

# W follow up

Ignazio Scimemi, in collaboration with D. Gutierrez-Reyes, S. Leal-Gomez, hep-ph/2011.05351



# W production

$$h_1 h_2 \rightarrow W^+ (W^-) \rightarrow l^+ (l^-) + \nu_l (\bar{\nu}_l)$$

D. Gutierrez-Reyes,  
S. Leal-Gomez, I.S.  
arXiv: 2011.05351

- We need to control the ratio  $q_T/Q$
- The fiducial cross section

$$\frac{d\sigma}{dm_T^2 dy dq_T^2} = \int_0^\infty \frac{dQ^2}{Q^4} \frac{8}{N_c} \frac{\alpha_{\text{em}}^2}{s} I_W(Q^2, q_T, m_T^2) \frac{1}{(4s_W^2)^2} \frac{Q^4}{(Q^2 - M_W^2)^2 + \Gamma_W^2 M_W^2} \\ \times \sum_{ff'} |V_{ff'}|^2 e_f e_{f'} W_{f_1 f_1}^{ff'}(Q^2, q_T, x_1, x_2).$$

Hadronic tensor

$$W_{f_1 f_1}^{ff'}(Q, q_T, x_1, x_2, \mu, \zeta) = \int \frac{|\mathbf{b}| d|\mathbf{b}|}{2} J_0(|\mathbf{b}||\mathbf{q}|) f_{1,f \leftarrow q}(x_1, \mathbf{b}, \mu, \zeta) f_{1,f' \leftarrow q}(x_2, \mathbf{b}, \mu, \zeta)$$



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Transverse mass definition in the leptonic tensor

$$I_W(Q^2, m_T^2, q_T) = \int \frac{d^3 l}{2E} \frac{d^3 l'}{2E'} [ll' - (ll')_T] \theta(\text{cuts}) \delta^{(4)}(l + l' - q) \delta(Q^2 - m_T^2 - f(l, l'))$$



# Matching to PDF scale variation

$$f_{1,f \leftarrow h}(x, b) = \int_x^1 \frac{dy}{y} \sum_{f'} C_{f \leftarrow f'}(y, \mathbf{L}_{\mu_{\text{OPE}}}, a_s(\mu_{\text{OPE}})) f_{1,f' \leftarrow h}\left(\frac{x}{y}, \mu_{\text{OPE}}\right) f_{\text{NP}}(x, b),$$
$$D_{1,f \rightarrow h}(z, b) = \frac{1}{z^2} \int_z^1 \frac{dy}{y} \sum_{f'} y^2 C_{f \rightarrow f'}(y, \mathbf{L}_{\mu_{\text{OPE}}}, a_s(\mu_{\text{OPE}})) d_{1,f' \rightarrow h}\left(\frac{z}{y}, \mu_{\text{OPE}}\right) D_{\text{NP}}(z, b)$$

$$\mu_{\text{OPE}} = \left( \frac{C_0}{b} + 2 \right) c_4 \quad (\text{Naive, these plots: overestimate in the non-perturbative region})$$

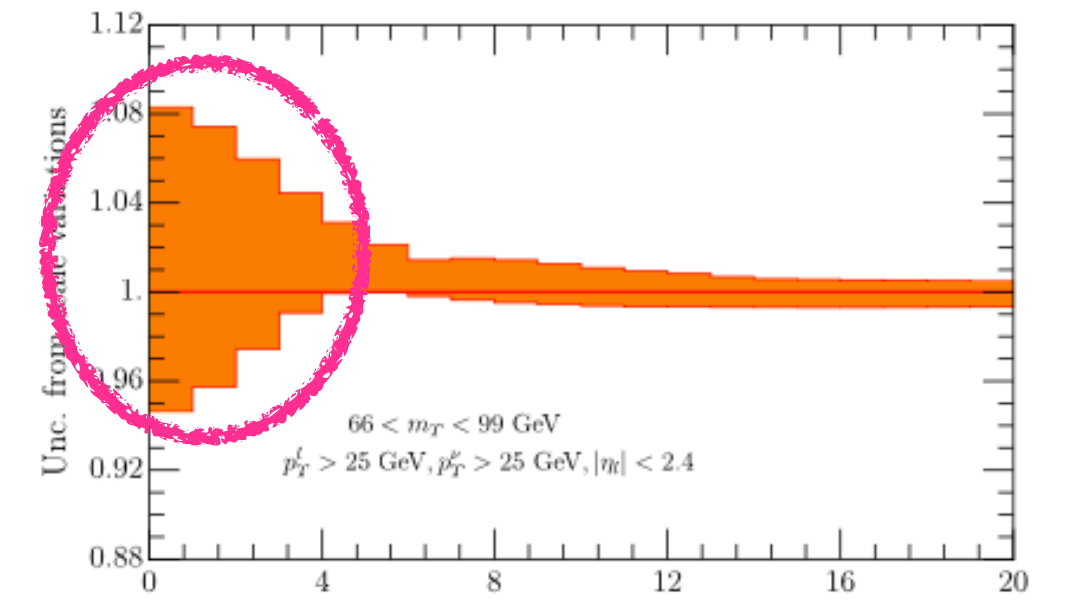
$$\mu_{\text{OPE}} = \left( \frac{C_0}{b} c_4 + 2 \right) \quad (\text{Future plots: error estimate in the perturbative region})$$

Input of the model

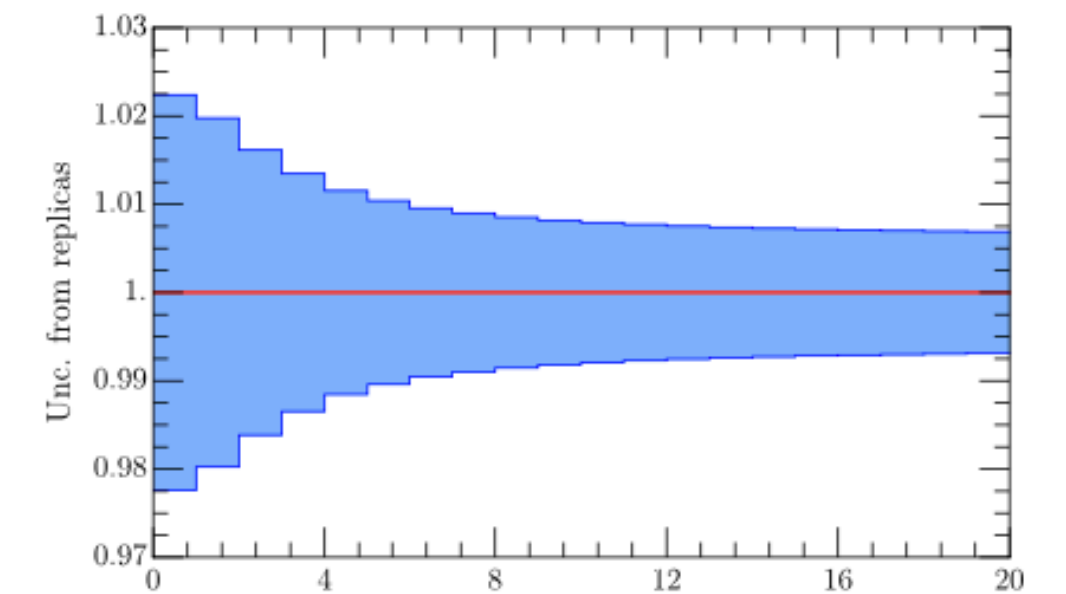


# Errors in $W^-$ spectrum

## SCALE VARIATIONS

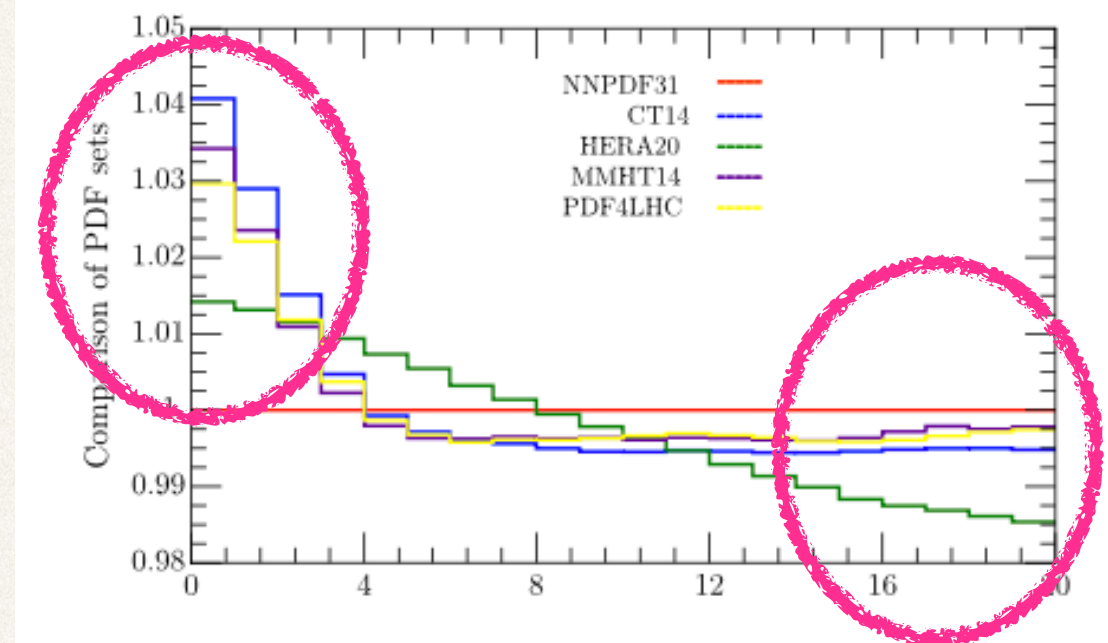


## NNPDF31 REPLICAS (1000)

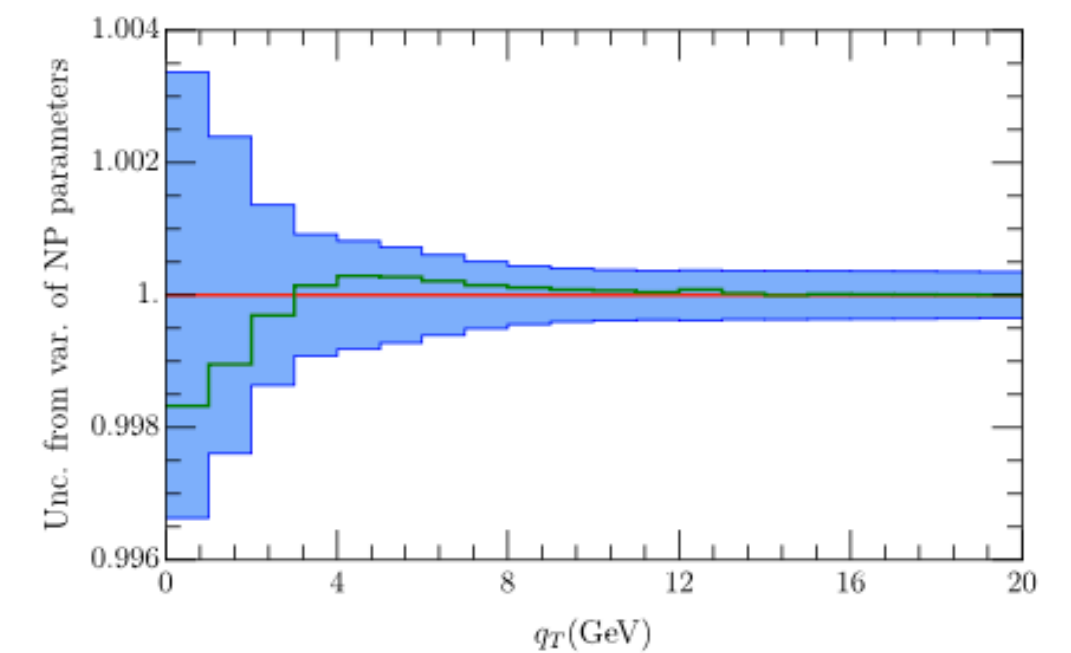


The first 3 errors are the main ones:  
Work in progress to reduce some of them  
(scale variation, PDF sets: I. Scimemi talk at DIS2021)

## PDF SETS



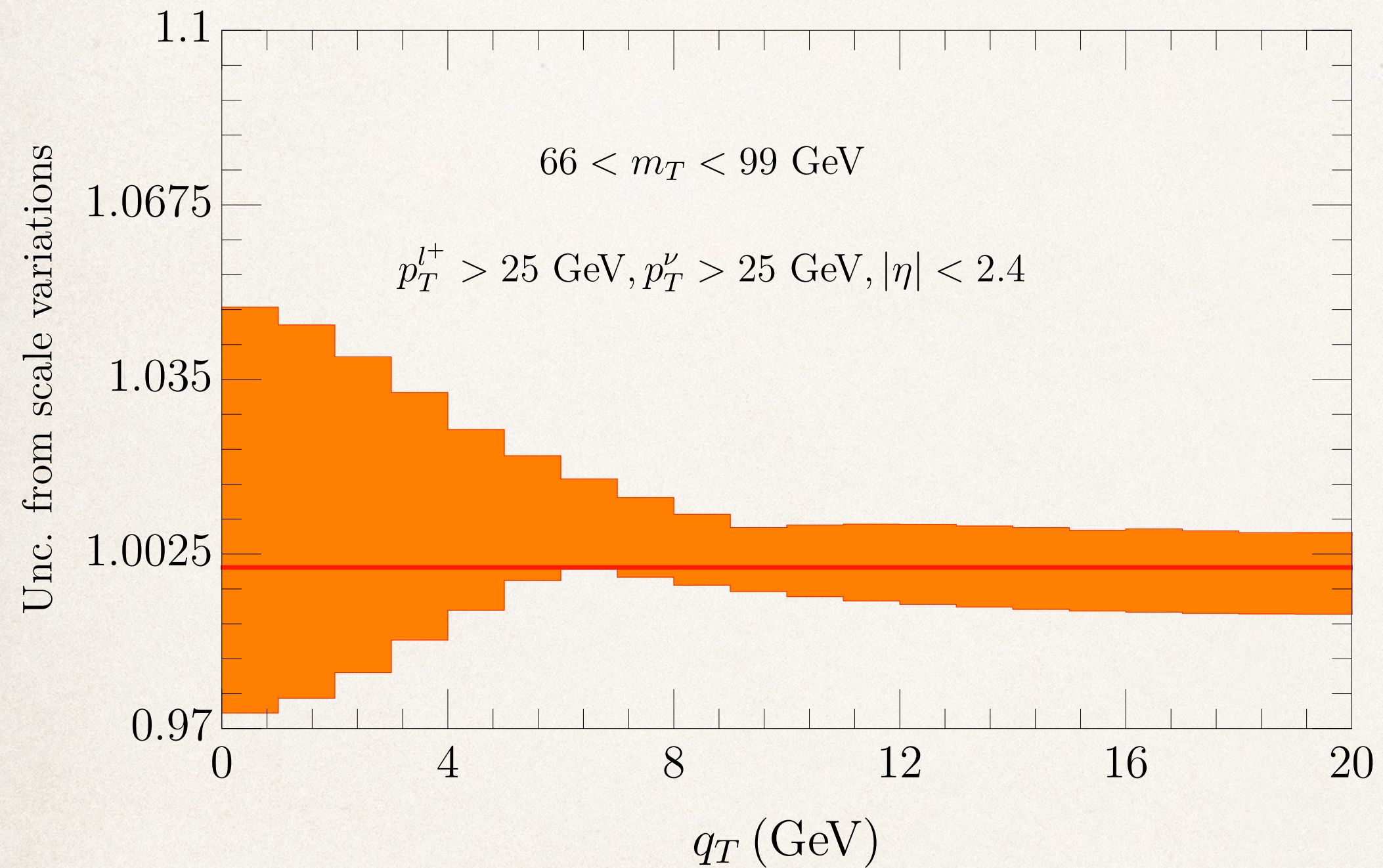
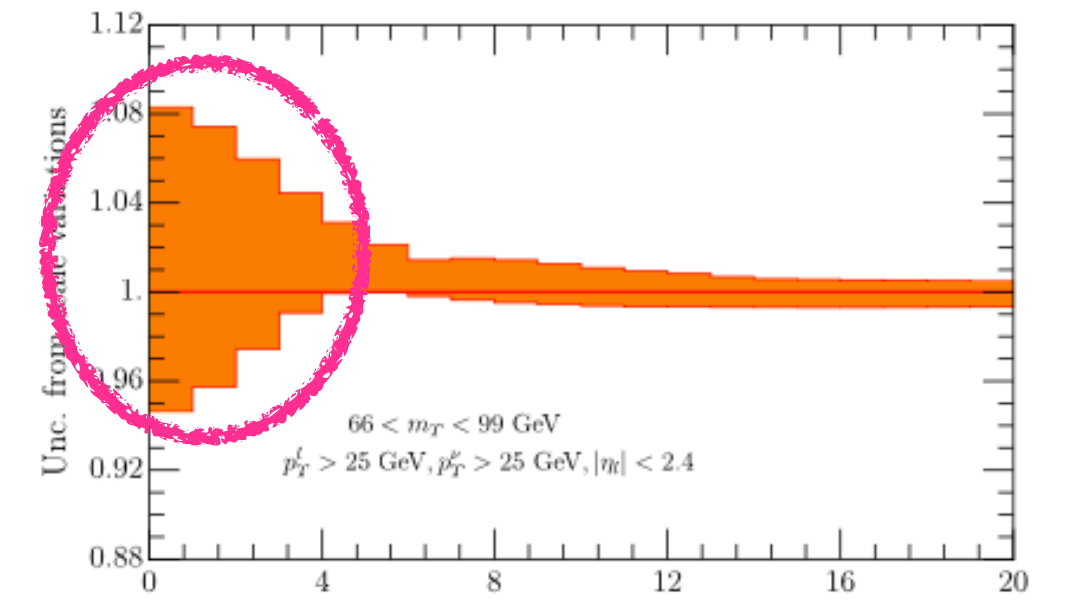
## EXTRACTED TMD PARAMETERS



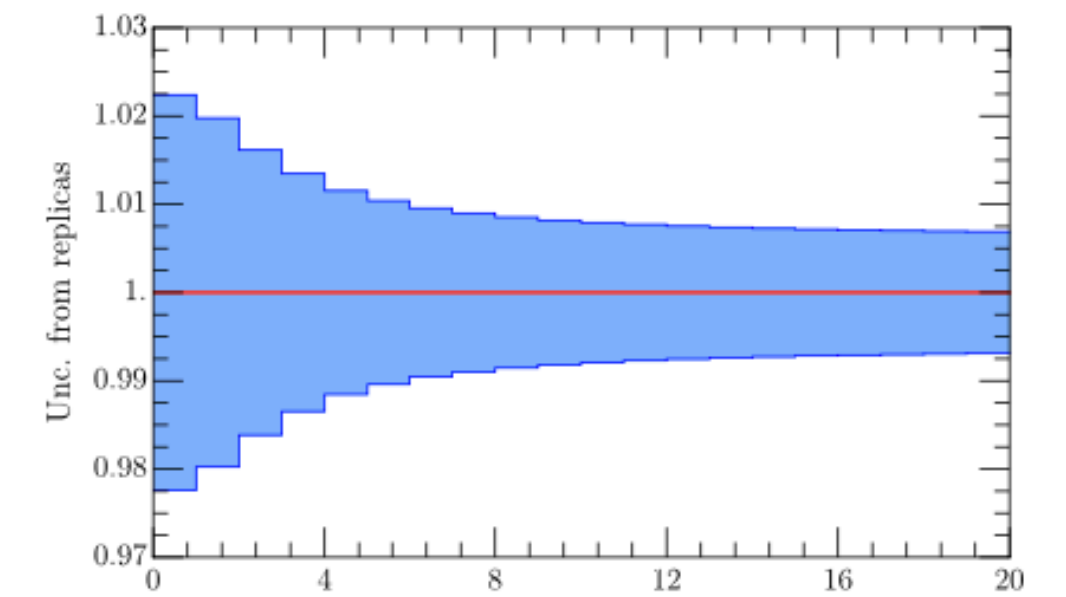


# Errors in $W^-$ spectrum (scale variation new estimate)

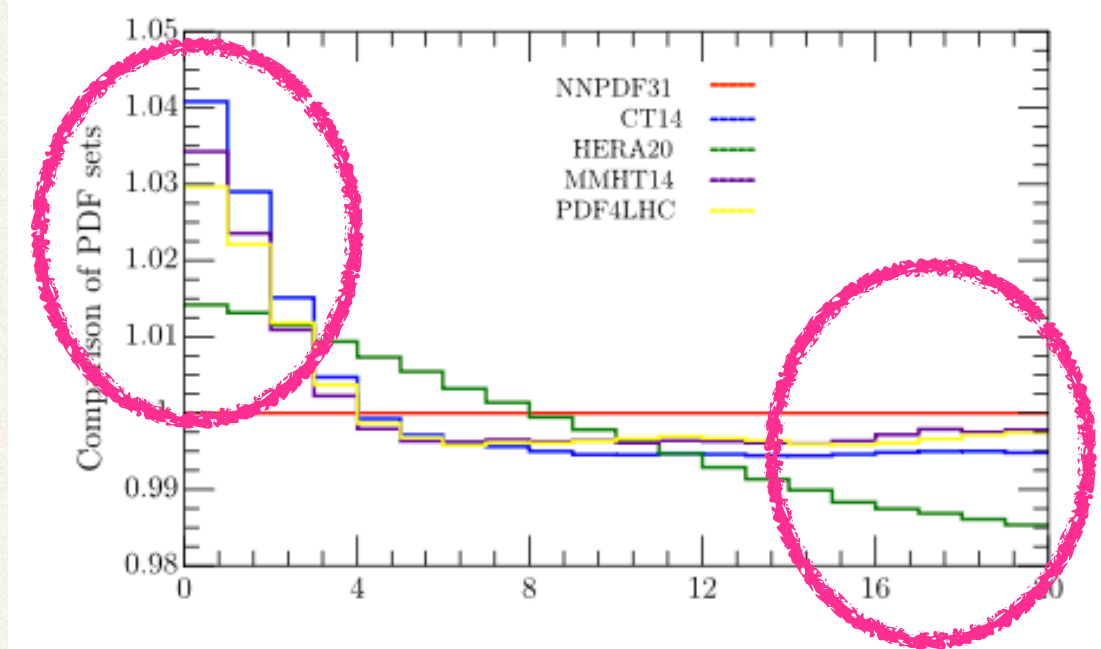
## SCALE VARIATIONS



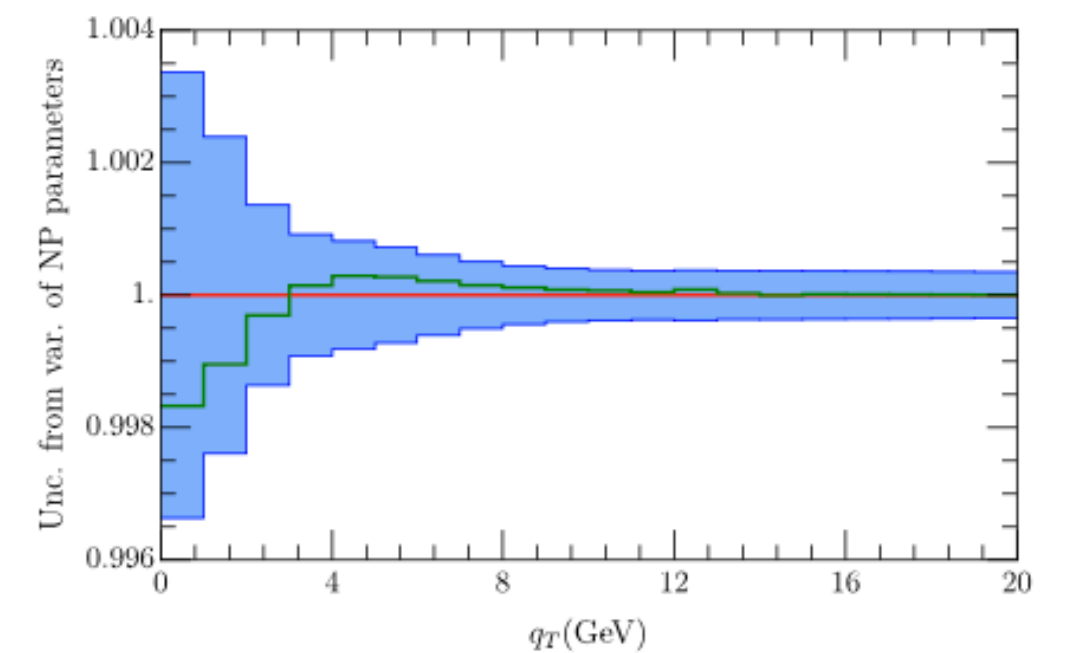
## NNPDF31 REPLICAS (1000)



## PDF SETS



## EXTRACTED TMD PARAMETERS

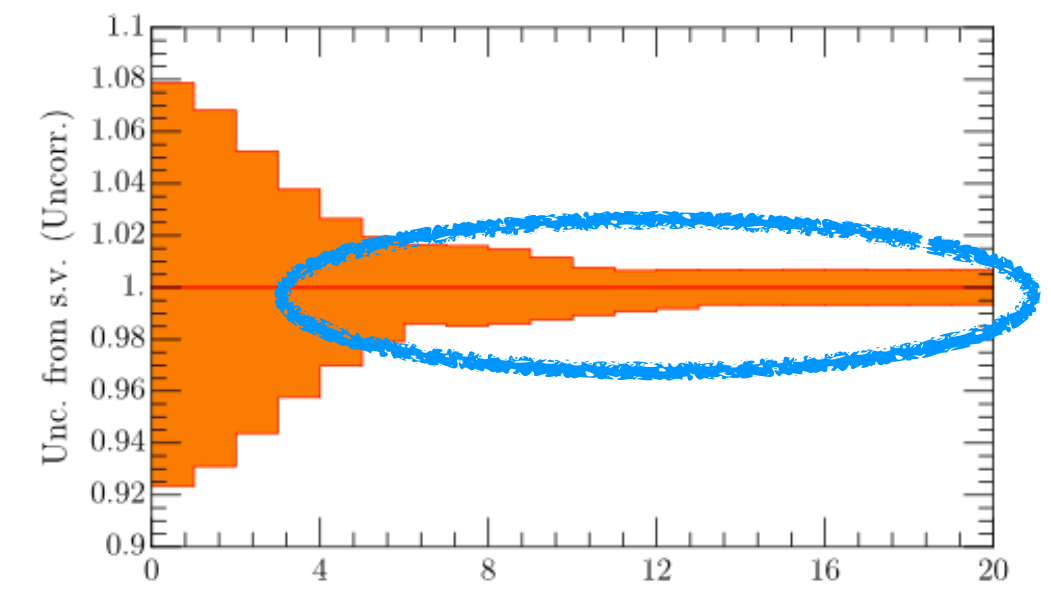




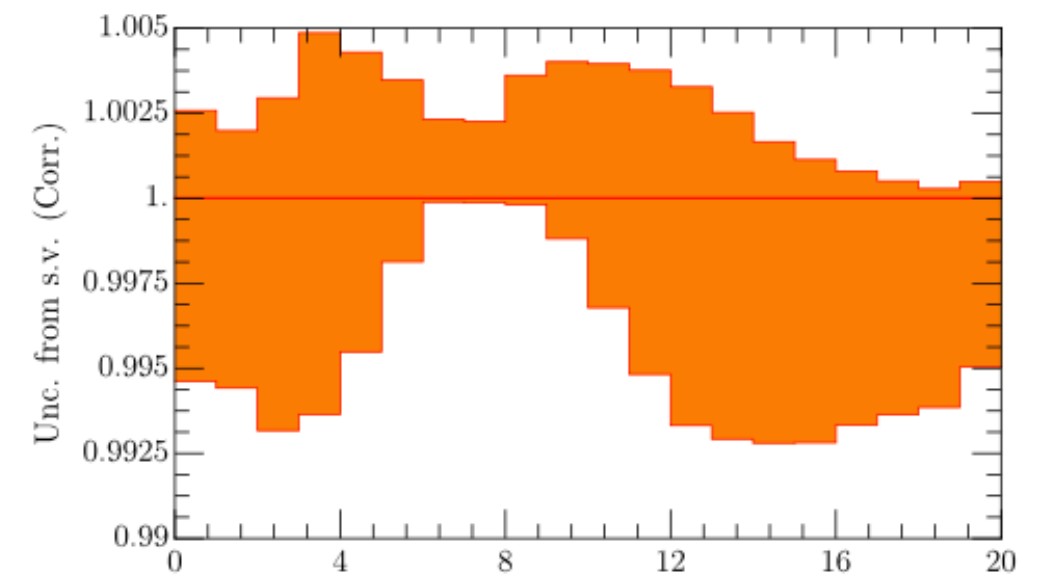
# Errors in $p_T^Z/p_T^{W^+}$ spectrum

📍 Ongoing discussion on correlated uncorrelated error

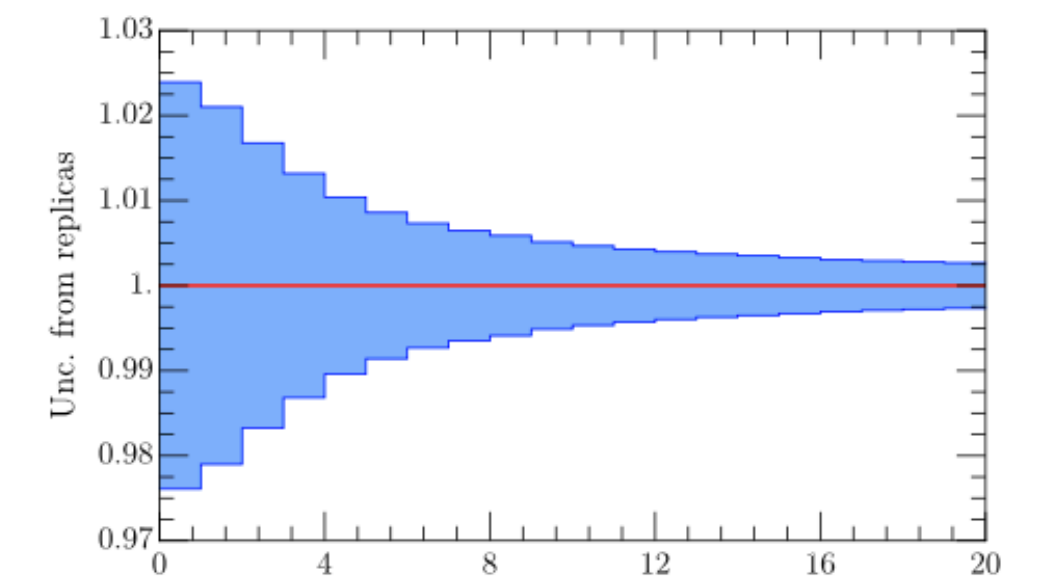
UNCORRELATED SCALE VARIATIONS



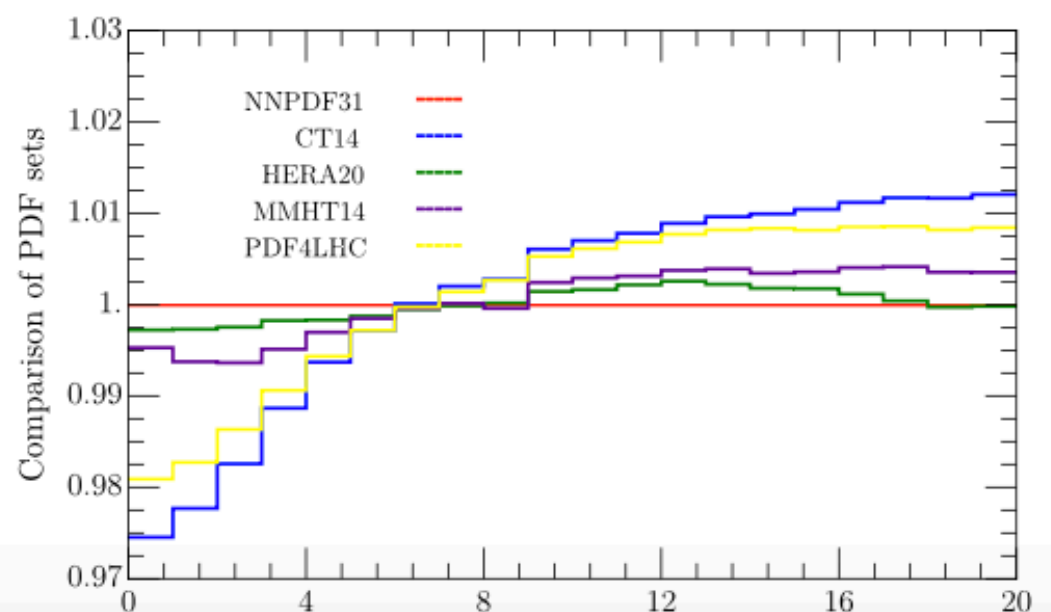
CORRELATED SCALE VARIATIONS



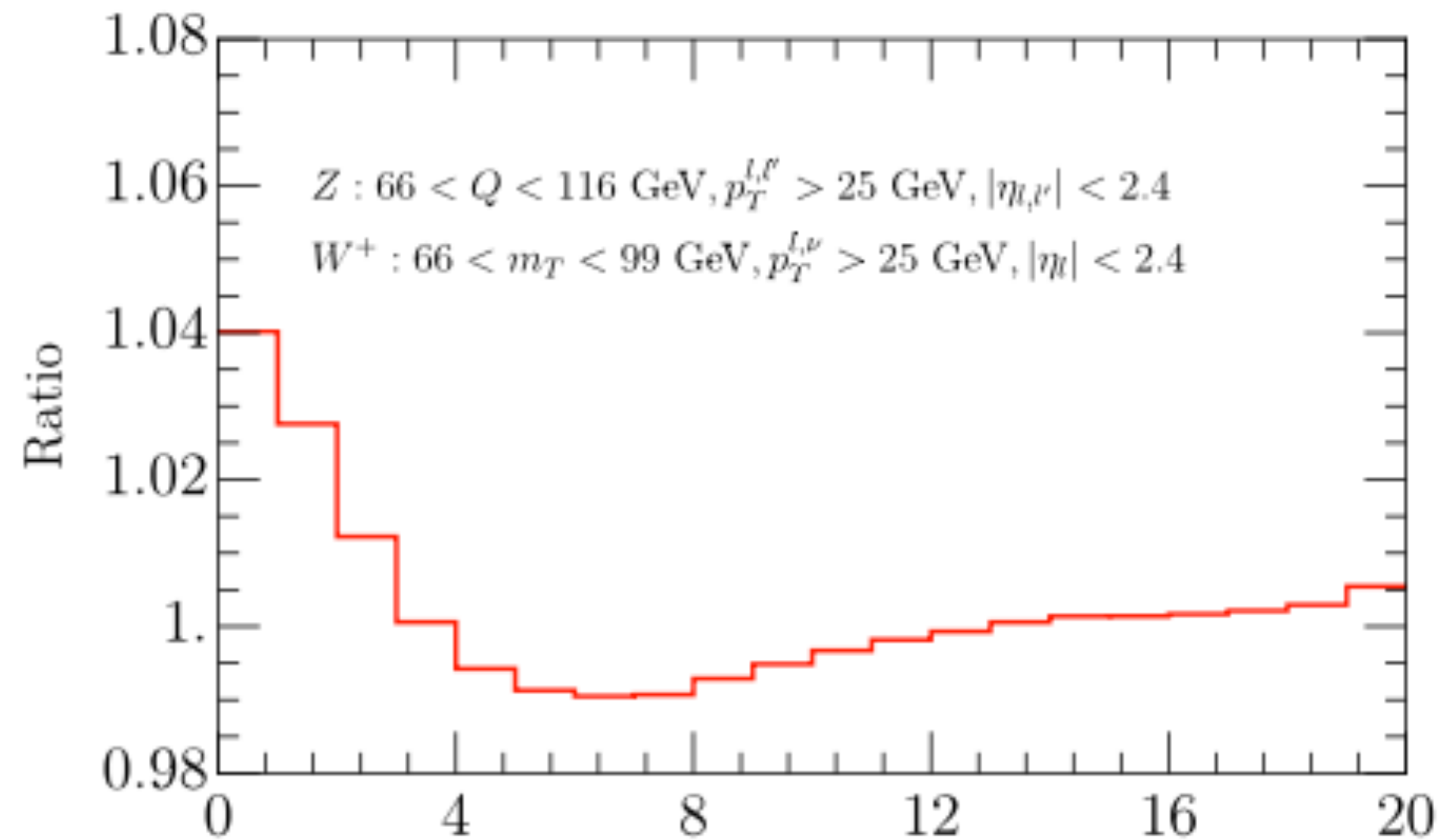
NNPDF31 REPLICAS (1000)



PDF SETS



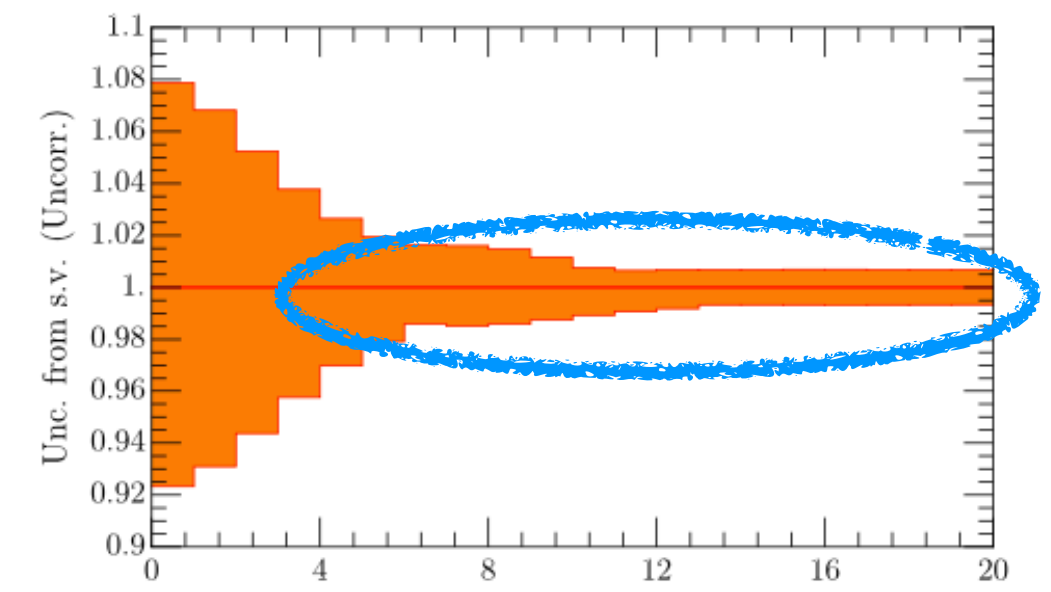
$$\text{Ratio: } \frac{1}{\Delta\sigma_Z} \frac{d\sigma_Z}{dq_T^Z} / \frac{1}{\Delta\sigma_{W^+}} \frac{d\sigma_{W^+}}{dq_T^{W^+}} \cdot \text{N}^3\text{LL+NNLO}$$



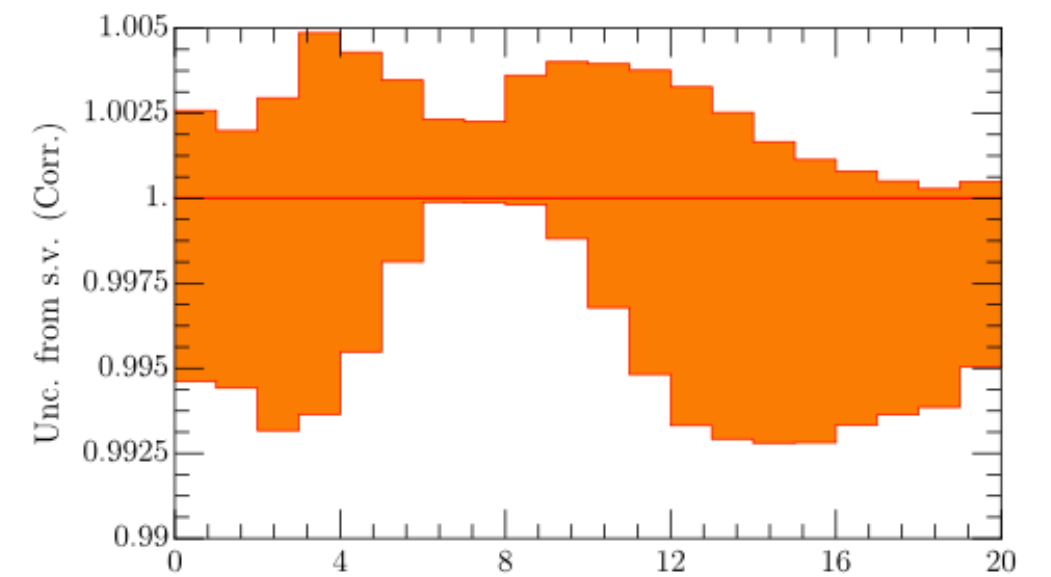


# Errors in $p_T^Z/p_T^{W^+}$ spectrum (scale variation new estimate)

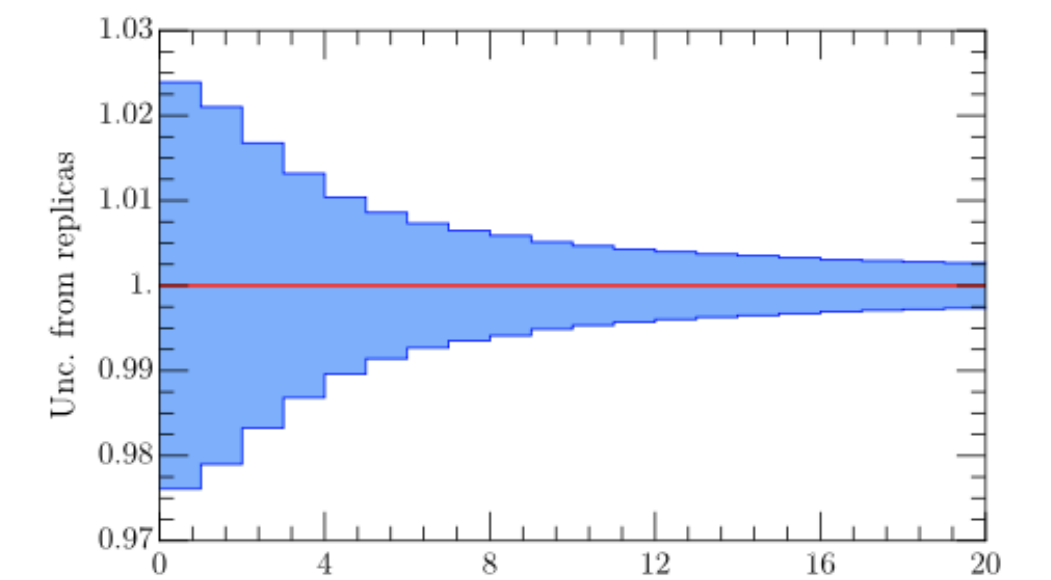
**UNCORRELATED SCALE VARIATIONS**



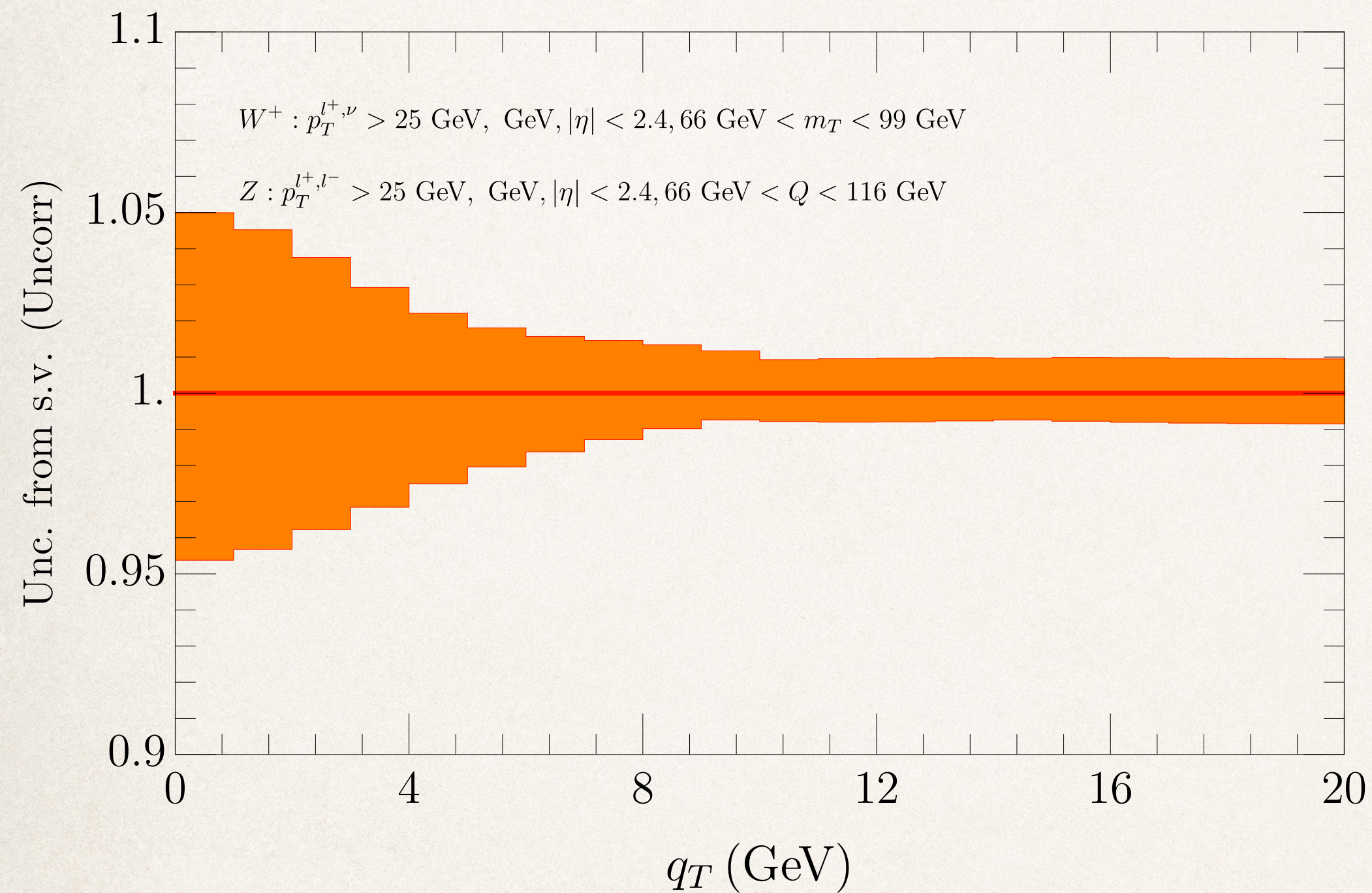
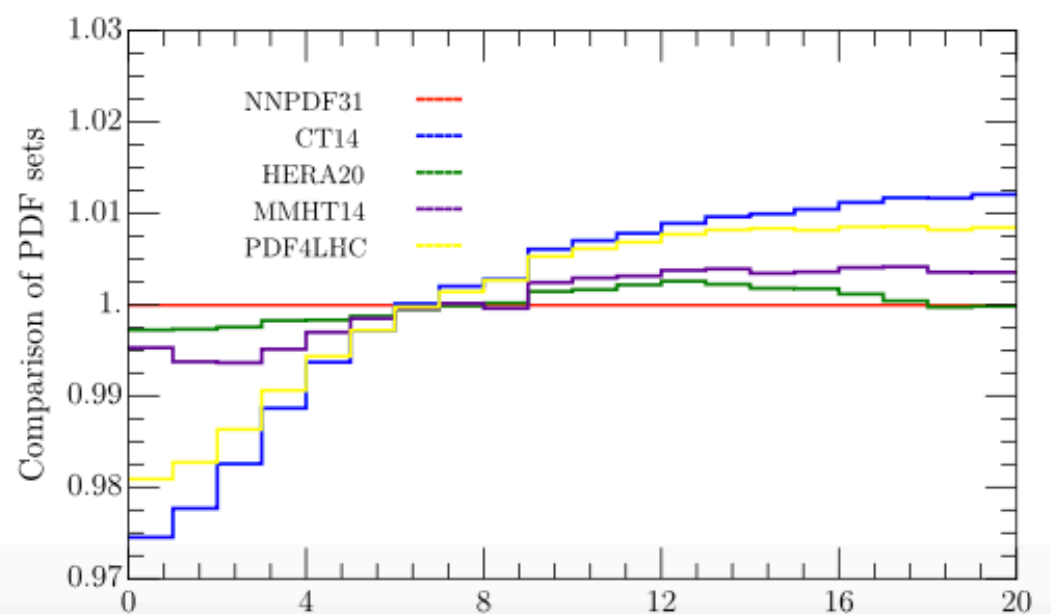
**CORRELATED SCALE VARIATIONS**



**NNPDF31 REPLICAS (1000)**



**PDF SETS**

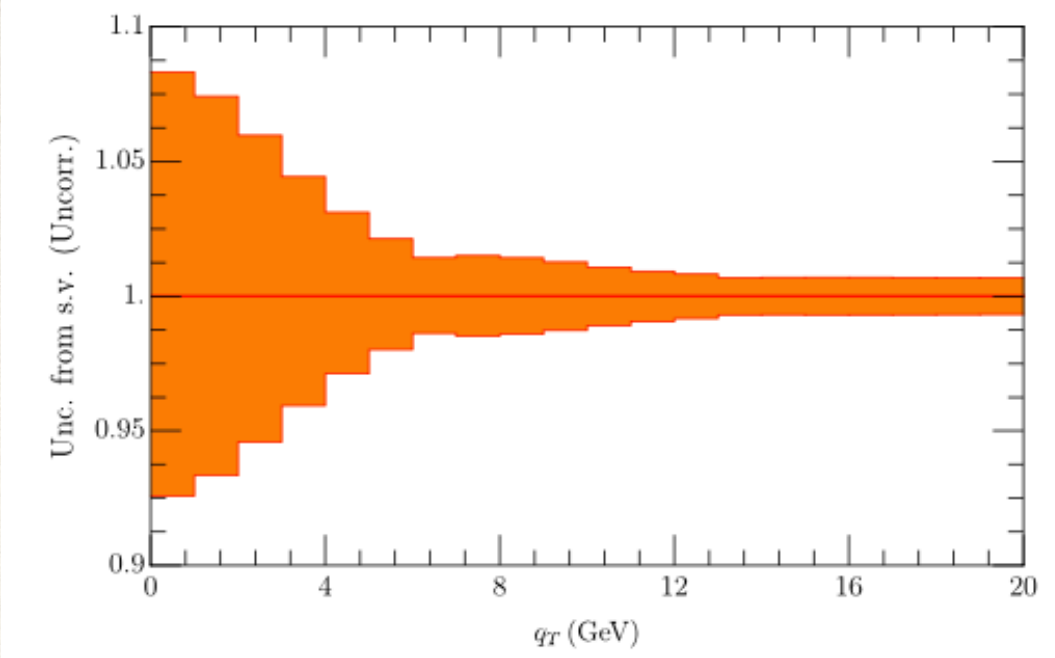




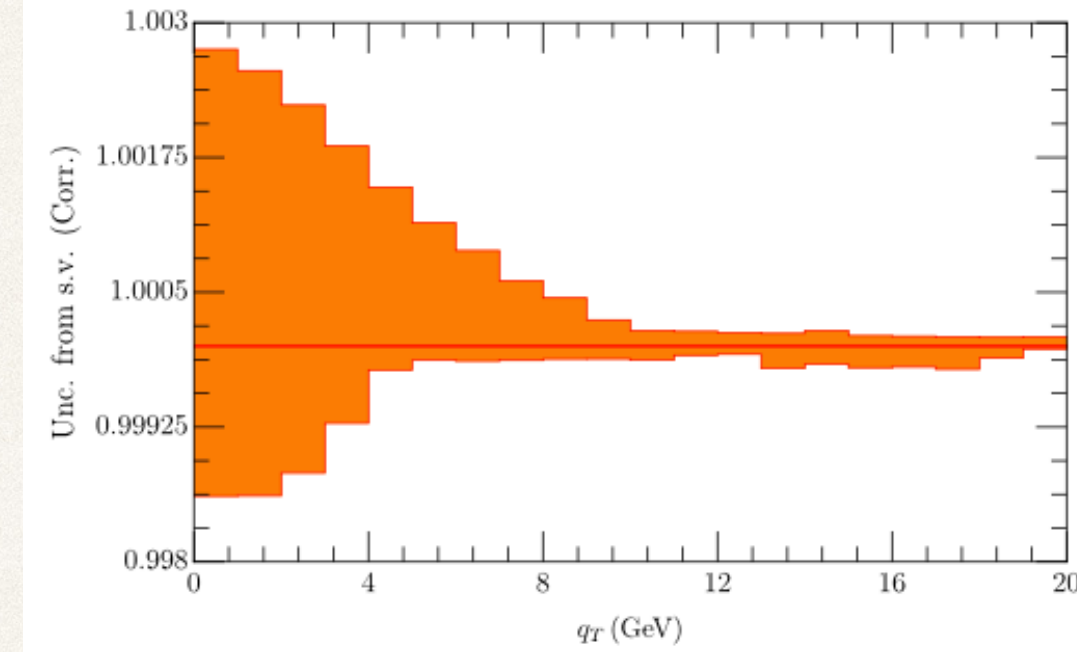
# Errors in $p_T^{W^-} / p_T^{W^+}$ spectrum

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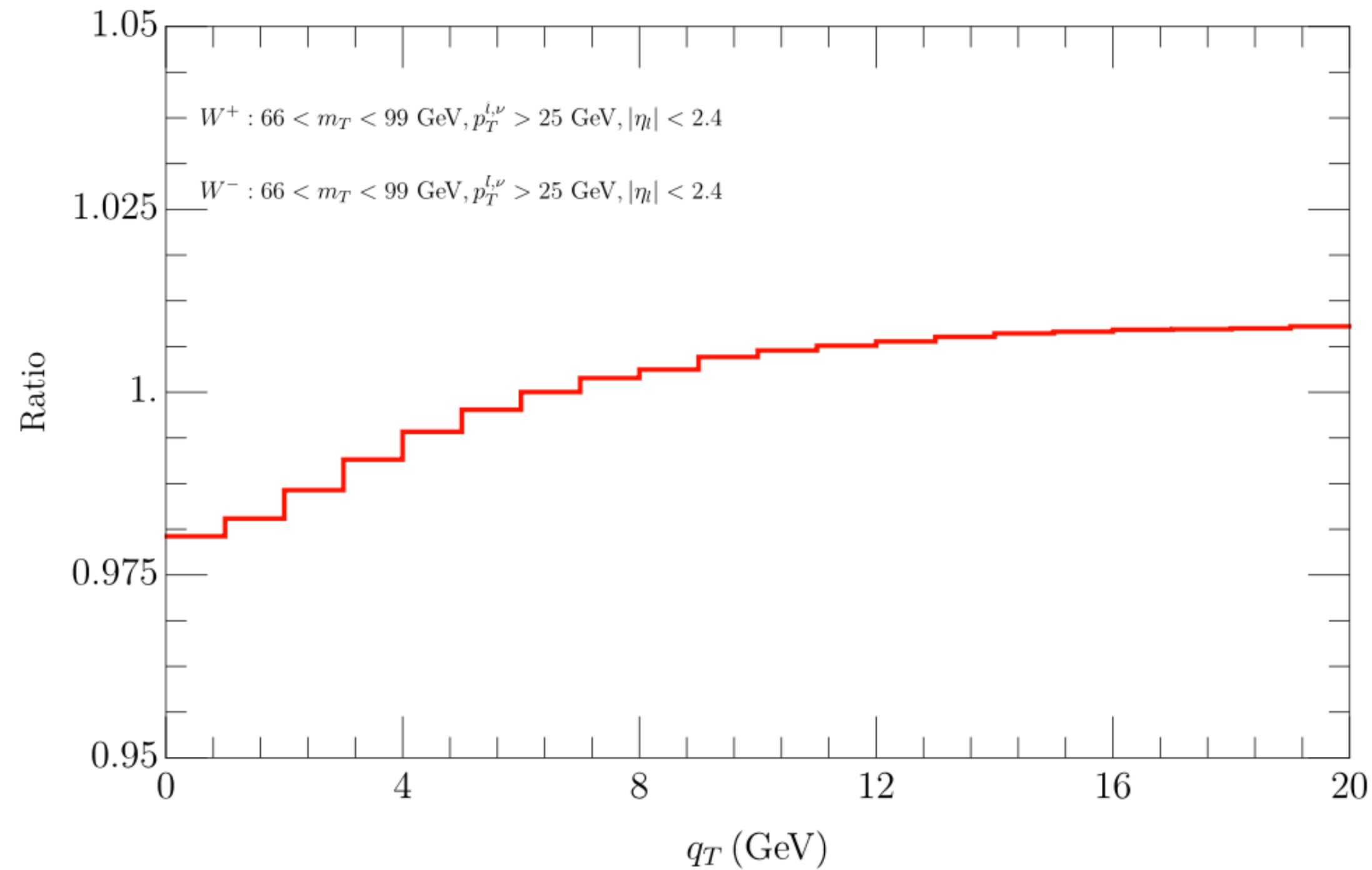
UNCORRELATED SCALE VARIATIONS



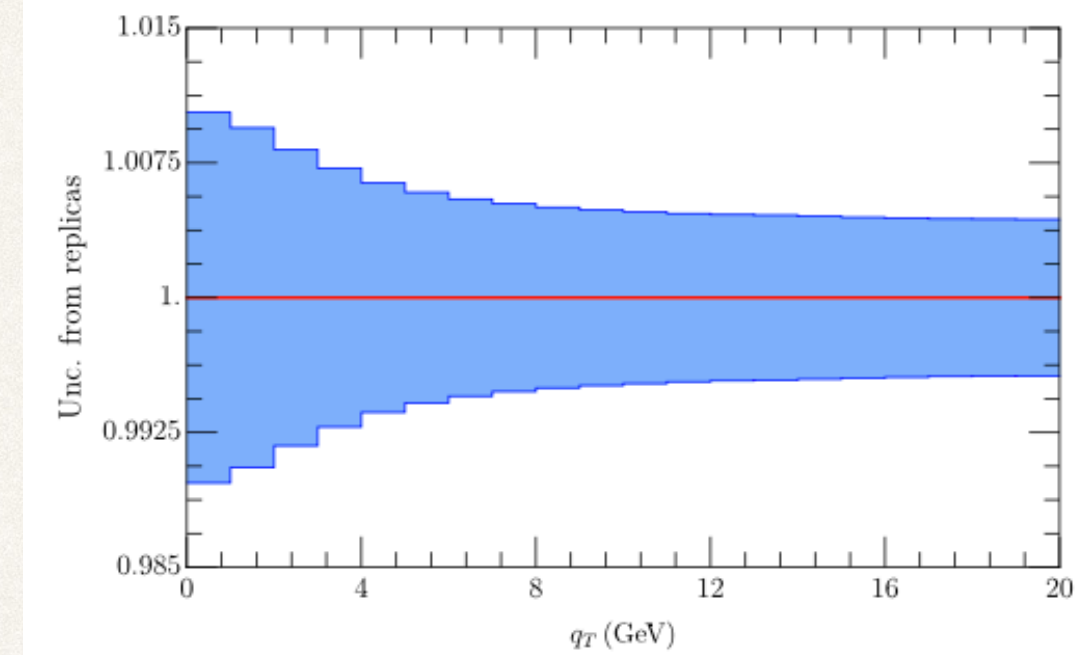
CORRELATED SCALE VARIATIONS



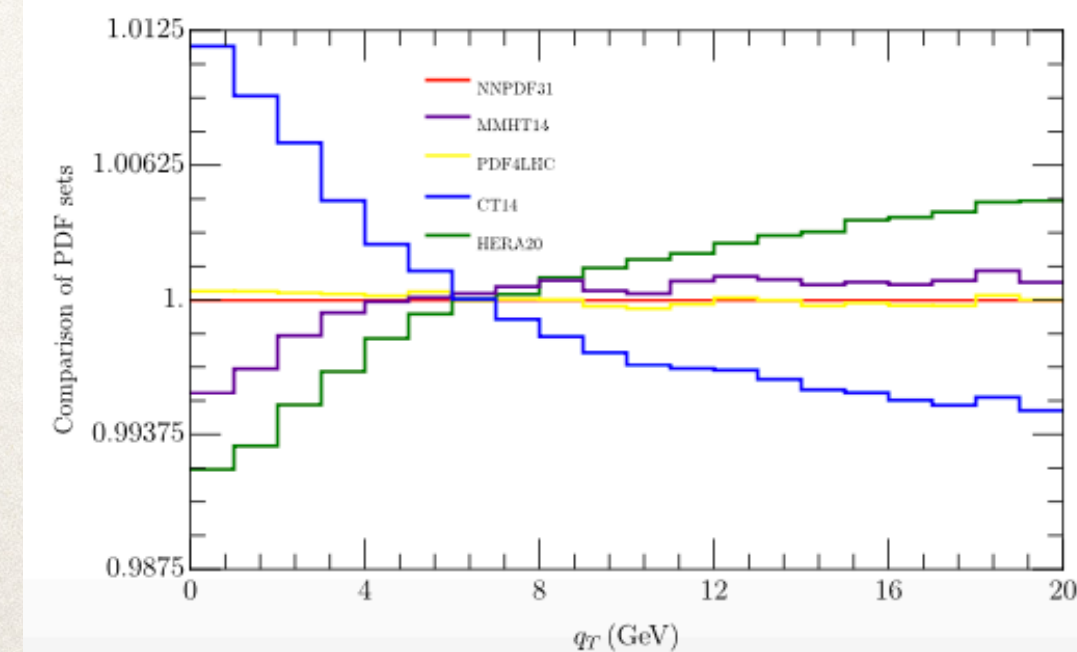
$$\text{Ratio: } \frac{1}{\Delta\sigma_{W^-}} \frac{d\sigma_{W^-}}{dq_T^{W^-}} / \frac{1}{\Delta\sigma_{W^+}} \frac{d\sigma_{W^+}}{dq_T^{W^+}} \cdot N^3\text{LL+NNLO}$$



NNPDF31 REPLICAS (1000)



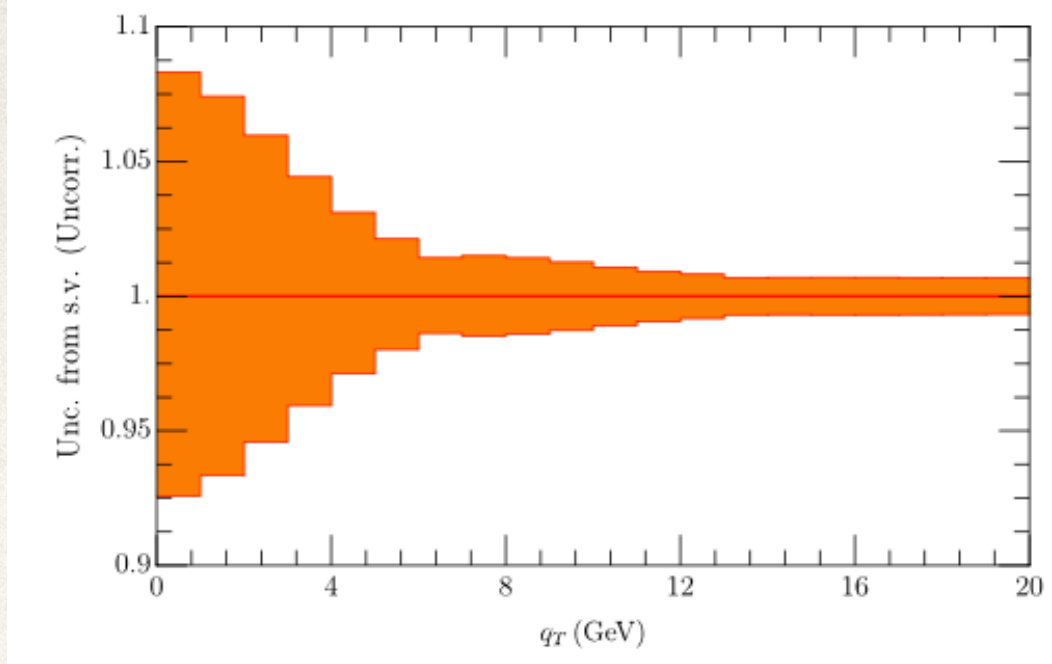
PDF SETS



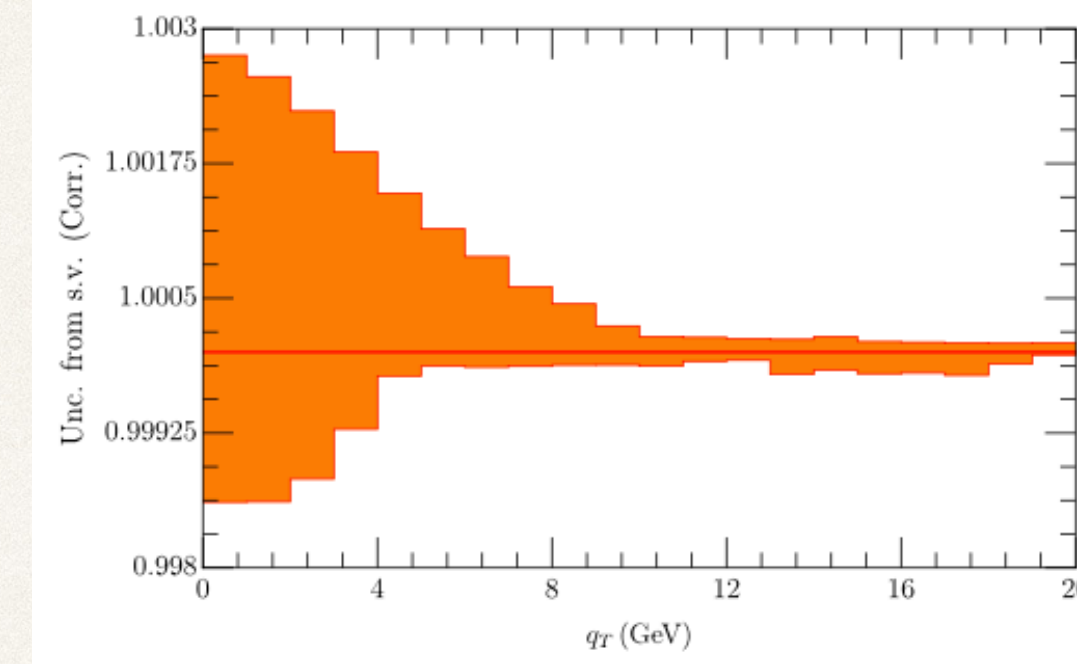


# Errors in $p_T^{W^-} / p_T^{W^+}$ spectrum (scale variation new estimate)

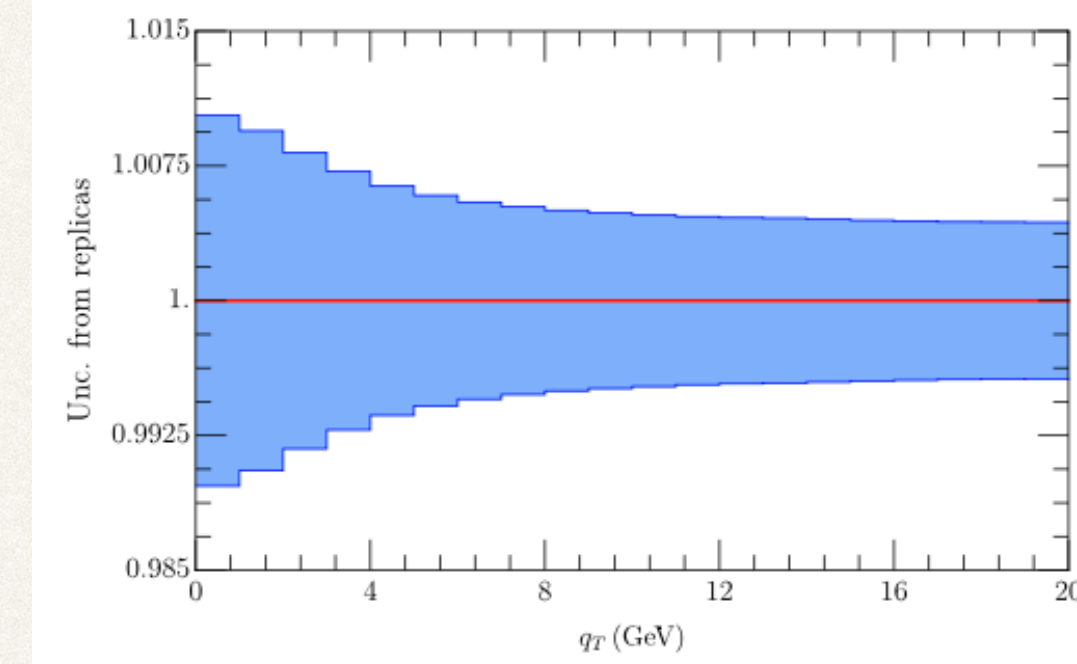
**UNCORRELATED SCALE VARIATIONS**



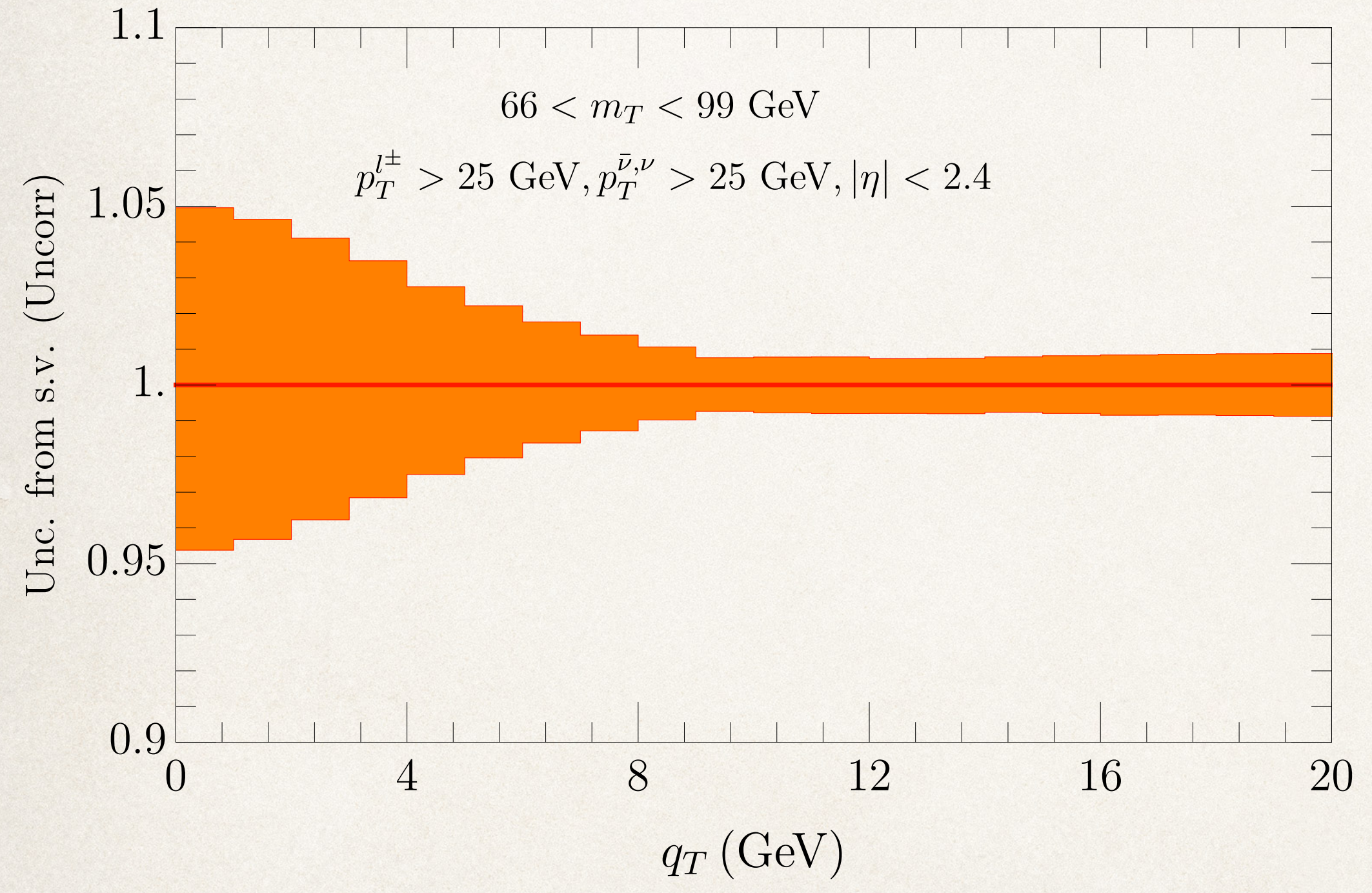
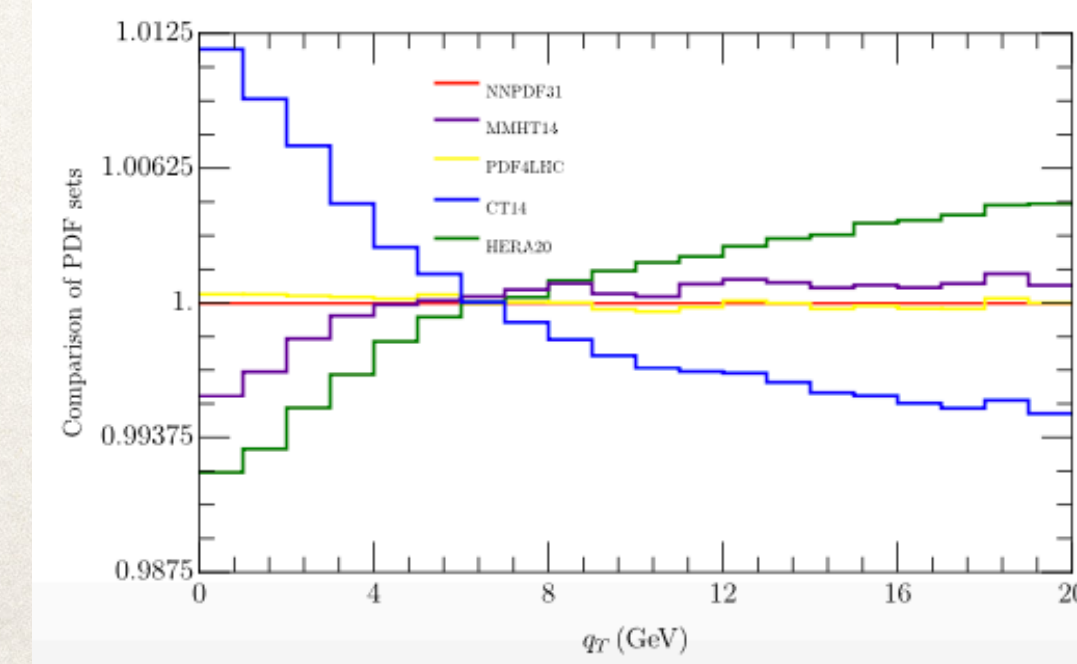
**CORRELATED SCALE VARIATIONS**



**NNPDF31 REPLICAS (1000)**



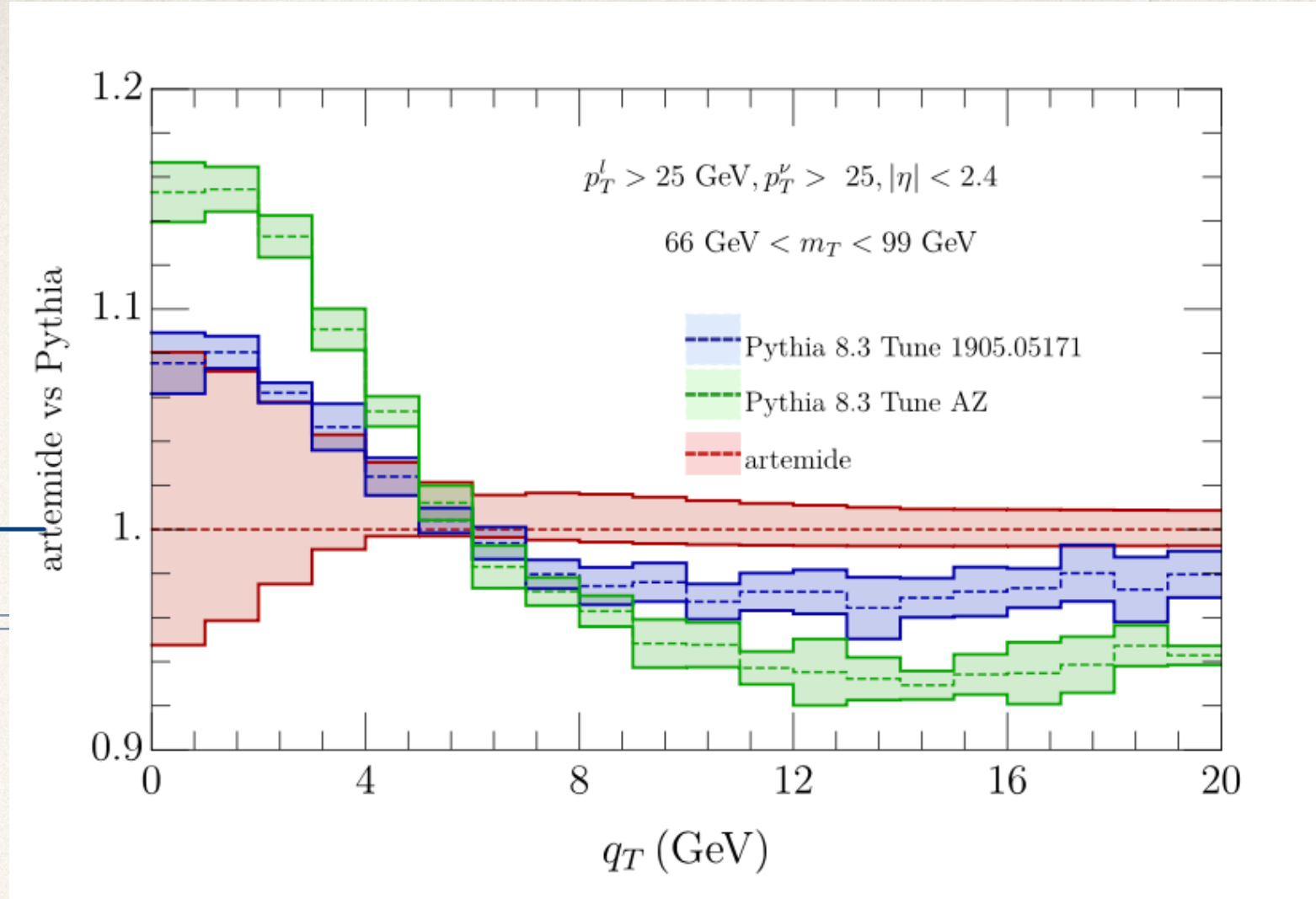
**PDF SETS**



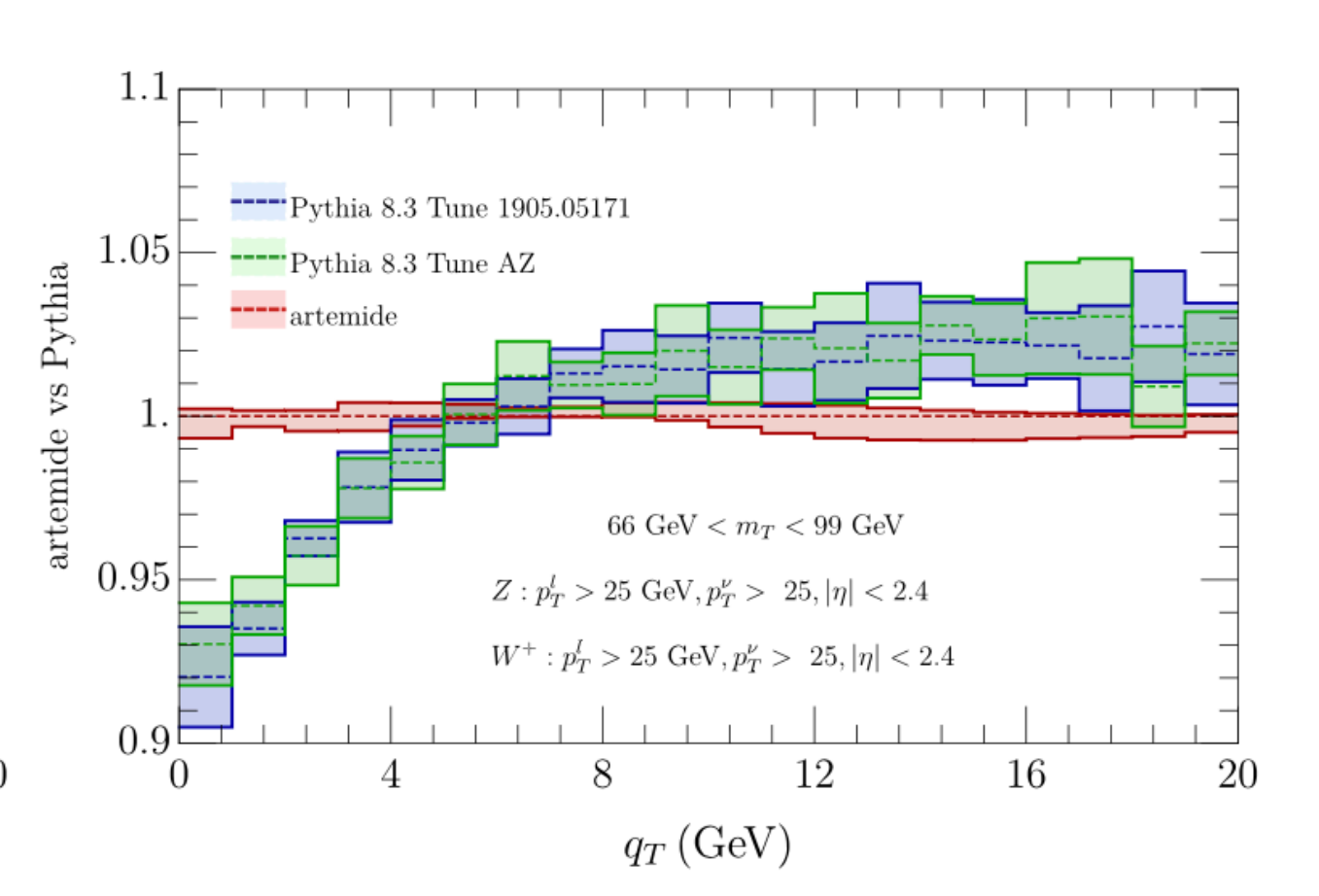
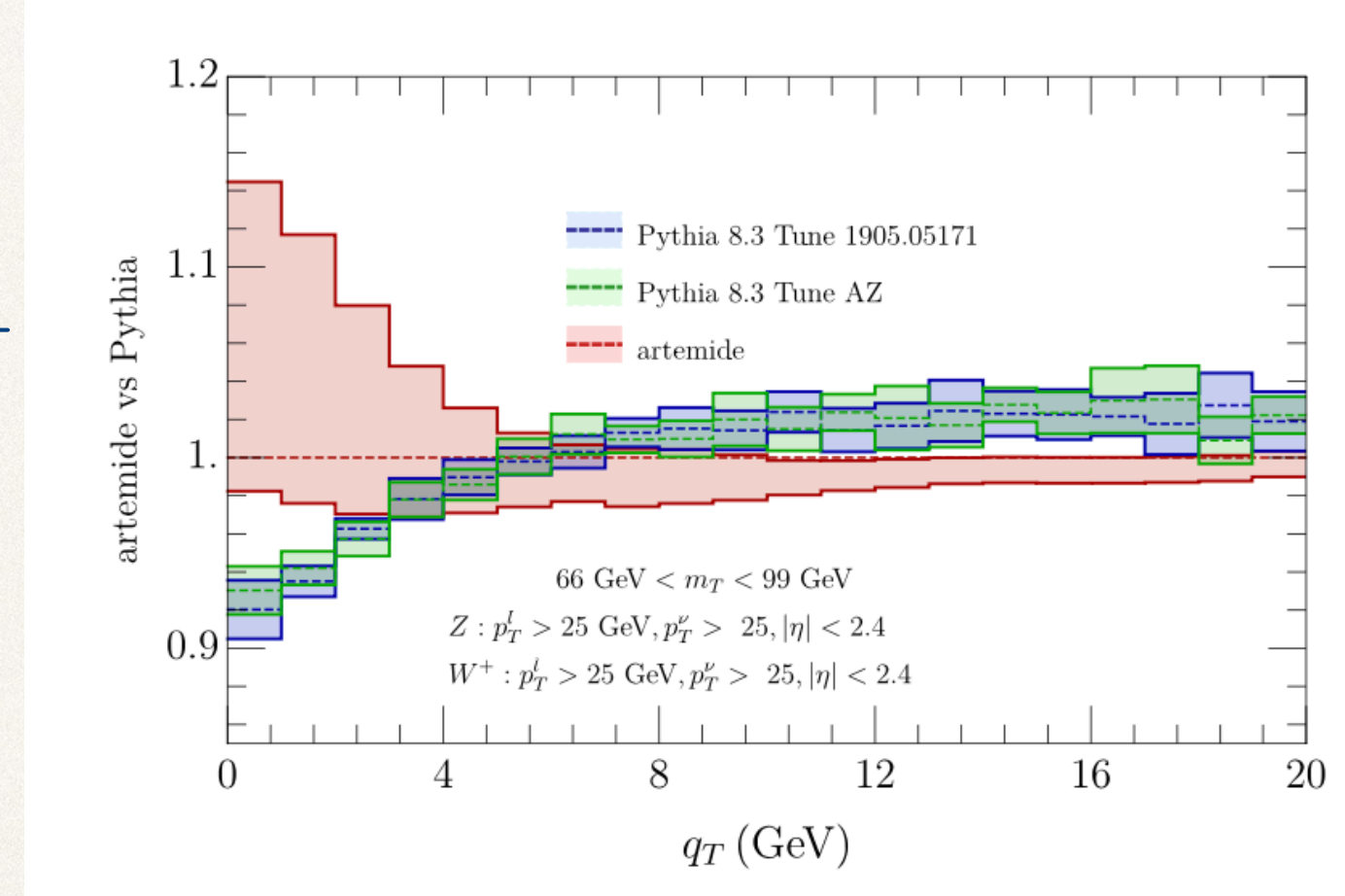


# Pythia tunings

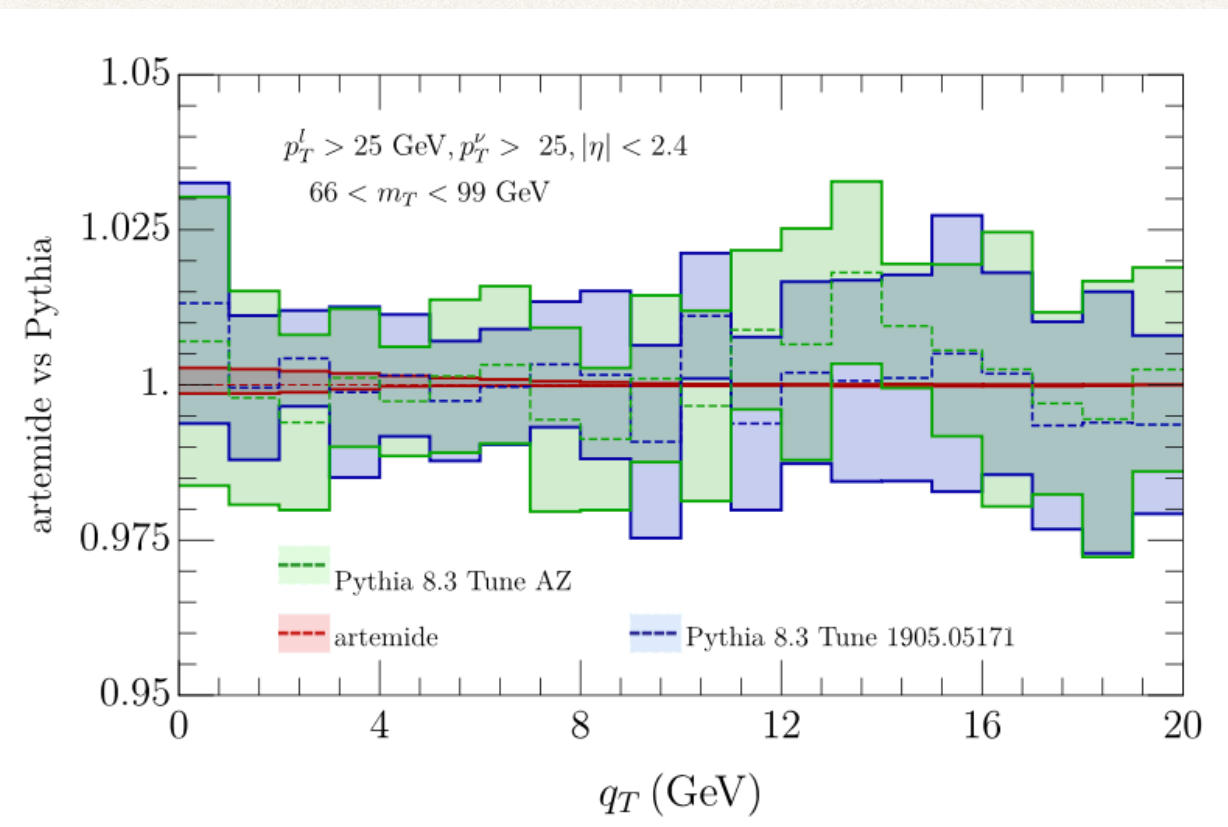
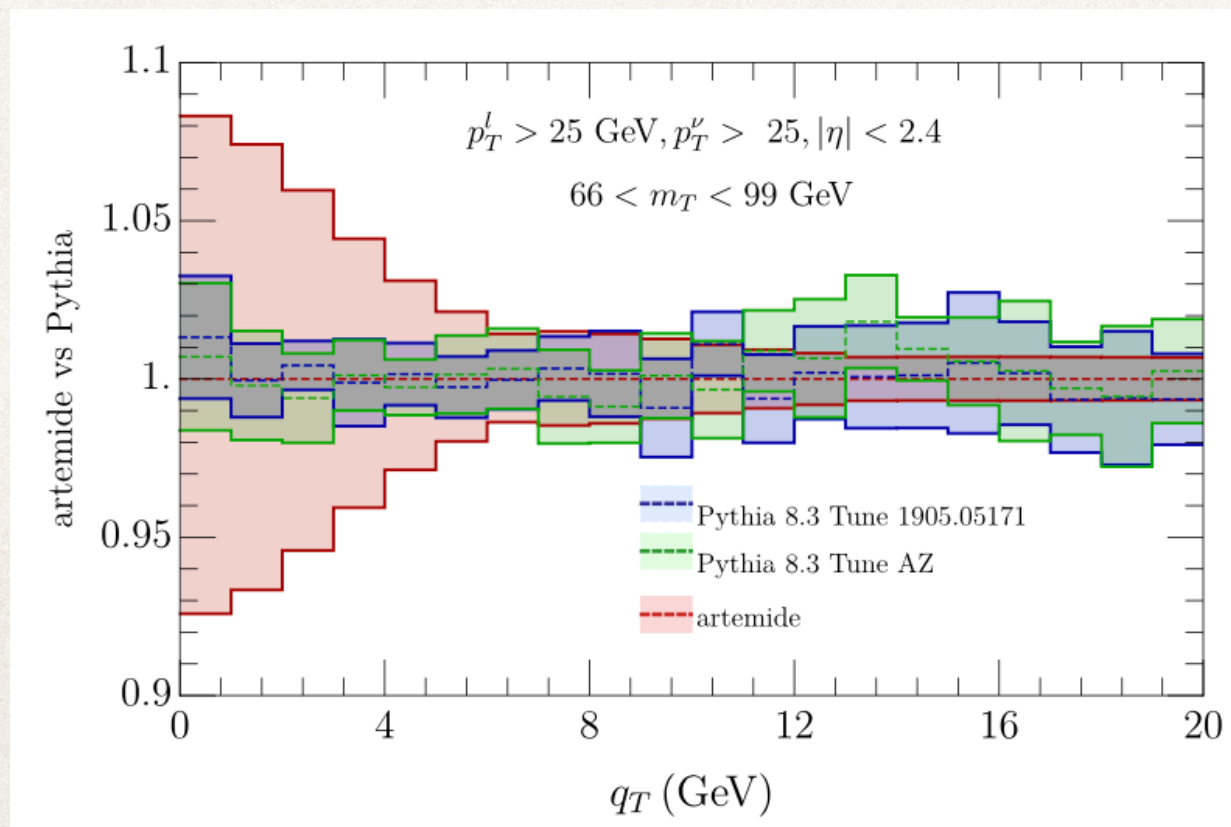
$W$



$p_T^Z / p_T^{W^+}$



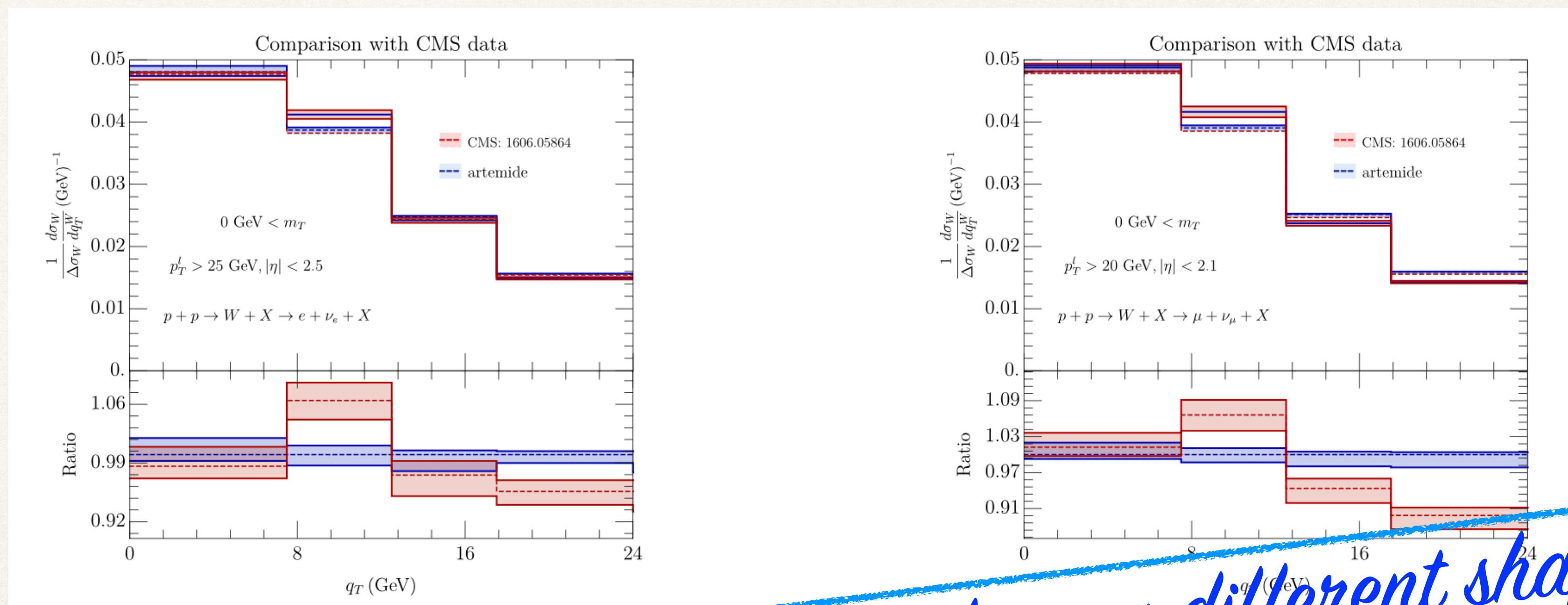
The are noticeable differences among tunings



$p_T^{W^-} / p_T^{W^+}$



# Comparison with data



*Surprise: electrons and muons have a different shape!!*



# Comparison with data

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	CDF $\sqrt{s} = 1.8$ TeV	D0 $\sqrt{s} = 1.8$ TeV	ATLAS	CMS $e\nu$	CMS $\mu\nu$
Number of points	10	10	2	4	4
NNPDF31	0.540	1.485	0.463	1.674	3.165
HERA20	0.469	1.591	0.271	1.563	3.721

*Surprise: electrons and muons have a different shape!!*

Work in progress: S. Leal-Gomez, J.J. Sanz Cillero, I. S., A. Vladimirov



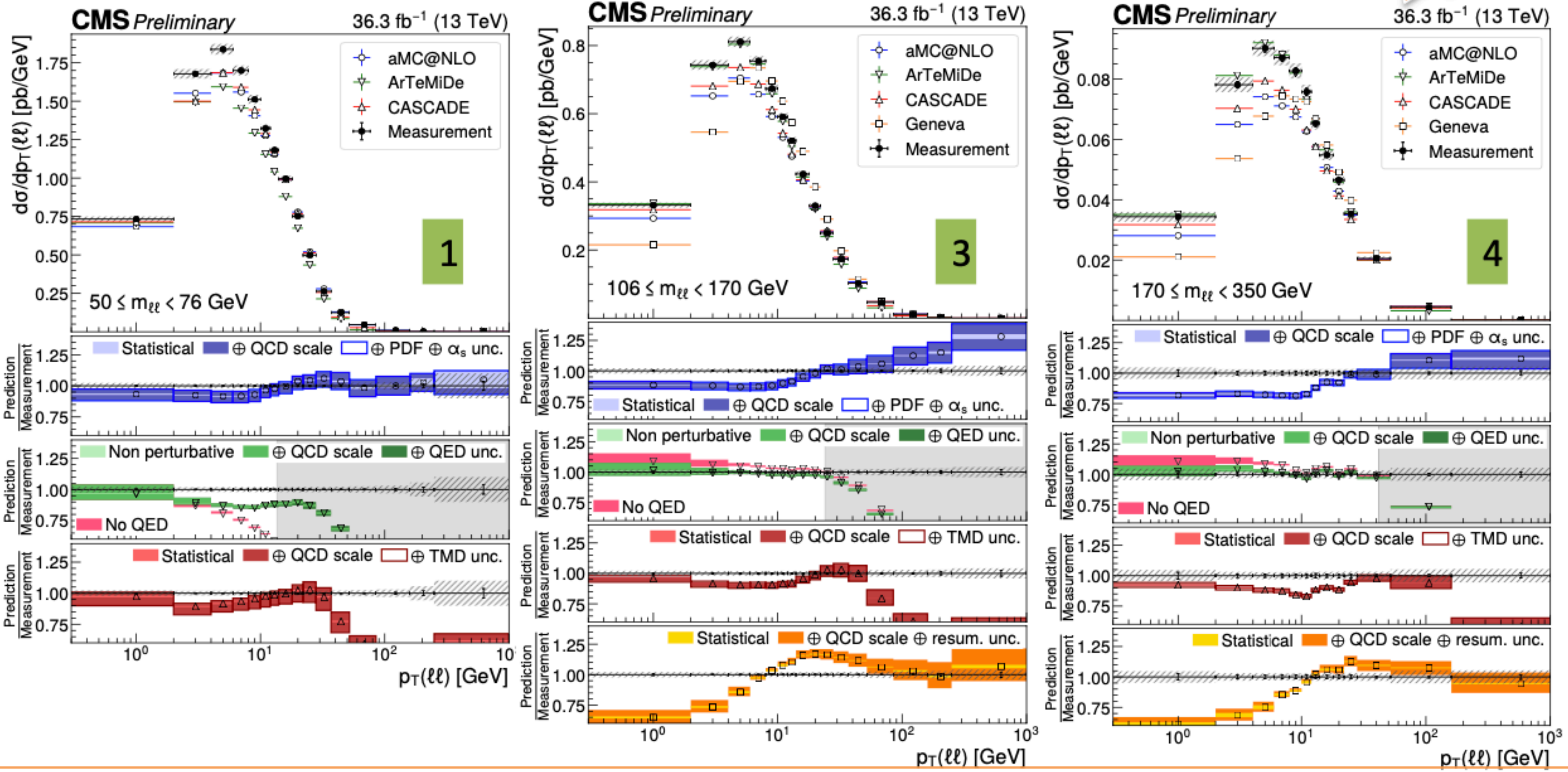
Back slides



36.3 fb<sup>-1</sup>

Unfolded to fiducial space

**NEW**



See talk of Louis Moureaux

- amc@NLO+ Pythia8 gives overall good description
  - Failing to describe the low  $p_T$ , failure increasing for higher  $m(\ell\ell)$
- Cascade (amc@NLO 0j + PBTMD) describes the low  $p_T$  better fails at high  $p_T$  due to missing orders in ME
- ArTeMiDe gives the best description in its validity region
- GENEVA predicts a harder  $p_T$  spectrum ( $\alpha_s$  choice)

**B. Bilin DIS2021**



# TMD and PDF sets: bias removing

Work in progress with M. Bury, F. Hautmann, S. Leal Gomez, A. Vladimirov, P. Zurita

📌 Spread among different sets

$$F_{f \leftarrow h}(x, \mathbf{b}) = \sum_{f'} \int_x^1 \frac{dy}{y} C_{f \leftarrow f'}(y, \mathbf{L}_{\mu_{\text{OPE}}}, a_s(\mu_{\text{OPE}})) f_{f' \leftarrow h}\left(\frac{x}{y}, \mu_{\text{OPE}}\right) f_{\text{NP}}(x, b)$$

SV19 ansatz:

$$f_{\text{NP}}(x, b) = \exp\left(-\frac{\lambda_1(1-x) + \lambda_2x + x(1-x)\lambda_5}{\sqrt{1 + \lambda_3x\lambda_4}} b^2\right)$$

$$D_{\text{NP}}(x, b) = \exp\left(-\frac{\eta_1z + \eta_2(1-z)}{\sqrt{1 + \eta_3(\mathbf{b}/z)^2}} \frac{b^2}{z^2}\right) \left(1 + \eta_4 \frac{b^2}{z^2}\right)$$

BHLSVZ21 ansatz:

$$f_{\text{NP}}(x, b) = \exp\left(-\frac{\lambda_1(1-x) + \lambda_2x + x(1-x)\lambda_5}{\sqrt{1 + \lambda_3x\lambda_4}} b^2\right)$$

$$D_{\text{NP}}(x, b) = \exp\left(-\frac{\eta_1z + \eta_2(1-z)}{\sqrt{1 + \eta_3(\mathbf{b}/z)^2}} \frac{b^2}{z^2}\right) \left(1 + \eta_4 \frac{b^2}{z^2}\right)$$

**Top Secret:**  
**Preliminary**

**The non-perturbative ansatz used in previous fits is too rigid:**

**We need flavor dependence of the ansatz to compensate the differences in different PDF sets**



# TMD and PDF sets: preliminary results

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PDF	$\chi^2/N$
NNPDF31	0.97
HERA20	0.90
CT18	0.98
MSHT20	0.88

The spread in the fit quality does not depend on PDF sets