

# A correlation-based timing calibration and diagnostic technique for fast digitizing ASICs

Kurtis Nishimura

Andres Romero-Wolf

University of Hawaii

Jet Propulsion Laboratory

(for the LAPPD Electronics Group)

Technology and Instrumentation in Particle Physics, Chicago

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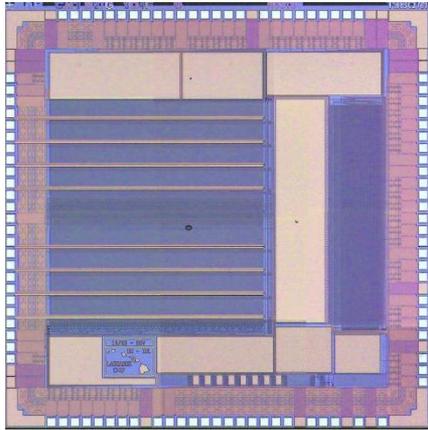


# Waveform Sampling ASICs

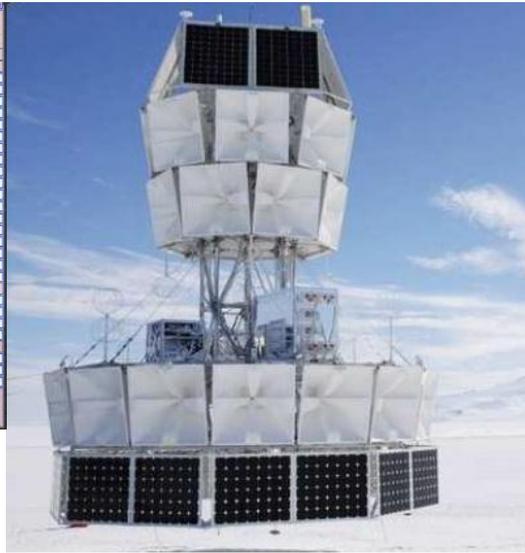
- Waveform sampling ASICs are increasingly desirable in detector systems:
  - High channel density
  - Low cost / channel for production quantities
  - Customized to application, e.g.,
    - Sampling rate
    - Front-end gain
    - Buffer depth

# Waveform Sampling ASICs

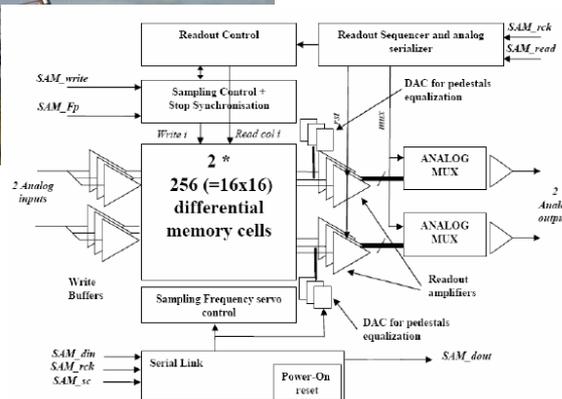
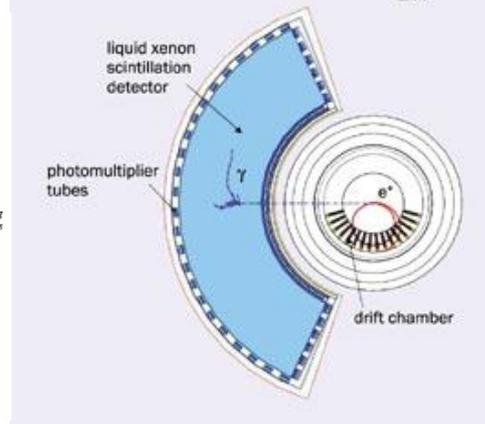
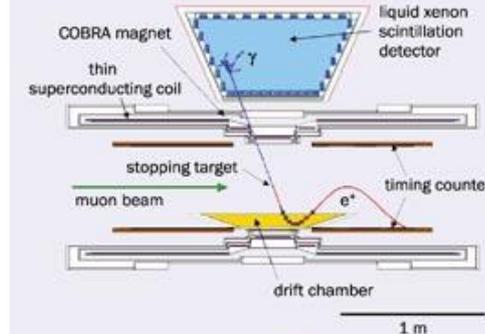
- Already in use in many experiments...



LABRADOR3,  
ANITA Experiment



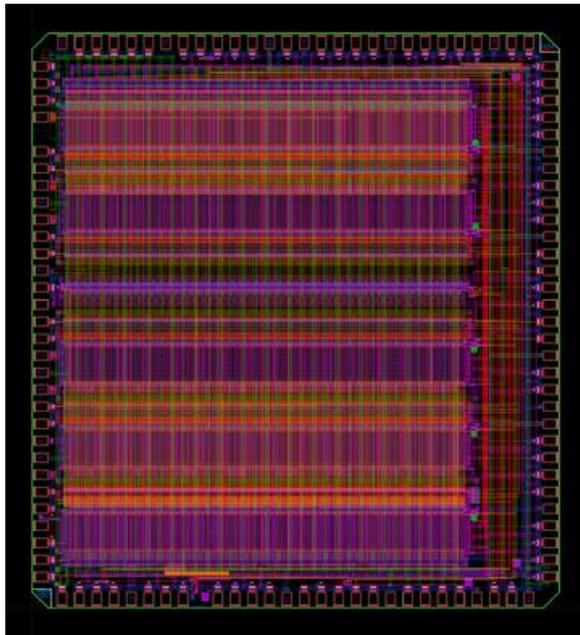
DRS4,  
MEG Experiment



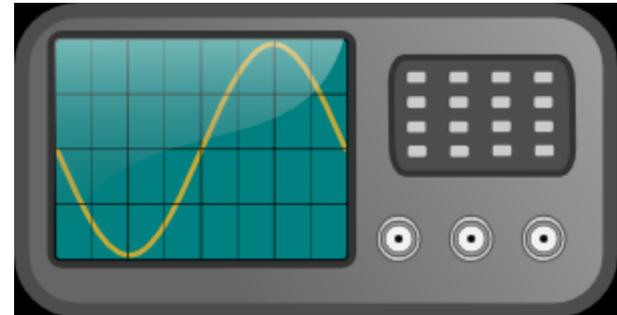
SAM,  
H.E.S.S.-II

# Oscilloscope on a chip!

- Waveform sampling/digitizing ASICs are just like an oscilloscope!



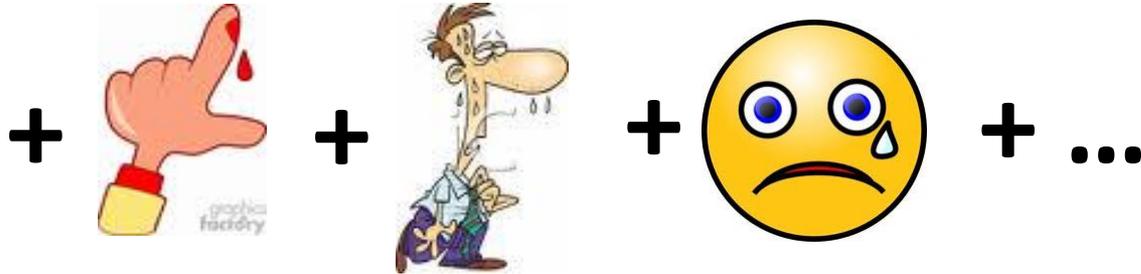
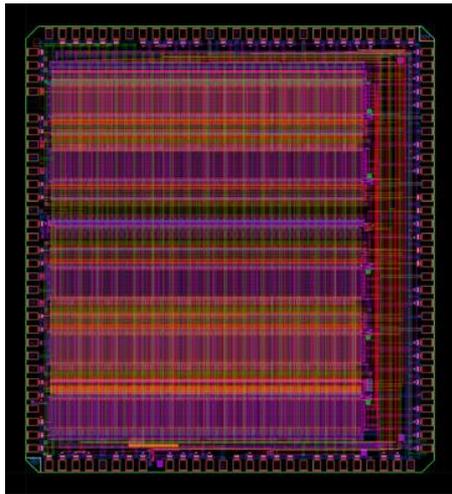
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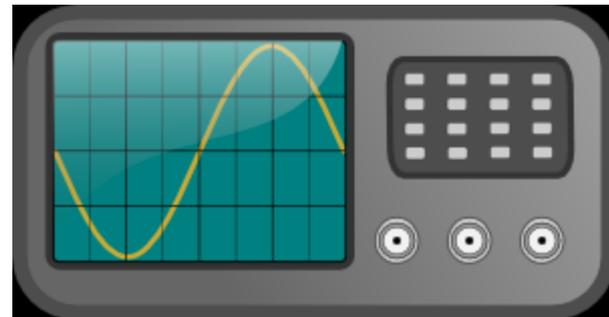
...right?

# Oscilloscope on a chip?

- Modified approximation:



≈

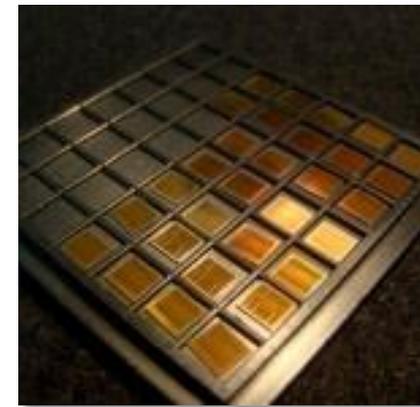


# Corrections required\*:

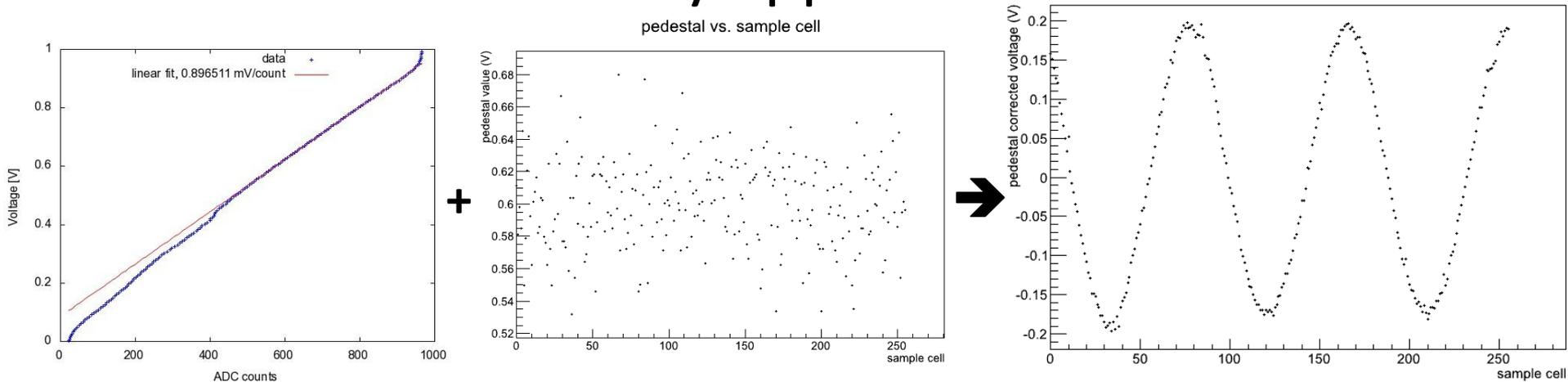
1. Voltage conversion:
  - Convert ADC counts to voltage.
2. Pedestal correction:
  - Remove cell-to-cell fixed DC patterns.
3. Time base correction:
  - Keep overall sampling rate constant (or correct for drift).
  - Correct for cell-to-cell variations in sampling rate.

**\*Some much simpler than others, and not all are required for every chip or application... some extra may be required for some applications.**

# The PSEC3 ASIC



- Start with voltage and pedestal calibrations already applied.



- Focus: timing calibration.

**\*See E. Oberla's slides (Fri.),  
"A 4-Channel Waveform Sampling ASIC  
using 130nm CMOS technology"  
(Front-end Electronics)**



# Calibration With Sine Waves

## Possible strategies:

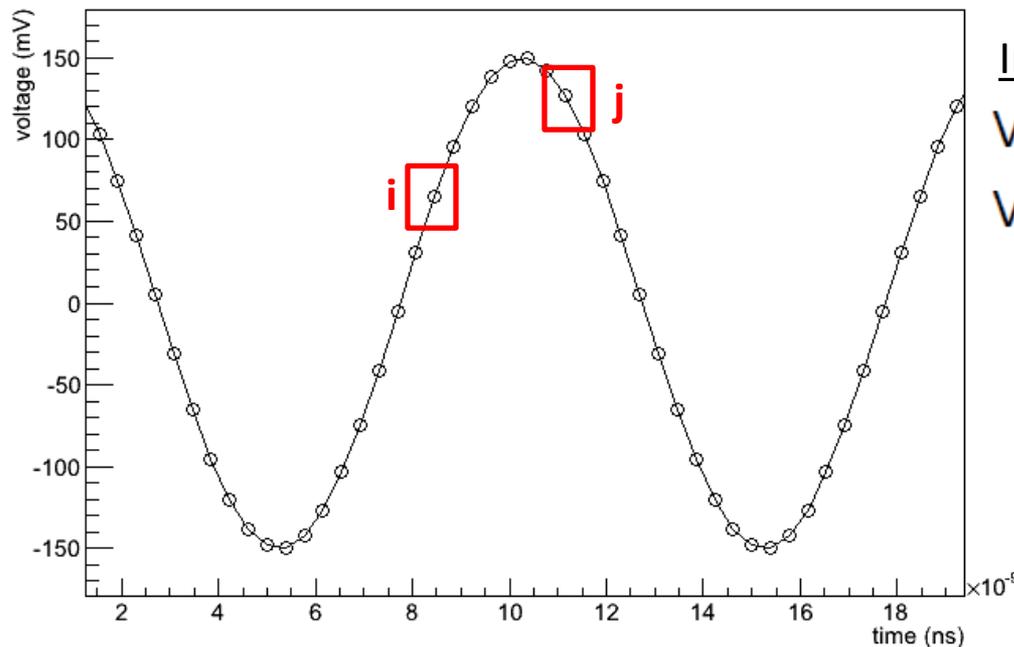
- Use zero crossings between sample cells.
  - Count zero crossing occupancies between samples.
  - Use  $\sin(x) \approx x$  near zero crossings.
- Fit to sine wave inputs:
  - Fit for amplitude, input phase,  $\Delta t$  between sample cells.

## Potential drawbacks:

- Use zero crossings between sample cells.
  - Zero crossings are sparse, most data is not used.
  - Gives relative timing intervals. Need another procedure to get an absolute calibration.
  - Pedestals offsets cause issues.
- Fit to sine wave inputs:
  - Global fits have many free parameters. Convergence is challenging.
  - Unknown phases are nuisance parameters in fit.

# Timing Calibration w/ Correlations

- Plot correlations between pairs of samples:
  - To determine  $\Delta t_{ij}$ , plot  $V_i - V_j$  versus  $V_i + V_j$



Input signals given by:

$$V_i = A \sin(\omega t_i + \phi)$$

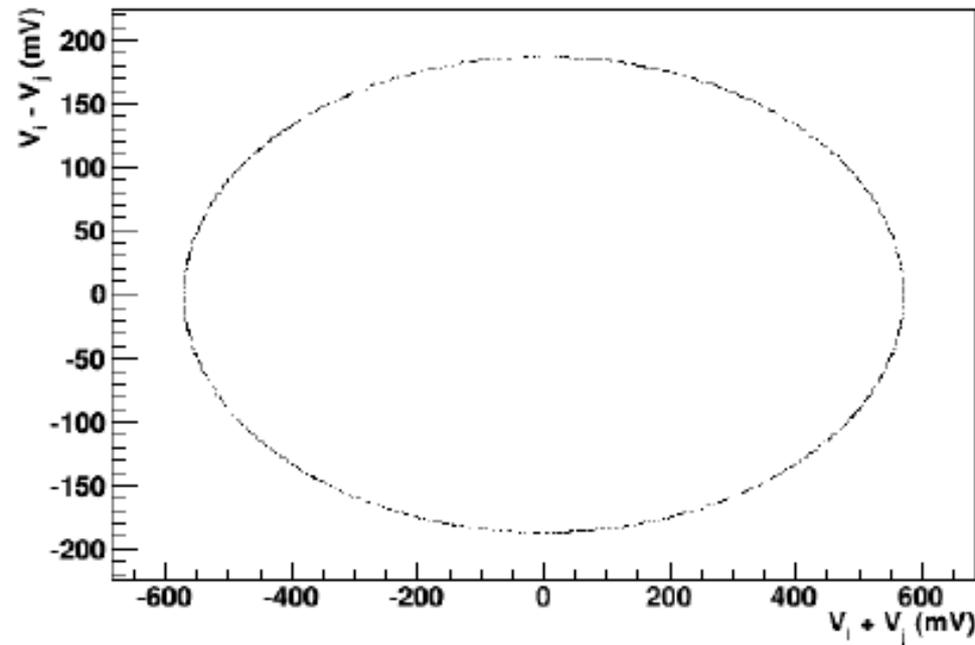
$$V_j = A \sin(\omega t_j + \phi)$$

**For any given event, phase is unknown (but common). This is a nuisance for techniques that rely on fitting sine waves.**

- **$i$  and  $j$  can be adjacent (or not), but with no extra information on timing intervals, cycle ambiguities exist if  $> 1$  period apart.**

# Timing Calibration w/ Correlations

- Plot correlations between pairs of samples:
  - To determine  $\Delta t_{ij}$ , plot  $V_i - V_j$  versus  $V_i + V_j$



Input signals given by:

$$V_i = A \sin(\omega t_i + \phi)$$

$$V_j = A \sin(\omega t_j + \phi)$$

The unknown phase populates the ellipse, but does not appear in x,y relation. No need to fit for it.

Effectively rotate by  $45^\circ$ :

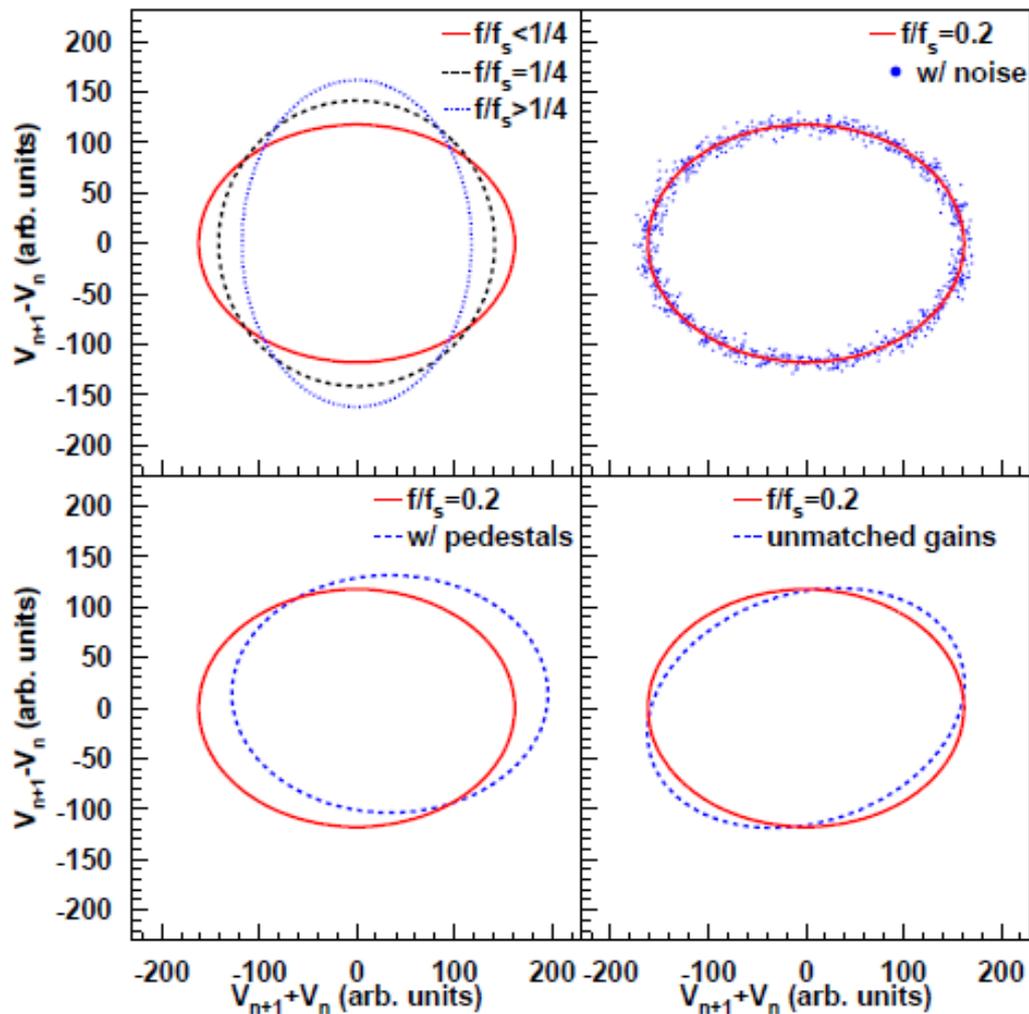
$$x := V_i + V_j$$

$$y := V_i - V_j$$

$$\rightarrow \frac{x^2}{4A^2 \cos^2(\omega \delta t / 2)} + \frac{y^2}{4A^2 \sin^2(\omega \delta t / 2)} = 1$$

- $i$  and  $j$  can be adjacent (or not), but with no extra information on timing intervals, cycle ambiguities exist if  $> 1$  period apart.

# Timing Calibration w/ Correlations



## Ellipse features:

- 1) Different  $\Delta t$  (for known sampling frequency) give different major/minor radii.
- 2) Noise makes ellipse “fuzzy”
- 3) Nonzero pedestals shift origin
- 4) Difference in gain between two cells causes a rotation.

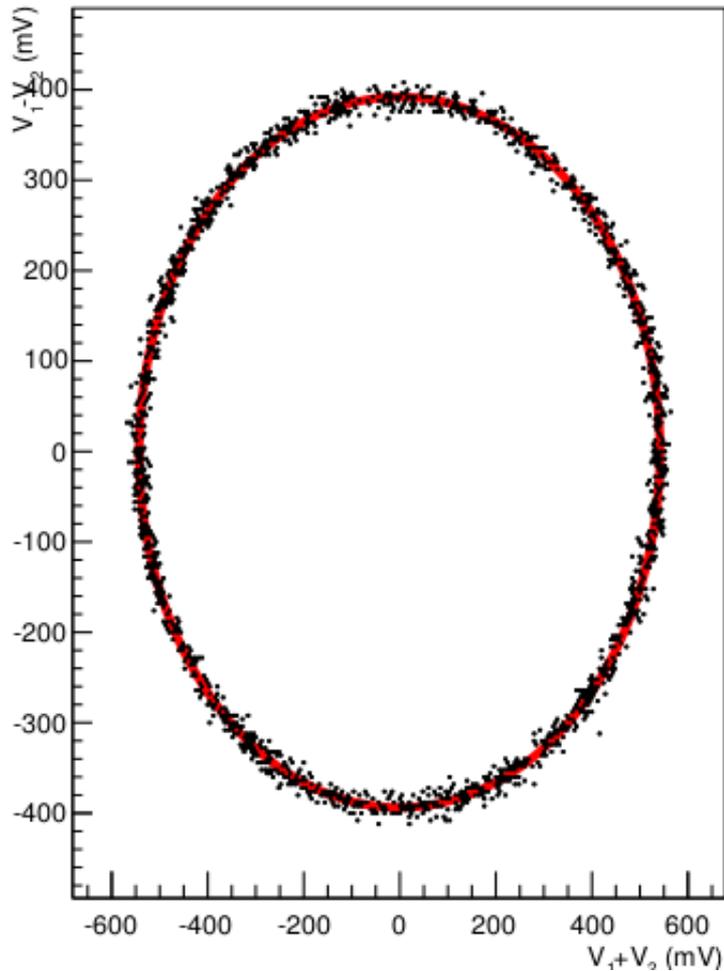
- ➔ We have written an ellipse fitter to perform this method.
- ➔ Even without fitting, it provides nice qualitative check on results.

- Procedure first tested on fast scope data...

# Validation w/ Scope Data (TDS6804B)

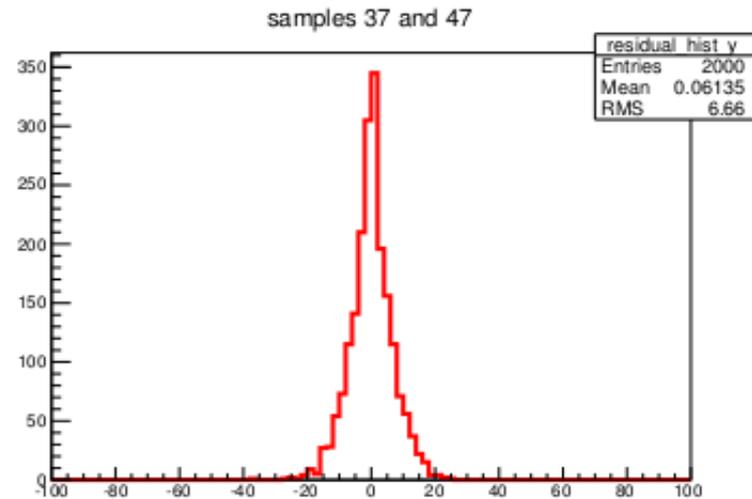
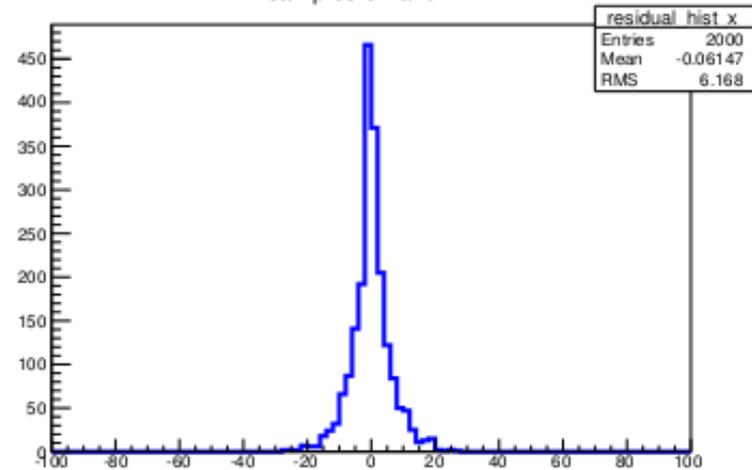
## Data and fit

samples 37 and 47



## Residuals in x, y

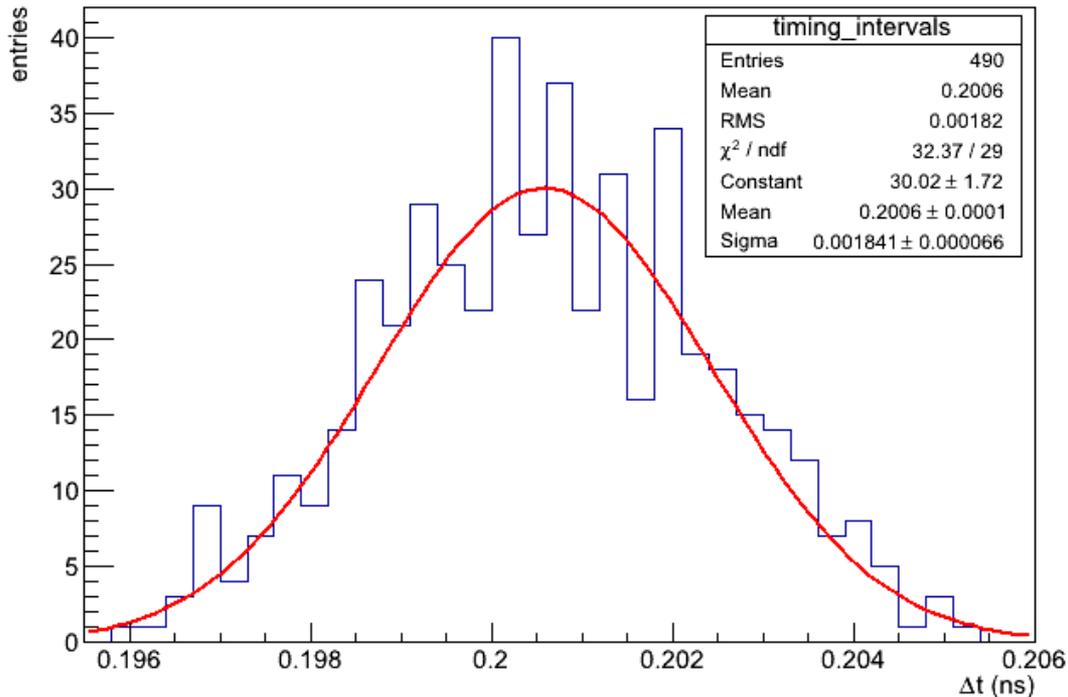
samples 37 and 47



# Calculated $\Delta t$ values for TDS6804B

(Using 2000 events)

Oscilloscope timing intervals



w/ scope set to 5 GSa/s:

$$\Delta t = 200.6 \text{ ps}$$

$$\sigma_{\Delta t} = 1.8 \text{ ps}$$

Excellent resolution even  
with a modest dataset.

Next try w/ PSEC3...

## TDS6804B Datasheet

Aperture uncertainty, typical

Short term:

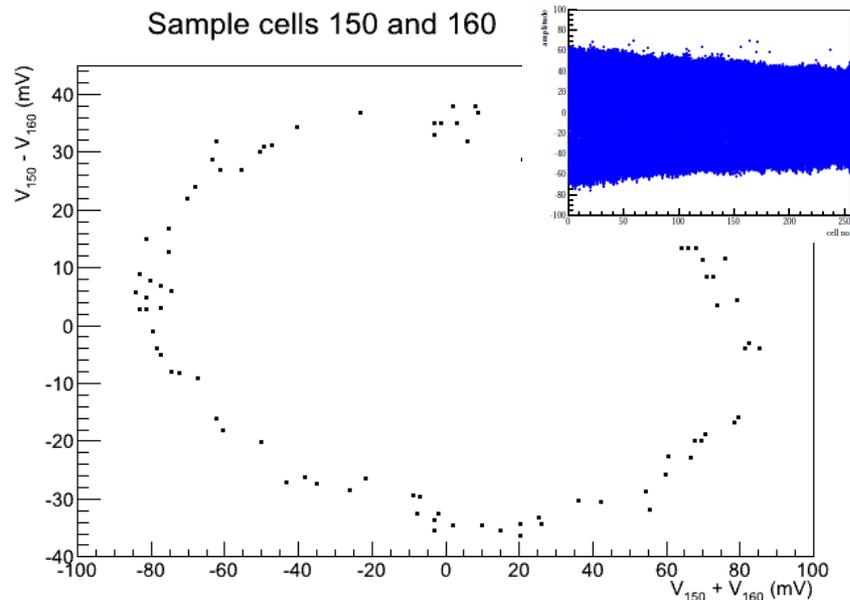
$\leq 1.5 \text{ ps rms}$ , records having duration  $\leq 100 \text{ ms}$   $\leq 800 \text{ fs}$   
rms, records having duration  $\leq 10 \mu\text{s}$

Long term:

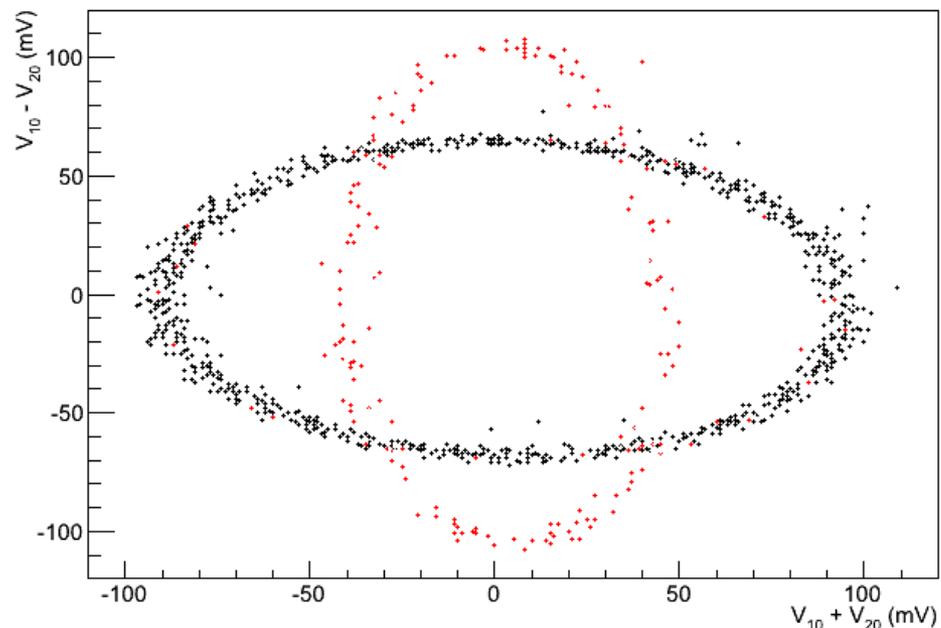
$\leq 15 \text{ parts per trillion rms}$ , records having duration  
 $\leq 1 \text{ minute}$

# Qualitative Results with PSEC3

Sample cells 150 and 160



Sample cells 10 and 20

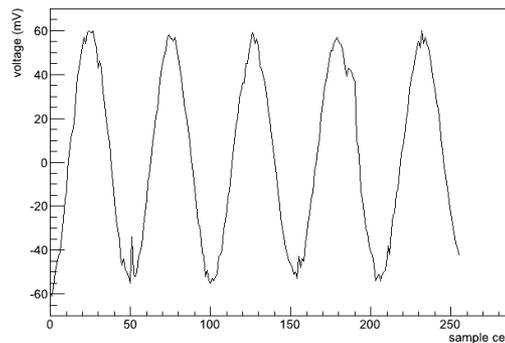


## Immediate visual feedback:

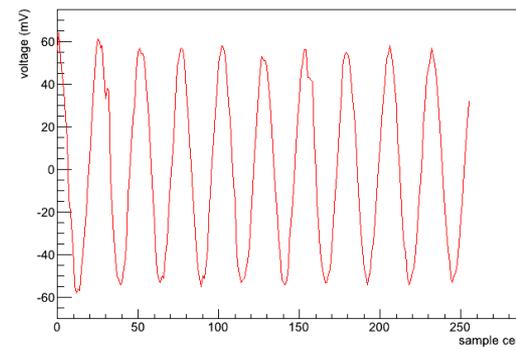
**(Above)** Data with 120 MHz input signal, obvious gain difference (rotation) along array (see Eric Oberla's PSEC3 talk).

**(Right)** Data with 100 MHz input signal, two sampling rates seen. Quickly identified a subset of events where sampling rate slipped.

Normal waveform



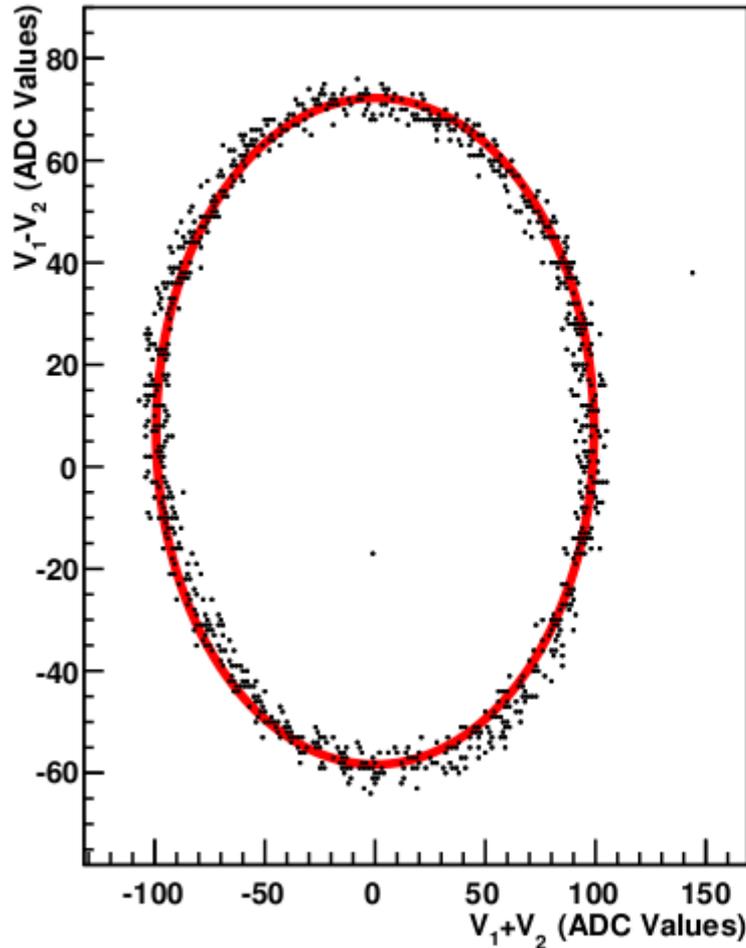
Anomalous waveform



# Example Fit w/ PSEC3 Data

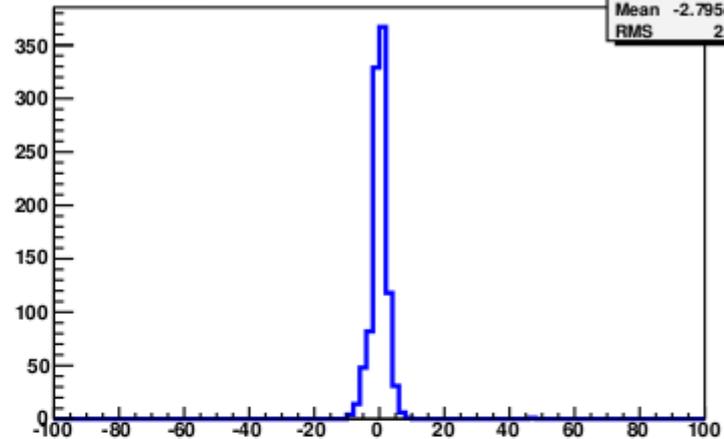
Data and fit

samples 2 and 12

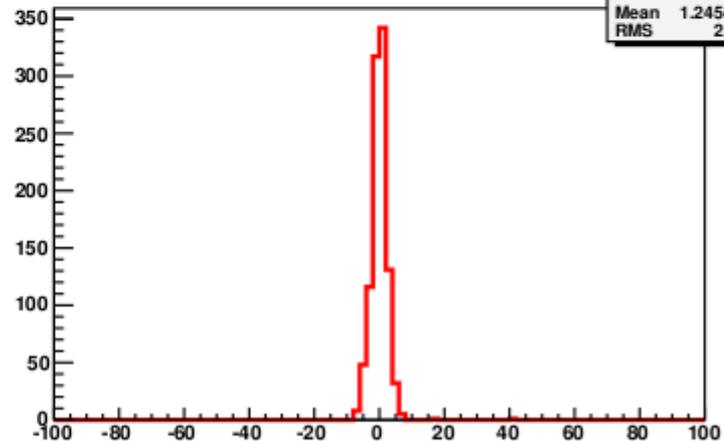


Residuals in x, y

samples 2 and 12



samples 2 and 12

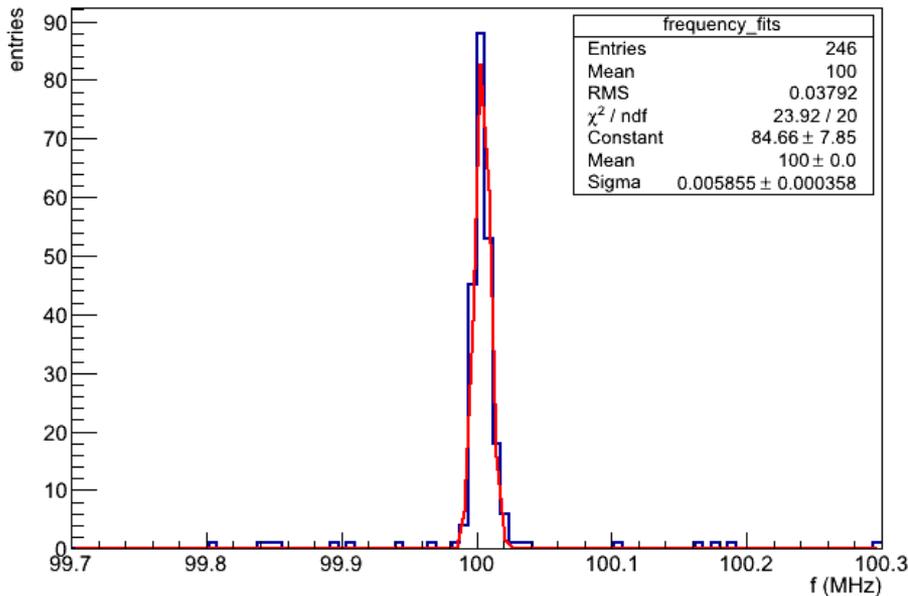


- Fits are well behaved, converge nicely.
- An obvious place to improve: outlier removal.

# Fit Validation & Results

- Use a small independent dataset, fit again w/  $\Delta t$  values fixed and the input frequency floating.

Frequency fits, all sample cells



(Left)

Input frequency: 100 MHz

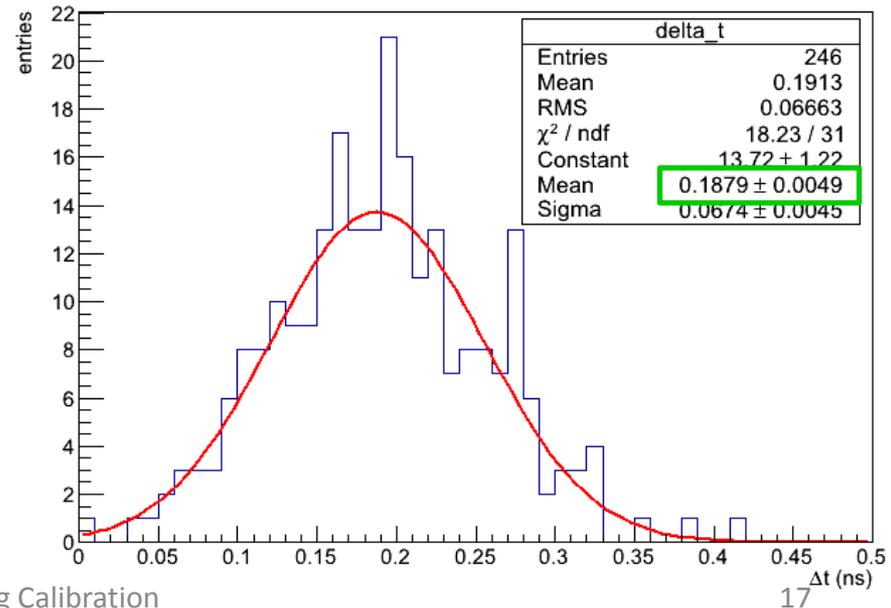
Fitted output:  $100 \text{ MHz} \pm 0.5 \text{ kHz}$

Fitted resolution: 6 kHz

(38 kHz RMS)

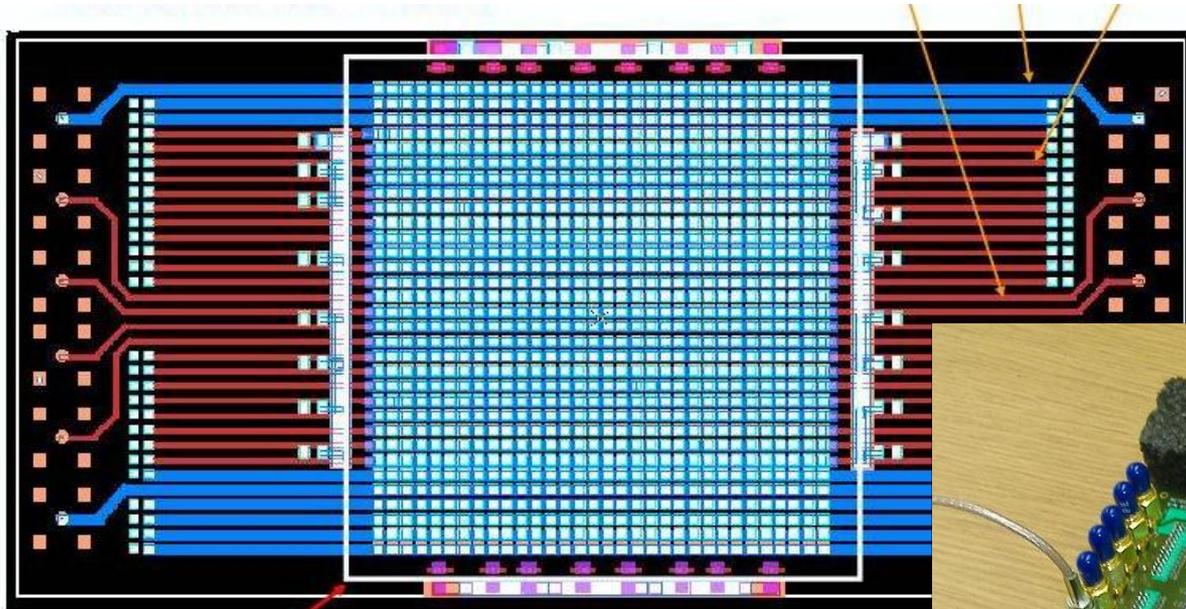
extracted  $\Delta t$  values

(Right)  
Mean is consistent with expected  
sampling rate,  $\sim 5 \text{ GSa/s}$ .



# PSEC3 with Stripline PMT

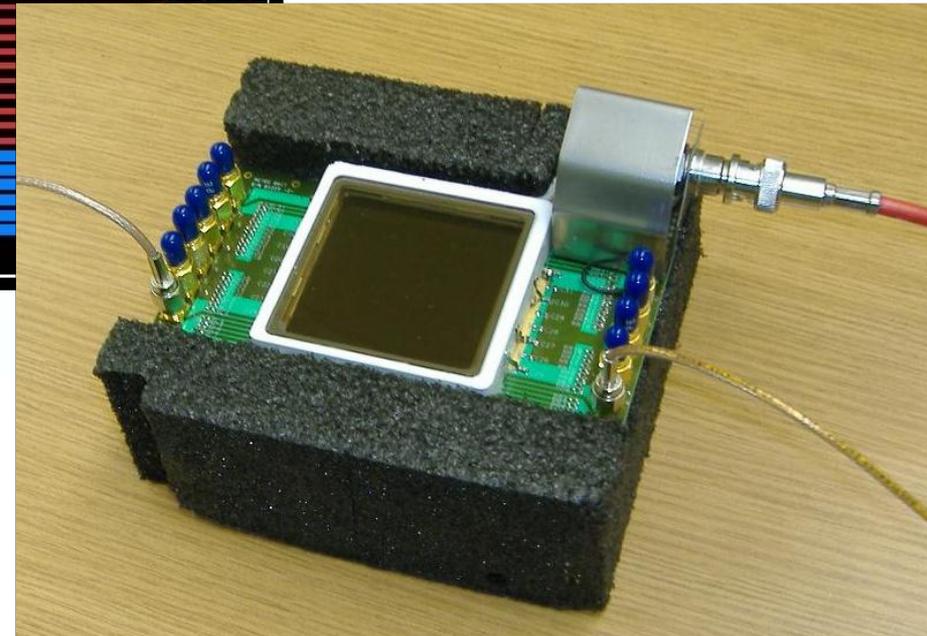
- PSEC3 is designed for Large Area Picosecond Photo-Detector (LAPPD) project (<http://psec.uchicago.edu>)



Tube Outline 58x58mm

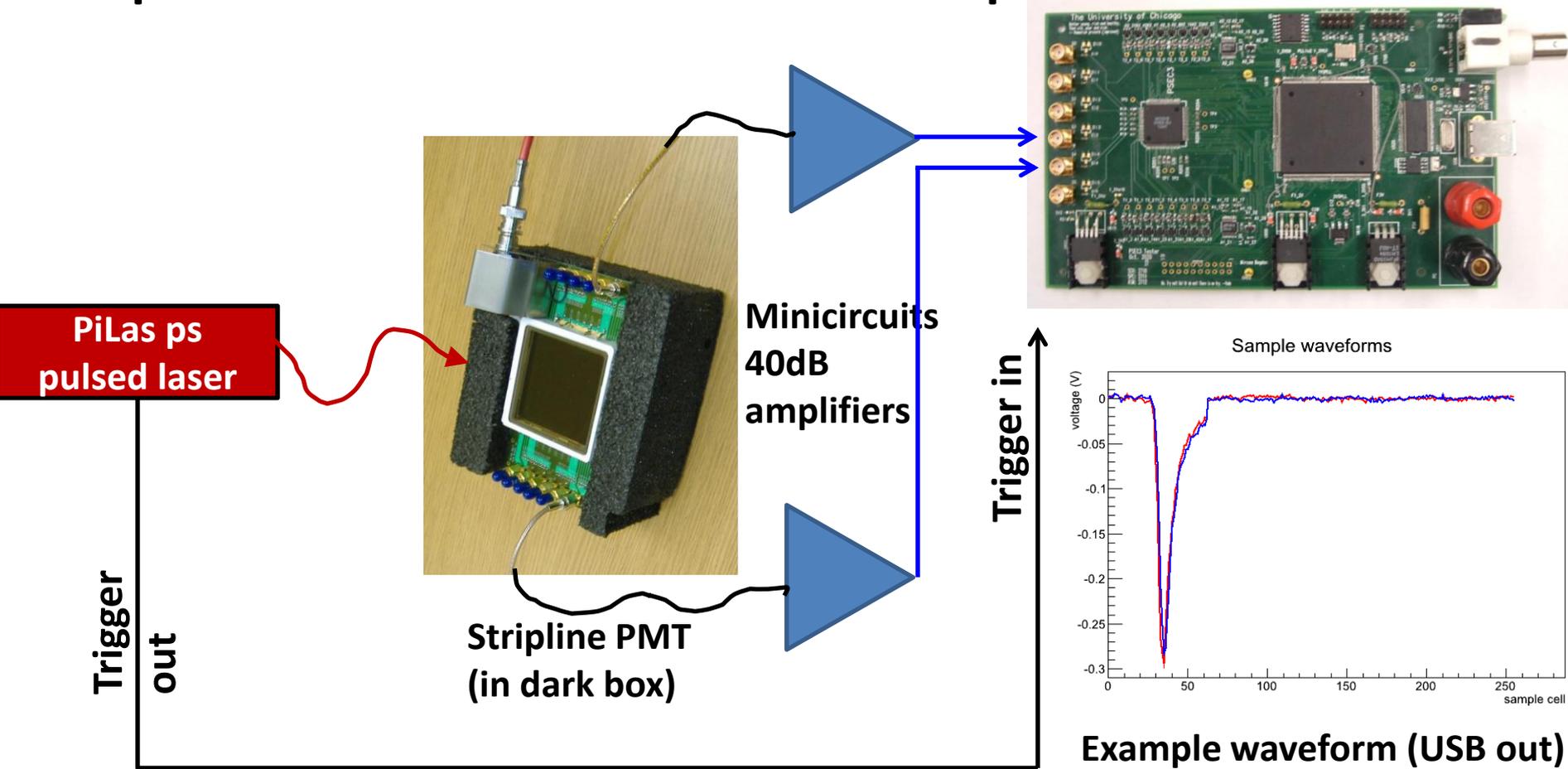
F.Tang

- Planacon MCP-PMT w/ 25  $\mu\text{m}$  pore and prototype transmission line PCB readout.



- Time resolution along a strip directly impacts position resolution.
- ➔ How well can we do with PSEC3?

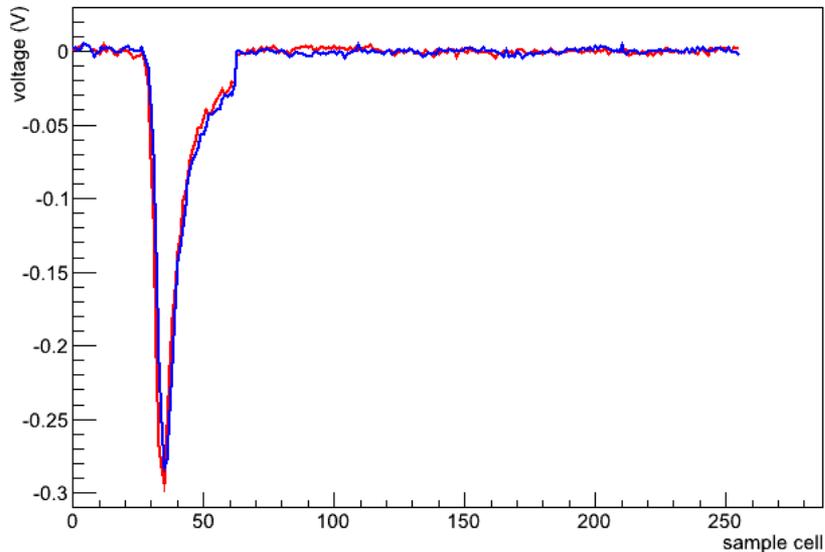
# Stripline MCP + PSEC3 Setup



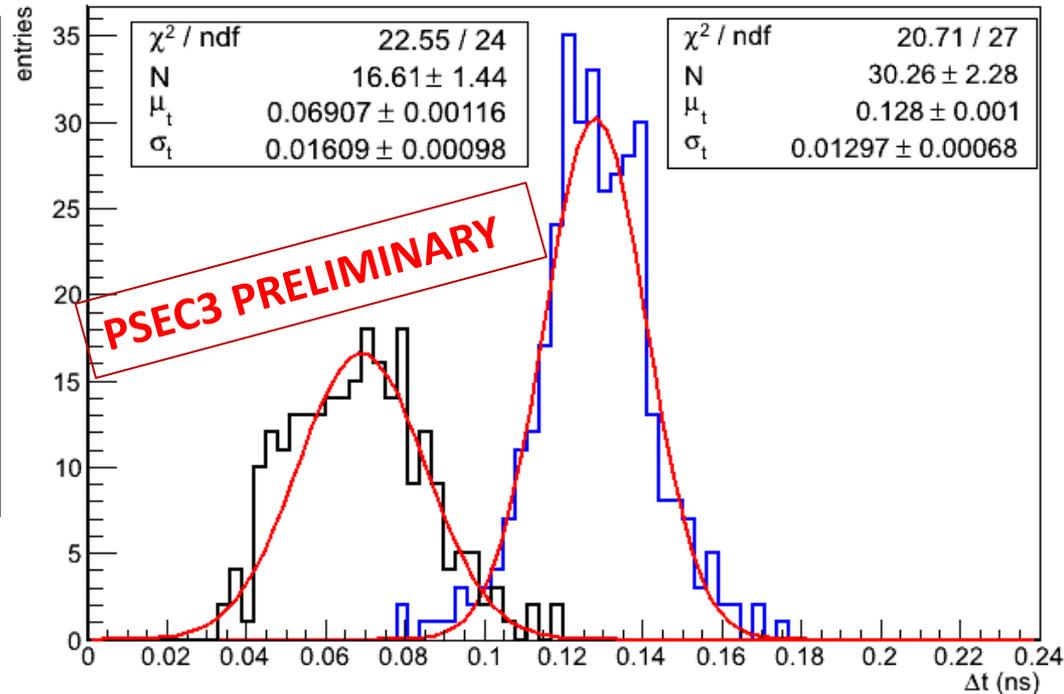
- Use constant fraction technique to determine pulse time.
- Measure  $t_{\text{left}} - t_{\text{right}}$  with nominal and calibrated  $\Delta t$  values.

# Stripline PMT Resolutions

Sample waveforms



Stripline:  $t_{\text{left}} - t_{\text{right}}$



- Resolution improves from  $\sigma_t \sim 16$  ps to  $\sigma_t \sim 13$  ps.
  - Resolution w/ 20 GSa/s scope:  $\sim 10$  ps.
  - The procedure is still being refined and cross-checked.

# Summary & Conclusions

- We propose a new technique for timing calibration of waveform sampling ASICs based on correlated sample values.
- Avoids some problems, adds some features:
  - Converges with relatively small data sets.
  - Includes terms to allow for nonzero pedestals.
  - Automatically provides absolute time calibration.
  - Immediate visual feedback on data quality.
- Validated w/ PSEC3 ASIC and oscilloscope data, and we are continuing to refine and add functionality.

