## **G4TorusStack**

## Peter Gumplinger, TRIUMF

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Slides adopted from information available at: http://neutrino.phys.ksu.edu/~GLG4sim/docs/html\_latest/FAQ.html

☐ Original work GLG4sim for KamLAND☐ Author: Glenn Horton-Smith☐

G4TorusStack - to realistically describe the surface of a typical photo-tube (PMT). In a nutshell it allows the definition of a dome surface with varying curvature.

☐ Used by DEAP/CLEAN, SNO+, KamLAND, MicroBooNE (to name a few).

•Employ GLG4TorusStack as their PMT model by 'word-of-mouth' distribution.

G4TorusStack: is quite useful volume definition and cannot necessarily be replaced by something existing in the G4 toolkit.

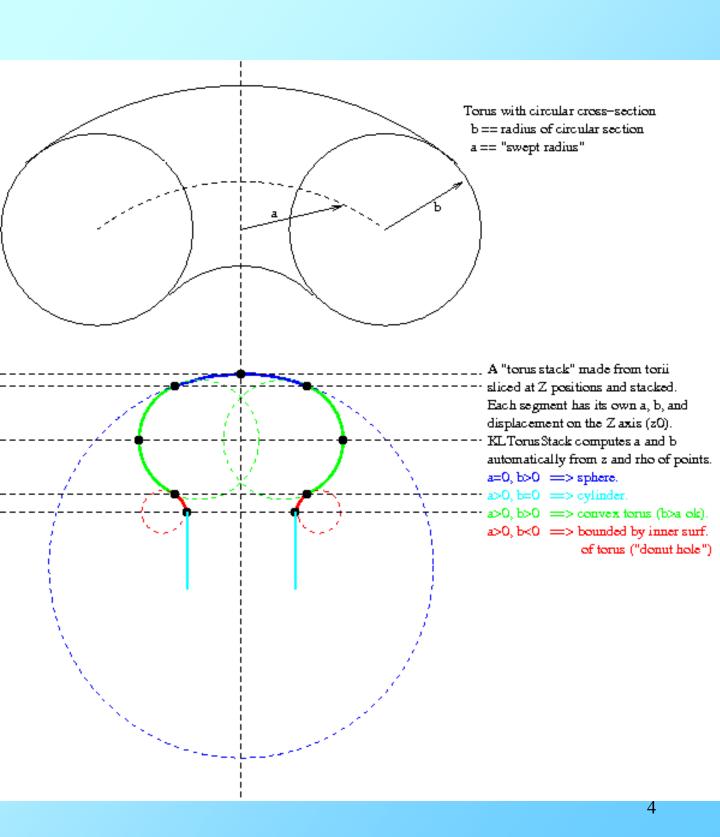
•Adopt it, bring it up to current G4 geometry standards and maintain it for our users in the future.

## What is the "TorusStack" solid?

A TorusStack is a stack of toroidal segments, sliced parallel to their planes of symmetry and stuck together.

It is similar to a PolyCone, but with toroidal surfaces instead of conical.

(Note that the parameters "a" and "b" shown in the following graph are calculated internally, but are not used in defining the TorusStack in the code.)

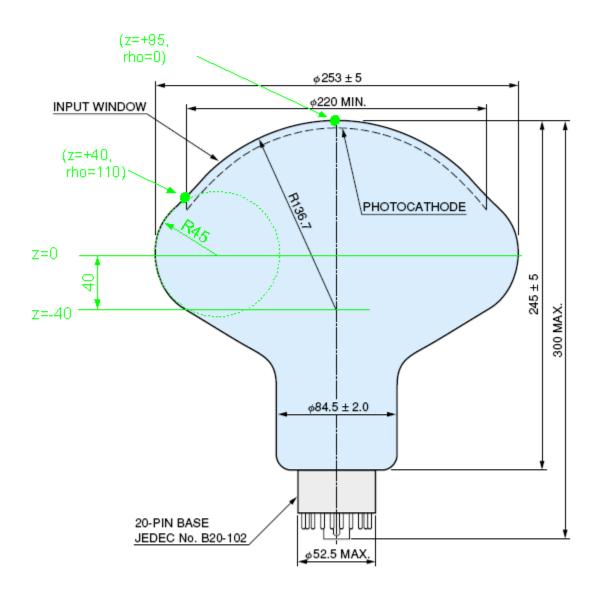


## What are the parameters z\_edge, rho\_edge and z\_o used to define a TorusStack solid?

The TorusStack class constructor must be passed some arrays that define the shape of the TorusStack, as well as the number **n** of segments in the stack. The array parameters are named **z\_edge**, **rho\_edge** and **z\_o**.

The first two arrays are n+1 long, and define the points at which the segments join. The **z\_o** array is n elements, and defines the **Z-position** of the center of curvature of each segment.

The following diagram (taken from the Hamamatsu PMT manual, with annotations added by hand in green), should help make this more clear:



The PMT manufacturer tells us that the top segment of the TorusStack has a radius of curvature of 136.7mm. The center of curvature is about 40mm below the "equator" of the PMT, and the very top of the PMT is about 95mm above the equator. Taking the equator to be z=0, the value of z o for the first segment z o[0], should be -40mm. The first segment begins at about z=+95mm, rho=0. The first segment ends, and the second segment begins, at z=+40, rho=110. The center of curvature of the second segment is right on the equator, so z o[1]=0. The second segment ends at z=0, rho=253/2=126.5. So the values for the first two segments are:

TorusStack is able to compute values of "a" and "b" for each segment from z\_edge, rho\_edge, and z\_o. If there is some inconsistency in the input parameters, TorusStack does the best it can to resolve it and prints a warning

Acknowledgement: The graphs and the text in this presentation has been shamelessly copied from the GLG4TorusStack documentation available at:

http://neutrino.phys.ksu.edu/~GLG4sim/docs/html\_latest/FAQ.html