

# Addressing the cosmic-ray muon excess by probing a "fireball" state at the Forward Physics Facility

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# Recap: Muon Deficit

## Mass composition of UHECRs

Extensive air shower (EAS) observables

$X_{\max}$  and  $R_{\mu}$   
 (bottom row) (top row)

Obs. distributions quantified through:

- averages  $\langle O \rangle$  (left column)
- fluctuations  $\sigma(O)$  (right column)

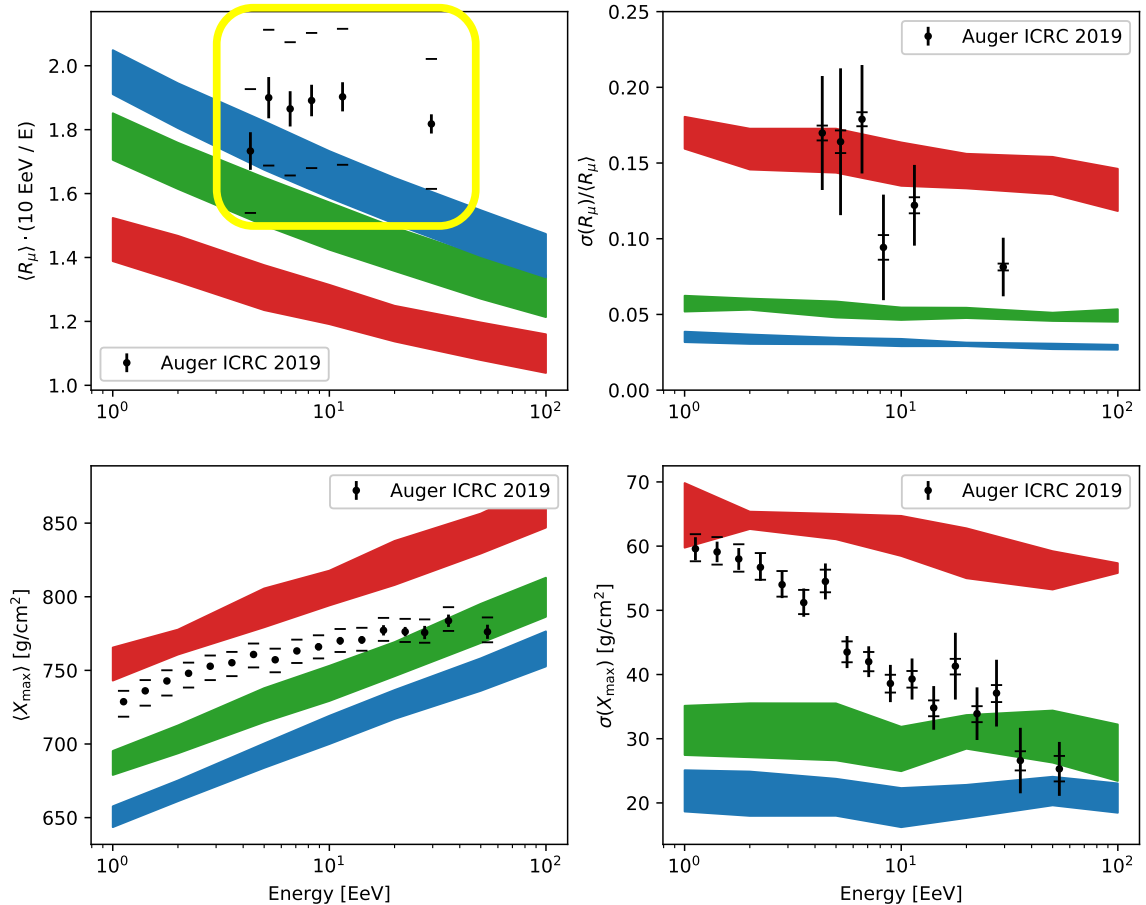
Bands show model predictions

(proton, nitrogen, iron)

(width from differences QGSJetII-04, EPOS-LHC, SIBYLL-2.3c)

Composition interpretation of  $\langle R_{\mu} \rangle$ -data  
 much heavier than of other observables.  
 Likely a deficit of muons in simulations

Somehow increase  $\langle R_{\mu} \rangle$ -prediction  
 w/o significantly affecting others



# Hadronic interaction parameters

Ulrich et al. (2011), [arXiv:1010.4310](https://arxiv.org/abs/1010.4310)

CONEX SIBYLL-2.1 p @  $10^{19.5}$  eV

Ad-hoc model adjusting hadronic interaction parameters  
by factor  $f(E)$ :

$$f(E) = 1 + (f_{19} - 1) \cdot \begin{cases} 0 & E < 1 \text{ PeV} \\ \frac{\log_{10}\left(\frac{E}{1 \text{ PeV}}\right)}{\log_{10}\left(\frac{10 \text{ EeV}}{1 \text{ PeV}}\right)} & E \geq 1 \text{ PeV} \end{cases}$$

$E$  = energy of projectile in target rest-frame

$\pi^0$ -fraction and multiplicity significantly affect average muon number

Changes in multiplicity constrained by  $X_{\max}$ :  
introduces tension between  $\langle X_{\max} \rangle$  and  $\sigma(X_{\max})$

$\pi^0$ -fraction is key to resolving muon deficit

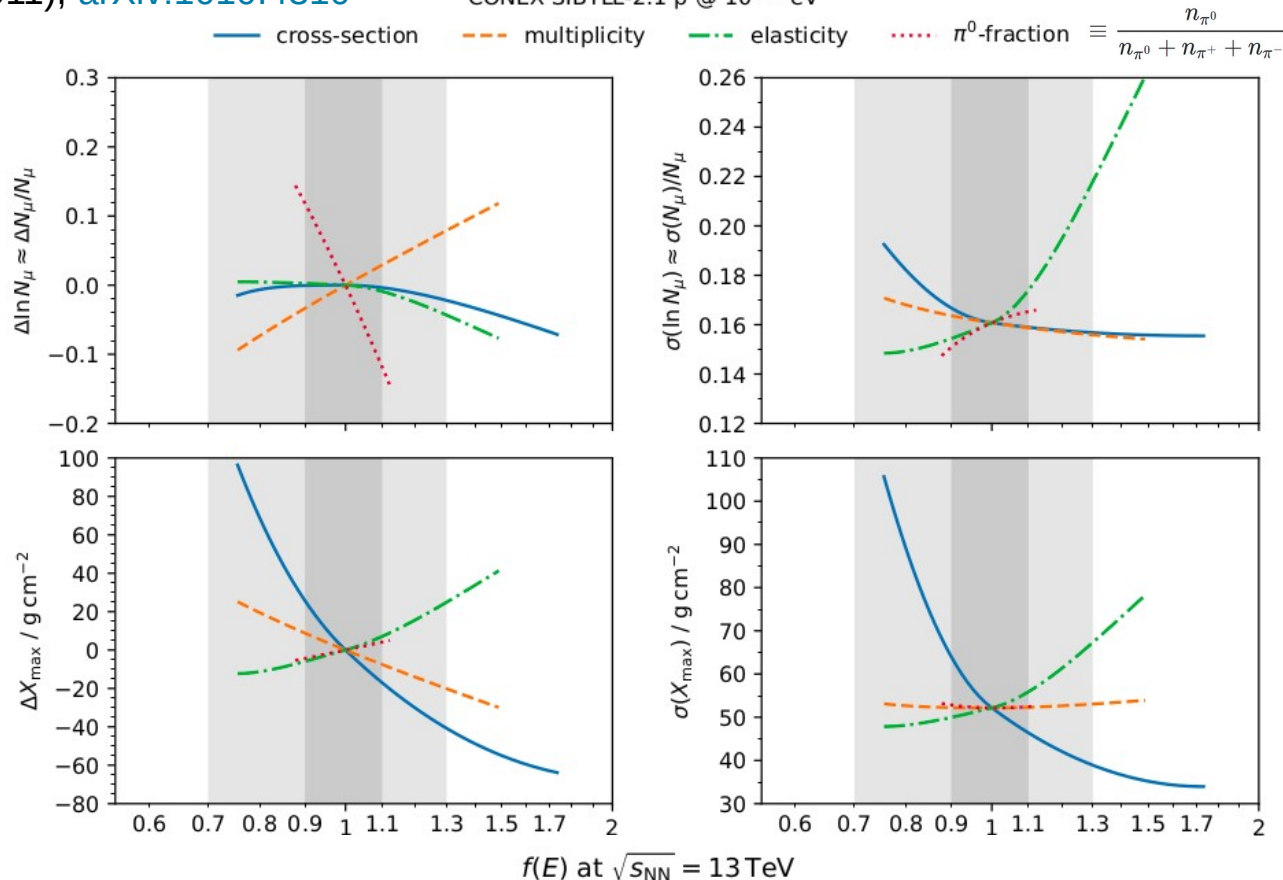


Figure from Albrecht et al. 2021, [arXiv:2105.06148](https://arxiv.org/abs/2105.06148)

# Heitler-Matthews Model

Effect on muon number can be understood within Heitler-Matthews model

Muon number is trade off between:

- increasing shower size at each generation  $n_{\text{mult}}$  (multiplicity)
- energy lost to electromagnetic component  $1-r$  ( $\sim \pi^0$ -fraction)

$r \equiv E_{\text{had}} / E_{\text{proj}}$  : **hadronic energy fraction**; (target rest frame)  
fraction of energy kept in hadronic component after interaction

→ production of  $rn_{\text{mult}}$  hadrons per interaction

Matthews (2005),  
DOI

$$N_{\mu} = (rn_{\text{mult}})^{k_c} = \left(\frac{E_0}{E_c}\right)^{\beta}$$

where:  $\beta \equiv \log(rn_{\text{mult}}) / \log(n_{\text{mult}}) \sim 0.9$

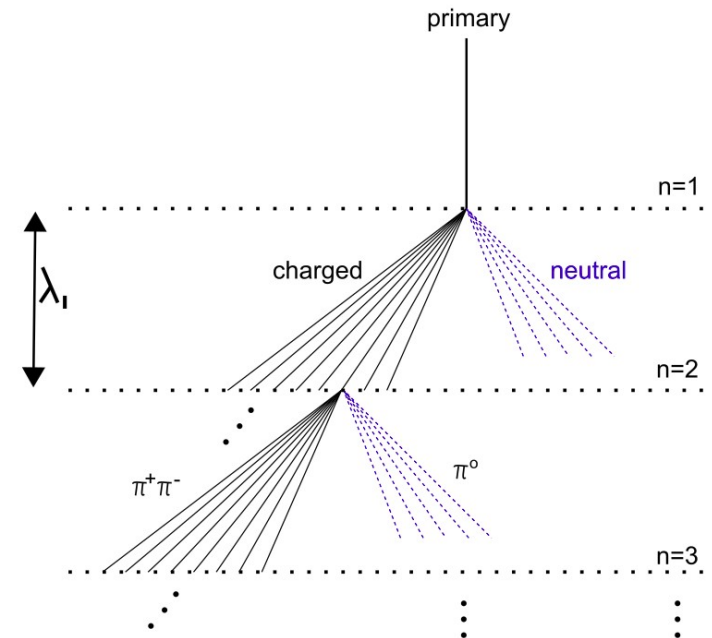


Figure from Ulrich et al. (2011)  
[arXiv:1010.4310](https://arxiv.org/abs/1010.4310)

# Fireball Model

Anchordoqui et al. (2017), [arXiv:1612.07328](https://arxiv.org/abs/1612.07328)

Production of deconfined quark matter state (= fireball)  
that enhances strange particle production

→ indirect suppression of  $\pi^0$  production      → more energy available for muons

*Currently lacks detailed model*

Soriano et al. (2018), [arXiv:1811.07728](https://arxiv.org/abs/1811.07728) :

Mimic fireball by producing expected secondaries: **swap pions and kaons**

→  $\pi^0$ -fraction is given by the smaller  $K^0$ -fraction

Strangeness enhancements at mid-rapidities observed at LHC

ALICE (2017),  
[arXiv:1606.07424](https://arxiv.org/abs/1606.07424)

Hints for similar effects in forward regions

# Extension to Heitler-Matthews Model

Fireball in Heitler model: some interactions have increased r-value

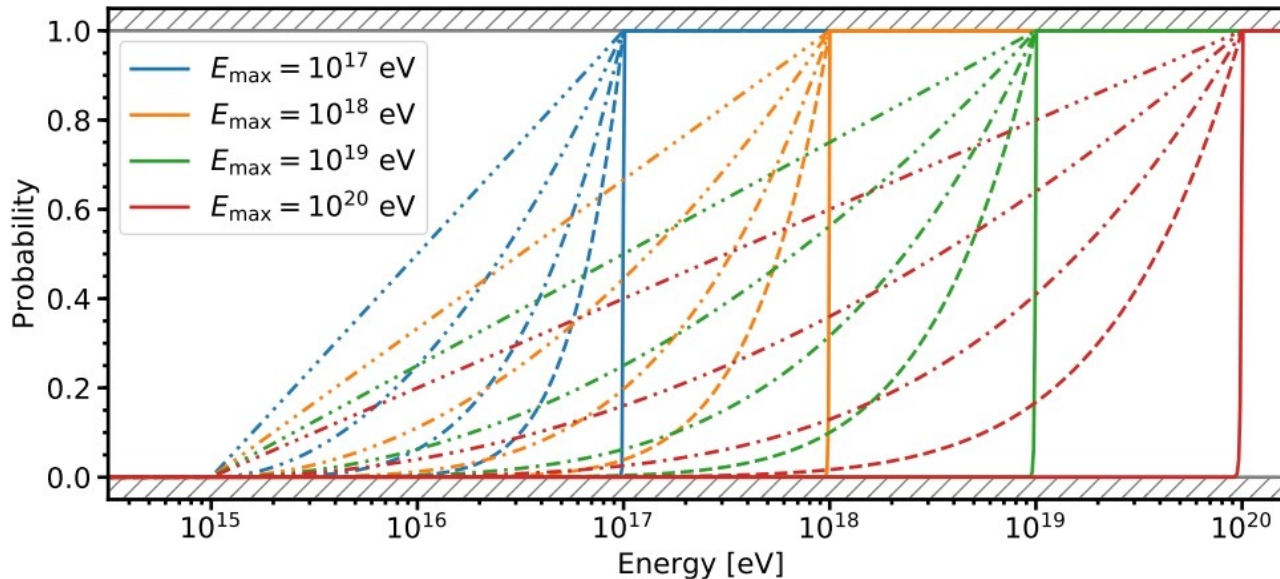
→ An effective r-value for collisions with (projectile) energy  $E$ :

$$r_{\text{eff}}(E) \equiv [1 - p(E)] r_{\text{SM}} + p(E) r_{\text{fb}}$$

$$r_{\text{SM}} \sim 0.75-0.8, \quad r_{\text{fb}} \sim 0.9-0.95 \quad (\text{from } \pi \leftrightarrow K)$$

with  $p(E)$  the probability of producing a fireball at energy  $E$  (due to energy density, impact parameter, ...)

$p(E)$  not known a priori  
 ↓  
 treat as phenomenological model parameter



Parametrization:

$E_{\text{min}}$  : energy below which no fireballs

$E_{\text{max}}$  : energy above which only fireballs

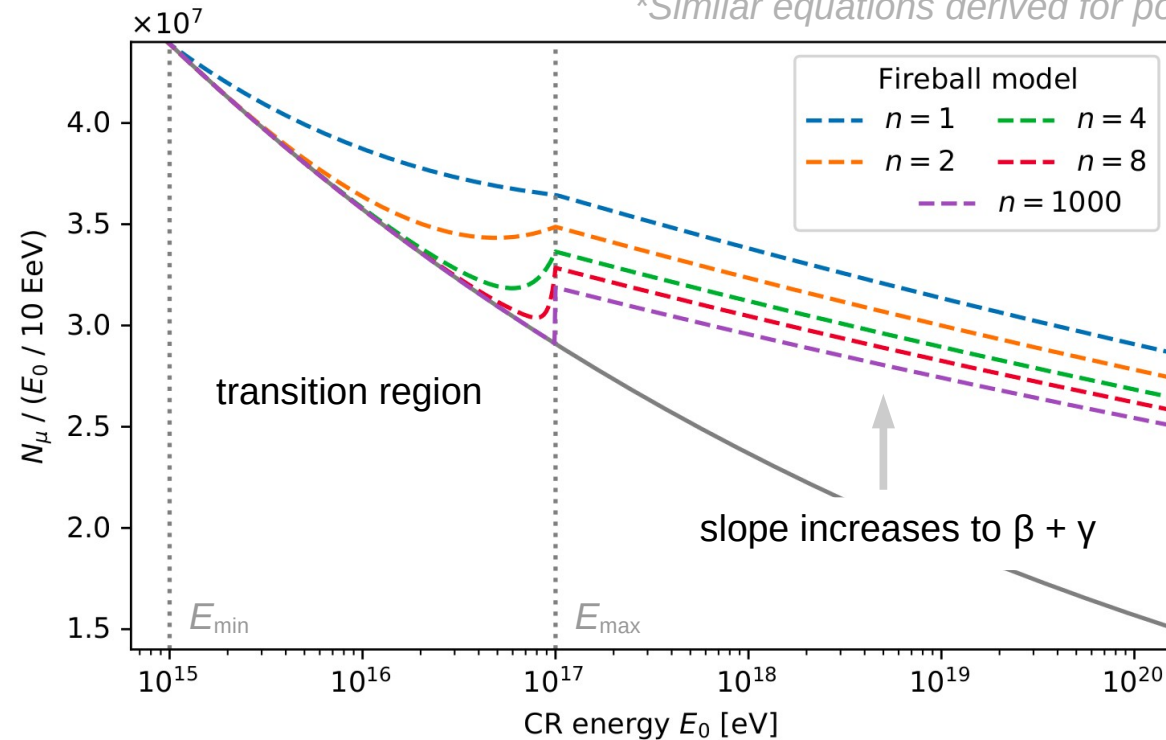
$n$  : rate at which fireball becomes more likely

Is there a  $p(E)$  that reproduces Auger data?

# Extension to Heitler-Matthews Model

Implementing hybrid- $r$  approach into Heitler model  
with my  $p(E)$ -parametrization and a constant multiplicity\*:

\*Similar equations derived for power-law multiplicity



$$N_{\mu} = \left( \frac{E_0}{E_c} \right)^{\beta} \times \begin{cases} 1, & \text{if } E_0 \leq E_{\min}, \\ \left( \frac{E_0}{E_{\min}} \right)^{\delta(E_0)}, & \text{if } E_{\min} \leq E_0 \leq E_{\max}, \\ \left( \frac{E_{\max}}{E_{\min}} \right)^{\delta(E_{\max})} \left( \frac{E_0}{E_{\max}} \right)^{\gamma}, & \text{if } E_0 \geq E_{\max}, \end{cases}$$

where:

$$\beta = \frac{\log(r_{\text{SM}} n_{\text{mult}})}{\log(n_{\text{mult}})}$$

$$\beta + \gamma = \frac{\log(r_{\text{fb}} n_{\text{mult}})}{\log(n_{\text{mult}})}$$

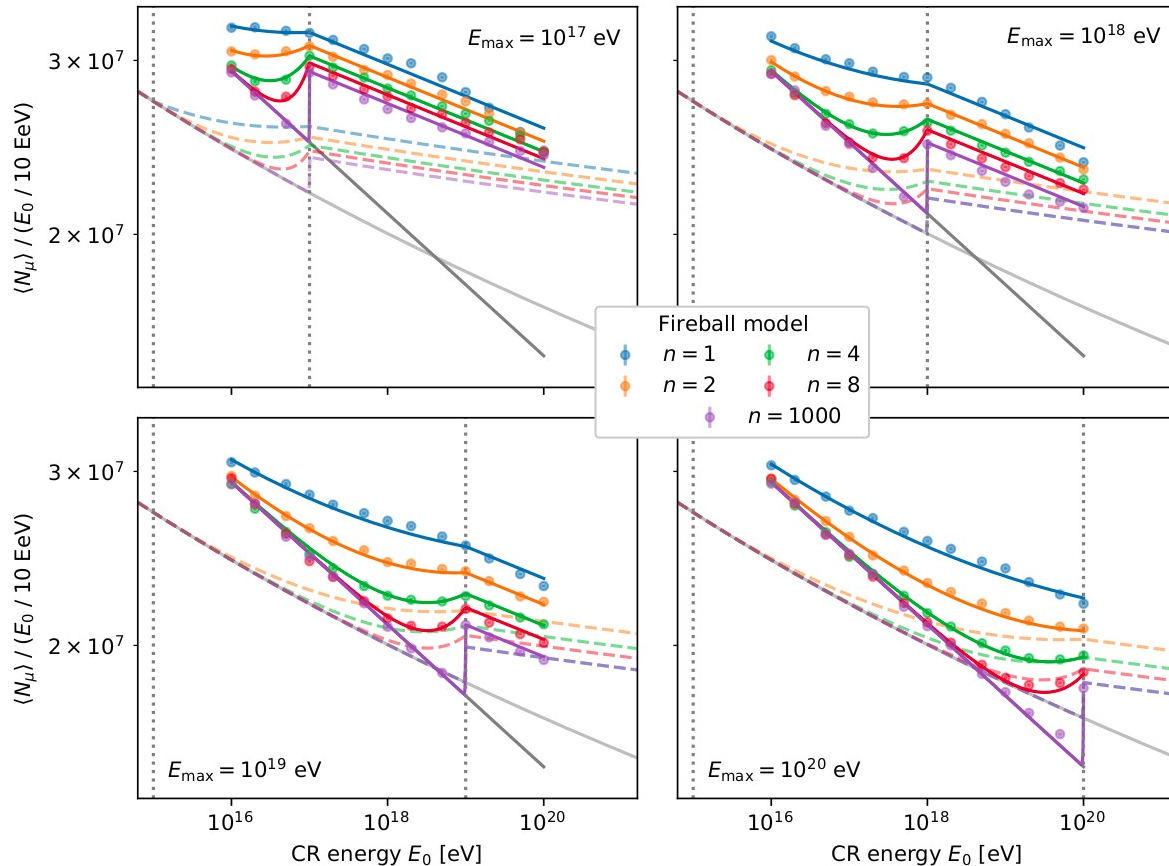
Provides physical insight on effect of  $p(E)$ -parameters  $E_{\min}$ ,  $E_{\max}$ , and  $n$



# Extension to Heitler-Matthews Model

EPOS-LHC

Fits well to fireball-implemented Conex simulations



Single set of 5 parameters for each hadronic interaction model:

$$r_{\text{fb}}, r_{\text{SM}}, n_{\text{scale}}, b, E_{\text{c}}$$

(simultaneously fits 260 MC points)

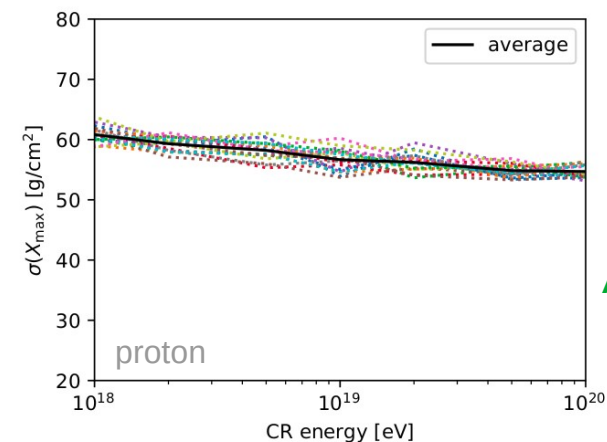
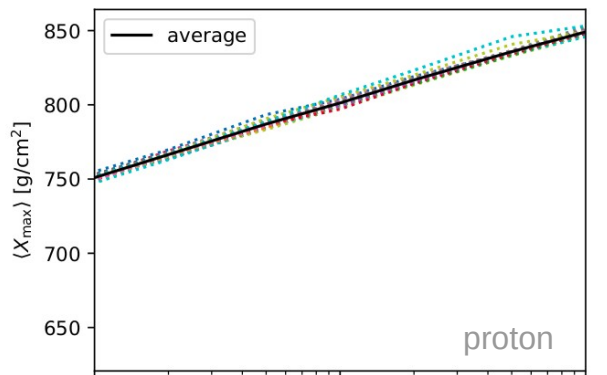
Heitler extension gives interpolation of shower Monte Carlos to any  $E_{\text{min}}$ ,  $E_{\text{max}}$ ,  $n$  and  $E_0$

Enables direct interpretation of Auger data

# Interpretation of Auger Data

EPOS-LHC

Need to take into account CR mass composition



$X_{\max}$  is unaffected → composition same for all fireball models

Current efforts:

- Simulate showers for different masses (so far all proton)
- Find  $p(E)$  that allows consistent composition interpretation from  $\langle X_{\max} \rangle$  and  $\langle R_{\mu} \rangle$

Any  $p(E)$  will be constrained by muon fluctuations

*Likely excludes first interaction only*



An effect should be visible at lower energies:

$$E_{\text{proj}} \sim 10^{16} \text{ eV} \leftrightarrow \sqrt{s_{\text{NN}}} \sim O(\text{few TeV})$$

→ promising for FPF

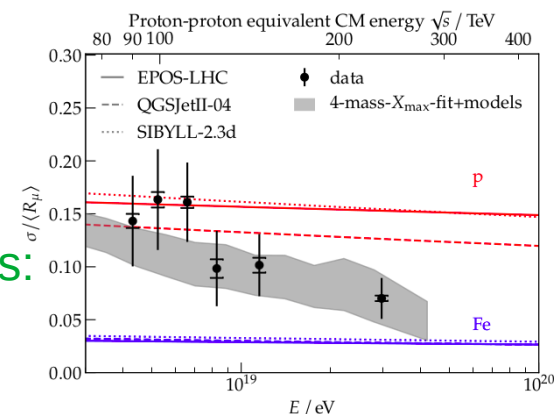


Figure from Auger (2021), [arXiv:2102.07797](https://arxiv.org/abs/2102.07797) 8

# Outlook: Potential Role of FPF

FPF neutrinos to constrain pion-to-kaon ratio in very forward interactions

 experimental access to ' $r$ '-value

Air shower data strongly indicate deviation from SM extrapolation

Phenomenological fireball-extended Heitler model can provide predictions for  
1) *relevant energies* and 2) *size of deviation*

**FPF in ideal position to follow-up and solve muon deficit**

Enables much better composition inference, invaluable to quest for UHECR origin