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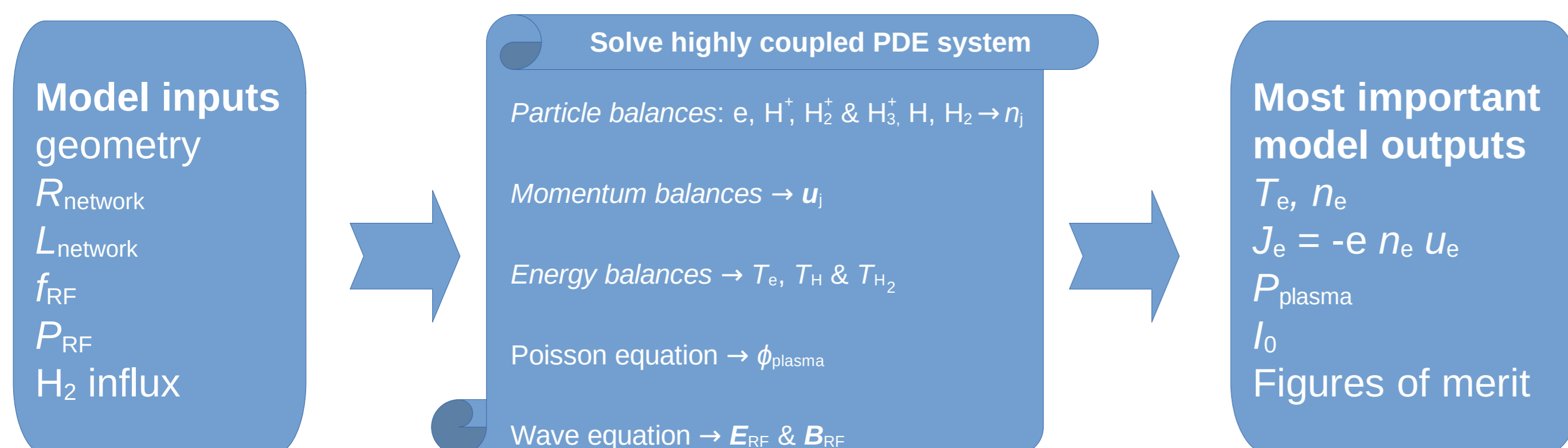
Motivation

- NNBI systems & particle accelerators use RF-driven negative H/D ion sources
- Low RF $\approx 1\text{-}2$ MHz, low $p_{\text{gas}} \leq 1$ Pa, high power densities 10 Wcm^{-3}
- Low temperature H/D plasma at $T_e \approx 10$ eV & $n_e \approx 10^{18} \text{ m}^{-3}$
- RF power coupling not optimized \rightarrow electric arcs \rightarrow performance & reliability limited
- **Modeling approach to study self-consistent RF power coupling**
- **Validation with experimental measurements from RF ion source**

Modeling approach

EM model of the driver (3D) calculates Joule and eddy current losses in RF network components (Faraday screen & RF coil) without plasma in first step \rightarrow network losses R_{network} and L_{network}

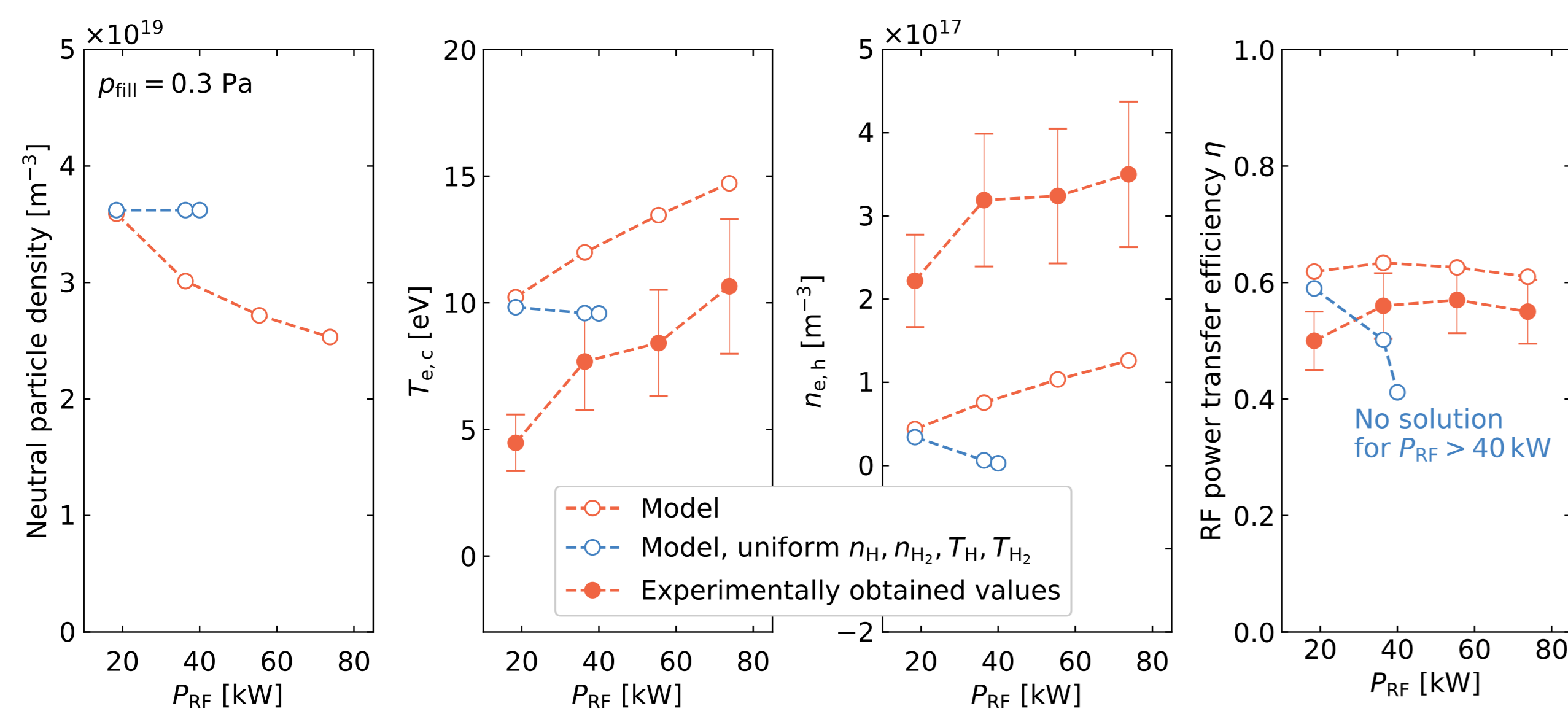
RF power coupling fluid model (2D, cylindrically symmetric)^[2]



\rightarrow **Combining EM model & RF power coupling fluid model facilitates self-consistent description of the RF power coupling**

^[2] D Zielke et al 2021 Plasma Sources Sci. Technol. 30 065011

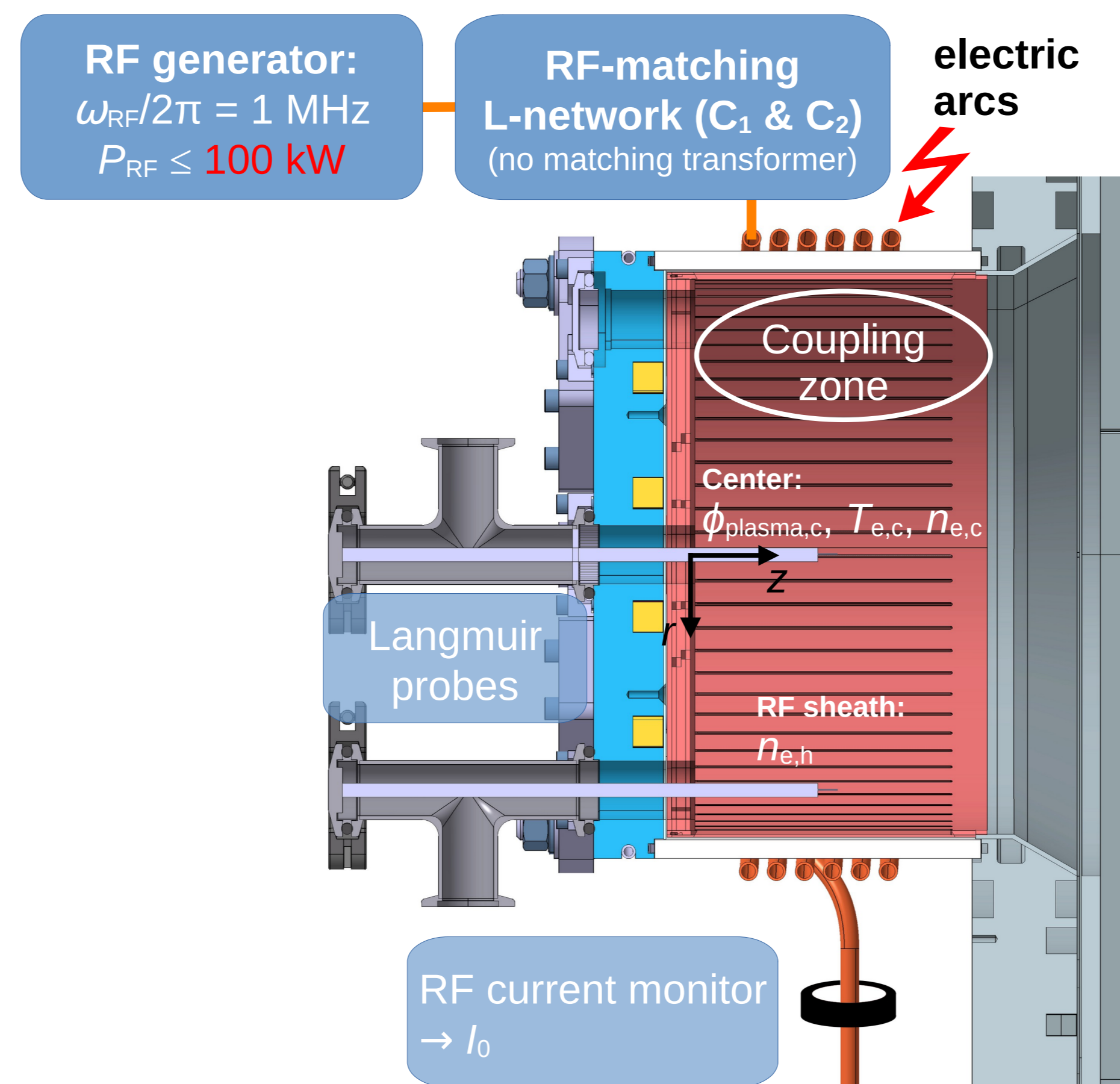
Impact of neutrals description on RF power coupling



- \rightarrow **Modeled & measured trends agree well, when Navier-Stokes used for neutrals**
- \rightarrow **Modeled $T_e(P_{\text{RF}}) \uparrow \Rightarrow \eta_{e,\text{visc}} \uparrow \Rightarrow$ mitigation of plasma compression by RF current diffusion $\uparrow \Rightarrow n_{e,s} \uparrow \Rightarrow$ modeled η as in experiment!**

ITER prototype RF negative ion source driver at the BUG test bed for model validation^[1]

^[1] D Zielke et al 2021 J. Phys. D: Appl. Phys. 54 155202

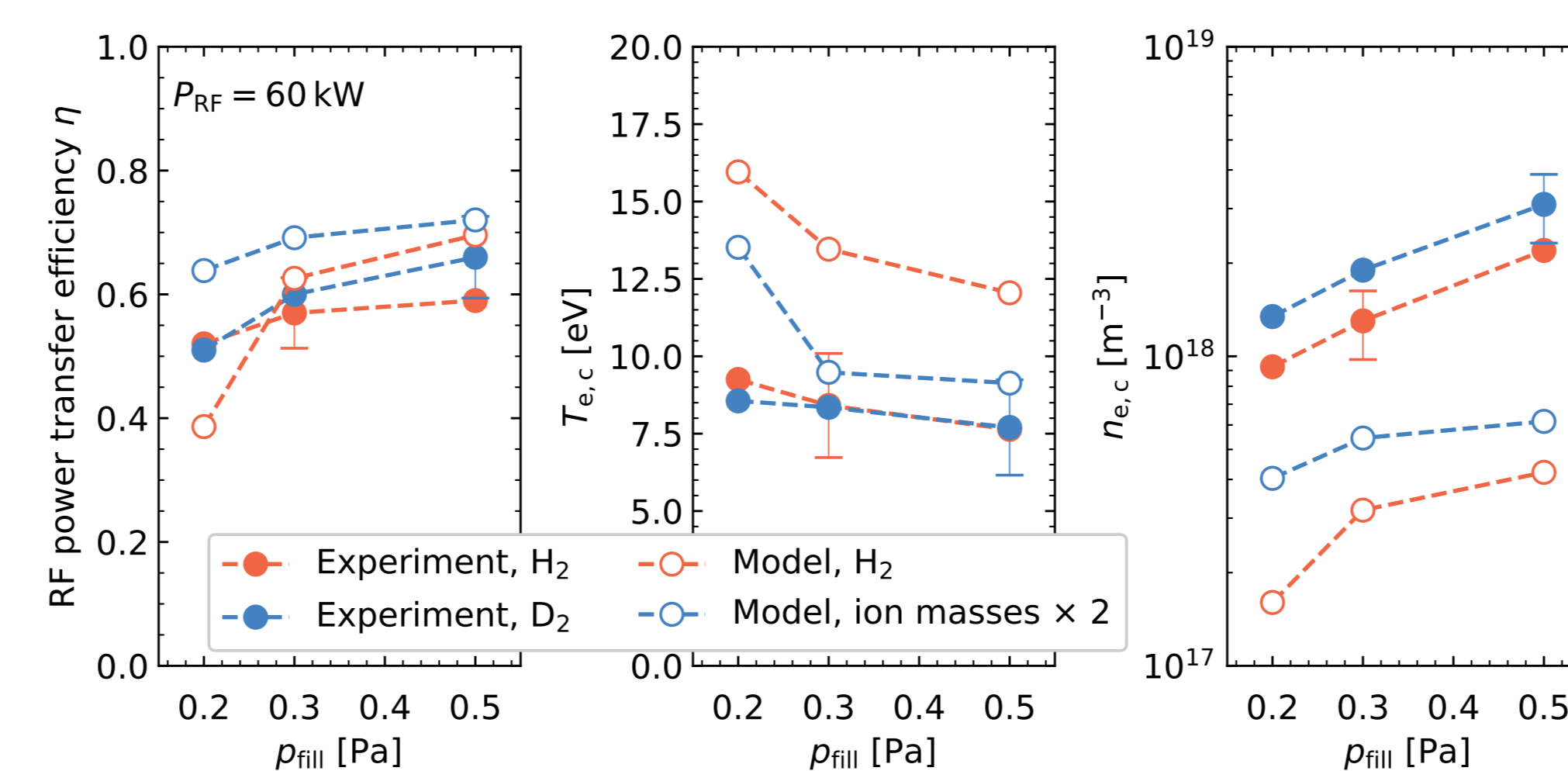


Figures of merit for RF power coupling

$$\eta = \frac{P_{\text{plasma}}}{P_{\text{RF}}} = \frac{P_{\text{RF}} - \frac{1}{2} R_{\text{network}} I_0^2}{P_{\text{RF}}}$$

$$|U_{\text{coil}}| \approx \omega_{\text{RF}} L_{\text{network}} I_0$$

Investigation of H₂ & D₂ discharges



- \rightarrow **Numerical trends scale as experimental ones**
- \rightarrow **Cusp field in driver back plate not modeled \rightarrow probable reason for systematic differences in modeled & measured T_e & n_e**
- \rightarrow **First step towards deuterium model by increased ion masses**
- \rightarrow **Decreased wall losses due to larger mass explain larger plasma density & RF power transfer efficiency in D₂**

Conclusion

Validation successful \rightarrow Predictive model applicable to optimize RF power coupling

Talk by S. Briefi, We, 22.09., 08:00

- Derived formulation provides correct description of the RF power coupling in RF ion sources
- Electron viscosity mitigates ponderomotive force \rightarrow quantitative description of plasma compression
- Neutral depletion at low pressures captured \rightarrow stable numerical solution at 0.3 Pa

Investigation of RF power coupling mechanism in RF ion sources

- RF coupling described by electron momentum & energy balance, coupled to Maxwell's equations
- Quasi steady-state values obtained from time harmonic approximation for $E_{\text{RF},\varphi}$, B_{RF} , $u_{e,\varphi}$
- Drift-diffusion electron flux (including Lorentz force) for r - and z components:

$$n_e \mathbf{u}_e = -\mu_e n_e (\mathbf{E} + \frac{1}{c} \mathbf{\bar{F}}_L) - \mu_e \nabla n_e T_e, \text{ where } \mathbf{\bar{F}}_L = -e \frac{1}{2} \text{Re} \{ \tilde{u}_{e,\text{RF},\varphi} \tilde{B}_{\text{RF},z}^* \mathbf{e}_r - \tilde{u}_{e,\text{RF},\varphi} \tilde{B}_{\text{RF},r}^* \mathbf{e}_z \}$$

- Plasma compressed by RF Lorentz force: ponderomotive effect
- RF current diffusion introduced by electron viscosity decreases RF current density

$$i \omega_{\text{RF}} m_e \tilde{u}_{e,\text{RF},\varphi} = -e \tilde{E}_{\text{RF},\varphi} - \sum_n m_e \nu_{e,n} \tilde{u}_{e,\text{RF},\varphi} - \frac{1}{n_e} [\nabla \cdot \underline{\pi}_e]_{\varphi} - e (u_{e,z} \tilde{B}_{\text{RF},r} - u_{e,r} \tilde{B}_{\text{RF},z})$$

$$[\nabla \cdot \underline{\pi}_e]_{\varphi} = -m_e n_e \eta_{e,\text{visc}} (\nabla^2 \tilde{u}_{e,\varphi} - \frac{\tilde{u}_{e,\varphi}}{r^2})$$

- Used **local approximation** for the viscosity $\eta_{e,\text{visc}} = \frac{2}{3} \frac{e T_e}{m_e X_{e,n} n_n}$ in agreement with the observed local skin effect regime

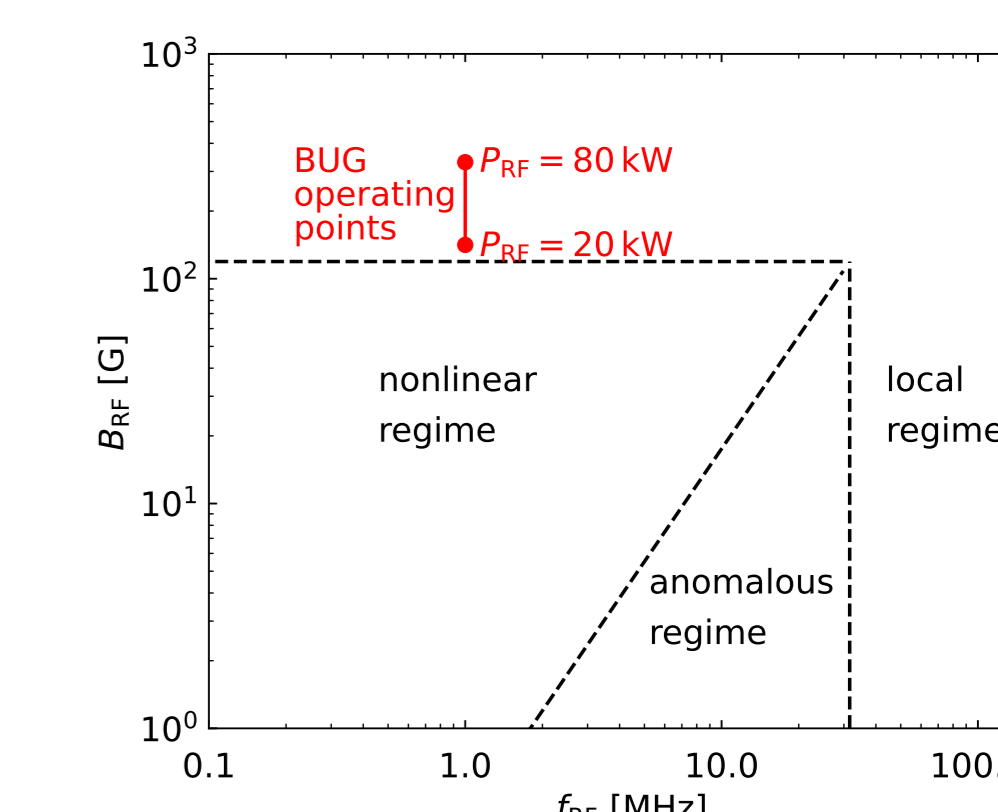
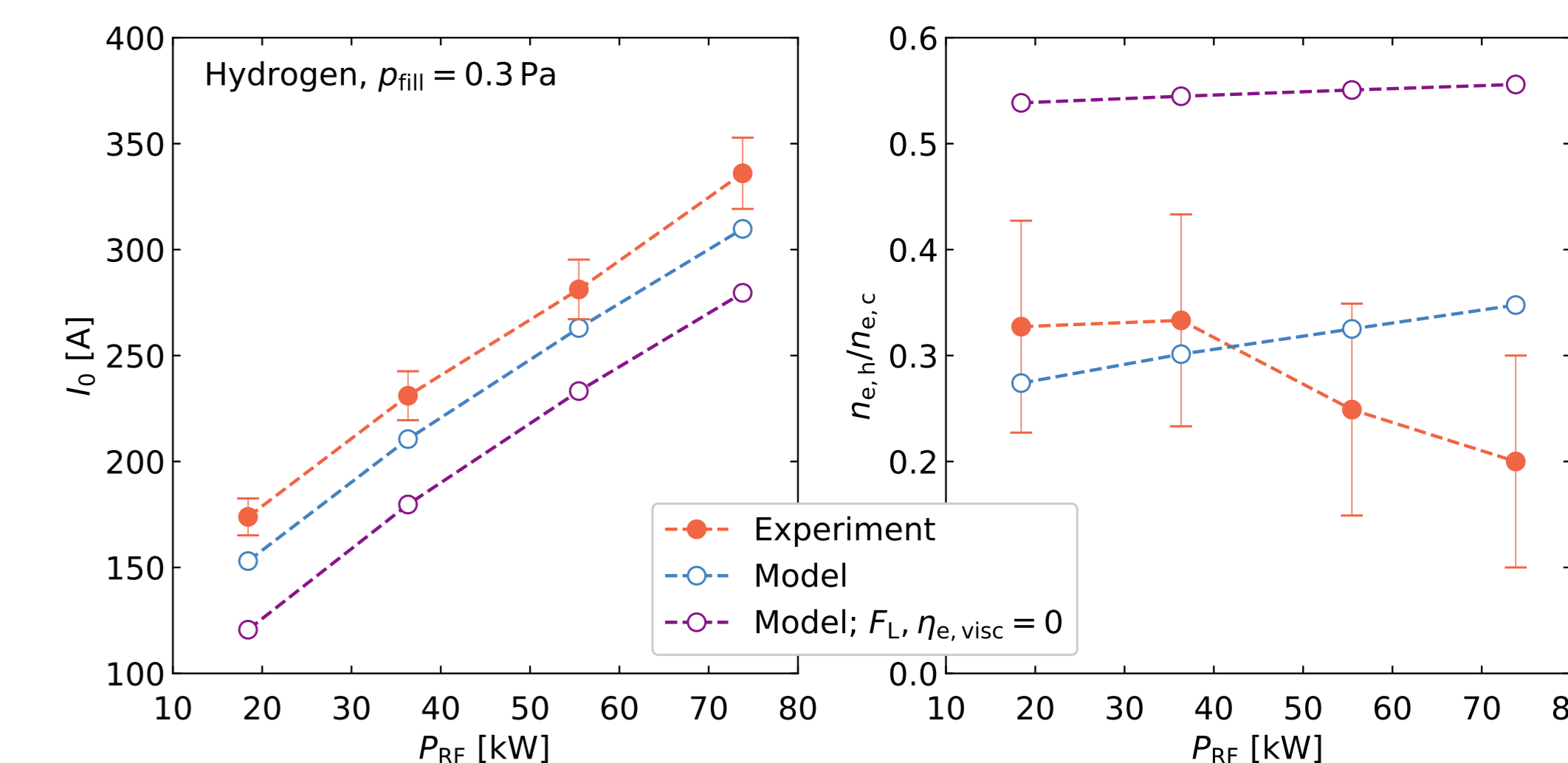


Figure adapted from Froese et al 2009 Physics of Plasmas 16, 080704

- Numerically obtained electrical & plasma parameters in **good agreement** with experimentally obtained ones **only if the Lorentz force & viscosity are retained**



- \rightarrow **RF Lorentz force & viscosity essential for steady state numerical solution within the error bars of the experimental measurements**