

Backward and forward orbital integration of the Milky Way globular cluster system

Chemerynska I.V. , Ishchenko M.V., Berczik P.P.



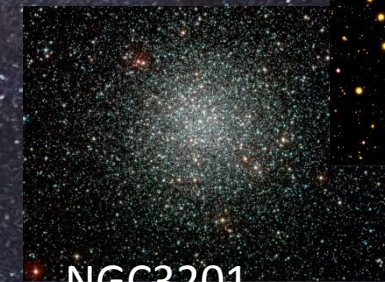
Taras Shevchenko
National university
of Kyiv

2021 - 27th YSC

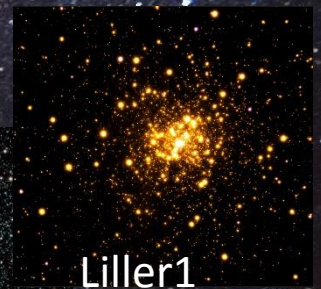
Why are globular clusters so important?

- Play a central role in cosmological studies
- The first stellar systems formed in the early Universe
- Help to understand the formation and evolution of galaxies
- Help in stellar evolution theory

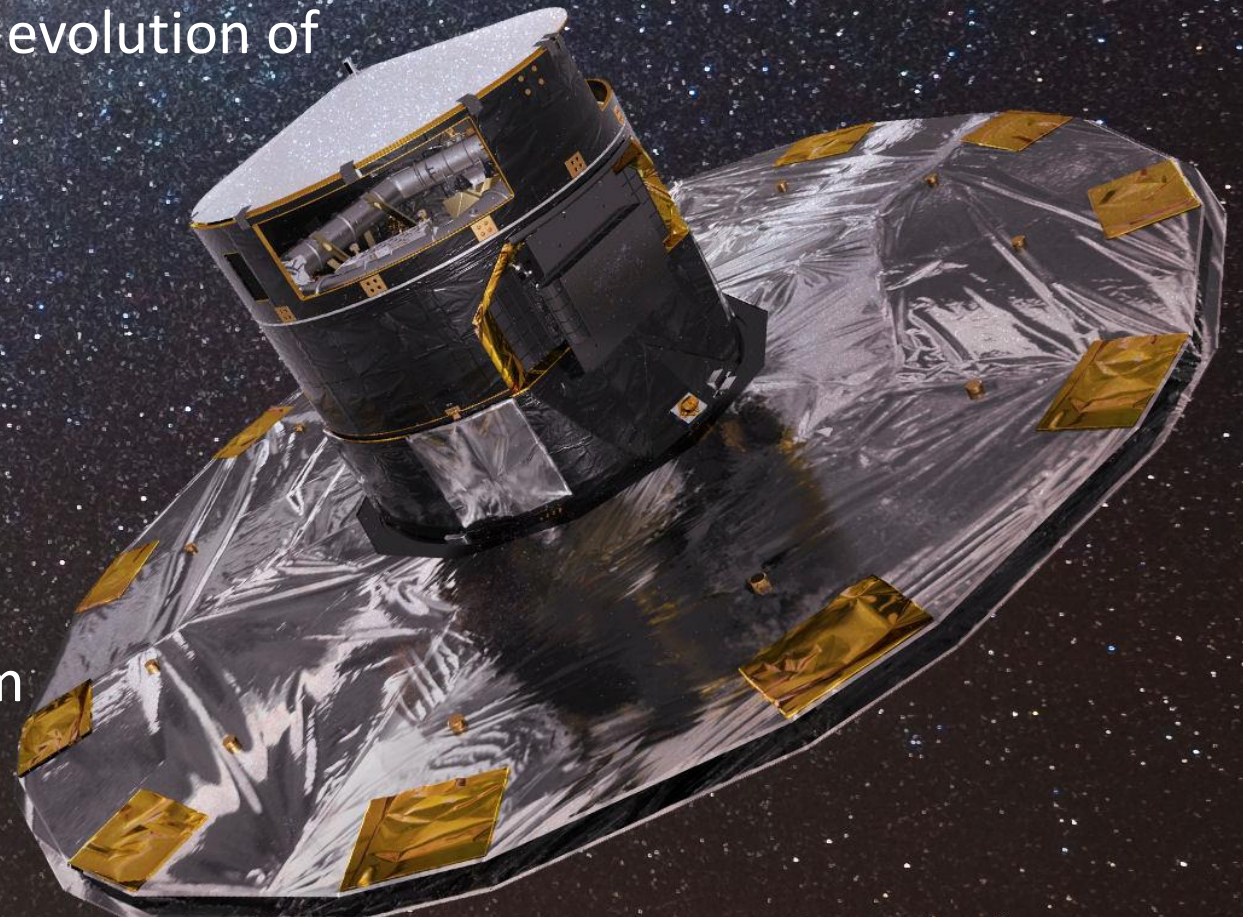
The source of data on globular clusters are the Vasiliev (2019) and Baumgardt (2019) catalog serves. They contain average proper motions calculated from data of the **Gaia DR2**,



NGC3201



Liller1



The NFW Milky Way potential

Where:

- $r^2 = X^2 + Y^2 + Z^2 = R^2 + Z^2$
- where M_b , M_d , M_h are the masses of these components
- b_b , a_d , b_d , a_h are the scale parameters of the components

Bajkova, Bobylev (2020)

Miyamoto, Nagai (1975)

Navarro et al. (1997)

Parameter	Value
$M_b [M_\odot]$	443±27
$M_d [M_\odot]$	2798±84
$M_h [M_\odot]$	12474±3289
b_b [kpc]	0.2672±0.0090
a_d [kpc]	4.40±0.73
b_d [kpc]	0.3084±0.0050
a_h [kpc]	7.7±2.1
R_\odot [kpc]	8.30
V_\odot [km s ⁻¹]	243.9
$M_{G(R<200\text{kpc})}$ [10 ¹² M _⊙]	0.75±0.19

- $\Phi_{bulge}(r) = -\frac{M_b}{[r^2 + b_b^2]^{1/2}}$
- $\Phi_{disk}(R, Z) = -\frac{M_d}{\left[R^2 + \left(a_d + \sqrt{Z^2 + b_d^2} \right)^2 \right]^{1/2}}$
- $\Phi_{halo}(r) = -\frac{M_h}{r} \ln \left(1 + \frac{r}{a_h} \right)$

Backward and forward integration

- For green objects:

$$dR = 2(R_{hm1} + R_{hm2})$$

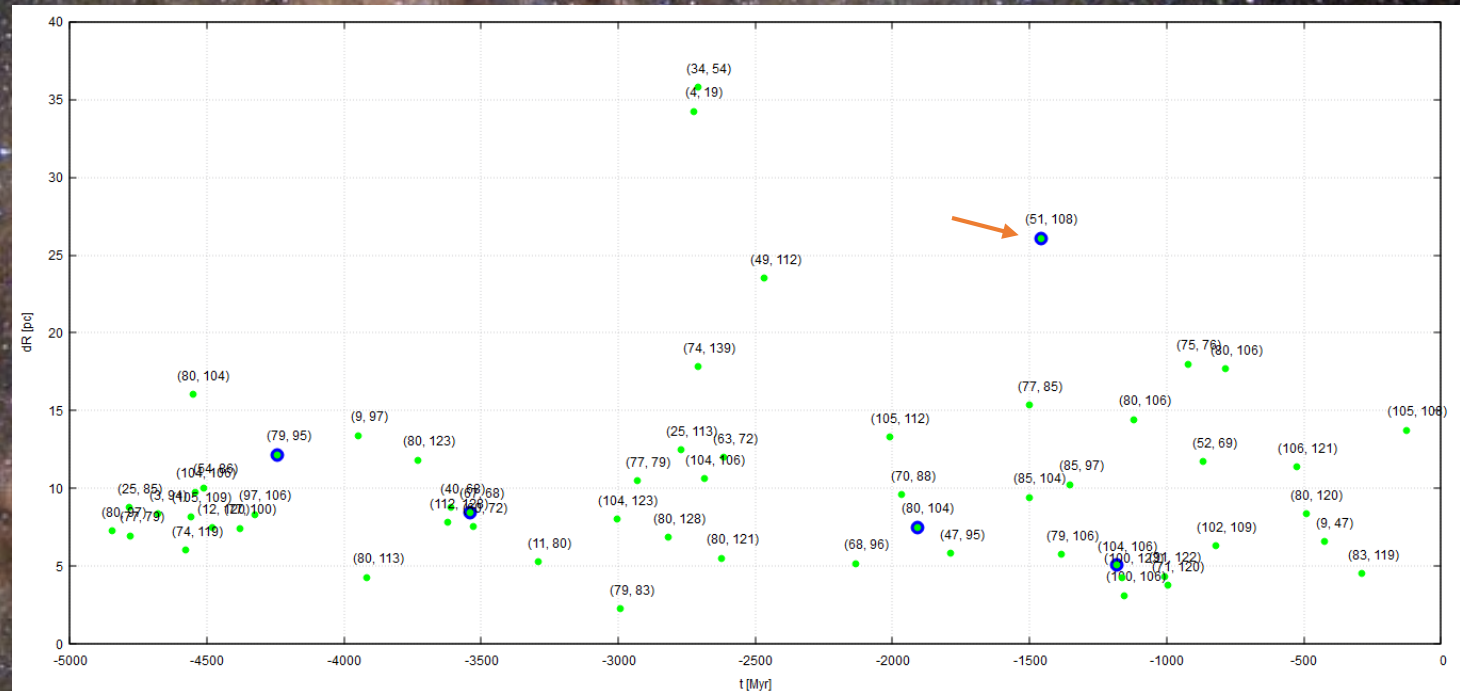
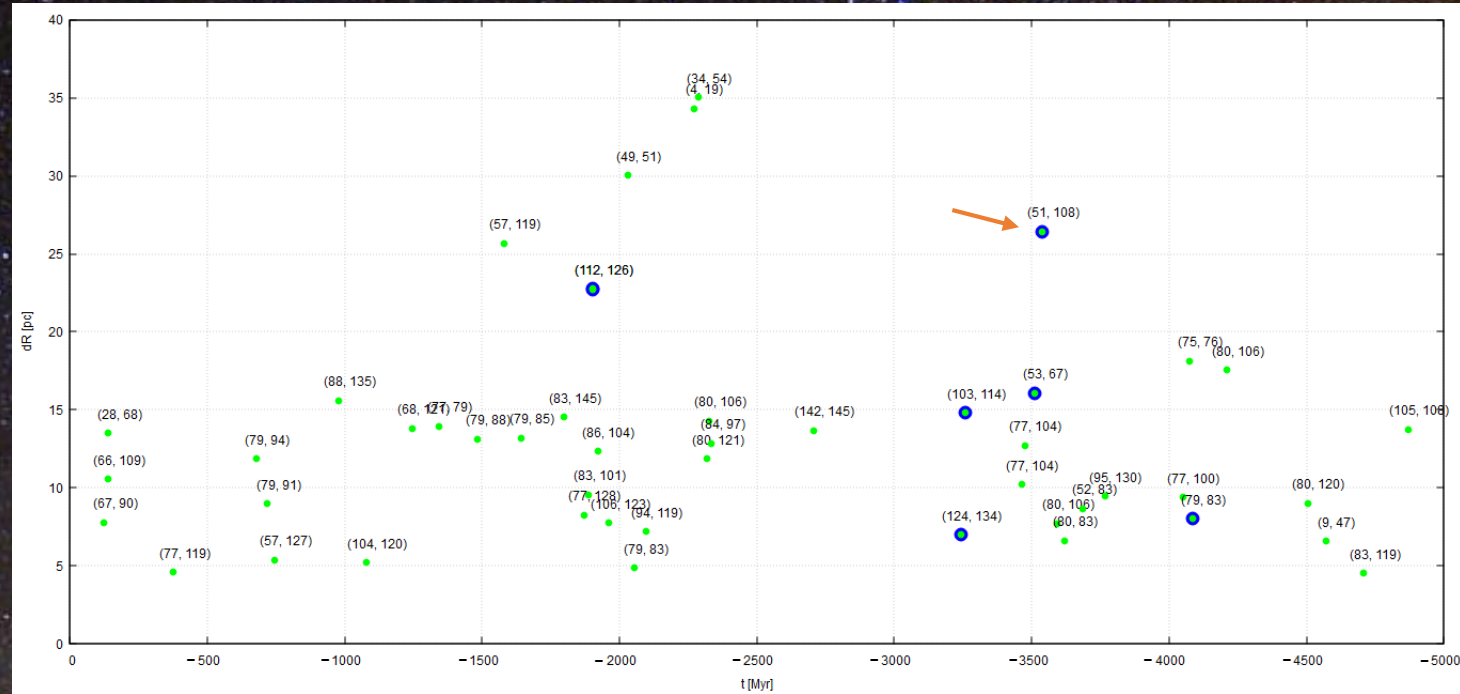
- For blue objects:

$$dR = 2(R_{hm1} + R_{hm2})$$

+

$$dV < 250 \text{ km/s}$$

* R_{hm} – half mass radius



Distance from Sun:	8100 pc
V-band magnitude:	12.00
Mass:	$8 \cdot 10^4 M_{\odot}$
Half-mass radius:	9.97 pc
Power-law MF slope:	$\alpha = -0.80$
Galactocentric distance:	2500 pc



Terzan 3

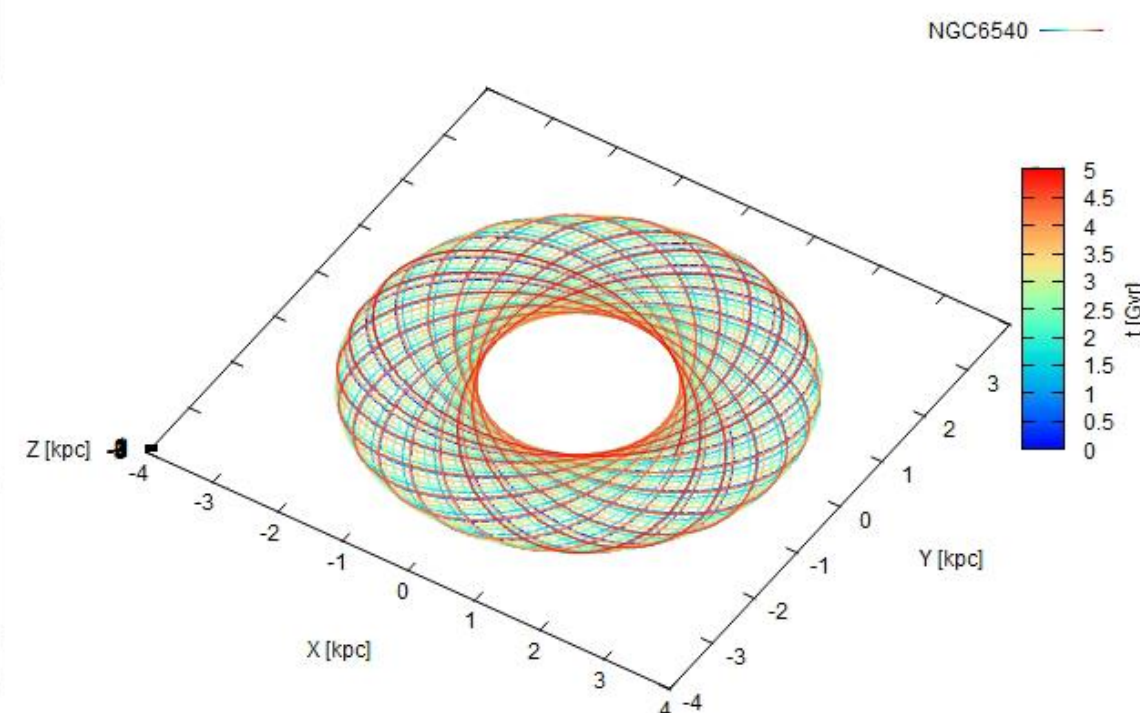
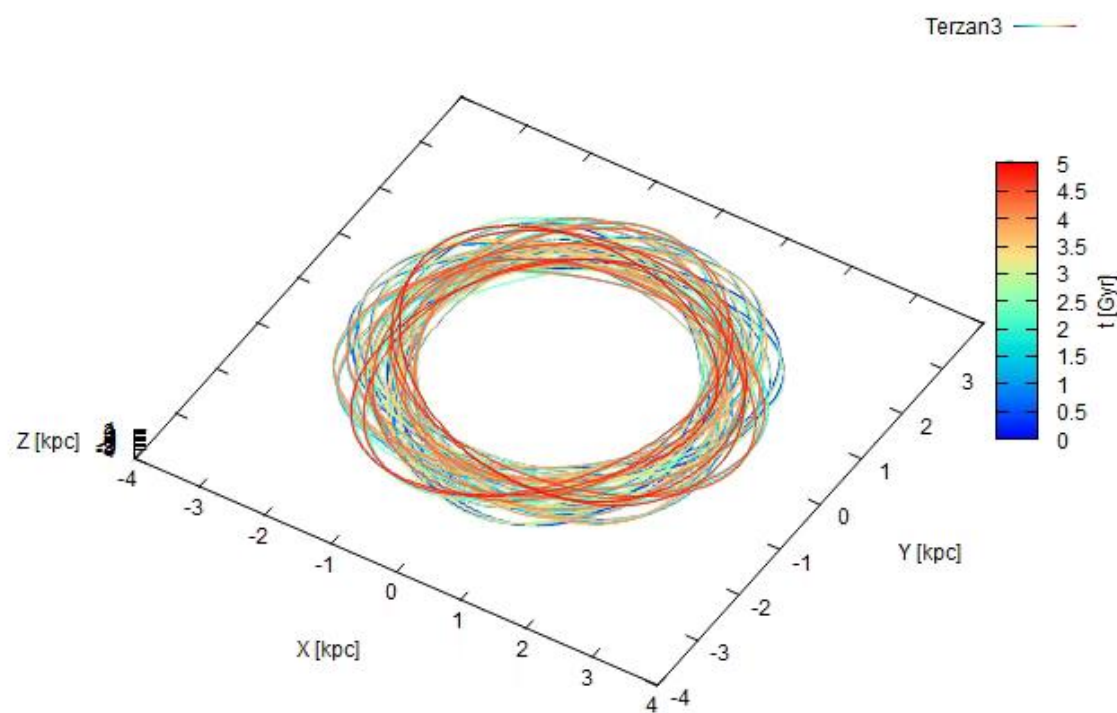
Image Credit: Hubble Legacy Archive

Distance from Sun:	5200 pc
V-band magnitude:	9.30
Mass:	$4.1 \cdot 10^4 M_{\odot}$
Half-mass radius:	3.41 pc
Power-law MF slope:	$\alpha = -0.14$
Galactocentric distance:	3300 pc

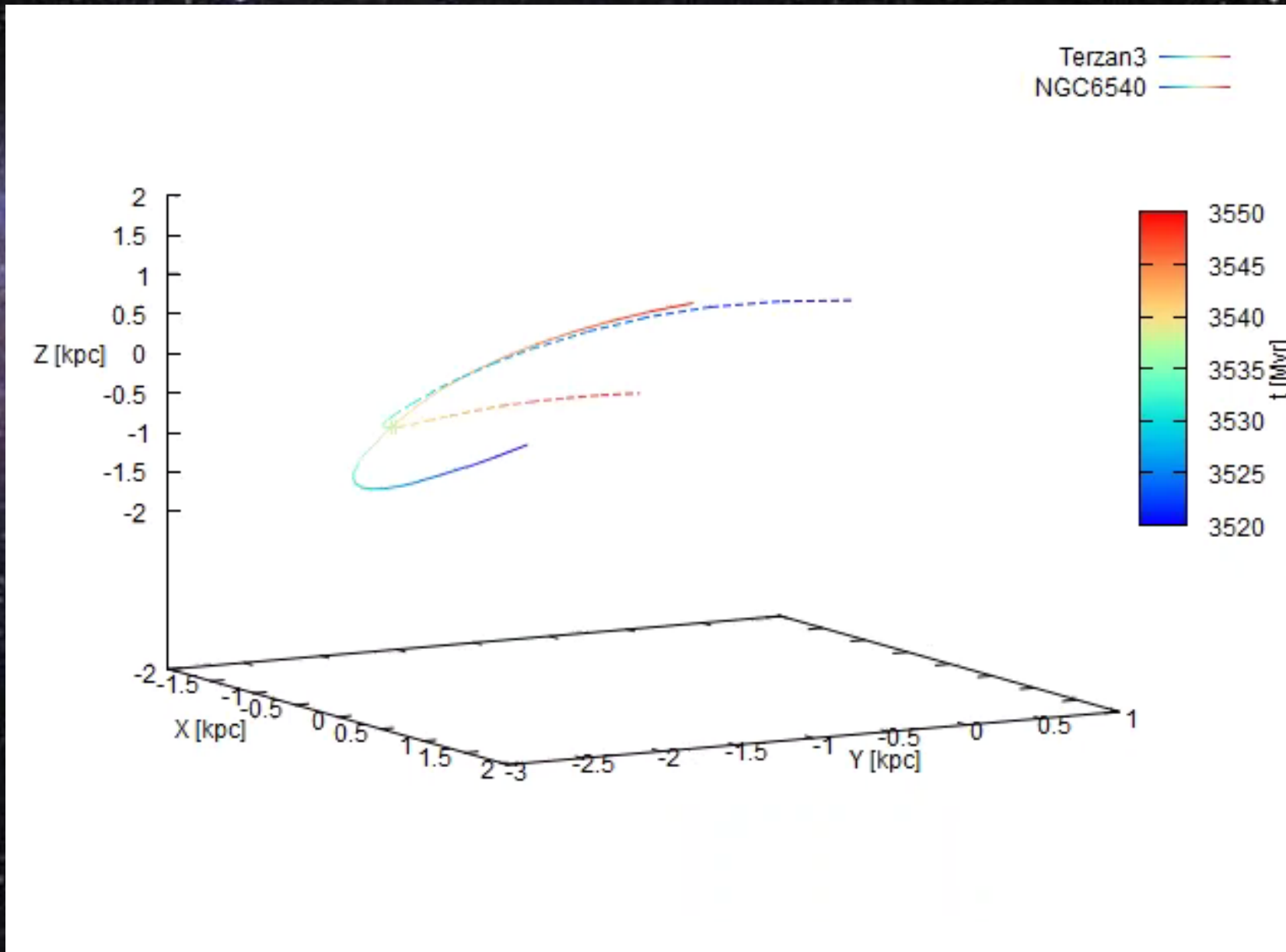


NGC 6540

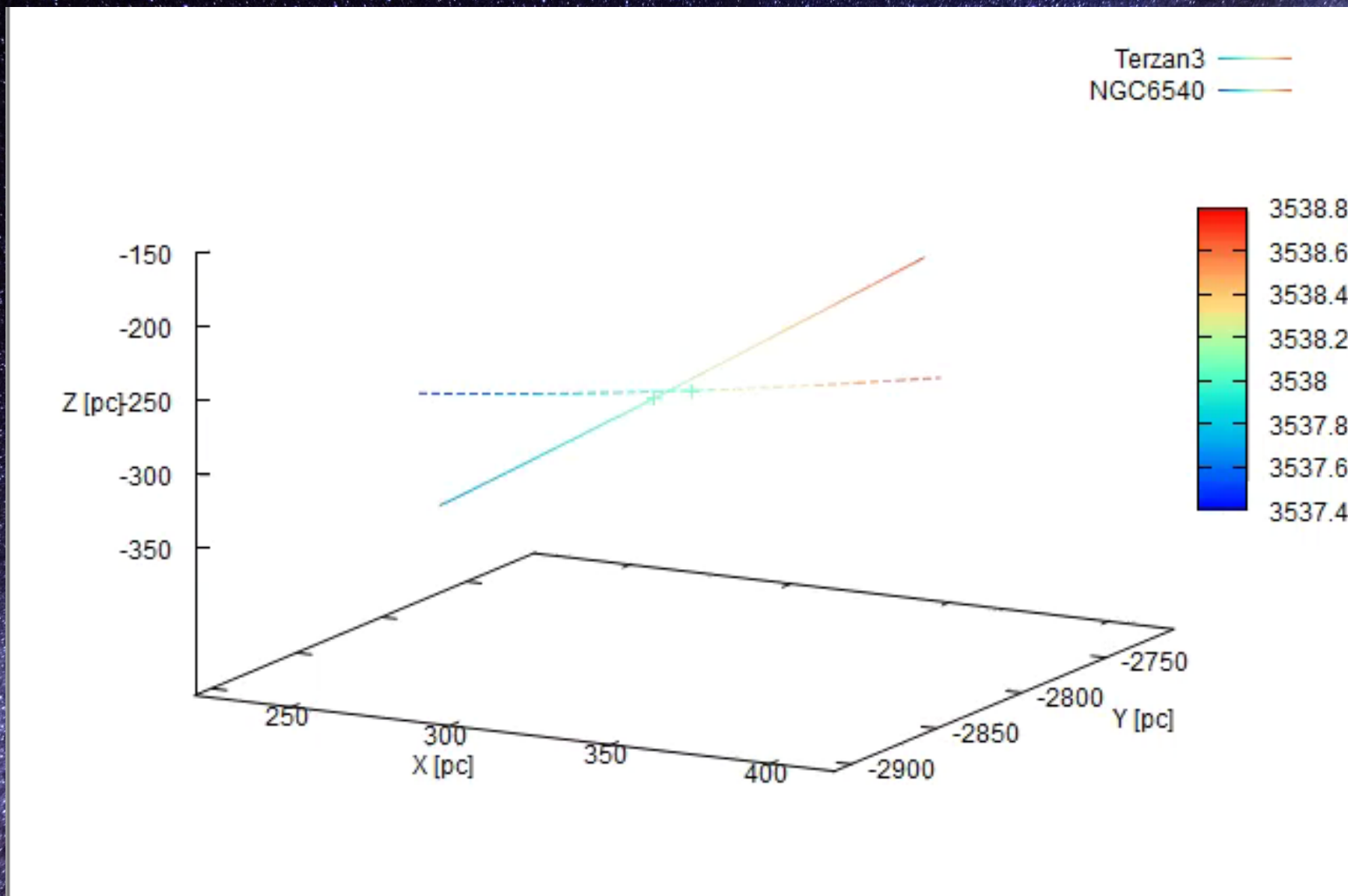
Image Credit: PanSTARRS DR1, PS1 Science Consortium

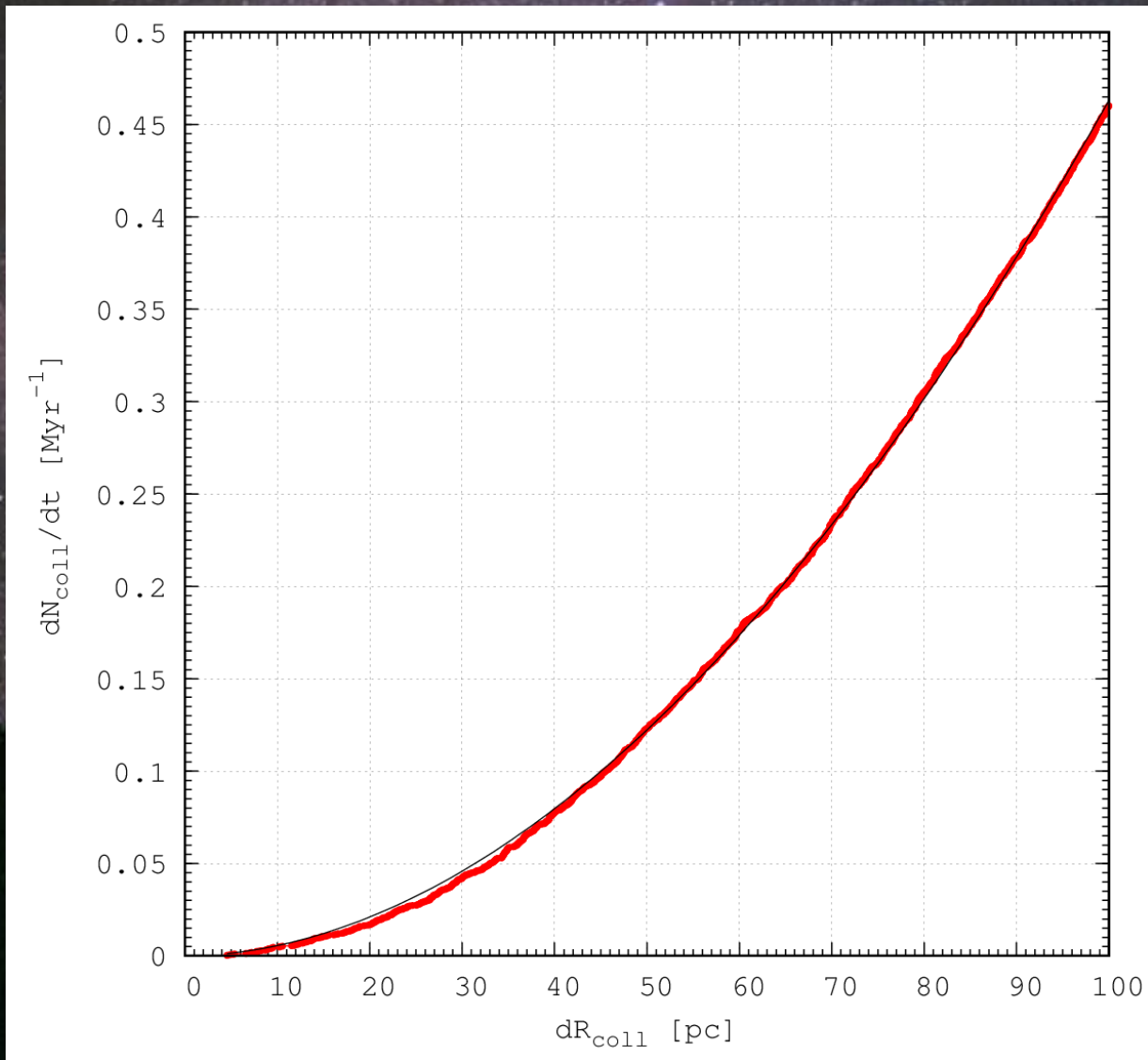


Visualization of orbit



Visualization of orbit (collision)





Statistics of GC collision rate in MW galaxy

$$f(dR) = 10^{(a \lg(dR)+b)}$$

$$a = +1.9213 \pm 0.001072 \text{ (0.0558\%)}$$

$$b = -4.17689 \pm 0.002082 \text{ (0.04985\%)}$$

I.e. In each 10 Myr we have at least 1 collision with $dR < 45$ pc.

Summary

- Backward and forward integrations up to 5 Gyr.
- Check the “collisions” conditions of GC’s.
- Find stable “collisions” pairs.

Our plans:

- determine the mass exchange rate between the individual GC’s...
- examine the possible rotation and angular momentum exchange rate between the individual clusters...
- study of the individual clusters mass function evolution (Initial MF – Present Day MF)...



Thanks for you attention!