

Analysis of data recorded by a GEM LPTPC

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on behalf of the LCTPC Collaboration

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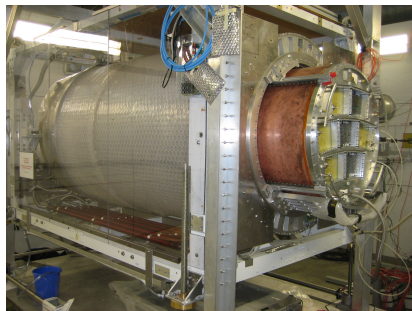
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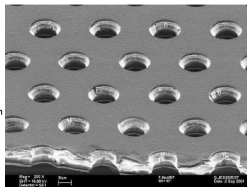
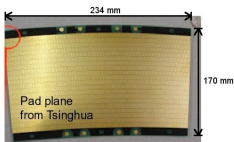
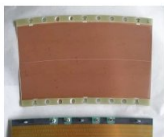
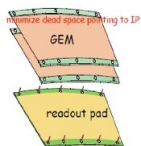
*A Time Projection Chamber
for a future Linear Collider*

www.lctpc.org

- ▶ The Large Prototype TPC with GEM readout
- ▶ Readout electronics
- ▶ Track reconstruction
- ▶ Distortion correction
- ▶ Spatial resolution
- ▶ Momentum resolution



GEMs and pad plane



- ▶ 5152 pads, approximately 1x5 mm, organized in 28 rows
- ▶ A GEM-foil consists of 5 μm Cu-layers separated by 100 μm of insulating material
- ▶ Hole size: 70 μm
- ▶ Pitch: 140 μm
- ▶ 360V between Cu-layers
- ▶ Two GEM foils give a gain of about 10^4
- ▶ "T2K-gas": 95% Ar, 3% CF_4 , 2% isobutane

Instrumentation

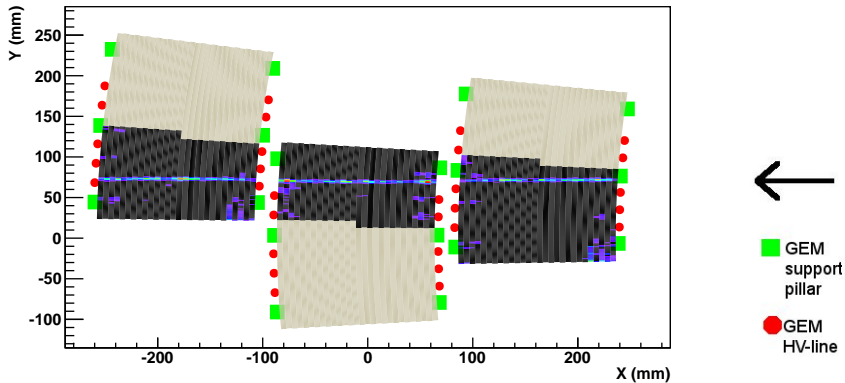


Figure: The instrumented region of the pad planes (black)

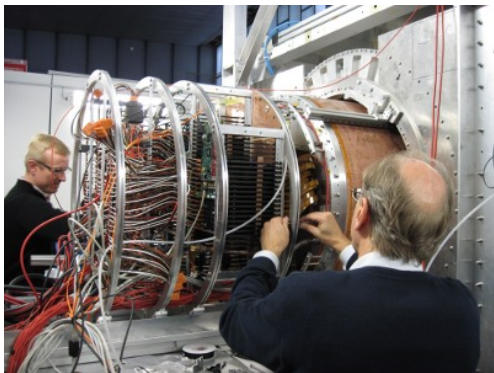
PCA16:

- ▶ 16 channel preamplifier and shaper
- ▶ Modified version of PASA-chip from ALICE.
- ▶ Programmable gain, shaping and decay time.

ALTRO:

- ▶ Originally developed for ALICE.
- ▶ Sampling at 20 MHz
- ▶ Pedestal subtraction and zero suppression
- ▶ Capable of storing 1024 10 bit ADC samples.

Next step: Integration of preamplifier and ADC into one chip (S-ALTRO).



Due to the large number of readout channels and the small space available on the pad modules, the electronics had to be connected with 30 cm long Kapton® cables.

Event display

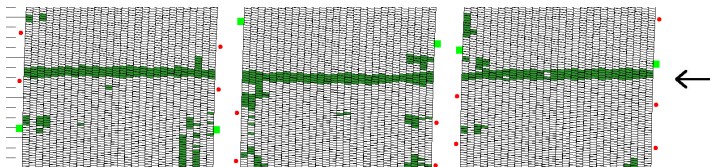


Figure: Typical event without magnetic field. Drift distance: 5 cm

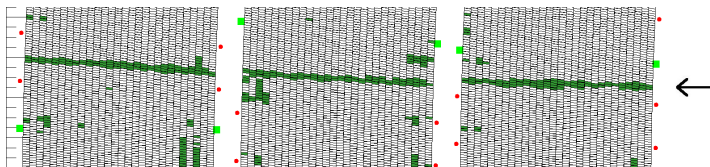


Figure: Typical event with magnetic field. Drift distance: 10 cm

Track reconstruction

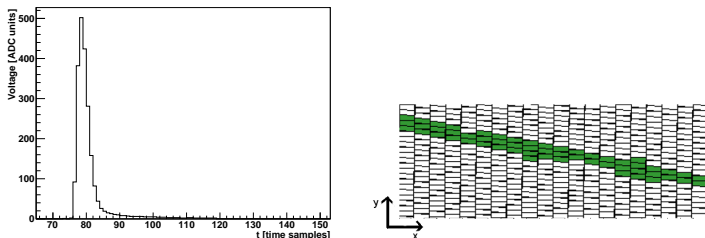


Figure: Left: Typical pulse. Right: Typical track.

- ▶ Time is reconstructed as the voltage weighted average of the five samples around the peak.
- ▶ Adjacent pulses are grouped into clusters where coordinates are determined by e.g. $y = \frac{\sum Q_i y_i}{\sum Q_i}$ where Q_i is the charge of the pulse and y_i is the corresponding y-coordinate of the pad.
- ▶ For tracking, a simple track reconstruction algorithm was used.

Residuals

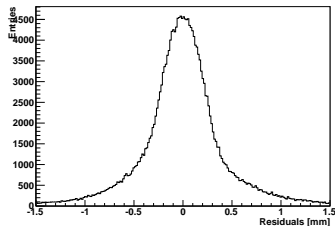
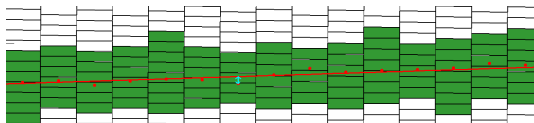


Figure: Upper: Magnified event display. Lower: Residuals integrated over the full track length from 10000 tracks with 7 cm drift length and $B=0T$, $\sigma \approx 0.31$ mm for a Gaussian core accounting for 95% of the total area. Distortion corrections have been applied.

Distortions

If the residuals are plotted against pad row, they should line up around zero. However:

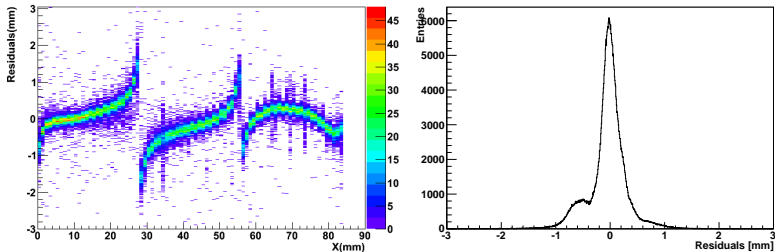


Figure: Left: Residuals for 10000 tracks vs pad row for $B=1T$ and drift length of 10 cm. Right: Residuals integrated over the full track length using 10000 tracks from the same run

After corrections

Corrected using Millipede, see "A new method for the high-precision alignment of track detectors", Volker Blobel

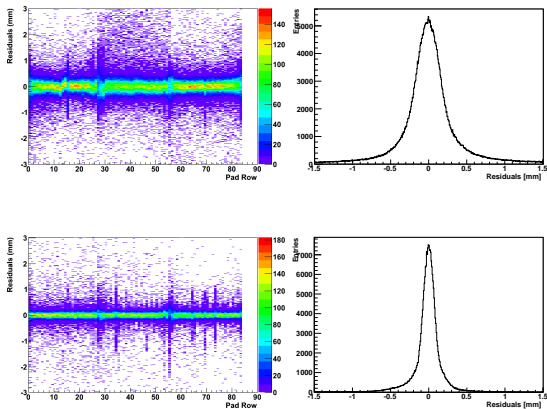


Figure: Left: Residuals for 10000 tracks vs pad row for B=0T and drift length of 5 cm (upper) and B=1T and drift length of 10 cm (lower) Right: Residuals integrated over the full track length using 10000 tracks from the same run, $\sigma \approx 0.16$ mm (upper) and $\sigma \approx 0.077$ mm (lower) for a Gaussian core accounting for 95% of the total area

Resolution in bend plane

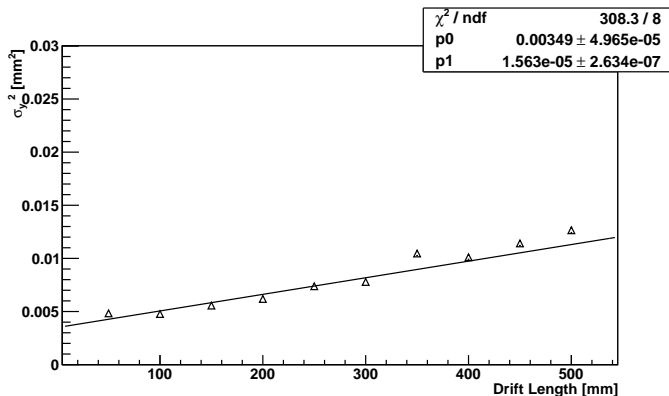


Figure: Measured resolution for different drift lengths. The line crosses the y-axis at 0.00349 mm^2 which corresponds to an intrinsic resolution of $\sigma_y(0) = 59.1 \pm 0.4 \mu\text{m}$.

Comparison with theoretical predictions.

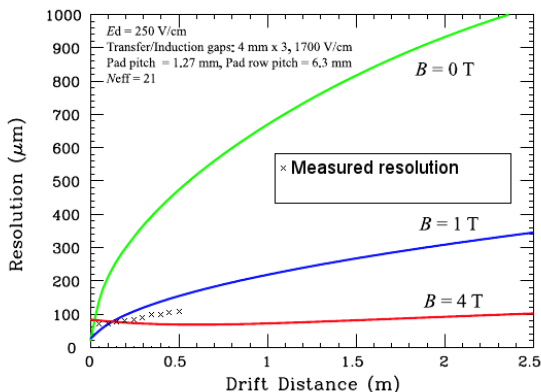


Figure: Predicted resolution for different magnetic field strengths and slightly different conditions. Also shown are the points measured experimentally (shown in prev. slide)¹.

¹K. Ackermann et.al. Nucl.Instrum.Meth.A623:141-143,2010

Resolution in Z

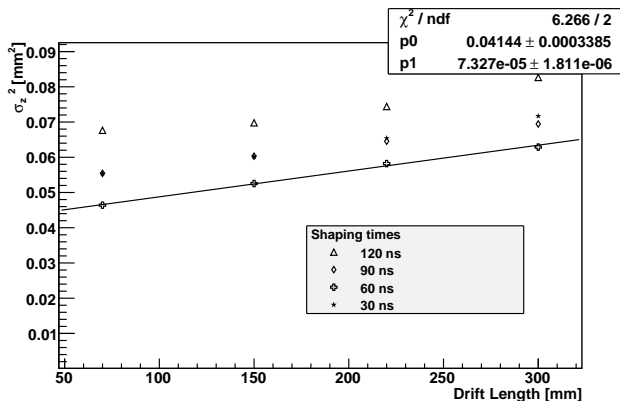


Figure: Measured resolution in the z-direction for different drift lengths and shaping times. The best results are obtained with a shaping time of 60ns. Extrapolating the fitted line to half the drift length of the final TPC gives $346 \pm 9\mu\text{m}$ which is well below the desired resolution of $500\mu\text{m}$. An extrapolation to the full drift length (2.15 m) gives $446 \pm 9\mu\text{m}$, still below the goal resolution.

Momentum measurements

- ▶ $p \approx 0.3B \cdot R$
- ▶ $\sigma(1/p) \approx 9.2 \cdot 10^{-3} \pm 0.0002 \text{ GeV}^{-1}$
- ▶ The track fit includes all points along a reconstructed track.

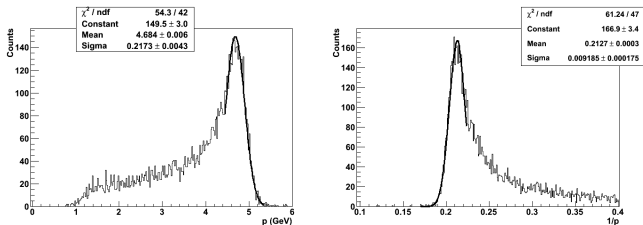


Figure: Measured track momenta (left) and $1/p$ -distribution (right) at a drift length of 15 cm.

- ▶ The momentum resolution has been calculated from a gaussian fit to the peak covering 42% of the total area.
- ▶ However, the momentum spread of the beam is $\approx 5\%$ which gives $\sigma(1/p) \approx 0.01 \text{ GeV}^{-1}$ at 5 GeV, and therefore the measured width is fully consistent with the beam spread.

Theoretical momentum resolution

- ▶ Glückstern's formula: $\delta\left(\frac{1}{P_T}\right) = \frac{\sigma_y}{0.3L^2B} \sqrt{\frac{720}{N+4}}$
- ▶ $N = 84$, $L \approx 48$ cm and $B = 1$ T.
- ▶ $\sigma_y \approx 76$ μm (drift of 15 cm) gives $\sigma(1/p) \approx 3 \cdot 10^{-3}$ GeV^{-1} .

Summary

- ▶ Test measurements with a TPC using GEM readout have been performed.
- ▶ Corrections for electric field distortions have been introduced using the Millepede software package.
- ▶ Results on spatial resolution show that σ_y at zero drift is $59.1 \pm 0.4 \mu\text{m}$ and σ_z at zero drift is $216 \pm 7 \mu\text{m}$.
- ▶ Result on momentum resolution is $\sigma(1/p_t) \approx 9.2 \times 10^{-3} \pm 0.0002 \text{ GeV}^{-1}$ at a drift length of 15 cm. The momentum spread of the beam is however non negligible.
- ▶ Theoretical estimation on momentum resolution at $\sigma_y \approx 76 \mu\text{m}$ gives $\sigma(1/p) \approx 3 \cdot 10^{-3} \text{ GeV}^{-1}$.
- ▶ Results on spatial resolution are consistent with the goals for the full size ILD TPC.

- ▶ Track parameters from fit gives too optimistic estimation of the resolution.
- ▶ Use geometric mean of widths of the distributions with investigated cluster included, σ_{inc} , and excluded, σ_{exc} , from fit respectively. ¹
- ▶ $\sigma = \sqrt{\sigma_{inc} \cdot \sigma_{exc}}$

¹D.C.Arogancia et.al. Nucl.Instrum.Meth.A602:403-414,2009