

# Search for Dark Matter with 2HDM+pseudoscalar model with the ATLAS detector

DPF 2021

Zirui Wang

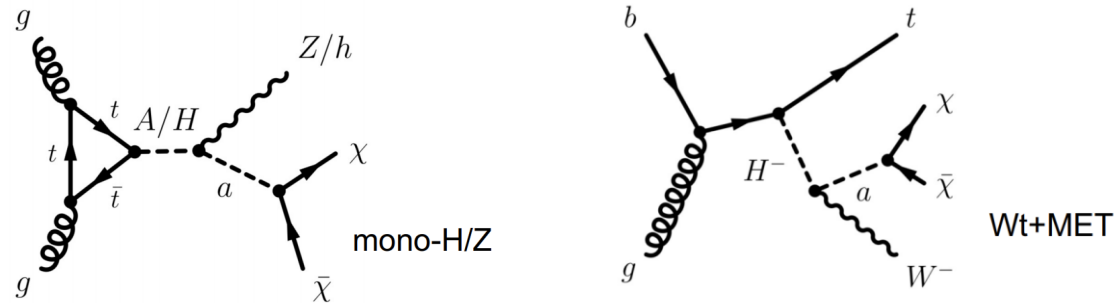
14 July. 2021



- 2HDM+pseudoscalar Dark matter model ([arXiv:1701.07427](https://arxiv.org/abs/1701.07427))
  - Type-II 2HDM coupling structure
  - Fermionic DM
  - Additional pseudoscalar mediators between visible and dark sectors
  - Considered as a benchmark model for ATLAS/CMS by the LHC DM

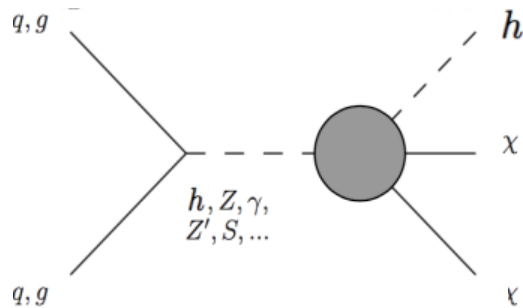
Working Group ([arXiv:1810.09420](https://arxiv.org/abs/1810.09420))

- Representative physics processes:

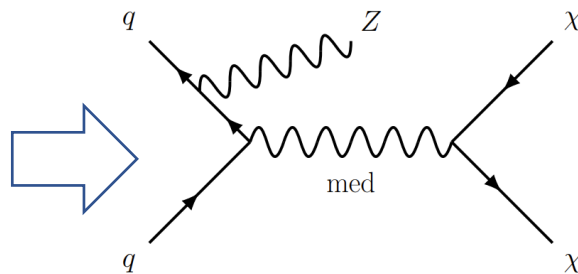


- This talk: Latest combination/summary of ATLAS analyses exploring this 2HDMa model, based on 140/fb of 13 TeV data.
- Caveat: this analysis hasn't been published yet. Will only show expected results.

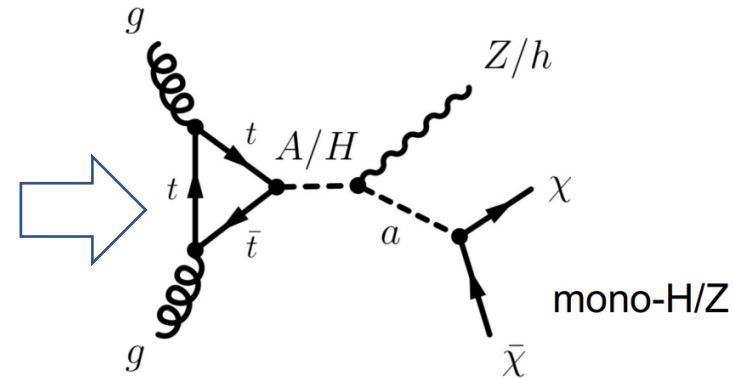
- For DM searches, theoretical benchmarks are necessary to sharpen the regions of interest
  - To optimize searches and characterize a possible discovery
  - Define a theoretical framework for comparison with non-collider results



DMF EFT  
(arXiv: 1507.00966)



Simplified DM model  
(arXiv:1507.00966)



2HDMa  
(arXiv:1701.07427)

Comparing 2HDMa to DM-EFT and DMsimp:

- Gauge-invariant and renormalizable
- Richer kinematics + phenomenology

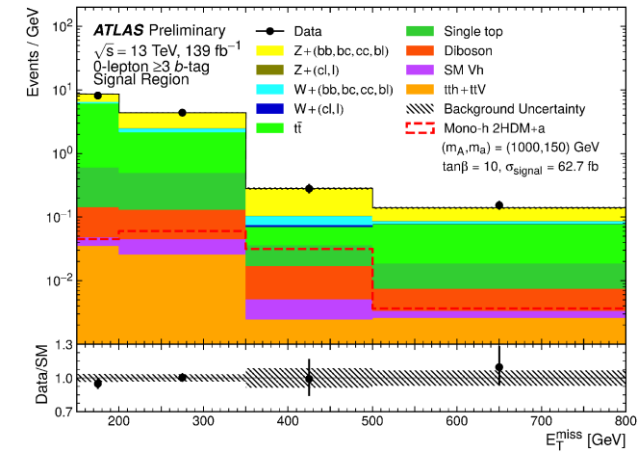
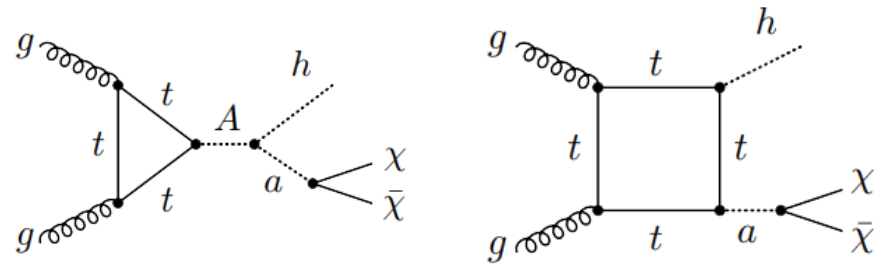
- The 2HDM+a Dark matter model is fully defined by 14 parameters
  - Masses of the CP-even bosons:  $m_H, m_h$
  - Masses of the CP-odd bosons:  $m_A, m_a$
  - Masses of the charged Higgs bosons:  $m_{H^+}, m_{H^-}$
  - Mass of the Dark Matter candidate:  $m_\chi$
  - Yukawa coupling constant between  $a$  and  $\chi$ :  $g_\chi$
  - Three quartic couplings between the scalar doublets and pseudoscalars:  $\lambda_3, \lambda_{p1}, \lambda_{p2}$
  - Mixing angle between CP-even bosons:  $\alpha$
  - Mixing angle between CP-odd bosons:  $\theta$
  - Ratio of the vacuum expectation values of the two Higgs doublets:  $\tan \beta$
  - EW VEV:  $v$
- Reduced to  $m_A, m_a, \tan \beta, \sin \theta$  and  $m_\chi$  with conditions
  - $m_H = m_{H^\pm} = m_A$
  - $g_\chi = 1$
  - The alignment limit:  $\cos(\beta - \alpha) = 0, v = 246 \text{ GeV}, m_h = 125 \text{ GeV}$
  - $\lambda_3 = \lambda_{p1} = \lambda_{p2} = 3$

- Previous results can be found in [ATLAS 36/fb DM summary paper](#) .
- In LHC Run 2, this model has been explored by more analyses in ATLAS
- The following analyses with **139/fb** full run2 dataset collected by ATLAS have been included, aiming for an **EPS Conference note**.

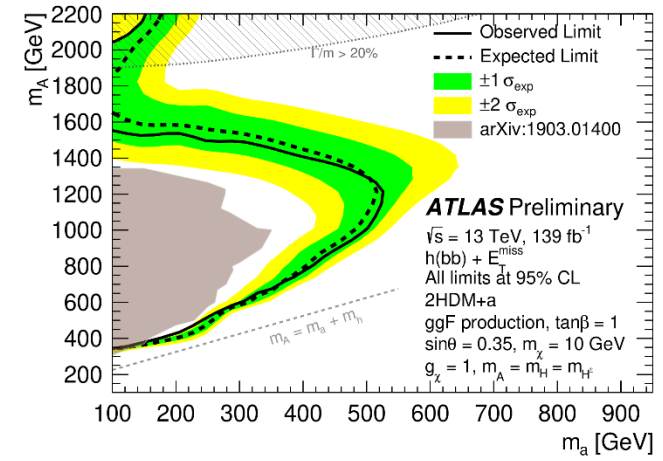
Final states with MET signatures	mono- $H$	$bb$
		$\gamma\gamma$
	mono- $Z$	$ll$
	$Wt + MET$	1L, 2L
Final states without MET signatures		H+tb

- Additionally, a statistical combination of  $mono-H(bb)$ ,  $mono-Z(ll)$  analyses is performed to improve the sensitivity.

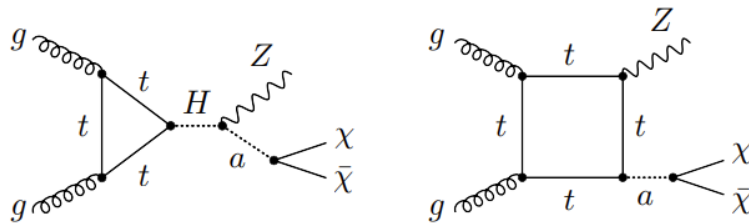
- Full run-2 results released in 2021 Moriond [CONF NOTE](#):
  - Both resolved and merged topologies with different  $H \rightarrow bb$  reconstructions employed.
  - No significant excess against Standard Model prediction



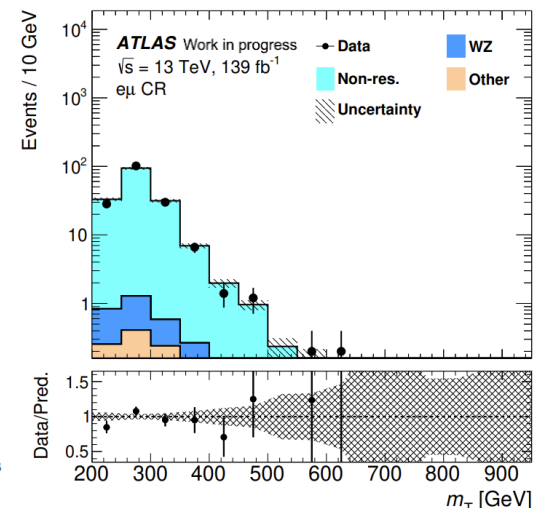
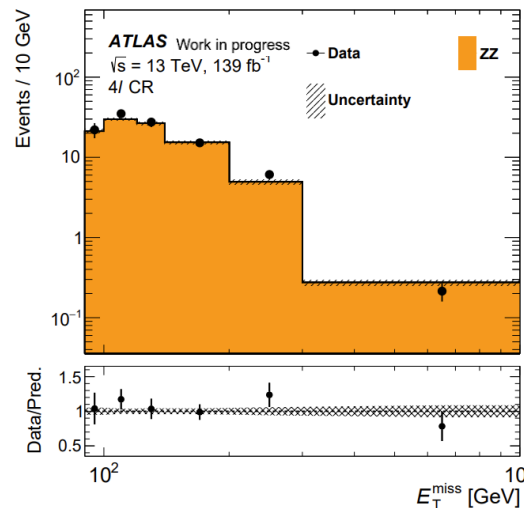
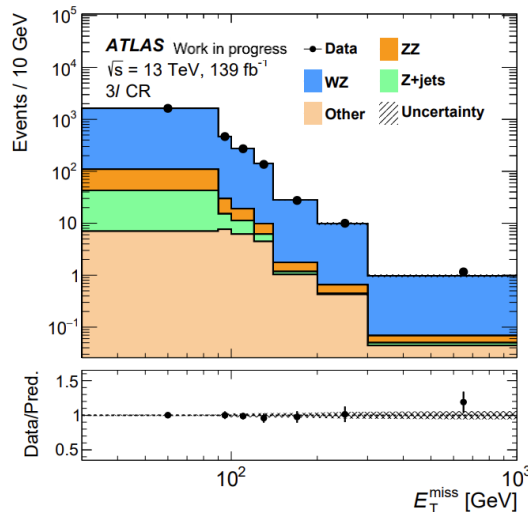
	0 lepton	1 muon	2 leptons
Aim	Signal regions	$t\bar{t}$ and W+HF control region	Z+HF control regions
Fitted observable	$m_h$ distribution	Muon charge (2 $b$ -tag) Yields ( $\geq 3$ $b$ -tag)	Yields
$b$ -tag multiplicities	resolved (small- $R$ jets): 2, $\geq 3$ merged (variable- $R$ track-jets): 2 (inside $h$ candidate), $\geq 3$ (2 inside $h$ candidate)		
$E_T^{\text{miss}}$ proxy	$E_T^{\text{miss}}$	$E_T^{\text{miss}}$ , lep. invis.	$E_T^{\text{miss}}$ , lep. invis.
Bins in $E_T^{\text{miss}}$ proxy	resolved: [150, 200], [200, 350] and [350, 500] GeV 2 $b$ -tag merged signal regions (0 lepton): [500, 750] and [750, $\infty$ ) GeV Other merged regions: [500, $\infty$ ) GeV		



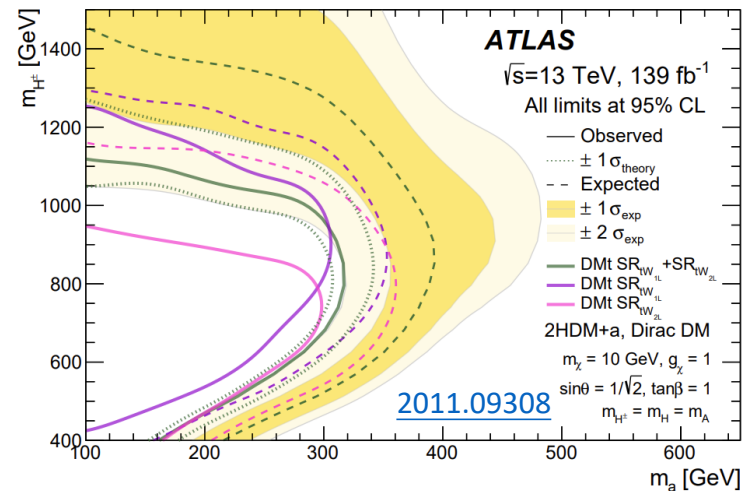
- Analysis not published yet (**only control region data/MC shown here**).
  - Select events with a leptonically-decaying Z against significant MET.
  - Dedicated CRs developed to constrain the major backgrounds in a simultaneous fit.



Selection criteria	Background reduced
$p_T^{\ell_1} (p_T^{\ell_2}) > 30 (20) \text{ GeV}$	—
Veto events with $p_T^{\ell_3} > 7 \text{ GeV}$	WZ
$76 < m_{\ell\ell} < 106 \text{ GeV}$	Non-resonant $\ell^+\ell^-$
$E_T^{\text{miss}} > 90 \text{ GeV}$	Z+jets
$E_T^{\text{miss}}$ significance $> 9$	Z+jets
$\Delta R(\ell\ell) < 1.8$	Z+jets, non-resonant $\ell^+\ell^-$
Veto events with a $b$ -jet	Single top, $t\bar{t}$

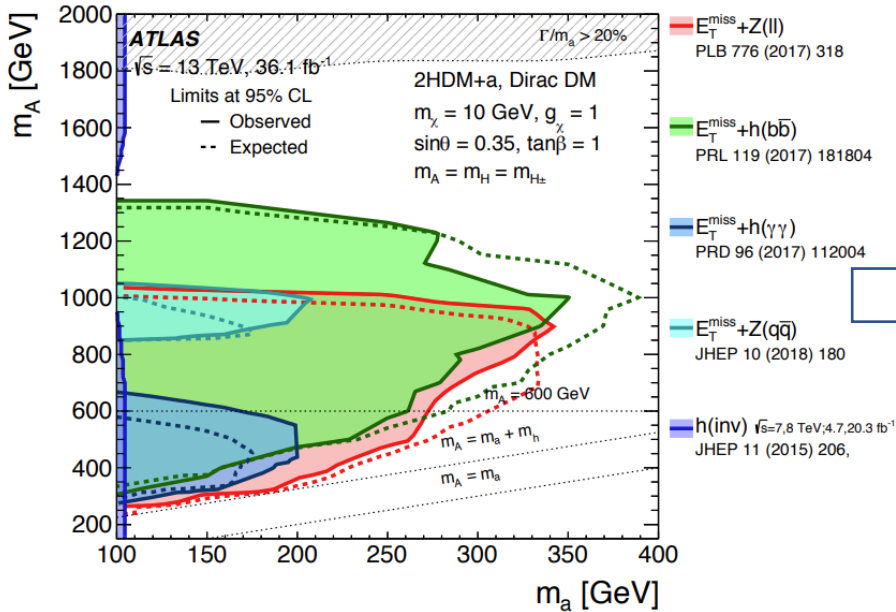


- $Wt + MET$ 
  - Top production in association with a W boson
  - Larger sensitivity at  $\sin \theta = 0.7$ .

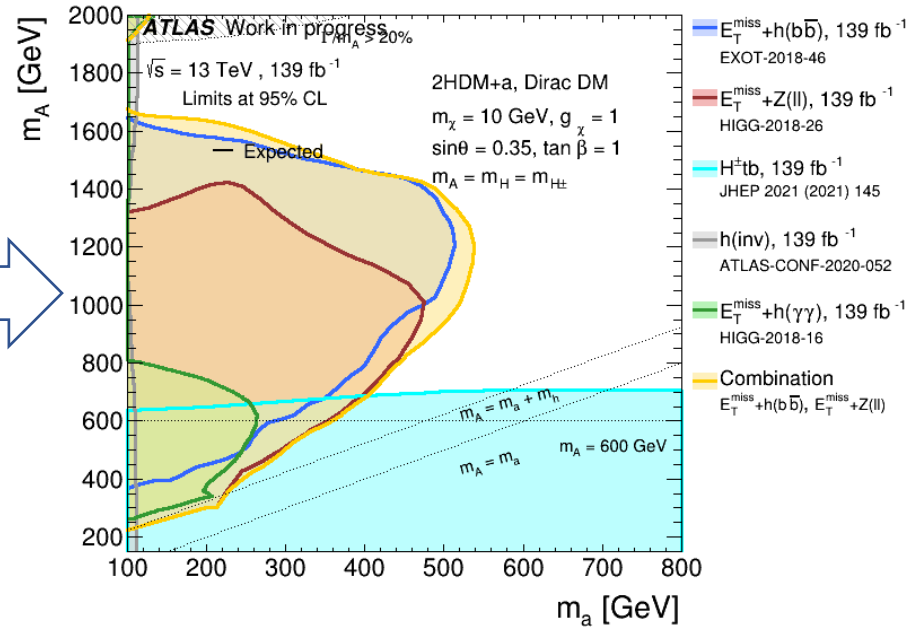


- Mono-H( $\gamma\gamma$ )
  - Comparing to mono-H(bb), triggered using the photon pair, allowing for much lower and better resolved MET in the event.
- H+tb
  - 2HDM type-II limits reinterpreted in the context of 2HDM+a as the signatures are exactly the same.
- Higgs-invisible
  - 2HDM+a h-invisible decay could be interpreted by BR(h->inv) results
  - The most recent [ATLAS public result](#): < 11%(11%) obs. (exp.) at 95%





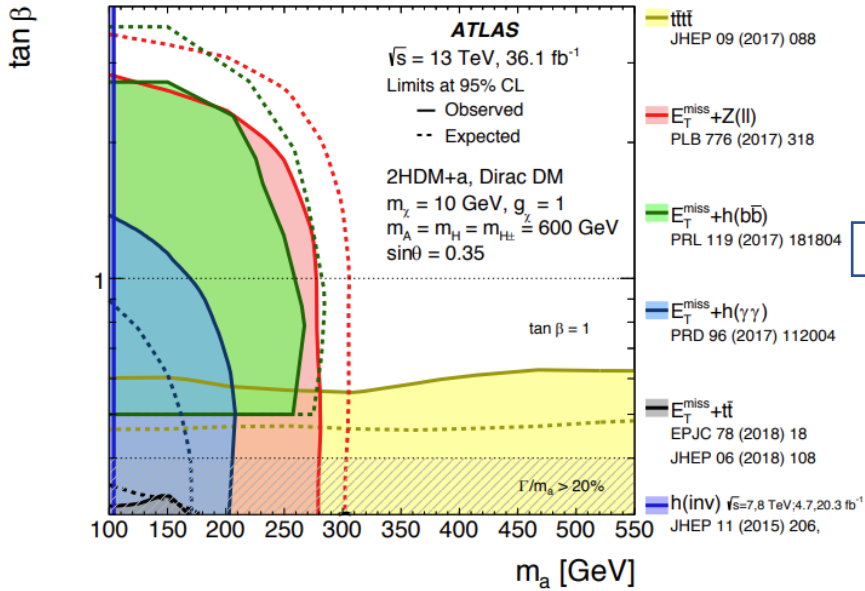
[ATLAS 36/fb DM summary paper](#)



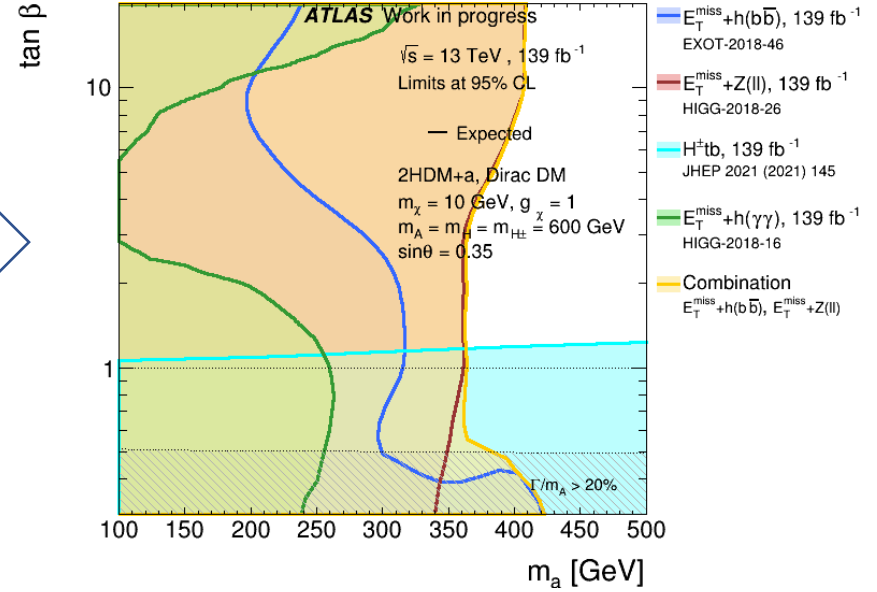
This study (expected results)

## $m_a - m_A$ scan at $\sin\theta=0.35$ :

- **MonoH** dominates at large  $m_A$  while **monoZ** dominates at small  $m_A$
- Sensitivities further improved by stat-combination.
- Significant complementarity from **H+tb**, due to the small dependence on  $m_a$  with its signature.



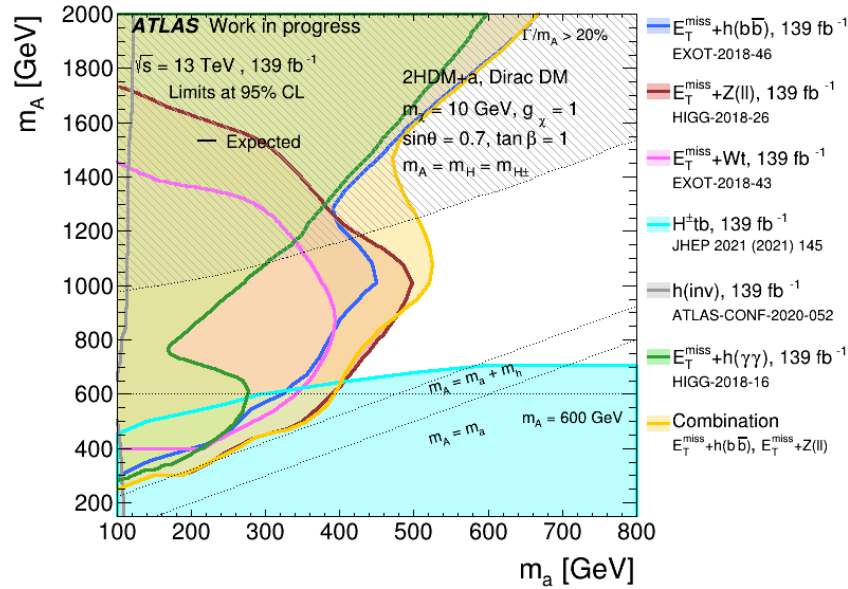
[ATLAS 36/fb DM summary paper](#)



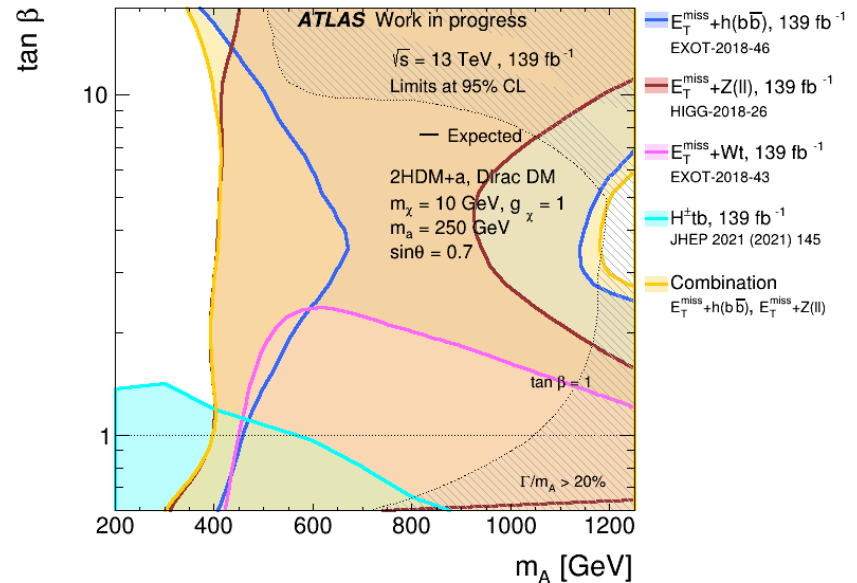
This study (expected results)

## $m_a$ - $\tan\beta$ scan at $\sin\theta=0.35$ :

- **monoZ** dominates the sensitivity.
- Significant complementarity from **H+tb**, due to the small dependence on  $m_a$  with its signature.
- Large improvements on high- $\tan\beta$  region from the inclusion of bb-induced signature in **monoZ** and **monoH** analyses.



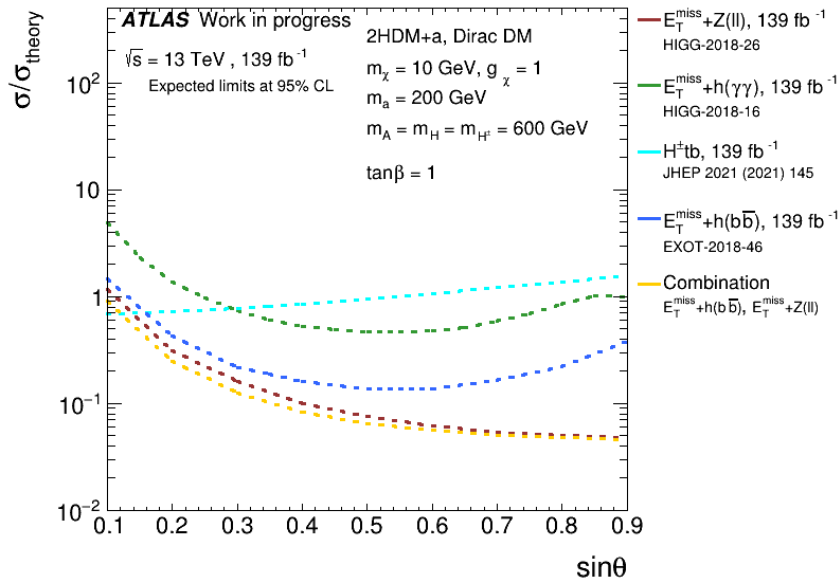
$\sin\theta=0.7, m_A - m_a$



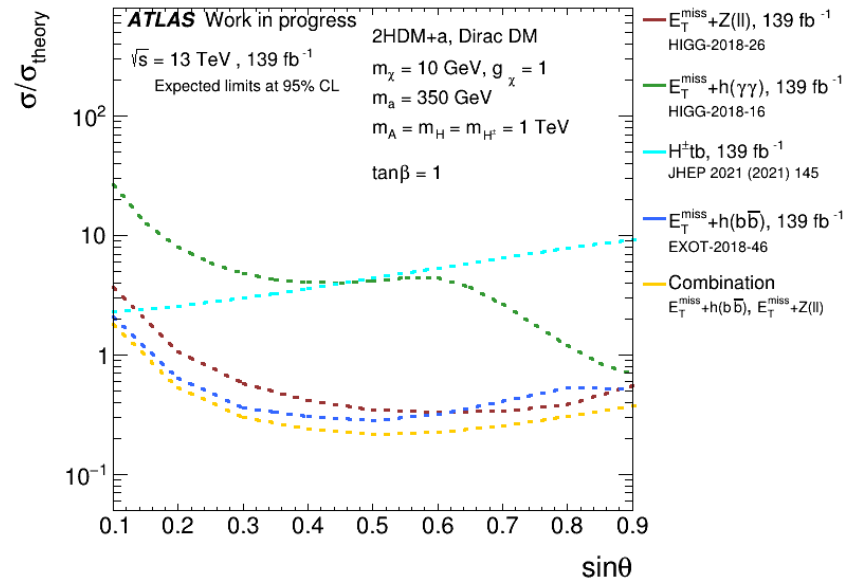
$\sin\theta=0.7, m_A - \tan\beta$

**New  $\sin\theta = 0.7$  parameter scans introduced, to further highlight the rich phenomenology of the model:**

- Larger region with of any Higgs boson  $>20\%$  of its mass. Subjected to additional theoretical uncertainties when  $\sin\theta = 0.7$ .
- Interesting interplay of gg- and bb- induced productions, giving the  $\tan\beta$ -dependent structure.
- Significant improvements from the statistical combination of monoH(bb) and monoZ.



$m_a = 200 \text{ GeV}, m_A = 600 \text{ GeV}$



$m_a = 350 \text{ GeV}, m_A = 1000 \text{ GeV}$

**$\sin\theta$  scan performed with two benchmark  $m_a - m_A$ :**

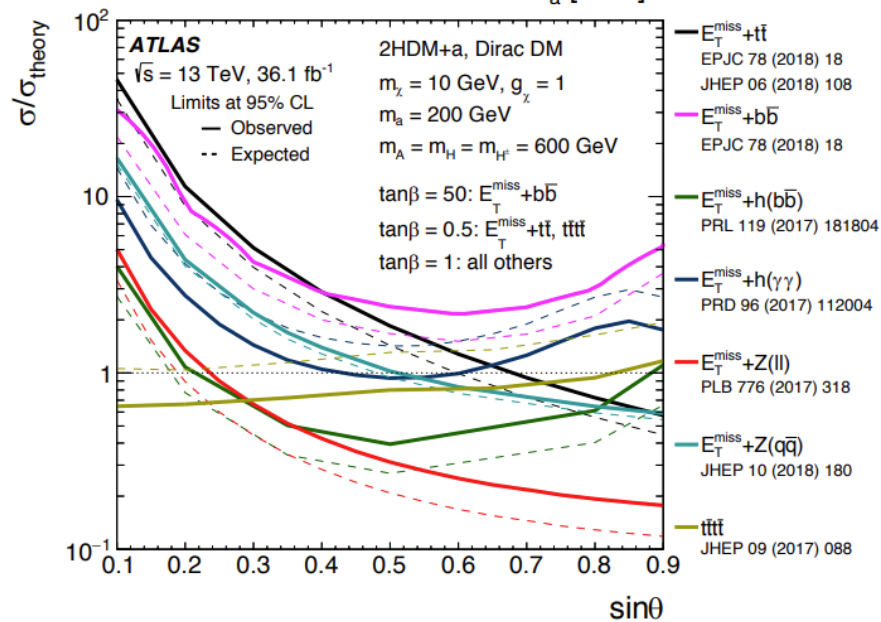
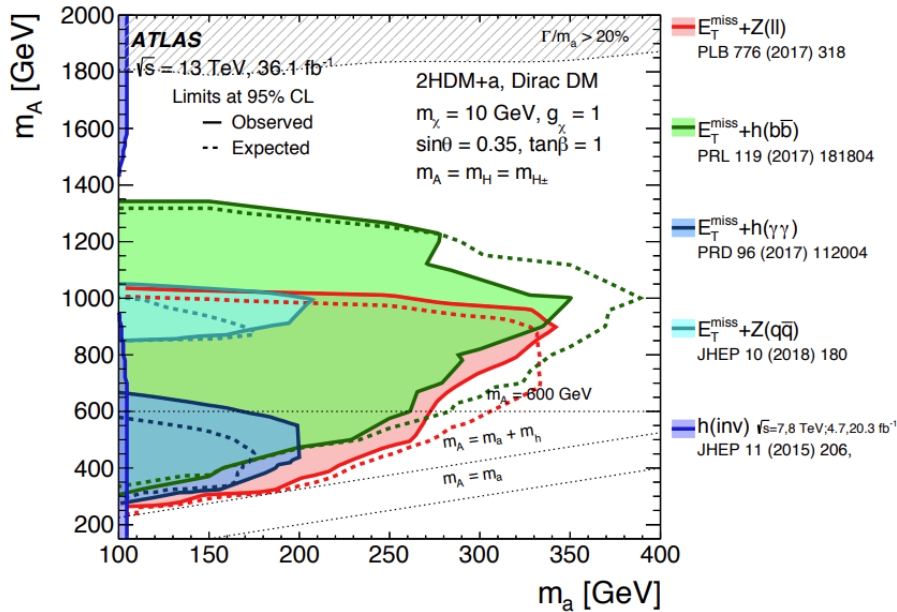
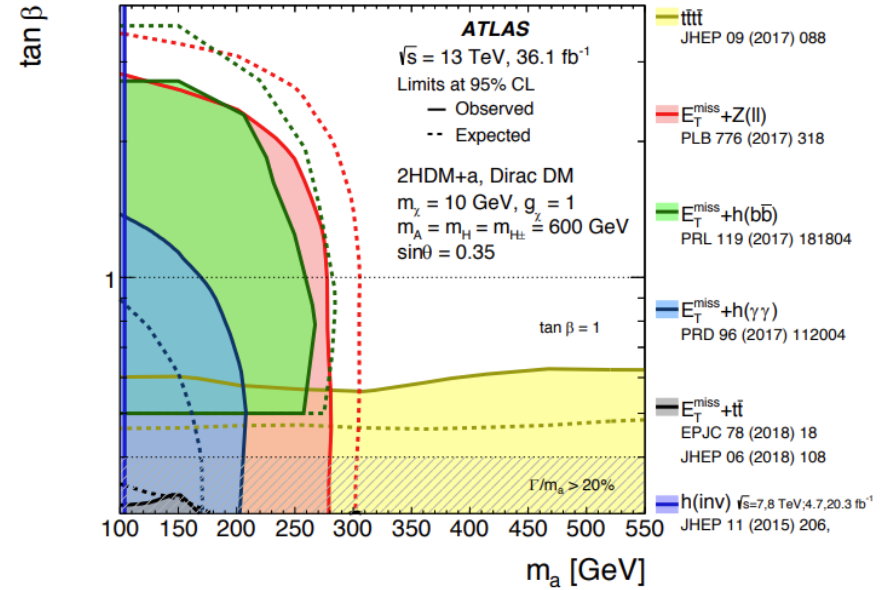
- Non-monotonic feature from monoH due to the enhancement of the aah coupling
- Almost the entire parameter space is excluded from the expectation.
- Large improvements in sensitivity compared to the early Run2 results.

- Large parameter space in 2HDM+a model explored. **From expected results:**
  - Complementary constraints reached by **overlaying of different signatures.**
  - Larger sensitivity obtained from the **stat-combination of mono-H(bb) and monoZ analyses.**
  - Significant improvements comparing to the early Run 2 ATLAS results.
- Results to become public soon. Stay tuned for updates!

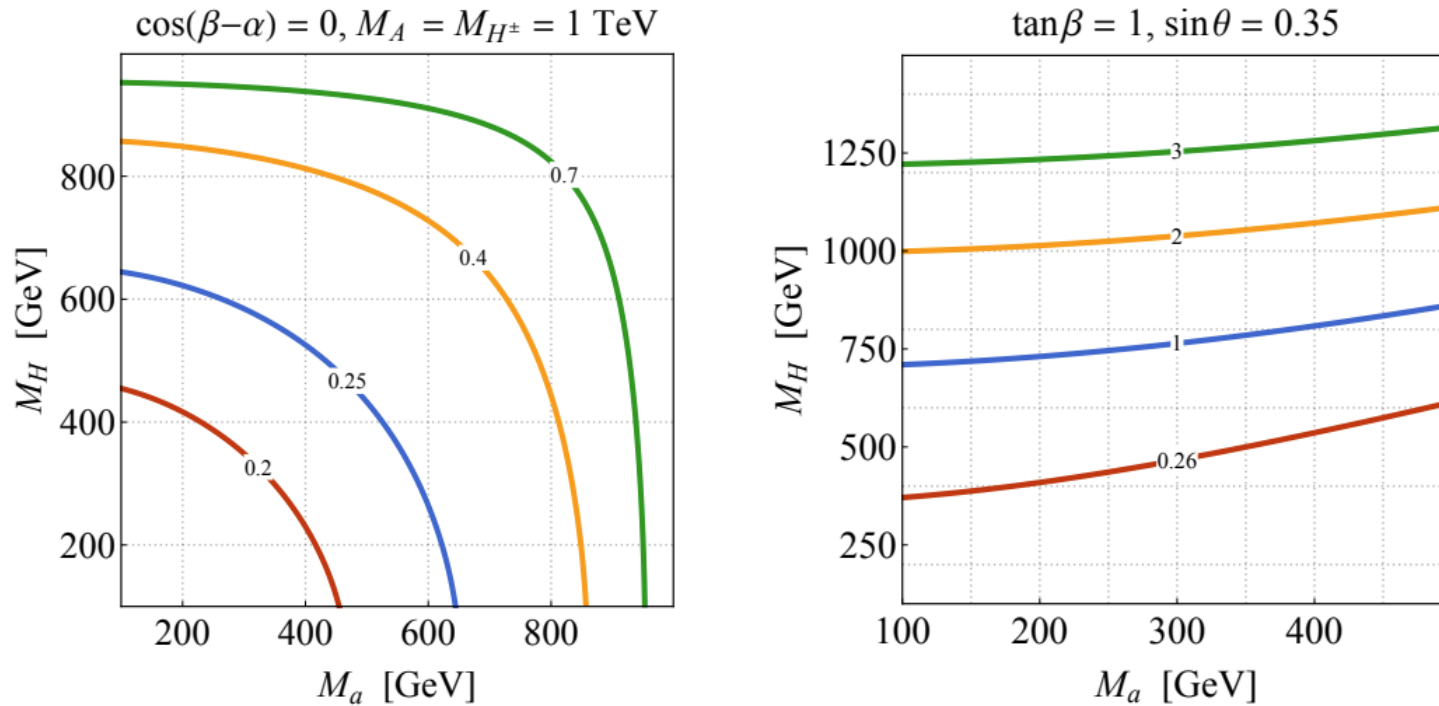
Thanks

Backup

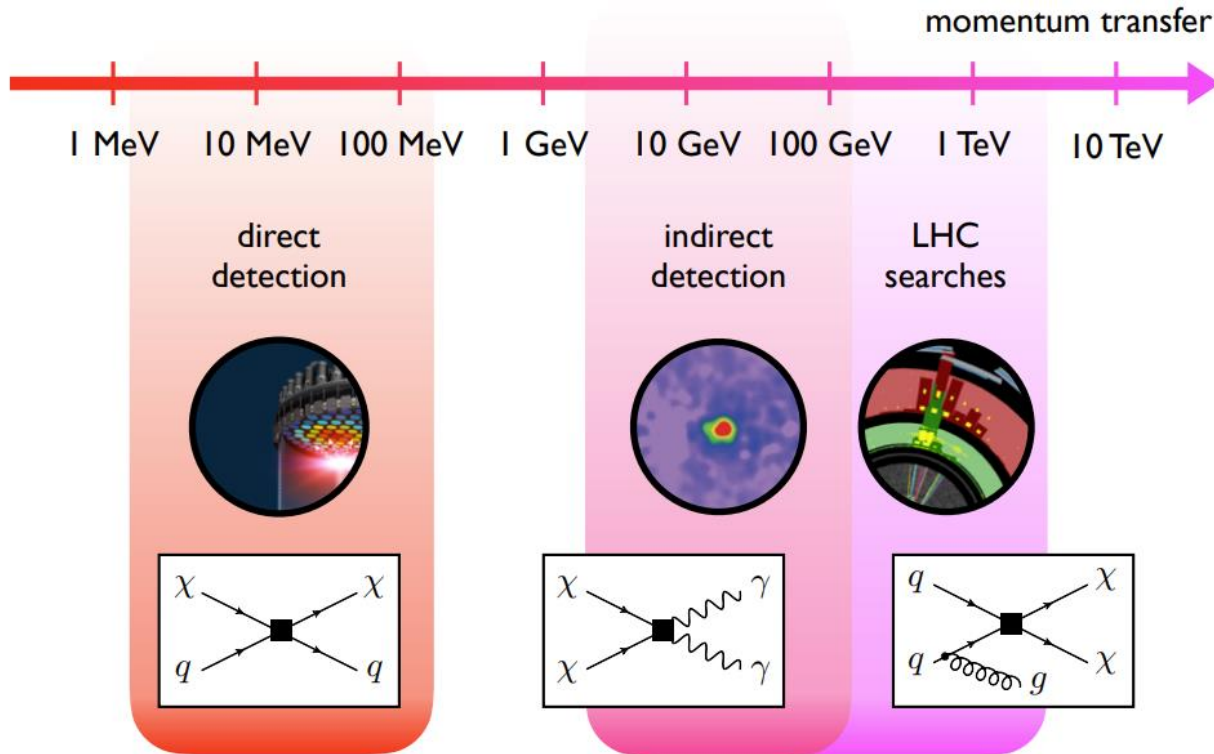
- Previous results from [ATLAS 36/fb](#)  
[DM summary paper](#)



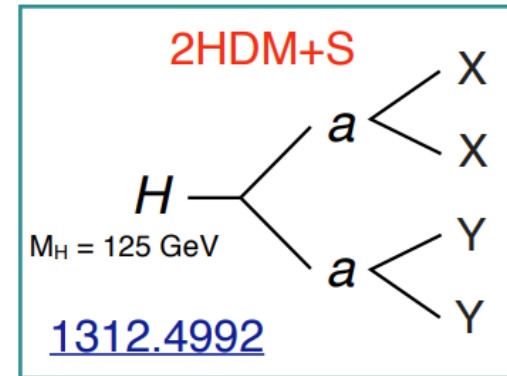




**Figure 4:** Left: Values of  $M_a$  and  $M_H$  allowed by EW precision constraints assuming  $\cos(\beta - \alpha) = 0$ ,  $M_A = M_{H^\pm} = 1 \text{ TeV}$  and four different values of  $\sin\theta$ , as indicated by the contour labels. The parameter space below and to the left of the contours is excluded. Right: Constraints in the  $M_a - M_H$  plane following from the BFB requirement. The results shown correspond to  $\tan\beta = 1$ ,  $\sin\theta = 0.35$  and degenerate heavy spin-0 boson masses  $M_H = M_A = M_{H^\pm}$ . The region above each contour is excluded for the indicated value of the quartic coupling  $\lambda_3$ .

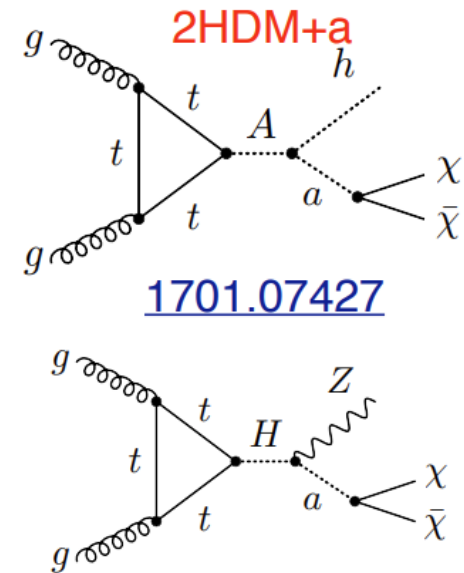
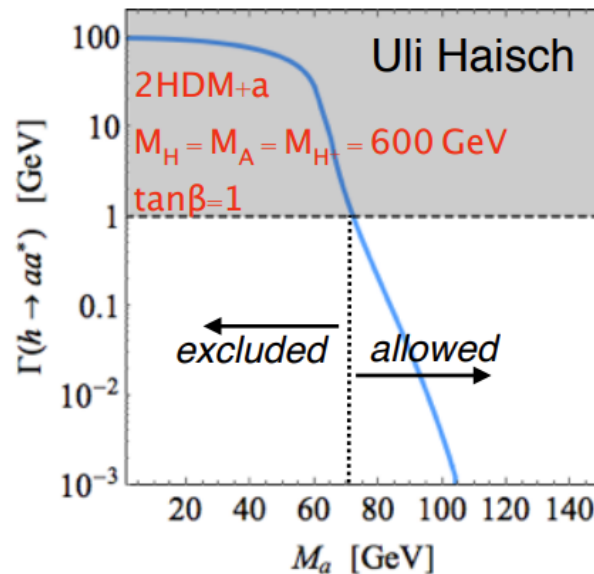


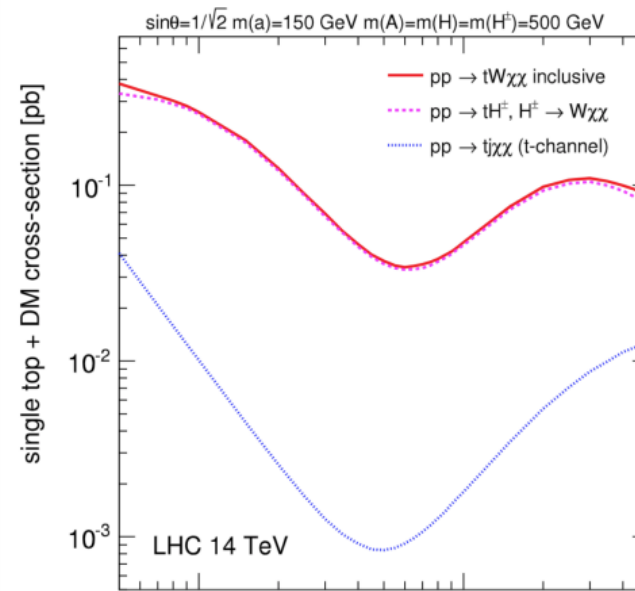
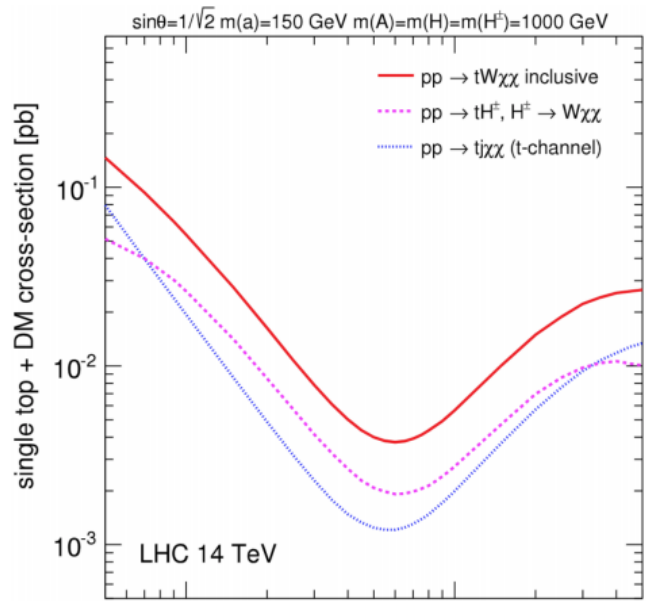
- **2HDM+S (“HLRS model”) vs 2HDM+a (“CDM model”)**
  - Can we show constrains from HLRS & CDM analyses all together in 1 consistent model?
  - *Plan for this summer:* study the acceptance for HLRS analyses for different parameters of 2HDM+a, in discussion with CDM & theorists

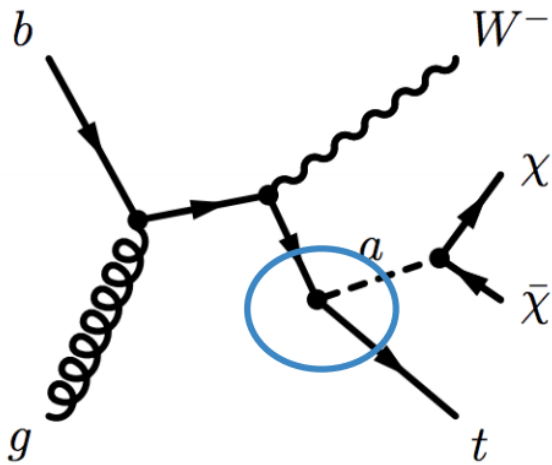


- **$m_a < 70 \text{ GeV}$  excluded due to  $H \rightarrow \text{invisible}$  &  $H$ -width constraints**

- would need to tune the parameters so as to get  **$g_{haa} \ll 1$  to allow  $m_a < 70 \text{ GeV}$**
- i.e. just setting  $m_{DM} > m_a$  is not enough to make it work for light  $a$ 's

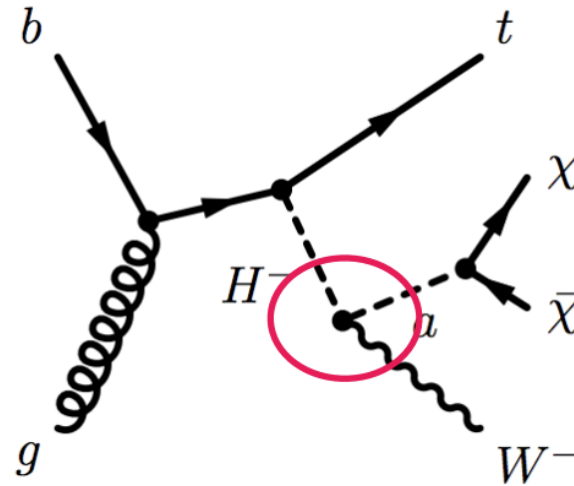






Coupling of  $a$  with  $t$  goes as  $\sin\beta \rightarrow$   
 $x_{sec}$  goes as  $\sin\beta^2$

$$\Gamma(a \rightarrow f\bar{f}) = \frac{N_c^f (\xi_f^M)^2 m_f^2}{8\pi v^2} M_a \beta_{f/a} \sin^2 \theta$$



Decay width of  $H^+ \rightarrow aW^+$  goes as  $\sin\beta^2$ , but it  
 competes with the decay  $H^+ \rightarrow tb$ , which does  
 not depend on  $\sin\beta \rightarrow$  BR not linear in  $\sin\beta^2$

$$\Gamma(H^+ \rightarrow aW^+) = \frac{1}{16\pi} \frac{\lambda^{3/2}(M_{H^\pm}, M_a, M_W)}{M_{H^\pm}^3 v^2} \sin^2 \theta,$$

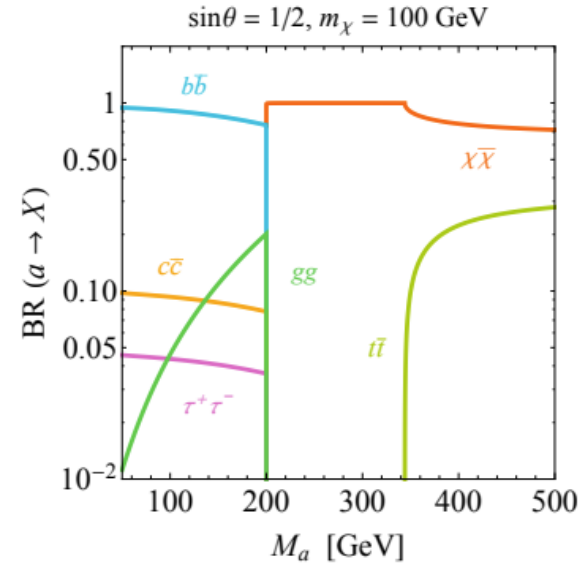
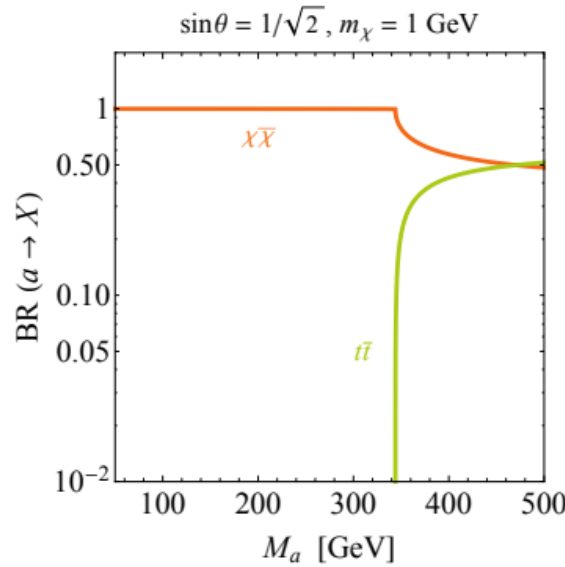
$$\Gamma(H^+ \rightarrow t\bar{b}) = \frac{N_c^t |V_{tb}|^2 (\xi_t^M)^2 m_t^2}{8\pi v^2} M_{H^\pm} \left(1 - \frac{m_t^2}{M_{H^\pm}^2}\right)^2$$

$$\xi_t^{\text{I}} = \xi_b^{\text{I}} = \xi_\tau^{\text{I}} = -\cot \beta, \quad (\text{type I}),$$

$$\xi_t^{\text{II}} = -\cot \beta, \quad \xi_b^{\text{II}} = \xi_\tau^{\text{II}} = \tan \beta, \quad (\text{type II}),$$

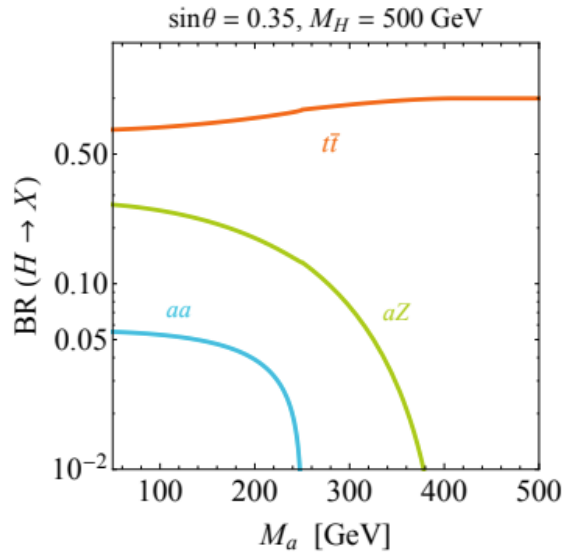
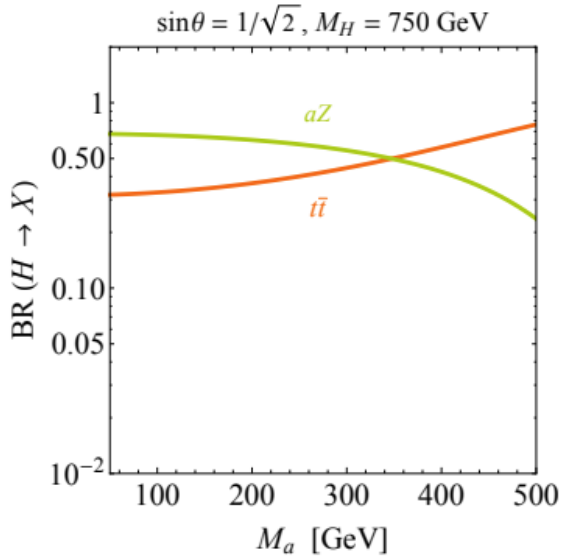
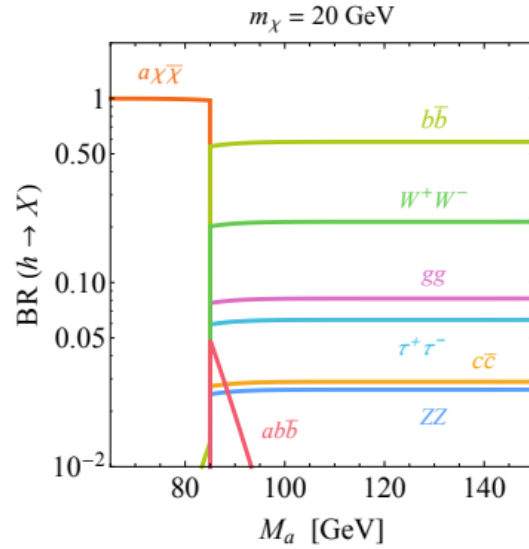
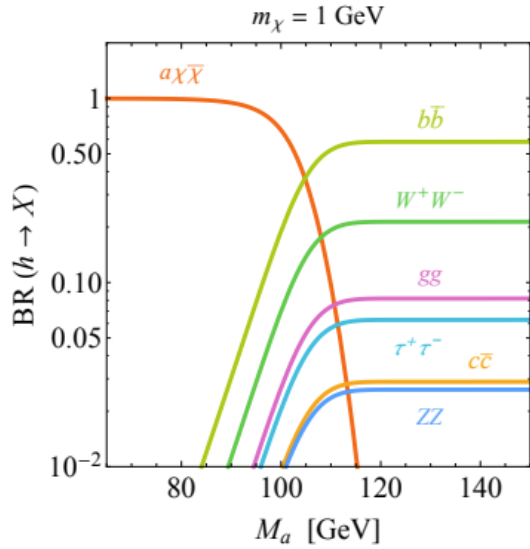
$$\xi_t^{\text{III}} = \xi_b^{\text{III}} = -\cot \beta, \quad \xi_\tau^{\text{III}} = \tan \beta, \quad (\text{type III}),$$

$$\xi_t^{\text{IV}} = \xi_\tau^{\text{IV}} = -\cot \beta, \quad \xi_b^{\text{IV}} = \tan \beta, \quad (\text{type IV}).$$



$$\Gamma(a \rightarrow \chi\bar{\chi}) = \frac{y_\chi^2}{8\pi} M_a \beta_{\chi/a} \cos^2 \theta,$$

$$\Gamma(a \rightarrow f\bar{f}) = \frac{N_c^f (\xi_f^{\text{M}})^2 m_f^2}{8\pi v^2} M_a \beta_{f/a} \sin^2 \theta,$$



$$\Gamma(h \rightarrow aa) = \frac{1}{32\pi} g_{haa}^2 M_h \beta_{a/h},$$

$$g_{haa} = \frac{1}{M_h v} \left[ (M_h^2 - 2M_H^2 + 4M_{H^\pm}^2 - 2M_a^2 - 2\lambda_3 v^2) \sin^2 \theta - 2(\lambda_{P1} \cos^2 \beta + \lambda_{P2} \sin^2 \beta) v^2 \cos^2 \theta \right].$$

$$\Gamma(h \rightarrow a\chi\bar{\chi}) = \frac{y_\chi^2}{32\pi^3} g_{haa}^2 M_h \beta_{\chi/a} g(\tau_{a/h}) \cos^2 \theta,$$

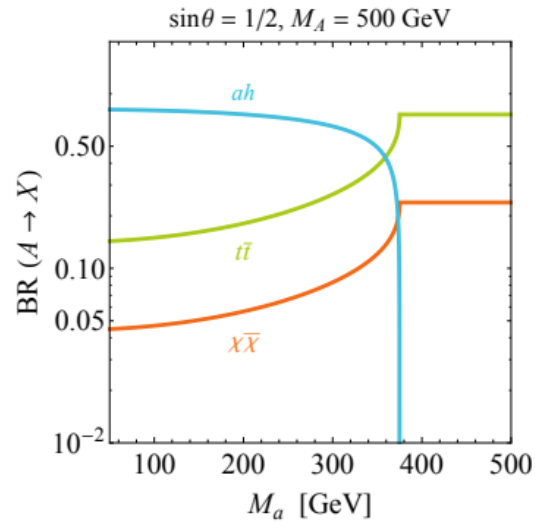
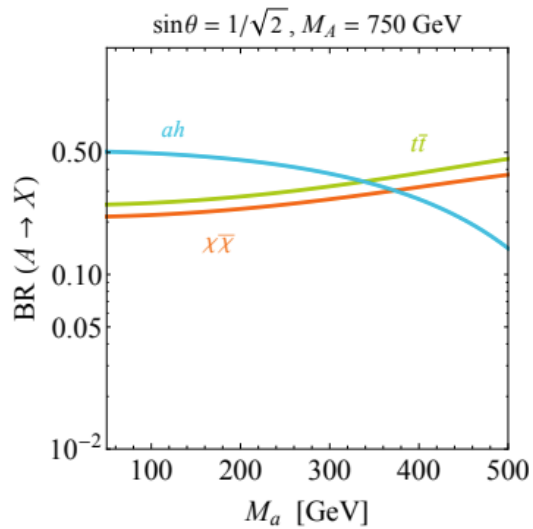
$$\Gamma(h \rightarrow af\bar{f}) = \frac{N_c^f (\xi_f^M)^2 m_f^2}{32\pi^3} \frac{1}{v^2} g_{haa}^2 M_h \beta_{f/a} g(\tau_{a/h}) \sin^2 \theta,$$

$$\Gamma(H \rightarrow f\bar{f}) = \frac{N_c^f (\xi_f^M)^2 m_f^2}{8\pi} \frac{1}{v^2} M_H \beta_{f/H}^3,$$

$$\Gamma(H \rightarrow aa) = \frac{1}{32\pi} g_{Ha}^2 M_H \beta_{a/H},$$

$$\Gamma(H \rightarrow aZ) = \frac{1}{16\pi} \frac{\lambda^{3/2}(M_H, M_a, M_Z)}{M_H^3 v^2} \sin^2 \theta,$$

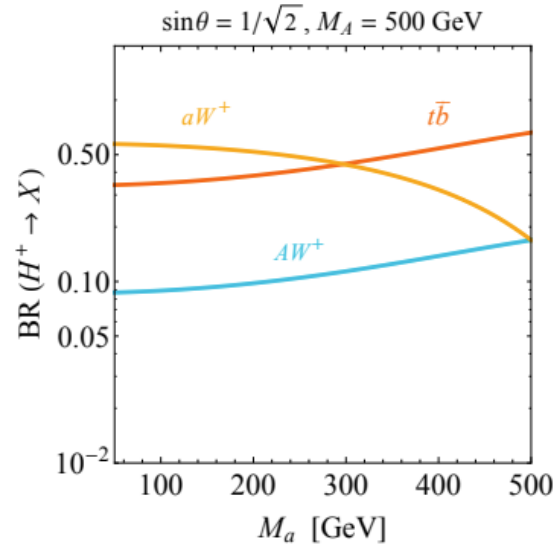
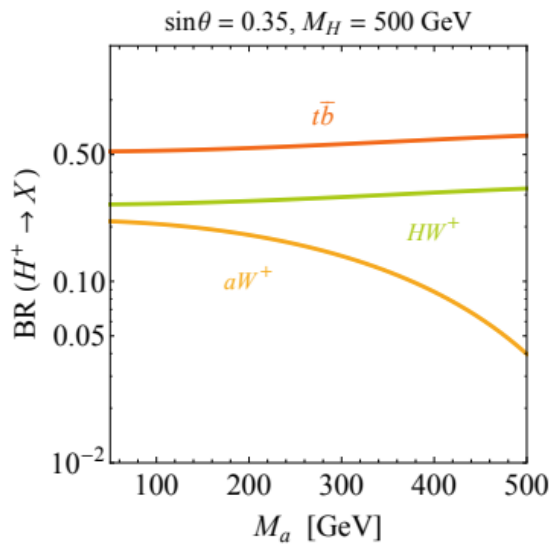
$$g_{Ha} = \frac{1}{M_H v} \left[ \cot(\beta) (2M_h^2 - 4M_H^2 + 4M_{H^\pm}^2 - 2\lambda_3 v^2) \sin^2 \theta + \sin(\beta) (\lambda_{P1} - \lambda_{P2}) v^2 \cos^2 \theta \right],$$



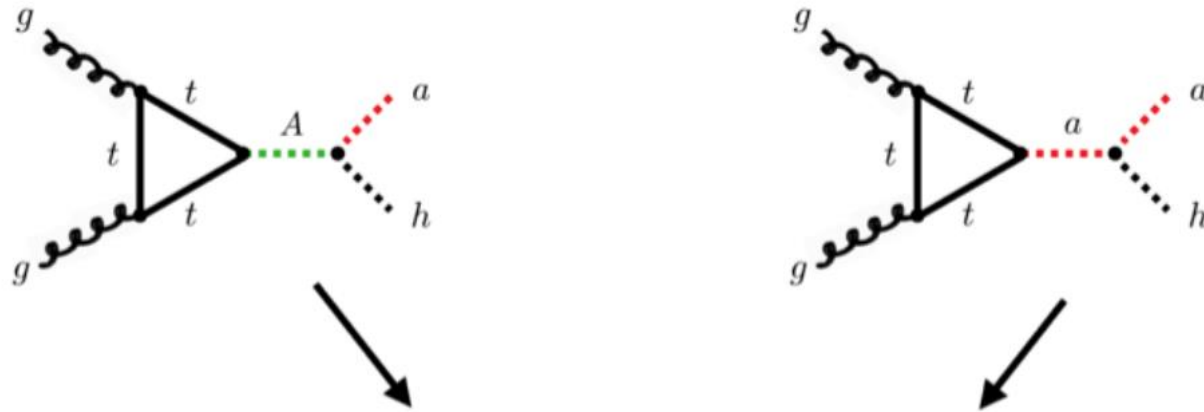
$$\Gamma(A \rightarrow \chi\bar{\chi}) = \frac{y_\chi^2}{8\pi} M_A \beta_{\chi/A} \sin^2 \theta,$$

$$\Gamma(A \rightarrow f\bar{f}) = \frac{N_c^f (\xi_f^M)^2 m_f^2}{8\pi v^2} M_A \beta_{f/A} \cos^2 \theta,$$

$$\Gamma(A \rightarrow ah) = \frac{1}{16\pi} \frac{\lambda^{1/2}(M_A, M_a, M_h)}{M_A} g_{Aah}^2,$$







$$\mathcal{A}(gg \rightarrow ha) \propto \frac{(M_A^2 - M_a^2 + M_h^2) \cos^2 \theta}{\hat{s} - M_A^2 - i\Gamma_A M_A} + \frac{(2(M_A^2 - M_a^2) + M_h^2) \sin^2 \theta - 2v^2 \lambda}{\hat{s} - M_a^2 - i\Gamma_a M_a}$$

$$\simeq \frac{(2(M_A^2 - M_a^2) + M_h^2) \sin^2 \theta - 2v^2 \lambda}{M_A^2 - M_a^2} + i \frac{(M_A^2 - M_a^2 + M_h^2) \cos^2 \theta}{\Gamma_A M_A}$$

$$\hat{s} \simeq M_A^2$$

Notice that only the internal  $A$  can go on-shell but not the internal  $a$