

# Explaining the MiniBooNE Excess Through a Mixed Model of Oscillation and Decay

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Based on our preprint: [2105.06470](#)



# Overview

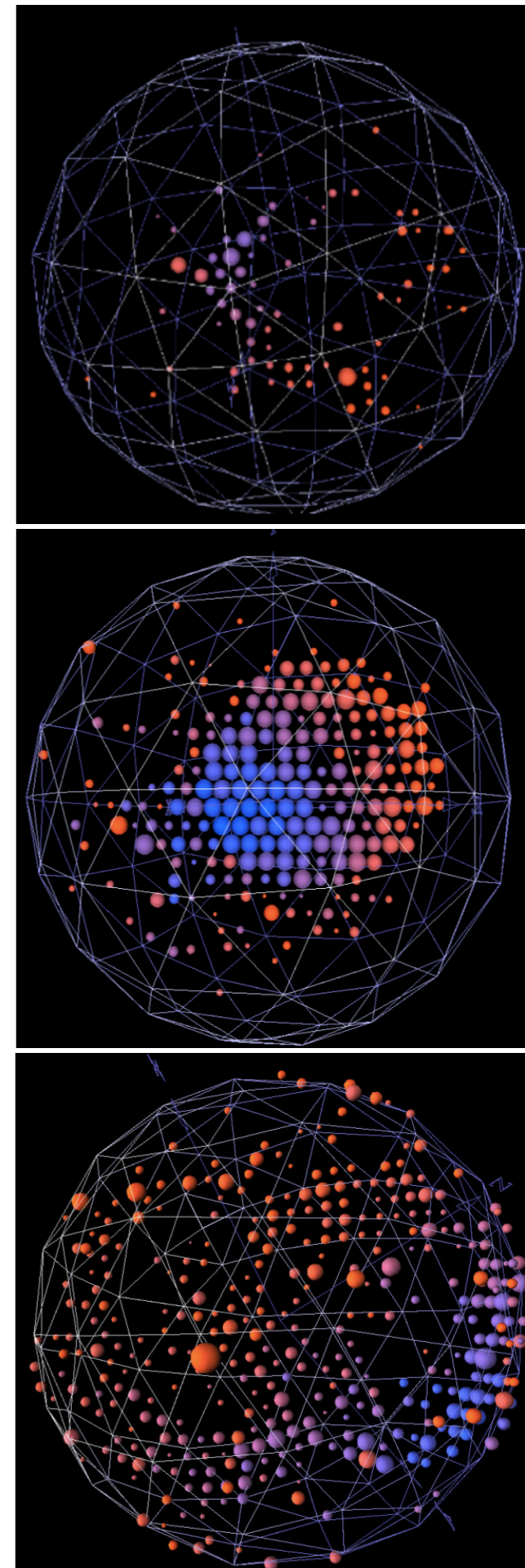
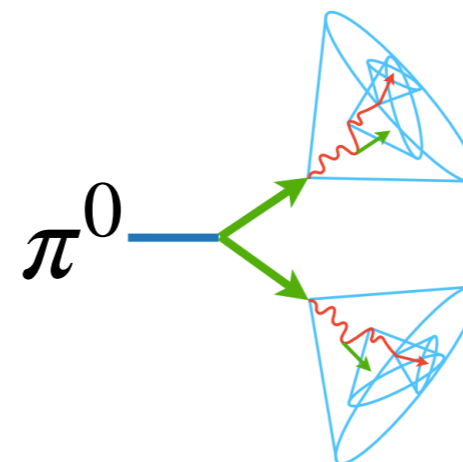
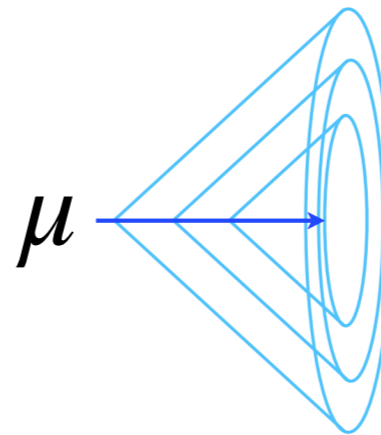
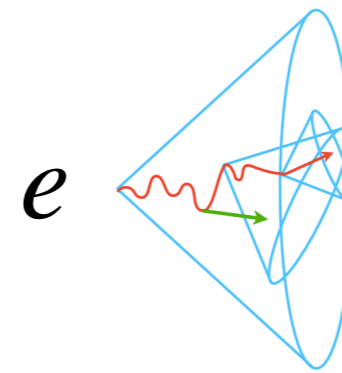
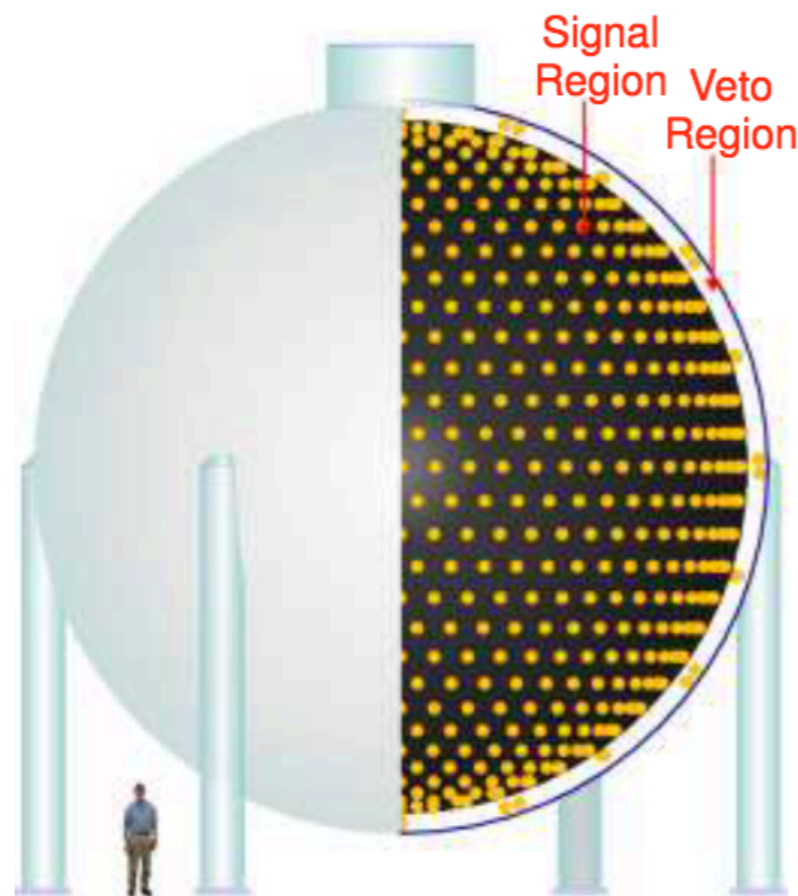
- Tension in eV-scale oscillation global fits
- The HNL dipole model
- MiniBooNE fit results

# Overview

- **Tension in eV-scale oscillation global fits**
- The HNL dipole model
- MiniBooNE fit results

# The MiniBooNE Experiment

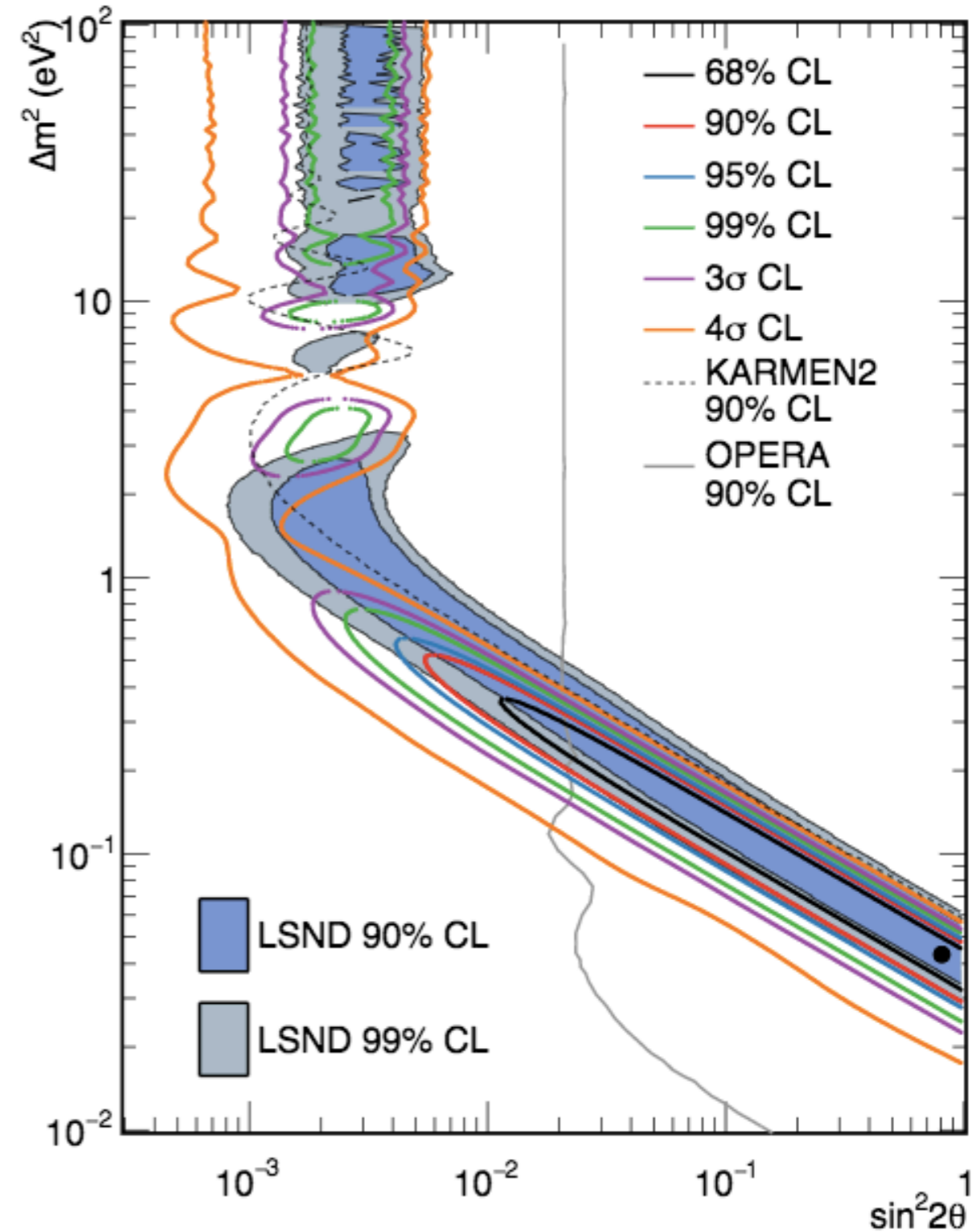
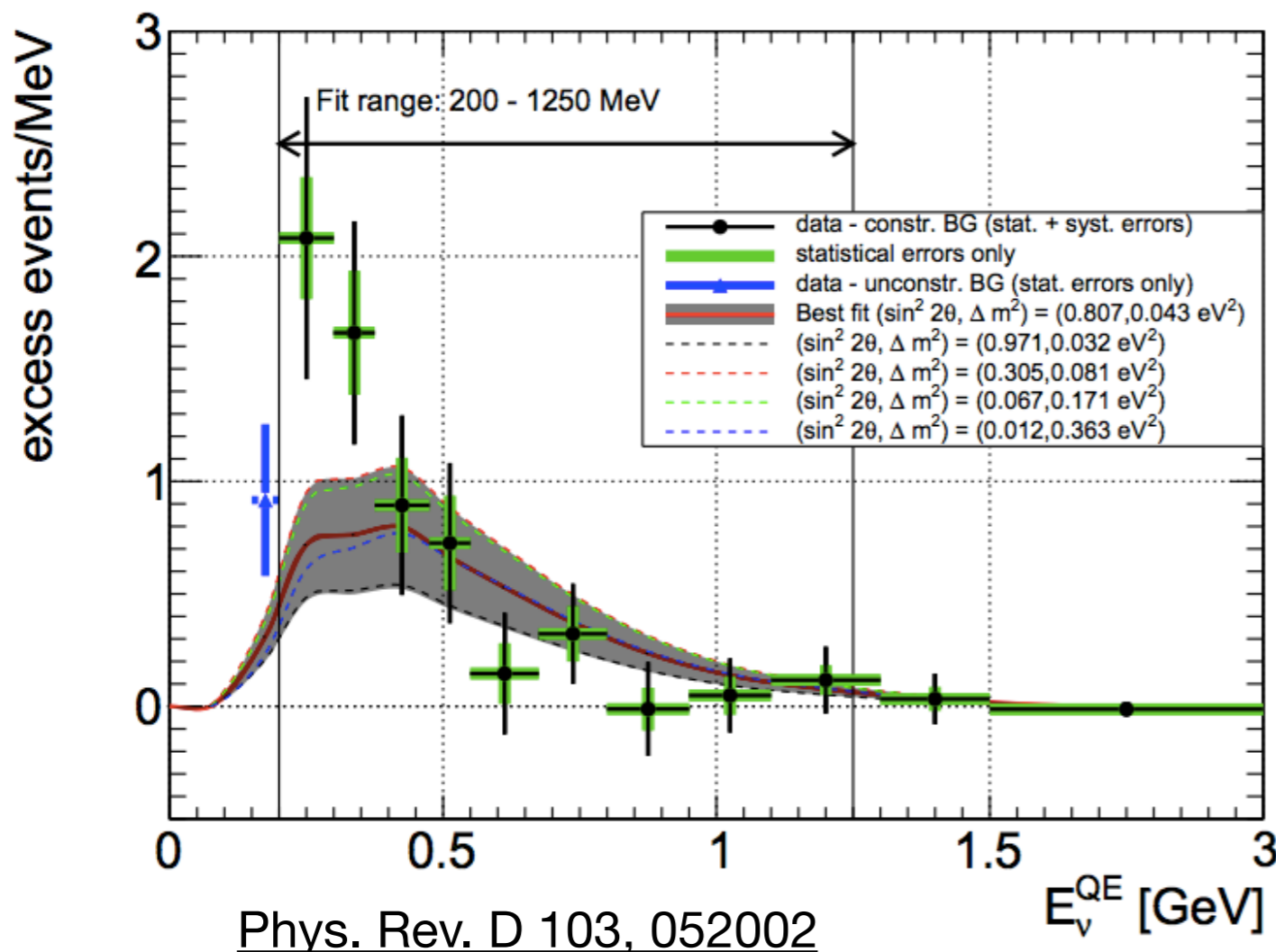
- 818 ton  $\text{CH}_2$  Cherenkov detector at Fermilab's Booster Neutrino Beam
- $4.8\sigma$  excess of electron-like events in complete neutrino-mode dataset





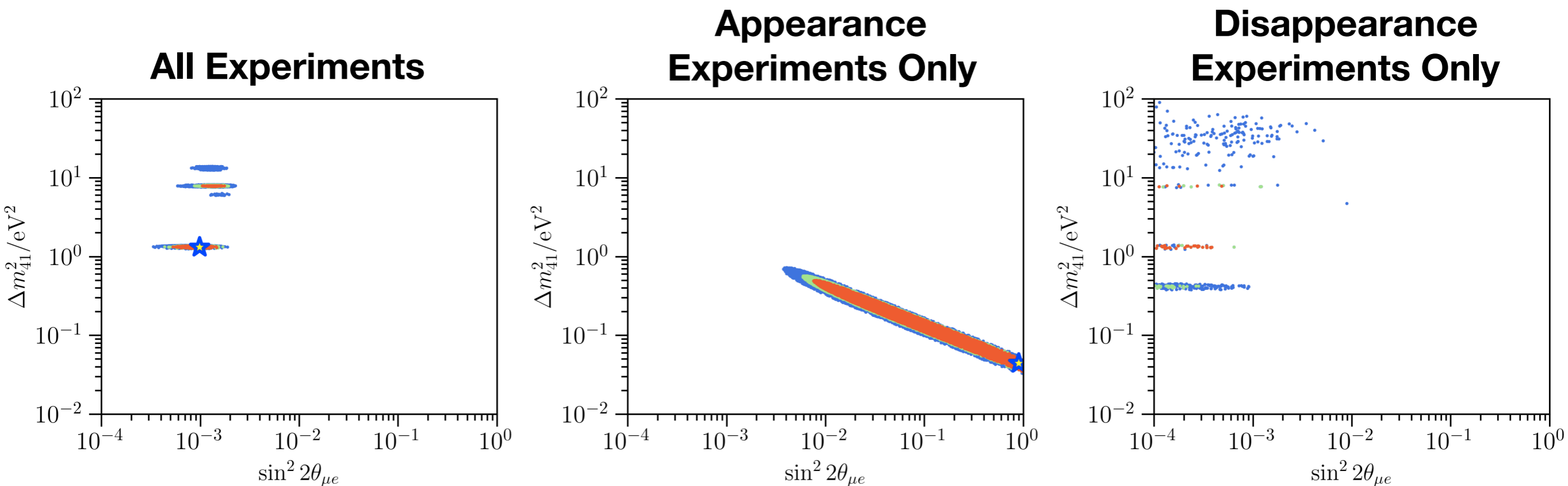
# eV-scale Sterile Oscillations

The most common model used to explain the MiniBooNE excess invokes short-distance muon-to-electron neutrino oscillations through the addition of a sterile neutrino



# Global Fit Tension

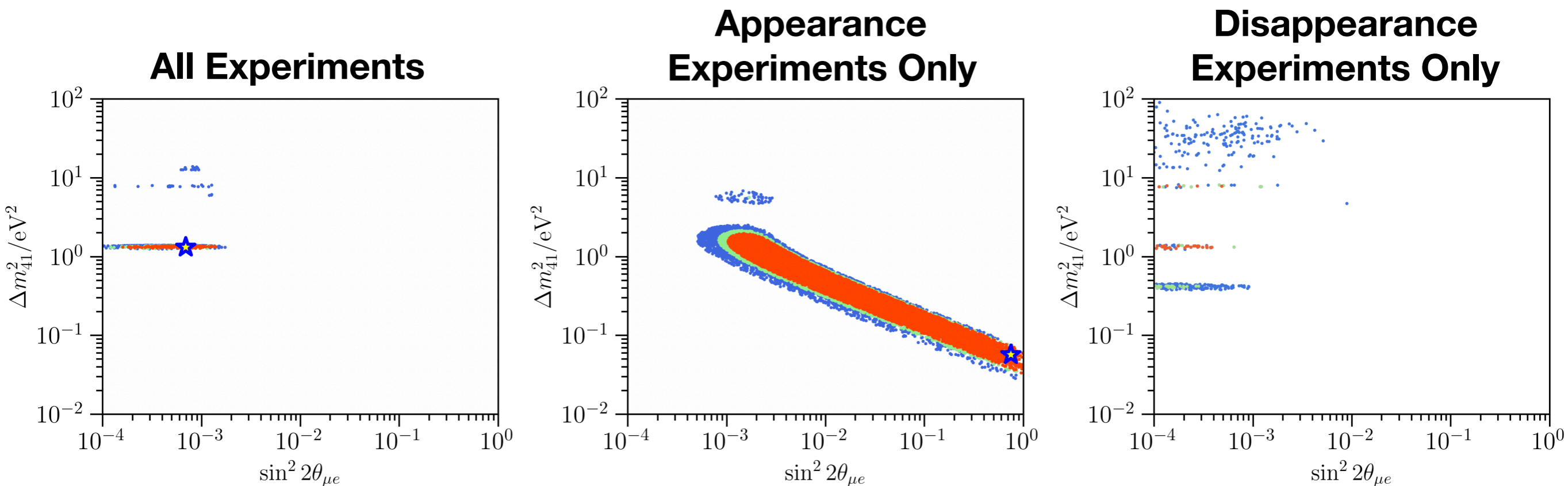
- One can look for the effect of such a sterile neutrino in other  $\nu_e$  appearance experiments (e.g. LSND),  $\nu_e$  disappearance experiments (e.g. reactors), and  $\nu_\mu$  disappearance experiments (e.g. long baseline accelerators)



$$P_{\text{PG}}^{\text{w/ MiniBooNE}} = 8 \times 10^{-7} (4.8\sigma)$$

# Global Fits Without MiniBooNE

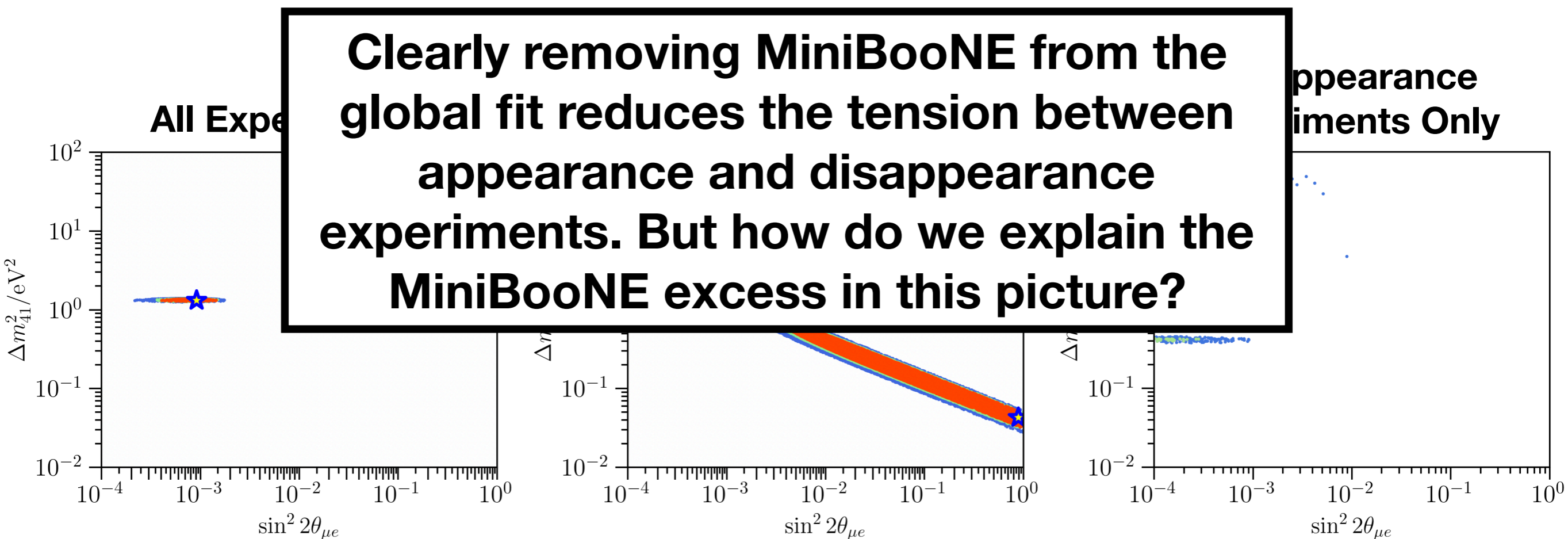
- We can repeat the same procedure after removing MiniBooNE from the list of appearance experiments



$$P_{\text{PG}}^{\text{w/o MiniBooNE}} = 7 \times 10^{-3} (2.5\sigma)$$

# Global Fits Without MiniBooNE

- We can repeat the same procedure after removing MiniBooNE from the list of appearance experiments



$$P_{PG}^{\text{w/o MiniBooNE}} = 7 \times 10^{-3} (2.5\sigma)$$

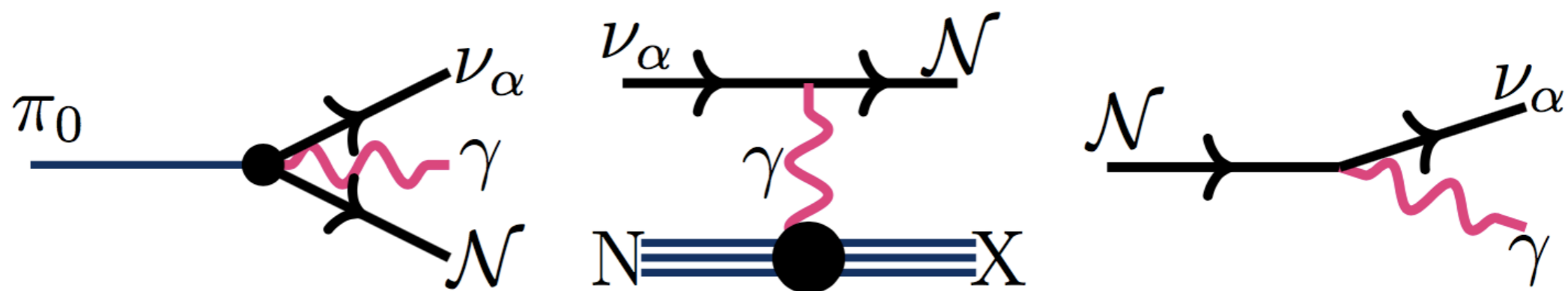
# Overview

- Tension in eV-scale oscillation global fits
- **The HNL dipole model**
- MiniBooNE fit results

# Dipole + Oscillation Model

$$\mathcal{L} \supset \mathcal{L}_{SM} + \sum_{j=1}^3 \bar{\mathcal{N}}_j (i\not{\partial} - M_j) \mathcal{N}_j + \sum_{i=1}^3 (d_{i,j} \bar{\nu}_i \sigma_{\mu\nu} F^{\mu\nu} \mathcal{N}_j + h.c.)$$

- We only consider oscillations involving the lightest HNL, as the masses of the other two are assumed to be too large
- The dipole term introduces the interactions shown below, where we define  $\mathcal{N} \equiv \mathcal{N}_3$

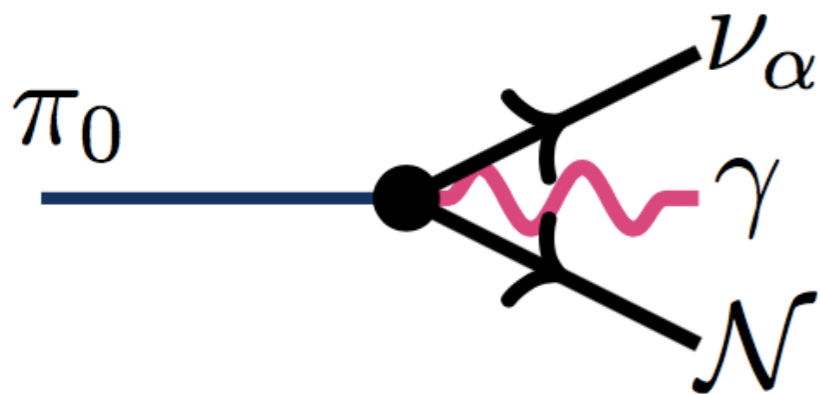


**Other dipole portal studies:** [Phys. Rev. Lett. 45, 963 \(1980\)](#), [Phys. Rev. D 25, 766 \(1982\)](#), [Phys. Rev. D 98, 115015](#), [JHEP09\(2005\)048](#), [JHEP01\(2013\)106](#), [2105.09699](#)

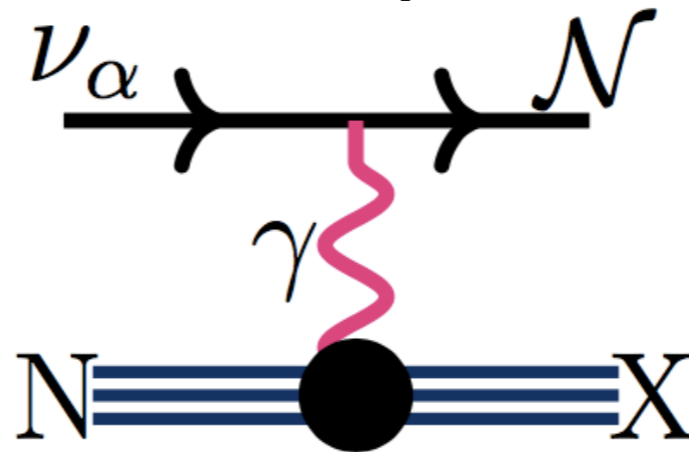


# HNLs In MiniBooNE

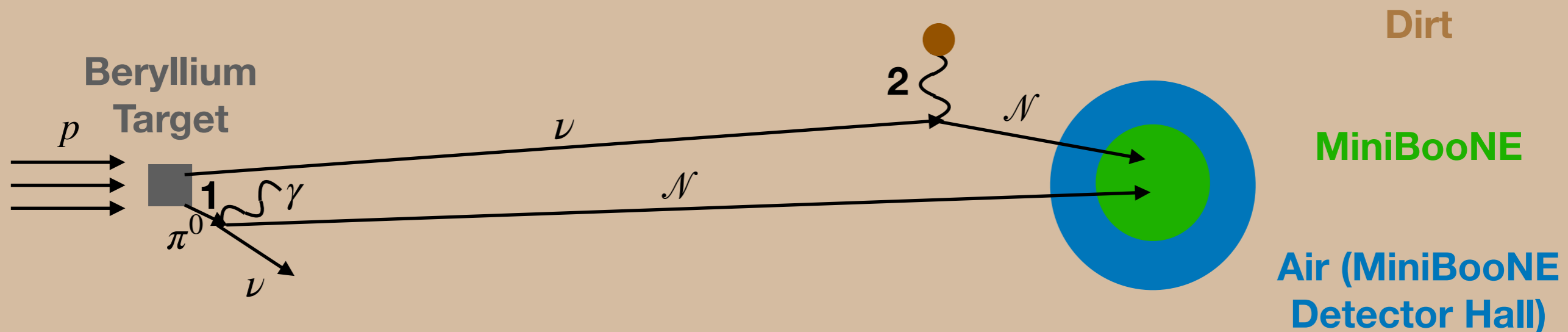
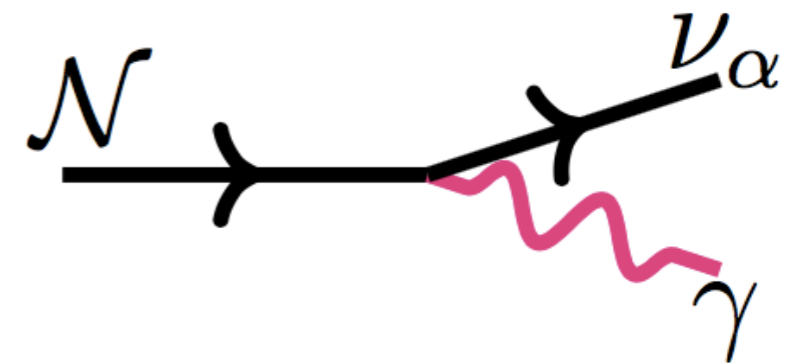
1: Dalitz-like Pion Decay



2: Primakoff Upscattering



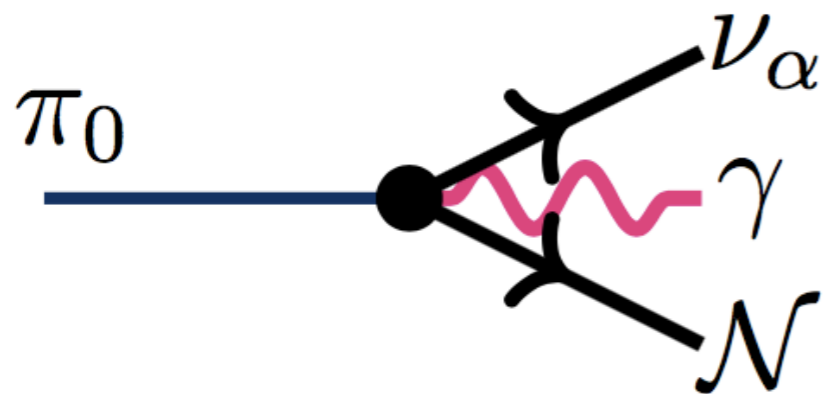
3: HNL Decay



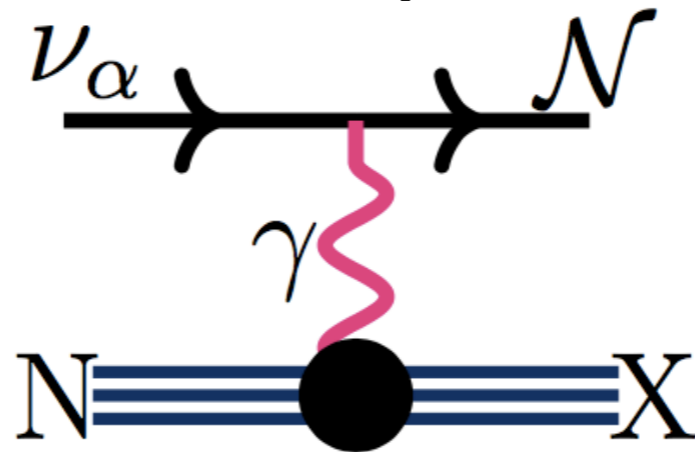
**For the mass range under consideration in this study (10-1000 MeV), Primakoff upscattering is found to be the dominant HNL production mode**

# HNLs In MiniBooNE

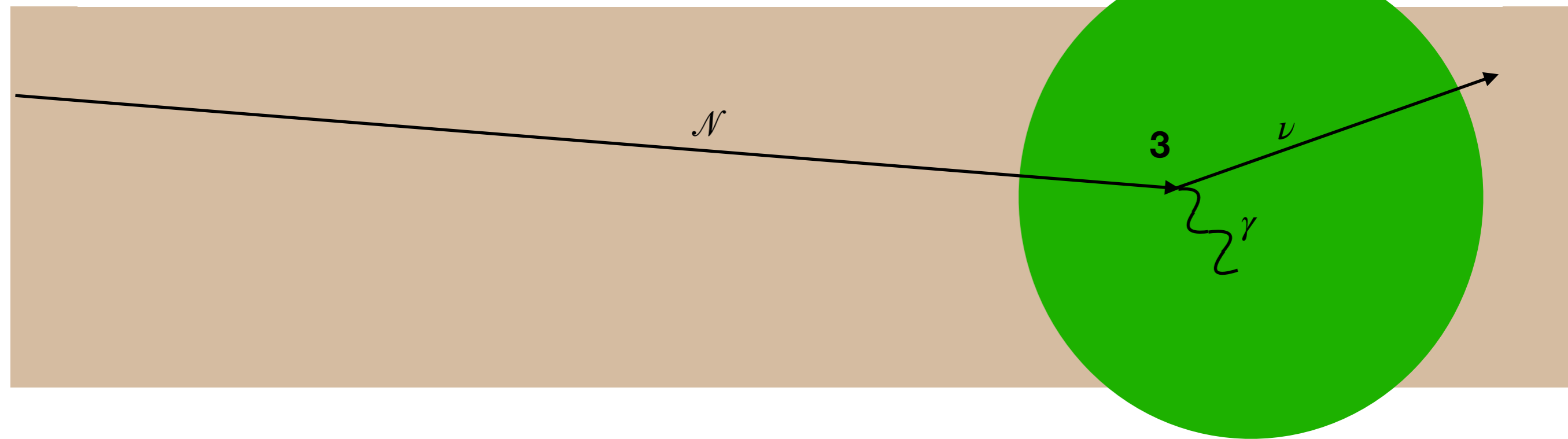
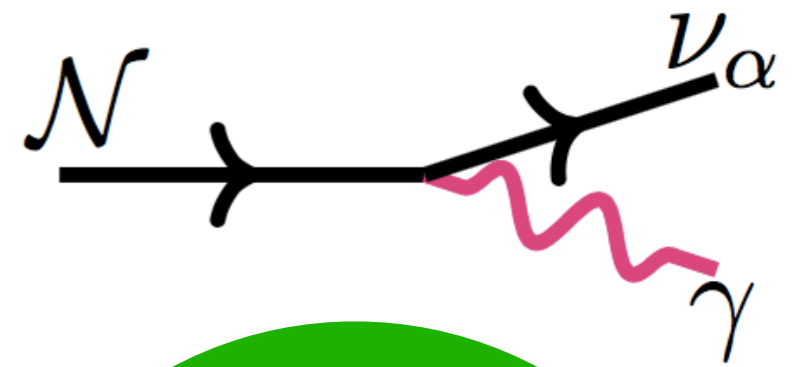
1: Dalitz-like Pion Decay



2: Primakoff Upscattering



3: HNL Decay



**As electrons and photons are indistinguishable in MiniBooNE, this decay would contribute to the electron-like excess**

# Simulation Details: Production

- Primakoff upscattering events can happen...
  - Coherently off a nucleus or incoherently off a nucleon
  - In the dirt before MiniBooNE or within MiniBooNE itself
- The event-by-event HNL kinematics are determined using the differential cross section

$$\frac{d\sigma}{dt} = \frac{2\alpha d^2}{m} \left[ F_1^2(t) \left( \frac{1}{E_r} - \frac{1}{E_\nu} + m_{\mathcal{N}}^2 \frac{E_r - 2E_\nu - M}{4E_\nu^2 E_r M} + m_{\mathcal{N}}^4 \frac{E_r - M}{8E_\nu^2 E_r^2 M^2} \right) + \frac{F_2^2(t)}{4M^2} \left( \frac{2M}{E_\nu^2} ((2E_\nu - E_r)^2 - 2E_r M) + m_{\mathcal{N}}^2 \frac{E_r - 4E_\nu}{E_\nu^2} + \frac{m_{\mathcal{N}}^4}{E_\nu^2 E_r} \right) \right]$$

$$E_r = -t/2M \quad E_{\mathcal{N}} = E_\nu - E_r \quad \cos(\theta) = \frac{E_\nu - E_r - ME_r/E_\nu - m_{\mathcal{N}}^2/2E_\nu}{\sqrt{E_\nu^2 + E_r^2 - 2E_\nu E_r - m_{\mathcal{N}}^2}}$$

Phys. Rev. D 98, 115015

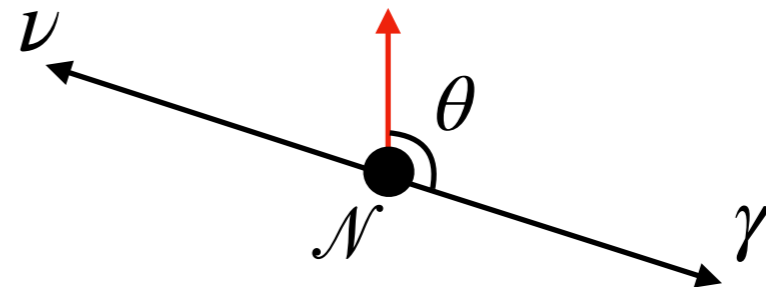
# Simulation Details: Decay

- HNLs that reach MiniBooNE decay with a decay length

$$L_{decay} = 4\pi \frac{\beta E_{\mathcal{N}}}{d^2 m_{\mathcal{N}}^4}$$

- The angular distribution of photons from right handed HNLs is given by\*

$$\frac{d\Gamma}{d\cos\theta} \propto 1 - \cos\theta$$



- The photons are boosted to the lab frame, smeared according to the MB energy/angle resolution, weighted by detection efficiency

**\*requires Dirac HNL among other things (see [1805.00922](#))**

# Overview

- Tension in eV-scale oscillation global fits
- The HNL dipole model
- **MiniBooNE fit results**

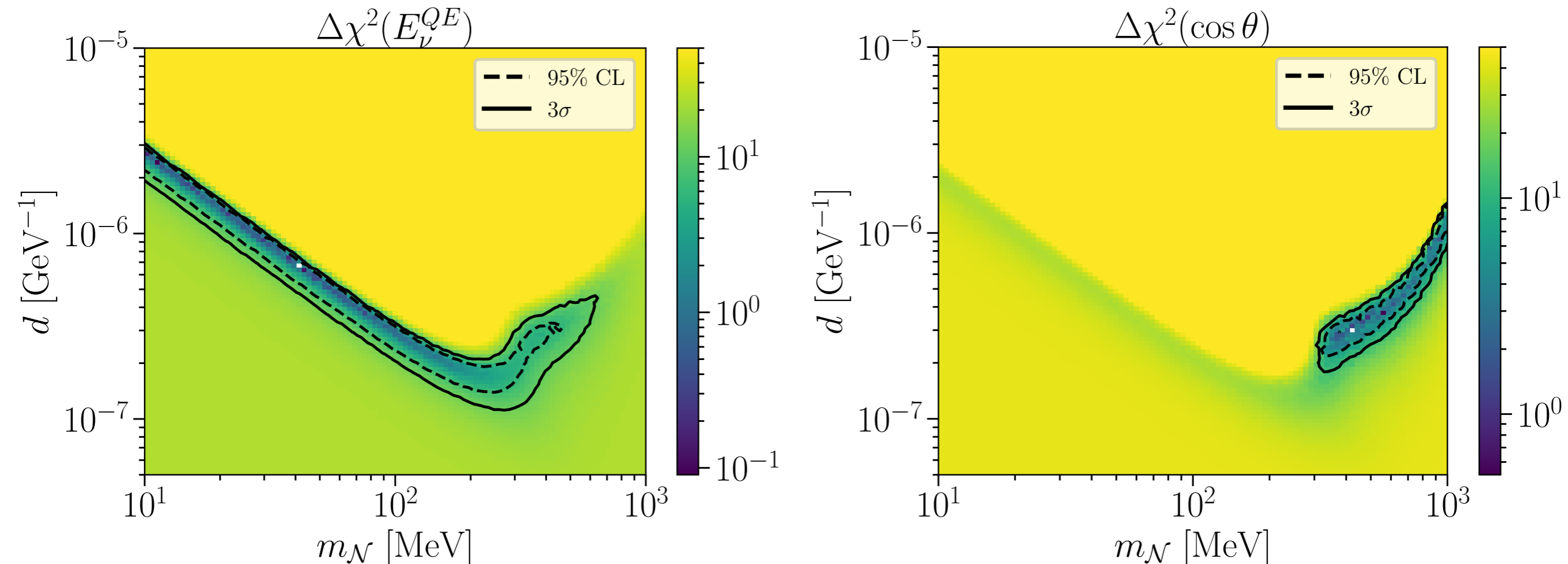
# Energy and Angular Fits

- We consider an oscillation contribution from the best fit to the 3+1 model without MB:

$$\Delta m^2 = 1.3 \text{ eV}^2$$

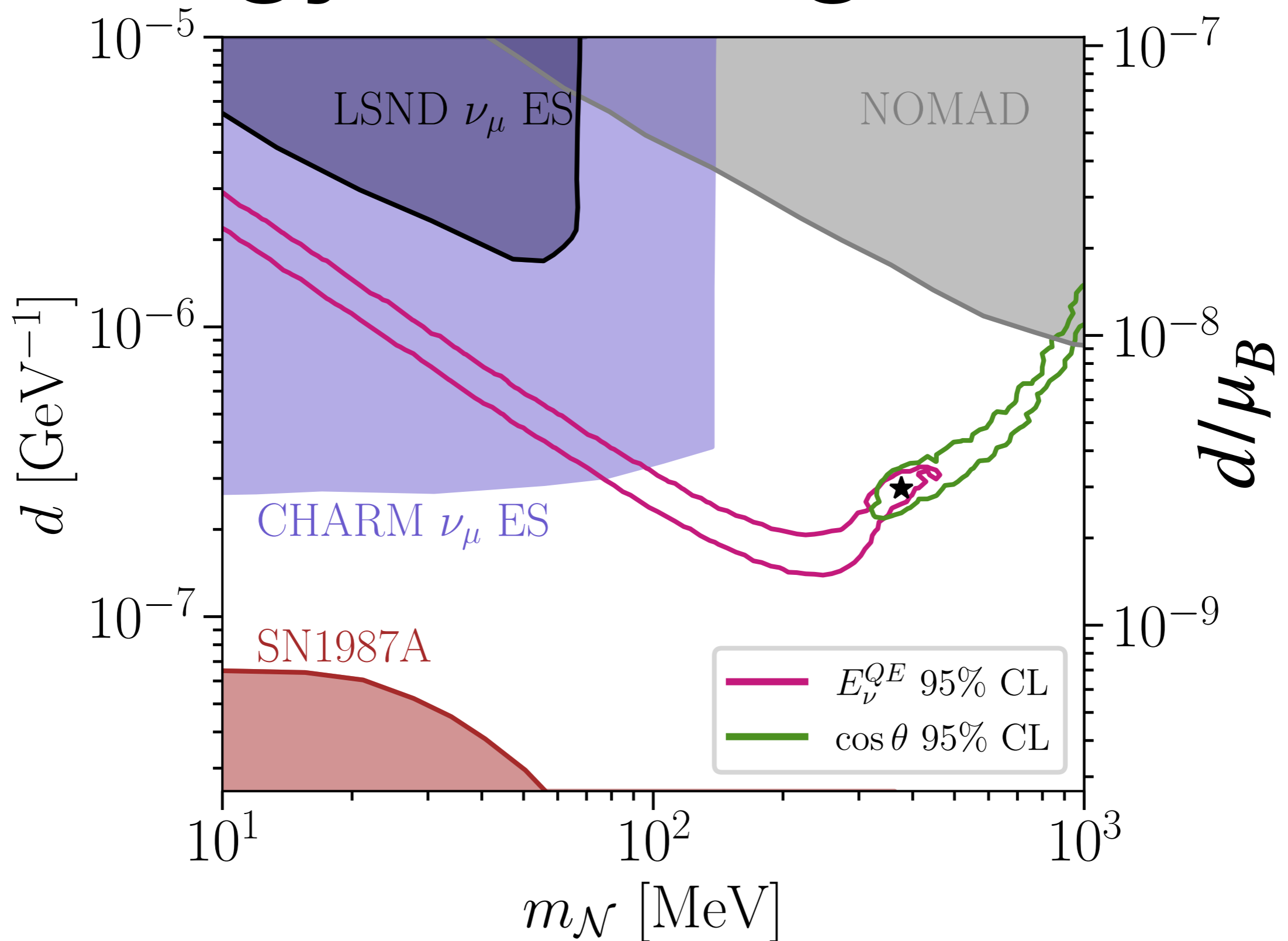
$$\sin^2(2\theta_{\mu e}) = 6.9 \times 10^{-4}$$

- The remaining excess is fit to the HNL dipole contribution

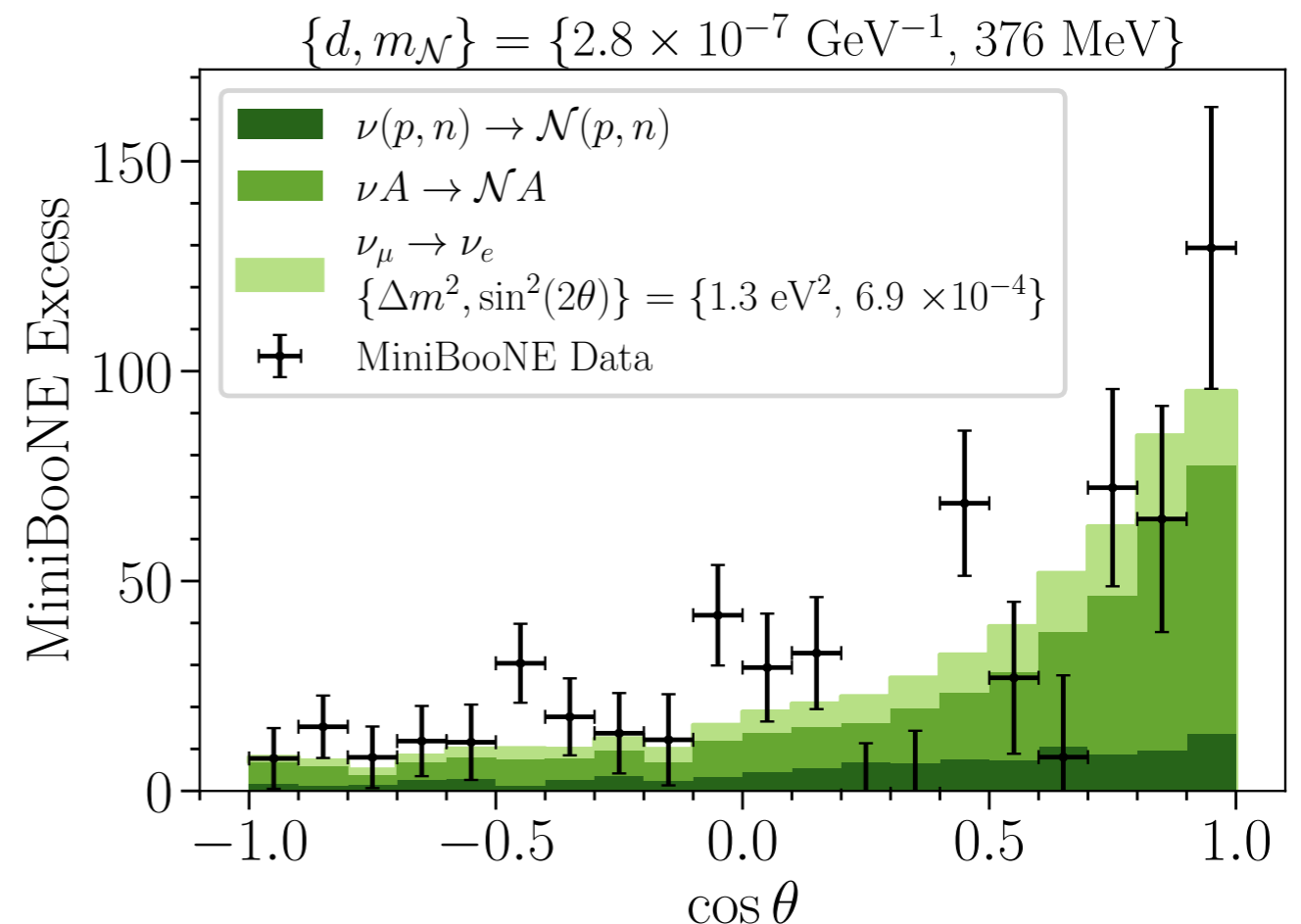
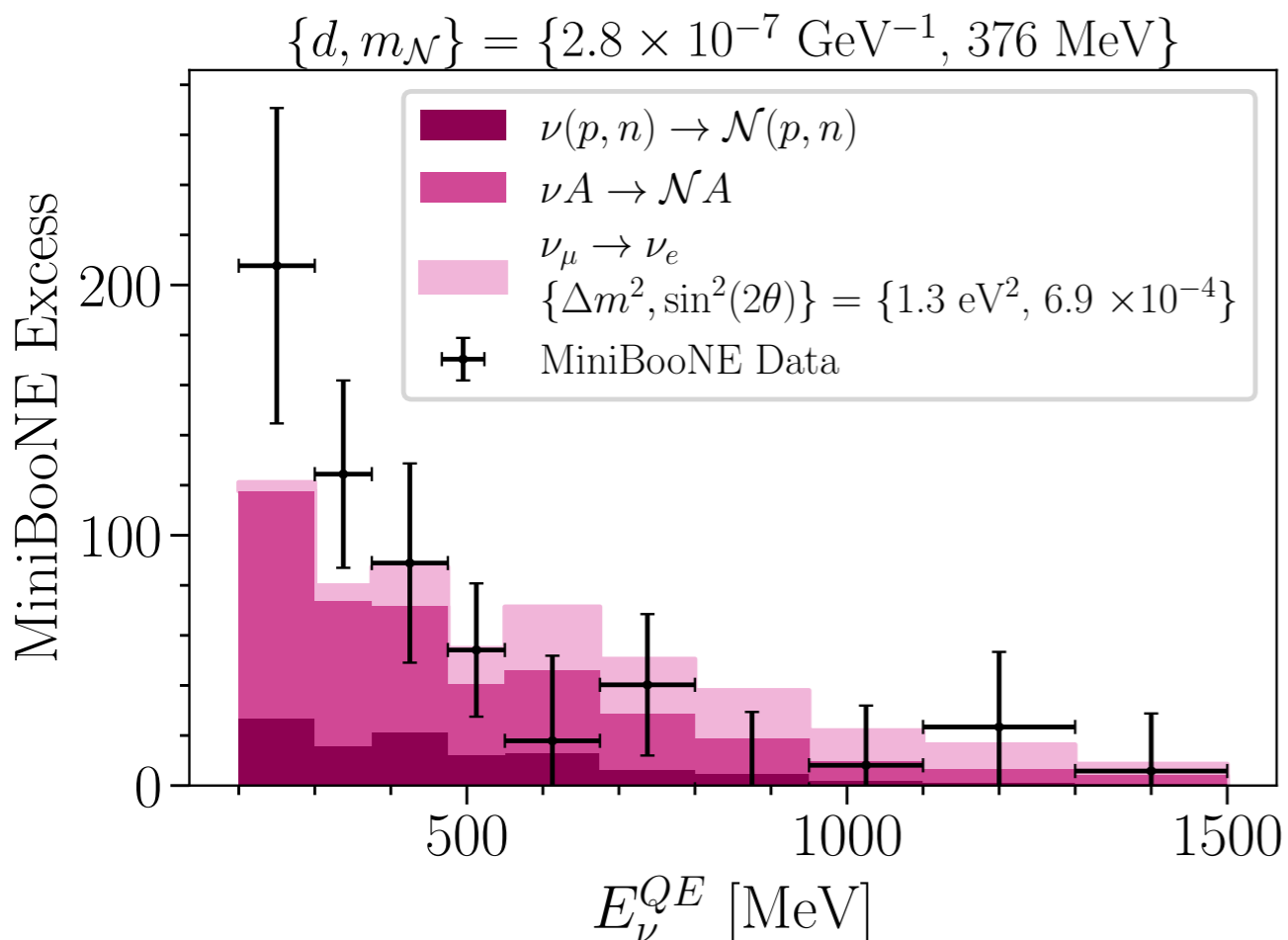




# Energy and Angular Fits



# Energy and Angular Fits



**These plots correspond to the dipole parameters that give the best energy fit within the joint 95% CL allowed region**

**Note: systematic errors are only available for the neutrino energy—the angular fit considers only statistical error**

# Final Results

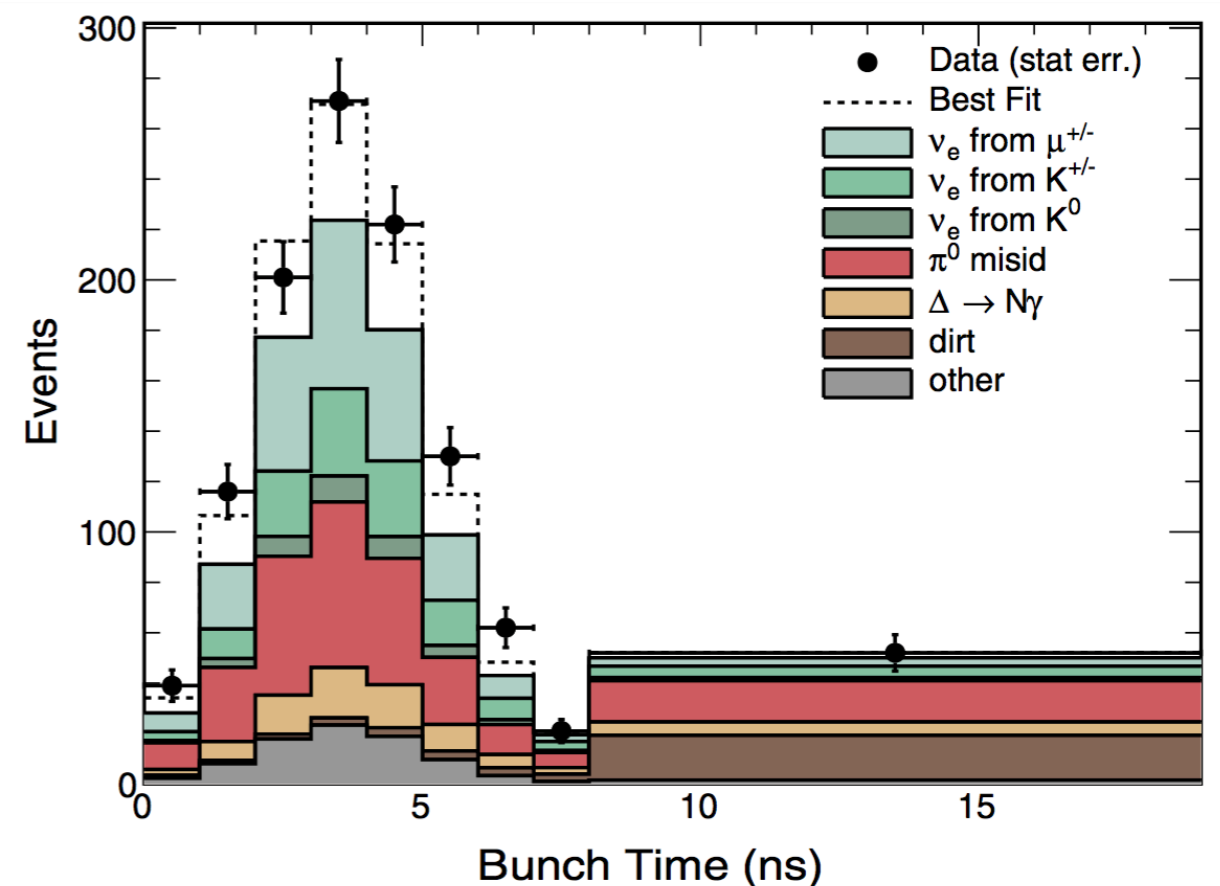
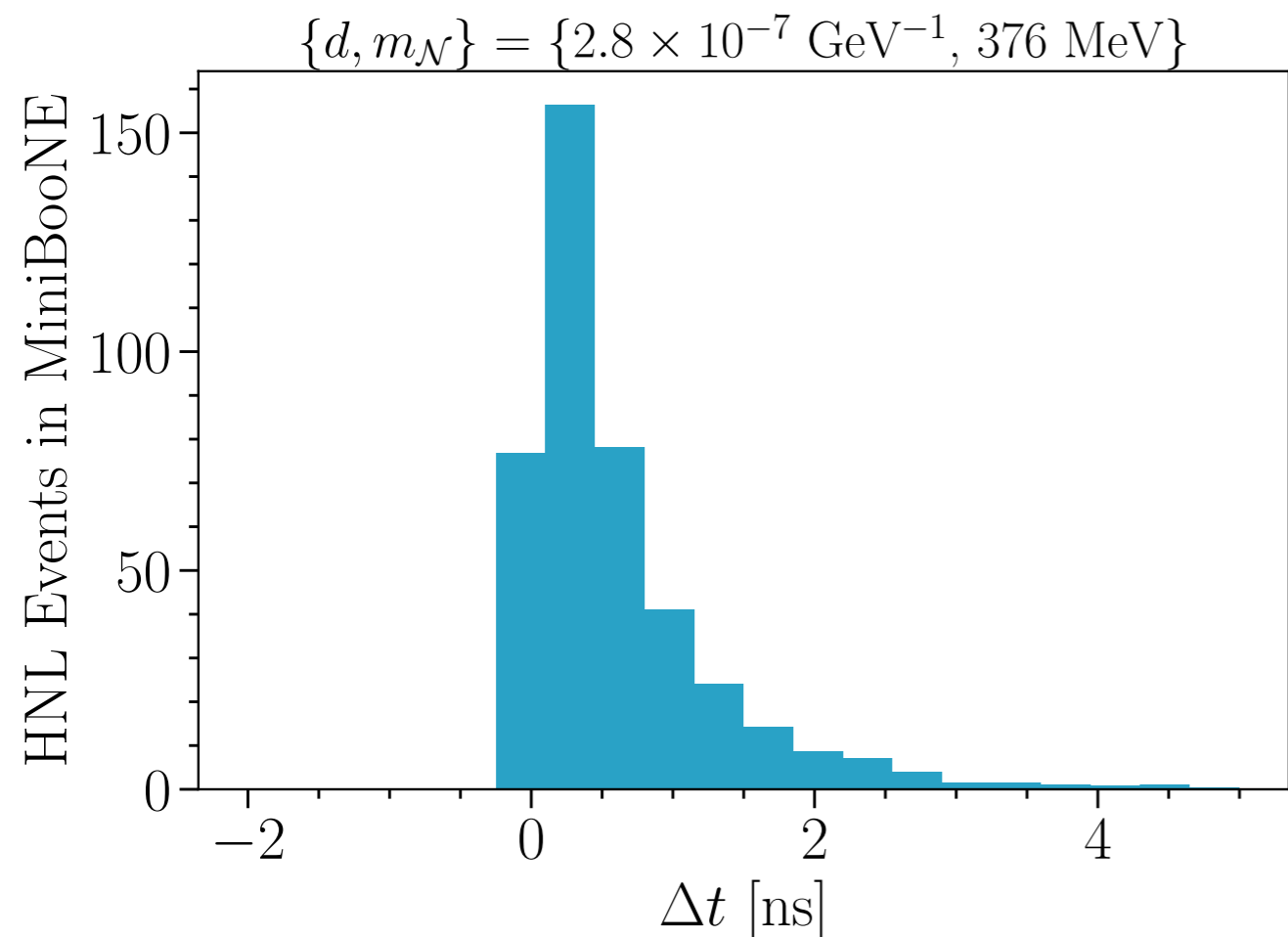
	Parameters	$\chi^2/dof$			
		$3 + 1 + \mathcal{N}$		$3 + 1$	
		$E_\nu^{QE}$	$\cos \theta$	$E_\nu^{QE}$	$\cos \theta$
Smaller Oscillation Contribution	$(\sin^2 2\theta, d, m_{\mathcal{N}})$				
	$(0.30, 3.1, 376)$	5.7/8	32.1/18	30.5/10	86.4/20
	$(0.69, 2.8, 376)$	7.9/8	31.4/18	27.3/10	71.8/20
Larger Oscillation Contribution	$(2.00, 5.6, 35)$	20.2/8	36.7/18	27.6/10	40.8/20
	$(0, 0, 0)$	34.1/10	99.4/20	same	same

TABLE II.  $\chi^2/dof$  values for  $3 + 1$  and  $3 + 1 + \mathcal{N}$ -decay models obtained by comparing expectations to the MiniBooNE excess in  $E_\nu^{QE}$  and  $\cos \theta$ . The parameters in column one refer to  $(\sin^2 2\theta_{\mu e} \times 10^{-3}, d \times 10^{-7} [\text{GeV}^{-1}], m_{\mathcal{N}} [\text{MeV}])$ . The mass splitting is  $1.32 \text{ eV}^2$  in all cases. The null case (no oscillations and no HNL decay) is also shown in the last row.

**Takeaway: the 3+1+HNL decay model gives a good fit to the MiniBooNE energy and angular distributions while also relieving tension in the global 3+1 picture**

# Cross Check: Timing

- MB excess lives within  $\sim 4$  ns of the proton beam bunch timing
- Simple timing delay calculations are well within those constraints
- Motivates further investigation by MB collaboration

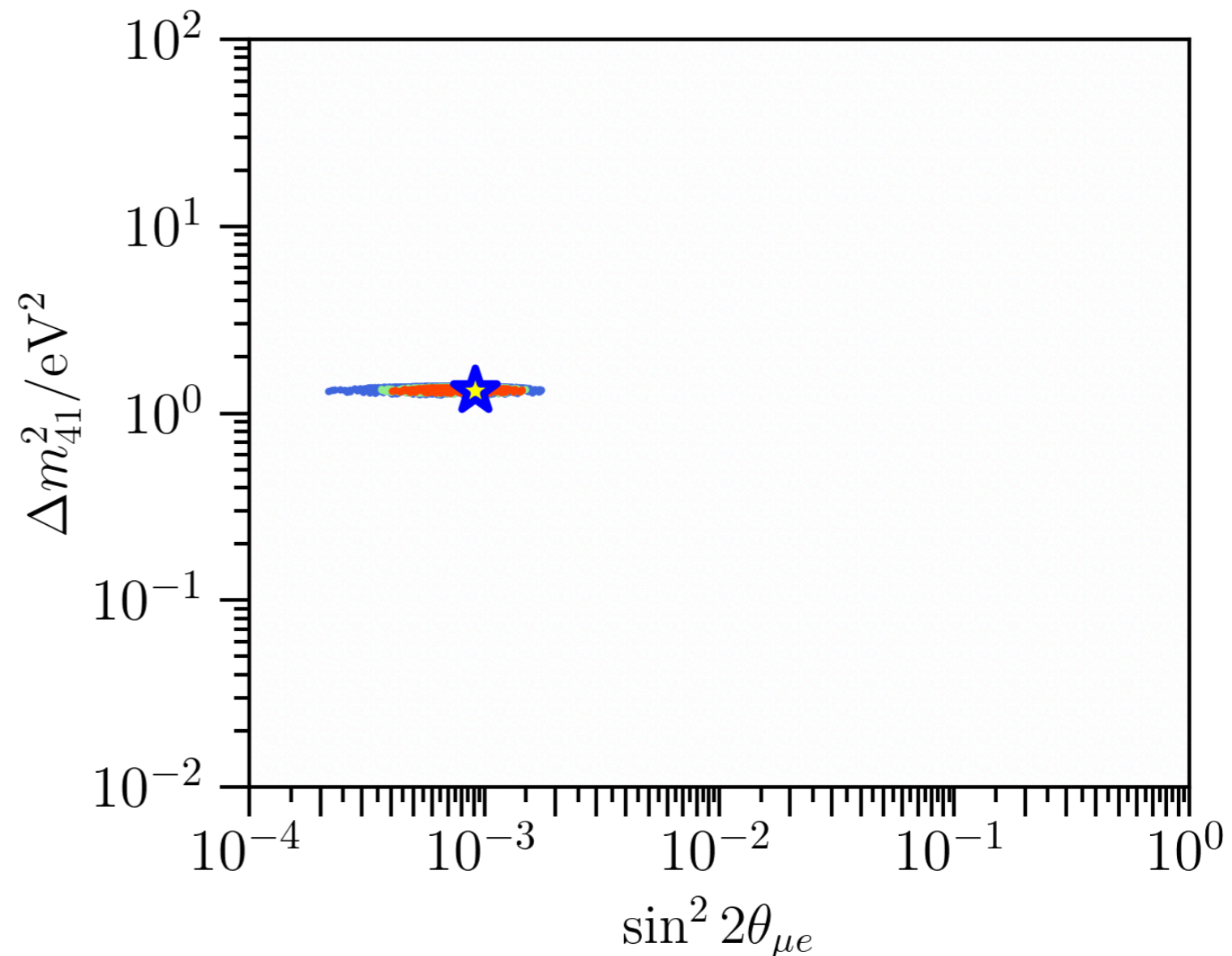


# Conclusion

- The exclusion of MiniBooNE from the 3+1 model global fit relieves tension between appearance and disappearance experiments
- The combination of oscillations from the MiniBooNE-less 3+1 fit with HNL decays via a dipole model gives a good fit to the energy and angular distributions of the MiniBooNE excess
- This results in a highly predictive HNL dipole model which evades existing experimental limits and can be tested by future experiments
- Preprint available now: [2105.06470](https://arxiv.org/abs/2105.06470)

# Oscillation Amplitude Range

- The 3+1 fit without MB gives a very tight fit on the mass-squared splitting, but gives a 90% CL allowed range on the oscillation amplitude of roughly [0.0003, 0.002]
- We perform the same HNL dipole fit for each end of this allowed range



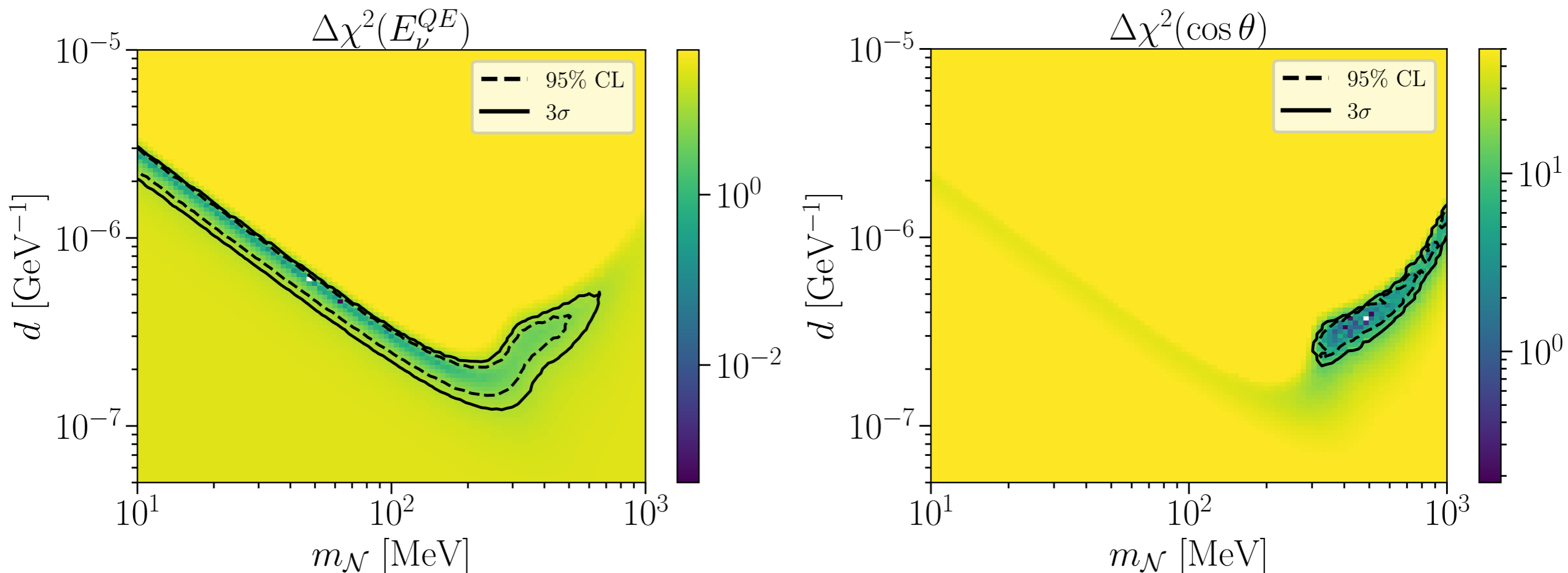


# Smaller Oscillation Contribution

$$\Delta m^2 = 1.3 \text{ eV}^2$$

$$\sin^2(2\theta_{\mu e}) = 3 \times 10^{-4}$$

- Results are similar to the best fit oscillation amplitude case

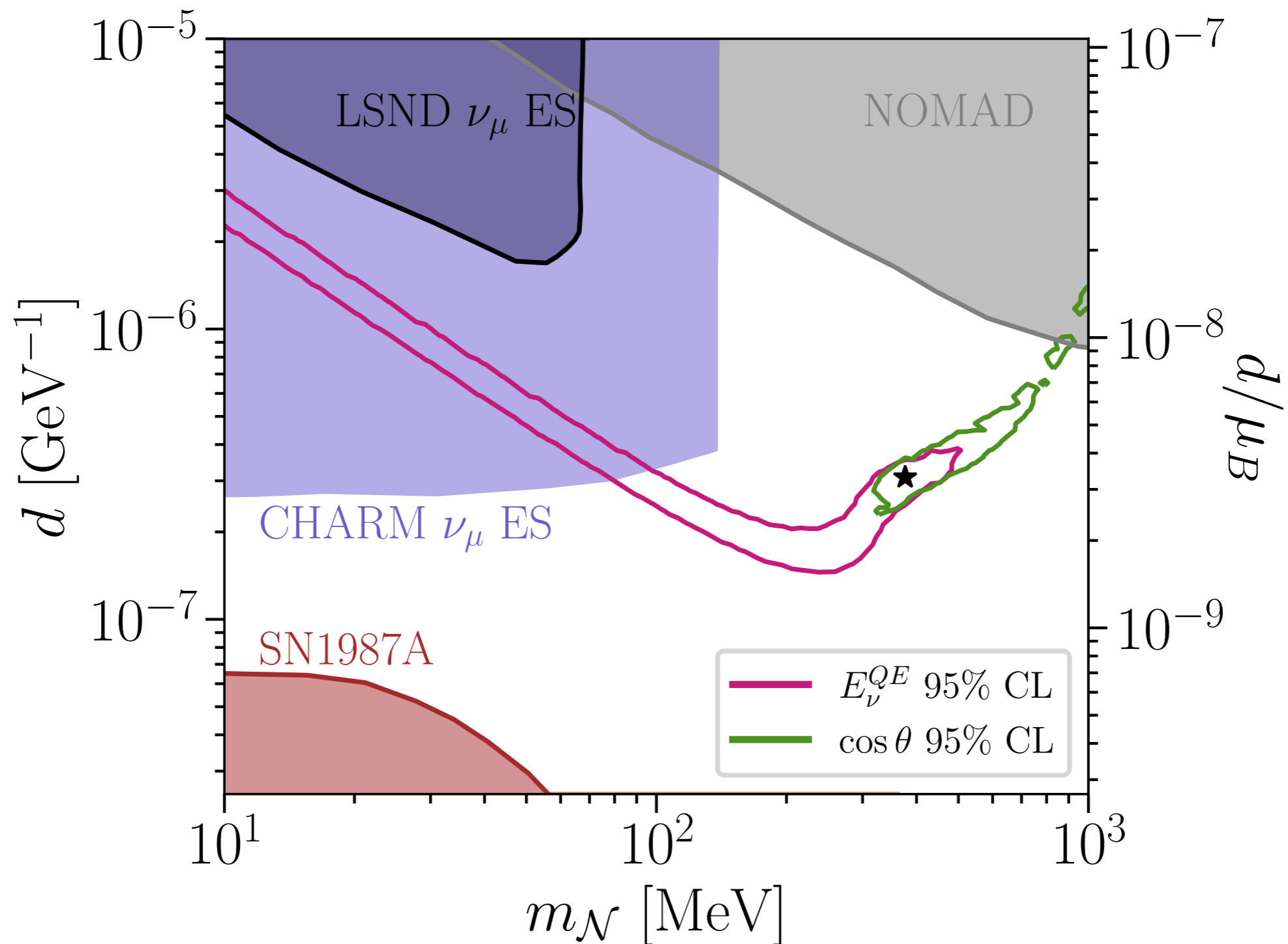


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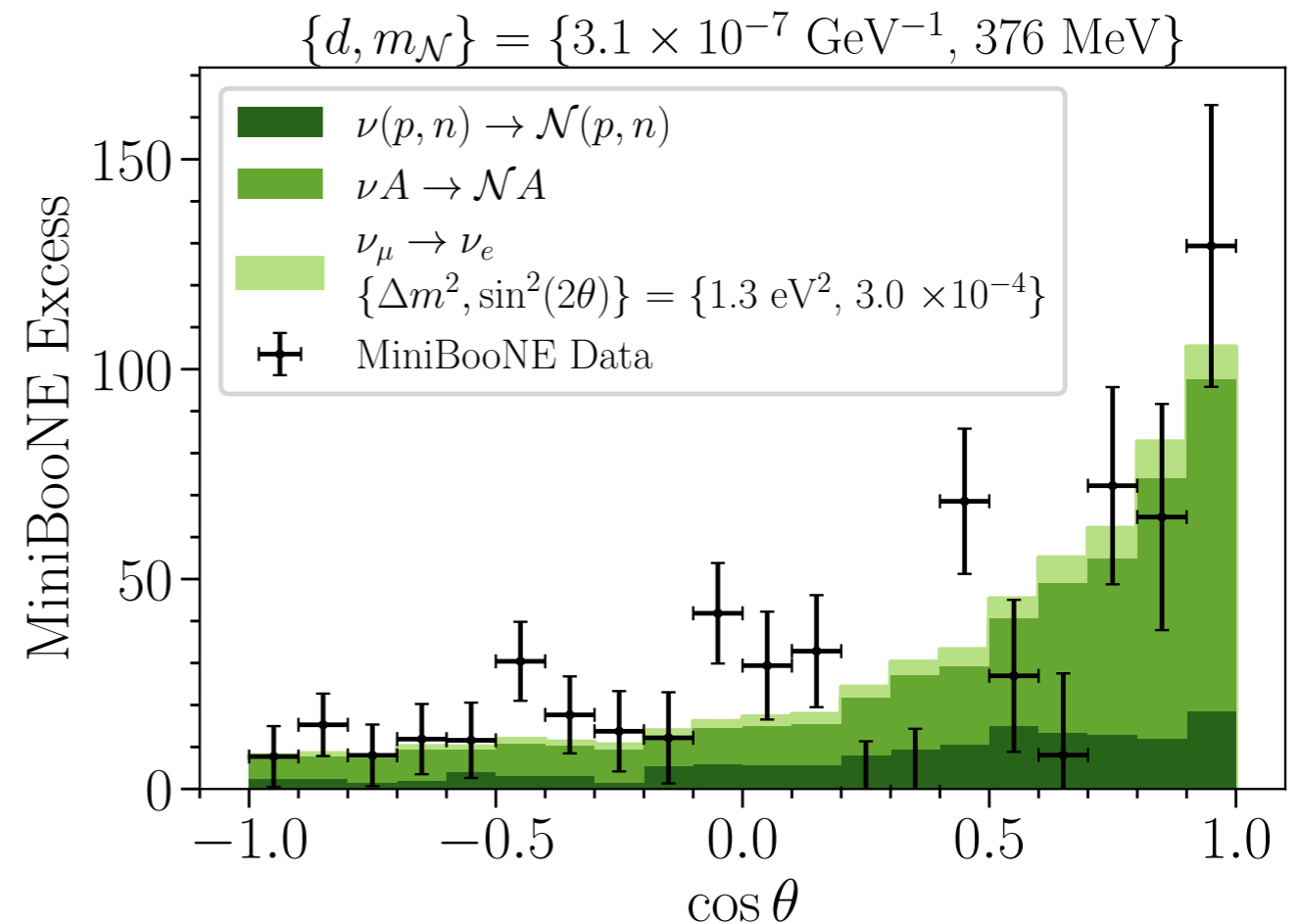
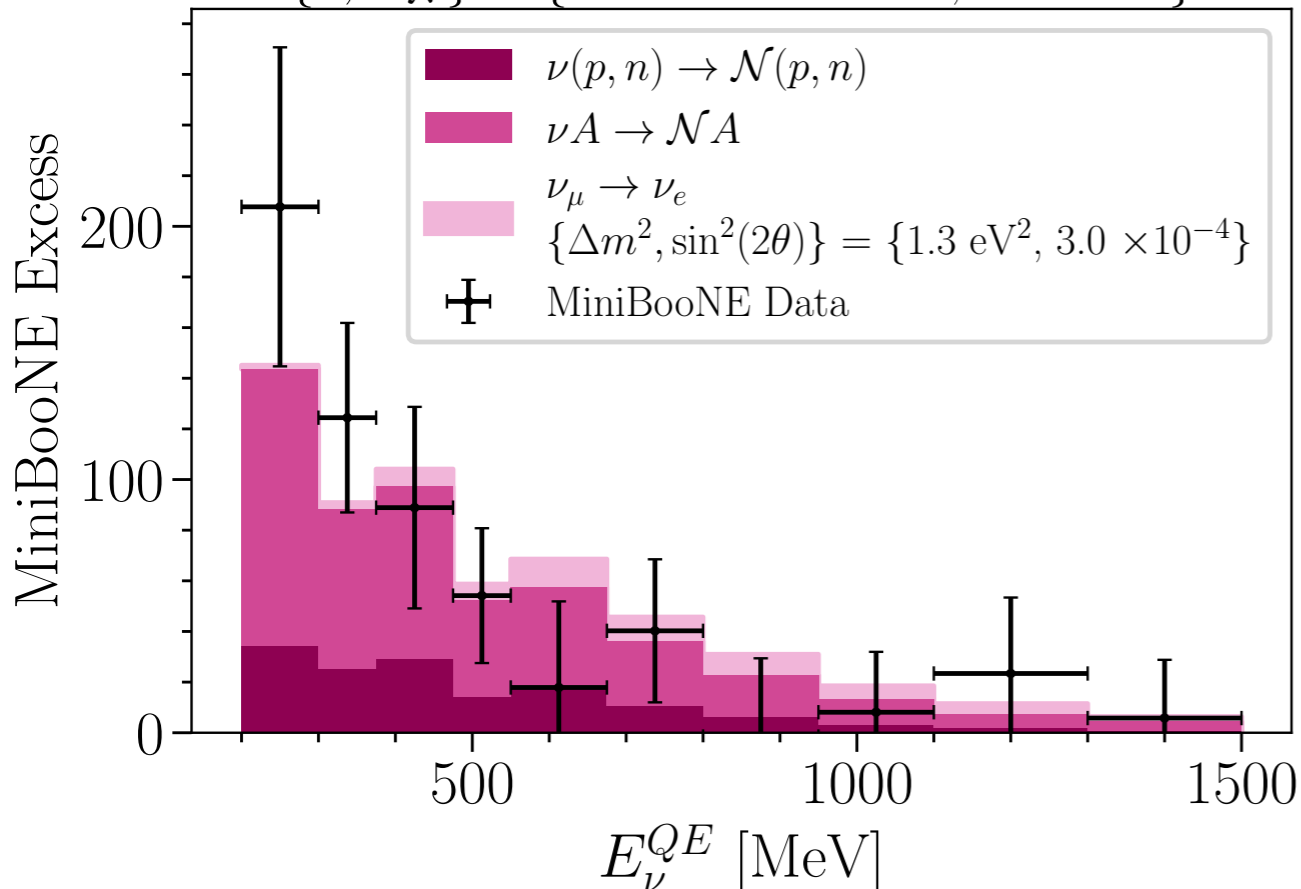


# Smaller Oscillation Contribution

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$$\sin^2(2\theta_{\mu e}) = 3 \times 10^{-4}$$

$$\{d, m_N\} = \{3.1 \times 10^{-7} \text{ GeV}^{-1}, 376 \text{ MeV}\}$$



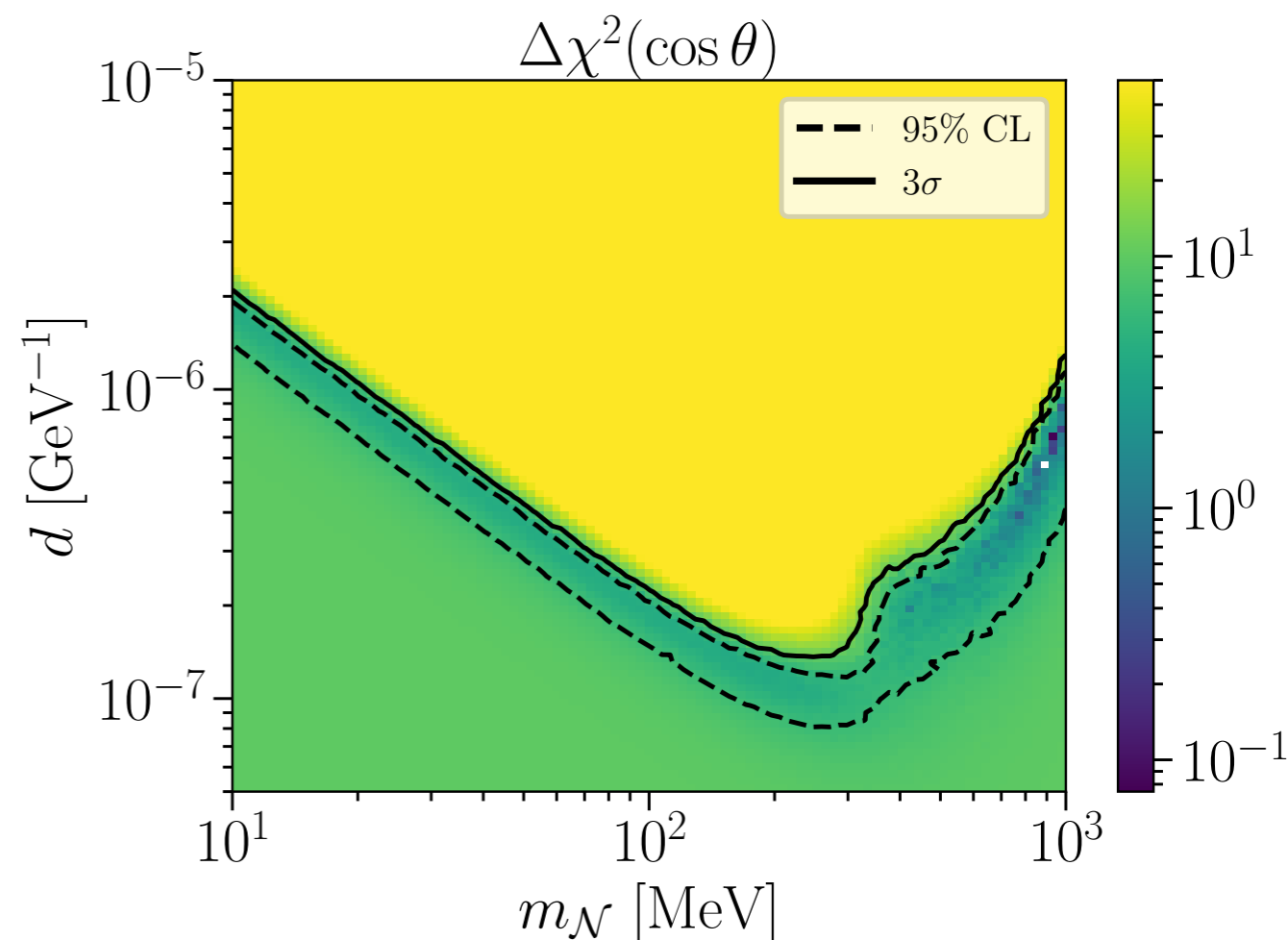
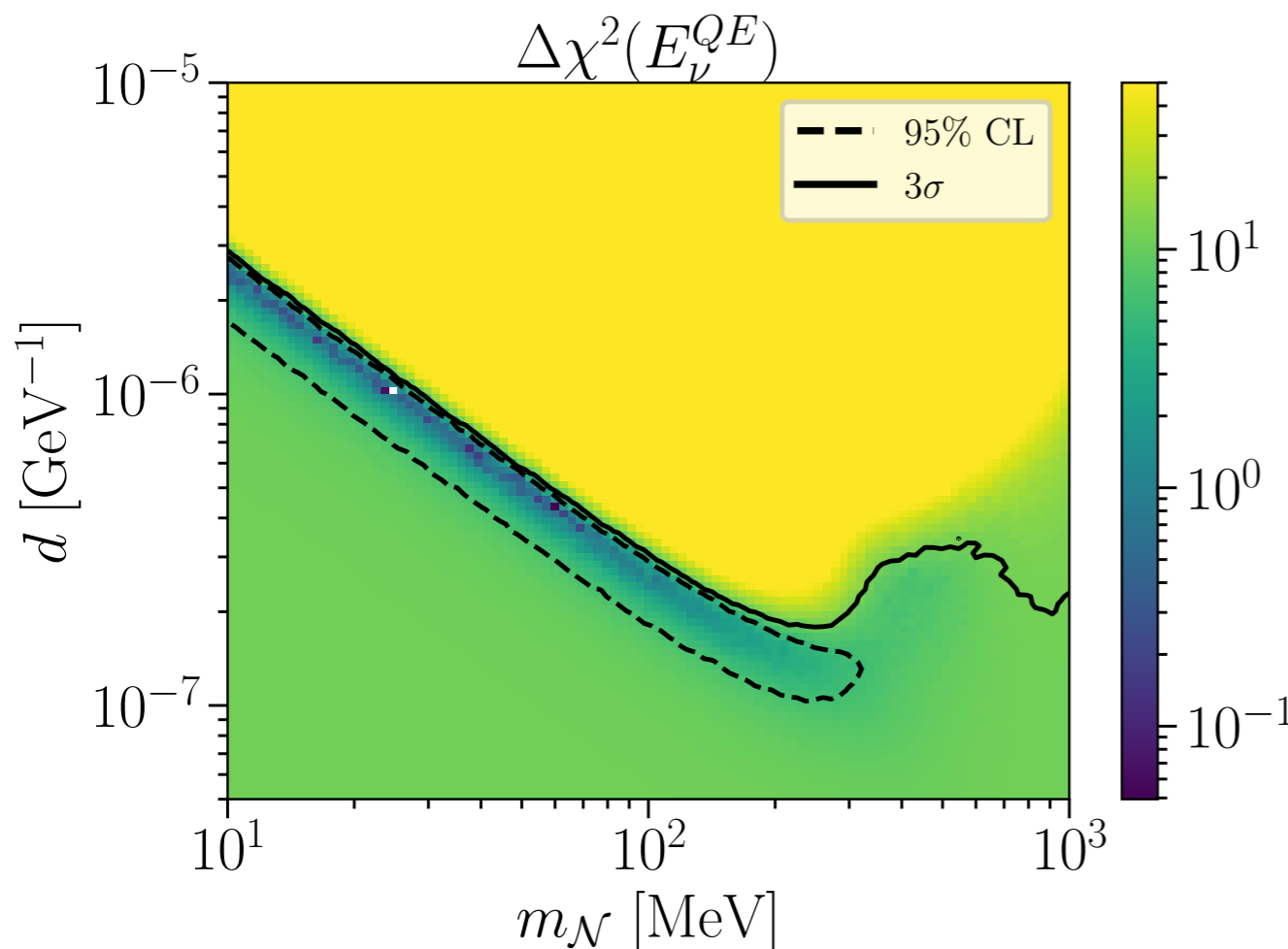
**Slightly larger dipole coupling preferred compared to the best fit oscillation amplitude case**

# Larger Oscillation Contribution

$$\Delta m^2 = 1.3 \text{ eV}^2$$

$$\sin^2(2\theta_{\mu e}) = 2 \times 10^{-3}$$

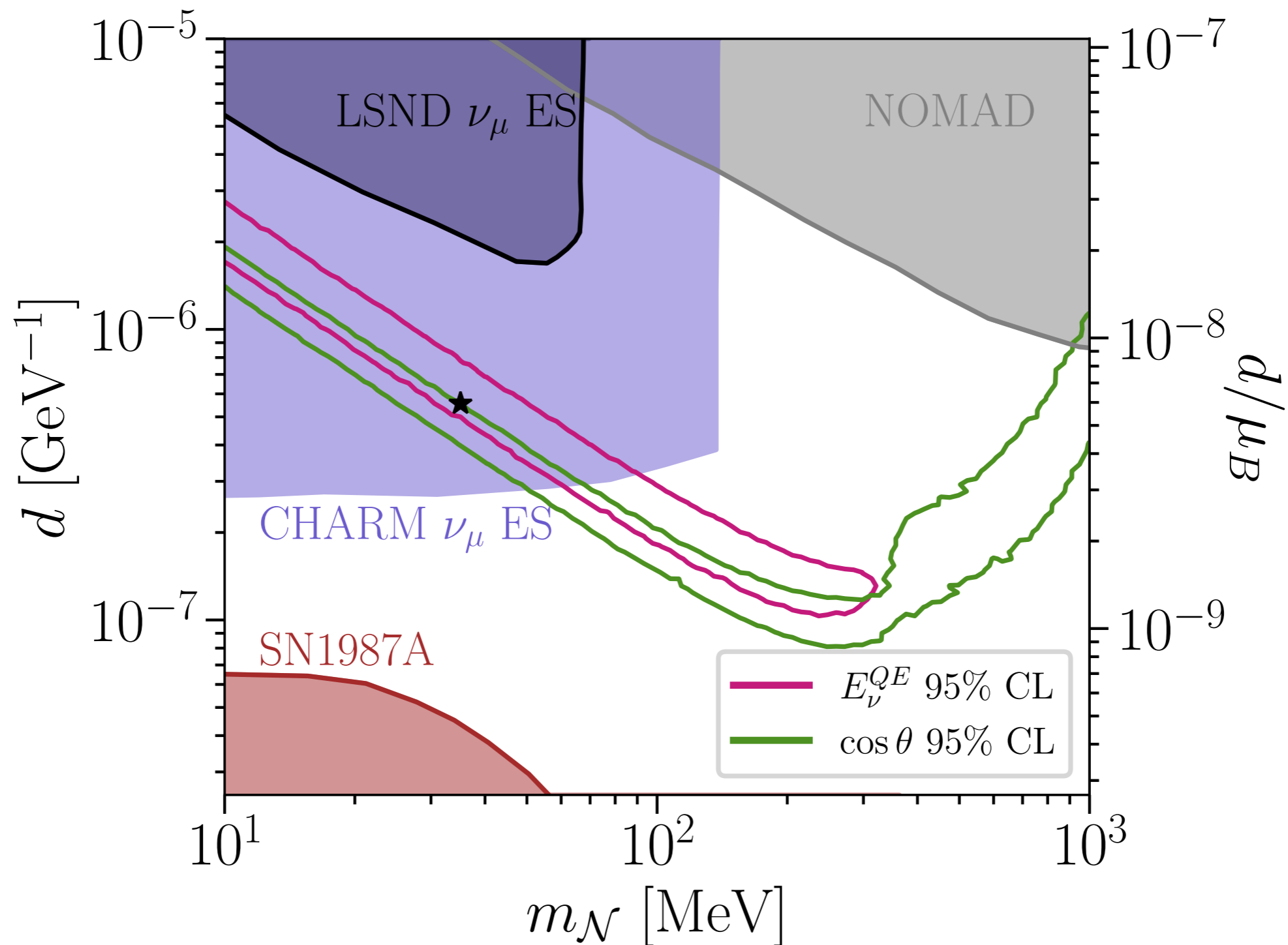
- Results are quite different here—no closed contours at the three sigma level



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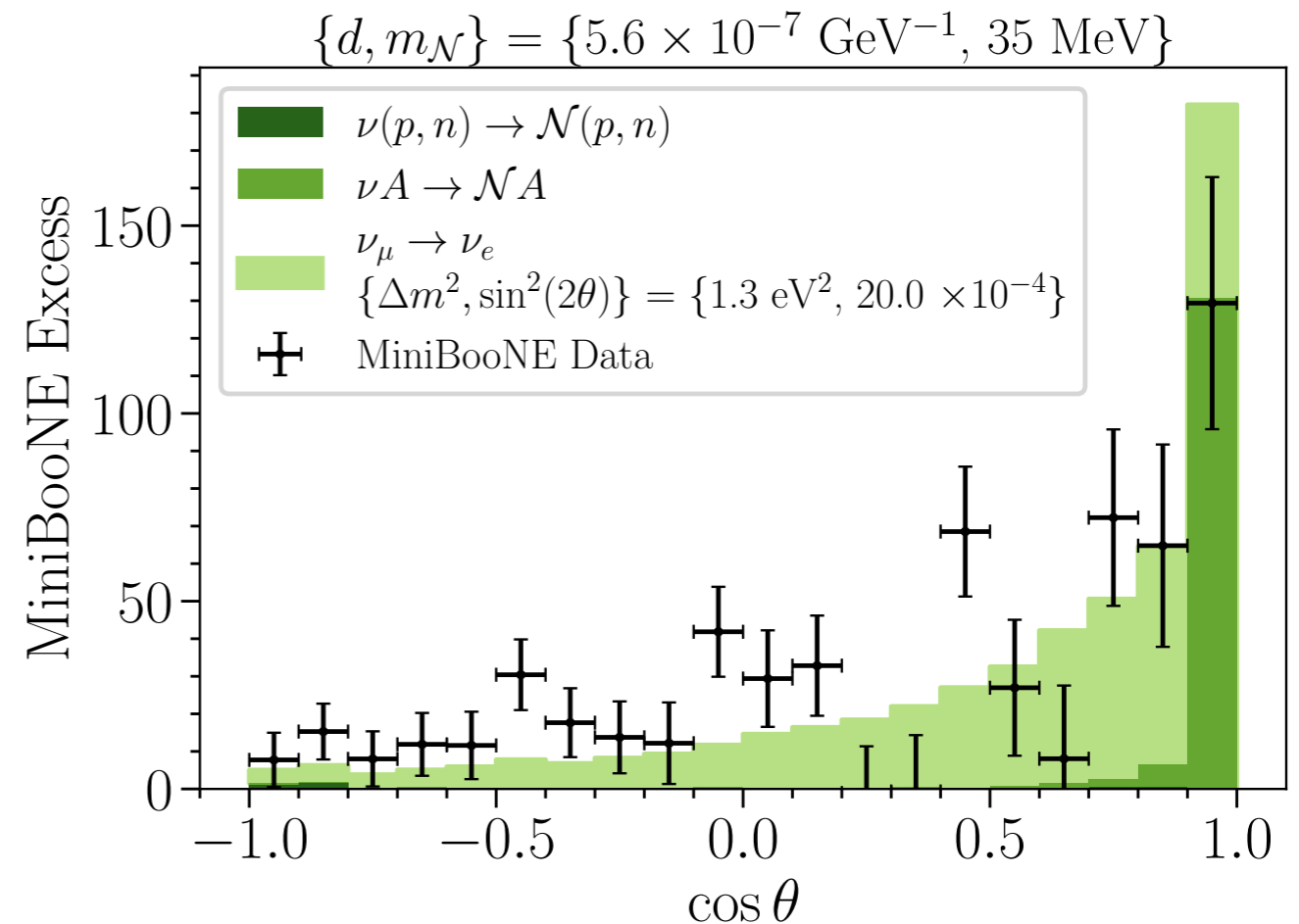
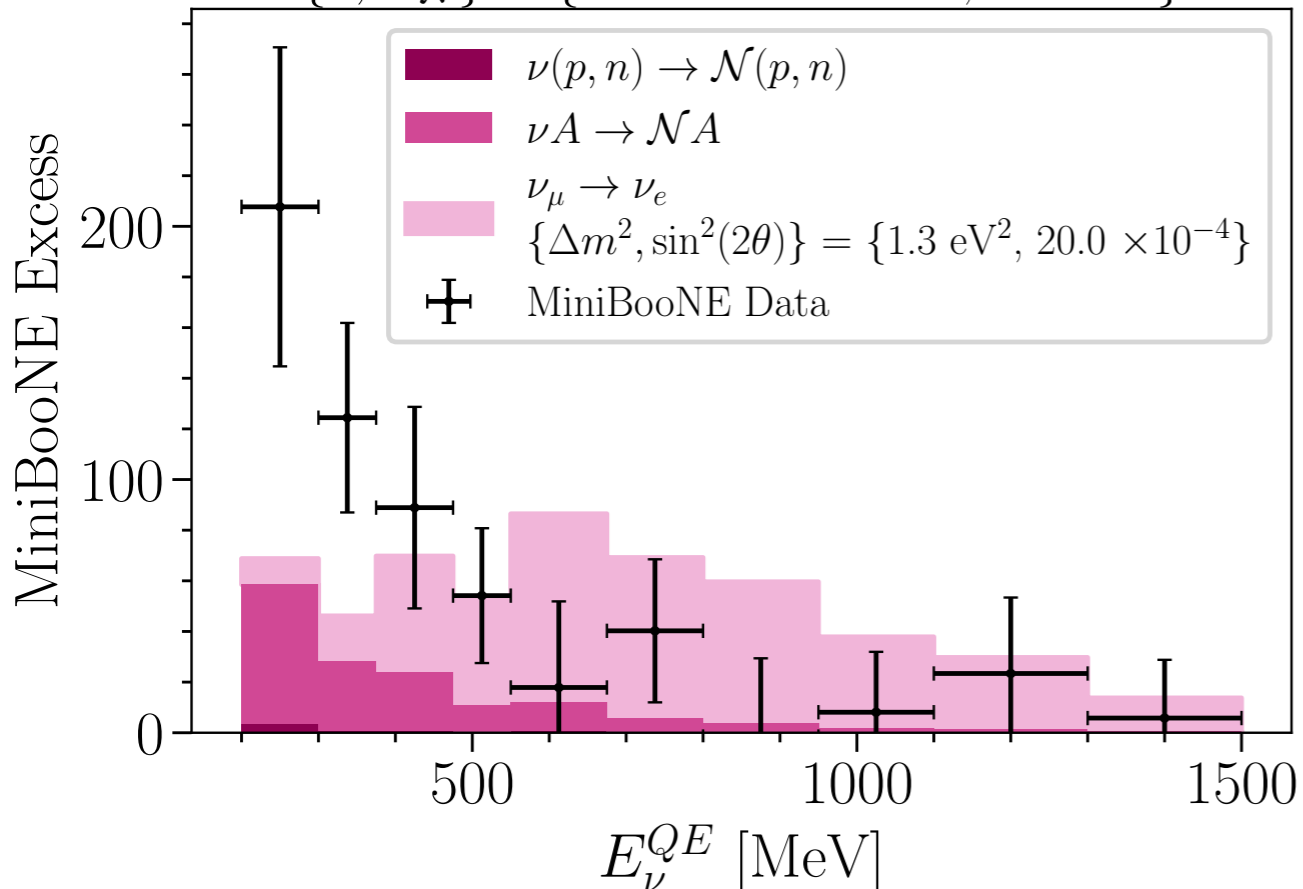


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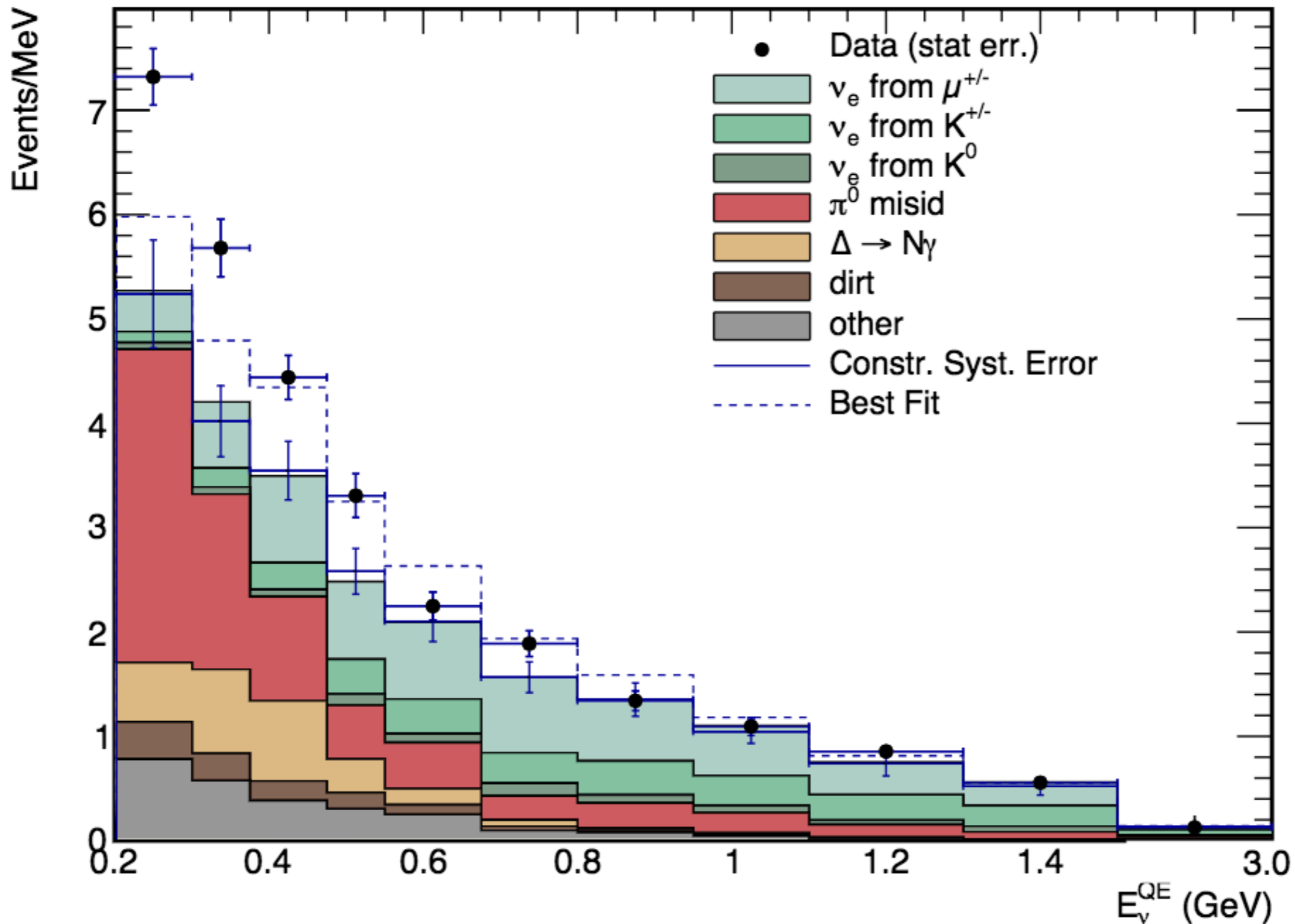
$$\sin^2(2\theta_{\mu e}) = 2 \times 10^{-3}$$

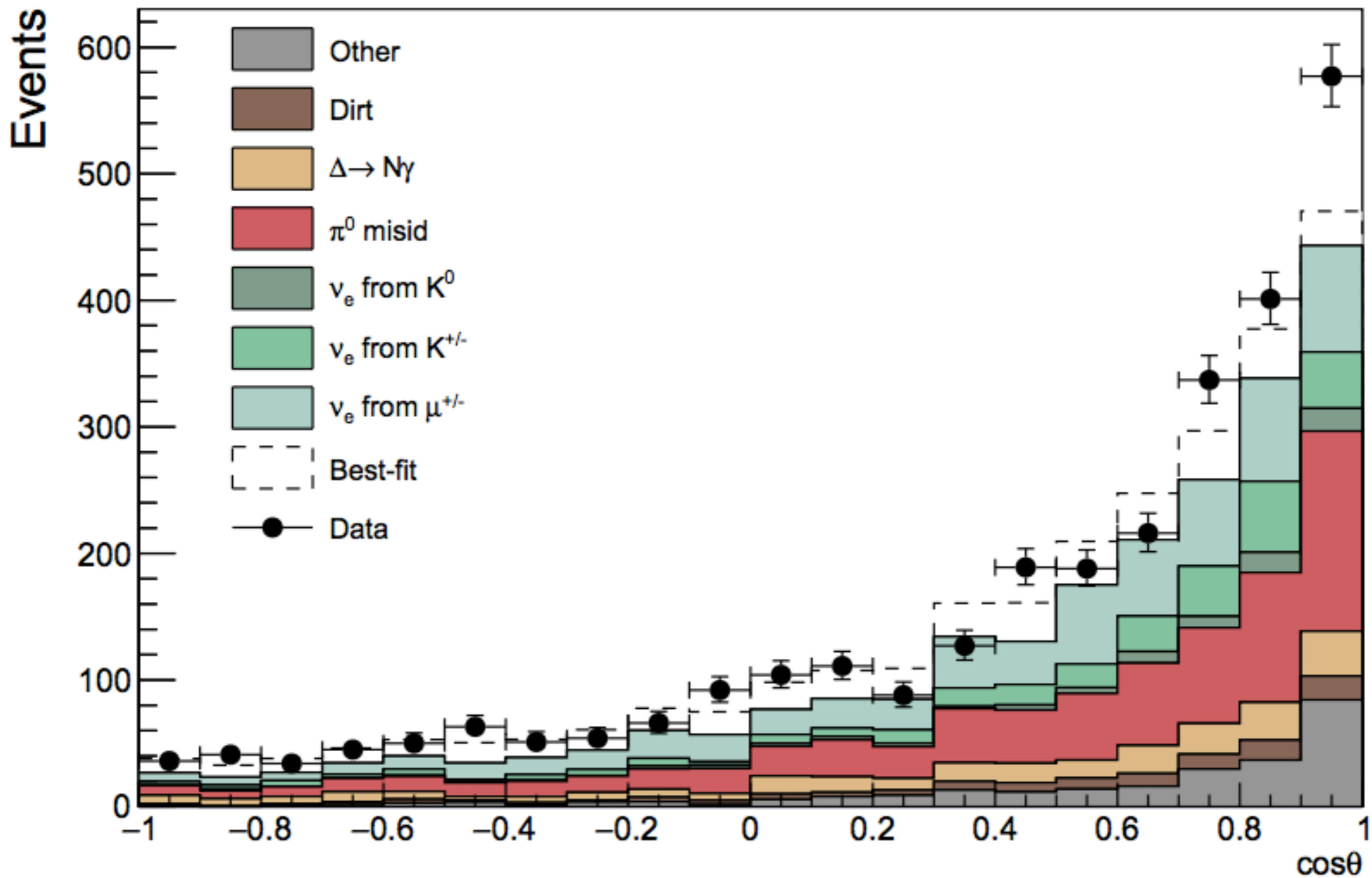
$$\{d, m_{\mathcal{N}}\} = \{5.6 \times 10^{-7} \text{ GeV}^{-1}, 35 \text{ MeV}\}$$

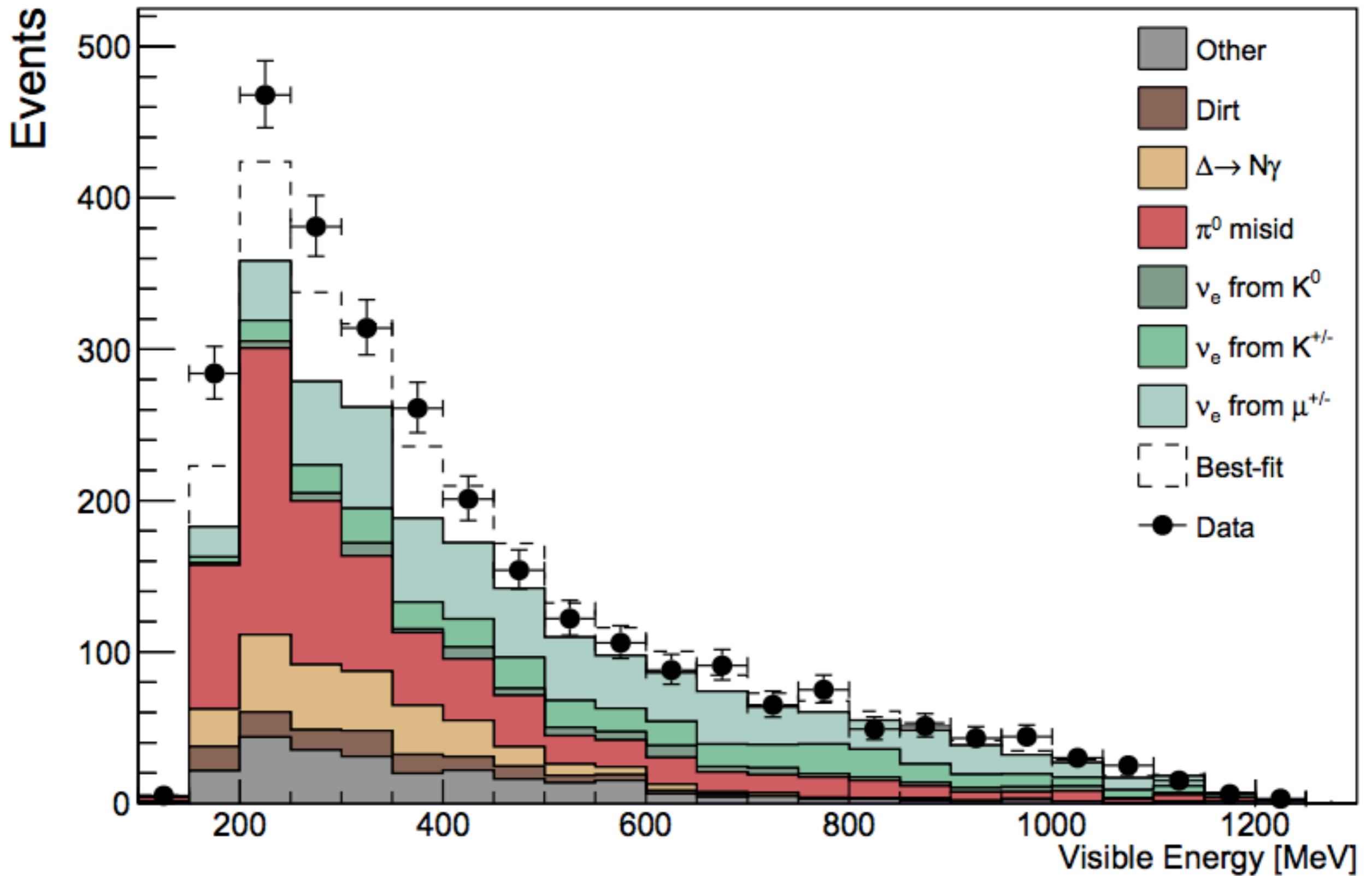


**Preference for a smaller HNL mass here, but fits are worse in general**









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