## Towards Designing and Exploiting Generative Networks for Neutrino Physics Experiments using Liquid Argon Time Projection Chambers

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#### **Motivation**

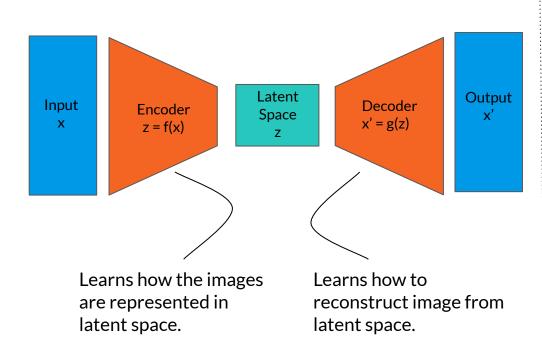
Generate LArTPC events given the particle and momentum of the particle.

## Why?

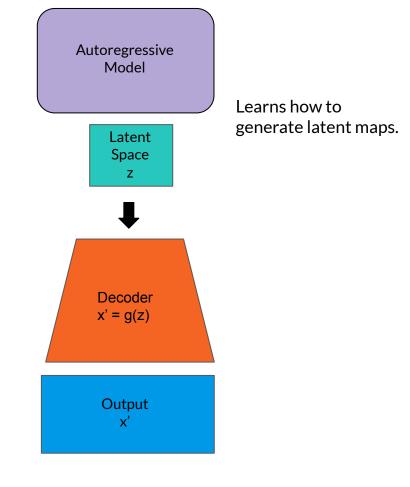
- LArTPCs are widely used in neutrino physics.
- Potentially Fast Generation of simulated events (over GEANT4 simulations).

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#### **Brief Overview**



Represents Images

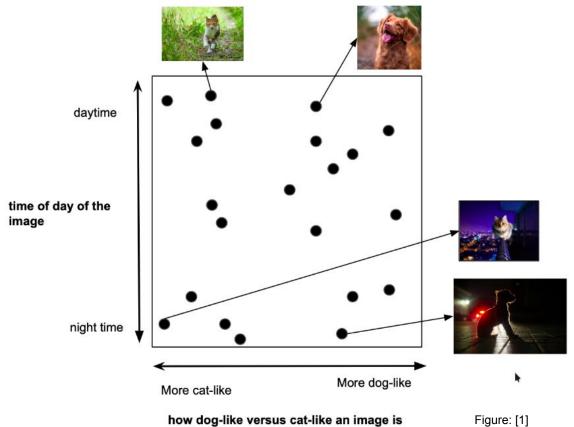


Generates New Images

#### An Oversimplified Example of a Cat/Dog Image Latent Space

## **Latent Space**

- compressed representations of data.
- emphasize the most important and semantically interesting features.



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#### AutoEncoder Reconstructed Image Output Latent Input Decoder Encoder Space x' = g(z)X z = f(x)Ideally, the decoder should be able to Reconstruction Loss: $||x-x'||^2$ accurately reconstruct the raw data from the encoder's latent representation, i.e.,

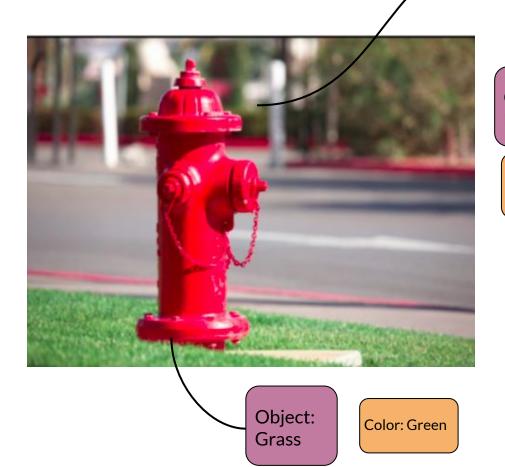
x=x'

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## Discrete Space

Latents do not necessarily need to be continuous vectors, it really just needs to be some numerical representation for the data.

A lot of the data we encounter in the real world favors a discrete representation. For example, images contain discrete objects with some discrete set of qualifiers.



Object: Fire Extinguisher

Orientation: Vertical

Color: Red

Shape: Cylinder

#### **Encoder**



image to discrete codes



#### Decoder



discrete codes to image

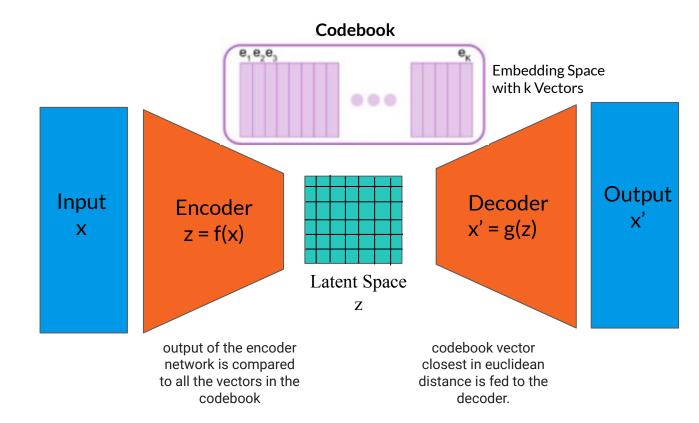


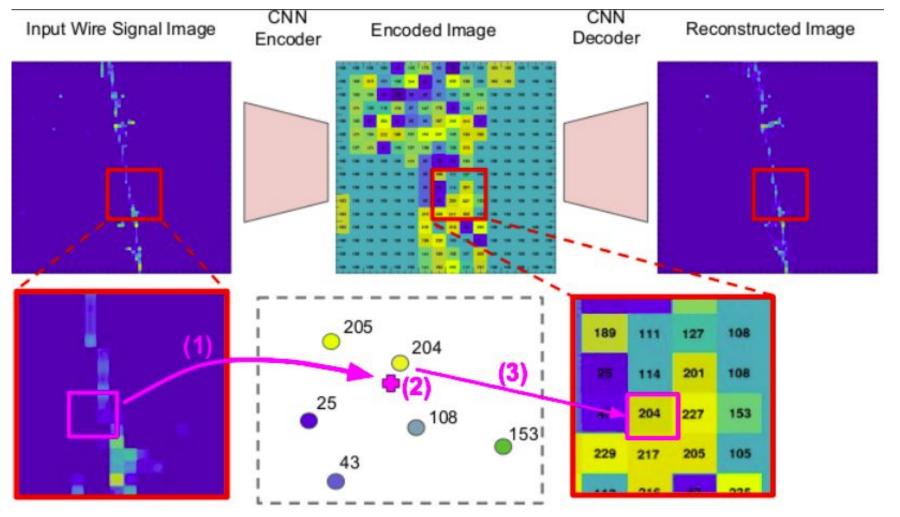
Figure: [2] Charlie Snell \_\_

## **Quantizing Autoencoders: VQ VAE**

Discrete codebook component added to the network.

The codebook is basically a list of vectors associated with a corresponding index.





## **Producing Multiple Codes**

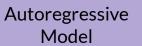
• There is such a restricted set of vectors that can be fed to the decoder (just the set of codebook vectors).

How could one ever expect to generate the huge quantity and diversity of possible images when the decoder can only accept the set of codebook vectors as input?

- But the encoder does not output just one vector, but instead it usually produces a series of vectors.
- For instance, with images of size 32x32, the encoder might output a 32x32 grid of vectors, each of these are quantized and then the entire grid is fed to the decoder. If we have a codebook of size 512, and then our decoder can basically output  $512^{32*32}=2^{9216}$  distinct images!

## **Learning the Prior**

- Network to learn the probability distribution of the codes.
- Generate new data from the distribution by sampling from this prior and feeding the samples to the decoder.



- Learns the distribution of the discrete codes.
- Generates Latent Maps.



Decoder x' = g(z)

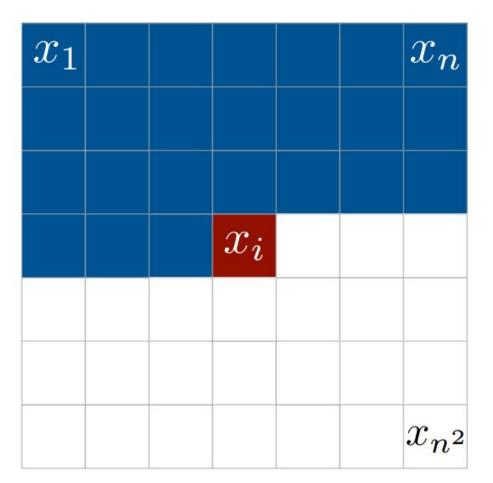
Output x' \_\_

## **Autoregressive Model**

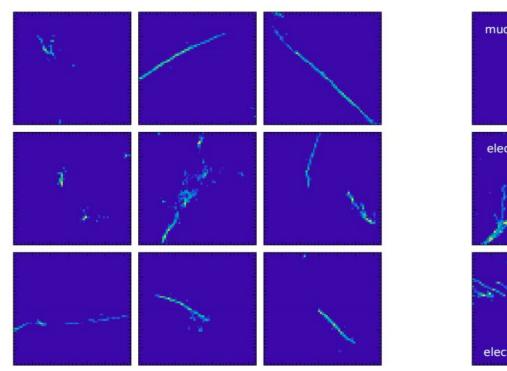
Given all previous latent codes in the sequence, predict the next one.

For images, we can apply autoregressive learning to a sequence that goes from top left to bottom right.

$$p(\mathbf{x}) = \prod_{i=1}^{n^2} p(x_i|x_1, ..., x_{i-1}).$$



#### **Events Generated from VQ VAE and PixelCNN**



electron proton muon muon (w/ decay) electron electron electron muon

(a) Generated images

(b) Training images

#### What's next?

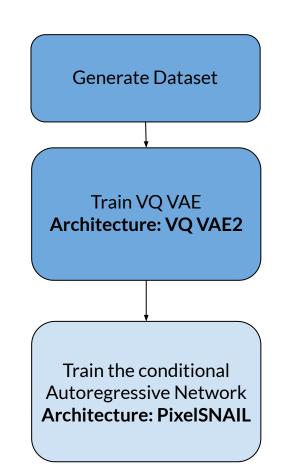
Conditional Image Generation

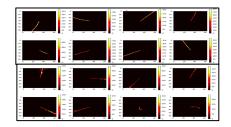
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## Conditional Image Generation

#### The Idea

Generate the trajectory of a particle given the initial momentum.





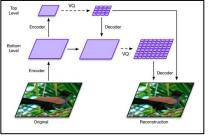


Figure: [4] Ali Razavi et. al.

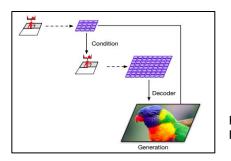
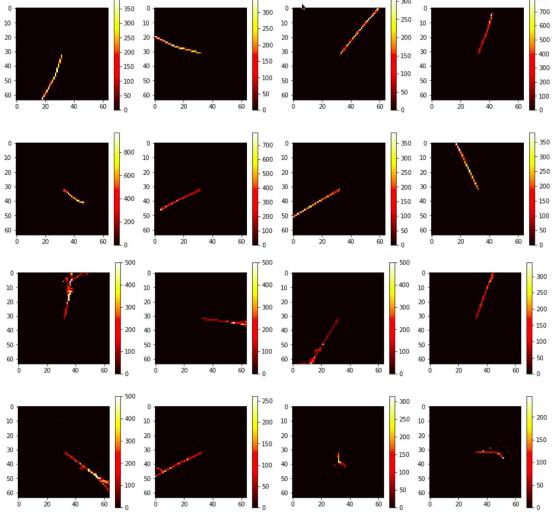


Figure: [5] Ali Razavi et. al.

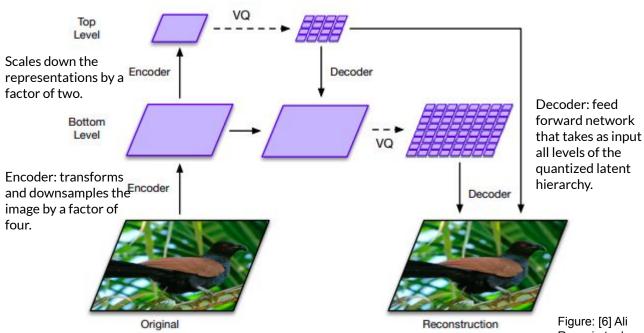
#### The Dataset

- Particles: showers and tracks
- Cropped such that the particle is at the center of the image

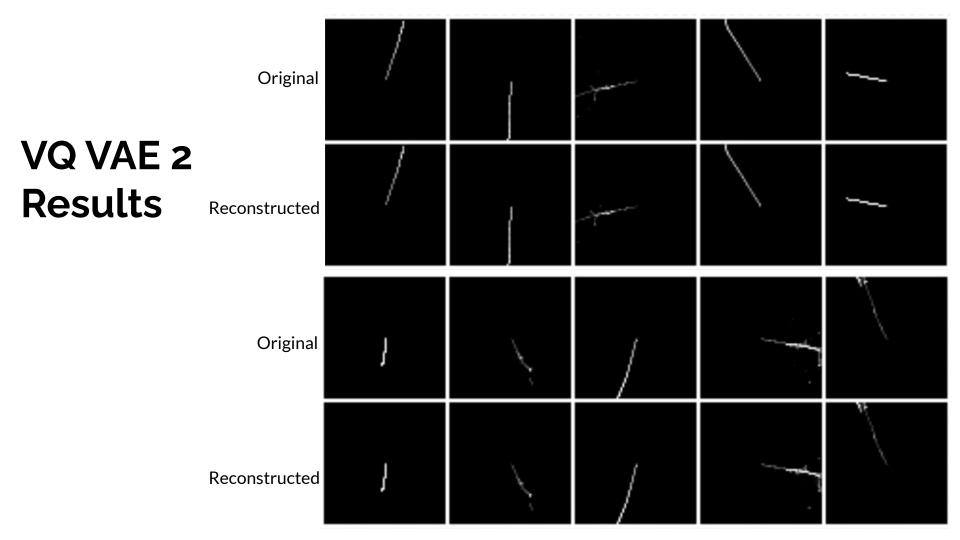


#### Hierarchical Autoencoders: VQ VAE2

- Top latent code: models global information.
- Bottom latent code: responsible for representing local details.



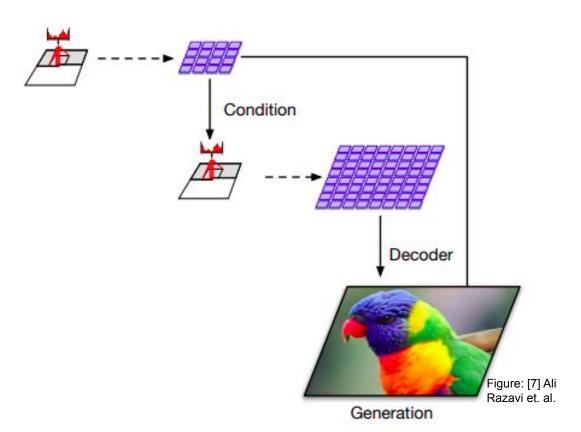
Razavi et. al.



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#### **PixelSNAIL**

- Prior over the top latent map:
  Responsible for structural global information
- Prior over the bottom latent map: Responsible for the local information



### **Summary**

- We train a network using VQ VAE (autoencoder) and PixelCNN (autoregressive model) to generate images (unconditioned on particle and momentum) that resemble LArTPC events.
- We are currently pursuing more sophisticated architectures to improve the quality of the generated images.
- Additionally, we are working on designing a network that can generate images conditionally.

#### **Acknowledgements**

This material is based upon work supported by the U.S. Department of Energy (DOE) and the National Science Foundation (NSF). T.W. was supported by the U.S. DOE, Office of High Energy Physics. S.A. was funded by the NSF.







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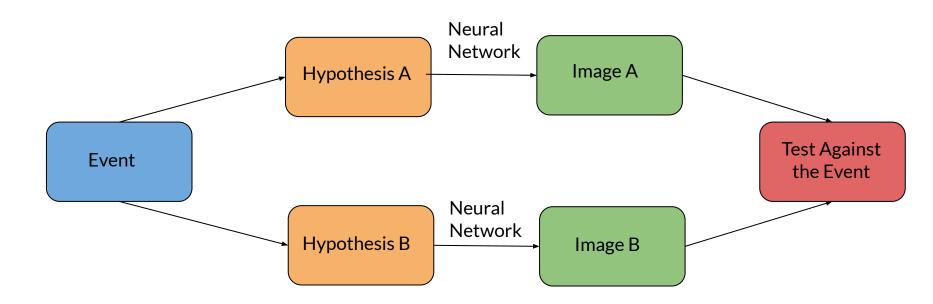
#### References

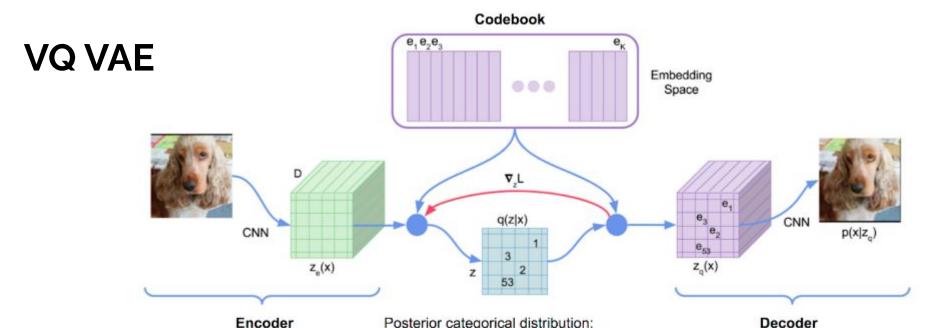
- 1. Towards Designing And Exploiting Generative Networks For Neutrino Physics Experiments Using Liquid Argon Time Projection Chambers, Paul Lutkus, Taritree Wongjirad, Shuchin Aeron (Conference paper at ICLR 2021) [https://simdl.github.io/files/51.pdf]
- 2. Generating Diverse High-Fidelity Images with VQ-VAE-2, Ali Razavi and Aaron van den Oord and Oriol Vinyals (arxiv:1906.00446)
- 3. PixelSNAIL: An Improved Autoregressive Generative Model, Xi Chen and Nikhil Mishra and Mostafa Rohaninejad and Pieter Abbeel (arxiv: 1712.09763)
- 4. Understanding VQ-VAE (DALL-E Explained Pt. 1), Charlie Snell [https://ml.berkeley.edu/blog/posts/vq-vae/]
- 5. Conditional Image Generation with PixelCNN Decoders, Van der Oord et al. (arXiv:1606.05328)
- 6. Neural Discrete Representation Learning, Van der Oord et al. (arXiv:1711.00937)

## Appendix

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# Application of Generative Network: Hypothesis Testing





x: raw input

z: latent space representation

D: Dimension of Embedding Space

k: Number of Codebook Vectors

e<sub>i</sub>: i<sup>th</sup> codebook vector z<sub>e</sub>(x): encoder vector for input x z<sub>q</sub>(x): resulting quantized vector that is

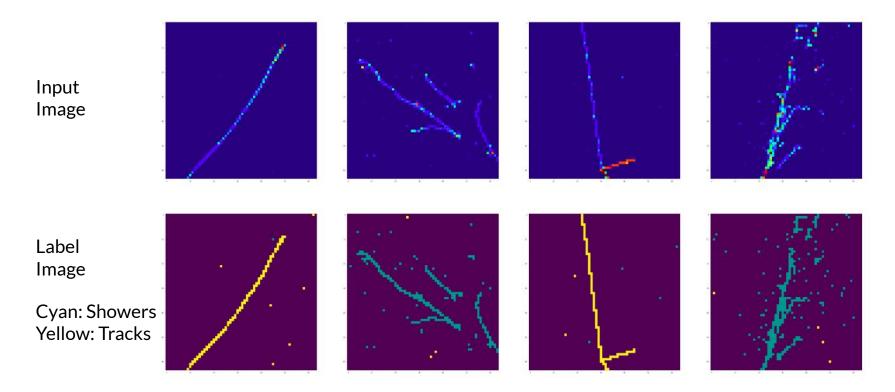
passed as input to the decoder

Posterior categorical distribution:

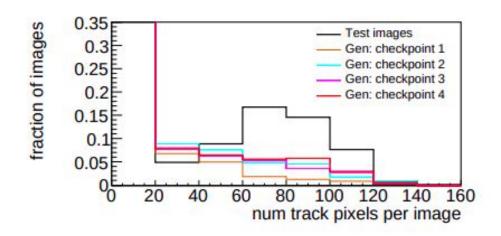
$$q(\mathbf{z} = \mathbf{e}_k | \mathbf{x}) = \begin{cases} 1 & \text{if } k = \arg\min_i \|\mathbf{z}_e(\mathbf{x}) - \mathbf{e}_i\|_2 \\ 0 & \text{otherwise.} \end{cases}$$

Figure: [8] Van der Oord et al. Neural Discrete Representation Learning

### **Track and Shower Labels**



#### Results from VQ VAE and PixelCNN



Comparing Frequency of SSNet Labels per Image