

Active Learning for Exclusion Level Set Estimation with the ATLAS experiment

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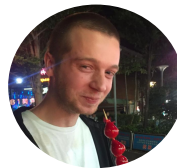
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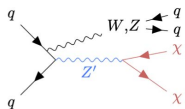


The SCALFIN Project



Motivation

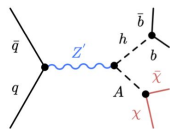
Spin-1 mediator



Mediator:

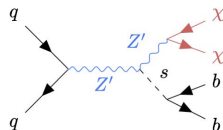
- ▶ Z' boson with couplings $\mathcal{G}_q, \mathcal{G}_\chi$

Extended Higgs sector



- Two-Higgs-Doublet and
- ▶ Z' boson mediator (Z' -2HDM) or
 - ▶ pseudo-scalar mediator (a -2HDM)

Dark Higgs boson

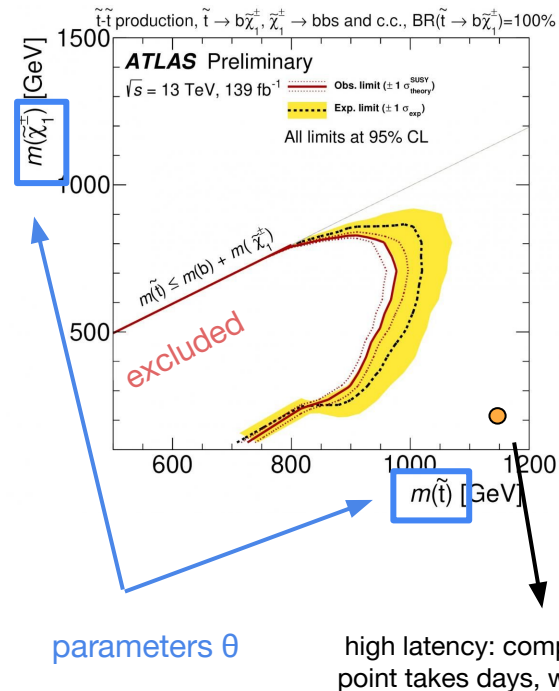


Two mediators in model:

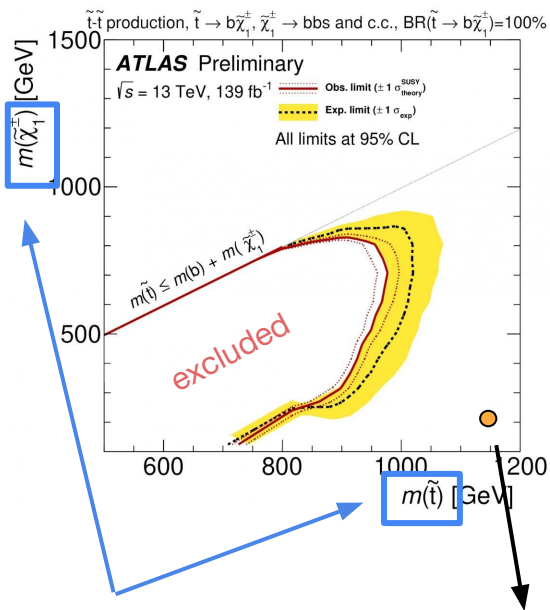
- ▶ spin-1 Z' boson and
- ▶ spin-0 dark Higgs boson s

searches
 ←
 constrain

Huge number of New Physics candidates



Motivation

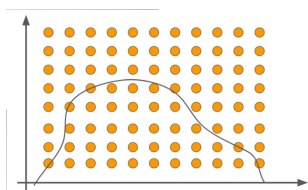


parameters θ

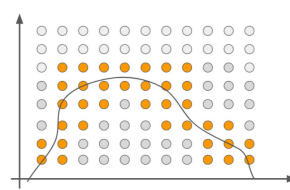
high latency: computing each point takes days, weeks

The naive approach suffers from the **curse of dimensionality**. This is a bottleneck for use case theories with 5 or 19 dim. **It is infeasible to make exclusion plots in higher dimensions using ATLAS current approach, we need a more efficient approach.**

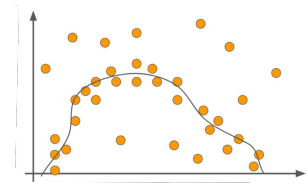
Idea



Current ATLAS approach



Better queries



Excursion method

[From Lukas' Talk at ACAT 2019](#)

Active Learning

Statement

The black box function is $f(\boldsymbol{\theta}) \rightarrow p\text{-value}$.

The goal is to find the excursion set $E_t(f) = \{\boldsymbol{\theta} | f(\boldsymbol{\theta}) = t\}$ for a given a threshold t with as few queries as possible.

Method

1. Start with dataset $\mathcal{D} = \{\boldsymbol{\theta}_i, f(\boldsymbol{\theta}_i)\}$
2. Train a Gaussian process $Y|\boldsymbol{\theta}, \mathcal{D}$ with predictive mean $\mu_{Y|\mathcal{D}}(\boldsymbol{\theta})$ and covariance $\Sigma_{Y|\mathcal{D}}^2(\boldsymbol{\theta}, \boldsymbol{\theta}')$
3. Evaluate the acquisition function $U_t(\boldsymbol{\theta})$ for all $\boldsymbol{\theta}$ (cheap) using $Y|\boldsymbol{\theta}, \mathcal{D}$
4. Select new point $\boldsymbol{\theta}^* = \operatorname{argmax} U_t(\boldsymbol{\theta})$
5. Query the simulator at $f(\boldsymbol{\theta}^*)$ and update dataset $\mathcal{D} \leftarrow \mathcal{D} \cup (\boldsymbol{\theta}^*, f(\boldsymbol{\theta}^*))$

Acquisition function (for reference)

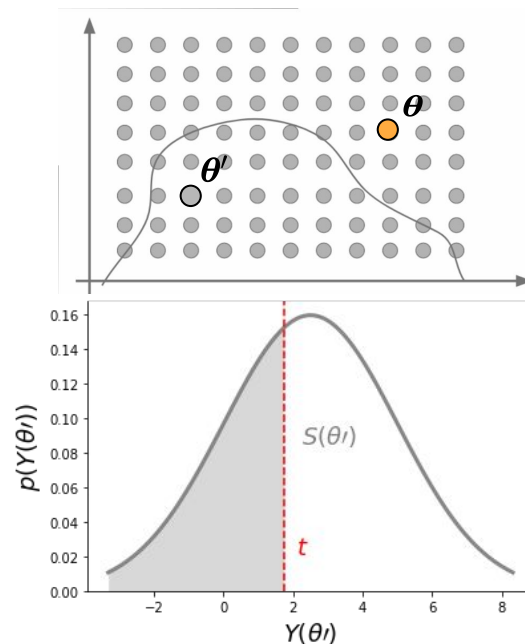
Consider the level set estimation problem as a classification problem for the parameter points over a subjacent grid

$Z|\boldsymbol{\theta} \sim \text{Bernoulli}(S(\boldsymbol{\theta}))$ with $S(\boldsymbol{\theta}) = \int_{-\infty}^t p(Y = y|\boldsymbol{\theta}, \mathcal{D})dy$ and consider the entropy

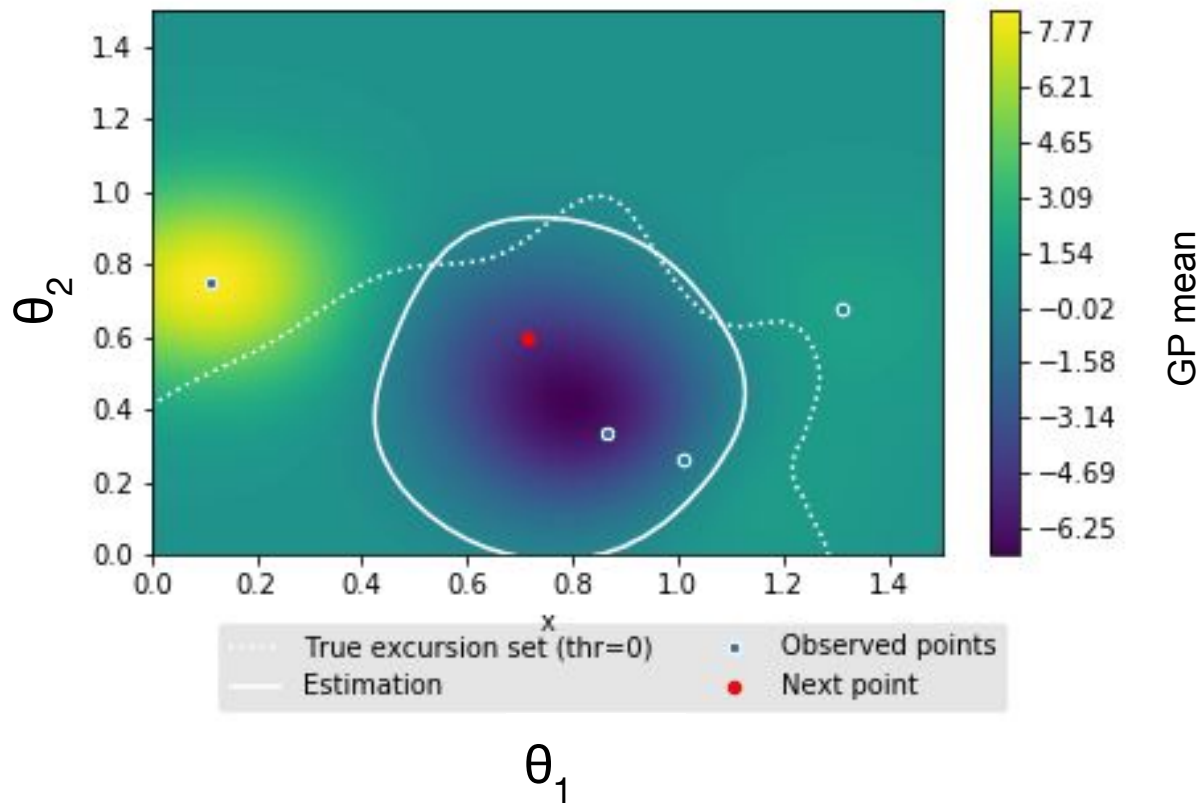
$$H[Z|\boldsymbol{\theta}] = -S(\boldsymbol{\theta}) \log S(\boldsymbol{\theta}) + (S(\boldsymbol{\theta}) - 1) \log(1 - S(\boldsymbol{\theta}))$$

- **Maximum Entropy Search (MES)**

$$U_{MES}(\boldsymbol{\theta}) = H[Z|\boldsymbol{\theta}]$$

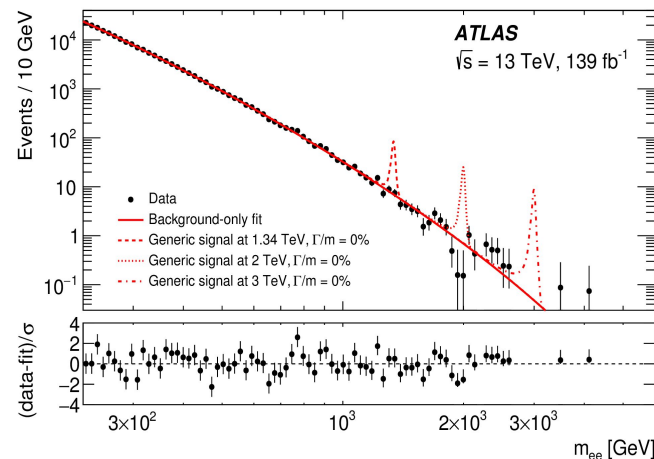


Excursion toy example in 2D

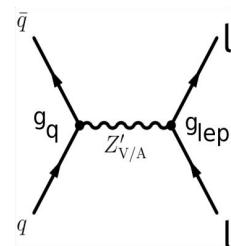


Prototype example: dilepton resonance search

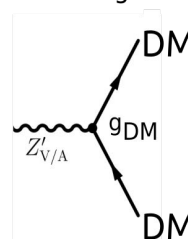
- Straightforward to reinterpret the 2ℓ resonance search using truth level MC events
 - Not strictly in need of active learning, but useful as a *test case*
- Signal Model: Spin-1 Dark Matter mediator Z'
 - 5 parameters to investigate:
 $\{\mathbf{x}\} = \{ (m_{Z'}, m_{DM}, g_q, g_\ell, g_{DM}) \}$



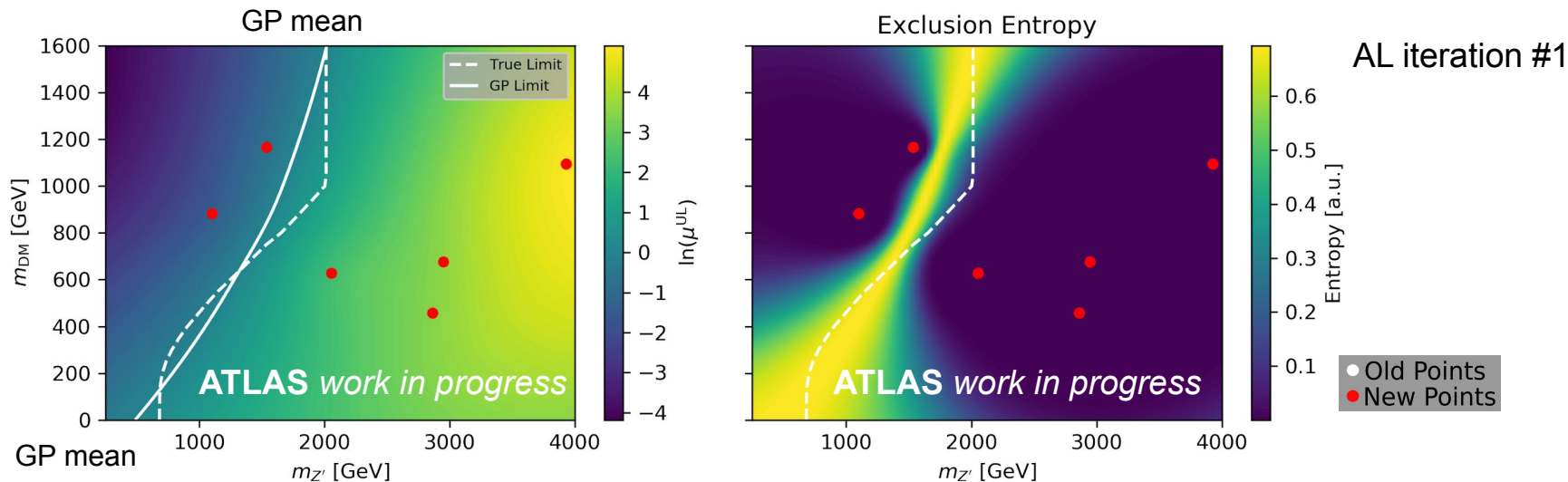
Dilepton Production



Dark Matter Coupling affecting Z' width

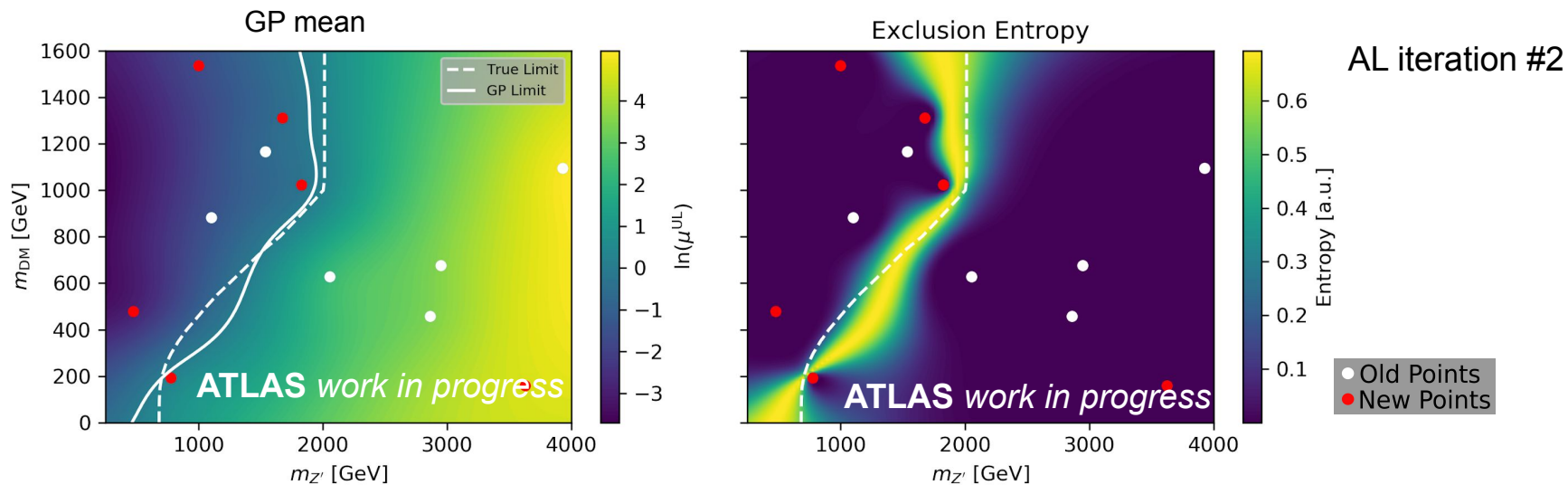


Exclusion limits from dilepton resonance search



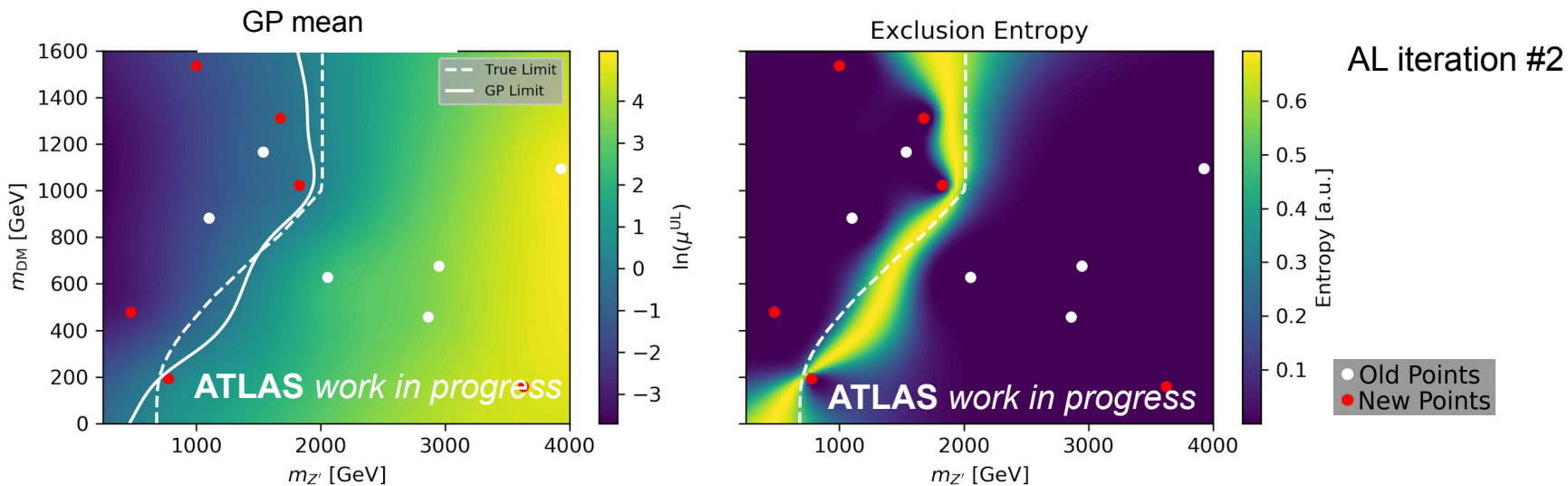
- Vector mediator benchmark model, $g_q = 0.1$, $g_l = 0.01$, $g_{DM} = 1.0$
scanning $(m_{Z'}, m_{DM})$ – 2-dim parameter space

Exclusion limits from dilepton resonance search



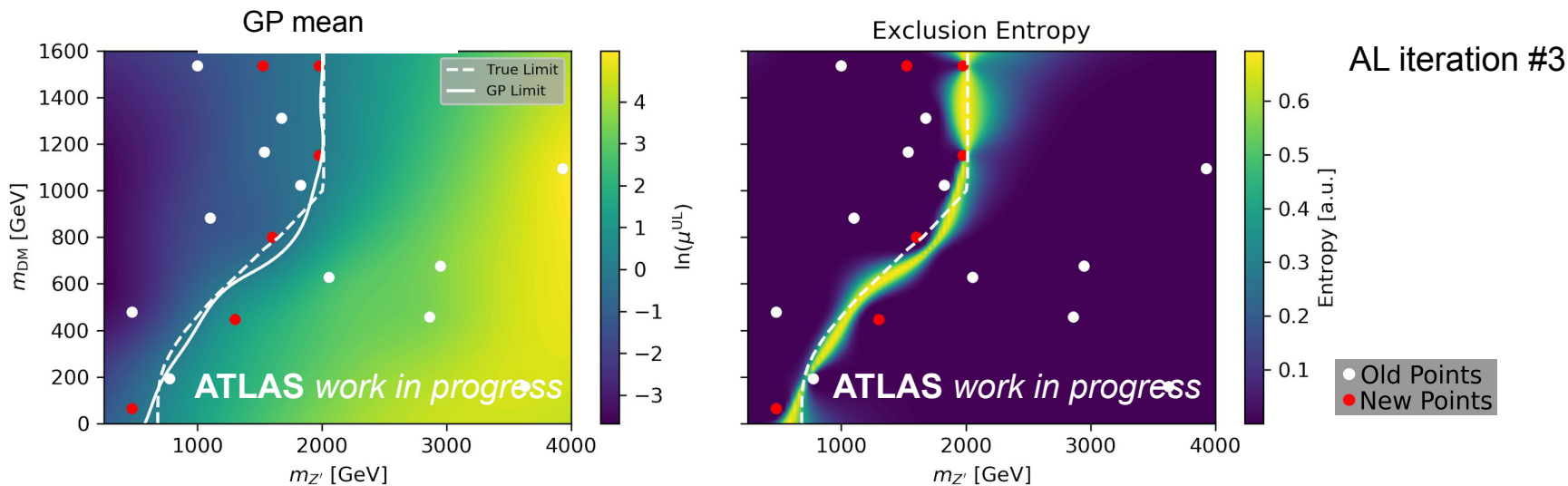
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Exclusion limits from dilepton resonance search



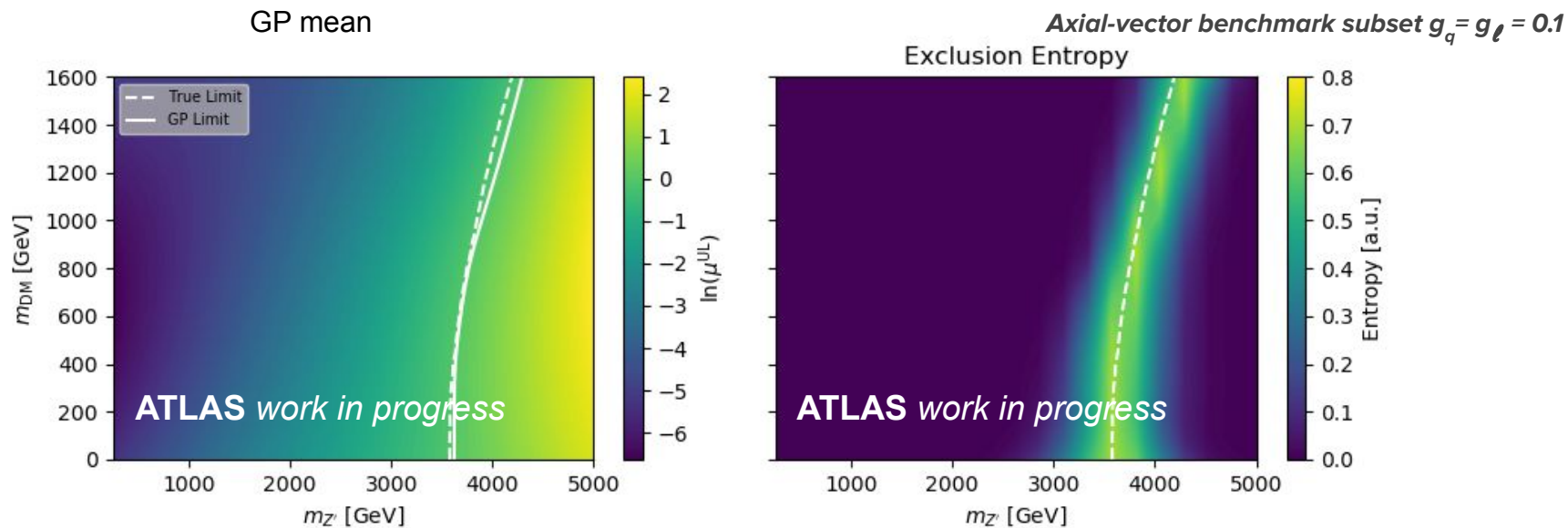
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Exclusion limits from dilepton resonance search



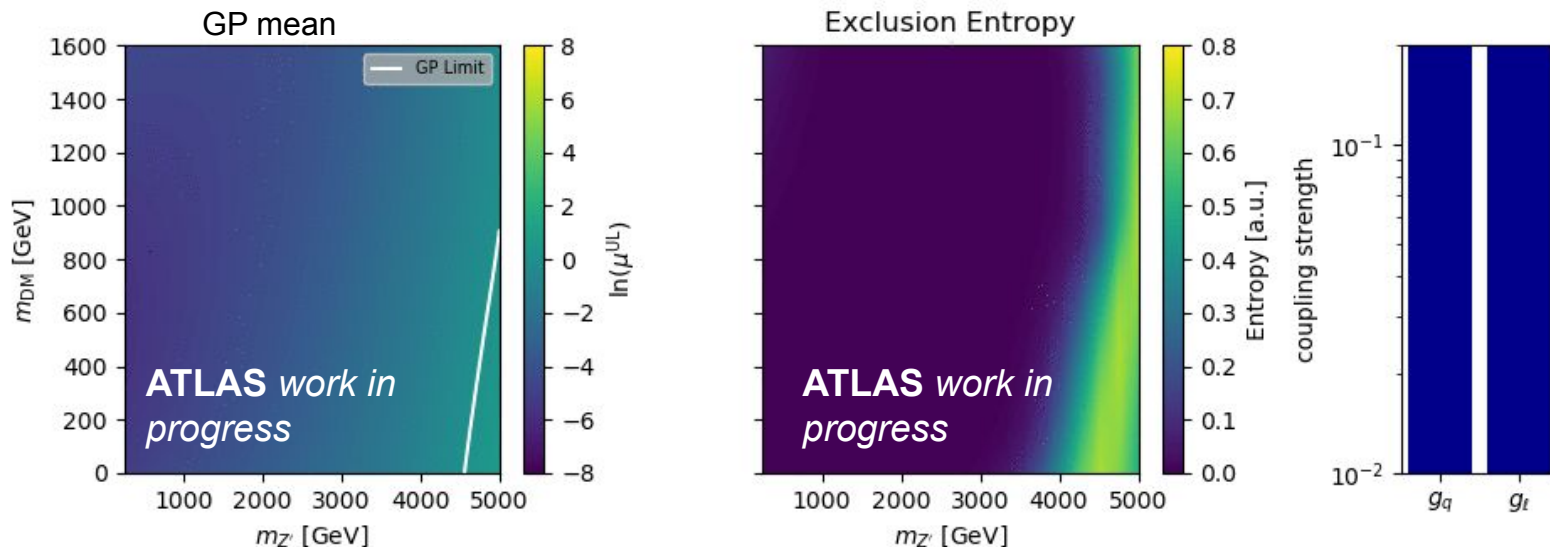
- Vector mediator benchmark model, $g_q = 0.1$, $g_l = 0.01$, $g_{DM} = 1.0$
scanning $(m_{Z'}, m_{DM})$ – 2-dim parameter space
- Efficient convergence to the exclusion limit surface with
18 points from 3 iterations

4-D exclusion limits from dilepton resonance search



- 4-dim. parameter space $\{\mathbf{x}\} = \{ (m_{Z'}, m_{DM}, g_q, g_\ell) \}$, $g_{DM} = 1$
- Axial-vector benchmark subset $g_q = g_\ell = 0.1$: reproducing true limit

4-D exclusion limits from dilepton resonance search



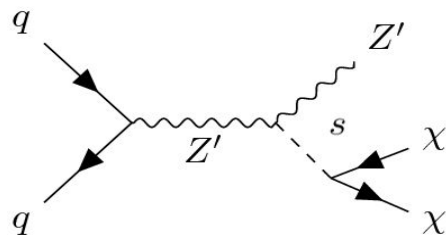
- 4-dim. parameter space $\{\mathbf{x}\} = \{ (m_{Z'}, m_{DM}, g_q, g_t) \}$, $g_{DM} = 1$
- Axial-vector benchmark subset $g_q = g_t = 0.1$: reproducing true limit
- Sufficient to evaluate 200 (5x40) points $\{\mathbf{x}\}$ (out of the box run, no optimisation), compared to about 10 000 points when scanning a grid

Actively Learning Exotic Physics

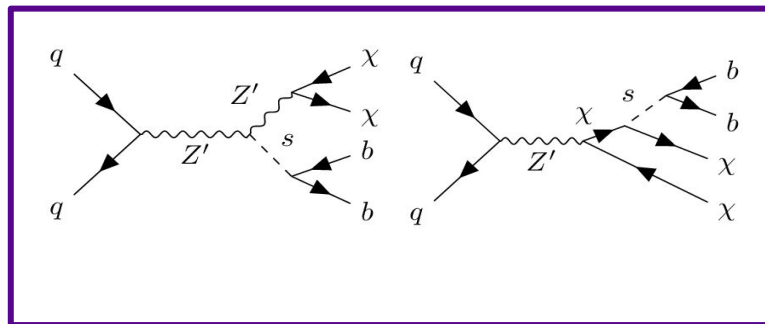
Two mediator dark matter model: E_T^{miss} + Higgs(bb) search

[ATLAS-CONF-2021-006]

New signatures emerge, depending on the parameter choices:



$E_T^{\text{miss}} + Z'$

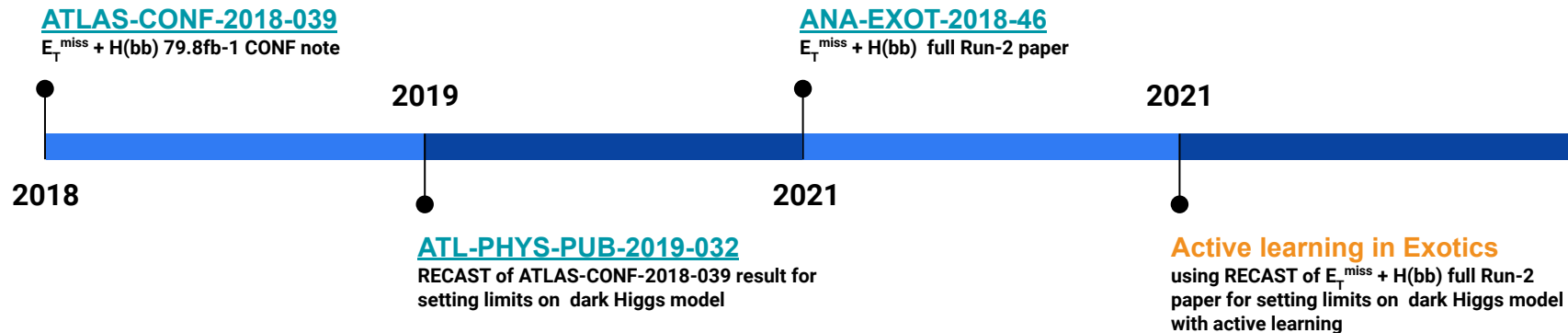


$E_T^{\text{miss}} + \text{dark Higgs}$

JHEP 09 (2016) 042

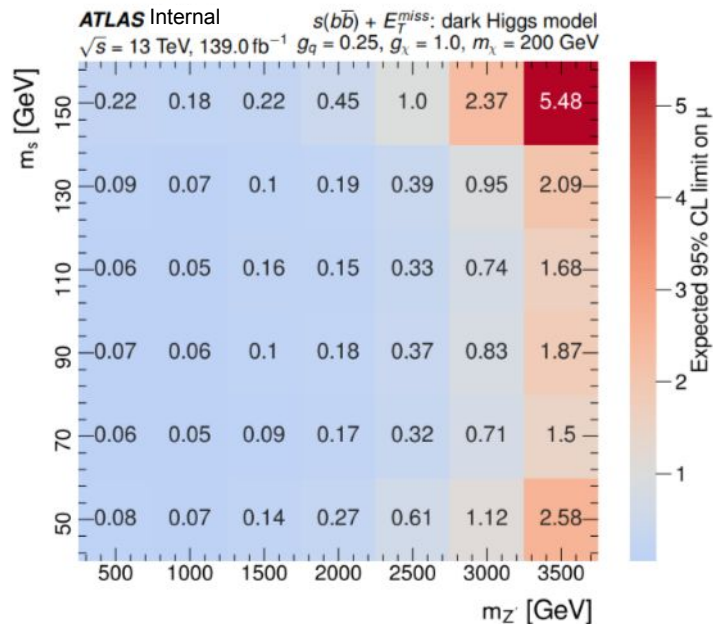
particle masses		coupling constants	
DM mass	m_χ	dark-sector coupling	g_χ or y_χ
Z' mass	$m_{Z'}$	quark- Z' coupling	g_q
dark Higgs mass	m_s	Higgs mixing angle	θ

Exotics pilot project: Active learning with the $E_T^{\text{miss}} + H(\text{bb})$ search

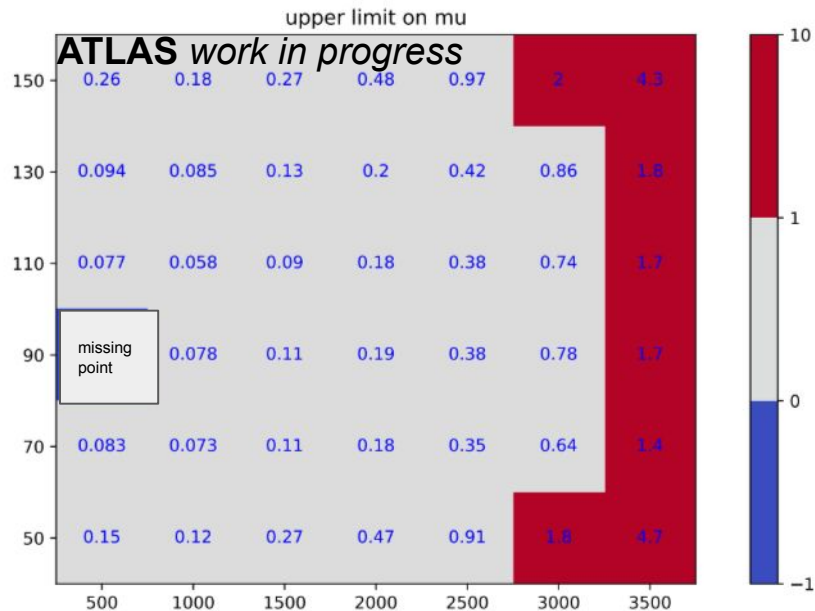


- RECAST-based reinterpretation of $E_T^{\text{miss}} + H(\text{bb})$ search for *dark Higgs boson model*
 - 5 parameters to investigate: $\{\mathbf{x}\} = \{ (m_{Z'}, m_{DM}, m_s, g_q, g_{DM}) \}$
 - Pilot project similar to [ATL-PHYS-PUB-2019-032](#) demonstrating RECAST use in Exotics
 - Complementary effort to dedicated $E_T^{\text{miss}} + \text{dark Higgs}(\text{bb})$ search in JDM
- Active learning effort ongoing in SUSY WG - Run 2 pMSSM scan
 - Demanding **19 parameters to constrain** in this case

Validation of truth-level analysis: limits $E_T^{\text{miss}} + \text{Higgs}(b\bar{b})$ search



reco-level (RECAST)



truth-level (SimpleAnalysis)

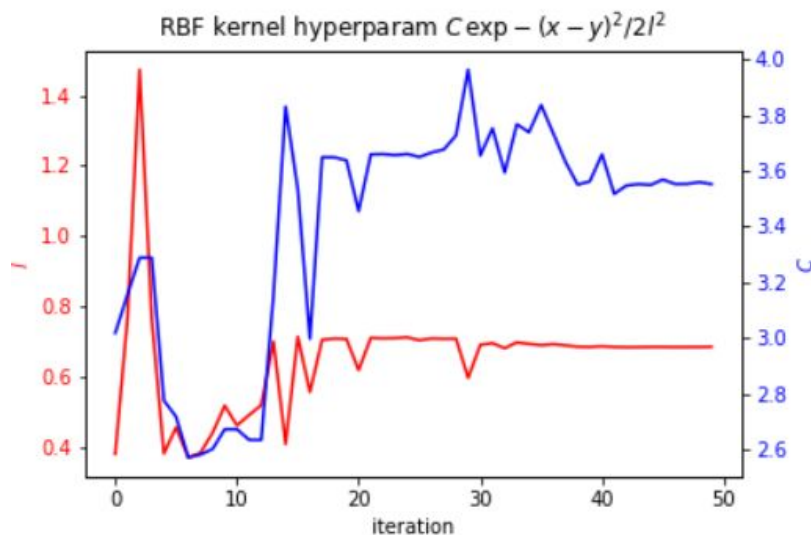
Good agreement between limits from RECAST with reco-level signals (left) and truth-level estimate with private TRUTH1 signals processed with SimpleAnalysis (right).

Summary

- Active learning can raise efficiency in BSM limit setting
- Demonstrated applicability using our Run 2 dilepton resonance search
- Mono-H(bb) reinterpretation as an Exotics active learning pilot project
 - setting stringent limits on dark Higgs boson dark matter model
 - first application of active learning, including use of GPUs

Back up

Will I converge?



Yes, if the target function can be sampled from a Gaussian Process with your selected kernel(x, x')

(see Bayesian model selection theory)

Back up
