

Unifying Gravity and Electromagnetism

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Matt Dray

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Both of these equations equal the number 2.5549×10^{59} . One or both of these equations should be Planck gravity. Most likely both are with, $\frac{G}{P_l^2}$ describing gravity's quantization with respect to mass & the Higgs field and $\frac{2\pi c^3}{h}$ describing gravity's quantization with respect to energy & the electromagnetic field at the Planck Scale.

$$\frac{2\pi c^3}{h} = \frac{G}{P_l^2}$$

$$2.554886698... \times 10^{59}$$

Using the value 2.5549×10^{59} , and substituting it for G (the Newtonian gravitational constant) and it's dimensions and magnitudes. You get the following:

Plank Units	Original Value	New Value	Equivalencies
Area (L ²)	$2.6121 \times 10^{-70} \text{ m}^2$	1	U- All Spatial Dimensions Unified
Volume (L ³)	$4.2217 \times 10^{-105} \text{ m}^3$	1	U- All Spatial Dimensions Unified
Momentum (LMT ⁻¹)	$6.5249 \text{ kg} \cdot \text{m/s}$	$1.05457 \text{E-}34$	Equal to H-Bar
Energy (L ² MT ⁻²)	$1.9561 \times 10^{-9} \text{ J}$	$3.16155 \text{E-}26$	U- Energy and Force Unified and = Momentum (H-Bar) time
Force (LMT ⁻²)	$1.2103 \times 10^{-44} \text{ N}$	$3.16155 \text{E-}26$	U- Energy and Force Unified and = Momentum (H-Bar) time
Density (L ⁻³ M)	$5.1550 \times 10^{-96} \text{ kg/m}^3$	$3.51767 \text{E-}43$	U- Mass and Density Unified
Acceleration (LT ⁻²)	$5.5608 \times 10^{-51} \text{ m/s}^2$	$8.98755 \text{E+}16$	2 x C
Frequency (T ⁻¹)	$1.8549 \times 10^{-43} \text{ Hz}$	299792458	C
Length (L)	$1.616255(18) \times 10^{-35} \text{ m}$	1	U- All Spatial Dimensions Unified
Mass (M)	$2.176434(24) \times 10^{-8} \text{ kg}$	$3.51772 \text{E-}43$	U- Mass and Density Unified
Time (T)	$5.391247(60) \times 10^{-44} \text{ s}$	$3.33559 \text{E-}09$	E- Equal to 1/c
Temperature (Θ)	$1.416784(16) \times 10^{-32} \text{ K}$	0.002289916	
Gravity		0 $2.5549 \text{E+}59$	

Reducing and comparing both equations along with the new dimensions and magnitudes like Planck energy shown here:

$$\sqrt{\frac{j s \left(\frac{m^5}{s^5} \right)}{\left(\frac{m^3}{s^4 j} \right)}} = \sqrt{\frac{j s \left(\frac{m^5}{s^5} \right)}{\left(\frac{m}{s^2 kg} \right)}}$$

$$J = \frac{m^2 kg}{s^2}$$

Breakdown of Fields, Forces, and Dimensions and the Ratio Quantizing Formulas at the Planck Scale. No matter what measurement scales used, every one of these quantizing equations at Planck Scale, which is the scale at where Gravity and EM are unified, MUST evaluate true, with the exception of TEMP. The Value for Temp (Θ) multiplied by the Value for Pi (Π) will be equal to the value of the Fine Structure Constant (α).

Gp (EM)	Gravity EM
$\frac{2\Pi c^3}{h}$	$G_x = \frac{r^3}{T^4 E}$ 2.5549x10 ⁵⁹ m ³ J ⁻¹ s ⁻⁴
Gp(Mass)	Gravity Mass
$\frac{G}{P_l^2}$	$G_x = \frac{r}{T^2 M}$ 2.5549x10 ⁵⁹ m kg ⁻¹ s ⁻²

1-UNIT Derived Planck Units, Fine Structure Constant and Planck Gravity-mass & Planck Gravity EM
 2-Quantizing Equation
 Formula obtained from dimensions of both unit value equaling formulas given by solving both sets of dimensions and magnitudes which were derived from replacing the value 2.5549E+59 and the 2 equations which equal that value along with their unique CODATA dimensions, magnitudes, and values.
 3-New Derived Planck Unit Value
 4-Derived values' dimensions

1	MASS
2	$M = \frac{ET^2}{r^2}$
3	3.5177x10 ⁻⁴³
4	J S ² m ⁻²

MASS
$M = \frac{ET^2}{r^2}$
3.5177x10 ⁻⁴³
J S ² m ⁻²

ENERGY
$E = \frac{r^2 M}{T^2}$
3.1615x10 ⁻²⁶
kg m ² S ⁻²

TIME
$T = \frac{r\sqrt{M}}{\sqrt{E}}$
3.3355x10 ⁻⁰⁹
m kg ^{1/2} J ^{-1/2}

TEMP
$\Theta = 0$
0.002289916
K

Fine Structure
$\alpha = \Theta \Pi$
0.007193983 K
DIMENSIONLESS

LENGTH
$Length(L) = \frac{T\sqrt{E}}{\sqrt{M}}$
1
m

AREA
$Area(L^2) = \frac{ET^2}{M}$
1
m

VOLUME
$Volume(L^3) = \frac{ET^3\sqrt{ME}}{M^2}$
1
m

Momentum EM
ET
1.05457x10 ⁻³⁴
JS
Momentum Mass
$r\sqrt{EM}$
1.05457x10 ⁻³⁴
m j ^{1/2} kg ^{1/2}

Force EM
Er
3.1615x10 ⁻²⁶
Jm
Force Mass
$\frac{r^3 M}{T^2}$
3.1615x10 ⁻²⁶
m ³ kg S ⁻²

Acceleration EM
$\frac{r^2}{T^2}$
8.9875x10 ¹⁶
m ² S ⁻²
Acceleration Mass
$\frac{m^3\sqrt{EM}}{T^3 E}$
8.9875x10 ¹⁶
m ³ J ^{1/2} kg ^{1/2} S ⁻³ J ⁻¹

Density EM
$\frac{T^2 E}{r}$
3.5177x10 ⁻⁴³
S ² J m ⁻¹
Density Mass
$\frac{r^3 M^2}{ET^2}$
3.5177x10 ⁻⁴³
m ³ kg ² J ⁻¹ S ⁻²

Frequency EM
$\frac{r}{T}$
299792458
m s ⁻¹
Frequency Mass
$\frac{M^2\sqrt{EM}}{T^2 E}$
299792458
kg ² J ^{1/2} kg ^{1/2} J ⁻¹ S ⁻²

Plank Units	Original Value	New Value	Equivalencies
Area (L2)	2.6121×10 ⁻⁷⁰ m ²	1	U- All Spatial Dimensions Unified
Volume (L3)	4.2217×10 ⁻¹⁰⁵ m ³	1	U- All Spatial Dimensions Unified
Momentum (LMT ⁻¹)	6.5249 kg·m/s	1.05457E-34	Equal to H-Bar
Energy (L2MT ⁻²)	1.9561×10 ⁻⁹ J	3.16155E-26	U- Energy and Force Unified and = Momentum (H-Bar) times C
Force (LMT ⁻²)	1.2103×10 ⁻⁴⁴ N	3.16155E-26	U- Energy and Force Unified and = Momentum (H-Bar) times C
Density (L ⁻³ M)	5.1550×10 ⁻⁹⁶ kg/m ³	3.51767E-43	U- Mass and Density Unified
Acceleration (LT ⁻²)	5.5608×10 ⁻⁵¹ m/s ²	8.98755E+16	2 x C
Frequency (T ⁻¹)	1.8549×10 ⁻⁴³ Hz	299792458	C
Length (L)	1.616255(18)×10 ⁻³⁵ m	1	U- All Spatial Dimensions Unified
Mass (M)	2.176434(24)×10 ⁻⁸ kg	3.51772E-43	U- Mass and Density Unified
Time (T)	5.391247(60)×10 ⁻⁴⁴ s	3.33559E-09	E- Equal to 1/c
Temperature (Θ)	1.416784(16)×10 ⁻³² K	0.002289916	
Gravity		0 2.5549E+59	

$$\frac{h\Pi}{\Theta} * (1+\Theta) \approx \text{Electron Mass} \quad (T_p + (T_p - 3\alpha))^\Pi \times \frac{2}{3} \times (1+\Theta) \approx \text{Proton Mass}$$

$$(T_p + (T_p - \Pi\alpha))^\Pi \times \frac{2}{3} \times (1+\Theta) \approx \text{Neutron Mass}$$

TEMP

$\Theta = 0$

0.002289916

K

Fine Structure

$\alpha = \Theta \Pi$

0

DIMENSIONLESS

K

Particle Equation	Current Accepted Value	Equation Derived Value	Within %
$\frac{h\Pi}{\Theta} * (1+\Theta) \approx \textit{Electron Mass}$	9.10938356x10 ⁻³¹	9.1112856 × 10 ⁻³¹	99.98
$(T_p + (T_p - \Pi \alpha))^\Pi \times \frac{2}{3} \times (1+\Theta) \approx \textit{Neutron Mass}$	1.6749274x10 ⁻²⁷	1.6738337x10 ⁻²⁷	99.93
$(T_p + (T_p - 3 \alpha))^\Pi \times \frac{2}{3} \times (1+\Theta) \approx \textit{Proton Mass}$	1.6726219x10 ⁻²⁷		