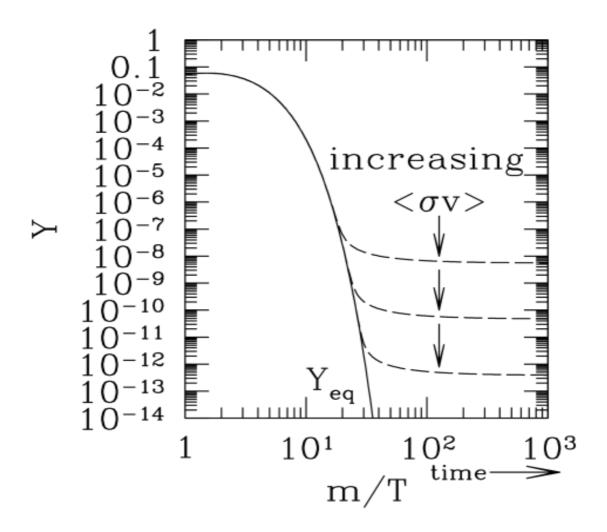
DARK MATTER WITH A BOUNCE



DARK MATTER: HOW DID IT GET HERE?

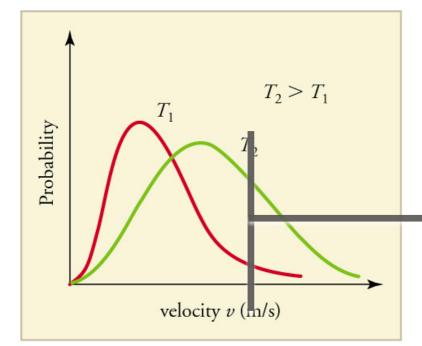


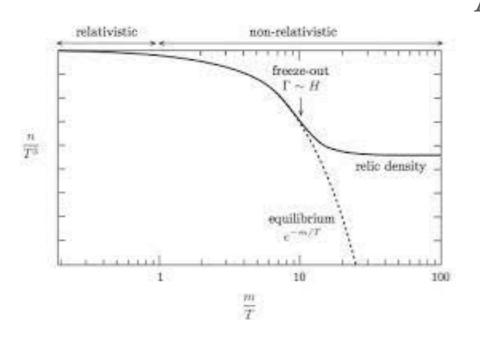
The most popular paradigm: Thermal Freezeout

If significant interactions establish equilibrium with the thermal bath, dark matter traces a thermal abundance, getting Boltzmann suppressed and freezing out when the interactions become slower than the Hubble rate

THERMAL FREEZEOUT: A CLOSER LOOK

If dark matter primarily annihilates into species X in the bath $\psi \psi \leftrightarrow XX$





$$\frac{dY}{dx} = \frac{-x \langle \sigma_{\psi\bar{\psi}\to X\bar{X}}|v|\rangle s}{H(m)} (Y^2 - Y_{\rm EQ}^2)$$

Particle X in the bath follows Boltzmann distribution

Only the part of X distribution with $E > m_{\psi}$ can participate in the production of dark matter

As T decreases, a smaller and smaller fraction of X distribution has enough energy to produce dark matter, hence the dark matter equilibrium abundance gets the familiar exponential (Boltzmann) suppression

$$Y_{EQ}(x) = \frac{45}{2\pi^4} \left(\frac{\pi}{8}\right)^{1/2} \frac{g}{g_{*S}} x^{3/2} e^{-x}$$

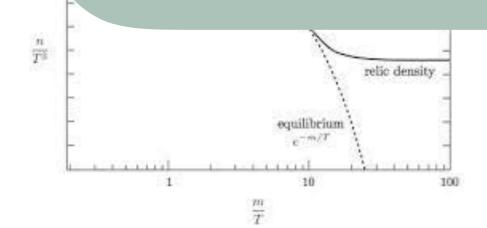
THERMAL FREEZEOUT: A CLOSER LOOK

If dark matter primarily annihilates into species X in the bath $\psi \psi \leftrightarrow XX$

Most variations of a thermal dark matter history share these features:

- Dark matter number changing processes faster than Hubble
- (Inverse) processes that populate dark matter need thermal support, and grow weaker as the temperature falls

Result: dark matter abundance follows an exponentially falling curve, freezes out at some point



(Boltzmann) suppression

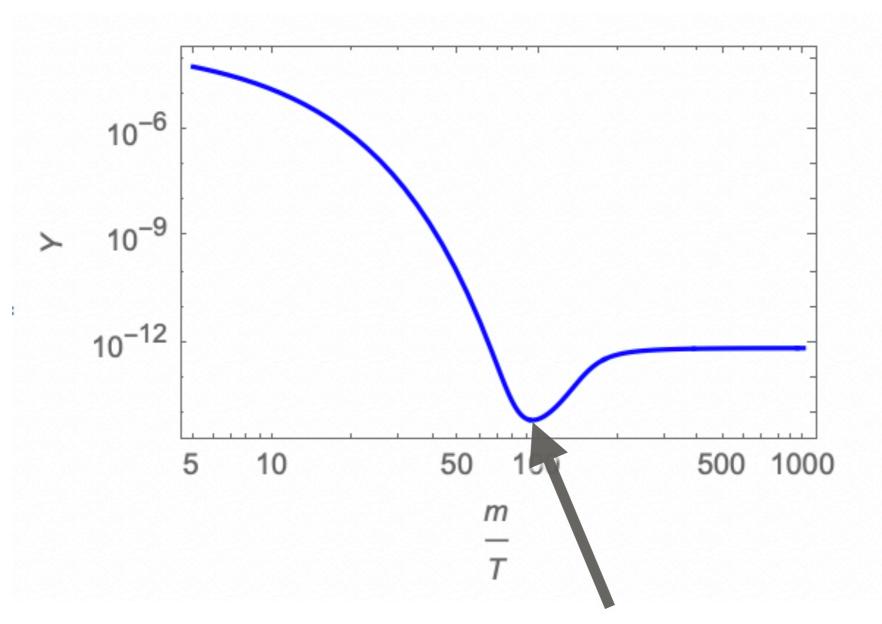
$$Y_{EQ}(x) = \frac{45}{2\pi^4} \left(\frac{\pi}{8}\right)^{1/2} \frac{g}{g_{*S}} x^{3/2} e^{-x}$$

tion

 l_{ψ}

X

THIS TALK:



Dark matter abundance undergoes the usual suppression, but bounces up at late times and freezes out with an enhanced relic abundance!

(Unspoken) assumptions in dark matter thermal freezeout frameworks:

- Dark matter carries an **effective Z_2 symmetry**
- Dark matter producing processes require thermal support

Entirely plausible, but not necessary!!!

Consider a hidden sector where the aforementioned statements do not hold:

```
A dark sector with three particles:

H (heavy; dark matter)

M (medium)

L (light)
```

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A dark sector with three particles:

H (heavy; dark matter)

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All four particle interactions allowed, e.g.

HH⇔LL, HH⇔MM, HM⇔ML, HM⇔LL, MM⇔HL ...

Consider a hidden sector where the aforementioned statements do not hold:

A dark sector with three particles:

H (heavy; dark matter)

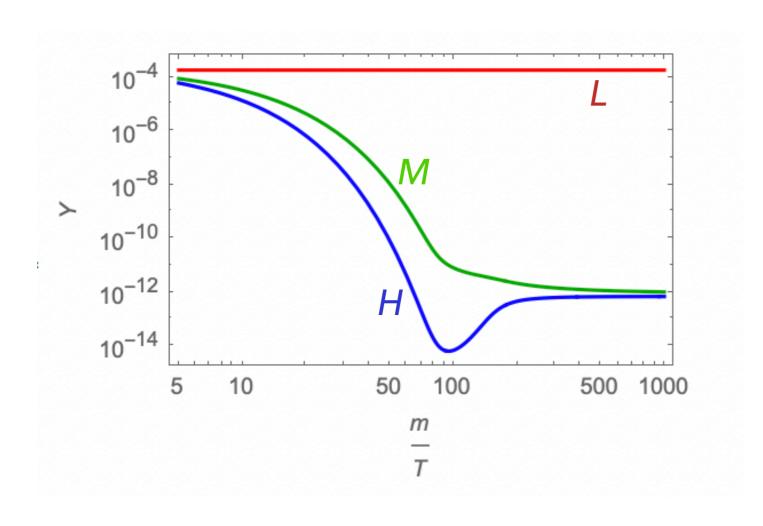
M (medium)

L (light)

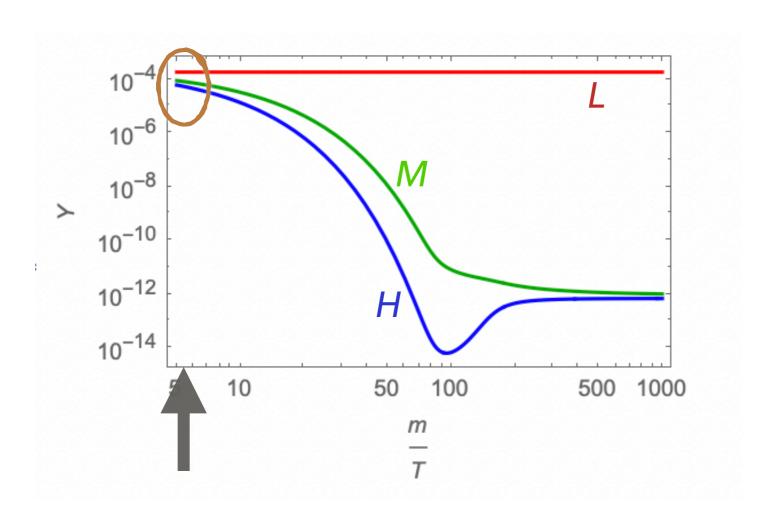
All four particle interactions allowed, e.g.

 $HH \Leftrightarrow LL$, $HH \Leftrightarrow MM$, $HM \Leftrightarrow ML$, $HM \Leftrightarrow LL$, $MM \Leftrightarrow HL$...

Key assumption: $2m_M > m_H + m_L$

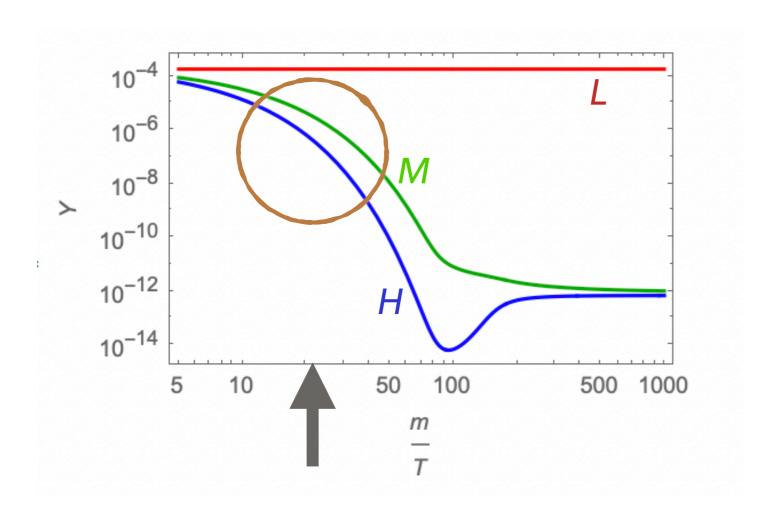


- 200 GeV
- 240 GeV
- 260 GeV



- 200 GeV
- 240 GeV
- 260 GeV

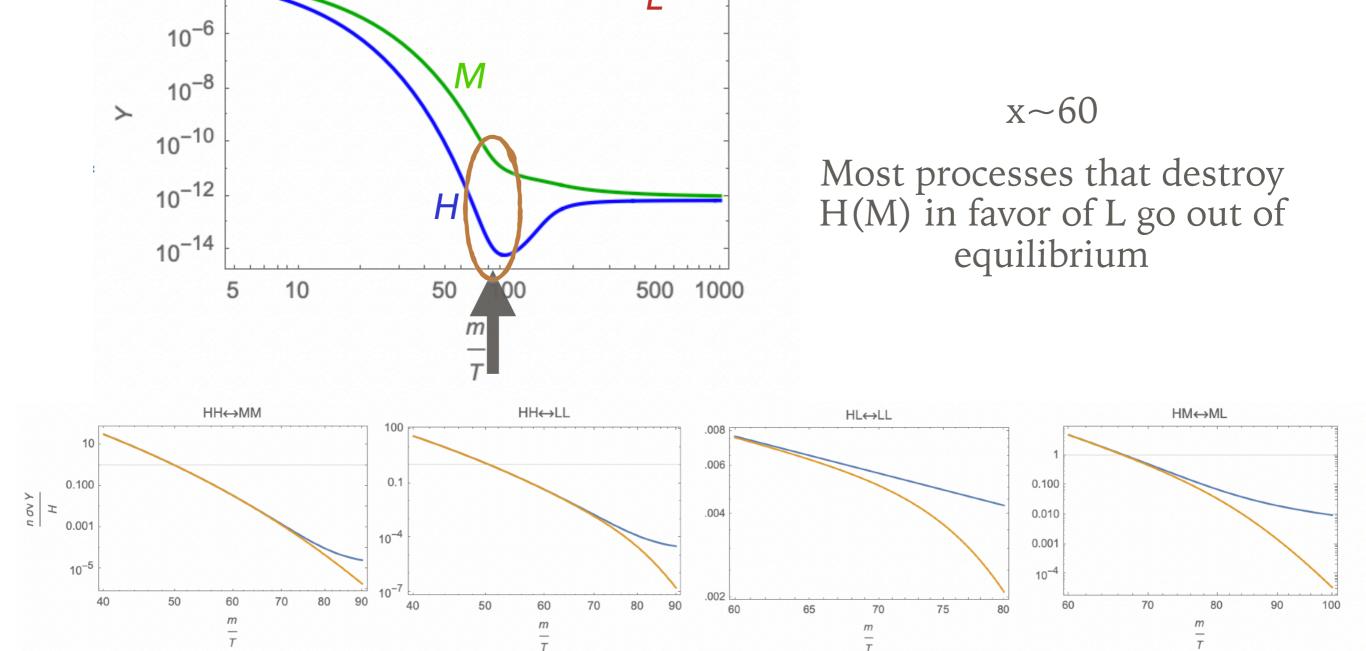
- Hidden sector out of (chemical) equilibrium from the SM thermal bath
- Comoving number density in the hidden sector (H+M+L) conserved
- Interactions between hidden sector species rapid



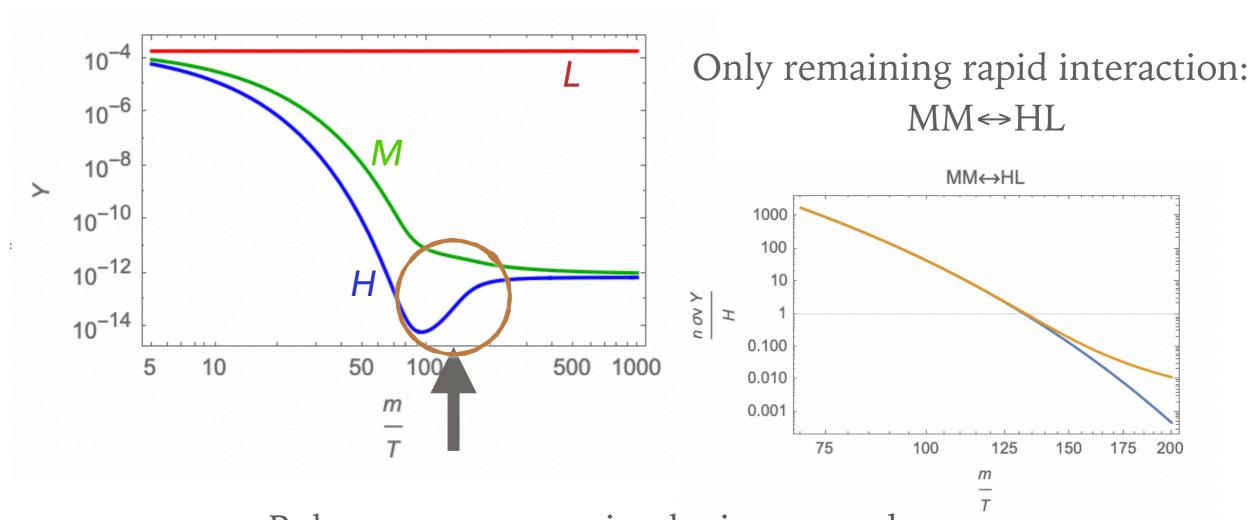
- 200 GeV
- 240 GeV
- 260 GeV

Rapid hidden sector interactions interconverting H↔M↔L
to familiar Boltzmann suppression of heavier particles
relative to the lighter ones

10

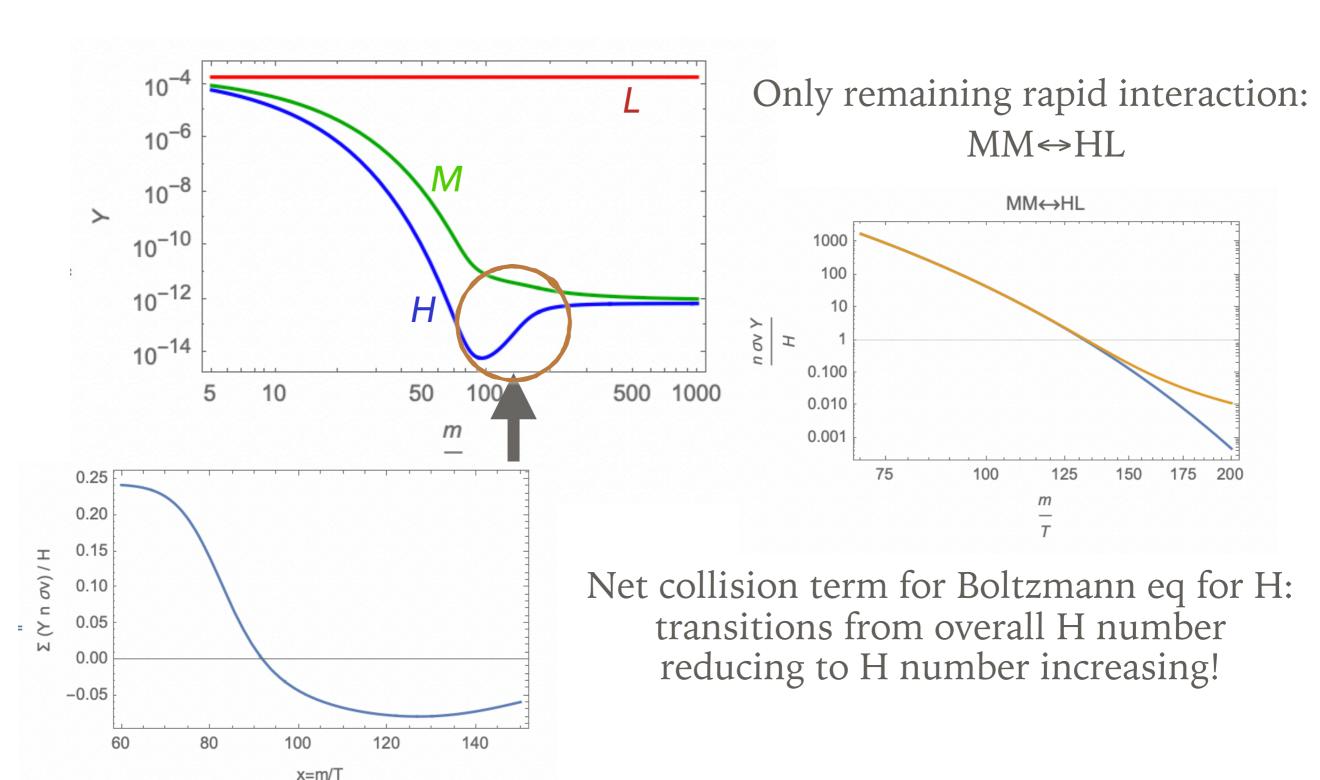


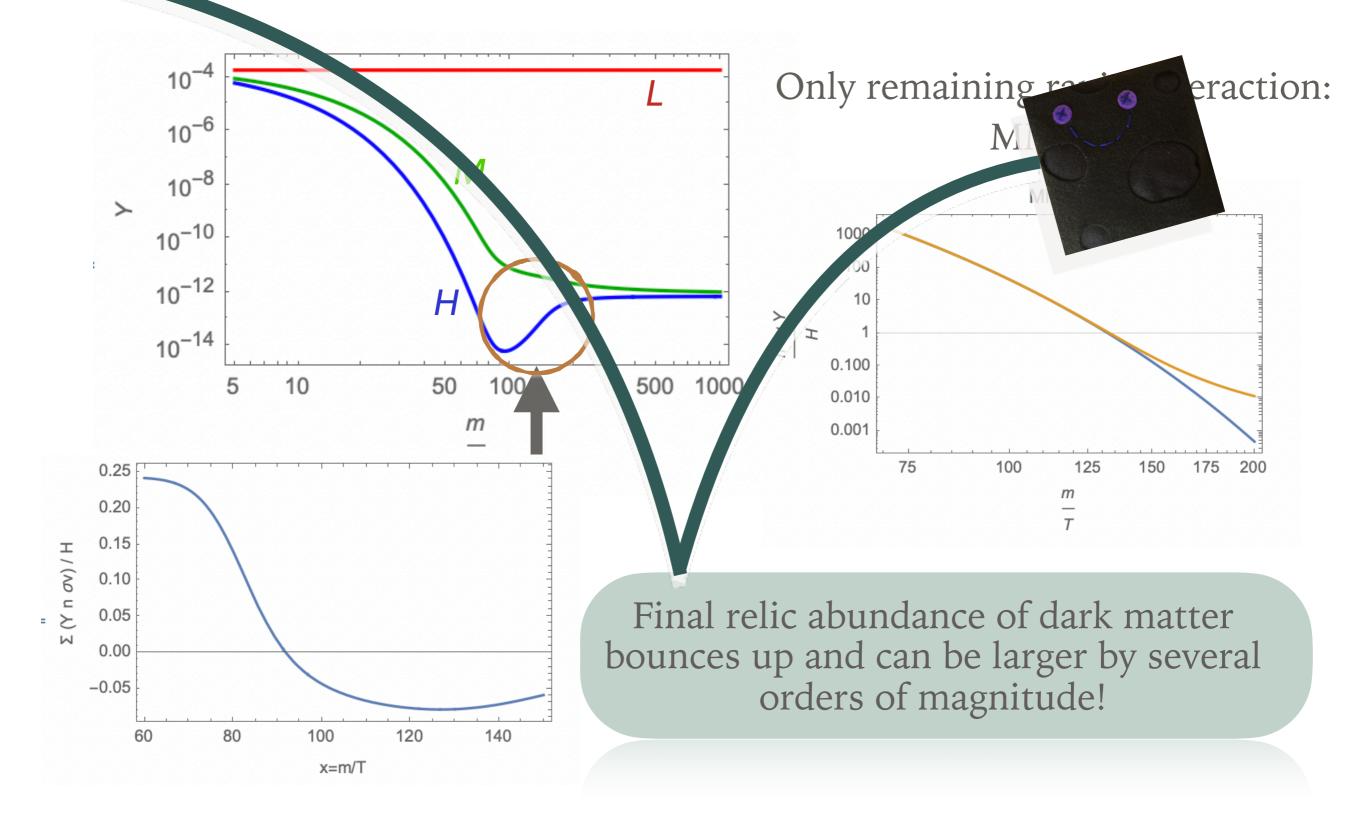
orange(blue): forward (reverse) process



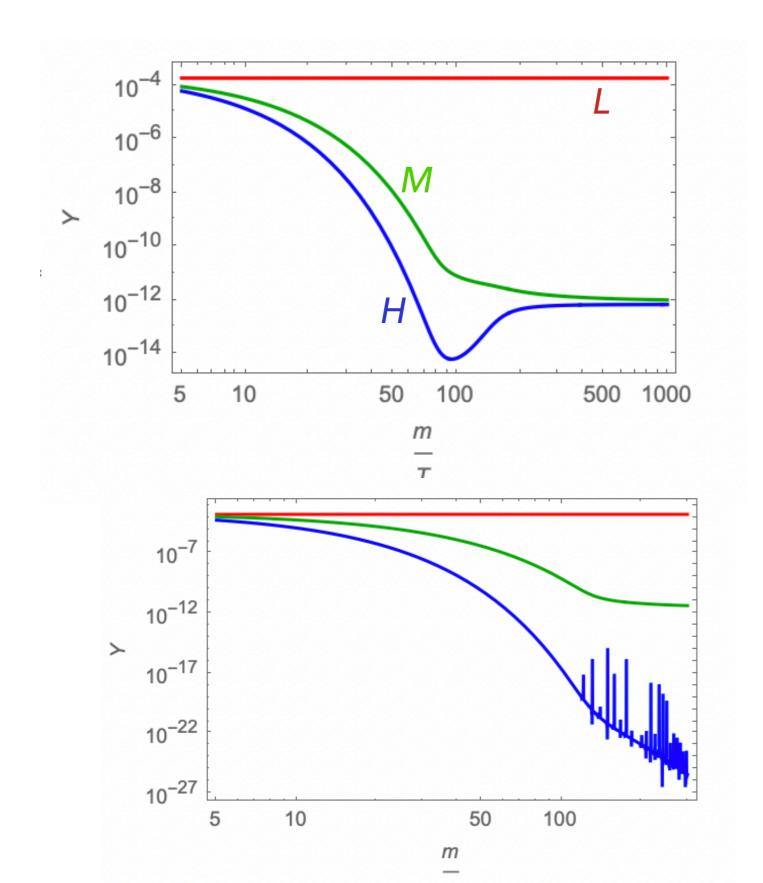
Boltzmann suppression logic reversed:

MM ->HL can proceed at zero temperature; the reverse needs thermal support, so the former is more "favored"!





A COMPARISON

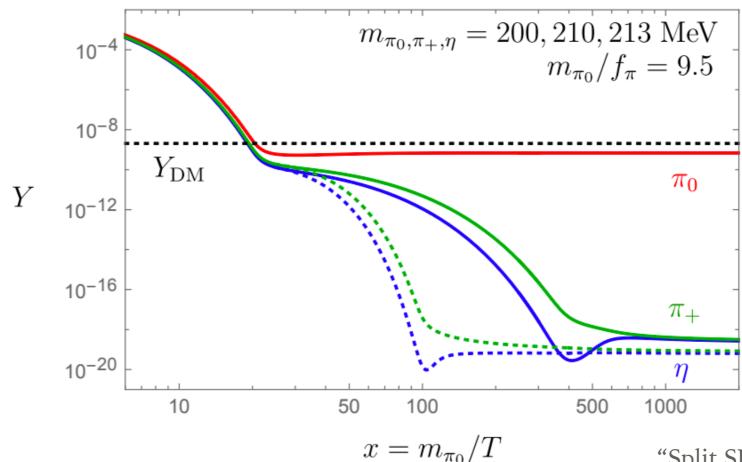


- 200 GeV
- 240 GeV
- 260 GeV

- 200 GeV
- 225 GeV
- 260 GeV

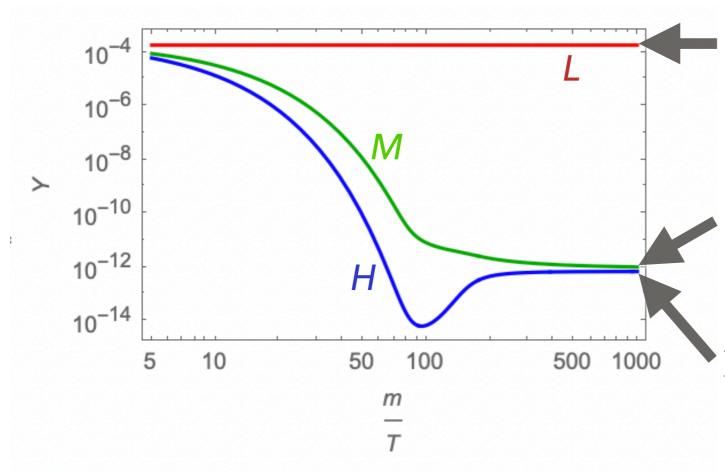
CONTEXT

- Needs: a dark sector with multiple particles, with a process that involves heavier particles annihilating into final states that contains the particle of interest
- Can occur in realistic setups: e.g. a dark ("twin") QCD sector with multiple dark mesons



"Split SIMPs with Decays" Andrey Katz, Ennio Salvioni, Bibhushan Shakya arXiv: 2006.15148 [hep-ph]

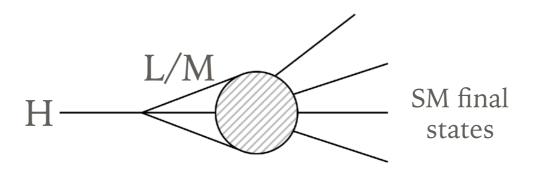
PARTICLE DECAYS



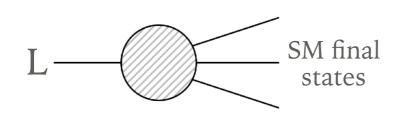
Too much L; needs to decay, otherwise will overclose

M might be OK; could be effectively stable and a component of dark matter

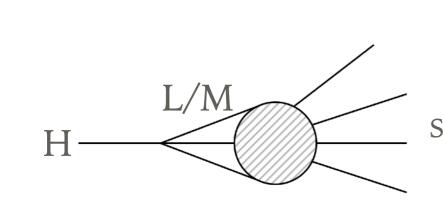
H will also be unstable and can decay if L (and M) can decay



PARTICLE DECAYS



If L (M) decay with effective coupling ~g, ensuring that L decays away before BBN requires roughly g>10-13



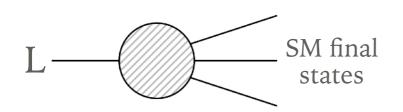
H decays with an effective coupling g², plus additional phase space suppression factors

lifetime: $\sim 10^{27}$ s

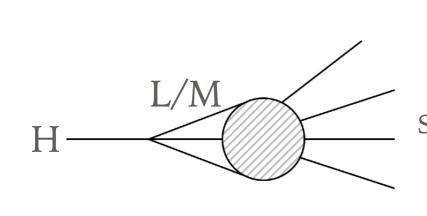
SM final

states Long enough to be dark matter, short enough to see indirect detection signals!

PARTICLE DECAYS



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H decays with an effective coupling g², plus additional phase space suppression factors

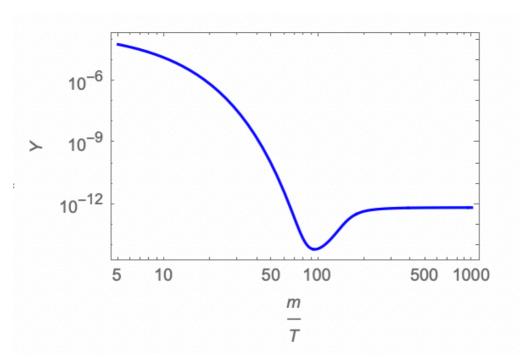
lifetime: $\sim 10^{27}$ s

SM final

states Long enough to be dark matter, short enough to see indirect detection signals!

Indirect detection signals from dark matter annihilation: HH->MM,LL Rates larger than "naively" expected from standard hidden sector freezeout

SUMMARY



- In some scenarios, it is possible for the dark matter freezeout abundance to undergo a "bounce" in the late stages of thermal freezeout, increasing by several orders of magnitude compared to standard freezeout
- Requires multiple species interacting with dark matter, and the presence of an annihilation channel into dark matter that does not require thermal support to control the final stage of freezeout
- Present day dark matter annihilation cross section larger than naively expected from standard freezeout processes
- Dark matter is necessarily unstable, with decay lifetime of interest for signals