and neutrino decays: characteristic differences when combining summary statistics and probes
 - Targeted masking to increase relative exotic contributions

Conclusions

- LIM holds a great protential to probe exotic radiative decays
- Adapting techniques to identify and model interlopers is cheap and powerful
- General treatment, for phenomenological DM and neutrino decays that can be translated later to specific models
- Sensitivity extremely competitive:
 - DM: HETDEX & SPHEREx will improve current constraints (1-10 eV) and AtLAST will be similar to IAXO (0.01-0.1 eV)
 - Neutrinos: Improve CMB forecasts and competitive with best constraints