

# Dark Energy Radiation

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Based on 2012.10549

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April 1<sup>st</sup>, 2021

Aspen Winter Conference: A Rainbow of Dark Sectors

# Dark Radiation searches are complementary to DM

Dark Photons

Axions

Neutrinos

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→ Means  $\Omega_{dr} < \sim 10^{-5}$

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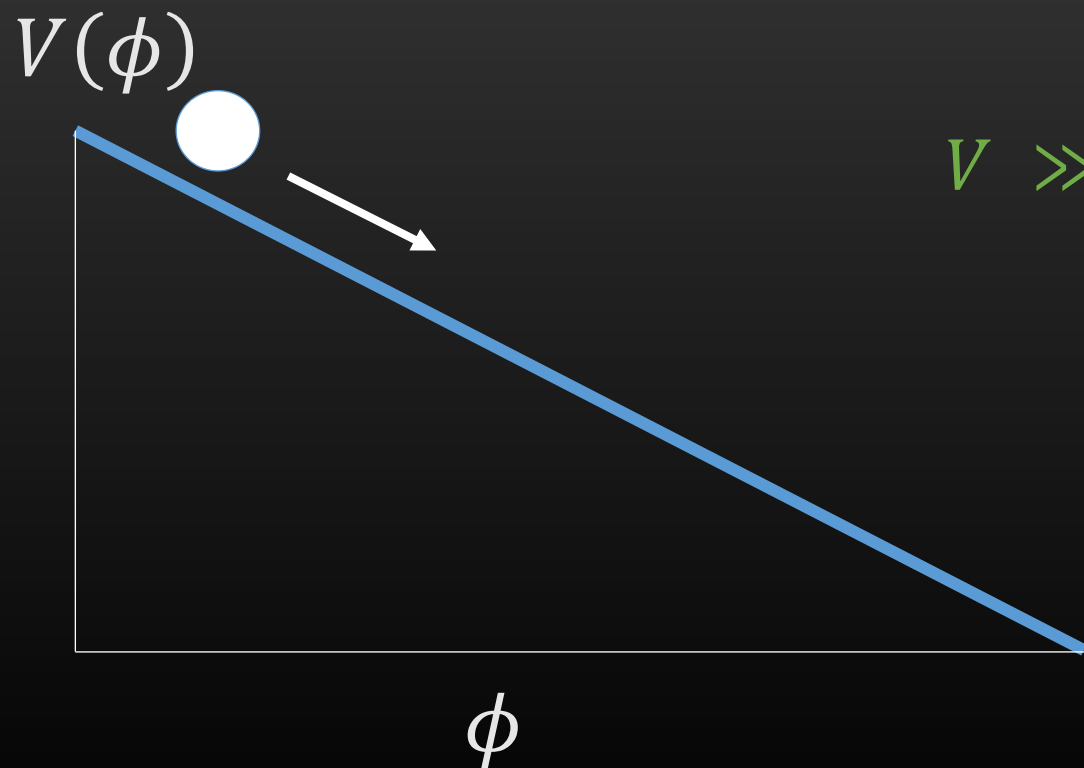
CMB puts tight constraints on extra radiation in the universe  $\Delta N_{eff} \sim 0.2$

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Can we produce radiation in the late universe? Yes, by converting dark energy to **radiation!**

# Scalar Field Dark Energy

Equation of state of a scalar field:  $w(z) = \frac{-V + \frac{1}{2}\dot{\phi}^2}{V + \frac{1}{2}\dot{\phi}^2} \approx -1 + \Delta w(z)$



$$V \gg \frac{1}{2}\dot{\phi}^2$$

$$\ddot{\phi} + 3H\dot{\phi} + V' = 0$$



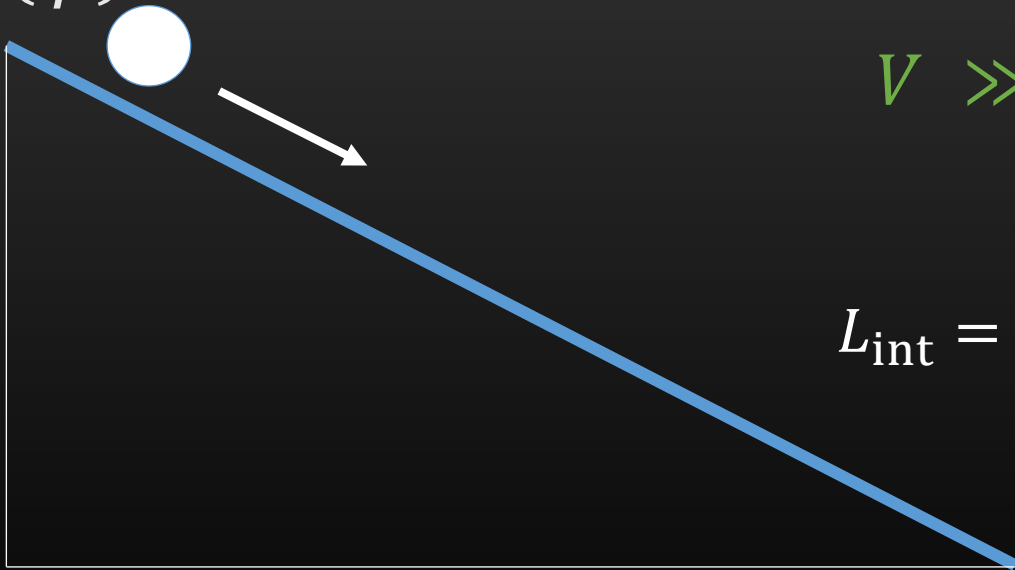
Hubble friction

# Dark Energy Radiation

$$\frac{\partial L}{\partial \phi} - \frac{d}{dt} \frac{\partial L}{\partial \dot{\phi}} = 0$$

Equation of state of a scalar field:  $w(z) \approx -1 + \Delta w(z)$

$V(\phi)$



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$$L_{\text{int}} = -\phi J_{\text{int}}$$

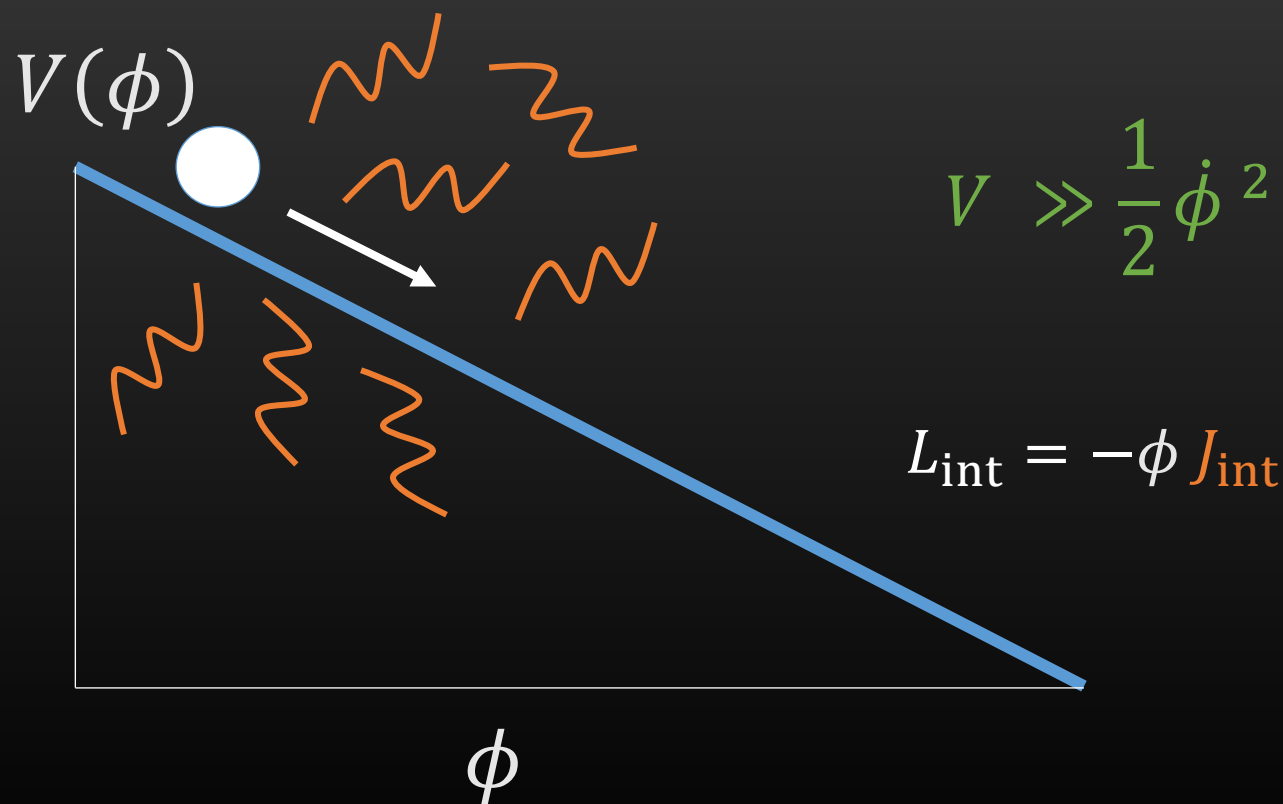
$\phi$



# Dark Energy Radiation

$$\frac{\partial L}{\partial \phi} - \frac{d}{dt} \frac{\partial L}{\partial \dot{\phi}} = 0$$

Condition for accelerated expansion:  $w(z) = -1 + \Delta w(z)$



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$$L_{\text{int}} = -\phi J_{\text{int}}$$

Under what conditions can we source radiation?

# Dark Energy Radiation

## Thermal Regime

- Radiation self-interacts rapidly

## Quantum Regime

- Radiation free streams

# Dark Energy Radiation

## Thermal Regime

- Radiation self-interacts rapidly
- Particle content encoded in friction coefficient  $\Upsilon$  and  $\rho_R$

$$\ddot{\phi} + (3H + \Upsilon)\dot{\phi} + V' = 0$$

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## Quantum Regime

- Radiation free streams
- Dynamics sensitive to particle content in  $J_{\text{int}}$

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- Example: dissipative axion

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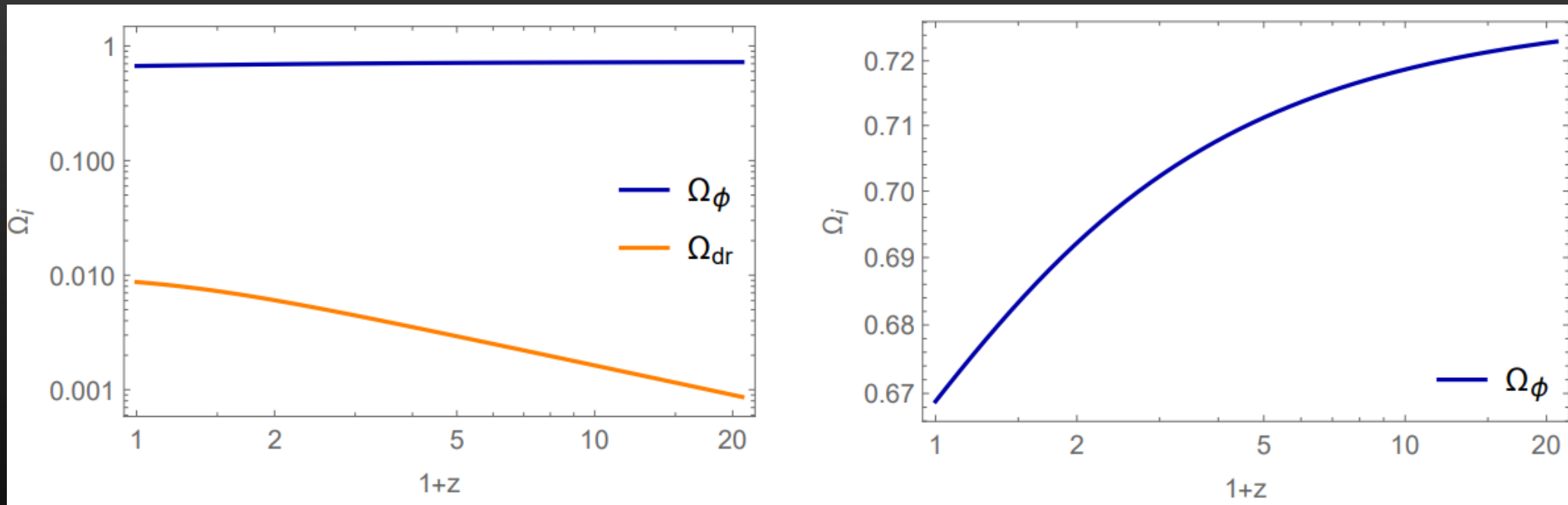
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# Dark Radiation important only at late times



# Thermal Friction

$$\frac{\partial L}{\partial \phi} - \frac{d}{dt} \frac{\partial L}{\partial \dot{\phi}} = 0$$

- Couple scalar field to light degrees of freedom  $L_{\text{int}} = -\phi J_{\text{int}}$

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Leading order term

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Leading order term

Correction to leading order term

# Dissipative Axion

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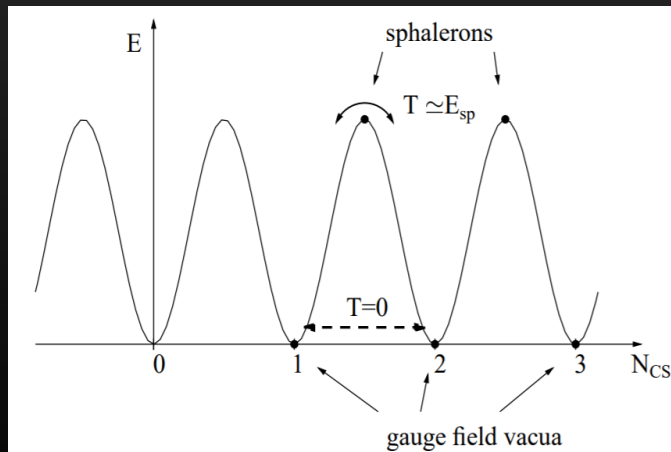
$$\langle J_{\text{int}} \rangle_{\text{non-eq}}(\phi) \approx \cancel{m_{\text{th}}^2} \phi + \Upsilon \dot{\phi} + O(\ddot{\phi})$$

Not allowed by symmetry

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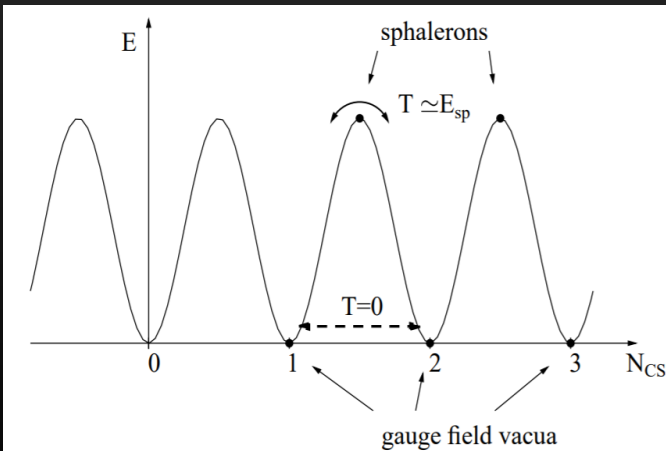
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Integration by parts

- Couple scalar field to pure Yang – Mills gauge group  $L_{\text{int}} = -\phi \frac{\alpha}{16\pi f} \tilde{G}G = \dot{\phi} K^0$   
 $\sim \Delta N_{CS}$

$$\ddot{\phi} + 3H\dot{\phi} + V' = - \left\langle \frac{dK^0}{dt} \right\rangle_{\text{non-eq}} (\dot{\phi})$$



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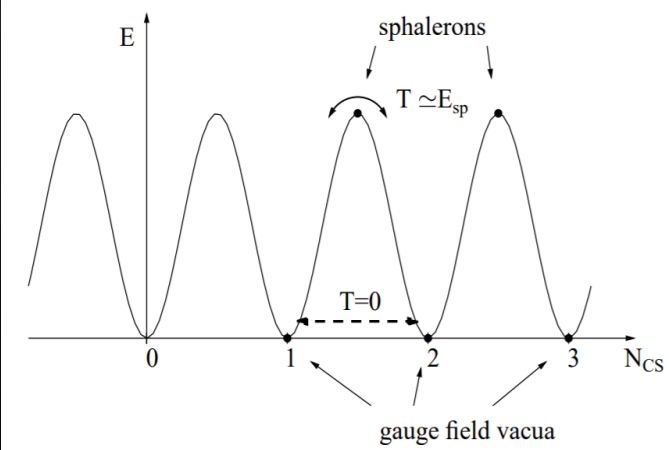
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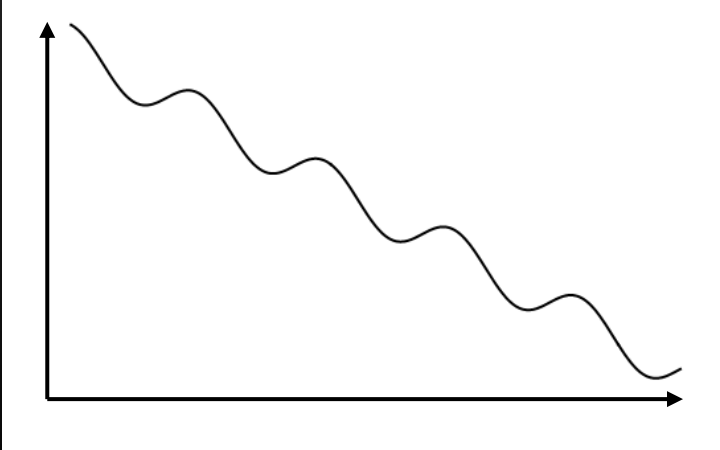
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Nonzero  $\langle \dot{\phi} \rangle$  gives linear potential to  $K^0$



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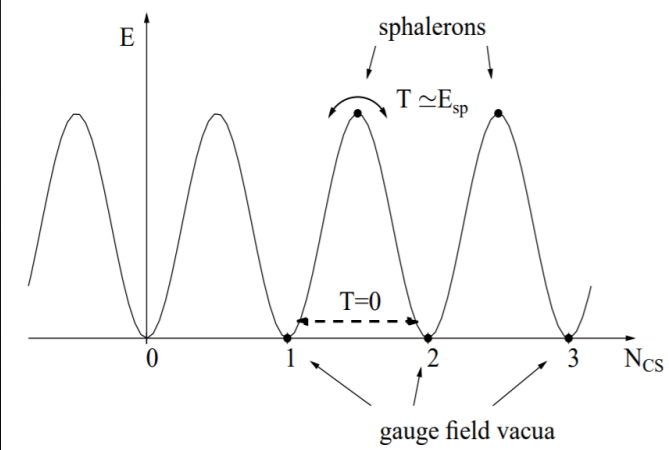
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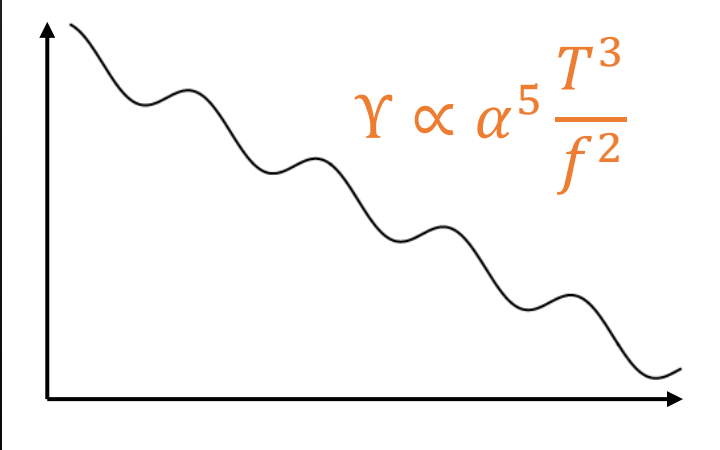
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Nonzero  $\langle \dot{\phi} \rangle$  gives linear potential to  $K^0$



# Dark Energy Radiation

Recap:

- (axion-like) rolling scalar fields source radiation efficiency via non-perturbative effects

$$\ddot{\phi} + (3H + \Upsilon)\dot{\phi} + V' = 0$$

$$\dot{\rho}_R + 4H\rho_R = \Upsilon\dot{\phi}^2$$

- Radiation  $\rho_R$  can consist of gauge bosons and finite mass fermions  $\varphi$
- Radiation has temperature of  $T \sim < \text{meV}$  ( $\rho_\Lambda \approx 40 \text{ meV}^4$ )

How can we probe this radiation directly?

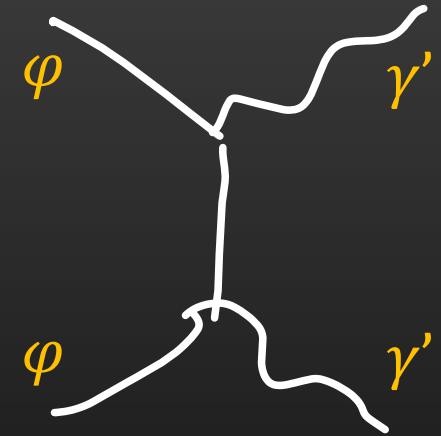


# Direct Probes

## Producing Dark Photons

- Charge fermions  $\varphi$  under dark  $U(1)$  with structure constant  $\alpha'$

→ dark photons thermalize if  $\alpha'^2 > \frac{T}{M_{pl}}$



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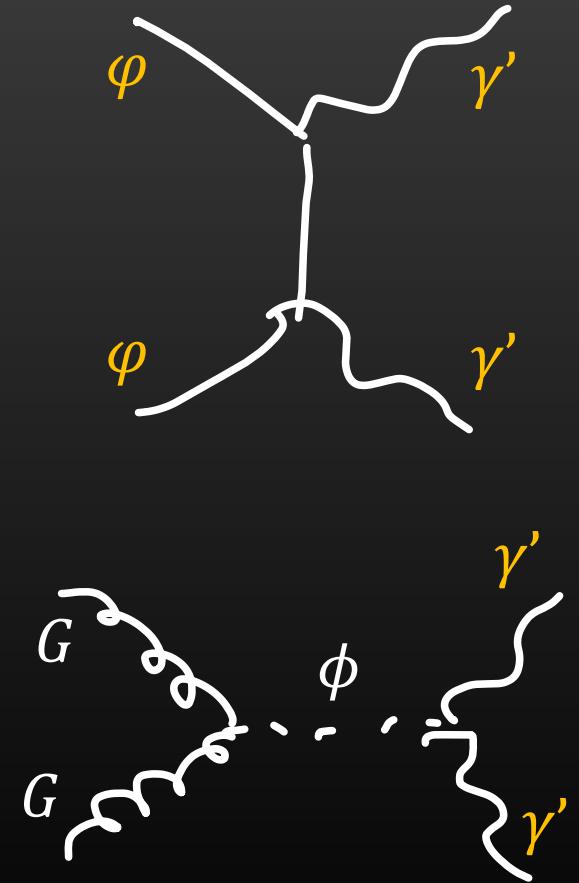
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- Couple axion directly to dark photons

$$L \propto \frac{\phi}{f'} \tilde{F}' F'$$

Thermalizes dark photons for  $f' < 10 \text{ keV}$



# Direct Probes

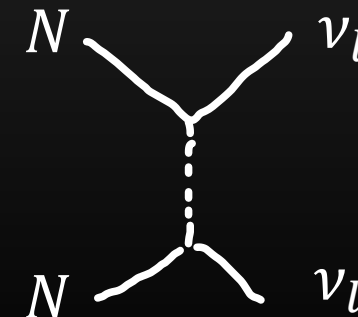
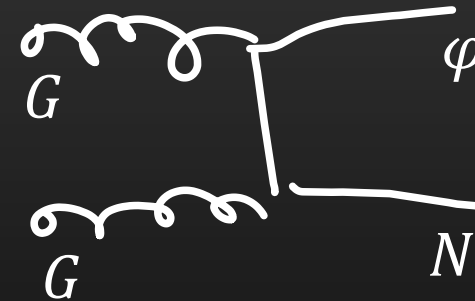
## Producing (light) SM neutrinos

- Thermalize a right-handed neutrino  $N$

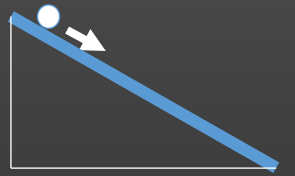
$$L \propto \frac{\phi}{f_N} G_{\mu\nu}^a \varphi^a \sigma^{\mu\nu} N$$

$$L \propto y h \nu_l N$$

Thermalizes when  $f_N \ll \text{TeV}$



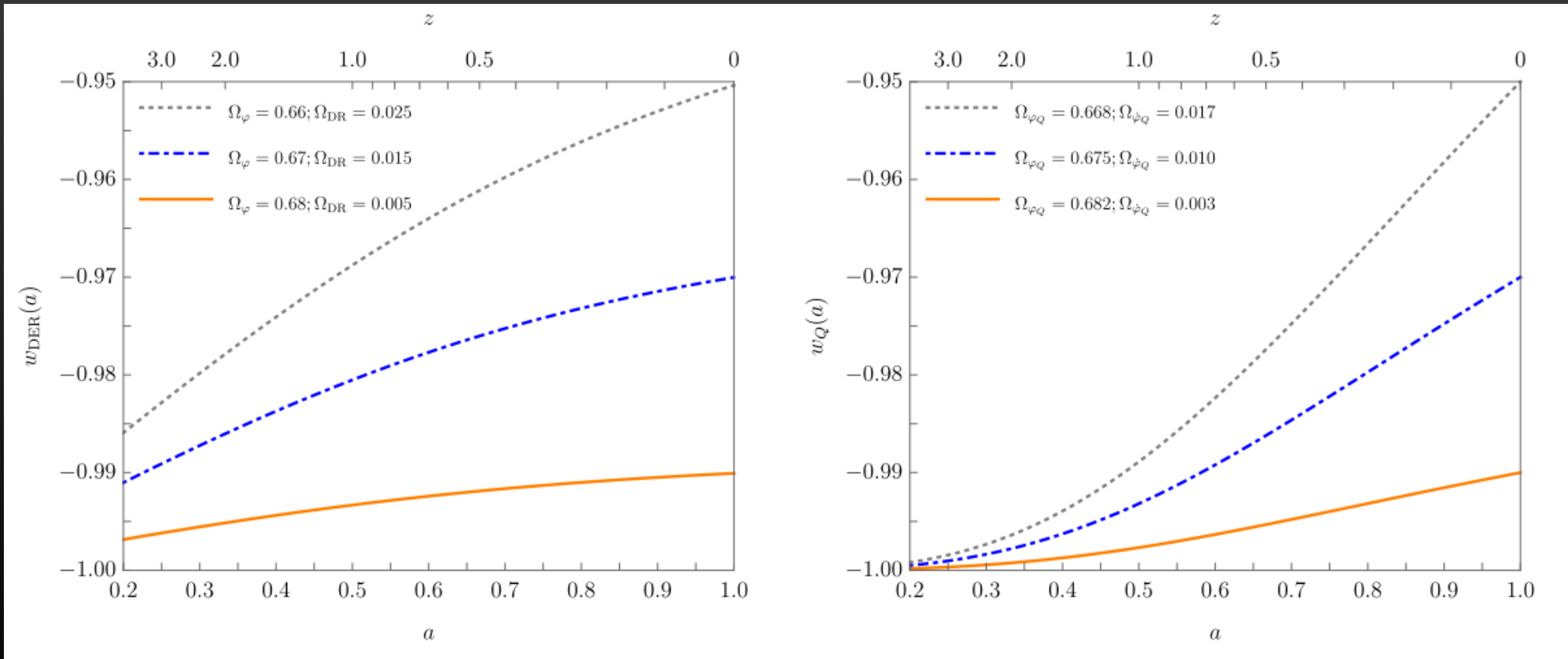
# Gravitational Probes



$$V(\phi) = -C \phi$$

Dark Energy Radiation

Quintessence



<https://arxiv.org/pdf/2012.10549.pdf>

# Outlook

- Existing experimental programs may already have sensitivity for dark radiation with dark energy characteristics (dark photon searches, recast bounds for milli-charged dark matter)
- Relic neutrino background detection (e.g. Ptolemy) has increased sensitivity to light neutrinos if their number and energy density is enhanced (still big challenge to detect!)
- Constraints from cosmological data sets can set upper limit  $T$

**Thank you!**